

Fe55 MC-data comparison and code improvements

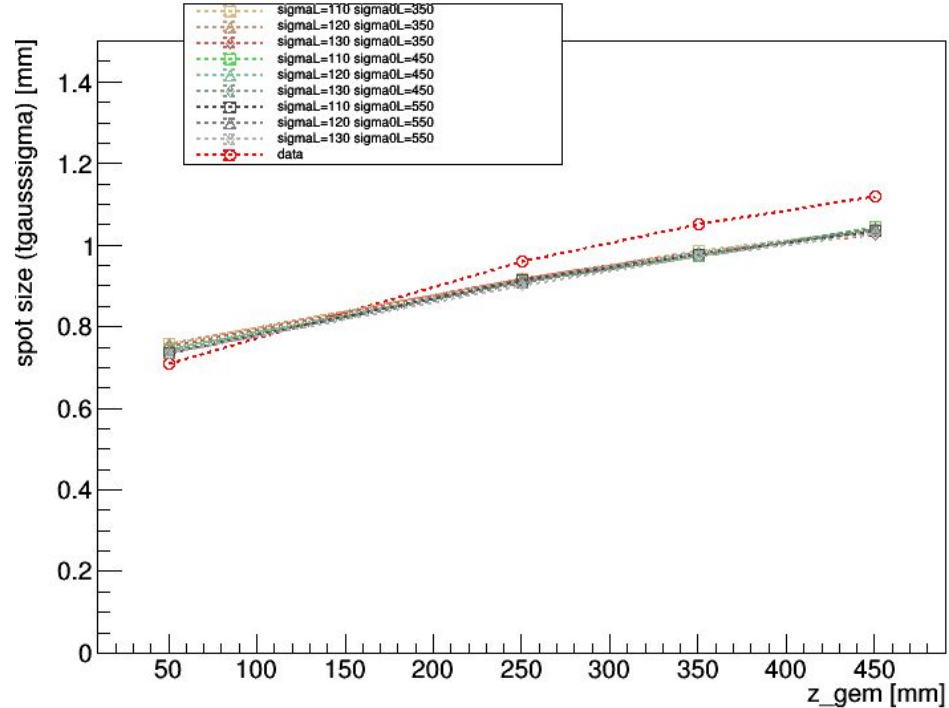
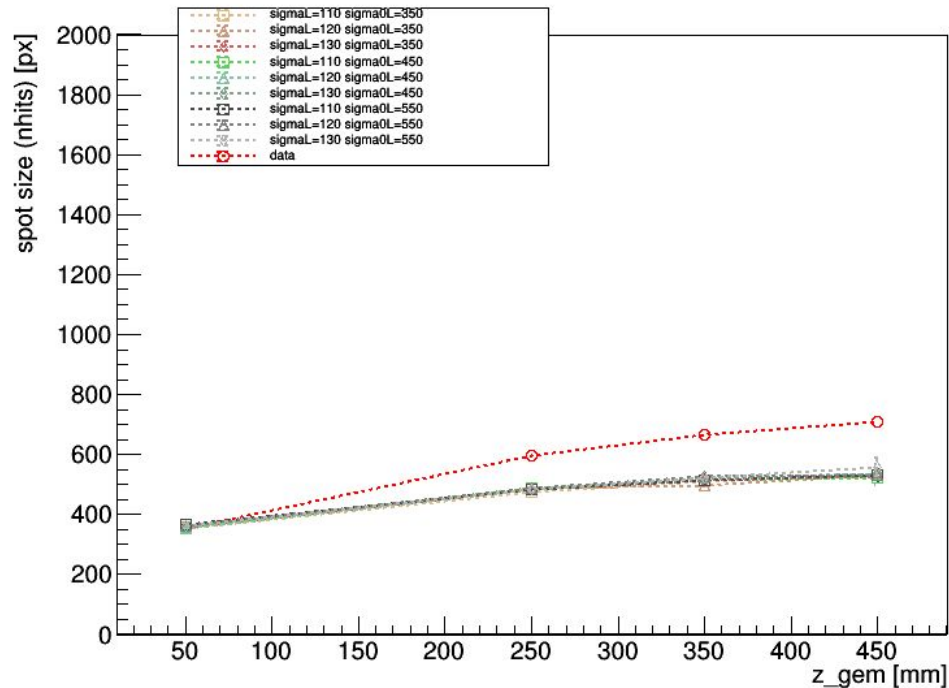
F. Petrucci, P. Meloni
16/05/2022

Overview

- scans for **sigmaL**, **absorbtion length**, **z_vox_dim**, **beta (again)**
- optimization code 1 (**image rebinning**) and **scan for x,y voxel dimension**
- optimization code 2 (**vectorized smearing**) to speed up the digitization

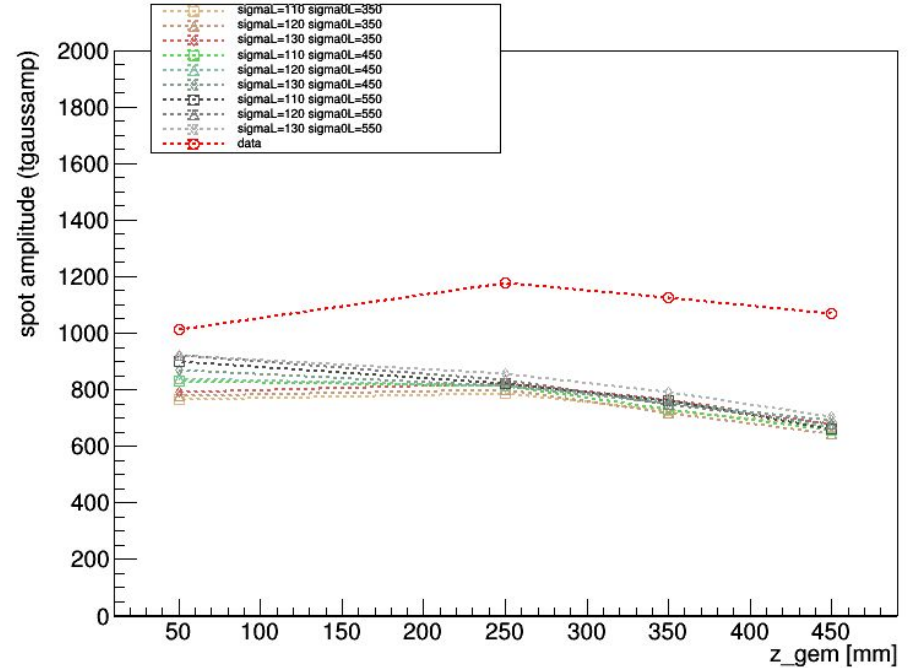
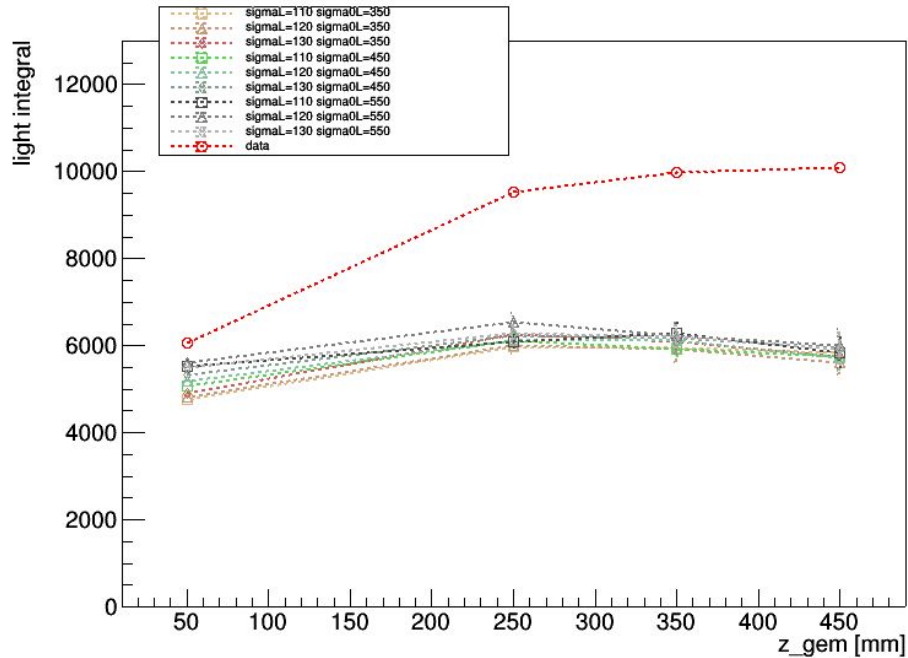
Varying σ_L & σ_{0L}
with $\sigma_T = 130 \mu\text{m}/\sqrt{\text{cm}}$
 $\sigma_{0T} = 550 \mu\text{m}$
($A=1$)

sigmaL and sigma0L scan (with sigmaT=130μm/√(cm) sigma0T = 550 μm, A=1)



