



# Flavour phenomenology of axion-like particles

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Based on work with M. Bauer, M. Neubert, M. Schnubel and A. Thamm

**1908.00008, 2012.12272, 2102.13112, 2110.10698**

# Why axion like particles (ALPs)?

## MODEL-BUILDING MOTIVATIONS:

Any dynamics with a spontaneously broken approximate global symmetry will produce light spinless particles

### Analogy: QCD pions

$$\Lambda_{\text{QCD}} \xrightarrow{\sim \text{GeV}} p, n, \dots$$

$$m_\pi \xrightarrow{\text{GeV}} \pi$$

Pions are pseudo goldstone bosons of an approximate spontaneously broken symmetry

### BSM physics

$$\Lambda_{UV} \gtrsim \text{TeV} \xrightarrow{\text{GeV}} ??$$

$$m_a \xrightarrow{\text{GeV}} a$$

ALP is a pseudo-goldstone boson  
CP-odd gauge singlet  
Mass much below scale of BSM physics

Many motivated explicit models: e.g. QCD axion, dark sector models, flavon models, composite Higgs models, ....

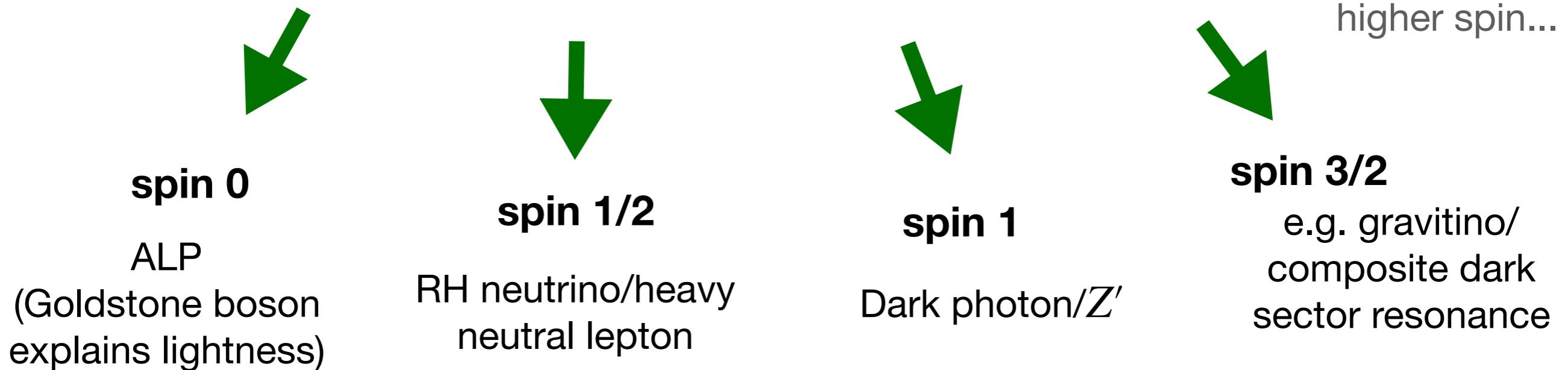
(see Adrian Carmona's talk)

# Why ALPs? Motivations II

## MODEL-INDEPENDENT MOTIVATIONS:

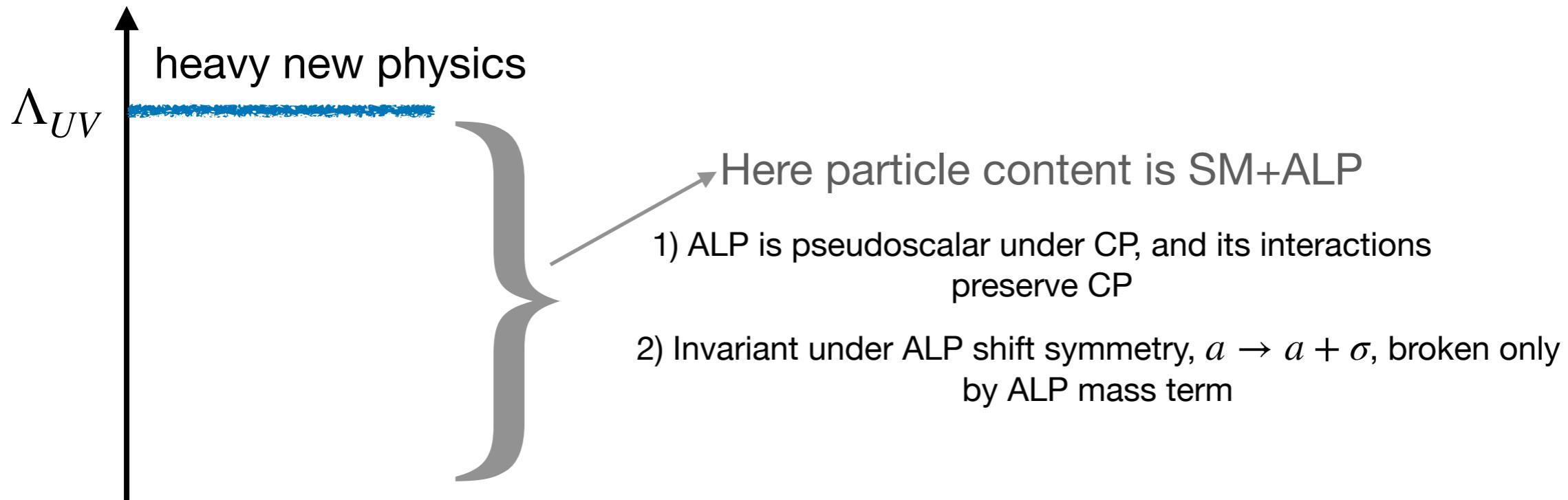
All new particles are heavy ( $m \gg v$ )? → SM EFT (or similar)

One or more light ( $m \lesssim v$ ) BSM particles?



# ALP effective Lagrangian

Don't need to know the details of the UV physics to study the ALP



$$\begin{aligned}\mathcal{L}_{\text{eff}}^{D \leq 5} = & \frac{1}{2} (\partial_\mu a)(\partial^\mu a) - \frac{m_{a,0}^2}{2} a^2 + \frac{\partial^\mu a}{f} \sum_F \bar{\psi}_F \mathbf{c}_F \gamma_\mu \psi_F \\ & + c_{GG} \frac{\alpha_s}{4\pi} \frac{a}{f} G_{\mu\nu}^a \tilde{G}^{\mu\nu,a} + c_{WW} \frac{\alpha_2}{4\pi} \frac{a}{f} W_{\mu\nu}^A \tilde{W}^{\mu\nu,A} + c_{BB} \frac{\alpha_1}{4\pi} \frac{a}{f} B_{\mu\nu} \tilde{B}^{\mu\nu}\end{aligned}$$

