

# Foreground removal for B-mode detection with Clustering methods

Giuseppe Puglisi

From Planck to the future of CMB

May, 23-27 2022,  
Ferrara

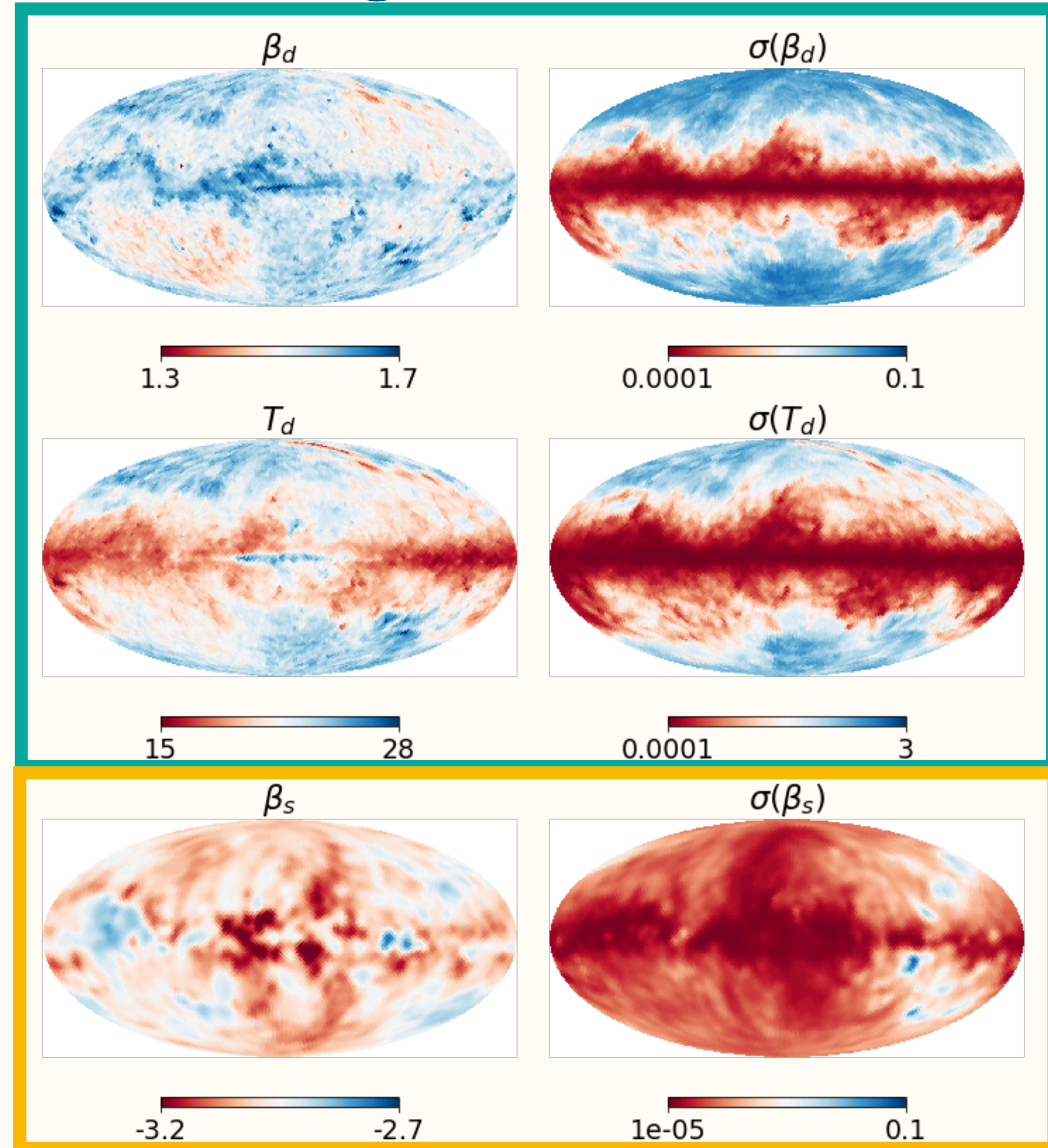
05/25/2022



# Spatial variability of Galactic foregrounds

G. Puglisi et al. 2022

- Spatial variability is hard to be tackled in both blind and non-blind comp sep approaches (-> See A. Carones Poster)
- However, in general Galactic emission could vary along the l.o.s and in different l.o.s



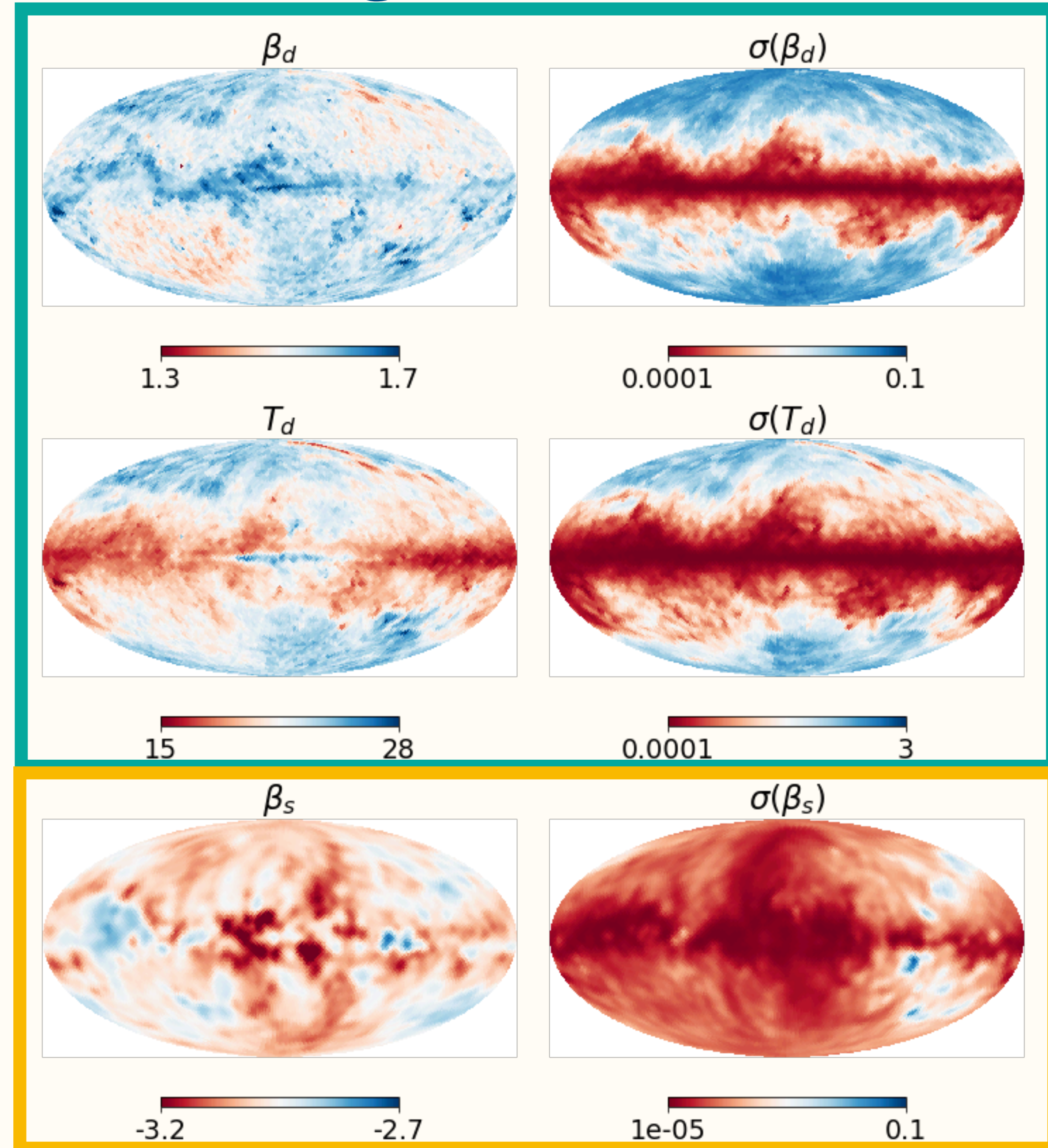
# Spatial variability of Galactic foregrounds

$$I_{\nu}^{dust}(\hat{n}) \propto \nu^{\beta_d(\hat{n})} B_{\nu}(T_d(\hat{n}))$$

- PySM `d1` (Thorne et al. 2017)
- Spectral Parameters  $\beta_d, T_d$
- Templates derived from Commander Planck Collaboration 2015.X

$$I_{\nu}^{synch}(\hat{n}) \propto \nu^{\beta_s(\hat{n})}$$

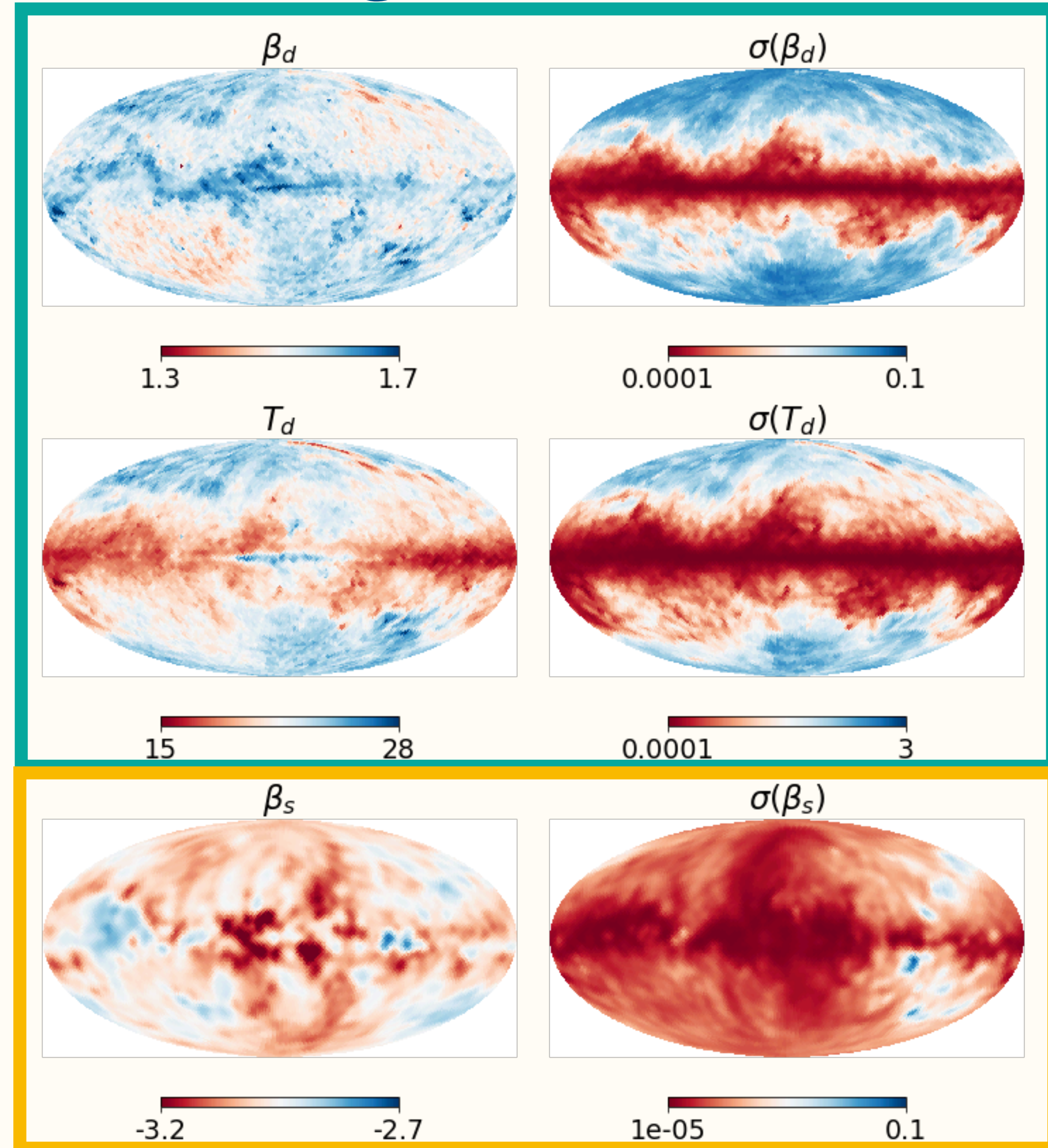
- PySM `s1`
- Spectral Parameter  $\beta_s$
- Template from WMAP 2011 & Miville Deschenes 2008 template



# Spatial variability of Galactic foregrounds

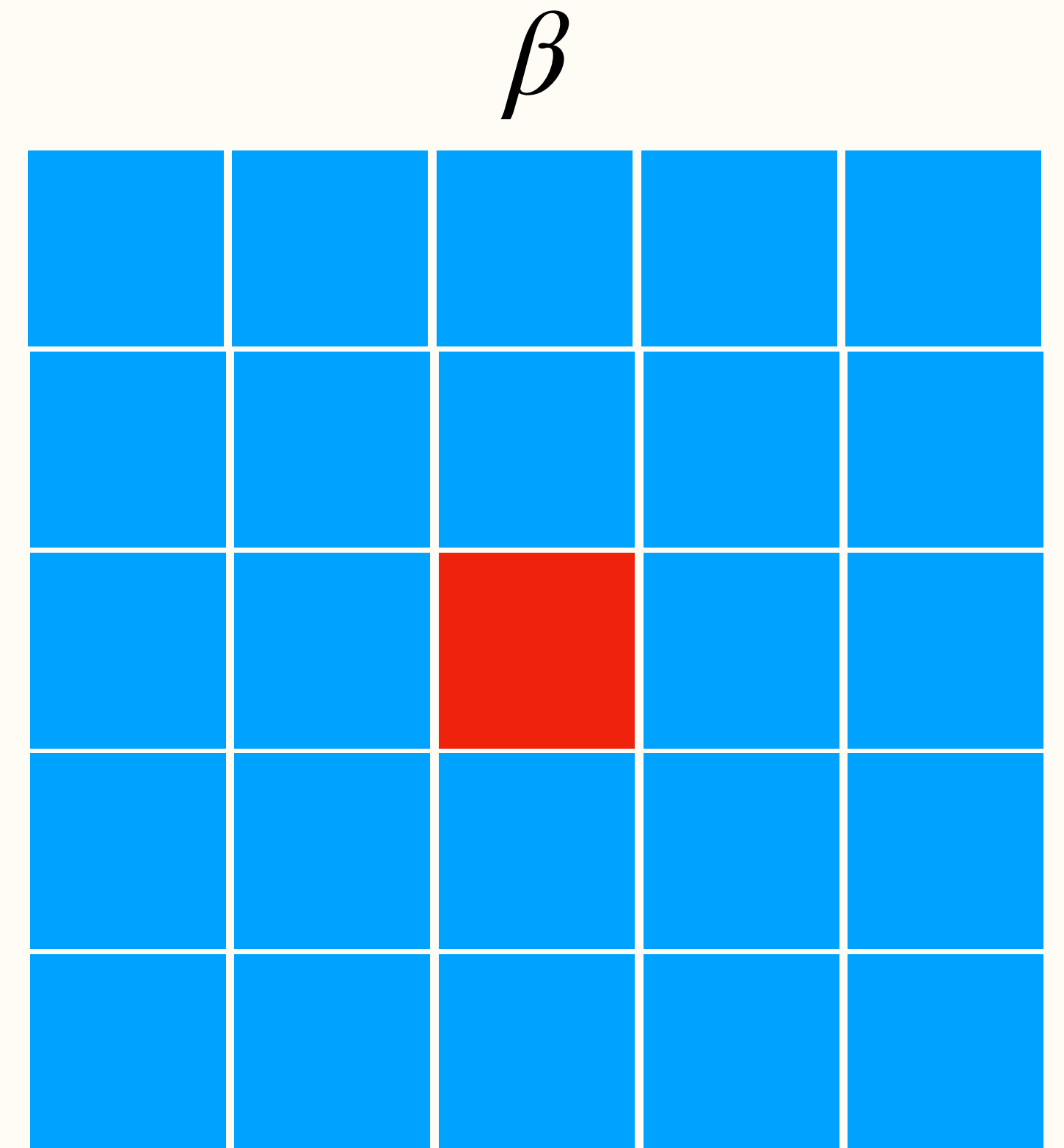
- Clustering methodologies (Grunit et al. 2019, Khatri 2018) employed to divide the sky into multiple domains

