



Instrumental asymmetries

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Belle II Italy
May 29, 2022

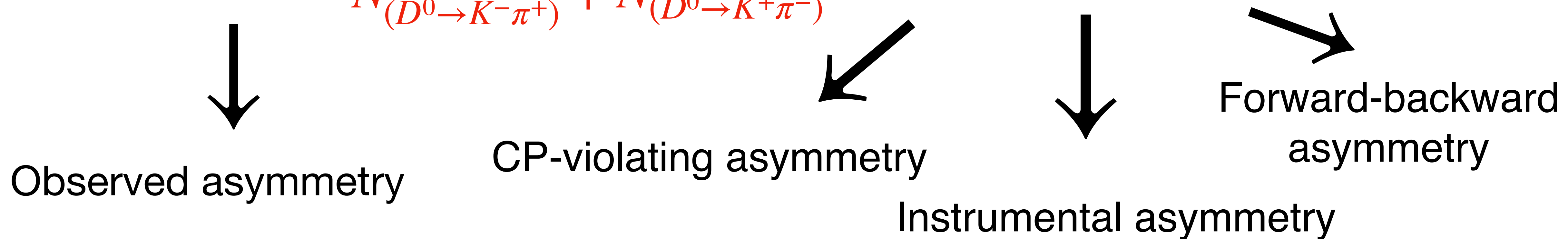
Motivation

- *Measurement of CP asymmetries in B decays are a key part of the Belle II physics program.*
E.g. $\mathcal{A}_{CP}(B^+ \rightarrow D^0 K^+)$ to measure γ , $\mathcal{A}_{CP}(B^+ \rightarrow \rho^+ \rho^0)$ and $\mathcal{A}_{CP}(B^+ \rightarrow \pi^+ \pi^0)$ for α , $\mathcal{A}_{CP}(B^+ \rightarrow K^+ \pi^0)$ for testing isospin sum-rules.
- *To measure CP asymmetries in these decays we need to subtract spurious asymmetries introduced due to:*
 1. *Different interaction cross section of particle/antiparticle (e.g. K^+ / K^-) with the detector;*
 2. *Different reconstruction and PID efficiencies for oppositely charged particles.*
- *These detection asymmetries (\mathcal{A}_{det}) can be measured with high precision using control channels with expected CPV ~ 0 (or known with high precision).*
- *We measured $\mathcal{A}_{det}(K\pi)$ and $\mathcal{A}_{det}(\pi)$ using $D^0 \rightarrow K^- \pi^+$ and $D^+ \rightarrow K_s^0 \pi^+$ decays. From these, we can also obtain $\mathcal{A}_{det}(K)$.*

\mathcal{A}_{det} from D control channels

- Observed charge asymmetries \mathcal{A}_{obs} are due to the combination of CP-violating effects, instrumental asymmetries and forward-backward asymmetry.

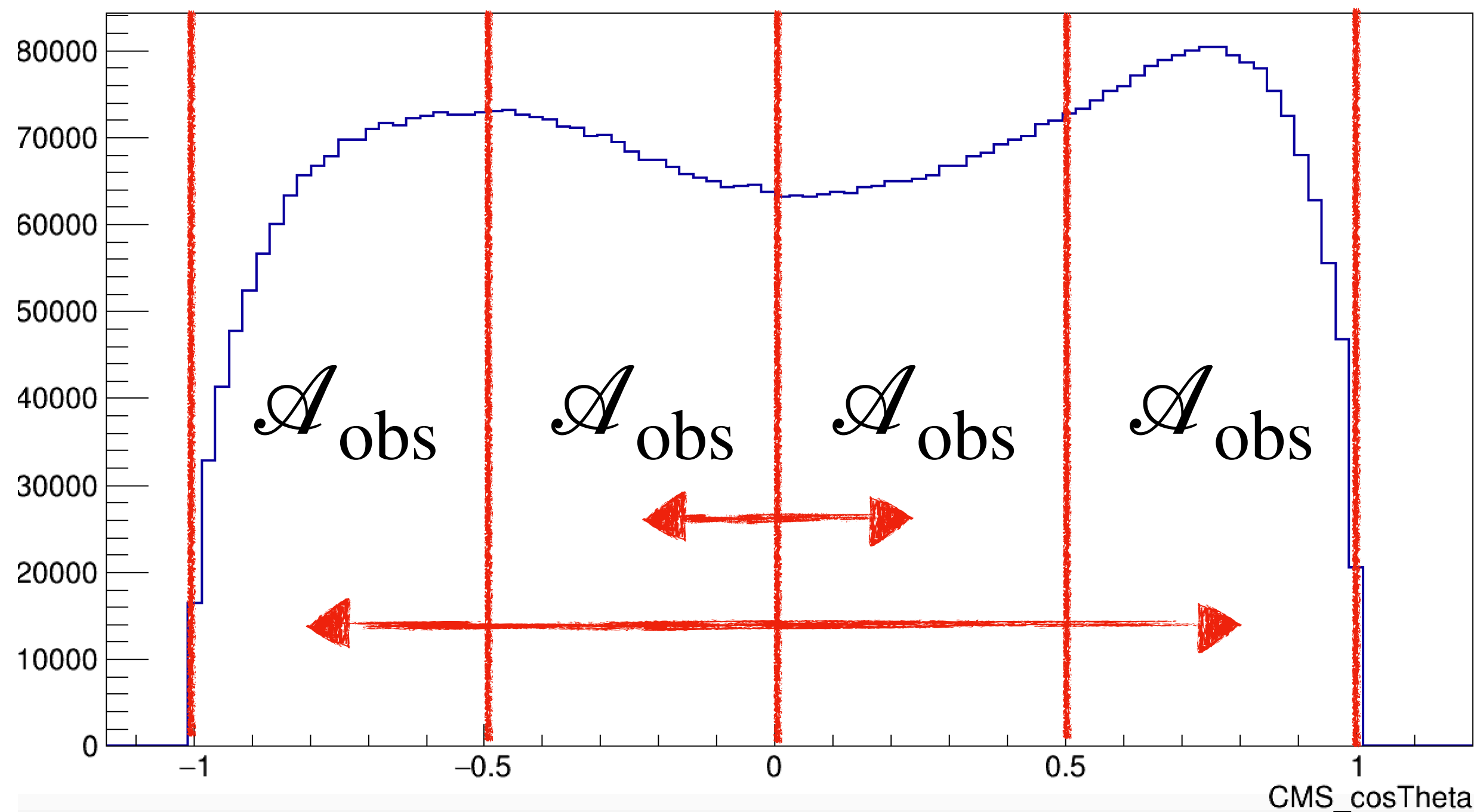
$$\mathcal{A}_{\text{obs}} = \frac{N_{(D^0 \rightarrow K^- \pi^+)}^+ - N_{(\bar{D}^0 \rightarrow K^+ \pi^-)}^-}{N_{(D^0 \rightarrow K^- \pi^+)}^+ + N_{(\bar{D}^0 \rightarrow K^+ \pi^-)}^-} = \mathcal{A}_{CP} + \mathcal{A}_{\text{det}} + \mathcal{A}_{\text{FB}}$$



- Assume $\mathcal{A}_{CP}(D^0 \rightarrow K\pi) = 0$, $\mathcal{A}_{CP}(D^+ \rightarrow K_s^0 \pi^+) = (-0.41 \pm 0.09)\%$ from PDG.
- For $D^+ \rightarrow K_s^0 \pi^+$, $\mathcal{A}_{\text{det}}(K_s^0 \pi^+) \simeq \mathcal{A}_{\text{det}}(K_s^0) + \mathcal{A}_{\text{det}}(\pi^+)$. We assume $\mathcal{A}_{\text{det}}(K_s^0) = 0$ (neglect tiny asymmetry induced by K^0 CP-asymmetry).

Forward-backward production asymmetry

- \mathcal{A}_{FB} contribution due to $\gamma^* - Z^0$ interference in $e^+e^- \rightarrow c\bar{c}$.
- \mathcal{A}_{FB} is antisymmetric as function of $\cos(\theta^*)$ (angle of D meson production in CM system).
<https://arxiv.org/ftp/arxiv/papers/1808/1808.10567.pdf>
- Assume that \mathcal{A}_{det} is not antisymmetric as function of $\cos(\theta^*)$, we can cancel \mathcal{A}_{FB} by combining measurement of \mathcal{A}_{obs} in opposite bins of $\cos(\theta^*)$:



$$\mathcal{A}_{det} = \frac{\mathcal{A}_{obs}(\cos(\theta^*)) + \mathcal{A}_{obs}(-\cos(\theta^*))}{2}$$

Sample and selection

Data: Proc12 + buckets16-25 (189.26 fb⁻¹).

SignalMC: from MC14ri-a (300 fb⁻¹).

