

# Precision in the “near” future of BSM

FCCP2022, Capri, September 22-24, 2022

R. Barbieri (SNS, Pisa)

## 1. Introduction

My own “prejudices”

## 2. SM Effective Field Theory

Useful? How to use it?

## 3. How do precision measurements relate to BSM searches?

Current anomalies **as examples**

In inverse order of arrival:

$M_W$        $(g - 2)_\mu$        $B$  – anomalies

## 4. Any “definite goal”?

0. Which rationale for matter quantum numbers?

$$|Q_p + Q_e - Q_n| < 10^{-21} e$$

1. Phenomena unaccounted for

neutrino masses  
Dark matter

matter-antimatter asymmetry  
inflation?

2. Why  $\theta \lesssim 10^{-10}$  ?

$$\theta G_{\mu\nu} \tilde{G}^{\mu\nu}$$

Axions?

3.  $\mathcal{O}_i : d(\mathcal{O}_i) \leq 4$  only?

neutrino masses

gravity?

Are the protons forever?

4. Lack of calculability

the hierarchy problem  
the flavour problem

# Where could some light come from?

1.A theory breakthrough

- 1a BSM
- 1b Foundations (FT, QM)

1a Not that one hasn't tried, sometimes with great ideas (GUT, susy, axion,...)

2.Astrophysics, Cosmology

- 2a DM
- 2b B-asymmetry
- 2c Gravity

Fundamental questions. Related to the structure of the SM or PP?

3.An experimental deviation  
from the SM

- 3a New particles
- 3b Precision

Focus on 3b, assuming (which requires) new physics in the MultiTeV,

# A difference in the two sectors of the SM?

$$\mathcal{L}_{SM} = -\frac{1}{4}F_{\mu\nu}^a F^{a\mu\nu} + i\bar{\Psi}D\Psi$$

The “gauge sector”

$$+|D_\mu\phi|^2 + M^2|\phi|^2 - \lambda|\phi|^4 + \Lambda + \lambda_{ij}\phi\bar{\Psi}_i\Psi_j$$

The “Higgs sector”

(where the Fermi scale originates)

the hierarchy  
problem

the CC problem

the flavour  
problem

In EFT they look  
much the same

No particle mass  
calculable (15=17-2)

To me: the relatively best motivation for BSM in the MultiTeV

# Standard Model EFT

3.  $\mathcal{O}_i : d(\mathcal{O}_i) \leq 4$  only?

$$\mathcal{L} = \mathcal{L}_{SM} + \sum_i \frac{E_i}{v^2} \mathcal{O}_i^{(d>4)}$$

To be used with a grain of salt (about 2500 op.s at d=6 only)

A technical tool

Different subset of op.s for different subset of pseudo-ob.s  
and different models!!

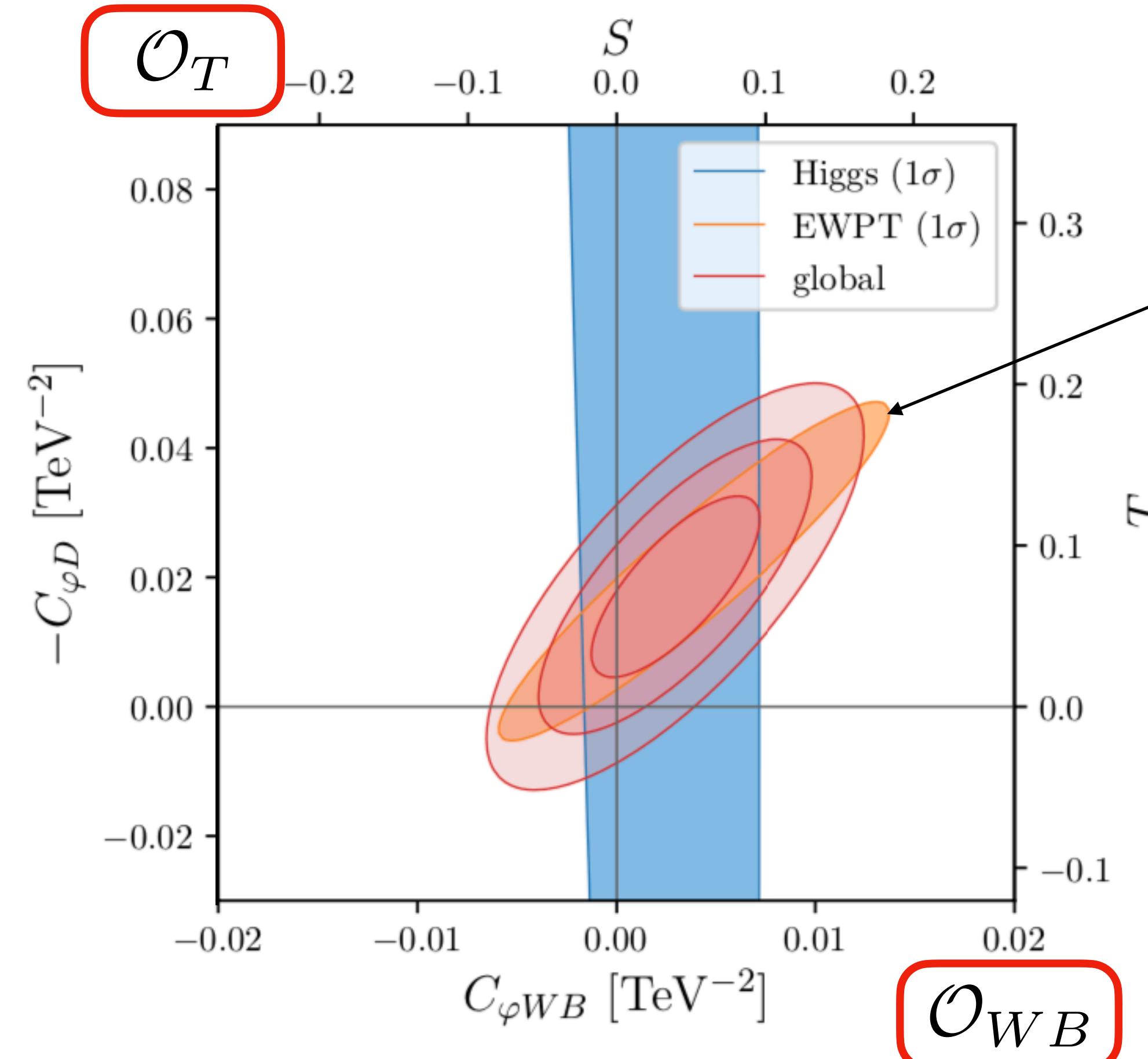
# Three examples for the “best LEP” coefficients

1. On shell measurements

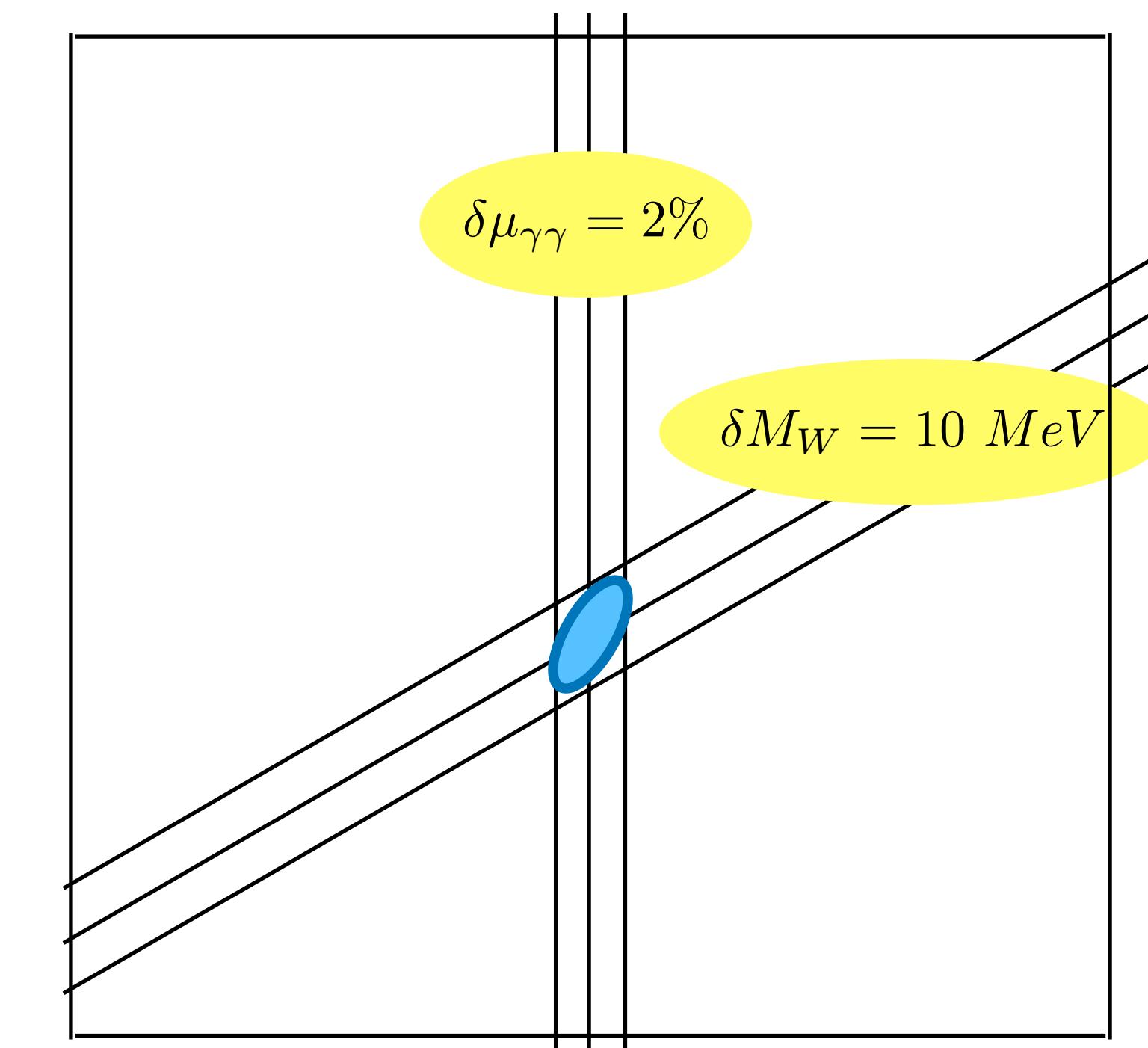
$S, T$

$$\mathcal{O}_{WB} = gg'H^+\sigma^aHW_{\mu\nu}^aB^{\mu\nu} \quad \mathcal{O}_T = \frac{1}{2}(H^\dagger \overleftrightarrow{D}_\mu H)^2$$

$H \rightarrow \gamma\gamma$



Projection with 2 observables only



(On the same scale as the plot on the left)

# Three examples for the “best LEP” coefficients

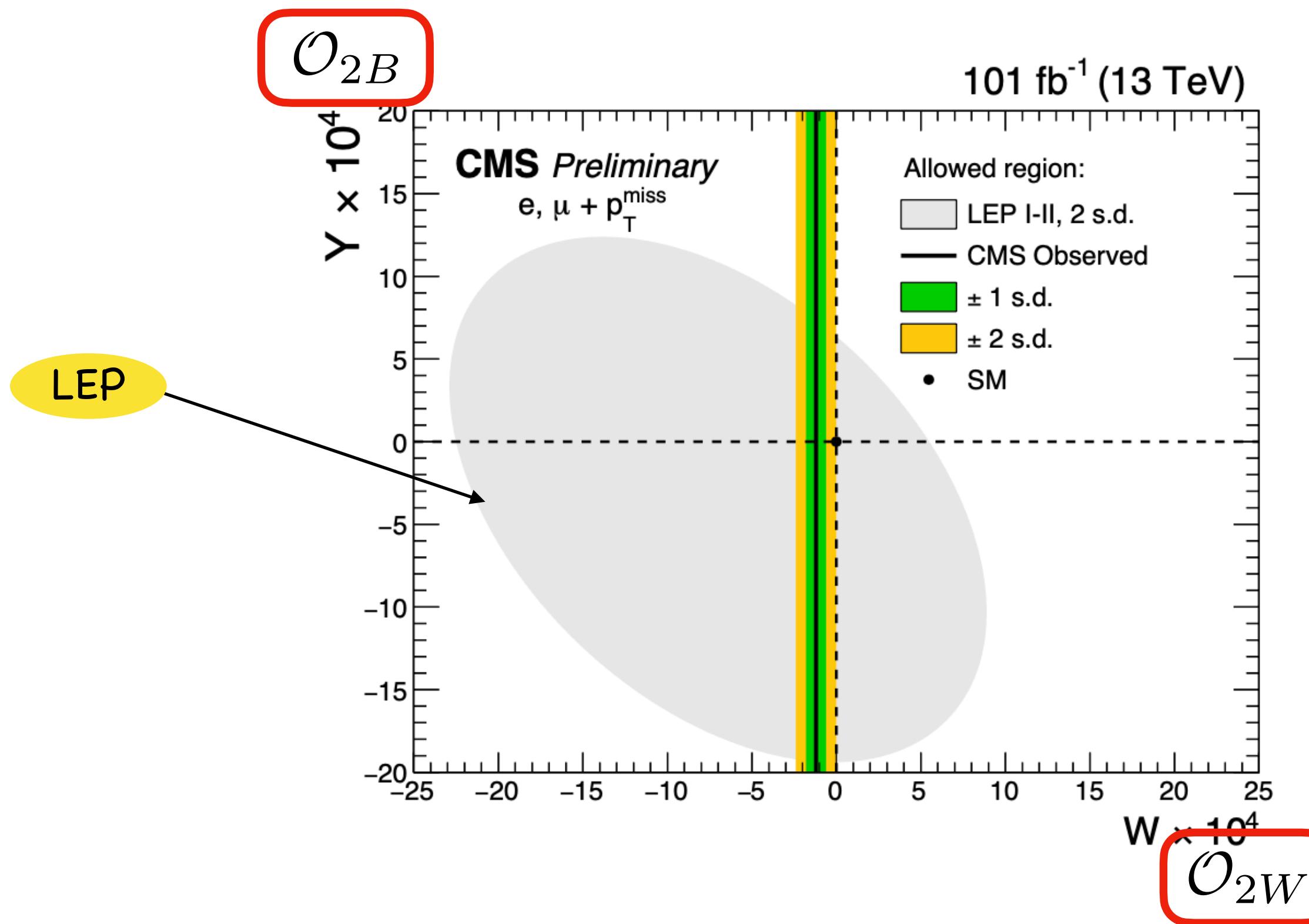
2. Off shell measurements

$W, Y$

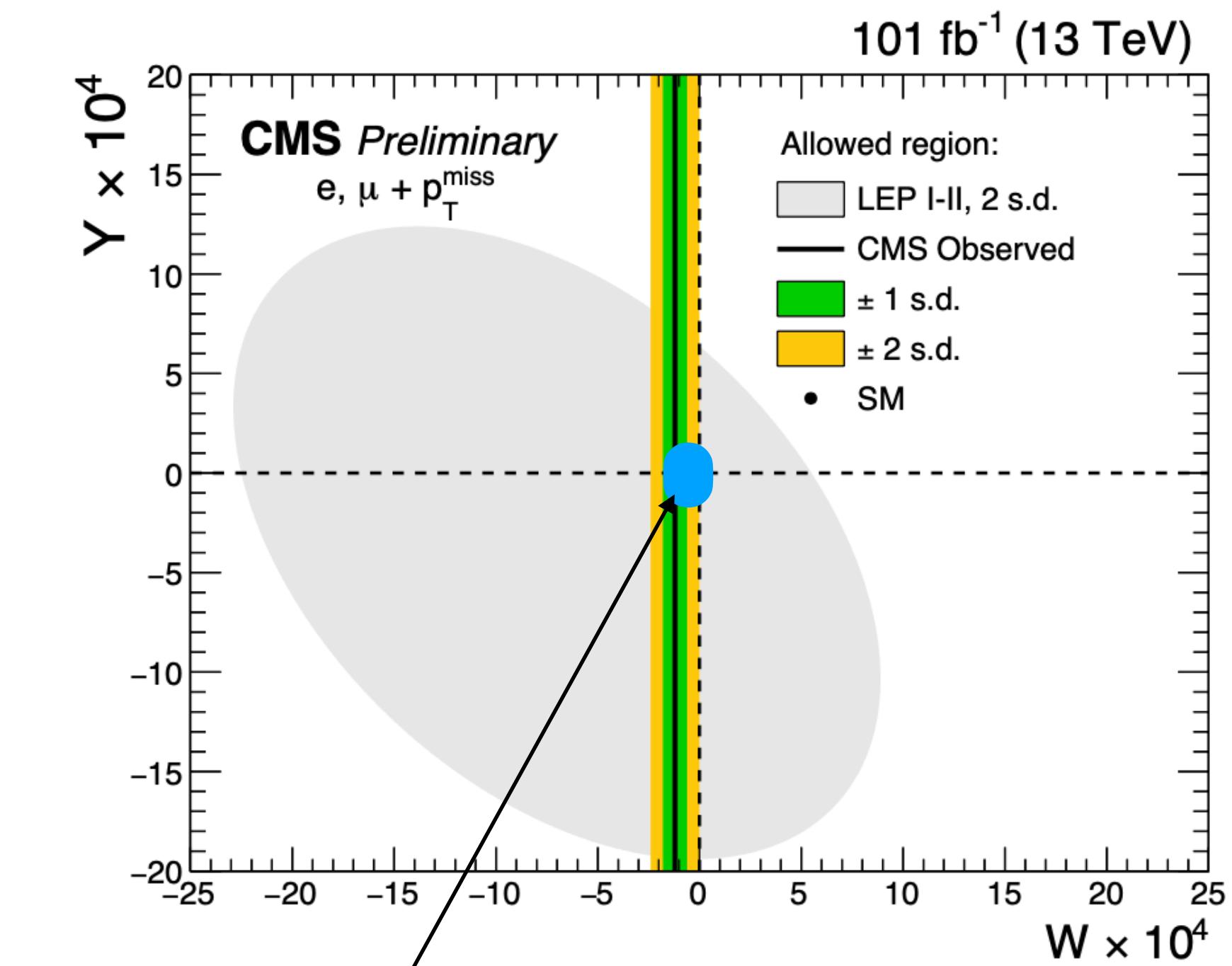
$$\mathcal{O}_{2B} = -\frac{1}{2}(\partial^\mu B_{\mu\nu})^2$$

$$\mathcal{O}_{2W} = -\frac{1}{2}(D^\mu W_{\mu\nu}^a)^2$$

$pp \rightarrow l\nu, ll$



Panico et al, 2021



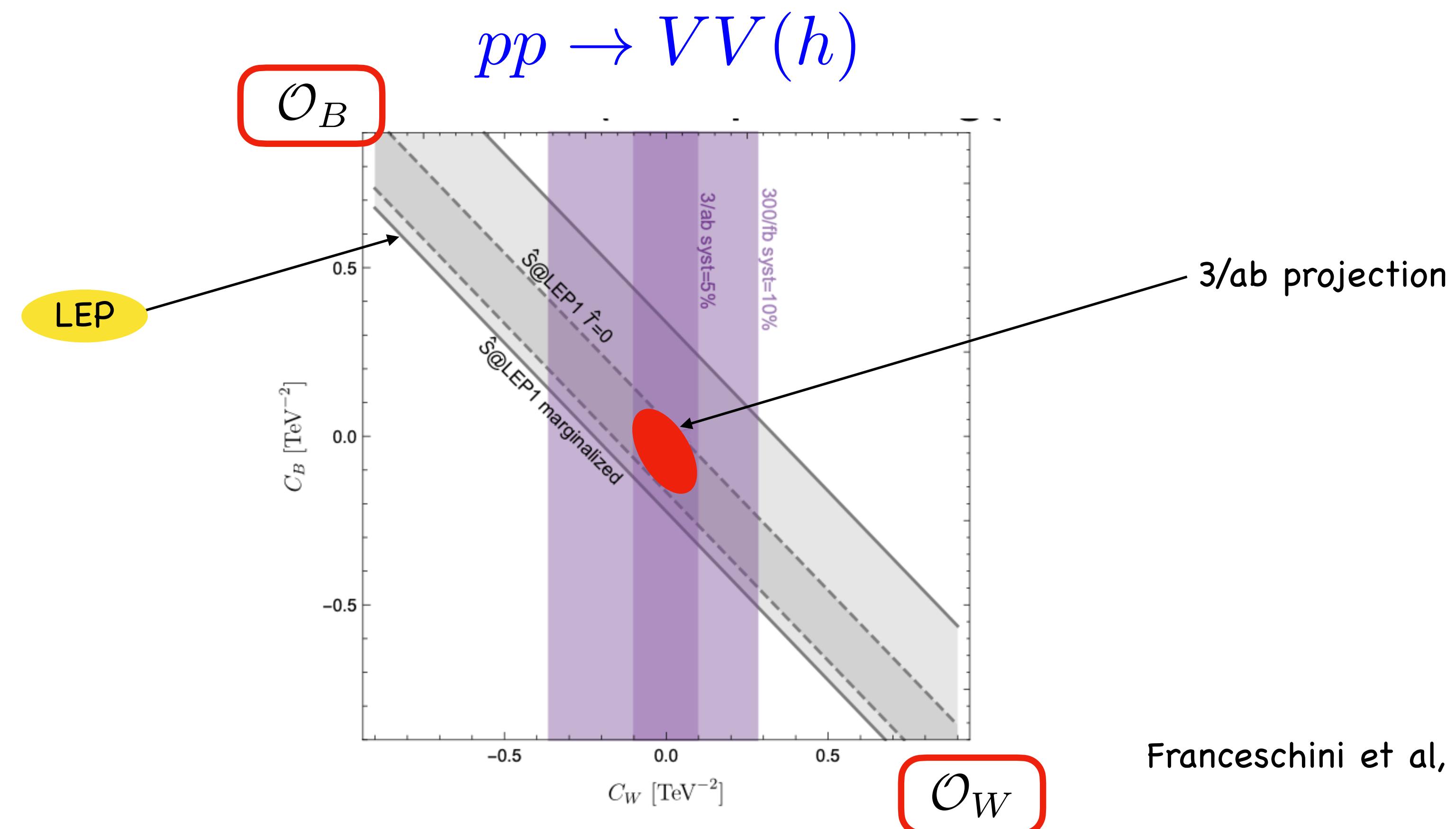
HL-LHC

$$W \rightarrow 4 \cdot 10^{-5}$$
$$Y \rightarrow 8 \cdot 10^{-5}$$

# Three examples for the “best LEP” coefficients

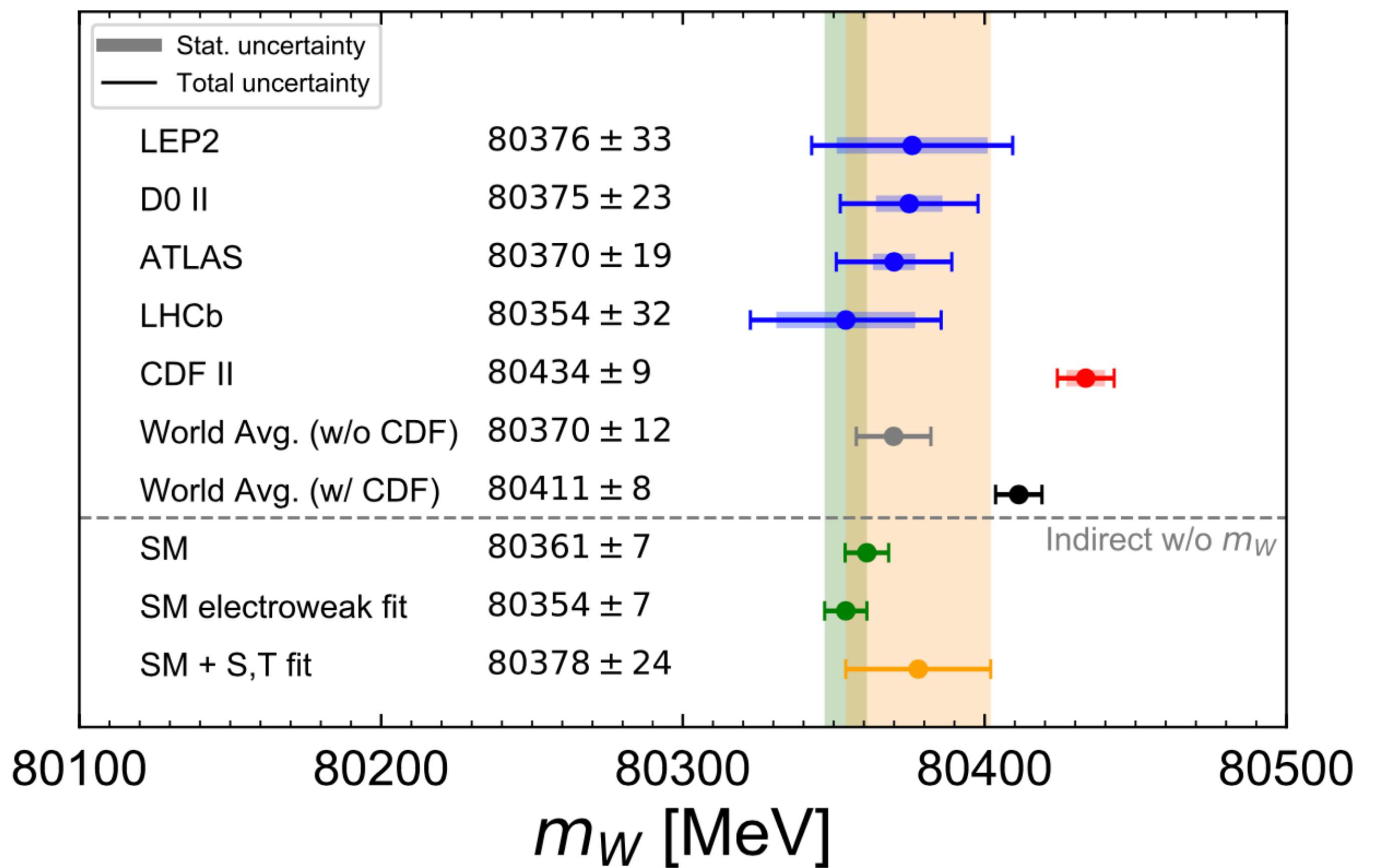
2. Off shell measurements

$$\mathcal{O}_B = \frac{ig'}{2}(H^\dagger \overleftrightarrow{D}_\mu H) \partial^\nu B_{\mu\nu} \quad \mathcal{O}_W = \frac{ig}{2}(H^\dagger \sigma^a \overleftrightarrow{D}_\mu H) D^\nu W_\mu^a$$



