

Model independent bounds for elusive DS at ν experiments

(and other high intensity exp.)

Marco Costa
(Scuola Normale Superiore, INFN Pisa)

based on WIP

In collaboration with Rashmish K. Mishra and Sonali Verma

Which Dark Sector?

$$\mathcal{O}_{\text{DS}} \mathcal{O}_{\text{SM}}$$

$$S H^\dagger H$$

MeV-GeV DM

$$F'_{\mu\nu} F^{\mu\nu}$$

For High Intensity exp. constraints:

Batell, Pospelov, Ritz 0906.5614

deNiverville, McKeen, Ritz 1205.3499

deNiverville, Chen, Pospelov, Ritz 1609.01770

Buonocore, Frugiuele, deNiverville 1912.09346

and many many more!

$$H^{c\dagger} \bar{N} l$$

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$$\mathcal{O}_{\text{DS}} \mathcal{O}_{\text{SM}}$$

Contino, Max, Mishra 2012.08537
 Darme, Ellis, You 2001.01490
 Cheng, Li Salvioni 2110.10691

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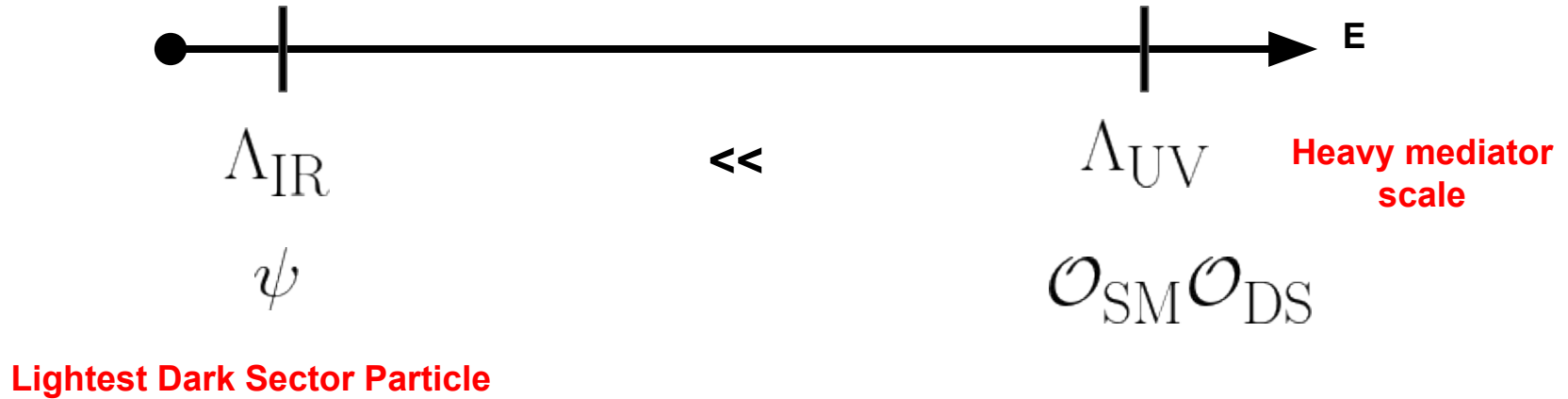
$$H^{c\dagger} \bar{N} l$$

$$\frac{k}{\Lambda_{\text{UV}}^{\Delta-2}} \mathcal{O}_{\text{DS}} H^\dagger H \longrightarrow \text{Elusive}$$

$$\frac{k}{\Lambda_{\text{UV}}^2} H^\dagger \overleftrightarrow{D}_\mu H J_{\text{DS}}^\mu$$

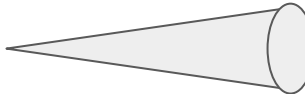
$$\frac{k}{\Lambda_{\text{UV}}^2} J_\mu^{\text{SM}} J_{\text{DS}}^\mu$$

Model independent approach



Model independent approach



$$\mathcal{O}_{\text{DS}}|\Omega\rangle =$$


- weakly coupled states
- dark “gluons”
- ...

A ν perspective

Contino, Max, Mishra 2012.08537

- 1956: Cowan-Reines discover $\bar{\nu}$ CC
- 1973: ν NC discovery at Gargamelle
- 1983 : Z discovered

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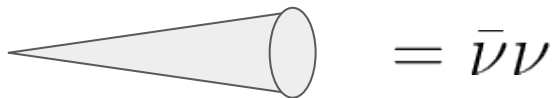
Contino, Max, Mishra 2012.08537

$$\Lambda_{UV} = M_{Z,W} \quad 10^2 \text{ GeV}$$
$$E_{\text{beam}} \approx 450 \text{ GeV}$$
$$\sqrt{s} = 30 \text{ GeV}$$
$$\Lambda_{\text{IR}} = m_\nu \simeq 0$$

A ν perspective

- 1956: Cowan-Reines discover $\bar{\nu}$ CC
- 1973: ν NC discovery at Gargamelle
- 1983 : Z discovered

$$\mathcal{O}_{\text{DS}} = \bar{\nu} \gamma^\mu P_L \nu \quad \mathcal{O}_{\text{SM}} = J_{Z,p}^\mu$$



