

Improved experimental layout with focusing crystals



Joan Ruiz-Vidal

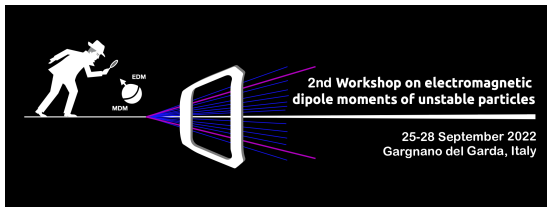


IFIC (Universitat de València-CSIC)

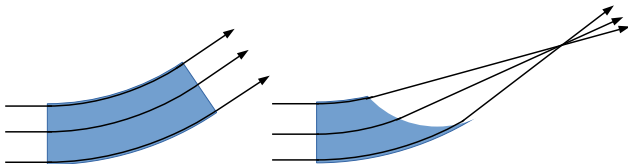


September 27, 2022

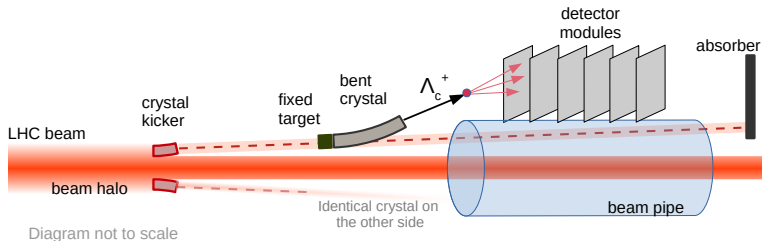
based on: *Improved experimental layout for dipole moment measurements at the LHC;*
Valery Biryukov, JRV; EPJC 82 (2022) 2, 149; arXiv:2110.00845



Crystal lens



Experimental layout at the LHC

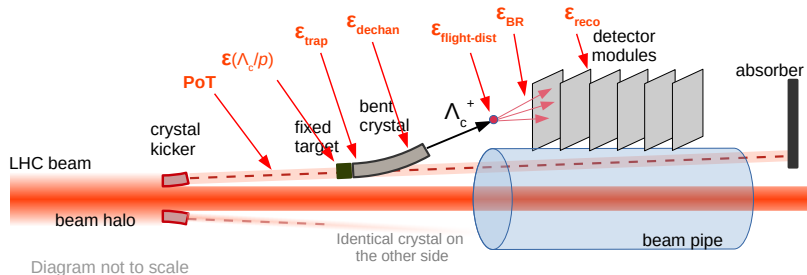


Sensitivity with **two years** of data taking (10^{13} PoT)

updated in Phys.Rev.D 103 (2021) 7, 072003

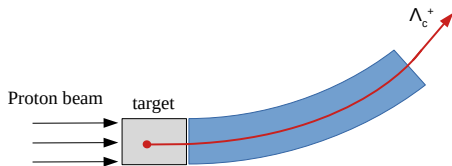
- **EDM** sensitivity $\sigma_\delta \approx 4 \cdot 10^{-16}$ **ecm**
- First measurement of Λ_c^+ **magnetic moment**, $\sigma_{g-2} \approx 2 \times 10^{-2}$

Experiment (in)efficiencies



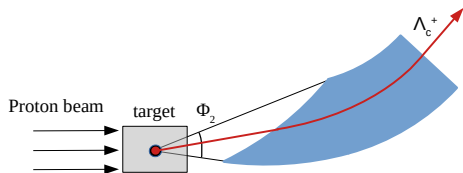
- Sensitivity dominated by statistics
- Bottleneck: **trapping efficiency** ϵ_{trap}
- Trapped particles: small Λ_c^+ aperture angle

Trapping (qualitative)



Plain crystal:

- Λ_c^+ from whole target volume
- in few directions (horizontal)

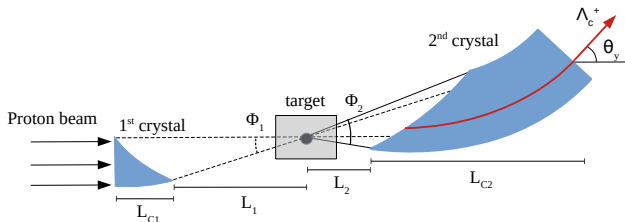


Crystal lens:

- Λ_c^+ from small target volume (\sim focal point)
- in **all directions**

Double-lens scheme (qualitative)

V.M. Biryukov, JRV, arXiv:2110.00845

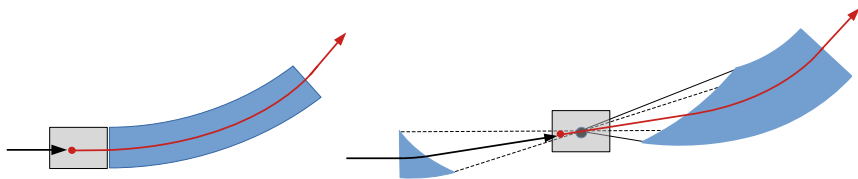


Double-lens scheme:

- Additional crystal focusing protons onto the target
- More Λ_c^+ produced at the focal point, or passing through it

Seeing the gain geometrically

If the Λ_c^+ angle wrt proton $<$ Lindhard angle, it is trapped



if and only if

just if

In the double-lens scheme, in addition, the particles produced at the focal point are always trapped, independently of the angle.

