

# **Spectral equivalence for dDE models**

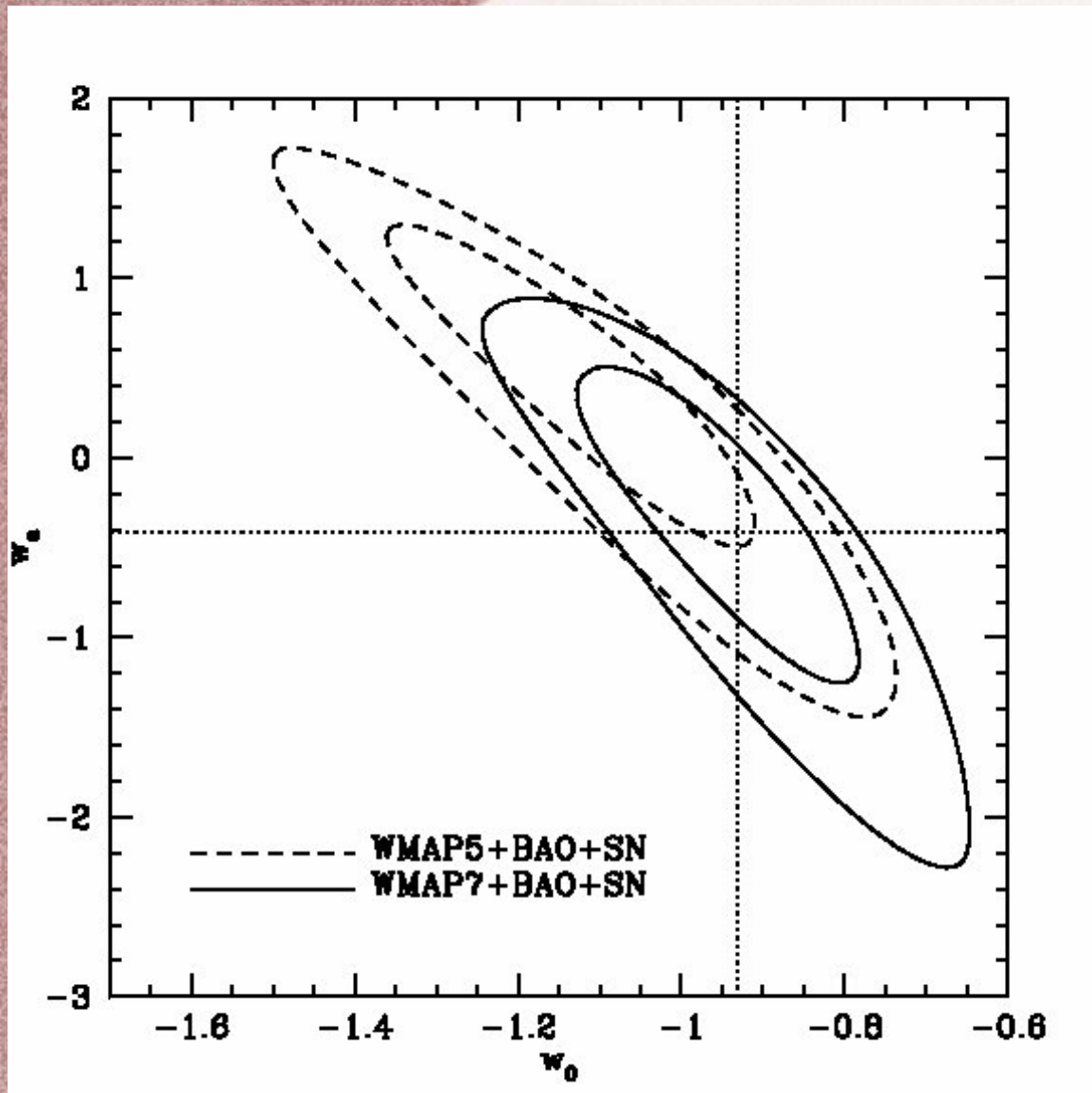
**Luciano Casarini, Silvio A. Bonometto (I.N.F.N. Milano Bicocca)**

