

Early Universe Cosmology with LISA

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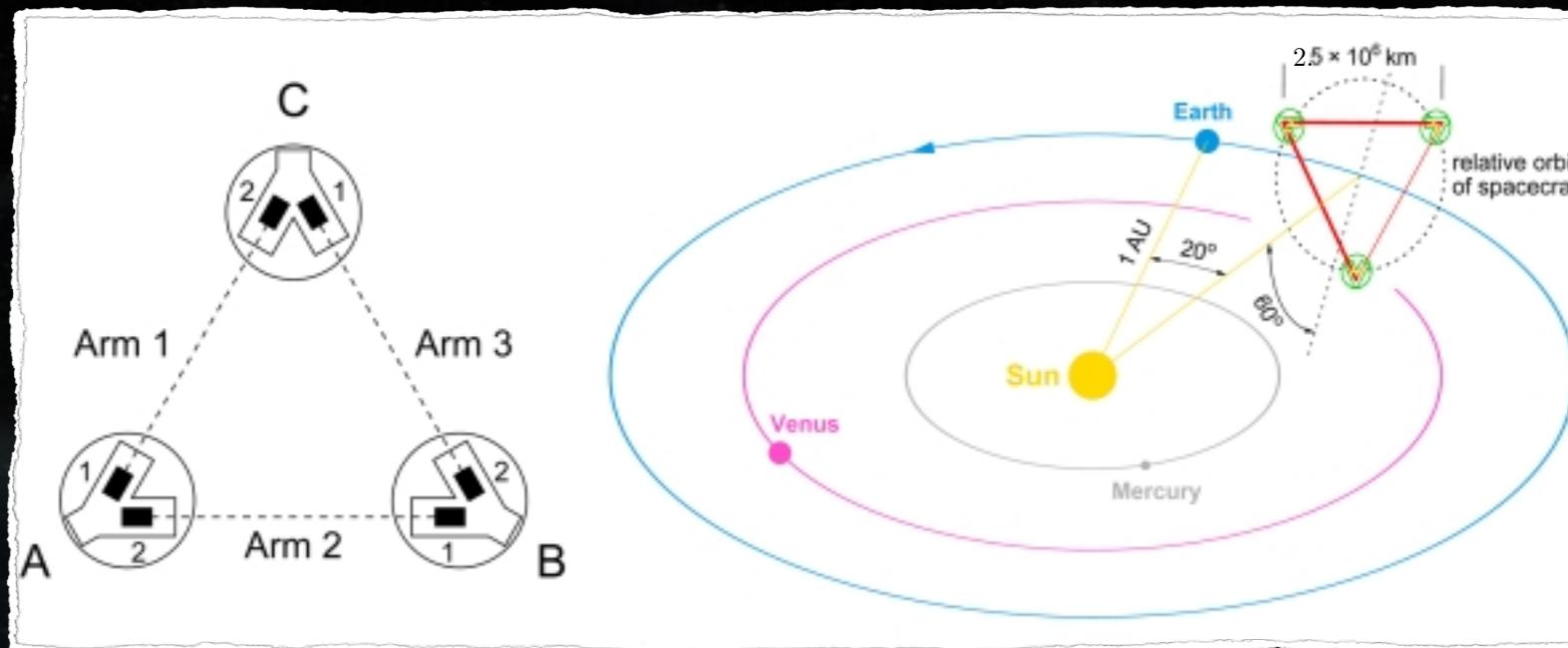
ICHEP 2022

XLI
International Conference
on High Energy Physics
Bologna (Italy)

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LISA detector proposal L3

Constellation of 3 spacecraft in an equilateral configuration
(a giant interferometer)
with 2.5 million-km arms



Fixed the **Noise Level to N2 (better than expected)**

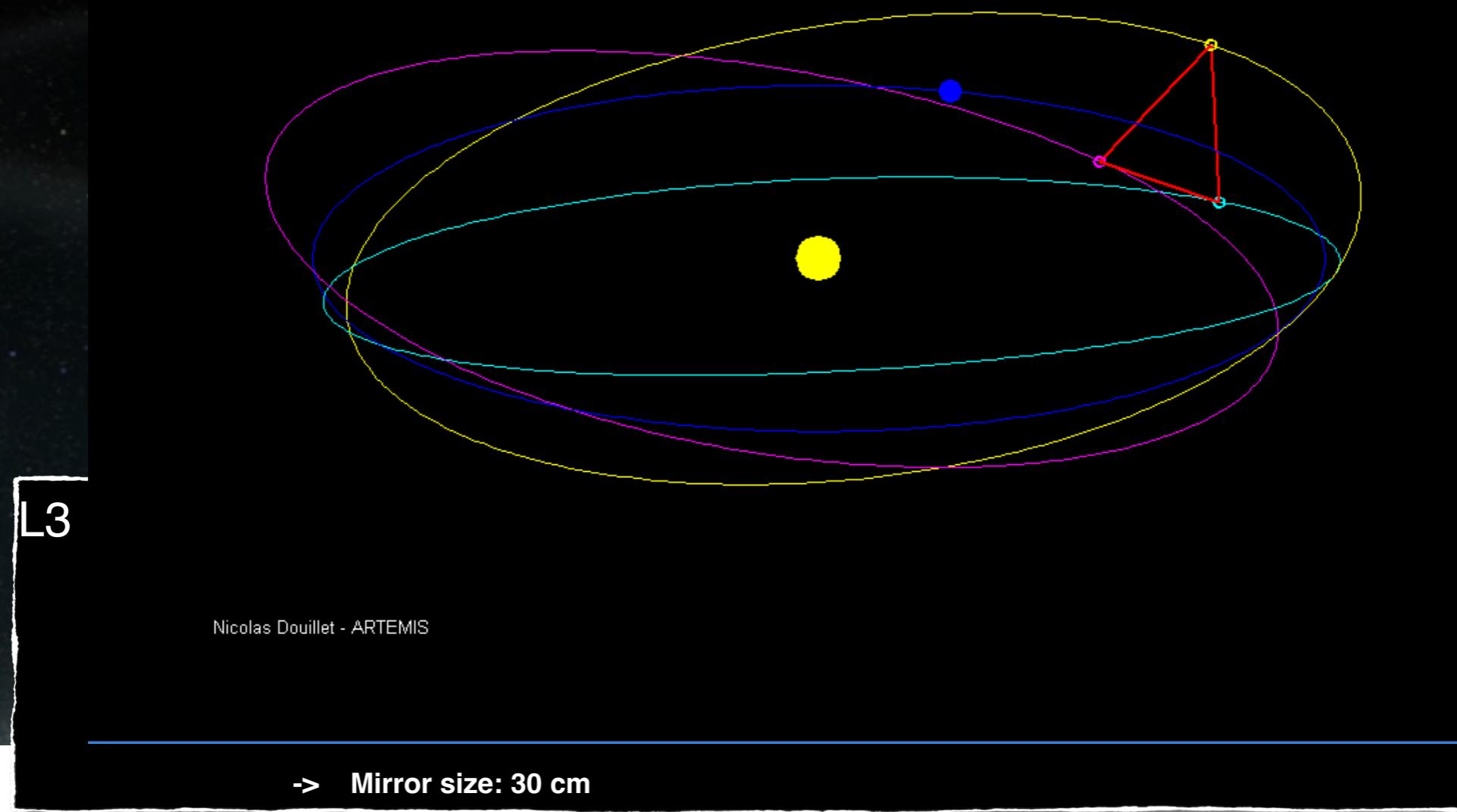
L3 Proposal -> Mission duration: **4 years science mission**
10 years nominal mission

- > Length of the arms: **2,5 million of Km**
- > Laser: 1064 nm
- > Mirror size: 30 cm

Expected launch in 2034
LISA now in PHASE B1 (phase of development)

LISA detector proposal L3

Constellation of 3 spacecraft in an equilateral configuration
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GW sources and LISA scientific goals

[LISA L3 proposal 2017]

LISA Main Scientific Targets

- MBHBs Klein A., et al. '15
- EMRIs Gair J. R., et al. 17
- MBHBs as Standard Sirens Tamanini N., et al '15 See A. Mangiagli talk
- Compact WDs [Karnesis N., et al., 2021]

LISA Cosmological Scientific Targets

-
- First order phase transition around Tev Caprini C., et al '15, '19
 - Cosmic Strings Figueroa D., et al '19
 - Inflationary GWs Figueroa D., Ricciardone A., et al '16
 - Primordial Black Holes In preparation

Potentially interesting scenarios

Inflationary GWs generated by the amplification of the vacuum fluctuations have an amplitude OUT of LIGO, ET/CE and LISA range

- Presence of extra degrees of freedom during inflation

Axion Inflation

[M. Shiraishi, A. R., S. Saga, '13]

[J. Cook, L. Sorbo, '11]

Spectator Field

[N. Barnaby, E. Pajer, M. Peloso '11]

[N. Barnaby et al. '12]

[R. Namba et al. '15]

- New patterns of symmetry during inflation

Massive graviton during inflation

[S. Endlich, A. Nicolis, J. Wang '12]

[N. Bartolo, D. Cannone, A. R., G. Tasinato '15]

[D. Cannone, G. Tasinato, D. Wands '14]

- Merging of Primordial BHs after inflation

[S. Clesse, J. G-Bellido, 15]

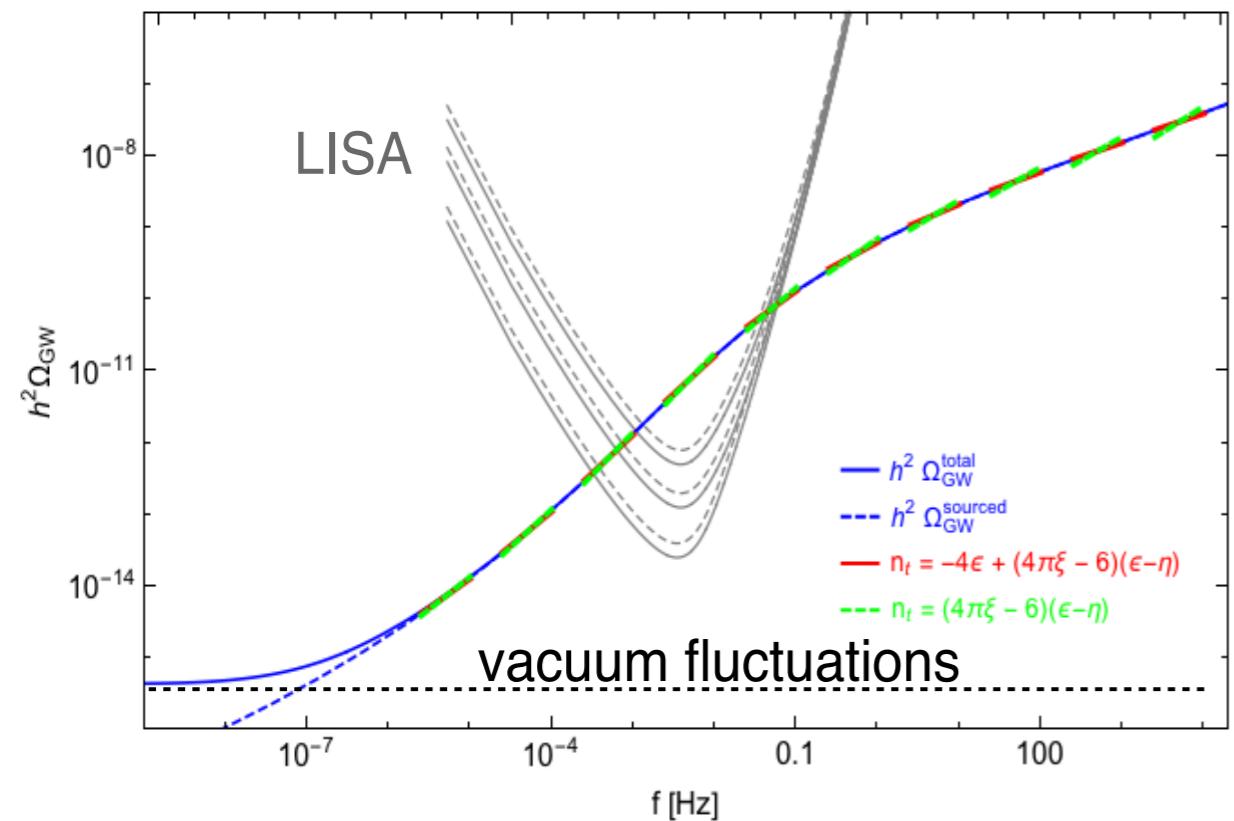
[S. Bird et al, 16]

[M. Sasaki et al, 16]

Inflationary sources: Axion-inflation

$$\mathcal{L} \supset -\frac{\varphi}{4f} F_{\mu\nu} \tilde{F}^{\mu\nu} \quad \xi \equiv \frac{\dot{\varphi}}{2fH}$$

