Search for Resonant and Non-Resonant VHH Production

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Vhh Introduction

- Vhh is a very rare process in the SM, with a **production** cross-section at 13 TeV of < 1 fb.
 - First analysis targeting Vhh final-state!
 - Sets initial Vhh cross-sections limits with full Run-2 (139 fb^{-1}) dataset!
 - Although a small expected cross-section: the corresponding SM background is low, and a clean-final state can be achieved with $V \rightarrow$ leptonically, enhances potential to discover new physics!





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Observed & (expected) 95% CLinterval constraints on hhh and hhVV couplings (expected): -34.4 (-24.1) < K_{λ} < 33.3 (22.9) -8.6 (-5.7) < K_{2V} < 10.0 (7.1) An observed upper cross section limit of 183 times the Standard

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At LO, 3 different Standard Model (SM) Feynman diagrams can produce this final state.

Analysis also targets two resonant signal searches!

- Heavy Narrow Resonance $(V \rightarrow lep. H \rightarrow hh \rightarrow b\overline{b}b\overline{b})$ (left)
- Heavy Pseudo-scalar AZH Resonance (A \rightarrow ZH w/ Z $\rightarrow ll/vv \& H \rightarrow hh \rightarrow b\overline{b}b\overline{b}$) (right)



Event Selection

Targets final-state with V decaying leptonically and Higgs boson decaying to a pair of b quarks.

- Different lepton and E_T^{miss} requirements depending on the channel.
- Two main backgrounds (tt, V+jets), constrained by dedicated tt & V+jets Control Region (CR).
- Remaining backgrounds are minor (<10%), and contributions are normalized to σ_{Theory} .

	Signal regions			Control regions	
	0L	1L (1L+/1L-)	2L	tī	V+ jets
Trigger	$E_{\mathrm{T}}^{\mathrm{miss}}$	single-lepton	single-lepton	single-lepton	single-photon
Lastas	0 La sea lontona	= 1 tight electron	= 2 loose leptons	= 2 <i>loose</i> leptons	= 1 photon with

BDT Bin

VH Limits

Vhh Non-Resonant Search



Model, compared with an expected limit of 87^{+41}_{-24} is set. *The weaker observed bounds compared with expectations are largely due to small excesses of data in the highest BDT bins*



- 7 Common input variables used across all 8 BDT's:
 - $(m_{h_1} m_2)$, $(m_{h_1} + m_{h_2})$, N_{jets} , Σ_{PC} , H_T^{Ex} , $m_{h_1}^{FSR}$, $m_{h_2}^{FSR}$

Example (1L) kinematic distribution of $m_{h_1} - m_{h_2}$ variable used in BDT training.

Simultaneous binned maximum likelihood fit for each signal model

50

40

20

1.25

0.75

0.5 _____200

-150

-100

-50

Data / Bkg.

- Control Regions: Sum of the pseudo-continuous b-tagging scores distributions are fit to extract background.
- Signal Regions: output BDT distributions are fit to extract signal contribution.

•••• WH→Whh

m_н = 400 GeV

Observed (solid black curve) and expected (black dashed curve) 95% CL upper limits on production cross section for WH(*hh*) (left) and ZH(*hh*) (right)

Slight excess observed in WH(hh) fits (left) at m_H = 315 GeV: local significance 2.5 with corresponding global significance 1.3.

Slight excess observed in ZH(hh) fits (**right**) at $m_{\rm H}$ = 550 GeV: local significance 2.7 with corresponding global significance 1.3.

$A \rightarrow ZH Search$



• Resonant analysis: Applies mass window cuts prior to fitting BDT distributions.

m_{h1}-m_{h2} [GeV]

• Resonant analysis: Uses a linear interpolation between simulated mass points.



Highest obs. excess in NW A \rightarrow ZH (**left**) fits at (m_A, m_H) = (420,320) GeV: local sig. 3.8 w/ corr. global sig. 2.8.

Highest obs. excess in LW A \rightarrow ZH (**not shown**) fits at $(m_A, m_H) = (800,300)$ GeV: local sig. 3.6 w/ corr. global sig. 1.6.

Type-1 2HDM upper limit interpretations on $\sigma(A)$ xBr(A \rightarrow ZH \rightarrow Zh \rightarrow Zbbbb). Shaded areas are 95% CL exclusion contours in cos($\beta - \alpha$) - m_A plane for tan(β) = 1.0 & m_H = 350 GeV.

Background-only post-fit distributions of the sumer of the pseudo-continuous btagging scores of the four highest-score jets in the V+jets (left) and $t\bar{t}$ (right) CR's.