



U.S. DEPARTMENT OF
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Science



Probing hadronization with flavor correlation of leading particles in jets

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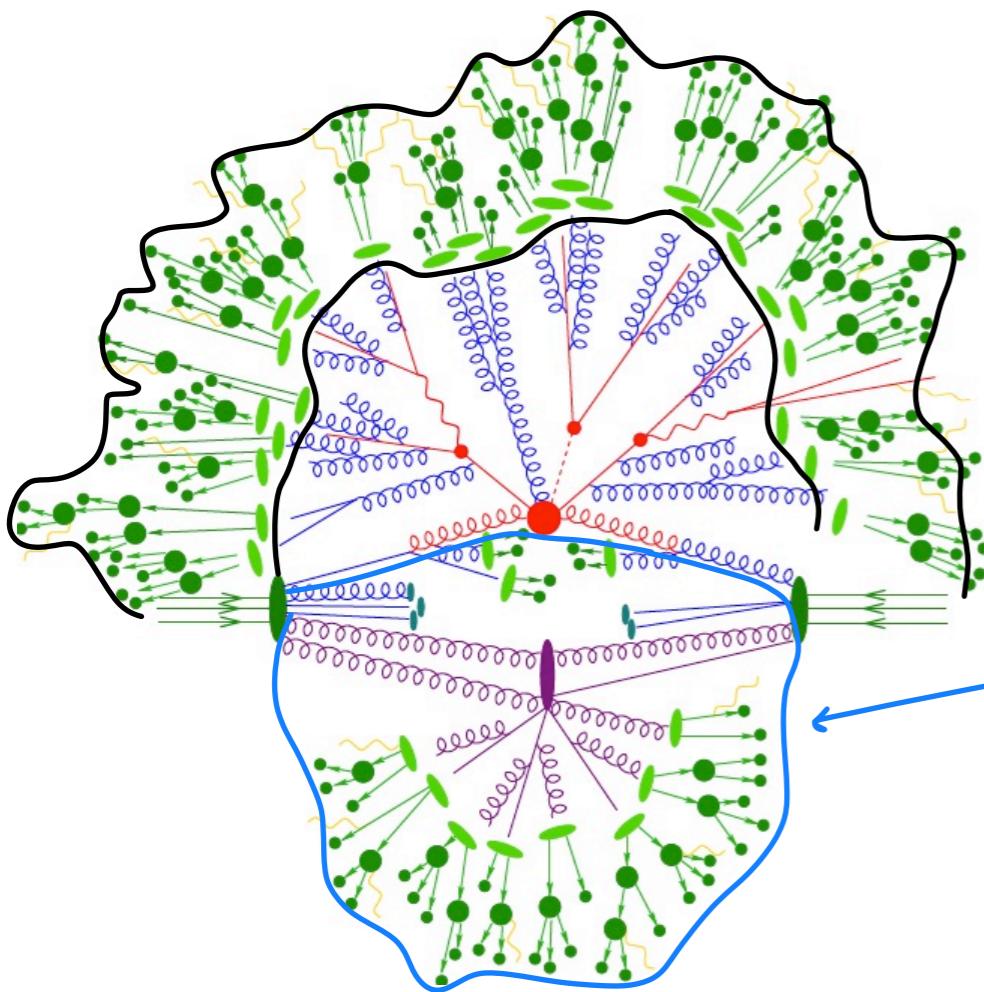
Phys. Rev. D 105 (2022) 5, L051502, and work in progress
In collaboration with Abhay Deshpande, Mriganka Mouli Mondal, George Sterman



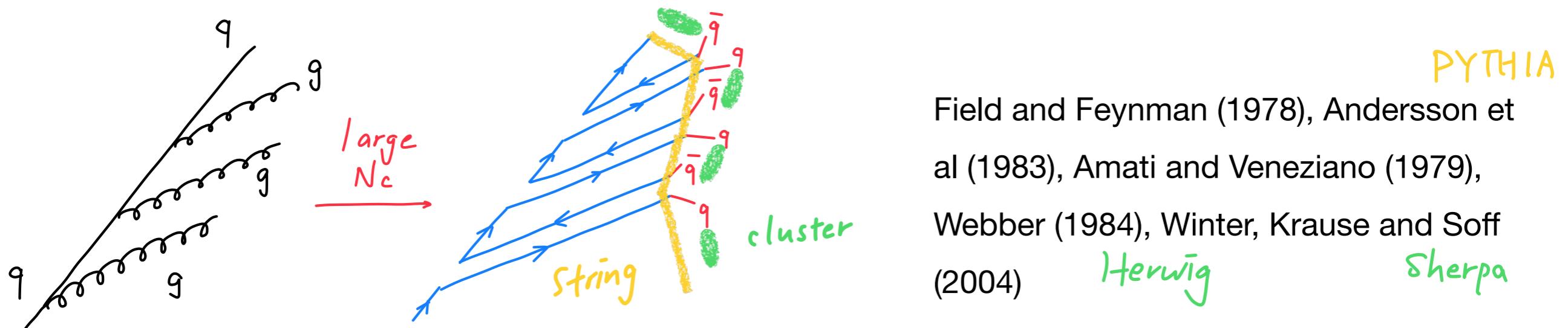
Outline

- Hadronization: mapping partons to hadrons
 - affects flavor and energy flows of the whole event
- Leading and next-to-leading hadrons within a jet
- Charge correlation r_c and its evolution
- Monte Carlo studies with PYTHIA and Herwig
- Conclusions