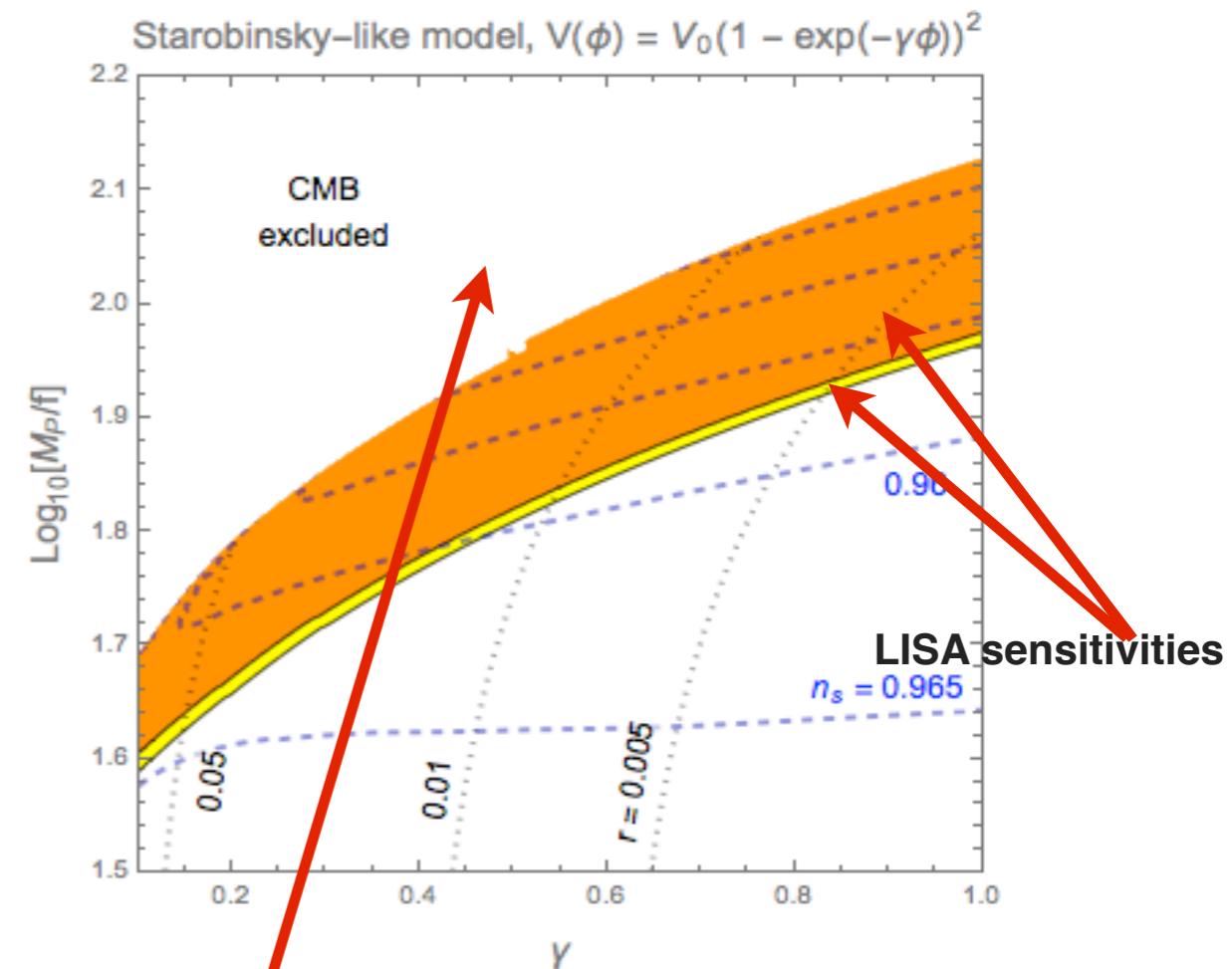
GW energy spectrum today



$$\Omega_{\text{GW}}^{\text{TOT}}(f) = \Omega_{\text{GW,vacuum}}(f) + \Omega_{\text{GW,sourced}}(f)$$

Peculiar features

- Blue-Tilted SGWB Spectrum
- Chiral SGWB spectrum
- Non-Gaussian SGWB



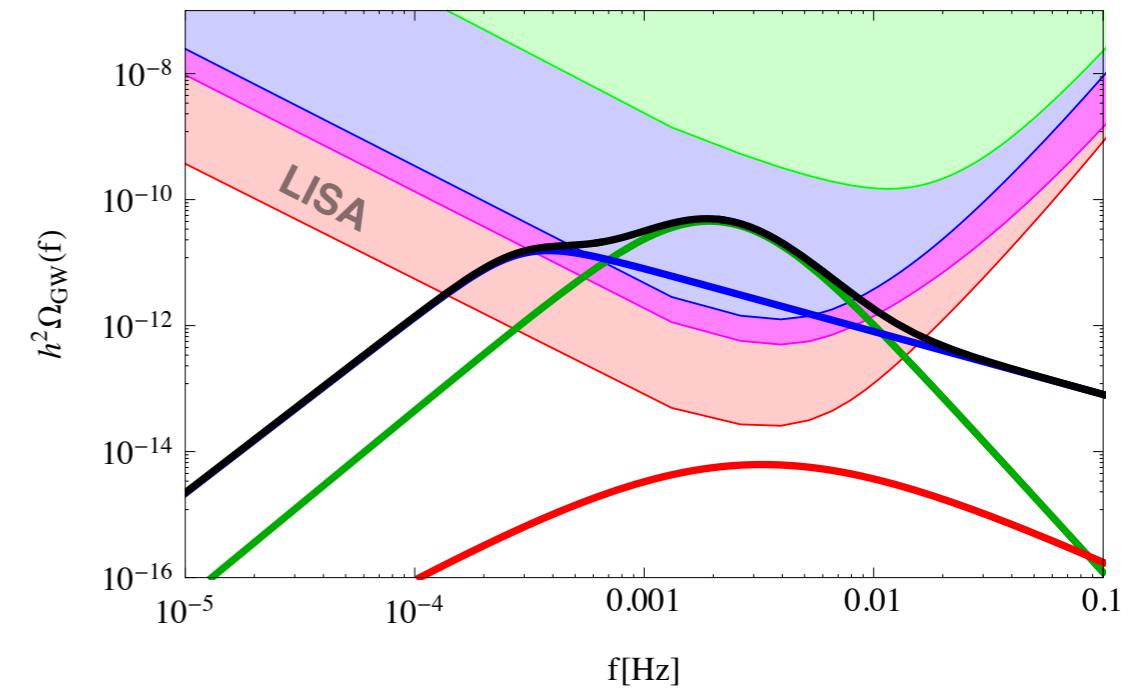
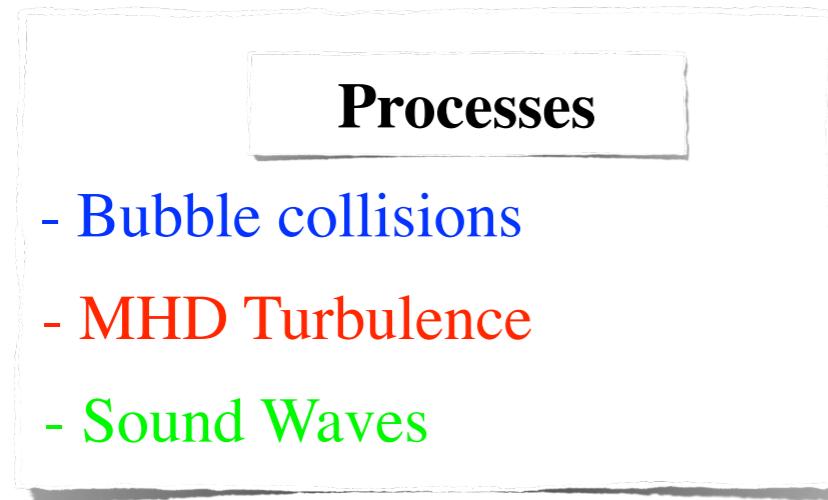
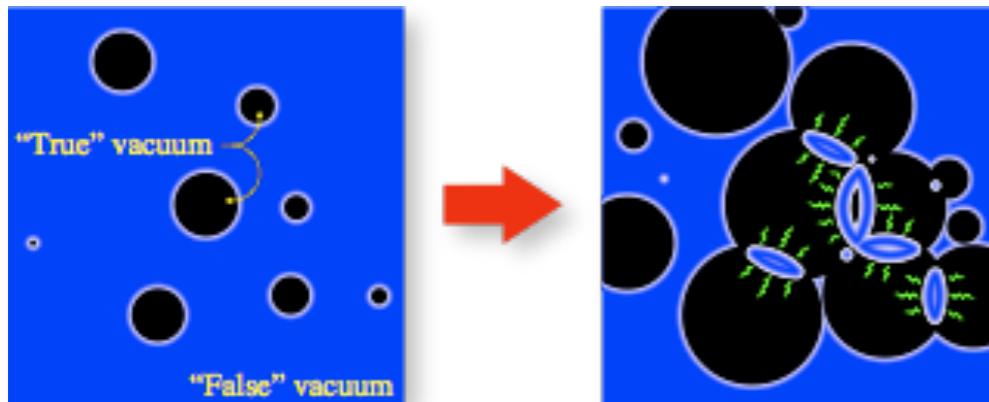
complementarity between CMB and direct GW observations

[Bartolo N., et al. '16 - LISA CosWG paper]
 [Cook & Sorbo, '11] [Namba et al., '15]
 [Domcke, Pieroni, Binetruy, '16]

SGWB from Phase transition

As the temperature in the very early universe decreases, there can be several PTs: QCD, EW....Beyond Standard Model?

If the **PT is first order**, the SGWB signal could be detectable by LISA



- peaked spectrum with

$$f_{\text{peak}} \sim 10^{-3} \text{ Hz} \frac{T}{100 \text{ GeV}}$$

[Caprini C., et al '16, '19- LISA CosWG paper]

First-order PT

Since LISA is sensitive to energy scales 10 GeV-100 TeV:

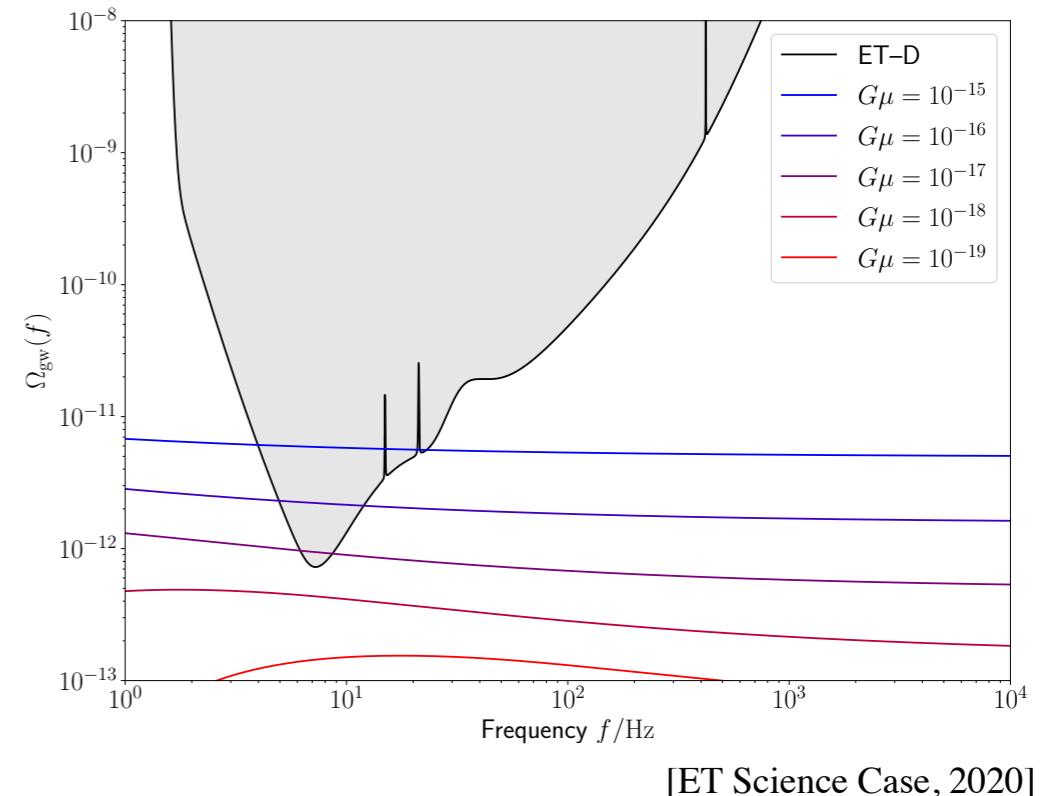
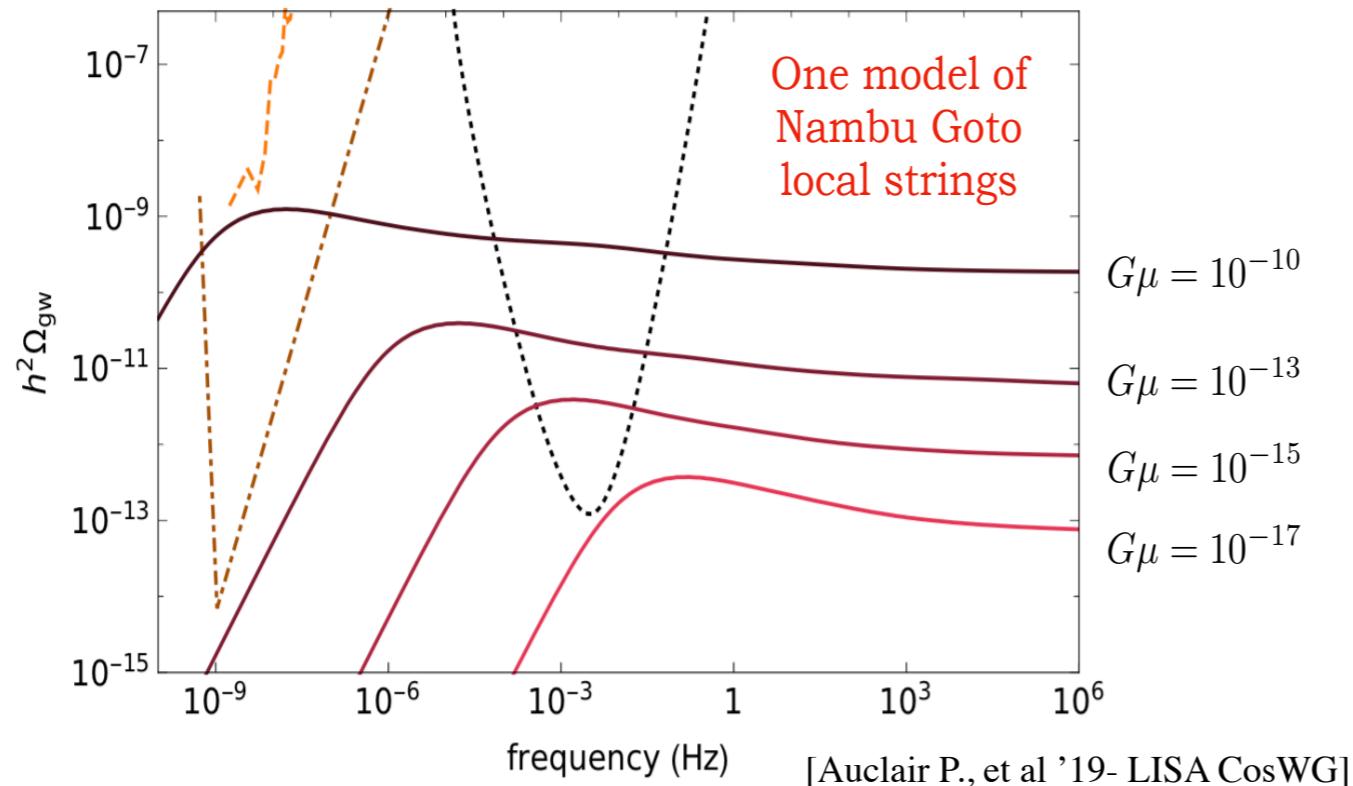
- **LISA can probe EWPT in BSM models...**
 - direct extensions of MSSM
 - direct coupling of Higgs sector with scalars
 - SM plus dimension six operator
- **...and beyond the EWPT**
 - DM sector: provides DM candidate and confining PT
 - Warped extra dimensions: PT from the dilaton/radion stabilisation in RS-like models