**Andrea V. Maccio' (Max Planck Institute for Astronomy, Heidelberg)**

**Greg S. Stinson (University of Central Lancashire, Presto)**

Frascati, 22-23 Giugno 2010

# Time dependent equation of state – Weak lensing



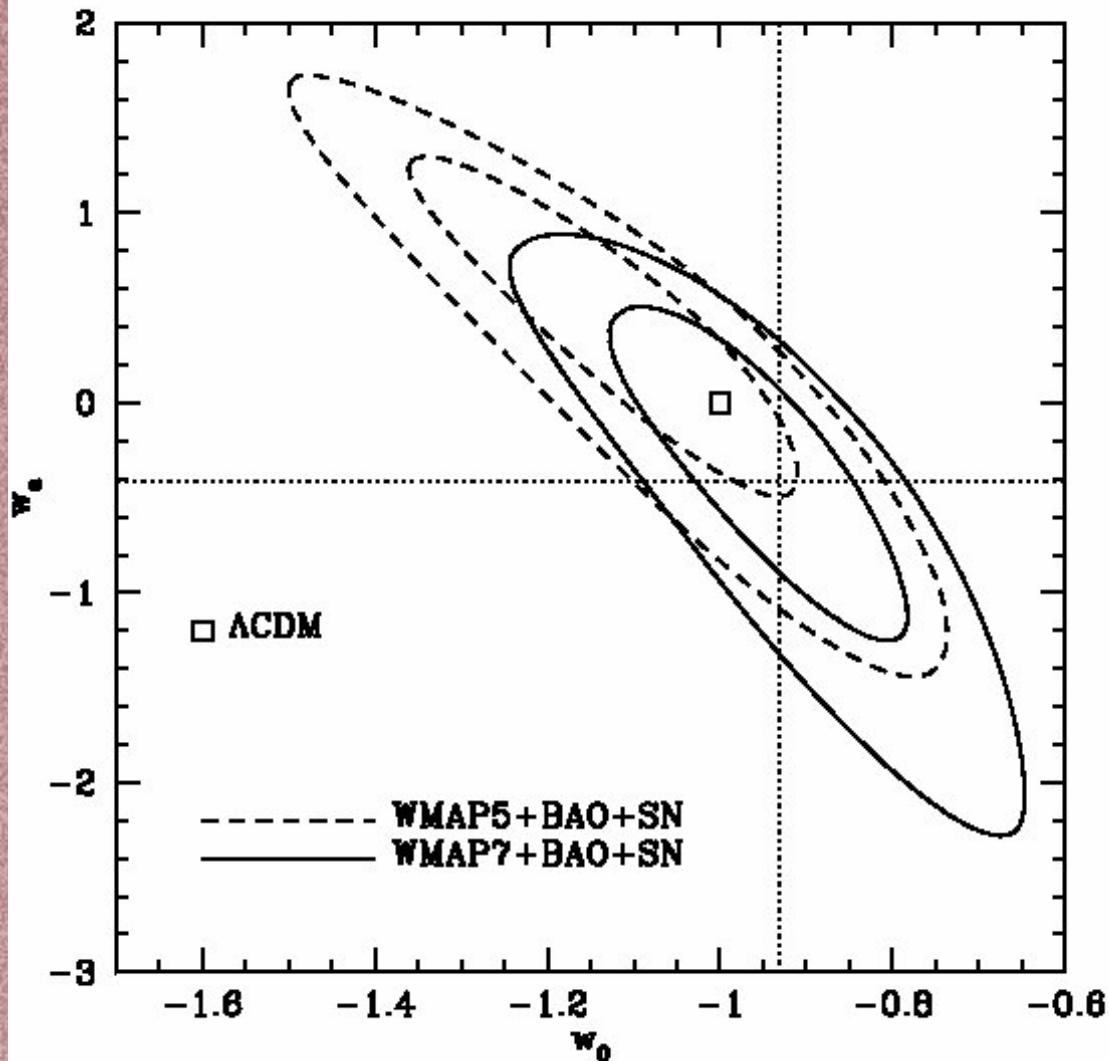
different cosmologies  
predict different histories  
for structures formation

weak lensing will discriminate  
power spectra  $P(k,z) \sim 1\% !!!$   
(Huterer & Takada 2005)

**how to predict accurately  
 $P(k,z)$  to compare models with  
next data?**

$$w(a) = w_0 + w_a(1-a)$$

# Time dependent equation of state – Weak lensing



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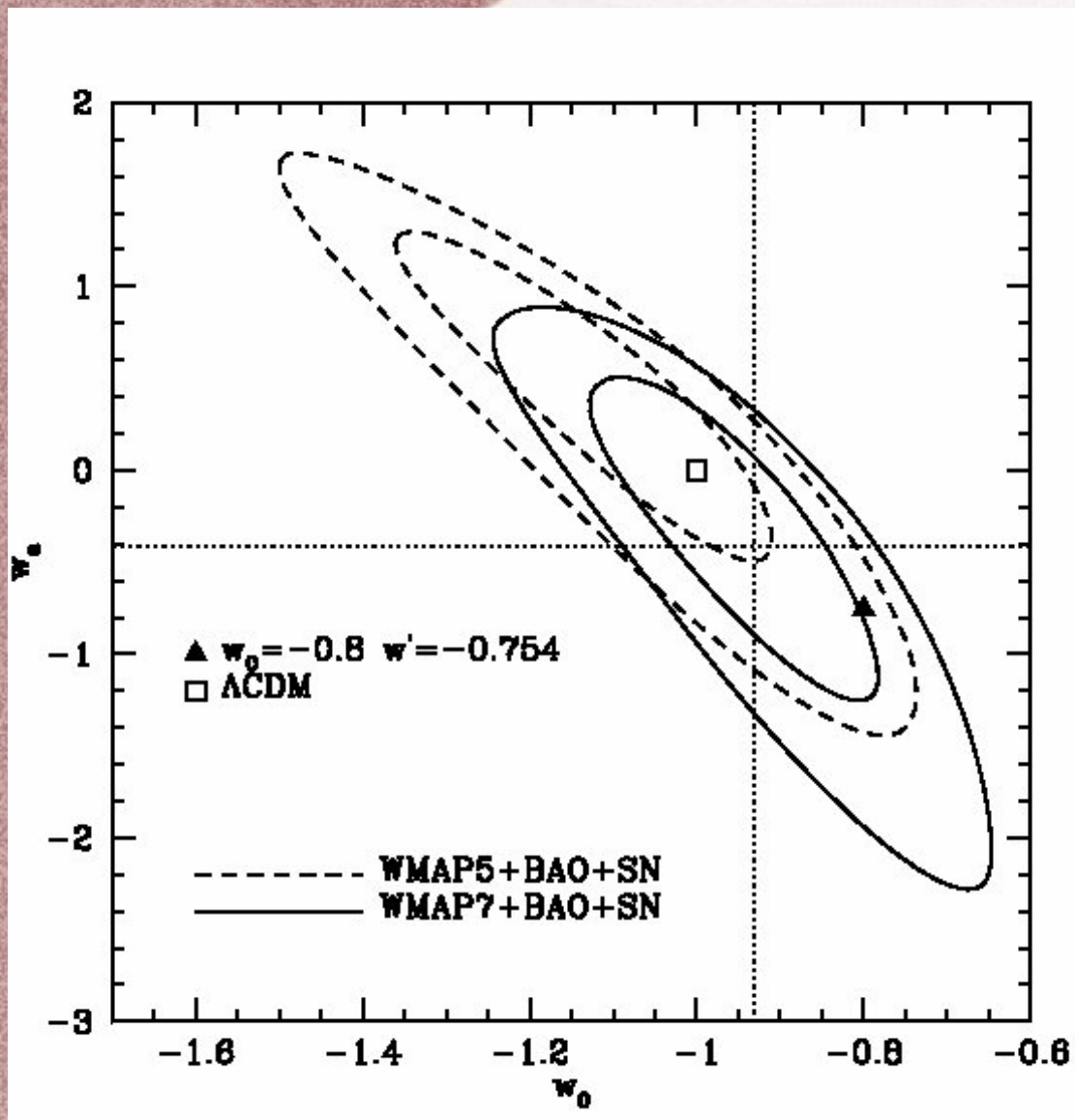
weak lensing will discriminate  
power spectra  $P(k,z) > 1\%$  !!!  
(Huterer & Takada 2005)

