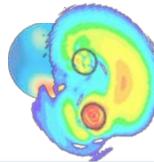


PROBINGNUCLEONSCORRELATIONS WITHNUCLEARBREAK-UP

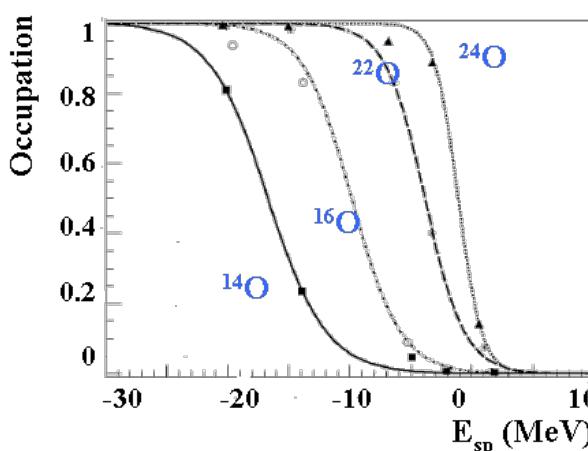
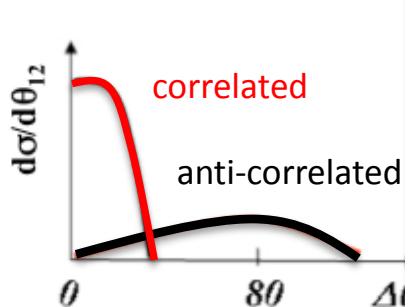
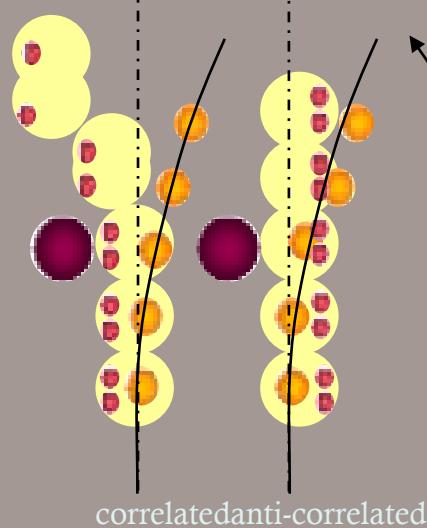
Marlène Assié, Jean-Antoine Scarpaci
Denis Lacroix

IPN Orsay
GANIL

TWO-NUCLEONS NUCLEAR BREAK-UP MECHANISM



Nuclearbreak-up



Time Dependent Density Matrix (TDDM^P)

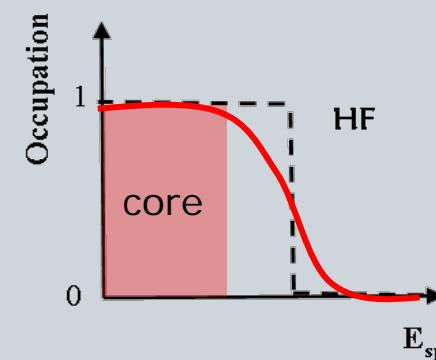
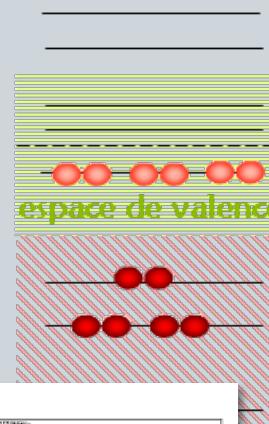
$$\rho_{12} = A(\rho_1 \rho_2) + C_{12} \quad \begin{cases} i\hbar \rho_1 &= [h, \rho_1] + Tr_2[v_{12}, C_{12}] \\ i\hbar C_{12} &= [h, C_{12}] + P + B \end{cases}$$

pairing & dissipation

$$v_{12} = v_0 \left(1 + \beta \left(\frac{\rho}{\rho_0} \right)^\alpha \right)$$