**LISA as a new probe of BSM physics
complementary to colliders**

SGWB from Topological Defects

Cosmic Strings (or other kind of topological defects) are non-trivial field configurations left-over after the phase transition has completed

A network of cosmic strings emits GWs
(results are model dependent)



Future CMB B-mode

$$G\mu \sim 10^{-9}$$

LIGO/Virgo bound

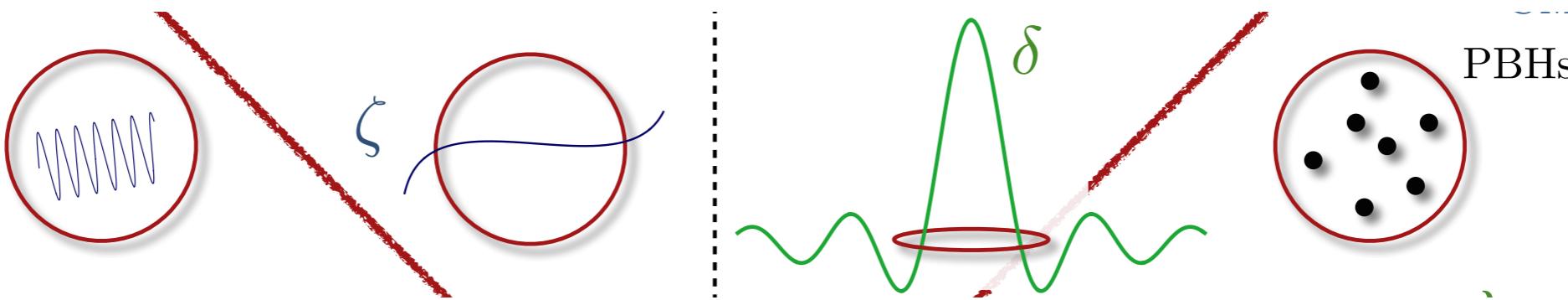
$$G\mu \sim 10^{-14}$$

LISA or ET

$$G\mu \gtrsim 10^{-17}$$

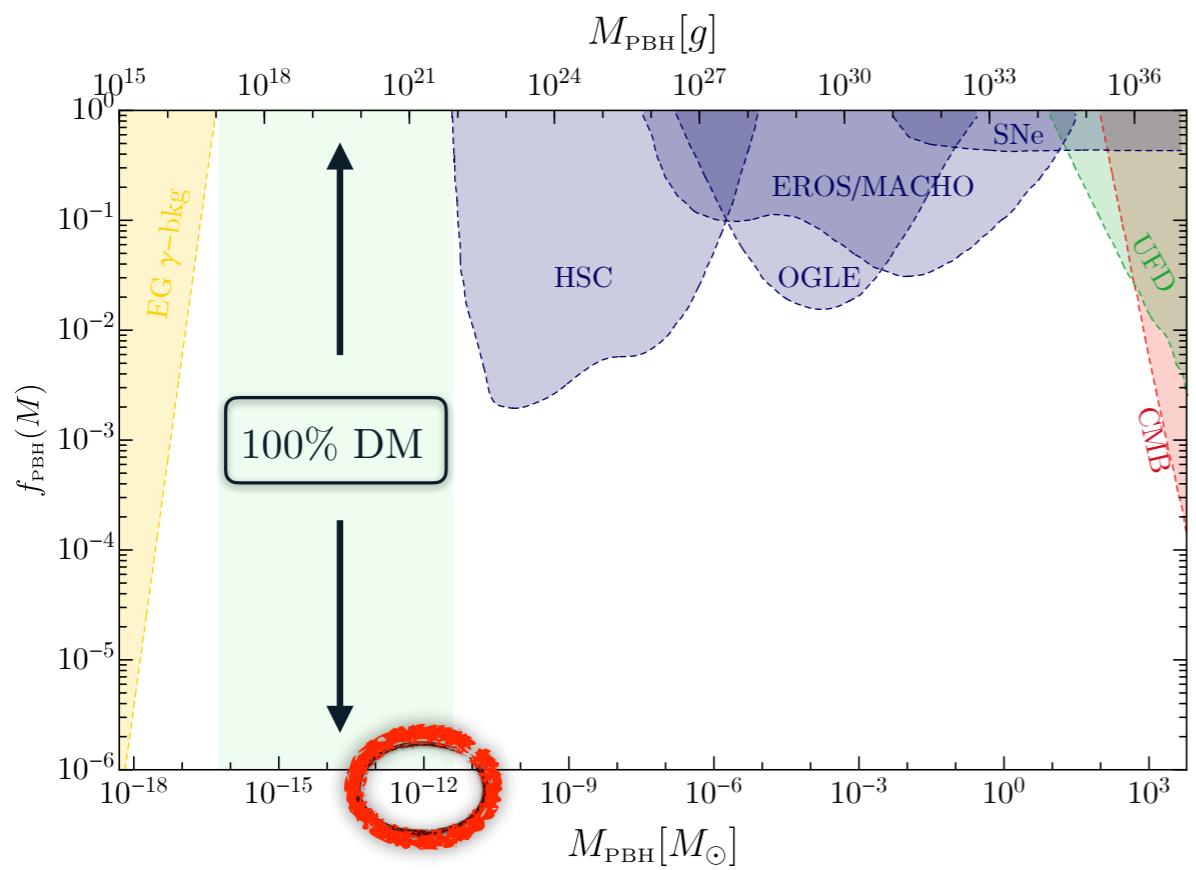
$$G\mu \sim 10^{-6} \left(\frac{\eta}{10^{16} \text{ GeV}} \right)^2$$

GW from Primordial Black Holes



$$h_{ij}'' + 2\mathcal{H}h_{ij}' - \nabla^2 h_{ij} = \mathcal{O}(\partial_i \zeta \partial_j \zeta)$$

[Tomita, K., 1967]
 [Matarrese, S., et al., 1993]
 [Domenech, G., review '21]

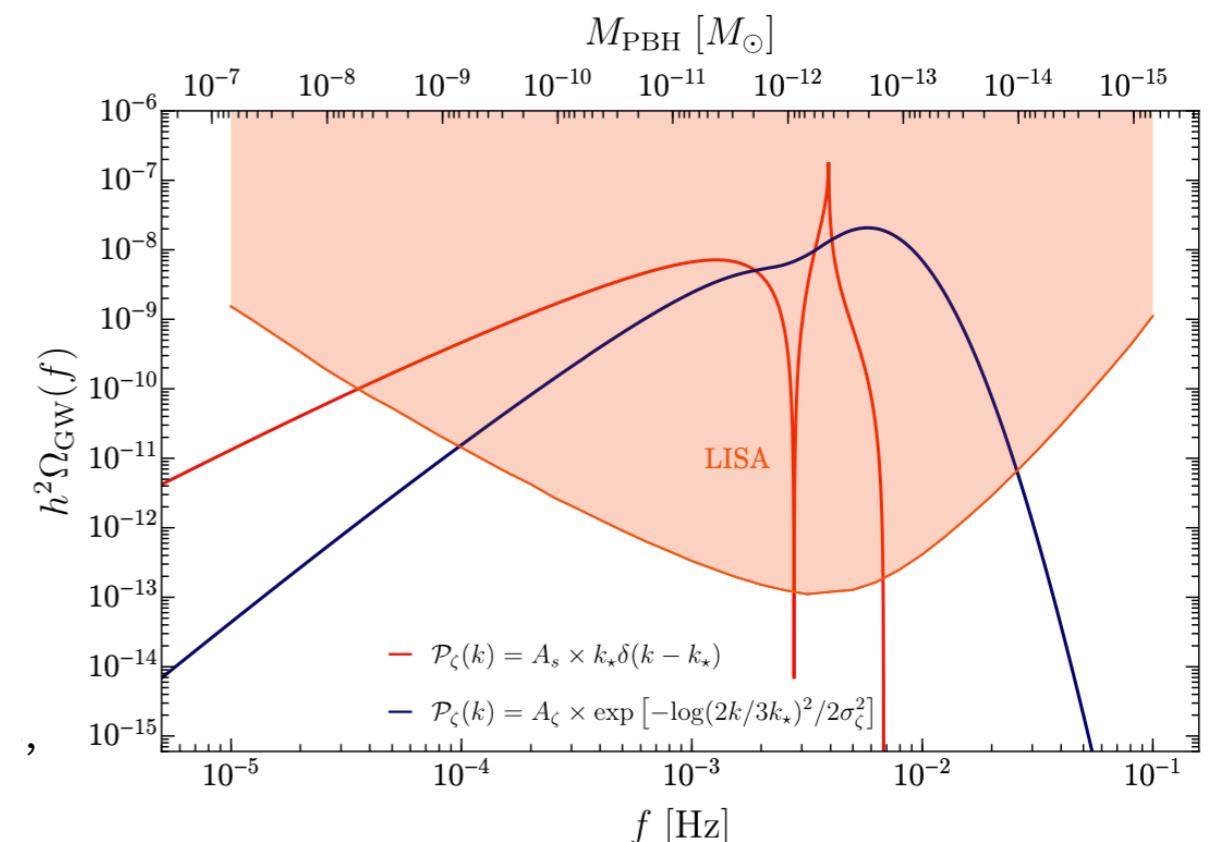


[Espinosa, et al., 2018]

[Bartolo, N., et al., PRL 2019]

[De Luca, V., et al., PRL 2021]

$$f \simeq 3 \cdot 10^{-9} \text{ Hz} \left(\frac{\gamma}{0.2} \right)^{1/2} \left(\frac{M}{M_\odot} \right)^{-1/2}$$