Practically unchanged: as expected, longitudinal diffusion does not affect the spot size

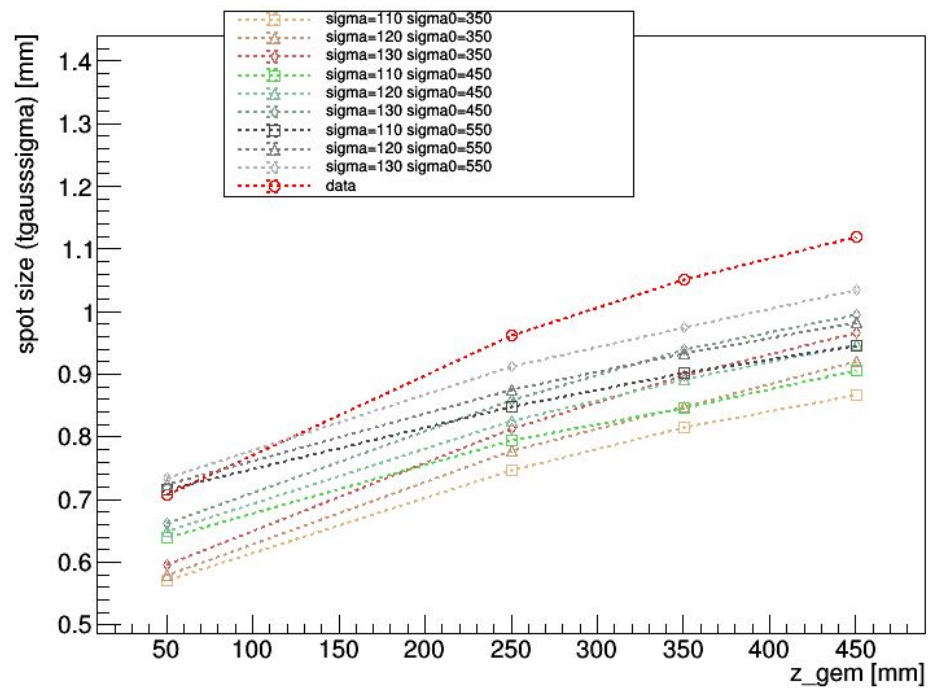
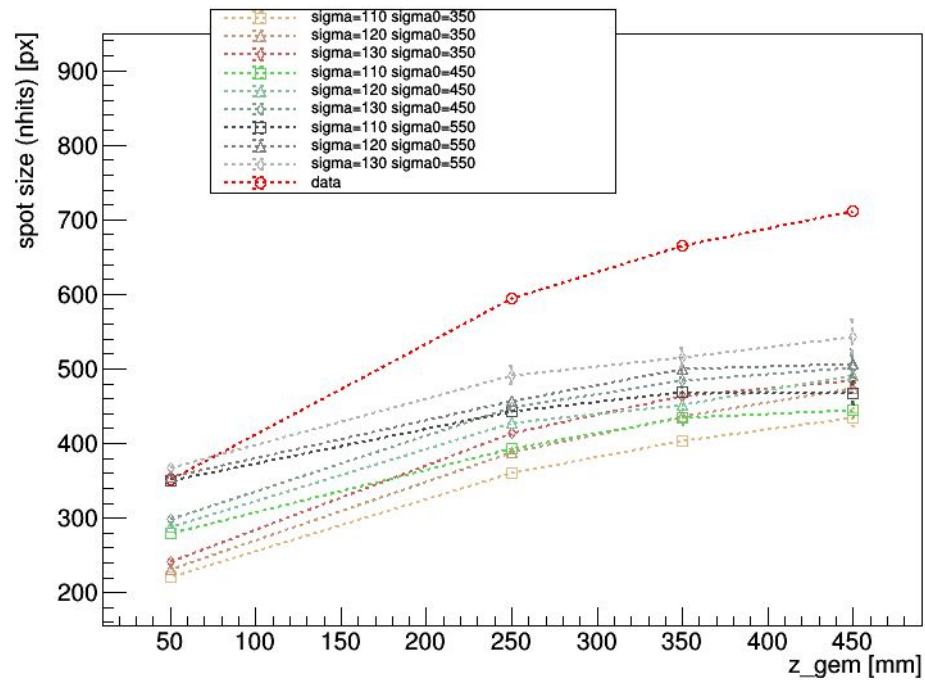
sigmaL and sigma0L scan (with sigmaT=130μm/√(cm) sigma0T = 550 μm, A=1)



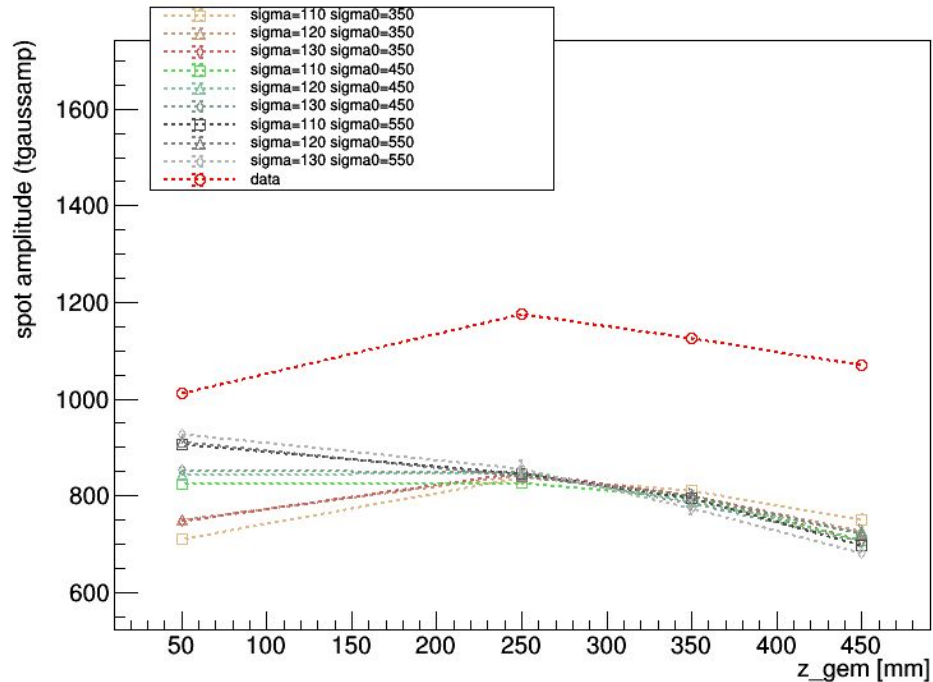
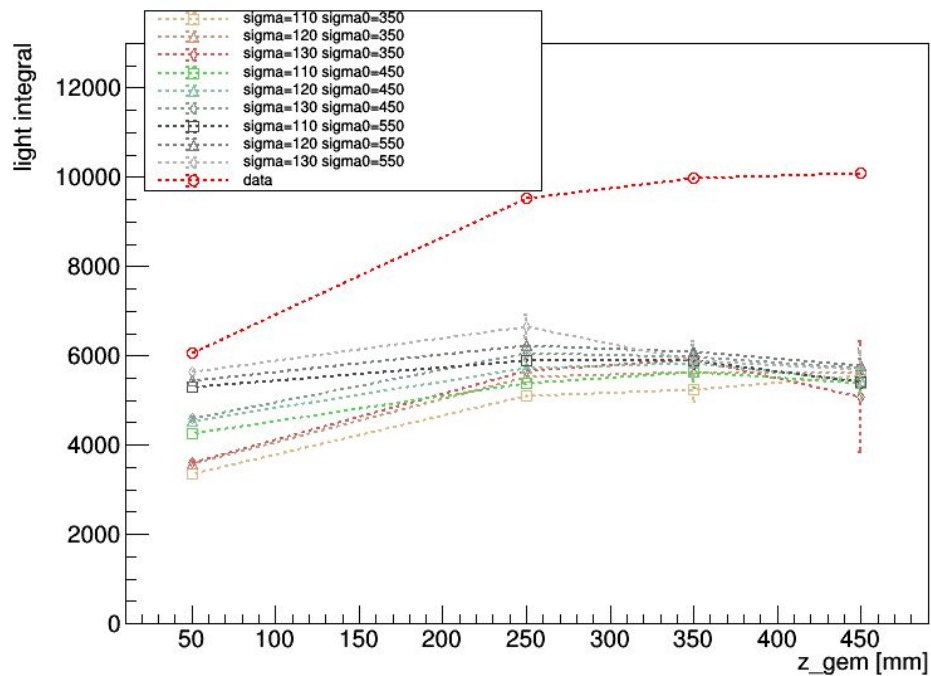
With high L. diffusion parameters, the trend at low z is ruined (due to the saturation): it's better to keep sigmaL and sigma0L small. Original values were: **sigmaL = 99 μm/√(cm)** and **sigma0L = 260 μm** (not in the scan)