**GOAL:** to identify an *optimal partition* of Galactic emission to reduce B-mode residuals



# Spectral clustering pixel-pixel affinity

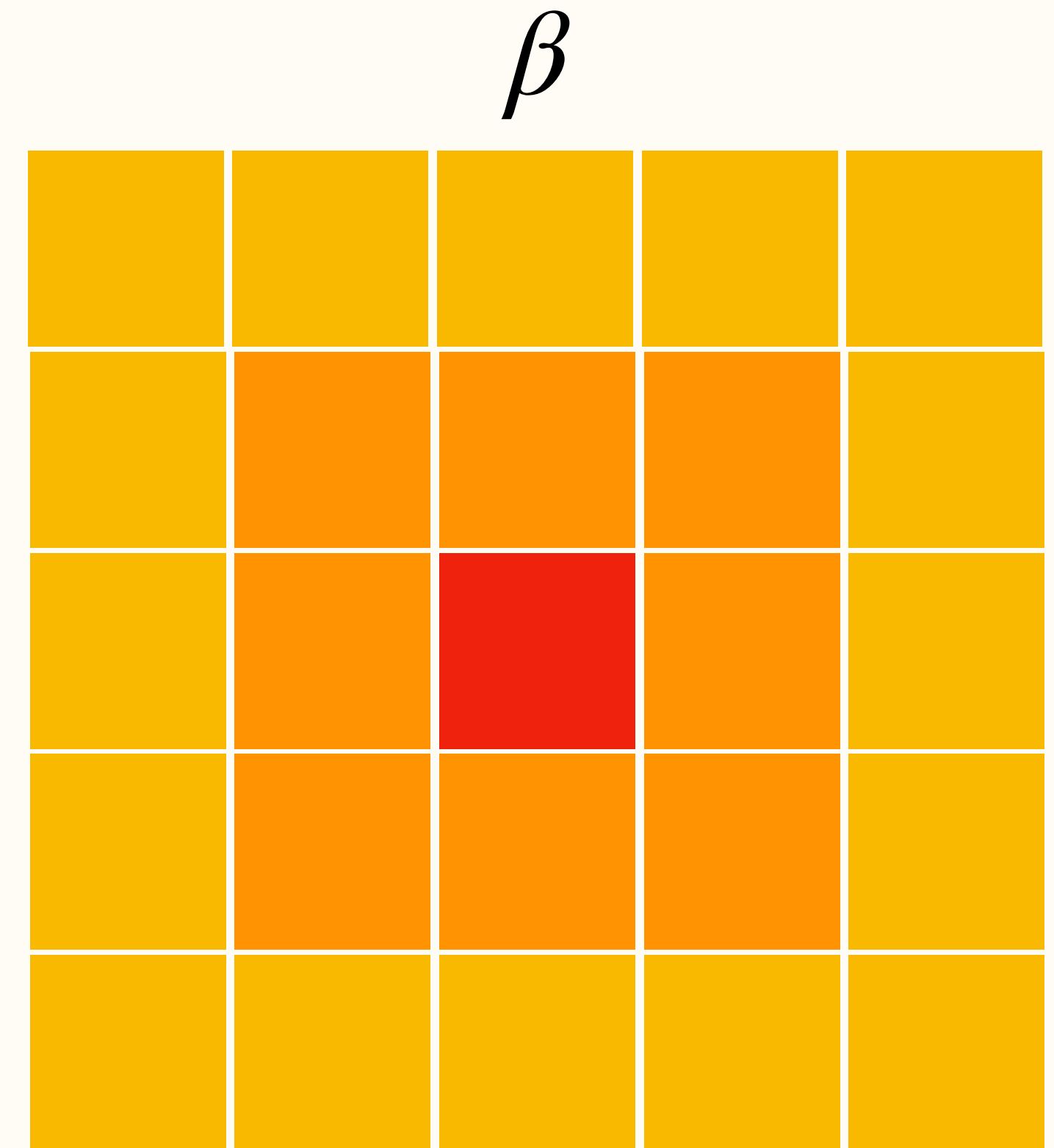
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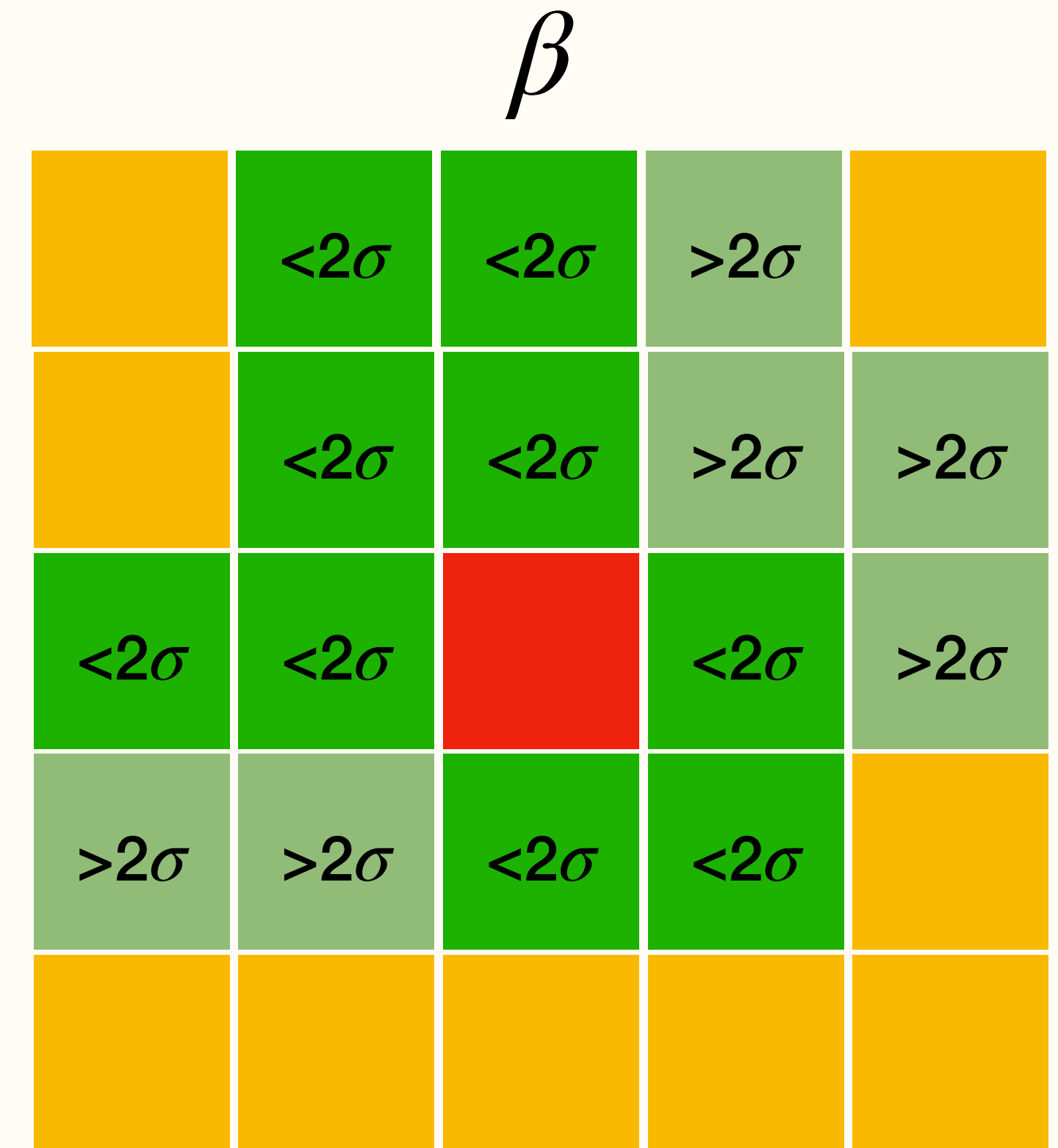
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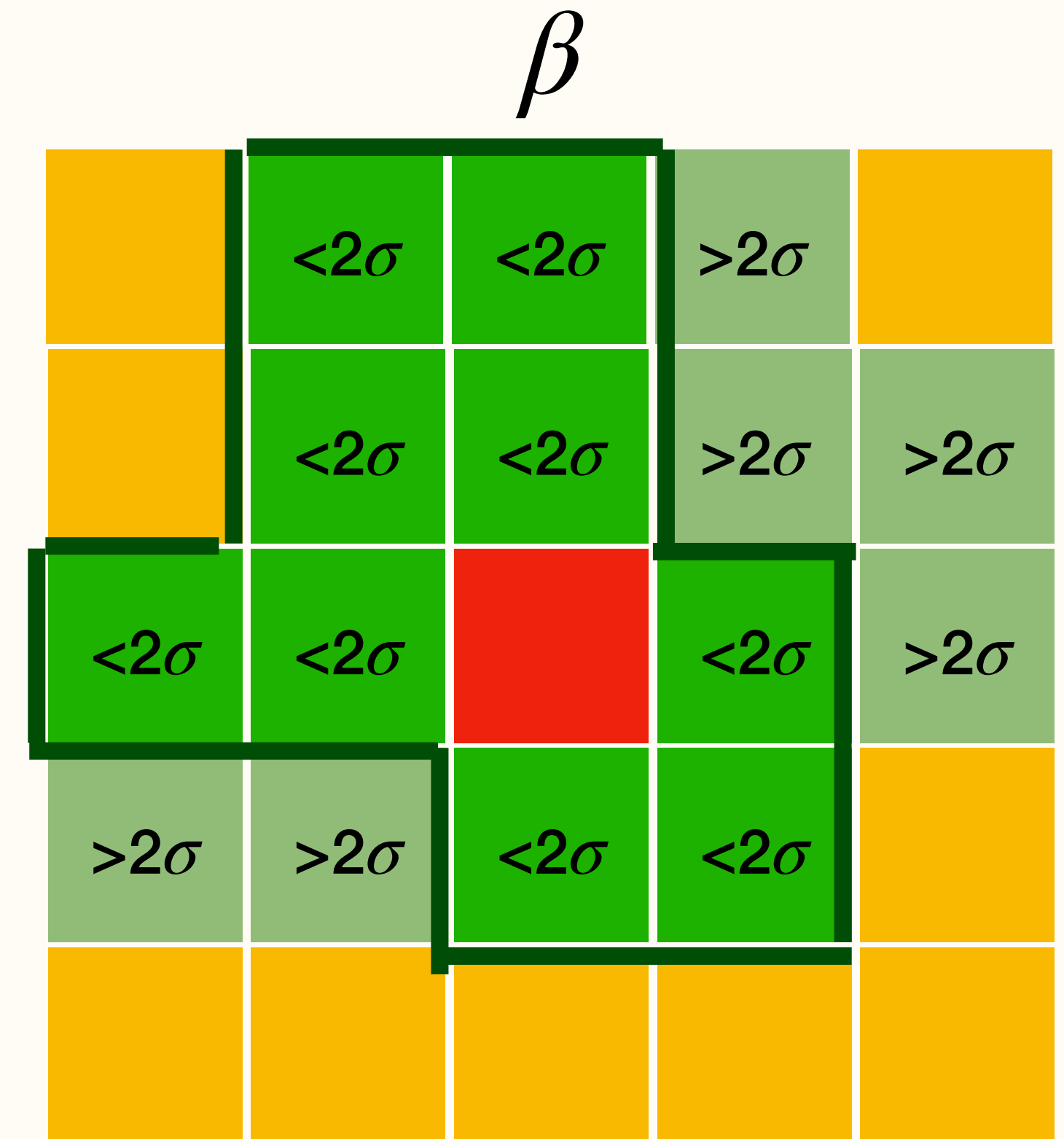
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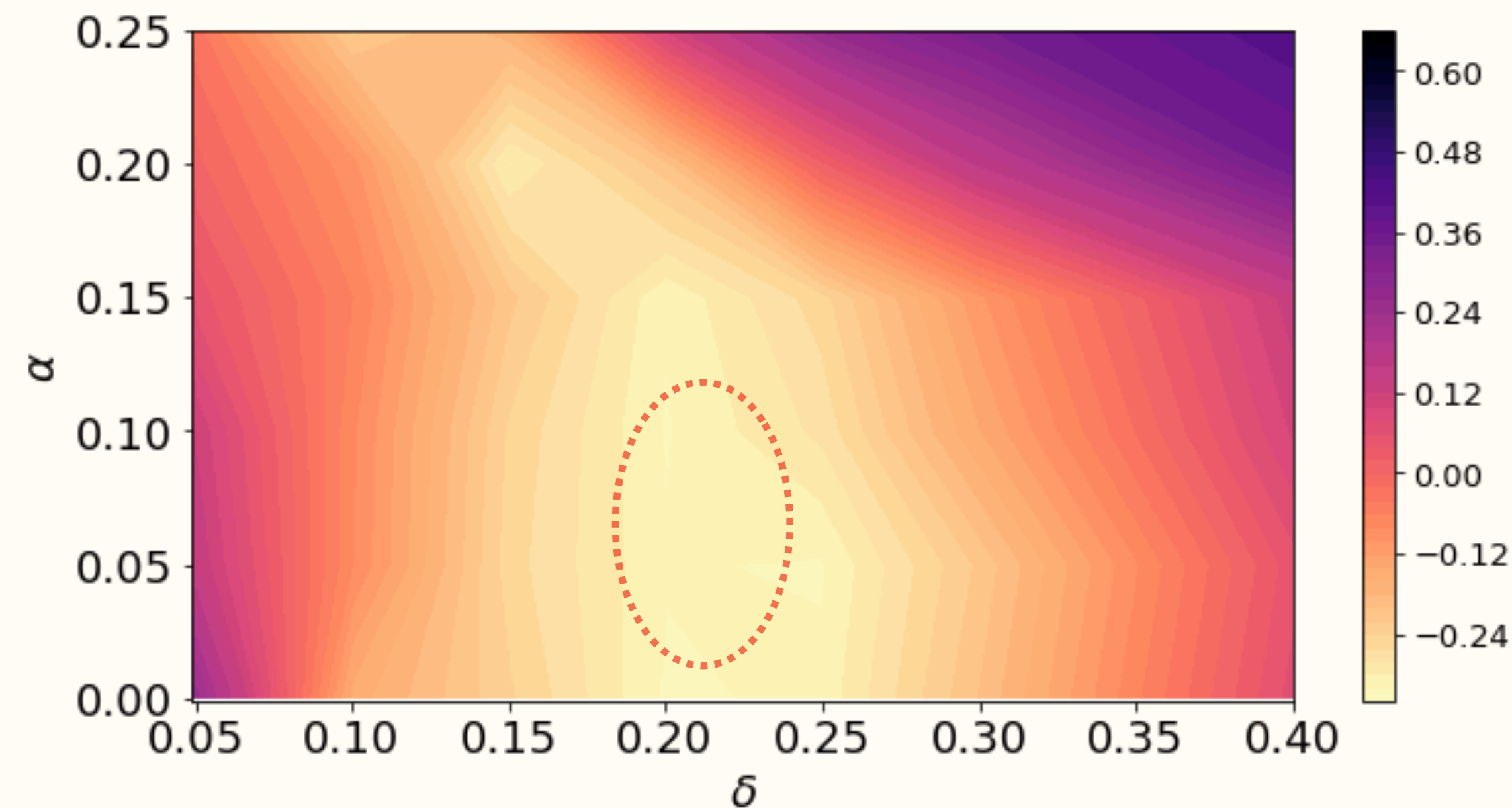