Assié, Lacroix, PRL 2009

Test case : isotopic chain of Oxygen

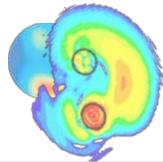


TDDM Our calculation HFB

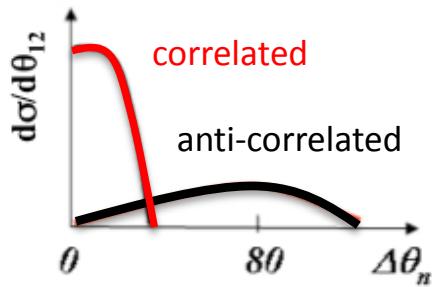
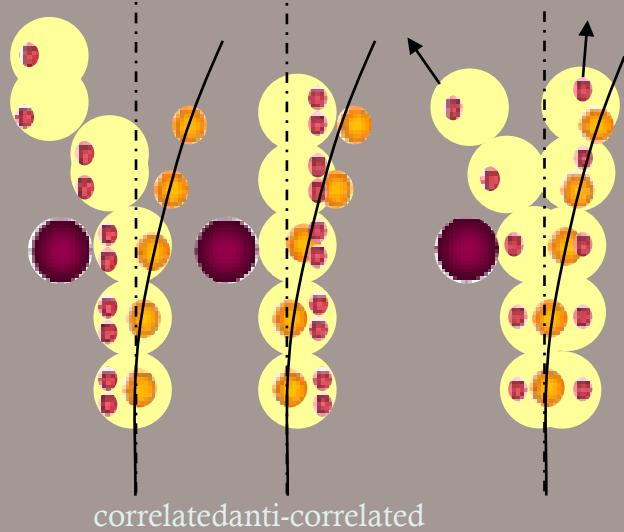
^{22}O -3,1 MeV -3,5 MeV -3,3 MeV

^{24}O -2,5 MeV -3,1 MeV -3,4 MeV

TWO-NUCLEONS NUCLEAR BREAK-UP MECHANISM



Nuclearbreak-up

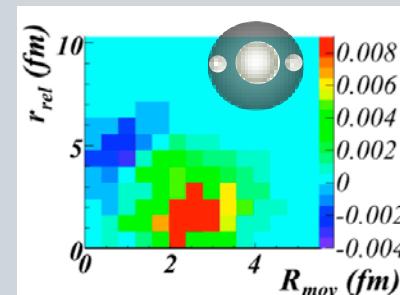
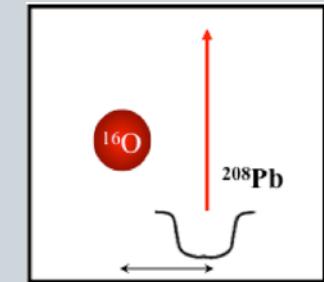
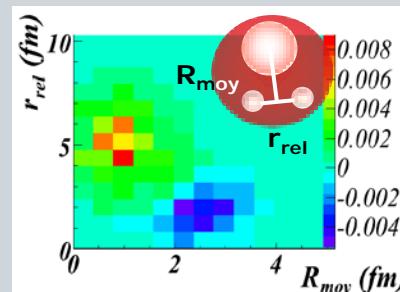


Time Dependent Density Matrix (TDDM)

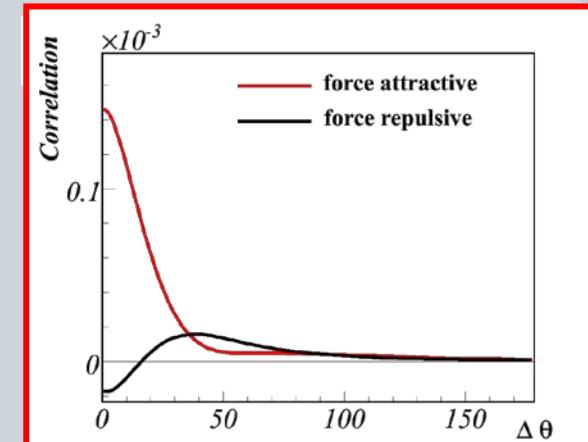
$$\rho_{12} = A(\rho_1 \rho_2) + C_{12} \quad \begin{cases} i\hbar\rho_1 &= [h, \rho_1] + Tr_2[v_{12}, C_{12}] \\ i\hbar C_{12} &= [h, C_{12}] + P + B \end{cases}$$

pairing& dissipation

$$v_{12} = v_0 \left(1 + \beta \left(\frac{\rho}{\rho_0} \right)^\alpha \right)$$

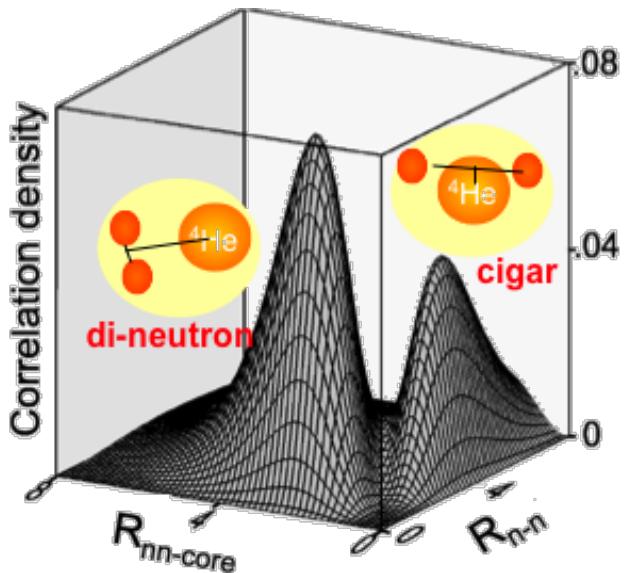
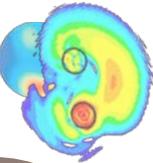


