

Instrumental asymmetries

$$D^+ \rightarrow K_S^0 \pi^+$$

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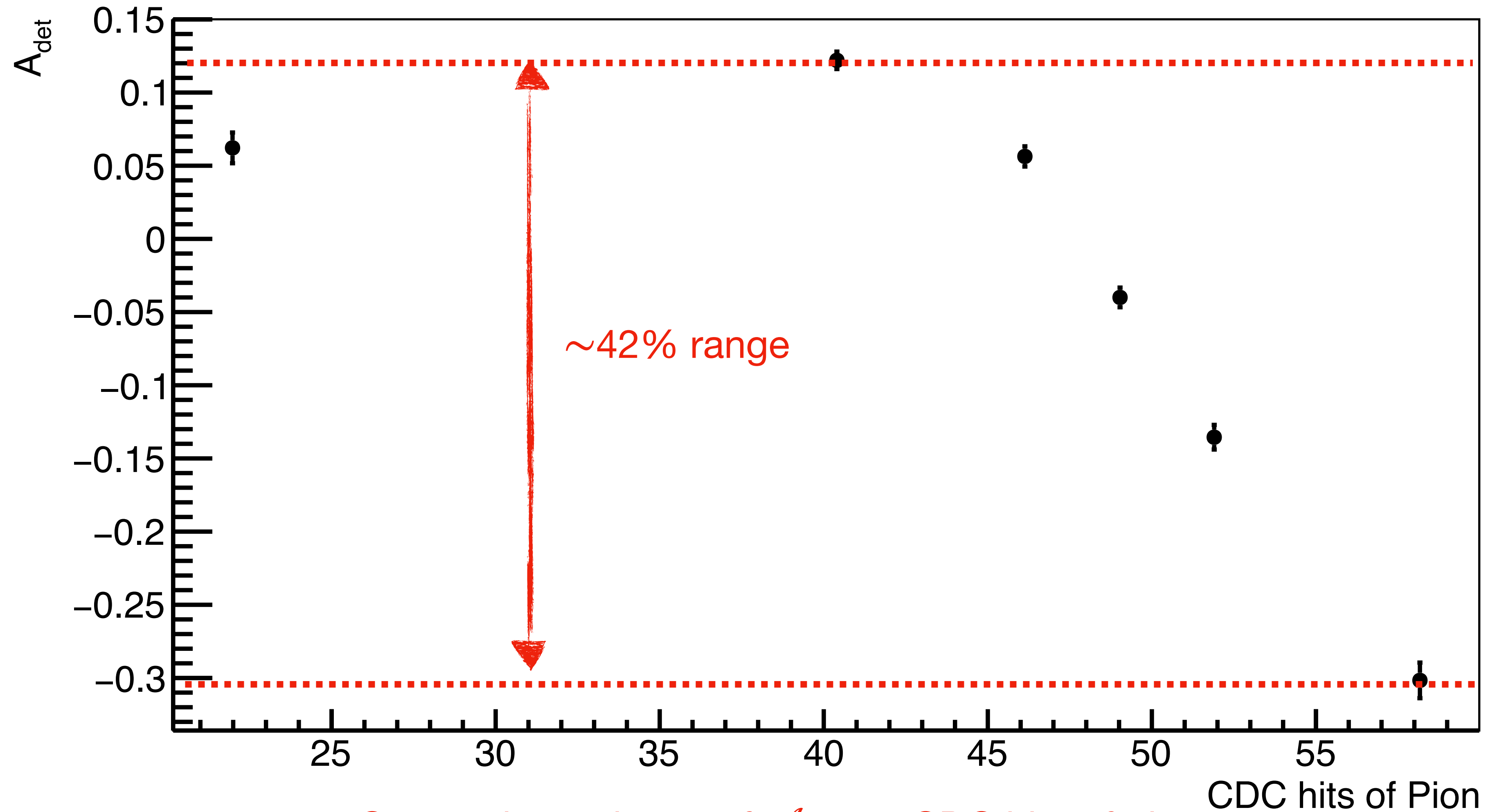
Analysis meeting
June 3, 2022

$\mathcal{A}_{\text{det}}(\pi)$ dependence on CDC hits

$$\mathcal{A}_{\text{obs}} = \frac{N_{D^-} - N_{D^+}}{N_{D^-} + N_{D^+}}$$

- Study $\mathcal{A}_{\text{det}}(\pi)$ as a function of pion variables. Assume $\mathcal{A}_{\text{det}}(K_S^0) = 0$.

Integrate over all kinematic variables.

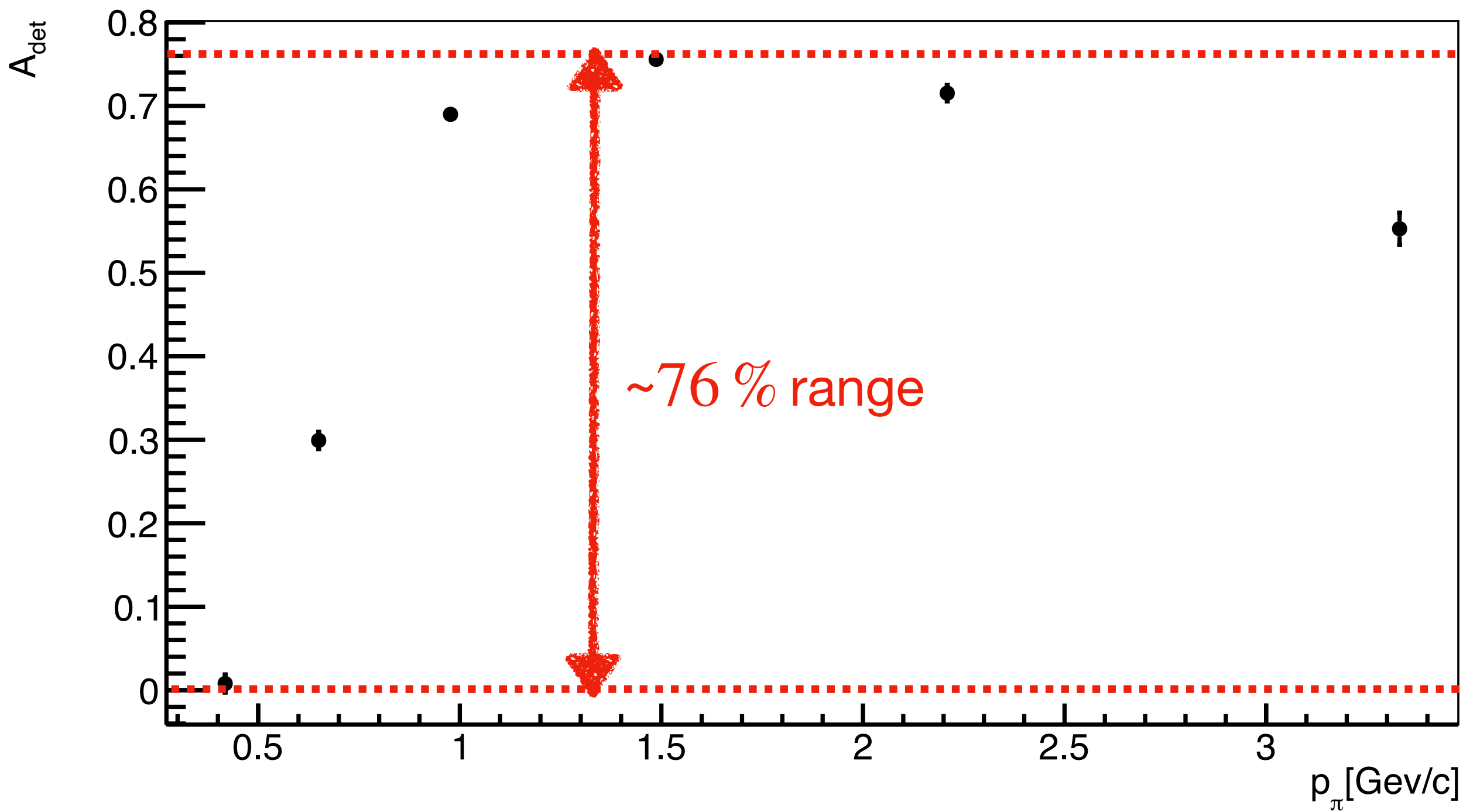


Strong dependence of \mathcal{A}_{det} on CDC hits of pion.

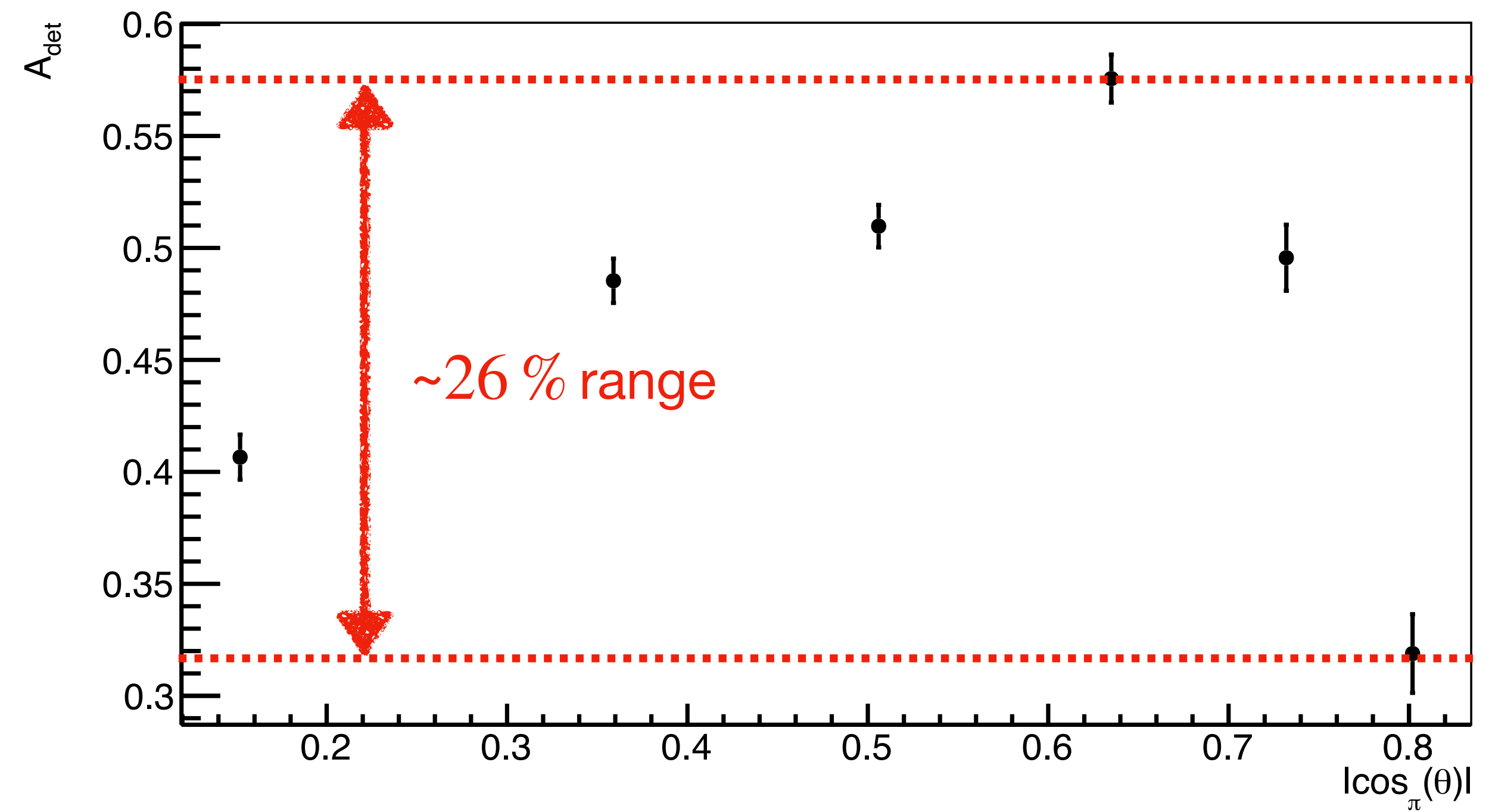
$\mathcal{A}_{det}(\pi)$ dependence check on MC

$$\mathcal{A}_{obs} = \frac{N_{D^-} - N_{D^+}}{N_{D^-} + N_{D^+}}$$

$\mathcal{A}_{det}(\pi)$ as a function of π 's momentum
in a particular region of CDC hits (54 to 60 hits)



$\mathcal{A}_{det}(\pi)$ as a function of π 's polar angle
in a particular region of CDC hits (54 to 60 hits)



Strong dependence of \mathcal{A}_{det} on p_π and $\cos_\pi(\theta)$ in
bins of CDC hits of pions

$\mathcal{A}_{\text{det}}(\pi)$ for physics analyses

- p , $\cos(\theta)$, CDC hits distributions of target analyses can be different from our control channel.
- Correct the distributions of the control channel to match those of any target decay:
 1. Split the control channel in bins of CDC hits;
 2. In each bin:
 - A. Correct the $(p, \cos(\theta))$ distributions of the control channel (weights from MC);
 - B. Determine \mathcal{A}_{det} on the corrected-sample.
 3. Average the \mathcal{A}_{det} values considering the CDC hits distribution of the target decay (from data).