# Example 1

$M_W$



$$\frac{\delta M_W}{M_W} = 0.7\hat{T} - 0.4\hat{S}$$

(2 more op.s in universal theories)

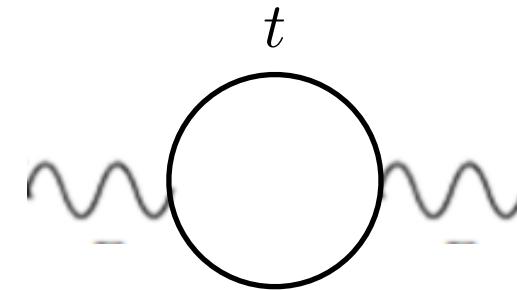
$$\left( \frac{\delta \sin_{eff}^2 \theta}{\sin_{eff}^2 \theta} = -1.4\hat{T} \right)$$

$$\left. \frac{\delta \sin_{eff}^2 \theta}{\sin_{eff}^2 \theta} \right|_{exp} = 10^{-3}$$

$$\left. \frac{\delta M_W}{M_W} \right|_{exp} = \frac{20 \text{ MeV}}{80 \text{ GeV}} = 2.5 \cdot 10^{-4}$$

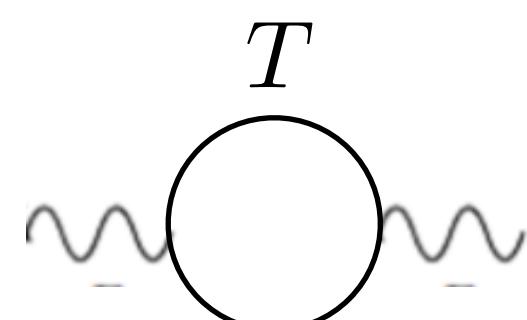
# VectorLike Heavy top partners T

Ubiquitous in  
Composite Higgs



$$y_t H \bar{q}_L t_R$$

$$\hat{T}(top) = \frac{3m_t^2}{32\pi^2 v^2} = 9.5 \cdot 10^{-3}$$



$$Y_T H \bar{q}_L T_R$$

$$\hat{T}(T) \approx \frac{3Y_T^2}{16\pi^2} \frac{m_t^2}{M_T^2} \lg \frac{M_T^2}{m_t^2}$$

(  $\hat{S}, \delta g_b$  smaller)

$$Y_t H \bar{Q}_L t_R, \quad Q = \begin{pmatrix} T \\ B \end{pmatrix}$$

$$\hat{T}(T) \approx \frac{3Y_t^2}{8\pi^2} \frac{m_t^2}{M_T^2} \lg \frac{M_T^2}{m_t^2}$$

If CDF II

Singlet

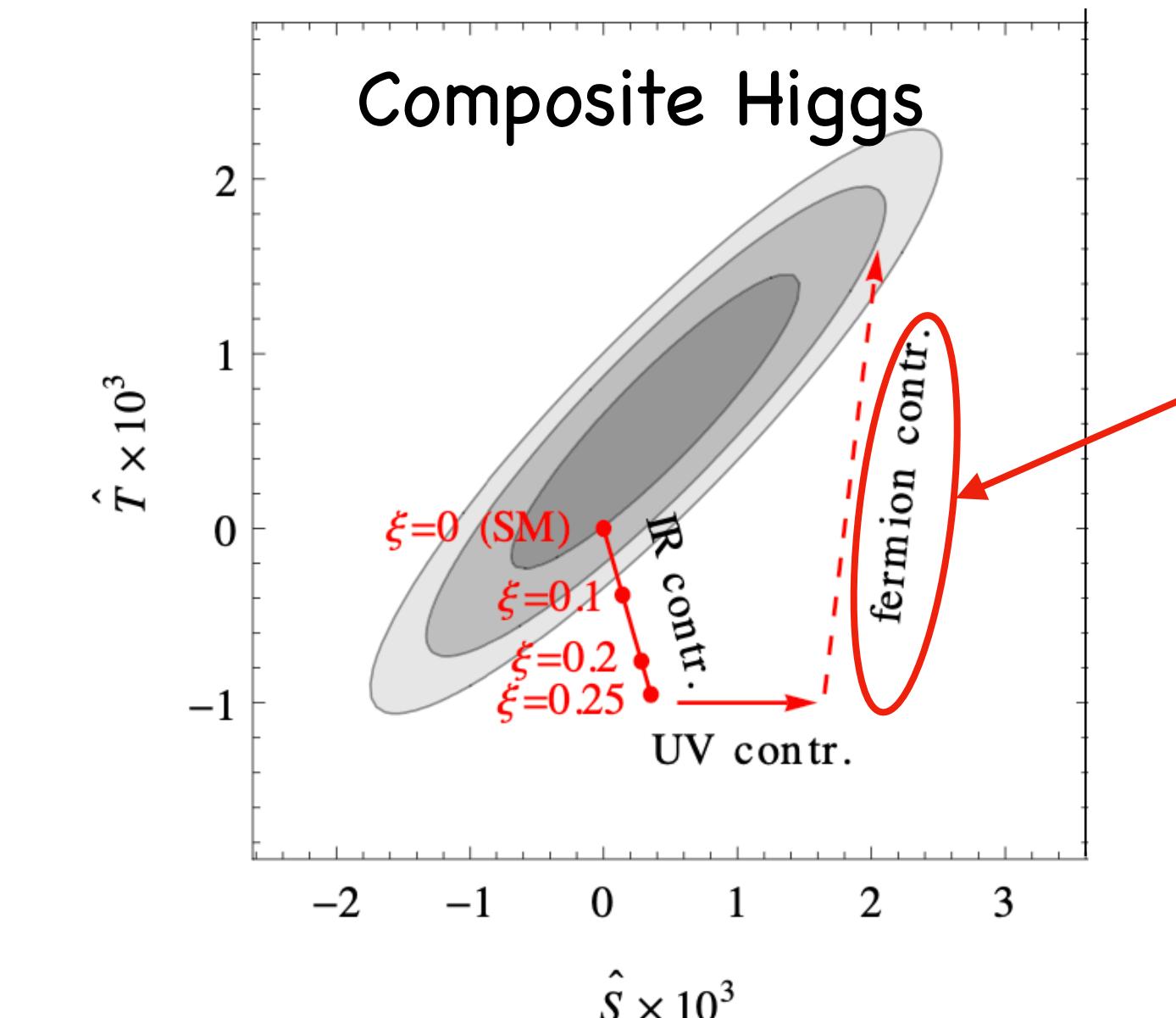
$$\frac{M_T}{Y_T} \approx (1.8 \div 2.2) \text{ TeV}$$

If  $\delta M_W \lesssim 10 \text{ MeV}$

Doublet

$$\frac{M_T}{Y_t} \approx (2.5 \div 3) \text{ TeV}$$

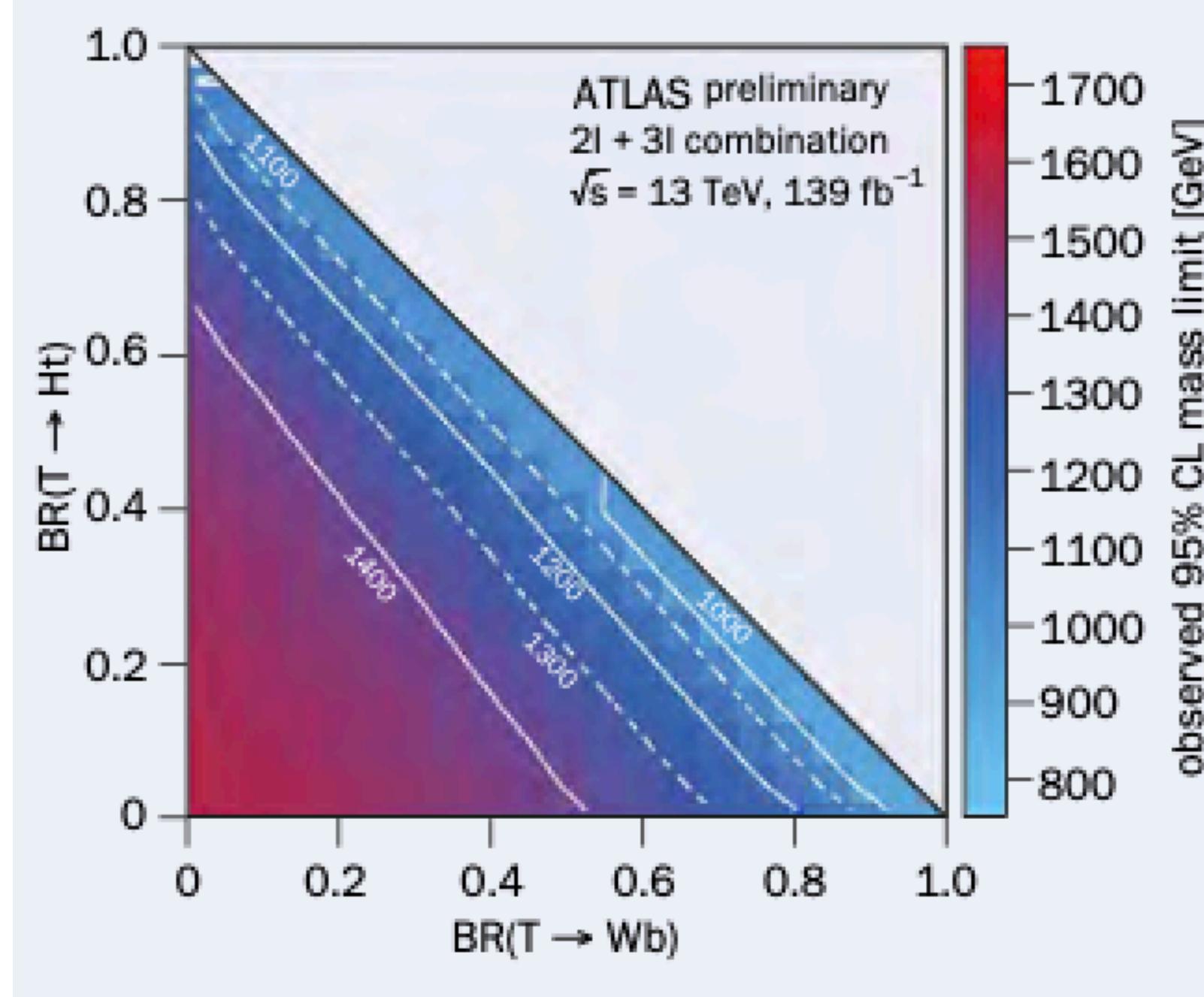
$$\frac{M_T}{Y_t} \gtrsim (4 \div 5) \text{ TeV}$$



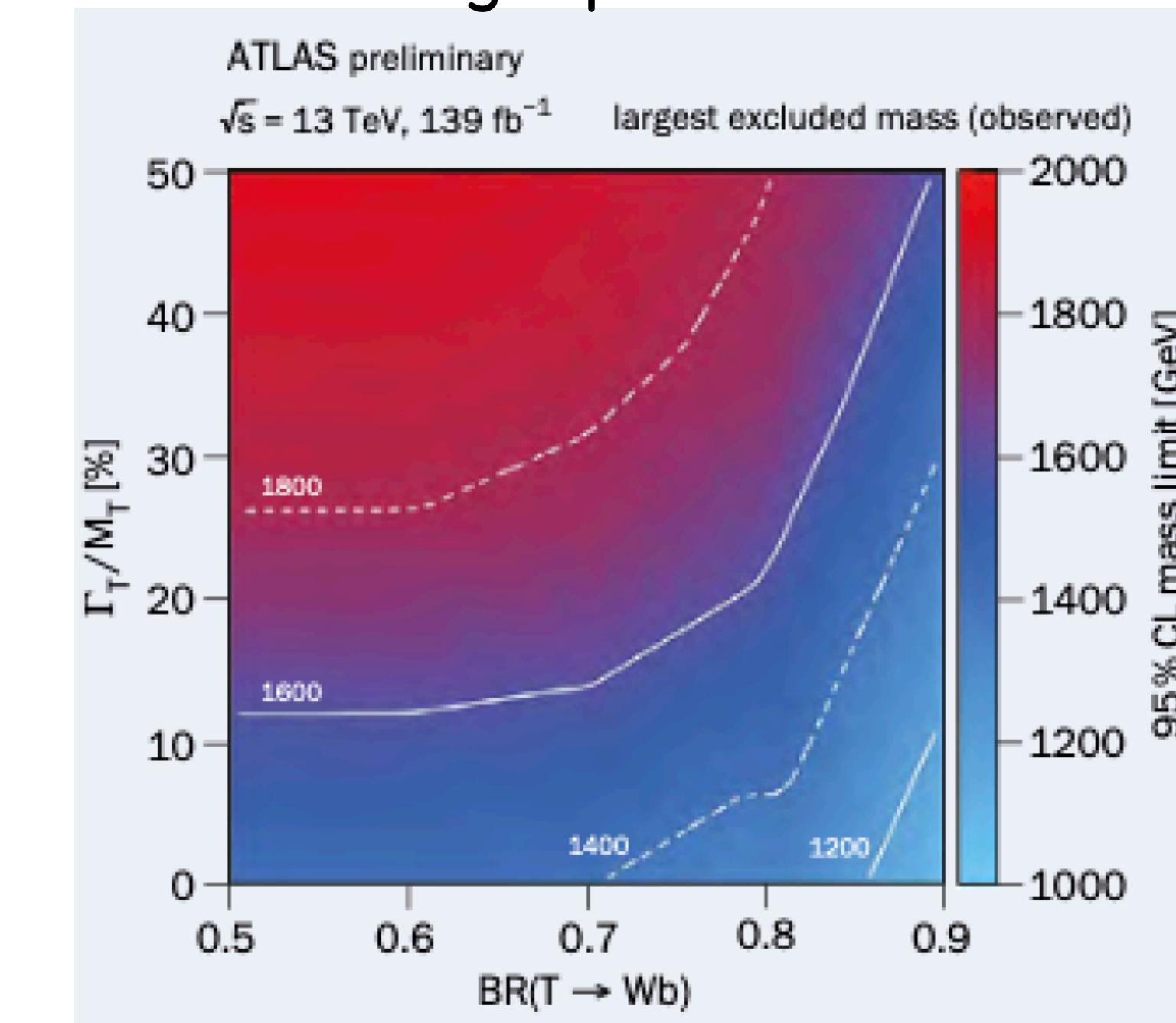
# LHC searches of heavy T

$$T \rightarrow Ht, Wb$$

Pair production



Single production



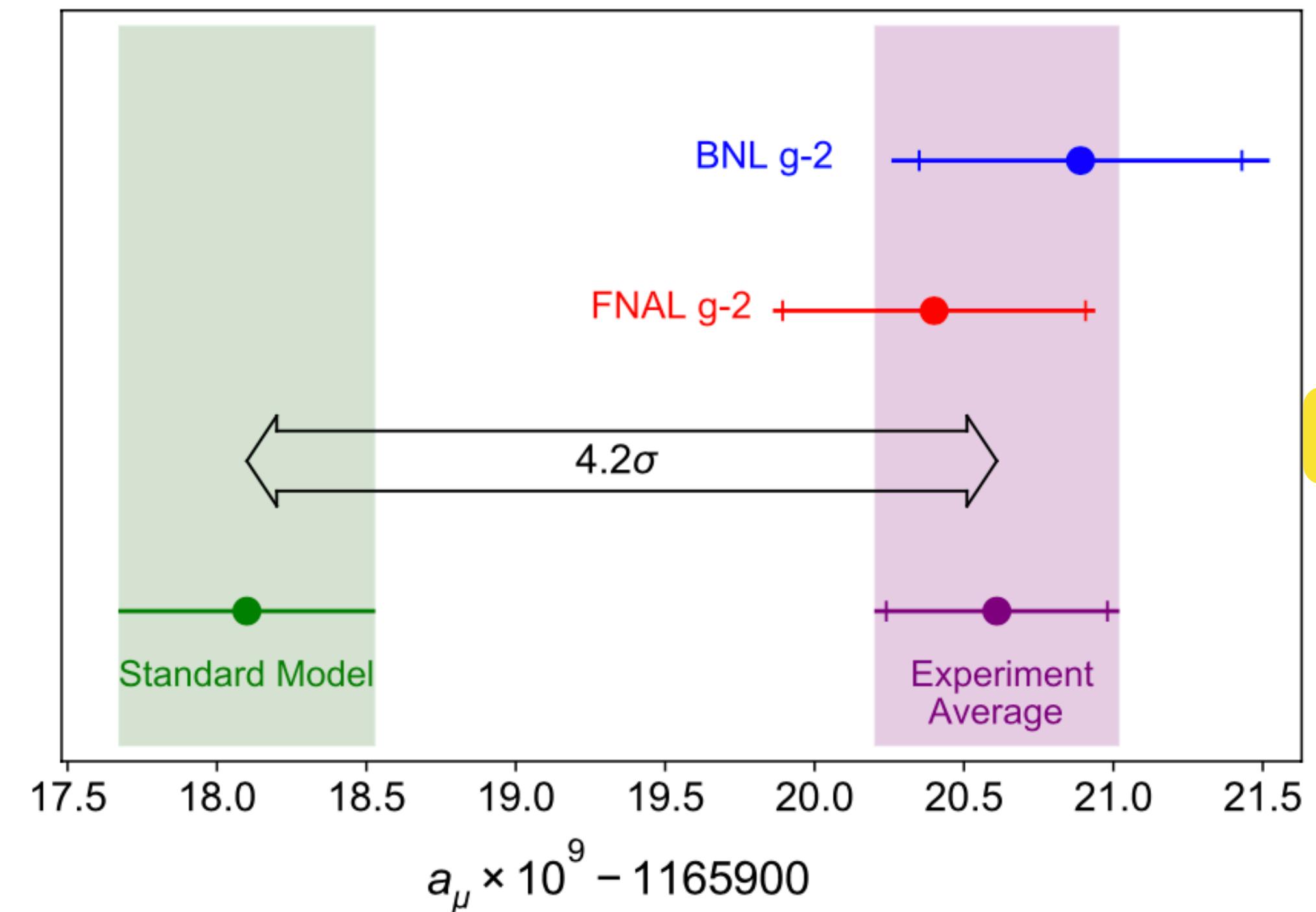
## Example 2

$(g - 2)_\mu$

$$\Delta a_\mu|_{HVP} = 6845(40) \cdot 10^{-11}$$

$$\Delta a_\mu|_{Weak} = 153(1) \cdot 10^{-11}$$

$$\Delta a_\mu|_{HLbL} = 92(18) \cdot 10^{-11}$$



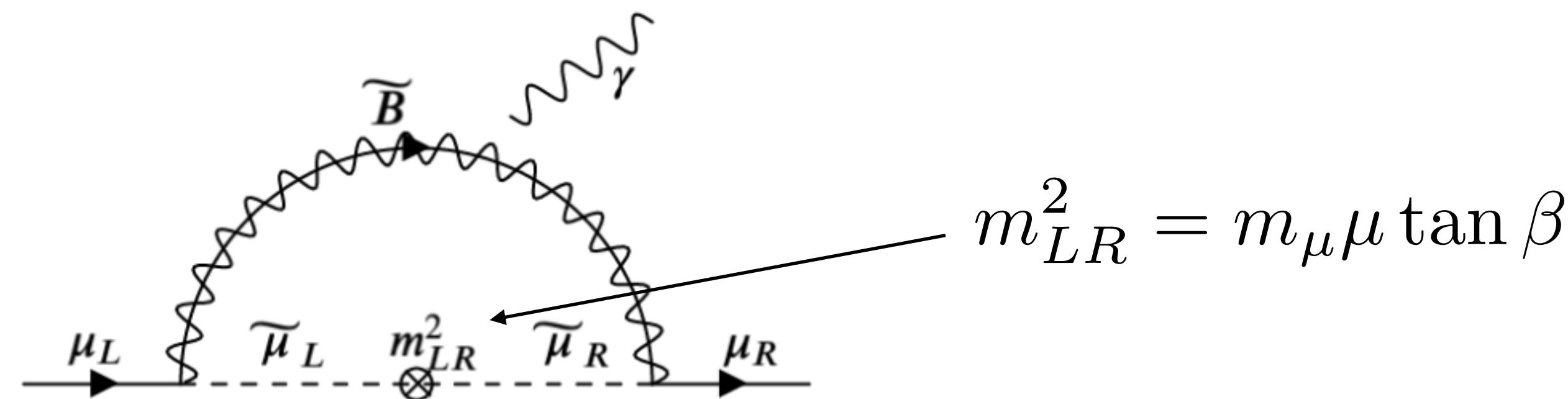
$$a_\mu|_{exp} - a_\mu|_{th} = 250(60) \cdot 10^{-11}$$