Varying all sigma together:
sigmaT, sigma0T, sigmaL, sigma0L
(A=1)

(A=1)

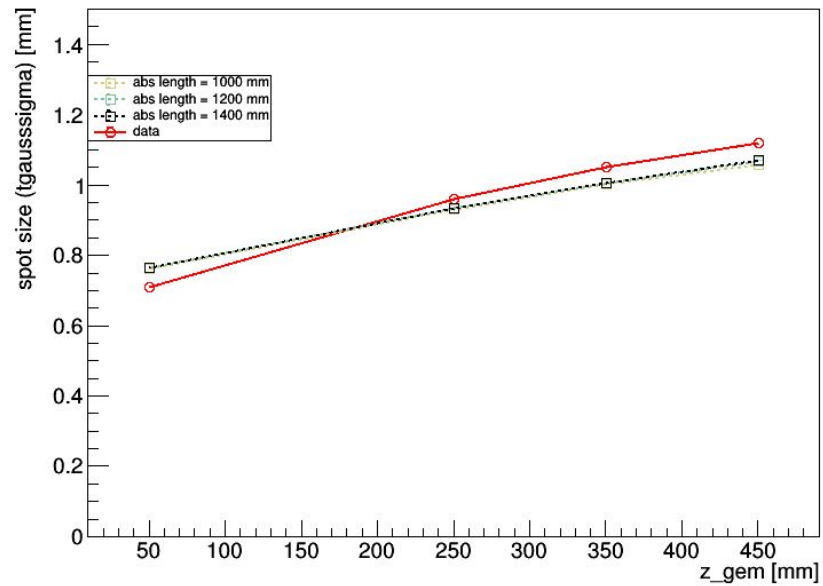
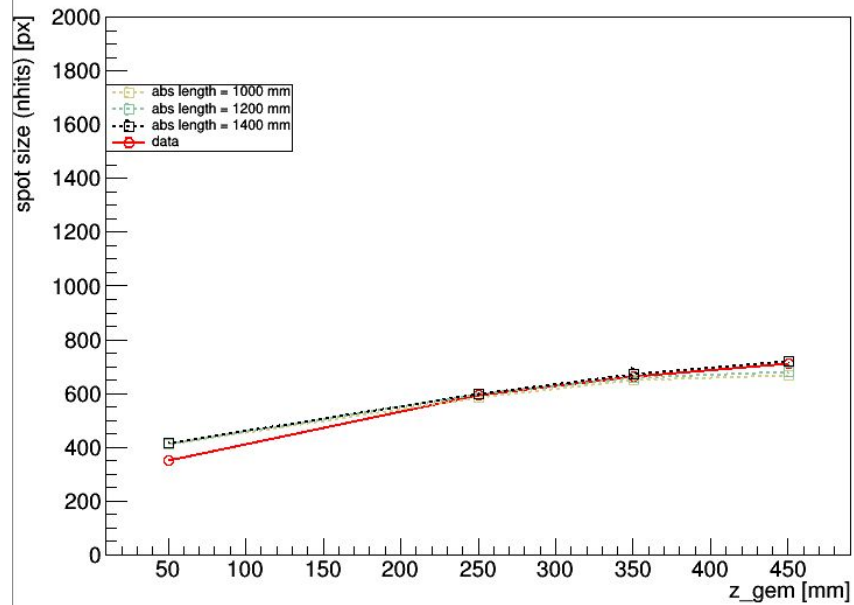


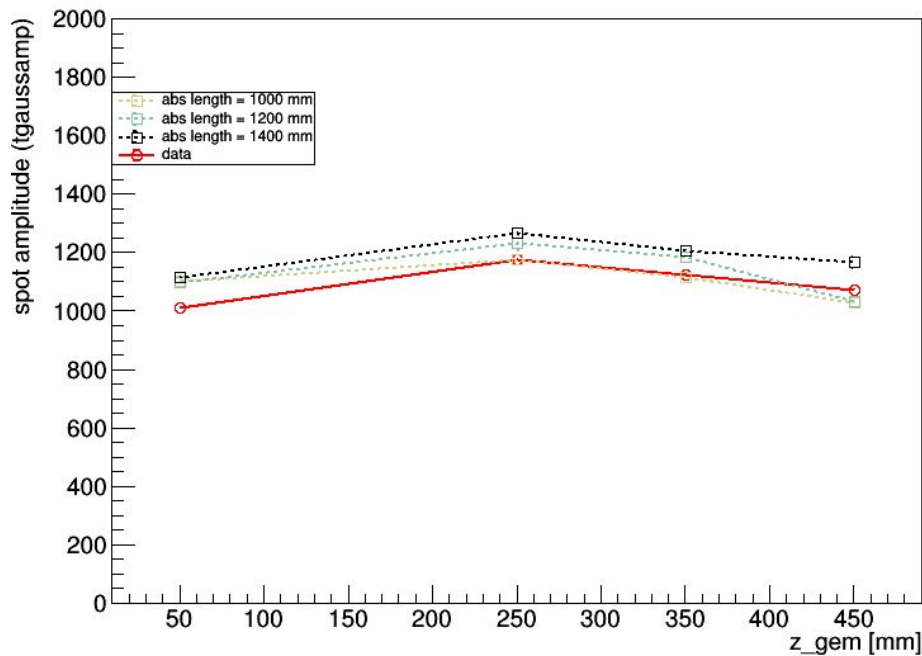
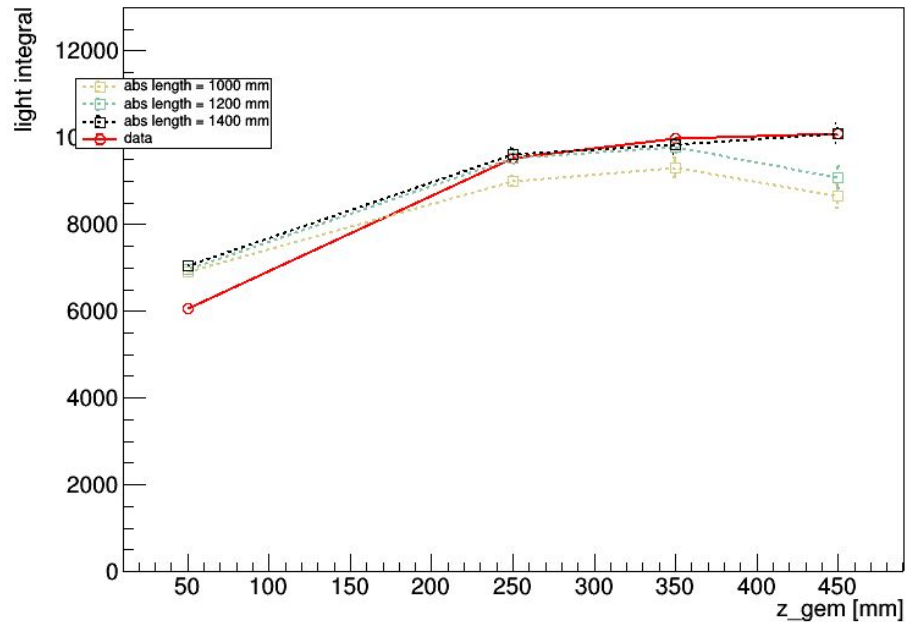
(A=1)



With high L. diffusion parameters, the trend at low z is ruined (due to the saturation): it's better to keep σ_{L} and σ_{0L} small (yellow line)

Try by varying abs_lenght
with $\sigma_T = 130 \mu\text{m}/\sqrt{\text{cm}}$
 $\sigma_{0T} = 550 \mu\text{m}$
 $A = 1.6$
 $\sigma_L = 99 \mu\text{m}/\sqrt{\text{cm}}$
 $\sigma_{0L} = 260 \mu\text{m}$