Assié, Lacroix, PRL 2009

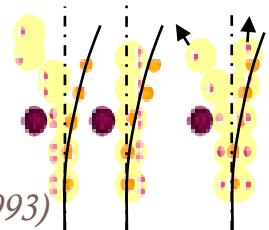


Nuclearbreak-up is a probe of nucleons correlations

THE ${}^6\text{He}$ CASE



→ Nuclear break-up could help to disentangle each configuration



M.V. Zhukov et al, Phys. Rep. 231, 151 (1993)

In favor of di-neutron configuration

2n-transfer

2n-transfer dominant
sequential transfer weak

Y. Oganessian et al, PRL (1999)

D.T. Khoa et al, PLB (2004)

A. Chatterjee et al, PRL (2009)

t-transfer

${}^6\text{He}$ (p,t) ${}^4\text{He}$

$S_{\alpha-2n}=1 \quad S_{t-t}=0,08$

L. Giot et al, PRC71 (2005)

In favor of cigar-configuration

Radiative capture

${}^6\text{He}(p,\gamma)x$ @ 40 MeV/A no $\alpha + t$ decay

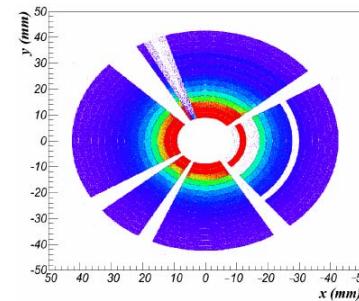
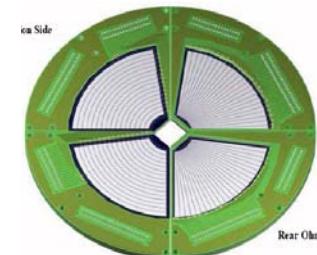
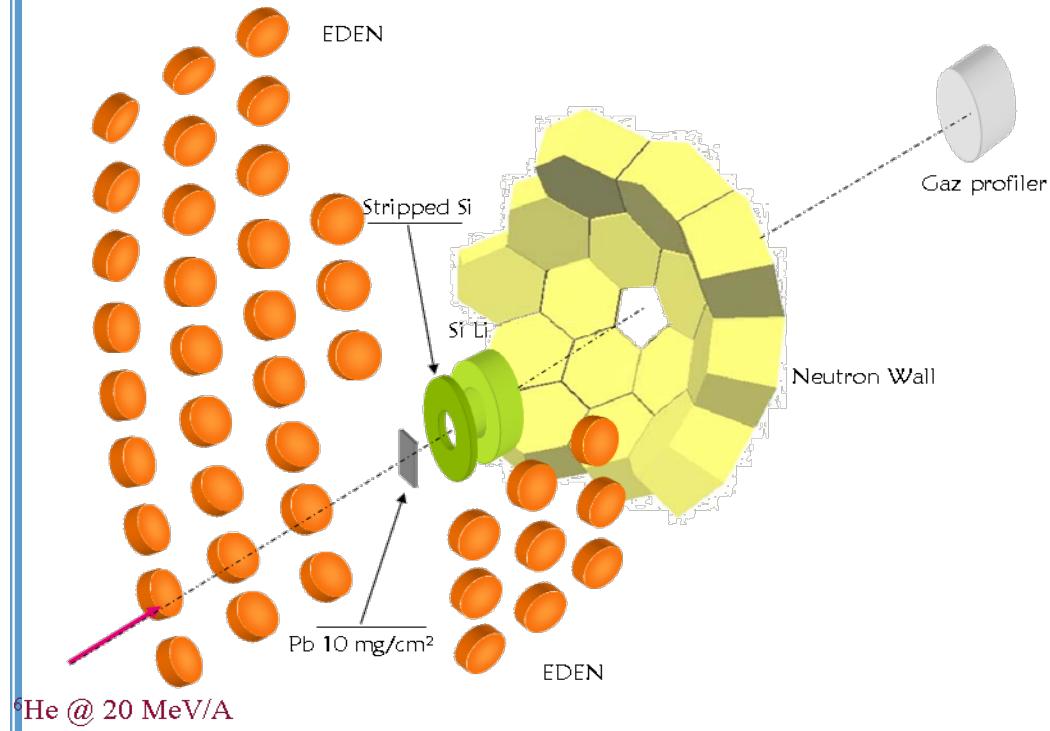
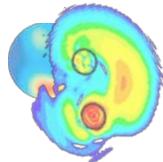
E. Sauvan et al, PRL 87 (2001)