# SUSY as an “EASY” and MOTIVATED interpretation

## 1. Relevant (low energy) parameters:

$$M_1 \tilde{b} \tilde{b}, \quad m_{\tilde{\mu}_L} \tilde{\mu}_L^+ \tilde{\mu}_L, \quad m_{\tilde{\mu}_R} \tilde{\mu}_R^+ \tilde{\mu}_R, \quad \mu H_1 H_2, \quad \tan \beta = \frac{\langle H_2 \rangle}{\langle H_1 \rangle}$$

## 2. Size of the effect:



$$\Delta a_\mu|_{SUSY} \approx \frac{g_1^2}{16\pi^2} m_\mu^2 \frac{M_1 \mu \tan \beta}{m_{\tilde{\mu}_L}^2 m_{\tilde{\mu}_R}^2} \approx 2.5 \cdot 10^{-9} \left( \frac{\tan \beta}{10} \right) \left( \frac{\mu}{1 \text{ TeV}} \right) \left( \frac{M_1}{100 \text{ GeV}} \right) \left( \frac{200 \text{ GeV}}{m_{\tilde{\mu}_L}} \right)^2 \left( \frac{200 \text{ GeV}}{m_{\tilde{\mu}_R}} \right)^2$$

### 3. Main constraints on parameter space

The straightest(?) way to go

- No coloured partners below  $1 \div 2 \text{ TeV}$

$$M_3 \tilde{g} \tilde{g}, \quad M_3 \gtrsim \text{a few TeV}$$

- No LFV observed so far

$$\mu \rightarrow e\gamma, \mu N \rightarrow eN, \mu \rightarrow 3e, \tau \rightarrow \mu\gamma, \text{etc}$$

$$m_{\tilde{e}_L} = m_{\tilde{\mu}_L} = m_{\tilde{\tau}_L} \quad (\text{and similarly for } m_{\tilde{l}_R})$$

Due to  $m_{LR}^2(\tau) = m_\tau \mu \tan \beta \approx (150 \text{ GeV})^2 \frac{\tan \beta}{10} \frac{\mu}{\text{TeV}}$   $\Rightarrow \tilde{\tau} = \text{lightest s-lepton (or tachyonic)}$   
(LFU violation)

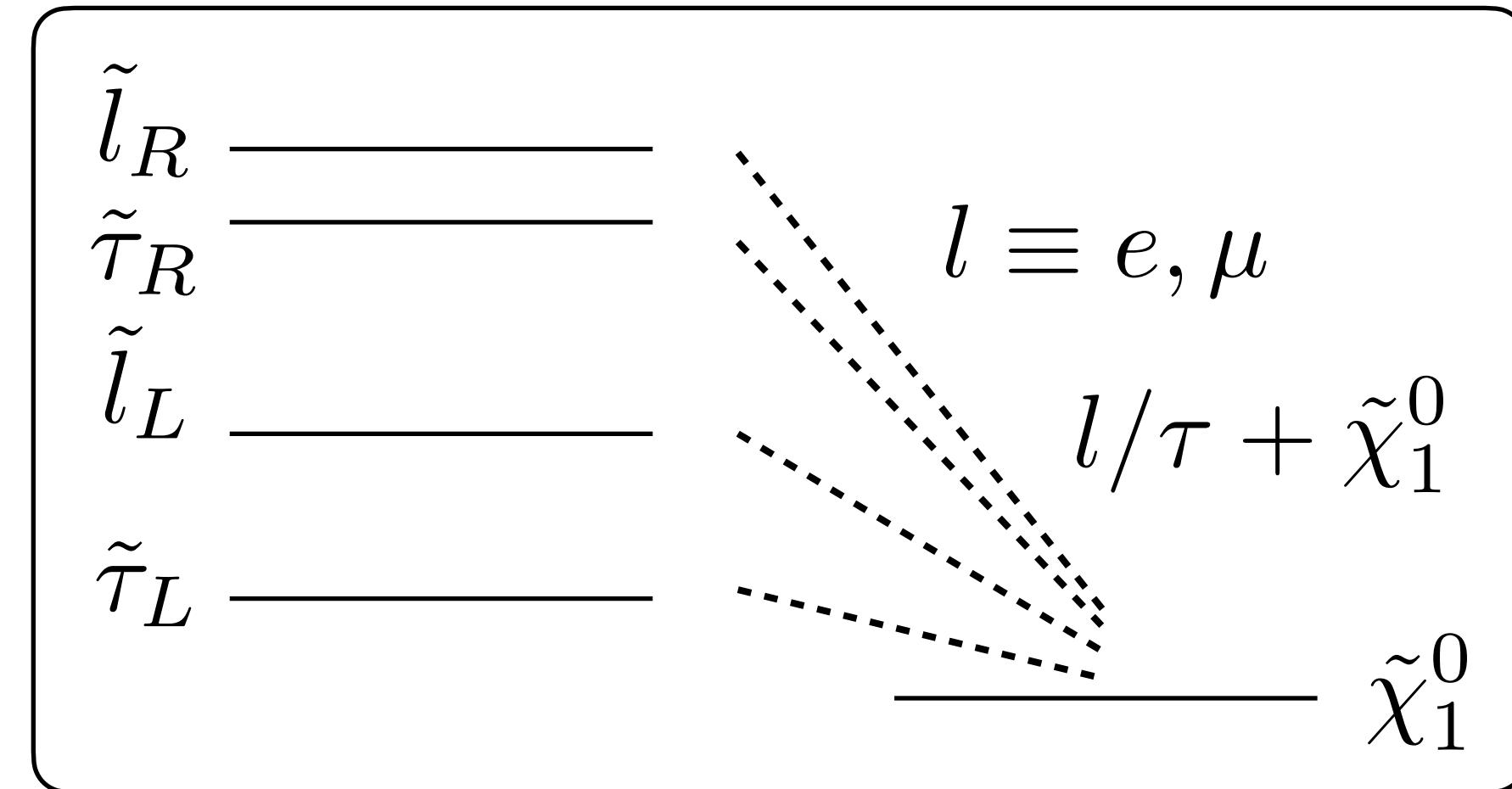
- Cancellations needed

$$m_Z^2 = -2(m_{H_2}^2 + |\mu|^2) + \text{loop}$$

- CPV highly constrained

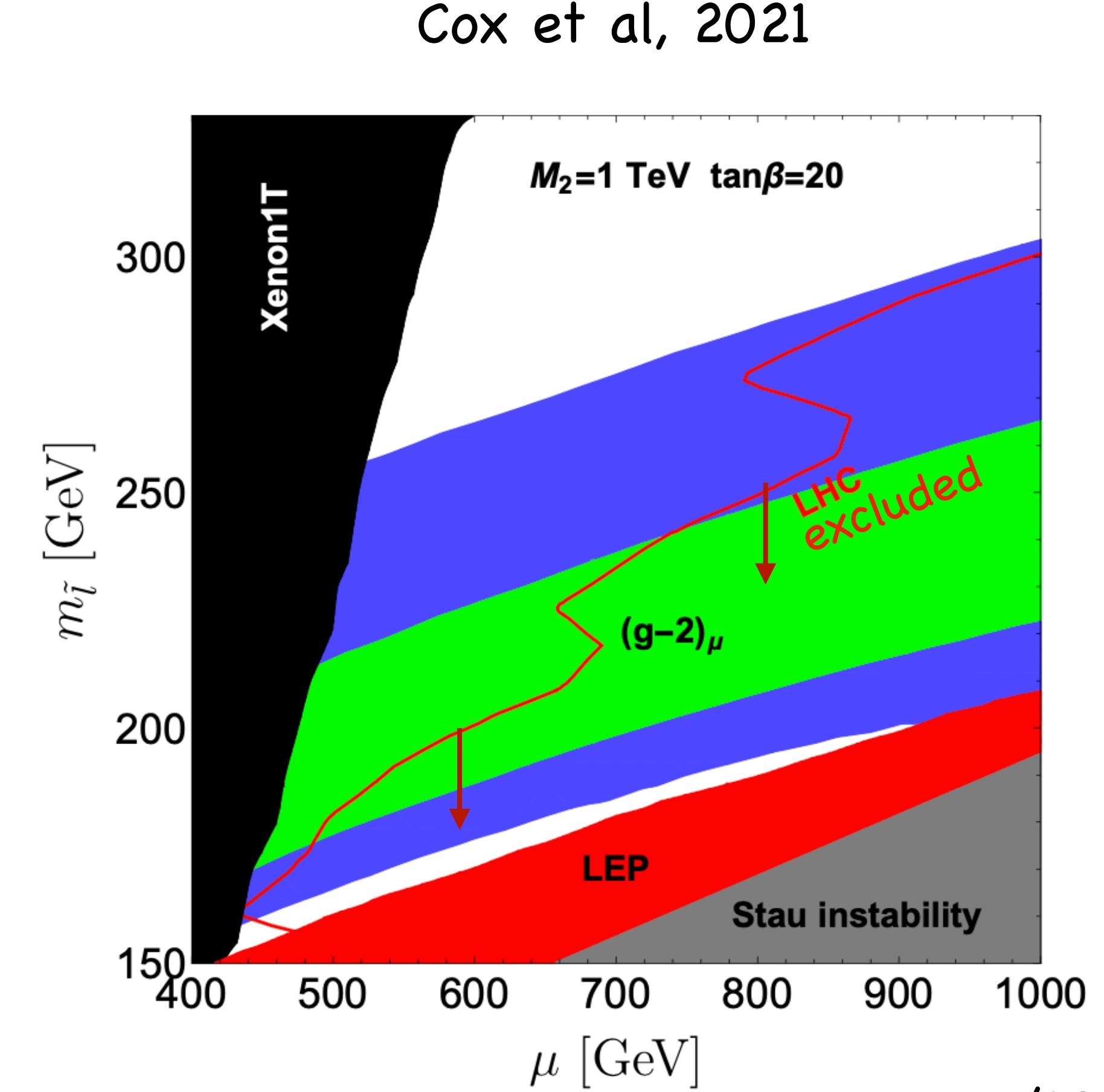
$$d_e \approx 10^{-24} \phi_e \text{ e} \cdot \text{cm} \quad \Rightarrow \phi_e < 10^{-5}$$

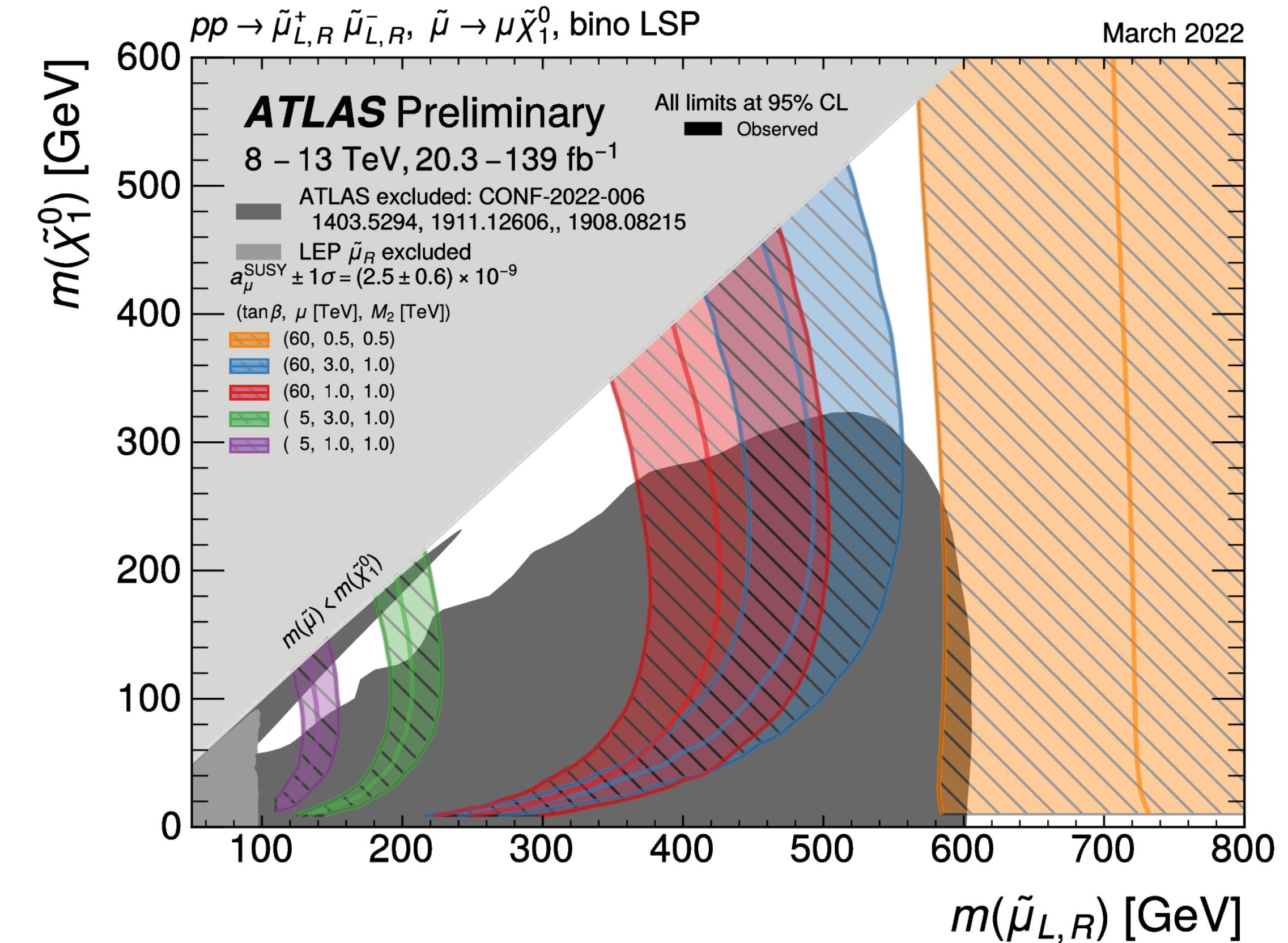
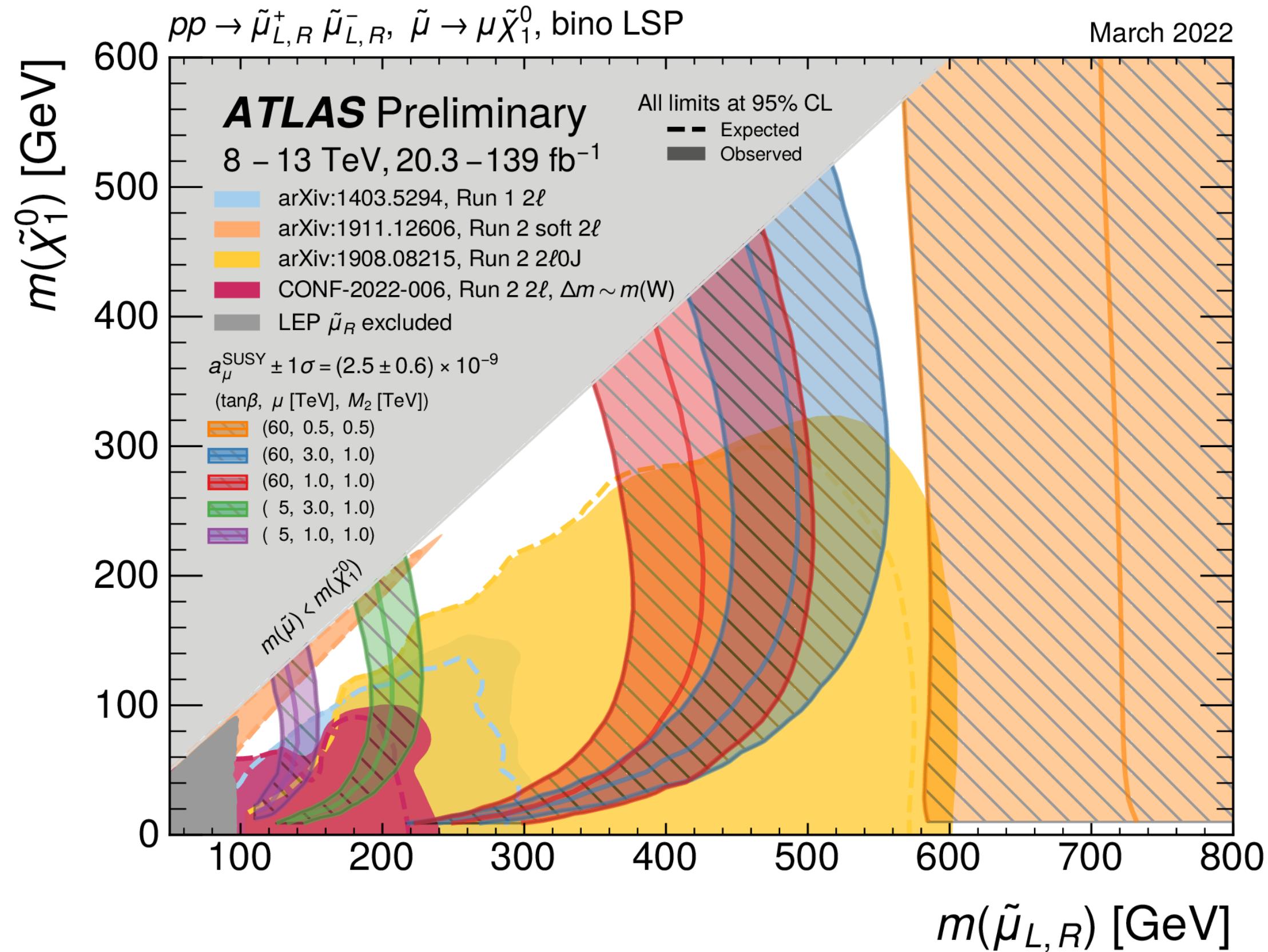
## 4. Direct signals



$$M_1 < m_{\tilde{l}_L}, m_{\tilde{l}_R} < M_2 < \mu < M_3$$

- LHC**  $\sigma(pp \rightarrow \tilde{l}\tilde{l}) \approx 1 \div 10 \text{ fb}$   
backgrounds:  $VV, V + jets, V^* \rightarrow l\bar{l}, t\bar{t}, t + V$
- DM**  $\tilde{\chi}_1^0 \tilde{\tau}$  co-annihilation  $\Delta m \equiv m_{\tilde{\tau}} - m_{\tilde{\chi}_1^0} \lesssim 15 \text{ GeV}$





## 5. Indirect but very important signal



$$a_e \approx 10^{-13} \quad (a_\tau \approx 10^{-(6 \div 5)})$$

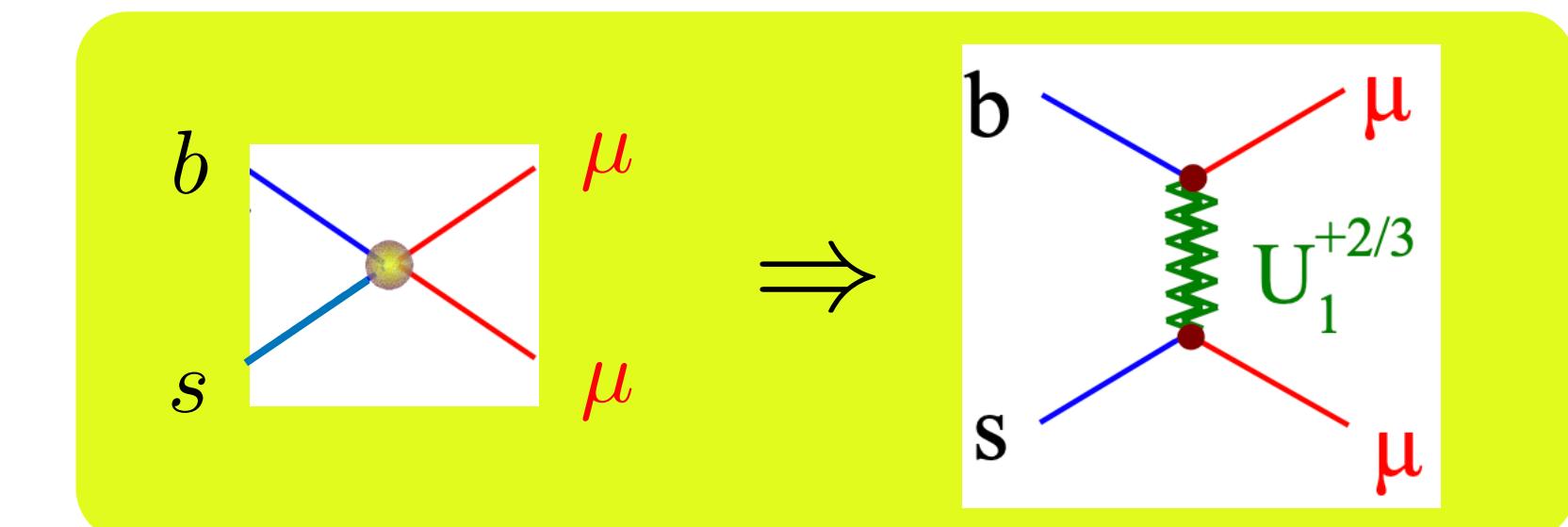
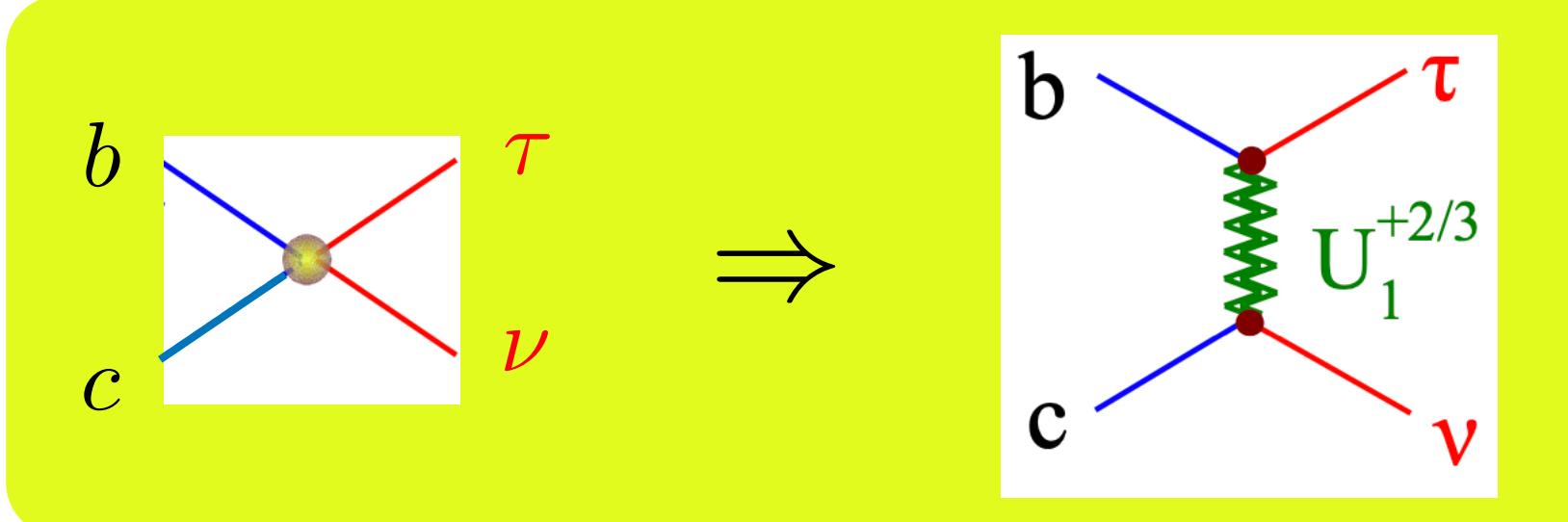
(If reachable)

## Example 3: B-anomalies in semi-leptonic decays

- Anomalies only seen in semi-leptonic op.s  $(\bar{q}q \bar{l}l)$   
not in  $\tau \rightarrow \mu\nu\nu$   $(\bar{l}l \bar{l}l)$  nor in  $\Delta F = 2$   $(\bar{q}q \bar{q}q)$
- Need left-handed ops.  $(\bar{q}_L \gamma_\mu q_L \bar{l}_L \gamma_\mu l_L)$  to interfere with the SM
- A larger effect in CC [SM tree-level]  $b(3)c(2) \rightarrow \tau(3)\nu_\tau(3)$
- A smaller effect in NC [SM loop-level]  $b(3)c(2) \rightarrow \mu(2)\mu(2)$

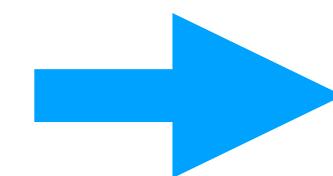
A pattern similar to Yukawa couplings !?!