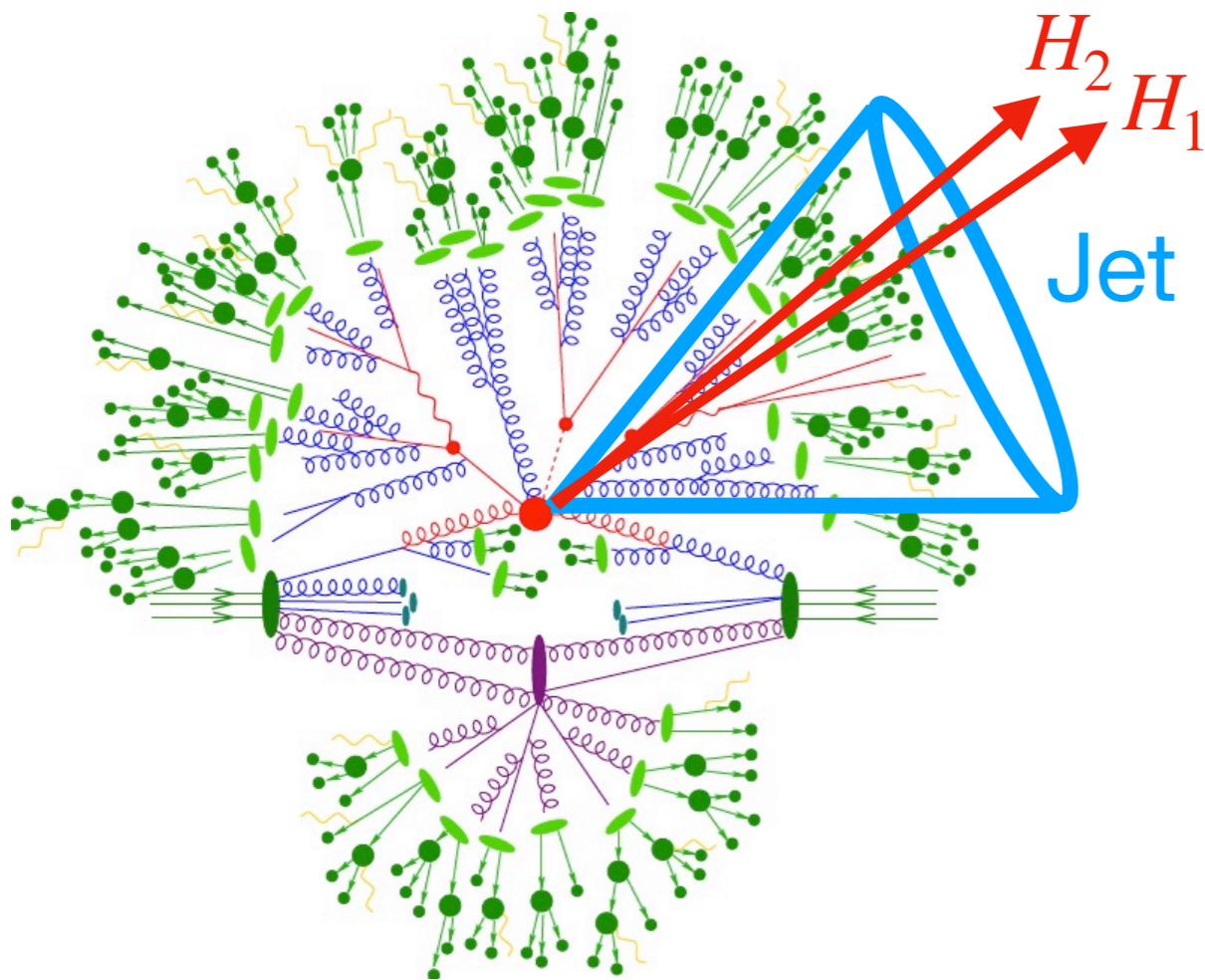
Challenges in hadronization studies



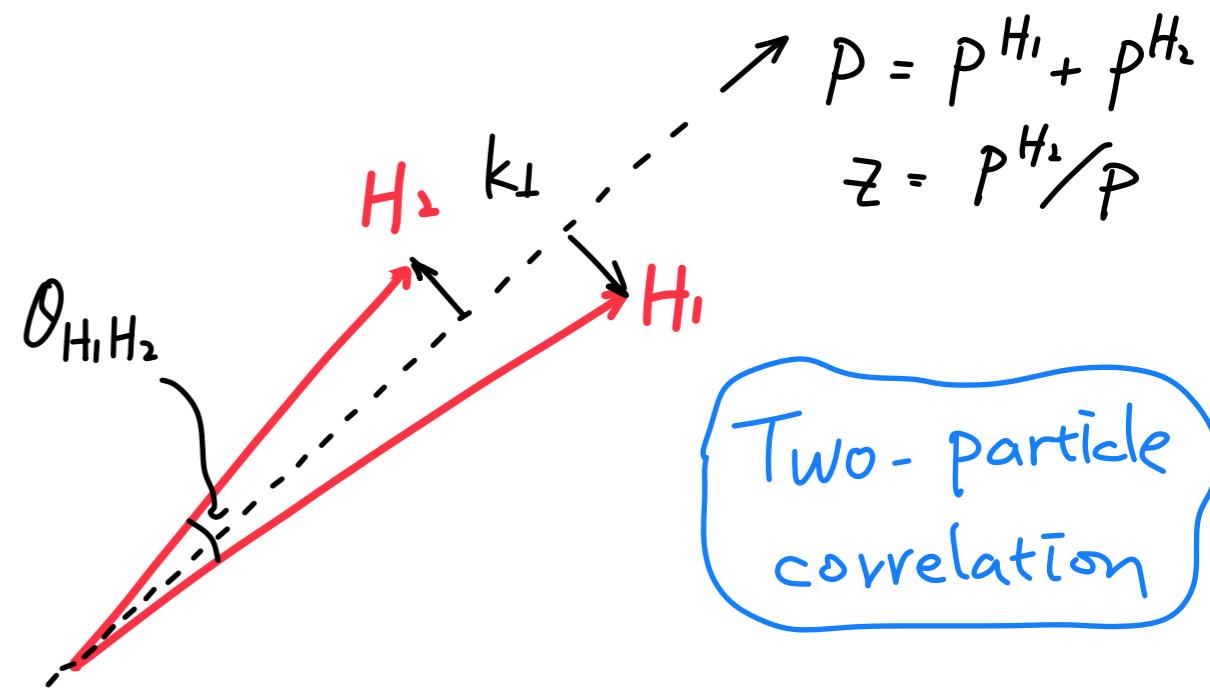
- Hadronization is nonperturbative and requires phenomenological modelings
- High energy collisions involve complicated partons and hadrons distributions
- Initial state radiation, underlying events and target fragmentation in hadron collisions include even larger phase space
- How can we identify microscopic details of hadronization?



Leading and next-to-leading hadrons



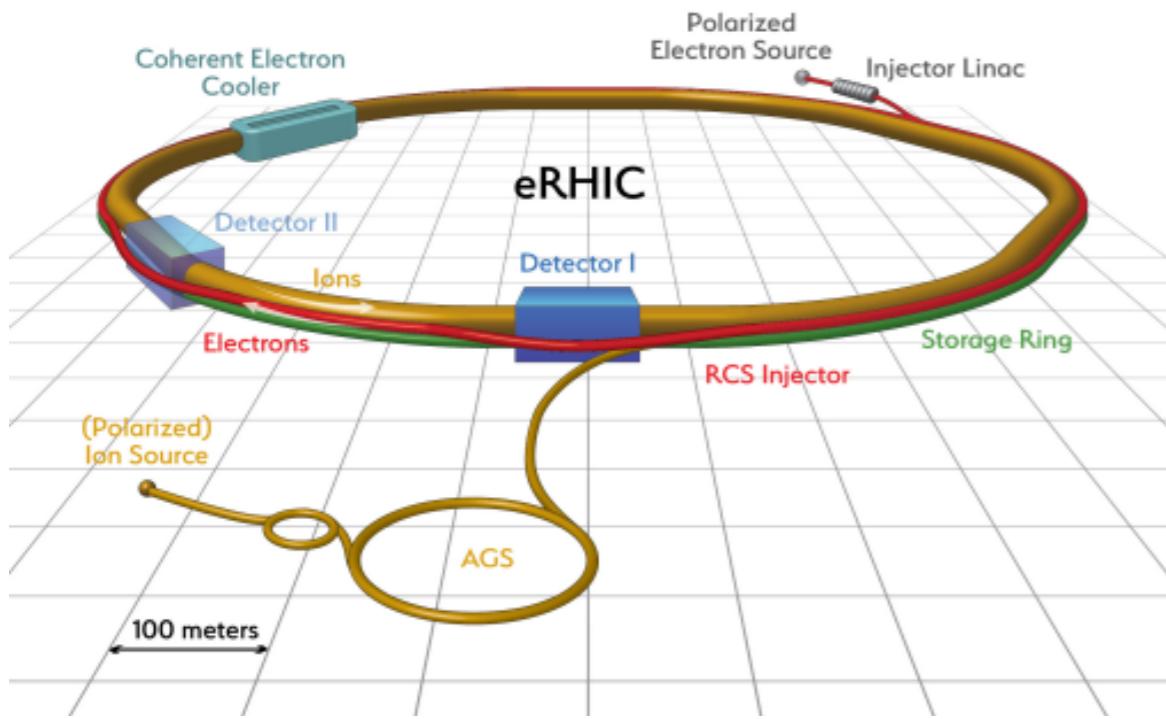
H_1 : leading hadron
 H_2 : next-to-leading hadron



- Focus exclusively on
 - collinear regions around dominant energy flows: jets
 - energetic hadrons since soft hadrons are abundant and hard to disentangle their origins

