



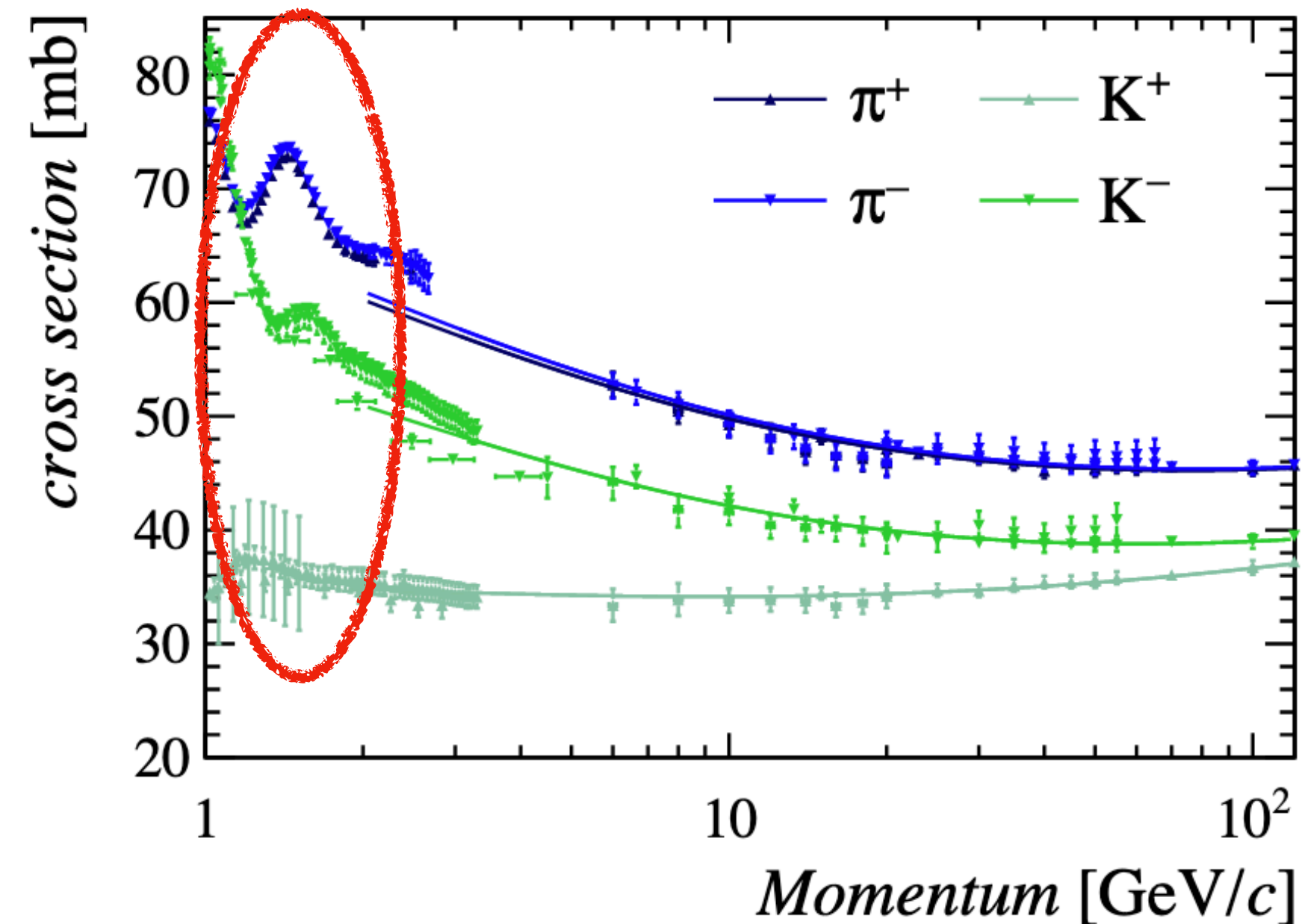
# Instrumental asymmetries

M. Dorigo, D. Ghosh, M. Mantovano, S. Raiz  
(University and INFN Trieste)

Tracking meeting  
June 2, 2022

# Motivation

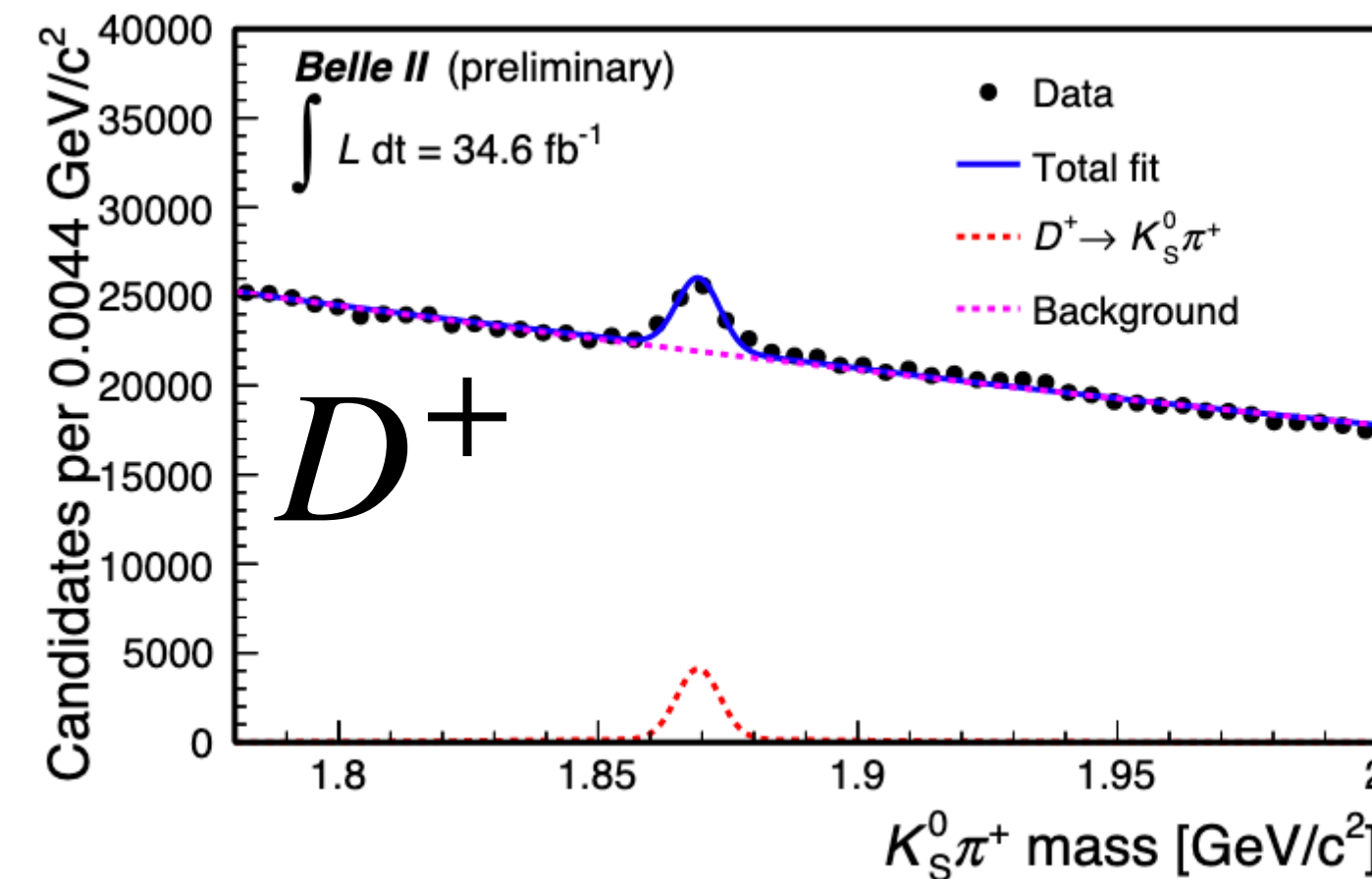
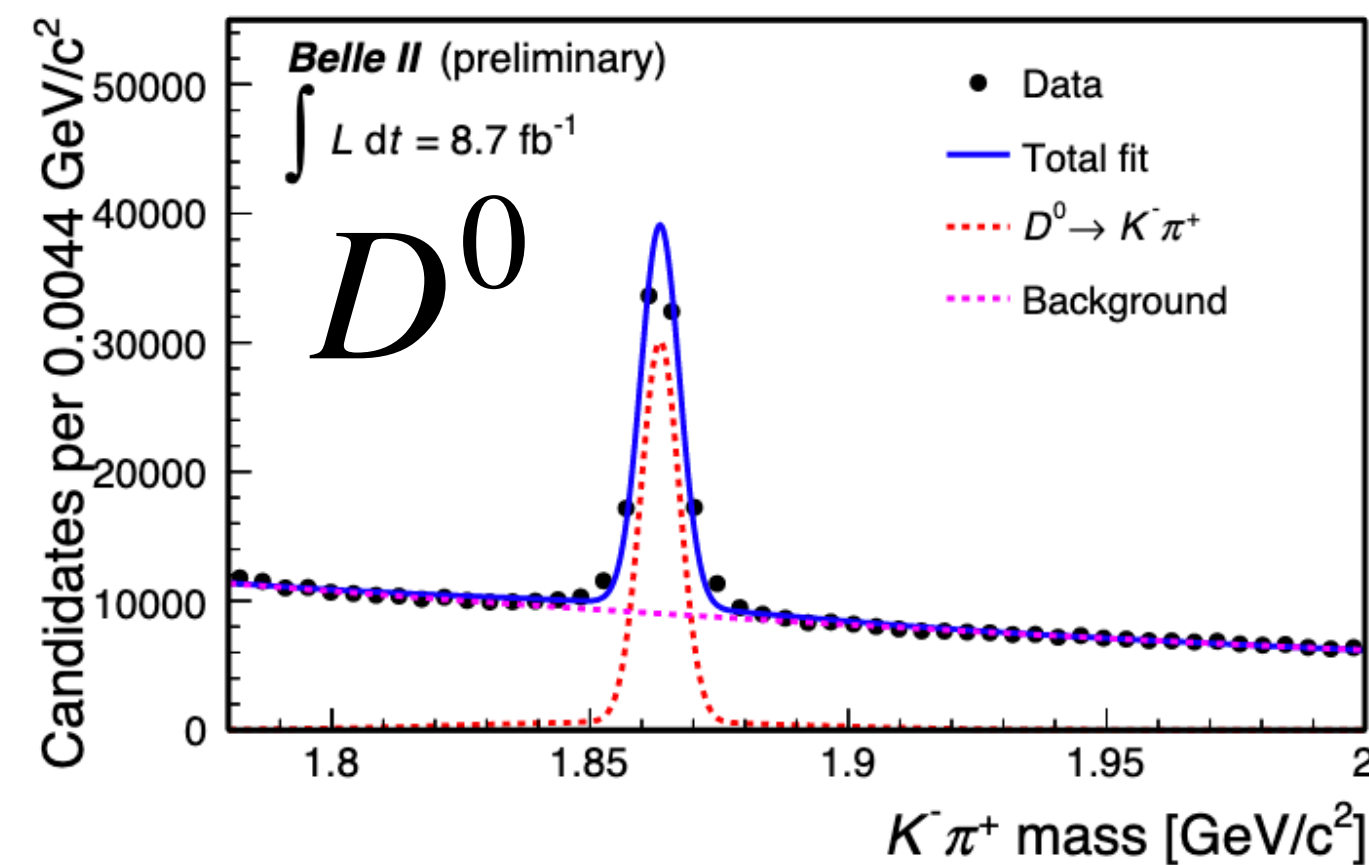
- Measurement  $\mathcal{A}_{CP}$  asymmetries are a key part of the Belle II physics program.
- To measure  $\mathcal{A}_{CP}$  we need to subtract detection asymmetries ( $\mathcal{A}_{det}$ ) due to:
  1. Different interaction cross section of particle/antiparticle with matter.



2. Different reconstruction and PID efficiencies for oppositely charged particles.
- Cannot trust simulation to model  $\mathcal{A}_{det}$ : need to measure them in data.

# Status

- We determine  $\mathcal{A}_{det}(K\pi)$  and  $\mathcal{A}_{det}(\pi)$  using  $D^0 \rightarrow K^- \pi^+$  and  $D^+ \rightarrow K_S^0 \pi^+$  decays.  
Can obtain  $\mathcal{A}_{det}(K) = \mathcal{A}_{det}(K\pi) - \mathcal{A}_{det}(\pi)$
- Already measured last year by S.Raiz *et al.* with  $\mathcal{O}(1 - 3\%)$  precision.  
<https://docs.belle2.org/record/2038?ln=en>



- We improve over this work
  - better selection, measurement of  $\mathcal{A}_{det}$  dependences, remove  $\mathcal{A}_{FB}$  asymmetries
- Today: how to determine  $\mathcal{A}_{det}$  for physics analyses.