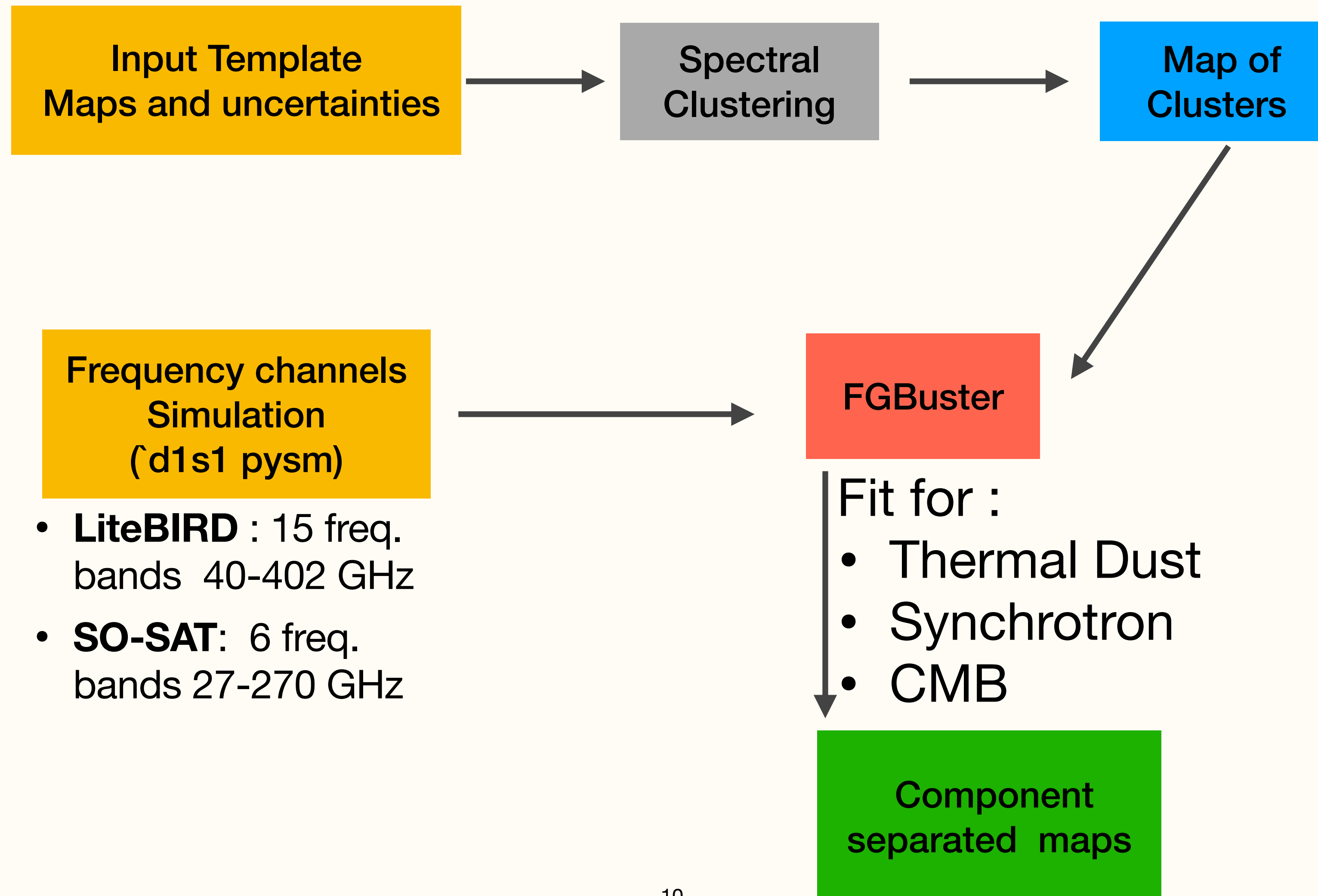
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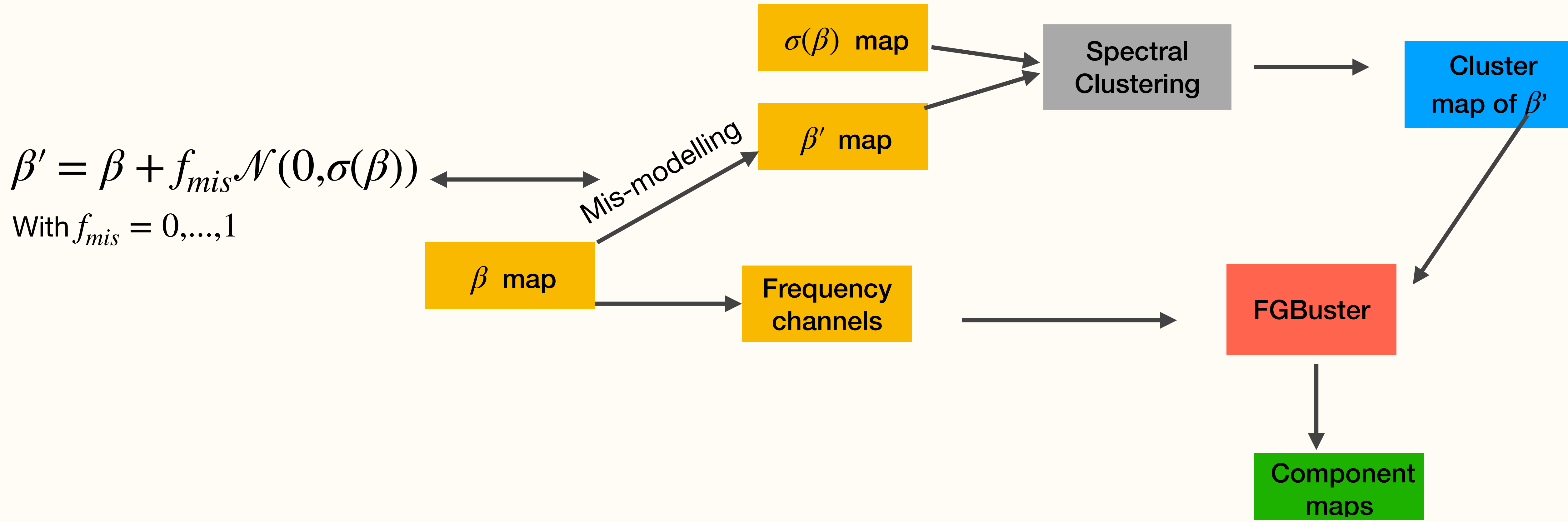
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- Optimal configuration at minimum within and between cluster variance



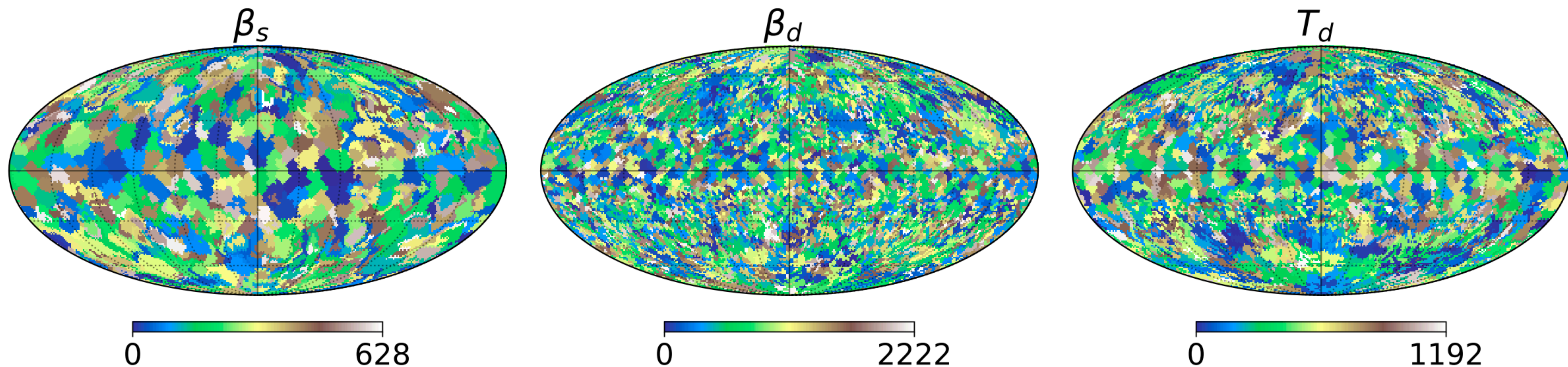
# Clustering + Parametric Component Separation



# Application #1: Clustering on Spectral Parameters



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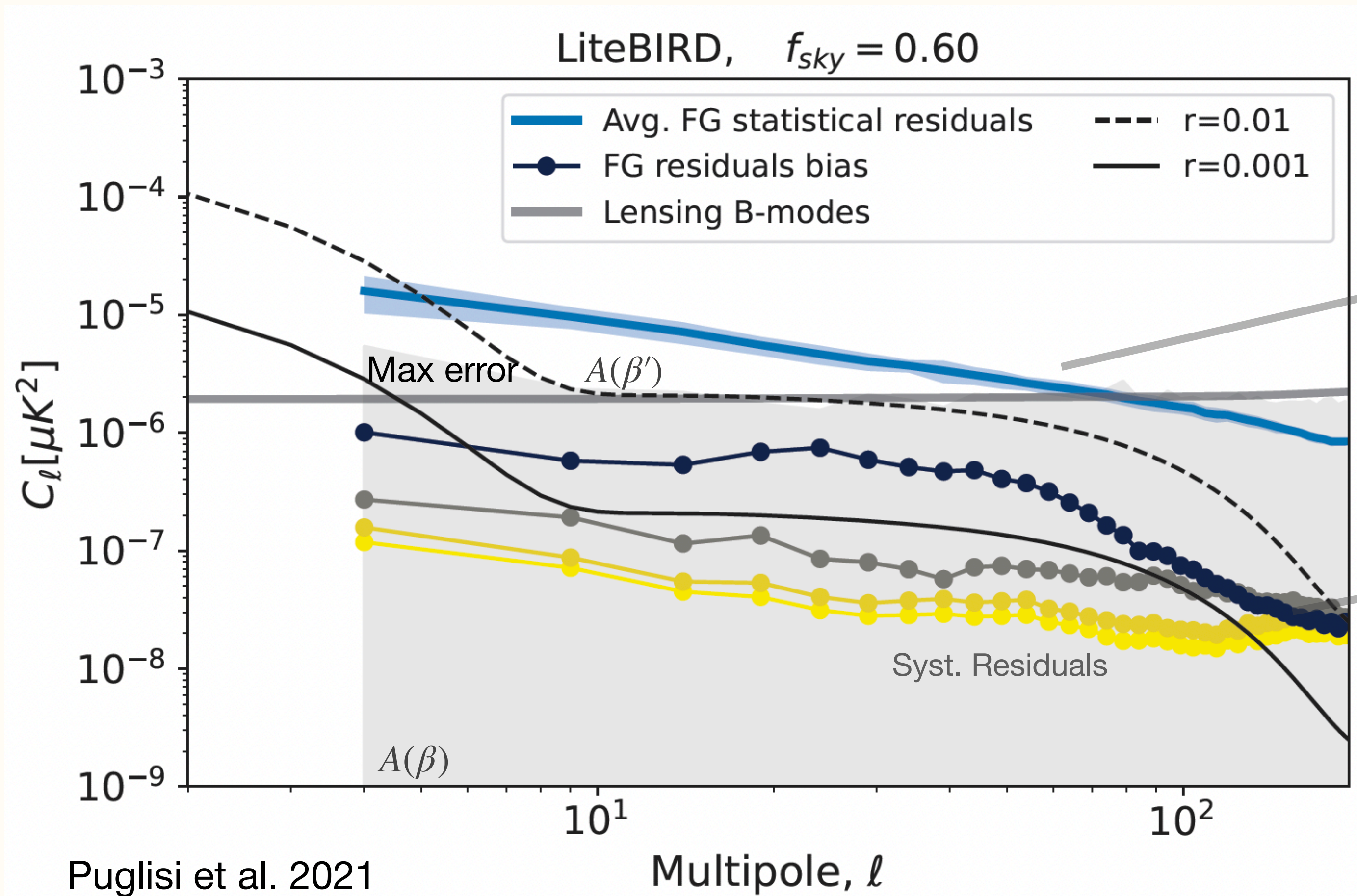
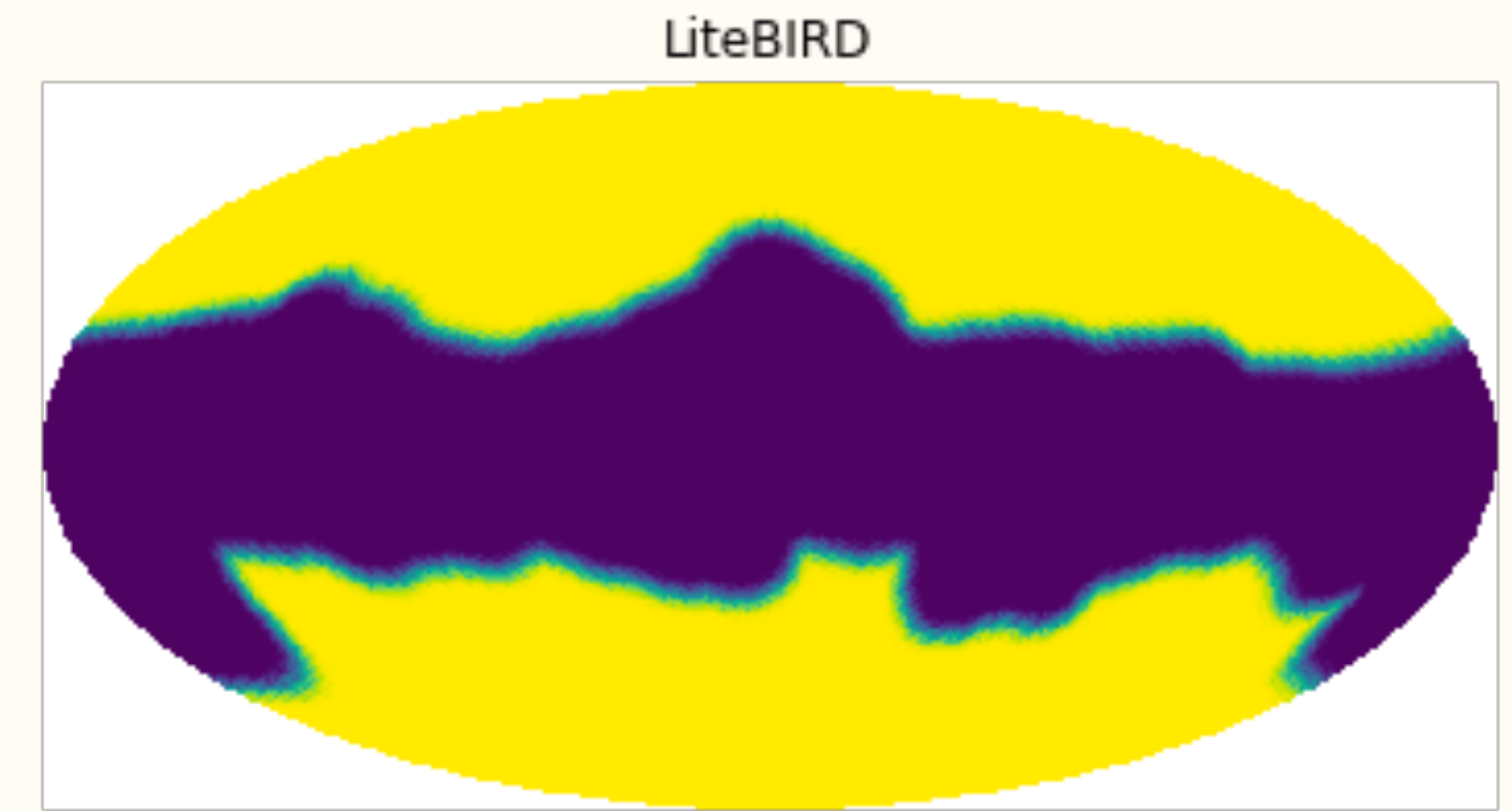


