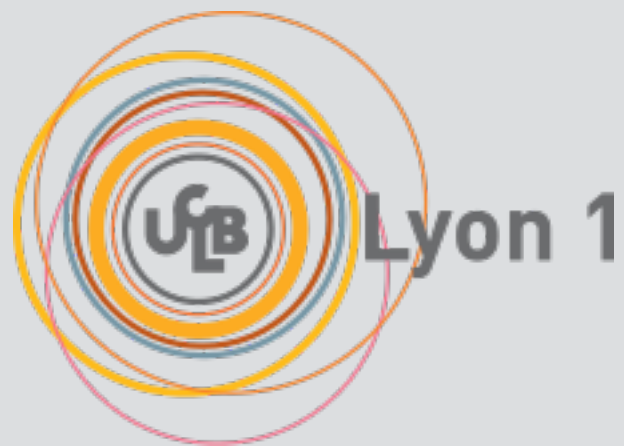


Single production of vector-like quarks

large width, NLO

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ICHEP 2022 - July 7th 2022



based on JHEP 08 (2021), 107 with
T. Flacke, B. Fuks, Hua-Sheng Shao and L. Panizzi



Outline

Single VLQ production

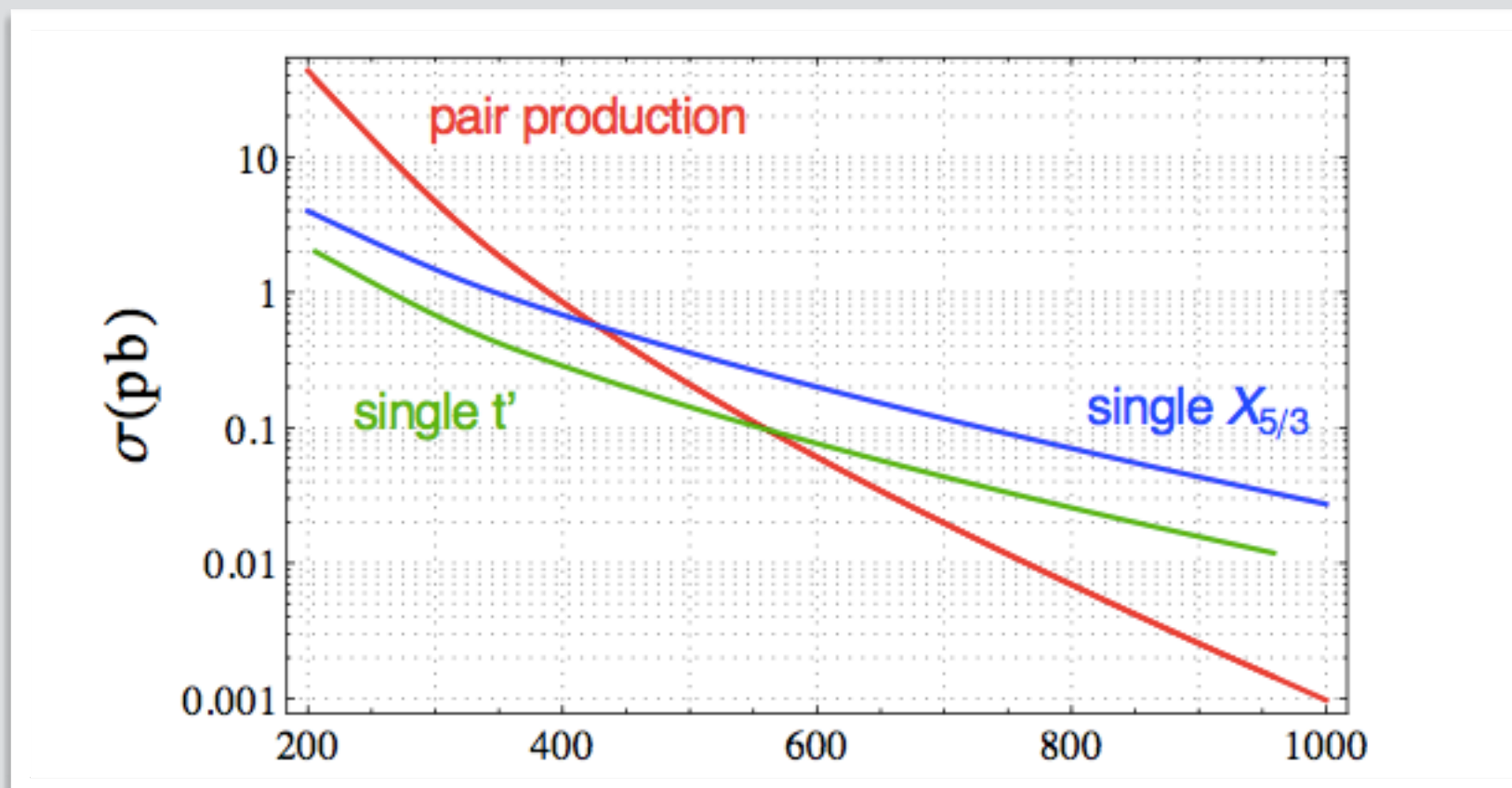
The large width, when and why

Including signal-background interference

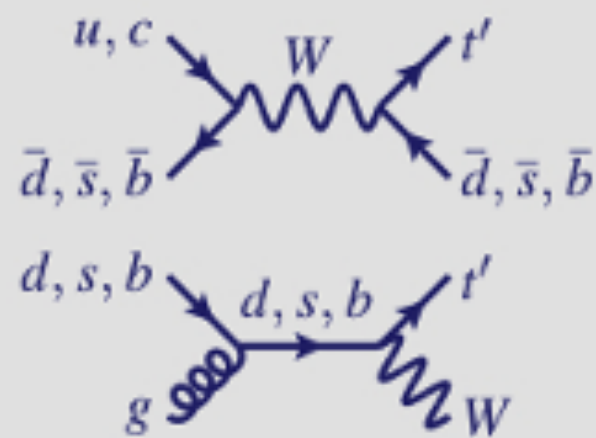
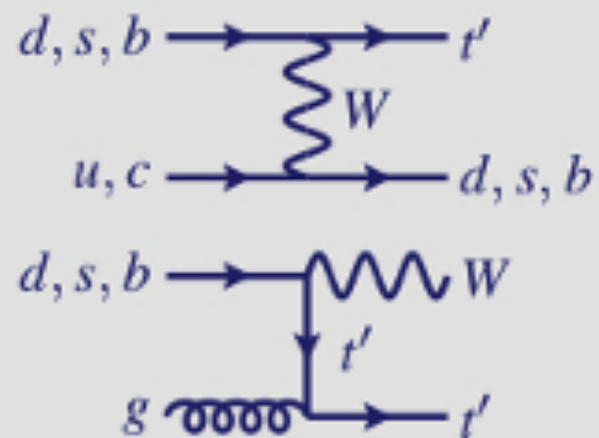
Next-to-Leading Order (NLO) results