how to predict accurately  $P(k,z)$   
to compare models with next  
data?

**Halofit provide an analytical  
expression for  $\Lambda$ CDM  $\sim 3\%$   
until  $k \sim 3 h \text{ Mpc}^{-1}$  (Smith et al.  
2003)**

$$w(a) = w_0 + w_a(1-a)$$

# Spectral equivalence: dDE vs $\Lambda$ CDM



$$\sigma_8 = \sigma_8' \text{ (linear fluctuations)}$$

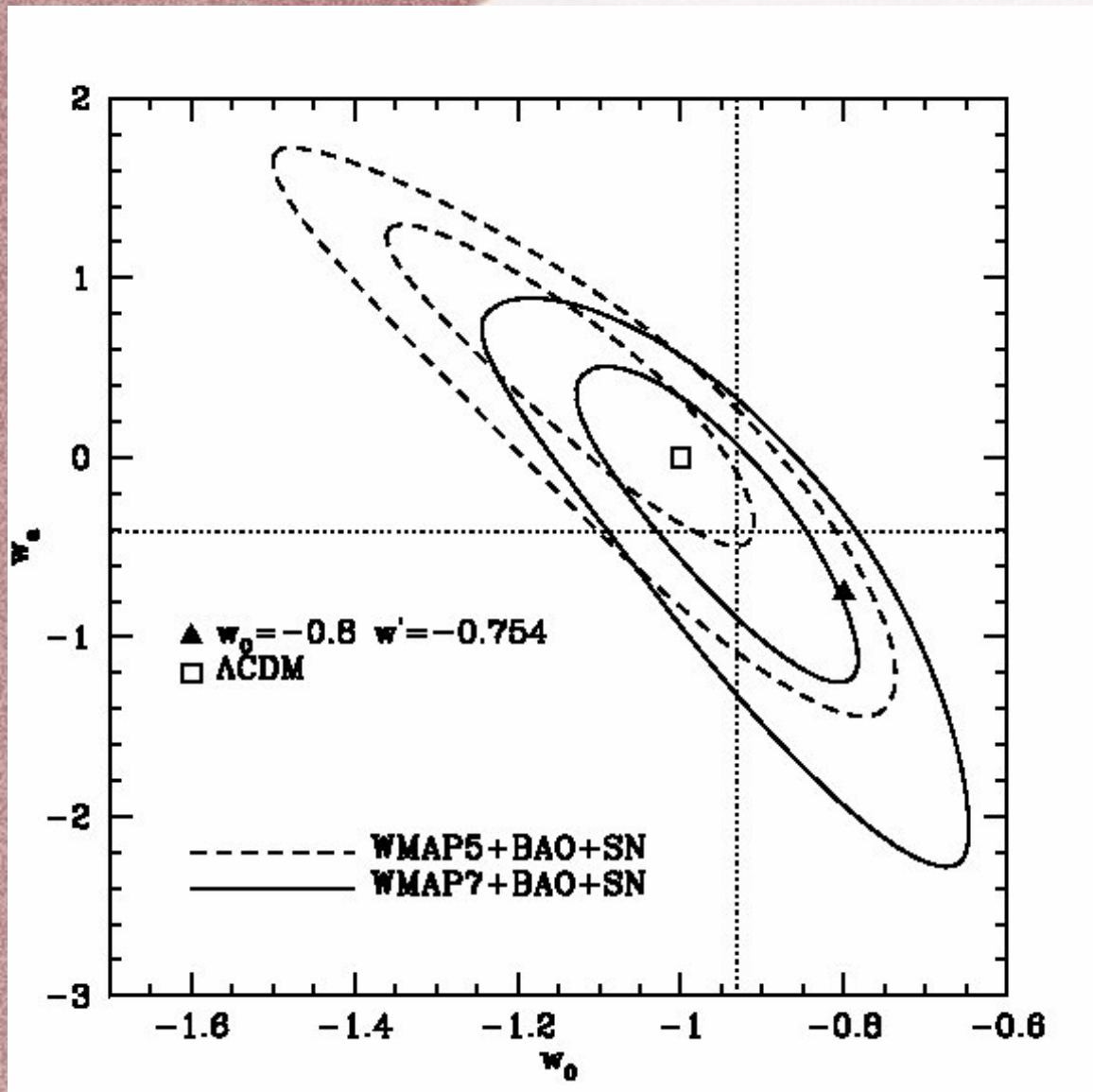
$$\Omega_m h^2 = \Omega_m' h'^2 \text{ (BAO)}$$

$$d_{\text{LSB}} = d_{\text{LSB}}' \text{ (conformal time)}$$

$$h_0 = h_0'$$

$$\Omega_{m0} = \Omega_{m0}'$$

# Spectral equivalence: dDE vs $\Lambda$ CDM



$\sigma_8 = \sigma_8'$  (linear fluctuations)

