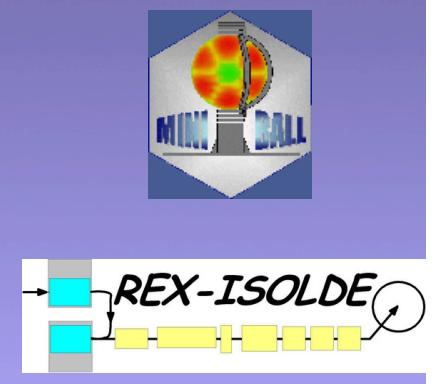


# Transfer Experiments with T-REX at ISOLDE

Dennis Mücher  
Physics Department E12  
TU München



# T-REX – Si particle detector array

T-REX ... Si detector array for Transfer  
experiments at REX-ISOLDE

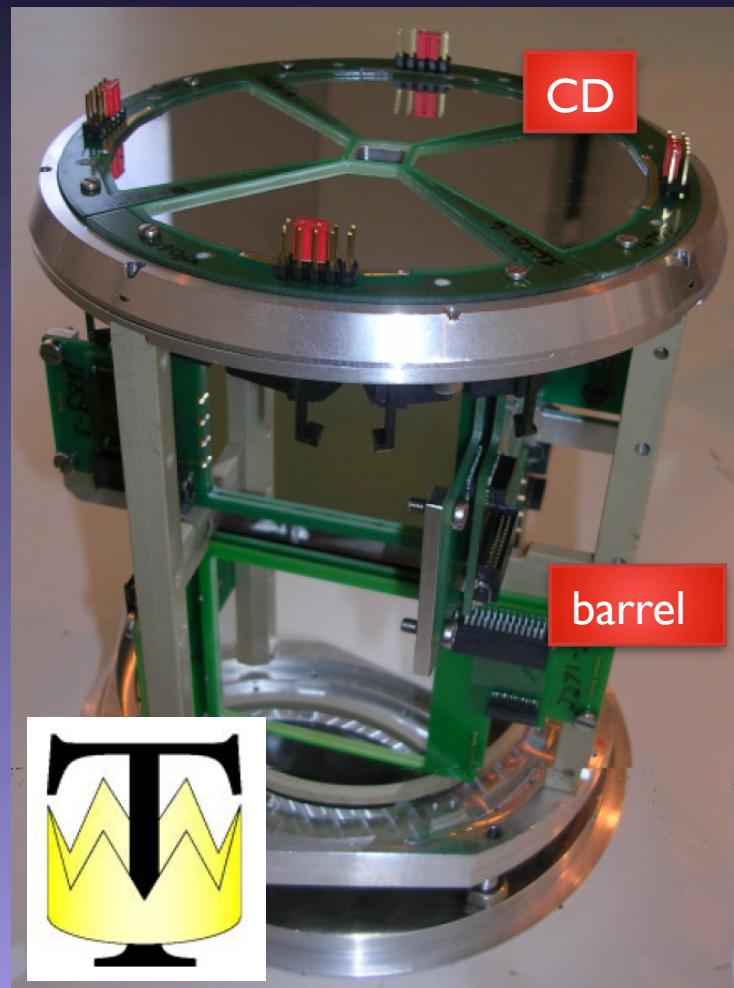
- large solid angle (58% of  $4\pi$ )
- position sensitive
- PID ( $\Delta E-E$ ): p, d, t,  $\alpha$ ,  
... and  $e^-$  from  $\beta$ -decay (!)

## Technical details:

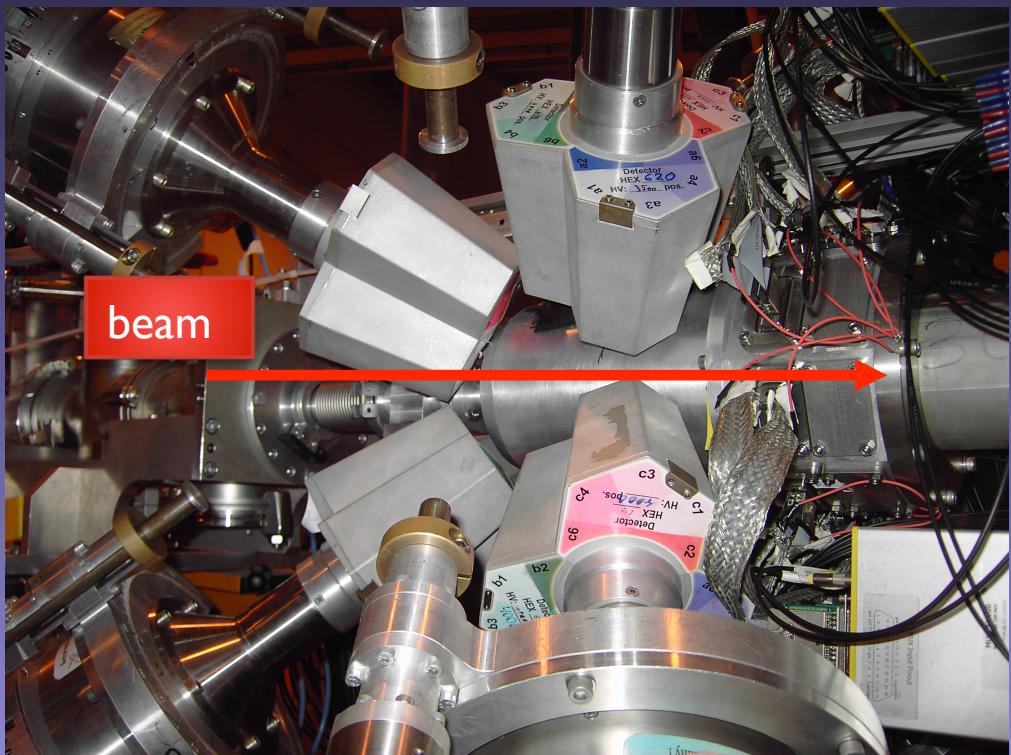
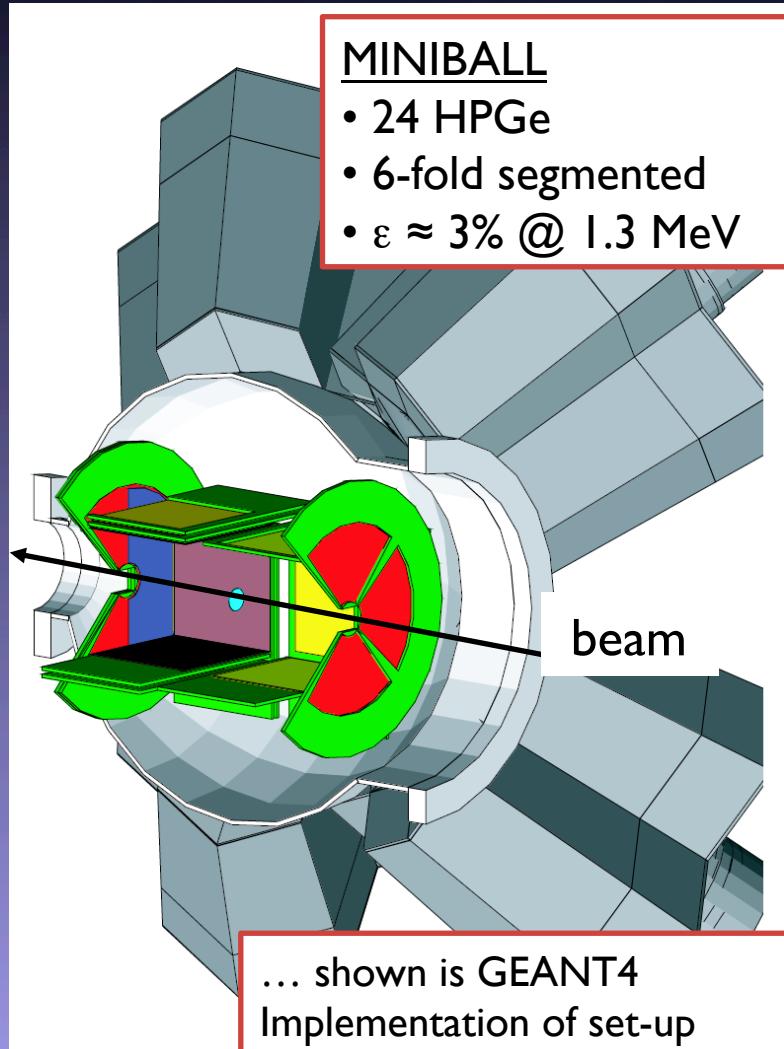
Barrel: 140  $\mu m$   $\Delta E$  / 16 resistive strips  
1000  $\mu m$  E / pad