# $\mathcal{A}_{\text{det}}$ from D control channels

- Observed charge asymmetries  $\mathcal{A}_{\text{obs}}$ :

$$\mathcal{A}_{\text{obs}} = \frac{N_D - N_{\bar{D}}}{N_D + N_{\bar{D}}} = \mathcal{A}_{\text{CP}} + \mathcal{A}_{\text{det}} + \mathcal{A}_{\text{FB}}$$

Observed asymmetry

CP-violating asymmetry

Instrumental asymmetry

Forward-backward  
asymmetry

- $\mathcal{A}_{\text{CP}}$  known for  $D^0 \rightarrow K^- \pi^+$  and  $D^+ \rightarrow K_s^0 \pi^+$ :

$$\mathcal{A}_{\text{CP}}(K\pi) = 0 \quad \text{and} \quad \mathcal{A}_{\text{CP}}(K_s^0 \pi) = (-0.41 \pm 0.09) \%$$

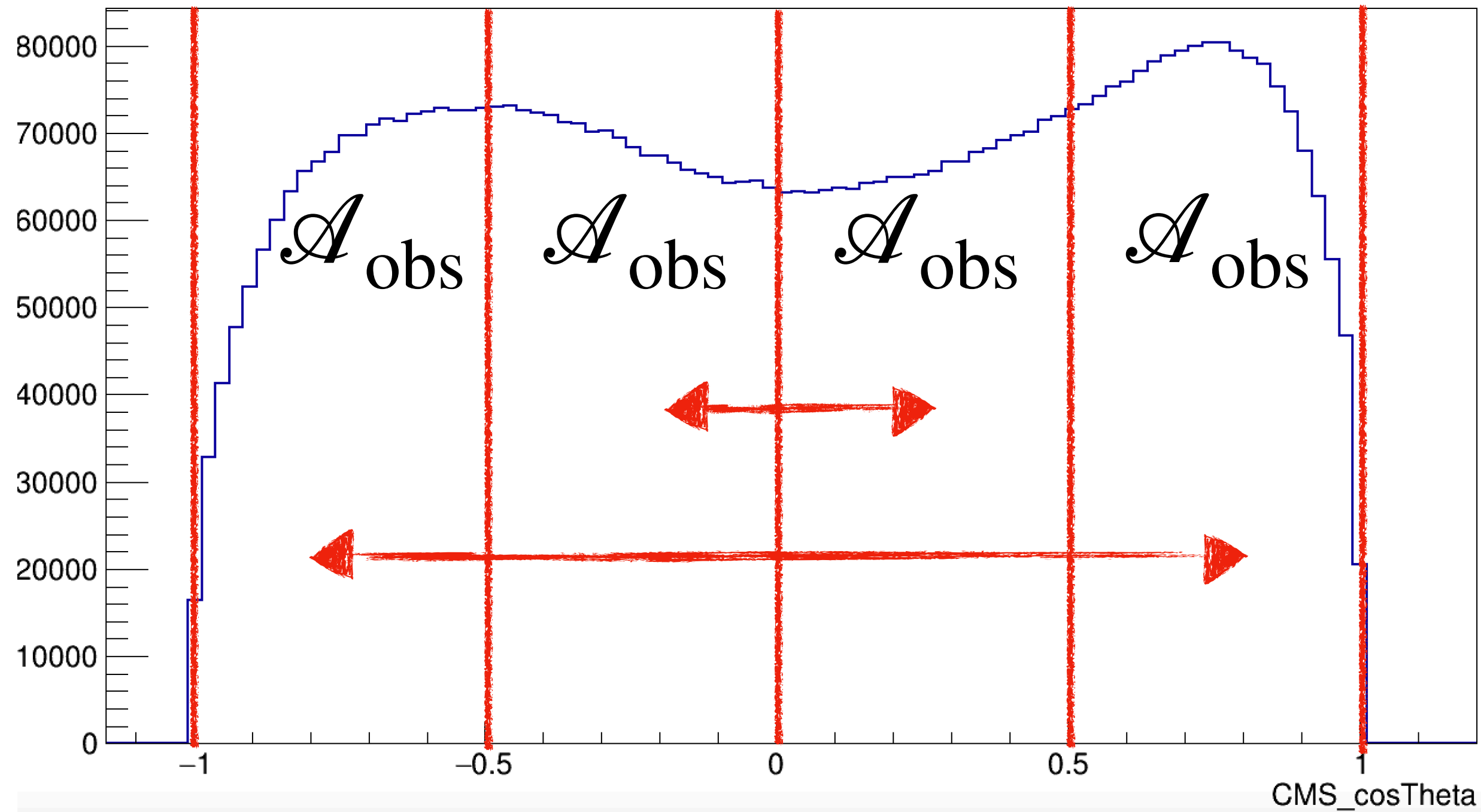
- $\mathcal{A}_{\text{FB}}$  remains to be subtracted.

# Forward-backward production asymmetry

- $\mathcal{A}_{FB}$  contribution due to  $\gamma^* - Z^0$  interference in  $e^+e^- \rightarrow c\bar{c}$ .
- $\mathcal{A}_{FB}$  is antisymmetric as a function of  $\cos(\theta^*)$  (angle of D momentum in the CMS).

<https://arxiv.org/abs/1406.6311>

- Cancel  $\mathcal{A}_{FB}$  by combining measurement of  $\mathcal{A}_{obs}$  in opposite bins of  $\cos(\theta^*)$ :



$$\mathcal{A}_{det} = \frac{\mathcal{A}_{obs}(\cos(\theta^*)) + \mathcal{A}_{obs}(-\cos(\theta^*))}{2}$$

NB: Assume that  $\mathcal{A}_{det}$  is not antisymmetric as a function of  $\cos(\theta^*)$ .

# Sample and selection

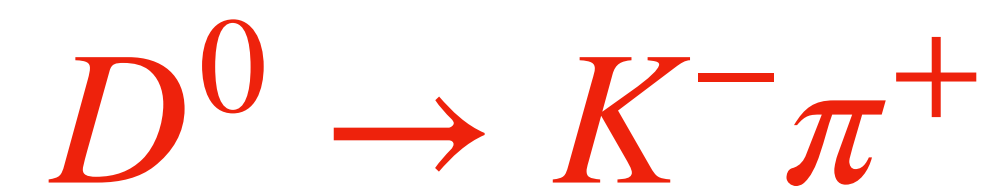
Data: Proc12 + buckets16-25 ( $189.26 \text{ fb}^{-1}$ ).

SignalMC: from MC14ri-a ( $300 \text{ fb}^{-1}$ ).

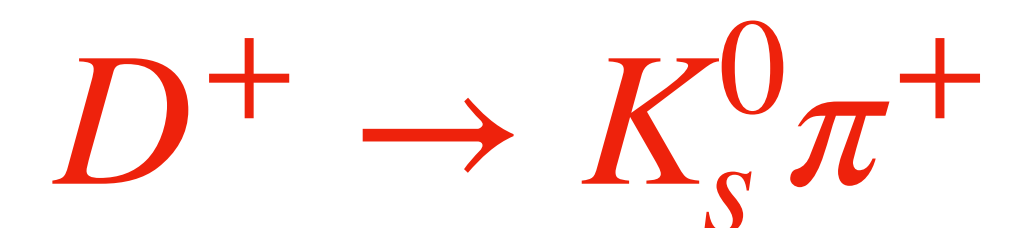
Vertex fit on D: treefit

Applied the latest beam energy and momentum corrections.

Tracks:  $\text{thetaInCDCAcceptance} + |\text{drl}| < 0.5 + |\text{dzl}| < 3 + \text{chiProb} > 0 + \text{CDCHits} > 0$



$\text{KaonID} > 0.25 + \text{p\_CMS(D)} > 2.5 \text{ GeV/c}$

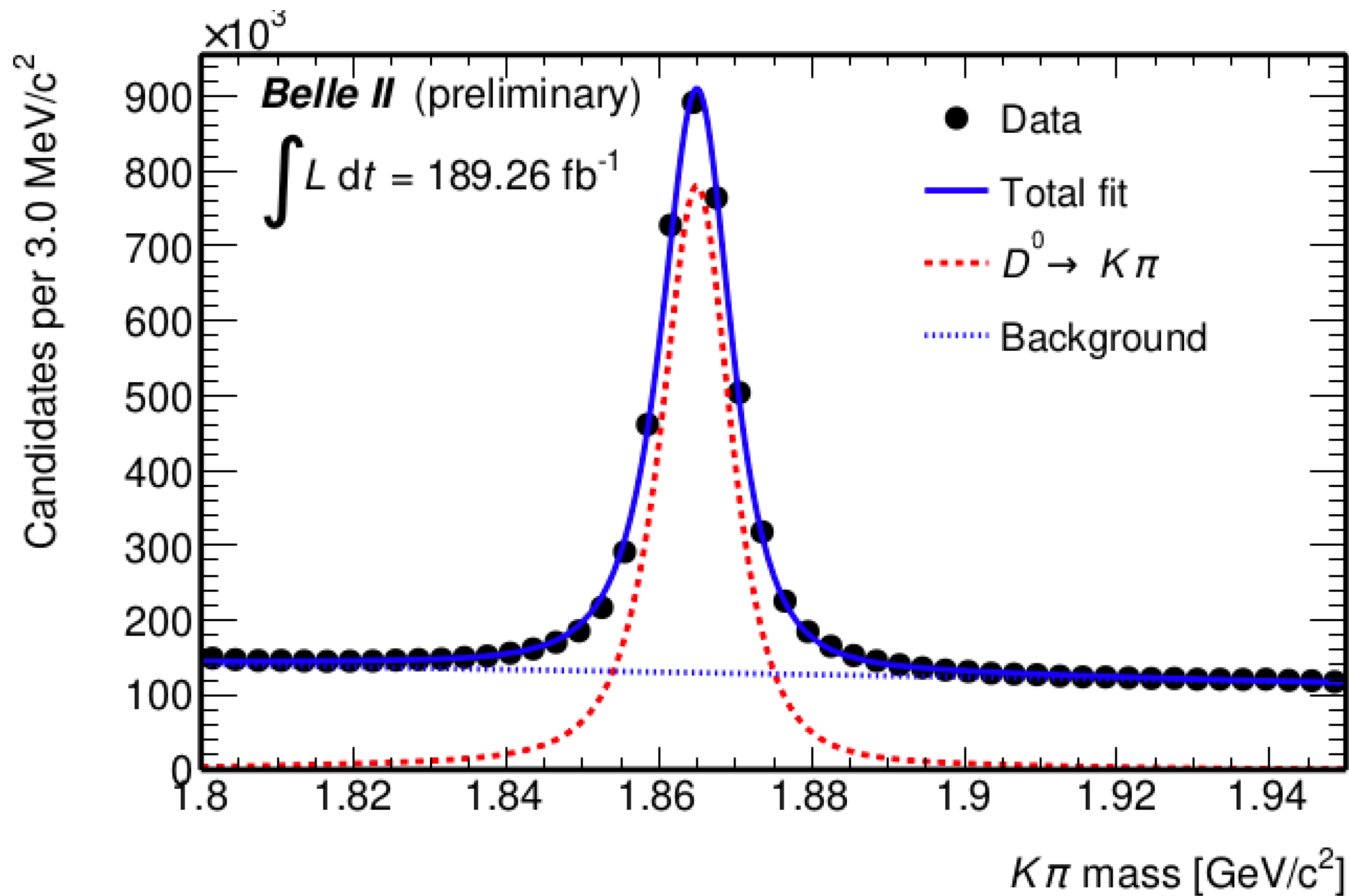


$\text{p\_CMS(D)} > 2.5 \text{ GeV/c} +$   
 $0.4942 \text{ GeV}/c^2 < m(\text{Ks}) < 0.5014 \text{ GeV}/c^2 +$   
Significance of distance (Ks)  $> 44.5$

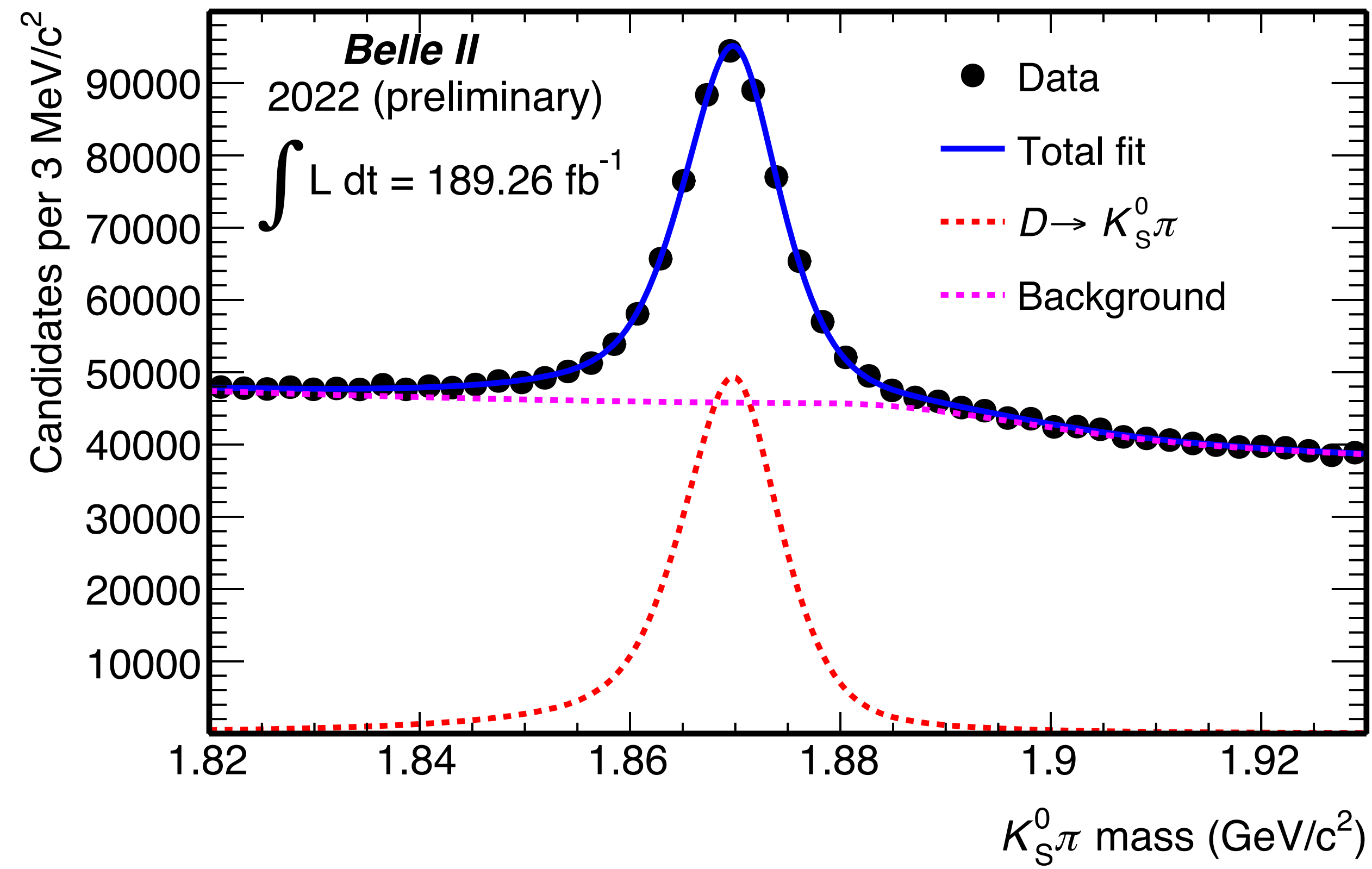
$D^0 \rightarrow K^- \pi^+$  and  $D^+ \rightarrow K_S^0 \pi^+$  samples

$D^0 \rightarrow K^- \pi^+$

$D^+ \rightarrow K_S^0 \pi^+$



$$n_{sig} \sim 3.71 \times 10^6$$



$$n_{sig} \sim 3.18 \times 10^5$$

$\mathcal{A}_{det}(K\pi)$  from  $D^0 \rightarrow K^- \pi^+$



# Determining $\mathcal{A}_{\text{det}}$ dependence in data

- Study  $\mathcal{A}_{\text{det}}(K\pi)$  binning the sample in:
  - $p$  : interaction probabilities with matter depend on momentum;
  - $\cos(\theta)$ : different material budget traversed by the particle;
  - **CDC hits**: tracking and  $dE/dx$  resolution depends on number of hits, and these differ on average for track with opposite curvature.

There might be also other dependences, but we identify these 3 as those only relevant at the current level of precision.