A vector lepto-quark  $U(1)_1^{2/3}$



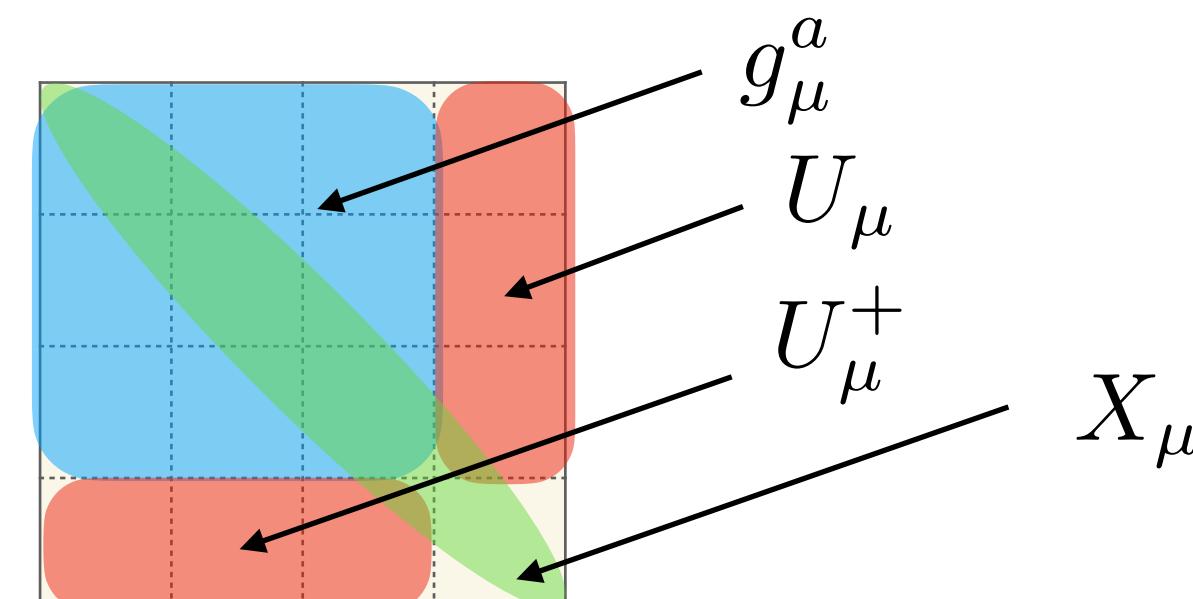
with hierarchical couplings to different generations

# What if B-anomalies confirmed and interpreted by $U_\mu$ ?



3 “necessities” and 1 question

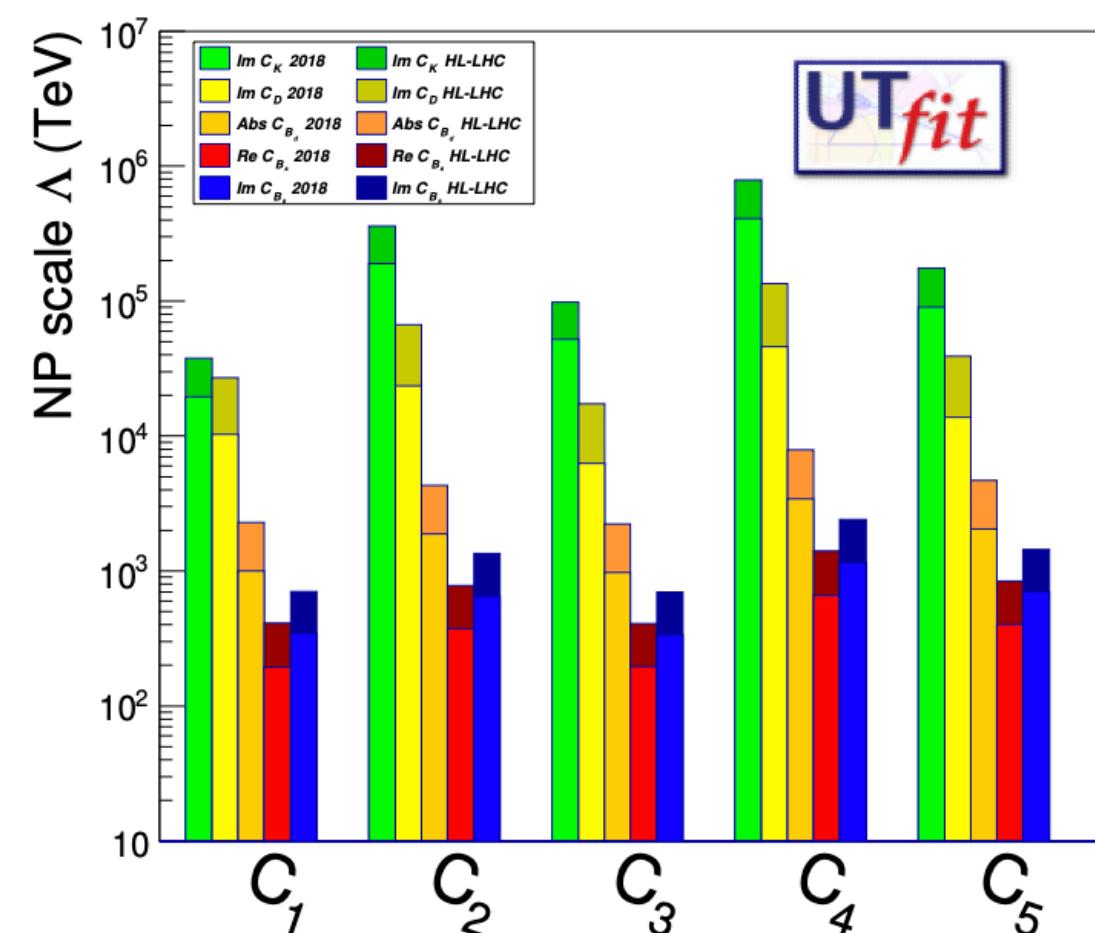
- $U_\mu^{2/3} \subset \mathcal{G}_\mu^A$  (S(4) Pati-Salam)  
[gauged or  $\rho$ -like]



- No direct coupling of  $f_{1,2}$  to  $\mathcal{G}_\mu^A$  but only via mixing to vector-like  $F_j$

- Approximate flavour-symmetry protection of low scale  $M_U$

- Can the  $\mathcal{G}_\mu^A$  be related to Higgs compositeness?  $[\rho, F_j]$



# Most relevant low energy observables

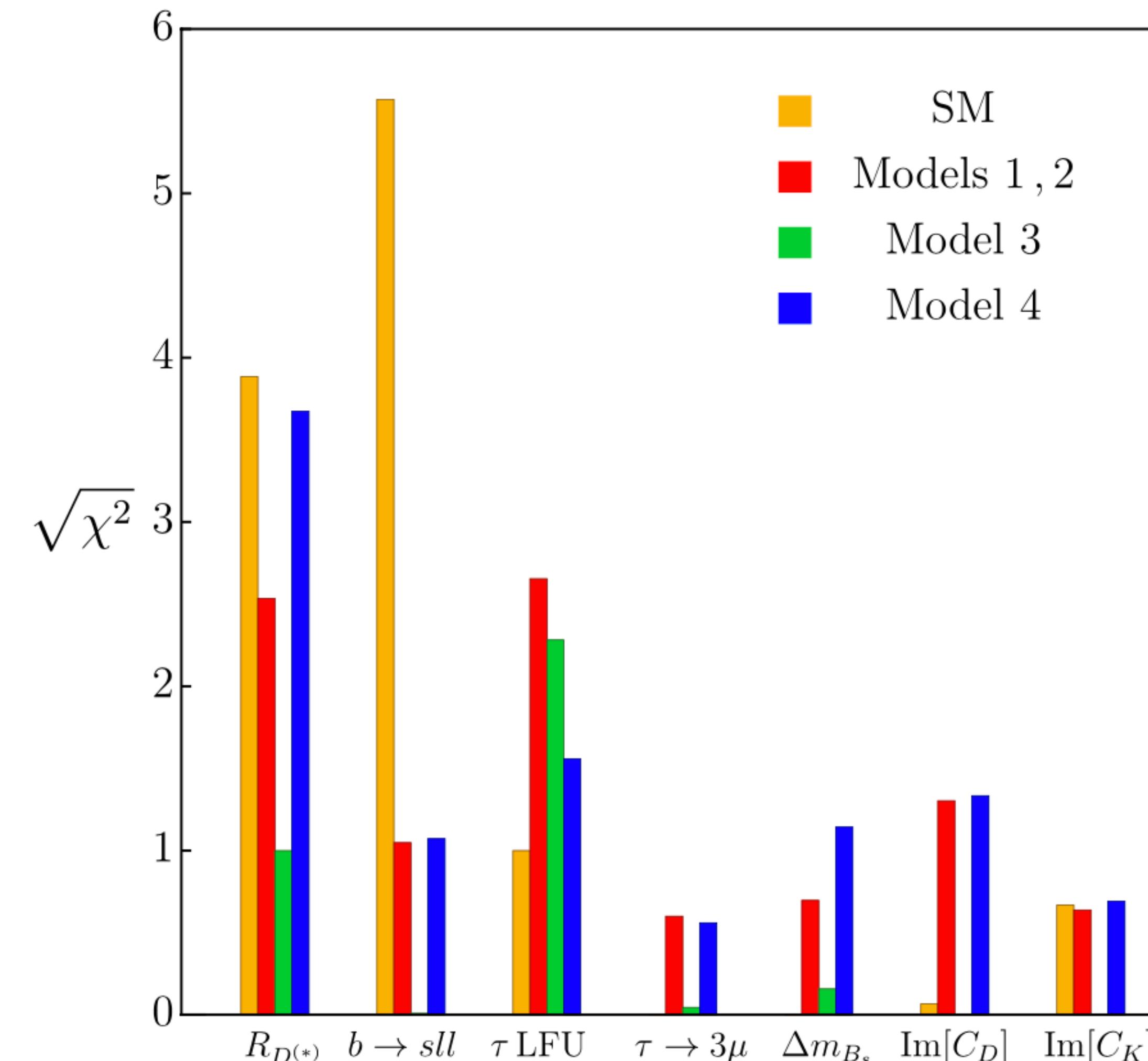
(influenced by  $\mathcal{G}_\mu^A$ -exchanges at three level or in loops dominated by IR logs)

Class	Observable	Experiment/constraint	Correlation	SM prediction
I	$C_{9,\text{NP}}^\mu = -C_{10,\text{NP}}^\mu$	$-0.39 \pm 0.07$ [29]	–	0
	$R_D$	$0.340 \pm 0.030$ [30]	$\rho = -0.38$	$0.298 \pm 0.003$ [30]
	$R_{D^*}$	$0.295 \pm 0.014$ [30]		$0.252 \pm 0.005$ [30]
II	$(g_\tau/g_{e,\mu})$	$1.0012 \pm 0.0012$ [30]	–	1
III	$\tau \rightarrow 3\mu$	$< 2.1 \times 10^{-8}$ [34]	–	0
	$K_L \rightarrow \mu^\pm e^\mp$	$< 4.7 \times 10^{-12}$ [34]	–	0
IV	$\delta(\Delta m_{B_s})$	$0.0 \pm 0.1$ [*]	–	0
	$\text{Im}(\mathcal{C}_{uc}^{\text{NP}}) [\text{GeV}^{-2}]$	$(-0.03 \pm 0.46) \times 10^{-14}$ [32,33]	–	0
	$\text{Im}(\mathcal{C}_{ds}^{\text{NP}}) [\text{GeV}^{-2}]$	$(0.06 \pm 0.09) \times 10^{-14}$ [32,33]	–	0

# Overall fit in 4 simplified SU(4) models

with different flavour breaking coherently implemented in  $\mathcal{L}_Y(H, f_i; F_j) + \mathcal{L}_{mix}(f_i, F_j)$

$$\mathcal{L}_{int} = g_U G_\mu^A J^{\mu A} = g_U \left[ \frac{1}{\sqrt{2}} (U_\mu^a J_U^{\mu a} + \text{h.c.}) + G_\mu^{\hat{a}} J_G^{\mu \hat{a}} + \frac{1}{2\sqrt{6}} X_\mu J_X^\mu \right]$$



$$J_U^{\mu a} = \bar{Q}_j^a \gamma_\mu L_j$$

$$J_G^{\mu \hat{a}} = \bar{Q}_j T^{\hat{a}} \gamma_\mu Q_j$$

$$J_X^\mu = \bar{Q}_j \gamma_\mu Q_j - 3 \bar{L}_j \gamma_\mu L_j$$

$R_{D^{(*)}}, b \rightarrow sll$   $U_\mu$ - exchange

$\tau LFU$   $\approx U_\mu$ - exchange at one loop

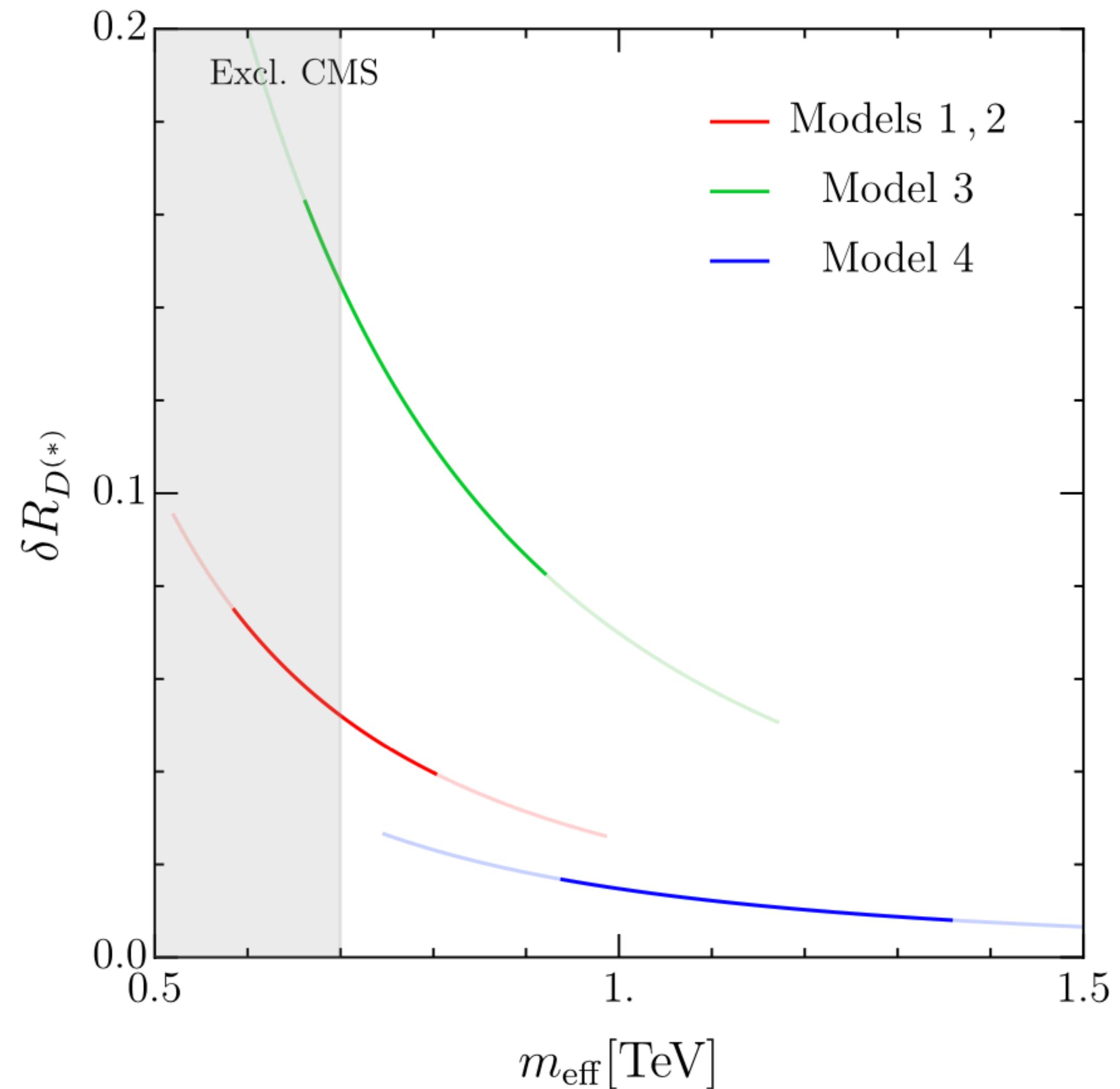
$\tau \rightarrow 3\mu$   $X_\mu$ - exchange

$\Delta m_{B_s}, \text{Im}[C_D], \text{Im}[C_K]$   $\approx G_\mu^{\hat{a}}$ - exchange