Coulomb break-up & interferometry :

G. Normand PhD thesis

F.M. Marquès et al, PLB 476 (2000)

EXPERIMENTALSET-UPAT GANIL

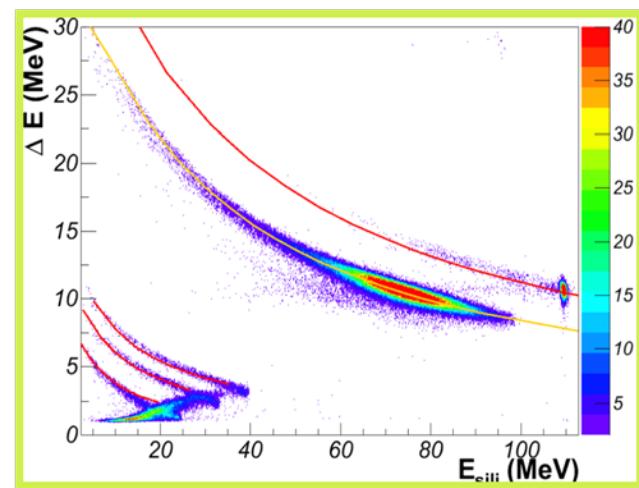


Stripped Si:

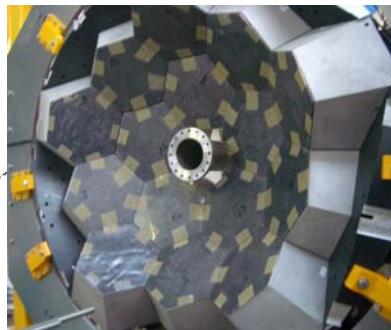
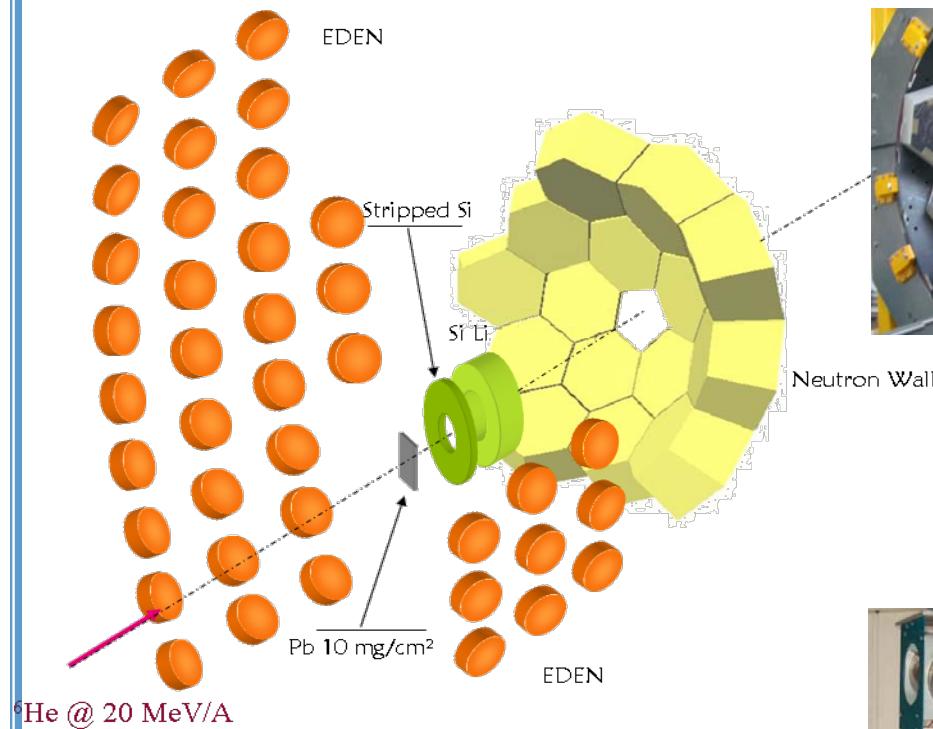
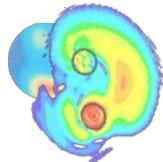
- 500 µm
- from 8° à 18°
- 4*16 rings (2mm)
- 4*24 sectors(3,4°)

