

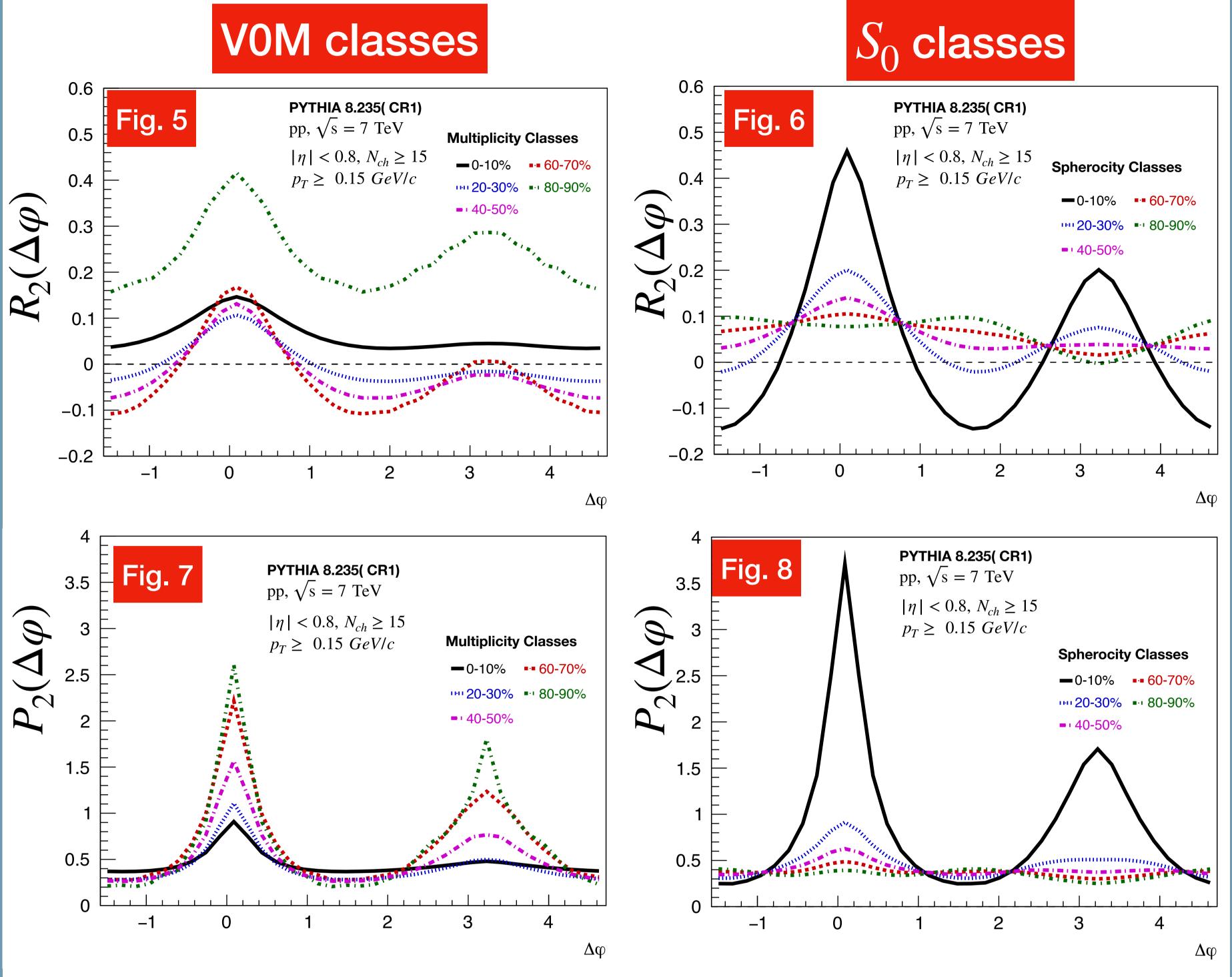
Transverse Spherocity and Multiplicity Dependence of R_2 and P_2 Correlation Functions in pp Collisions at $\sqrt{s} = 7$ TeV using PYTHIA8 Baidyanath Sahoo^{1,*}, Basanta Kumar Nandi¹, Sadhana Dash¹ and Claude Andre Pruneau² WAYNE STATE ¹IIT Bombay, India; ²Wayne State University, US UNIVERSITY *Email-id : baidya@iitb.ac.in **Transverse Spherocity(S₀)** Comparison of $R_2(\Delta \varphi)$ and $P_2(\Delta \varphi)$ between VOM and S_0 classes **Transverse Spherocity**^[2,3] VOM classes classes -Powerful tool to separate soft and hard contributions 0.6 $S_0 = \frac{\pi^2}{4} \min_{\hat{n}} \left(\frac{\sum_i |\overline{\mathbf{p}_{\mathrm{T,i}}} \times \hat{n}|}{\sum_i \mathbf{p}_{\mathrm{T,i}}} \right)$ **PYTHIA 8.235(CR1) PYTHIA 8.235(CR1)** Fig. 6 pp, $\sqrt{s} = 7$ TeV pp, $\sqrt{s} = 7$ TeV **Multiplicity Classes** $|\eta| < 0.8, N_{ch} \ge 15$ $|\eta| < 0.8, N_{ch} \ge 15$ **—**0-10% **••** 60-70% **Spherocity Classes** $p_T \geq 0.15 \ GeV/c$ $p_T \geq 0.15 \ GeV/c$ 0.4 ···· 20-30% •· 80-90% **9**_{0.3}