Backward CD: 500  $\mu m$   $\Delta E$  / DSSSD  
500  $\mu m$  E / pad

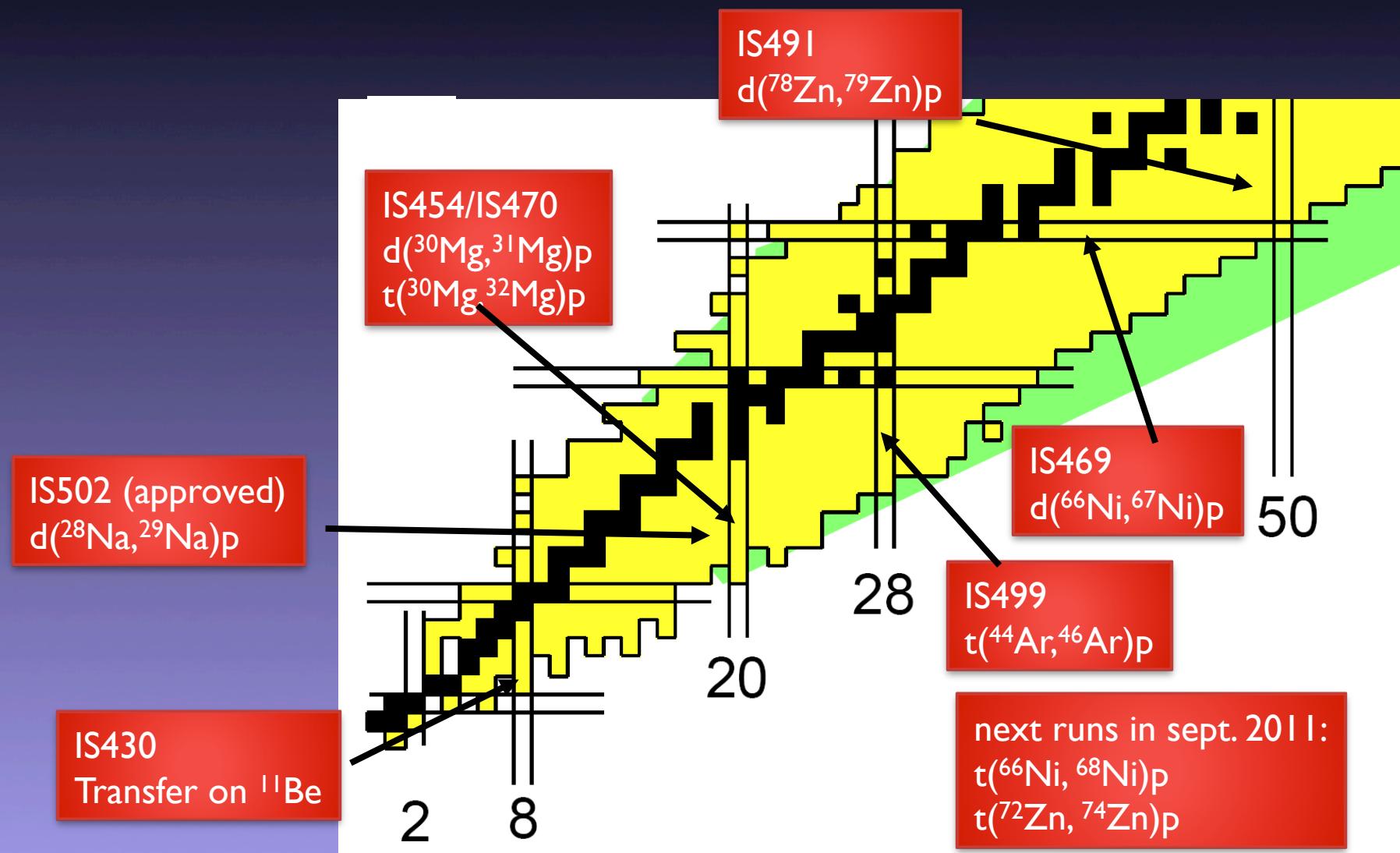
V. Bildstein, K. Wimmer, Th. Kröll,  
R. Gernhäuser et al.  
(funded by TU München, KU Leuven,  
U Edinburgh, CSNSM Orsay, TU Darmstadt)