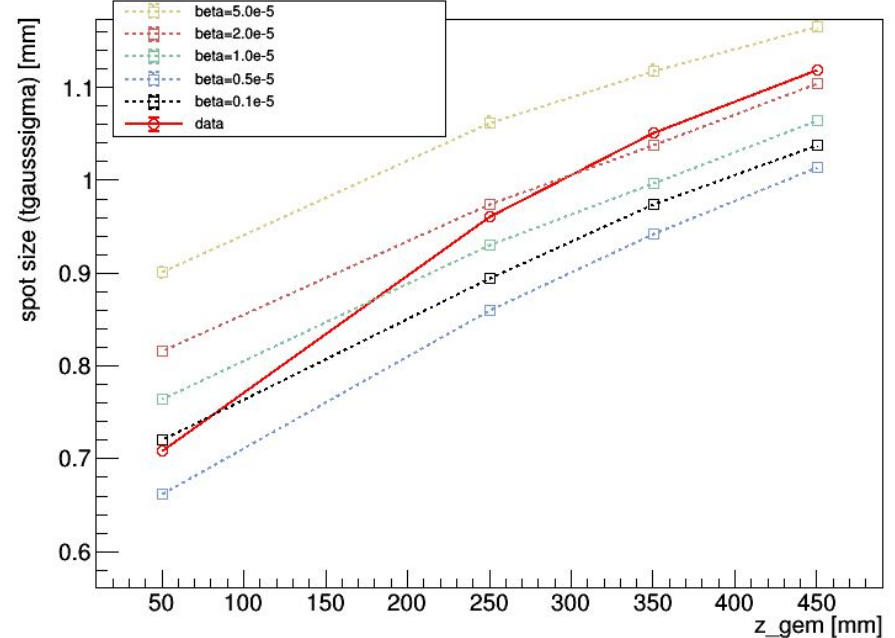
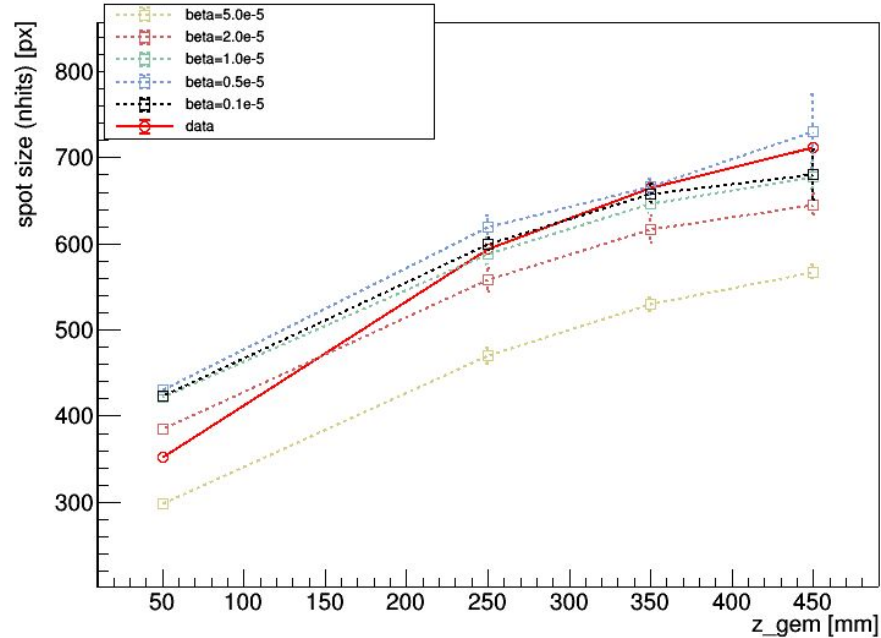




1400 mm looks better for the integral, but not so good for the spot amplitude (unless A is slightly decreased)

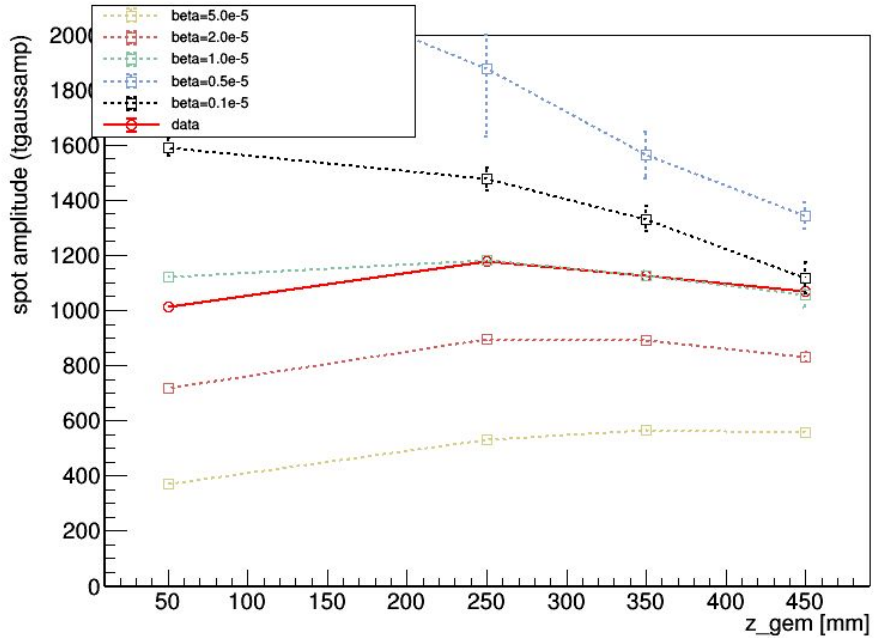
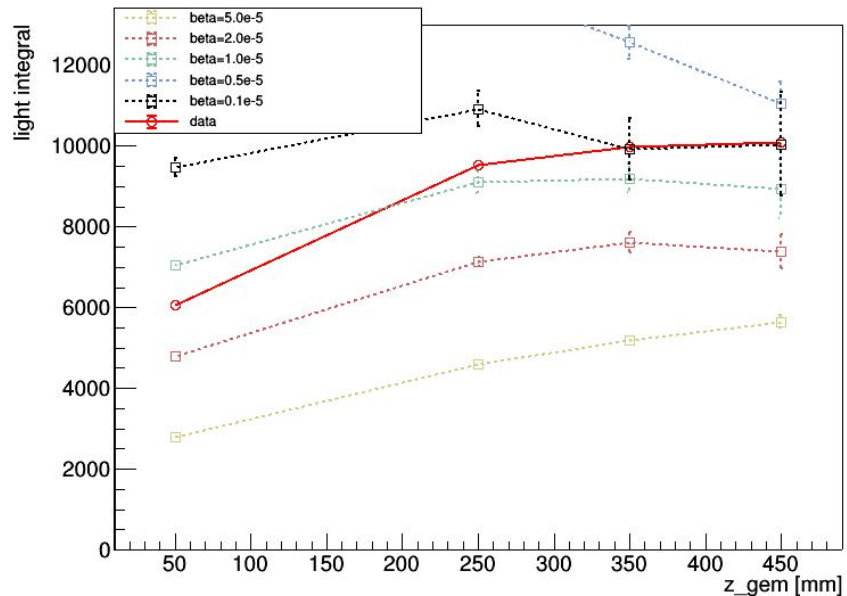
Trying by varying “beta”
with $\sigma_T = 130 \mu\text{m}/\sqrt{\text{cm}}$
 $\sigma_{0T} = 550 \mu\text{m}$
 $A = 1.6$

z scan (different beta)