Single Vector-Like Quarks

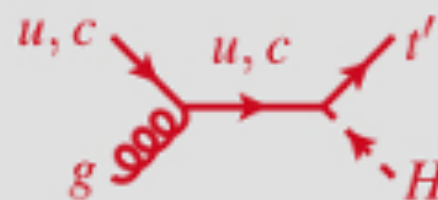
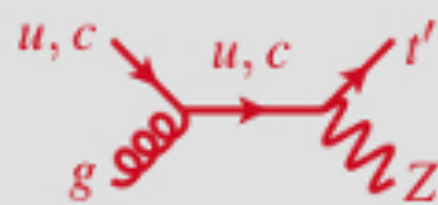
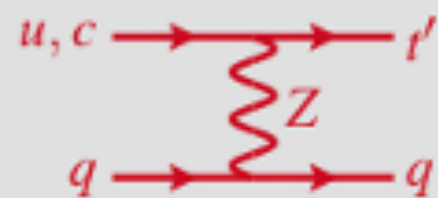
- Single production: unique window to test BSM models
- Single production dominant with present mass bounds at LHC (~ 1 TeV)
- Decay: UV models suggest richer pattern than the usual modes with Z, W, h
- Models suggest multiplet structures, not just “isolated” VLQs



Example : T' single production modes



Charged current channels are suppressed in $(X \ T')$ doublet, non-suppressed in singlet and triplets