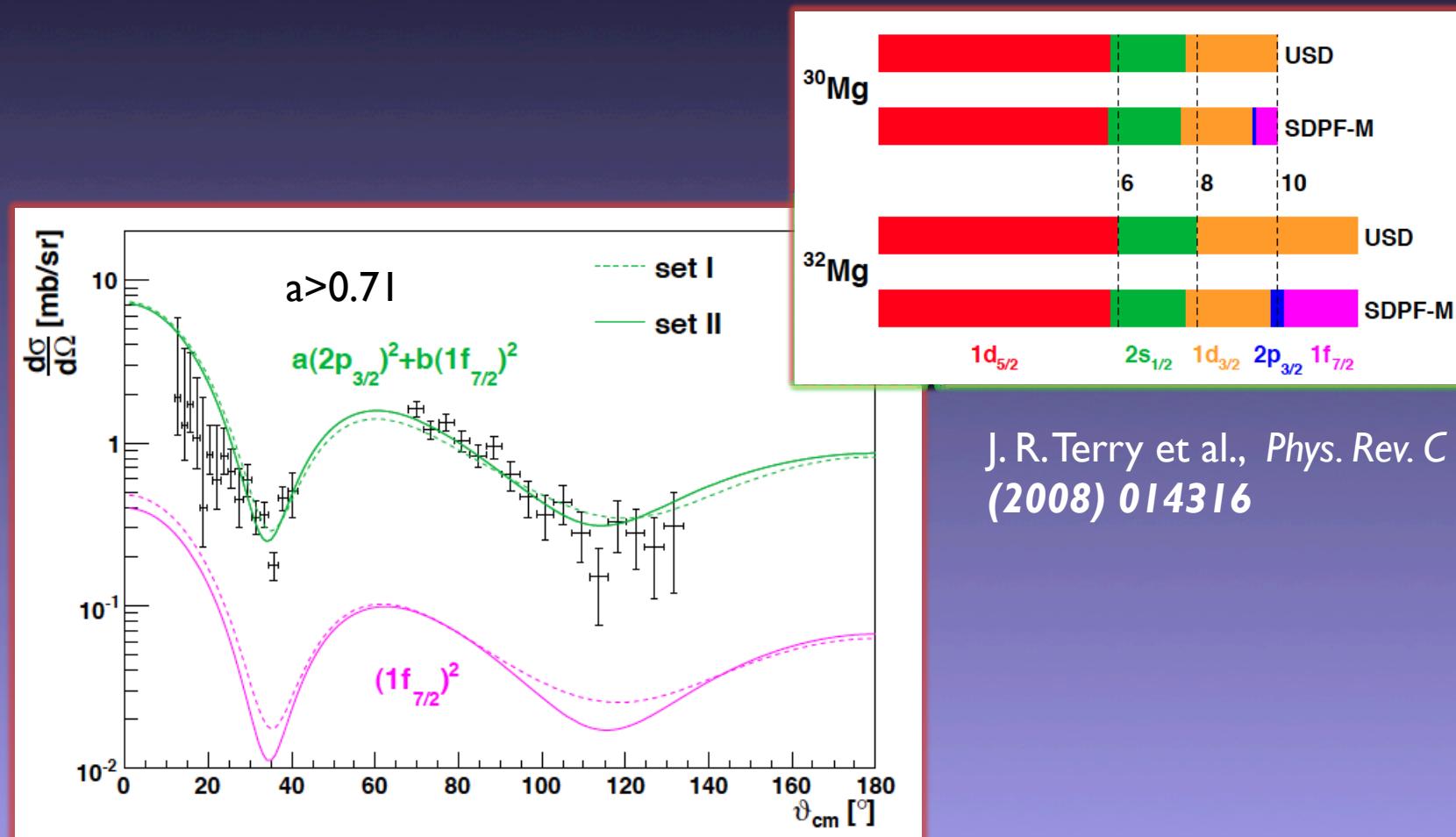


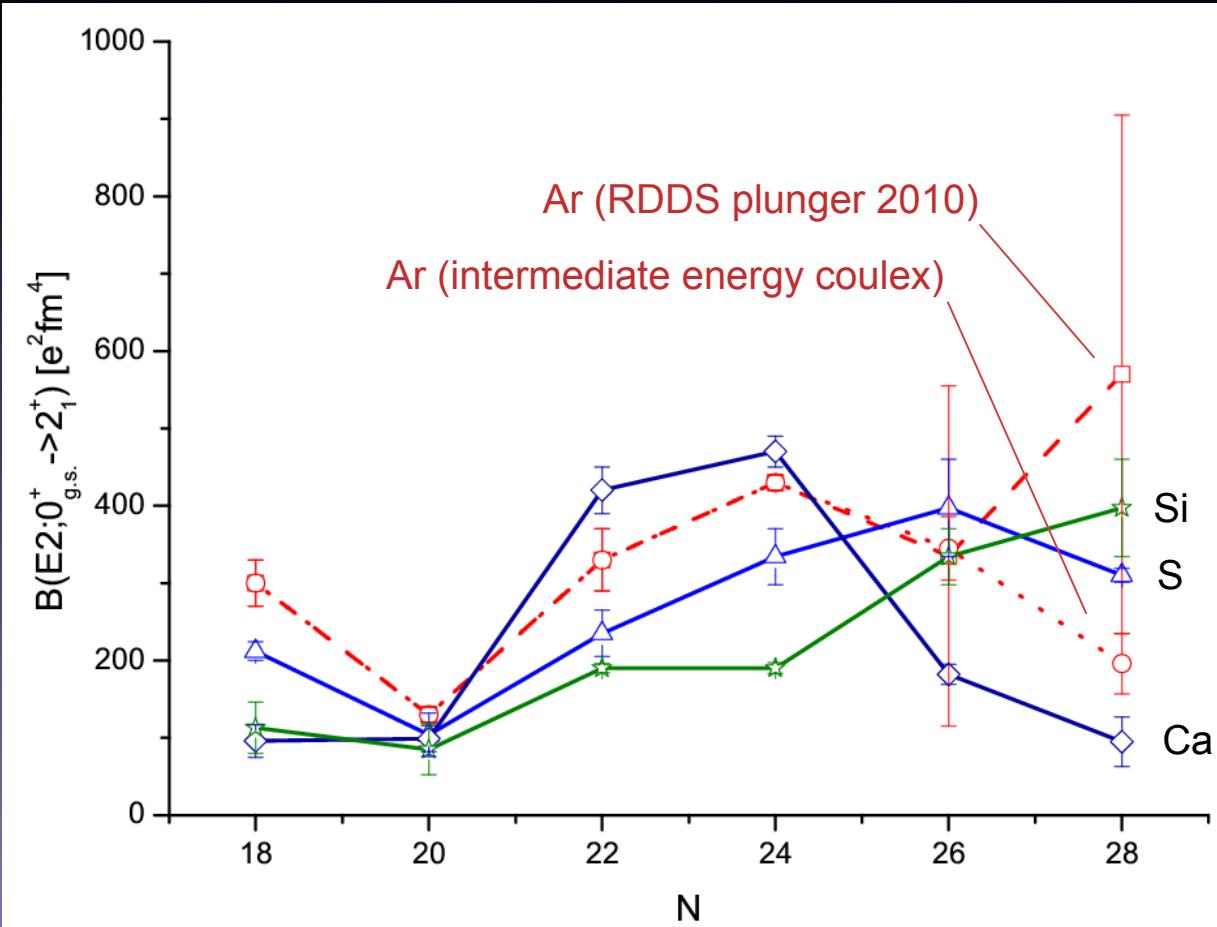
# Experimental set-up: T-REX & MINIBALL



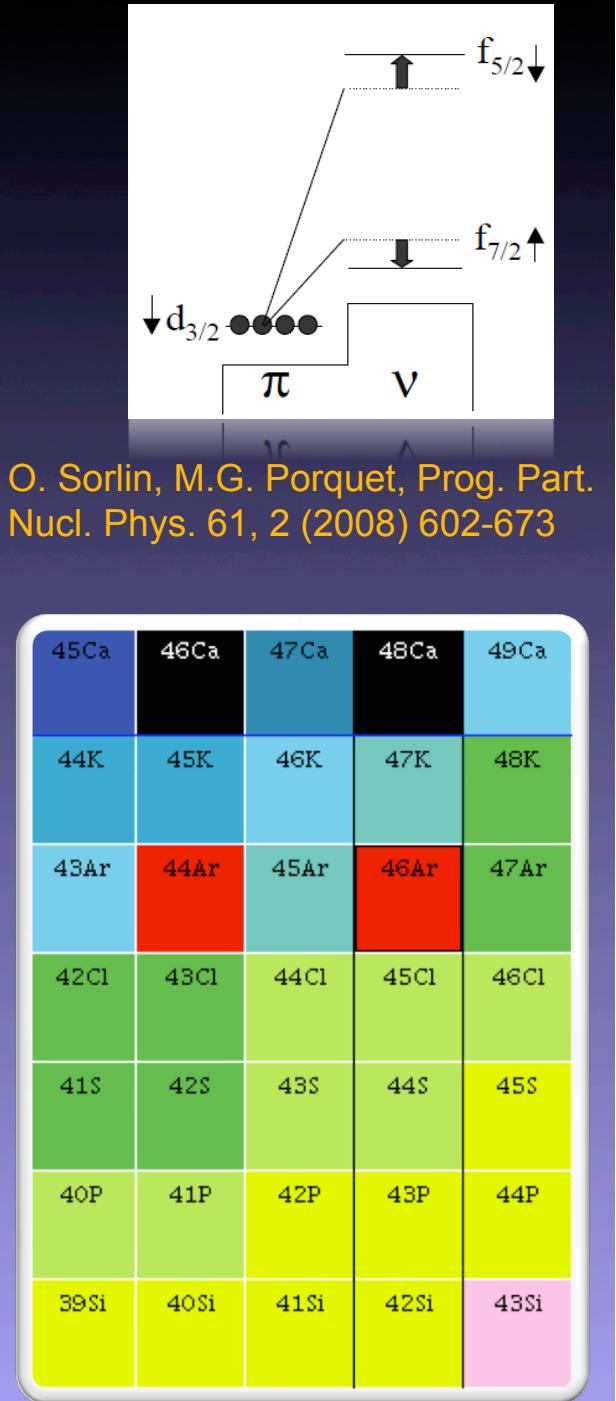
Overview of experiments done so far:  
one- and two-nucleon transfer reactions



Discovery of the Shape Coexisting  $0^+$  State in  $^{32}\text{Mg}$  by a Two Neutron Transfer ReactionK. Wimmer,<sup>1</sup> T. Kröll,<sup>1,\*</sup> R. Krücken,<sup>1</sup> V. Bildstein,<sup>1</sup> R. Gernhäuser,<sup>1</sup> B. Bastin,<sup>2</sup> N. Bree,<sup>2</sup> J. Diriken,<sup>2</sup> P. Van Duppen,<sup>2</sup>



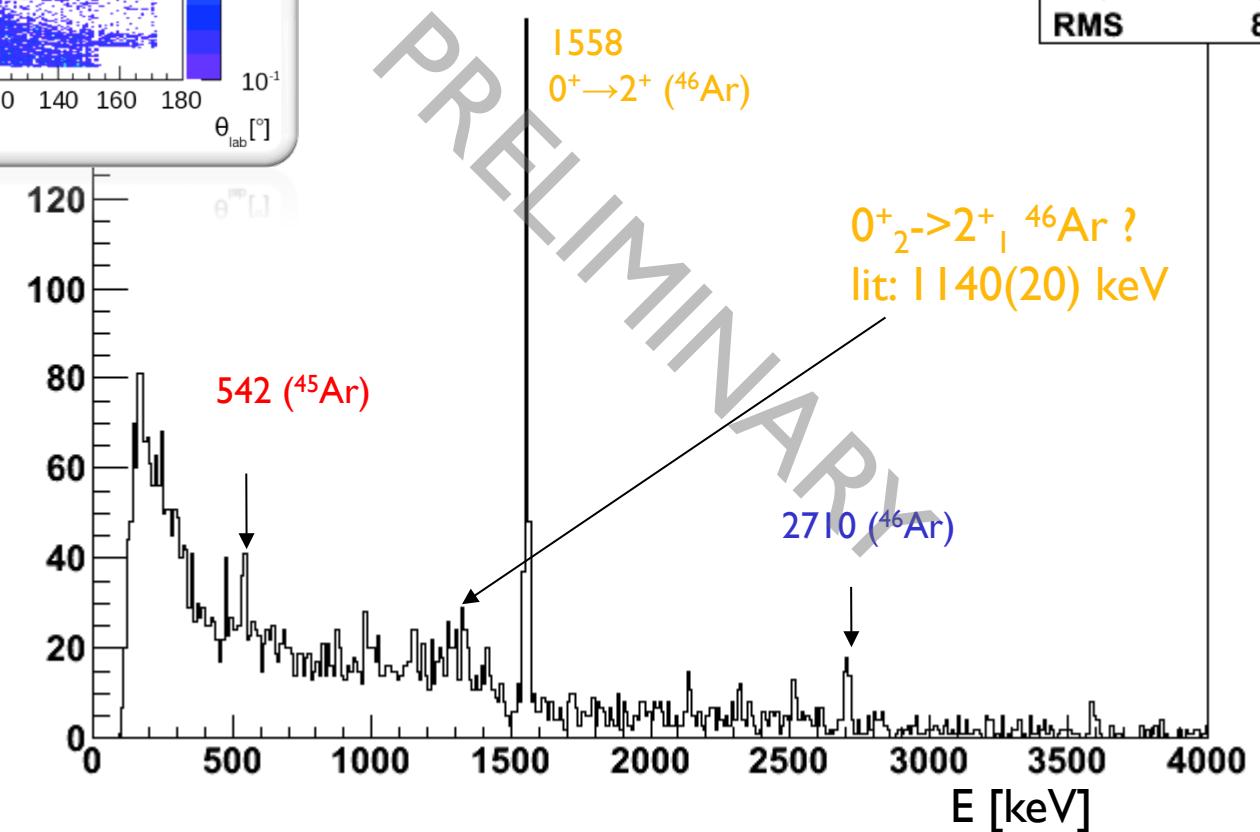
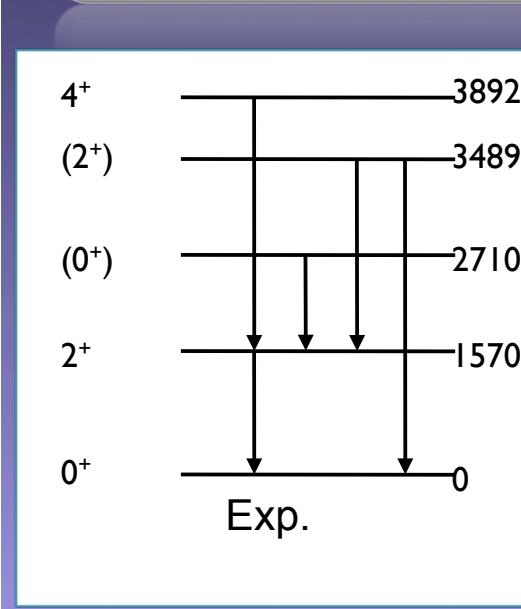
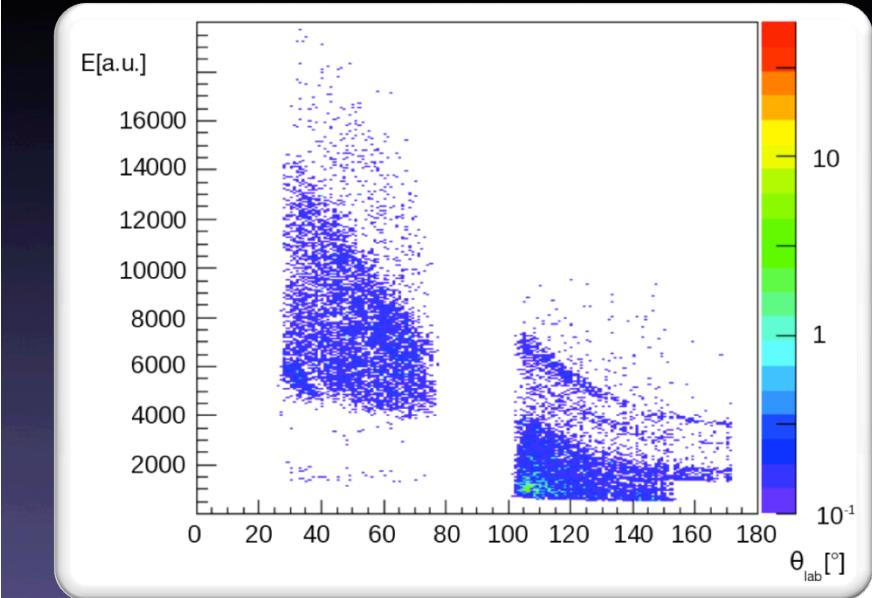
- S. Raman, C.W. Nestor, and P.Tikkanen, At. Data Nucl. Data Tables 78 (2001)  
 X. Liang et al., Phys. Rev. C. 67 (2003) 024302  
 P.M. Campbell et al., Phys. Rev. Lett. 97 (2006) 112501  
 B. Bastin et al., Phys. Rev. Lett. 99 (2007) 022503  
 J.A. Winger et al., Phys. Rev. C 64 (2001) 064318  
 D. Mengoni et al., Phys. Rev. C 82 (2010) 024308  
 H.Scheit et al., Phys. Rev. Lett. 77 (1996) 3967  
 A. Gade et al., Phys. Rev. C 68 (2003) 014302



