

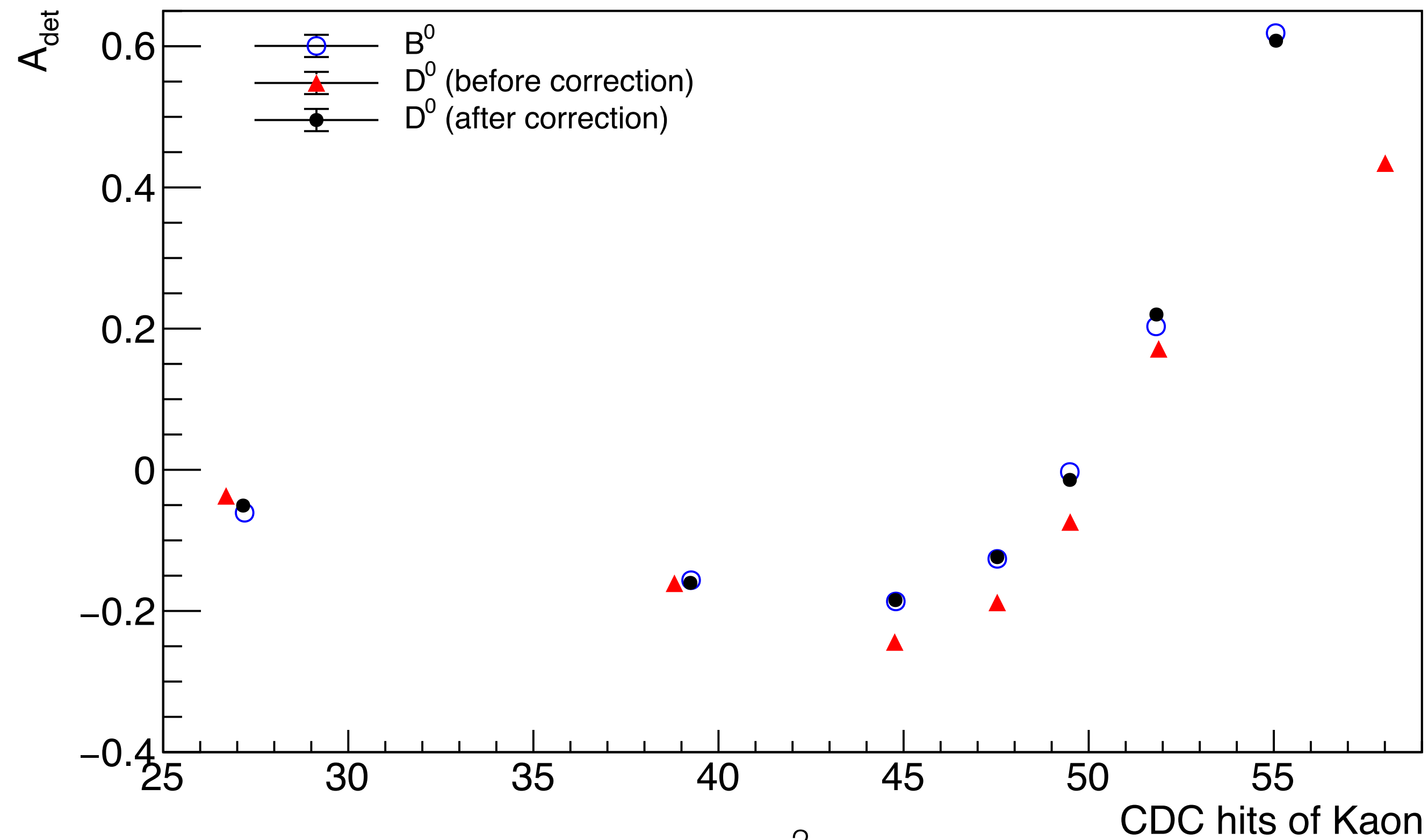
# Instrumental asymmetries

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# Reminder

- Measured  $\mathcal{A}_{det}(K\pi, K, \pi)$  using  $D^0 \rightarrow K^- \pi^+$  and  $D^+ \rightarrow K_s^0 \pi^+$  decays.
- Studied sample-dependence of  $\mathcal{A}_{det}$ . Proposed a method to obtain  $\mathcal{A}_{det}$  based on reweighing ( $p, \cos(\theta), \text{CDC hits}$ ) distributions.
- Tested in several cases in MC ( $B^0 \rightarrow K^+ \pi^-$ ,  $B^+ \rightarrow \rho^+ \rho^0$ ,  $B^+ \rightarrow D^0 \pi^+$ ).