$F = Q, u, d, L, e$

$\Lambda_{UV} = 4\pi f$

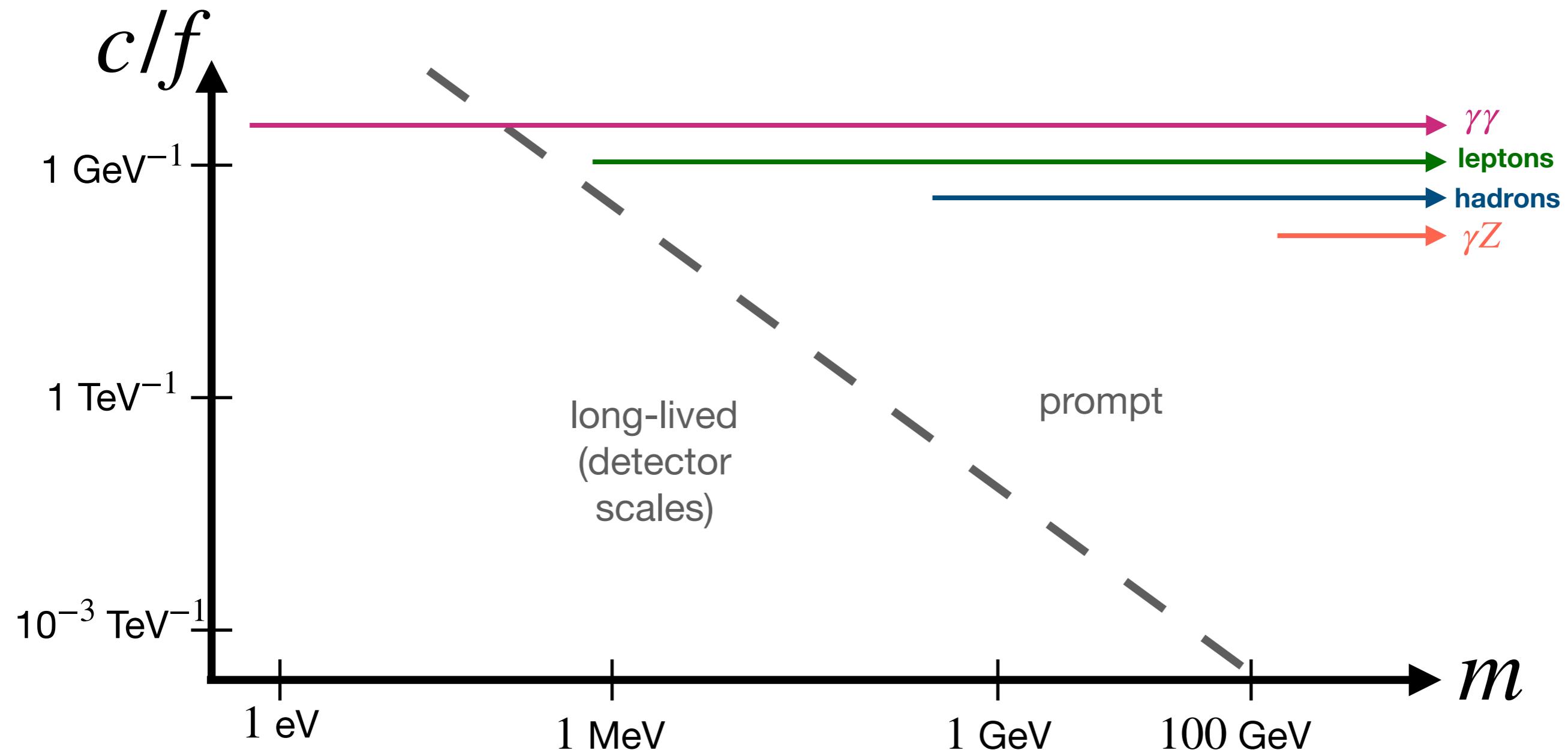
Then the parameter space of the model depends on  $m_a, f, \mathbf{c}_F, c_{XX}$

hermitian matrices in flavour space

# ALP pheno at a glance

All ALP interactions come with a factor of  $1/f$ ,  $\implies$  small couplings, long lifetimes

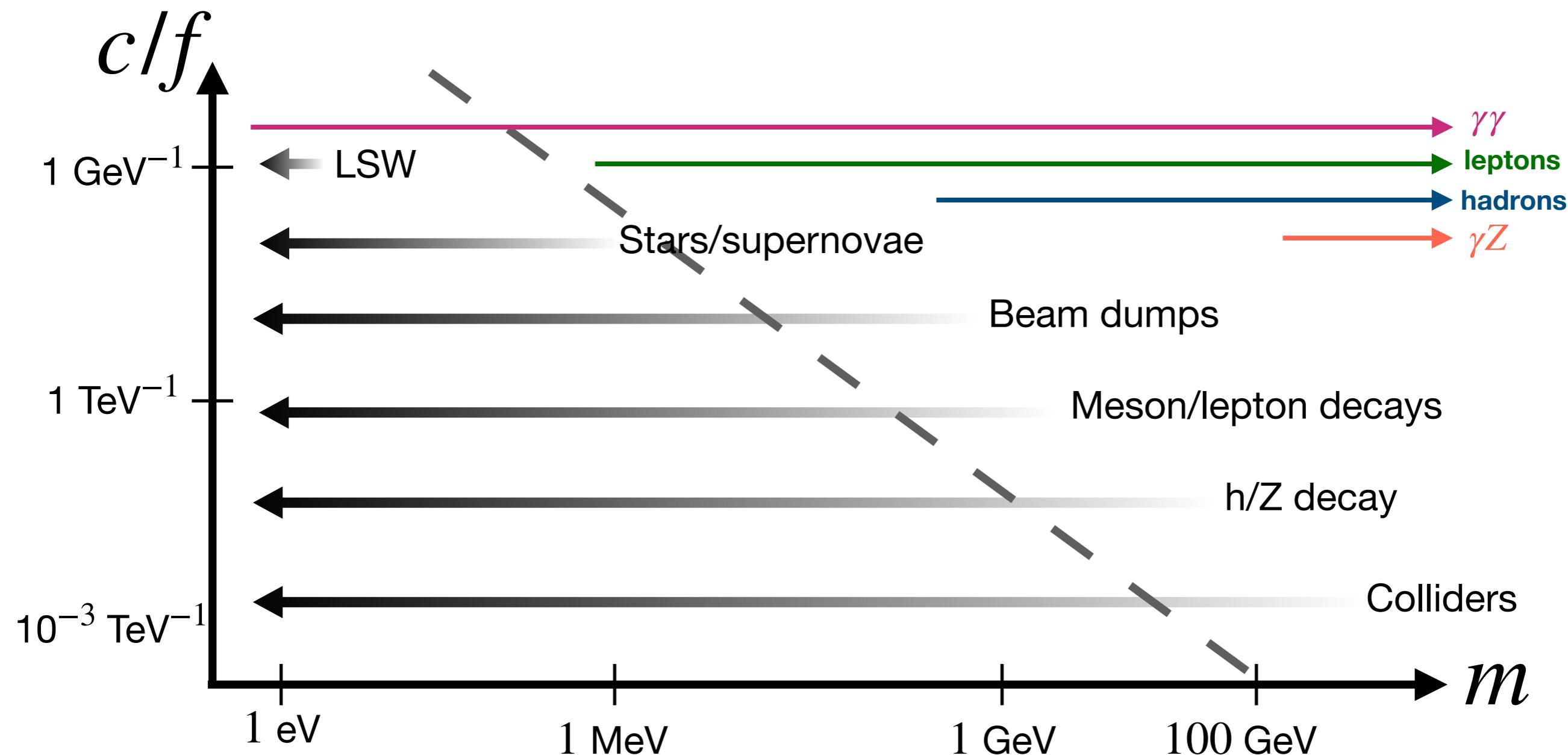
Decay modes & decay length depend on mass and coupling(s)