- Study  $\mathcal{A}_{\text{det}}(K\pi)$  as a function of kaon variables.

$$\mathcal{A}_{\text{det}}(K\pi) \simeq \mathcal{A}_{\text{det}}(K) + \mathcal{A}_{\text{det}}(\pi)$$

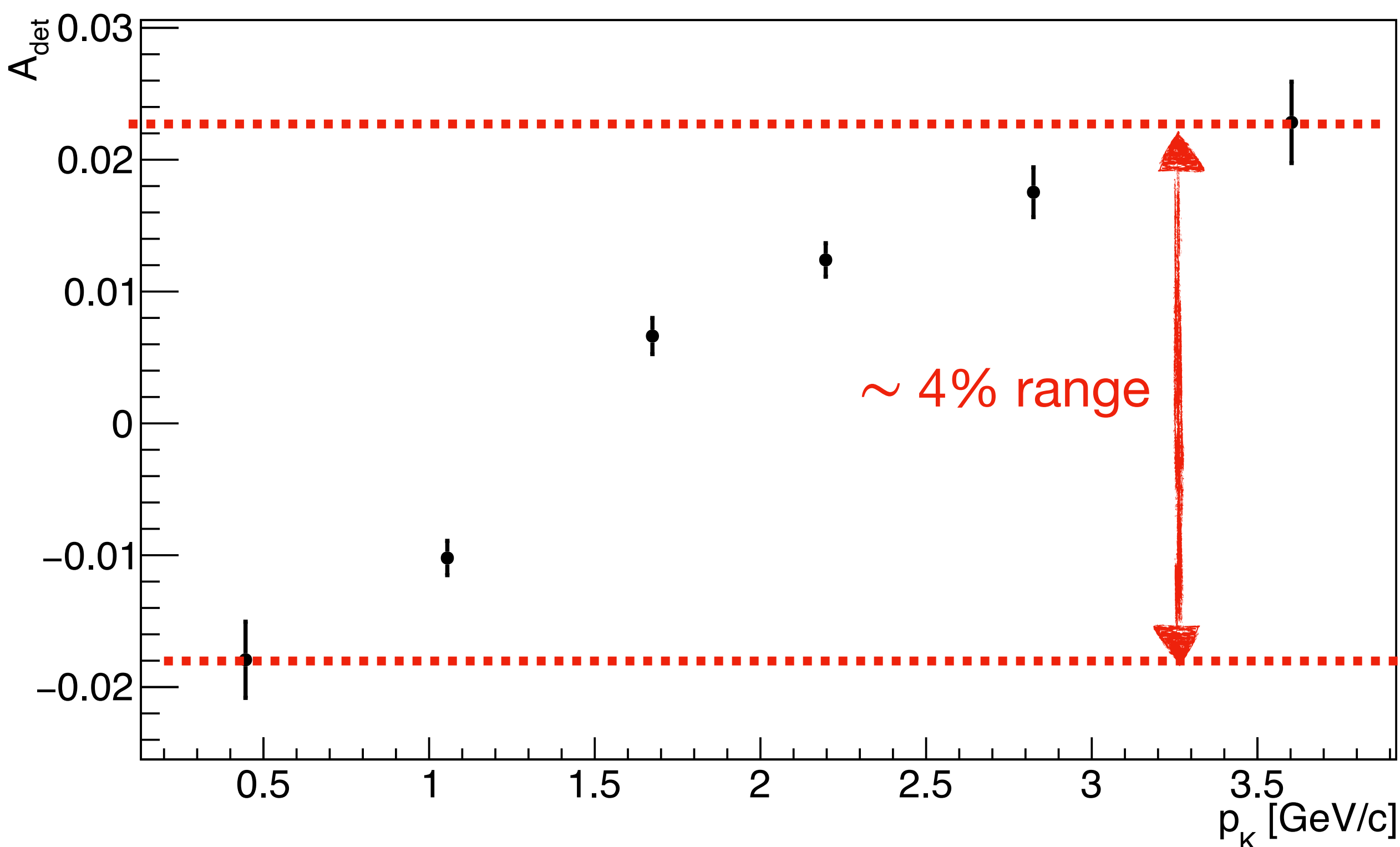
$$\mathcal{A}_{\text{det}}(K) \gg \mathcal{A}_{\text{det}}(\pi)$$

# $\mathcal{A}_{\text{det}}(K\pi)$ dependence on momentum and polar angle

$$\mathcal{A}_{\text{obs}} = \frac{N_{D^0} - N_{\bar{D}^0}}{N_{D^0} + N_{\bar{D}^0}}$$

Check marginal distribution:  
integrate over  $\cos_K(\theta)$  and CDC hits of kaon.

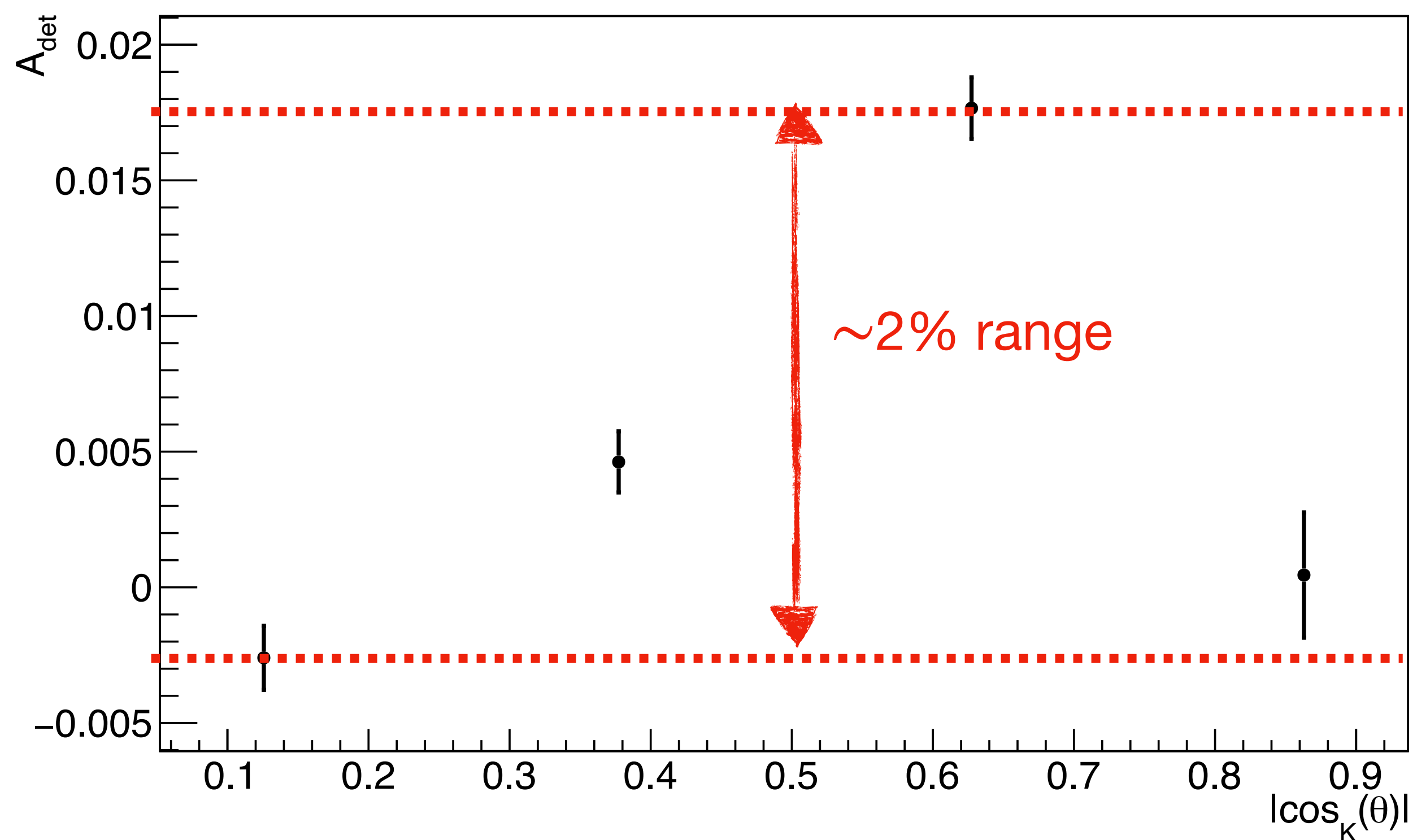
Check marginal distribution:  
integrate over  $p_K(\theta)$  and CDC hits of Kaon.



$\mathcal{A}_{\text{det}}$  depends on  $p_K$



different interaction probabilities with matter



$\mathcal{A}_{\text{det}}$  depends on  $\cos_K(\theta)$

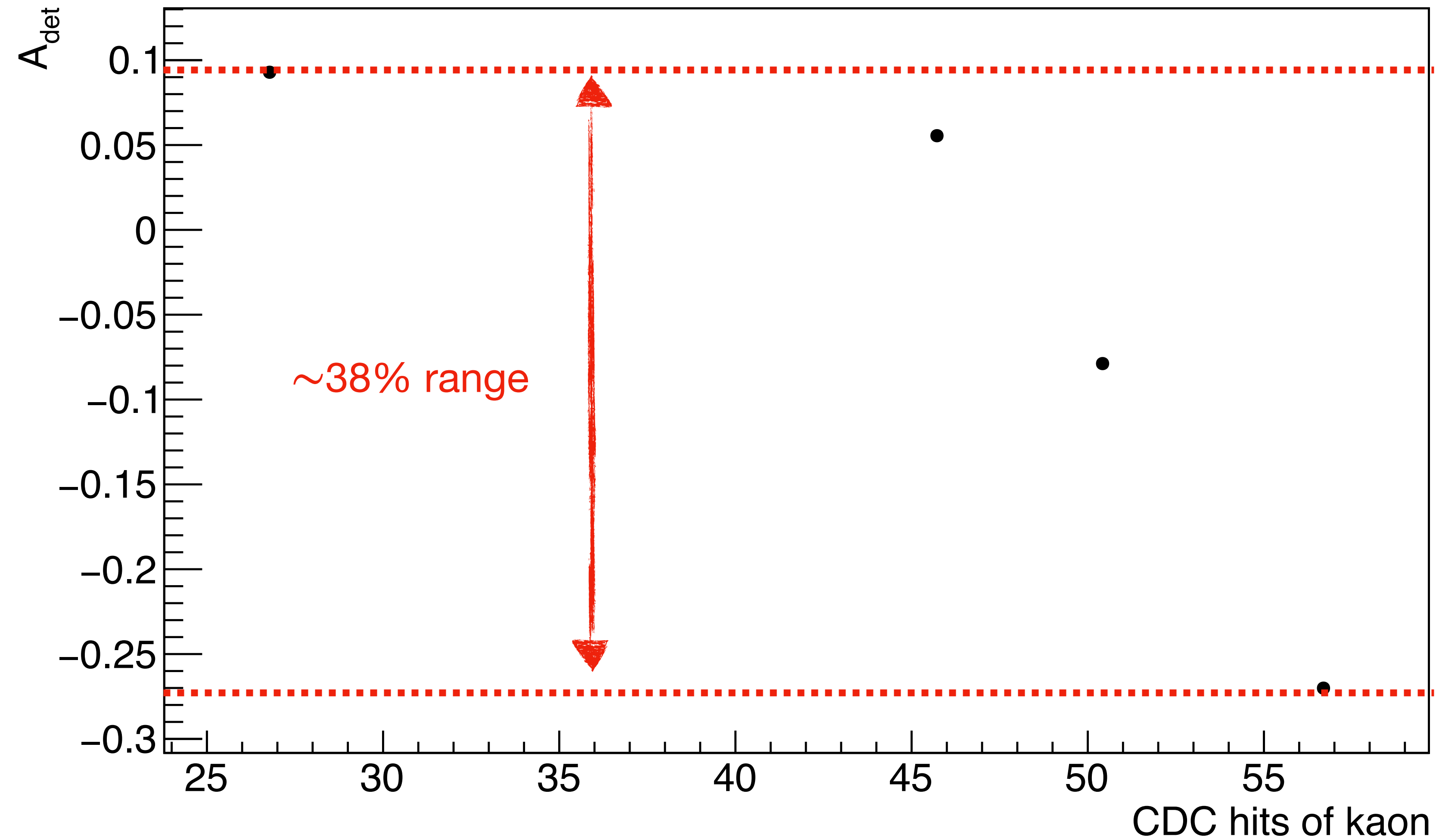


different material budget traversed by particle

# $\mathcal{A}_{\text{det}}(K\pi)$ dependence on CDC hits

$$\mathcal{A}_{\text{obs}} = \frac{N_{D^0} - N_{\bar{D}^0}}{N_{D^0} + N_{\bar{D}^0}}$$

Integrate over all kinematic variables.



Strong dependence of  $\mathcal{A}_{\text{det}}$  on CDC hits of kaon

# $\mathcal{A}_{\text{det}}(K\pi)$ for physics analyses

- $p, \cos(\theta), \text{CDC hits}$  distributions of target analyses can be different from our control channel.
- Correct the distributions of the control channel to match those of any target decay:
  1. Split the control channel in bins of CDC hits;
  2. In each bin:
    - A. Correct the  $(p, \cos(\theta))$  distributions of the control channel (weights from MC);
    - B. Determine  $\mathcal{A}_{\text{det}}$  on the corrected-sample.
  3. Average the  $\mathcal{A}_{\text{det}}$  values considering the CDC hits distribution of the target decay (known data-MC discrepancy (drift-time mismodeling)  $\rightarrow$  take it from data).

# $\mathcal{A}_{\text{det}}(K\pi)$ closure-test with MC

- Consider  $B^0 \rightarrow K\pi$  decays (CS>0.95, KaonID>0.25).