SiLi

-3,4 mm thick

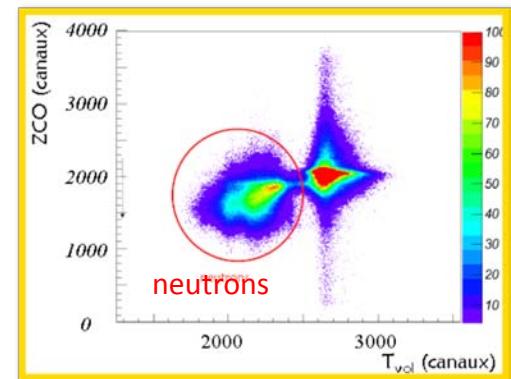


EXPERIMENTALSET-UPAT GANIL



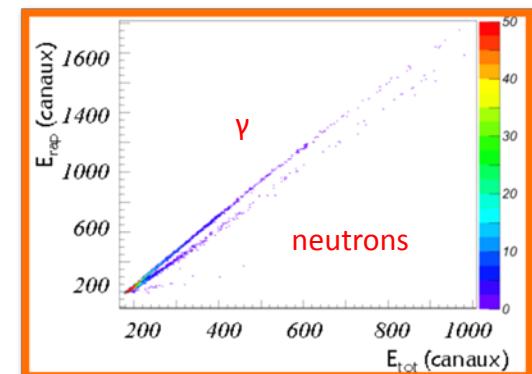
Neutron Wall

- 45 modules (liquid scintillator)
- 51cm from target / 14cm thick
- Energy resolution: 40%
- $\epsilon(20 \text{ MeV}) \approx 30\%$

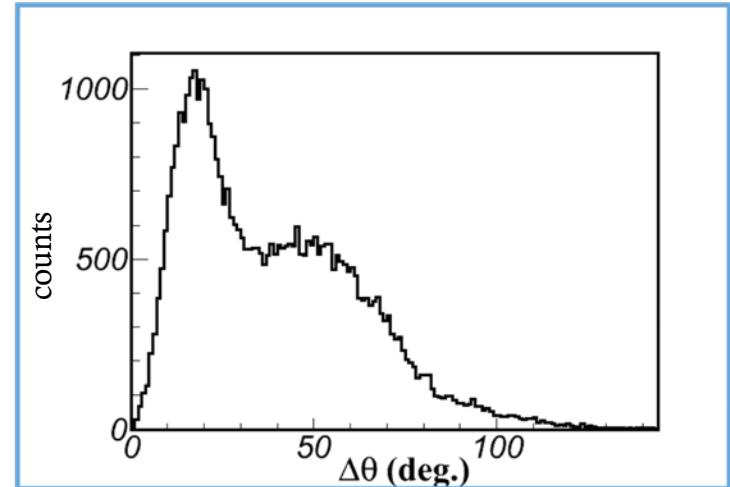
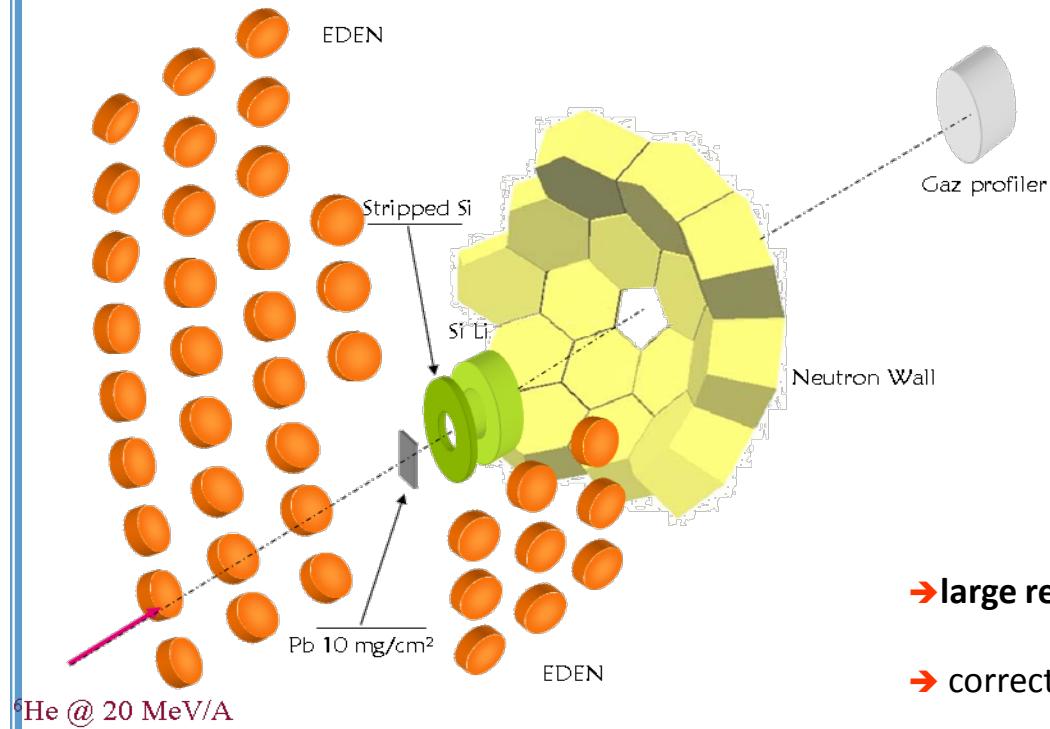
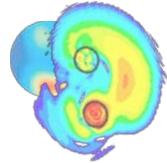