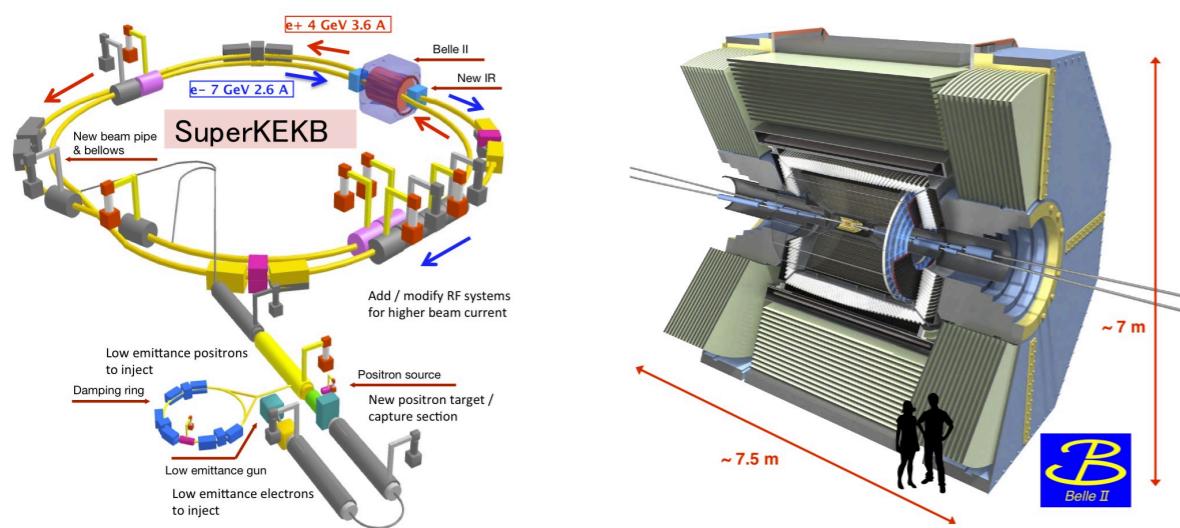
Hadronization of most energetic partons

Electron Ion Collider



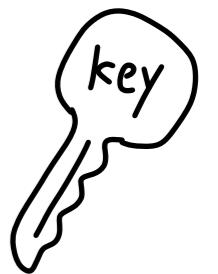
EIC Yellow Report, arXiv: 2103.05419

- A collider covering low and intermediate energy regions is ideal: “how jets emerge”
- We want some perturbative emissions but not too many, or observables not directly affected by these emissions
- We need excellent particle identification for leading particles
- A control over spin and polarization d.o.f. will allow a complete tagging of partonic quantum numbers
- Target hadronization in DIS



Belle II data is also a great opportunity

Particle ID
High statistics



Charge correlation

Convention: $h_1 h_2$ same sign

$$r_c(X) = \frac{d\sigma_{h_1 h_2}/dX - d\sigma_{h_1 \bar{h}_2}/dX}{d\sigma_{h_1 h_2}/dX + d\sigma_{h_1 \bar{h}_2}/dX}$$

TASSO (1985), CERN ISR (1979), LEP
(1984), NA22 (1989), Bass, Danielewicz
and Pratt (2000)

$-1 \leq r_c \leq 1$

$r_c \rightarrow -1$ when $d\sigma_{h_1 \bar{h}_2} \gg d\sigma_{h_1 h_2}$

$r_c \rightarrow 0$ when H_2 not correlated with H_1

↑
"Balance function"
as a function of
rapidity, inclusive

- Leading dihadron correlation: conditional probability of observing H_2 in the presence of H_1
- Comparing the cross sections of $h_1 h_2$ and $h_1 \bar{h}_2$ to quantify the flavor constraints
- Evolution of r_c w.r.t. kinematic phase space X

We focus on two novelties :

- ① Leading dihadrons exclusively
- ② Dependence on X : $z, k_\perp, T_{\text{form}}, \dots$

Monte Carlo samples

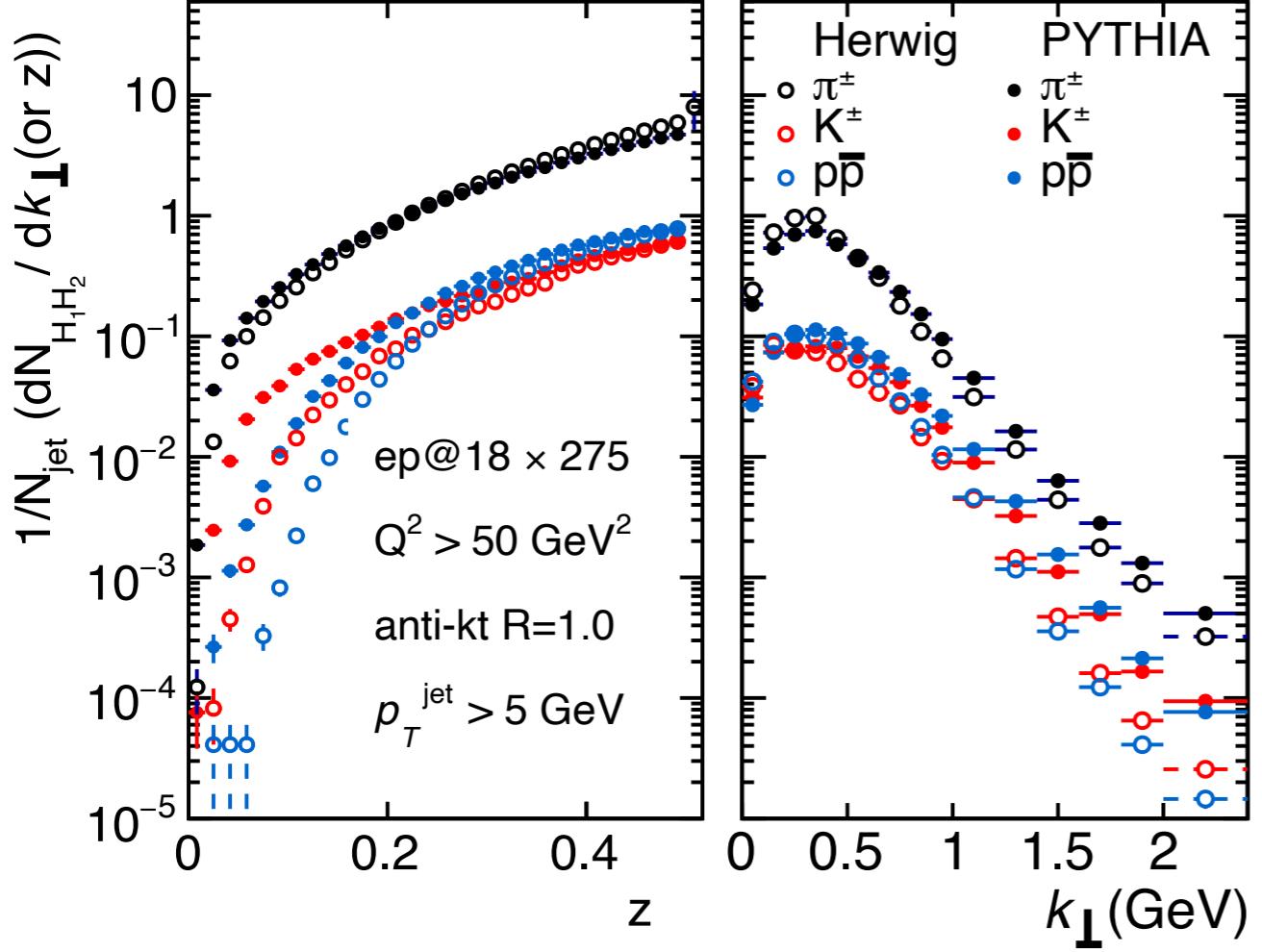
- 18 GeV electron beam + 275 GeV proton beam
- PYTHIA 6.428 and Herwig 7.1.5
- Impose $Q^2 > 50 \text{ GeV}^2$ so that we have higher p_T jets
- 10 million events
- Jets: $p_T^{\text{particle}} > 0.2 \text{ GeV}$, $-1.5 < \eta < 3.5$, anti- $k_t R = 1.0$, $p_T^{\text{jet}} > 5 \text{ GeV}$