44Ar 2n transfer @ MINIBALL+T-REX (Ph.D thesis K. Nowak, EI2, TU Munich)

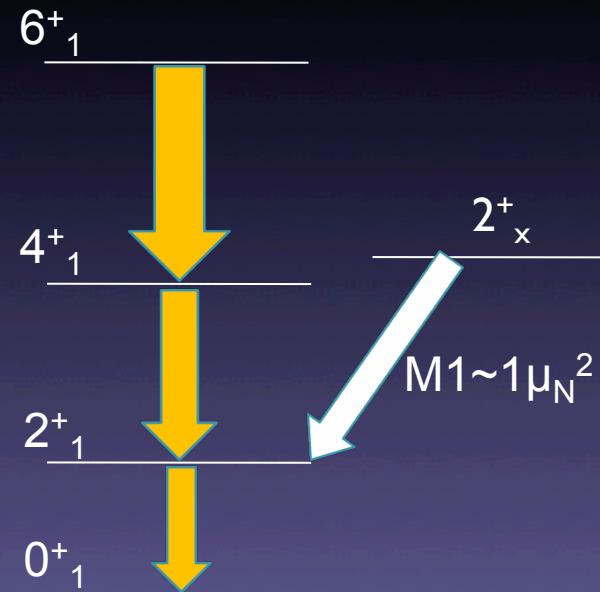
- $^{44}\text{Ar}$  beam: 2.16 A MeV
- beam intensity:  $\sim 1 \cdot 10^5$  part/s
- target: tritium-loaded titanium foil

PEGamCoreDC
Entries 4751
Mean 1013
RMS 835



Dombradi et al., Nucl.  
Phys. A 727, 195 (2003)

low-lying M1-strength is a “robust“ feature of even-even nuclei



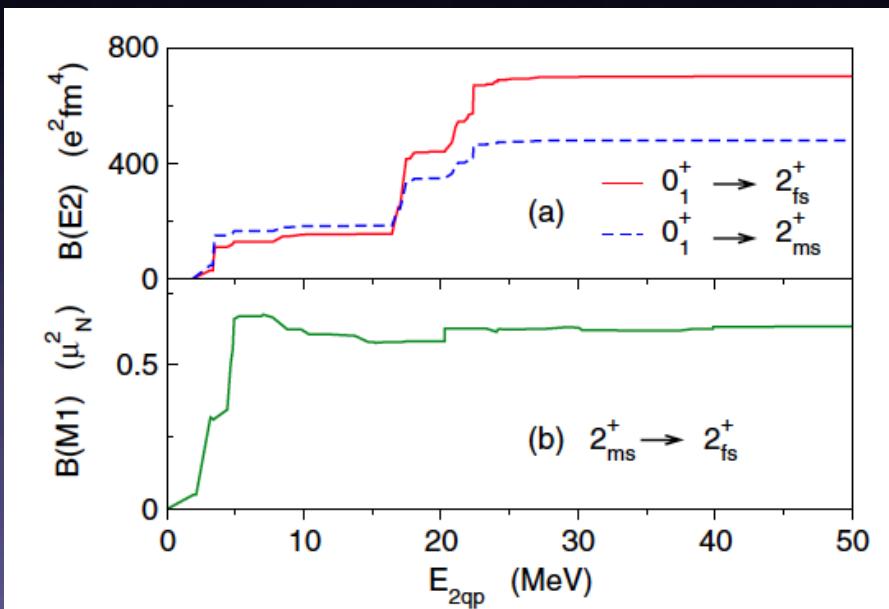
(see also talk by A. Gargano:  
two-state mixing model)

interpretations in the framework of Boson models (T. Otsuka et al, *Phys. Lett. B* 76 (1978), 139  
surface vibration for  $\pi$  and  $\nu$  separately:

$$r_i(\theta, \varphi; r_0) = r_0 [1 + \alpha_i^0 + \alpha_{i\mu} Y_{2\mu}(\theta, \varphi)] ,$$

$$\begin{aligned} \rho_i[r_0] &= \rho_i[r/(1 + \alpha_i^0 + \alpha_{i\mu} Y_{2\mu})] \\ &= \rho_i[r] - r(\alpha_i^0 + \alpha_{i\mu} Y_{2\mu}) \rho'_i(r) \end{aligned}$$

Nature of Mixed Symmetry State: Coupling to Quadrupole Giant Resonance is important !



C.Walz et al, PRL 106, 062501 (2011)

A. Faessler et al, Phys. Lett 166B, 4 (1985)

$$E_s = K(Z - N)^2/A$$

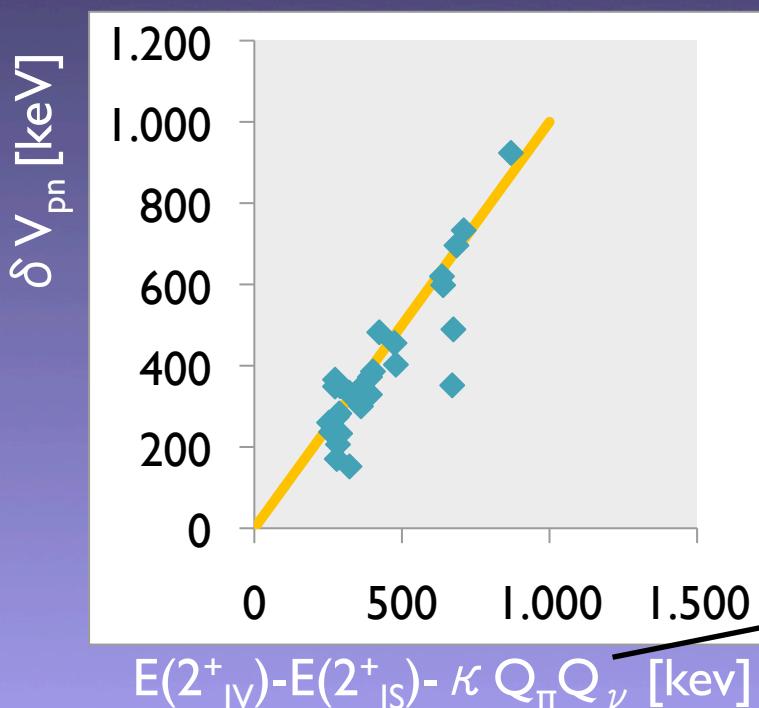
$$= \int [K(\rho_p - \rho_n)^2 / (\rho_p + \rho_n)] d\tau$$

$$B = a_v A - a_s A^{2/3} - a_c \frac{Z^2}{A^{1/3}} - a_A \frac{(Z-N)^2}{A} + \delta(Z, A)$$

symmetry energy is a major uncertainty for understanding the EOS for neutron rich matter at extreme densities, like e.g. neutron stars

$$E_{\text{sym}} = \frac{1}{2} a_{\text{sym}} T^2 = \frac{1}{2} (a_{\text{kin}} + a_{\text{int}}) T^2.$$

D. Mücher, R. Krücken, J. Jolie et al. to be published



$$\delta V_{\text{pn}}(Z, N) = \frac{1}{4} [ \{B(Z, N)\} - \{B(Z-2, N)\} - \{B(Z, N-2)\} + \{B(Z-2, N-2)\} ]$$

- simple measure of pn interaction in valence shell (Cakirli et al, PRL **94**, 092501, 2005)
- entering this into Bethe-Weiszäcker formula gives back mainly (~80%) the symmetry energy
- contains Wigner energy (important for N=Z): P. van Isacker et al, PRL 74, 23 (1995)
- accessible to DFT calculations → collab. P. Ring

see comment from D.Vretenar (monday): collective correlations may strongly depend on nucleon number