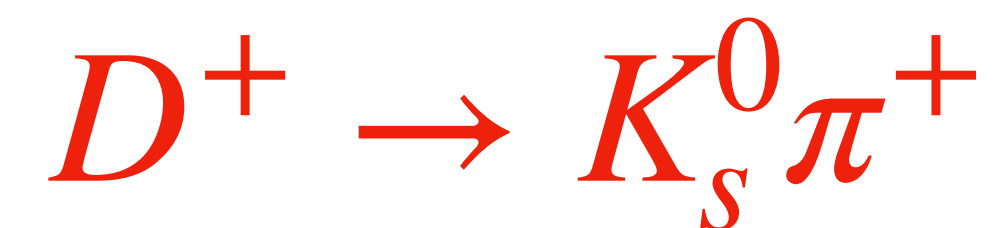
Vertex fit on D: treefit

Applied the latest beam energy and momentum corrections.

Tracks:thetaInCDCAcceptance + |drl| <0.5 + |dzl| <3 + chiProb>0 + CDCHits>0



KaonID>0.25 + CMS_p>2.5 GeV/c

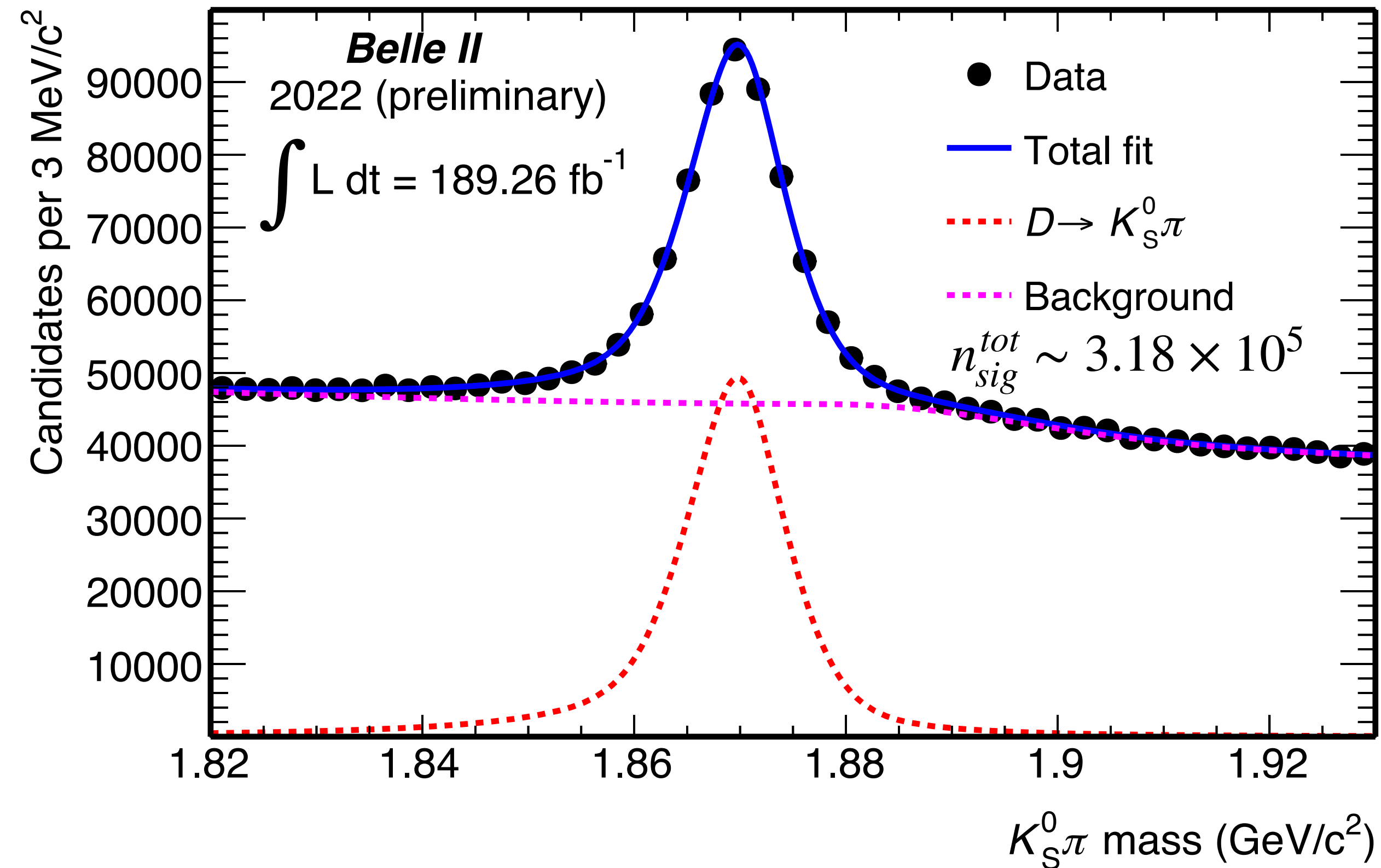
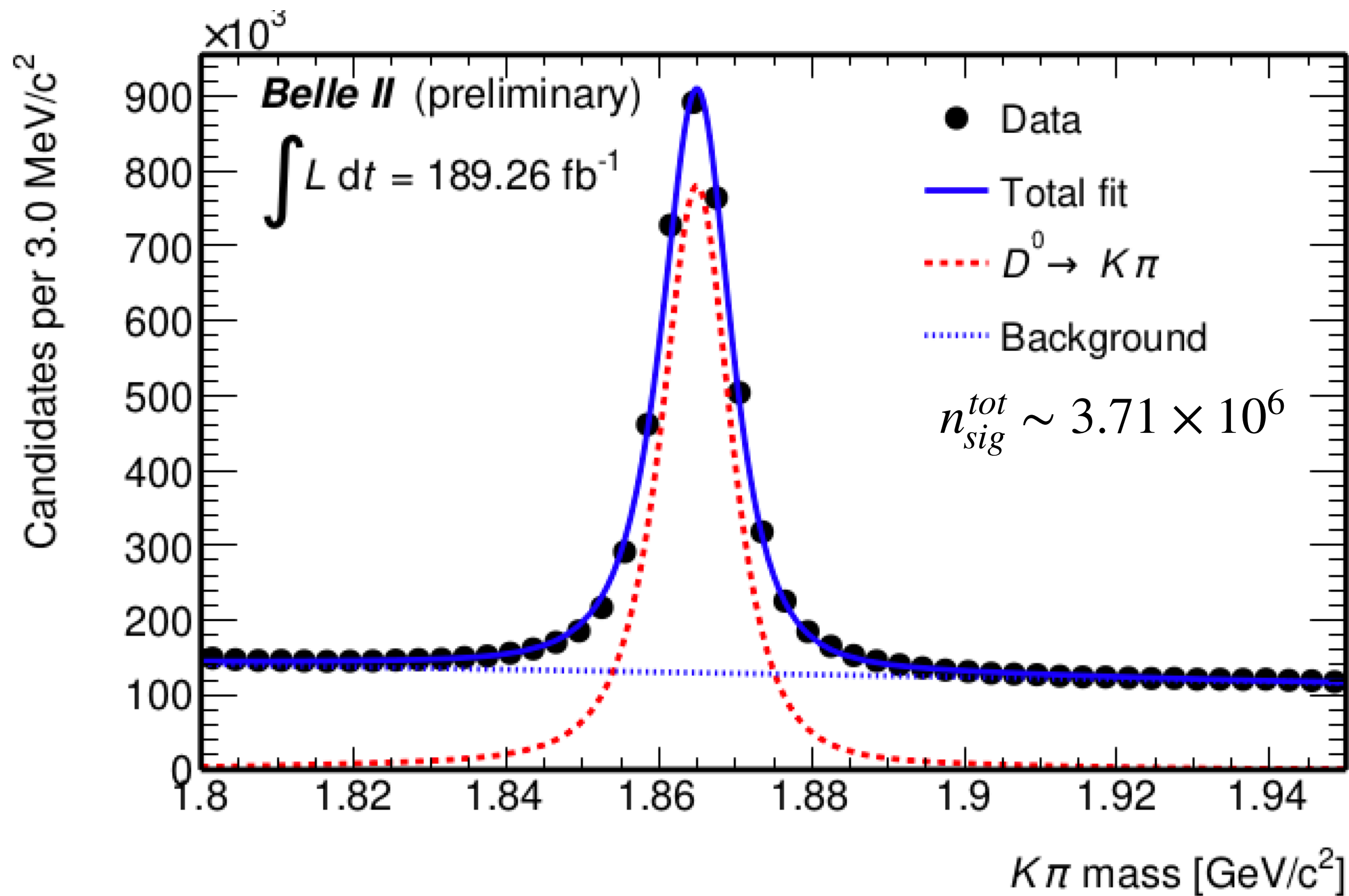


CMS_p>2.5 GeV/c +
0.4942GeV/c²<m(Ks)<0.5014Gev/c²+
KsSignificanceOfDistance>44.5 + KsChiProb>0

$D^0 \rightarrow K^- \pi^+$ and $D^+ \rightarrow K_S^0 \pi^+$ samples

$D^0 \rightarrow K^- \pi^+$

$D^+ \rightarrow K_S^0 \pi^+$



Determining \mathcal{A}_{det} dependence in data

Study \mathcal{A}_{det} binning the sample in:

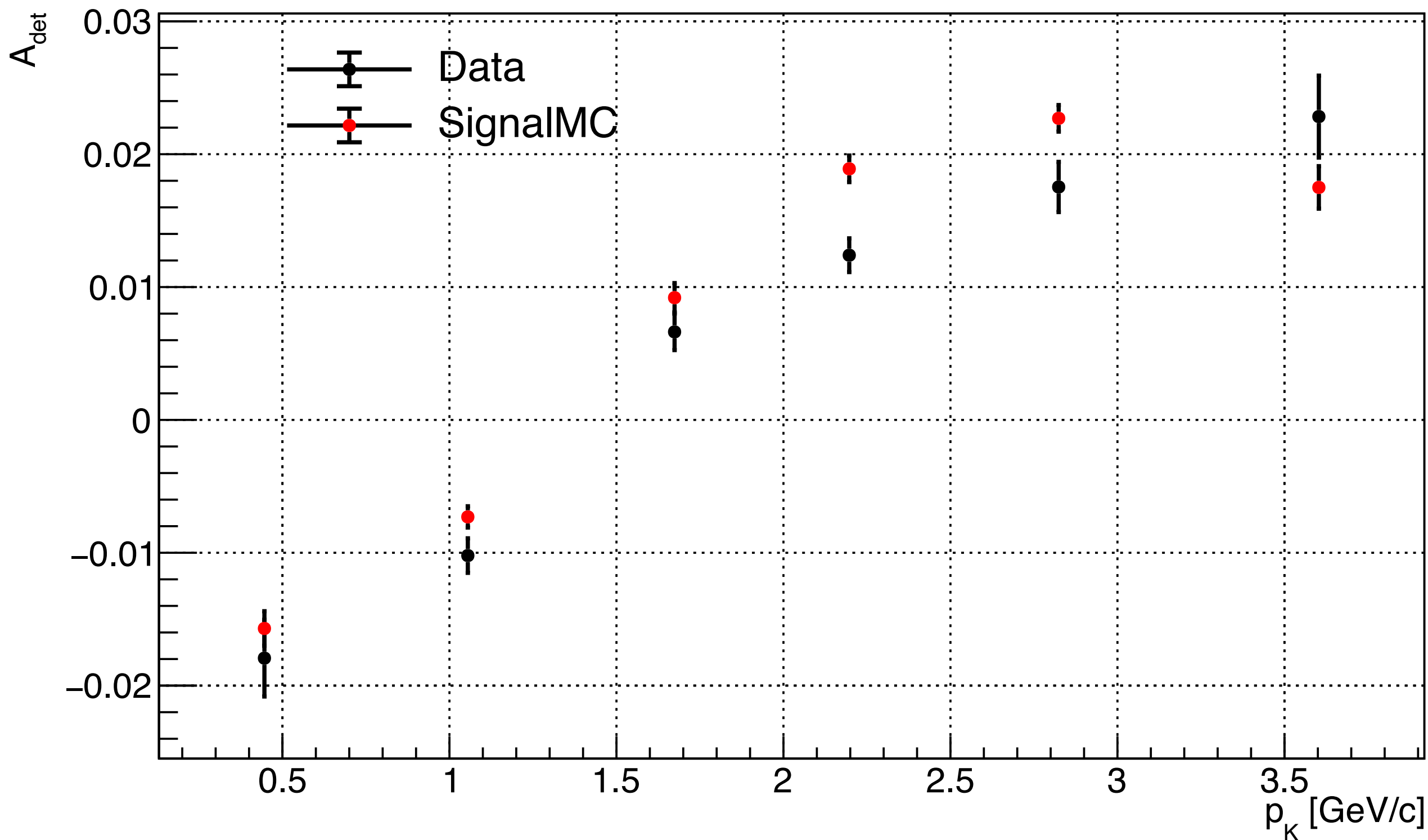
- p : interaction probabilities with matter depend on momentum;
- $\cos(\theta)$: different material budget traversed by the particle;
- **CDC hits**: tracking and dE/dx resolution depends on number of hits, and these differ on average for track with opposite curvature.
- For $K\pi$, \mathcal{A}_{det} as a function of kaon variables ($\mathcal{A}_{\text{det}}(K\pi) \simeq \mathcal{A}_{\text{det}}(K) + \mathcal{A}_{\text{det}}(\pi)$ and $\mathcal{A}_{\text{det}}(K) \gg \mathcal{A}_{\text{det}}(\pi)$);
- For $K_s^0\pi$, \mathcal{A}_{det} as a function of pion variables ($\mathcal{A}_{\text{det}}(K_s^0) = 0$).

Split the sample in D^0 and \bar{D}^0 candidates and fit D_{mass} to compute the signal yield and calculate $\mathcal{A}_{\text{obs}} = [N(D^0) - N(\bar{D}^0)]/[N(D^0) + N(\bar{D}^0)]$. Subtract \mathcal{A}_{FB} by doing the measurement in opposite bins of $\cos(\theta^*)$ and obtain \mathcal{A}_{det} .

These three variables are correlated. Will show the dependence one by one only for illustration.

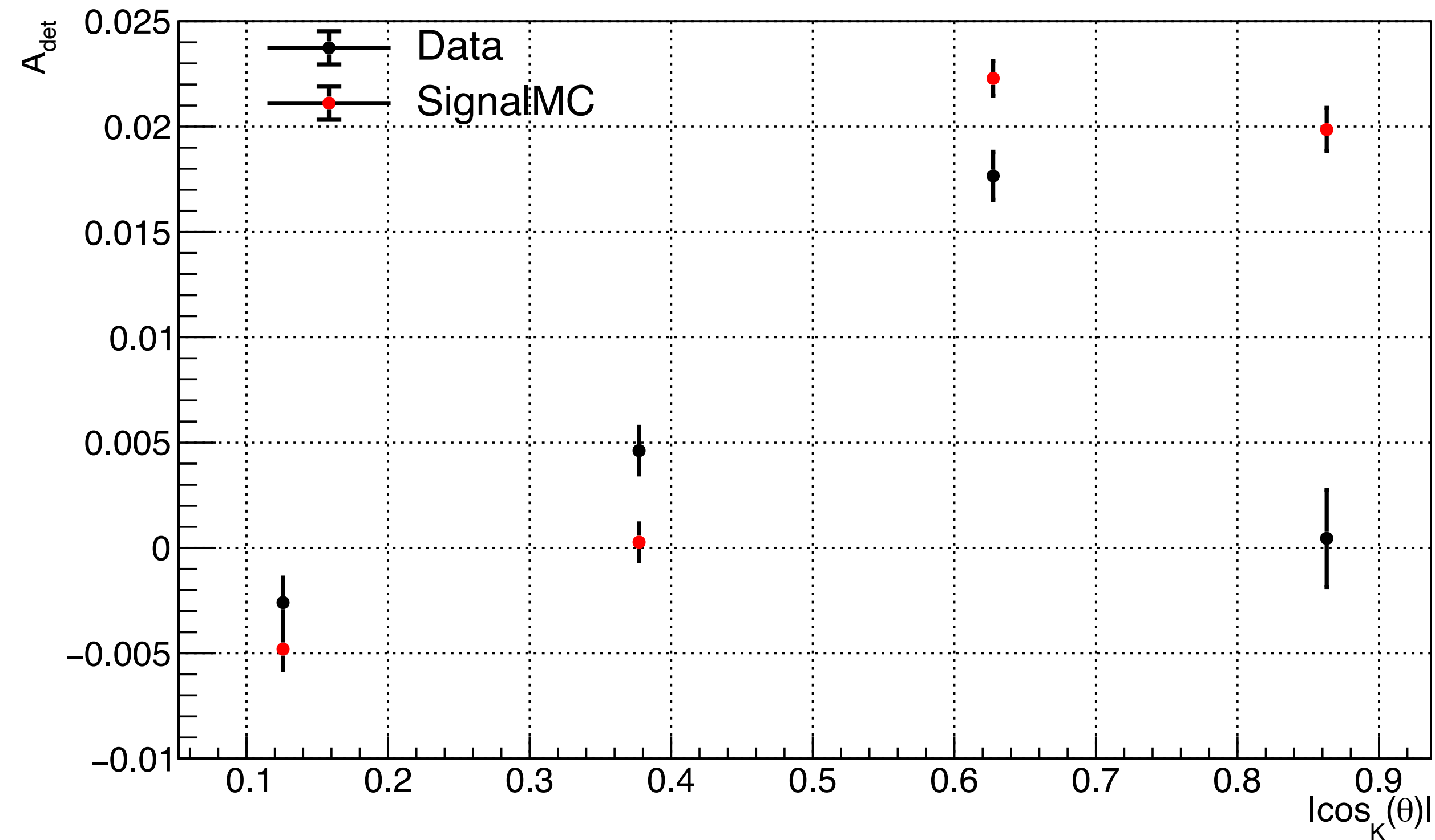
\mathcal{A}_{det} dependences : $D^0 \rightarrow K^- \pi^+$

Check marginal distribution: integrate over $\cos_K(\theta)$
and K_CDC_hits.