Mostly these jets are from struck quarks
dominated by valence u and d quarks

highest design energy

relatively high P_T at
EIC energy

Leading dihadron kinematics

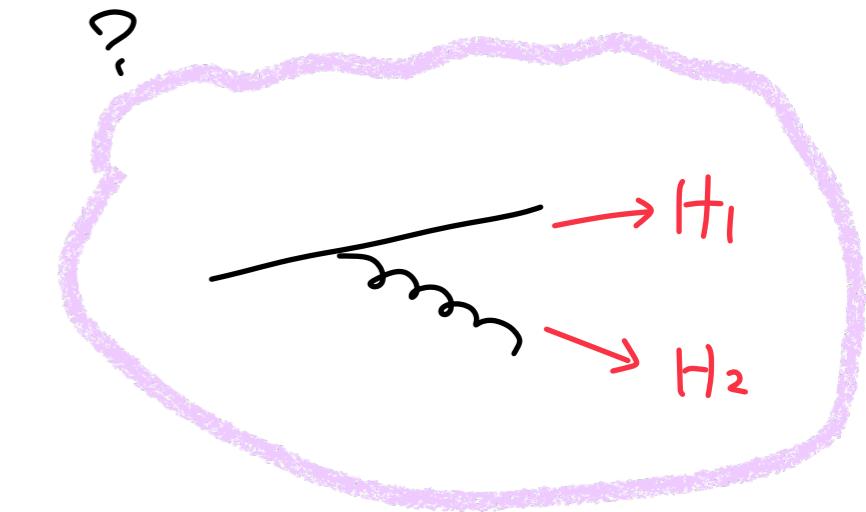
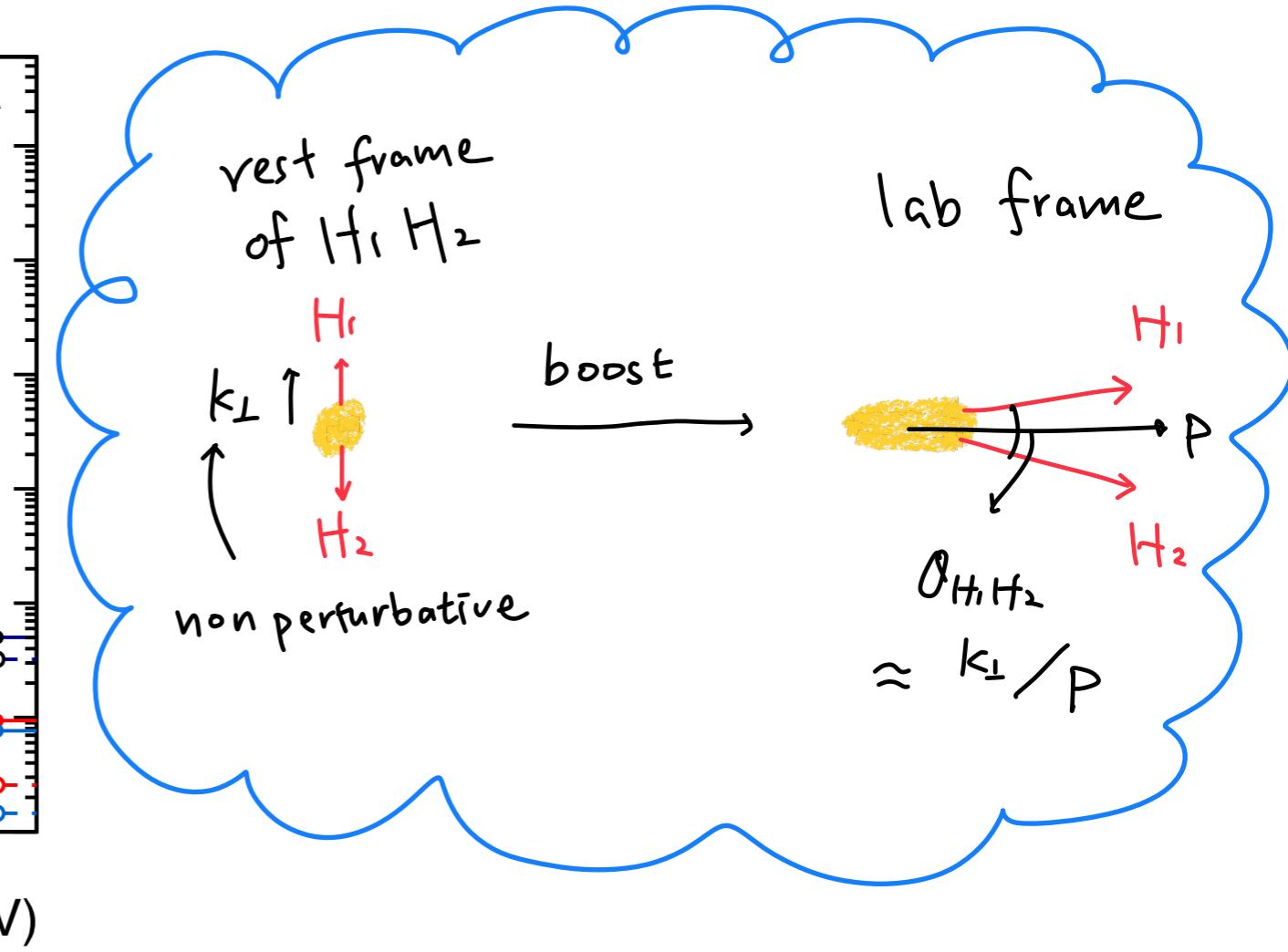


- z maximizes at $z = 0.5$, not from perturbative splitting
- Characteristic low k_{\perp} and cross section falling exponentially