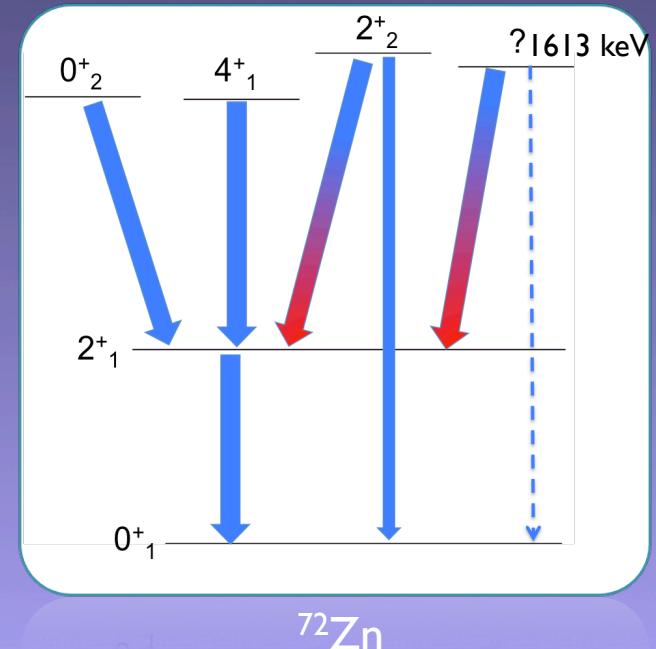
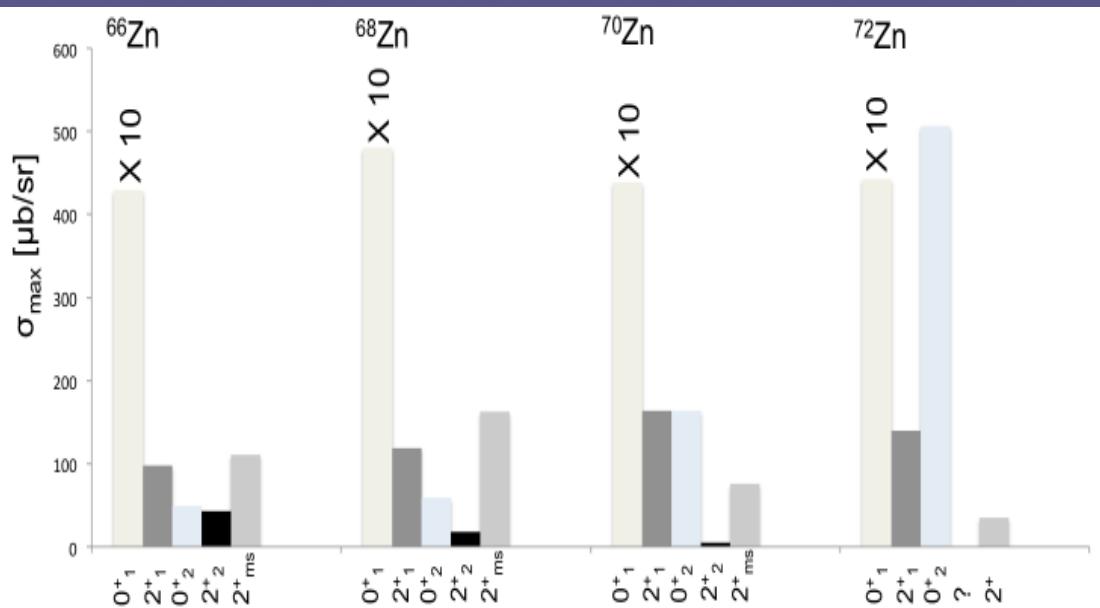
from our studies we may expect a general lowering of magnetic strength in even-even nuclei

- near heavy N=Z (lowering of Wigner energy)
- in neutron-rich systems (lowering of spatial overlap of protons and neutrons)

## So: how can we measure Mixed Symmetry States with RIB ?

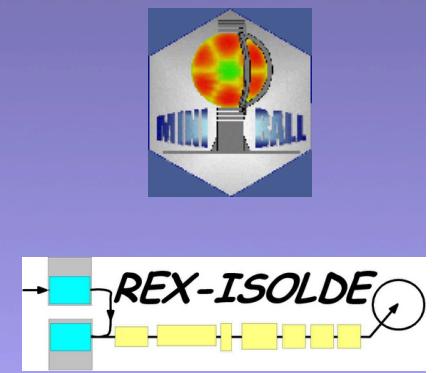
- Coulomb excitation not successful so far (right now running at MINIBALL, CERN: IS496,  $^{140}\text{Nd}$ ), HIE-ISOLDE needed !
- MSS are often strongly excited after  $2n$  transfer:

- IS 510:  $^{72}\text{Zn}$  Coulex+ $2n$  transfer, scheduled in oct. 2011

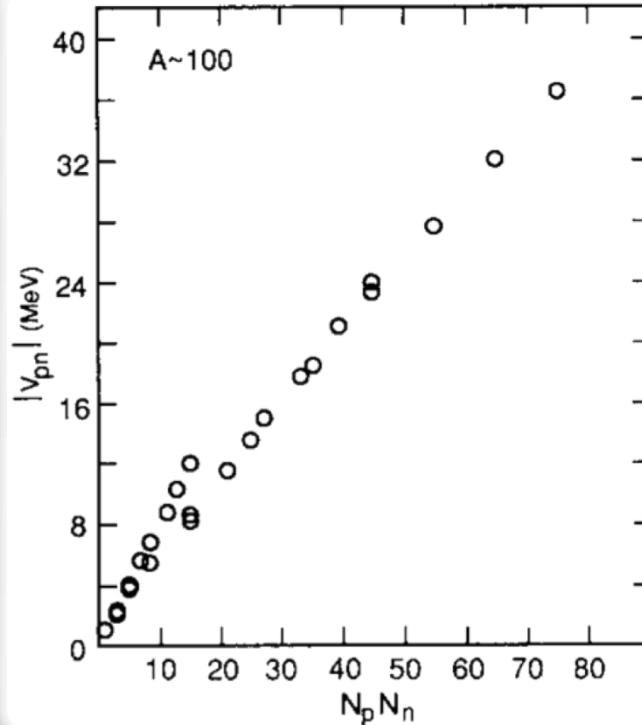


# Thanks for your attention!

Dennis Mücher  
Physics Department E12  
TU München



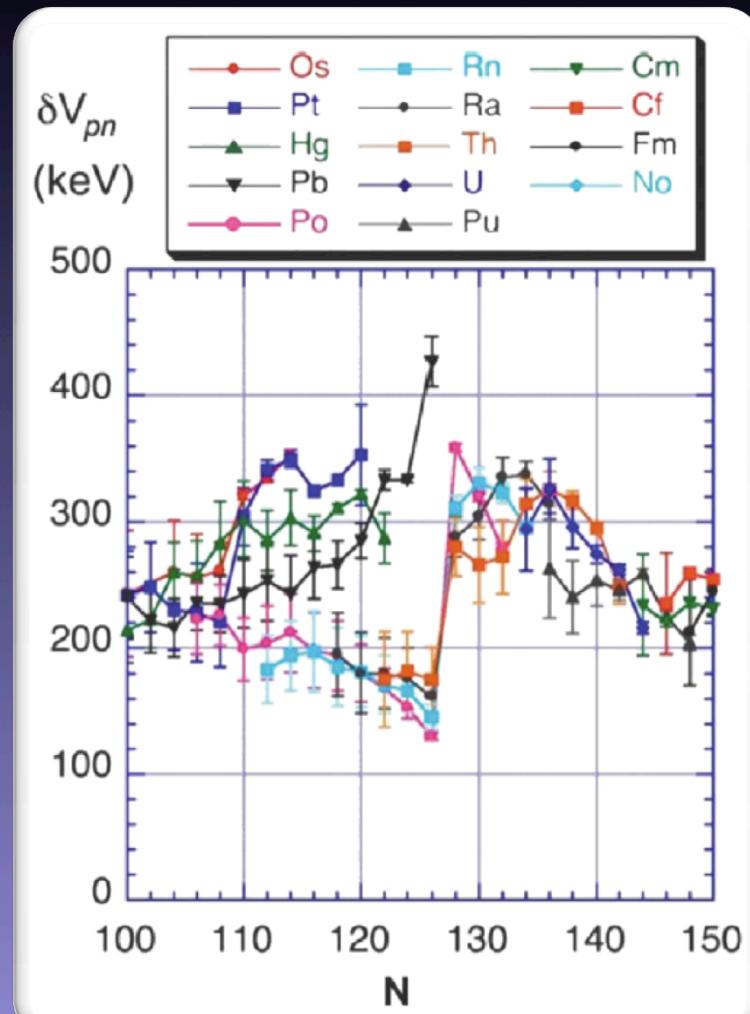
## A first phenomenologic picture



J.-Y. Zhang et al, Phys. Lett B227, 1 (1989)

valence proton-neutron interaction roughly depends on the number of valence particles as well as on the spatial overlap of the respective shell orbits

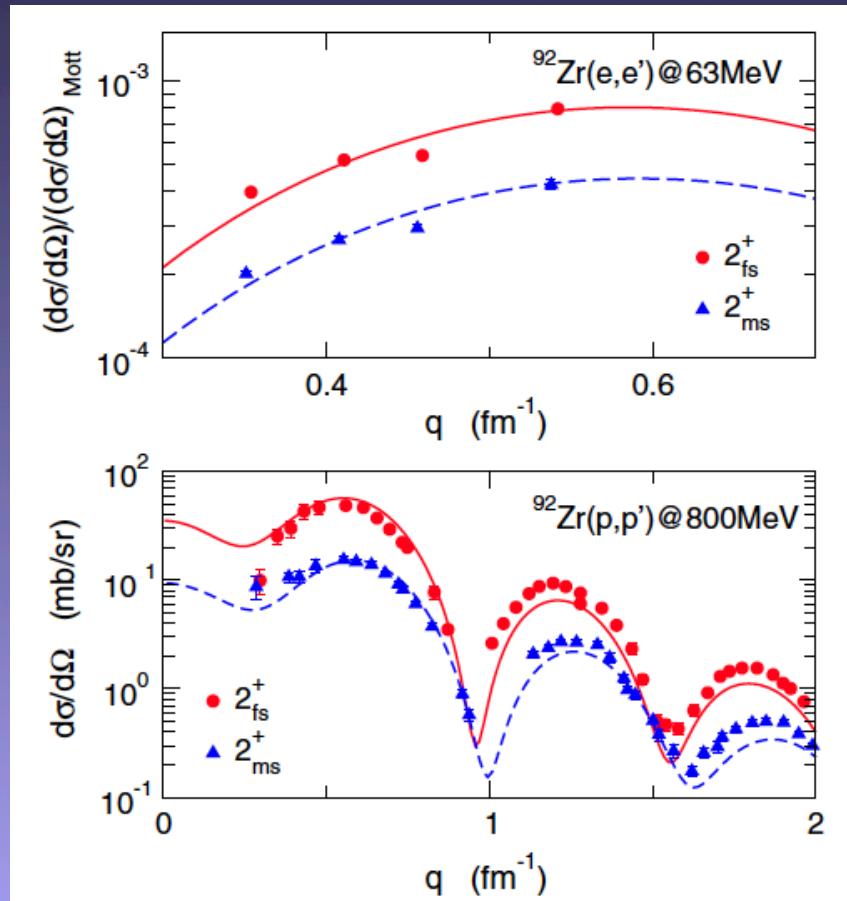
However: the pn-interaction does not always behave so “smooth” !