Contino, Max, Mishra 2012.08537

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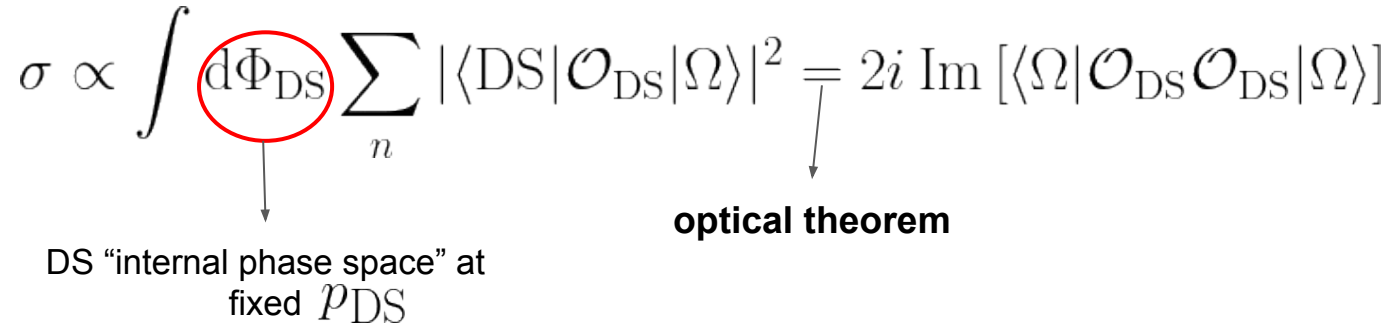
A vertical axis with an upward-pointing arrow at the top and a solid black dot at the bottom. The axis represents the energy scale, with labels for $\Lambda_{\text{UV}} = M_{Z,W}$ at the top, $E_{\text{beam}} \approx 450 \text{ GeV}$ and $\sqrt{s} = 30 \text{ GeV}$ in the middle, and $\Lambda_{\text{IR}} = m_\nu \simeq 0$ at the bottom.

Bounding the models: production

Contino, Max, Mishra 2012.08537

Inclusive Production

$$\sigma \propto \int \text{d}\Phi_{\text{DS}} \sum_n |\langle \text{DS} | \mathcal{O}_{\text{DS}} | \Omega \rangle|^2 = 2i \text{Im} [\langle \Omega | \mathcal{O}_{\text{DS}} \mathcal{O}_{\text{DS}} | \Omega \rangle]$$


The diagram illustrates the components of the inclusive production cross-section formula. A red circle highlights the $\text{d}\Phi_{\text{DS}}$ term in the integral, with an arrow pointing down to the text "DS 'internal phase space' at fixed p_{DS} ". Another arrow points from the sum term $|\langle \text{DS} | \mathcal{O}_{\text{DS}} | \Omega \rangle|^2$ down to the text "optical theorem".

DS "internal phase space" at fixed p_{DS}

optical theorem

Bounding the models: production

Contino, Max, Mishra 2012.08537

Inclusive Production



Model independent

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DS “internal phase space” at
fixed p_{DS}

optical theorem

$$c_{\text{OP}} p_{\text{DS}}^{2\Delta}$$

Conformality

Rest: fixed by \mathcal{O}_{SM} :

Integrate p_{DS}

Bounding the models: detection

Contino, Max, Mishra 2012.08537

Detection: depend on ψ properties

Decay

$$\langle \psi | \mathcal{O}_{\text{DS}} | \Omega \rangle \sim f \Lambda_{\text{IR}}^{\Delta-2}$$

$$f \sim c_{\mathcal{O}} \Lambda_{\text{IR}} / 4\pi$$

portal **fixed**
by spin

BR **inherited**
by \mathcal{O}_{SM} :

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Contino, Max, Mishra 2012.08537

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Scatter

$$\langle \psi_j(p_f) | \mathcal{O}_{\text{DS}} | \psi_i(q_i) \rangle$$

Scattering depend on
splittings, extra form
factors,...

Bounding the models

Contino, Max, Mishra 2012.08537

short CT



- Prompt decays
- Displaced Vertex @ LHC
- Beam dumps (E137)
- Missing energy @ LEP/LHC
- Z/H invisible width
- Missing energy (NA64)
- Rare hadron decays (BESSIII, BaBar, ...)