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tuning:

$d_{\text{LS}} = d_{\text{LS}}'$  (conformal time)

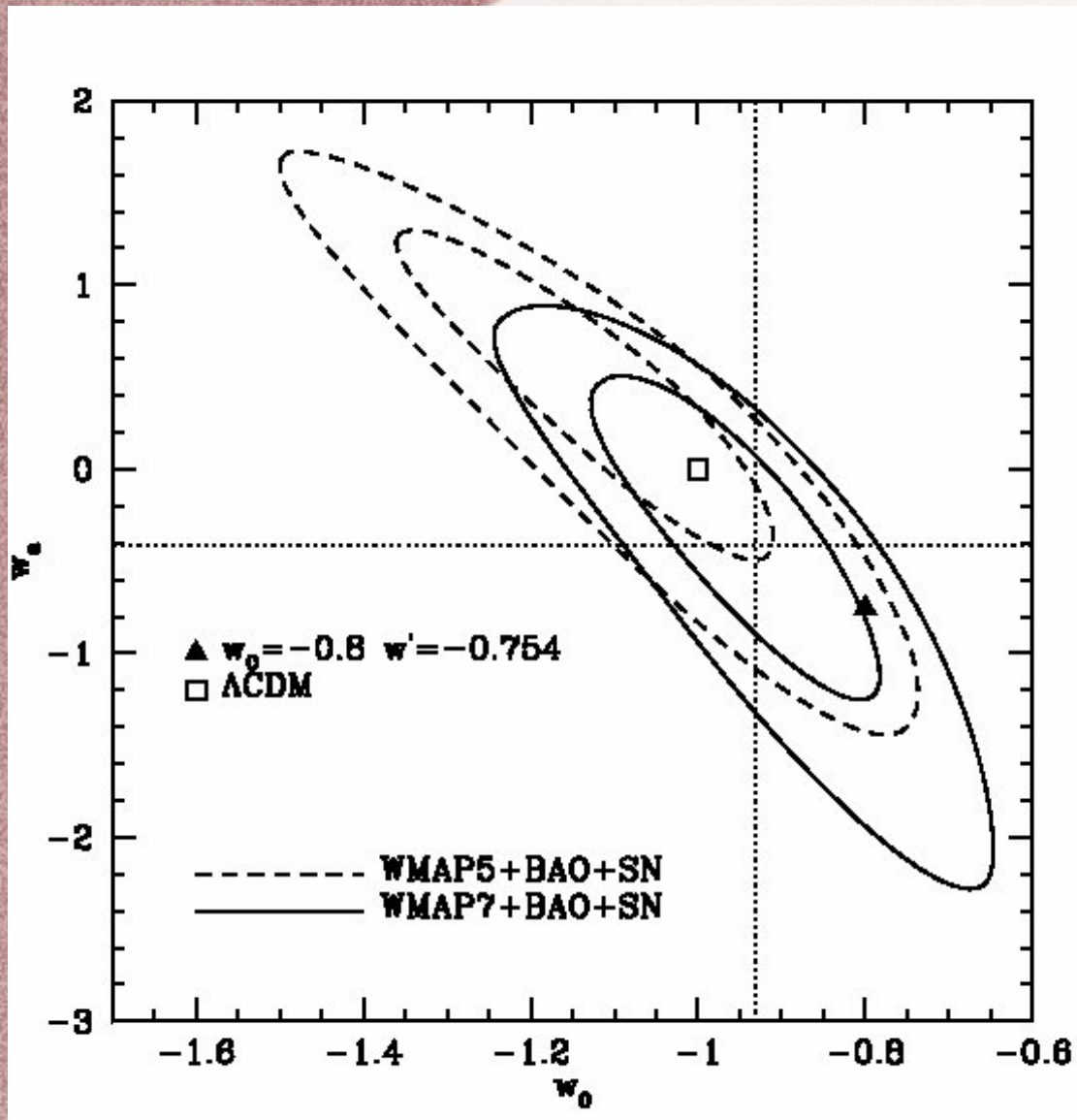
varying  $h$  (so  $\Omega_m$ )

$h_0 \neq h_0'$

$\Omega_{m0} \neq \Omega_{m0}'$

(Linder & White 2006)

# Spectral equivalence: dDE vs $w=\text{const}$



$\sigma_8 = \sigma_8'$  (linear fluctuations)

$\Omega_m h^2 = \Omega_m' h'^2$  (BAO)

tuning:

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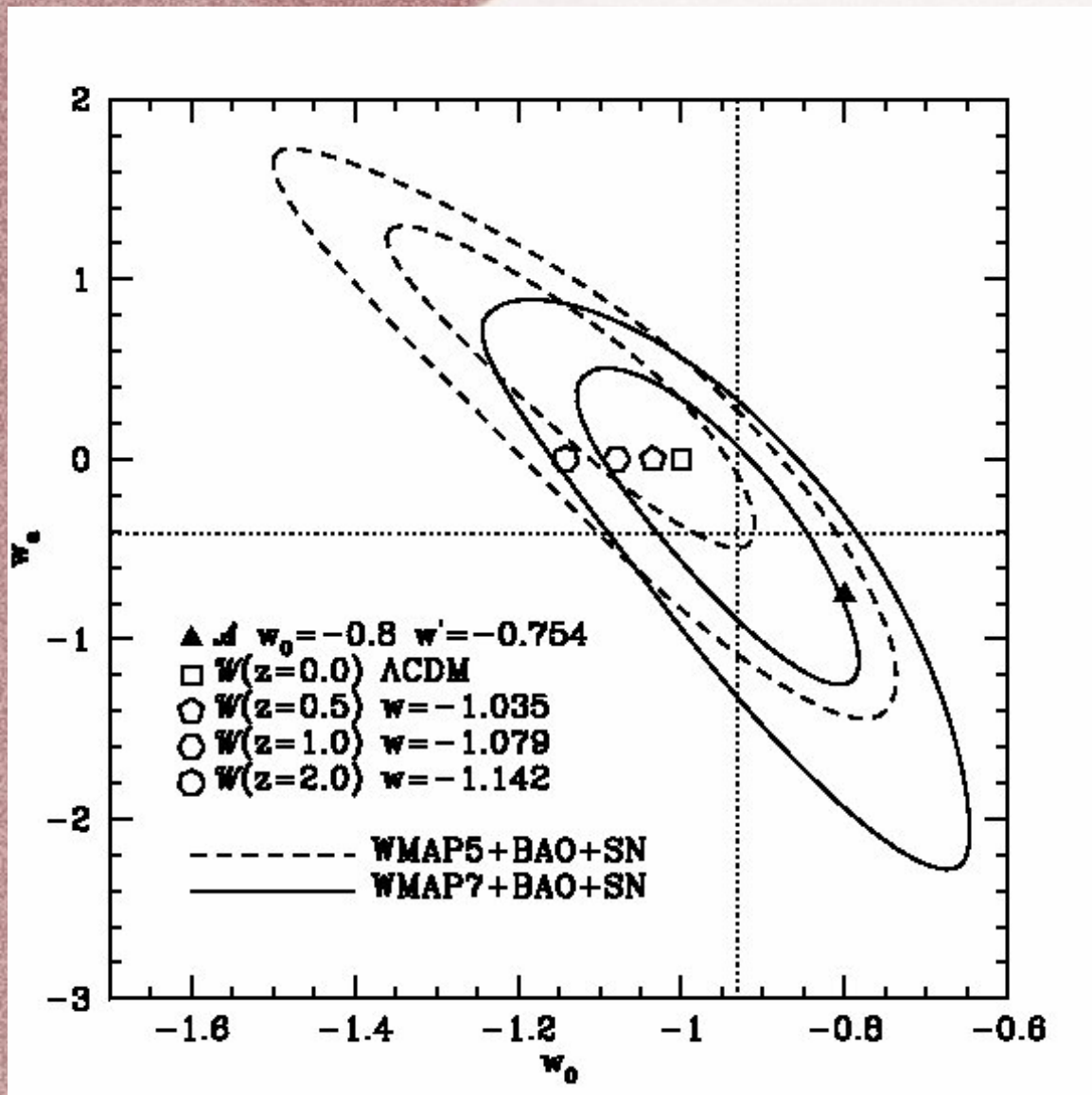
$\Omega_{m0} = \Omega_{m0}'$

(Francis, Lewis & Linder 2007)

ok for  $z=0$  (<1%)

does not work for  $z>0$  (>1%)

# Spectral equivalence: dDE vs $w=\text{const}$



$\sigma_8(z) = \sigma_8'(z)$  (linear fluctuations)

$\Omega_m h^2 = \Omega_m' h'^2$  (BAO)

tuning:

$d_{\text{LSB}}(z) = d_{\text{LSB}}'(z)$  (conformal time)