# ALP pheno at a glance

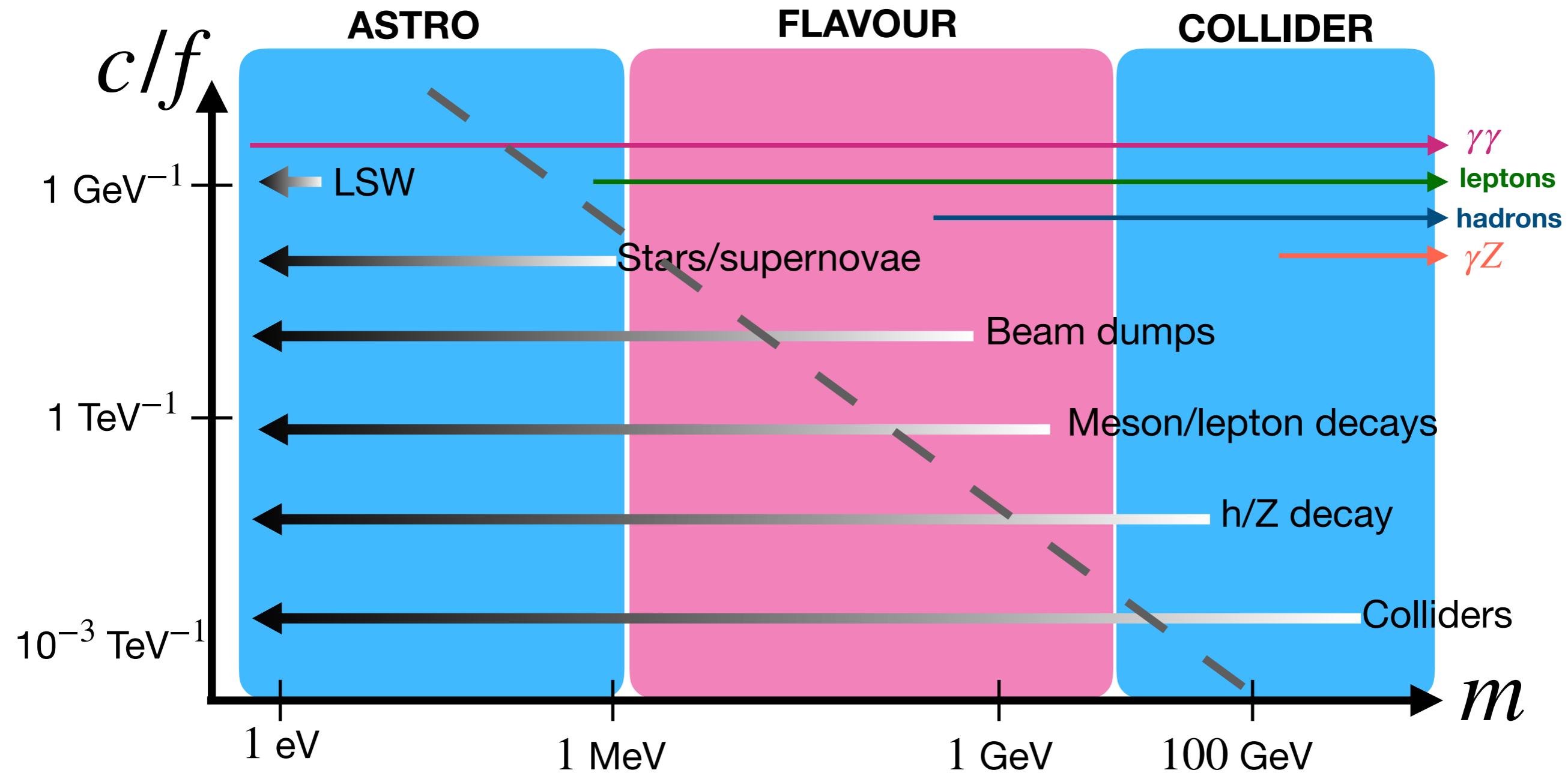
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Production modes depend on mass

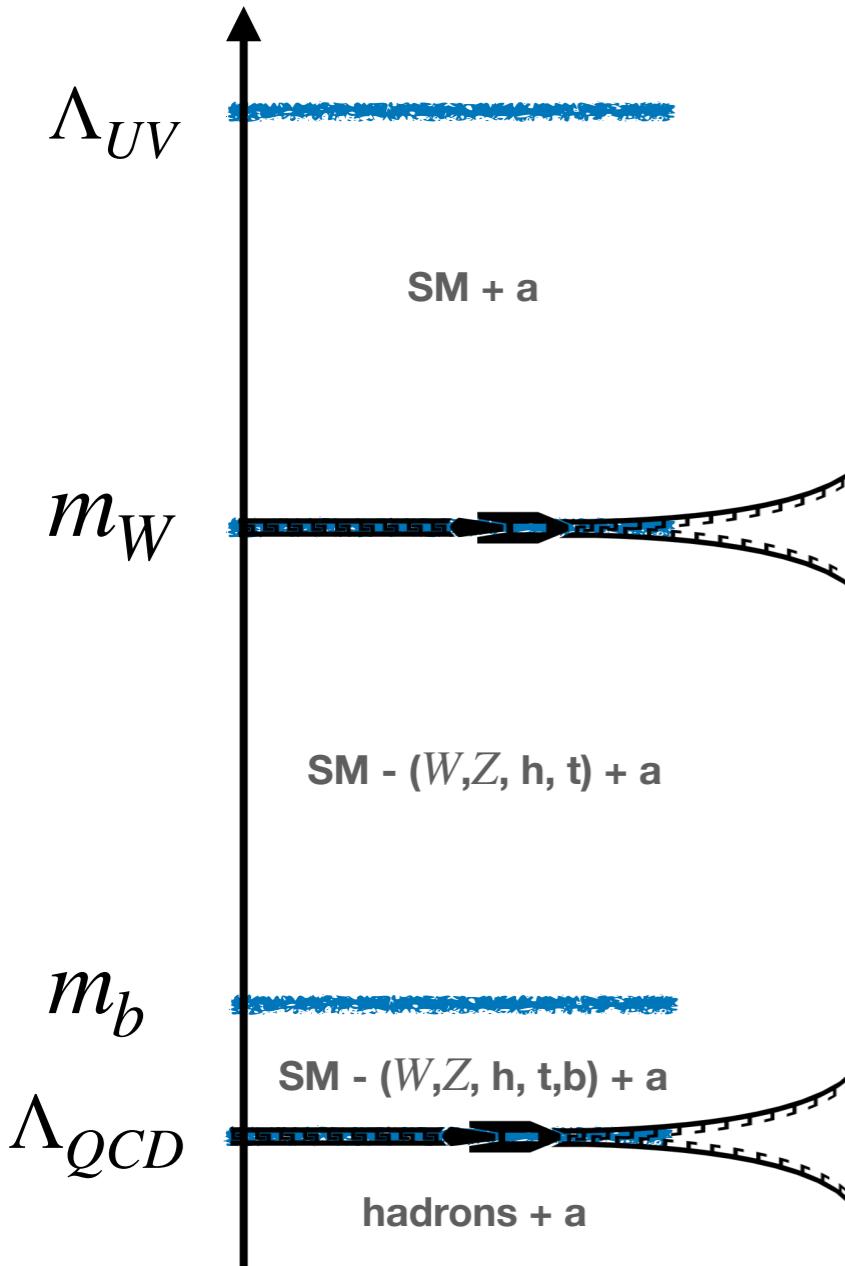


# ALP pheno at a glance

Where can measurements of flavour-changing processes play a role?



# From the EFT to observables



ALP couplings determined by physics at  $\Lambda_{UV}$

To make connection with observables, need to run and match to scale of measurement