long CT

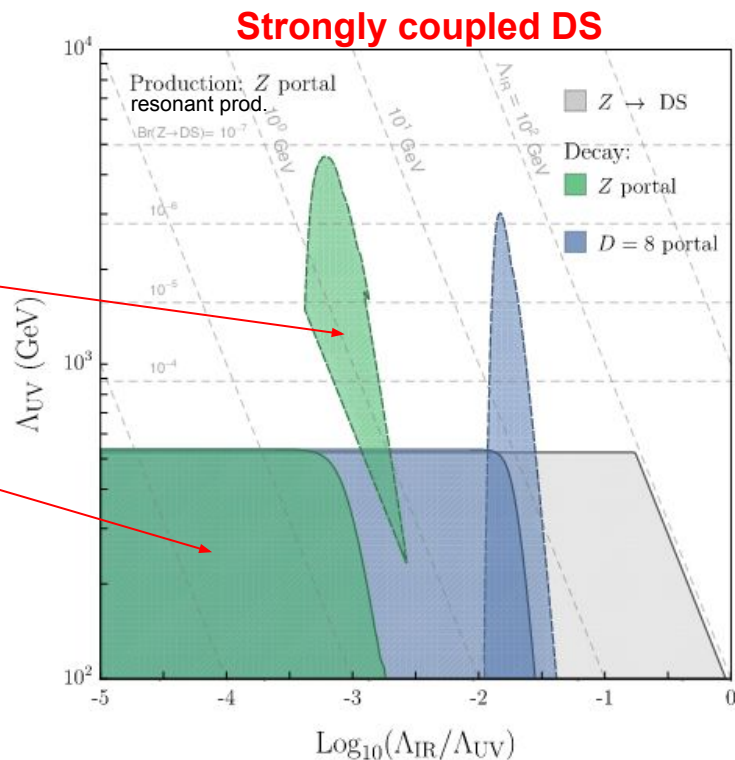
Bounding the models

Contino, Max, Mishra 2012.08537

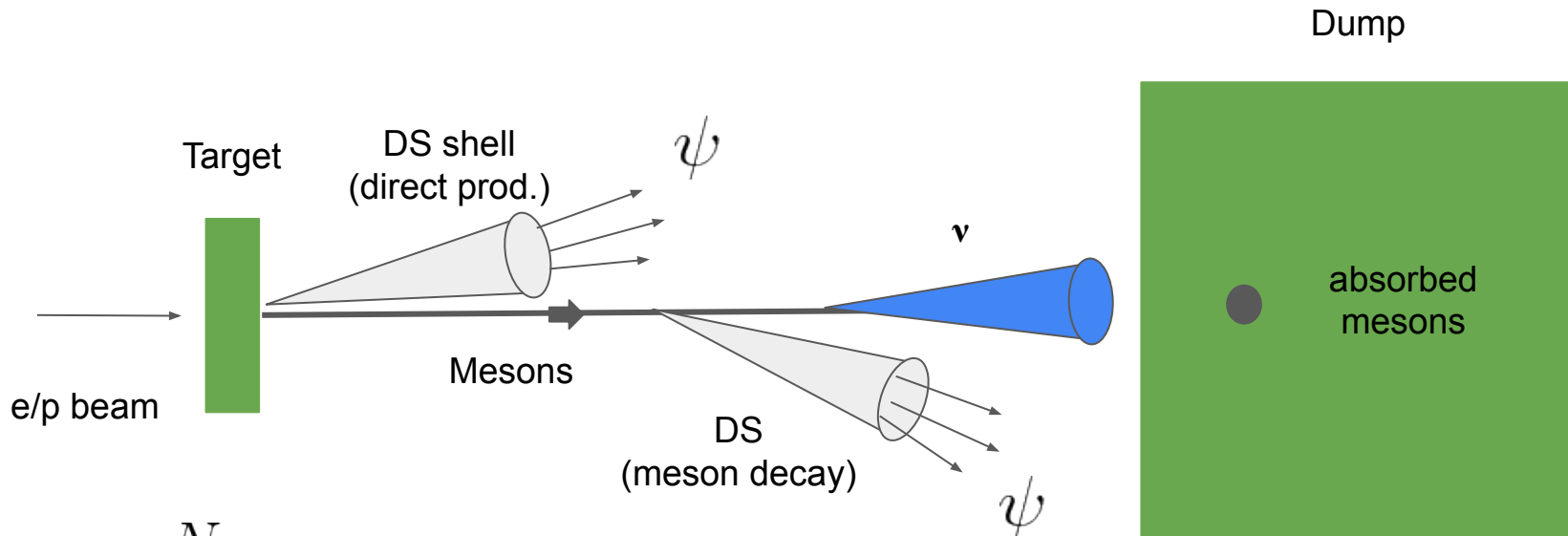
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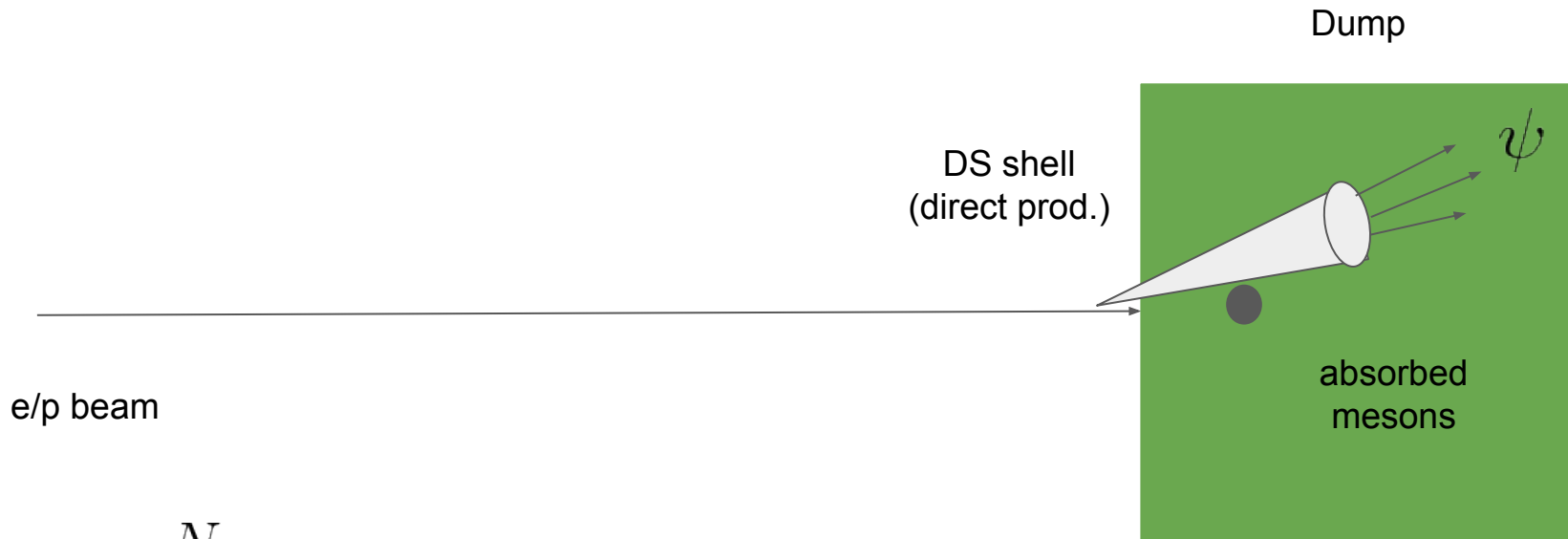