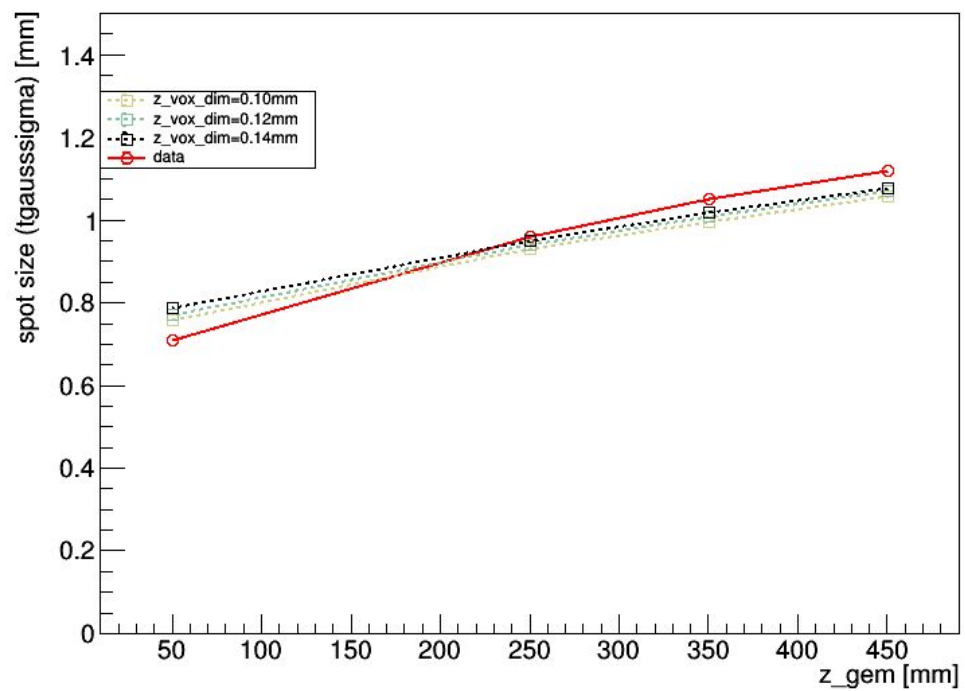
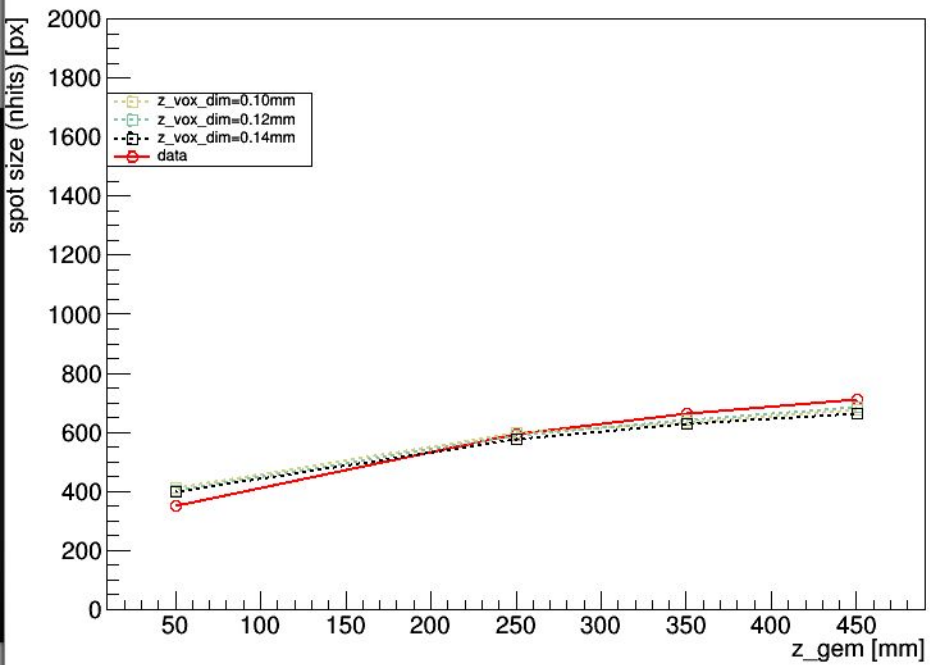
Best parameter: beta=1.0e-5 (original value) -> is the best value since number of hits decreases with beta, and tgauss_sigma increases with beta

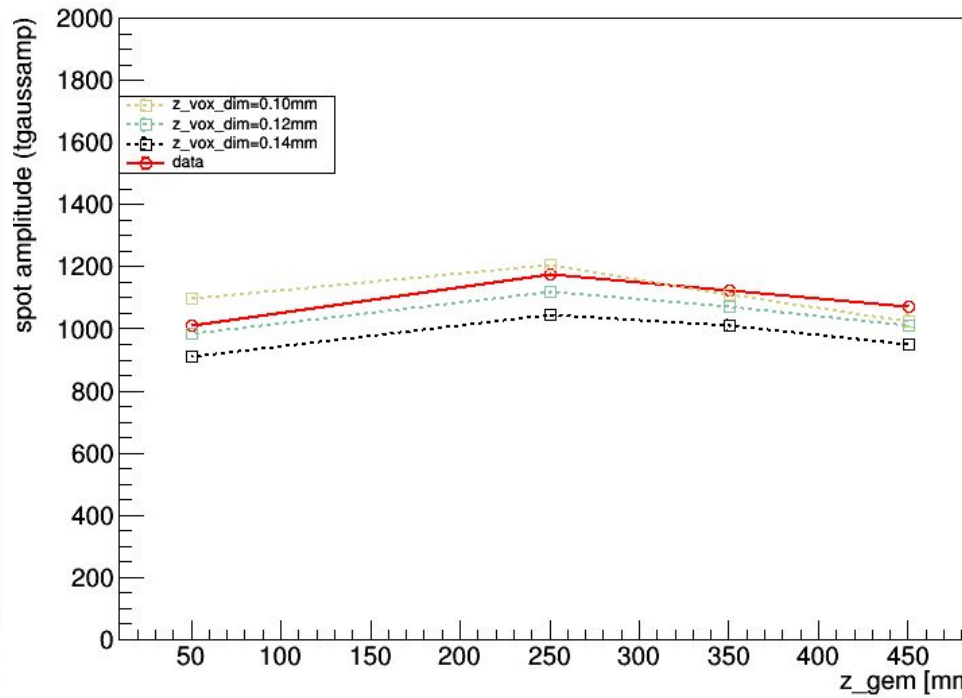
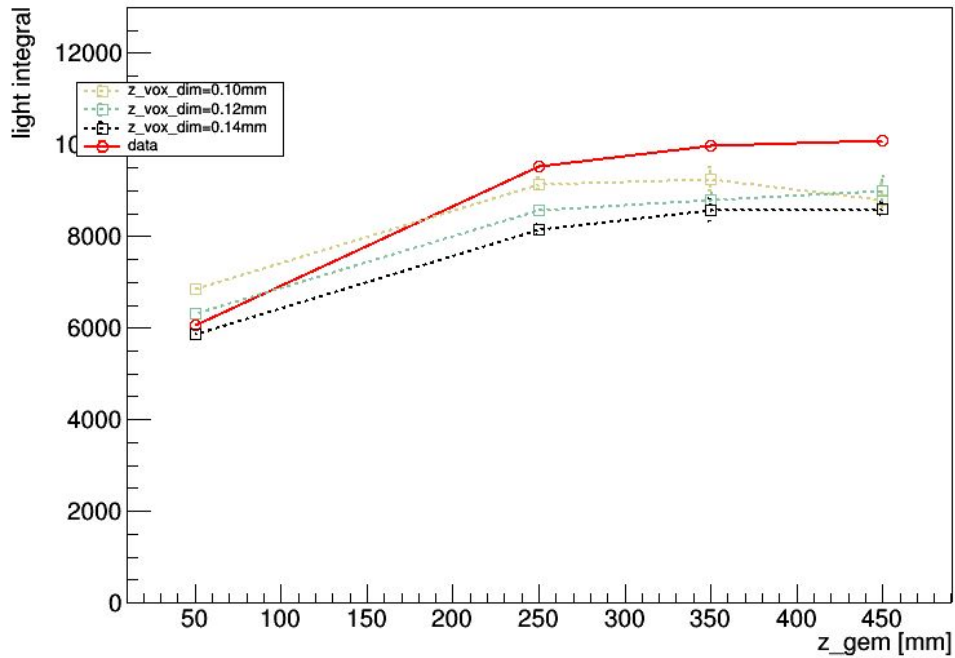
z scan (different beta)



Best parameter: beta=1.0e-5 (standard value)

Try by varying z_vox_dim
with $\sigma_T = 130 \mu\text{m}/\sqrt{\text{cm}}$
 $\sigma_{0T} = 550 \mu\text{m}$
 $A = 1.6$
 $\sigma_L = 99 \mu\text{m}/\sqrt{\text{cm}}$
 $\sigma_{0L} = 260 \mu\text{m}$





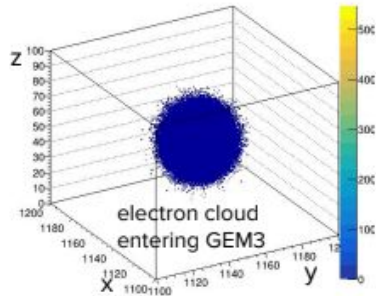
Optimization code 1: rebinning problem

adding possibility to change x,y voxel dimensions (so far we used the “pixel dimensions”)

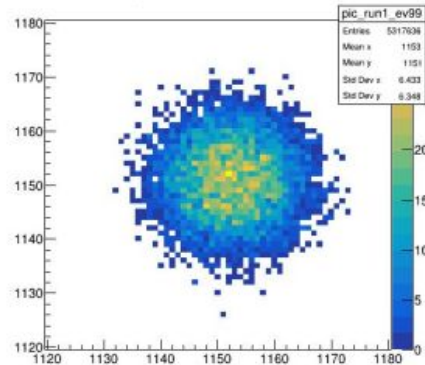
Problem: in the current digitization code there is no way to set x, y voxel dimensions. They are fixed to be = **detector_dimension / number_of_pixels**. (“pixel dimension”)

Once the saturation is applied, you project the 3D histo on the x and y axes, getting a 2D histo that has 2304x2304 bins. Once you scale that histo by the photons_per_electron factor and the solid angle, you get the final image.