varying  $w = \text{const}$  **at different  $z$**

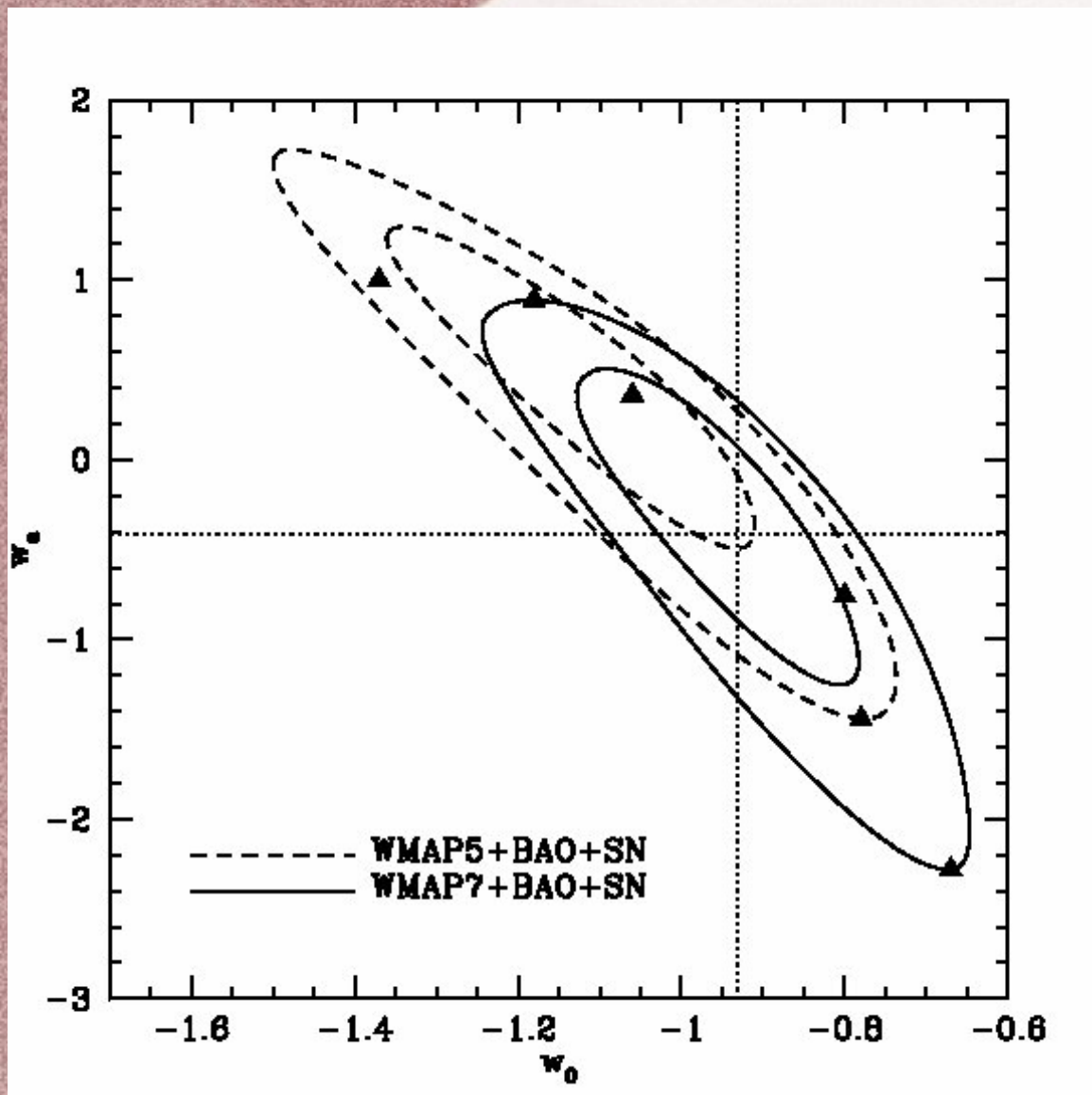
$h_0 = h_0'$

$\Omega_{m0} = \Omega_{m0}'$

(Casarini, Maccio' & Bonometto 2009)

ok for every redshift