High intensity experiments



$$S \simeq \frac{N_{\text{POT}}}{\sigma_{pN}} \times \sigma_{\text{DS}}$$

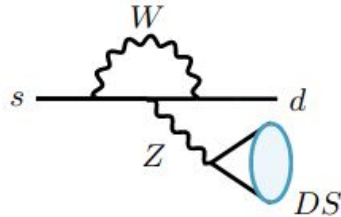
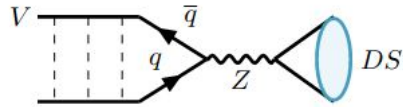
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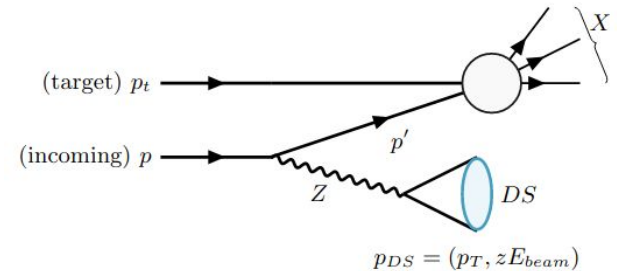
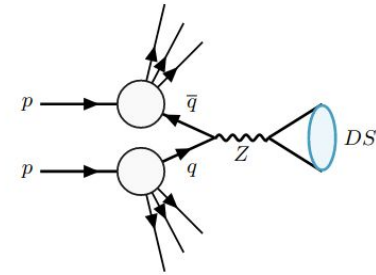
Production modes at ν experiments