Range of

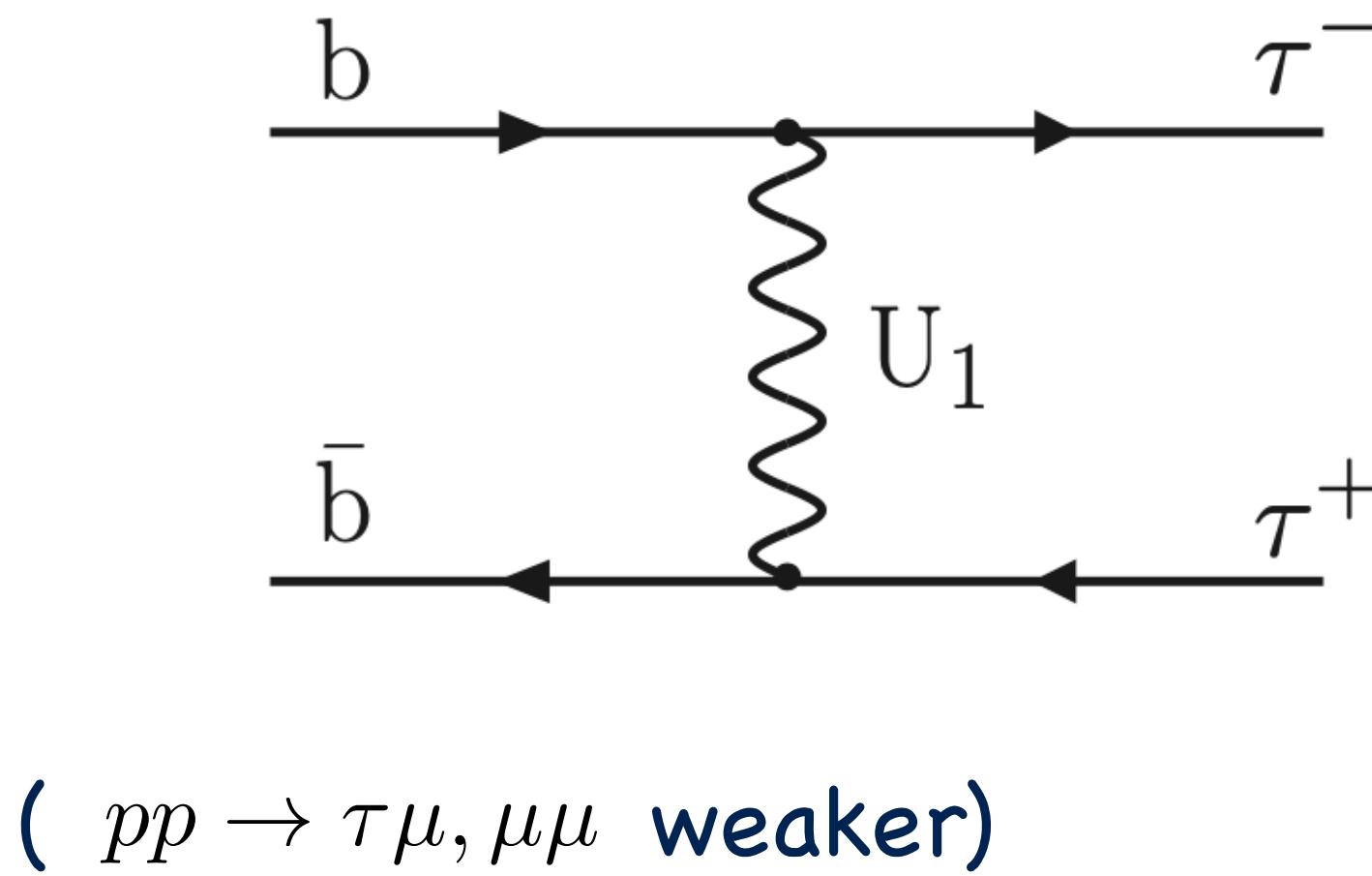
$$m_{eff} = \frac{M_U}{g_U}$$

to account for the anomalies

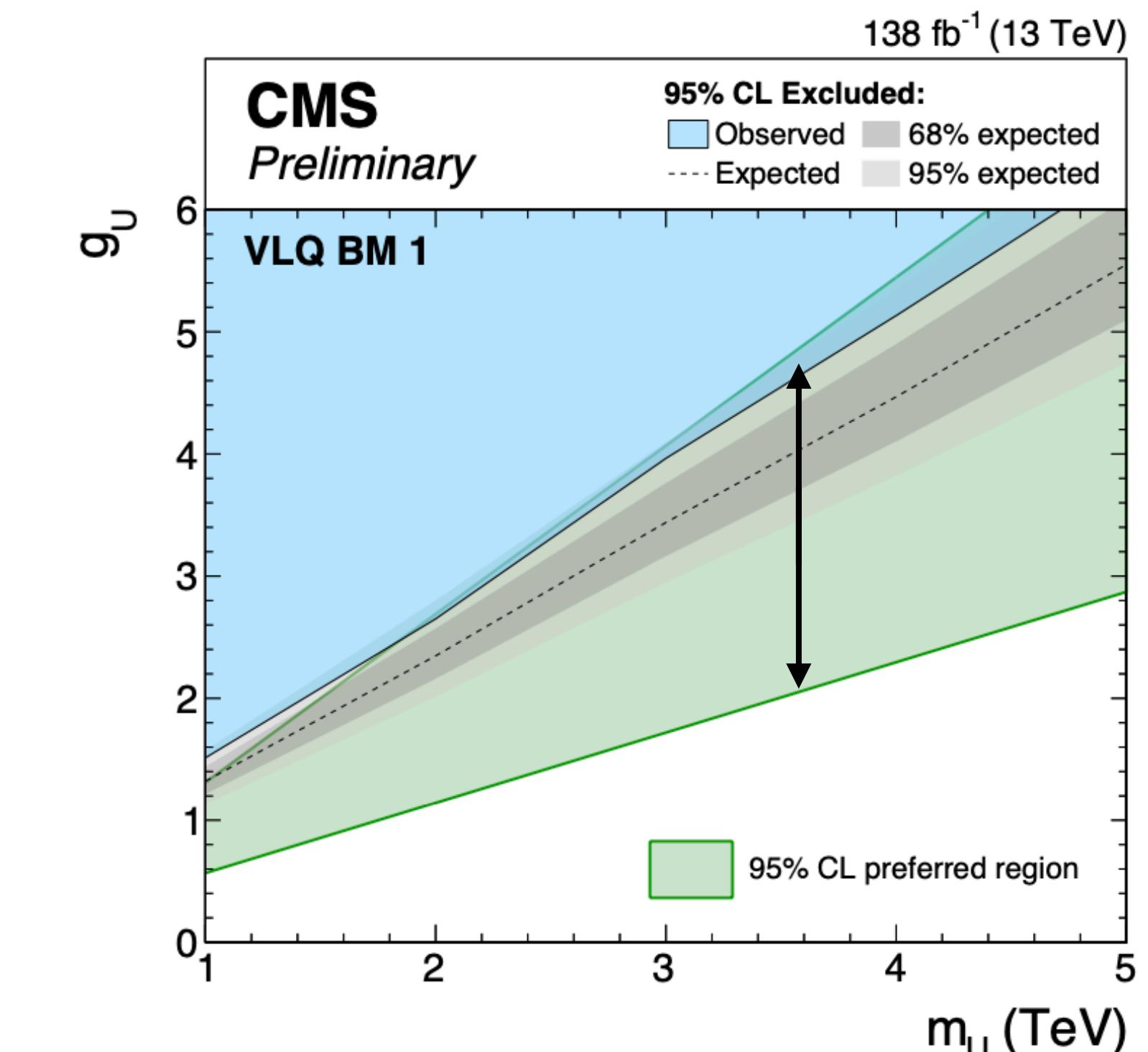
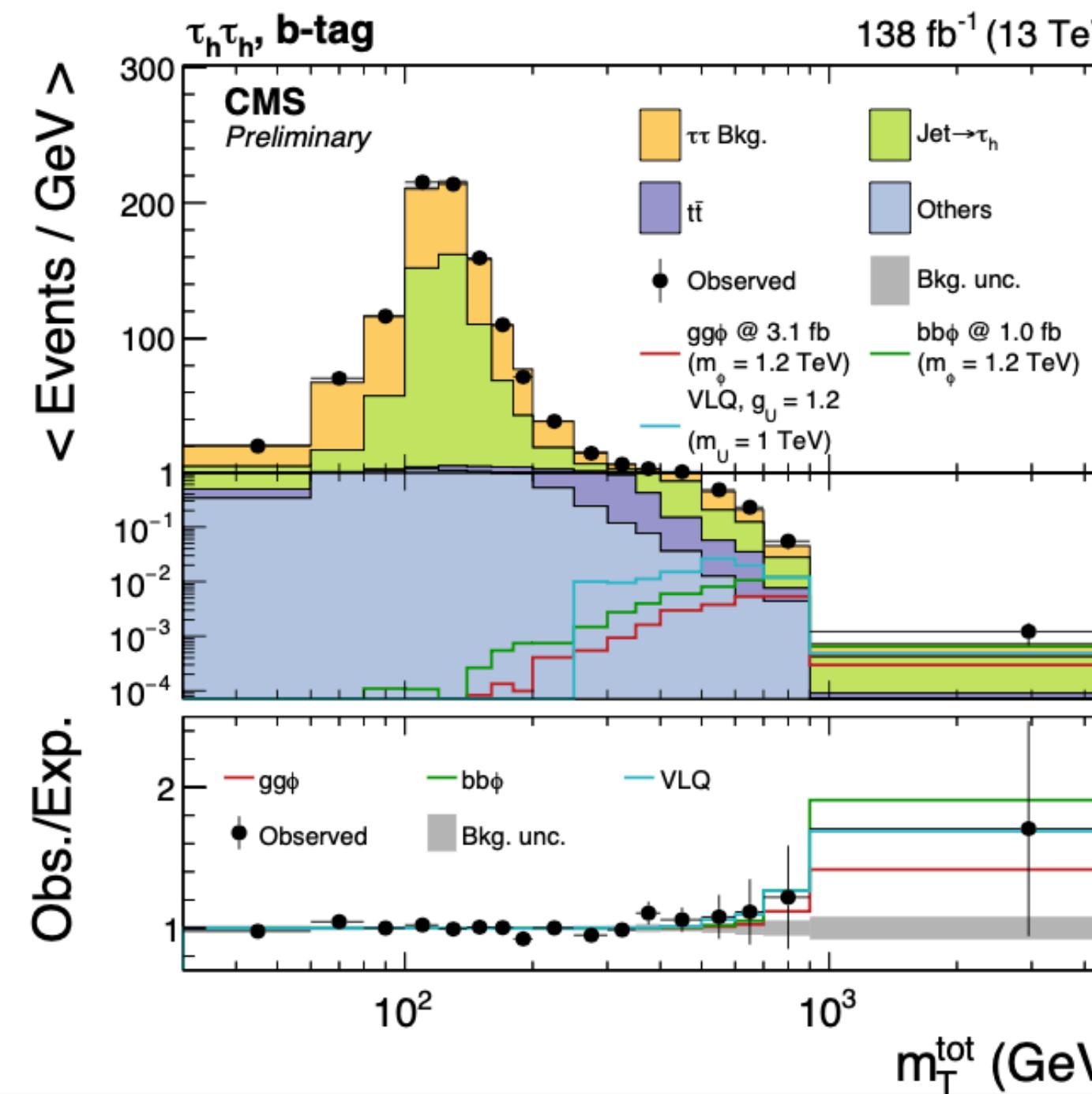
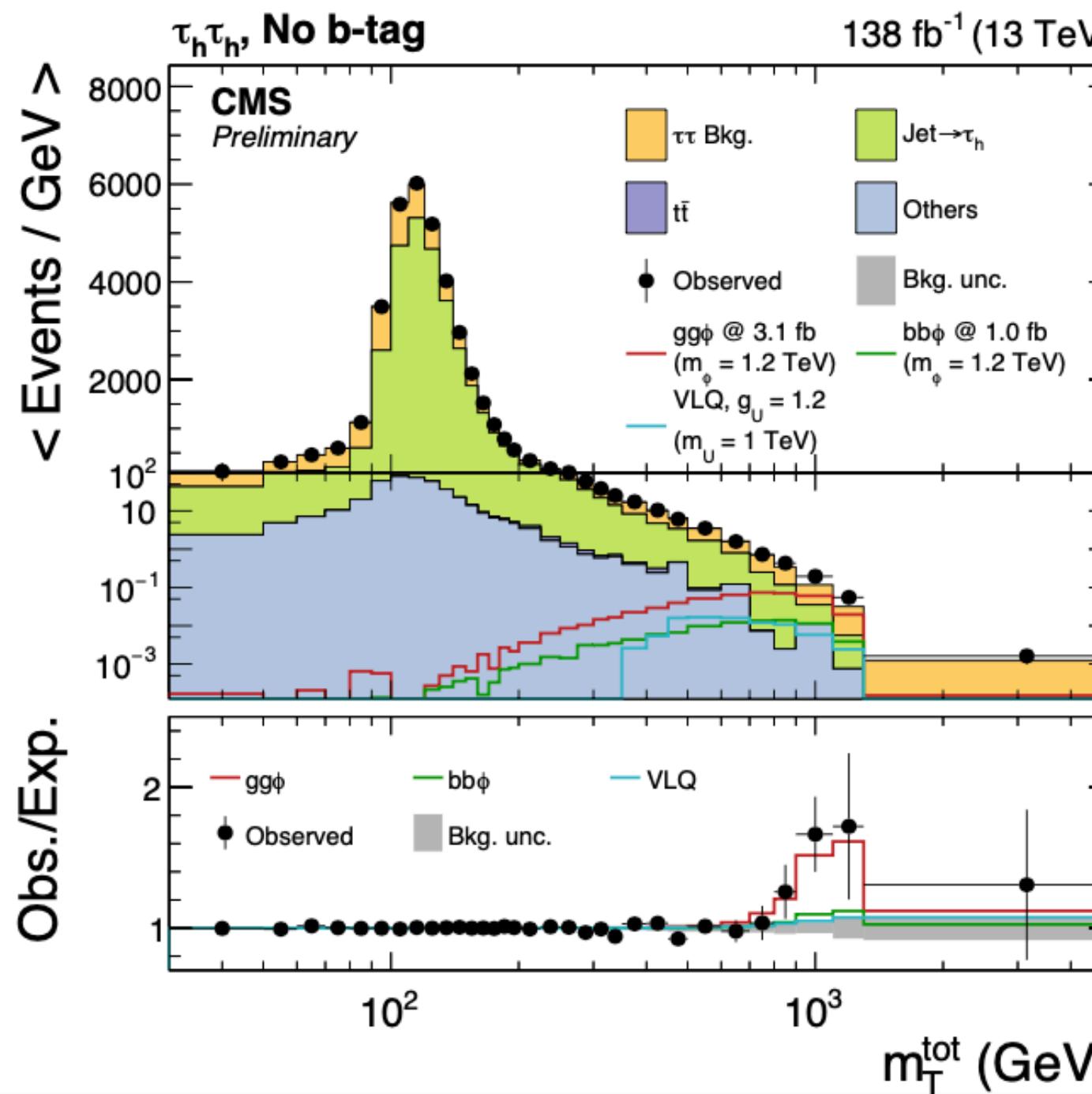


$$m_{eff} \equiv \frac{m_U(\text{TeV})}{g_U} \approx 0.8 \div 1.5$$

# t-channel vector lepto-quark exchange



$$A \propto \left(\frac{g_U}{\sqrt{2}}\right)^2 \frac{1}{M_U^2}$$



$$m_{eff} \equiv \frac{m_U(\text{TeV})}{g_U} \approx 0.8 \div 1.5$$

# A definite goal

What is the radius of Higgs compositeness, if any?  $l_H = 1/m_*$

A two-parameter  
“theory”

$$\begin{array}{c} \hline m_* = g_* f \\ \hline f \\ \hline m_H \end{array}$$

$H$  = pNGB  
 $f$  = scale of symmetry breaking  
 $m_*$  = scale of Higgs compositeness

- Higgs couplings

$$c_H \sim g_*^2 / m_*^2$$

- flavour-less ElectroWeak observables

Pole observables:  $m_W, \sin\theta_{eff}^l$

DiBoson production:  $Wh, Zh, WZ, WW$

Drell-Yan  $l^+l^-$ ,  $l\nu$  at high  $m_{ll}, m_{ll}^T$

$$c_W \sim 1/m_*^2$$

$$c_W \sim 1/m_*^2$$

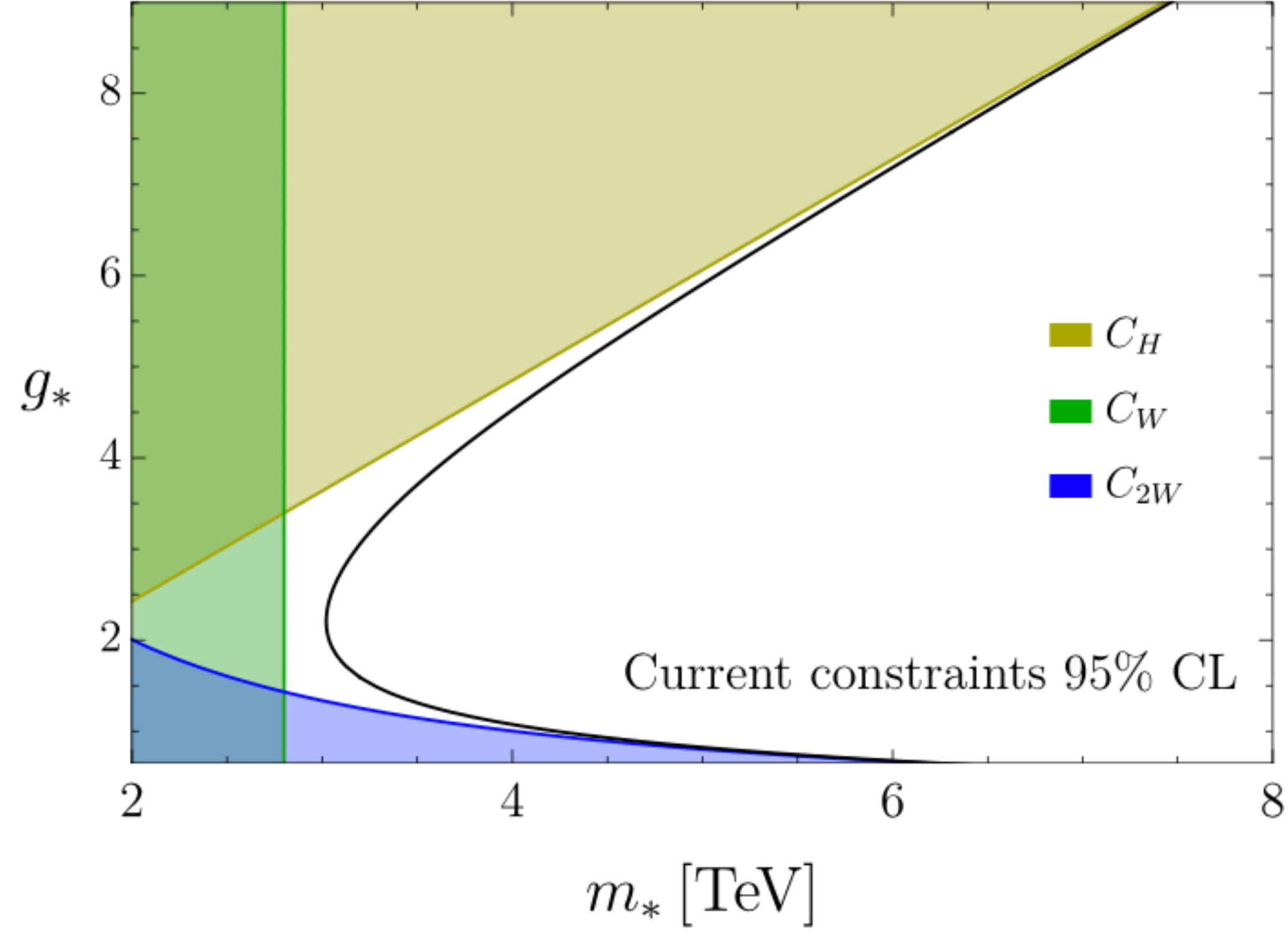
$$c_{2W} \sim 1/g_*^2 m_*^2$$

- flavour observables

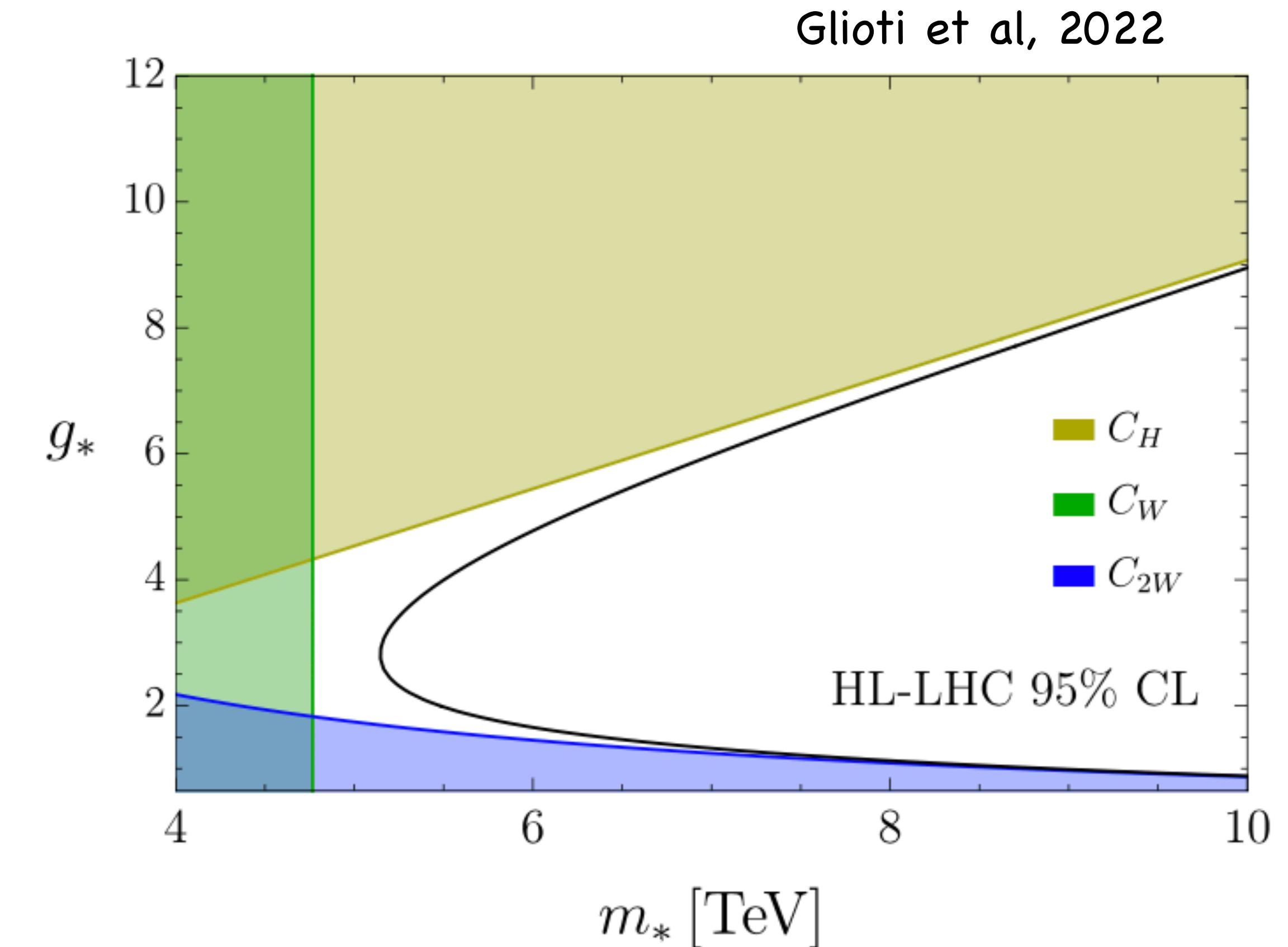
$$g_*^2 / m_*^2, g_* / m_*^2, 1 / m_*^2$$

# Universal observables in composite Higgs

$$\mathcal{L}_{\text{EFT}} = \frac{m_*^4}{g_*^2} \hat{\mathcal{L}} \left[ \frac{\partial}{m_*}, \frac{g_* H}{m_*}, \frac{g_* \sigma}{m_*}, \frac{g_* \Psi}{m_*^{3/2}}, \frac{g A}{m_*}, \frac{\lambda \psi}{m_*^{3/2}} \right]$$



$\sqrt{\mathcal{O}(1)}$  -factors possible in either direction

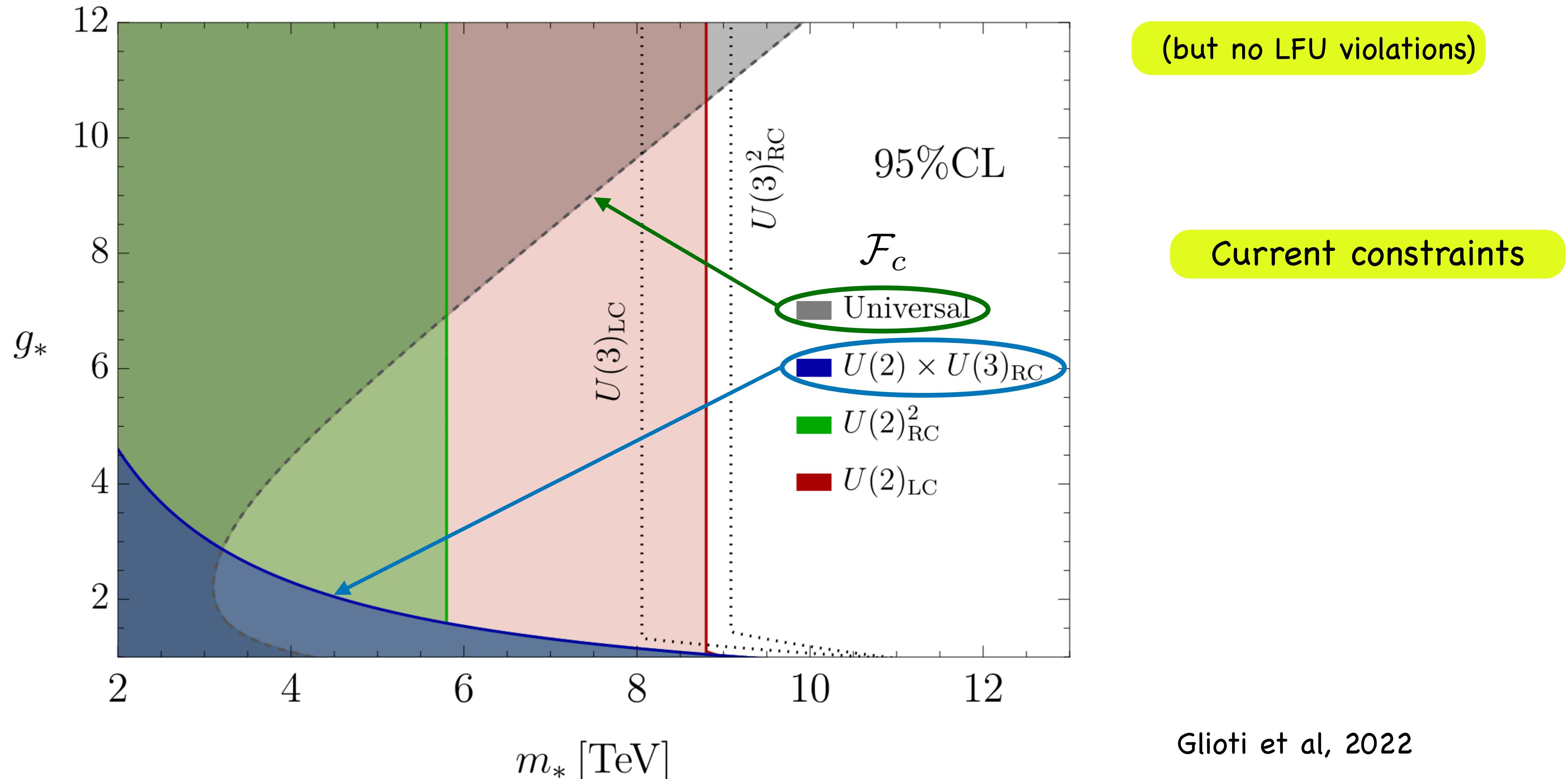


A projected gain of about 2 TeV in  $m_*$  for any value of  $g_*$

# Flavour in composite Higgs

Different flavour symmetries  $\mathcal{F}_c$   
of the strong sector

$$U(3)_q \times U(3)_u \times U(3)_d \times \mathcal{F}_c$$



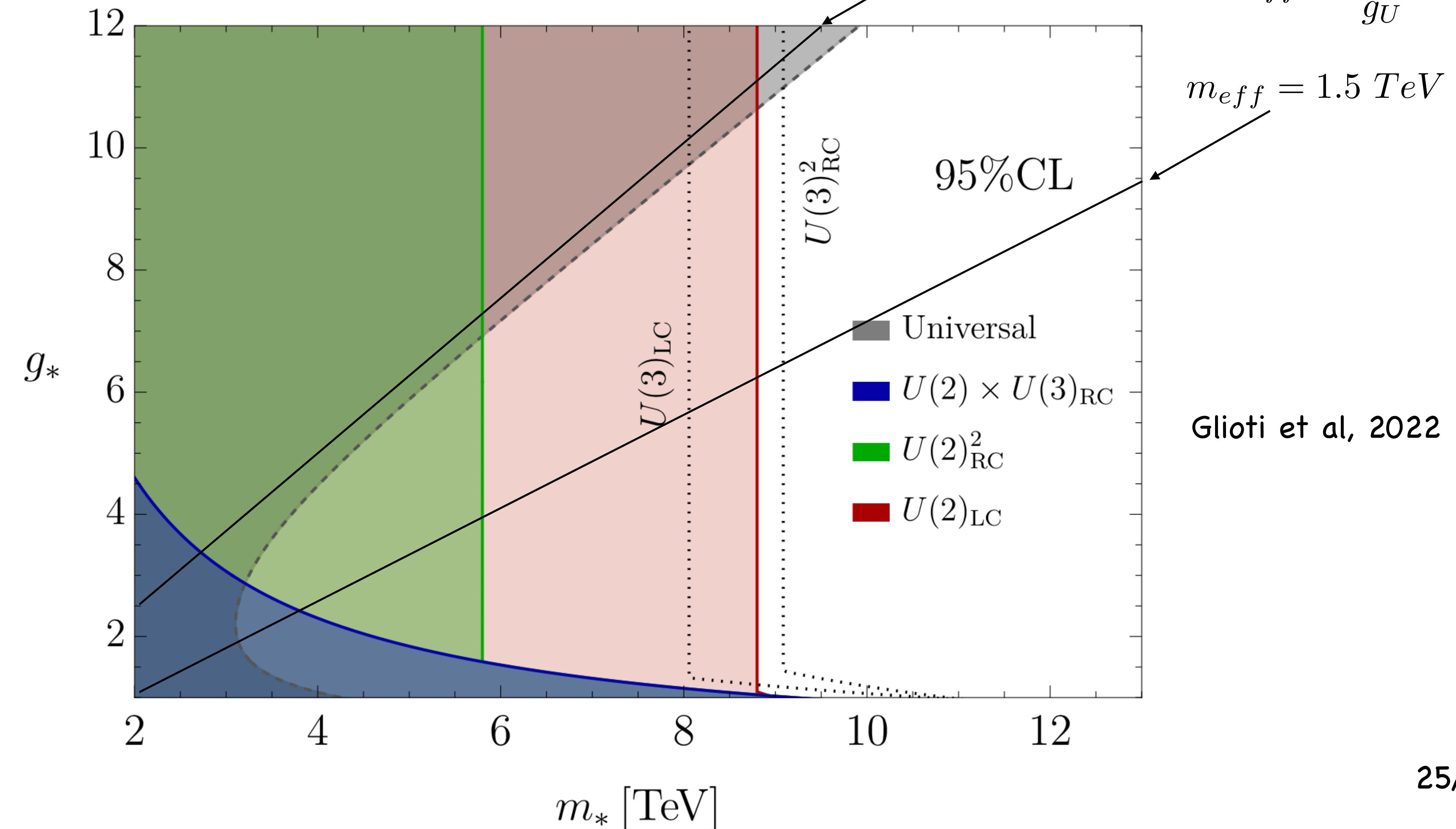
# Flavour in composite Higgs

(but no LFU violations)