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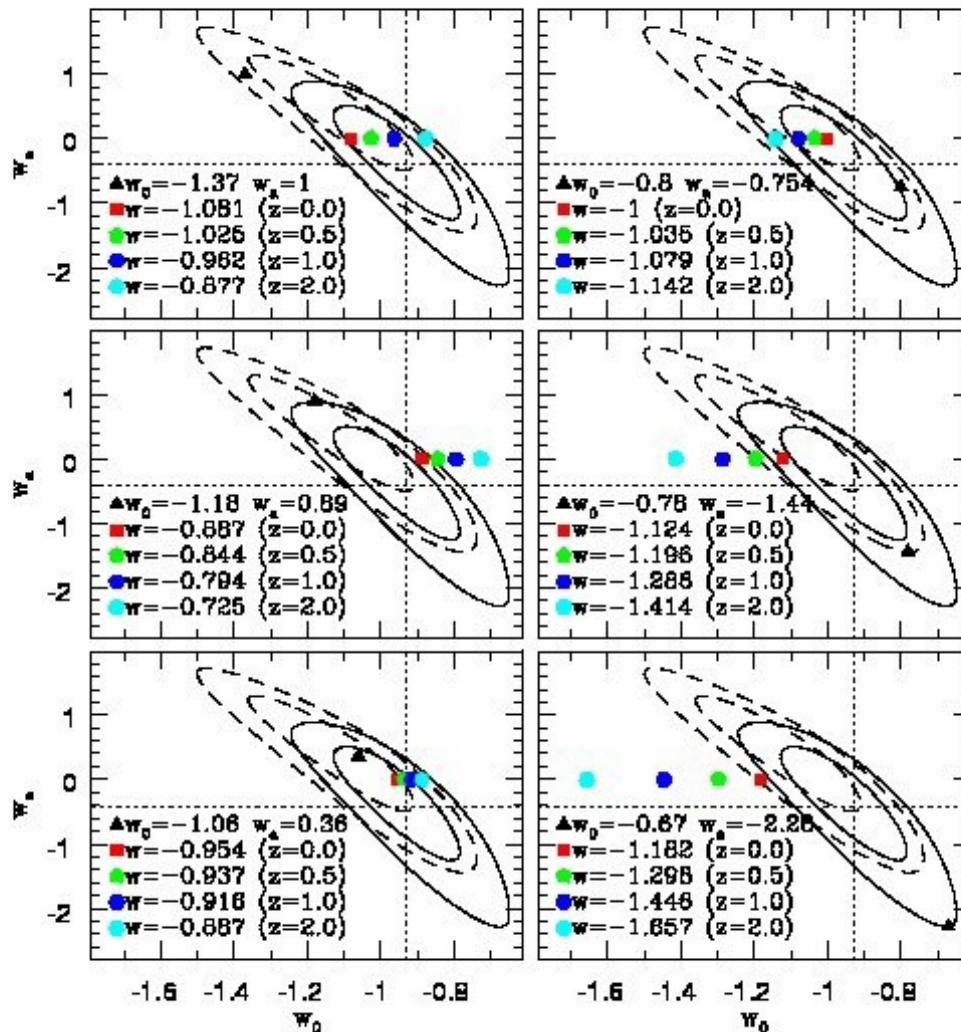
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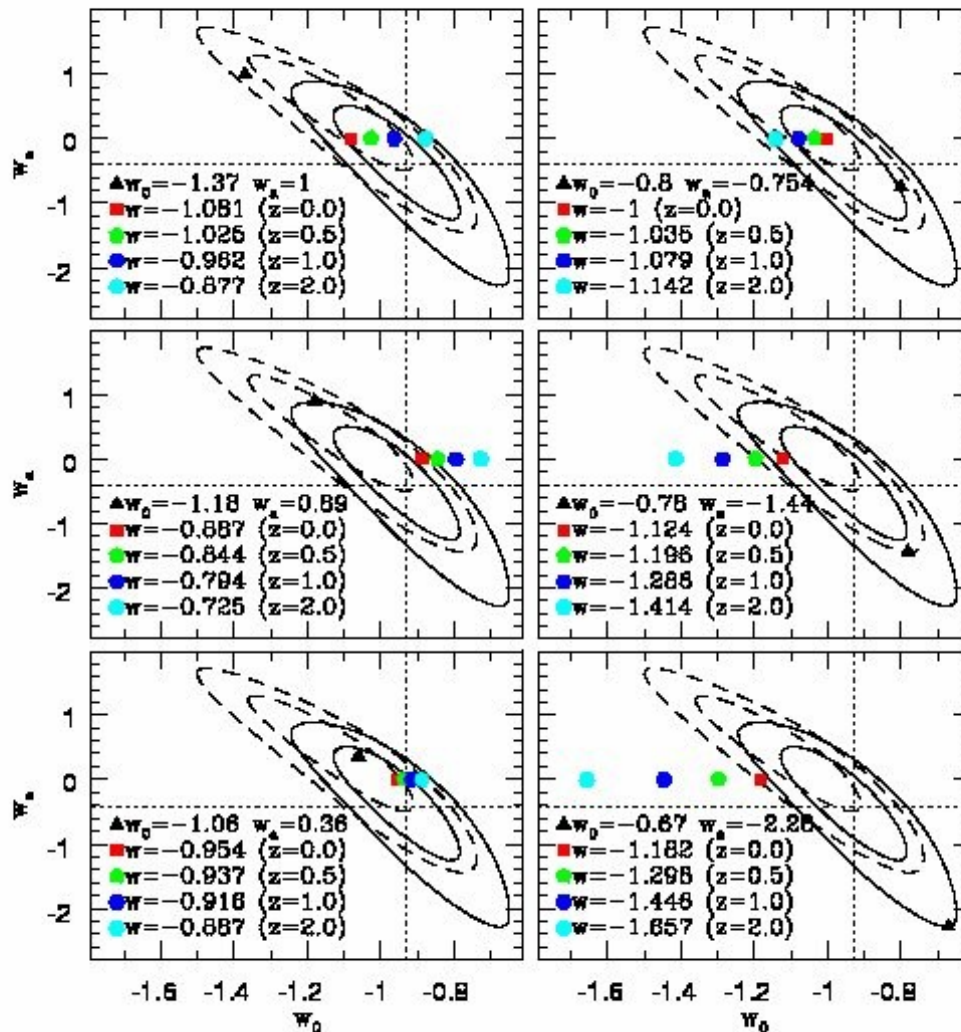
$h_0 = h_0'$