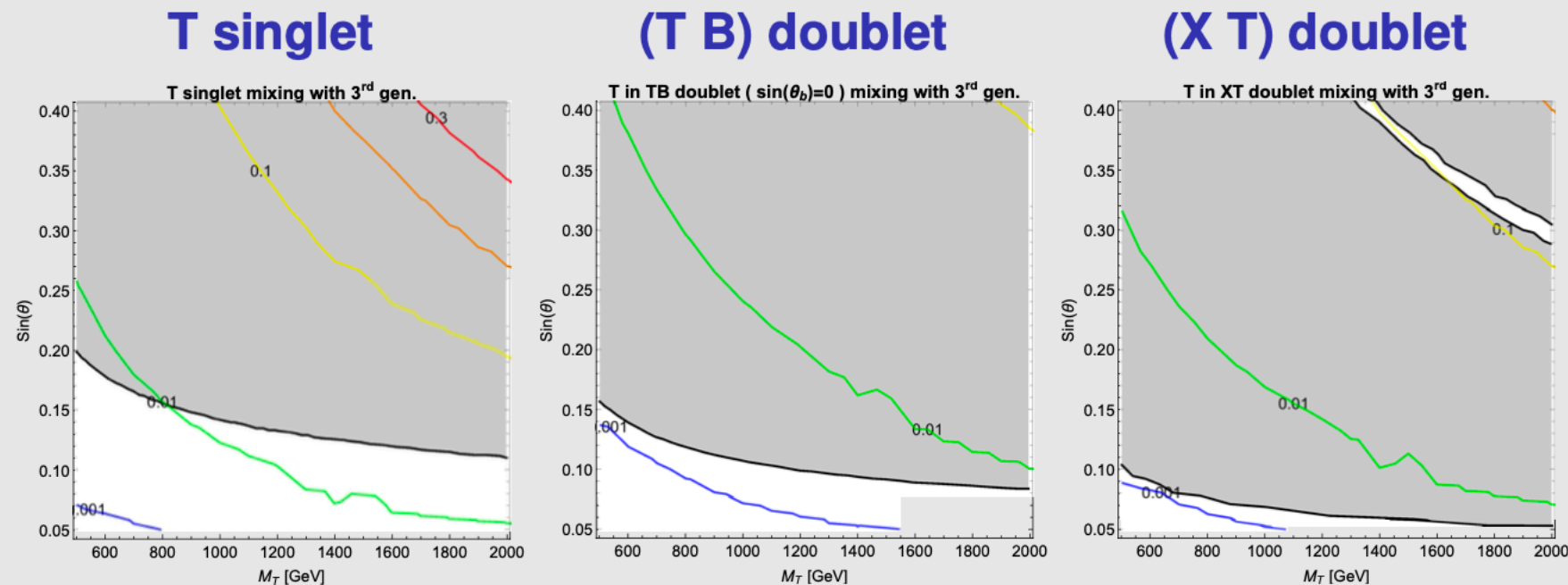


FCNCs channels can be relevant in single production especially in the singlet t' and $(X \ t')$ doublet

When and why large with?

Two ways to obtain a large width

1 Increase couplings \longrightarrow bounds from other observables (flavour, EWPT); perturbativity



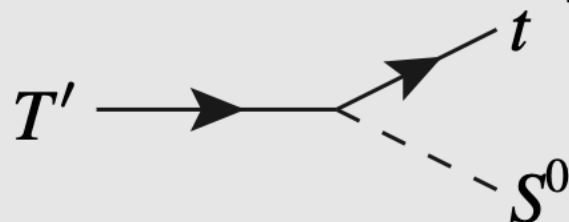
Minimal simplified models with large couplings already excluded by other observables

Moretti, O'Brien, **LP** and Prager, *Phys. Rev. D* **96** (2017) no.7, 075035
using data from Chen, Dawson and Furlan, *Phys. Rev. D* **96** (2017) no.1, 015006

\longrightarrow non-minimal extensions with multiple VLQs: escape bounds with large couplings

Cacciapaglia, Deandrea, Gaur, Harada, Okada and **LP**, *JHEP* **09** (2015), 012
Cacciapaglia, Deandrea, Gaur, Harada, Okada and **LP**, *JHEP* **11** (2018), 055

2 Increase number of decay channels \longrightarrow new physics, non-minimal extension



Aguilar-Saavedra, López-Fogliani and Muñoz, *JHEP* **06** (2017), 095
Bizot, Cacciapaglia and Flacke, *JHEP* **06** (2018), 065
Benbrik *et al.* (**LP**), *JHEP* **05** (2020), 028
Banerjee, Franzosi and Ferretti, *JHEP* **03** (2022), 200