\mathcal{A}_{det} depends on p_K

Check marginal distribution: integrate over
 $p_K(\theta)$ and K_CDC_hits.

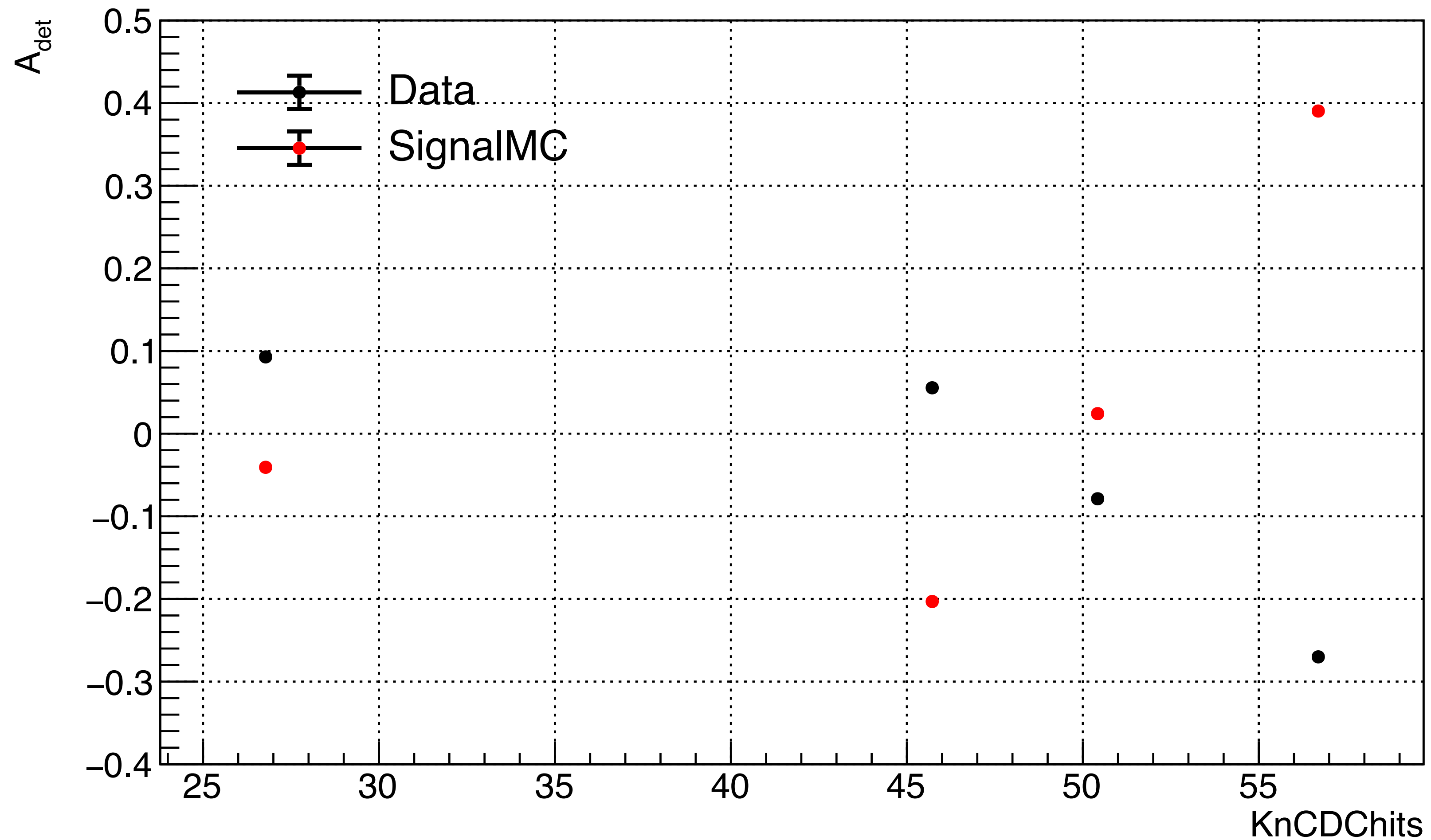


\mathcal{A}_{det} depends on $\cos_K(\theta)$

MC shown only for comparison.

\mathcal{A}_{det} dependences : $D^0 \rightarrow K^- \pi^+$

Integrate over all kinematic variables.



Strong dependence of \mathcal{A}_{det} on KnCDChits.

The discrepancy between data and MC is known and it is due to a drift time miscalibration in the CDC simulated in MC.

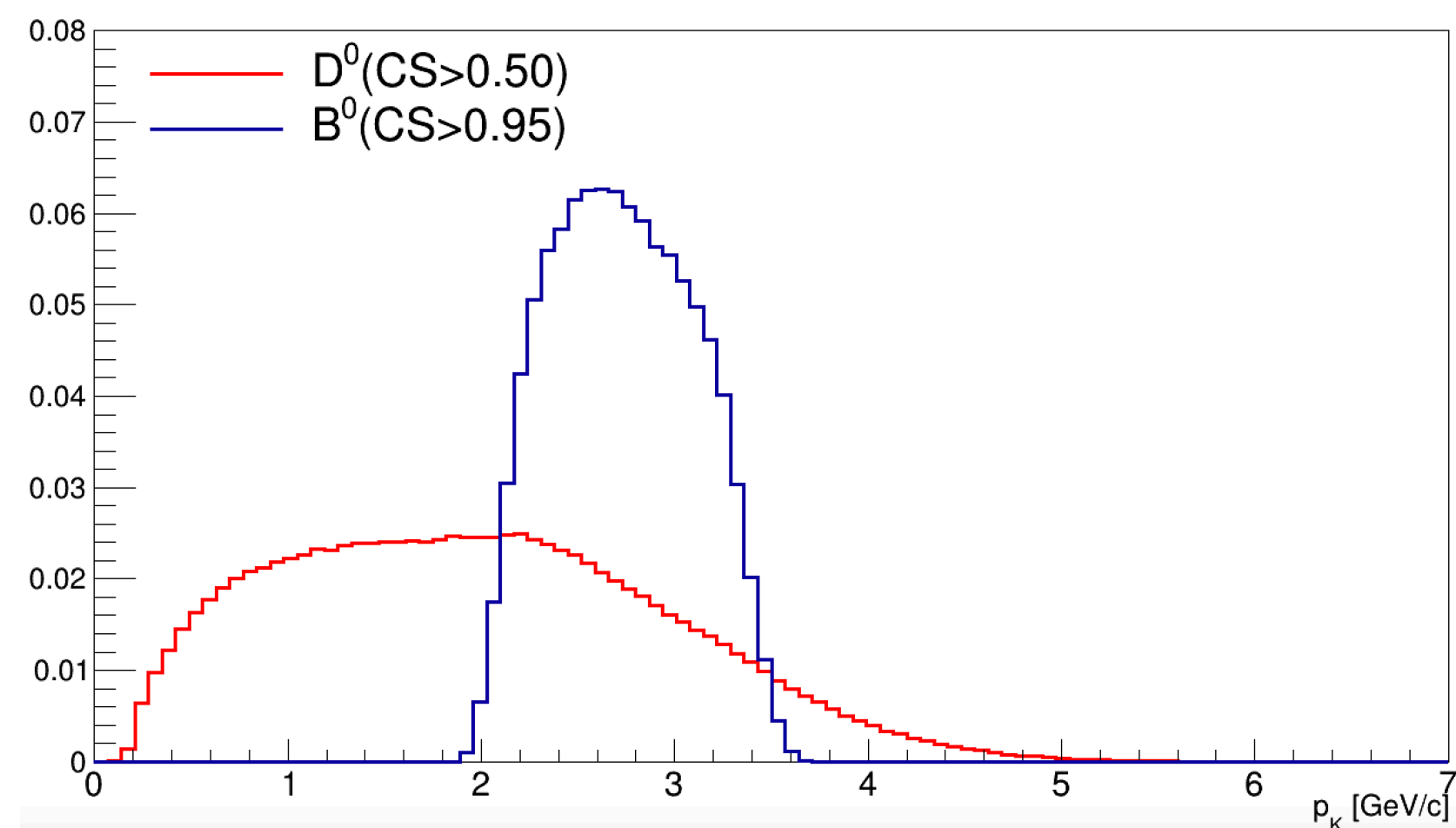
Strategy to evaluate \mathcal{A}_{det} for the analyses

- \mathcal{A}_{det} is sample-dependent: different values according to different kinematics and number of CDChits of a track.
- Need to consider to $(p, \cos(\theta), \text{CDChits})$ distributions of kaon and pion in decays, which might differ from those of our control channel.
- Apply weights to correct the distributions of the control channel such that they match those of any given B decay:
 1. Split the control channel in bins of CDChits and in each bin:
 - A. Correct the $(p, \cos(\theta))$ distributions of the control channel (weight from MC);
 - B. Determine \mathcal{A}_{det} on the corrected-sample.
 2. Average the \mathcal{A}_{det} values considering the CDChits distribution of the B decay (from data).
- Will show a closure test in MC that validates the method.