Meson decay

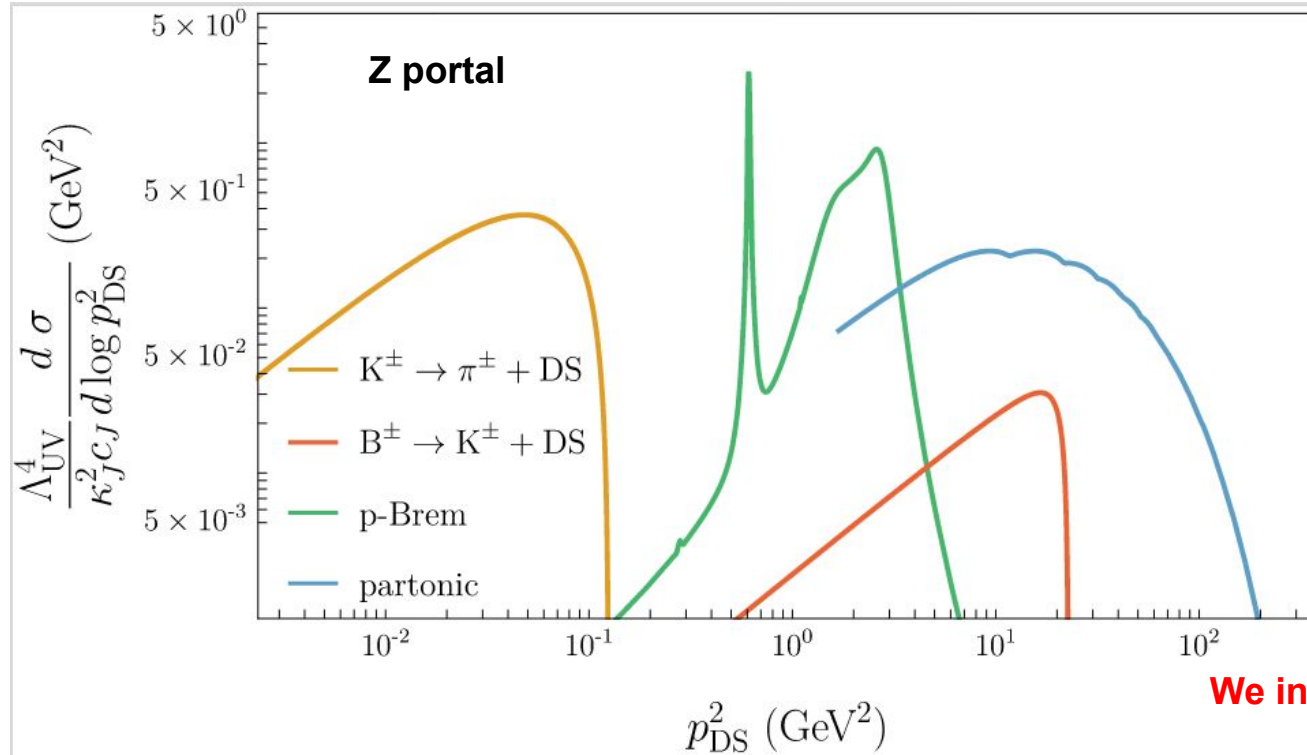


(true for proton beam dumps in general, except for meson production,

“Direct” production

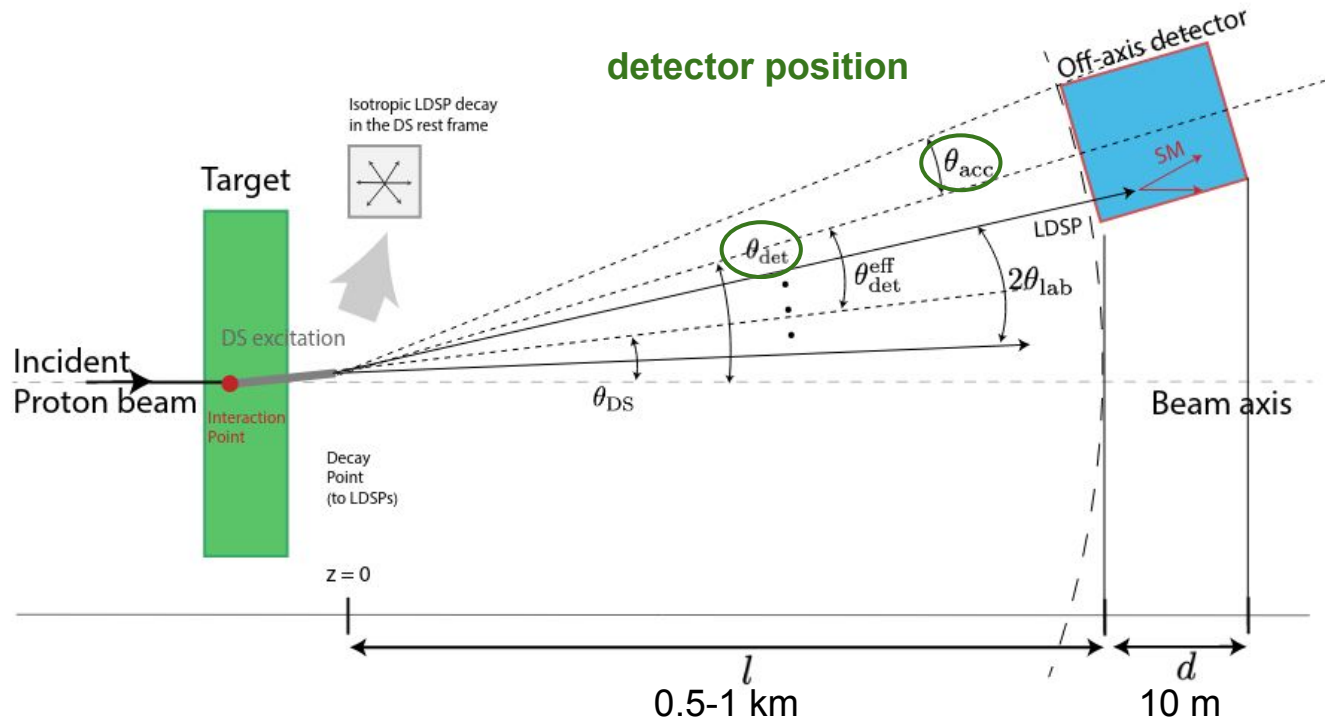


Production modes at ν experiments

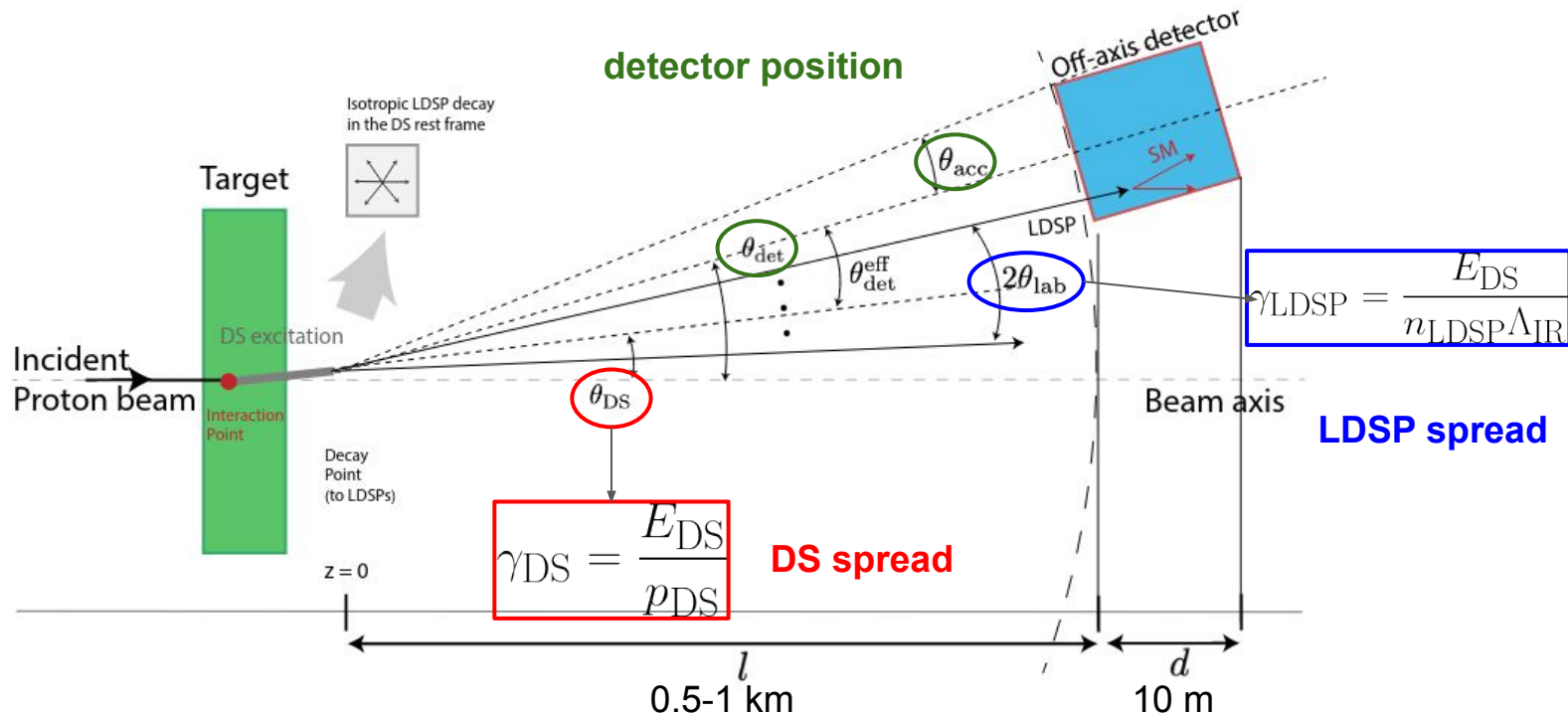


We integrate over p_{DS}

Detection at ν experiments

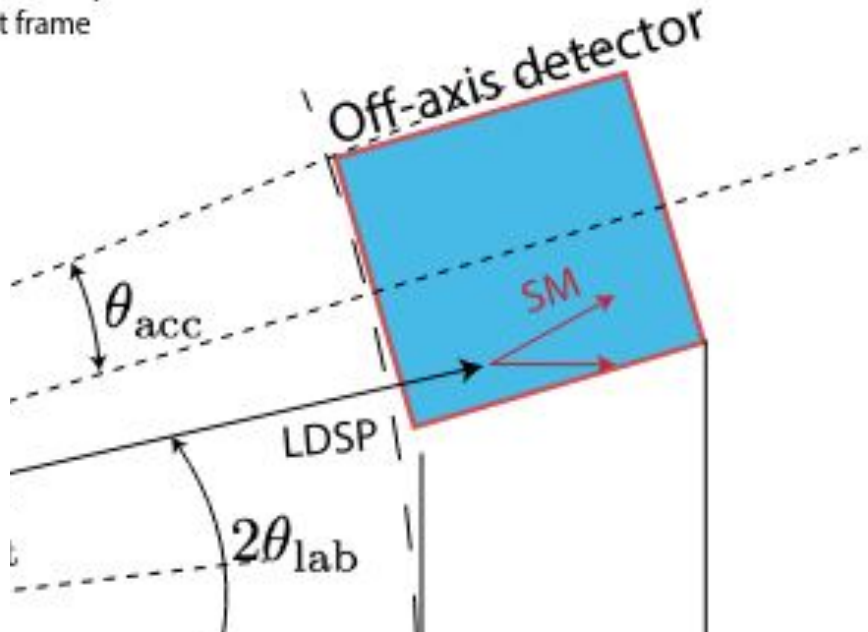


Detection at ν experiments



Detection at ν experiments

Isotropic LDSP decay
in the DS rest frame



Signature:

two separated e⁺e⁻ showers
or
single very energetic
electron signature