If  $g_U \rightarrow g_*$  and  $m_U \rightarrow m_*$

$$m_{eff} = 0.8 \text{ TeV}$$

$$m_{eff} = \frac{M_U}{g_U}$$



# A projection of the future sensitivity on some key observables from LHCb only

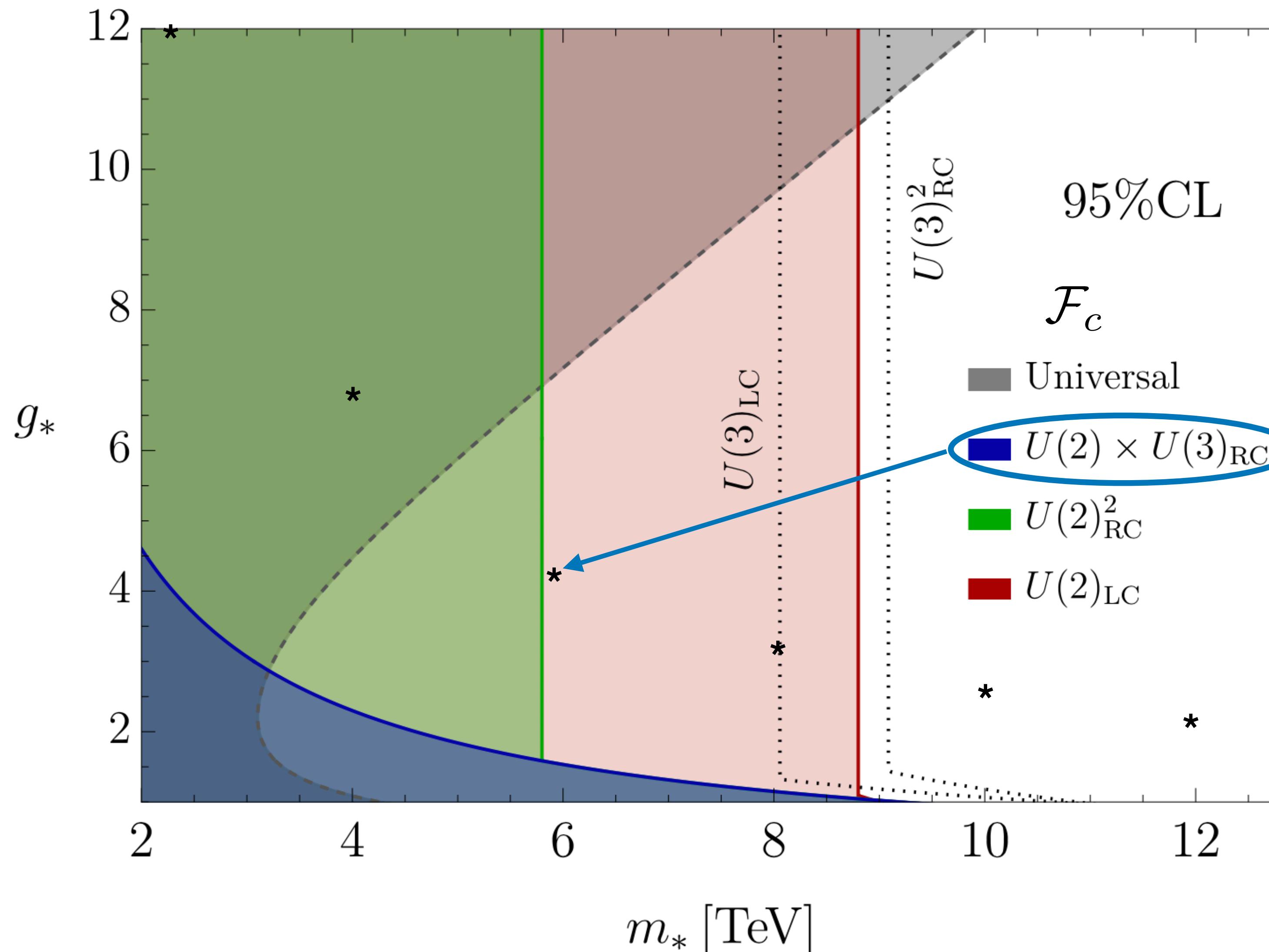
Observable	Current LHCb	$23 \text{ fb}^{-1}$	$300 \text{ fb}^{-1}$
<b>EW Penguins</b>			
$R_K (1 < q^2 < 6 \text{ GeV}^2 c^4)$	0.1 [4]	0.025	0.007
$R_{K^*} (1 < q^2 < 6 \text{ GeV}^2 c^4)$	0.1 [5]	0.031	0.008
<b><math>b \rightarrow c \ell^- \bar{\nu}_l</math> LUV studies</b>			
$R(D^*)$	0.026 [15, 16]	0.0072	0.002
$R(J/\psi)$	0.24 [17]	0.071	0.02

Statistical uncertainty

# Flavour in composite Higgs

Different flavour symmetries  $\mathcal{F}_c$   
of the strong sector

$$U(3)_q \times U(3)_u \times U(3)_d \times \mathcal{F}_c$$



(but no LFU violations)

Current constraints

$b \rightarrow s ll$   
Improvable by a factor of 10  
in rate

# Summary

1. To turn the SM into a ST still premature,  
in spite of its empirical success  
(in my view mostly because of its unpredicted 15 masses)
  
2. Precision offers an indirect discovery potential of NP  
at MultiTeV, if any, before the next HE collider
  
3. Worth to establish a BSM Precision Programme in depth  
and extension (Exp/QCD/EW/PDF/SMEFT/BSM)
  
4. The scale of Higgs compositeness explorable  
well beyond the reach of direct searches at LHC  
(with a key “unavoidable” role of flavour)

# Backup

## D=6 operators (16)

$$\begin{aligned}\mathcal{O}_W &= \frac{ig}{2}(H^\dagger \sigma^a \overleftrightarrow{D}_\mu H) D^\nu W_\mu^a \\ \mathcal{O}_B &= \frac{ig'}{2}(H^\dagger \overleftrightarrow{D}_\mu H) \partial^\nu B_{\mu\nu} \\ \mathcal{O}_{WW} &= g^2 |H|^2 W_{\mu\nu}^a W^{a\mu\nu} \\ \mathcal{O}_{WB} &= gg' H^\dagger \sigma^a H W_{\mu\nu}^a B^{\mu\nu} \\ \mathcal{O}_{BB} &= g'^2 |H|^2 B_{\mu\nu} B^{\mu\nu} \\ \mathcal{O}_{GG} &= g_s^2 |H|^2 G_{\mu\nu}^A G^{A\mu\nu} \\ \mathcal{O}_{2W} &= -\frac{1}{2}(D^\mu W_{\mu\nu}^a)^2 \\ \mathcal{O}_{2B} &= -\frac{1}{2}(\partial^\mu B_{\mu\nu})^2 \\ \mathcal{O}_{2G} &= -\frac{1}{2}(D^\mu G_{\mu\nu}^A)^2 \\ \mathcal{O}_{3W} &= \frac{g}{6}\epsilon^{abc} W_\mu^{a\nu} W_\nu^{b\rho} W_\rho^{c\mu} \\ \mathcal{O}_{3G} &= \frac{g_s}{6} f^{ABC} G_\mu^{A\nu} G_\nu^{B\rho} G_\rho^{C\mu} \\ \mathcal{O}_T &= \frac{1}{2}(H^\dagger \overleftrightarrow{D}_\mu H)^2 \\ \mathcal{O}_H &= \frac{1}{2}(\partial_\mu |H|^2)^2 \\ \mathcal{O}_6 &= \lambda |H|^6 \\ \mathcal{O}_y &\approx |H|^2 (H \bar{q}_L Y_u u_R + h.c.) \\ \mathcal{O}_{2y} &\approx (\bar{q}_L Y_u u_R)(\bar{u}_R Y_u^+ q_L)\end{aligned}$$

'Basis dependent"

Only the number fixed

## pseudo-observables (16)

	EGGM
$S$	$g^2(E_{WB} + \frac{1}{4}E_W + \frac{1}{4}E_B)$
$\hat{T}$	$E_T$
$W$	$\frac{g^2}{4}E_{2W}$
$Y$	$\frac{g^2}{4}E_{2B}$
$Z$	$\frac{g^2}{4}E_{2G}$
$\Delta\bar{g}_1^Z$	$-\frac{g^2}{4c_\theta^2}E_W$
$\Delta\bar{\kappa}_\gamma$	$g^2 E_{WB}$
$\bar{\lambda}_\gamma$	$-\frac{g^2}{4}E_{3W}$
$\bar{\lambda}_g$	$-\frac{g^2}{4}E_{3G}$
$\Delta\kappa_3$	$-E_6 - \frac{3}{2}E_H$
$\Delta\bar{\kappa}_F$	$-E_y - \frac{1}{2}E_H$
$\Delta\bar{\kappa}_V$	$-\frac{1}{2}E_H$
$f_{gg}$	$4E_{GG}$
$f_{z\gamma}$	$2[2c_\theta^2 E_{WW} - 2s_\theta^2 E_{BB} - (c_\theta^2 - s_\theta^2)E_{WB}]$
$f_{\gamma\gamma}$	$4(E_{WW} + E_{BB} - E_{WB})$
$c_{2y}$	$E_{2y}$

LEP

Wells, Zhang 2015

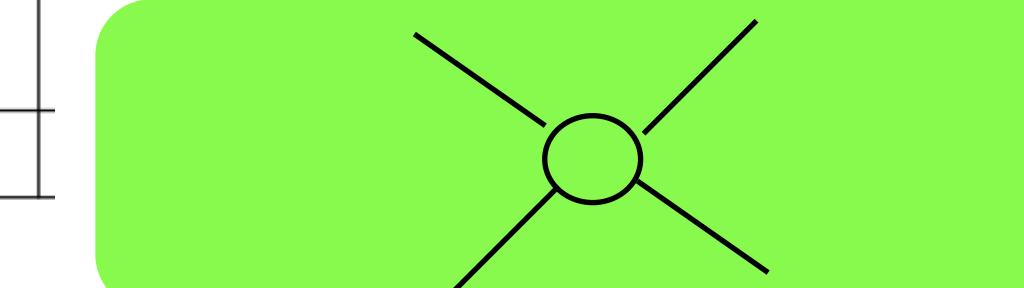
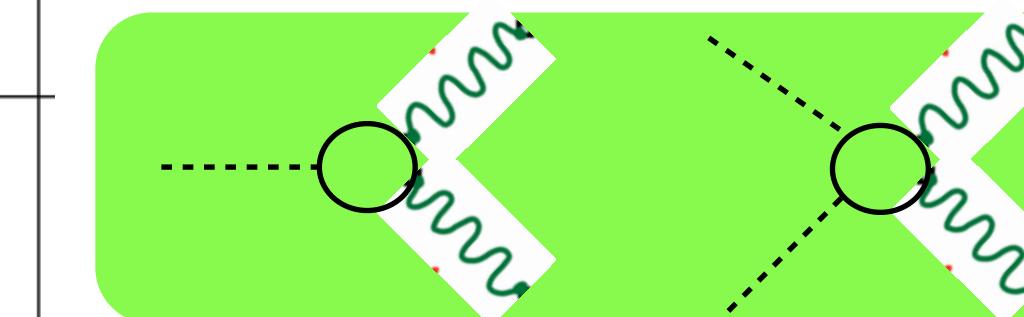
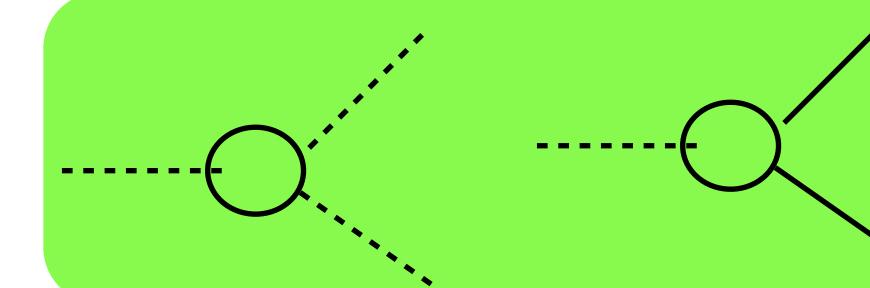
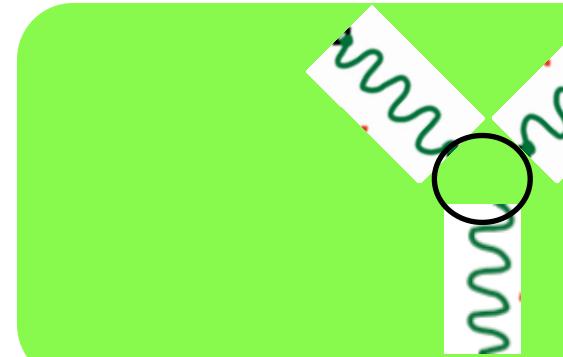
At LHC

$M_W$

$pp \rightarrow ll, qq$

$pp \rightarrow dibosons$

Higgs couplings



Different subset of op.s for different subset of pseudo-ob.s and different models!!

## D=6 operators (16)

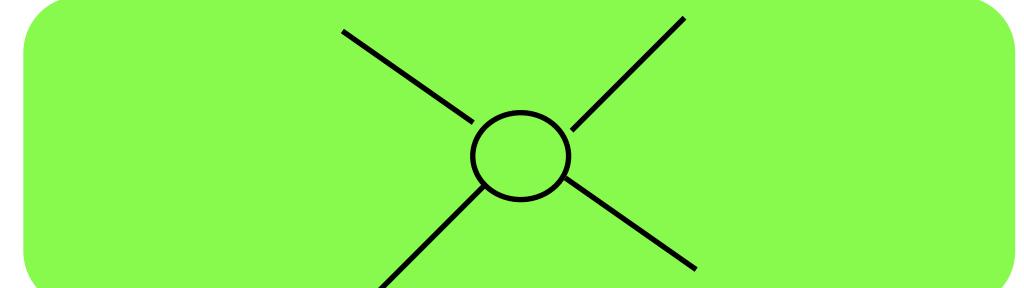
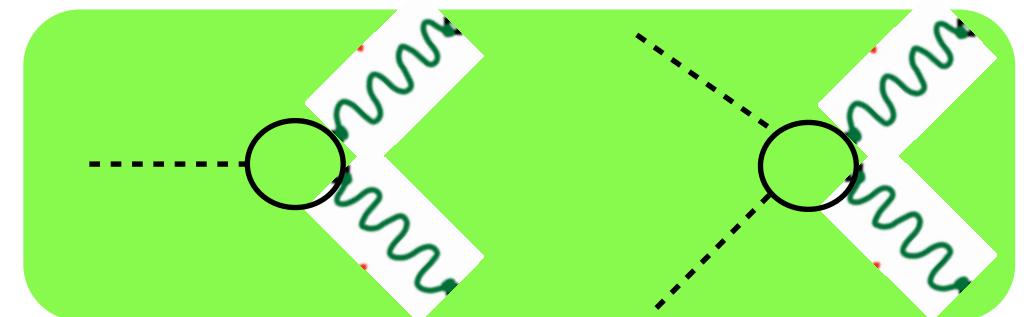
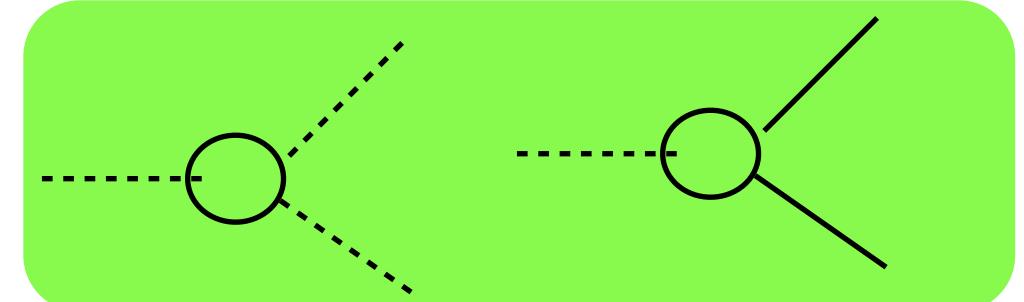
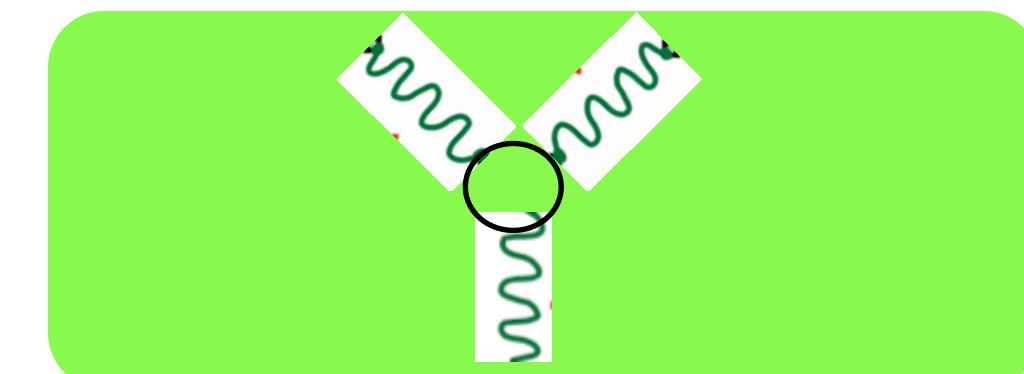
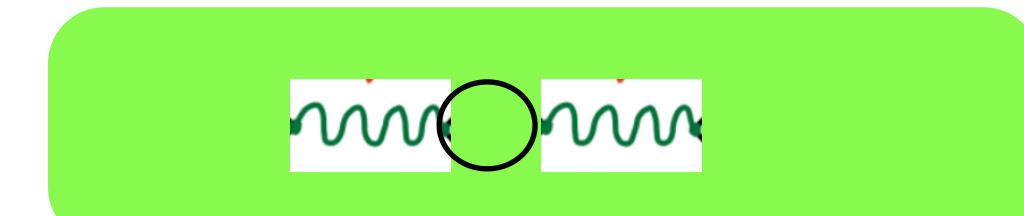
$$\begin{aligned}
\mathcal{O}_W &= \frac{ig}{2}(H^\dagger \sigma^a \overleftrightarrow{D}_\mu H) D^\nu W_\mu^a \\
\mathcal{O}_B &= \frac{ig'}{2}(H^\dagger \overleftrightarrow{D}_\mu H) \partial^\nu B_{\mu\nu} \\
\mathcal{O}_{WW} &= g^2 |H|^2 W_{\mu\nu}^a W^{a\mu\nu} \\
\mathcal{O}_{WB} &= gg' H^\dagger \sigma^a H W_{\mu\nu}^a B^{\mu\nu} \\
\mathcal{O}_{BB} &= g'^2 |H|^2 B_{\mu\nu} B^{\mu\nu} \\
\mathcal{O}_{GG} &= g_s^2 |H|^2 G_{\mu\nu}^A G^{A\mu\nu} \\
\mathcal{O}_{2W} &= -\frac{1}{2}(D^\mu W_{\mu\nu}^a)^2 \\
\mathcal{O}_{2B} &= -\frac{1}{2}(\partial^\mu B_{\mu\nu})^2 \\
\mathcal{O}_{2G} &= -\frac{1}{2}(D^\mu G_{\mu\nu}^A)^2 \\
\mathcal{O}_{3W} &= \frac{g}{6}\epsilon^{abc} W_\mu^{a\nu} W_\nu^{b\rho} W_\rho^{c\mu} \\
\mathcal{O}_{3G} &= \frac{g_s}{6} f^{ABC} G_\mu^{A\nu} G_\nu^{B\rho} G_\rho^{C\mu} \\
\mathcal{O}_T &= \frac{1}{2}(H^\dagger \overleftrightarrow{D}_\mu H)^2 \\
\mathcal{O}_H &= \frac{1}{2}(\partial_\mu |H|^2)^2 \\
\mathcal{O}_6 &= \lambda |H|^6 \\
\mathcal{O}_y &\approx |H|^2 (H \bar{q}_L Y_u u_R + h.c.) \\
\mathcal{O}_{2y} &\approx (\bar{q}_L Y_u u_R)(\bar{u}_R Y_u^+ q_L)
\end{aligned}$$

'Basis dependent"

Only the number fixed

## pseudo-observables (16)

	EGGM
$\hat{S}$	$g^2(E_{WB} + \frac{1}{4}E_W + \frac{1}{4}E_B)$
$\hat{T}$	$E_T$
$W$	$\frac{g^2}{4}E_{2W}$
$Y$	$\frac{g^2}{4}E_{2B}$
$Z$	$\frac{g^2}{4}E_{2G}$
$\Delta \bar{g}_1^Z$	$-\frac{g^2}{4c_\theta^2}E_W$
$\Delta \bar{\kappa}_\gamma$	$g^2 E_{WB}$
$\bar{\lambda}_\gamma$	$-\frac{g^2}{4}E_{3W}$
$\bar{\lambda}_g$	$-\frac{g^2}{4}E_{3G}$
$\Delta \kappa_3$	$-E_6 - \frac{3}{2}E_H$
$\Delta \bar{\kappa}_F$	$-E_y - \frac{1}{2}E_H$
$\Delta \bar{\kappa}_V$	$-\frac{1}{2}E_H$
$f_{gg}$	$4E_{GG}$
$f_{z\gamma}$	$2[2c_\theta^2 E_{WW} - 2s_\theta^2 E_{BB} - (c_\theta^2 - s_\theta^2) E_{WB}]$
$f_{\gamma\gamma}$	$4(E_{WW} + E_{BB} - E_{WB})$
$c_{2y}$	$E_{2y}$