Flavour pheno: focus on ALPs in MeV-GeV mass range

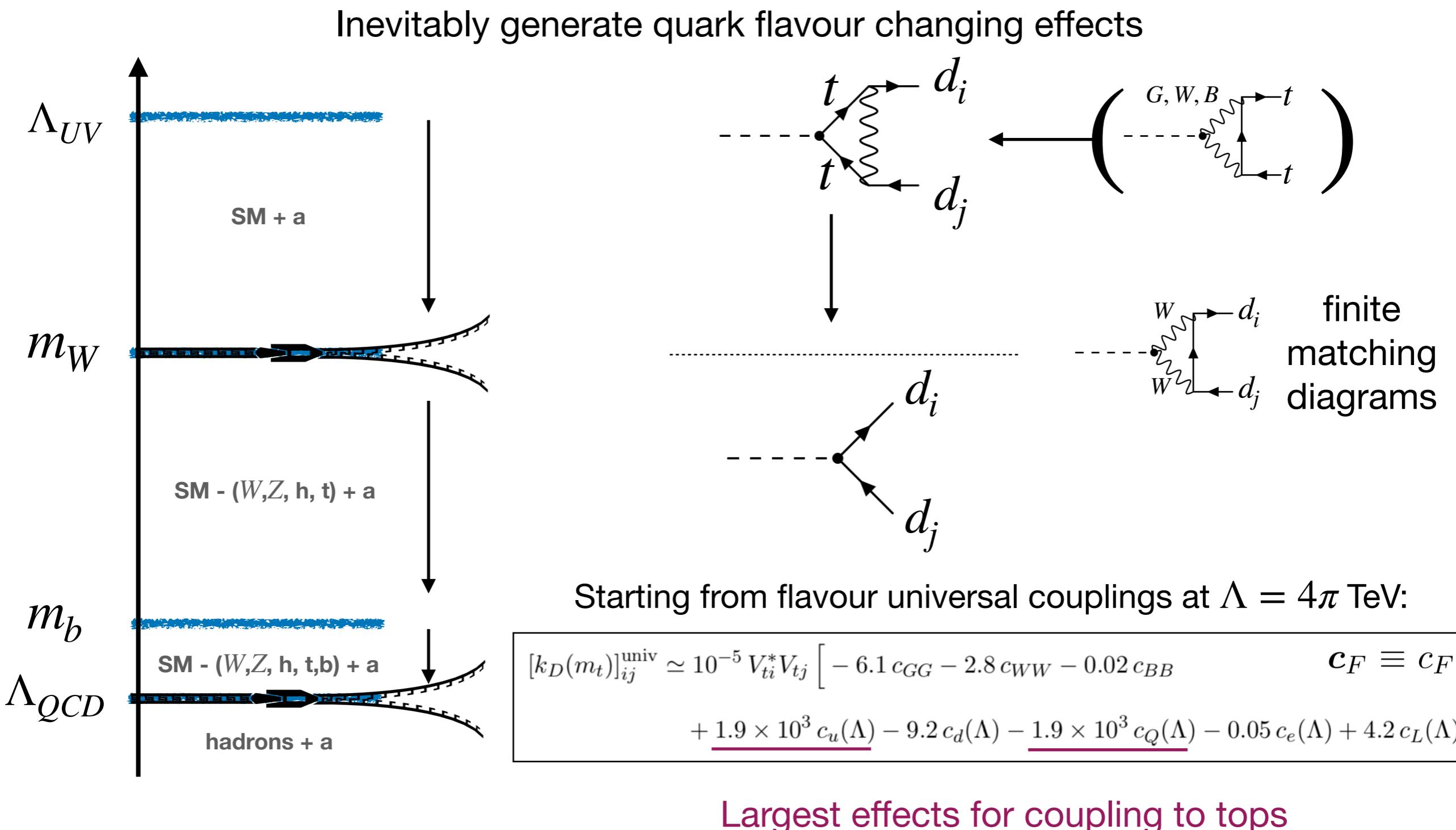
(below an MeV already strongly constrained by astro/cosmology)

**Choi, Im, Park, Yun, 1708.00021**

**Chala, Guedes, Ramos, Santiago 2012.09017**

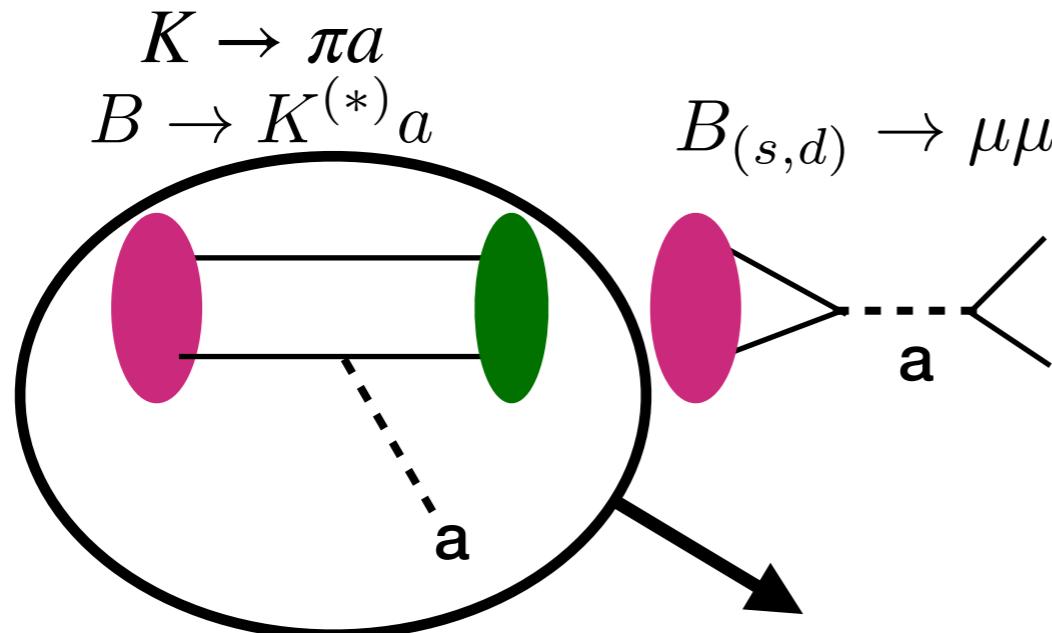
**Bauer, Neubert, SR, Schnubel, Thamm, 2012.12272**

# Flavour effects

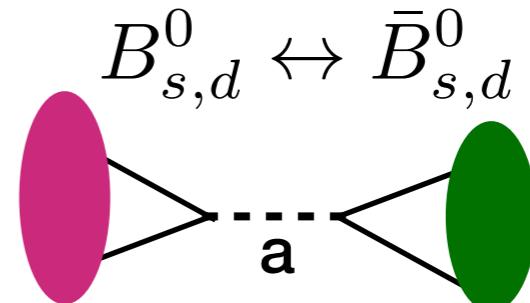


# ALPs in quark flavour processes

## Meson decays



## Meson mixing



**On-shell signatures:**

Long lived ALP: missing energy, monoenergetic final state meson/photon

Decaying ALP: narrow resonance in decay products

**RG and matching calculations allow:**

- > calculate all observables in terms of fundamental lagrangian coeffs at high scale
- > plot other constraints & regions of interest in same parameter space

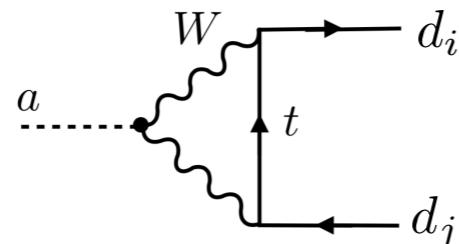
# Simplified scenario: coupling to SU(2) gauge bosons