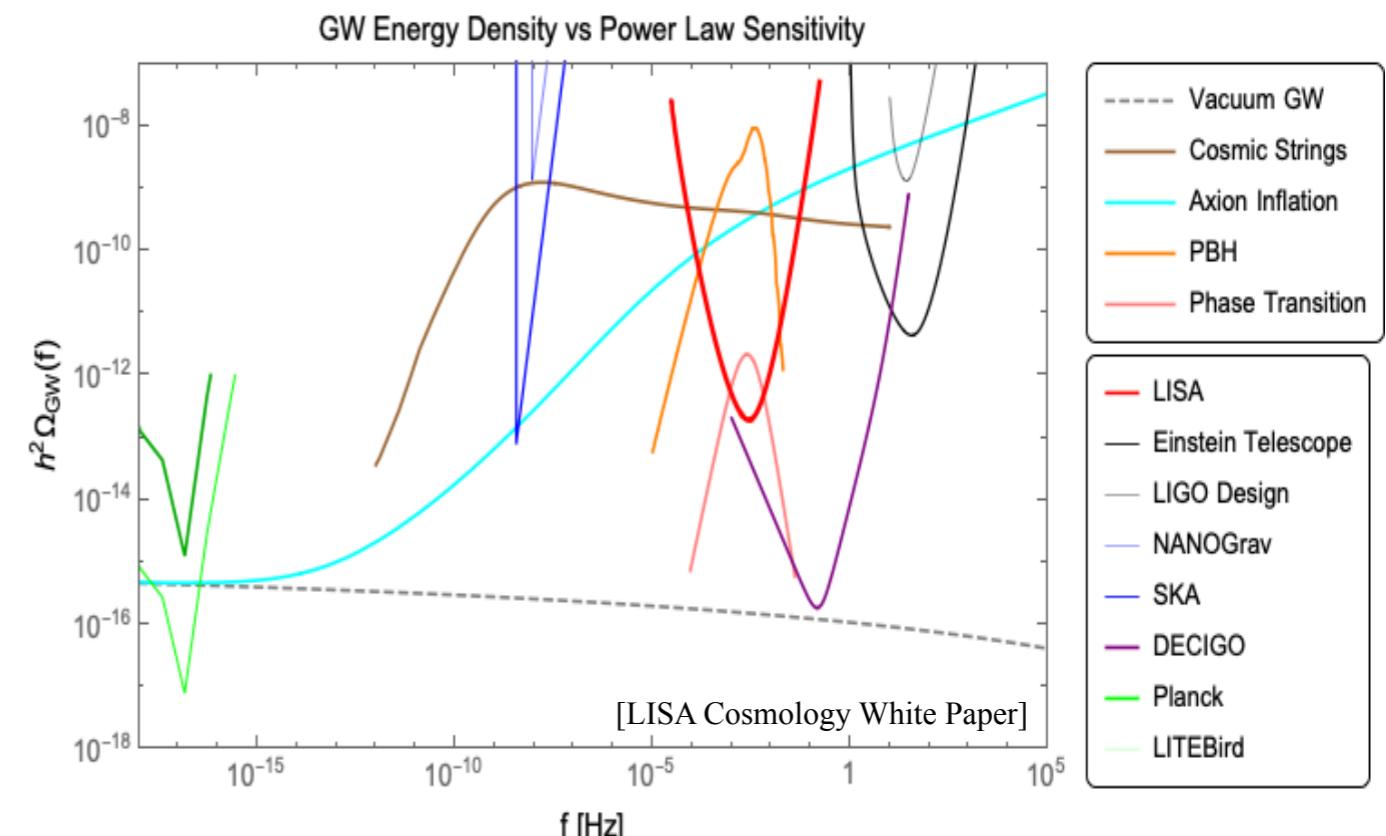
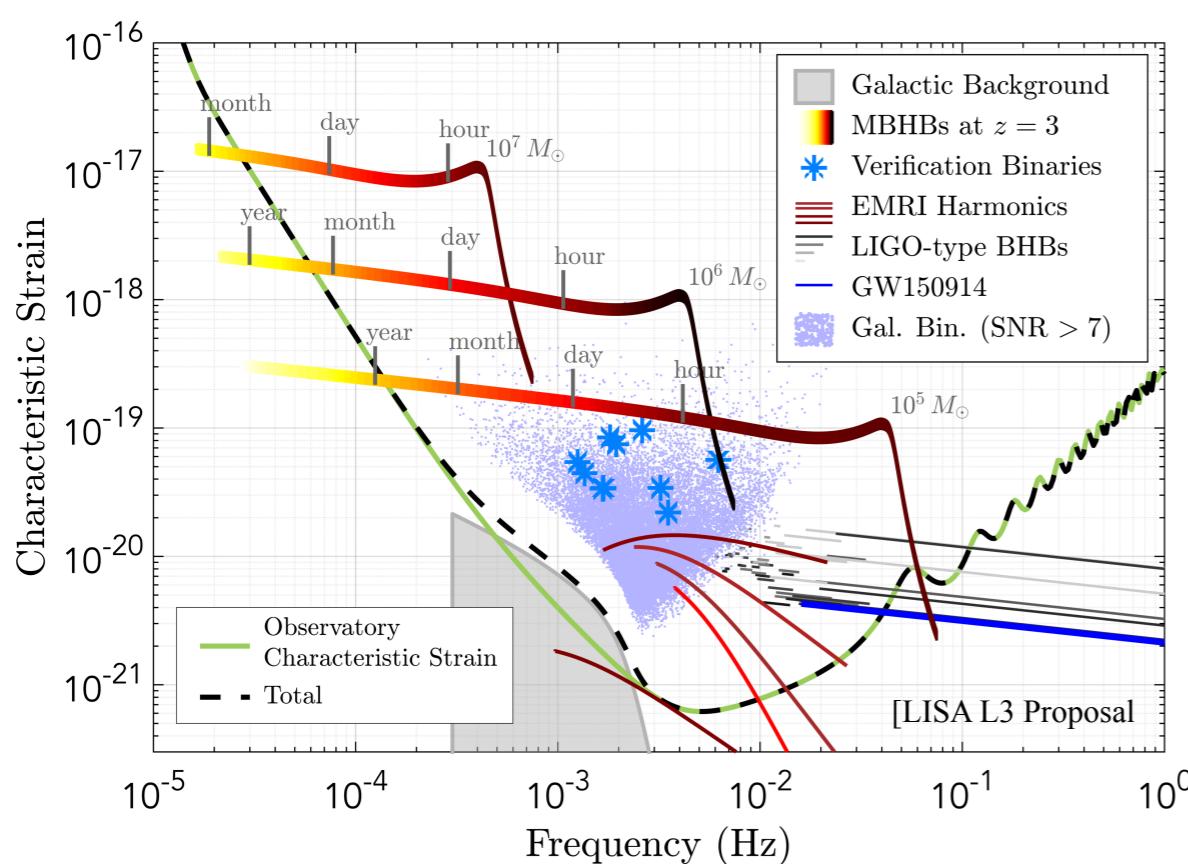
$$M \simeq 10^{-12} M_\odot$$



$$f \simeq 10^{-3} \text{ Hz}$$

Characterization of the SGWB

GWB from cosmological sources superimposed to the Astrophysical GWB

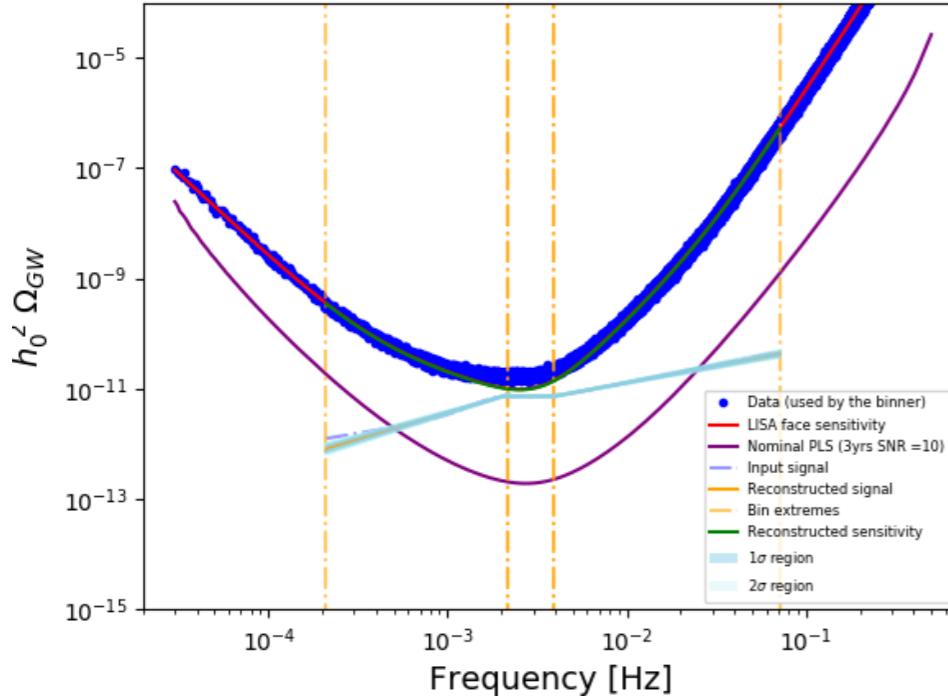


Peculiar features to distinguish them:

- **Spectral Dependence:** $\Omega_{\text{GW}}(f)$ [SGWBinner code (LISA CosWG) '19, '20]
- **Net Polarization:** $\Omega_{\text{GW},\lambda}$ $\lambda = L, R$ [Domcke, V., et al., '20]
- **Anisotropies/Directionality:** $\Omega_{\text{GW}}(f, \vec{x})$ [LISA anisotropies (LISA CosWG) '22]
- **Statistics:** $\langle \Omega_{\text{GW}}^n \rangle$

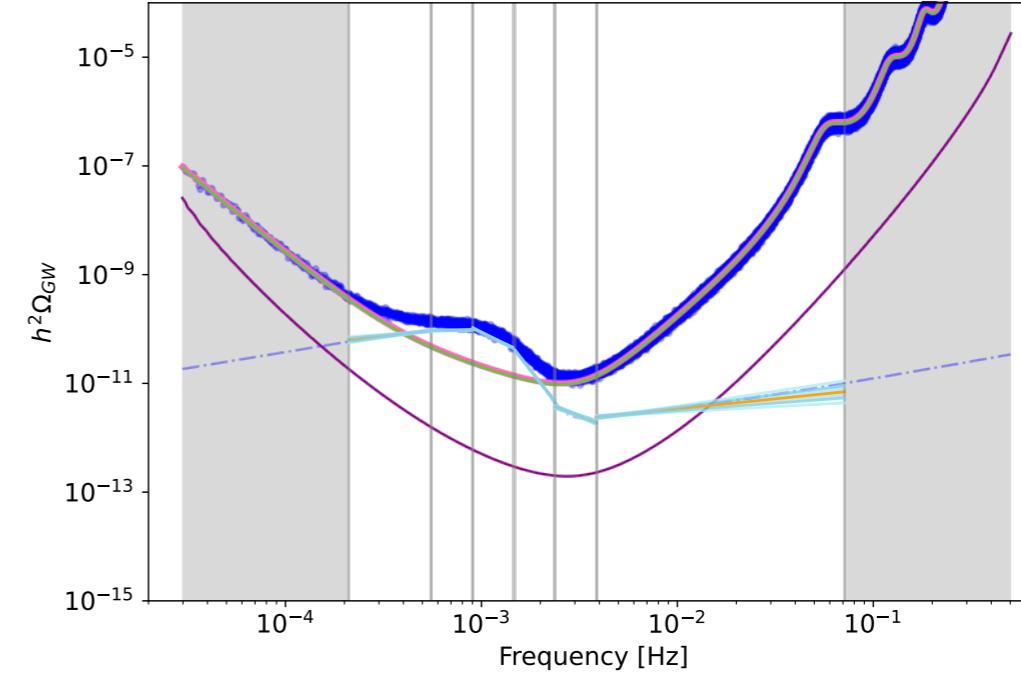
Spectral shape Reconstruction

Two parameters reconstruction (3 bins)



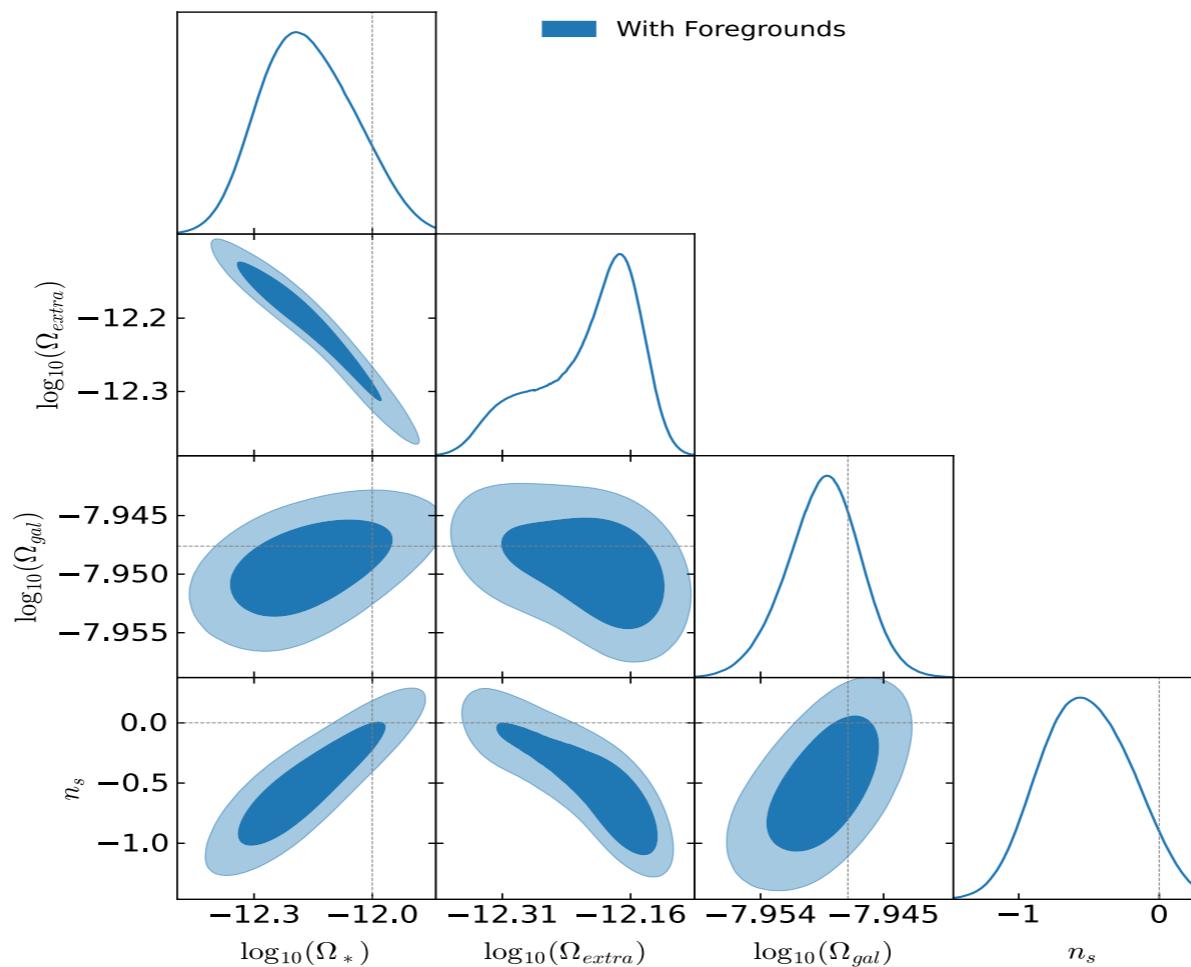
(Axion inflation, Phase Transition beyond SM)