$\mathcal{A}_{\text{det}}(\pi)$ closure-test with MC

- Consider $B^+ \rightarrow \rho^+(\rightarrow \pi^+\pi^0)\rho^0(\rightarrow \pi^+\pi^-)$ decays

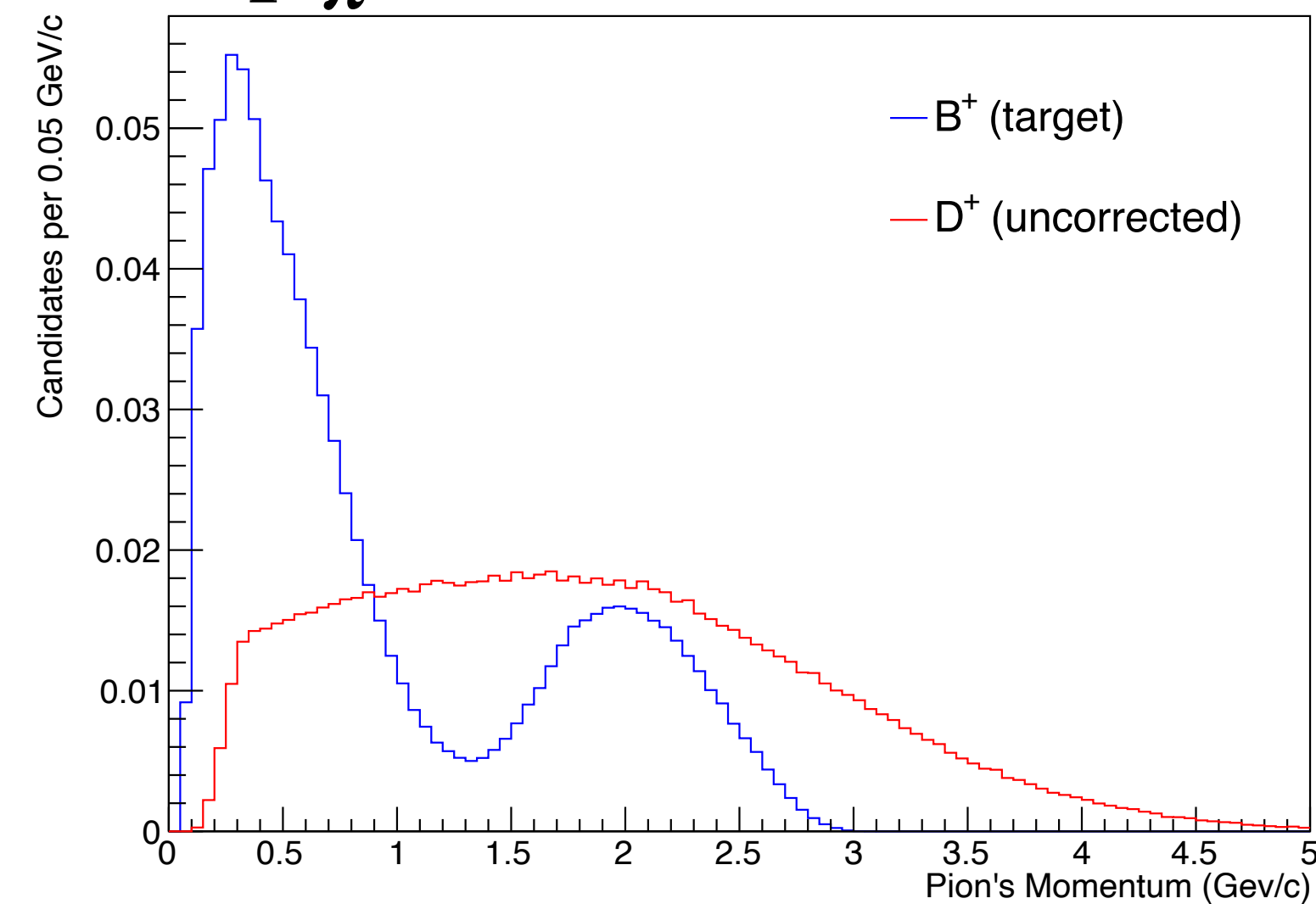
- $\mathcal{A}_{\text{det}}(\pi) = -0.0042 \pm 0.0012$ (target).

- $D^+ \rightarrow K_S^0\pi^+$ control channel.

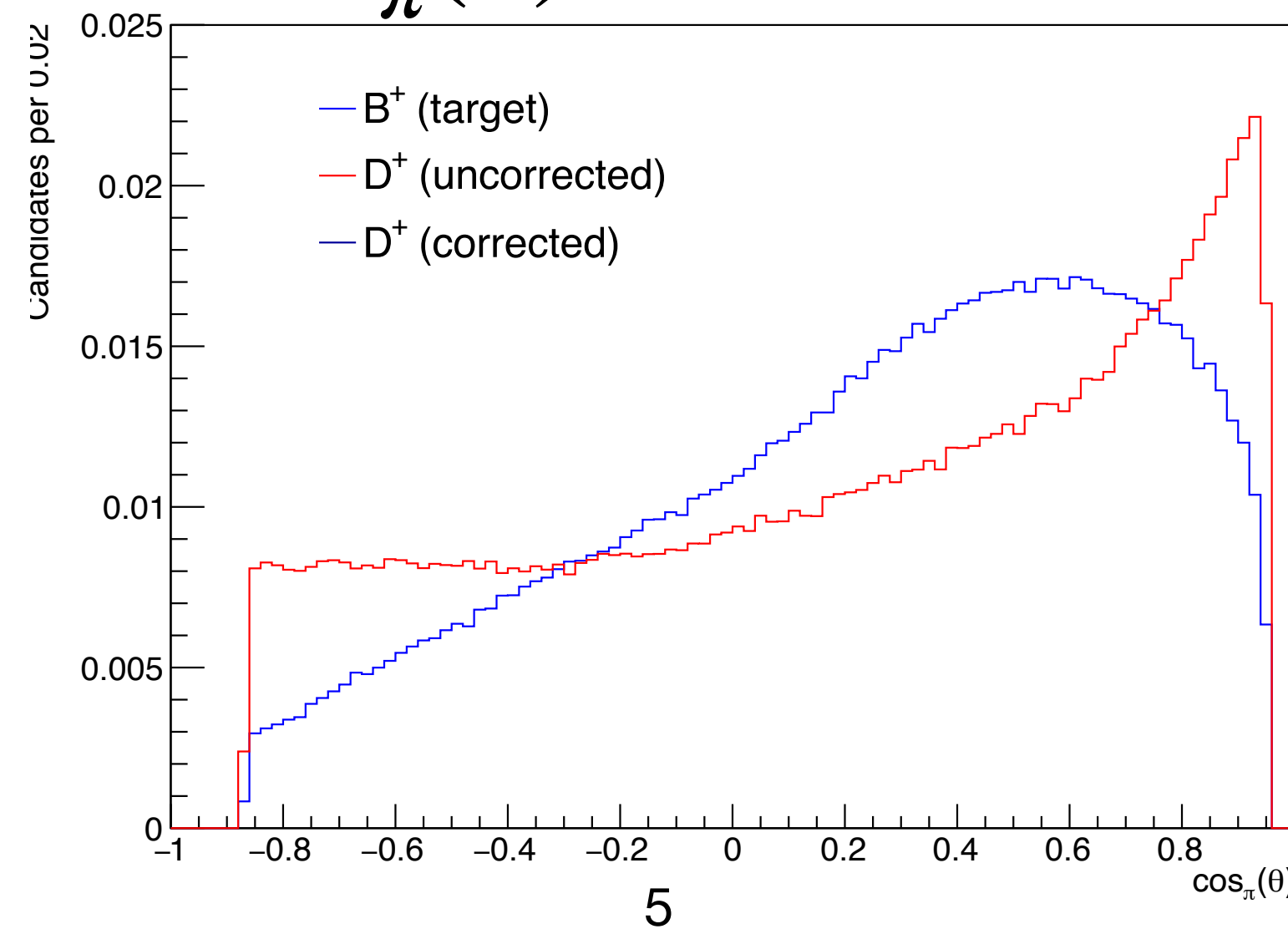
$$\mathcal{A}_{\text{det}}(\pi) = 0.0014 \pm 0.0015 \text{ (start value).}$$

- Different $\mathcal{A}_{\text{det}}(K\pi)$ values are expected since p_K , $\cos_K(\theta)$, CDChits(K) distributions differs:

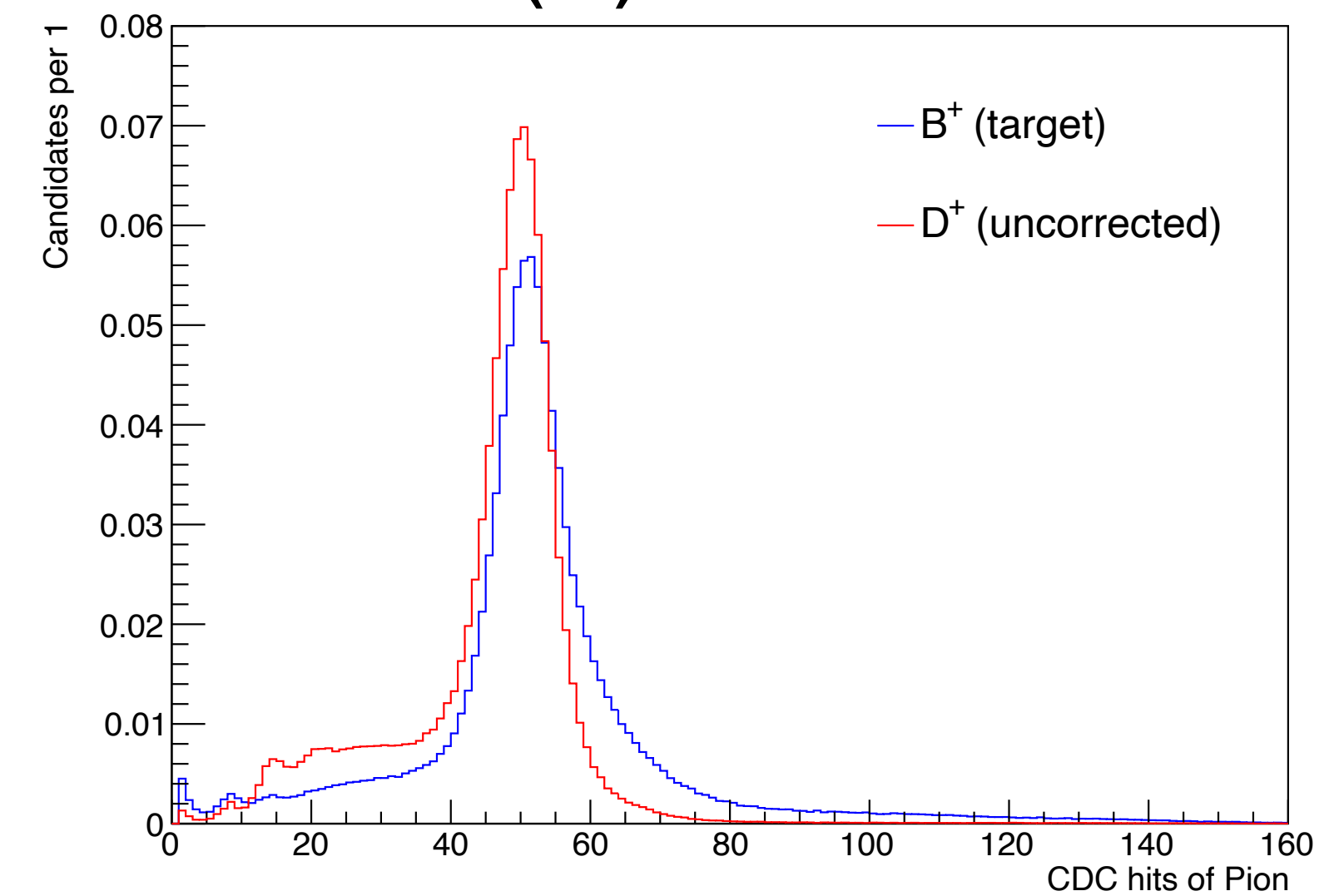
p_π distributions



$\cos_\pi(\theta)$ distributions

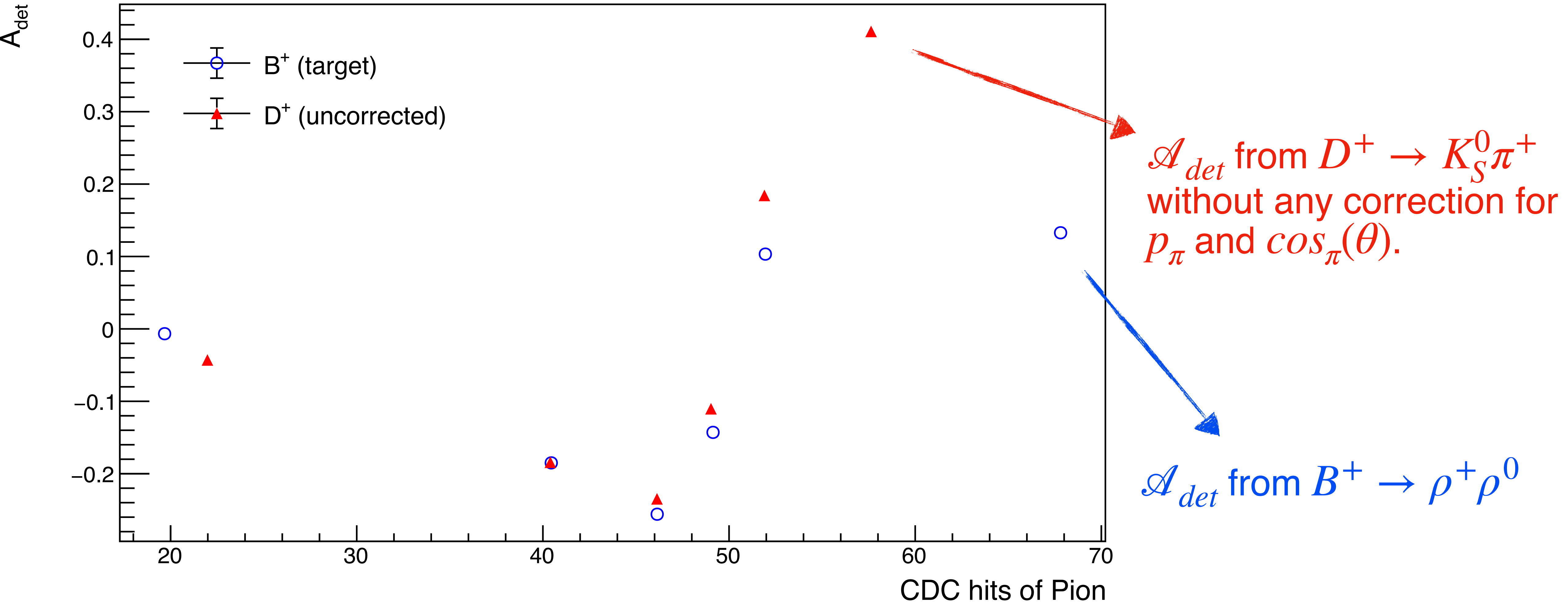


CDChits(π) distributions



$\mathcal{A}_{det}(\pi)$ closure-test with MC

$$\mathcal{A}_{obs} = \frac{N_{D^-} - N_{D^+}}{N_{D^-} + N_{D^+}}$$

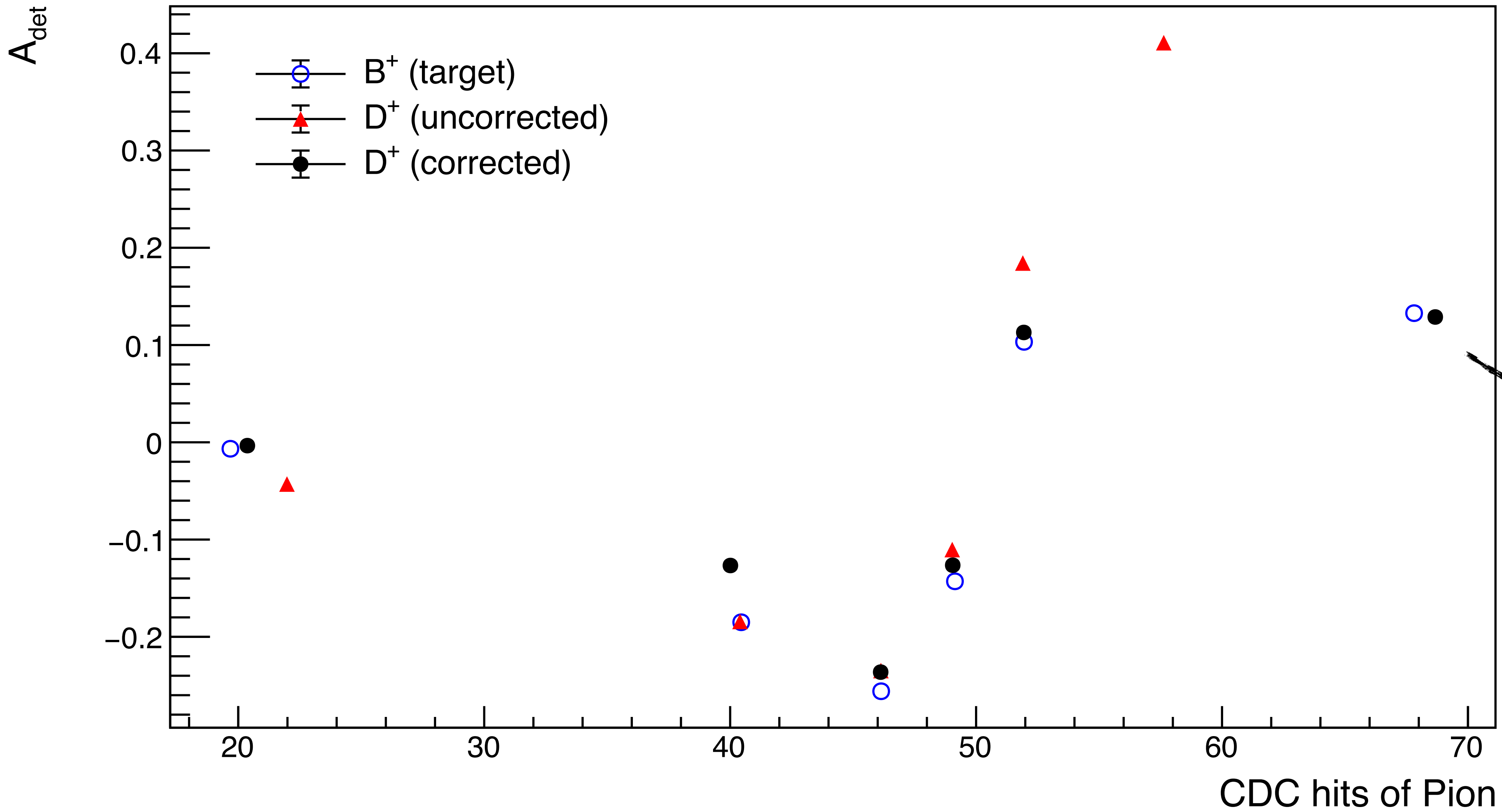


The points are placed at the average of the CDC hits distribution in the bin.

..correction with only momentum

$\mathcal{A}_{\text{det}}(\pi)$ closure-test with MC

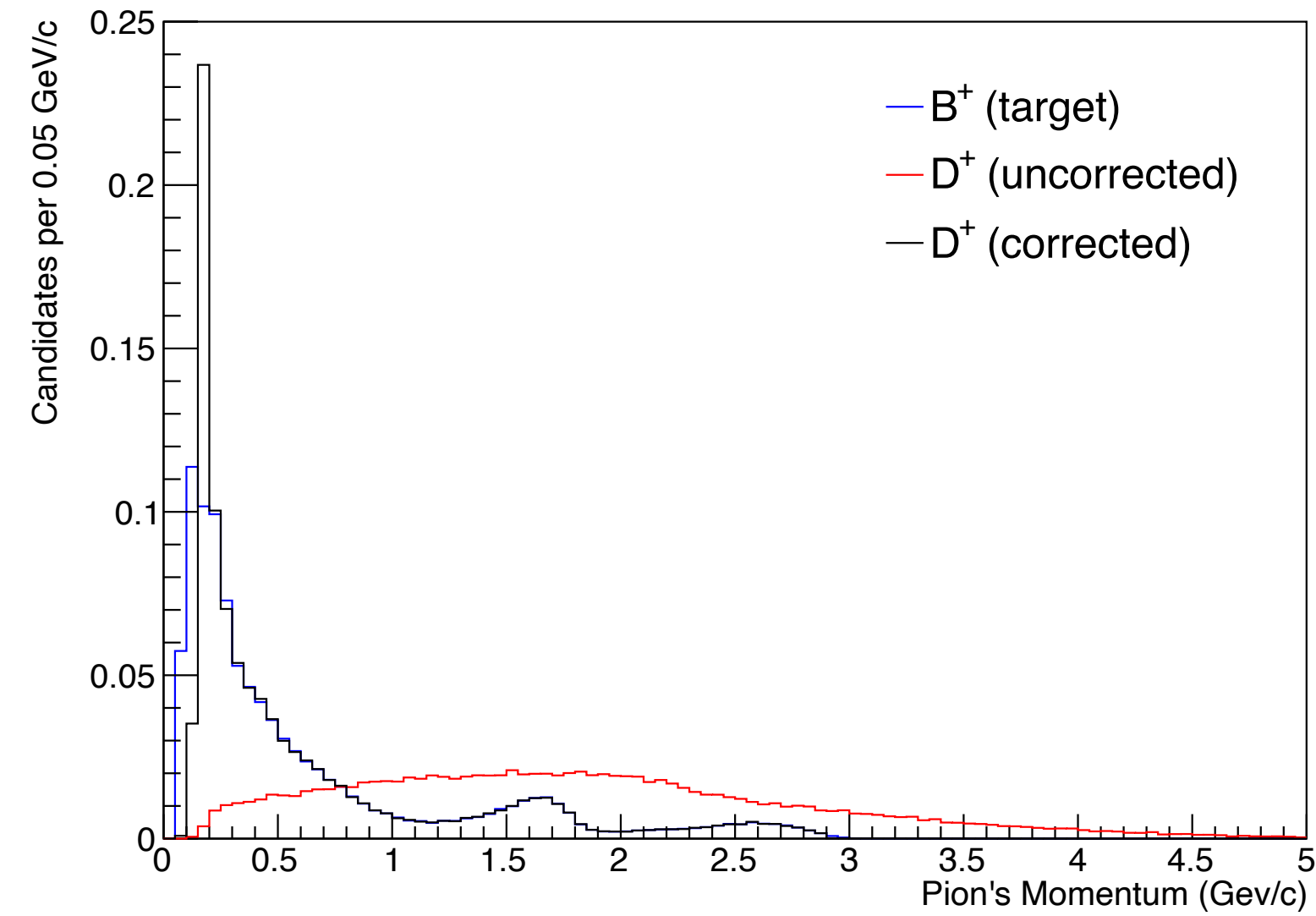
$$\mathcal{A}_{\text{obs}} = \frac{N_{D^-} - N_{D^+}}{N_{D^-} + N_{D^+}}$$



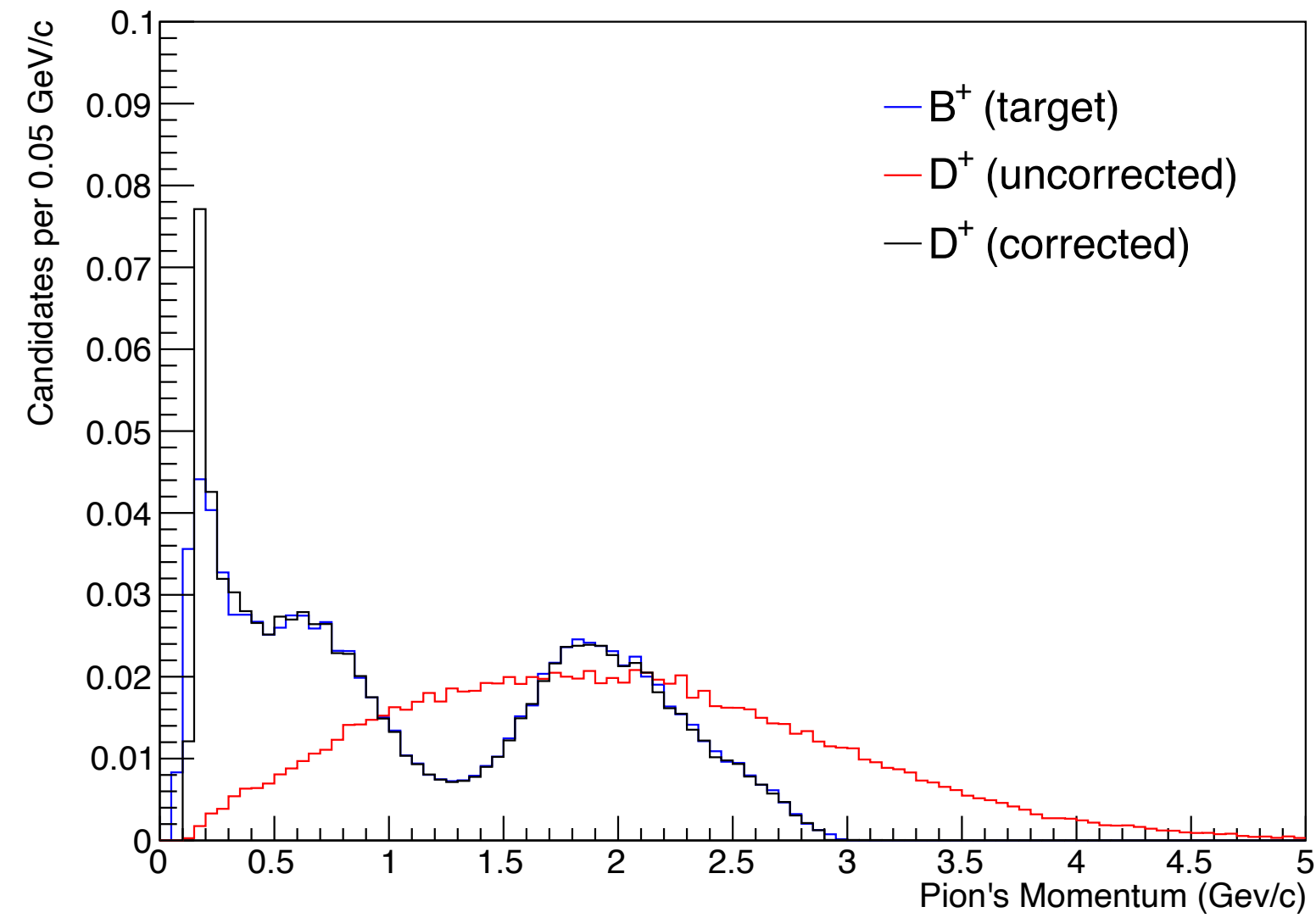
\mathcal{A}_{det} from $D^+ \rightarrow K_S^0 \pi^+$
after the correction with
only momentum