Puglisi et al. 2021

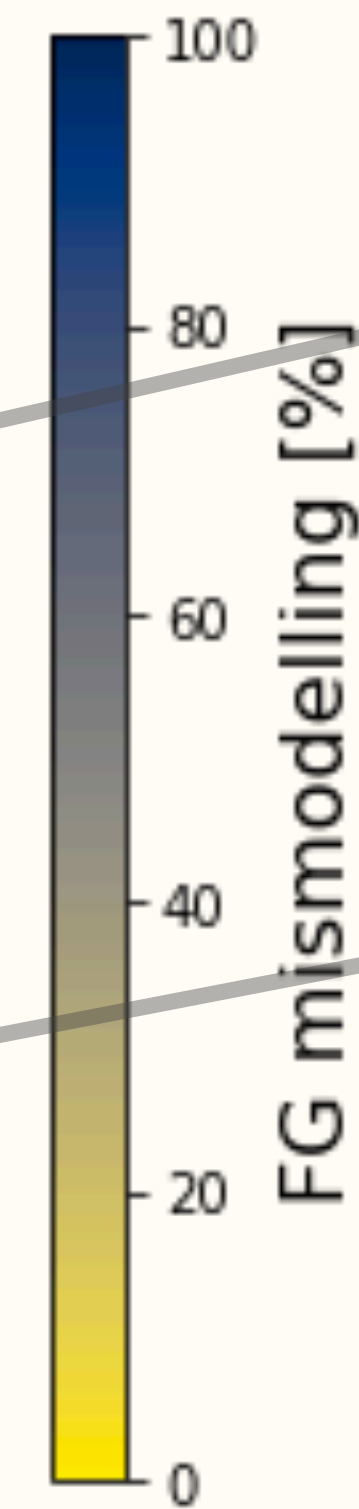
Different colors => different clusters

**Cluster shape and size** : defined by angular resolution and SNR

# FG residuals- LiteBIRD



Puglisi et al. 2021

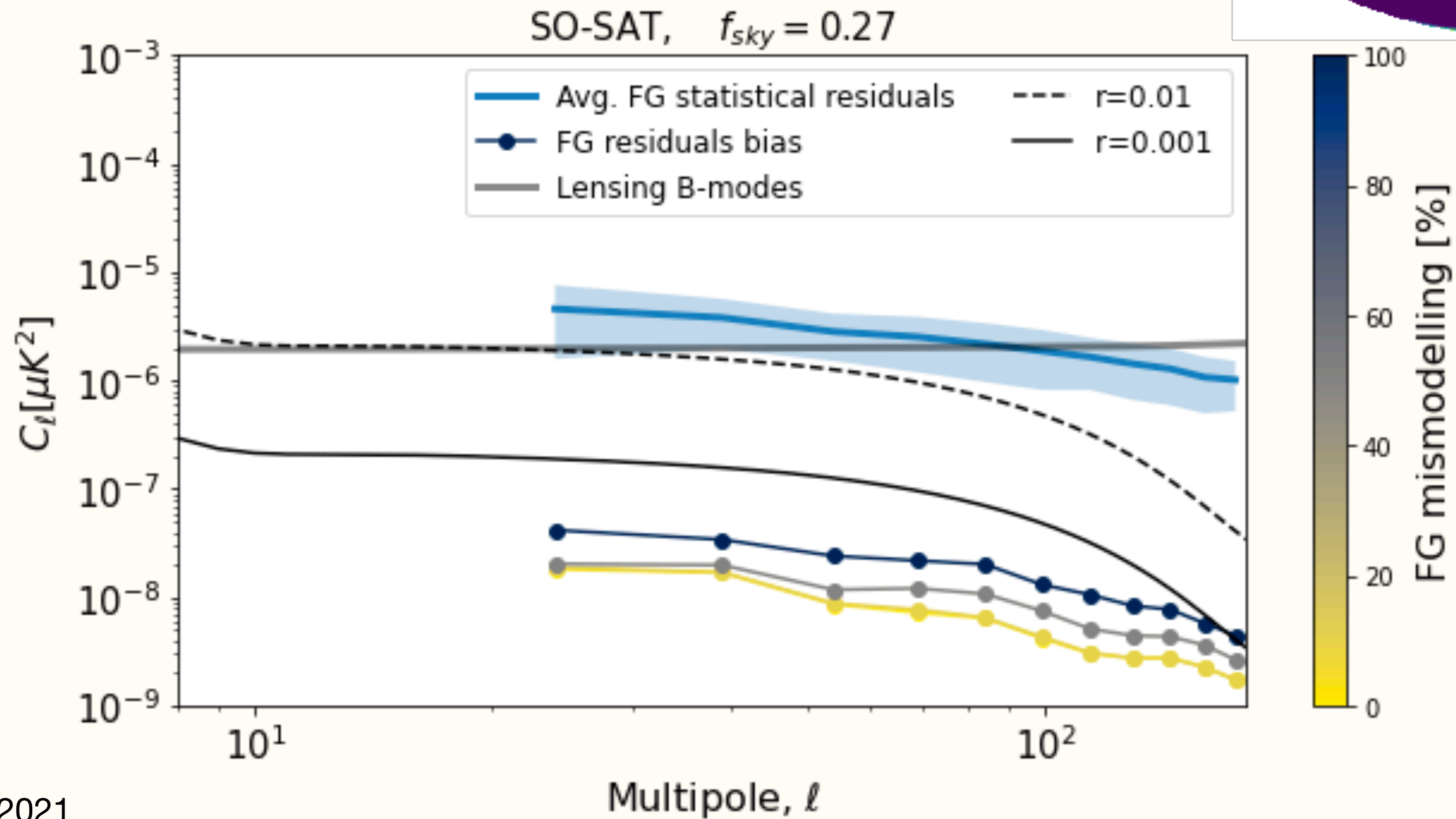
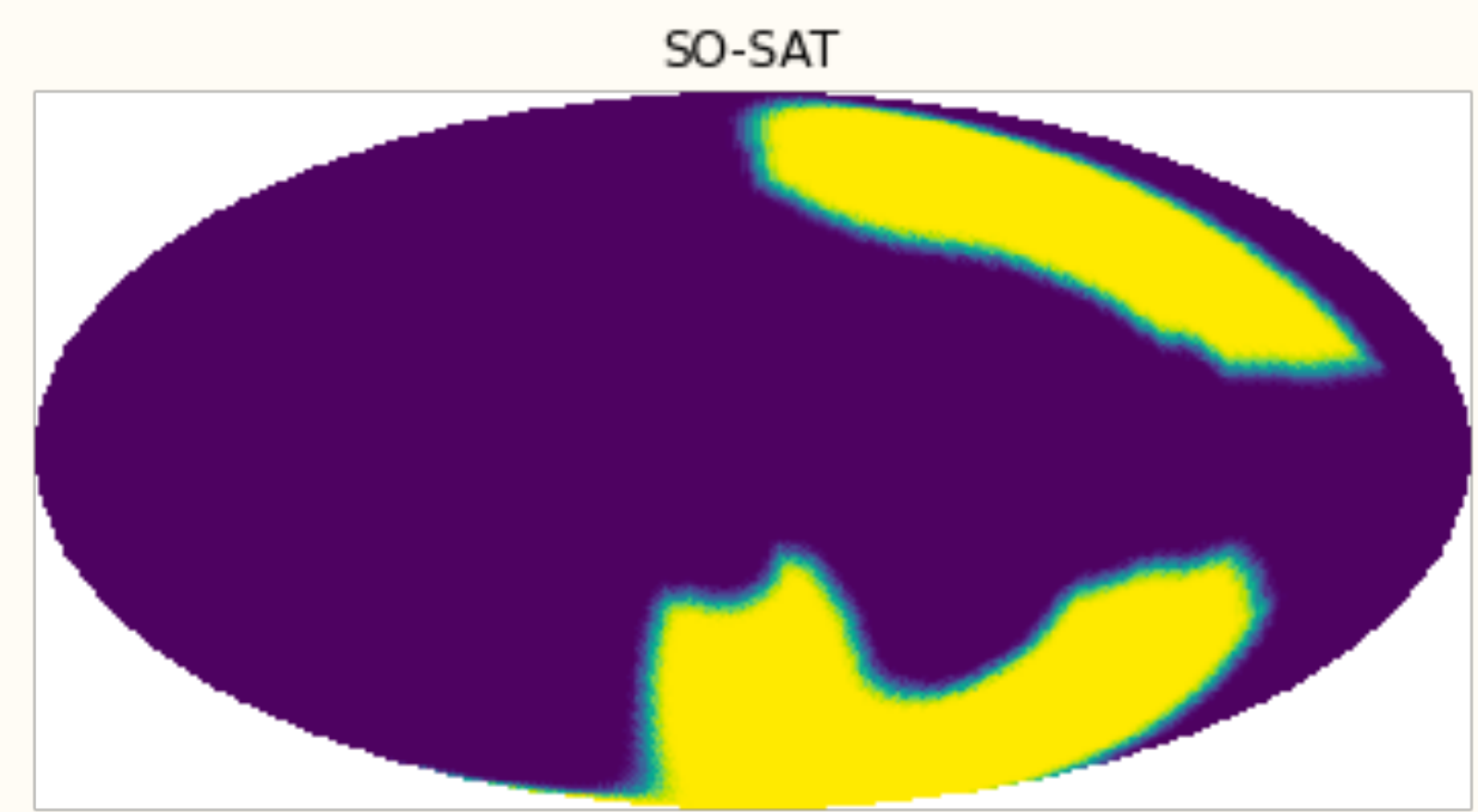


