

# Influence of the radiative Bhabha on fTOF background

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## Outlook

- Main sources of background, **using inputs from Bruno**
- Two methods to estimate the number of photo electrons (p.e.) in fTOF
- Estimation of the PMT **rate** and **collected charge**

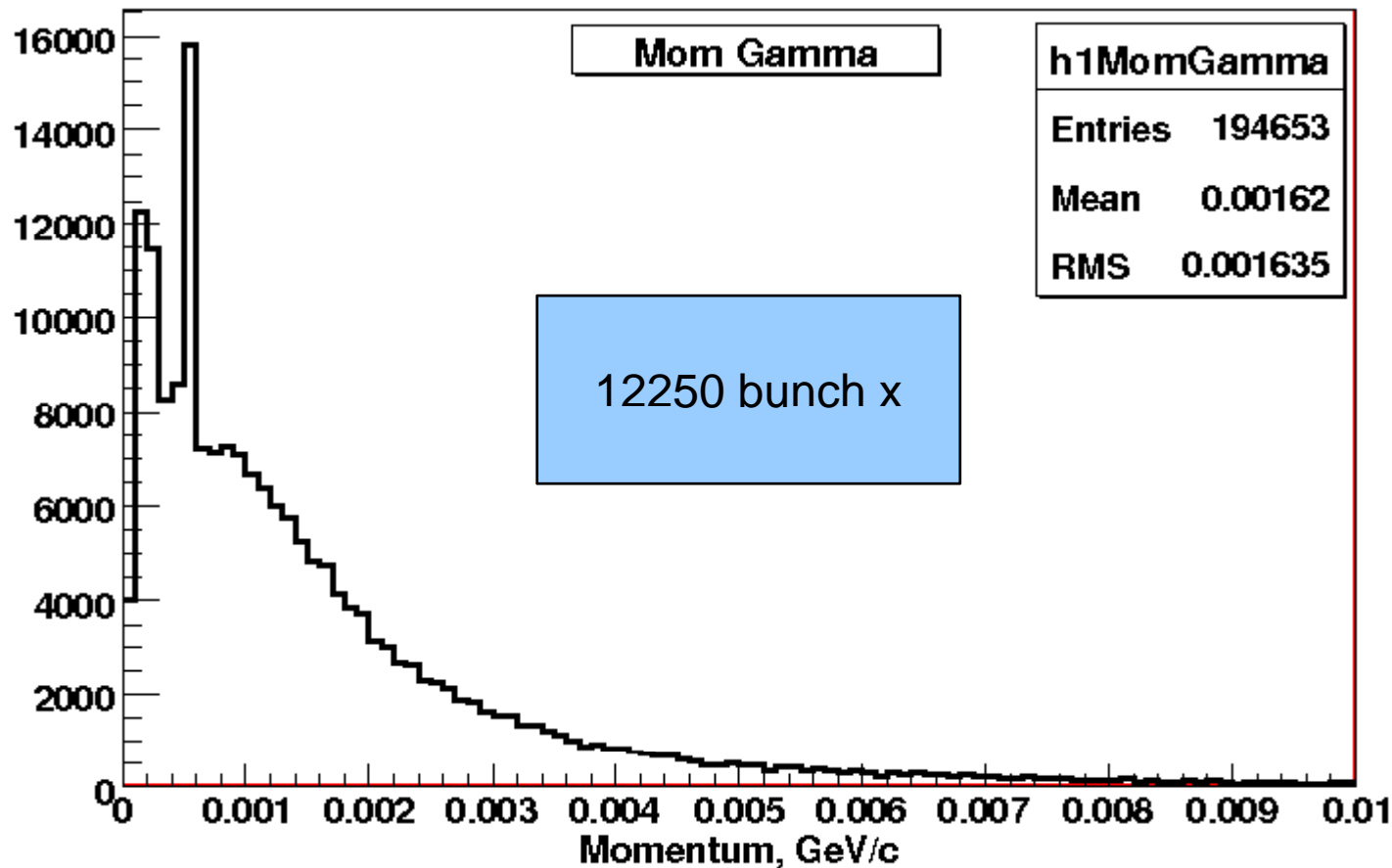


# Main sources of background

In forward region:

Gammas	– 87%	( using inputs from Bruno )
Neutrons	– 10%	
Electrons,positrons	– 3%	
Protons	< 0.1%	