# $\mathcal{A}_{det}$ for $B^+ \rightarrow h^+ \pi^0$

- We tested our method on  $B^+ \rightarrow h^+ \pi^0$  (MC): failed to obtain target  $\mathcal{A}_{det}$ .
- Use a conservative approach:
  - Take  $\mathcal{A}_{det}$  measured in control channel from data.
  - Assign a systematic uncertainty to account for the sample-dependence from MC

$$\mathcal{A}_{det} = \frac{N_{\pi^-} - N_{\pi^+}}{N_{\pi^-} + N_{\pi^+}}$$

$$\mathcal{A}_{det} = \frac{N_{K^-} - N_{K^+}}{N_{K^-} + N_{K^+}}$$

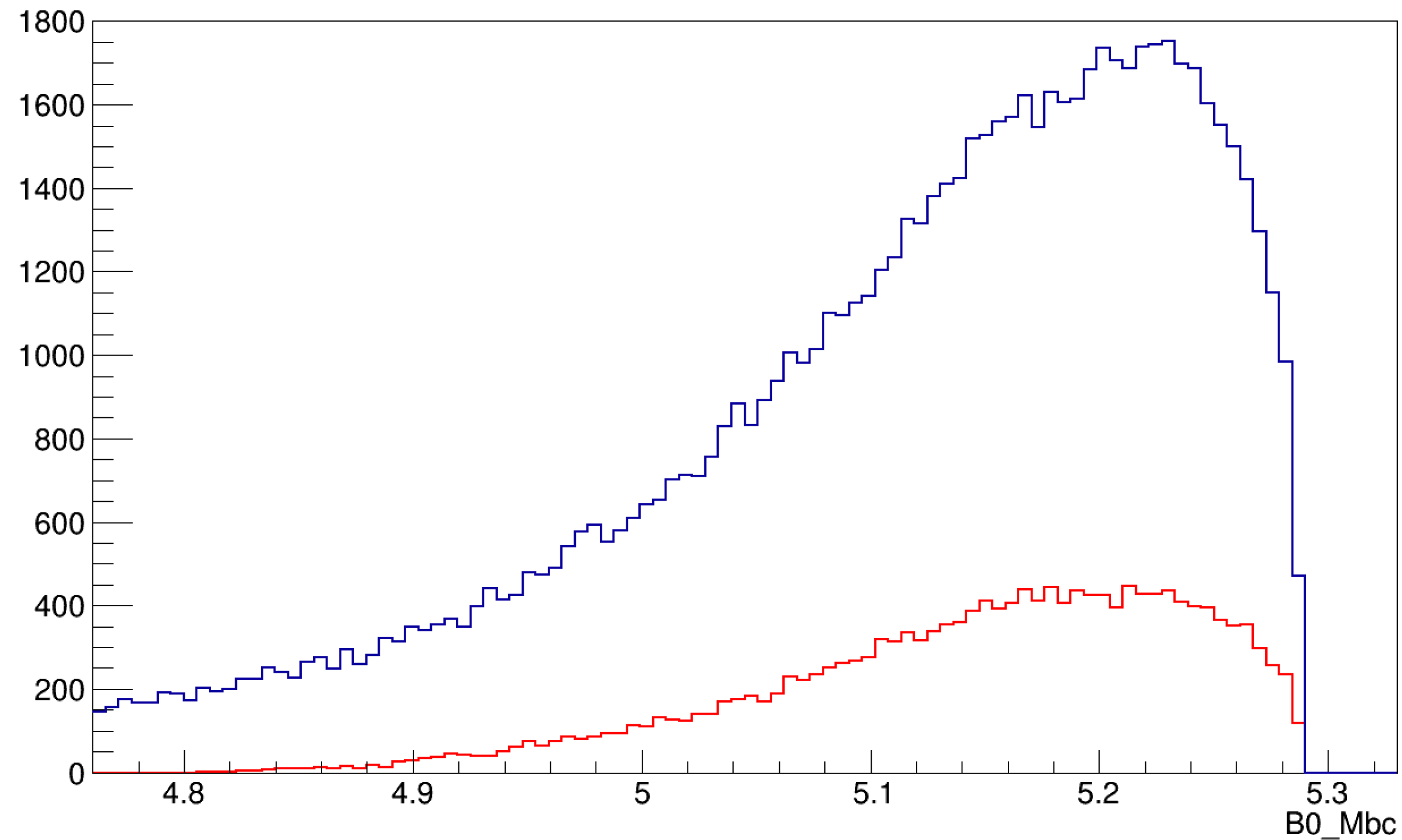
$\mathcal{A}_{det}(\pi^-)$	$-0.005 \pm 0.010$
$\mathcal{A}_{det}(K^-)$	$-0.011 \pm 0.010$

$$B^0 \rightarrow D^{*-} \mu^+ \nu_\mu$$

# MC14ri vs MC14rd

I started to reconstruct  $B^0 \rightarrow D^{*-} \mu^+ \nu_\mu$  decays (MC14ri and MC14rd).