p_π distribution

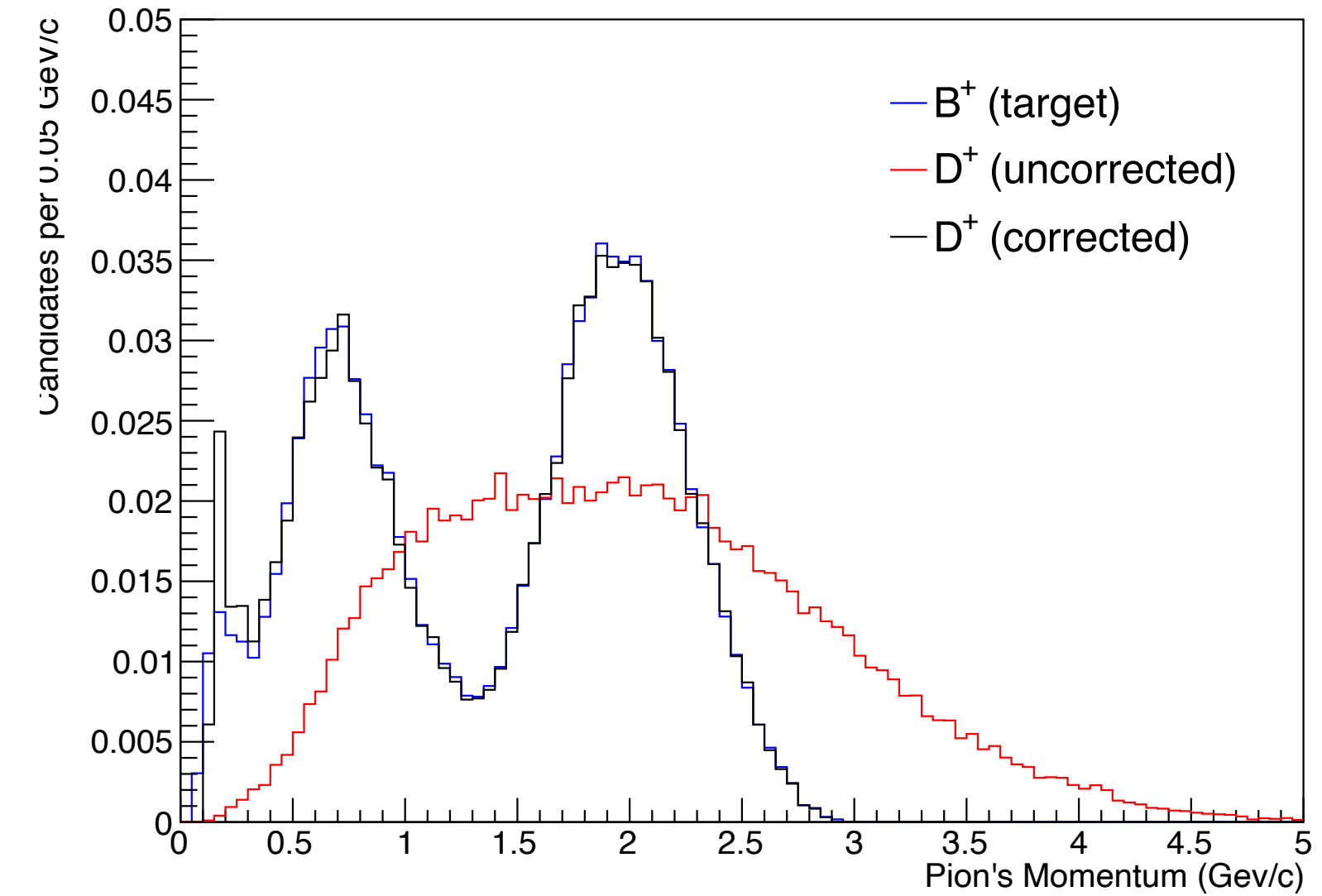
Bin1: $0 < \text{hits} < 45$



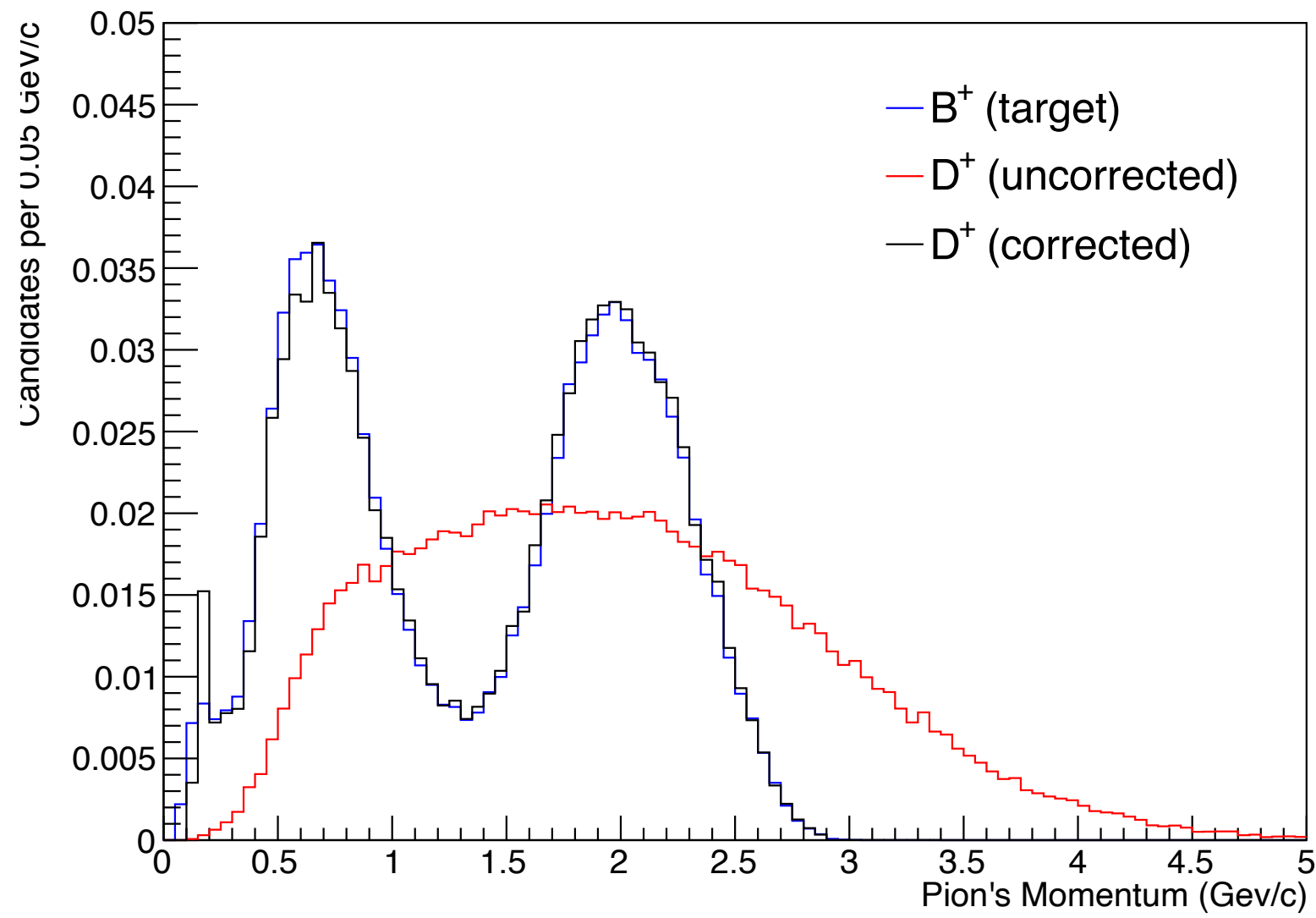
Bin2: $34 \leq \text{hits} < 45$



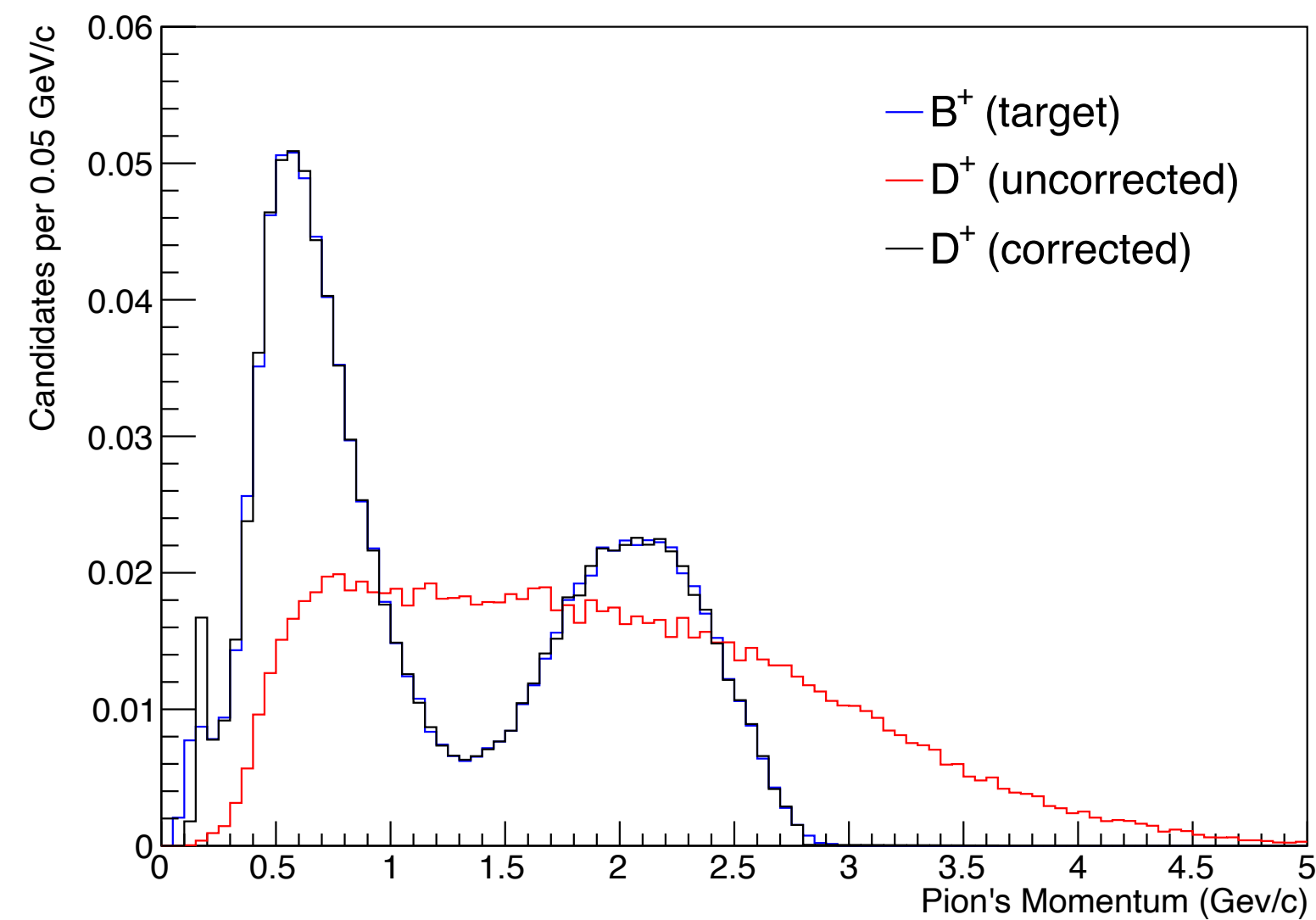
Bin3: $45 \leq \text{hits} < 48$



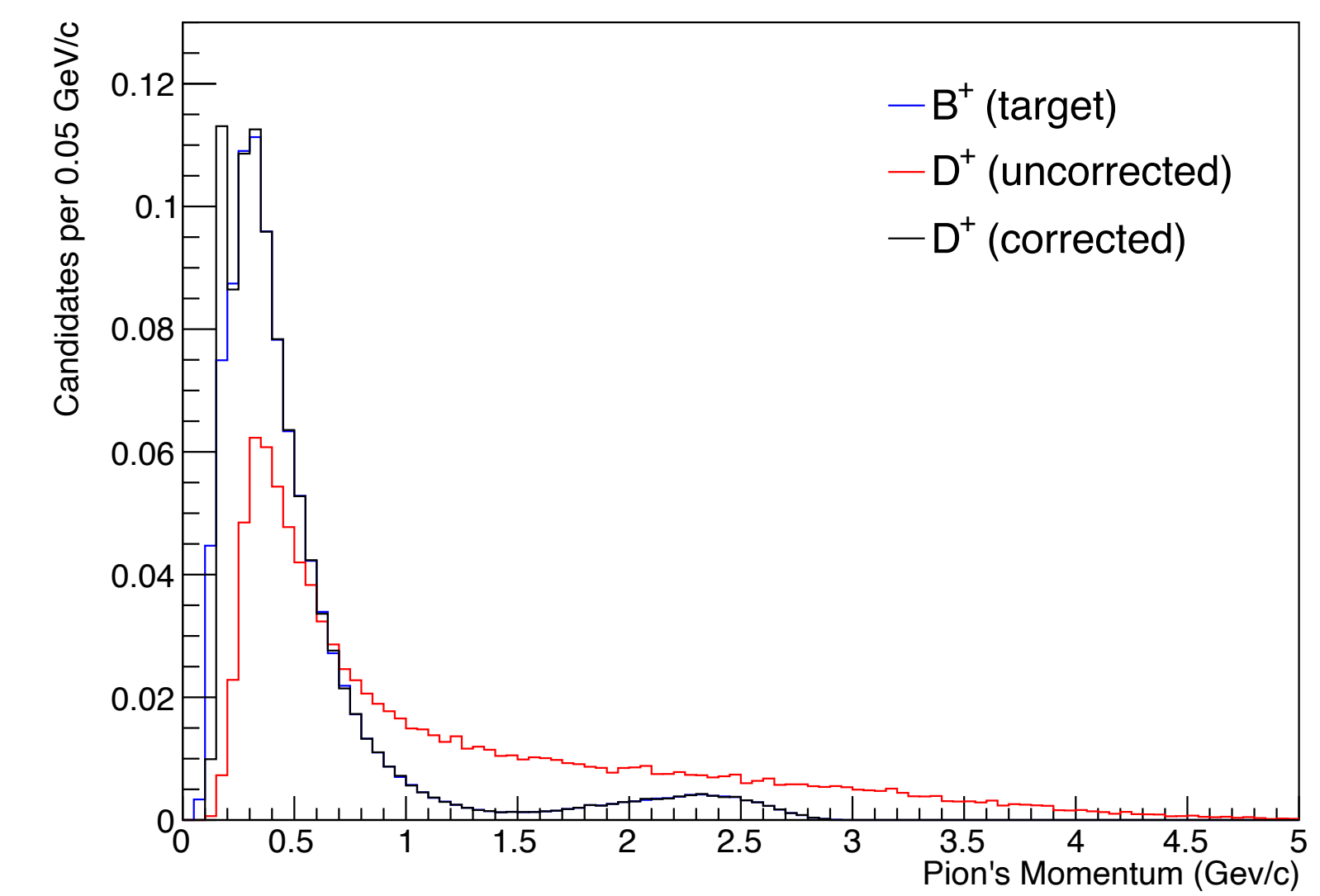
Bin4: $48 \leq \text{hits} < 51$



Bin5: $51 \leq \text{hits} < 54$



Bin6: $\text{hits} \geq 54$



$\mathcal{A}_{det}(\pi)$ closure-test with MC

No. of events in a bin of CDC hits of B^+ target sample

Bin of CDC hits	Fraction
$0 < \mathbf{hits} < 34$	0.10537331
$34 \leq \mathbf{hits} < 45$	0.10926004
$45 \leq \mathbf{hits} < 48$	0.10091464
$48 \leq \mathbf{hits} < 51$	0.15813711
$51 \leq \mathbf{hits} < 54$	0.15879321
$54 \leq \mathbf{hits}$	0.36752167

Total events

$$w_{bin} = \left(\frac{N_{bin}}{N_{total}} \right)_{B \rightarrow \rho\rho}$$