Momentum spectrum of the gammas entering fTOF envelop



~16 gammas with momentum 1.6MeV entering the fTOF envelop region per bunch x

# Estimating the number of photo electrons: method 1

Number of p.e.  $\sim N_o * L[\text{cm}] * \sin^2(\text{Theta\_Cherenkov})$

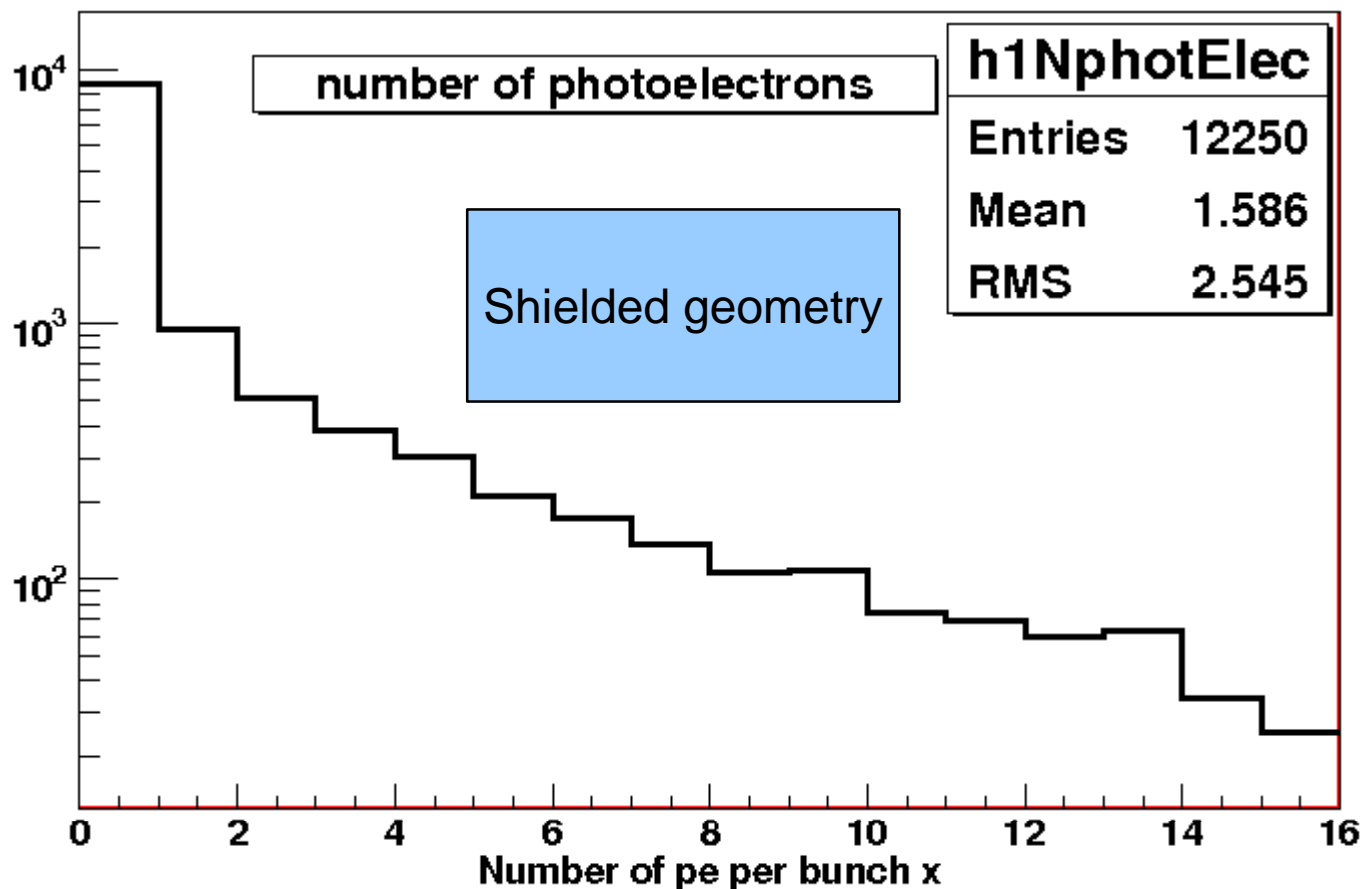
$$\sin^2(\text{Theta\_Cherenkov}) = 1 - 1/(n^2\beta^2)$$

L – given by Bruno

$N_o = 26$  (assume same performances as in BaBar)