R.B.Cakirli et al., PRL 94, 092501 (2005)

## Origin of Low-Energy Quadrupole Collectivity in Vibrational Nuclei

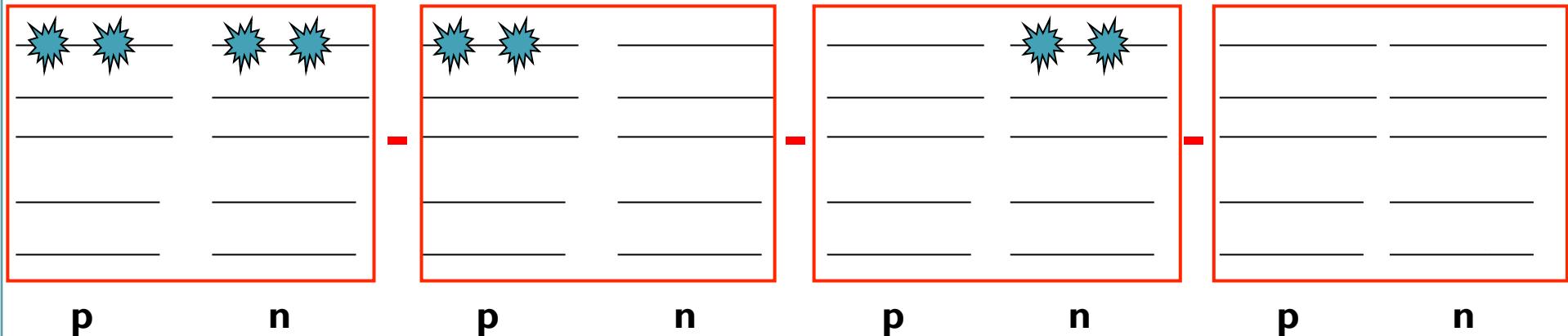
C. Walz,<sup>1</sup> H. Fujita,<sup>2,3</sup> A. Krugmann,<sup>1</sup> P. von Neumann-Cosel,<sup>1</sup> N. Pietralla,<sup>1</sup> V. Yu. Ponomarev,<sup>1</sup> A. Scheikh-Obeid,<sup>1</sup> and J. Wambach<sup>1,4</sup>



Professor Dr. Norbert Pietralla  
Darmstadt Coordinator of the Helmholtz  
International Center for FAIR  
Coordinator of the DFG Collaborative  
Research Center SFB634  
Director  
Institut fuer Kernphysik, TU Darmstadt

$$\delta V_{pn} (Z, N) =$$

$$\frac{1}{4} [ \{B(Z, N) - B(Z, N-2)\} - \{B(Z-2, N) - B(Z-2, N-2)\} ]$$



Int. of last two n with Z protons,  
N-2 neutrons and with each other

Int. of last two n with Z-2 protons,  
N-2 neutrons and with each other

**Bethe-Weizäcker:**  
 **$\delta V_{pn}$  is dominated by symmetry energy (80 %)**

## Extension of the pairing plus quadrupole force model to $N \approx Z$ nuclei

M. Hasegawa<sup>1</sup> and K. Kaneko<sup>2</sup>

<sup>1</sup>Laboratory of Physics, Fukuoka Dental College, Fukuoka 814-0193, Japan

<sup>2</sup>Department of Physics, Kyushu Sangyo University, Fukuoka 813-8503, Japan

(Received 28 October 1998)

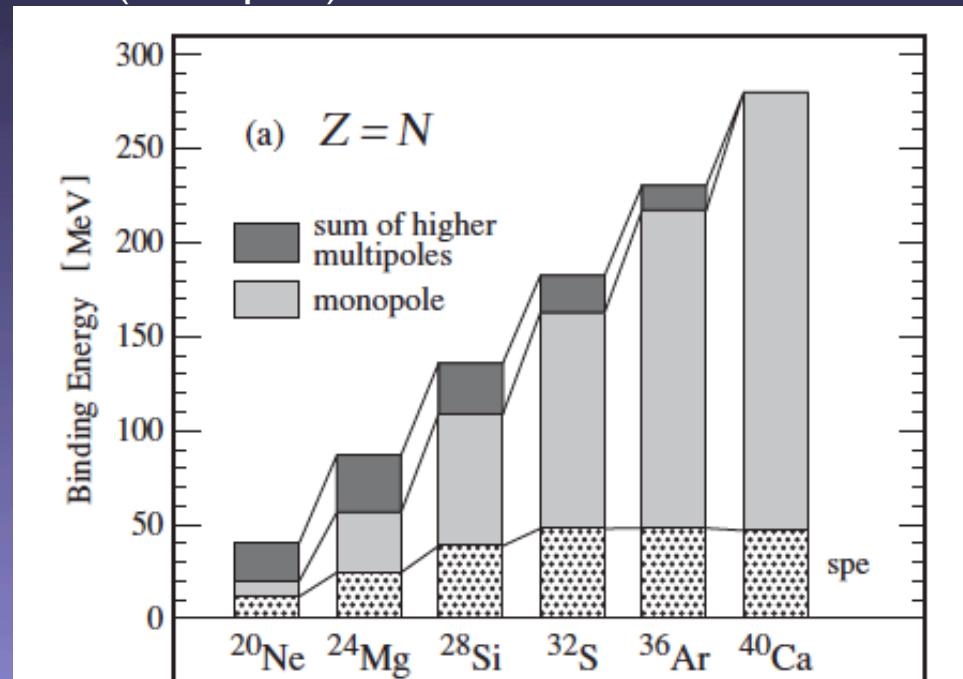
inclusion of a  $T=0$   $J$ -independent pn-interaction (monopole)

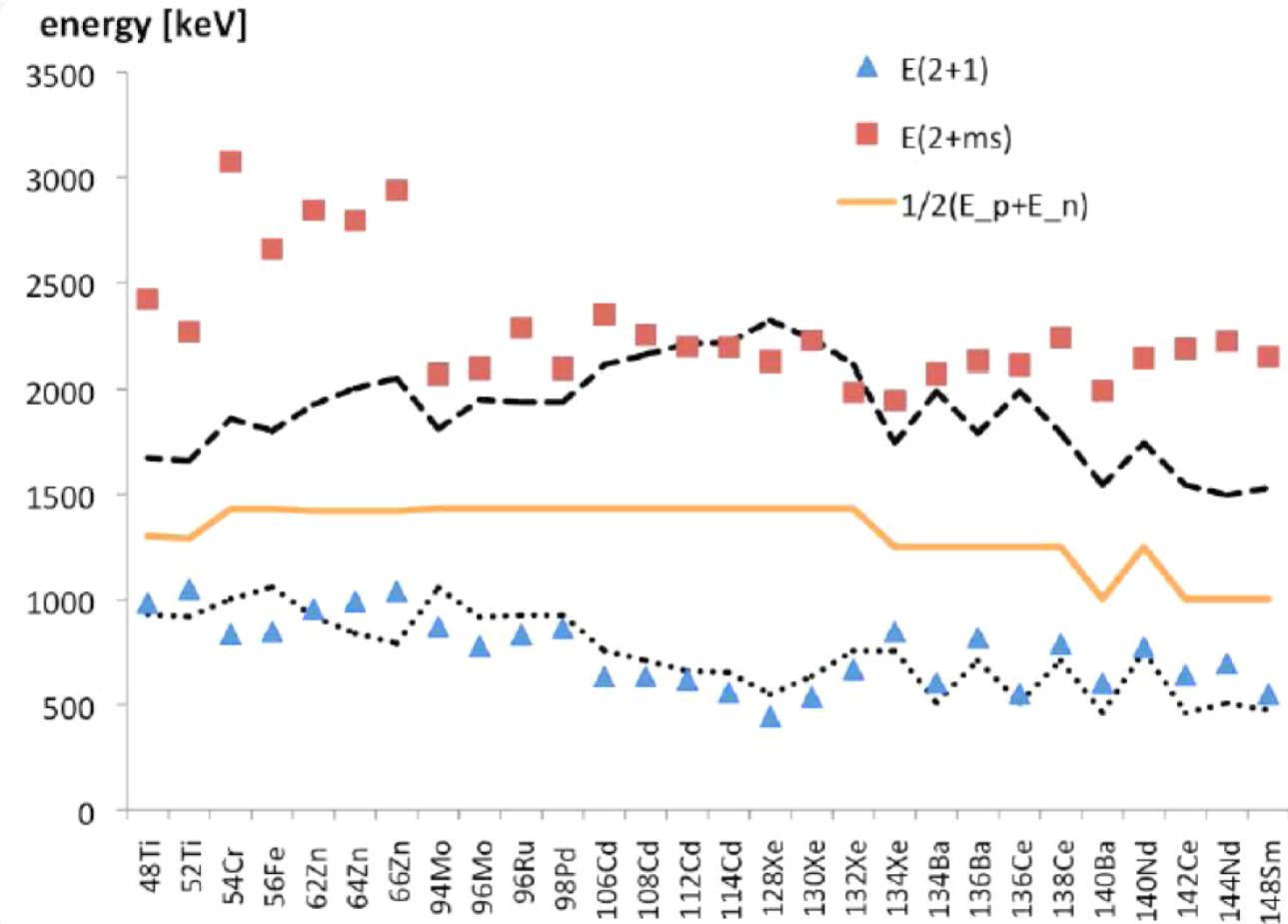
$$V_{\pi\nu}^{\tau=0} = -\frac{1}{2}k^0 \left\{ \hat{n} \left( \frac{\hat{n}}{2} + 1 \right) - \hat{T}^2 \right\}$$