Power law reconstruction 6 bins (after merging)



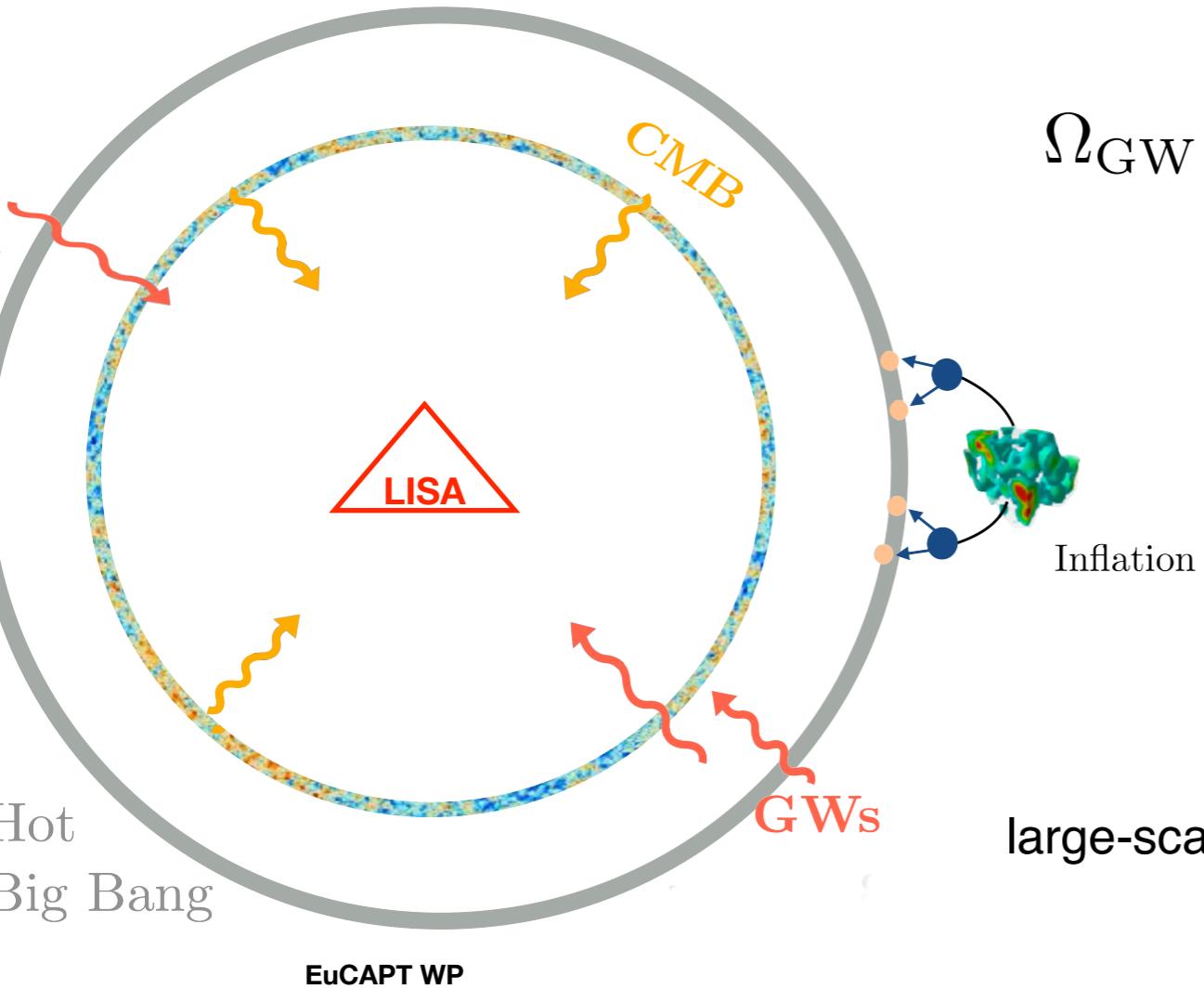
(Power law + astro (foregrounds) binaries)

[SGWBinner code
(LISA CosWG) '19, '20]



See J. Fumagalli talk

AGWB Anisotropies



Treatment as CMB

$$\Omega_{\text{GW}}(\eta_0, k, \hat{n}) \equiv \bar{\Omega}_{\text{GW}}(\eta_0, k) + \delta\Omega_{\text{GW}}(\eta_0, k, \hat{n})$$

ISOTROPIC
BACKGROUND

Small
PERTURBATION
(direction-dependent)

Inflation

GWs of high frequency propagating through
large-scale (low frequency) cosmological perturbation due to LSS
(Geometric Optics Limit)

Two contributions: 1. At production

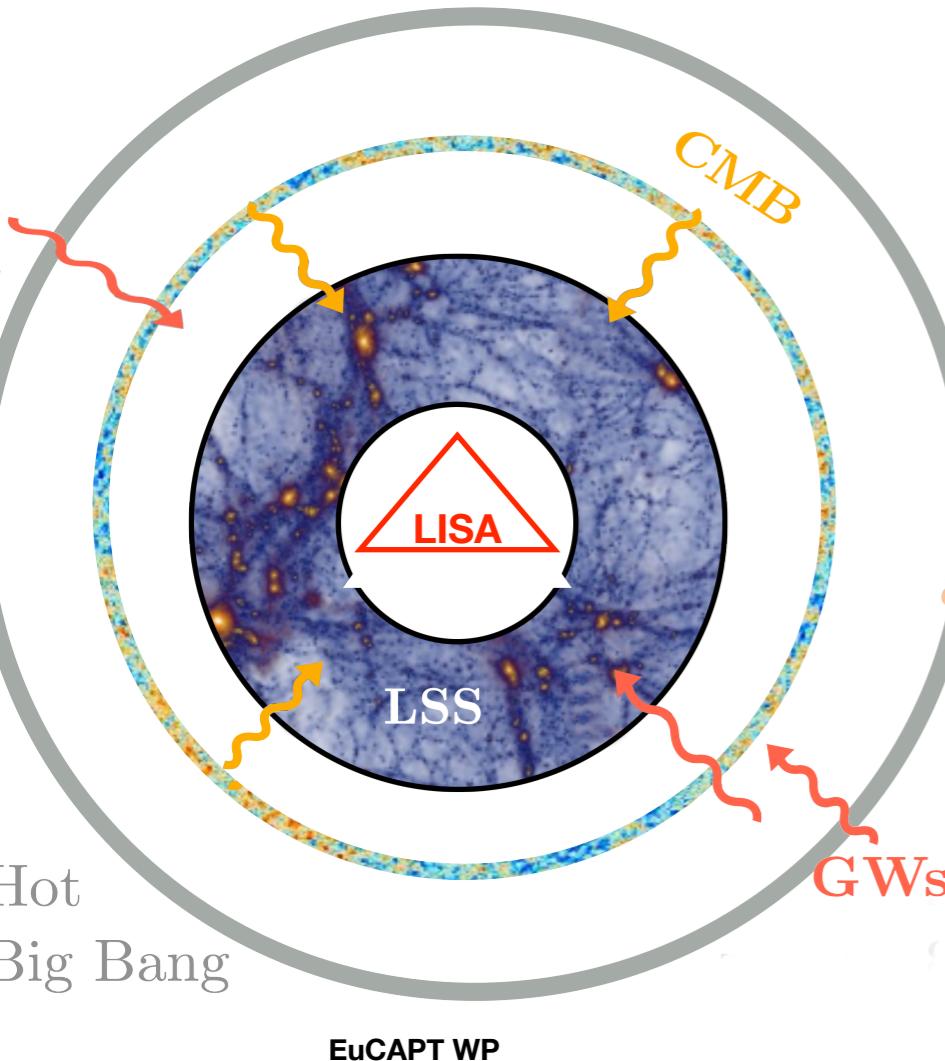
2. During the propagation through universe

[Alba, Maldacena, 2015]

[Contaldi, 2016]

[Bartolo, Bertacca, Matarrese, Peloso, AR, Riotto, Tasinato '19, '20]

AGWB Anisotropies

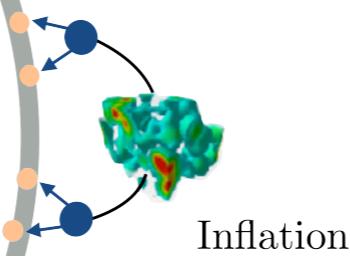


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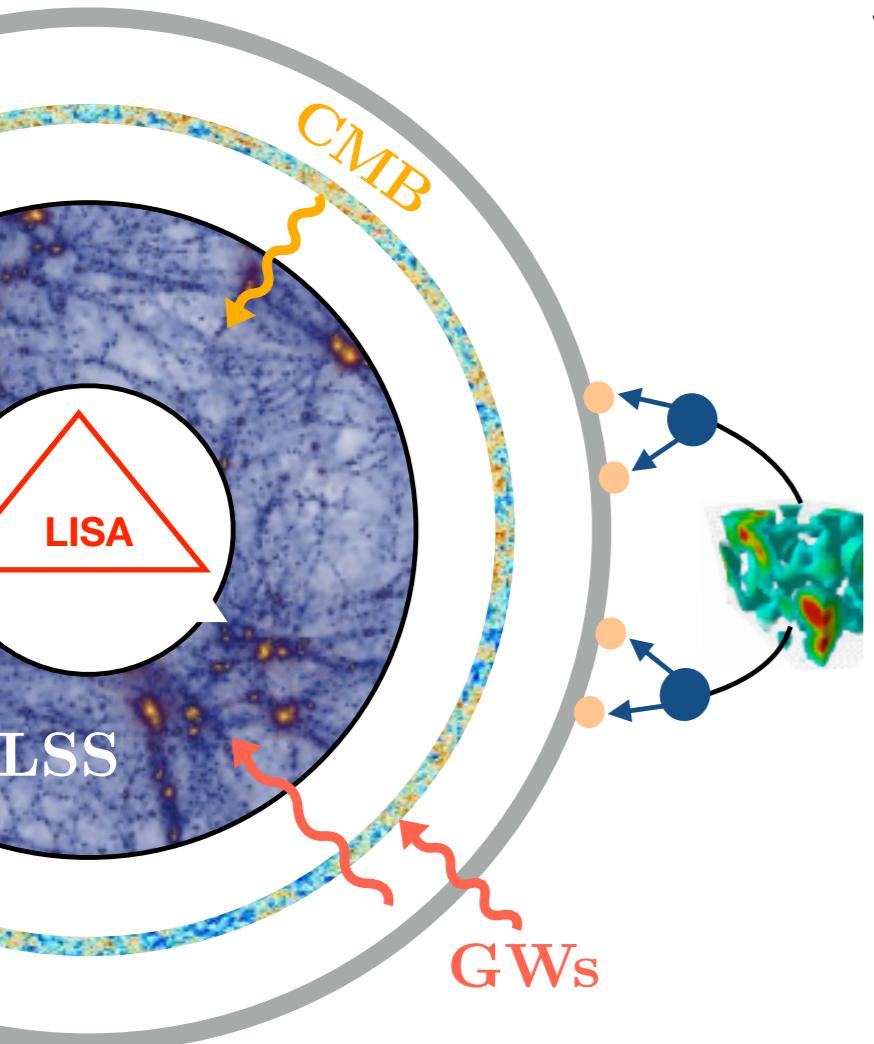
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SGWB-CMB cross correlation



EuCAPT WP

- ✓ General Relativity predicts a **non-zero correlation** since photons and GW propagate on **identical spacetime geodesics**.