$n = 1.47$

$\beta$  – given by Bruno

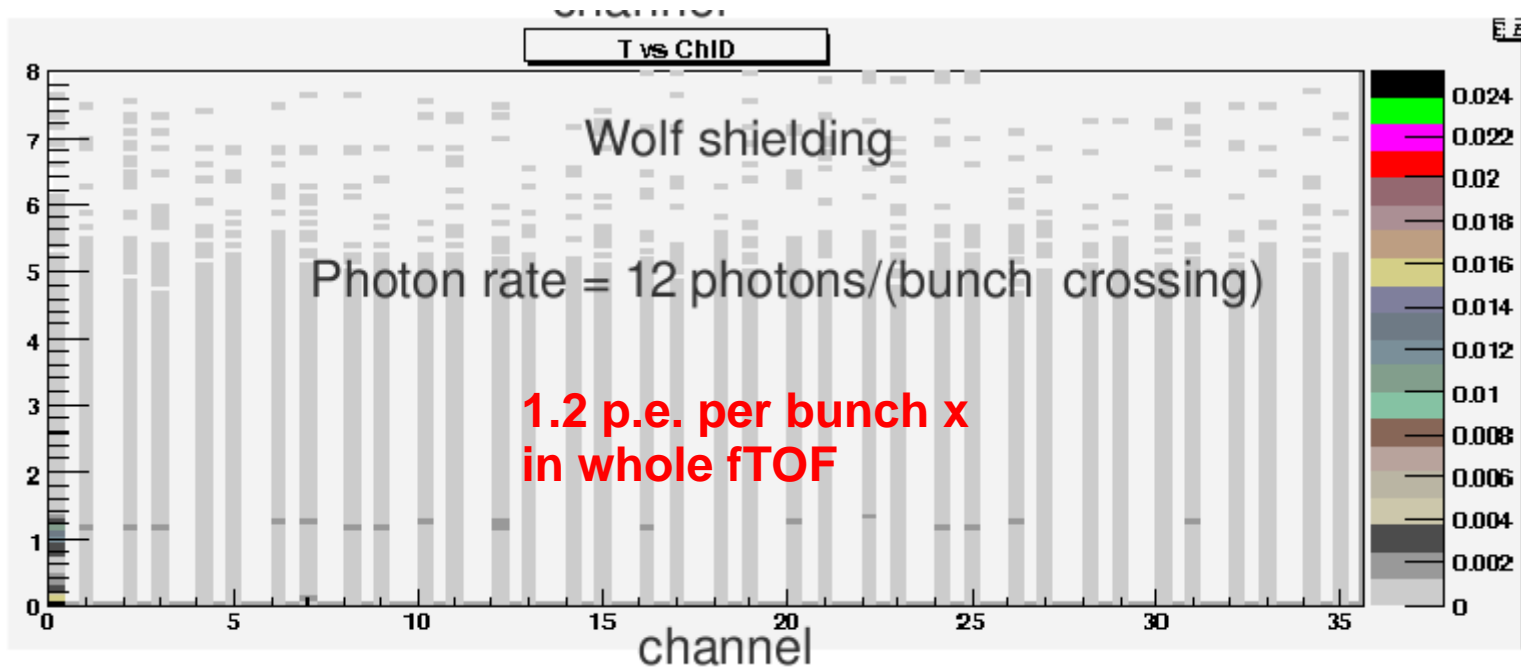


Gammas, electrons, positrons are taken into account.

**1.6 p.e. per bunch x  
in whole fTOF**

## Estimating the number of photo electrons: method 2

We can use output from Bruno as input in standalone simulation of the fTOF



<http://agenda.infn.it/getFile.py/access?contribId=124&sessionId=19&resId=0&materialId=slides&confId=2026>

**Both methods give approximately the same number of p.e.**

## Estimation of the rate and collected charge of the PMTs

- 209 MHz – bunch x frequency
  - 12 sectors
  - 14 PMTs
  - 4 channel/PMT
  - Using 1.5 p.e. / event as input for the equations below
- 1 year =  $2.0 * 10^7$  s
  - Surface of one channel =  $1.1 \text{ cm}^2$   
PMT gain =  $10^6$

$$\begin{aligned}\text{Rate} &= \\ 1.5(\text{p.e.}) * 209\text{MHz} / (14(\text{PMTs}) 12(\text{sectors}) 4(\text{channels})) \\ &= \mathbf{470 \text{ kHz / channel}}\end{aligned}$$

$$\begin{aligned}\text{Charge} &= \\ 1.5(\text{p.e.}) * 209\text{MHz} * 10^6(\text{gain}) * 2.0 * 10^7(\text{sec in year}) * 1.6 * 10^{-19}(\text{electron charge}) / (14(\text{PMTs}) 12(\text{sectors}) 4(\text{channels}) 1.1\text{cm}^2) \\ &= \mathbf{1.4 \text{ C / (cm}^2 \text{ year)}}\end{aligned}$$