Signal+noise 20MC sims

Signal only sim

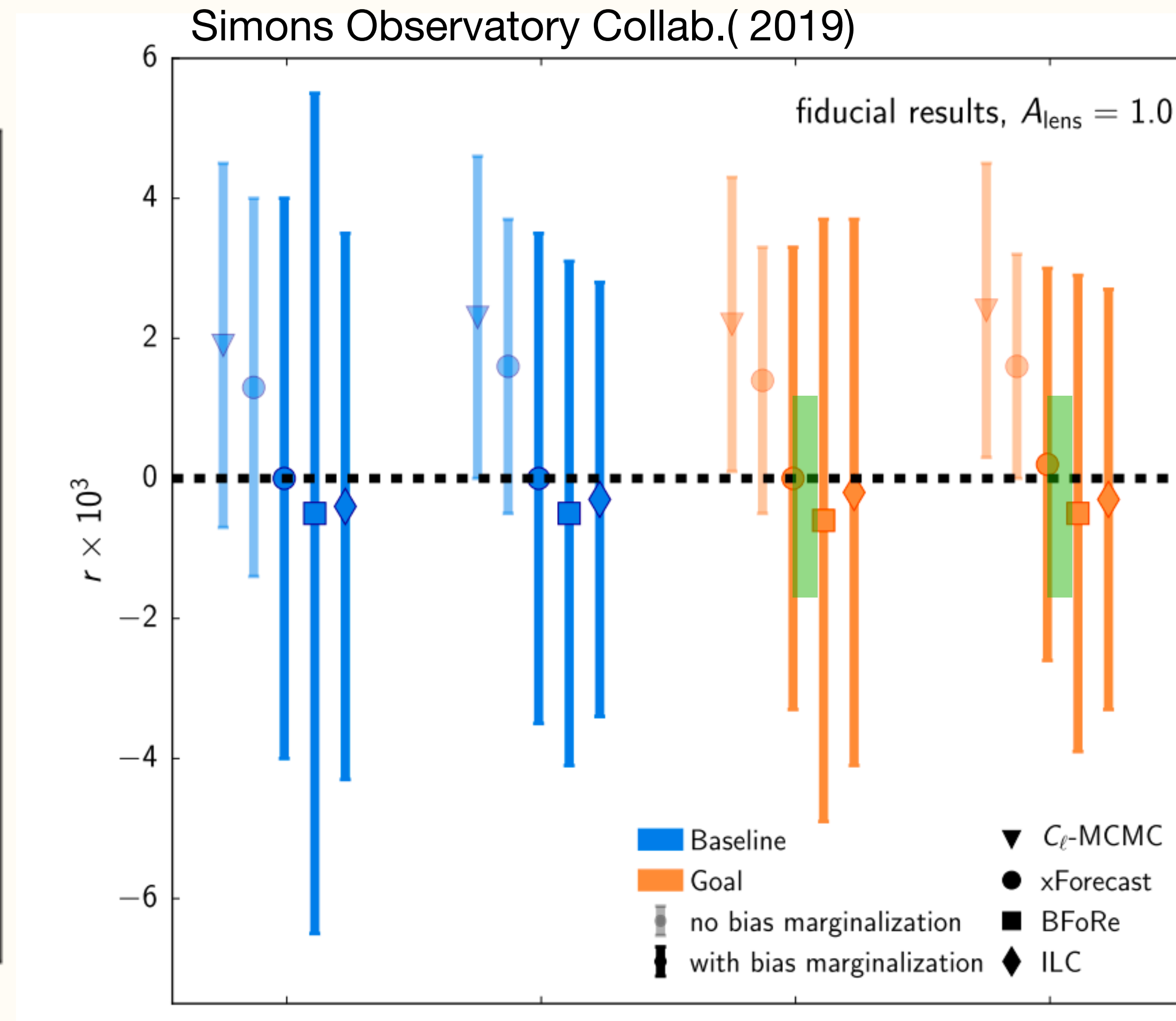
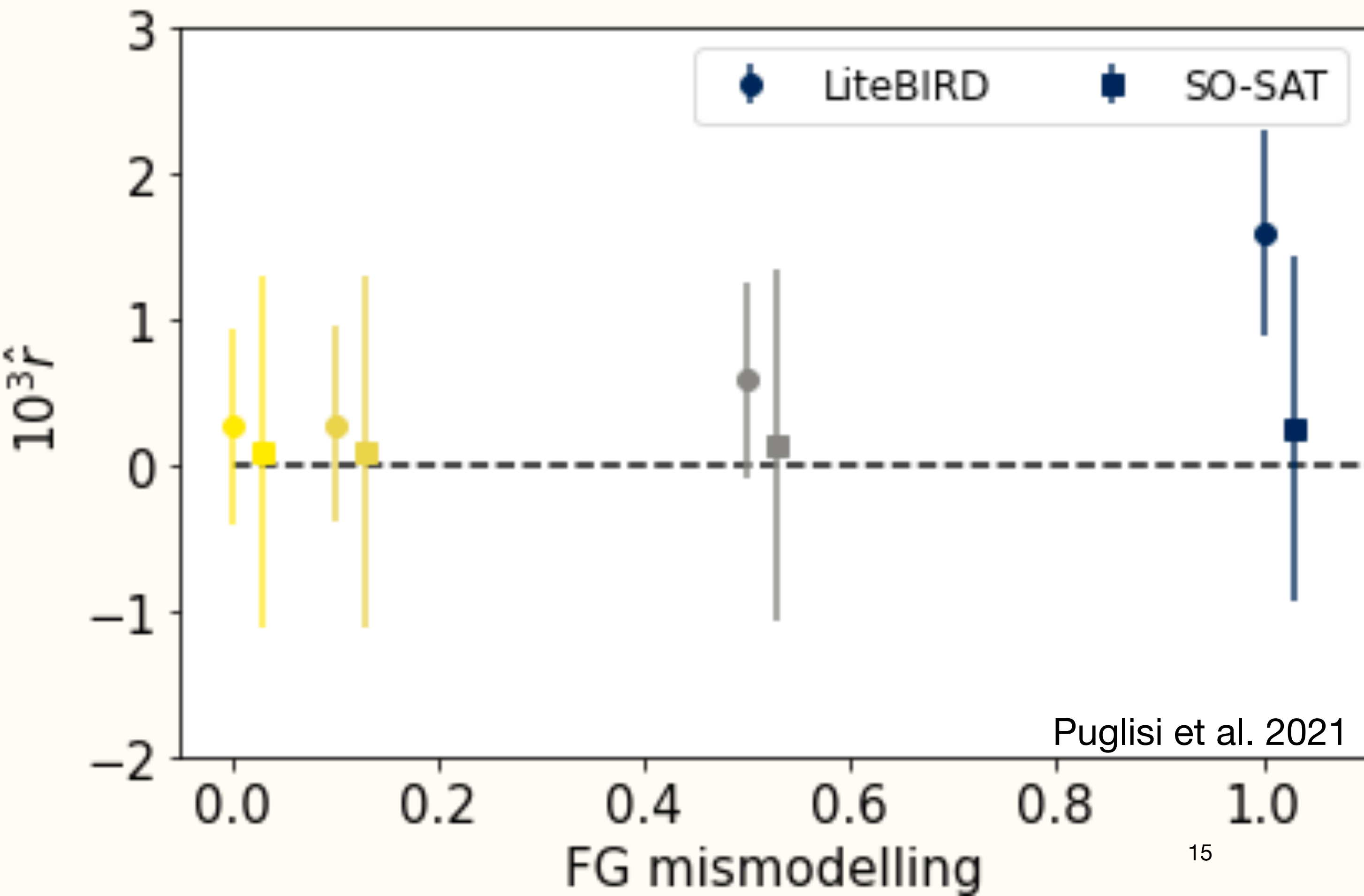


# FG residuals - SO SAT

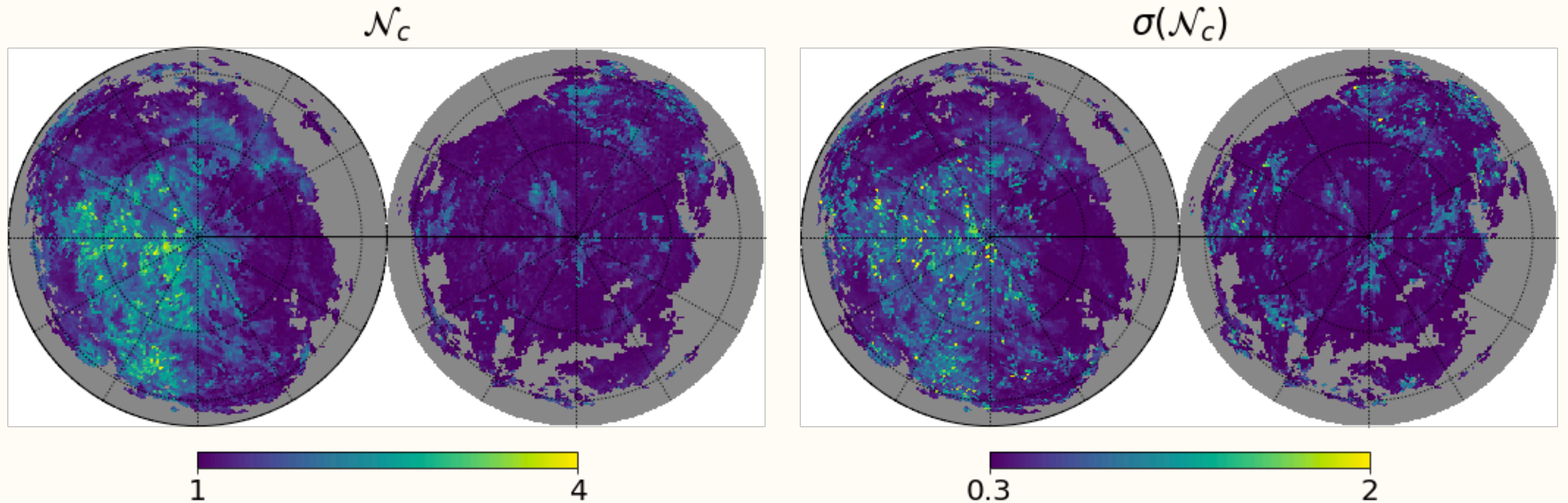


# $r$ - estimates

$$\ln \mathcal{L}(r) = \sum_{\ell_b = \ell_{\min}}^{\ell_{\max}} \ln \left( -f_{sky} \Delta \ell \frac{2\ell_b + 1}{2} \left[ \frac{\hat{C}_{\ell_b}}{C_{\ell_b}} + \ln C_{\ell_b} \right] \right)$$



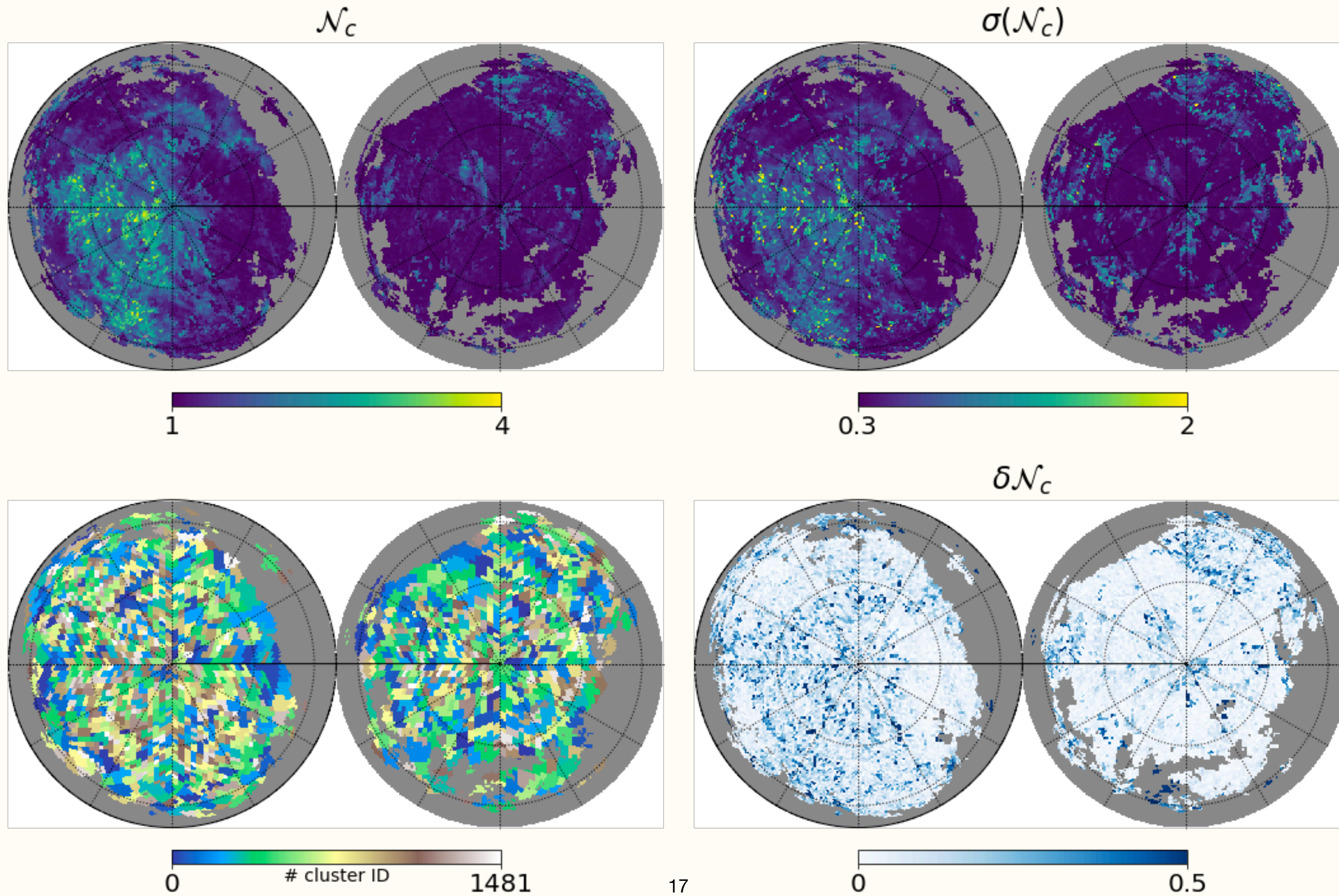
# Application#2 : Clusters on number of clouds along l.o.s.



Lenz & Panoupolou 2020

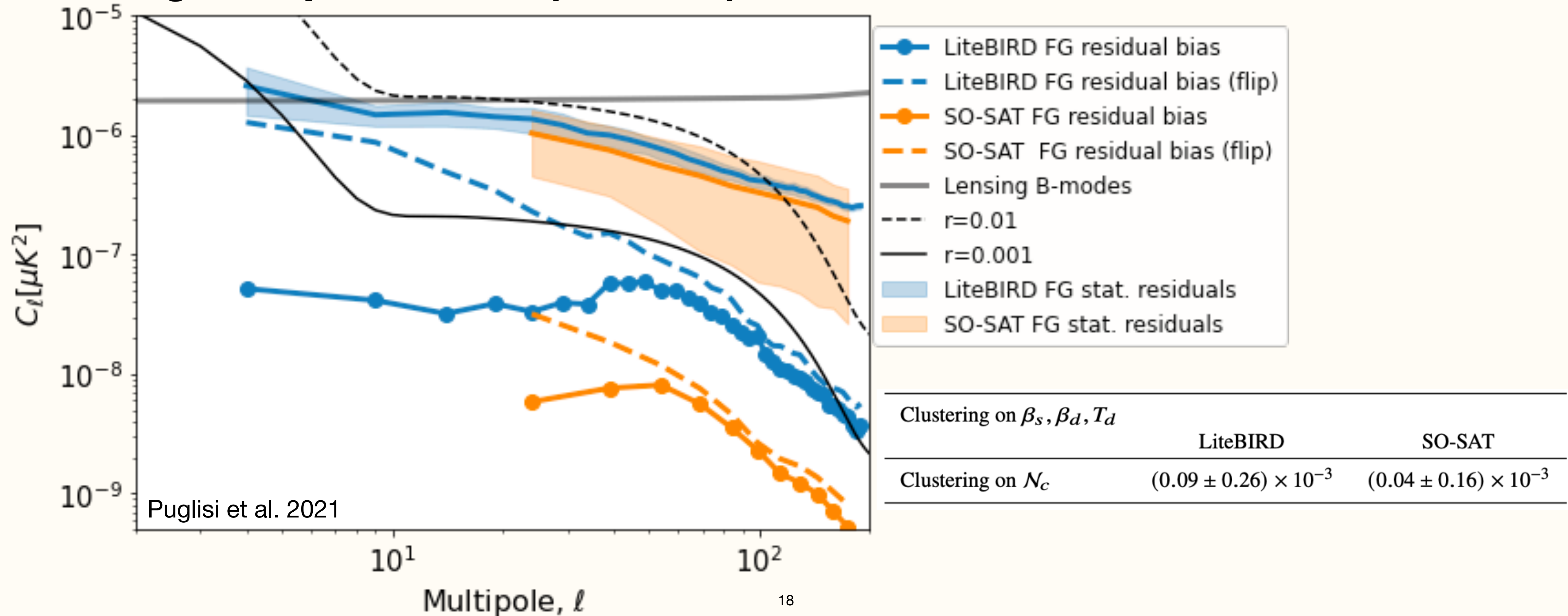


# Clusters on number of clouds



# Clusters on number of clouds

- no synchrotron
- high freq. channels (>90GHz)