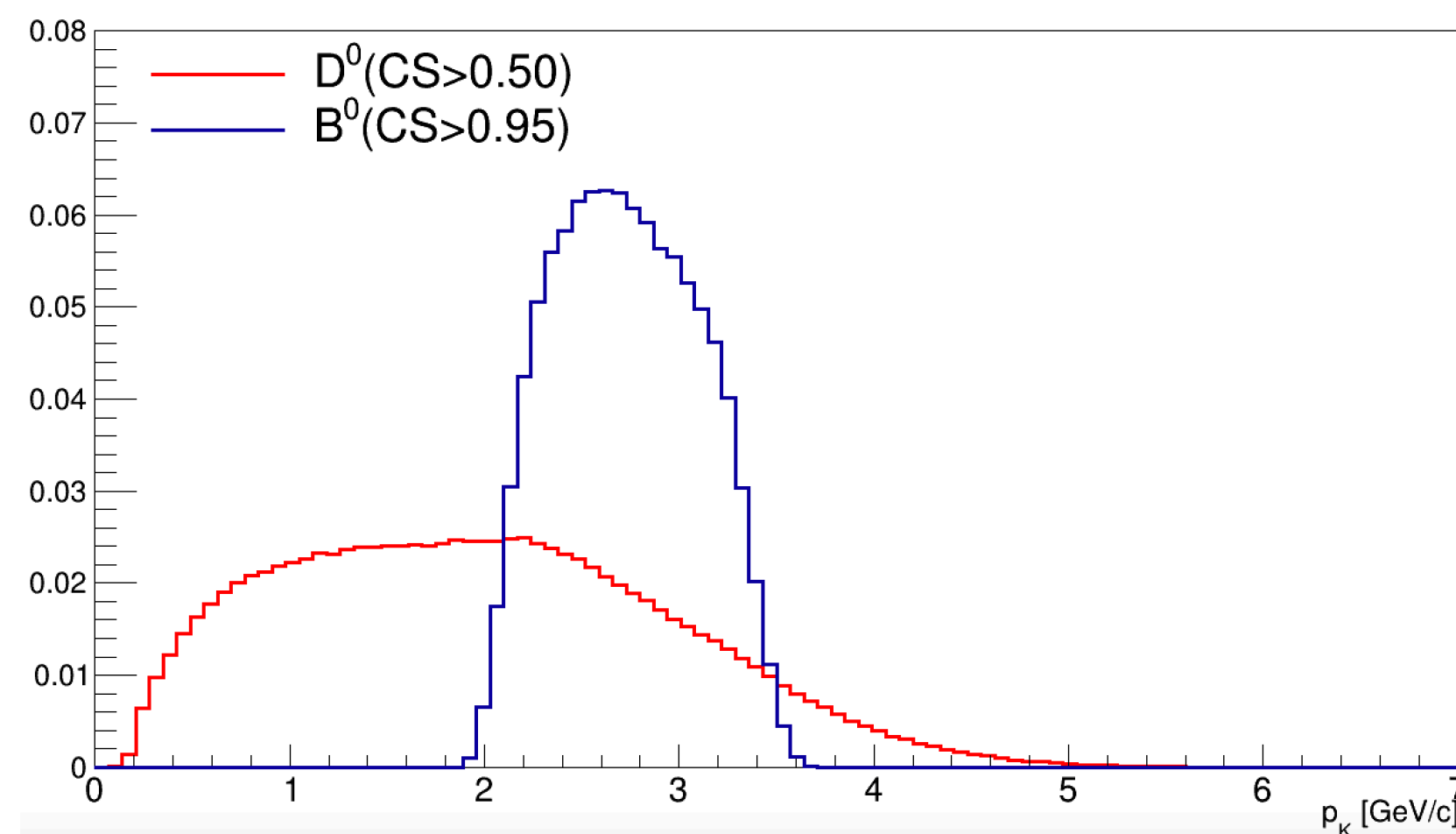
$$\mathcal{A}_{\text{det}}(K\pi) = 0.0012 \pm 0.0015 \text{ (target).}$$

- $D^0 \rightarrow K\pi$  control channel (CS>0.50, KaonID>0.25).

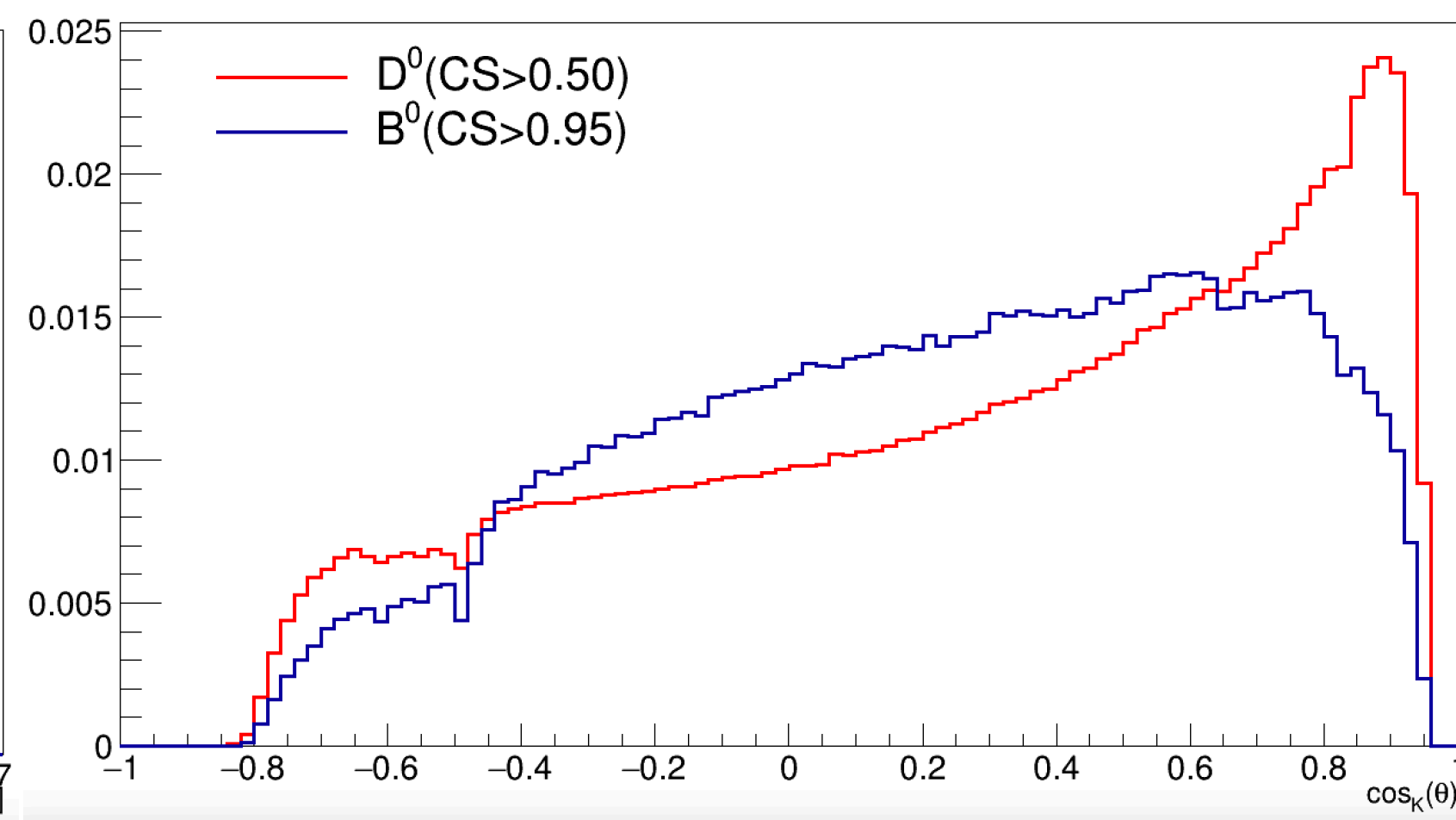
$$\mathcal{A}_{\text{det}}(K\pi) = -0.0076 \pm 0.0007 \text{ (start value).}$$

- Different  $\mathcal{A}_{\text{det}}(K\pi)$  values are expected since  $p_K$ ,  $\cos_K(\theta)$ , CDChits(K) distributions differs:

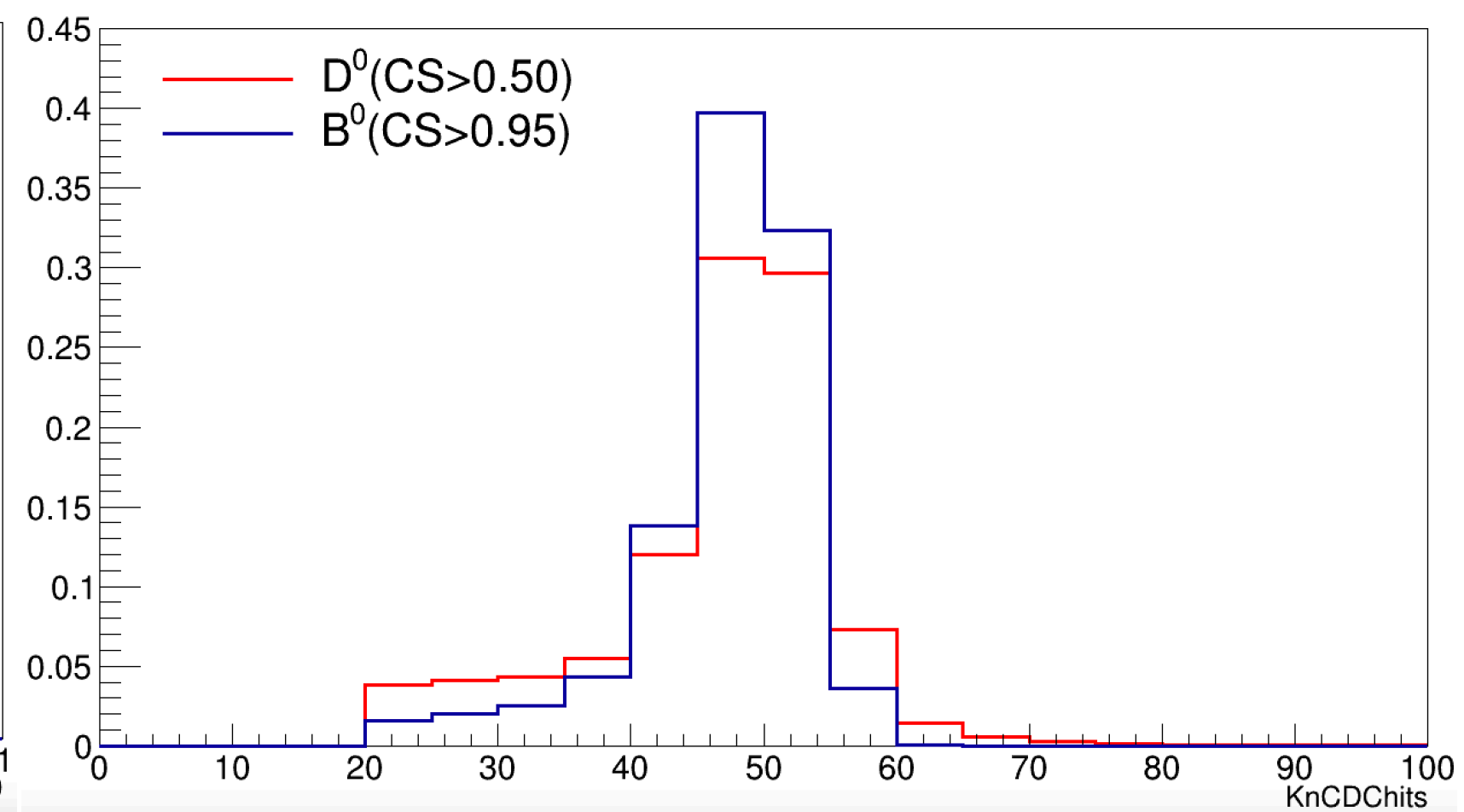
$p_K$  distributions



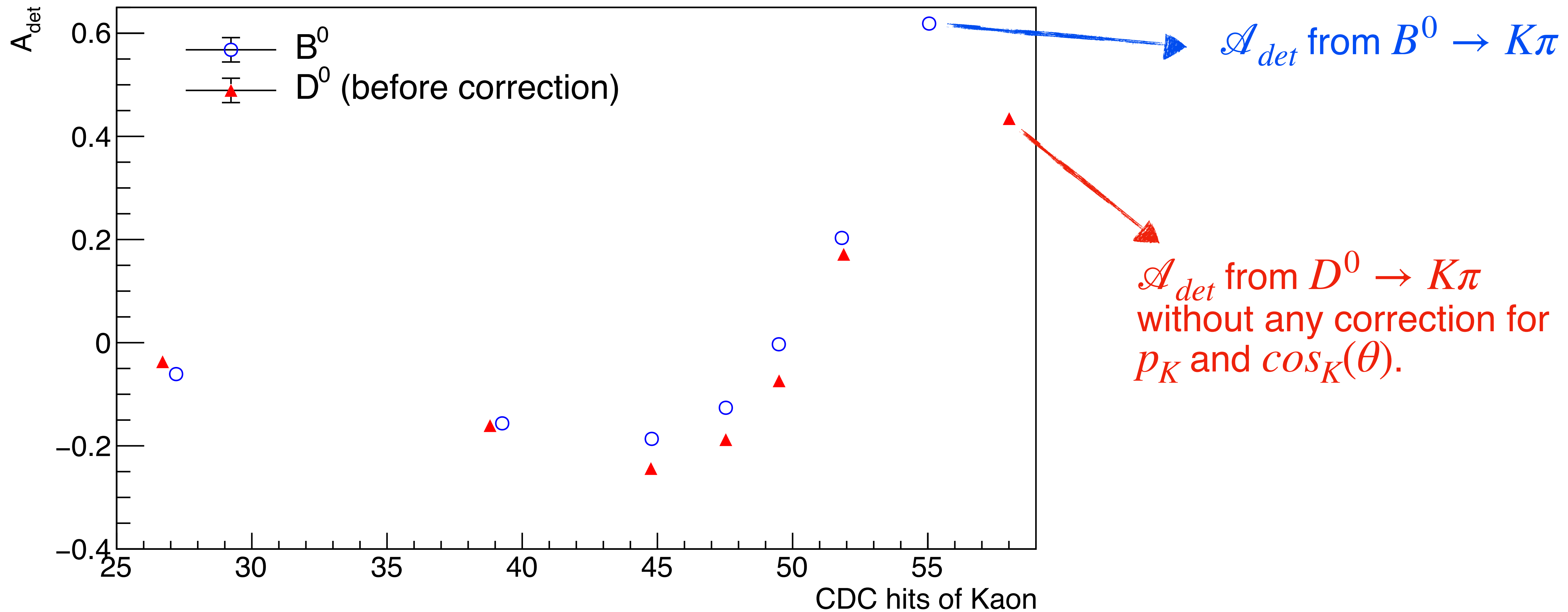
$\cos_K(\theta)$  distributions



CDChits(K) distributions

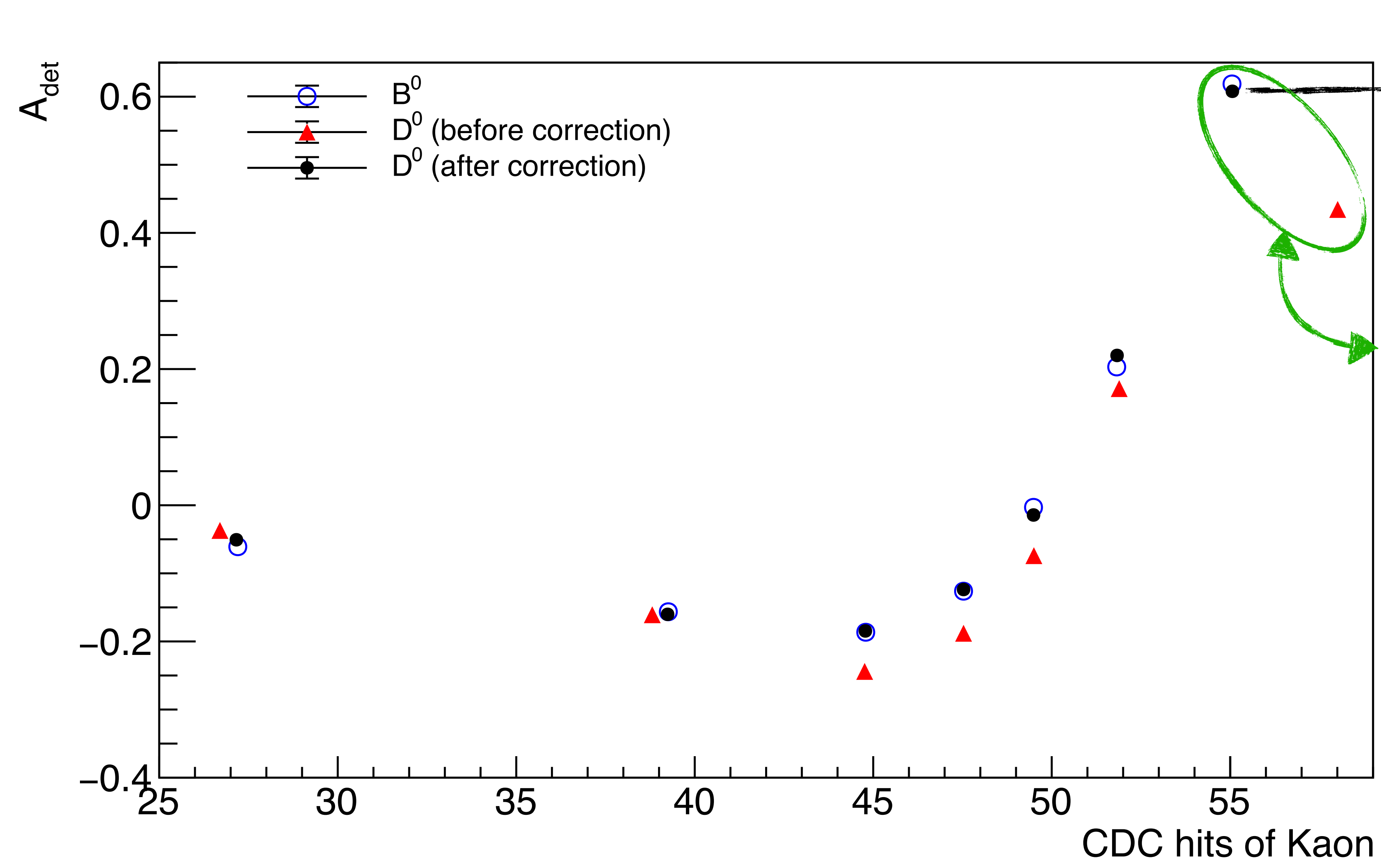


# $\mathcal{A}_{det}(K\pi)$ closure-test with MC

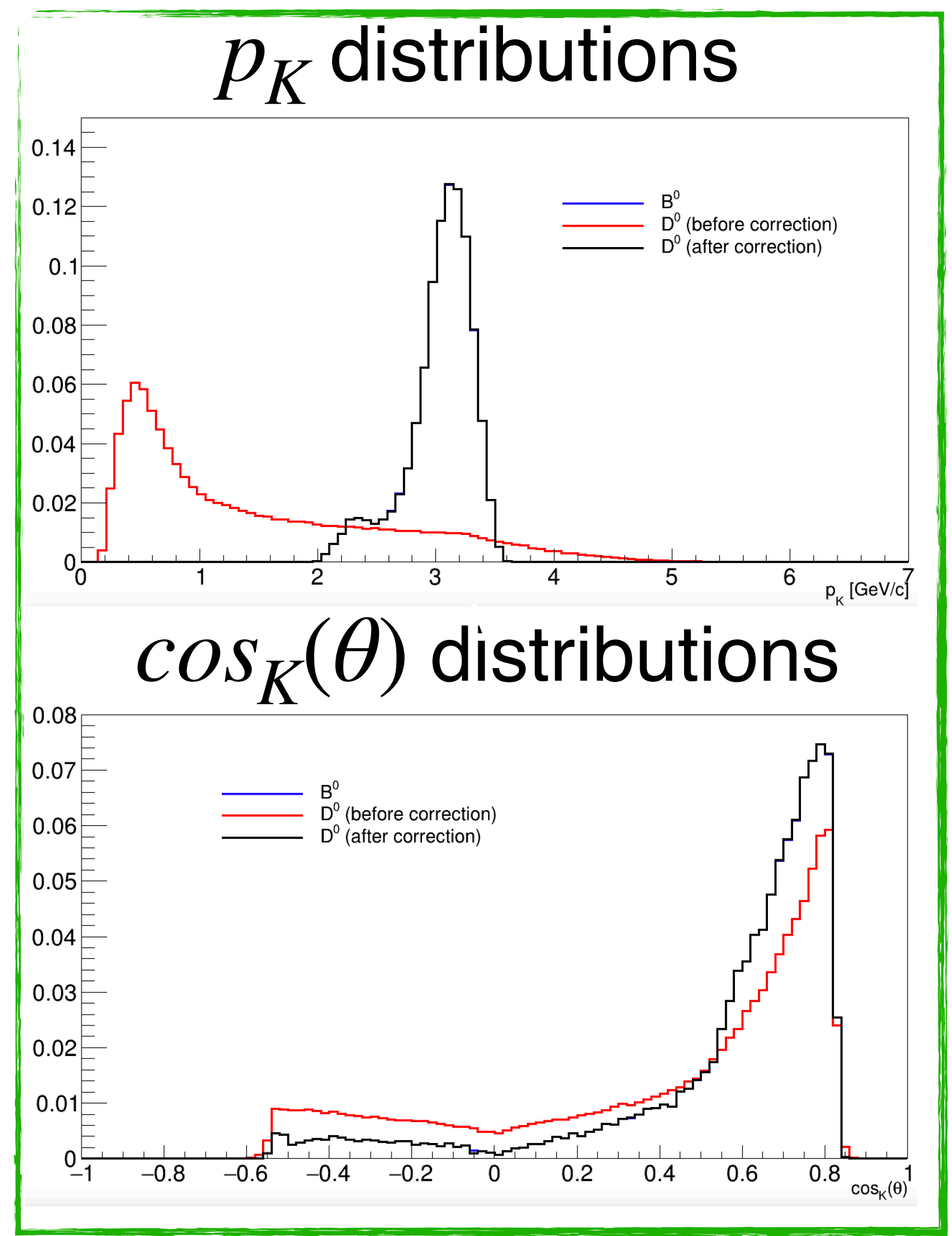


The points are placed at the average of the CDChits distribution in the bin.

# $\mathcal{A}_{det}(K\pi)$ closure-test with MC



$\mathcal{A}_{det}$  from  $D^0 \rightarrow K\pi$  after the correction: match the target value.



# $\mathcal{A}_{det}(K\pi)$ closure-test with MC

- Average  $\mathcal{A}_{det}(K\pi)$  values from corrected  $D^0$  sample, considering CDChits distribution of  $B^0$ :

$$\mathcal{A}_{det}(K\pi) = 0.0015 \pm 0.0007 \text{ (after correction)}$$

in agreement with

$$\mathcal{A}_{det}(K\pi) = 0.0012 \pm 0.0015 \text{ (target)}$$

- We checked the procedure for different PID and CS selections and get expected results.



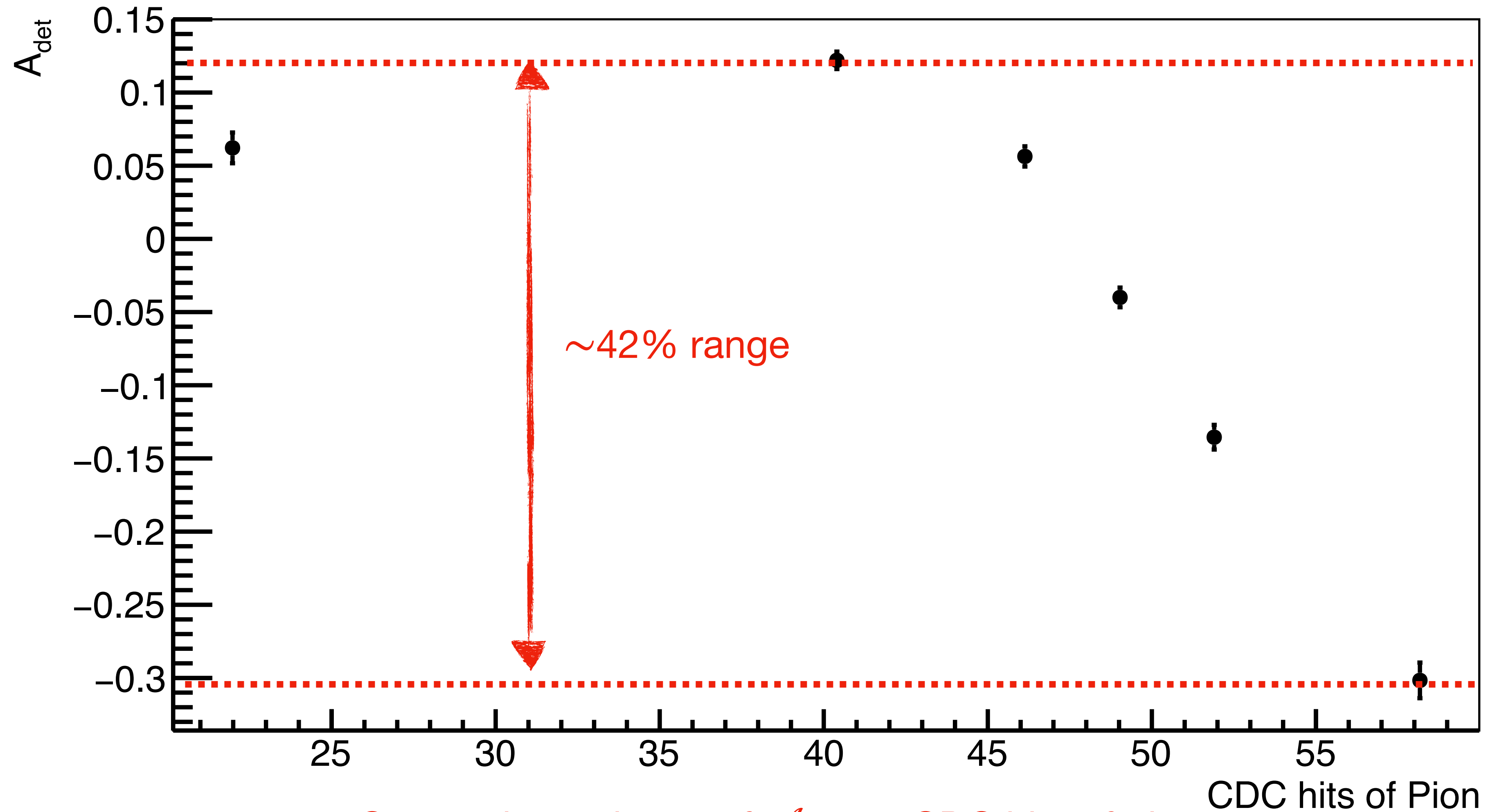
$$\mathcal{A}_{det}(\pi) \text{ from } D^+ \rightarrow K_S^0 \pi^+$$

# $\mathcal{A}_{\text{det}}(\pi)$ dependence on CDC hits

$$\mathcal{A}_{\text{obs}} = \frac{N_{D^-} - N_{D^+}}{N_{D^-} + N_{D^+}}$$

- Study  $\mathcal{A}_{\text{det}}(\pi)$  as a function of pion variables. Assume  $\mathcal{A}_{\text{det}}(K_S^0) = 0$ .

Integrate over all kinematic variables.

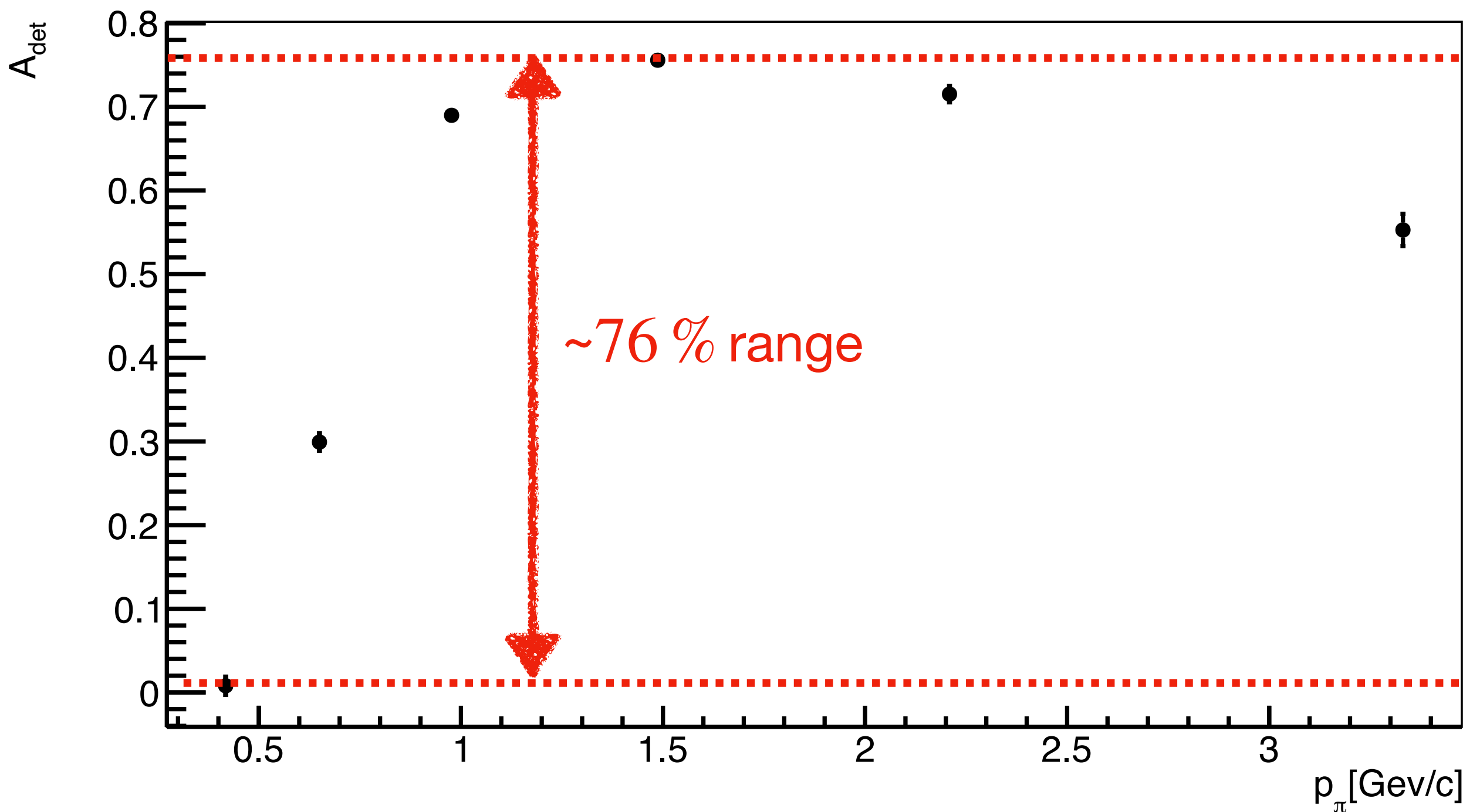


Strong dependence of  $\mathcal{A}_{\text{det}}$  on CDC hits of pion.