- ✓ LCDM model: GWs (and photons) of high frequency propagate through (low frequency) **cosmological perturbations** (i.e. Large-Scale Structure) which have a common origin from inflation

✓ CMB: $T(\eta, k, \hat{n}) \equiv \bar{T}(\eta, k) + \delta T[\Phi(\eta, k), \Psi(\eta, k), \hat{n}]$

✓ SGWB: $\Omega_{GW}(\eta, k, \hat{n}) \equiv \bar{\Omega}_{GW}(\eta, k) + \delta\Omega_{GW}[\Phi(\eta, k), \Psi(\eta, k), \hat{n}]$

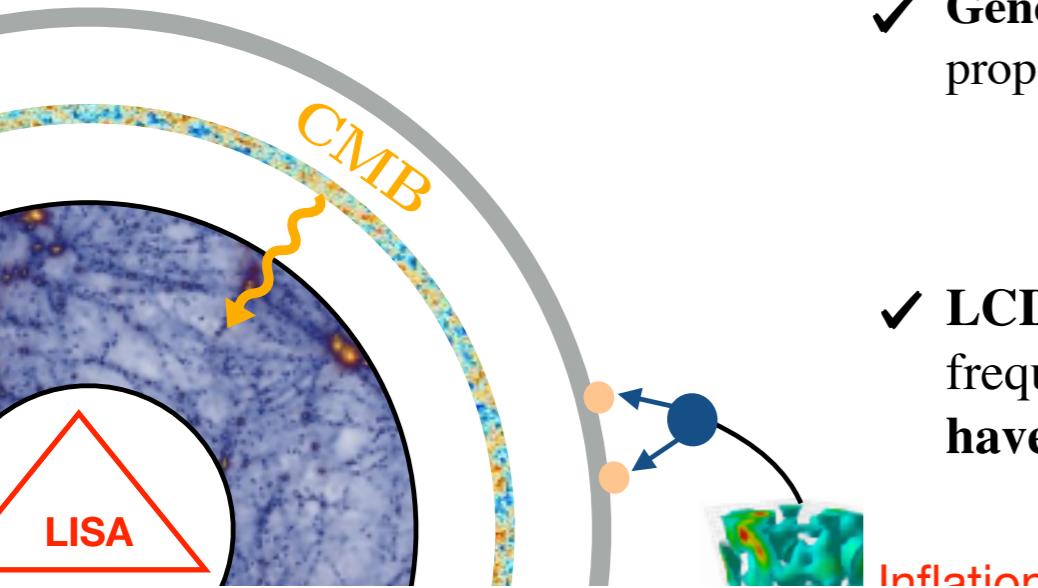
ISOTROPIC
BACKGROUND

Small PERTURBATION
(direction-dependent)

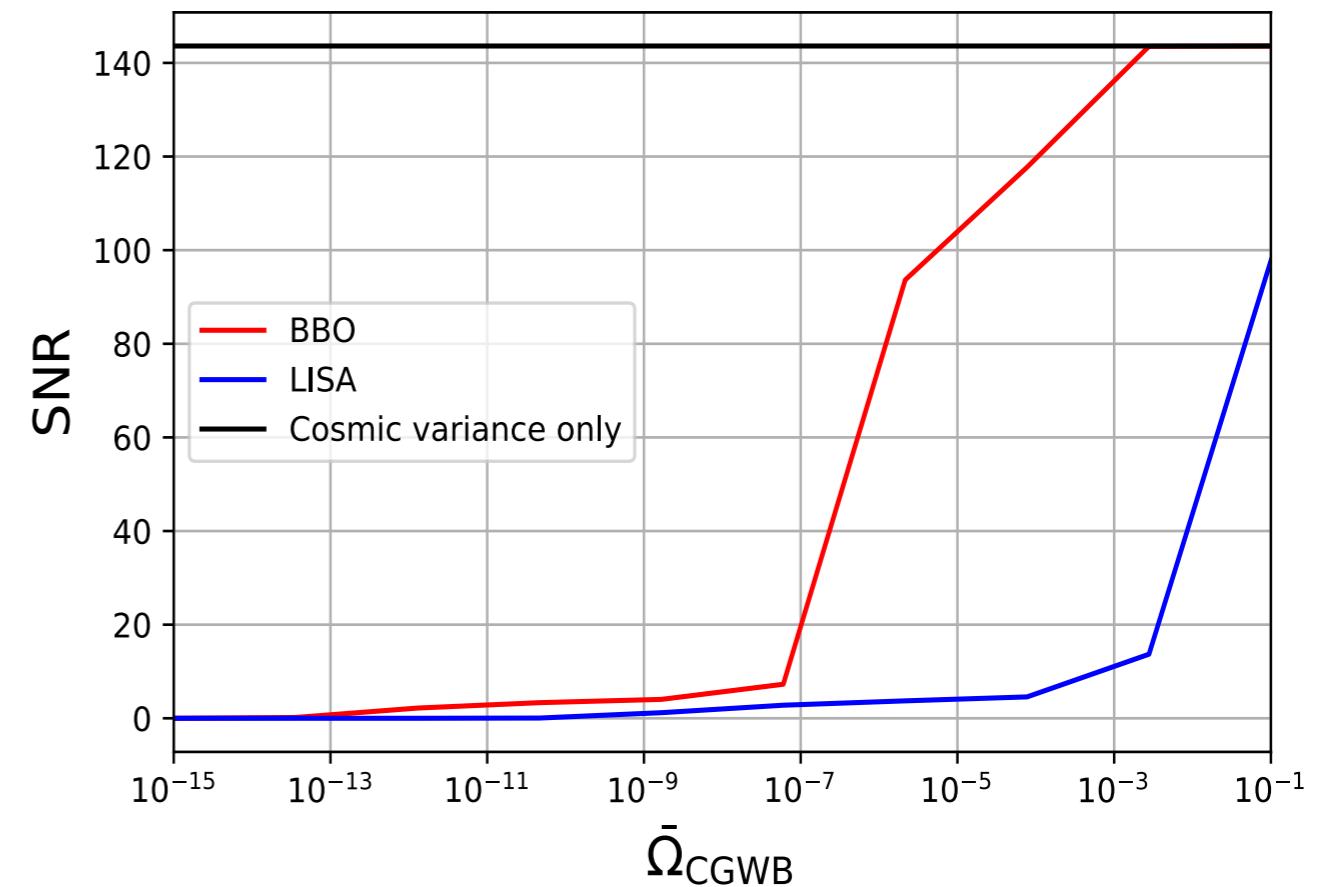
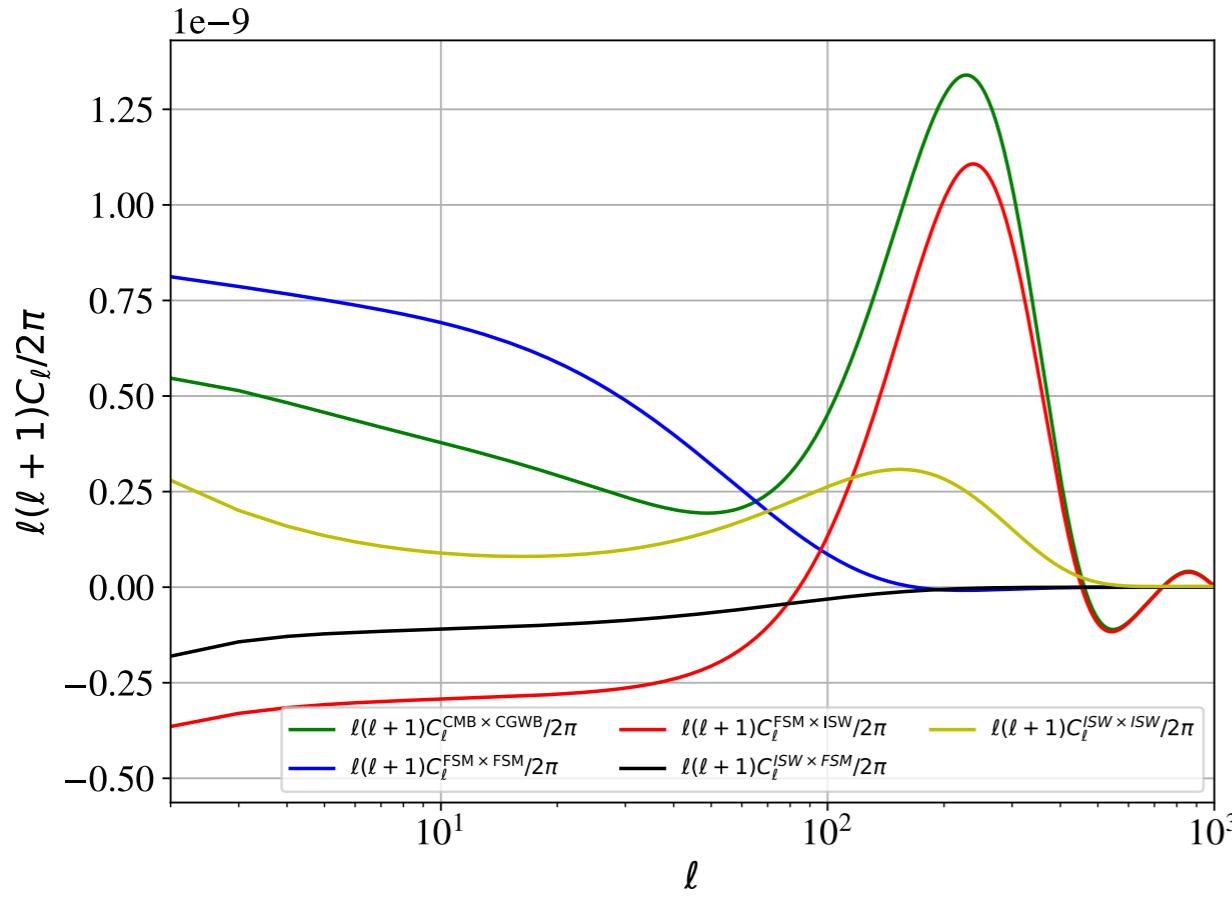
$$C_\ell^{LSS \times GW} \sim \langle \delta_{\text{GAL}} \delta\Omega_{\text{GW}} \rangle$$

$$C_\ell^{CMB \times GW} \sim \langle \delta T \delta\Omega_{\text{GW}} \rangle$$

SGWB-CMB cross correlation



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Conclusions



The Cosmological SGWB is a powerful tool to shed light on the microphysics of the early universe, as well as the later evolutionary stage:

- Well motivated inflationary models
- First order phase transition
- Cosmic Strings
- ...



The detection or NOT of primordial GWs with LISA, constrains inflationary cosmological parameters complementary to CMB



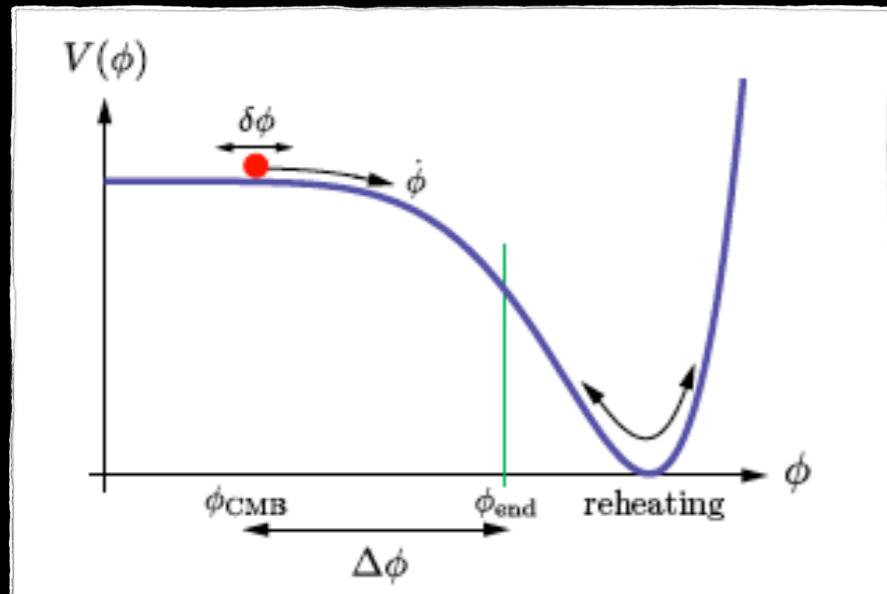
LISA will have the ability to probe several peculiar features of the SGWB:

- chirality
- anisotropies
- cross-correlation with other cosmological probes

Thank you!



Inflation and Primordial GWs



- Period of accelerated (exponential) expansion driven by a scalar field (inflaton) that rolls down on its flat potential

Solve Standard Big-Bang shortcomings

Generation of perturbations

Stretches the microphysics scales to super-horizon sizes

GW are represented by tensor perturbation h_{ij} of the FLRW metric

$$ds^2 = -dt^2 + a^2(t)(\delta_{ij} + h_{ij})dx^i dx^j$$

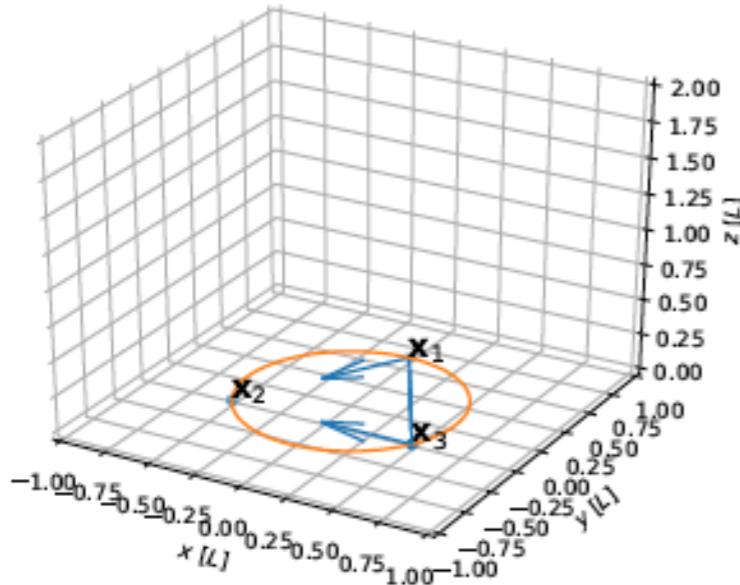
Transverse and traceless

$$\partial_i h_{ij} = h_{ii} = 0 \quad \rightarrow \quad \text{2 D.O.F}$$

(2 polarizations)