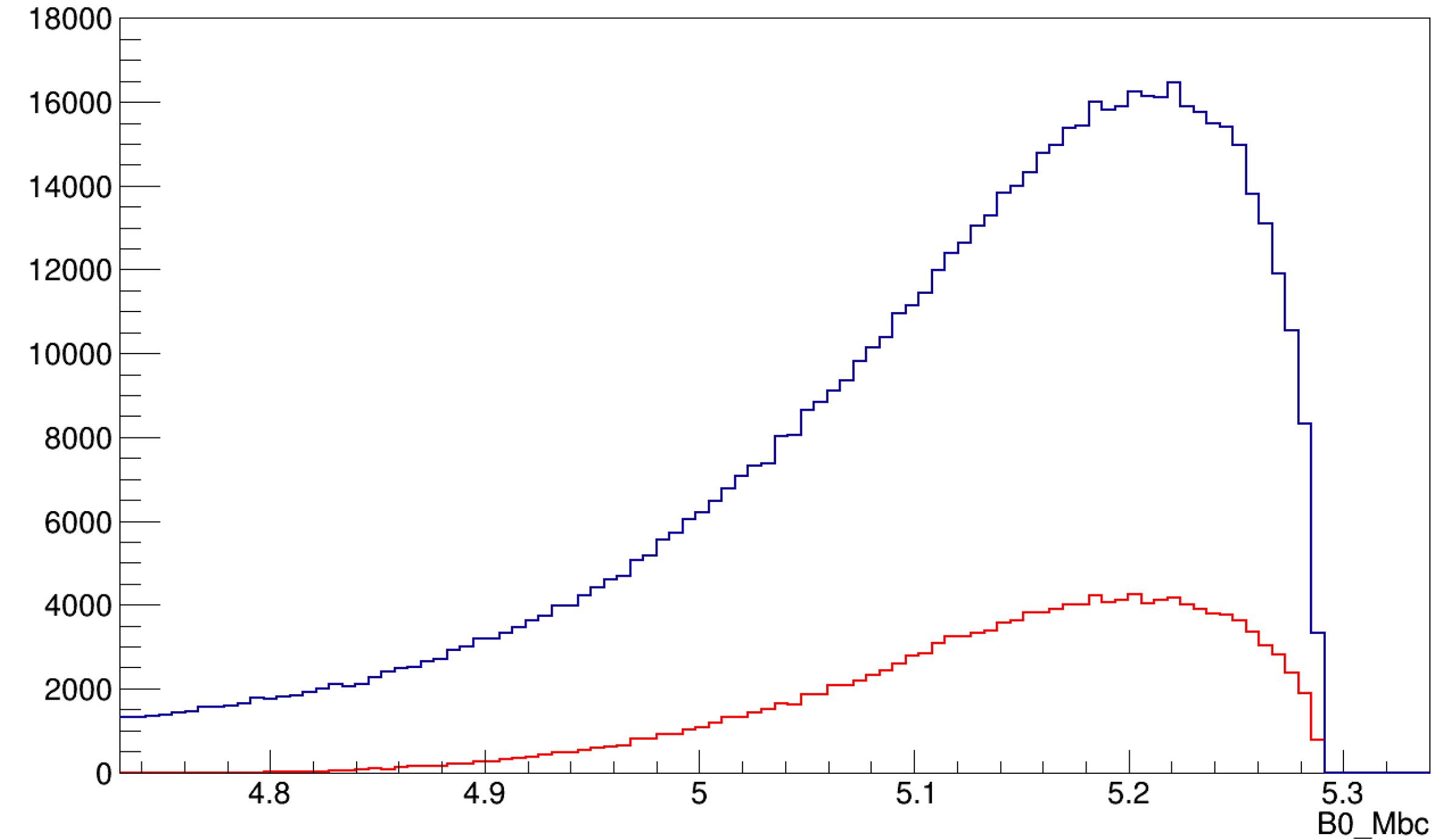
MC14rd (250fb-1)



Total events: 85 070

Signal events: 16 936

MC14ri (300fb-1)



Total events: 750 715

Signal events: 150 689



Why this large difference? (~ factor of 9)