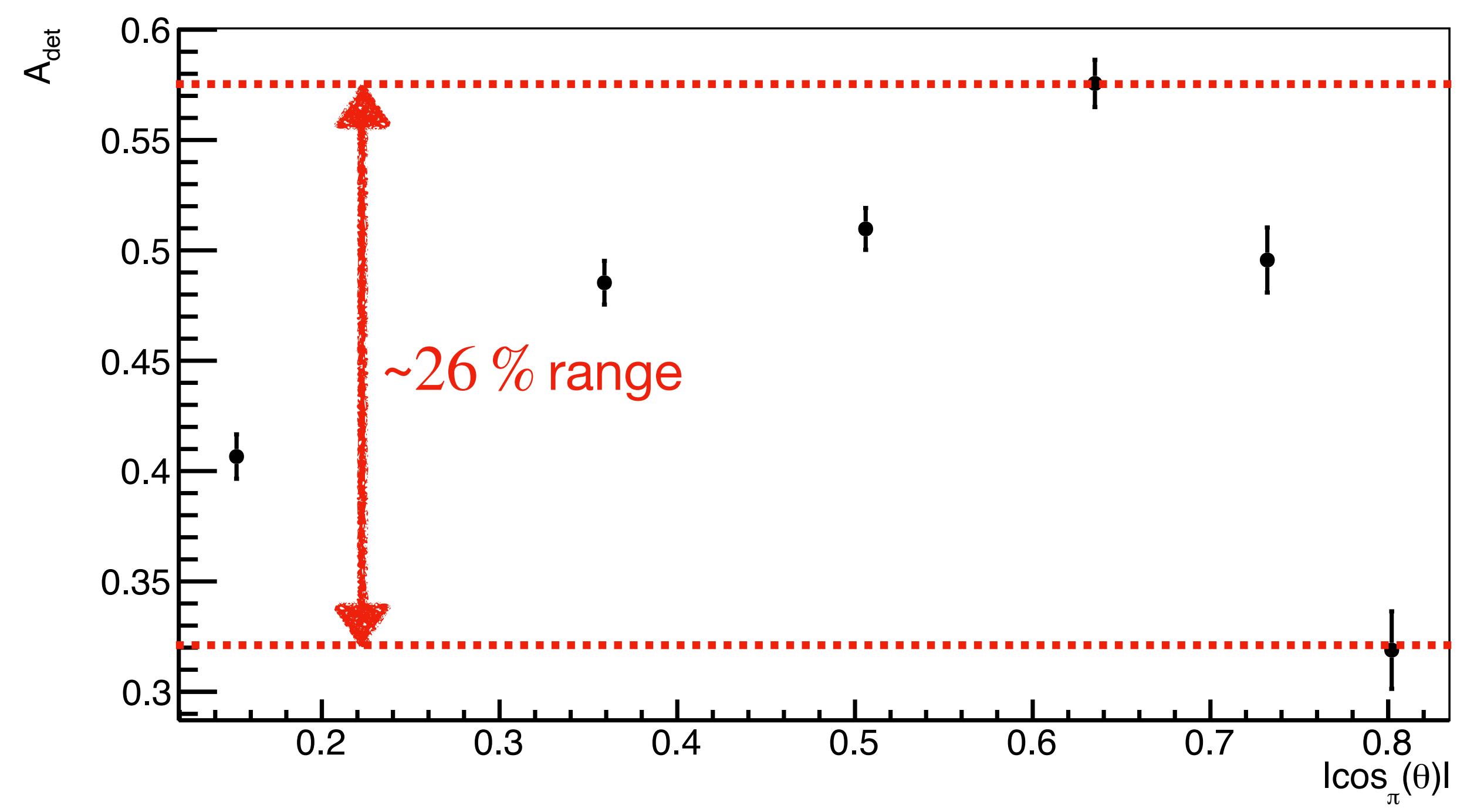
# $\mathcal{A}_{det}(\pi)$ dependence on momentum and polar angle

$$\mathcal{A}_{obs} = \frac{N_{D^-} - N_{D^+}}{N_{D^-} + N_{D^+}}$$

$\mathcal{A}_{det}(\pi)$  as a function of  $\pi$ 's momentum  
in a particular region of CDC hits (54 to 60 hits)



$\mathcal{A}_{det}(\pi)$  as a function of  $\pi$ 's polar angle  
in a particular region of CDC hits (54 to 60 hits)



Strong dependence of  $\mathcal{A}_{det}$  on  $p_\pi$  and  $\cos_\pi(\theta)$  in  
bins of CDC hits of pions

# $\mathcal{A}_{\text{det}}(\pi)$ and $\mathcal{A}_{\text{det}}(K)$

- The method is the same to compute  $\mathcal{A}_{\text{det}}(\pi)$  using  $D^+ \rightarrow K_s^0 \pi^+$  for a given decay.
- A closure-test to compute  $\mathcal{A}_{\text{det}}(\pi)$  for  $B^+ \rightarrow \rho^+(\rightarrow \pi^+ \pi^0) \rho^0(\rightarrow \pi^+ \pi^-)$  decay using this control channel is ongoing.
- We can also use  $D^0 \rightarrow K^- \pi^+$  and  $D^+ \rightarrow K_s^0 \pi^+$  to compute  $\mathcal{A}_{\text{det}}(K)$ :
  1. Given  $(p_K, \cos_K(\theta), \text{CDChits}(K))$  distributions of a target decay, we can compute  $\mathcal{A}_{\text{det}}(K\pi)$  using  $D^0 \rightarrow K^- \pi^+$  channel;
  2. Weight the  $\pi$  distributions of  $D^+ \rightarrow K_s^0 \pi^+$  to match those of  $K\pi$ ;
  3. Compute  $\mathcal{A}_{\text{det}}(K) = \mathcal{A}_{\text{det}}(K\pi) - \mathcal{A}_{\text{det}}(\pi)$ .

# Summary

- Measured  $\mathcal{A}_{det}$  for  $K\pi$  and  $\pi$ , with a precision of  $\mathcal{O}(1\%/_{oo})$  and  $\mathcal{O}(3\%/_{oo})$  using  $D^0 \rightarrow K^-\pi^+$  and  $D^+ \rightarrow K_s^0\pi^+$ .
- First study of the dependence of  $\mathcal{A}_{det}$ . Found large dependence as a function of  $p$ ,  $\cos(\theta)$  and CDChits of the tracks.
- Developed a method to compute  $\mathcal{A}_{det}$  from control channel for any given decay, taking into account these dependences.
- Will release a tool for analysts and document everything in a supporting note.
- Can be used in analyses targeting ICHEP, e.g. GLW with  $B^+ \rightarrow D^0 h^+$ , and  $\mathcal{A}_{CP}$  in  $B^+ \rightarrow h^+ \pi^0$ .

*Backup*

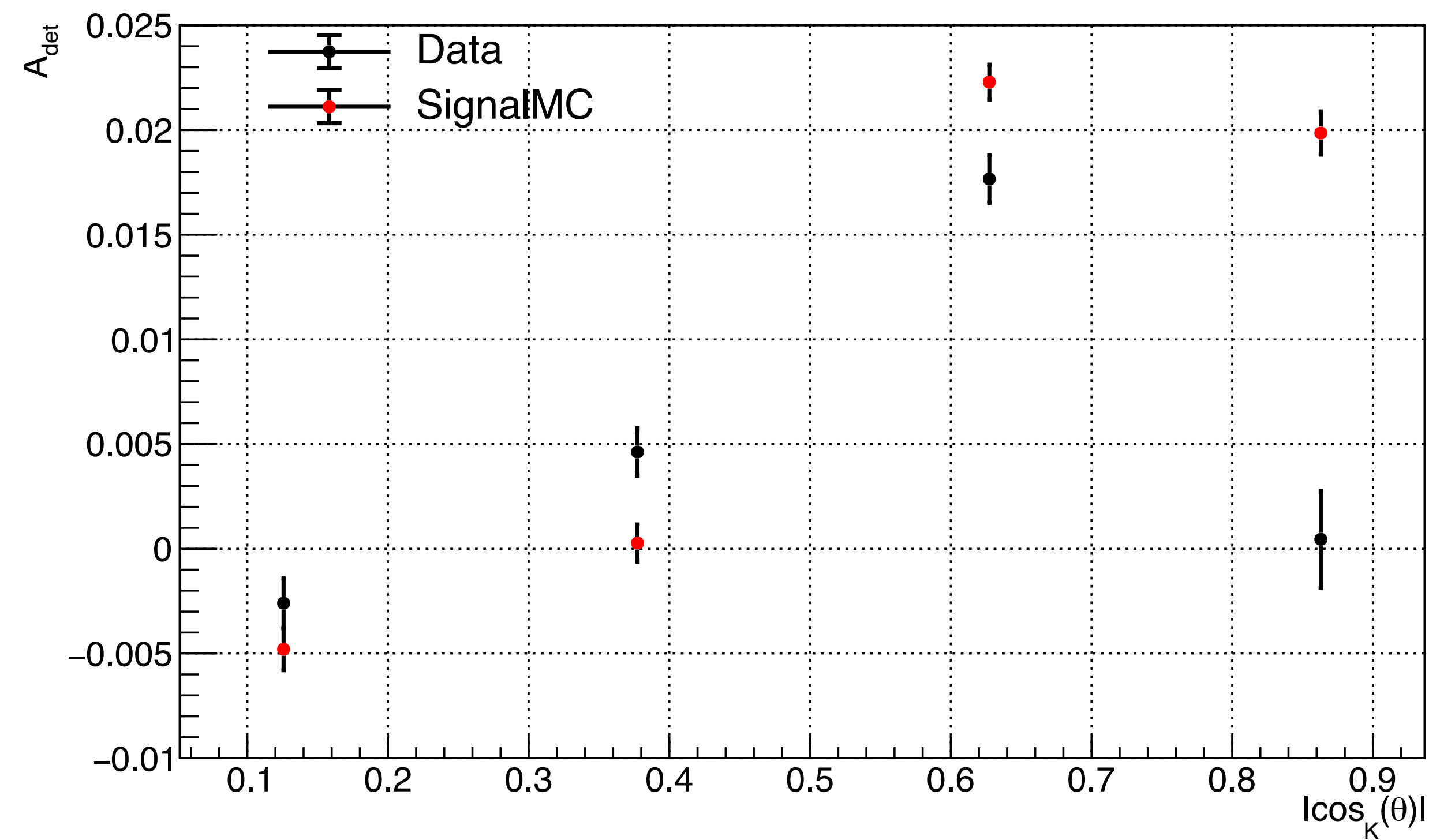
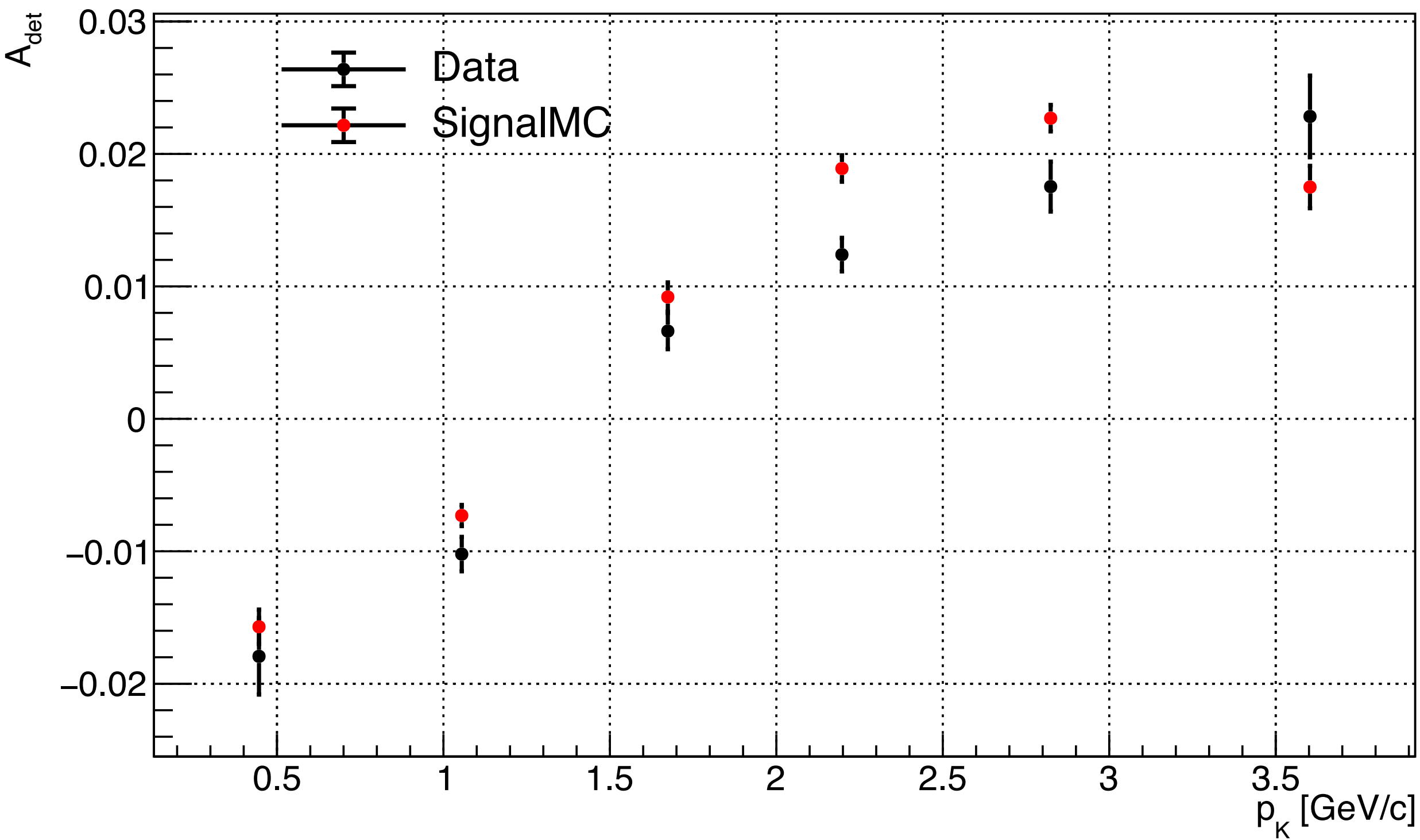
$\mathcal{A}_{det}(K\pi)$  from  $D^0 \rightarrow K^- \pi^+$