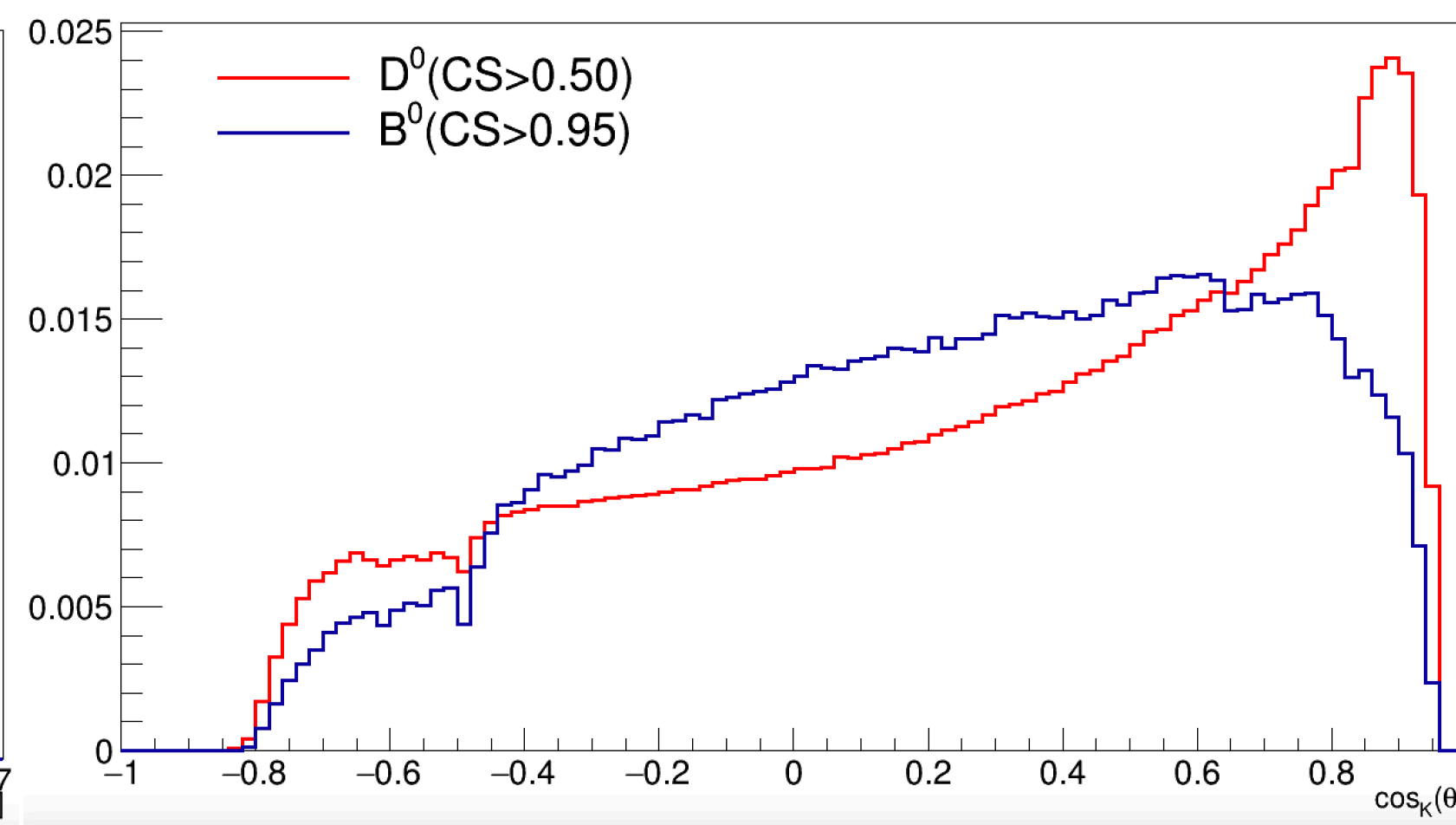
$\mathcal{A}_{\text{det}}(K\pi)$ closure-test with MC

- Take as example $B^0 \rightarrow K\pi$ decays. Standard selections on tracks, with a tight cut on continuum-suppression BDT ($CS > 0.95$), and $kaonID > 0.25$. Known value of $\mathcal{A}_{\text{det}}(K\pi) = 0.0012 \pm 0.0015$ in MC: this is the target.
- Consider $D^0 \rightarrow K\pi$ control channel ($CS > 0.50$, $KaonID > 0.25$). Measured $\mathcal{A}_{\text{det}}(K\pi) = -0.0076 \pm 0.0007$.
- Different values as expected since p_K , $\cos_K(\theta)$ and $KnCDChits(K)$ differs:

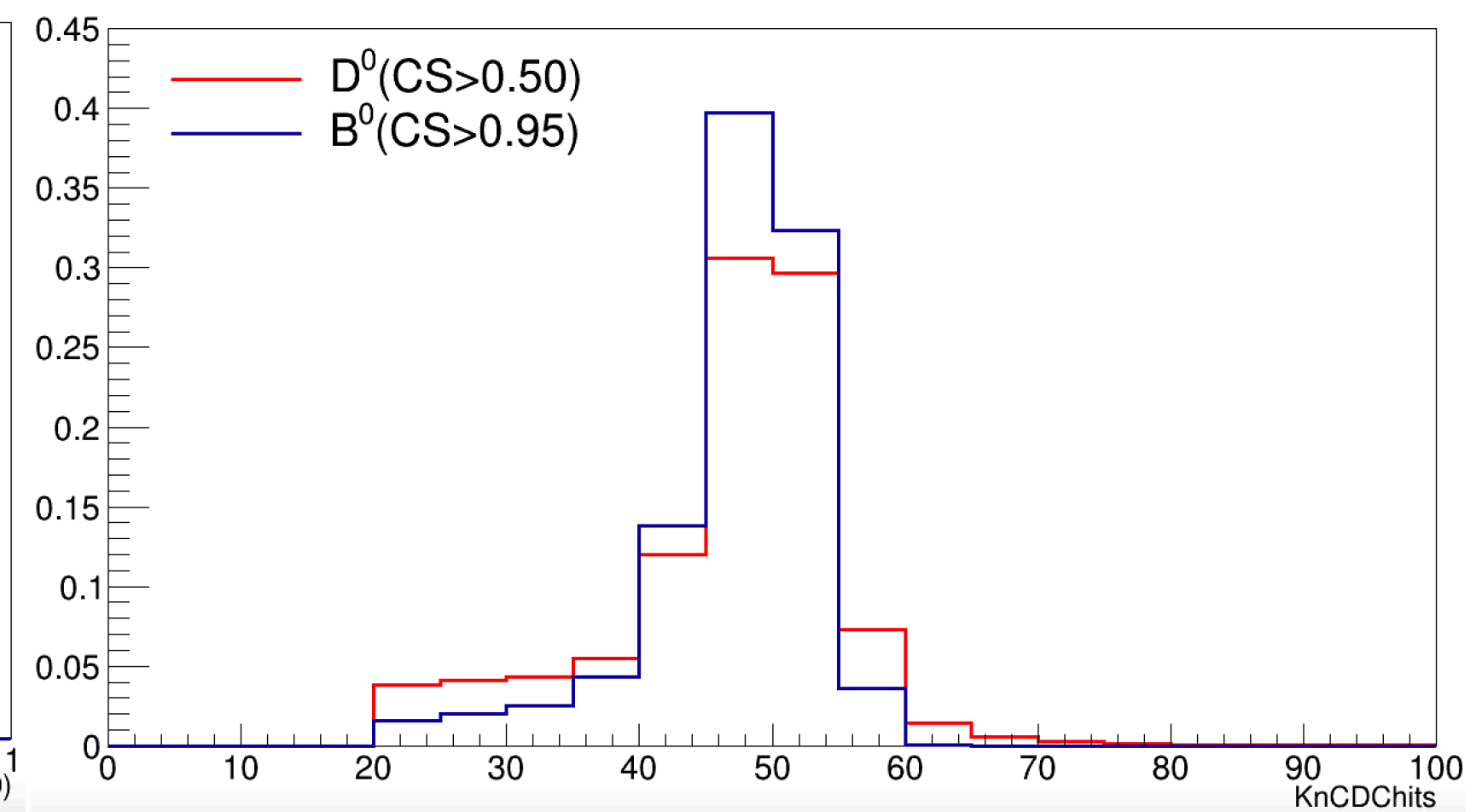
p_K distributions



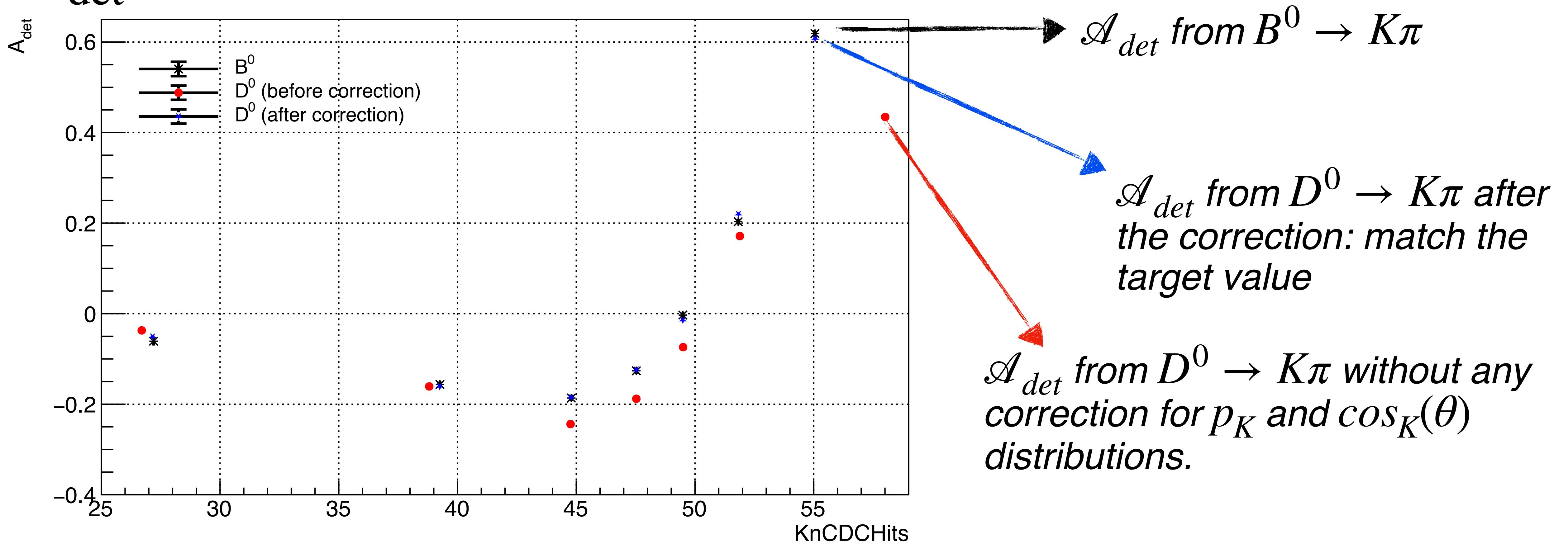
$\cos_K(\theta)$ distributions



$KnCDChits$ distributions



$\mathcal{A}_{det}(K\pi)$ closure-test with MC

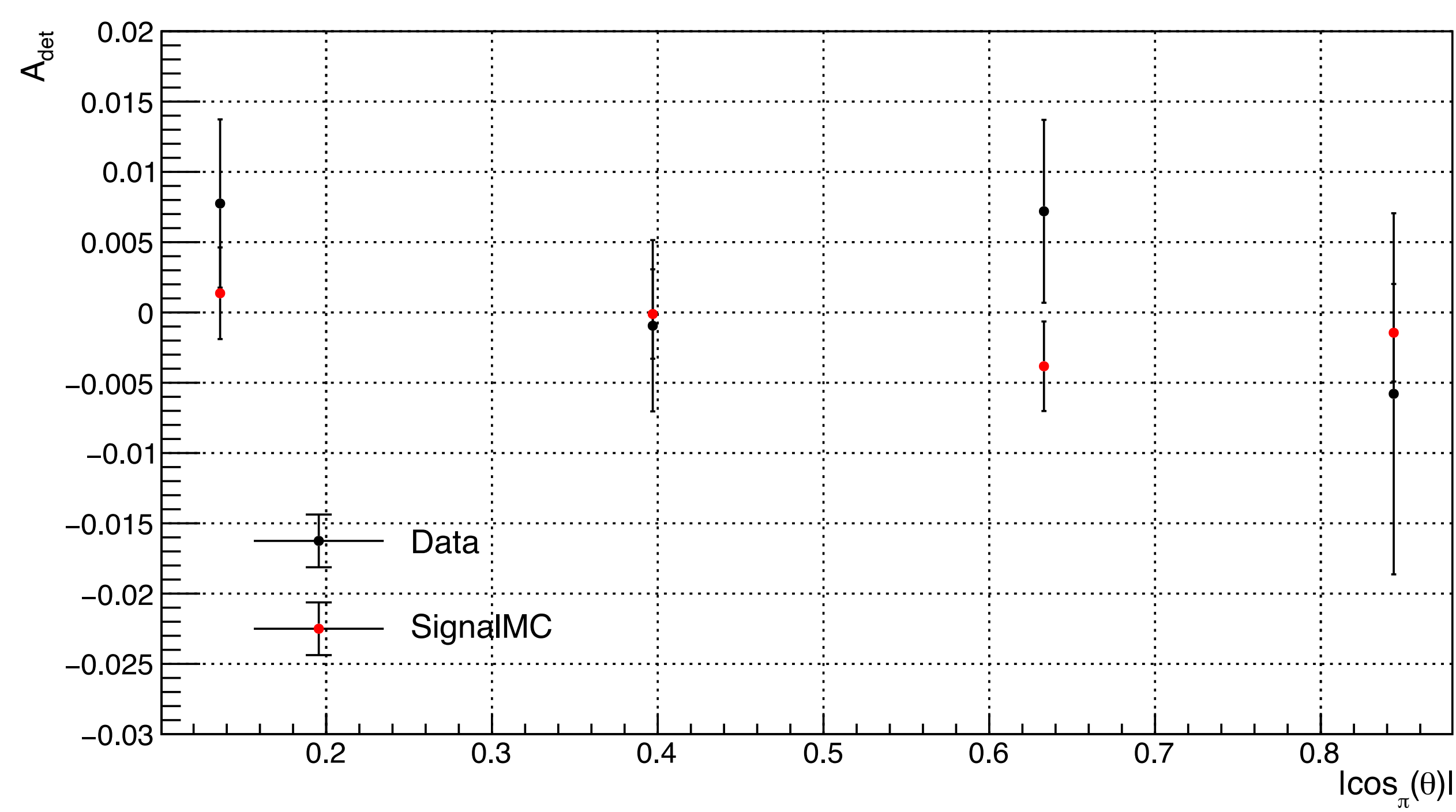
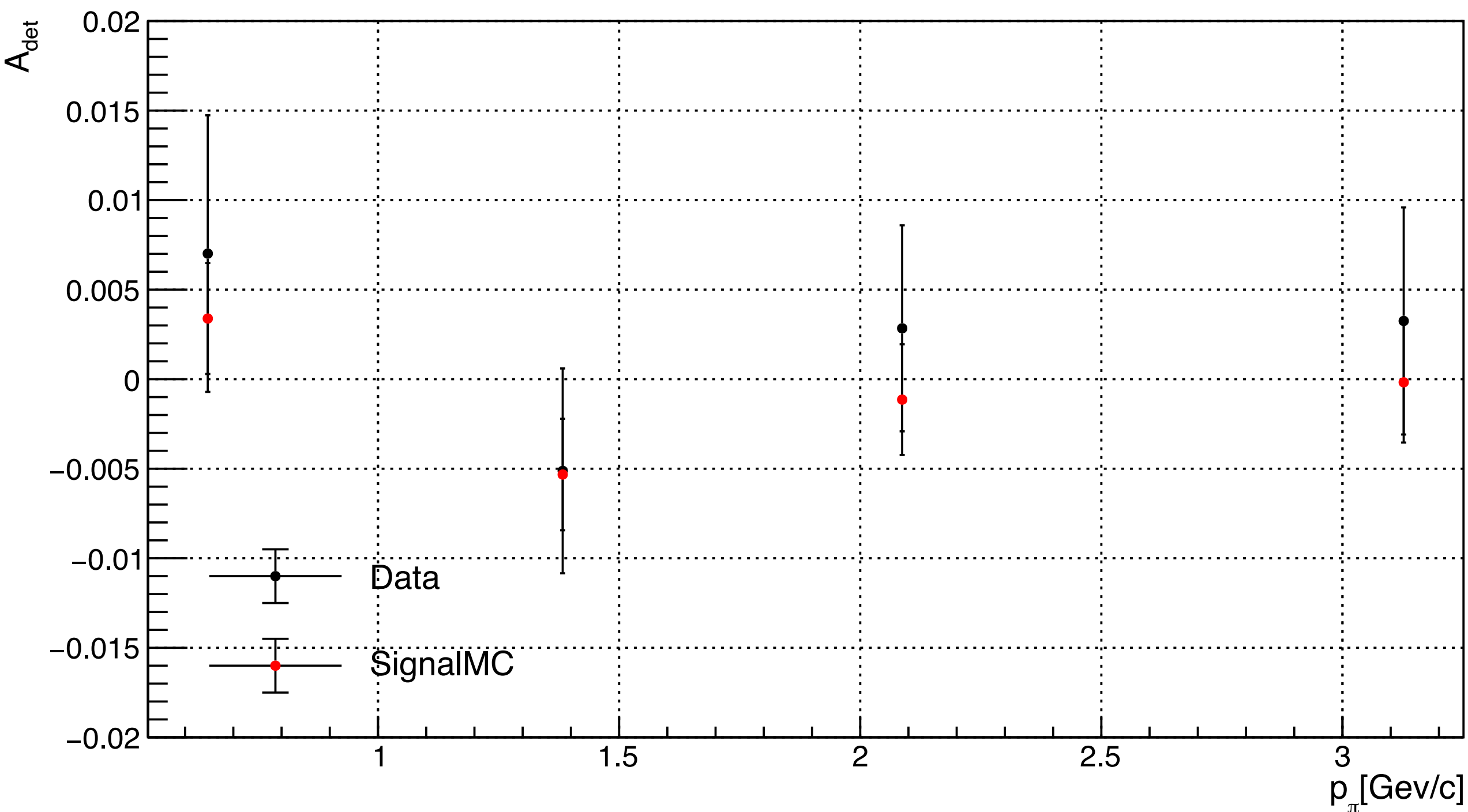