Chirality

For an ISOTROPIC SGWB

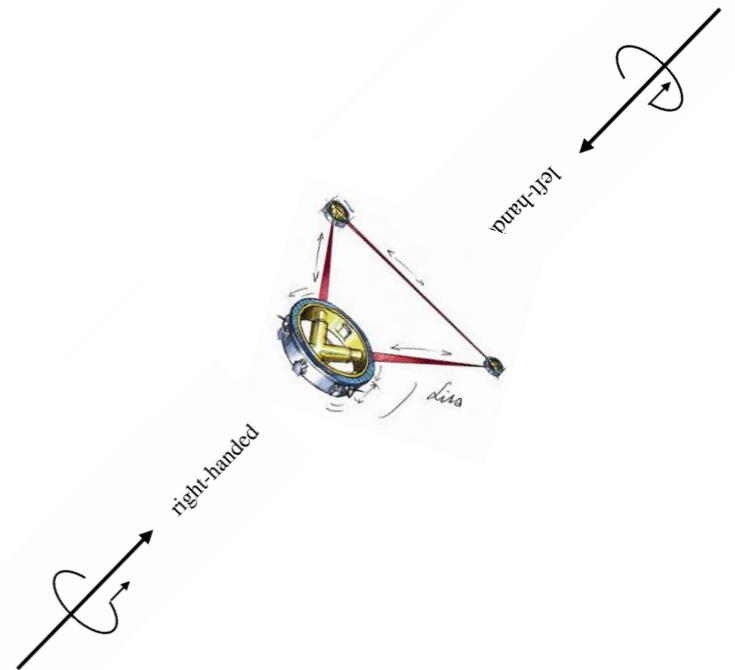


$$\mathcal{R}_V^{X_1 X_2}(f) = 0$$

V = circular polarization Stokes parameter

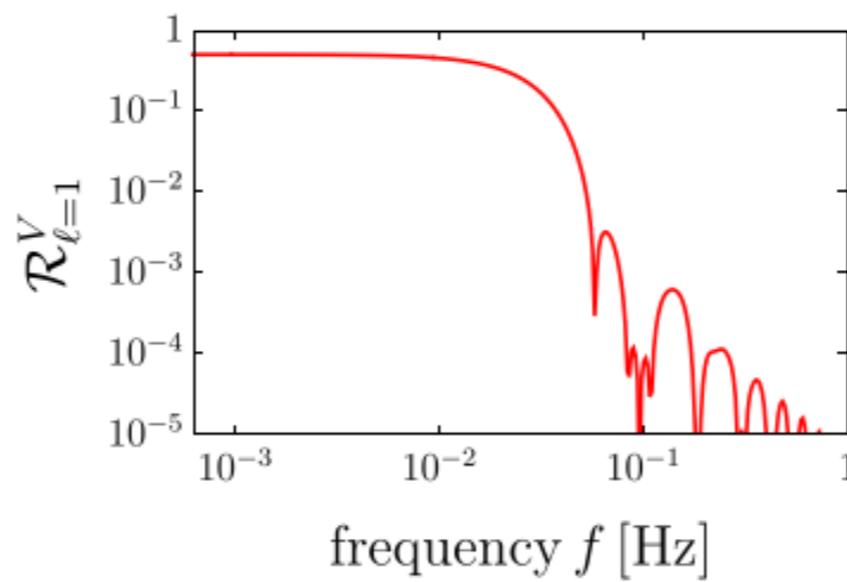
[Smith & Caldwell, '16]

[B. Thorne et al., '17]



Assuming a dipole modulation due to the motion of our Solar System with respect to the cosmic frame ->
BREAKING OF ISOTROPY

$$\Omega_{\text{GW}}(\hat{n}) \propto (1 + \vec{\beta} \cdot \hat{n}) \Omega_{\text{GW}}^0$$

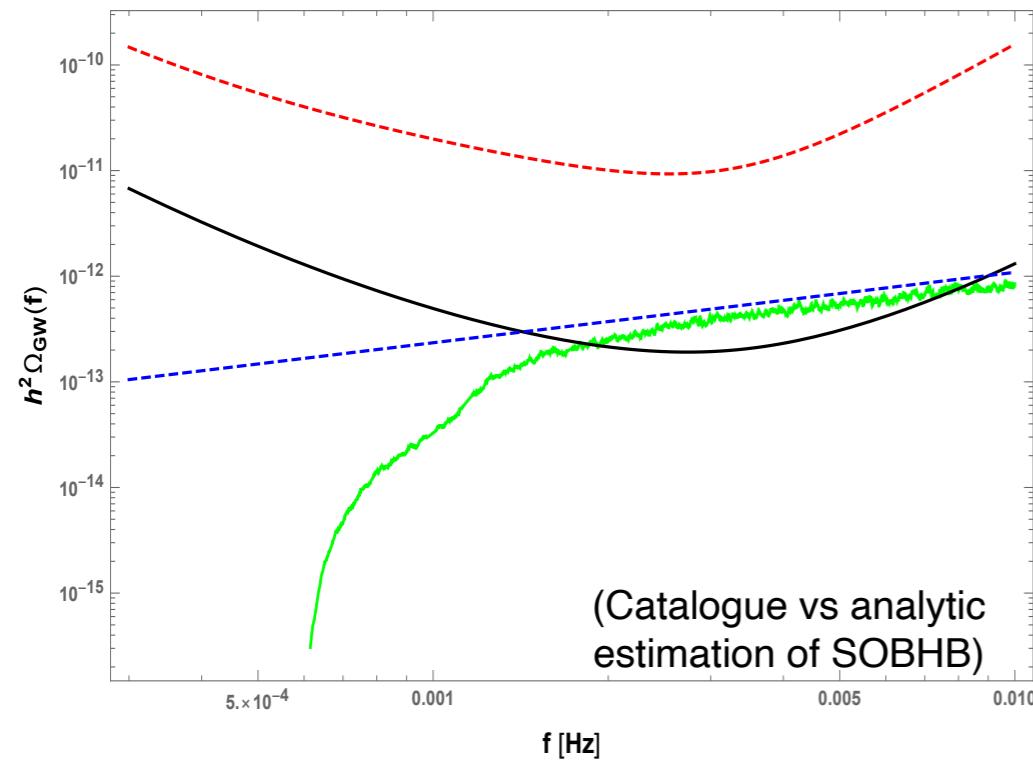


$$\text{SNR}_{\text{LISA}} \simeq \frac{v_d}{10^{-3}} \frac{\Omega_{\text{GW,R}} - \Omega_{\text{GW,L}}}{1.2 \cdot 10^{-11}} \sqrt{\frac{T}{3 \text{ years}}}$$

[Domcke, V., et al., '20]

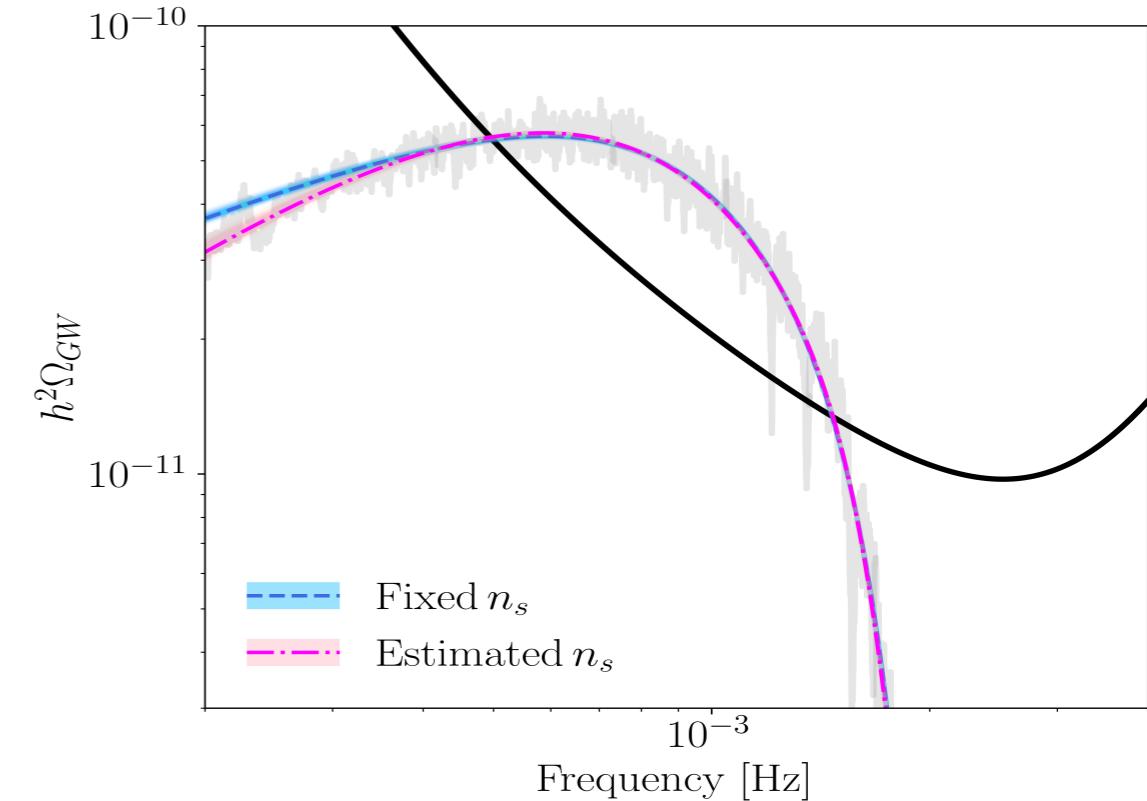
Astrophysical GW Background

LISA SOBHB

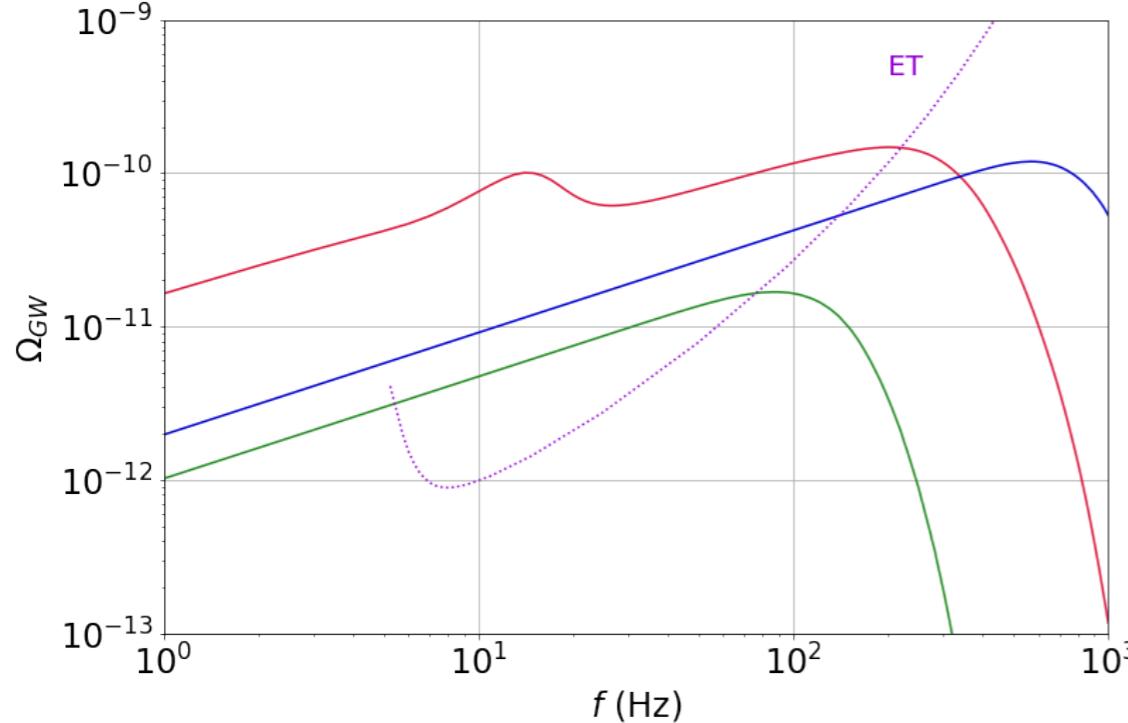


[Caprini C. et al., in preparation]

LISA GB

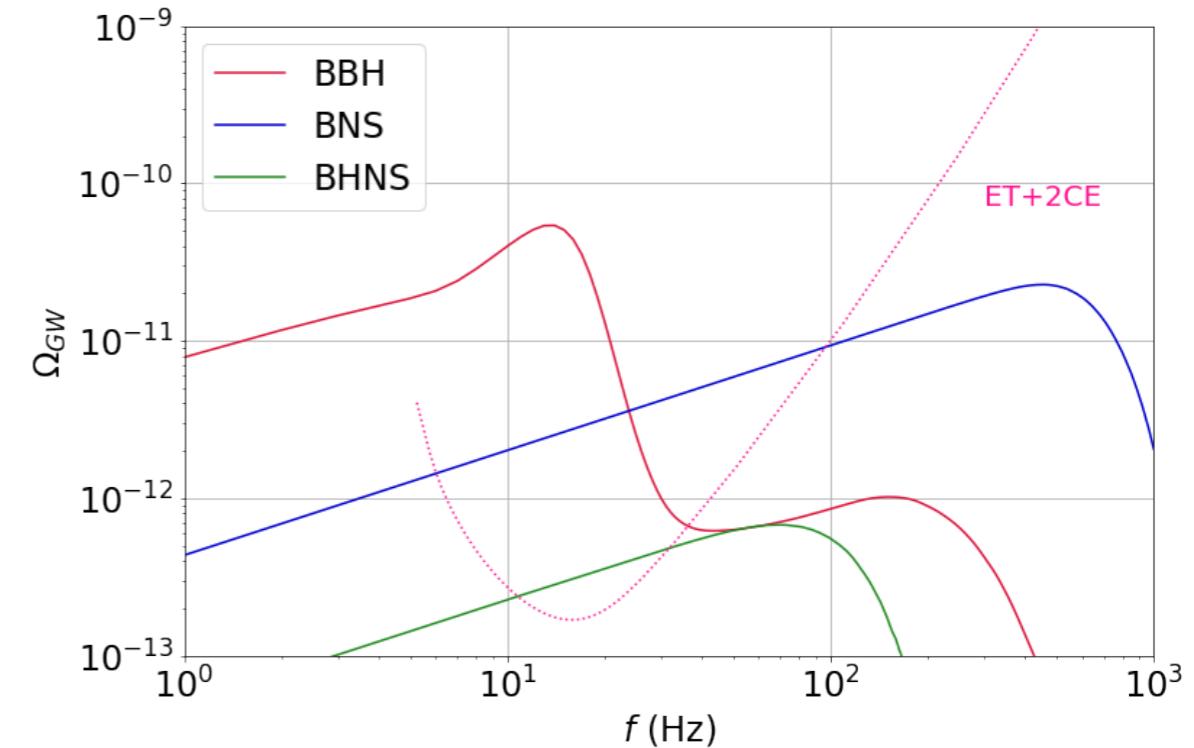


ET AGWB



[Perigois C. et al., 2021]