Overview (rest of the talk)

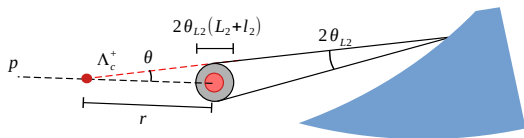
- Define **new trapping condition**
 - ▶ Plain crystal
 - ▶ Focusing crystal (aligned and misaligned)
- Analytical method to evaluate **trapping efficiency**
- **Setup parameters**
- Results
- Technical limitations

Trapping condition

- **Plain crystal:** Λ_c^+ aperture below Lindhard angle $|\theta| < \theta_{L2}$

$$P = \{(r, \theta) : (|r| \leq 1\text{cm}, |\theta| \leq \theta_{L2})\} .$$

- **Crystal lens:** Λ_c^+ path should overlap with focal "point"



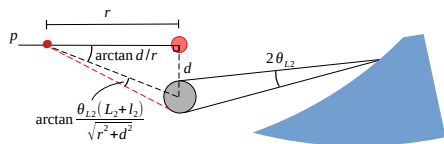
$$\begin{aligned} |r \tan \theta| &< w_{F2}/2 \\ |r \tan \theta| &< \theta_{L2}(L_2 + l_2) \\ |\theta| &\lesssim \theta_{L2} \frac{(L_2 + l_2)}{|r|} \end{aligned}$$

Condition depends on Λ_c^+ aperture angle θ **and production point** r

$$R = \{(r, \theta) : (|r| \leq 1\text{cm}, |\theta| \leq \theta_{L2}(L_2 + l_2)/|r|)\} .$$

Trapping condition (misaligned)

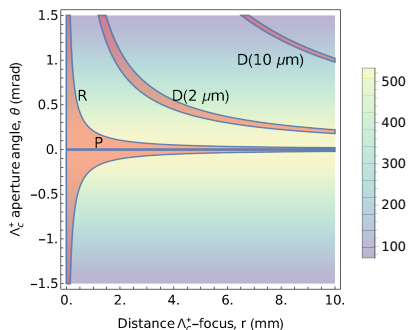
- If the first crystal is *sending* protons above or below the focal point, by distance d



$$\left| \theta - \arctan \frac{d}{r} \right| \leq \arctan \frac{\theta_{L2} L_2}{\sqrt{d^2 + r^2}},$$

$$D(d) = \{(r, \theta) : (|r| \leq 1\text{cm}, \text{condition on } \theta(r; d))\}.$$

Method to extract efficiency



- *Background:* Distribution of Λ_c^+ aperture angle

$$G(\theta; \mu, \sigma)$$

- Trapping efficiency: integral over $\{R, P, D\}$

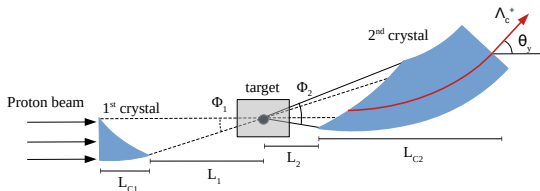
$$\int_{\{R, P, D\}} G(\theta; 0, 1.5 \text{ mrad}) dr d\theta .$$

- Regions on the phase space:
 - ▶ Plain-crystal scheme - P
 - ▶ Double-lens aligned - R
 - ▶ Double-lens misaligned by d - D(d)

Beam pipe constraints & layout parameters

- After the focal point, the protons start diverging
- They should not touch the beam pipe before reaching the absorber
- Estimated maximum *beam spot* of 1 cm after 60 m

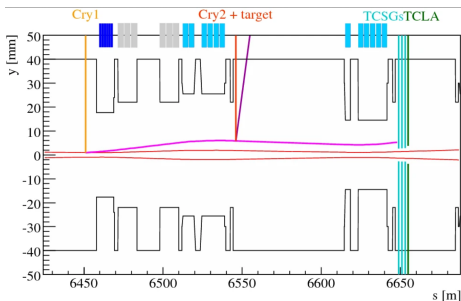
$$\Phi_1 \lesssim (1\text{cm}/60\text{ m}) \approx 170 \mu\text{rad}$$



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Eur.Phys.J.C 80 (2020) 10, 929