Heyde et al., PRC 49, 5 (1994), 2499

$$\delta V_{pn} = \frac{4 \cdot \sum_J (2J+1) \langle j_\pi j_\nu; J | V | j_\pi j_\nu; J \rangle}{\sum_J (2J+1)}$$

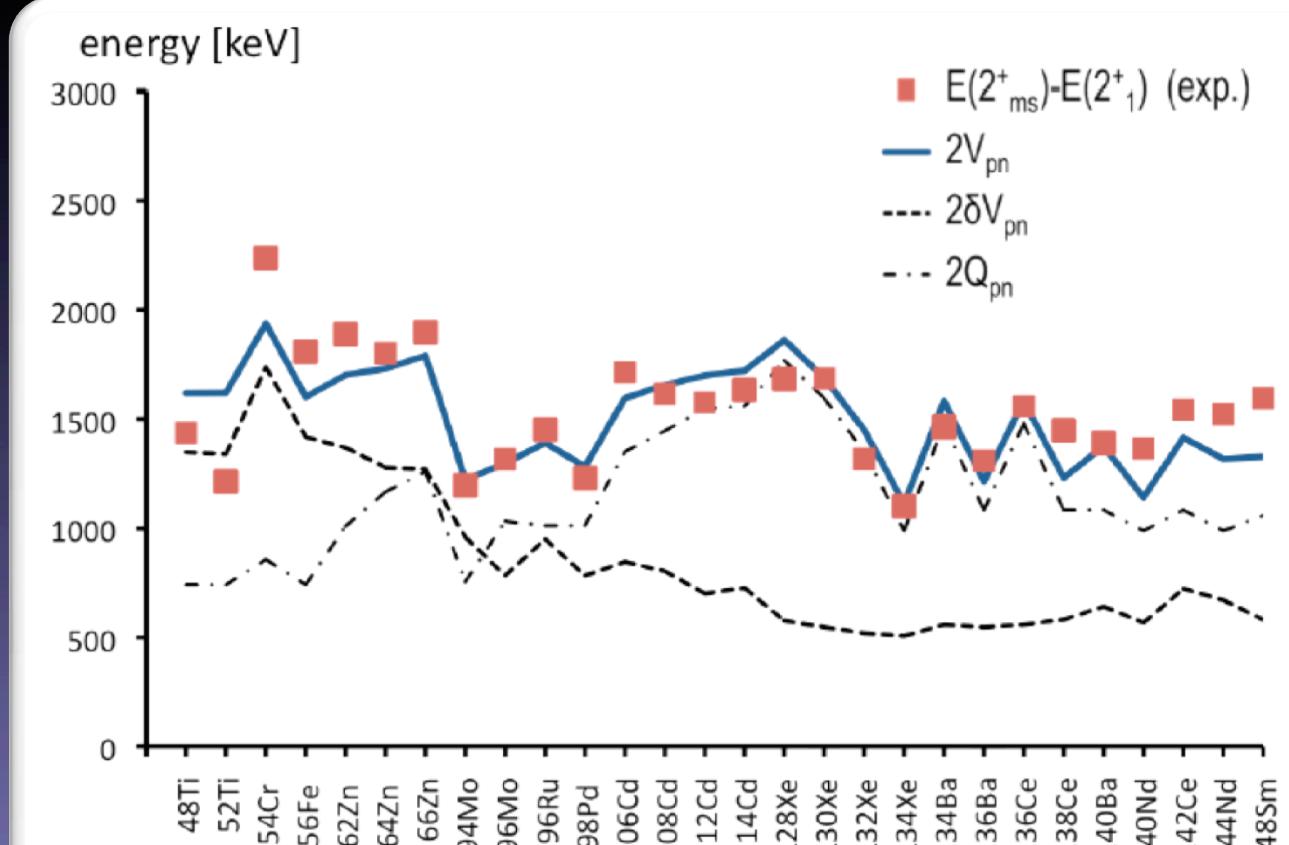
Symmetry energy  $\leftrightarrow \delta V_{pn} \leftrightarrow J$ -independent ( $T=0$ ) pn-interaction ?





$$F \cdot F = N - N_\pi N_\nu + [(T \cdot T)^2 - T_0^4 - 2nT_0^2]/4.$$

general: lower T  $\leftrightarrow$  higher pn-symmetry

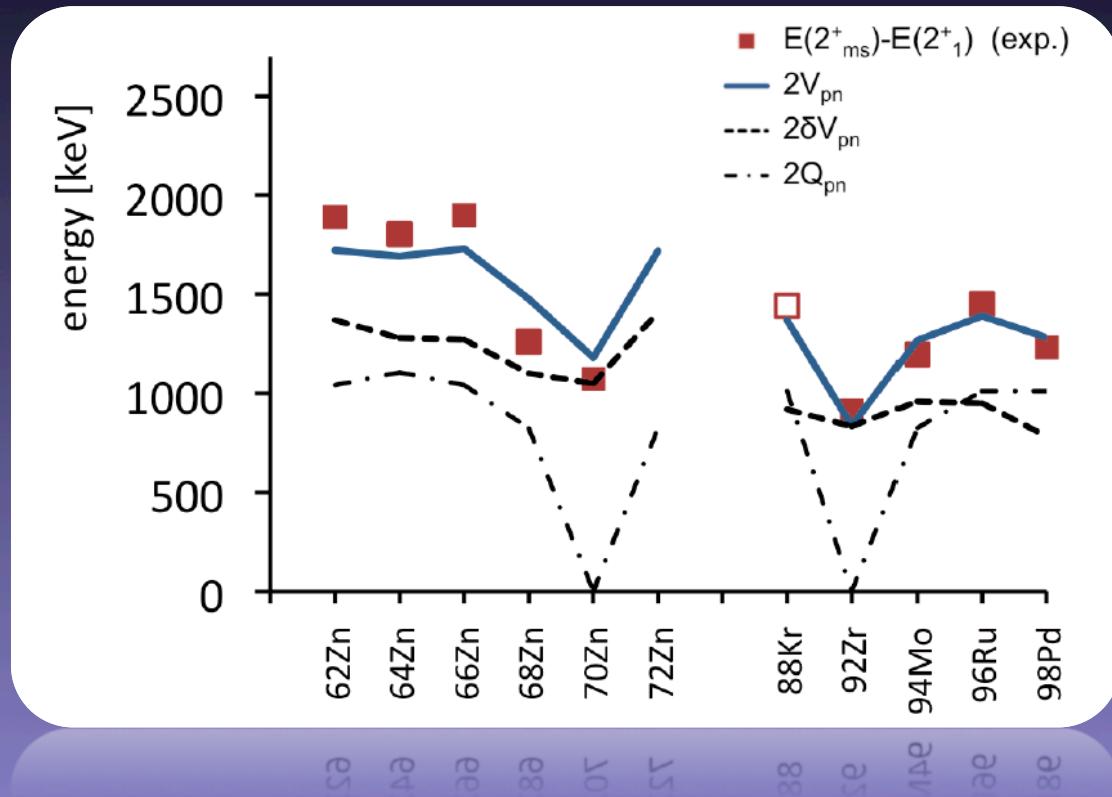


$$E(2^+_{\text{ms}}) - E(2^+_1) = 2V_{\text{pn}} = \sqrt{(\epsilon_\pi - \epsilon_\nu)^2 + 4\delta V_{\text{pn}}^2 + 4Q_{\text{pn}}^2}$$