- The points are placed at the average of the CDChits distribution in the bin: it might differ for B^0 and D^0 (before the correction).
- Average of the $\mathcal{A}_{det}(K\pi)$ values from corrected $D^0 \rightarrow K\pi$ sample, considering CDChits distribution of $B^0 \rightarrow K\pi$: 0.0015 ± 0.0007 in agreement with target 0.0012 ± 0.0015
- We checked the procedure for different PID and CS selections and get expected results.

\mathcal{A}_{det} dependences : $D^+ \rightarrow K_s^0 \pi^+$

Check marginal distribution: integrate over $\cos_\pi(\theta)$
and pi_CDC_hits.

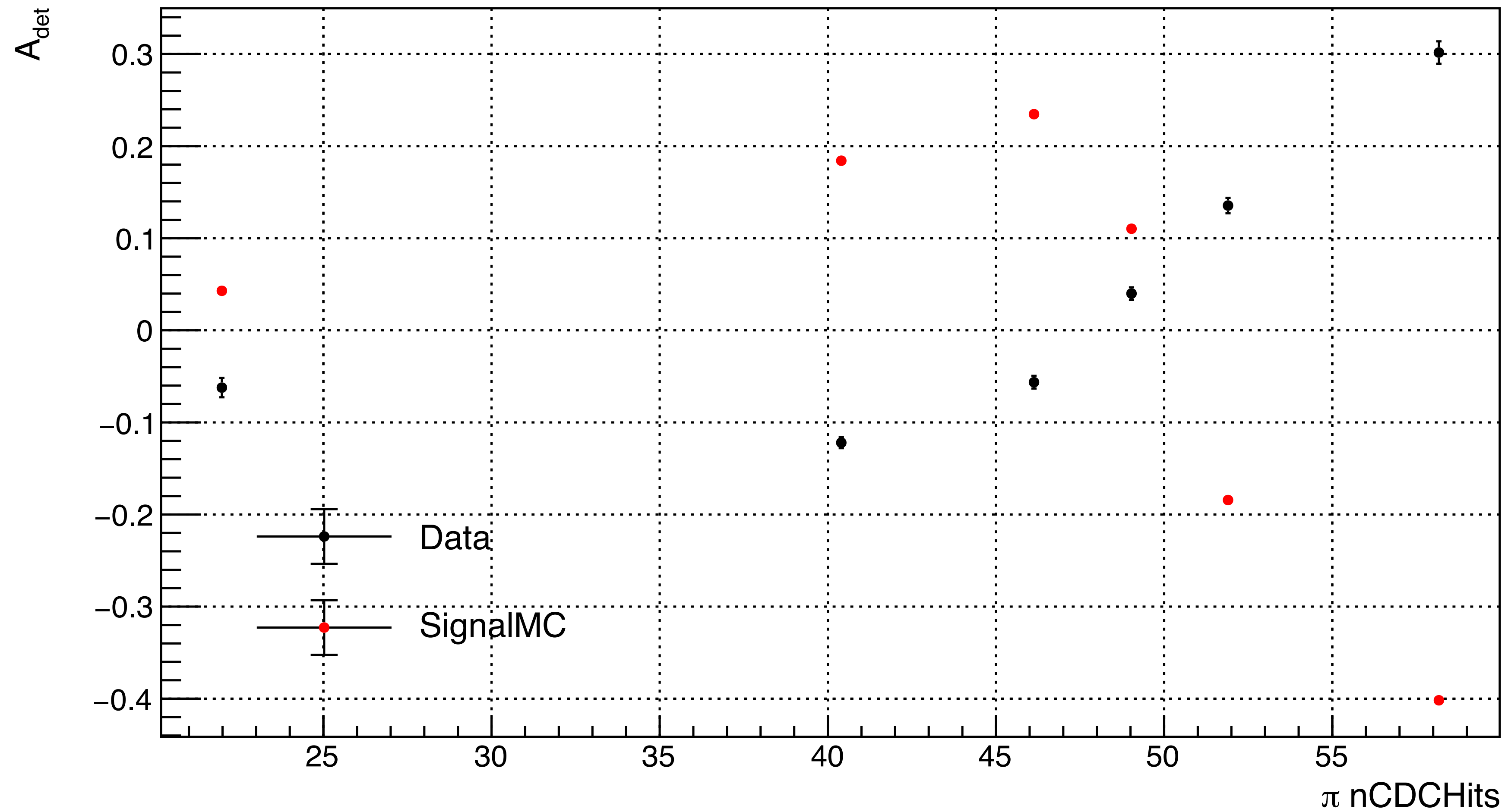
Check marginal distribution: integrate over $p_\pi(\theta)$ and
pi_CDC_hits.



Observe soft \mathcal{A}_{det} dependencies as a function of $p_\pi(\theta)$ and $\cos_\pi(\theta)$.

\mathcal{A}_{det} dependences : $D^+ \rightarrow K_s^0 \pi^+$

Integrate over all kinematic variables.



Strong dependence of \mathcal{A}_{det} on piCDChits.

$\mathcal{A}_{\text{det}}(\pi)$ from $D^+ \rightarrow K_s^0 \pi^+$

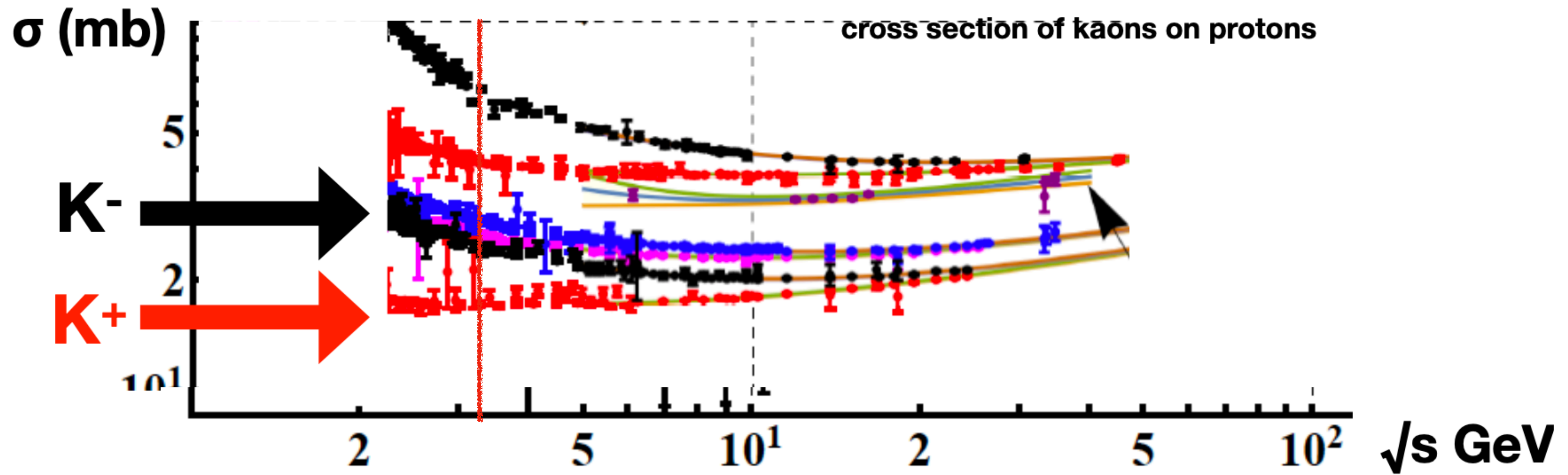
- The method to compute $\mathcal{A}_{\text{det}}(\pi)$ using $D^+ \rightarrow K_s^0 \pi^+$ for a given decay is the same used to compute $\mathcal{A}_{\text{det}}(K\pi)$.
- A closure-test to compute $\mathcal{A}_{\text{det}}(\pi)$ for $B^+ \rightarrow \rho^+(\rightarrow \pi^+ \pi^0) \rho^0(\rightarrow \pi^+ \pi^-)$ decay using this control channel is ongoing.
- We can also use $D^0 \rightarrow K^- \pi^+$ and $D^+ \rightarrow K_s^0 \pi^+$ to compute $\mathcal{A}_{\text{det}}(K)$:
 1. Given $(p_K, \cos_K(\theta), \text{KnCDChits})$ distributions of a B decay, we can compute $\mathcal{A}_{\text{det}}(K\pi)$ using $D^0 \rightarrow K^- \pi^+$ channel;
 2. Weight the π distributions of $D^+ \rightarrow K_s^0 \pi^+$ to match those of $K\pi$;
 3. Compute $\mathcal{A}_{\text{det}}(K) = \mathcal{A}_{\text{det}}(K\pi) - \mathcal{A}_{\text{det}}(\pi)$.

