Recent Developments on the Statistical Treatment of Flavour Tagging Uncertainties in ATLAS

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# Flavour tagging calibration & uncertainties in ATLAS

#### 1. b-tagging Scale Factor (SF)

B-tagging is an algorithm to identify b-jets. Its efficiency for b-flavour jets is defined as:

$$\epsilon_f = \frac{\text{# of jets identified as b-jets}}{\text{Total # of jets}}$$

Similar quantities for charm and light jets are referred to as the mis-tag rates.

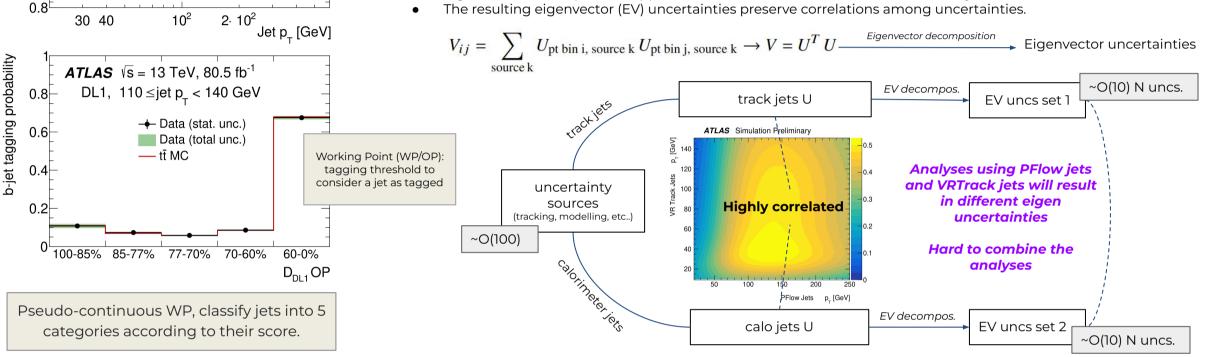
The efficiency in MC is corrected by the scale factors to match that in data:

$$SF(p_T) = \frac{\epsilon_{data}}{\epsilon_{MC}}(p_T)$$

The j-th uncertainty associated to the SF in the i-th  $p_{T}$  bin will be denoted as U...

### 2. Eigenvector Decomposition

- A Method to reduce the number of b-tagging uncertainties in physics analyses.
- Eigenvector decomposition applied to the covariance matrix V built from the systematic variations U.
- The resulting eigenvector (EV) uncertainties preserve correlations among uncertainties.



## **Eigenvector recomposition**

Need lower # of b-tagging uncs. & original b-tagging uncertainties ⇒ Eigenvector recomposition

**ATLAS**  $\sqrt{s} = 13 \text{ TeV}, 80.5 \text{ fb}^{-1}$ 

DL1,  $\varepsilon_b = 70\%$  single-cut OP

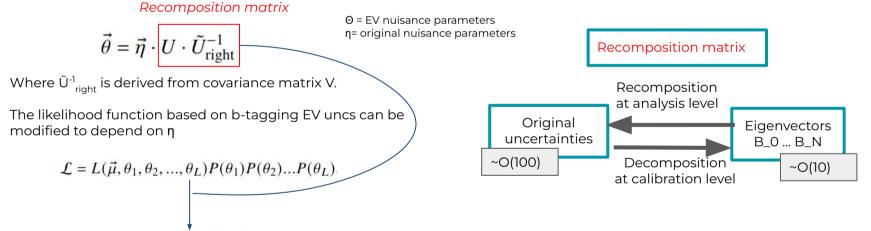
- Scale factor (stat. unc.)

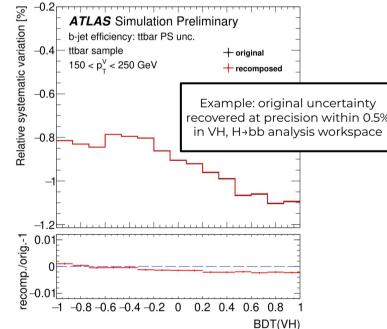
Scale factor (total unc.)

b-jet tagging efficiency

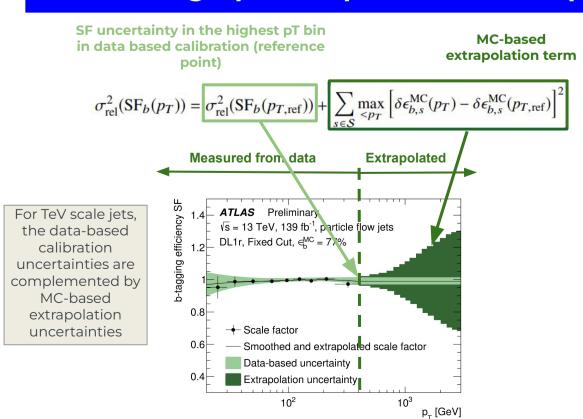
0.85

- Eigenvector recomposition (EVR): Recovering the original SF uncs. in the analysis likelihood, starting from the eigenvector
- In practice: eigenvector nuisance parameters θ can be expressed as a combination of original nuisance parameters η in physics analysis likelihood⇒ the b-tagging uncertainties can thus be correlated among physics analyses. ⇒ helpful in downstream combination analyses.





### High-pt extrapolation for the pseudo-continuous b-tagging calibration



 $\mathcal{L} = L(\vec{\mu}, \eta_1, \eta_2, ..., \eta_M) P(\eta_1) P(\eta_2) ... P(\eta_M),$ 

This method has been refined for the pseudo-continuous calibration to::

300

400

500

600

The sign of the single uncertainties preserved, to ensure: 
$$\sum_{i=1}^{5} \epsilon_{pT}^{i} SF_{pT}^{i} = 1$$

$$0.18 \quad 0.18 \quad 0.16 \quad 0.16 \quad 0.14 \quad 0.12 \quad 0.14 \quad 0.08 \quad 0.08 \quad 0.04 \quad 0.02 \quad 0.04 \quad 0.02$$

700

800

900

1000

p<sub>T</sub> [GeV]

 $+\Delta_{rel}(\epsilon_{MC,p_T})-\Delta_{rel}(\epsilon_{MC,p_{T,ref}})$