(Reducible) backgrounds:

NCQE $\pi^0 \rightarrow$
misreconstructed photons
or
CC events
under control!

Batell, Berger, Ismail 1909.11670
Foroughi-Abari, Ritz 2004.14515
Berryman, de Gouvea, Fox, Kayser, Kelly, Raaf 1912.07622
and others

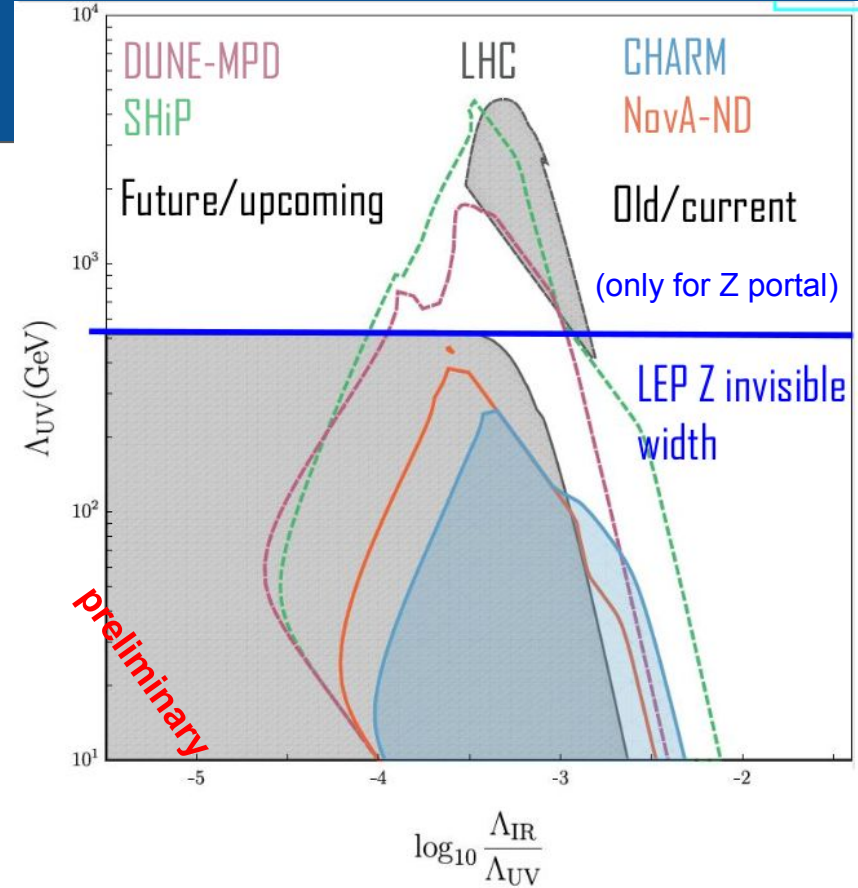
Results

Strongly coupled

10 events line

$$\frac{k}{\Lambda_{UV}^2} H^\dagger \overleftrightarrow{D}_\mu H J_{DS}^\mu \quad \supset \quad v m_Z Z_\mu J_{DS}^\mu$$

$$S \simeq \frac{N_{POT}}{\sigma_{pN}} \times \sigma_{DS} \times n_{DS} P_{dec} \times \epsilon_{geo}$$