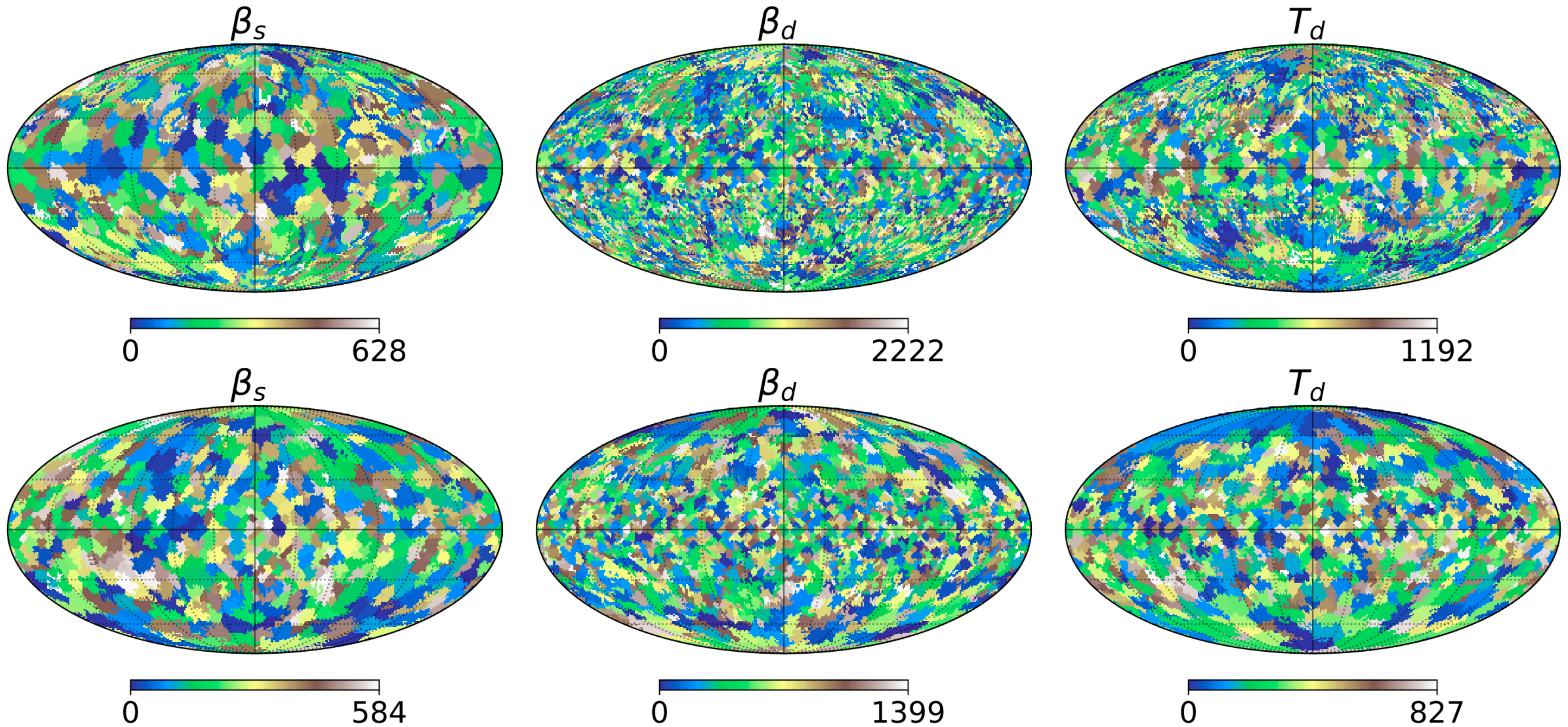
# Summary

- We propose a novel methodology for ancillary supporting traditional comp sep techniques
- We tested the component separation with clusters derived by assuming several mis-modelling levels of the spectral parameter
- We exploit the information from the Nc map (Lenz&Panopoulou 2020) as a a tracer for thermal dust and derived clusters from Nc.
- Estimates on  $r$  are within the level of requirements of SO and Litebird
- **FGcluster** and cluster maps have been made publicly available online at <https://github.com/giuspugl/fgcluster>
- Application to Needlet-ILC on going at UniTorvergata ( see A. Carones Poster)

**GRAZIE!!**

# Backup

# Clusters obtained with mismodelled parameters



# Parametric Component Separation

We can express multi-freq. maps of a generic CMB experiment as

$$m_\nu(\hat{n}) = A_s f_s^\nu(\hat{n}; \beta_s) + A_d f_d^\nu(\hat{n}; \beta_d, T_d) + A_{cmb} f_{cmb}^\nu + n_\nu(\hat{n})$$

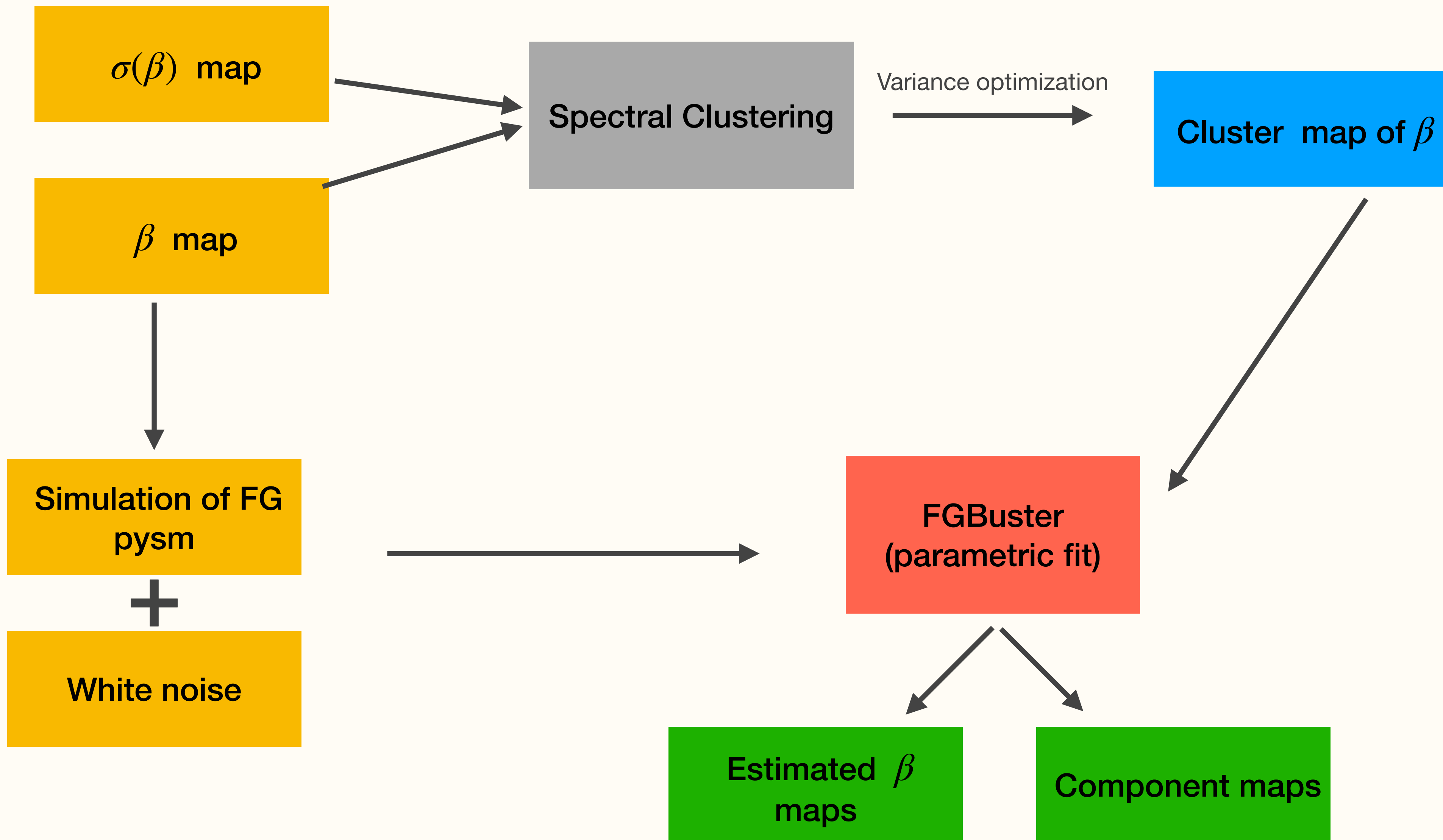
$$\mathbf{m} = \mathbf{A}(\boldsymbol{\beta}) \mathbf{s} + \mathbf{n}$$

With some assumptions on the emission model and its spatial variability, i.e.  $A$ , it is possible to parametrically get an estimate of the vector  $\hat{s}$ , via the max likelihood:

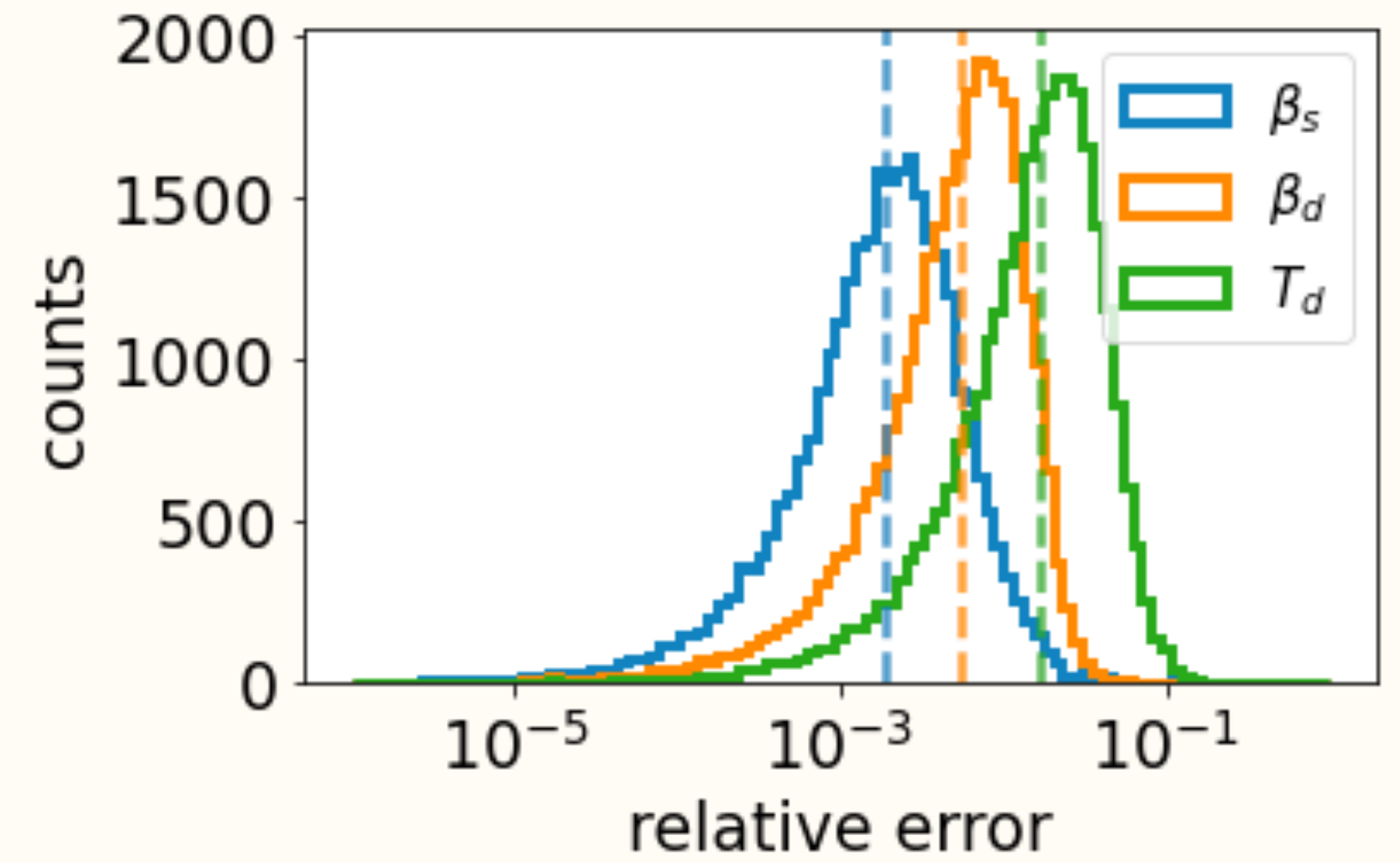
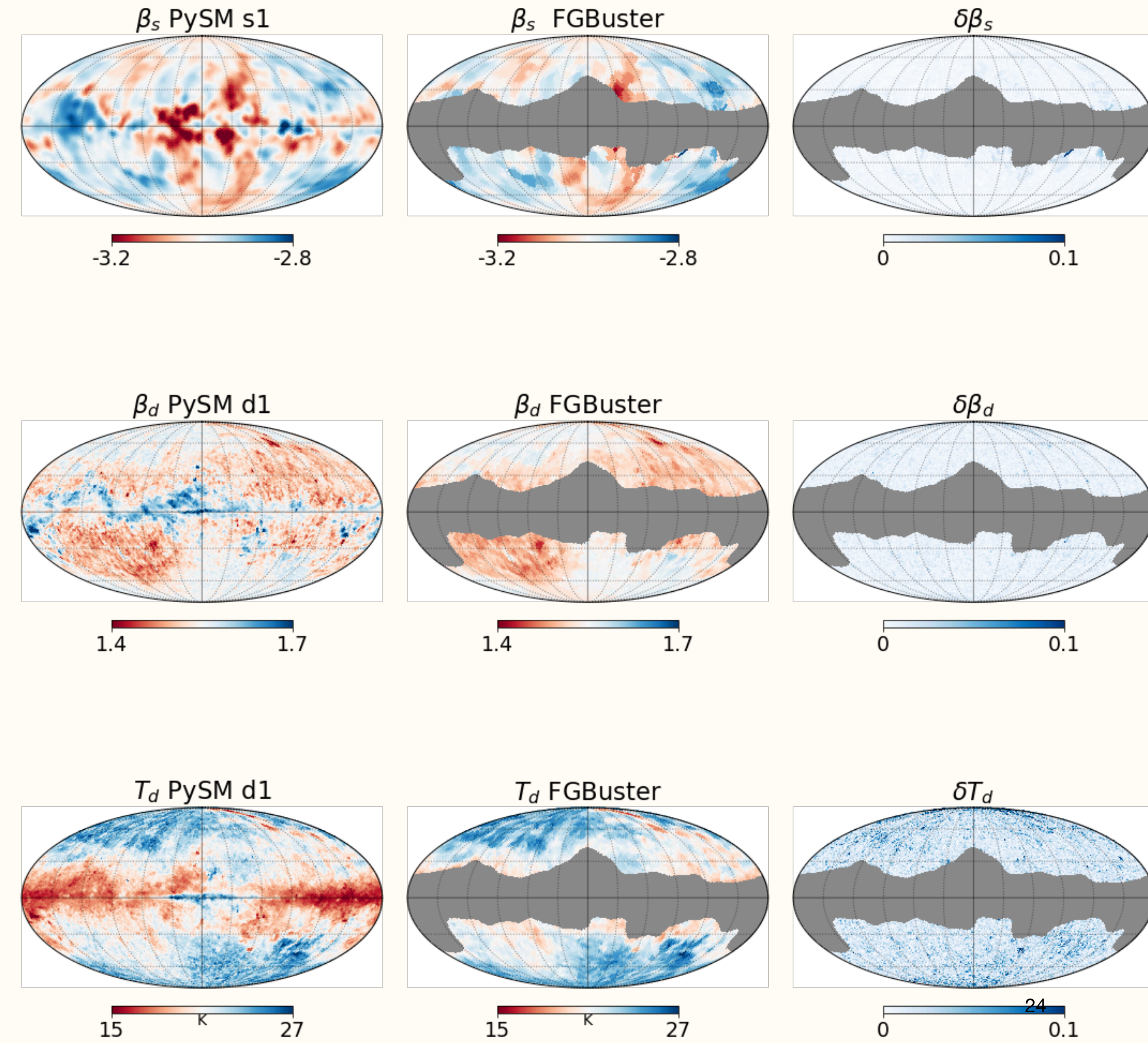
$$\ln \mathcal{L}(s, \beta) \propto (\mathbf{m} - \mathbf{A}s)^t \mathbf{N}^{-1} (\mathbf{m} - \mathbf{A}s) + \text{const}$$

We aim at identifying an *optimal partition* of the sky so that we can perform local estimates of  $s$  and  $\beta$