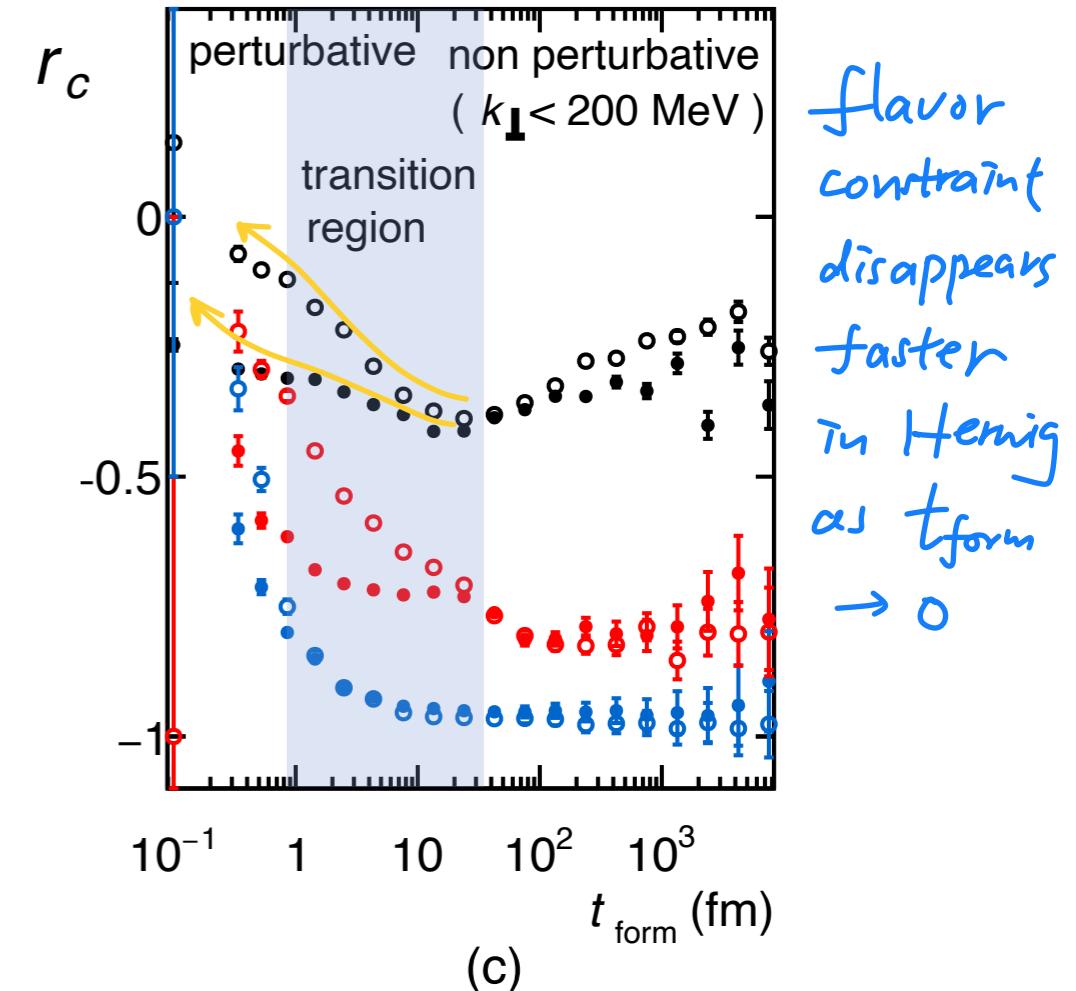
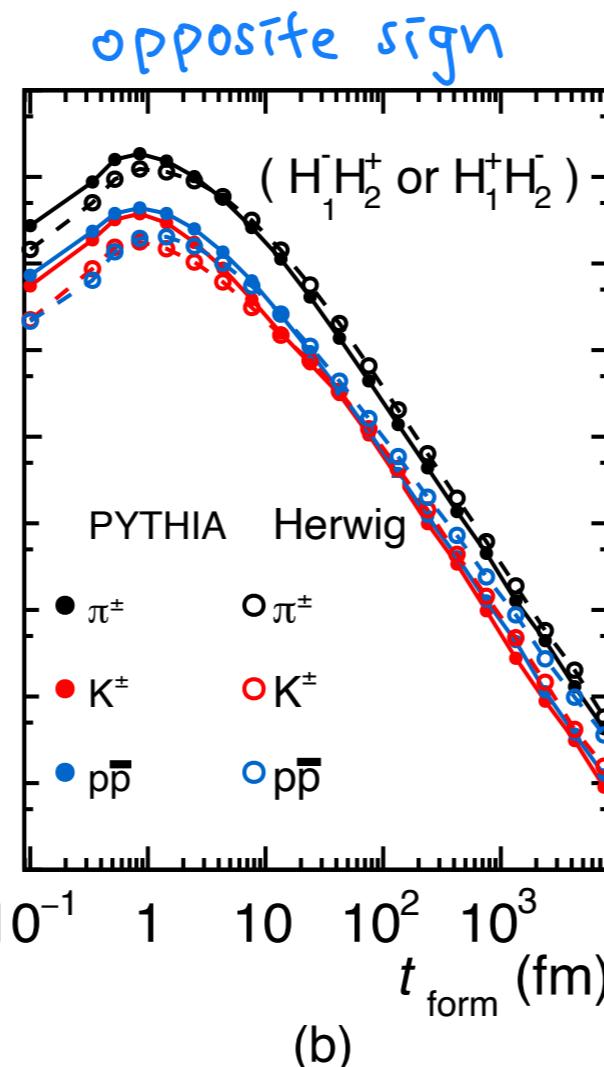
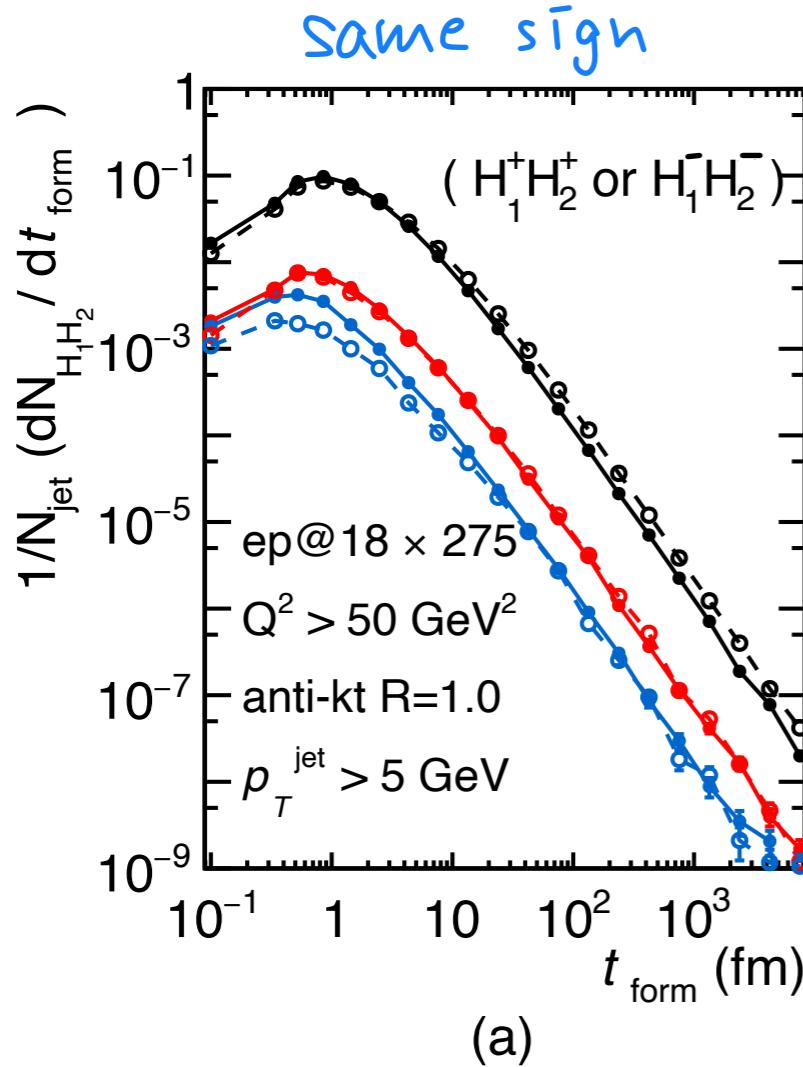
Altarelli-Parisi