EDEN

- 39 modules (liquid scintillator)
- 1,8 m from target / 5cm thickness
- Energy resolution: 4%
- $\epsilon(20 \text{ MeV}) \approx 15\%$



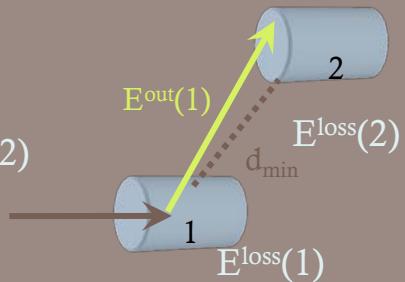
EXPERIMENTALSET-UPAT GANIL



- large relative angle coverage of experimental set-up
- corrected from **crosstalk** contribution

Crosstalk rejection

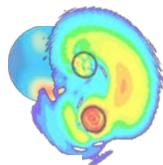
- $E_{\text{tof}} < E^{\text{loss}}$
- $E^{\text{out}}(1) > E_{\text{min}}$
- $\& E^{\text{out}}(1) > E^{\text{loss}}(2)$



- GEANT4 simulation : 20% crosstalk
4% residual after rejection

- Test with ${}^{12}\text{C}$ beam
(by selecting ${}^{10}\text{B}$) : 20 % de crosstalk
2 % residual

CORRELATIONFUNCTION



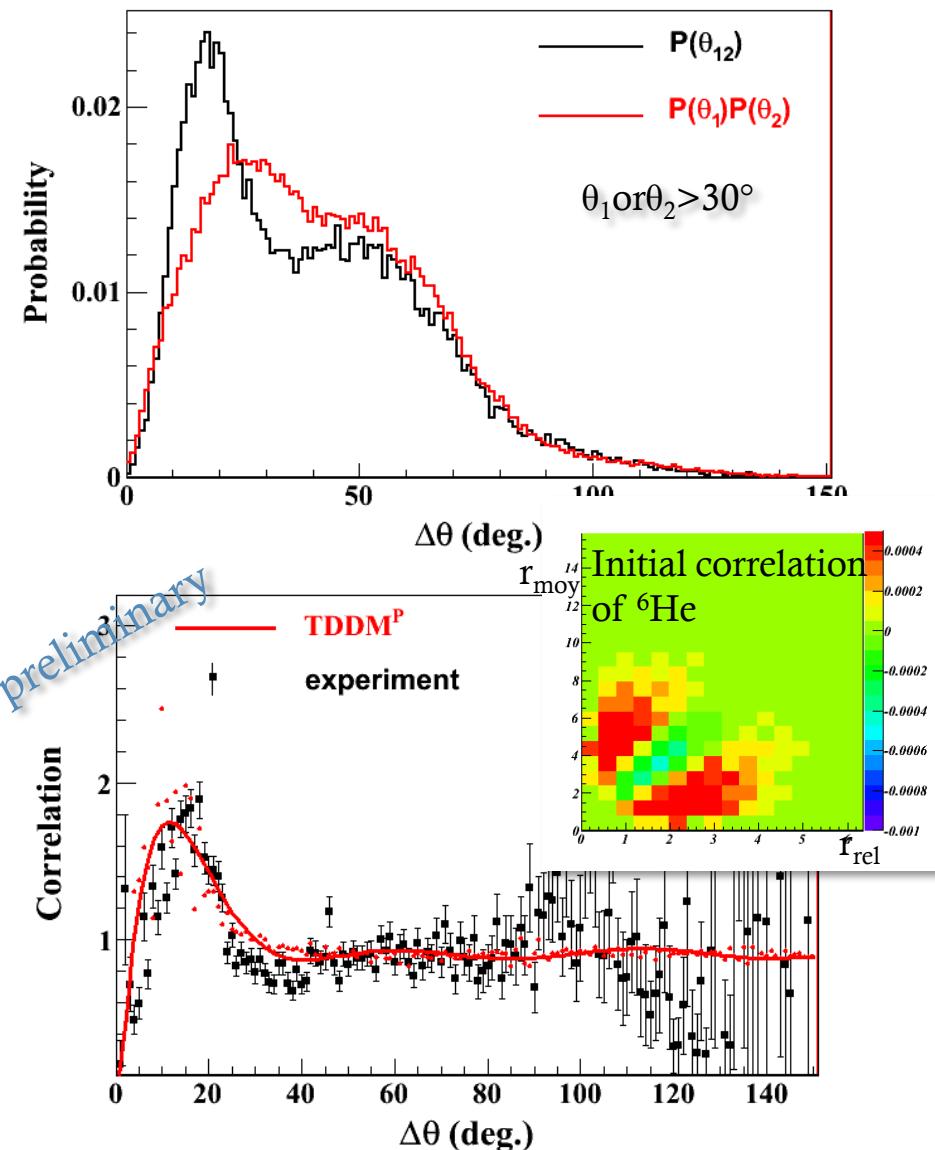
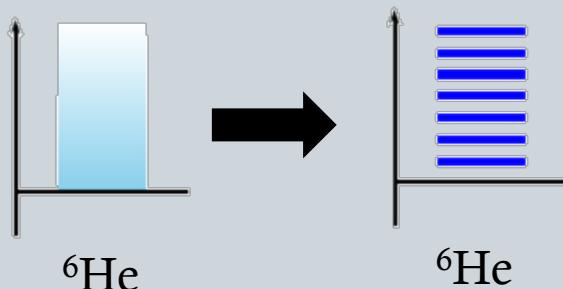
Correlationfunction