You can change the x, y voxel dimensions only by changing detector or camera (n. pixels).



simply projecting on x and y plane



3D histogram to apply saturation effect

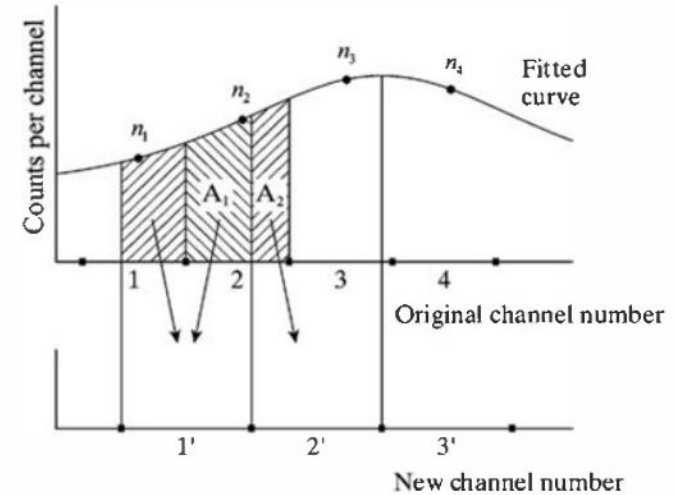
Final image after saturation and scaling by optical factors

Solution: a library that uses a solution explained by G. Knoll

<https://github.com/jhykes/rebin>

1. Fit to the histogram (with a spline function).
2. Compute the area under the fitted curve between the edges of the nearest new bins/channels.
3. Compute the fractions of this area that overlap the original bin edges (A_1 and A_2)
4. Use these fractions as weighting factors in reassigning the counts in an original bin to one or more new bins (depending on the degree of overlap).

$$A_1 / (A_1 + A_2) \text{ for } 1' \quad \text{and} \quad A_2 / (A_1 + A_2) \text{ for } 2'$$

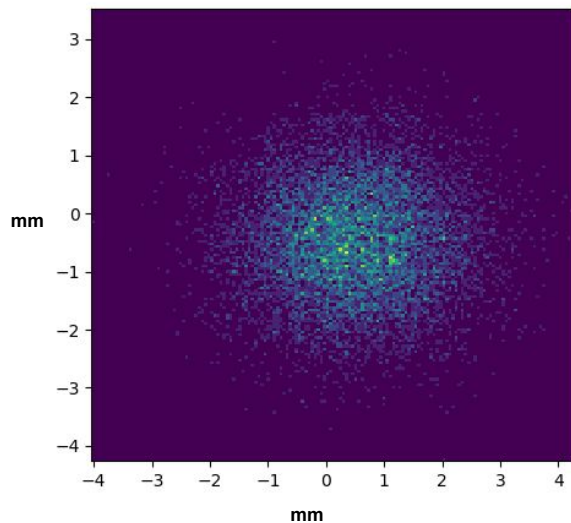


[Glenn Knoll, Radiation Detection and Measurement, 3rd ed., Wiley, 2000.]

detector dim / n. pixel

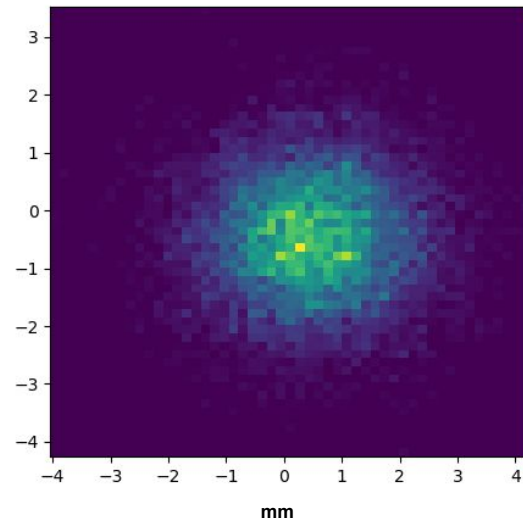
Case 1: x,y voxels dim [mm] < “pixel dim” [mm]

Example: x,y voxel dim = 0.05 mm
pixel dim = 0.15 mm (correct value in LIME)



1 bin = 1 voxel

rebinning

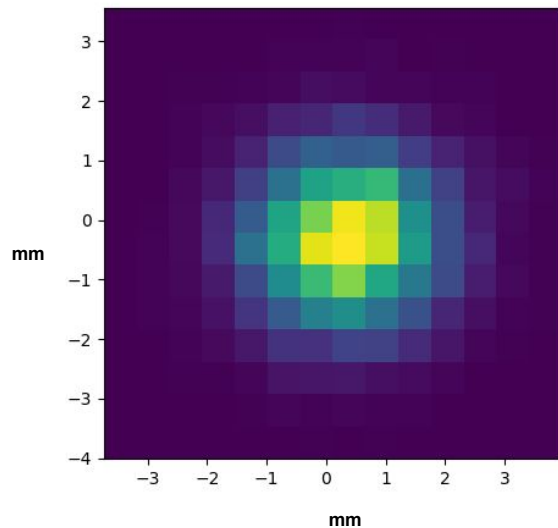


1 bin = 1 pixel

detector dim / n. pixel

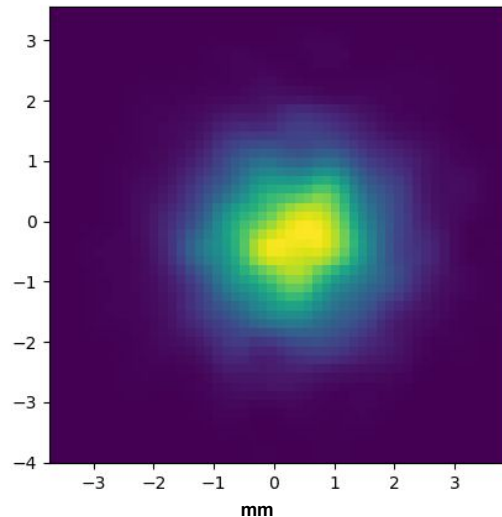
Case 2: x,y voxels dim [mm] > “pixel dim” [mm]

Example: x,y voxel dim = 0.5 mm
pixel dim = 0.15 mm (correct value in LIME)



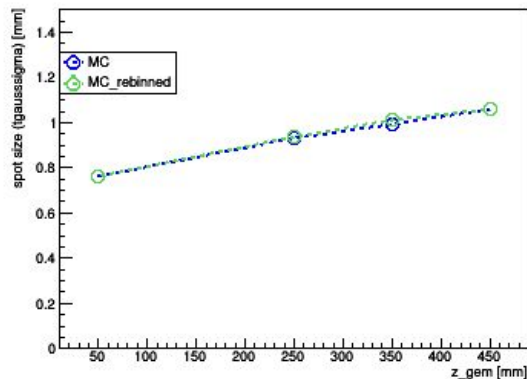
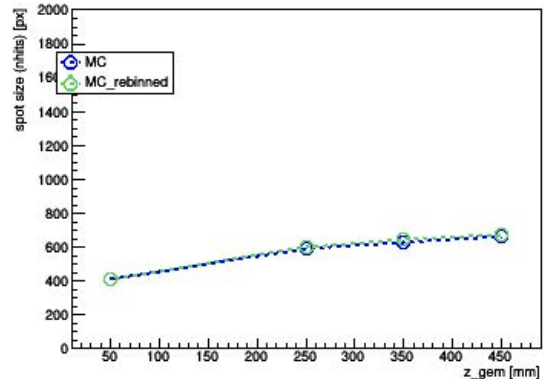
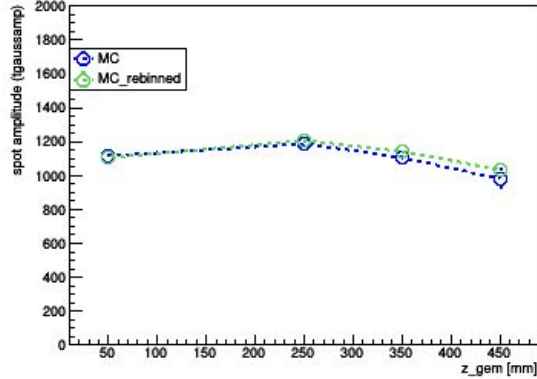
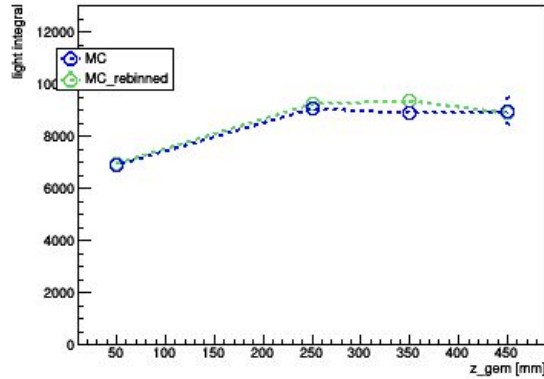
1 bin = 1 voxel