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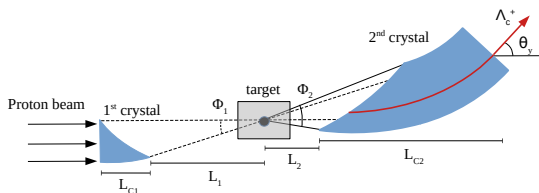
$$\Phi_1 \lesssim (1\text{cm}/60\text{ m}) \approx 170 \mu\text{rad}$$

- Other parameters of the setup (with $\sigma_{\text{beam}} \approx 50 \mu\text{m}$)

$$L_1 = \sigma_{\text{beam}}/\Phi_1 = 30\text{cm}$$

$$\Phi_2 = \Phi_1 + (3\text{ mrad}) \approx 3.2\text{ mrad}$$

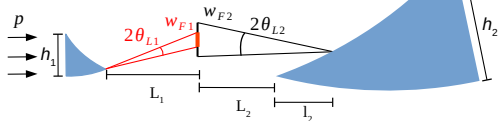
$$L_2 = 3\text{cm}$$



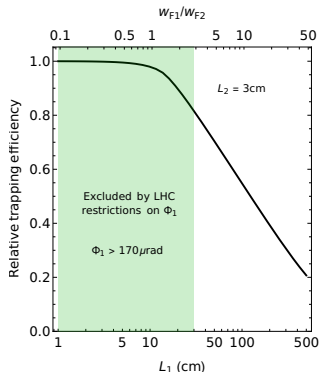
Dilution of protons at the focal point

- Smaller focusing angle Φ_1
 - larger distance to focus protons L_1
 - dilution of protons in w_{F1}
- Dilution \sim small vertical misalignments of y (average over w_{F1})

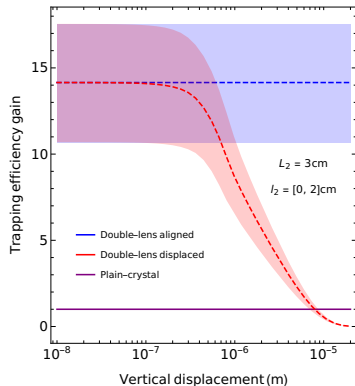
$$N(d_0) = \frac{1}{w_{F1}} \int_{-w_{F1}/2}^{w_{F1}/2} N_{D(d_0+y)} dy ,$$



- Beam pipe constraint → small effect (82%)

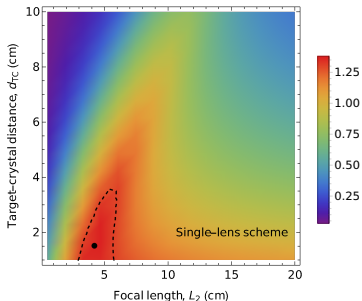
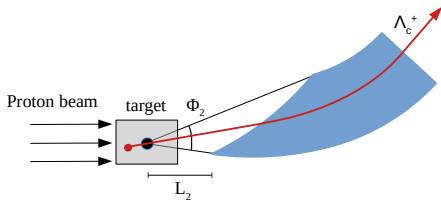


Results - double lens scheme



- Large **improvement in trapping efficiency**
 - ▶ Nominal target thickness 2 cm: **factor 15**
 - ▶ Optimized target thickness 0.5 cm: **factor 35**
- Adding first-lens efficiency ($\sim 80\%$) and extra target-crystal distance of +1cm ($\sim 70\%$):
Gain factor of x20
- Sensitive to vertical misalignment
 - ▶ From $0.3\ \mu\text{m}$ – maximum gain
 - ▶ to $10\ \mu\text{m}$ – no gain wrt plain crystal
- Avoidable with nanometer-accuracy piezoelectric motors

Results - Single lens scheme



- Protons on the target directly (no first lens)
- Vertical spread of protons $\sigma_{\text{beam}} \approx 50 \mu\text{m}$ (instead of w_{F1})
- Highly dependent on final σ_{beam}
- Much easier alignment
- **Gain of 40%** wrt to plain crystal

Technical limitations ...

Crystal alignment

- Trapping efficiency sensitive to vertical **displacement of focal points**
Interplay of
 - ▶ Vertical positioning of crystals
 - ▶ Angular precision (goniometers)
- Precise **piezoelectric motors** to control **relative vertical position** of both crystals
Scan to find best efficiency → no need for high angular precision
- If scan only possible in the **angle of the second crystal**
To achieve maximum gain: need goniometer with precision

$$\delta(\text{angle}) = (0.3 \mu\text{m}) / (3\text{cm}) \approx 10 \mu\text{rad}$$

Crystal dimensions & shape (I)