$$\mathcal{A} = \frac{\sum_{bin} \frac{w_{bin} \times (\mathcal{A}_{bin})_{D \rightarrow K_S \pi}}{\sigma_{bin}^2}}{\sum_{bin} \frac{1}{\sigma_{bin}^2}}$$

$$\sigma^2 = \frac{1}{\sum_{bin} \frac{1}{\sigma_{bin}^2}}$$

$$\mathcal{A}_{det}(\pi) = 0.0013 \pm 0.0015$$

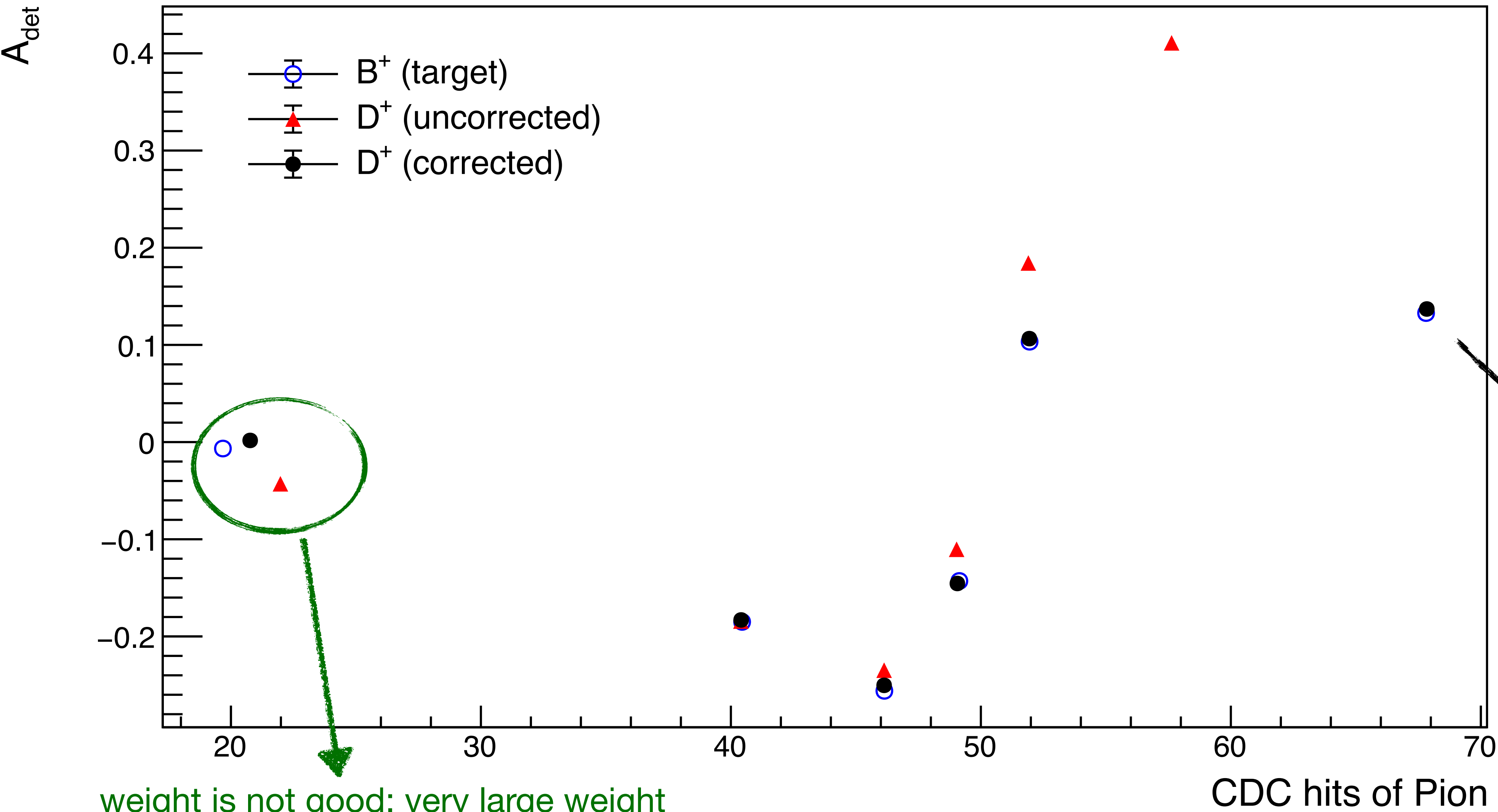
(after correction with only momentum)

$$\mathcal{A}_{det}(\pi) = -0.0042 \pm 0.0012 \text{ (target)}$$

**..correction with momentum and
polar angle**

$\mathcal{A}_{det}(\pi)$ closure-test with MC

$$\mathcal{A}_{obs} = \frac{N_{D^-} - N_{D^+}}{N_{D^-} + N_{D^+}}$$

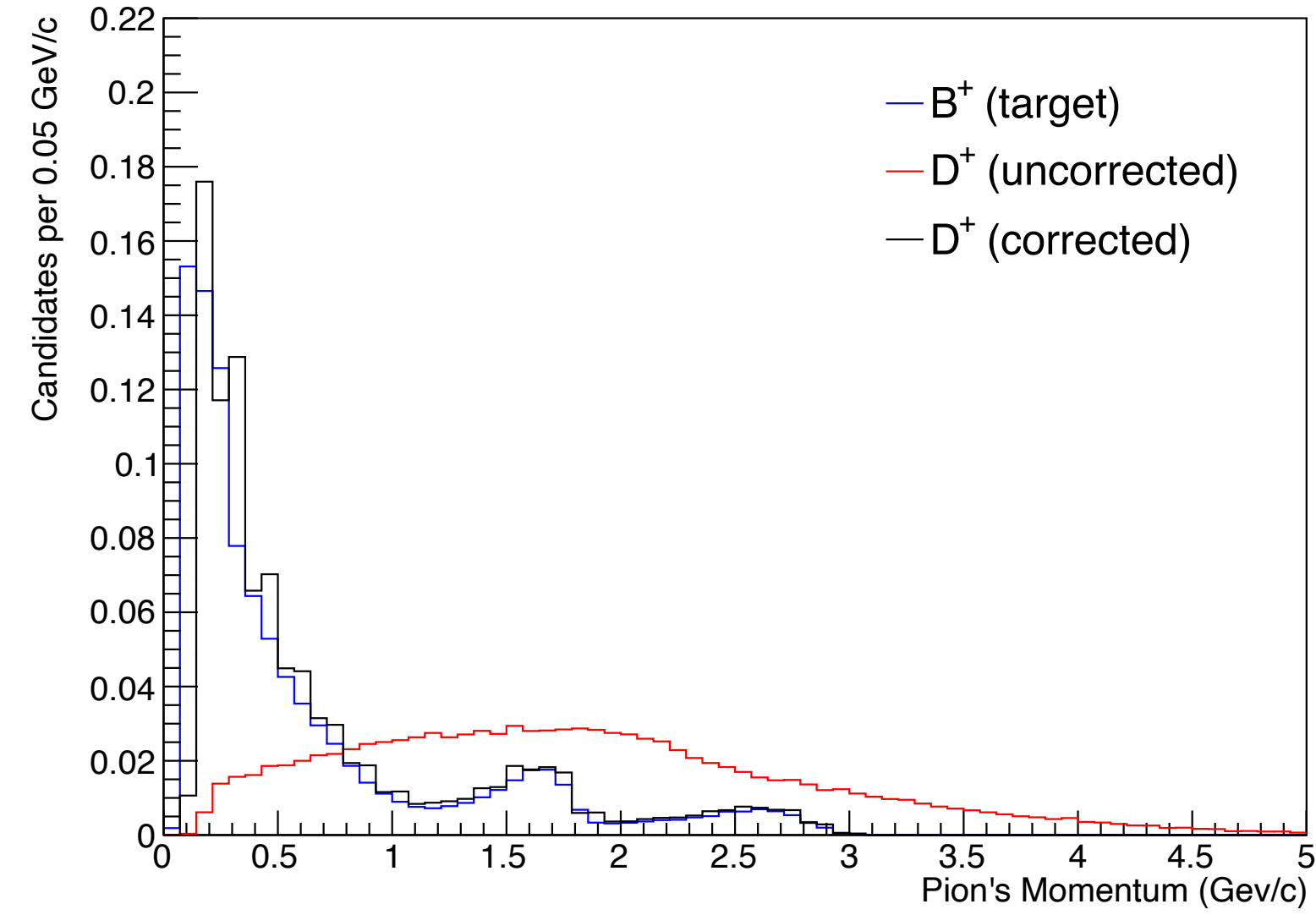


\mathcal{A}_{det} from $D^+ \rightarrow K_S^0 \pi^+$
after the correction with
momentum and polar
angle

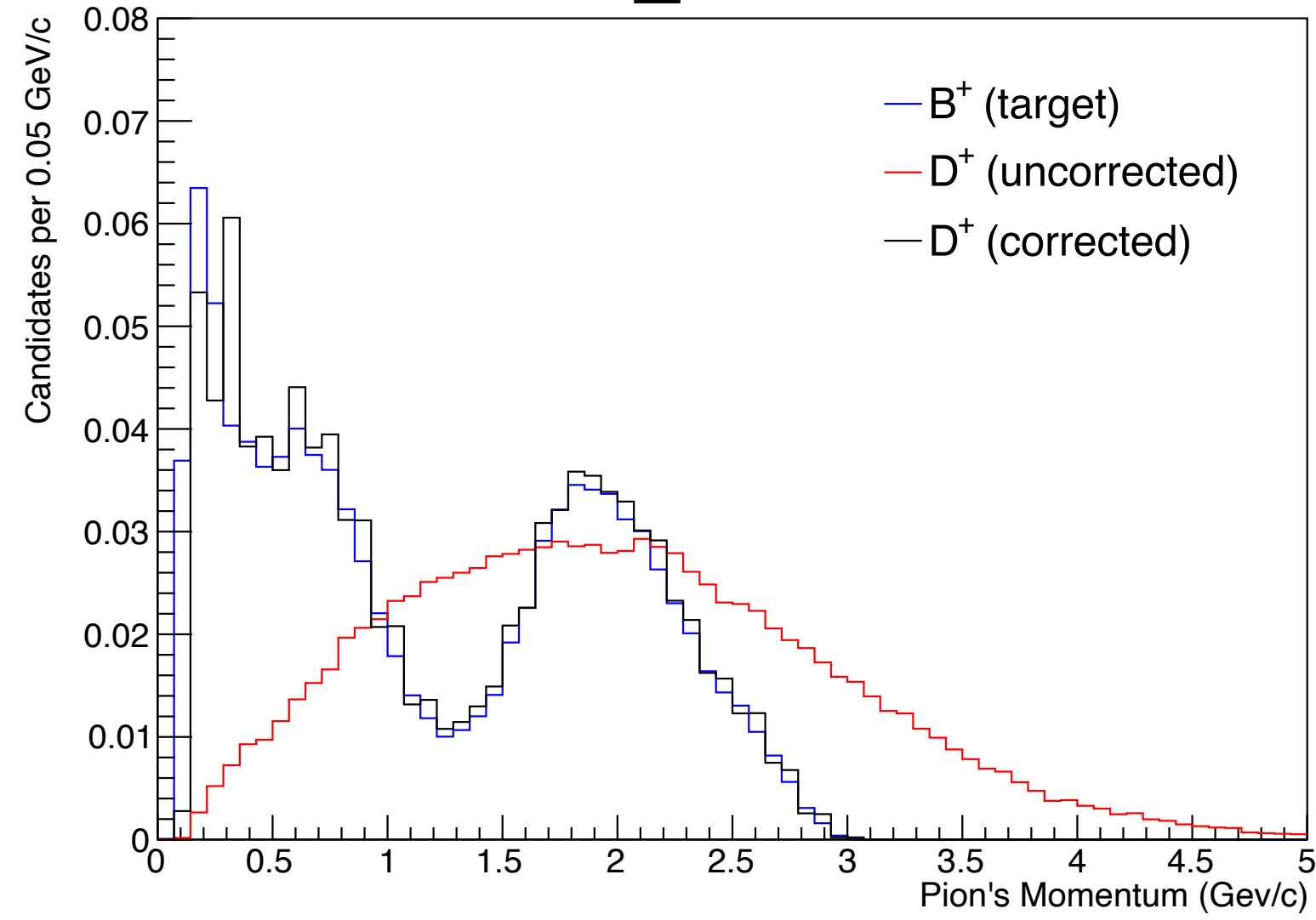
weight is not good: very large weight
weight above 1000 forced to 1
(may relate to $\cos_{\pi}(\theta)$ distribution)