rebinning



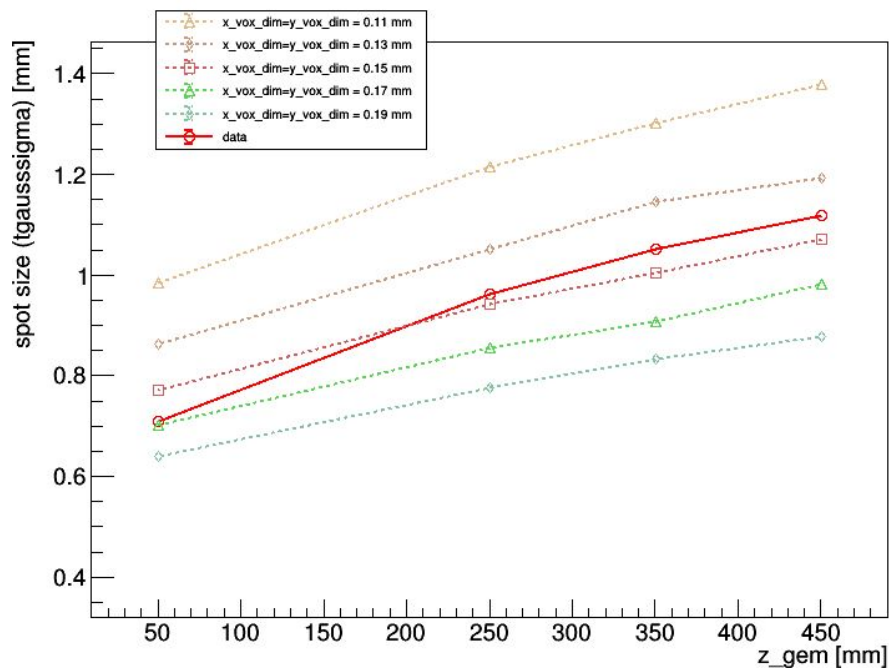
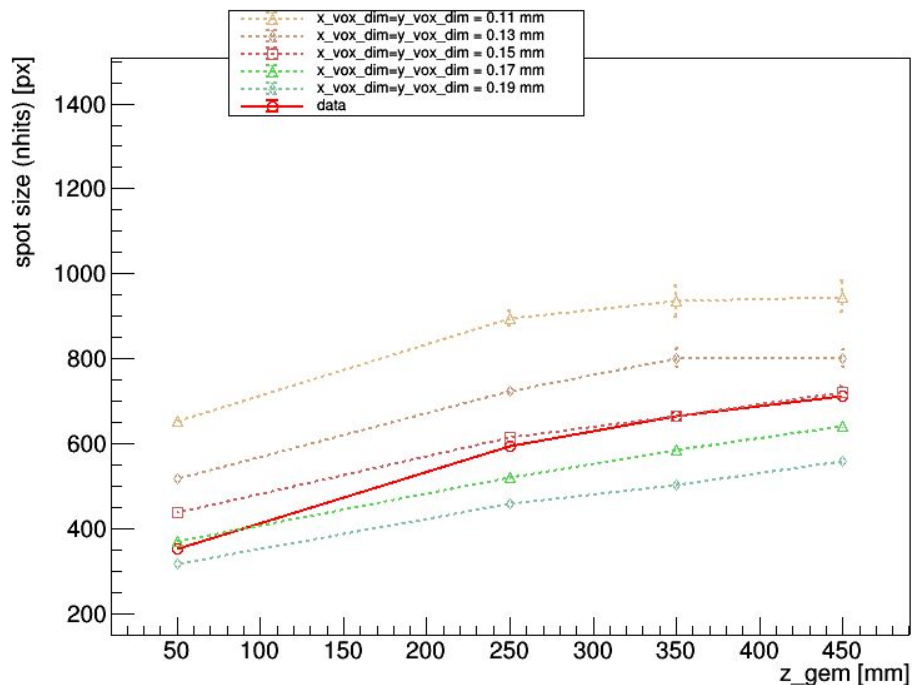
1 bin = 1 pixel

Comparing MC with vs without rebinning (z scan, same parameters)



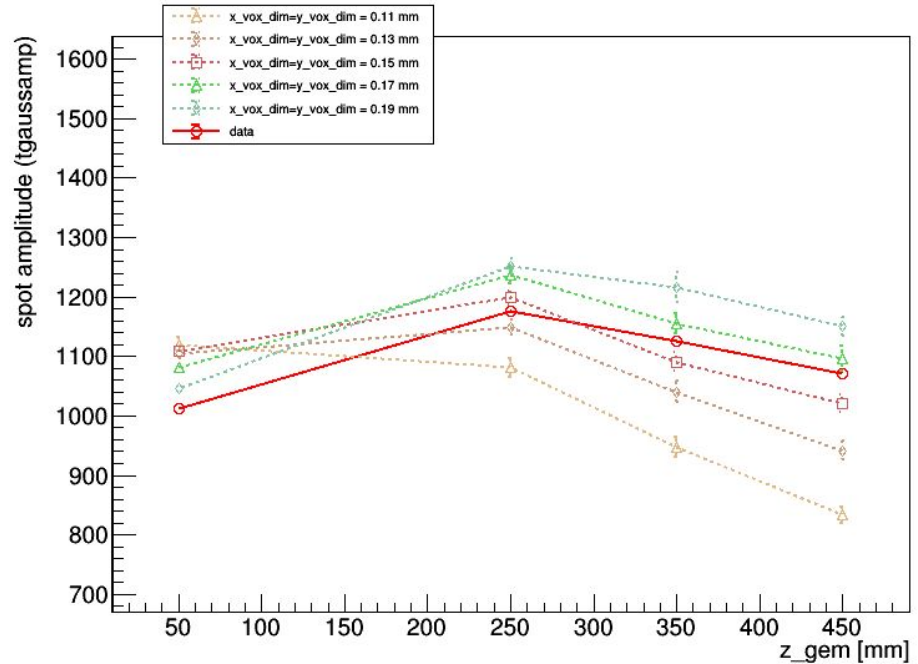
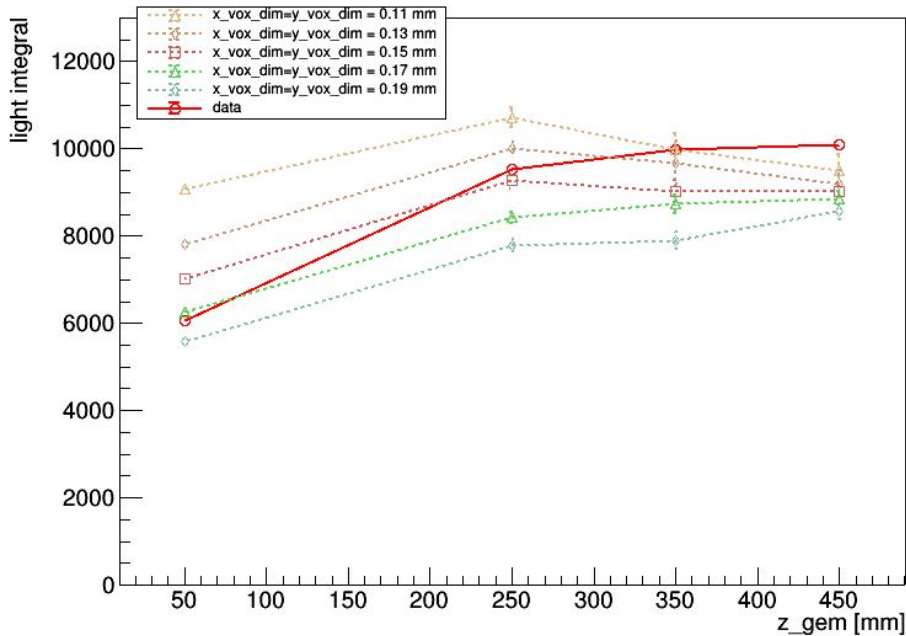
Setting the same parameters,
the two codes seems to give the
same output

Scan with different values of x, y voxel dimension (A=1.6, max sigmaT, min sigmaL)