$$c_{WW} \frac{\alpha_2}{4\pi} \frac{a}{f} W_{\mu\nu}^A \tilde{W}^{\mu\nu,A}$$

high scale  $\Lambda_{UV} = 4\pi \text{ TeV}$

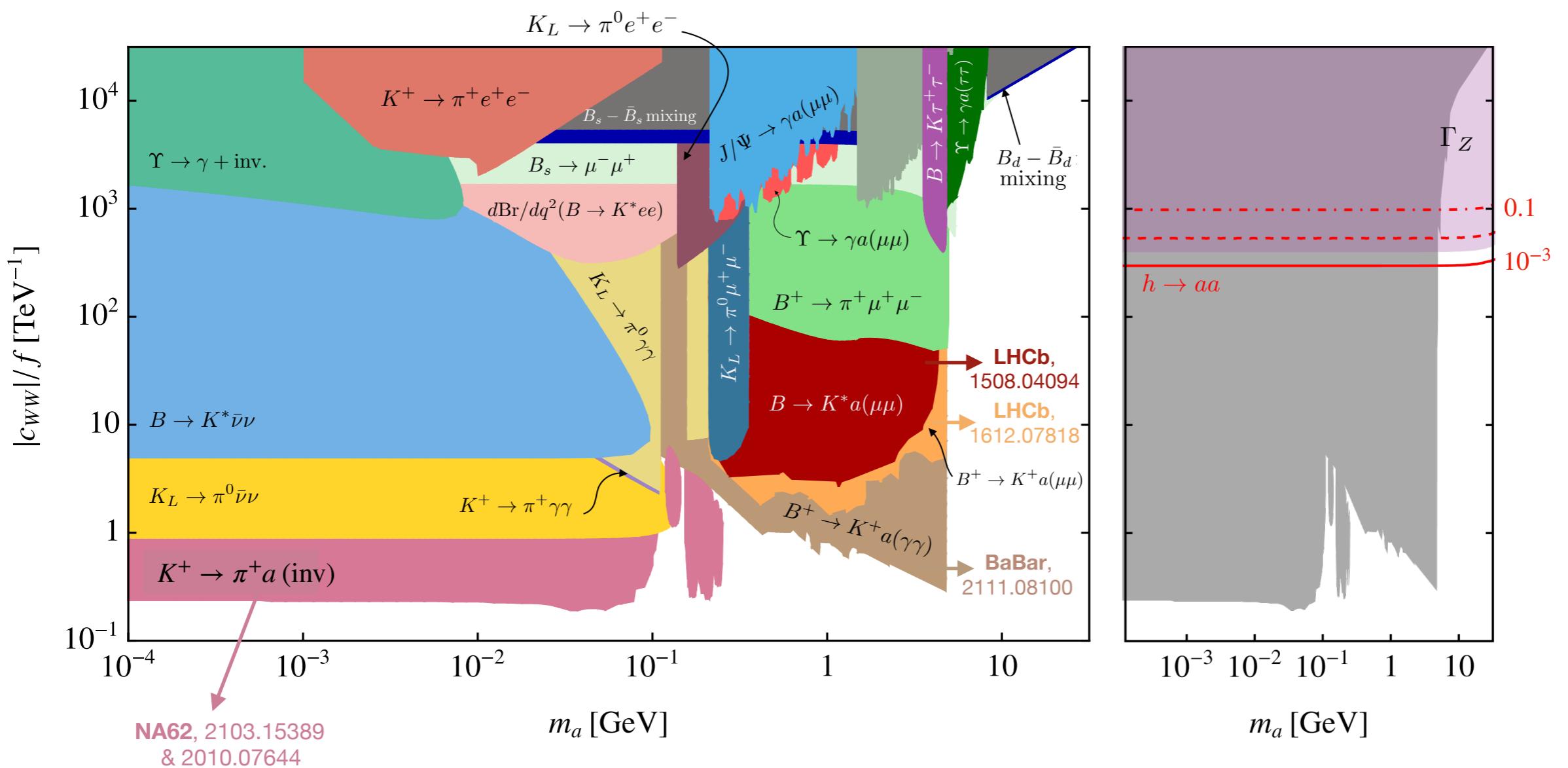
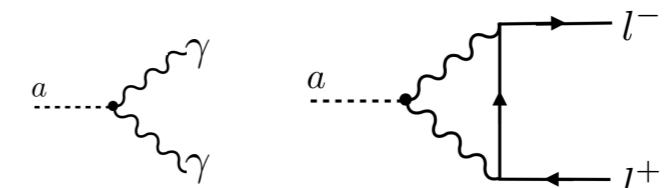
Bauer, Neubert, SR, Schnubel, Thamm, 2110.10698  
 see also: Gavela, Houtz, Quilez, del Rey, Sumensari (2019)  
 Izaguirre, Lin, Shuve (2016); Gori, Perez, Tobioka (2020)