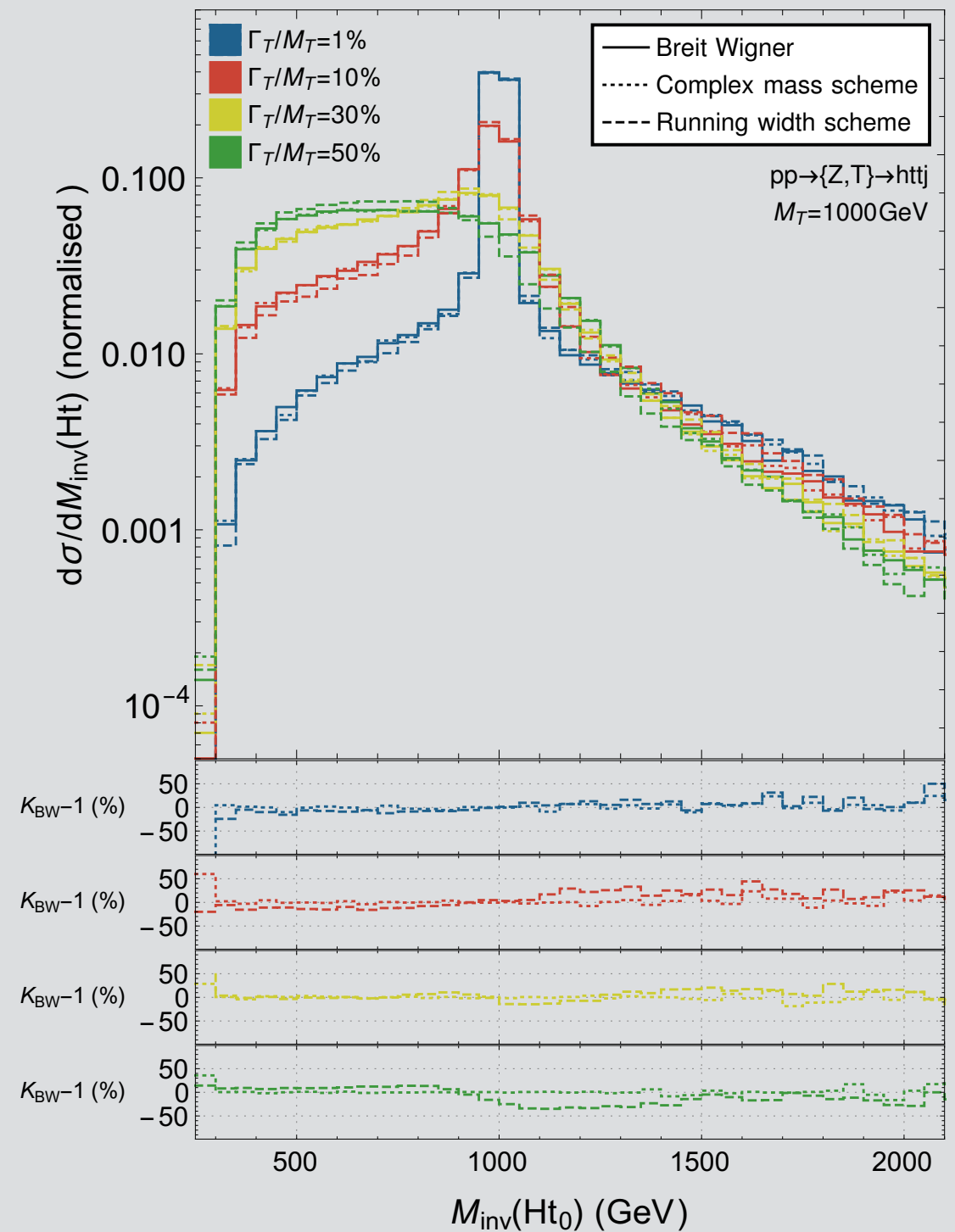
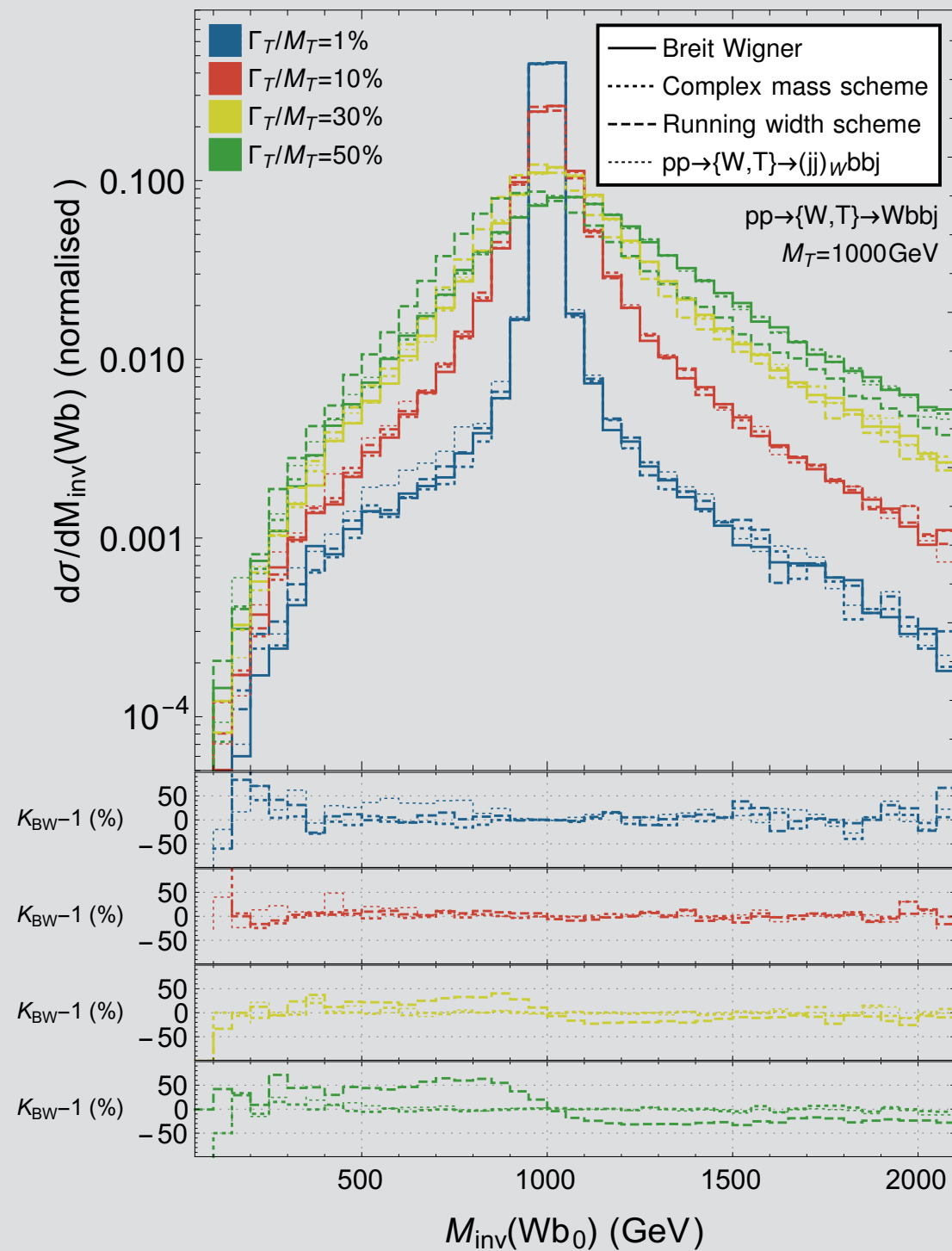
Width schemes