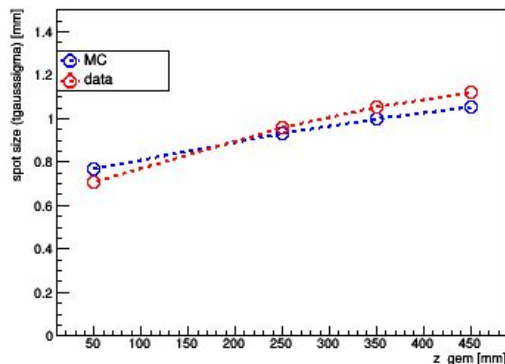
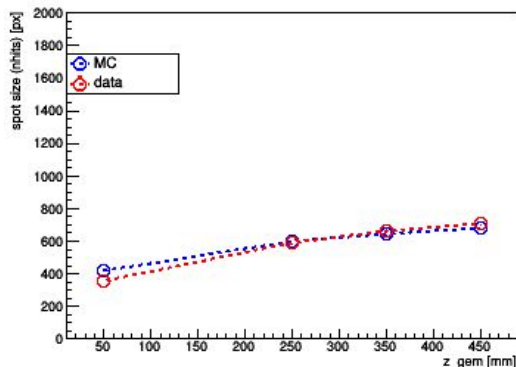
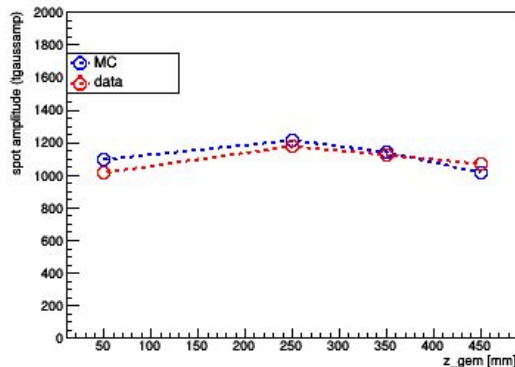
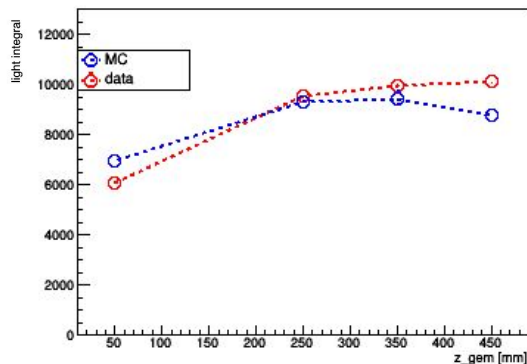
NOTE: the standard value for x,y vox dimension is: $(\text{detector_dim} / n_pixels) = 346 \text{ mm} / 2304 \sim 0.15 \text{ mm}$

Scan with different values of x, y voxel dimension (A=1.6, max sigmaT, min sigmaL)



NOTE: the standard value for x,y vox dimension is: $(\text{detector_dim} / n_pixels) = 346 \text{ mm} / 2304 \sim 0.15 \text{ mm}$

Best result MC/data comparison



Digitization parameters

events per run= 100 events
 detector dimensions = 346cm x 346cm
 pixels = 2304 x 2304
 pedestal = run 4432

beta= 1e-5
A= 1.6

x_vox_dim=0.15 mm
y_vox_dim=0.15 mm
 z_vox_dim=0.1 mm

abs_len= 1000mm
 z_gem = 5, 25, 35, 45 cm
 GEM1_HV= 440V
 GEM2_HV= 440V
 GEM3_HV= 440V

diff_const_sigma0T= 0.3025 mm² (550 μm)
diff_coeff_T= 0.0169 [mm/sqrt(cm)]² (130 μm/sqrt(cm))

diff_const_sigma0L= 0.0676 mm² (260 μm)
 diff_coeff_L= 0.00978 [mm/sqrt(cm)]² (99 μm/sqrt(cm))

ion_pot = 0.0462 keV
 photons_per_el = 0.07
 counts_per_photon = 2.,

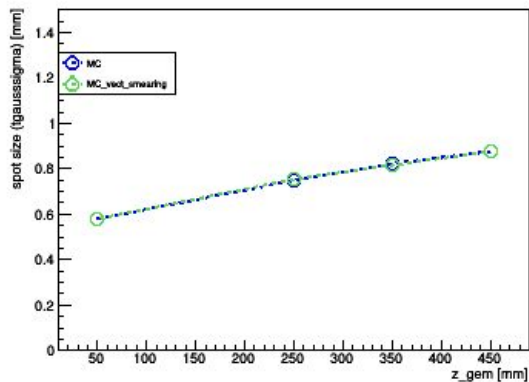
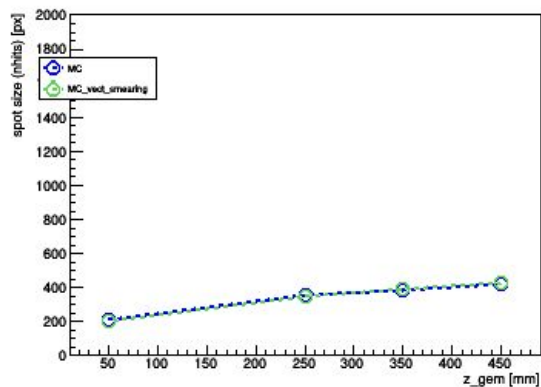
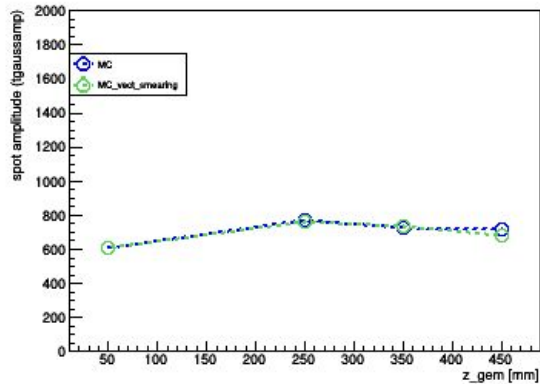
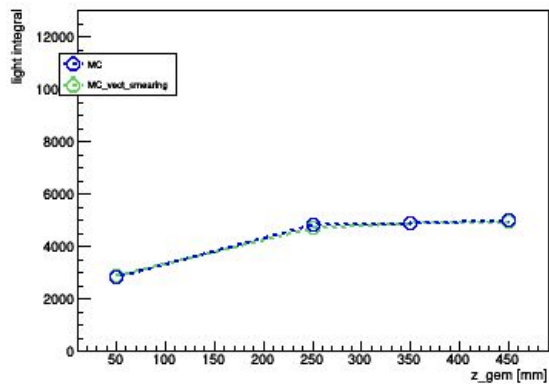
Optimization code2: speeding up the code

Expecting a slower code with this new “rebinning feature”

Improved by **vectorizing the smearing with numpy***: no for loop over hits (this helps when there are lots of hit).

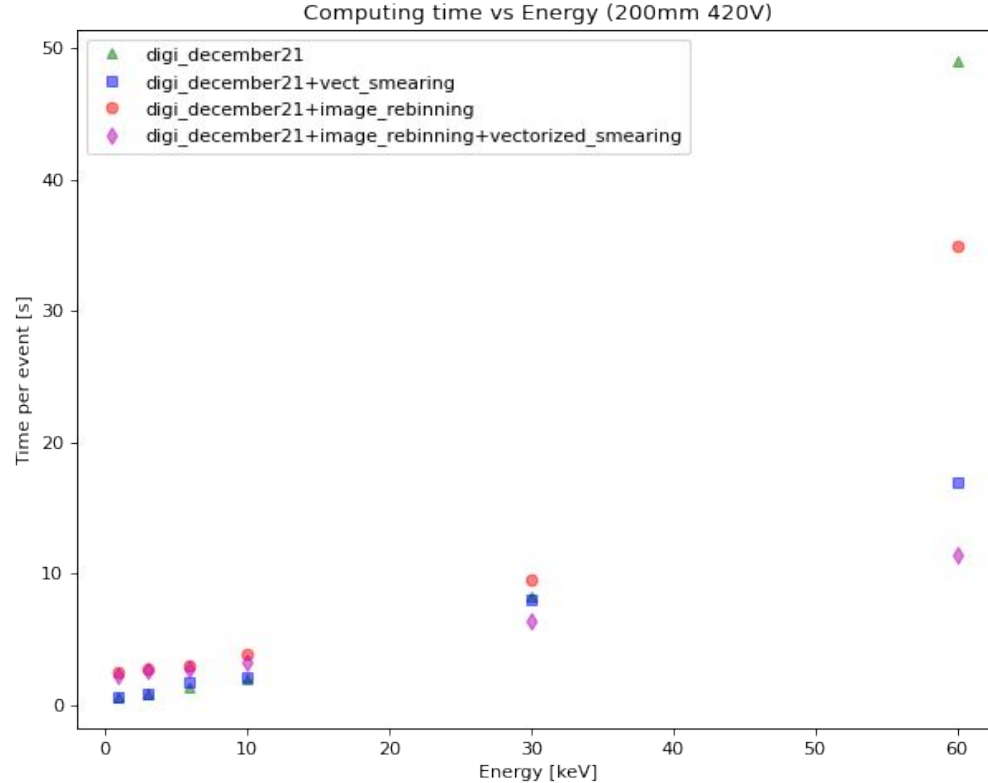
*A similar improvement was already done in December 2021 for the saturation effect only

Comparing MC with vs without “vectorized smearing”



Setting the same parameters, the two codes seem to give the same output.

Computing time vs track energy



Not clear why the “image rebinning” code is faster than “digi_december21” at 60 keV. Need to look at the reconstructed tracks at 60 keV