Summary

- Measured \mathcal{A}_{det} for $K\pi$ and π , with a precision of $\mathcal{O}(1\%)$ and $\mathcal{O}(3\%)$ using $D^0 \rightarrow K^- \pi^+$ and $D^+ \rightarrow K_s^0 \pi^+$.
- First study of the dependence of \mathcal{A}_{det} . Found large dependence as a function of p , $\cos(\theta)$ and CDChits of the tracks.
- Developed a method to compute \mathcal{A}_{det} from control channel for any given decay, taking into account these dependences.
- Will release a tool for analysts and document everything in a supporting note.
- Will be used in analyses targeting ICHEP, e.g. GLW with $B^+ \rightarrow D^0 h^+$, and measurement of \mathcal{A}_{CP} in $B^+ \rightarrow h^+ \pi^0$ and $B^0 \rightarrow K^* \pi^0$ decays.

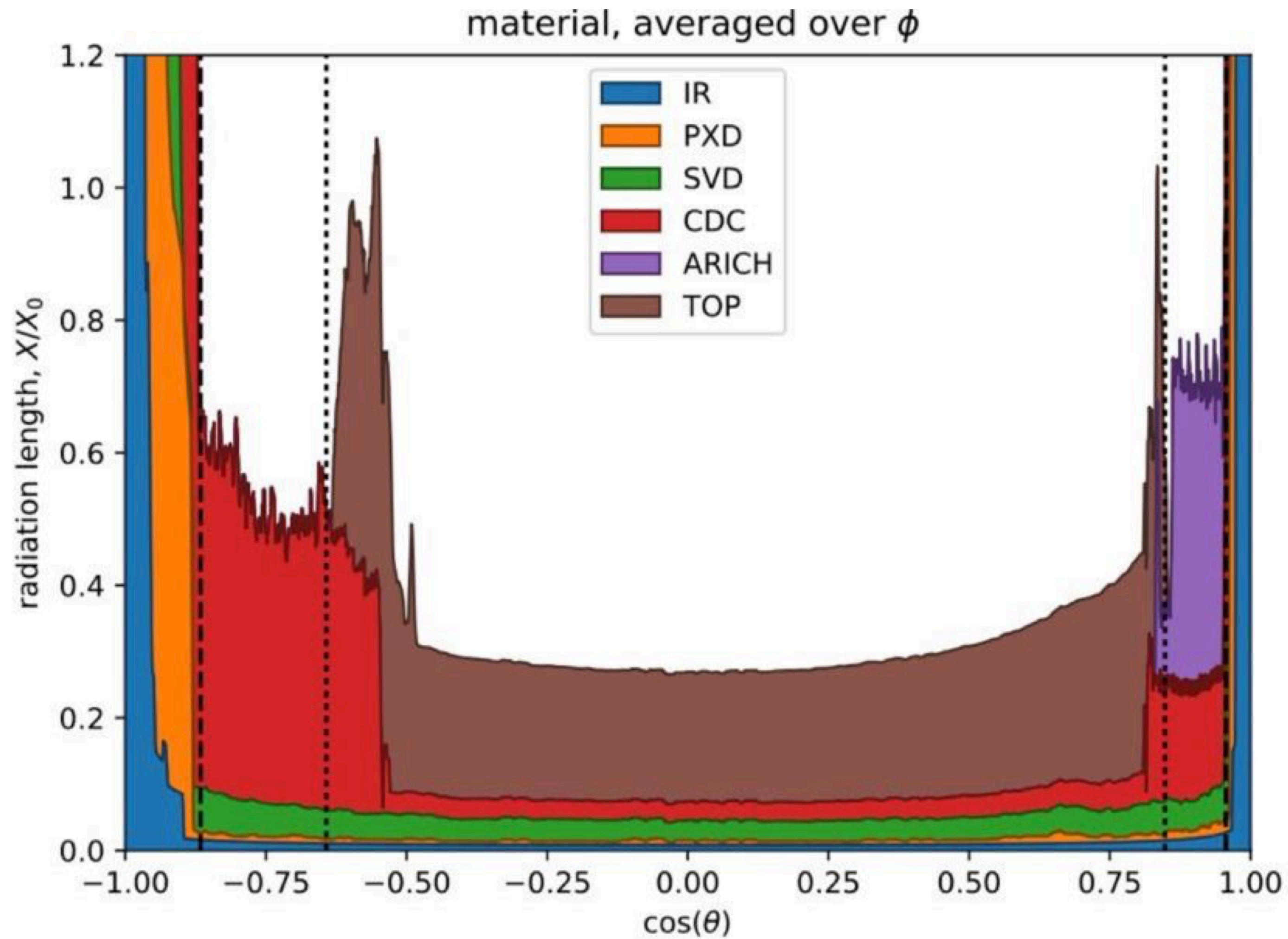
Backup

\mathcal{A}_{det} dependences : $D^0 \rightarrow K^- \pi^+$



\mathcal{A}_{det} depends on p_K \longleftrightarrow Interaction probabilities between K^+/K^- depend on momentum.

\mathcal{A}_{det} dependences : $D^0 \rightarrow K^- \pi^+$



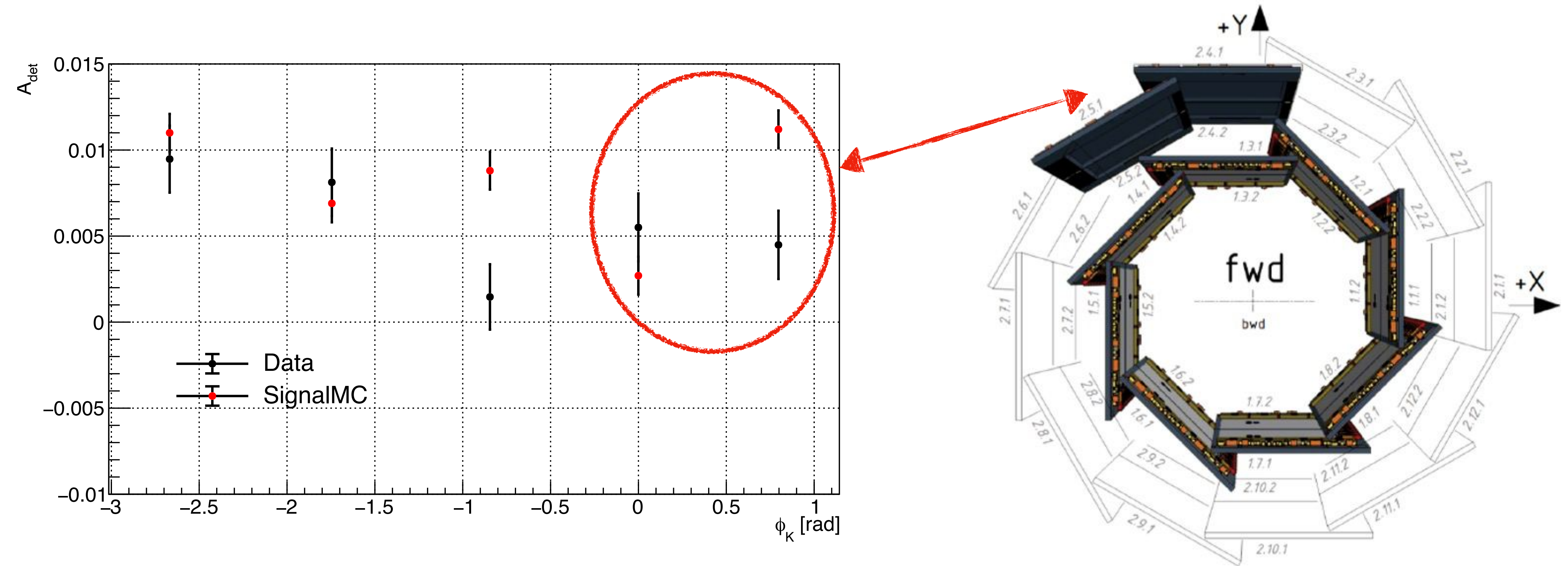
\mathcal{A}_{det} depends on $\cos_K(\theta)$



different material budget traversed by particle.

\mathcal{A}_{det} dependences : $D^0 \rightarrow K^- \pi^+$

Integrate over all kinematic variables and K_CDC_hits.



The circled points represent the \mathcal{A}_{det} values in the ϕ_K region in which there are two layers of PXD (more material budget traversed by particle). In any case, we assume no dependence on ϕ_K .