- Breit-Wigner
$$\frac{i(\not{p} + M)}{p^2 - M^2 + i\Gamma M}$$
- Running width
$$\frac{i(\not{p} + M)}{p^2 - M^2 + i\frac{p^2}{M^2}\Gamma M}$$
- Complex mass scheme
$$M^2 \rightarrow \tilde{M}^2 = M^2 - i\Gamma M$$

consistent, gauge-invariant and applicable at NLO

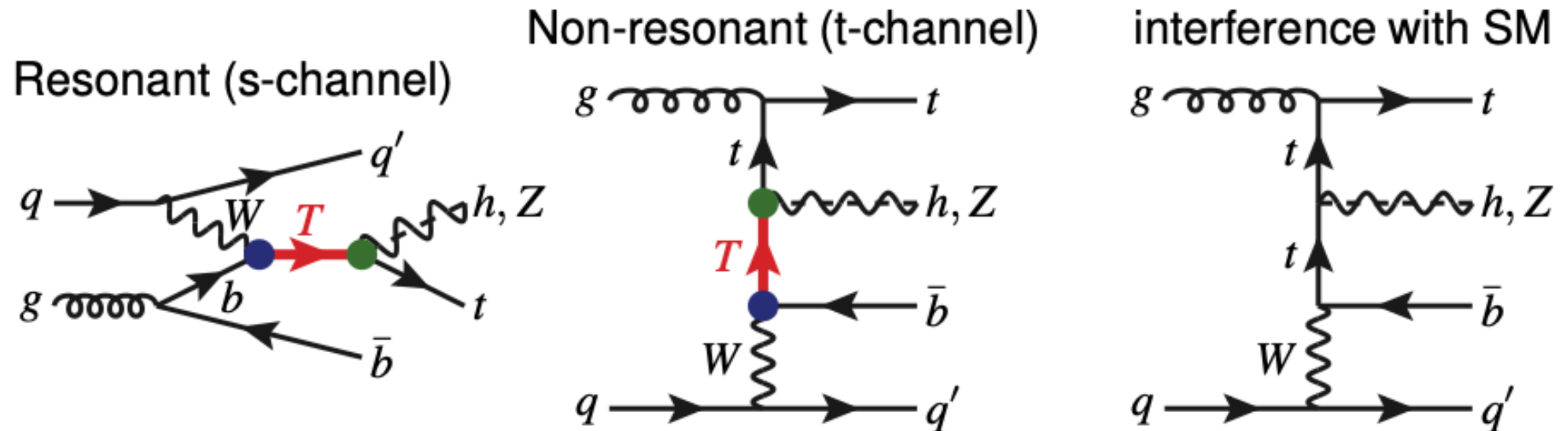
A. Denner et al., Nucl. Phys. B 560 (1999), 33-65 A. Denner et al., Nucl. Phys. B 854 (2012), 504-507