# $\mathcal{A}_{\text{det}}(K\pi)$ kinematics dependences: data vs MC

$$\mathcal{A}_{\text{obs}} = \frac{N_{D^0} - N_{\bar{D}^0}}{N_{D^0} + N_{\bar{D}^0}}$$

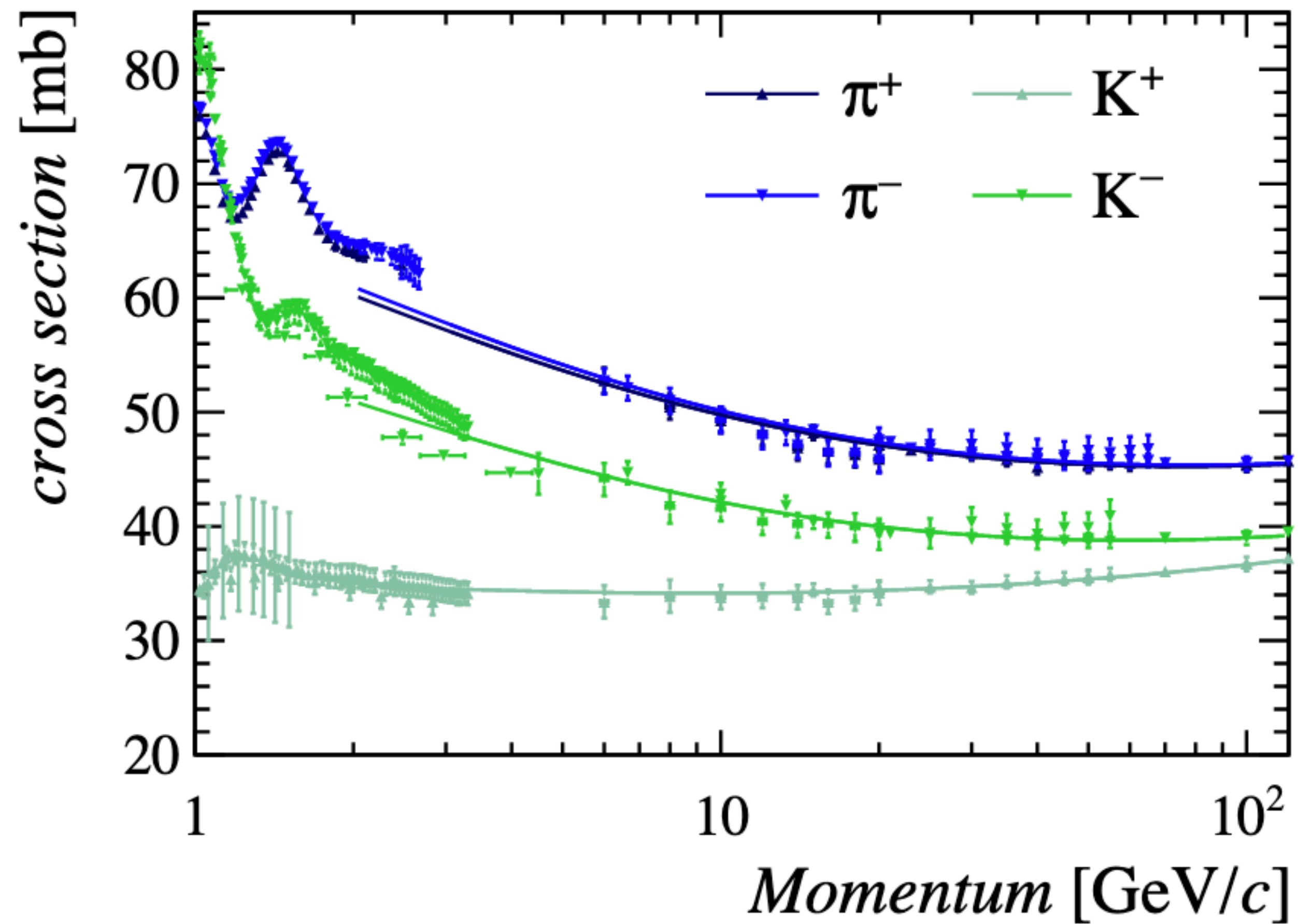
Check marginal distribution:  
integrate over  $\cos_K(\theta)$  and CDC hits of kaon.

Check marginal distribution:  
integrate over  $p_K(\theta)$  and CDC hits of Kaon.





# $\mathcal{A}_{\text{det}}(K\pi)$ dependence on momentum

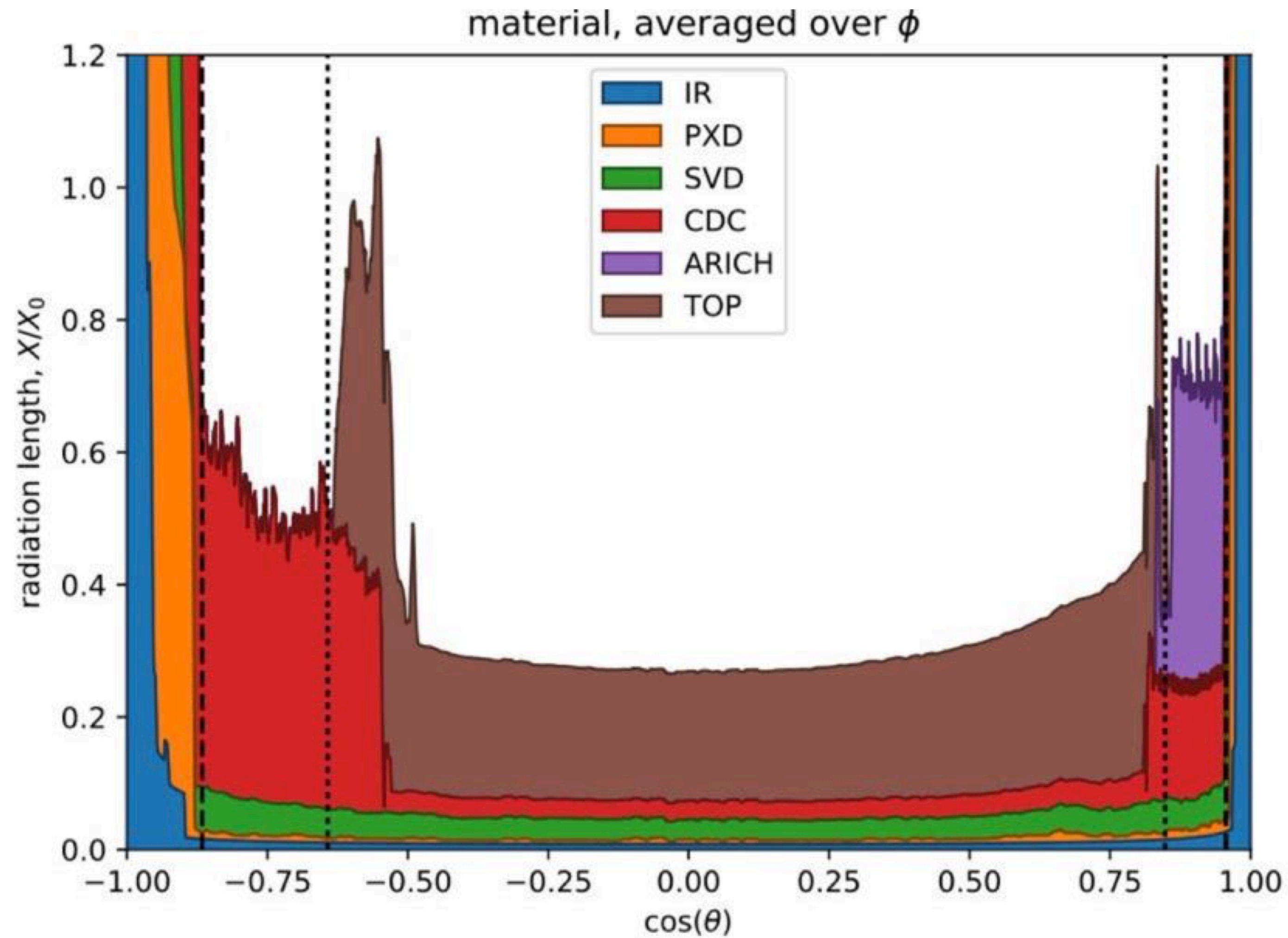


$\mathcal{A}_{\text{det}}$  depends on  $p_K$



Interaction probabilities between  $K^+/K^-$  depend on momentum.

# $\mathcal{A}_{\text{det}}(K\pi)$ dependence on polar *angle*



$\mathcal{A}_{\text{det}}$  depends on  $\cos_K(\theta)$

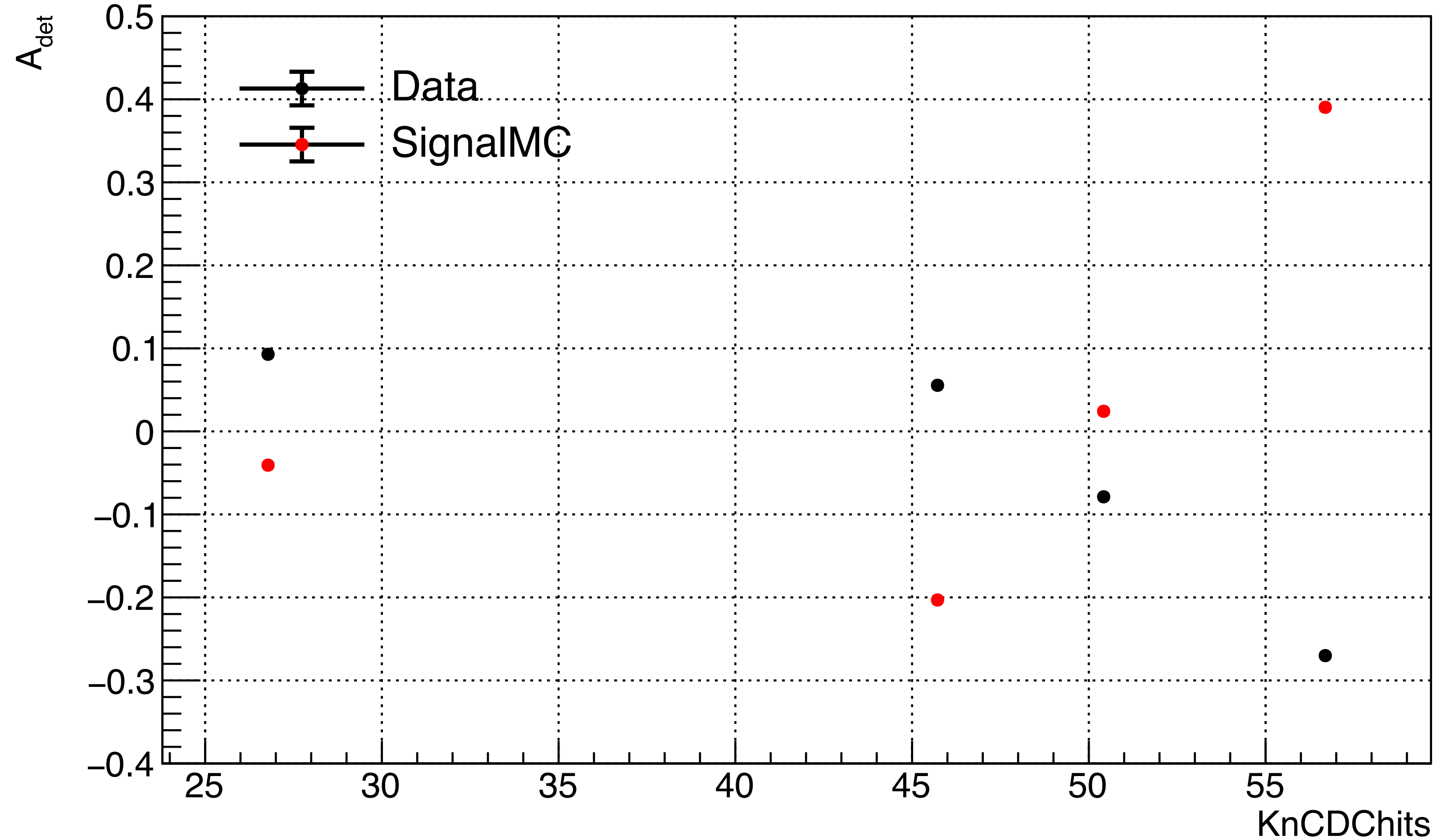


different material budget traversed by particle.

# $\mathcal{A}_{\text{det}}(K\pi)$ dependence on CDC hits: data vs MC

$$\mathcal{A}_{\text{obs}} = \frac{N_{D^0} - N_{\bar{D}^0}}{N_{D^0} + N_{\bar{D}^0}}$$

Integrate over all kinematic variables.