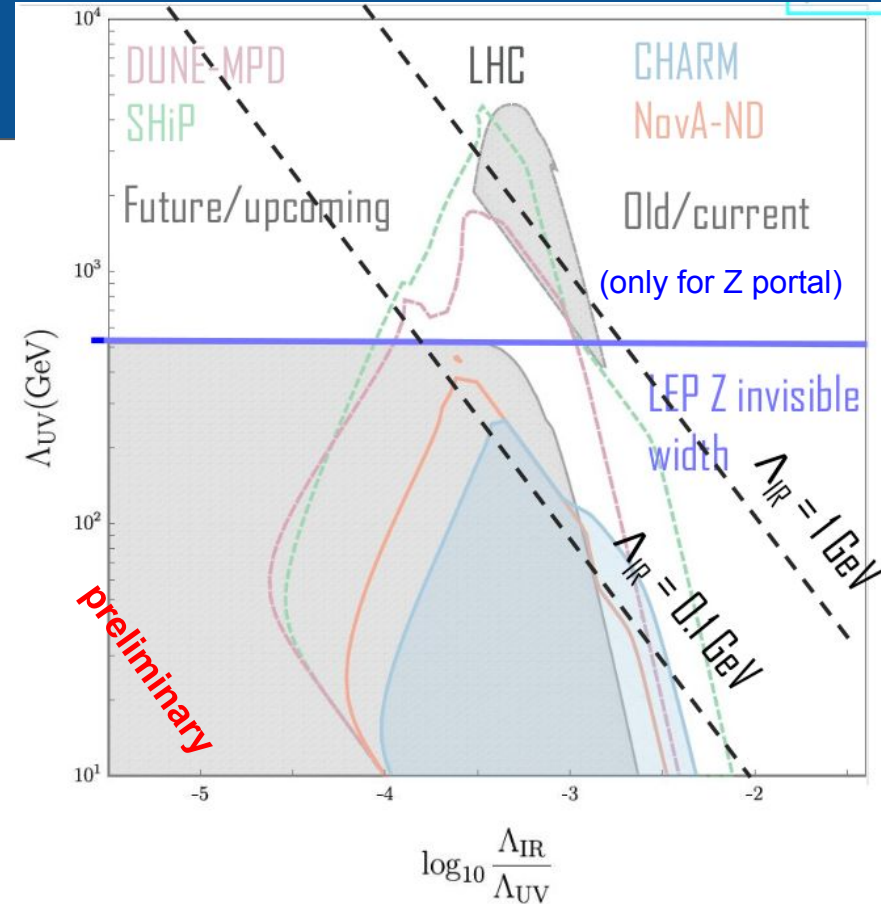
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- **Decay signal**: depends only on spin and magnitude of single form factor

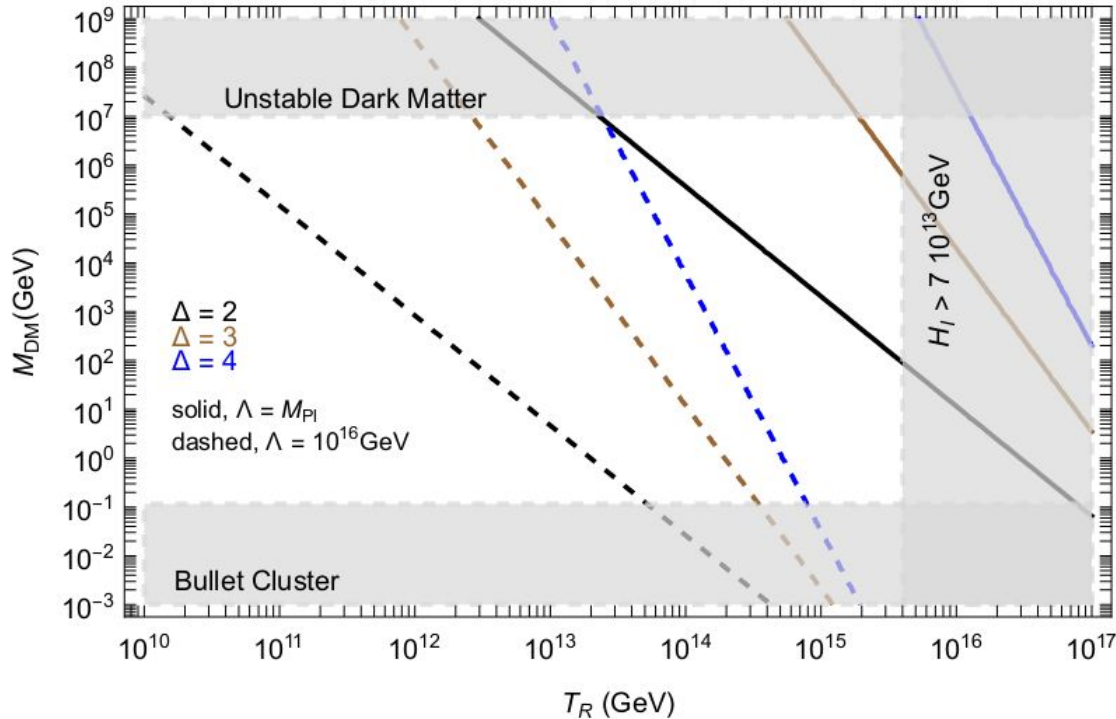
Conclusions

- Many possible light DM models
- Can we study them in a **model independent** way at high intensity/ ν exp.?
- **Production**: **Yes** for elusive DS models
- **Decay signal**: depends only on spin and magnitude of single form factor
- Z portal/JJ portal can be probed at ν exp. (assuming bkg under control)
- Interesting region for masses in .1-1 GeV range.

Thanks for the attention!