*experimental distribution :
emission of correlated neutrons*

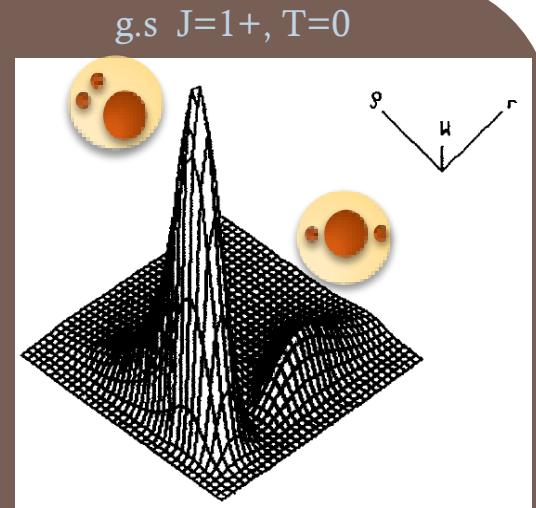
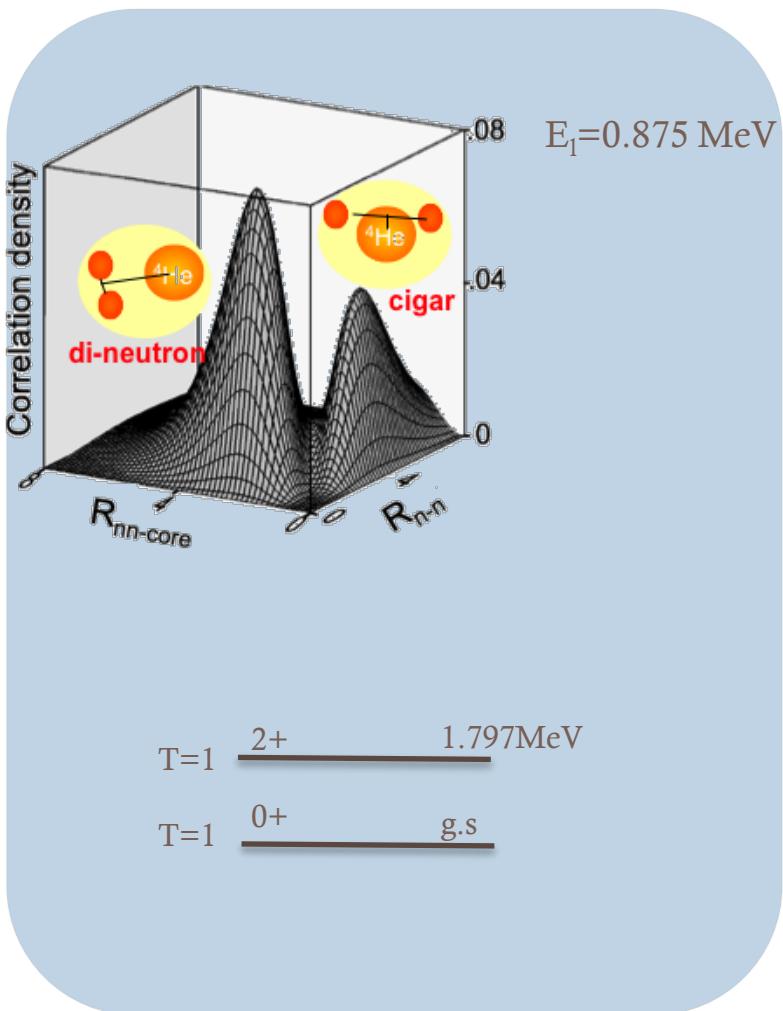
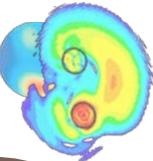
$$C_{12} = \frac{P(n_1, n_2)}{P(n_1) P(n_2)}$$

independentemission

4-body CDCC calculations in progress
M. Rodriguez-Gallardo (PRC 72 2008)