Wells, Zhang 2015

At LHC

$M_W$

$pp \rightarrow ll, qq$

$pp \rightarrow dibosons$

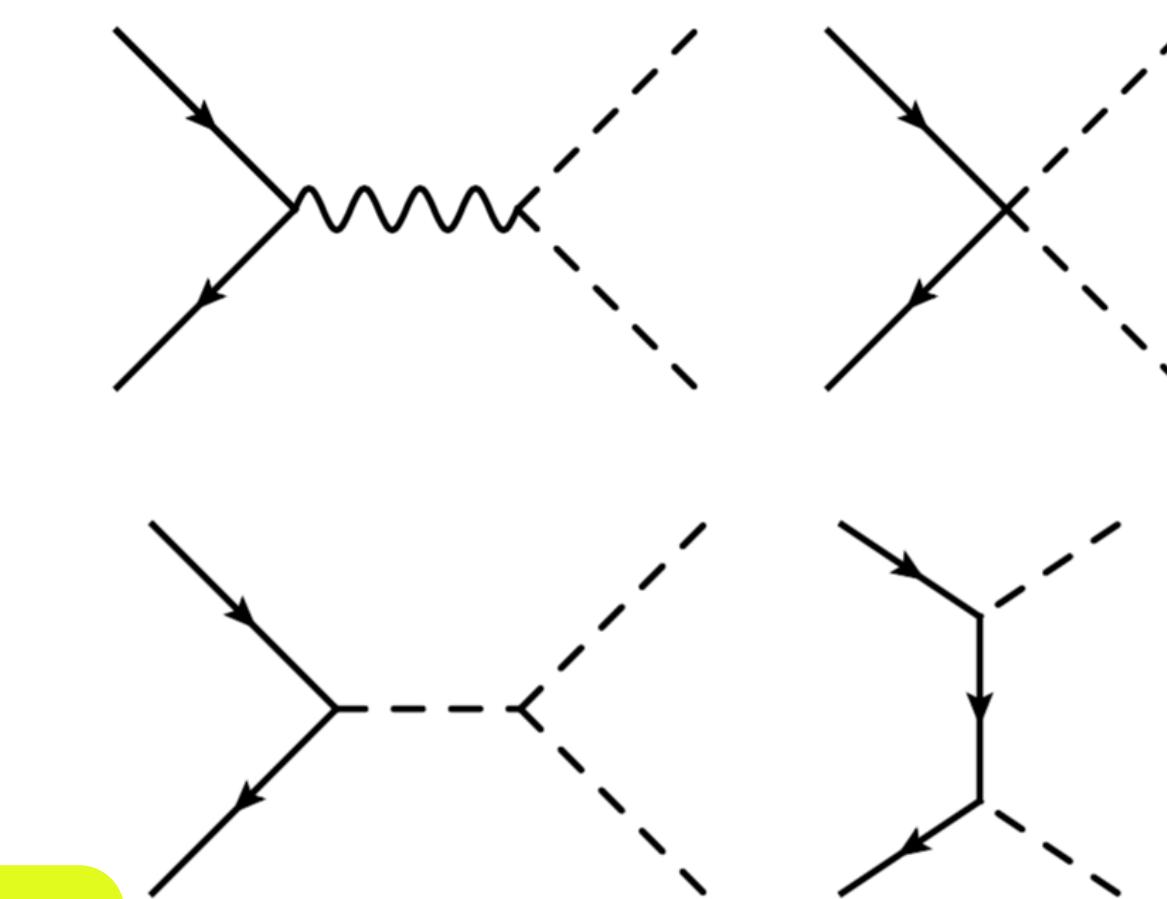
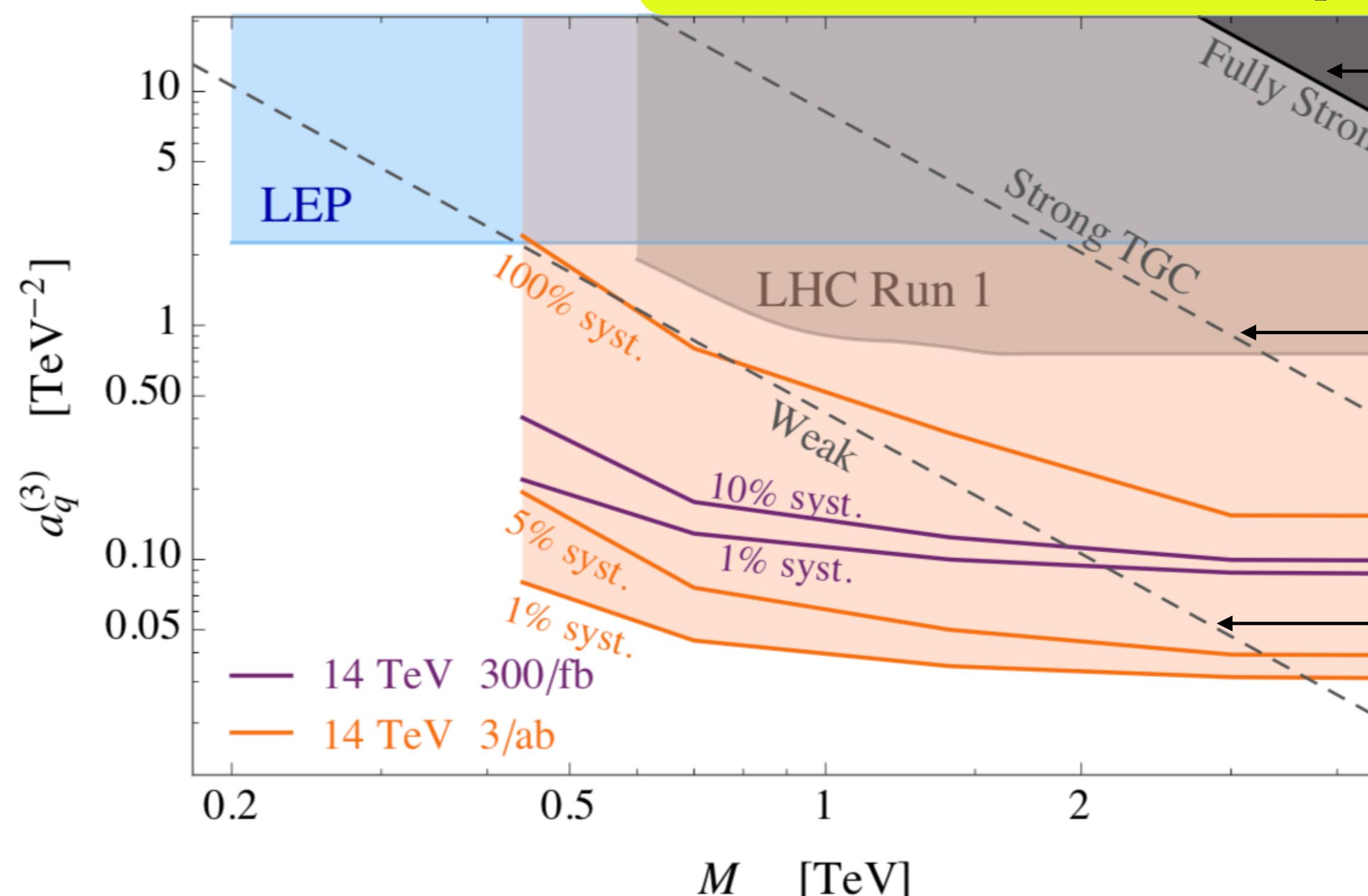
Higgs couplings

Different subset of op.s for different subset of pseudo-ob.s  
and different models!!

# Energy growth of diBoson differential cross sections

	SM	BSM
$q_{L,R}\bar{q}_{L,R} \rightarrow V_L V_L(h)$	$\sim 1$	$\sim E^2/M^2$
$q_{L,R}\bar{q}_{L,R} \rightarrow V_\pm V_L(h)$	$\sim m_W/E$	$\sim m_W E/M^2$
$q_{L,R}\bar{q}_{L,R} \rightarrow V_\pm V_\pm$	$\sim m_W^2/E^2$	$\sim E^2/M^2$
$q_{L,R}\bar{q}_{L,R} \rightarrow V_\pm V_\mp$	$\sim 1$	$\sim 1$

$$\delta A(\bar{q}q' \rightarrow WZ) \approx a_q^{(3)} E^2$$



$$a_q^{(3)} = \frac{16\pi^2}{M^2}$$

$$a_q^{(3)} = \frac{4\pi g}{M^2}$$

$$a_q^{(3)} = \frac{g^2}{M^2}$$

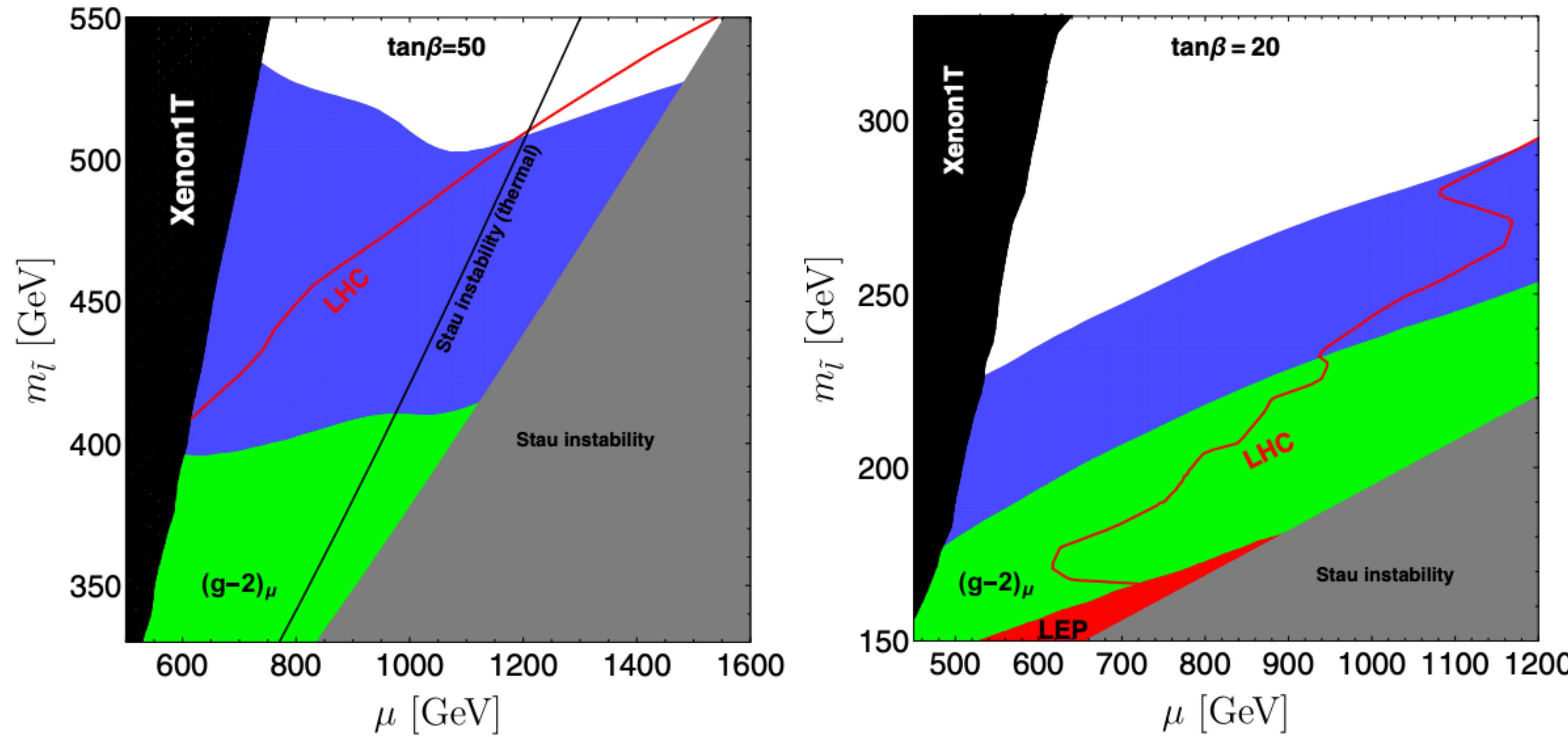
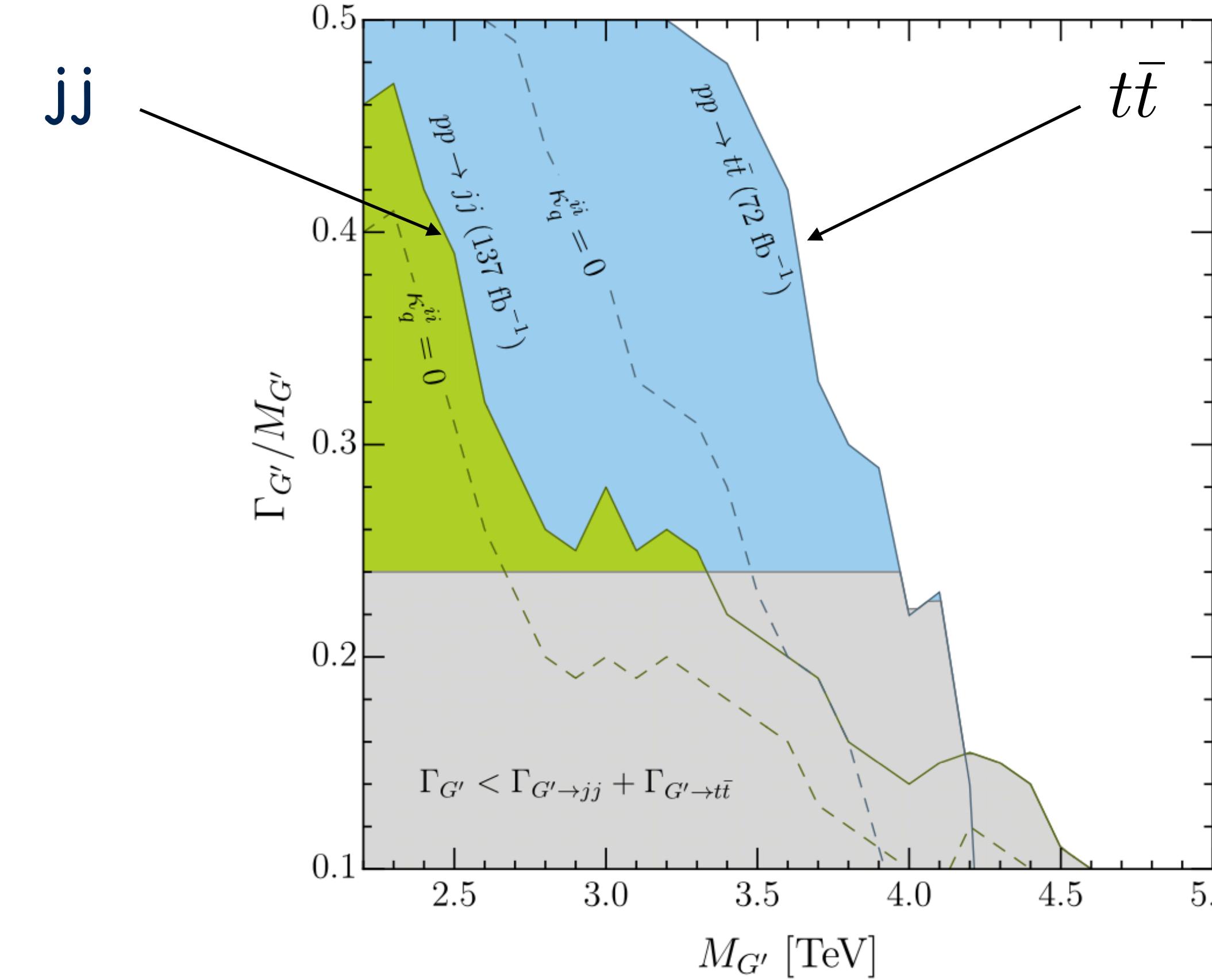
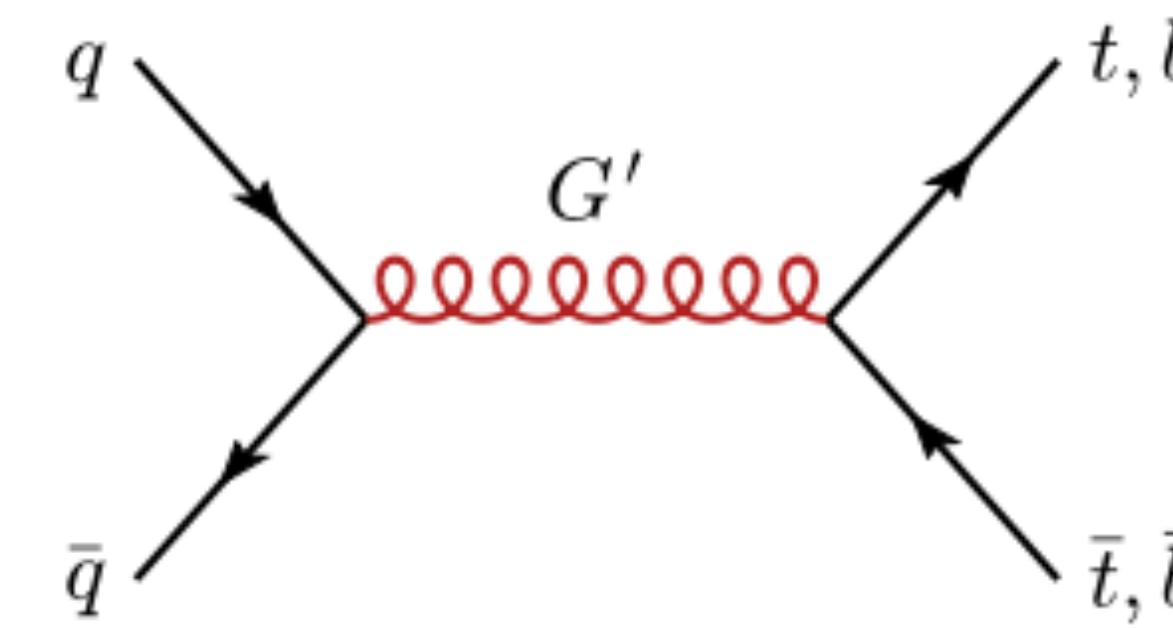


FIG. 1. Bino–stau coannihilation.  $M_1$  has been adjusted to obtain the correct relic abundance, and we fix  $M_2 = 1$  TeV. The green (blue) region is consistent with  $a_\mu$  at  $1\sigma$  ( $2\sigma$ ). The black region is excluded by XENON1T [24]. The region to the right of the red line is excluded by the ATLAS slepton search with  $139 \text{ fb}^{-1}$  [22], and the red region is excluded by slepton searches at LEP [25]. The grey region is excluded by vacuum instability. Left:  $\tan\beta = 50$ . Right:  $\tan\beta = 20$ .

# A vector lepto-quark living inside Pati-Salam $SU(4)$

A recast of large- $\Gamma$  dijet and  $t\bar{t}$  searches  
at fixed  $g_{G'} \approx g_U = 3$  where  $\Gamma(G' \rightarrow t\bar{t}, b\bar{b}) \gtrsim 0.24m_{G'}$

A heavy gluon



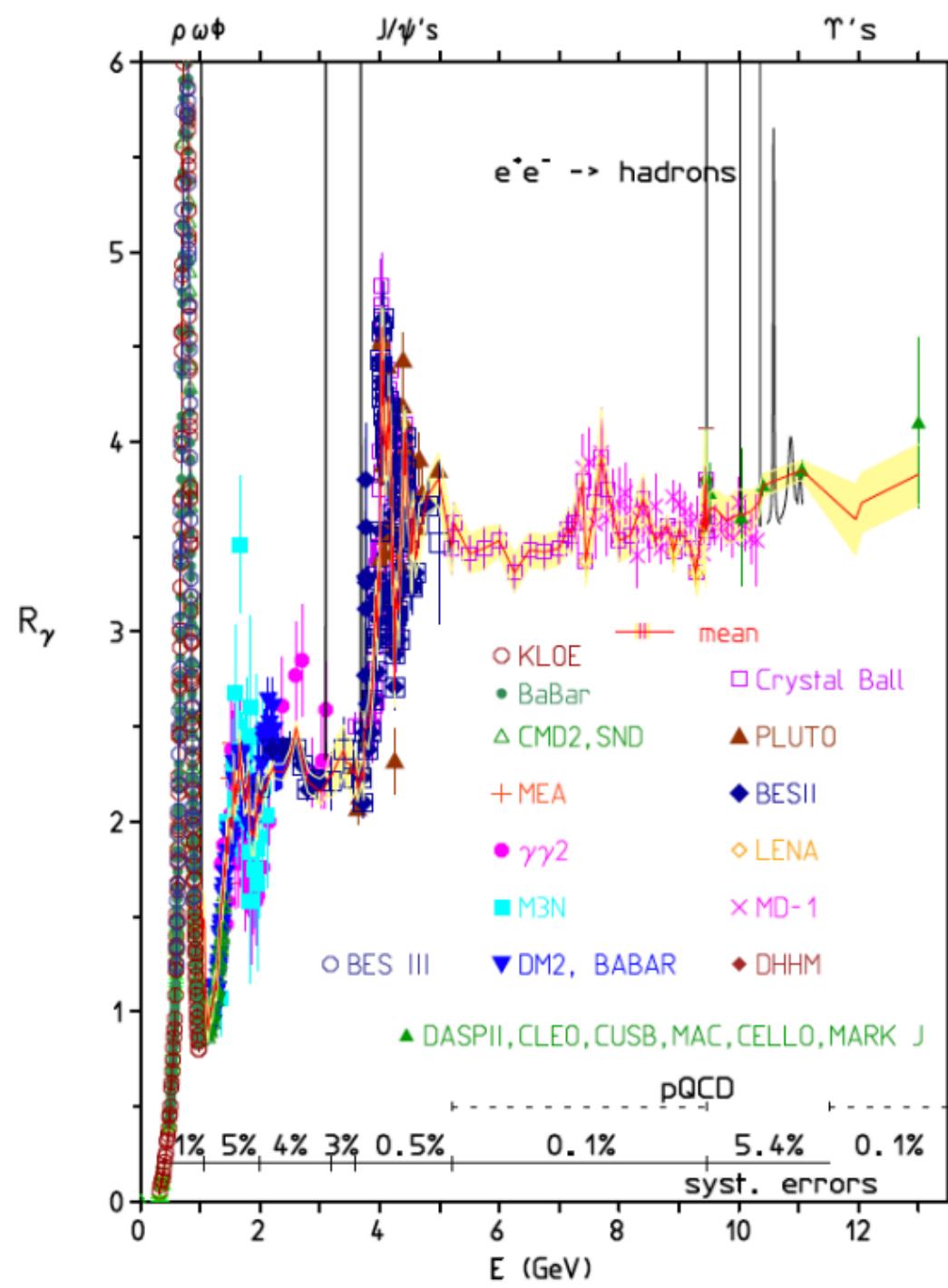
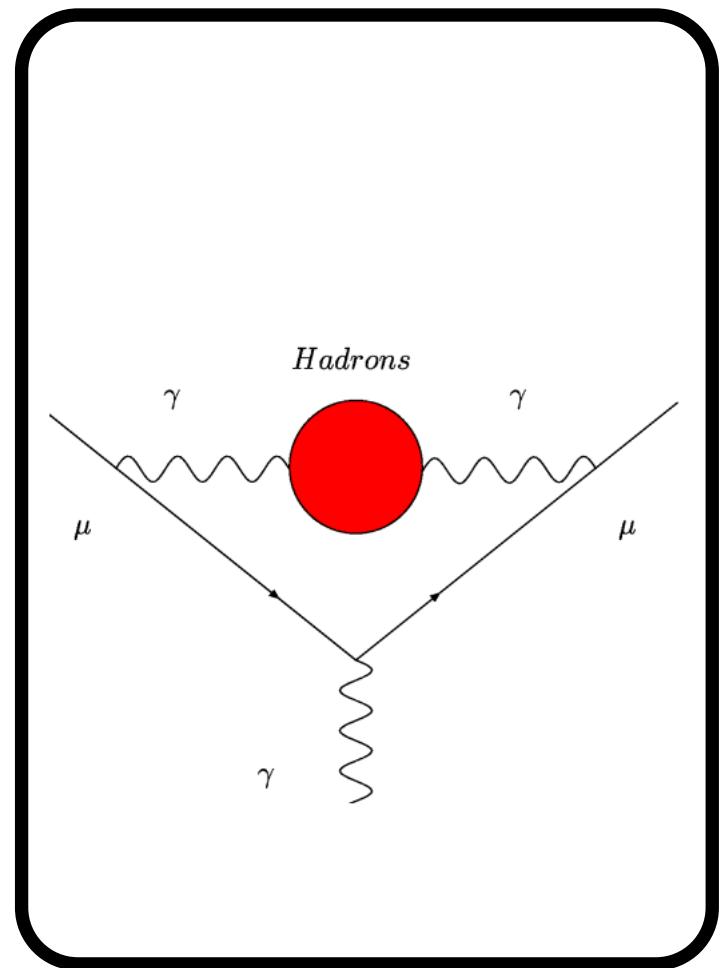
Cornella et al 2021