p_π distribution

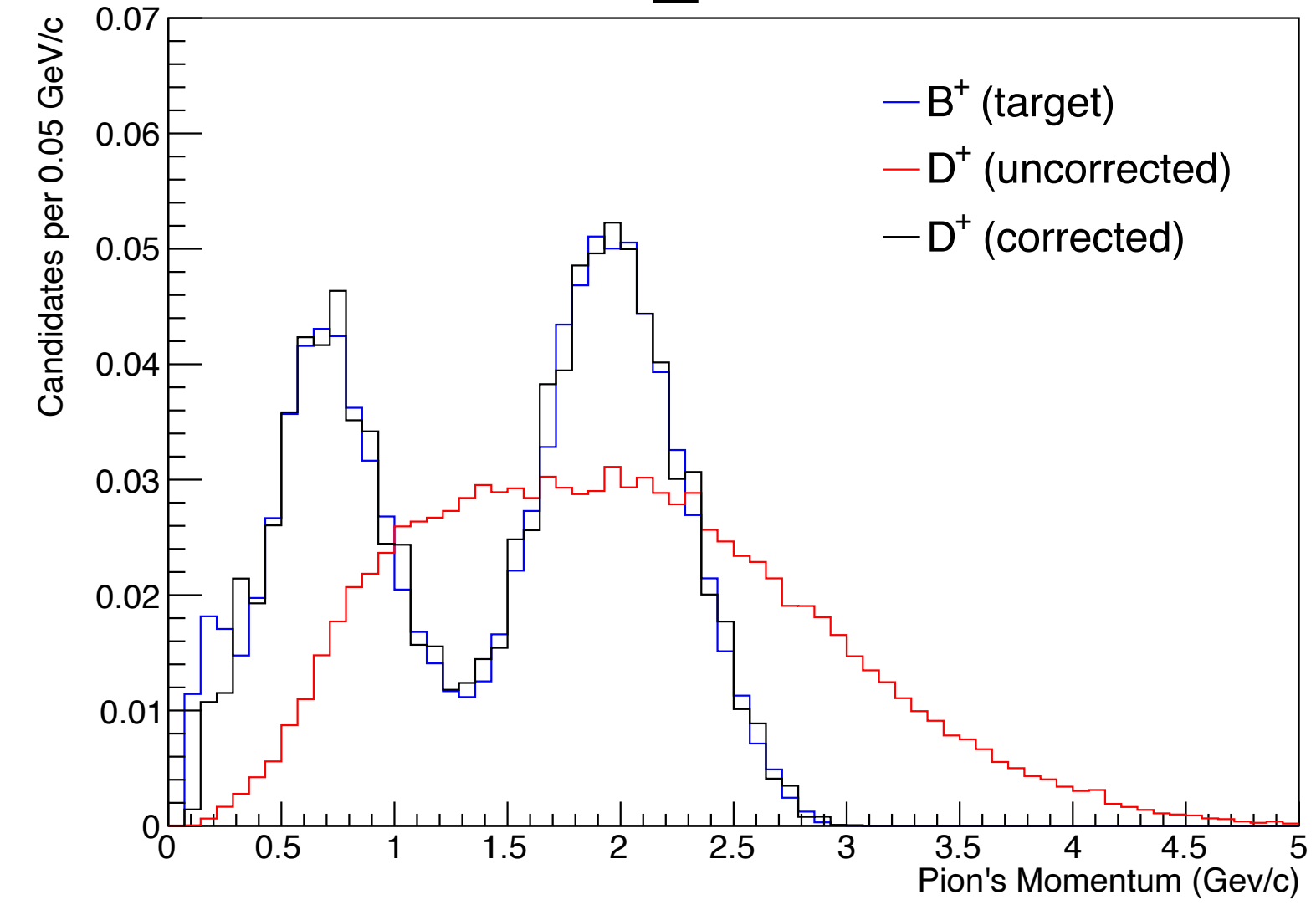
Bin1: $0 < \text{hits} < 45$



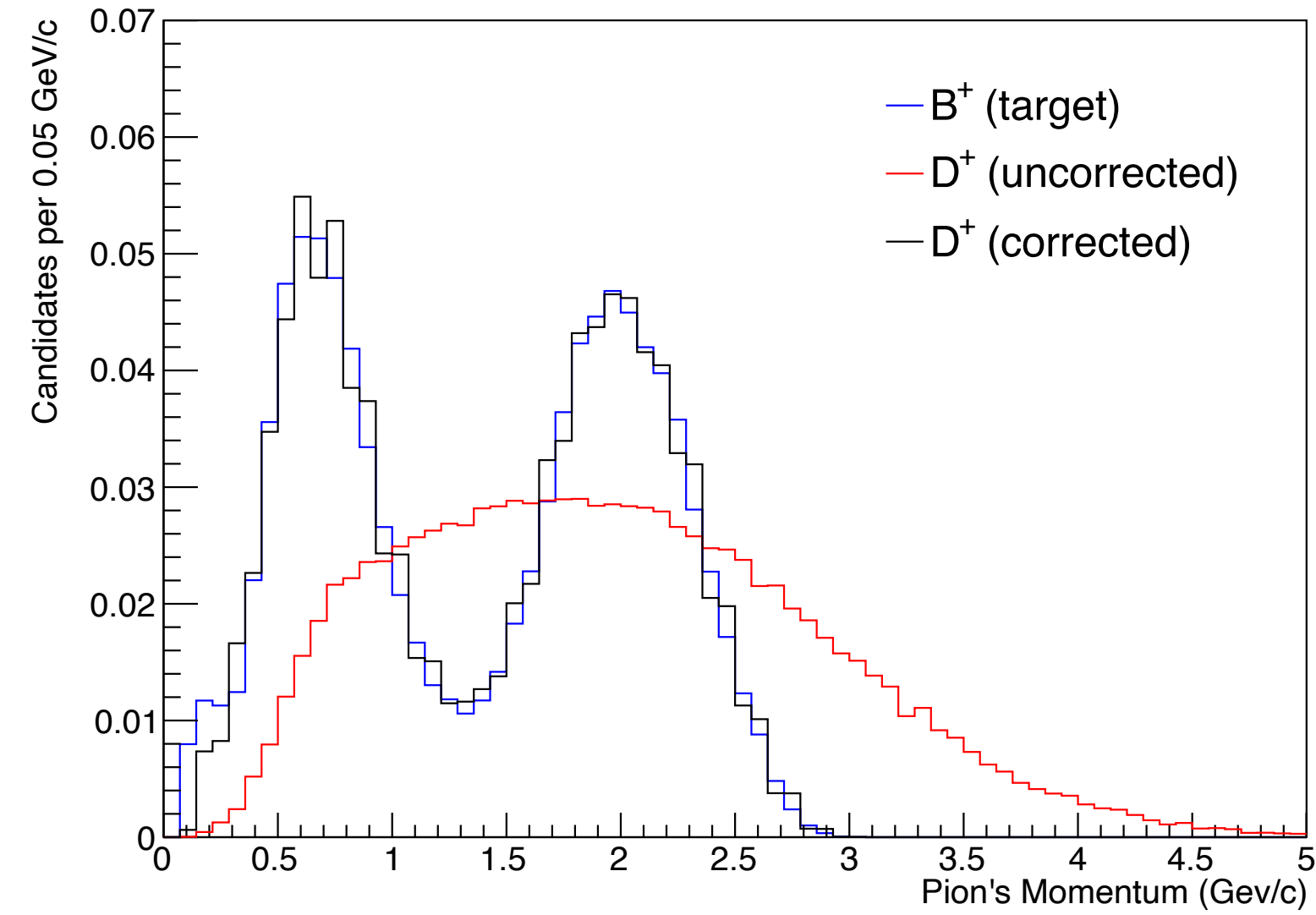
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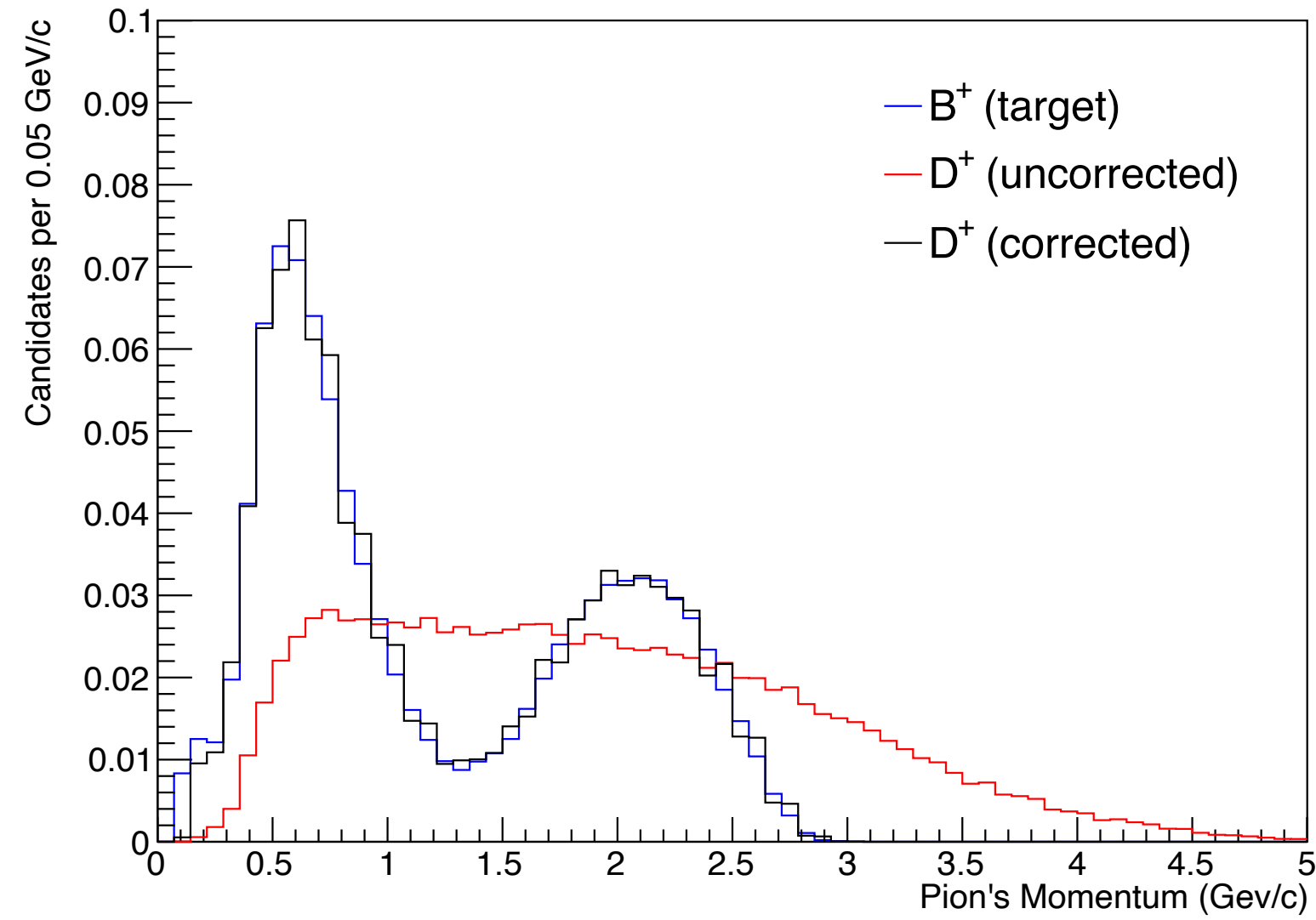
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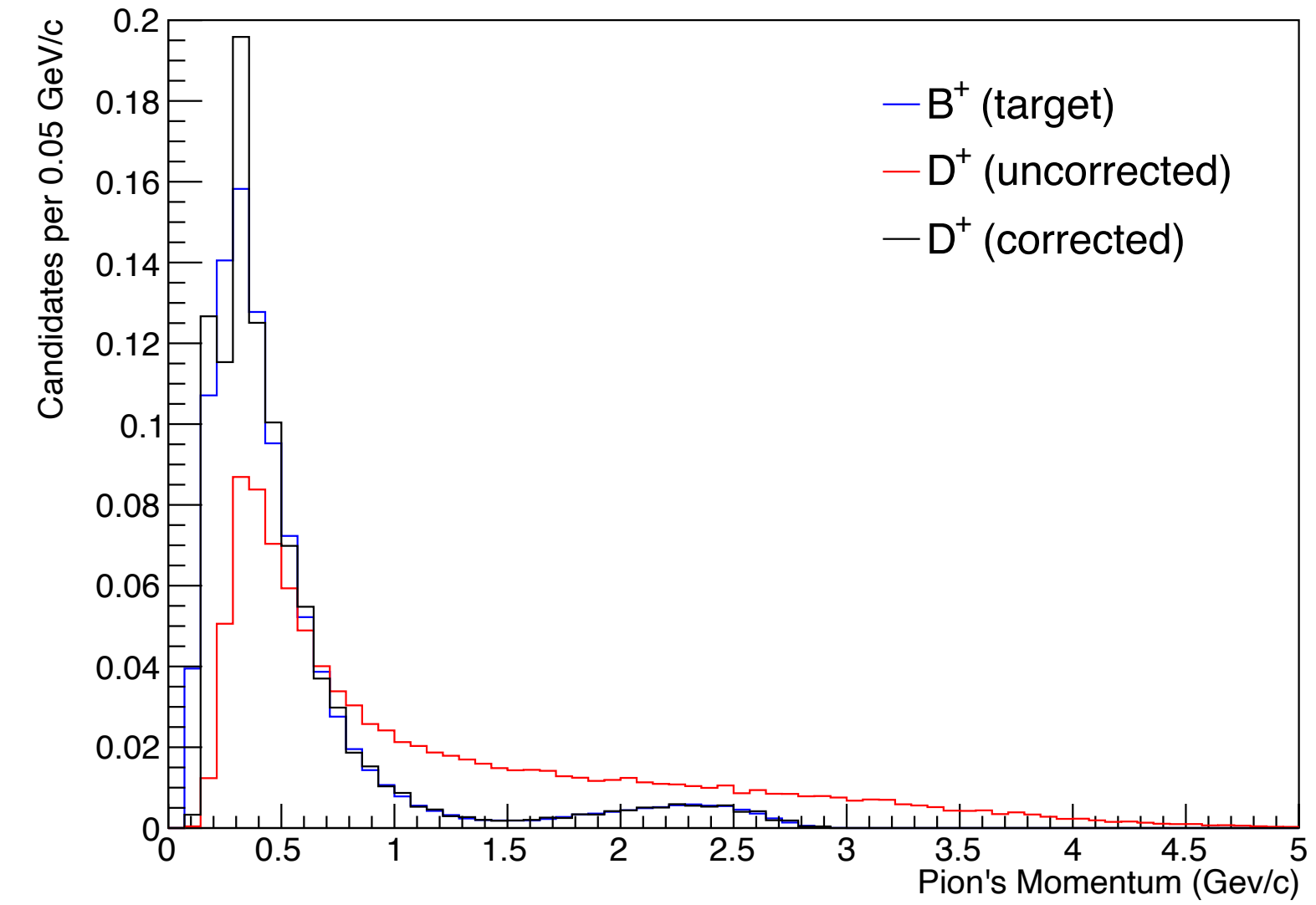
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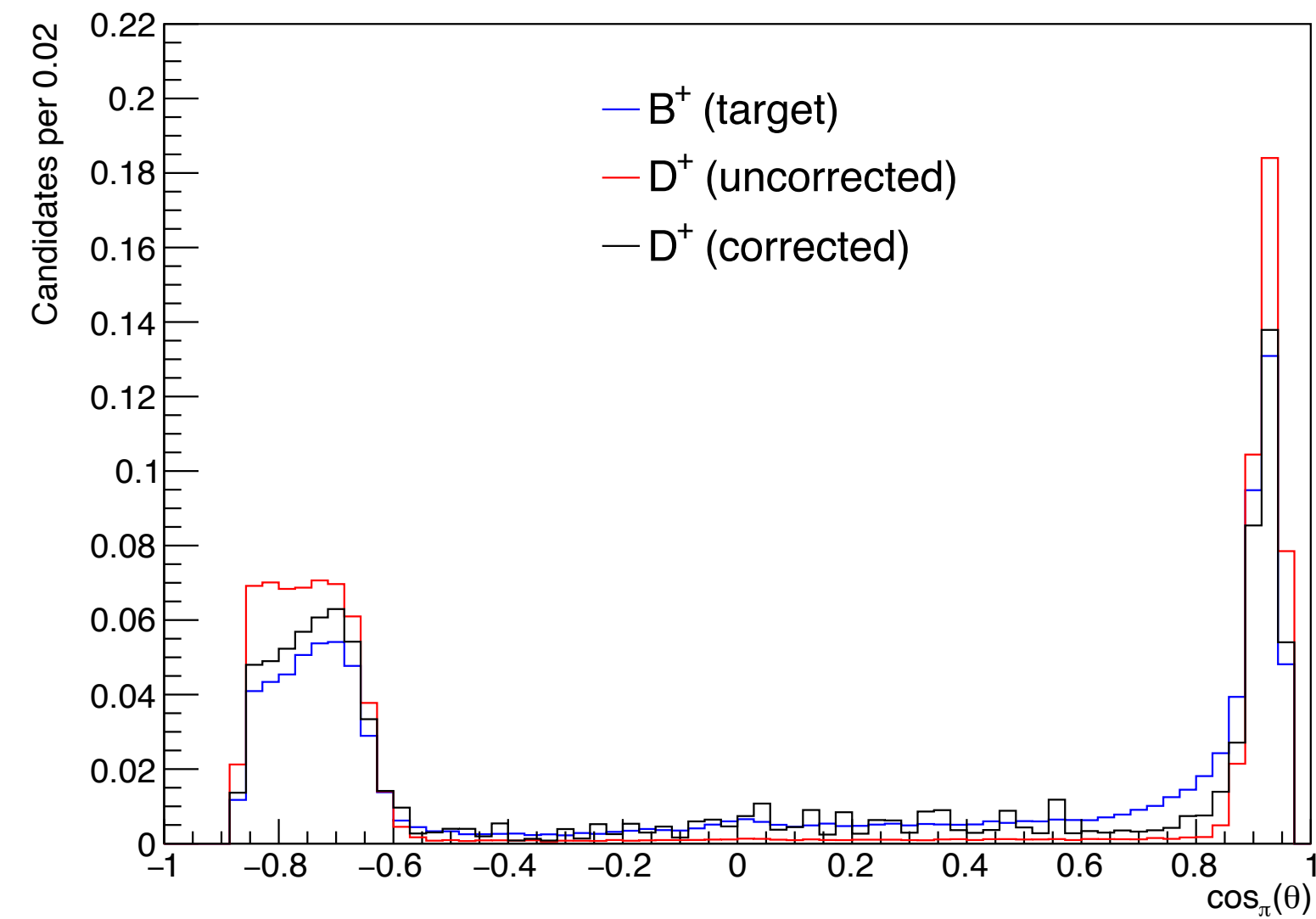