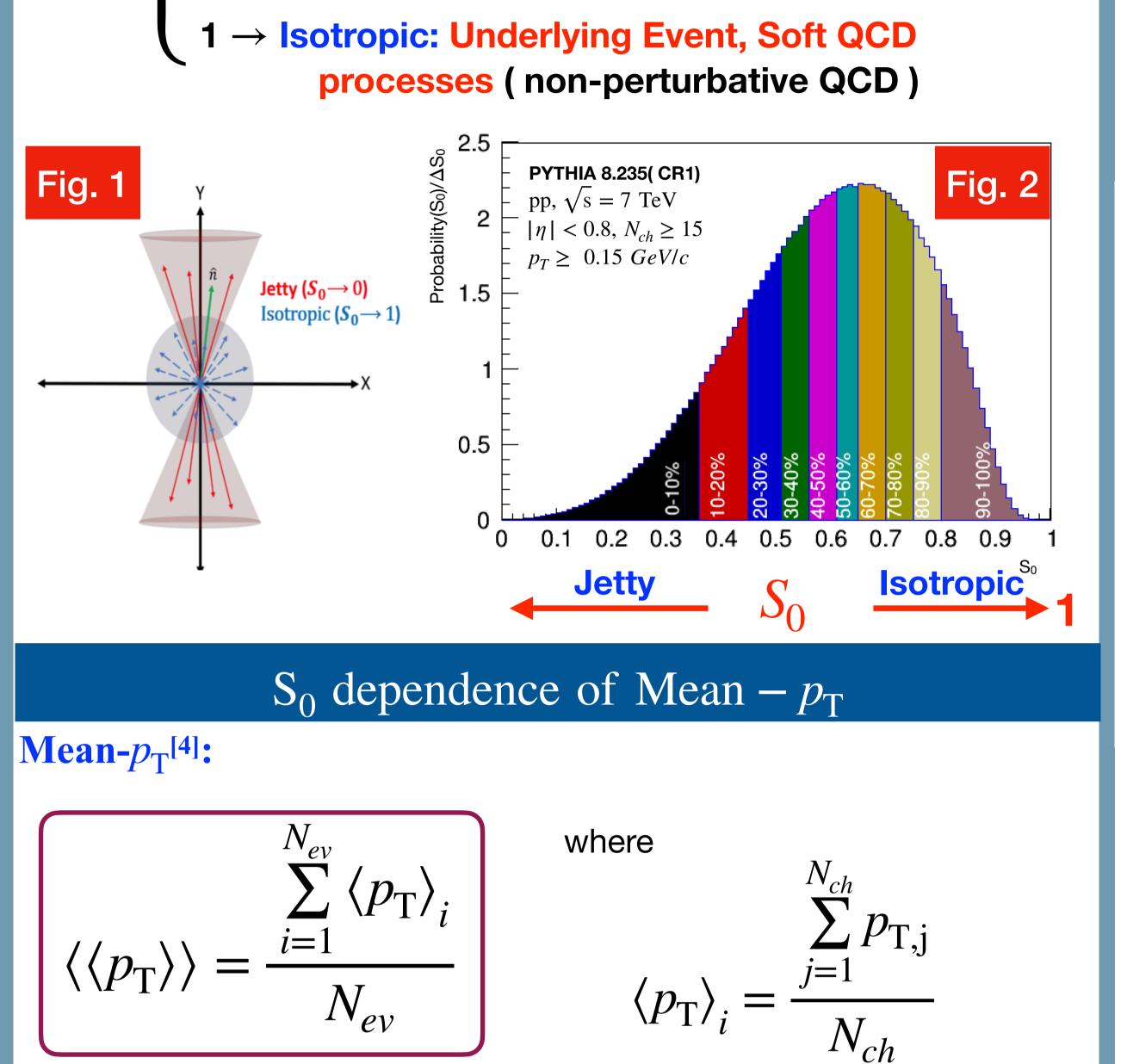
where

 $S_0 =$

in an event

0 → Jetty: Back-to-Back Dijet (Hard scattering->perturbative QCD)





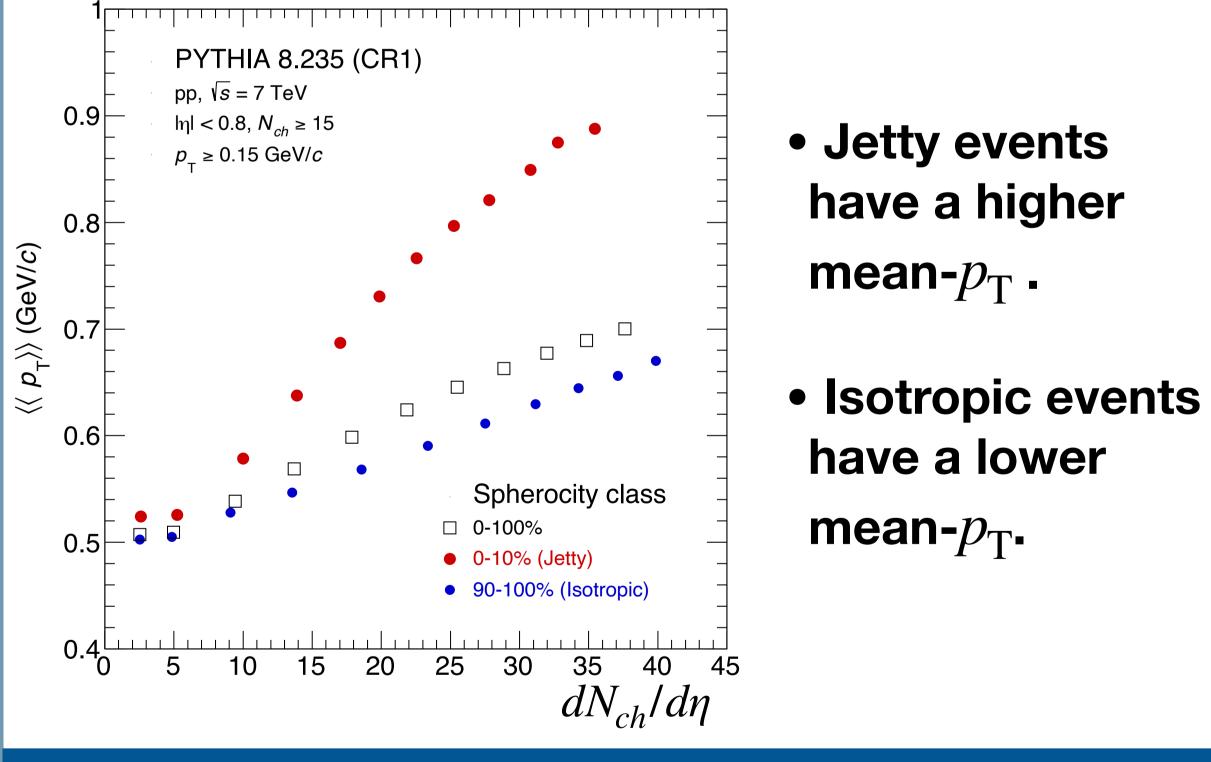
- The magnitude of the modulation strongly correlates with spherocity classes as compared to multiplicity classes for both $R_2(\Delta \varphi)$ and $P_2(\Delta \varphi)$.
- Clear separation between jetty and isotropic events for both $R_2(\Delta \varphi)$