**Flavour change:**



**Decays:**

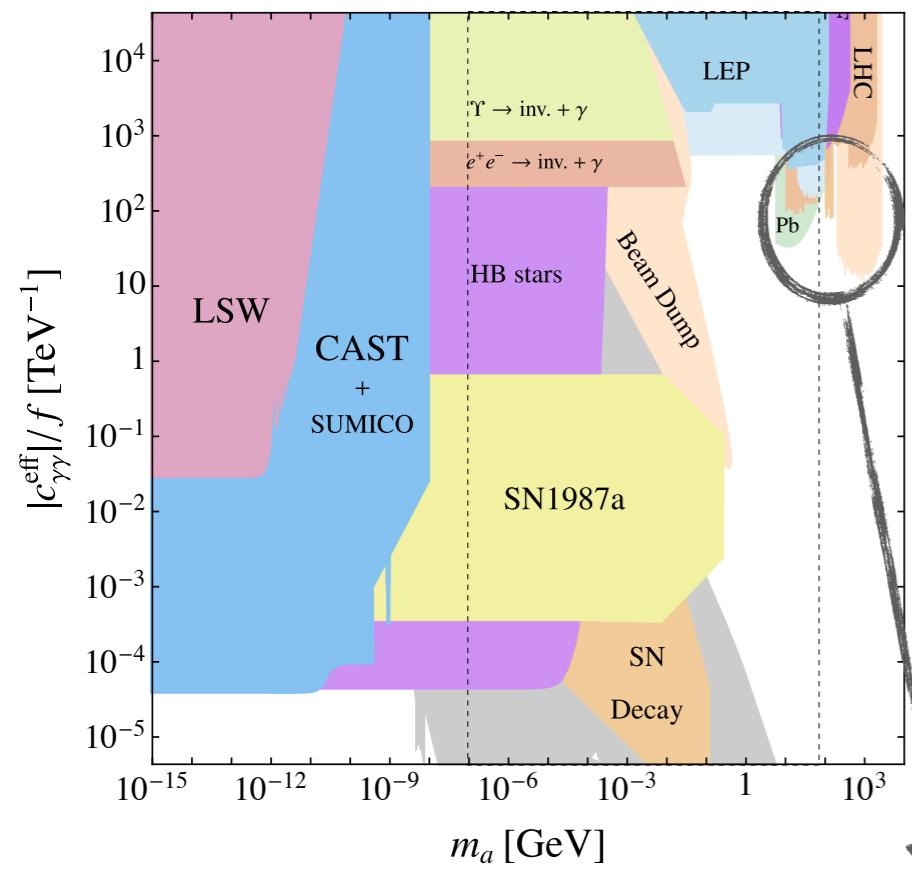
$$c_{\gamma\gamma} = c_{WW} + c_{BB}$$



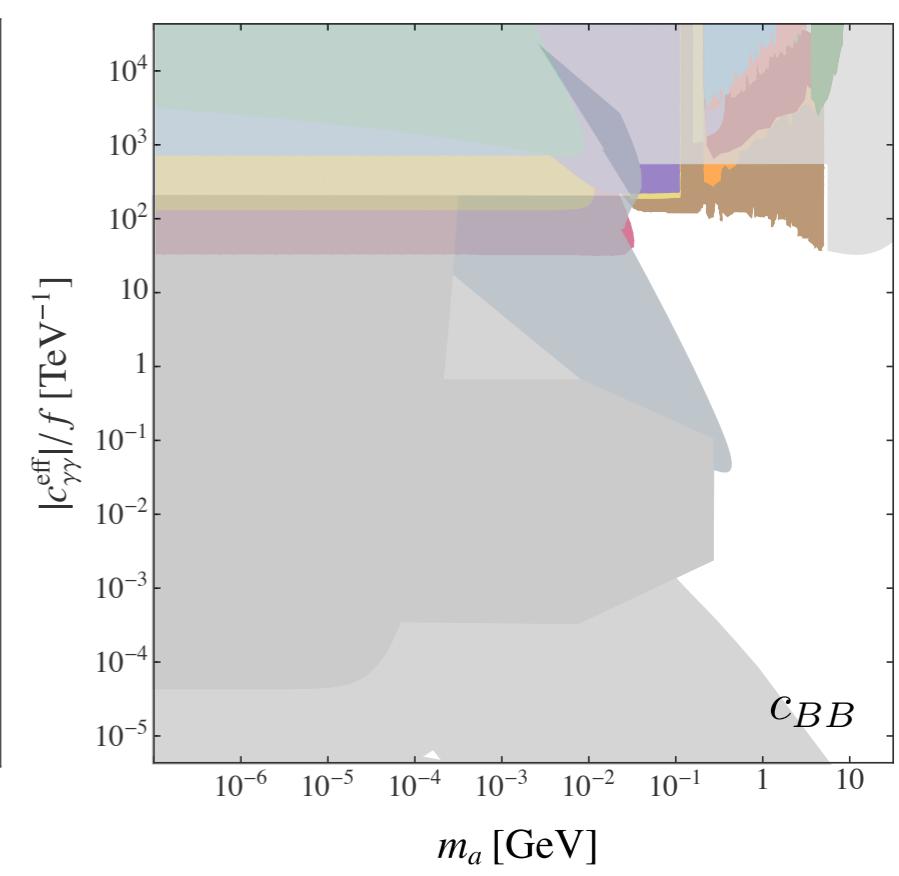
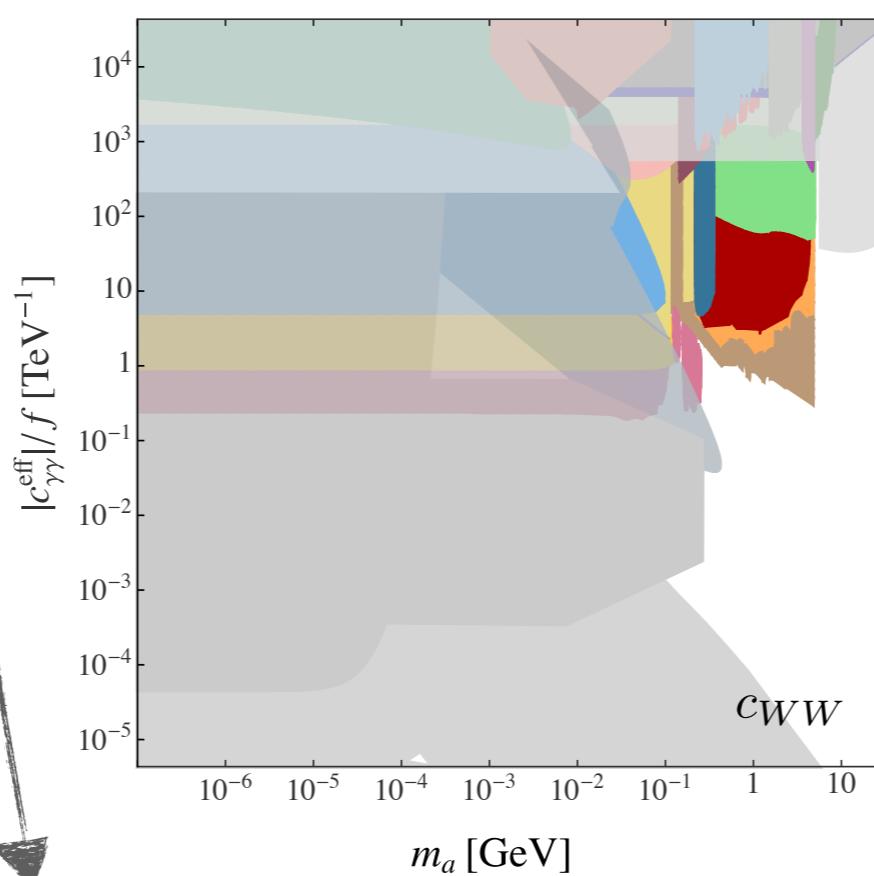
# Comparison with photonic constraints

$$c_{\gamma\gamma} = c_{WW} + c_{BB}$$

Bauer, Neubert & Thamm, 1708.00443



Bauer, Neubert, SR, Schnubel, Thamm, 2110.10698



(NB new constraints in this region  
from ATLAS/CMS! See Mateusz  
Dyndal's talk)

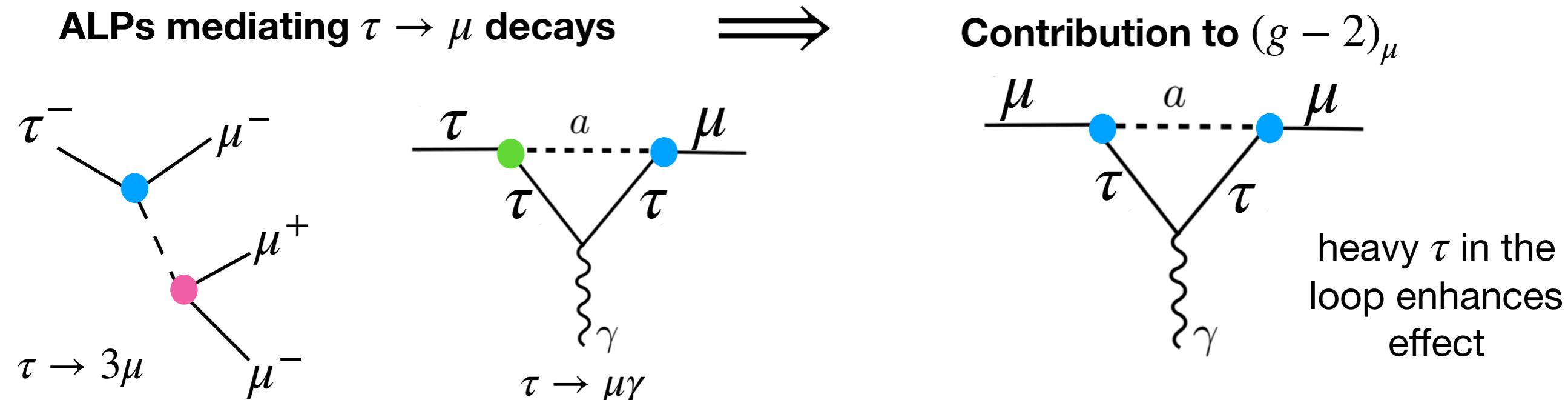
# What about leptons?

ALPs may also have lepton flavour violating (LFV) couplings

SM is lepton flavour conserving  $\implies$  unlike quark case, LFV cannot be created from RG alone

But there can still be *connections* between LFV and flavour conserving processes

e.g.



LFV ALP can explain  $(g - 2)_\mu$  if  $m_a > m_\tau$  and flavour conserving couplings are not too large

See Julie Pagès's talk for connections between  $(g-2)$  and LFV in models of heavy new physics

# Summary

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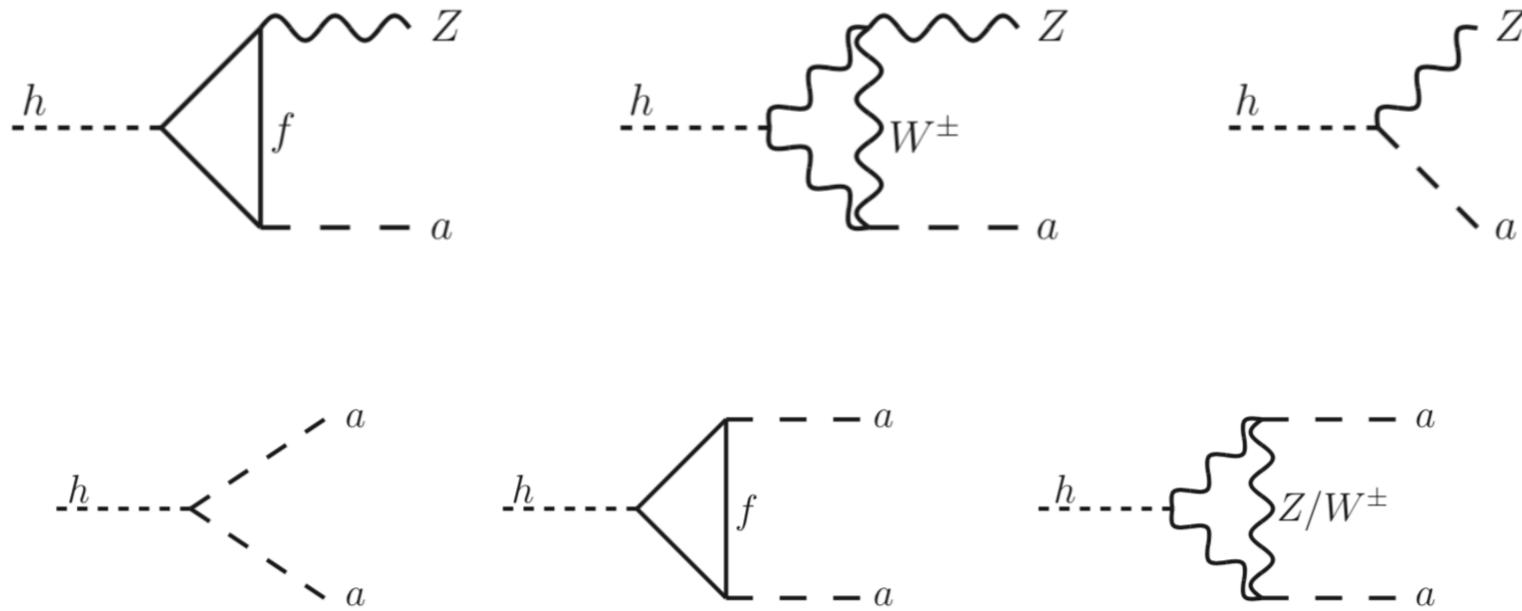
- ▶ Down-type quark flavour changing effects inevitably generated within ALP EFTs by running and matching
  