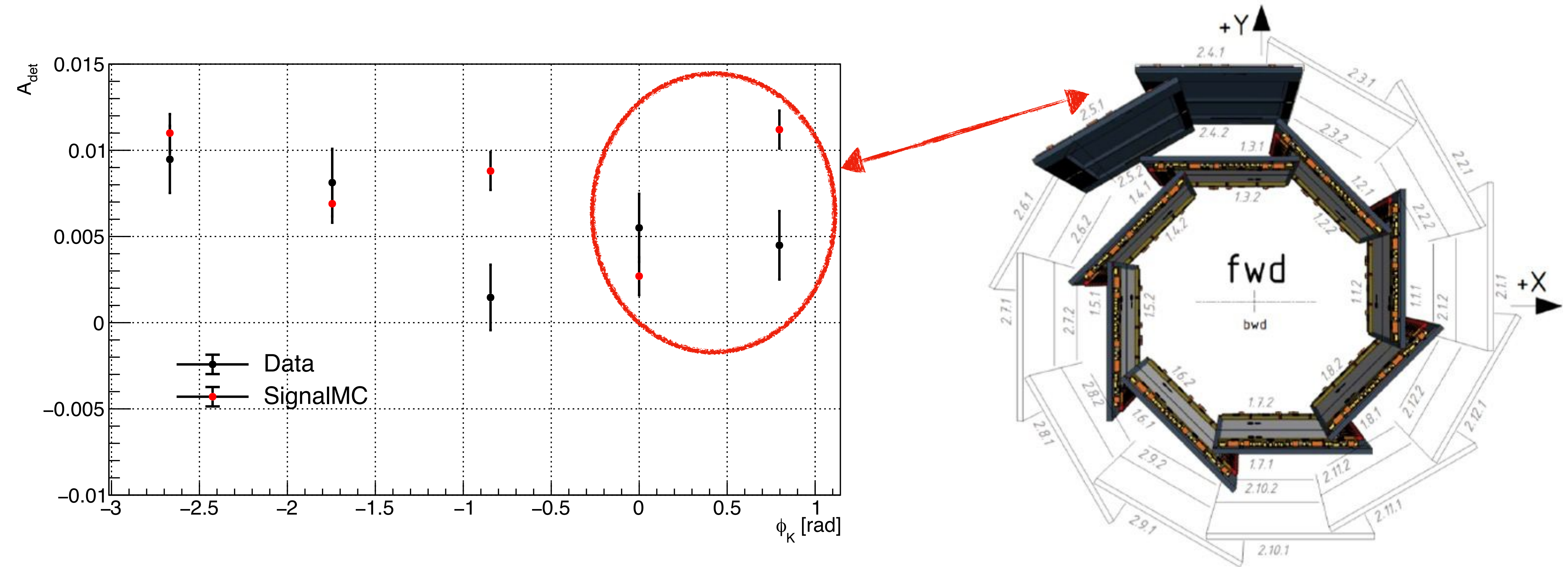


Strong dependence of  $\mathcal{A}_{\text{det}}$  on CDC hits of kaon

Known Data-MC discrepancy due to CDC drift-time mismodeling.

# $\mathcal{A}_{\text{det}}(K\pi)$ dependence on azimuthal angle

Integrate over all kinematic variables and CDC hits of Kaon.



The circled points represent the  $\mathcal{A}_{\text{det}}$  values in the  $\phi_K$  region in which there are two layers of PXD (more material).  
In any case, we assume no dependence on  $\phi_K$ .

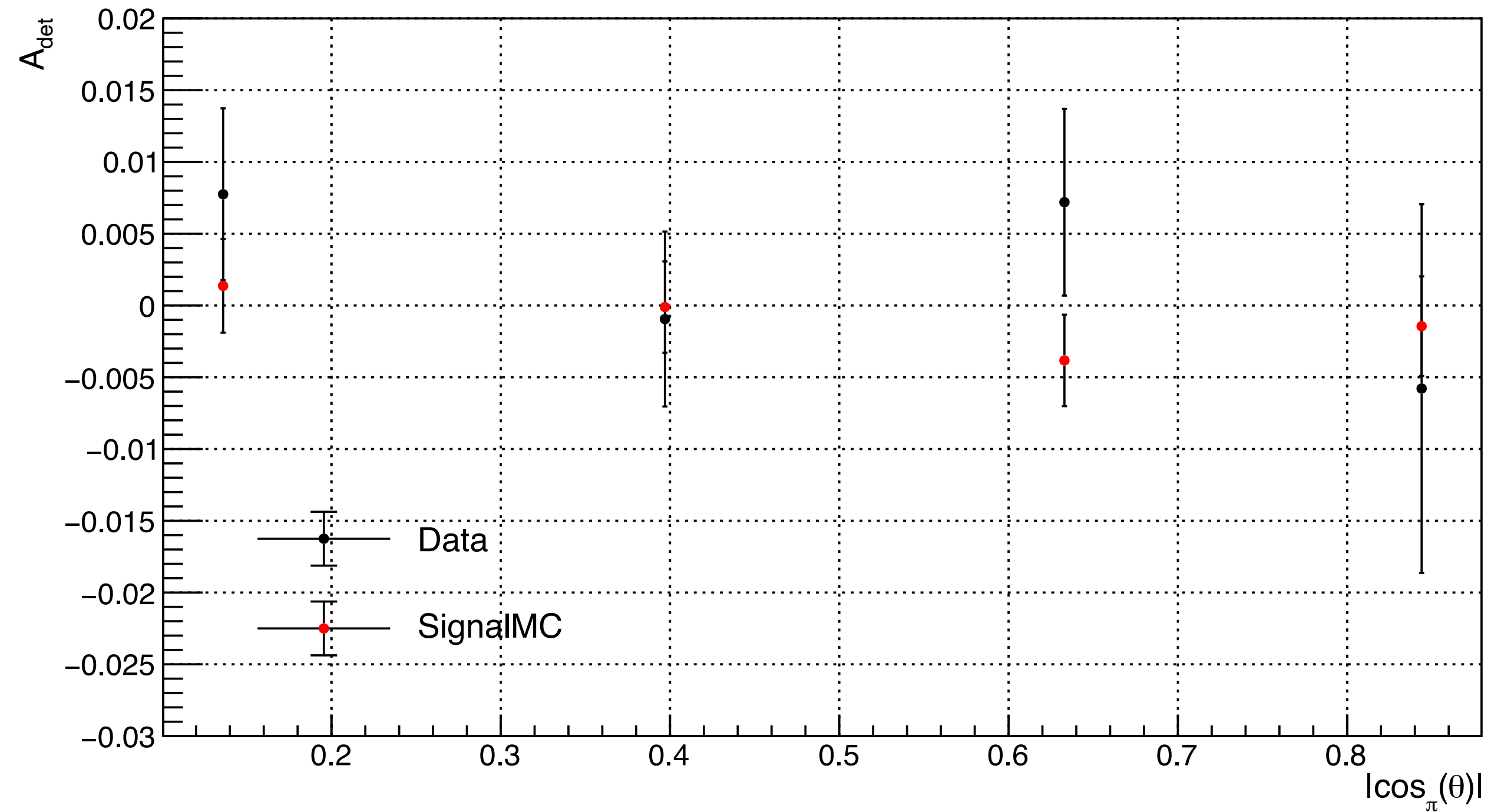
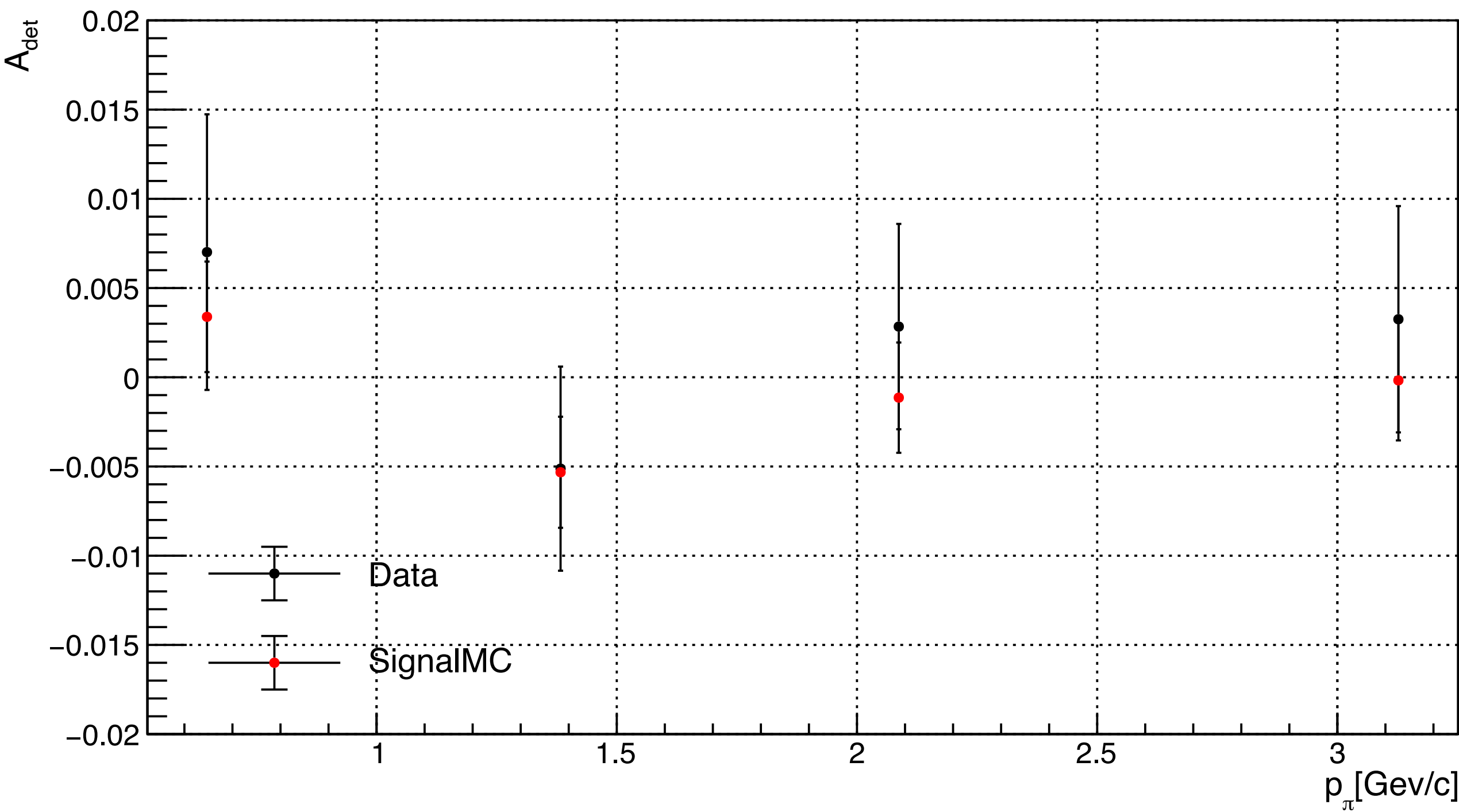
$$\mathcal{A}_{det}(\pi) \text{ from } D^+ \rightarrow K_S^0 \pi^+$$

# $\mathcal{A}_{\text{det}}(\pi)$ kinematics dependences : data vs MC

$$\mathcal{A}_{\text{obs}} = \frac{N_{D^-} - N_{D^+}}{N_{D^-} + N_{D^+}}$$

Check marginal distribution:  
integrate over  $\cos(\theta)$  and CDC hits of pion.

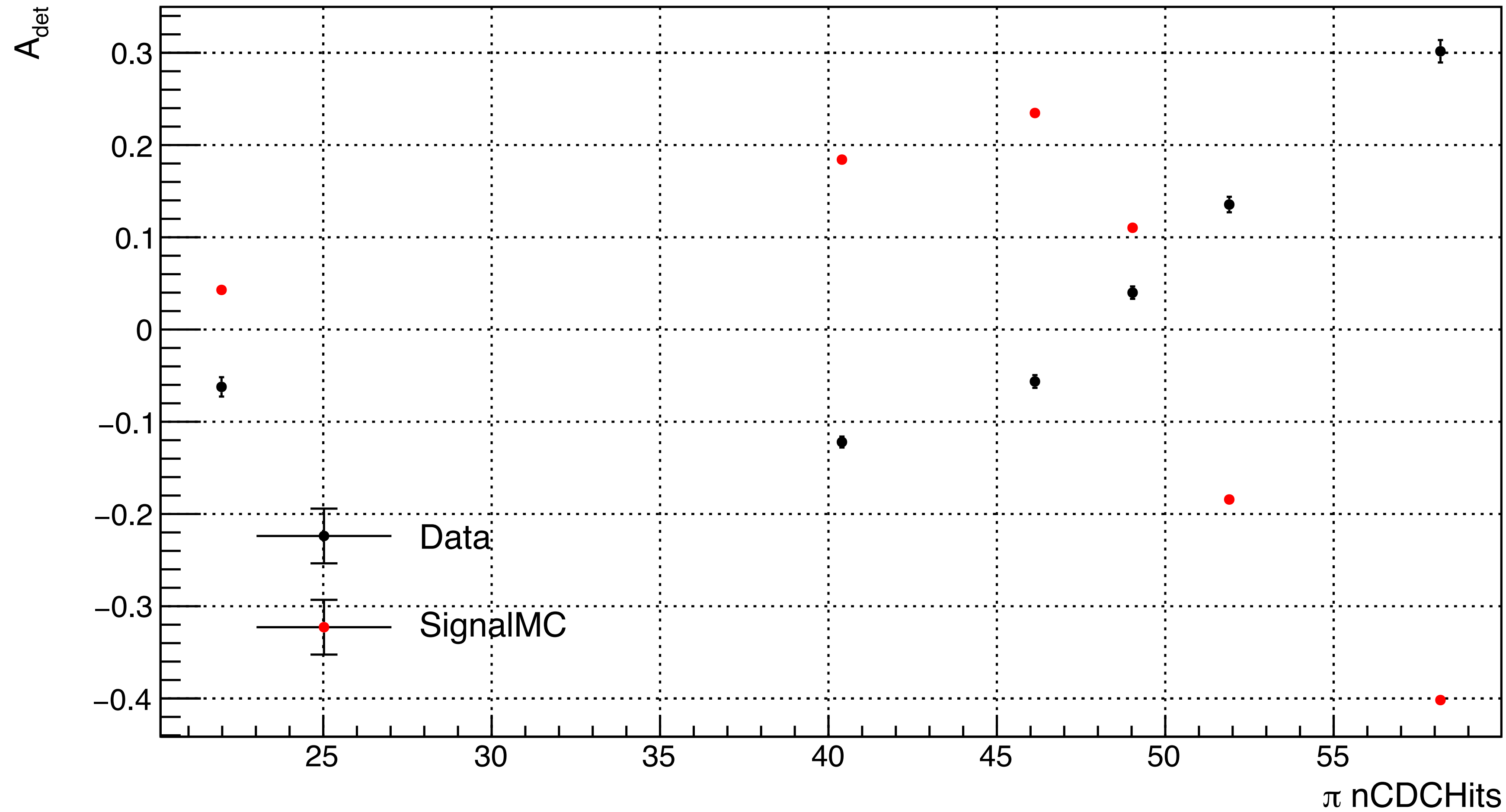
Check marginal distribution:  
integrate over  $p_{\pi}(\theta)$  and CDC hits of pion.



# $\mathcal{A}_{\text{det}}(\pi)$ dependence on CDC hits: data vs MC

$$\mathcal{A}_{\text{obs}} = \frac{N_{D^-} - N_{D^+}}{N_{D^-} + N_{D^+}}$$

Integrate over all kinematic variables.



Strong dependence of  $\mathcal{A}_{\text{det}}$  on CDC hits of pion.

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