Width schemes



Small differences in the M_{inv} shape
 In the RW the peak shifts to the left

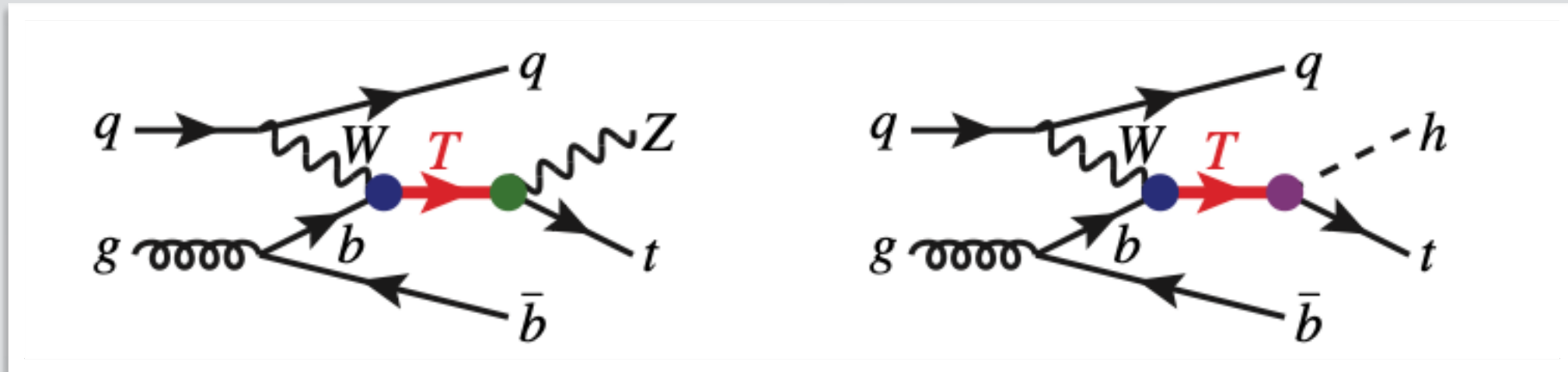
When the width is large



- Off-shell effects are not negligible anymore
- Subdominant topologies in the Narrow Width Approximation, may become important (t-channel)
- Outside the NWA all topologies leading to the same final state must be taken into account for gauge invariance
- Important to take into account interference effects, both between signal topologies, and between signal and SM background

Parametrisation for large width regime

example for W-mediated production



In the narrow-width approximation - no interference with the SM background

$$\sigma(\kappa, \tilde{\kappa} \text{ or } \hat{\kappa}, m_T, \Gamma_T) = \sigma_P(\kappa, m_T) BR_{T \rightarrow \text{decay channel}} = \kappa^2 \hat{\sigma}_{NWA}(m_T) BR_{T \rightarrow \text{decay channel}}$$

In the large width case:

$$\begin{aligned} \sigma_{\text{tot}}(pp \rightarrow Wbbj) &= \sigma_{Wb}^{\text{SM}} + \kappa^4 \hat{\sigma}_{Wb}^{\text{VLQ}}(M_T, \Gamma_T) + \kappa^2 \hat{\sigma}_{Wb}^{\text{int}}(M_T, \Gamma_T) , \\ \sigma_{\text{tot}}(pp \rightarrow Ztbj) &= \sigma_{Zt}^{\text{SM}} + \kappa^2 \tilde{\kappa}^2 \hat{\sigma}_{Zt}^{\text{VLQ}}(M_T, \Gamma_T) + \kappa \tilde{\kappa} \hat{\sigma}_{Zt}^{\text{int}}(M_T, \Gamma_T) , \\ \sigma_{\text{tot}}(pp \rightarrow htbj) &= \sigma_{ht}^{\text{SM}} + \kappa^2 \hat{\kappa}^2 \hat{\sigma}_{ht}^{\text{VLQ}}(M_T, \Gamma_T) + \kappa \hat{\kappa} \hat{\sigma}_{ht}^{\text{int}}(M_T, \Gamma_T) \end{aligned}$$

κ , $\tilde{\kappa}$ and $\hat{\kappa}$ couplings: partial widths and rescaling of cross-section

NLO for large width

NLO QCD corrections can have a big impact on total cross-sections and distributions