$$\propto \frac{1}{z}$$

$$\propto \frac{1}{k_{\perp}}$$



Leading dihadron formation time



$$t_{\text{form}} = z(1-z)p/k_\perp^2$$

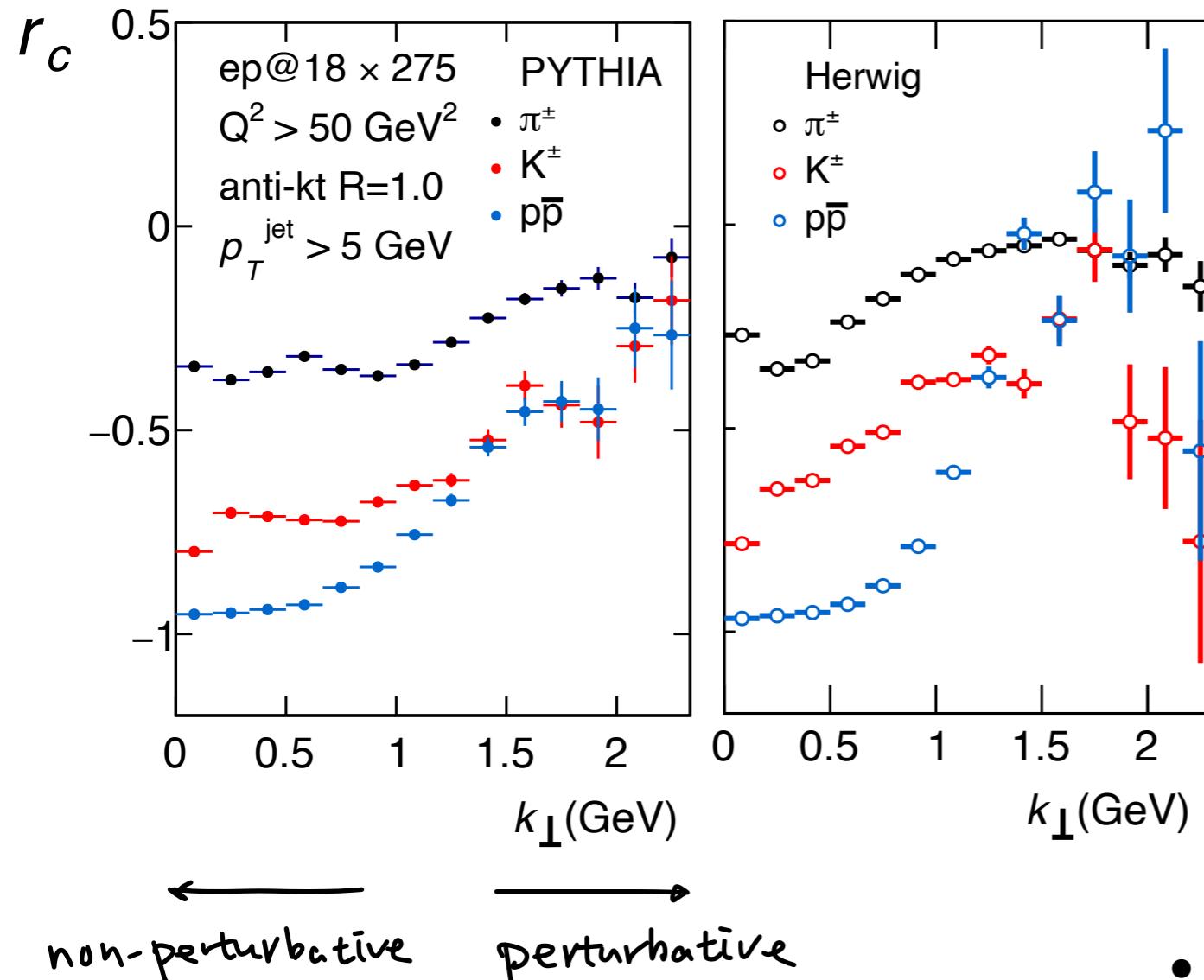
$\left(\frac{1}{k_\perp}\right)^{\text{ss}} \times \left(\frac{P}{k_\perp}\right)$

proper time Lorentz boost

- Formation time peaks around 1 to 10 fm
- $|r_c|$ maximizes at large formation time
- Significant difference between PYTHIA and Herwig

more "local"

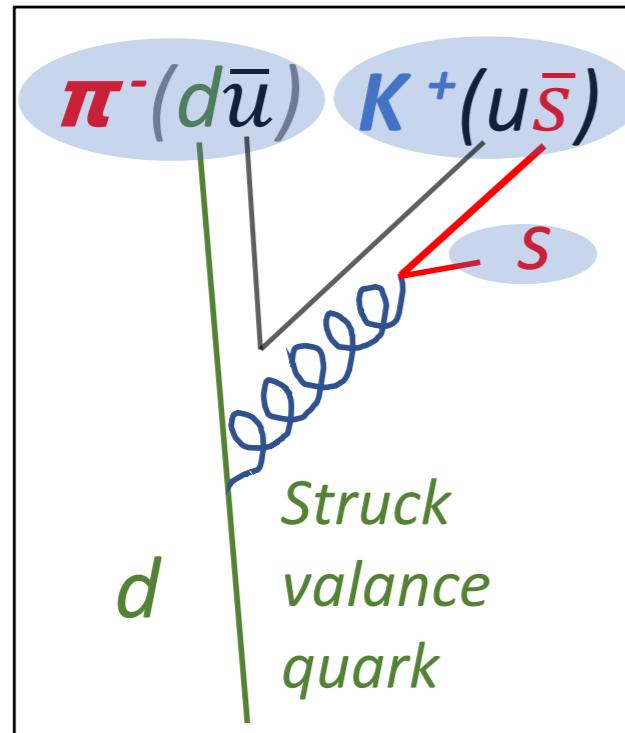
Leading dihadron relative k_\perp



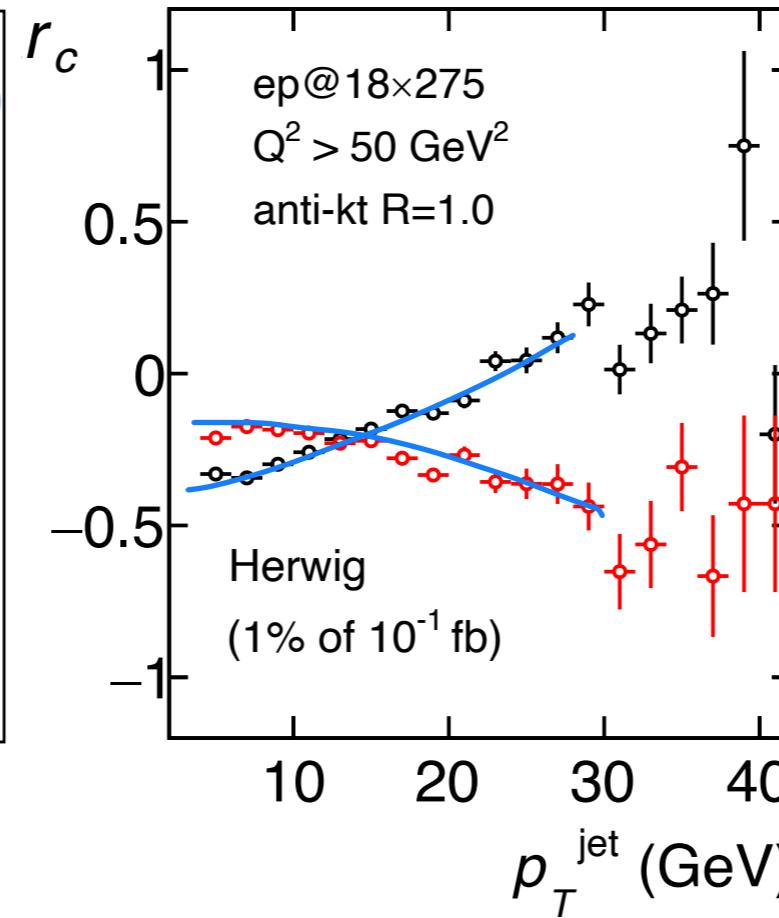
- $|r_c|$ maximizes at small k_\perp and decreases as k_\perp increases on the scale of 1-2 GeV
- Suggesting strong nonperturbative correlation at play

Flavor tagging and πK correlation

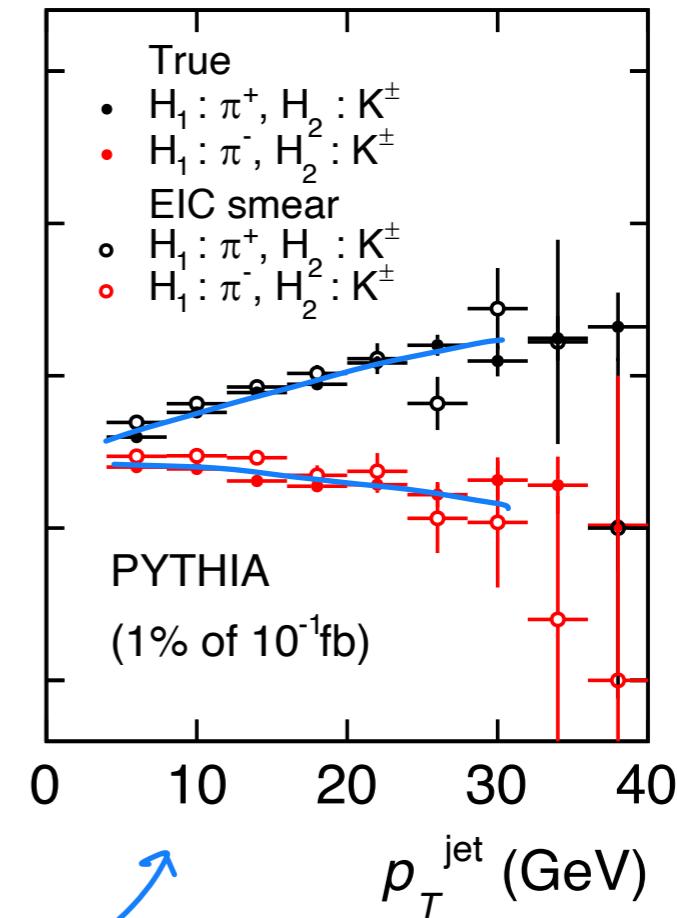
* πK separation required.