# Clustering + Compsep Pipeline



# FGBuster on clusters



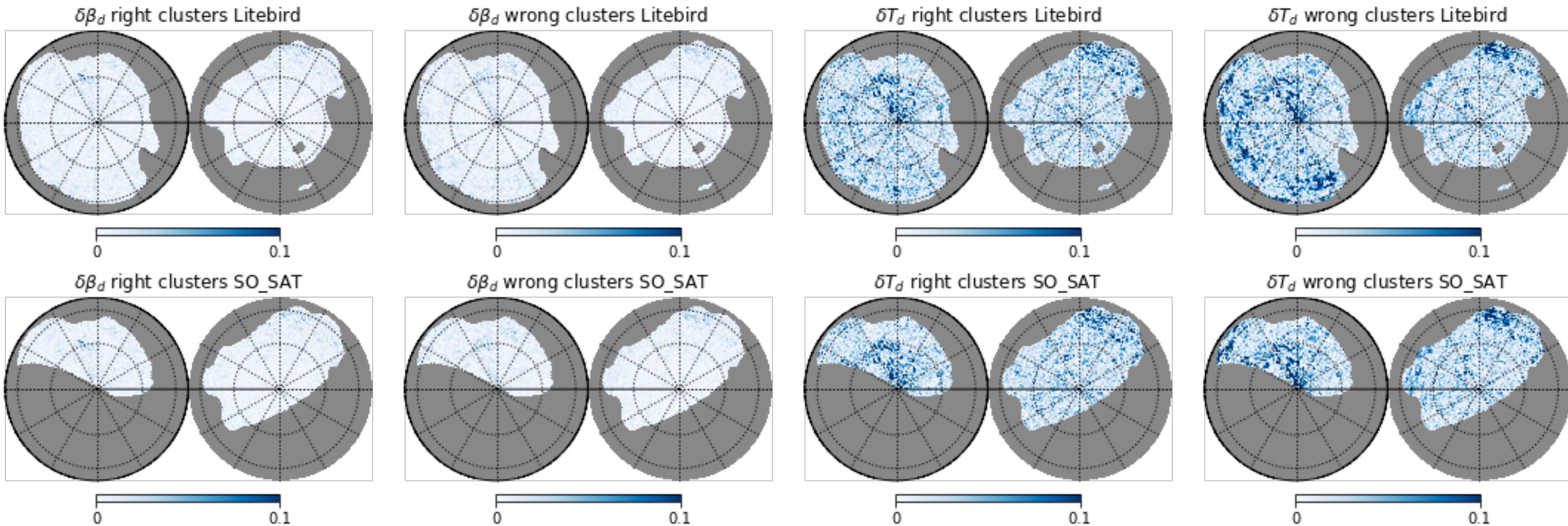
! In an ideal case we are tracking very well the spectral parameters !