with a significant dependence on the coupling to the light quarks

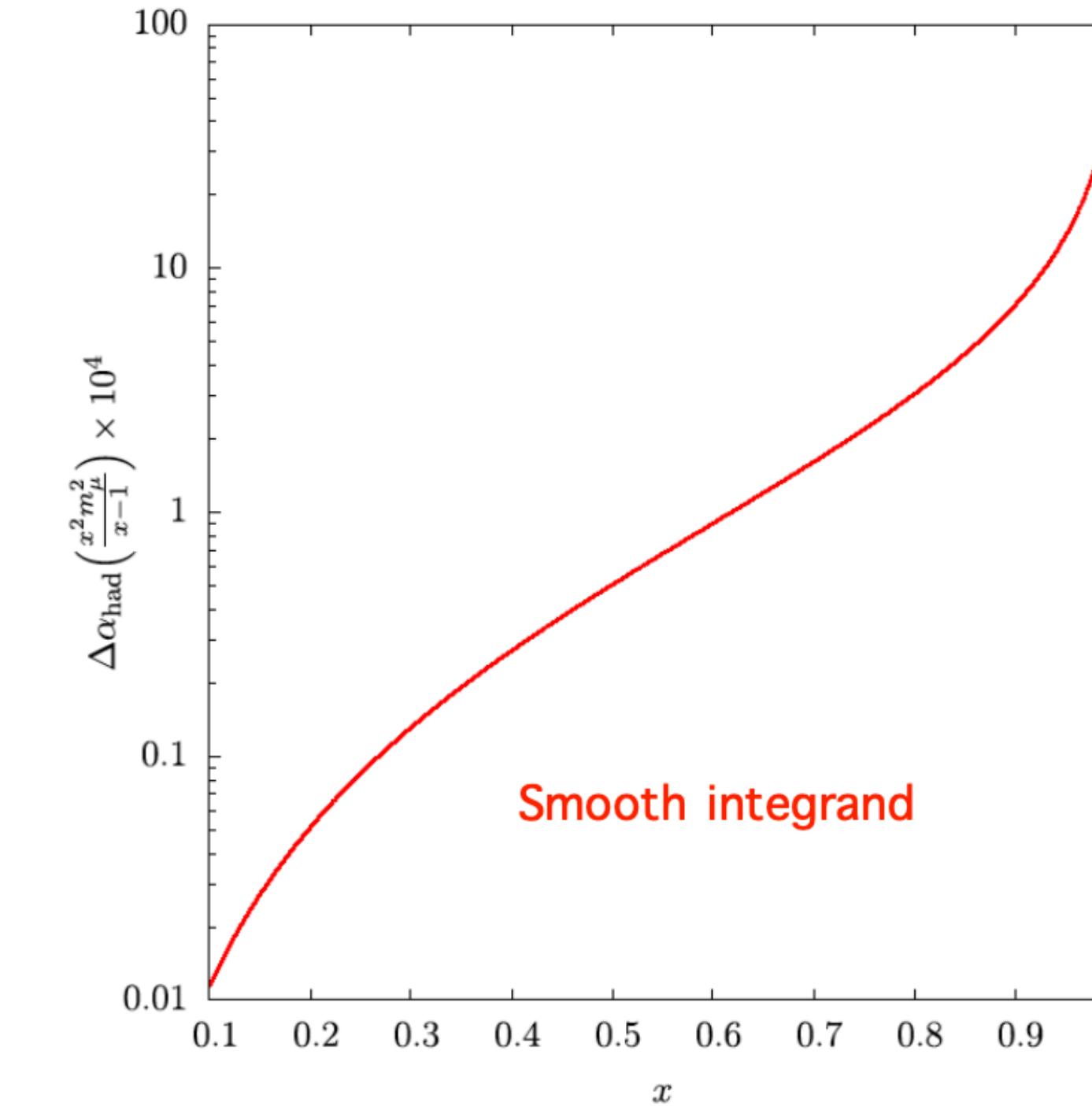
Timelike



Spacelike

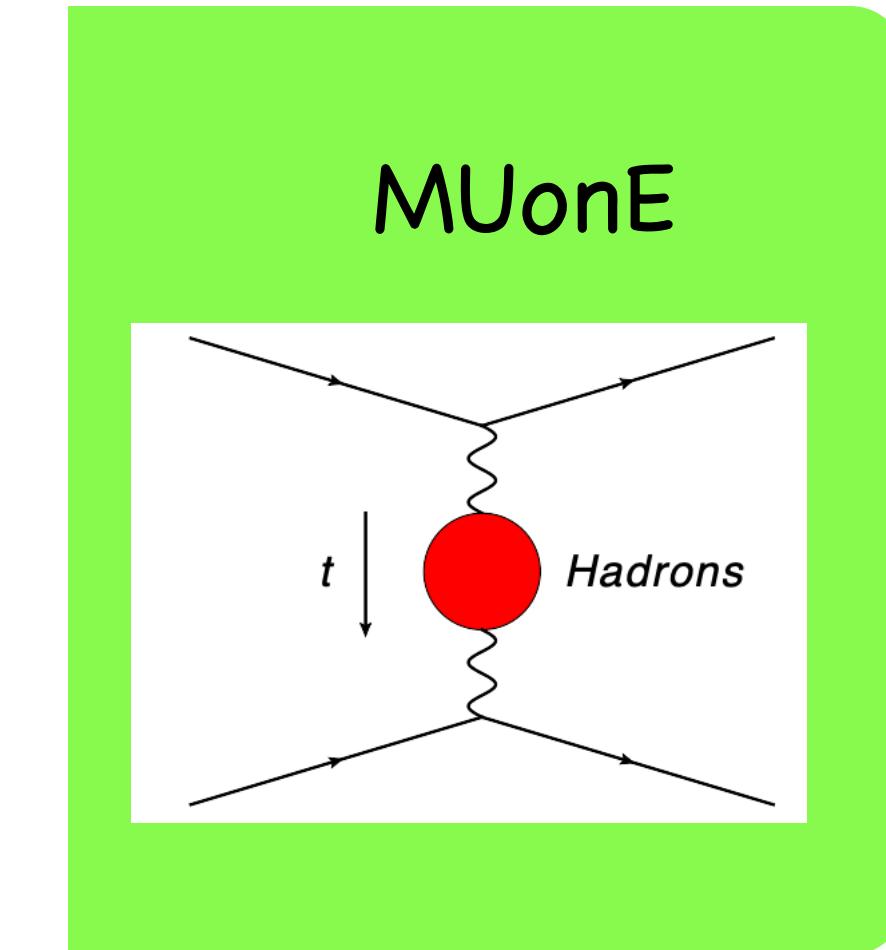


F. Jegerlehner, arXiv:1511.04473

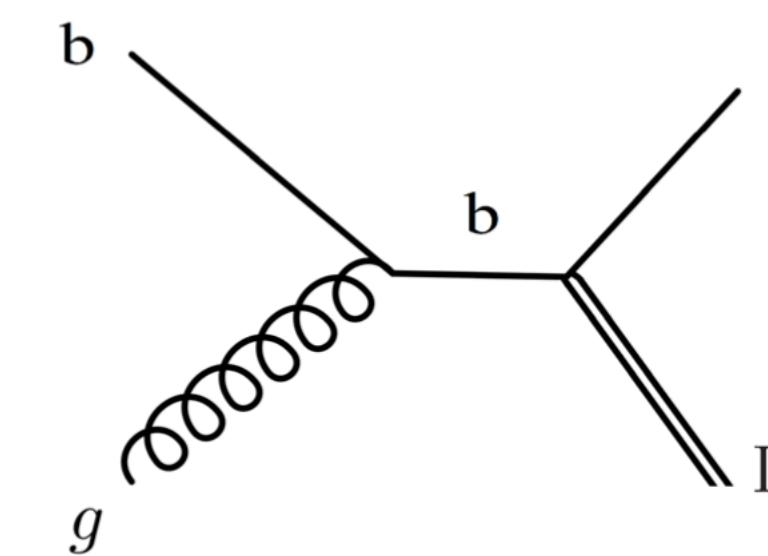
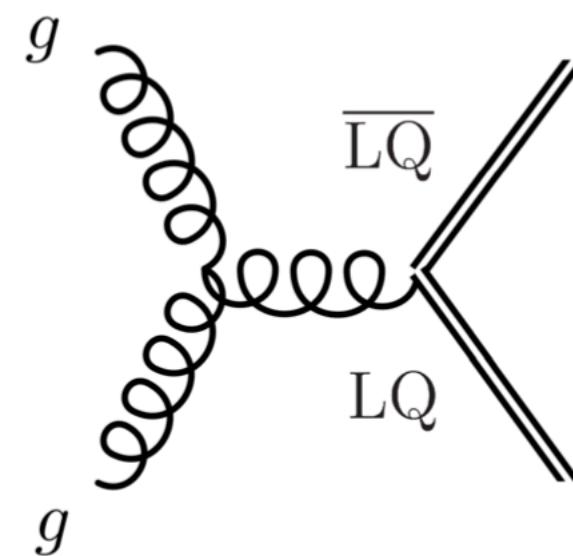


Carloni Calame, MP, Trentadue, Venanzoni, PLB 2015

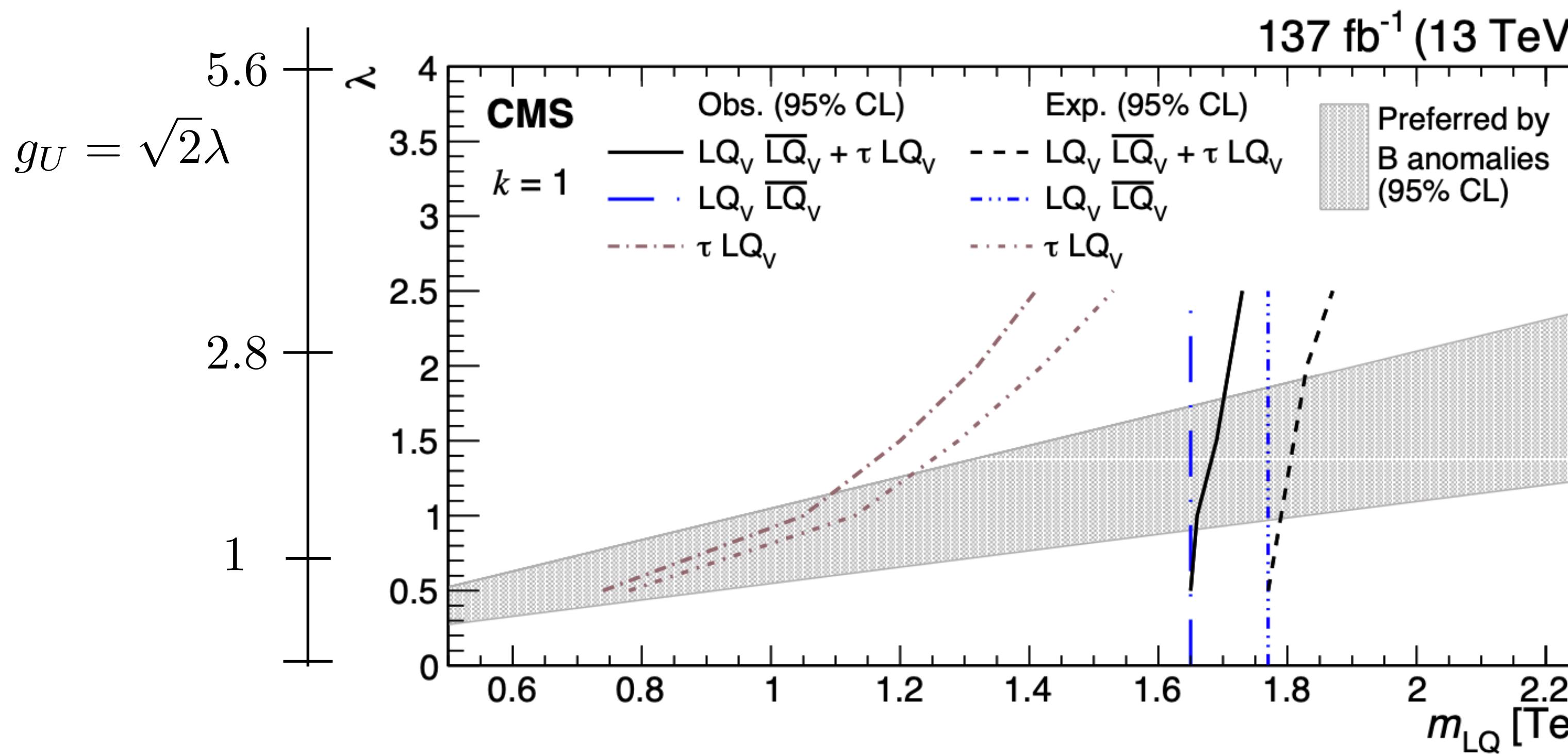
- Inclusive measurement
- Smooth integrand
- Direct interplay with lattice QCD



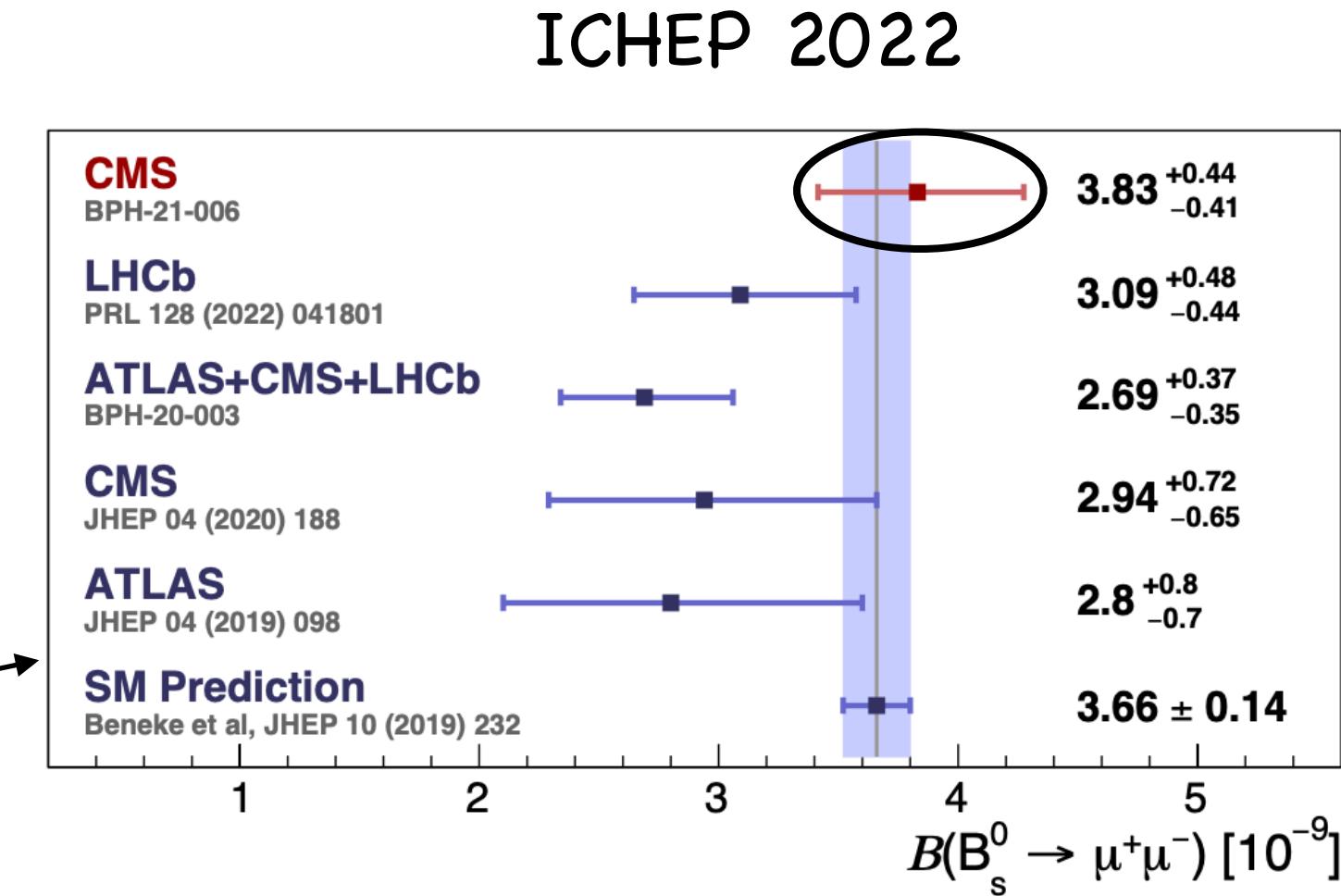
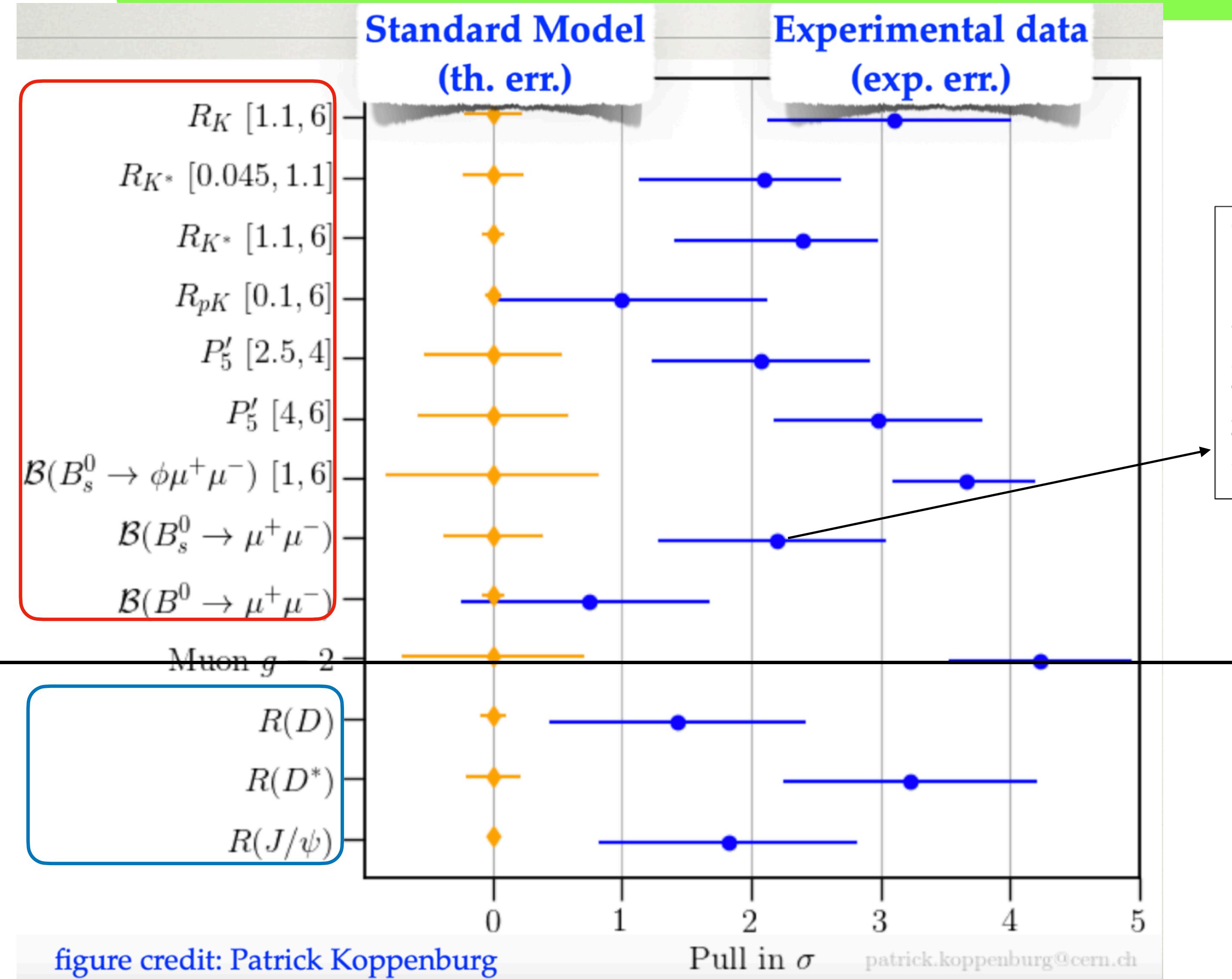
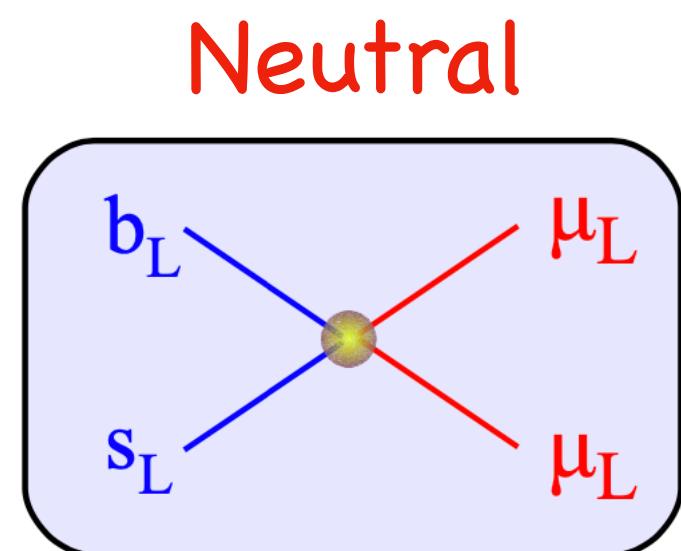
# Direct production of vector lepto-quark



$$BR(U_1 \rightarrow b\tau) \approx 1/2$$



# Example 3: B-anomalies in semi-leptonic decays



- in many cases  $\sigma_{th} \ll \sigma_{exp}$