Complex mass scheme required for gauge-invariance but **not available** at NLO

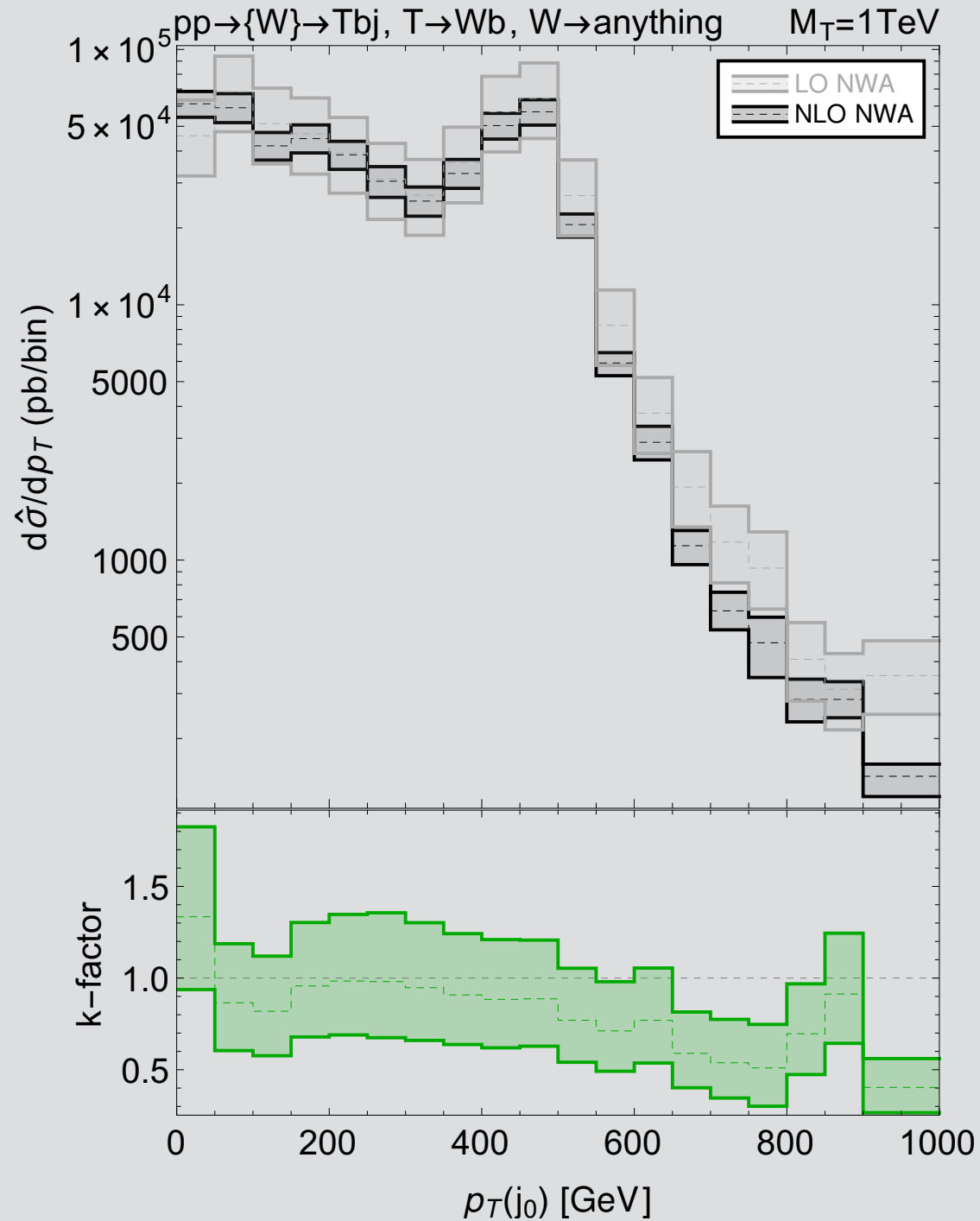
Approximate treatment

- 1) Generate events at LO with large width with complex mass scheme
- 2) Generate events at LO+PS and NLO+PS in the NWA
- 3) For a given observable O:

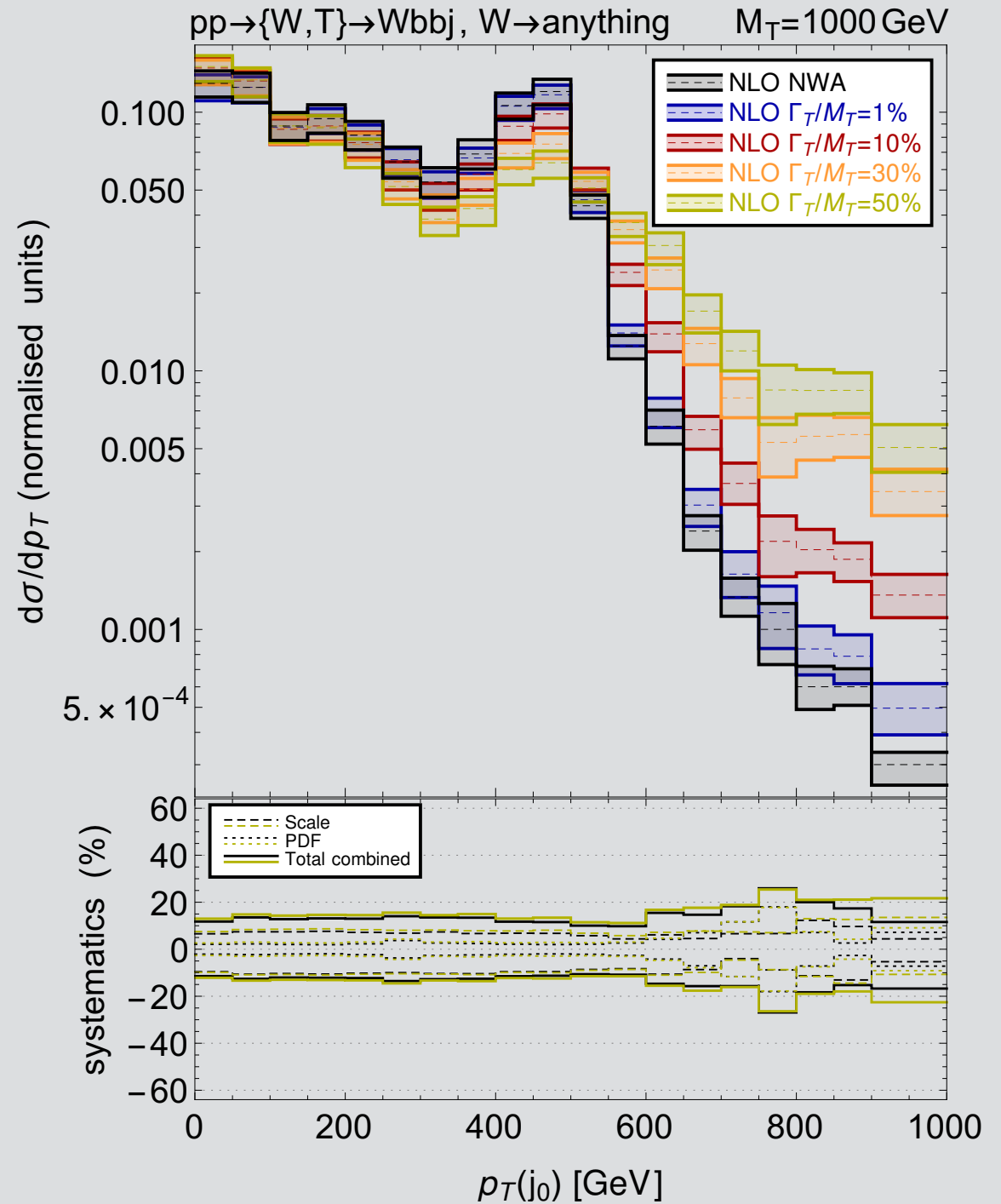
$$\left(\frac{d\sigma}{d\mathcal{O}}\right)_{\{\text{NLO,LW}\}} \simeq \frac{\left(\frac{d\sigma}{d\mathcal{O}}\right)_{\{\text{NLO,NWA}\}}}{\left(\frac{d\sigma}{d\mathcal{O}}\right)_{\{\text{LO,NWA}\}}} \times \left(\frac{d\sigma}{d\mathcal{O}}\right)_{\{\text{LO,LW}\}} \equiv K_{\text{NWA}} \times \left(\frac{d\sigma}{d\mathcal{O}}\right)_{\{\text{LO,LW}\}}$$

Limitation: a differential K-factor independent of the width/mass ratio is applied
s-channel must be dominant over t-channel (K-factor is evaluated in the NWA)
interference must be negligible (simulations stop at the $2 \rightarrow 3$ processes)

Numerical results



NLO: reduction of theory uncertainties
Peak at $M_T/2$ independent of Γ_T



Large dependence of the width
above M_T

A.Deandrea ICHEP 2022

Conclusion

- NLO correction allow improved predictions and reducing uncertainties
 - ✦ shape distortion, large K-factors
 - ✦ impacts total rates
 - ✦ impacts the tails of several distributions
- Large width effects are important in realistic cases and can induce off-shell effects, interferences
- We provide an approximate framework to deal with both