Backup

Cosmology



Redi, Tesi 2107.14801

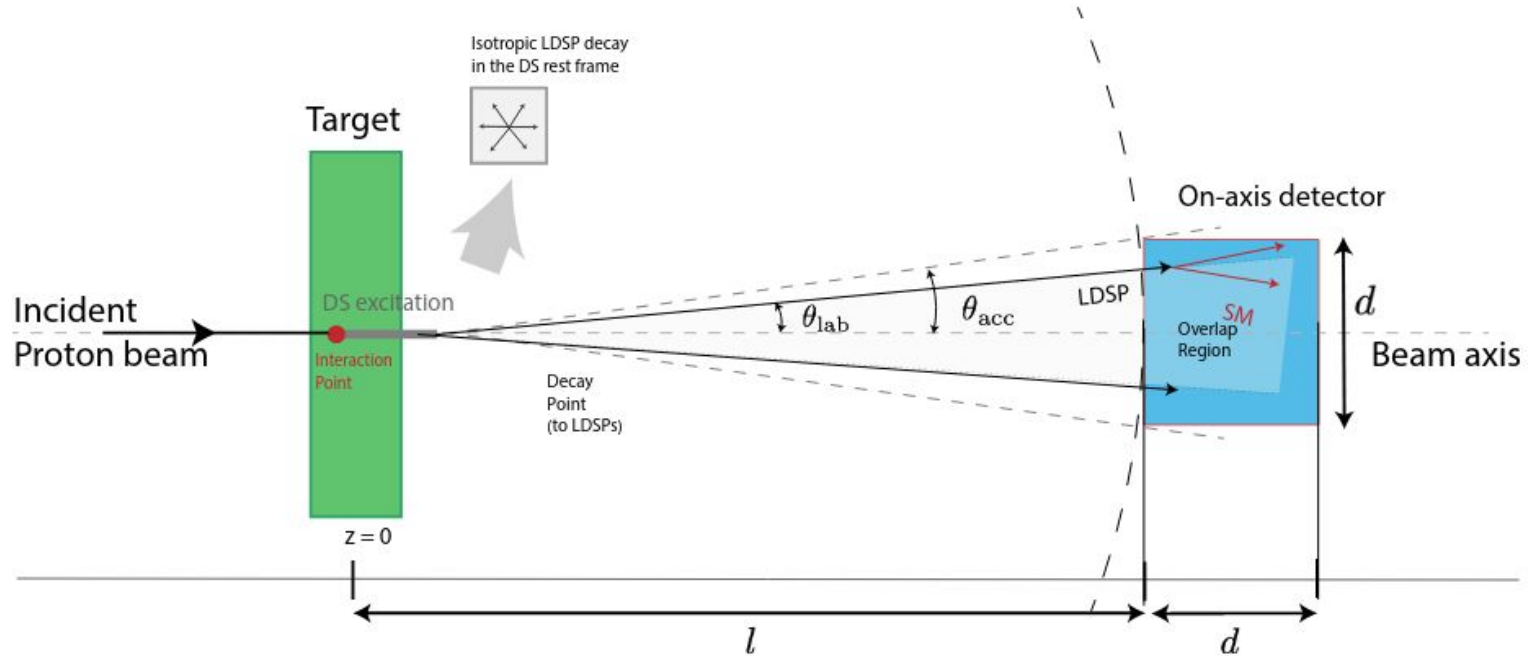
Hong, Kurup, Perelstein 1910.10160

From Redi, Tesi 2107.14801

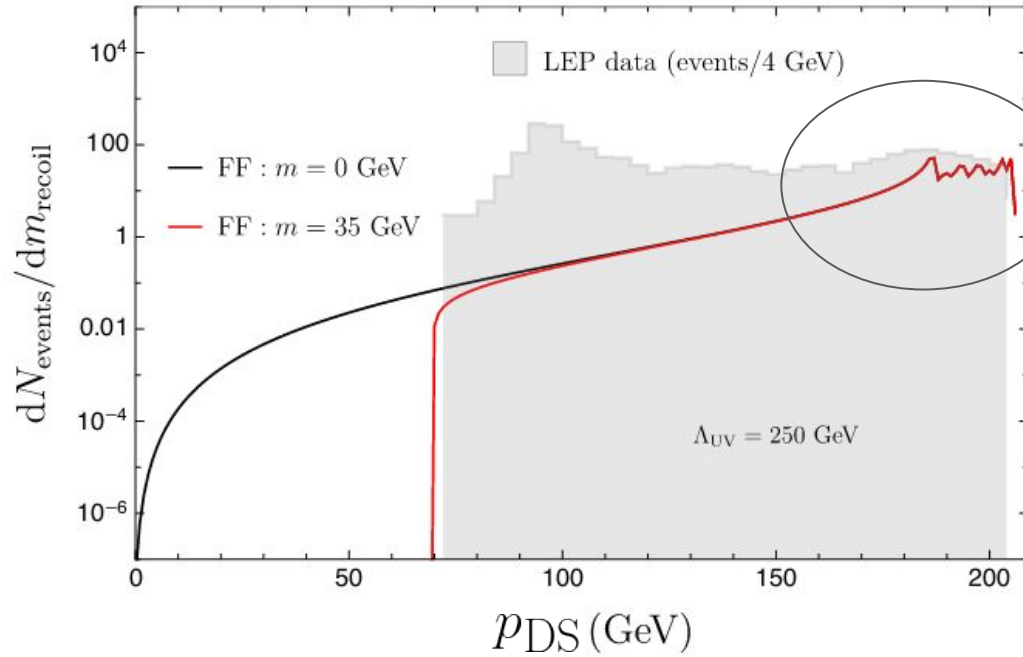
Freeze-in is a possibility
(although for very high cutoffs)

$$f_L H f_R \rightarrow CFT$$

Detection at ν experiments



Production through non-renormalizable portals



From Contino, Max, Mishra
2012.08537

Peak at high p_{DS}

Strongly coupled benchmark

$$\langle n \rangle = A \left(\frac{1}{\log(\langle E \rangle^2 / \bar{\Lambda}^2)} \right)^B \exp \left(\frac{C}{\sqrt{\log(\langle E \rangle^2 / \bar{\Lambda}^2)}} \right), \quad \begin{array}{ll} A = 0.06 & C = 1.8 \\ B = 0.5 & \bar{\Lambda} = 0.1 \Lambda_{\text{IR}} \end{array}$$

From Webber, Phys.Lett.B 143(1984)
501-504