Where

 N_{ev} : number of events

 N_{ch} : number of charged particles in the i-th event

 $p_{\mathrm{T,i}}$: transverse momentum of the j-th particle in each event.



and $P_2(\Delta \varphi)$ with S_0 .

• $P_2(\Delta \varphi)$ is narrower than $R_2(\Delta \varphi)$ expected from angular ordering^[1] of the $p_{\rm T}$ of jet constituents.

Summary

 \mathbf{M} Transverse spherocity and multiplicity dependence of R_2 and P_2 correlation functions in pp Collisions at $\sqrt{s} = 7$ TeV using PYTHIA8 is performed.

 \mathbf{M} Jetty events have a higher mean- p_{T} , whereas isotropic events have a lower mean- $p_{\rm T}$.

 $\mathbf{M} P_2$ is narrower than R_2 due to angular ordering.

Correlation Observable

1st Observable:

 \mathbf{M} S₀ evolves as a powerful tool to separate jetty and isotropic events as compared to multiplicity.

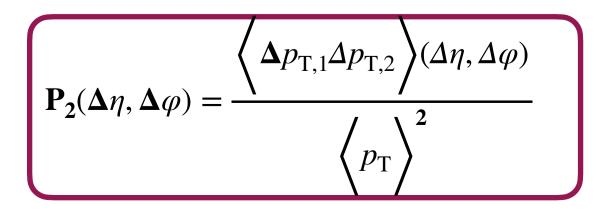
Two-particle differential number Correlation^[1,5]:

 $\rho_2(\Delta\eta,\Delta\varphi)$ $\mathbf{R}_2(\Delta\eta,\Delta\varphi) = \cdot$ $\rho_1 \times \rho_1(\Delta \eta, \Delta \varphi)$

✓ Sensitive to particle production mechanisms.

2nd Observable:

Two-particle differential transverse momentum $\Delta p_T \Delta p_T > 0$ **Correlation** ^[1,5]:



 $\frac{1}{N}\frac{dN}{dp_{\rm T}}$ $\Delta p_T \Delta p_T < 0$

Fig. 4

 p_{T}

Where $\Delta p_{\mathrm{T,i}} = p_{\mathrm{T,i}} - \langle p_{\mathrm{T}} \rangle$

 \checkmark Sensitive to transverse momentum fluctuations.

Why did we use $R_2 \& P_2$?

✓ Dimensionless quantity ✓ Robust observable^[5]

References

1. B. Sahoo, B. K. Nandi, P. Pujahari, S. Basu, C. Pruneau, Phys. Rev. C 100, 024909 (2019).

2. A. Banfi, G. P. Salam, and G. Zanderighi, JHEP 2010, 38 (2010)

3. ALICE, EPJC 79, 10.1140 (2019)

4. STAR, Phys. Rev. C 72, 044902 (2005)

5. M. Sharma and C. A. Pruneau, Phys. Rev. C79, 024905 (2009)