- ▶ Main signature: ALPs with mass below  $m_b$  can be produced directly in meson decays
  
- ▶ Often best place to look for ALPs in MeV-GeV mass range (between astrophysics and collider)



Backup

# Higgs decays to ALPs

Bauer, Neubert & Thamm, 1708.00443



Limits depend strongly on decay modes of the ALP

e.g. for  $h \rightarrow Za$  can apply limits from a dedicated  $h \rightarrow \gamma\gamma + \gamma\gamma$  search

From FIPS2020 talk by Maria Cepeda:

Almost model independent BSM width  $< 0.34$

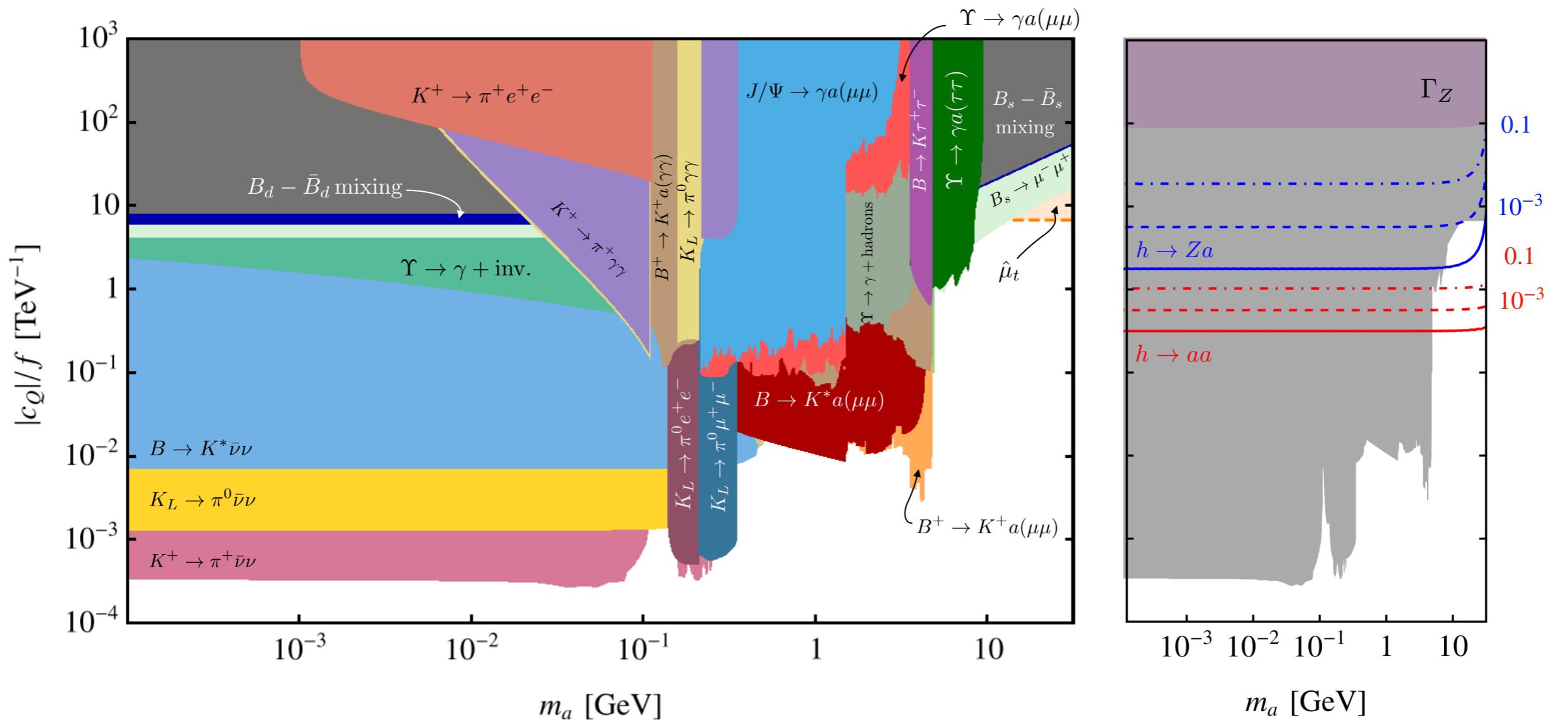
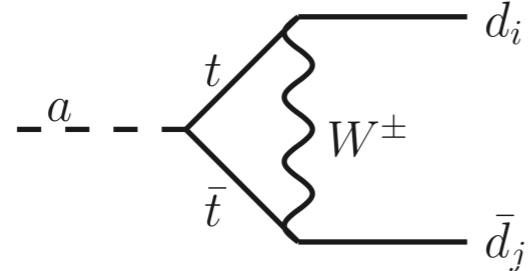
Invisible width  $< 19\%$

$$\Gamma_H = \frac{\Gamma_H^{SM} \cdot \kappa_H^2}{1 - BR_{BSM}}$$

► Warning: no direct measurement of the width. To probe the BSM BR an additional constraint needs to be imposed. Usually,  $\kappa_{W,Z} \leq 1$ .

# Simplified scenario: coupling to LH quark doublet

**Flavour  
change:**



# 1 loop RG above EW scale

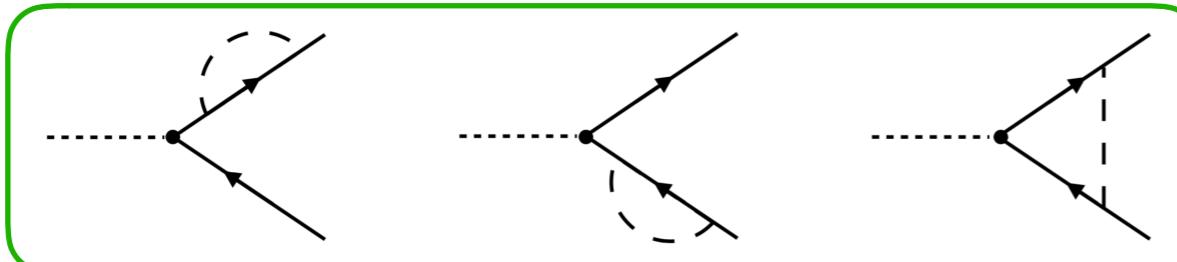
No running for  
gauge couplings

$$\frac{d}{d \ln \mu} c_{VV}(\mu) = 0; \quad V = G, W, B$$

Chetyrkin, Kniehl,  
Steinhauser, Bardeen 1998

Fermion  
couplings:

Yukawa interactions

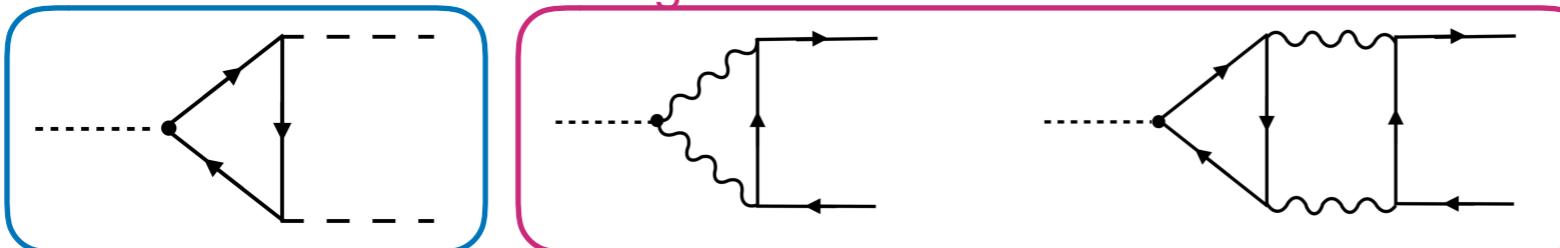


$$\tilde{c}_{GG} = c_{GG} + T_F \text{Tr} (\mathbf{c}_u + \mathbf{c}_d - N_L \mathbf{c}_Q),$$

$$\tilde{c}_{WW} = c_{WW} - T_F \text{Tr} (N_c \mathbf{c}_Q + \mathbf{c}_L),$$

$$\tilde{c}_{BB} = c_{BB} + \text{Tr} [N_c (\mathcal{Y}_u^2 \mathbf{c}_u + \mathcal{Y}_d^2 \mathbf{c}_d - N_L \mathcal{Y}_Q^2 \mathbf{c}_Q) + \mathcal{Y}_e^2 \mathbf{c}_e - N_L \mathcal{Y}_L^2 \mathbf{c}_L]$$

Gauge interactions



2 loop diagram included because it  
can be of the same order as the 1  
loop diagram

$$c_{GG} \frac{\alpha_s}{4\pi} \frac{a}{f} G_{\mu\nu}^a \tilde{G}^{\mu\nu,a}$$

$$\tilde{c}_{GG} = c_{GG} + \frac{1}{2} \text{Tr} (\mathbf{c}_u + \mathbf{c}_d - 2\mathbf{c}_Q)$$

$$\frac{d}{d \ln \mu} \mathbf{c}_Q(\mu) = \frac{1}{32\pi^2} \{ \mathbf{Y}_u \mathbf{Y}_u^\dagger + \mathbf{Y}_d \mathbf{Y}_d^\dagger, \mathbf{c}_Q \} - \frac{1}{16\pi^2} (\mathbf{Y}_u \mathbf{c}_u \mathbf{Y}_u^\dagger + \mathbf{Y}_d \mathbf{c}_d \mathbf{Y}_d^\dagger)$$

$$+ \left[ \frac{\beta_Q}{8\pi^2} X - \frac{3\alpha_s^2}{4\pi^2} C_F^{(3)} \tilde{c}_{GG} - \frac{3\alpha_2^2}{4\pi^2} C_F^{(2)} \tilde{c}_{WW} - \frac{3\alpha_1^2}{4\pi^2} \mathcal{Y}_Q^2 \tilde{c}_{BB} \right] \mathbb{1},$$

$q = u, d$

$$\frac{d}{d \ln \mu} \mathbf{c}_q(\mu) = \frac{1}{16\pi^2} \{ \mathbf{Y}_q^\dagger \mathbf{Y}_q, \mathbf{c}_q \} - \frac{1}{8\pi^2} \mathbf{Y}_q^\dagger \mathbf{c}_Q \mathbf{Y}_q + \left[ \frac{\beta_q}{8\pi^2} X + \frac{3\alpha_s^2}{4\pi^2} C_F^{(3)} \tilde{c}_{GG} + \frac{3\alpha_1^2}{4\pi^2} \mathcal{Y}_q^2 \tilde{c}_{BB} \right] \mathbb{1}$$

$$X = \text{Tr} [3\mathbf{c}_Q (\mathbf{Y}_u \mathbf{Y}_u^\dagger - \mathbf{Y}_d \mathbf{Y}_d^\dagger) - 3\mathbf{c}_u \mathbf{Y}_u^\dagger \mathbf{Y}_u + 3\mathbf{c}_d \mathbf{Y}_d^\dagger \mathbf{Y}_d - \mathbf{c}_L \mathbf{Y}_e \mathbf{Y}_e^\dagger + \mathbf{c}_e \mathbf{Y}_e^\dagger \mathbf{Y}_e]$$

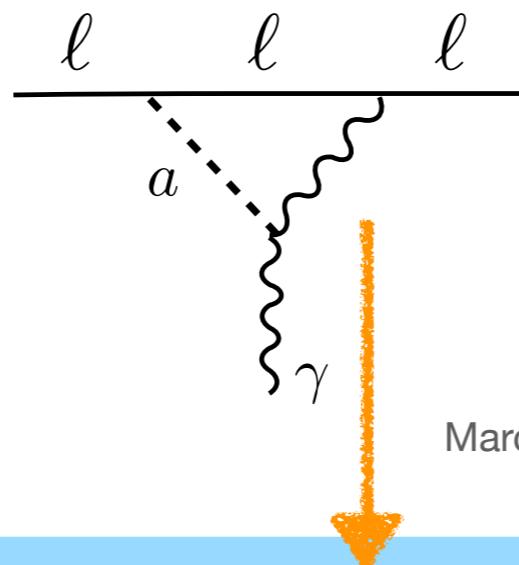
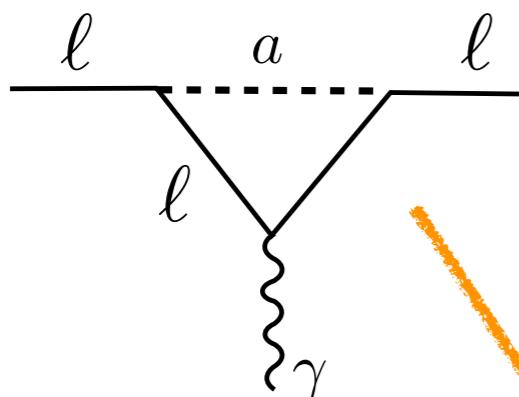
RGEs for the lepton couplings are highly analogous!

# $(g-2)_\ell$ from an ALP: no flavour violation

## Lagrangian

$$\mathcal{L}_{\text{eff}} = c_{\ell_i \ell_i} \frac{\partial^\mu a}{f} \bar{\ell}_i \gamma_\mu \gamma_5 \ell_i + c_{\gamma\gamma} \frac{\alpha}{4\pi} \frac{a}{f} F_{\mu\nu} \tilde{F}^{\mu\nu}$$

$f$ =ALP decay constant, related to BSM scale ( $\Lambda = 4\pi f$ )



There are loop contributions to the photon coupling from light leptons:

Bauer, Neubert, Thamm JHEP 12 (2017) 044

$$c_{\gamma\gamma}^{\text{eff}} = c_{\gamma\gamma} + \sum_i c_{\ell_i \ell_i} B_1(\tau_{\ell_i})$$

$$\tau_{\ell_i} = 4m_{\ell_i}^2/m_a^2 \quad B_1(0) = 1$$

Marciano, Masiero, Paradisi, Passera PRD 94 (2016) 11  
Bauer, Neubert, Thamm JHEP 12 (2017) 044

$$\Delta a_{\ell_i} = -\frac{m_{\ell_i}^2 c_{\ell_i \ell_i}^2}{16\pi^2 f^2} \left[ h_1(x_i) + \frac{2\alpha}{\pi} \frac{c_{\gamma\gamma}^{\text{eff}}}{c_{\ell_i \ell_i}} \left( \ln \frac{\Lambda^2}{m_{\ell_i}^2} - h_2(x_i) \right) \right]$$

$$x_i = m_a^2/m_{\ell_i}^2$$

$$h_{1,2}(x_i) > 0$$

Loop functions are positive

$$\Delta a_\mu > 0 \implies \frac{c_{\gamma\gamma}^{\text{eff}}}{c_{\mu\mu}} \ll 0$$

$$\Delta a_e < 0 \implies \frac{c_{\gamma\gamma}^{\text{eff}}}{c_{ee}} > 0 \text{ or first diagram dominates}$$