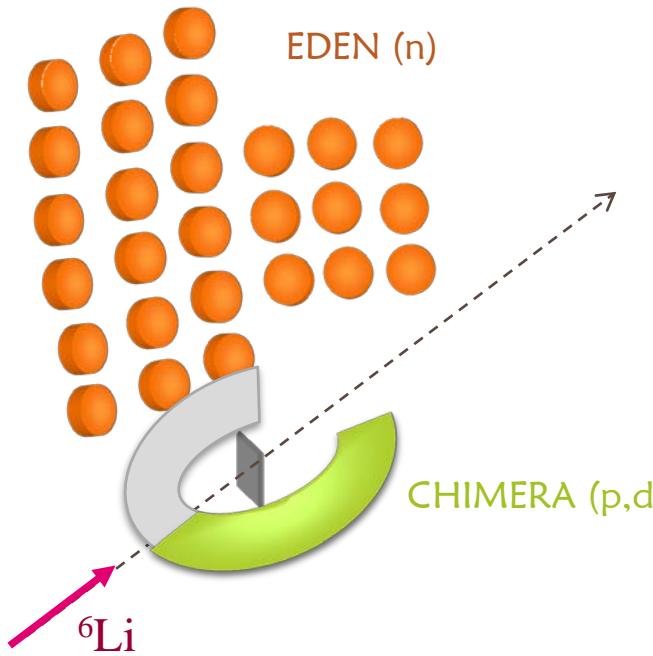
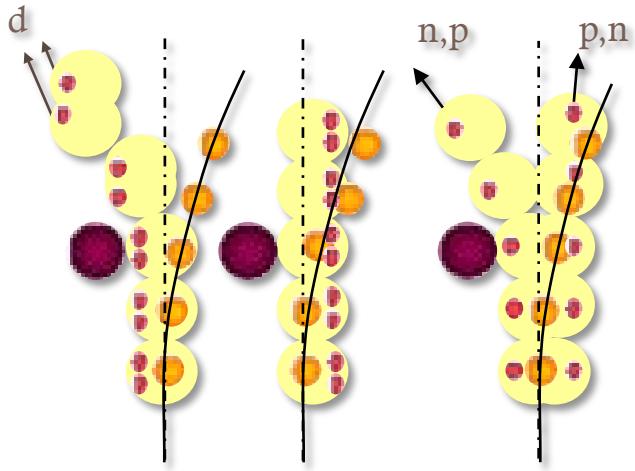


THE ${}^6\text{Li}$ CASE



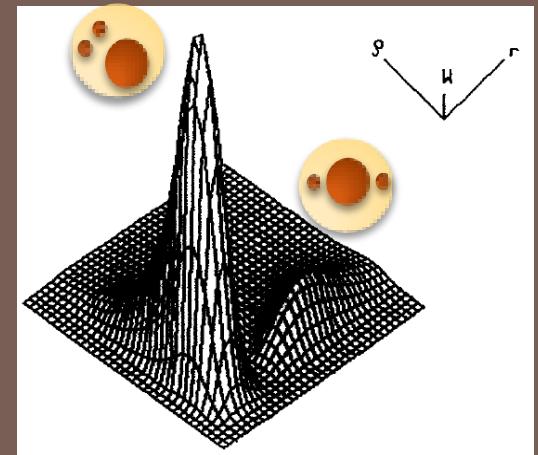
$S_\alpha = 1.47 \text{ MeV}$	$T=0 \quad \begin{array}{c} 2+ \\ \hline 0+ \end{array} \quad 4.3 \text{ MeV}$
$N=Z=3$	$T=1 \quad \begin{array}{c} 4.3 \text{ MeV} \\ \hline 3.56 \text{ MeV} \end{array}$
	$T=0 \quad \begin{array}{c} 3+ \\ \hline \end{array} \quad 2.186 \text{ MeV}$
	$T=0 \quad \begin{array}{c} 1+ \\ \hline \end{array} \quad \text{g.s.}$

V.I. Kukulin, NPA (1995)



THE ${}^6\text{LI}$ CASE

g.s. $J=1+, T=0$



$S_\alpha = 1.47 \text{ MeV}$

$N=Z=3$

V.I. Kukulin, NPA (1995)

Theoretical support :

- 3-body CDCC ($\alpha+d$)
- 4-body CDCC ($\alpha+p+n$)