# Flip test w/ Nclouds

We flip the cluster in the Southern cap with the Northern ones, perform comp-sep

## Relative error on Bd and Td estimates



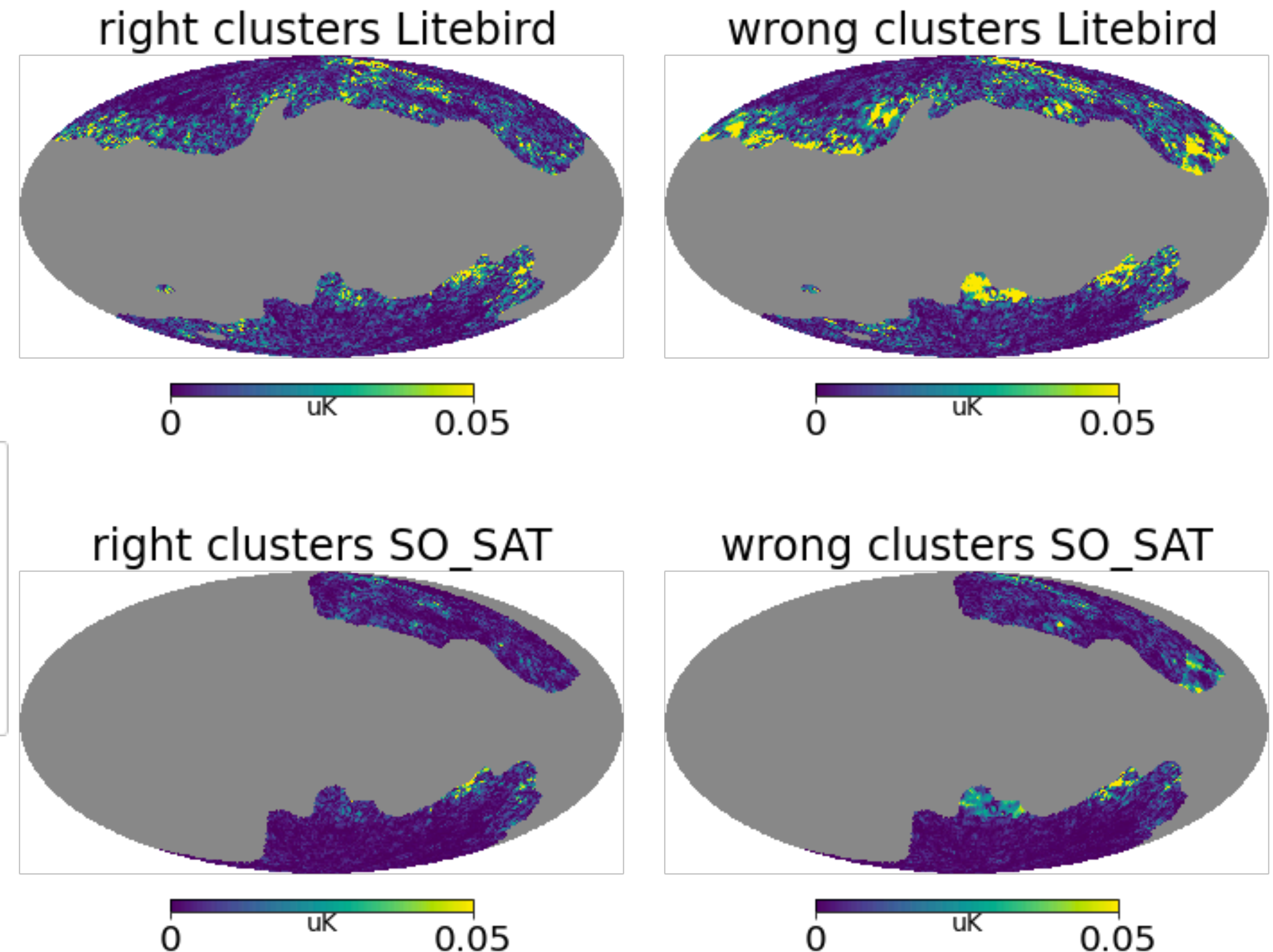
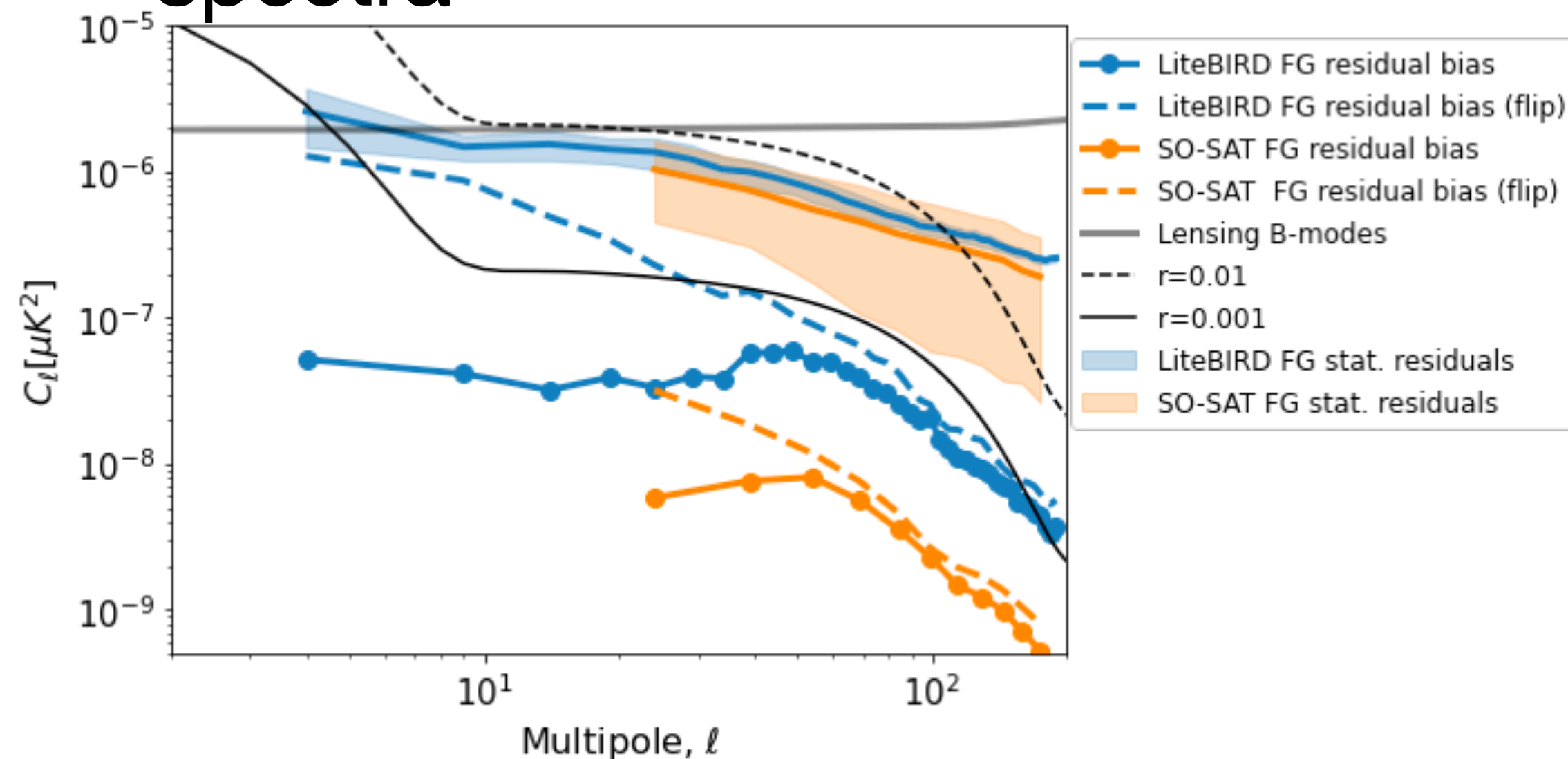
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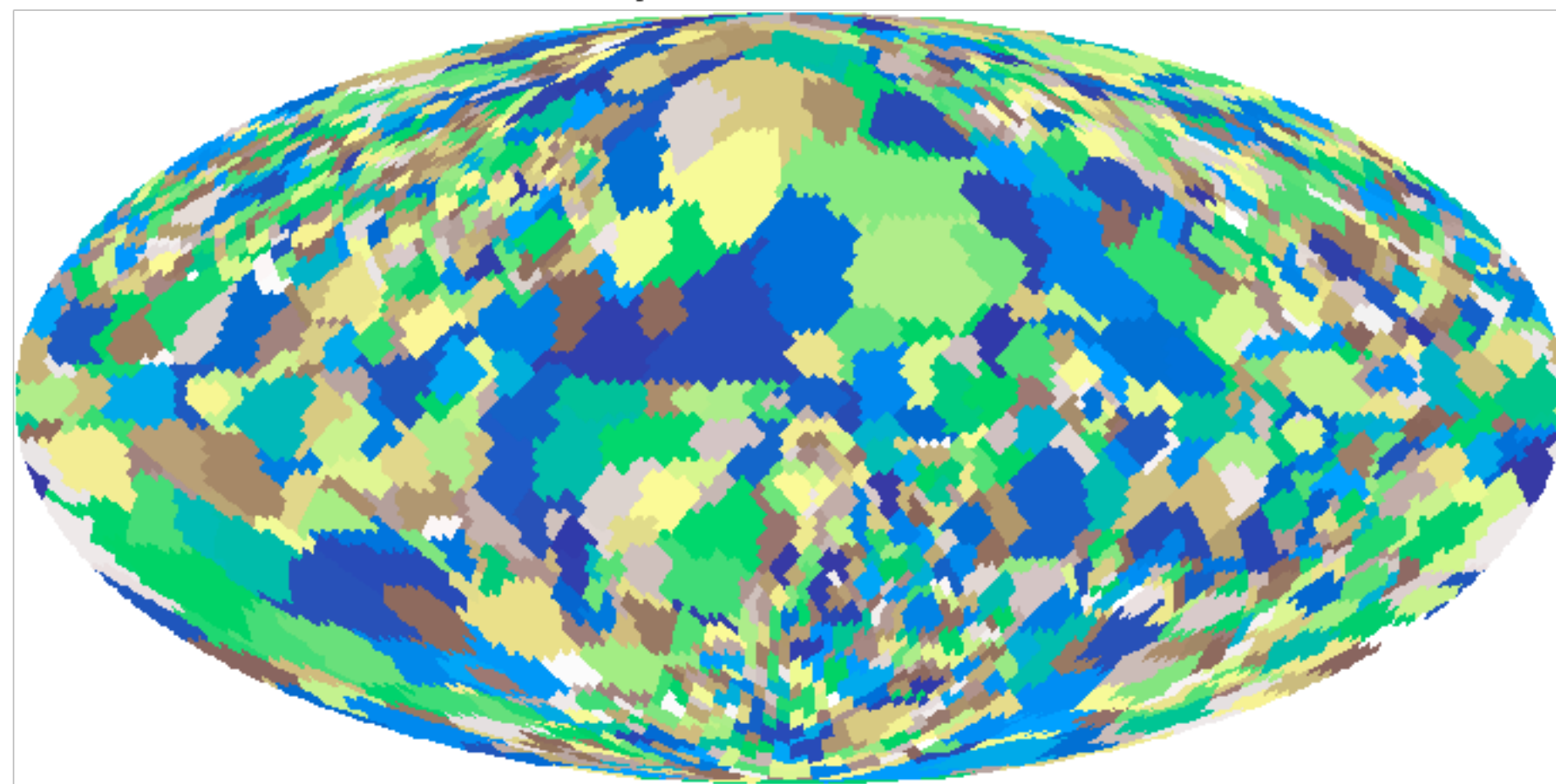
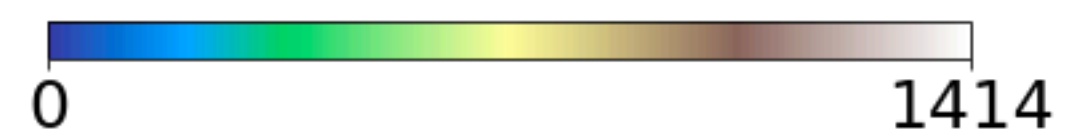
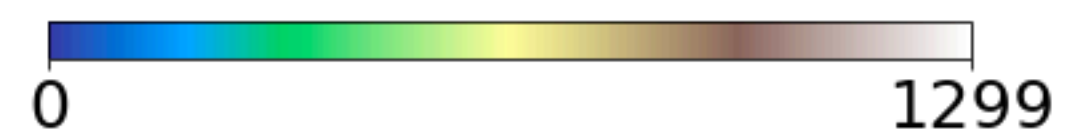
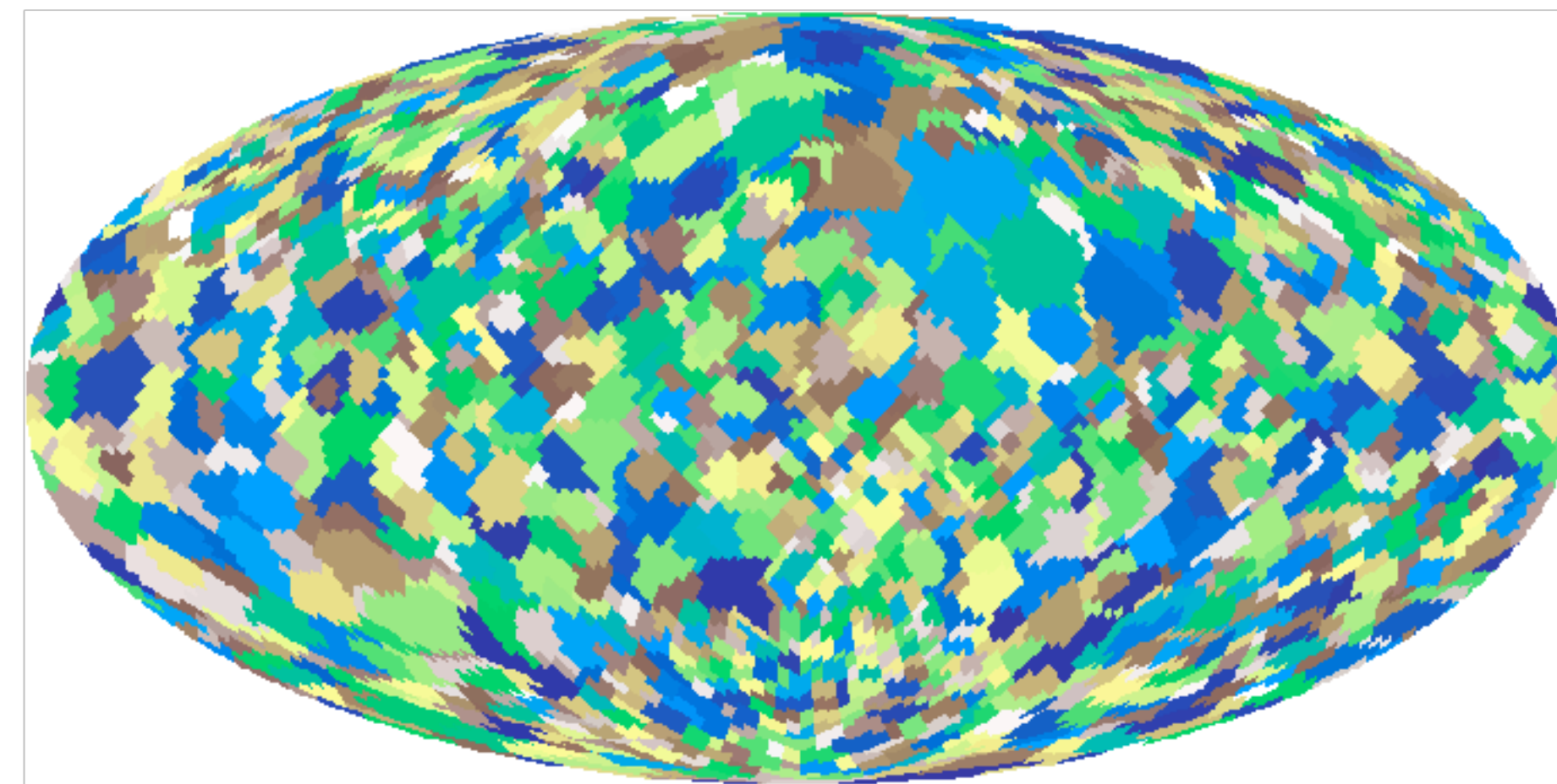
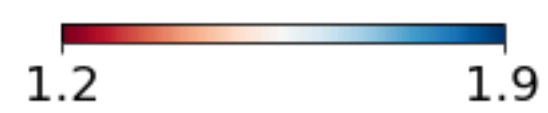
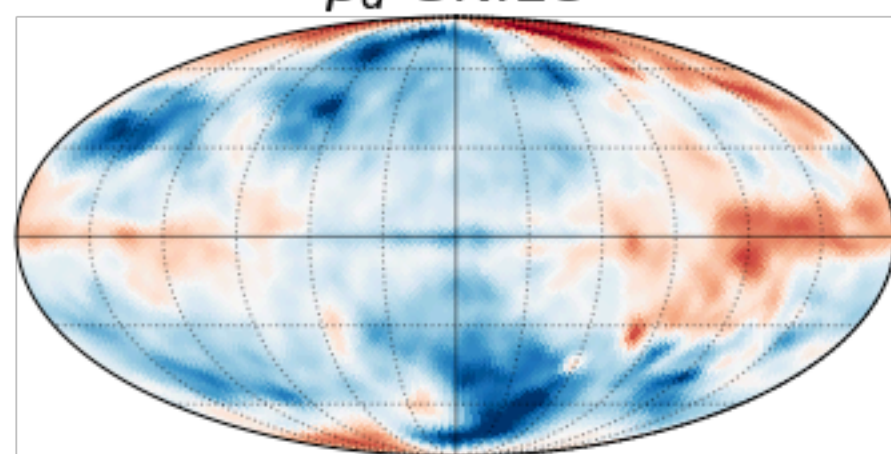
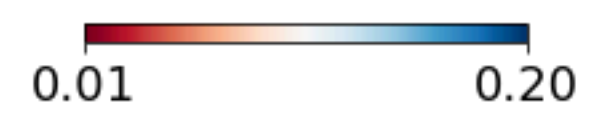
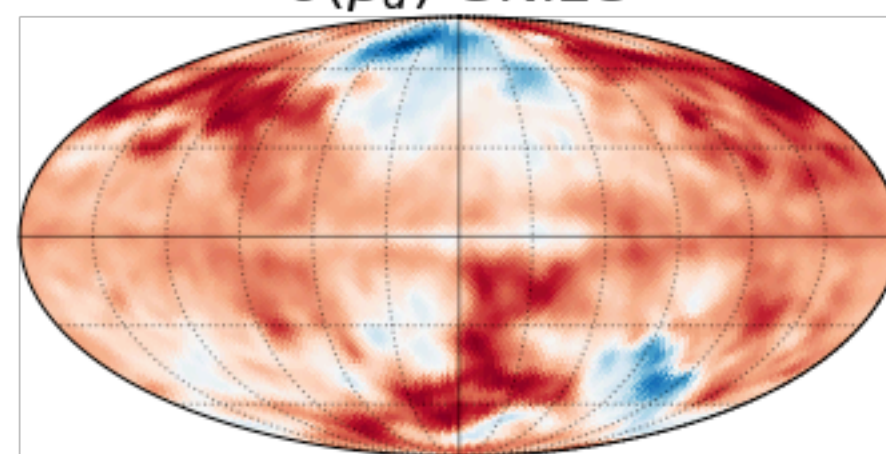
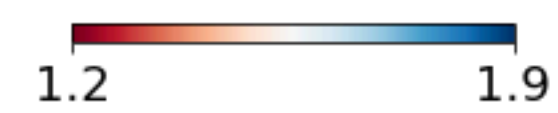
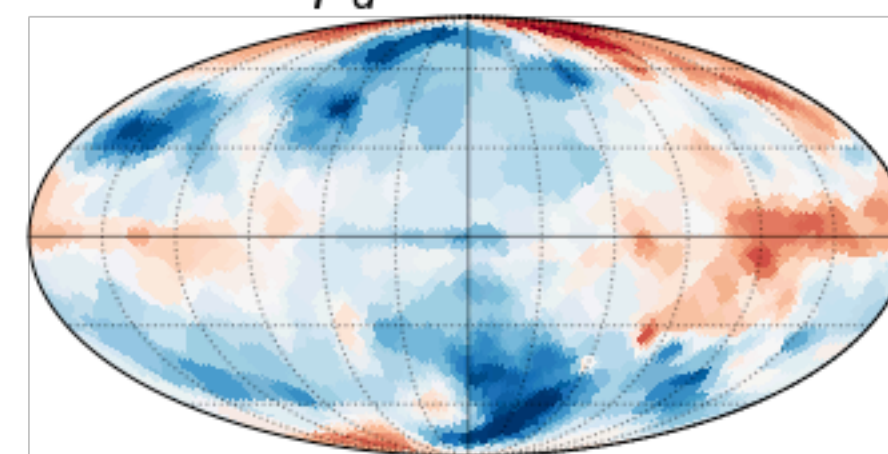
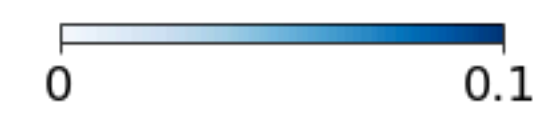
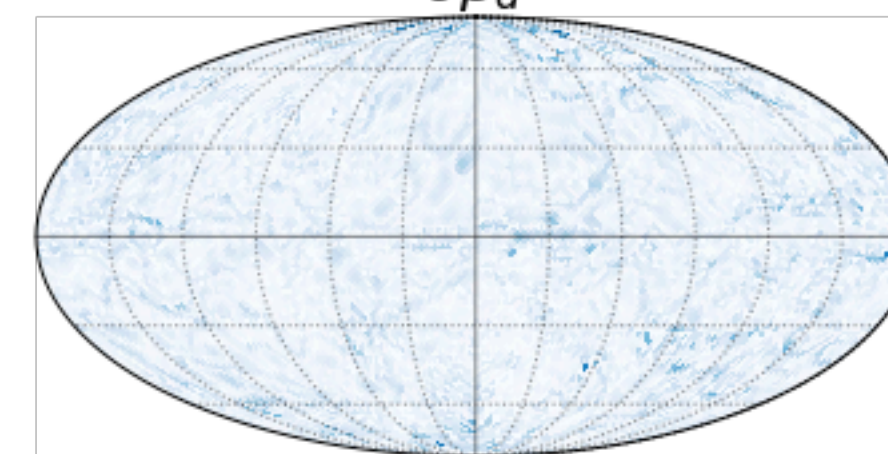
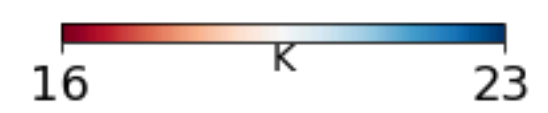
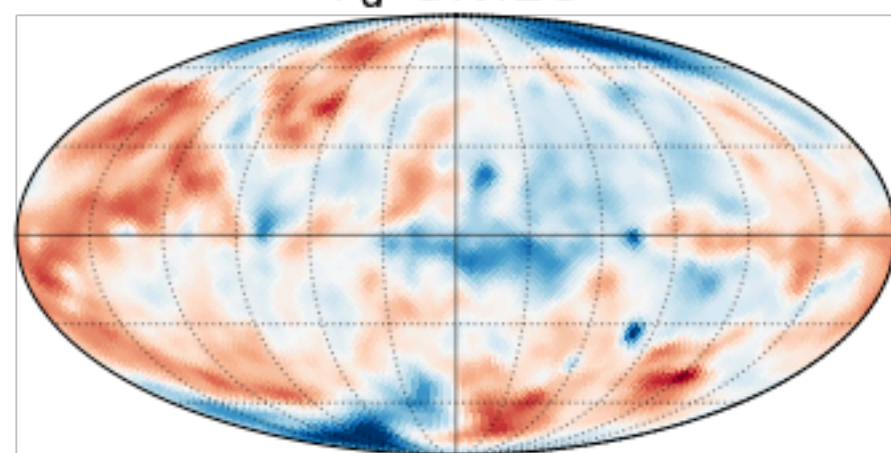
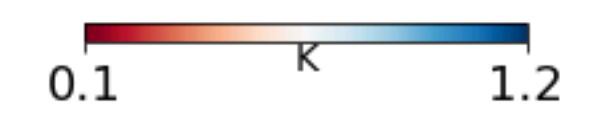
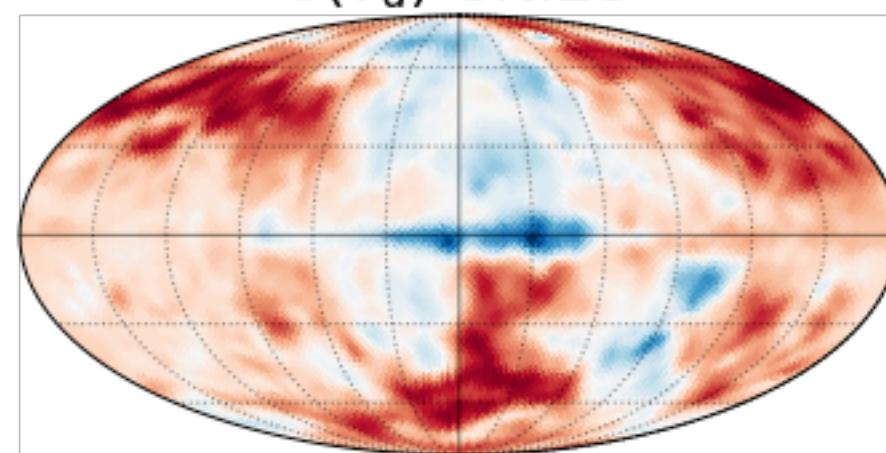
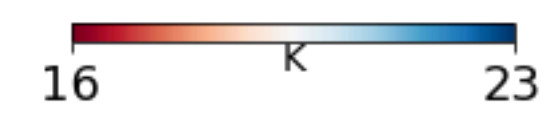
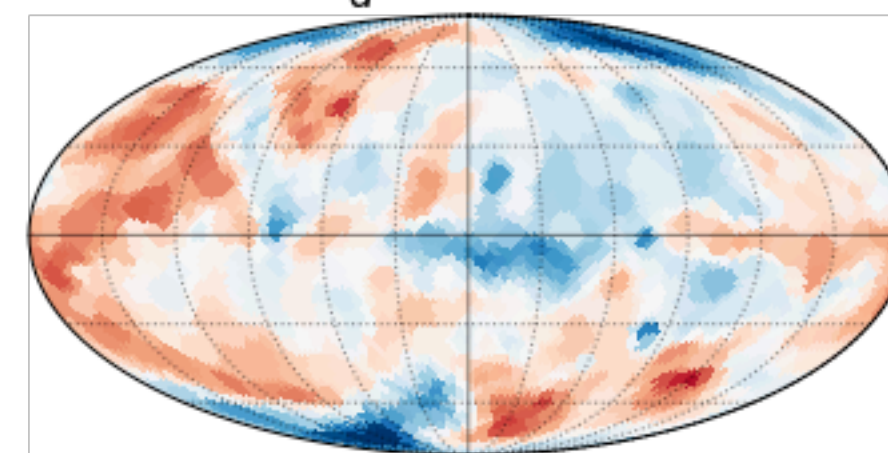
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## CMB P residuals

- We notice an increase in both the relative error on Bd and Td and in the CMB- P residuals

- They result residuals in the power spectra



$\beta_d$  GNILC $T_d$  GNILC $\beta_d$  GNILC $\sigma(\beta_d)$  GNILC $\tilde{\beta}_d$  clusters $\delta\beta_d$  $T_d$  GNILC $\sigma(T_d)$  GNILC $\tilde{T}_d$  clusters $\delta T_d$ 