ET + 2CE



SGWB Anisotropies



✓ Using a Boltzmann approach (similar to CMB)

✓ f Graviton distribution function

$$\checkmark \quad \mathcal{L}[f] = \mathcal{C}[f(\lambda)] + \mathcal{I}[f(\lambda)]$$



Liouville operator



Collision operator



Emissivity operator

✓ Perturbed FLRW metric

$$ds^2 = a^2(\eta) \left[-e^{2\Phi} d\eta^2 + (e^{-2\Psi} \delta_{ij} + \chi_{ij}) dx^i dx^j \right]$$

The SGWB also brings FREQUENCY information, in contrast with CMB (apart from Spectral Distortions)

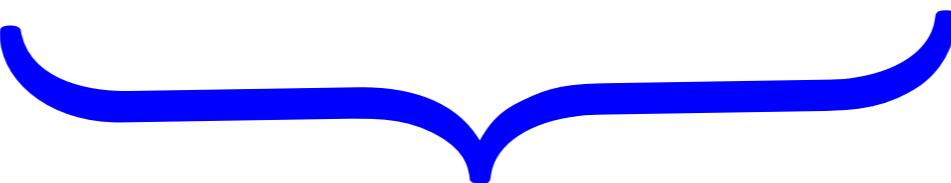
Anisotropies of the SGWB

✓ At linearized level

$$\frac{\partial f}{\partial \eta} + n^i \frac{\partial f}{\partial x^i} + \left[\frac{\partial \Psi}{\partial \eta} - n^i \frac{\partial \Phi}{\partial x^i} + \frac{1}{2} n_i n_j \frac{\partial \chi_{ij}}{\partial \eta} \right] q \frac{\partial f}{\partial q} = 0$$



Free streaming:
keeps memory of
initial condition

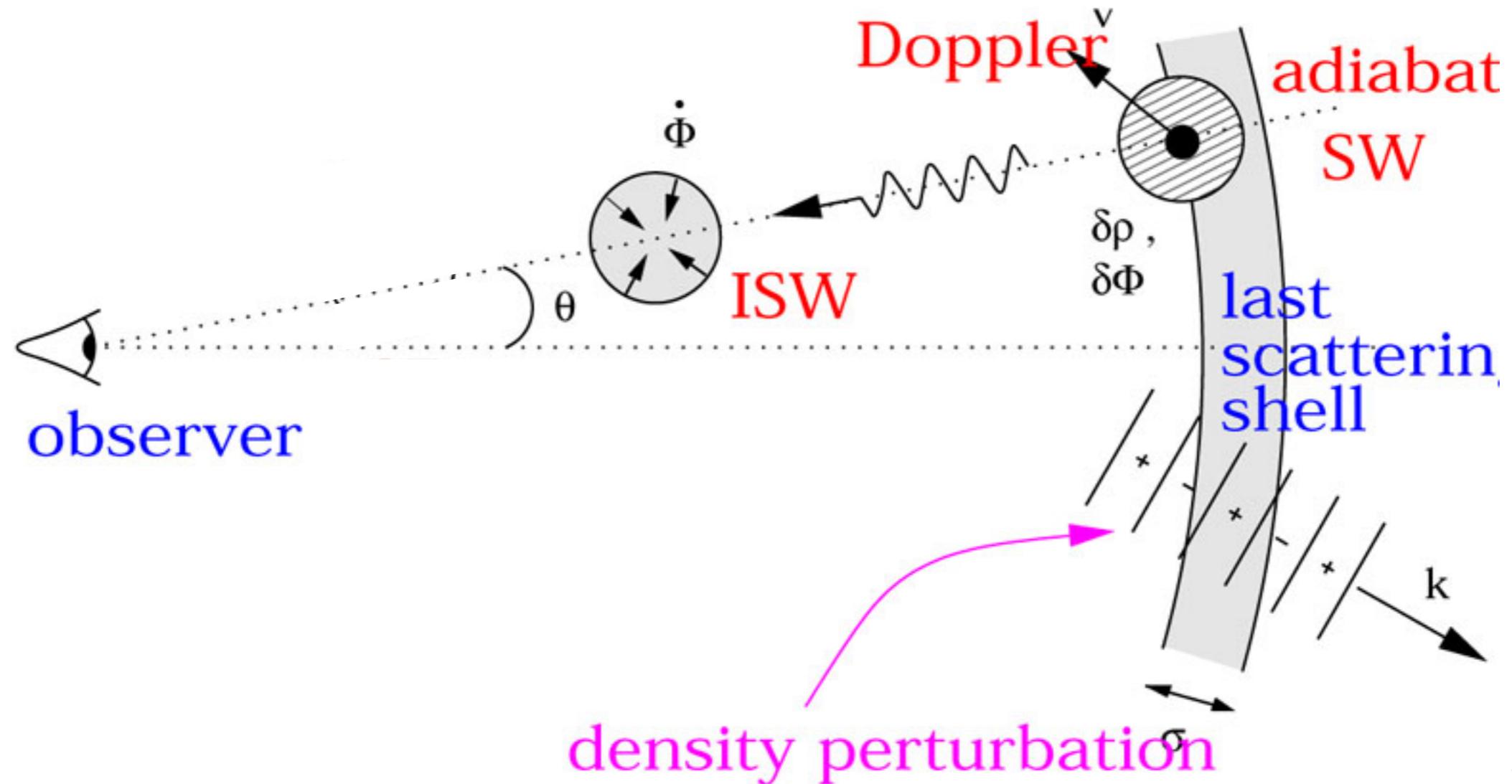


Gravitational effects that imprint anisotropies
during propagation

✓ Relation Graviton Distribution Function - Energy density

$$\rho_{\text{GW}}(\eta_0, \vec{x}) = \frac{1}{a_0^4} \int d^3q q f(\eta_0, \vec{x}, q, \hat{n}) \equiv \rho_{c,0} \int d \ln q \Omega_{\text{GW}}(\eta_0, \vec{x}, q)$$

Sachs-Wolfe and Integrated SW



J. A. Peacock

SW: caused by the gravitational redshift due to the potential fluctuations at the decoupling epoch

ISW: caused by the time variation of gravitational potential integrated along the line of sight

Doppler: induced by the relative motion between the observer and the CMB/GW “last scattering surface”

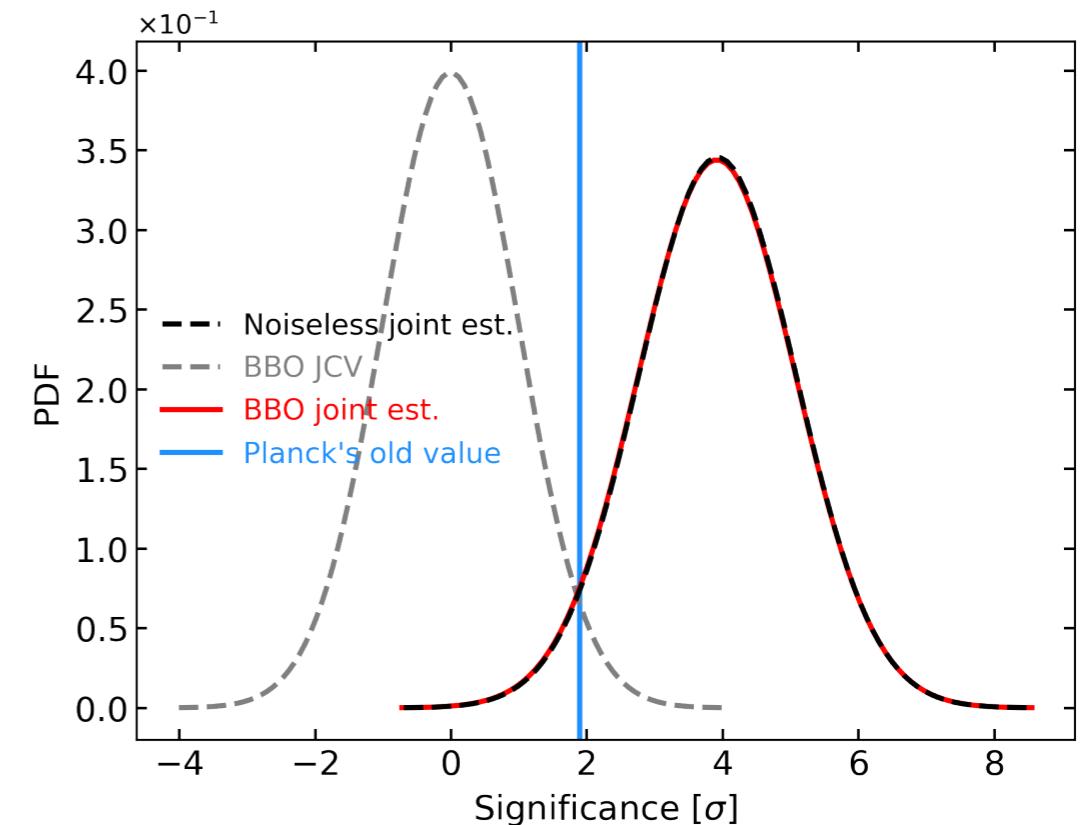
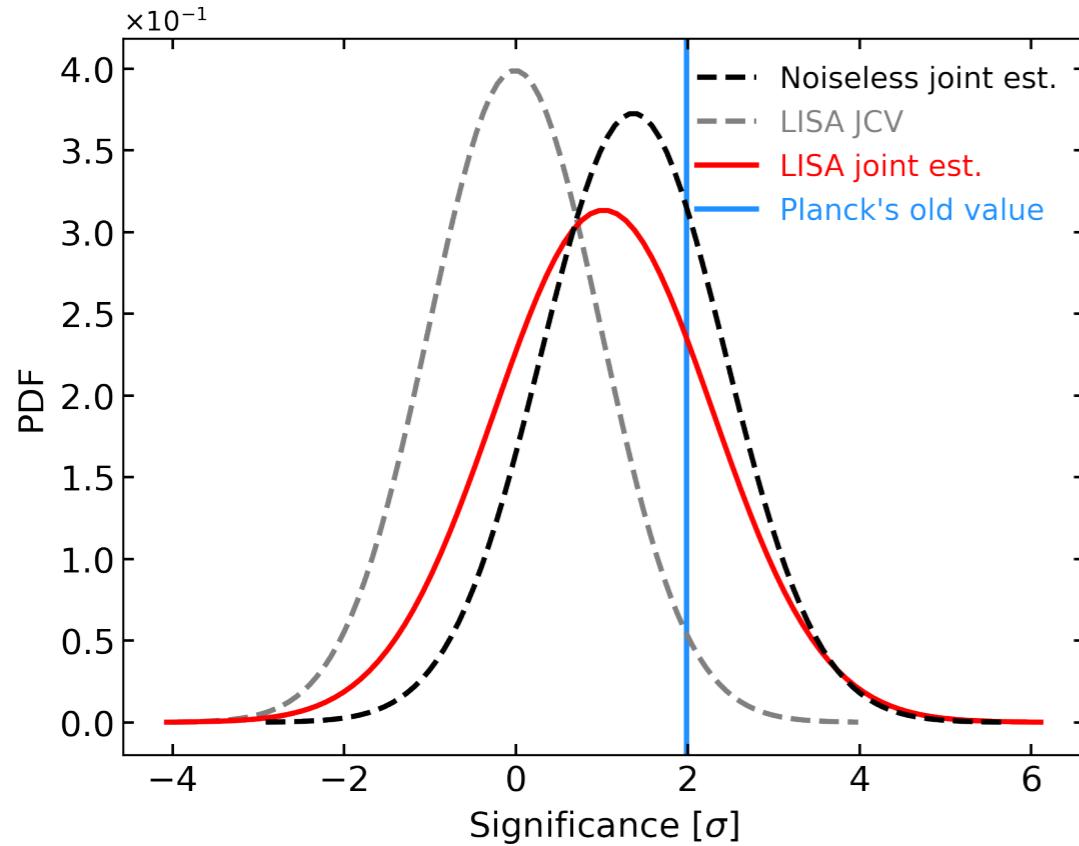
Test of the Statistical Isotropy of the Universe using GW

We focus on the **hemispherical power asymmetry** observed in CMB maps by WMAP and Planck

Study evolution of GW in presence of a modulating field:

$$\zeta(\vec{x}) = g(\vec{x})[1 + h(\vec{x})]$$

Using a minimal variance estimator (Hu & Dvorkin, 2008)



BBO have indeed the potential to shed light on the significance of the CMB power asymmetry