Bin6: $\text{hits} \geq 54$

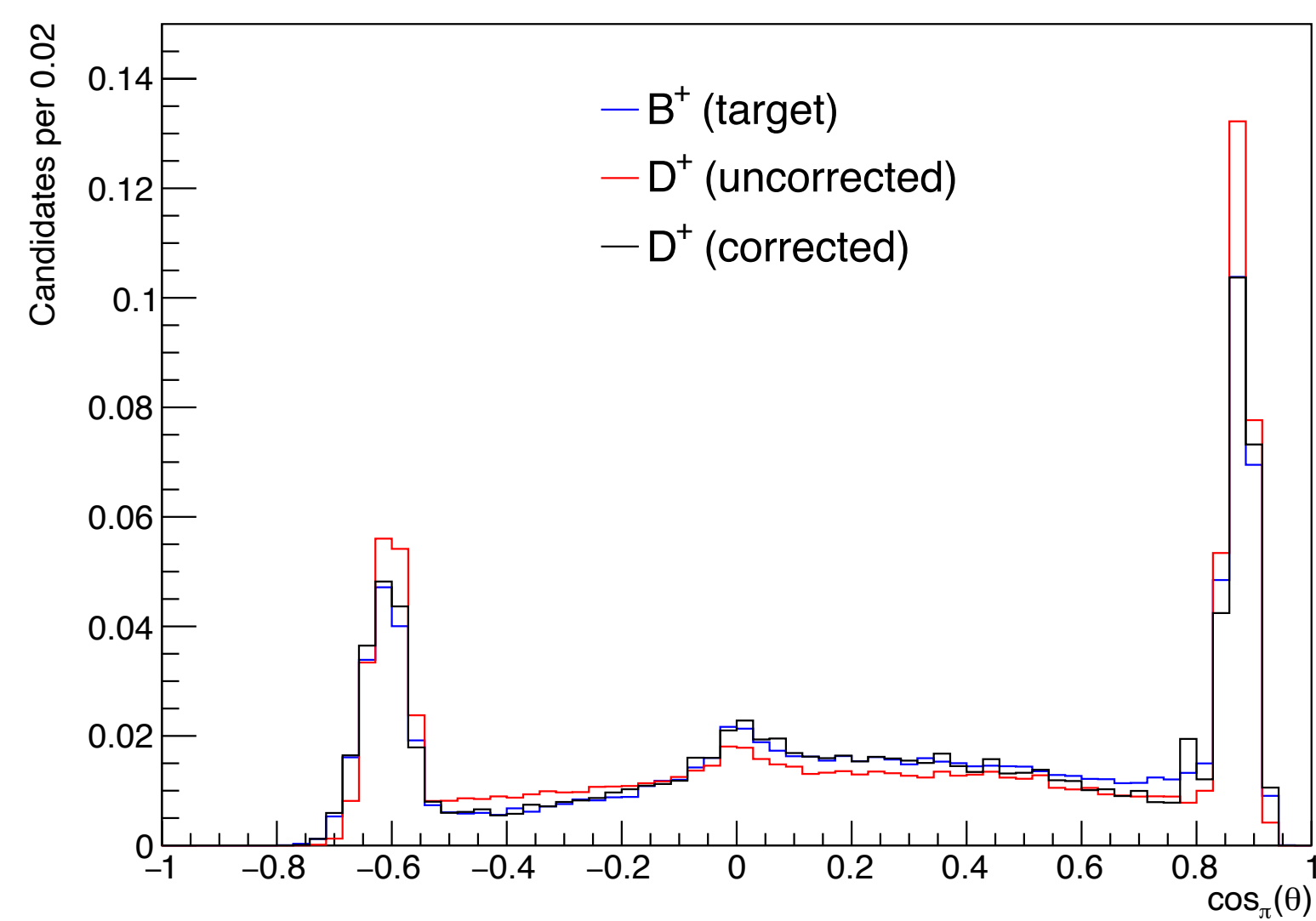


$\cos_{\pi}(\theta)$ distribution

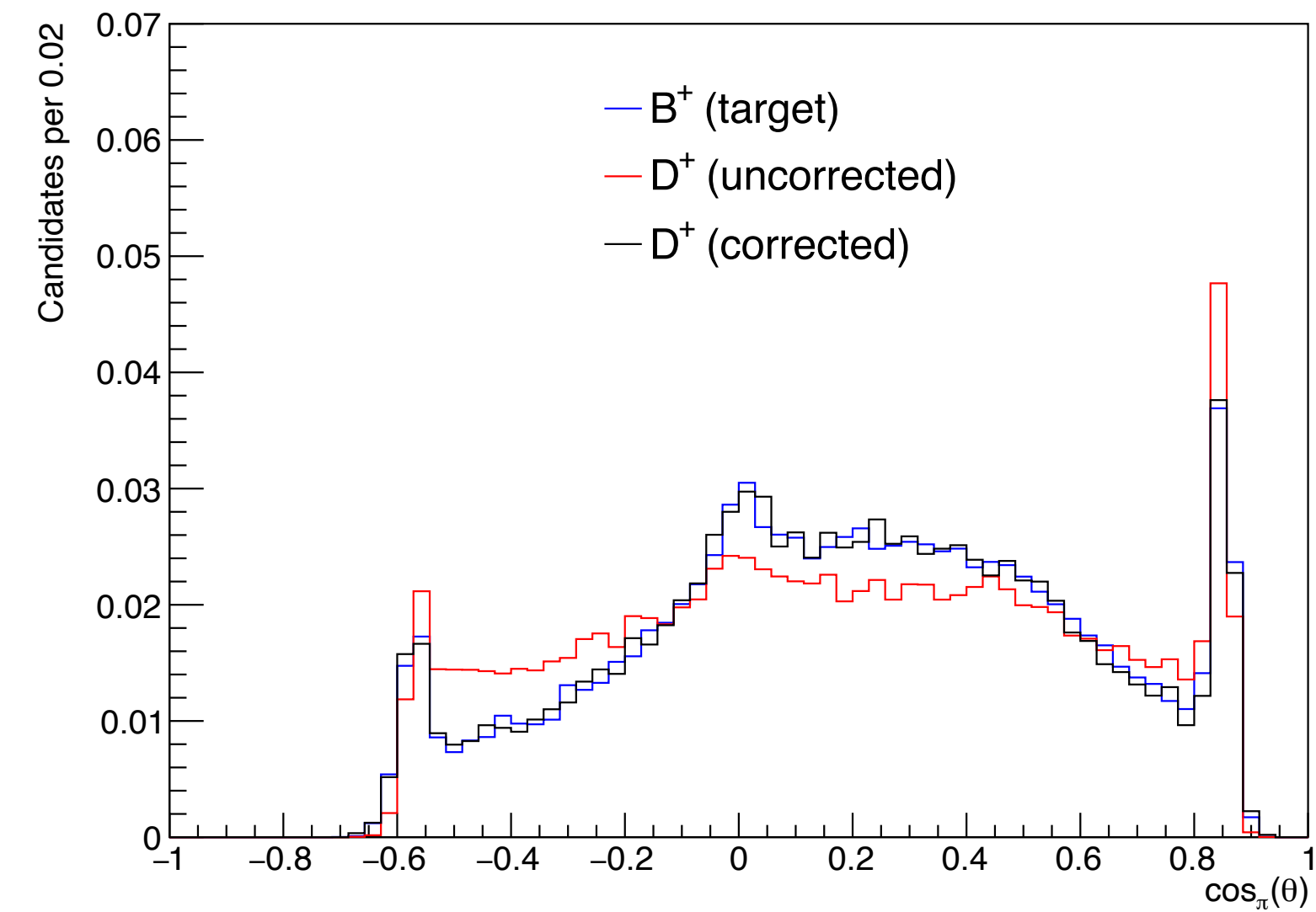
Bin1: $0 < \text{hits} < 45$



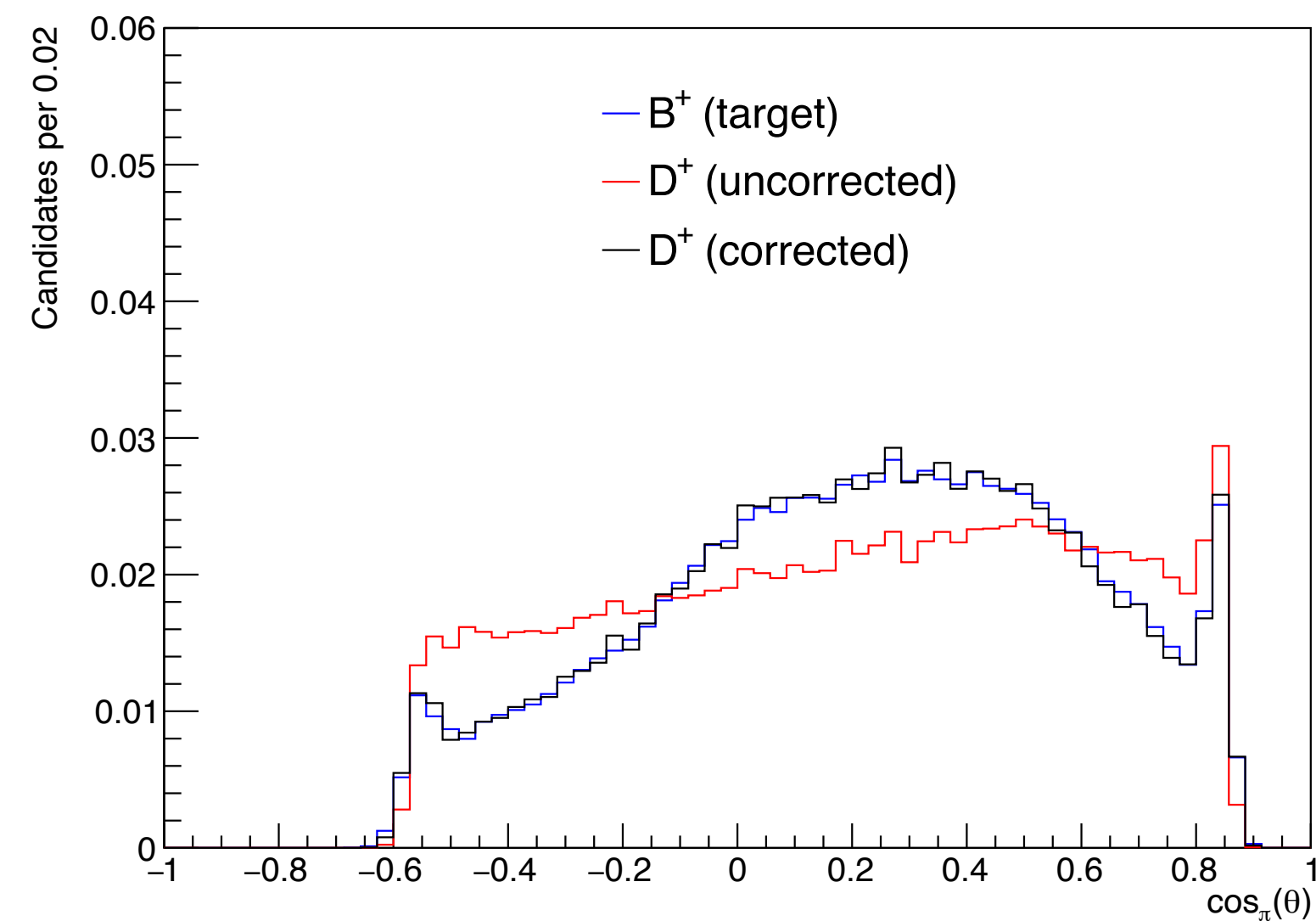
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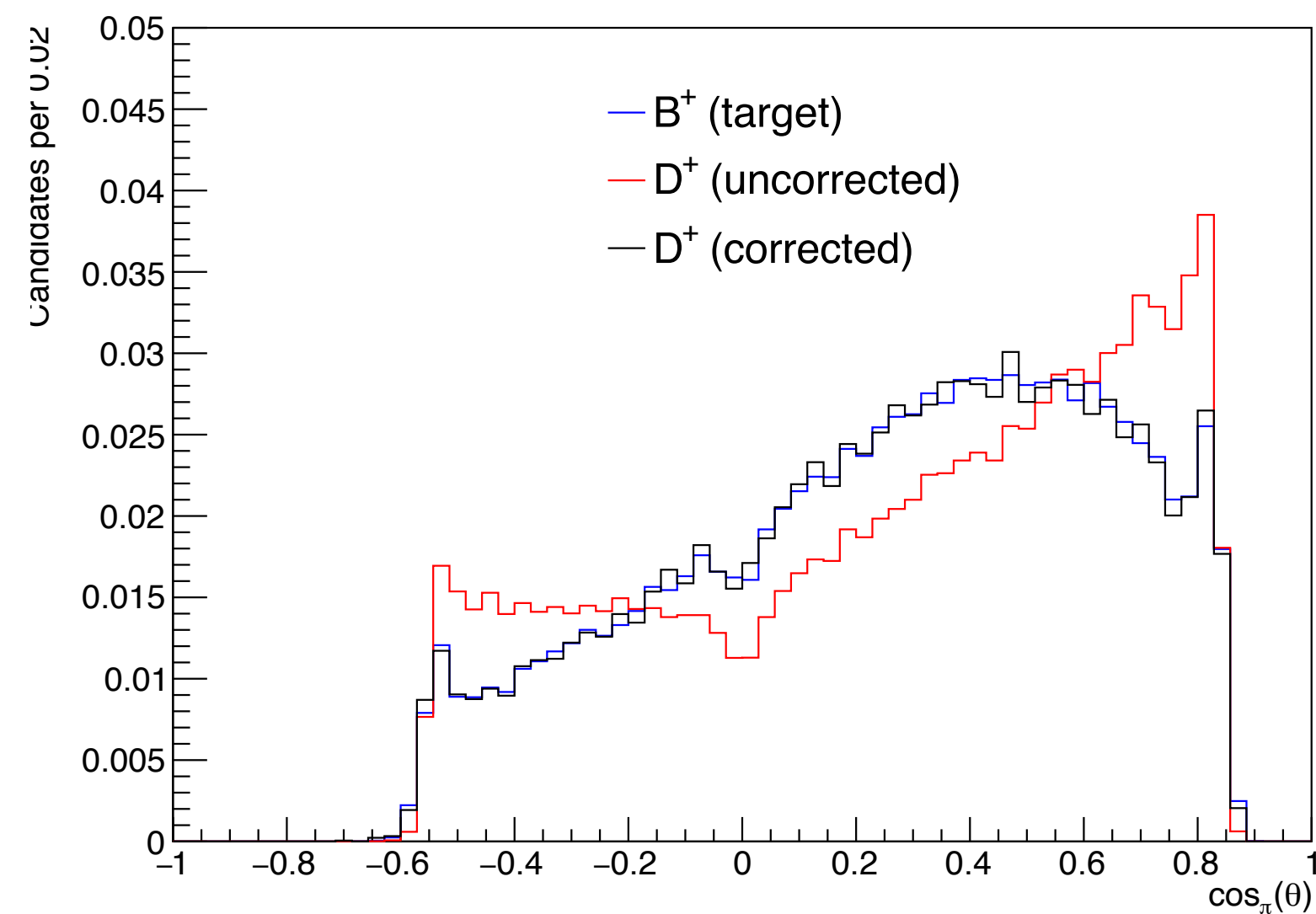
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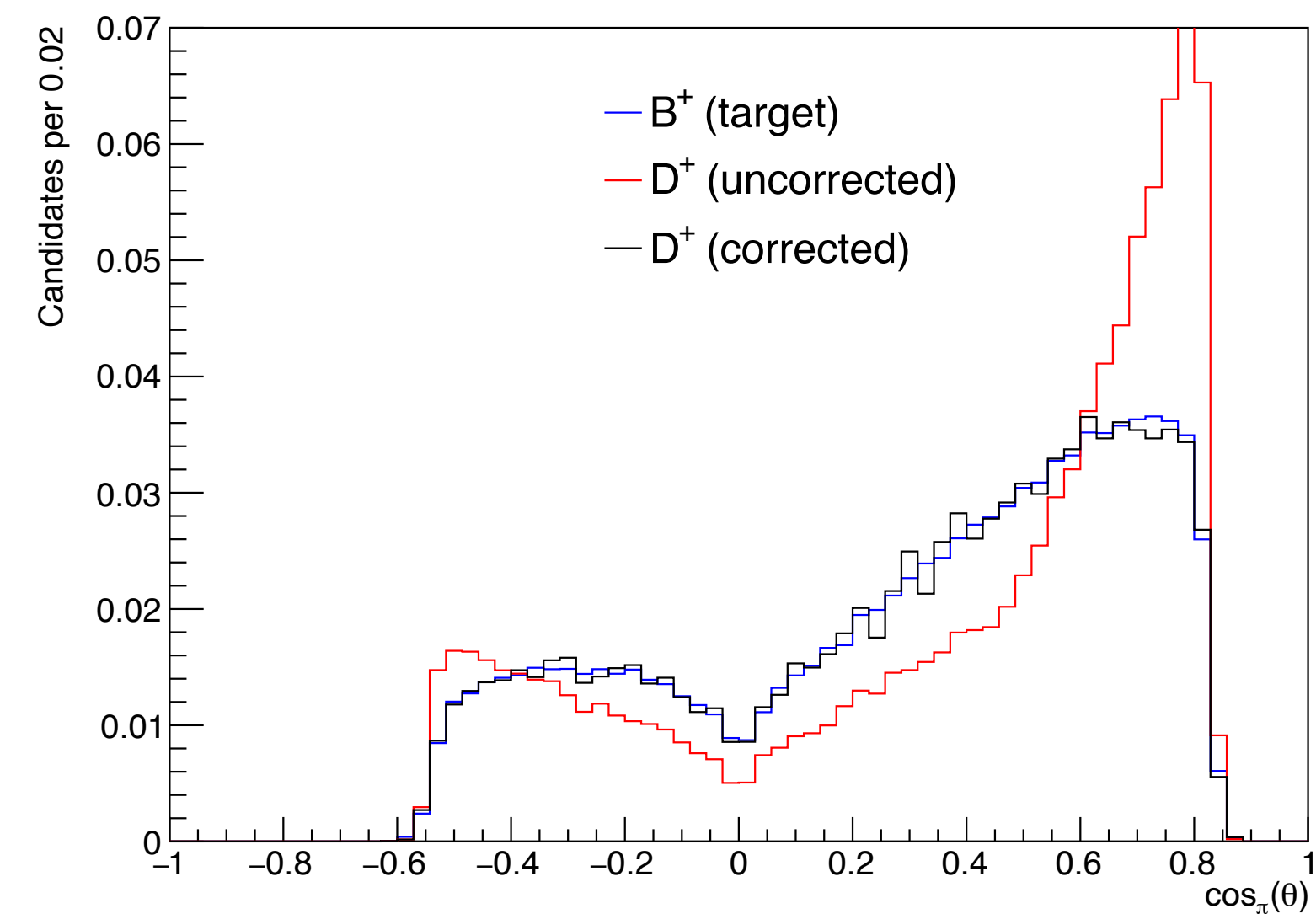
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Total events

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$$\mathcal{A}_{\text{det}}(\pi) = -0.0002 \pm 0.0015$$

(after correction with momentum and polar angle)

$$\mathcal{A}_{\text{det}}(\pi) = -0.0042 \pm 0.0012 \text{ (target)}$$

$\sim 2.1\sigma$ away