(a)



(b)



(c)
significant difference

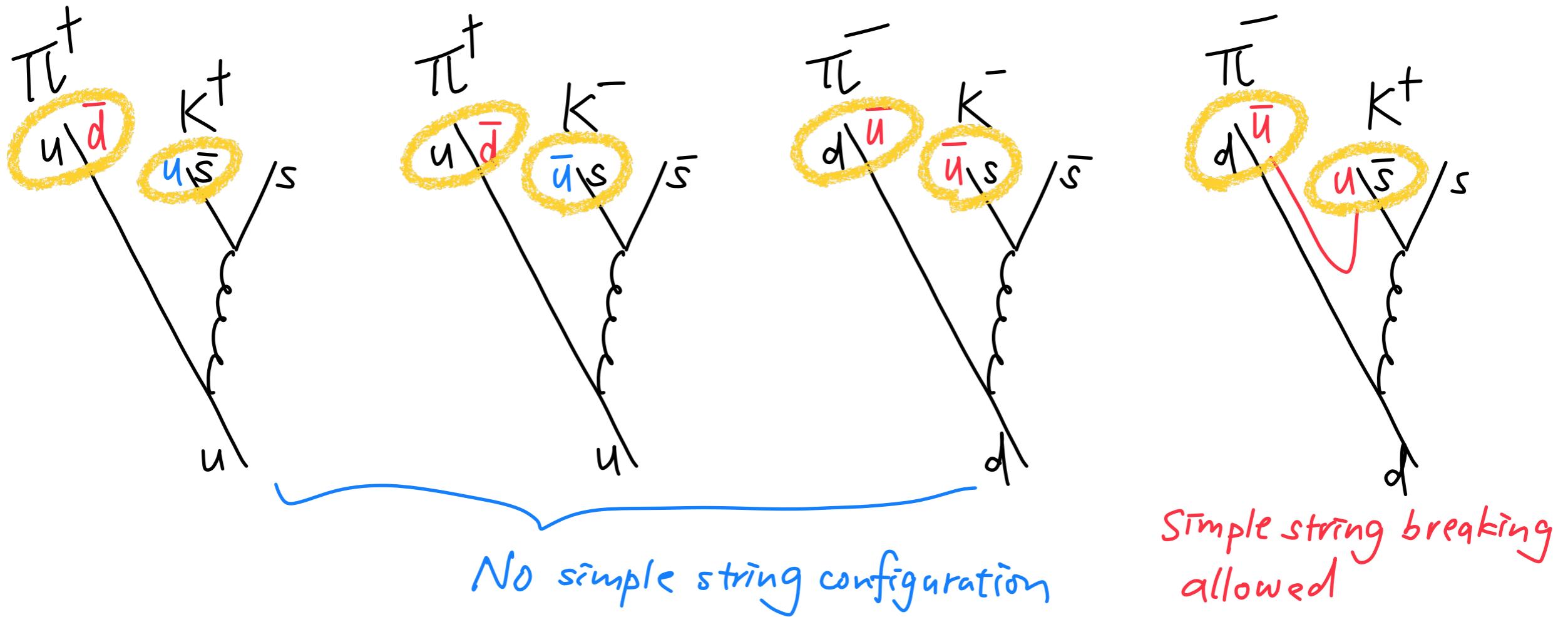
$$H_1 = \pi^- \text{ Red: } \gamma_c = \frac{\sigma_{\pi^- K^-} - \sigma_{\pi^- K^+}}{\sigma_{\pi^- K^-} + \sigma_{\pi^- K^+}}$$

$$H_1 = \pi^+ \text{ Black: } \gamma_c = \frac{\sigma_{\pi^+ K^+} - \sigma_{\pi^+ K^-}}{\sigma_{\pi^+ K^+} + \sigma_{\pi^+ K^-}}$$