- Trap the divergent Λ_c^+
 - ▶ within $\Phi_2 = 3.2$ mrad,
 - ▶ at a distance $L_2 = 3$ cm of the focal point
- They enter the crystal lens in a vertical range

$$h_2 \approx L_2 \Phi_2 \approx 100 \mu\text{m}$$

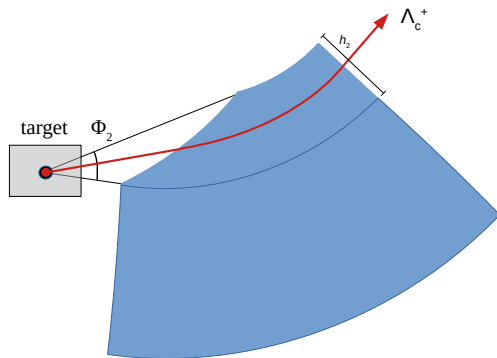
- Extremely **thin crystal**

- Or... thicker crystal where only h_2 is *active*
 - ▶ Focusing angle Φ_2 grows with thickness h_2
(theoretical) limit at maximum crystal bending – **triangular crystal**

$$h_2^{\text{limit}} = L_2 \theta_{C2} \approx 0.6 \text{ mm}$$

Crystal dimensions & shape (II)

- Or... combination: **plain face + focusing face**
 - Extended plain crystal allows "arbitrary thickness" for manufacturers
 - Focusing face: Cut starting at the middle of the crystal face



target / crystal dimensions not to scale (evidently...)

Different Channels

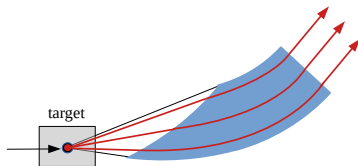
Angle of proton- Λ_c^+ determines:

Deflection angle

- Different entry angle \rightarrow different total deflection \rightarrow different spin precession
- Enough knowing the average precession? Potentially large systematics.
- Need **information on the channel** followed by each Λ_c^+

Polarization

- Need information on the initial polarization
 \rightarrow Need **information on the channel**



Different Channels

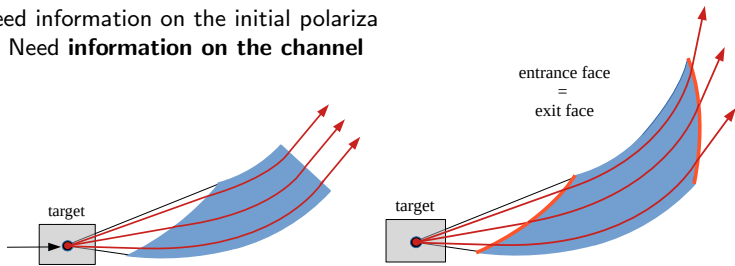
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Possible solutions: increase resolution on Λ_c^+ position or change exit face

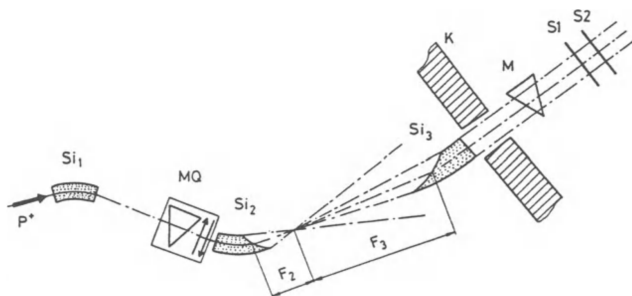
Single lens scheme

- Potential gain of 40% just replacing plain crystal by crystal lens
- High dependence on beam spot $\sigma_{\text{beam}} \approx 50 \mu\text{m}$

Double-lens scheme

- Large potential gain of a factor 15 (35) for 2cm (0.5cm) target
- Technical limitations to be addressed in detail

Backup

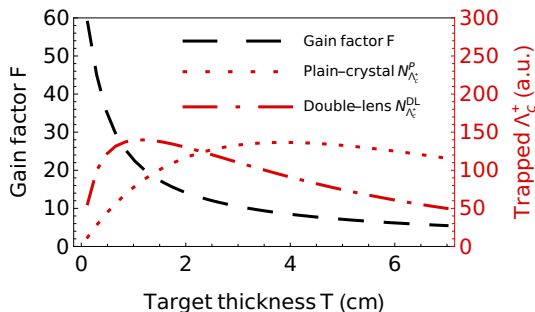


- Focusing crystals tested at IHEP Protvino
- 70-GeV proton beam

First results from a study of a 70 GeV proton beam being focused,
Nucl. Instrum. Meth. B 69 (1992) 382

Denisov, Smirnov, Baranov, Chesnokov, Kotov

Target optimization



- Number of produced-survived-and-trapped Λ_c^+ baryons in the double-lens scheme as $N_{\Lambda_c^+}^{DL}(T) \propto F(T) N_{\Lambda_c^+}^P(T)$
- Optimal target thickness: 5 mm for double-lens scheme