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# **PID in dRICHes** (HERMES reminiscence, EIC attempts)

E. Cisbani

## HERMES RICH - IRT



Main reconstruction method based on Indirect (Inverse) Ray Tracing:

computationally efficient, single hit processing

#### Knowns:

- detector geometry (and angular resolution  $\sigma_{\rm q}$  )

- hit position

- track information (trajectory and momentum) Assumed:

- radiator (hypothesis)
- emission vertex along trajectory

Reconstruct (numerical solution): → emission angle for each hit Choose radiator hypothesis (usually simple) and evaluate average emission angle

Select particle type based on - product of aerogel and gas gaussian likelihoods on expected and average emission angles (assumed single photon resolution)

$$L(\langle \vartheta \rangle) = exp \left[ -\frac{(\vartheta_{theo} - \langle \vartheta \rangle)^2}{2\sigma_{\vartheta}^2/N} \right]$$

dRICH reco

### HERMES RICH - DRT

### Direct Ray Tracing I global reconstruction, computational demanding

Knowns:

- detector geometry and physics/optics properties (detector response)
- tracks information (trajectory and momentum, including tracks of known particles)
- pixels with signal: C(i)

For each hypothesis: track-particle time (h)=(t,p), compute by ray-tracing/MC:

- · Geometrical probability of each pixel to be hit
- Average #PE on each pixel (from Cherenkov radiation and background sources):  $N_{PE}^{(h)}(i)$

Combine hypothesis of each track and evaluate overal probability (e.g. assume Poisson) to be/not to be hit by each pixel (I):

$$P^{(h)}(i) = 1 - exp\left(-N_{PE}^{(h)}(i)\right) = 1 - \bar{P}^{(h)}(i)$$

Select hypothesis that maximize likelihood:

$$L(h) = \prod_{i} \left[ P^{(h)}(i)C(i) + \bar{P}^{(h)}(i)(1 - C(i)) \right]$$

A confidence level of reconstruction can be estimated by:

L(1) and L(2) the largest likelihoods with L(1)>L(2) 
$$G \doteq \frac{\log L(1) - \log L(2)}{\sigma(\log L)}$$

## **HERMES RICH PID Performance**