- Excellent agreement between EIC smear and true distributions

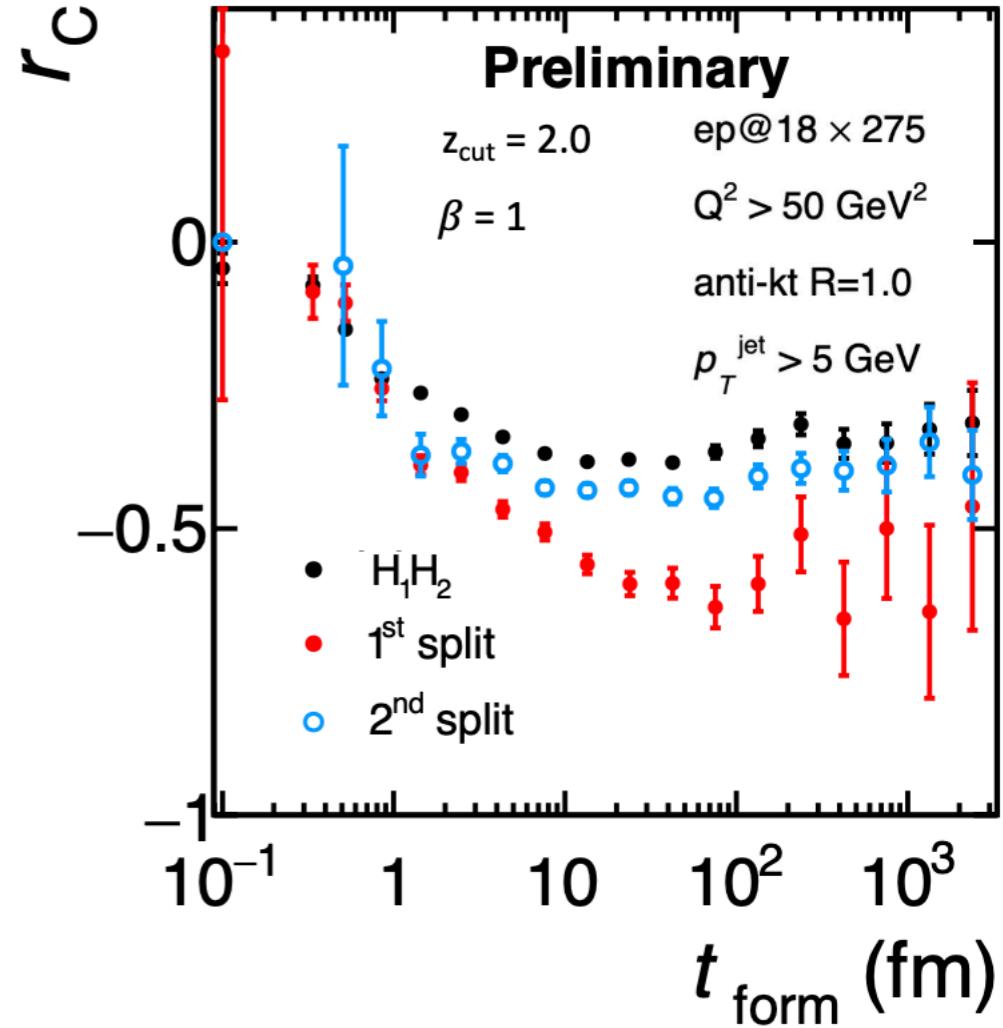
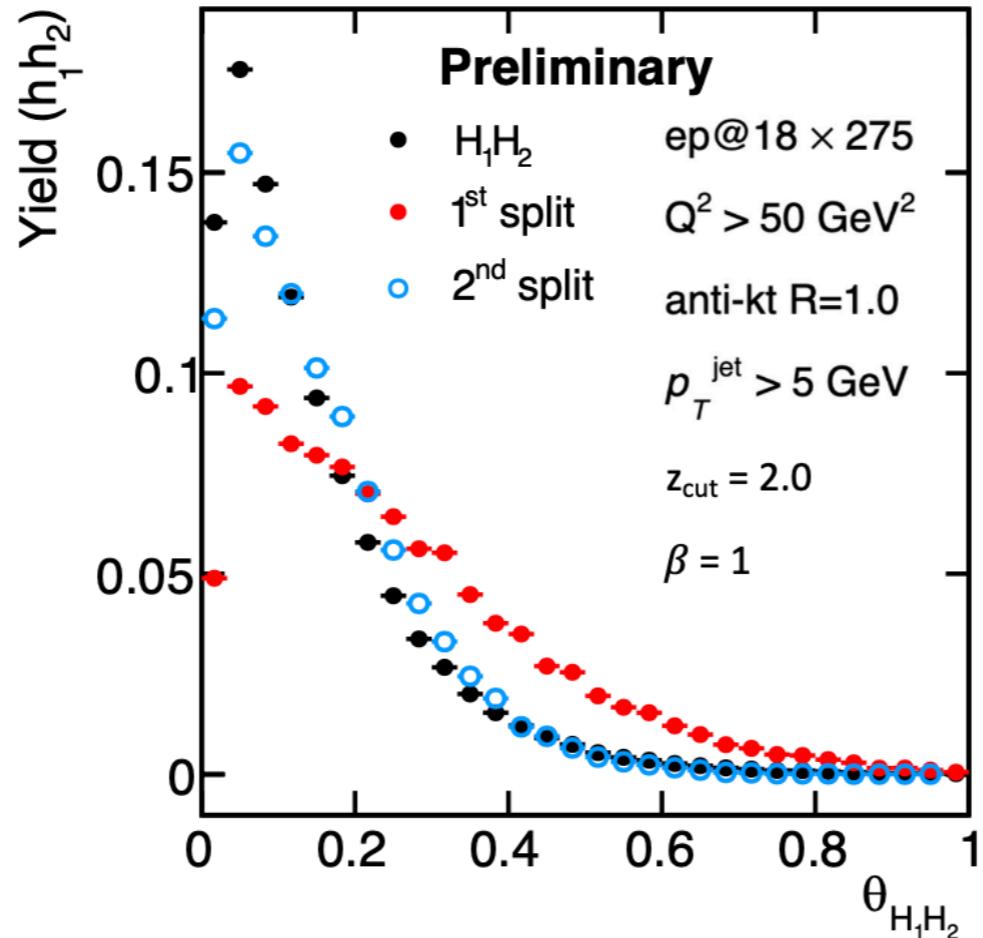
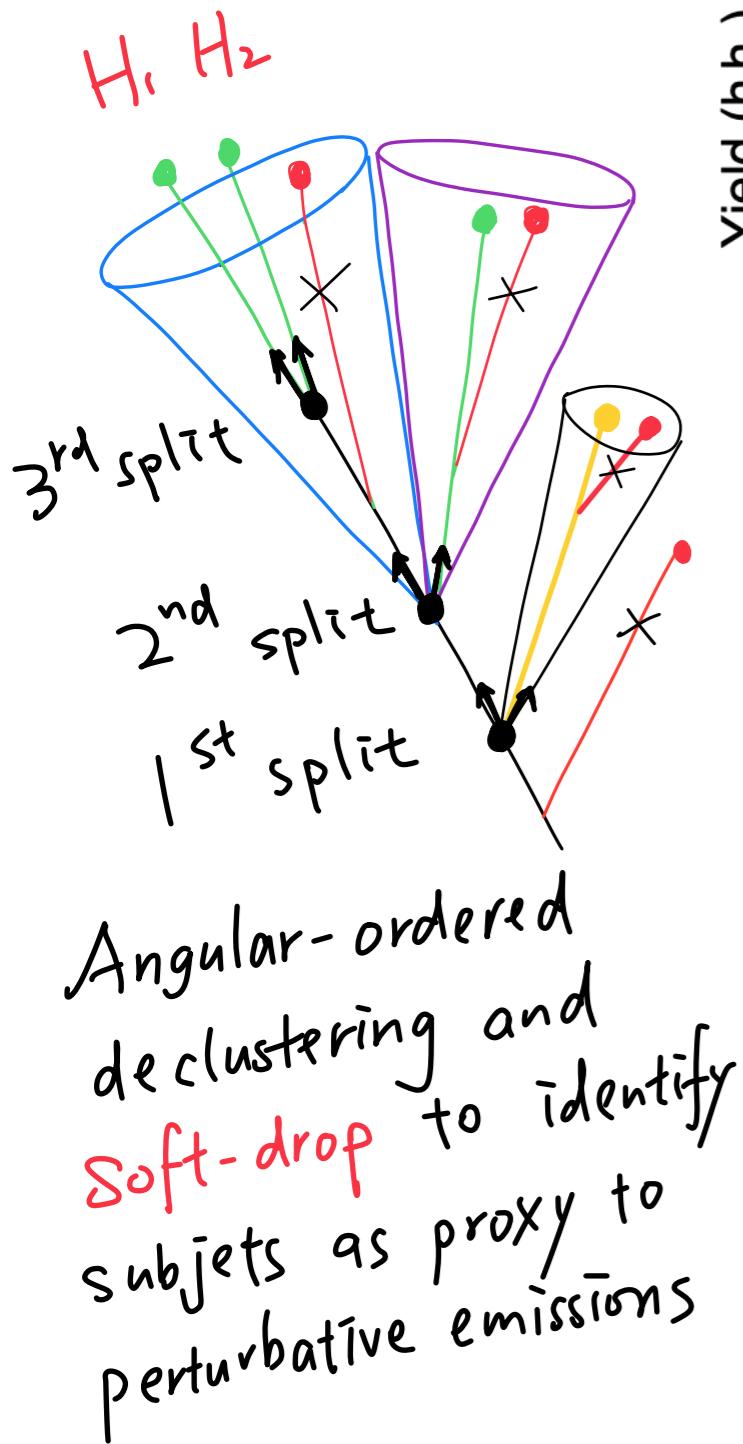
measurable at EIC

Flavor constraints



Therefore $\pi^- K^+$ is preferred in string hadronization compared to $\pi^- K^+$, resulting in large $|r_c|$. Cluster hadronization shows different flavor constraints.

Correlating leading dihadrons and subjets



- * H_1H_2 typically surrounded by perturbative emissions
- * Charge correlation maximizes when H_1H_2 appears to be isolated, i.e. resolved at 1st split.

Conclusions

- Leading dihadron correlation is nonperturbative and can illuminate intrinsic features of hadronization
- Besides energy tagging, flavor tagging can be a powerful tool for studying hadronization
- Excellent particle identification and abundant statistics are essential
- Evolution of leading dihadron correlation w.r.t. kinematic variables, as well as hadron-subjet correlation can be used to study perturbative and nonperturbative transition

Opportunities for precision QCD physics in hadronization at Belle II -- a snowmass whitepaper

[A. Accardi](#), [Y. T. Chien](#), [D. d'Enterria](#), [A. Deshpande](#), [C. Dilks](#), [P. A. Gutierrez Garcia](#), [W. W. Jacobs](#), [F. Krauss](#), [S. Leal Gomez](#), [M. Mouli](#), [Mondal](#), [K. Parham](#), [F. Ringer](#), [P. Sanchez-Puertas](#), [S. Schneider](#), [G. Schnell](#), [I. Scimemi](#), [R. Seidl](#), [A. Signori](#), [T. Sjöstrand](#), [G. Sterman](#), [A. Vossen](#)