## description of energies around N,Z=40: influence of subshell closure

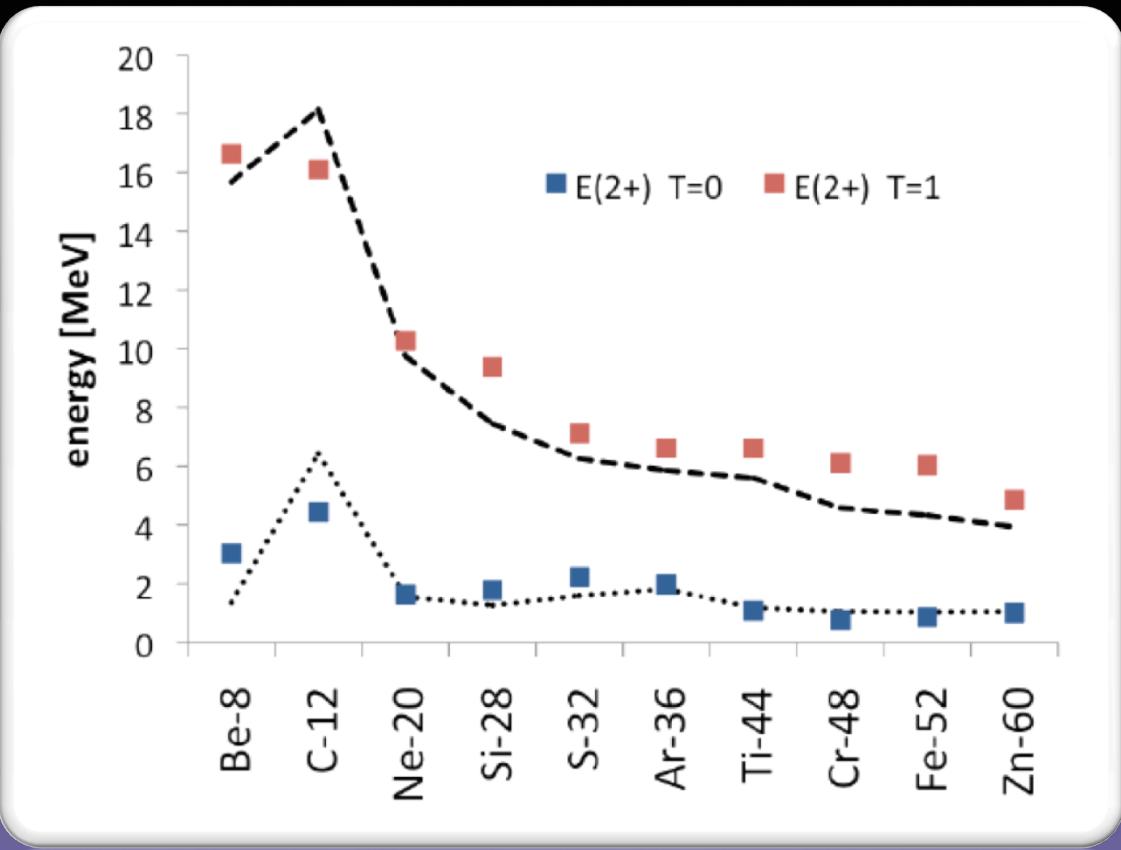
Nuclear Physics A 847 (2010) 180–206

→ the study of  $E(2^+_{ms})$  is a very sensitive tool for the quadrupole collectivity, but only when also treating the monopole-like contributions!



$E(2^+_{ms})$  seems to be related to the symmetry energy and is shifted to higher energies towards  $N=Z$  due to the isovector character of these states

What happens at  $N=Z$  ??

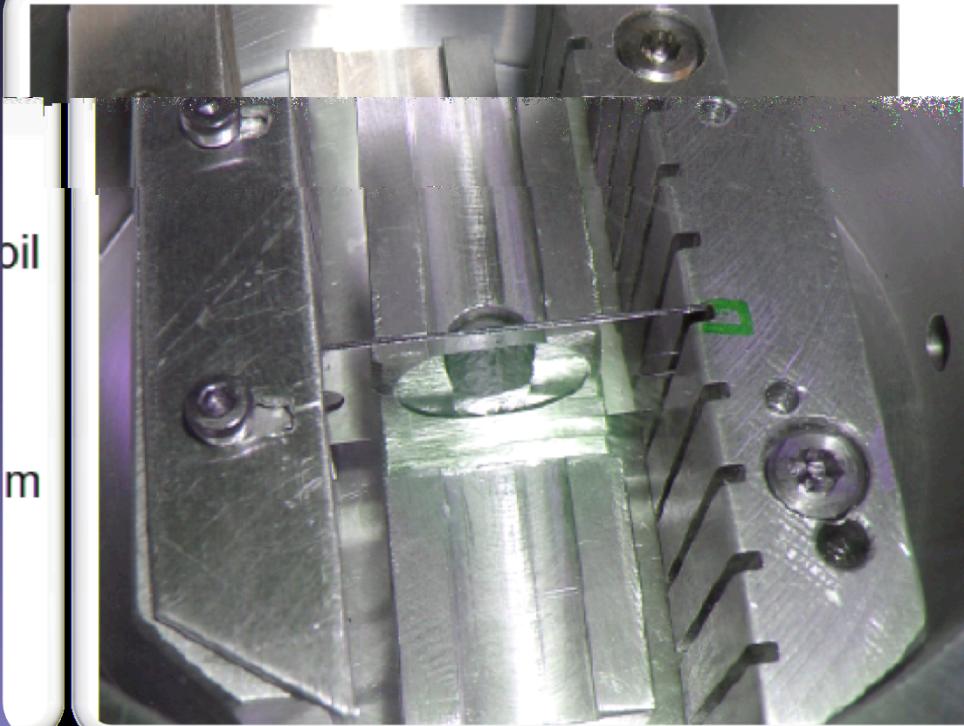


at N=Z: strong effects of the Wigner energy: T=0 pn interaction!

applications:

1. measurement of  $E(2^+_{ms})$  is a tool to monitor the evolution of the pn interaction and to disentangle monopole and quadrupole components
2. study N=Z nuclei towards A=100: Wigner energy reduced?

→ we expect major changes(i.e. low-lying M1 strength) in the low-energy regime of exotic nuclei from these observations !



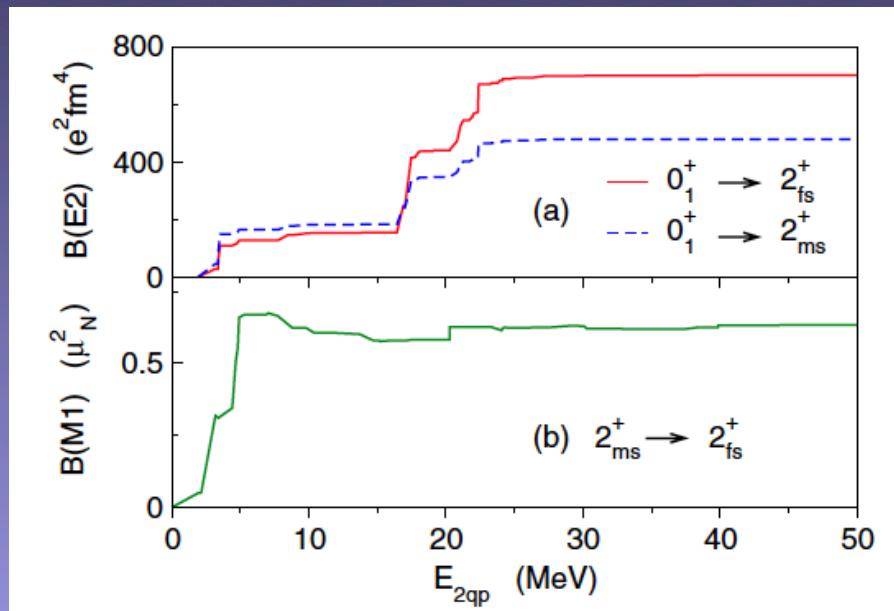
### Challenge: radioactive Tritium target

- use of Tritium loaded Titanium foil
- $0.5 \text{ mg/cm}^2$  Ti foil
- atomic ratio  $\text{H}^3/\text{Ti} \approx 1.5$
- corresponds to  $50 \mu\text{g}/\text{cm}^2$  Tritium
- activity  $< 10 \text{ GBq}$

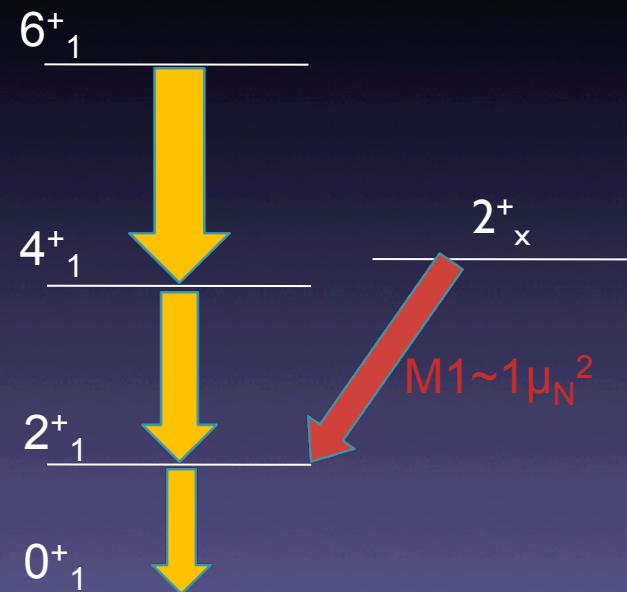
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C. Walz,<sup>1</sup> H. Fujita,<sup>2,3</sup> A. Krugmann,<sup>1</sup> P. von Neumann-Cosel,<sup>1</sup> N. Pietralla,<sup>1</sup> V. Yu. Ponomarev,<sup>1</sup> A. Scheikh-Obeid,<sup>1</sup> and J. Wambach<sup>1,4</sup>

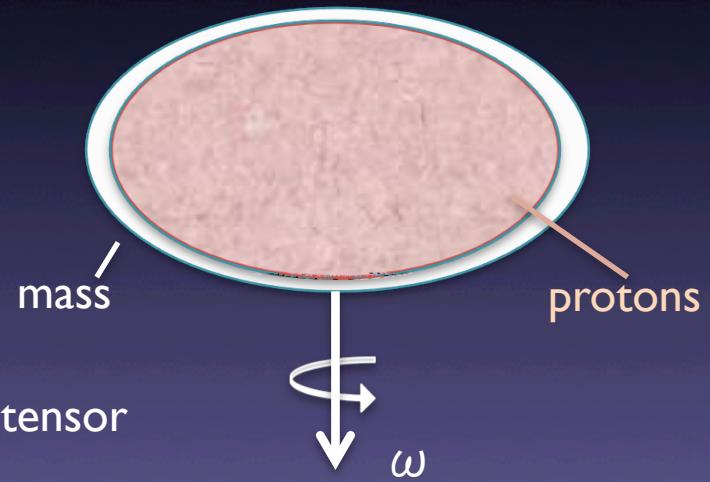
Nature of Mixed Symmetry State:  
Coupling to Quadrupole Giant Resonance is important !



low-lying M1-strength is a “robust“ feature of even-even nuclei



W. Greiner, Phys Rev Lett 14, 1965, 15 :  
different deformation of protons and neutrons



interpretations in the framework of Boson models (T. Otsuka et al, *Phys. Lett. B* 76 (1978), 139)

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A. Faessler et al, *Phys. Lett.* 166B, 4 (1985)

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$$= \int [K(\rho_p - \rho_n)^2 / (\rho_p + \rho_n)] d\tau$$