$\Omega_{m0} = \Omega_{m0}'$

(Casarini, Maccio' & Bonometto 2009)

ok for every redshift

# Non linearity – N-body simulations



$$w(a) = w_0 + w_a(1-a)$$

$$h_0 = 0.7$$

$$\Omega_m = 0.274$$

$$\Omega_{de} = 0.726$$

$$n_s = 0.96$$

$$\sigma_8 = 0.81$$

$$L_{\text{box}} = 256 \text{ Mpc } h^{-1}$$

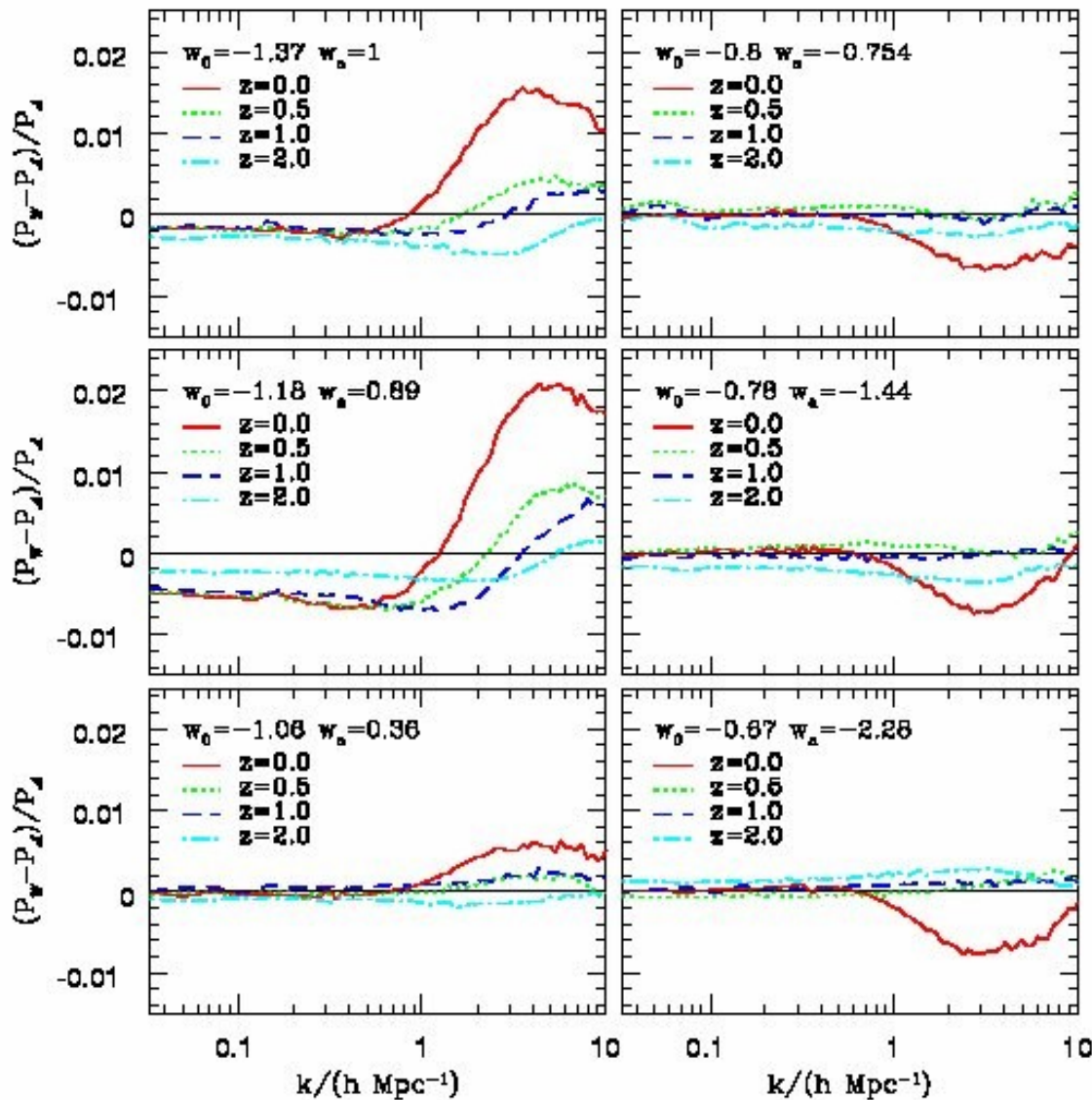
$$N_{\text{part}} = 256^3$$

$$K_{\text{max}} \sim 10 \text{ h Mpc}^{-1}$$

$$m_{\text{part}} = 7.61 \cdot 10^{10} \text{ M}_s h^{-1}$$

PKDGRAV (Stadel 2001)

# Spectral equivalence: dDE vs $w=\text{const}$



$\sigma_8(z) = \sigma_8'(z)$  (linear fluctuations)

$\Omega_m h^2 = \Omega_m' h'^2$  (BAO)

tuning:

$d_{\text{LSB}}(z) = d_{\text{LSB}}'(z)$  (conformal time)

**varying  $w=\text{const}$  at different  $z$**

$h_0 = h_0'$

$\Omega_{m0} = \Omega_{m0}'$

supercluster scale:

**-equivalence at  $\sim 0.001\%$ !!**

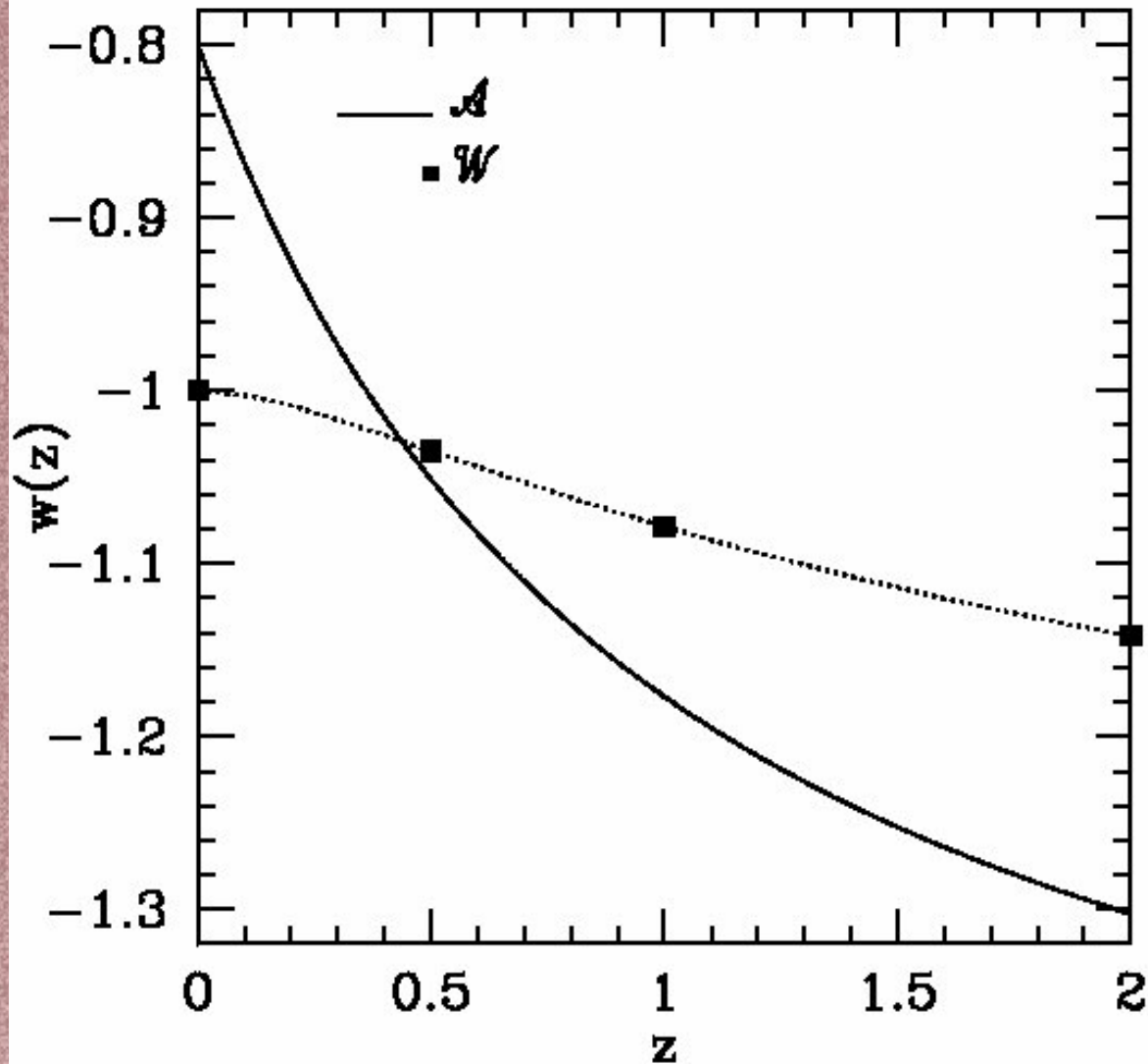
cluster scale:

-conformal time  $\neq$  physical time

**-equivalence at  $\sim 0.01\%$**

-what happens with baryons?

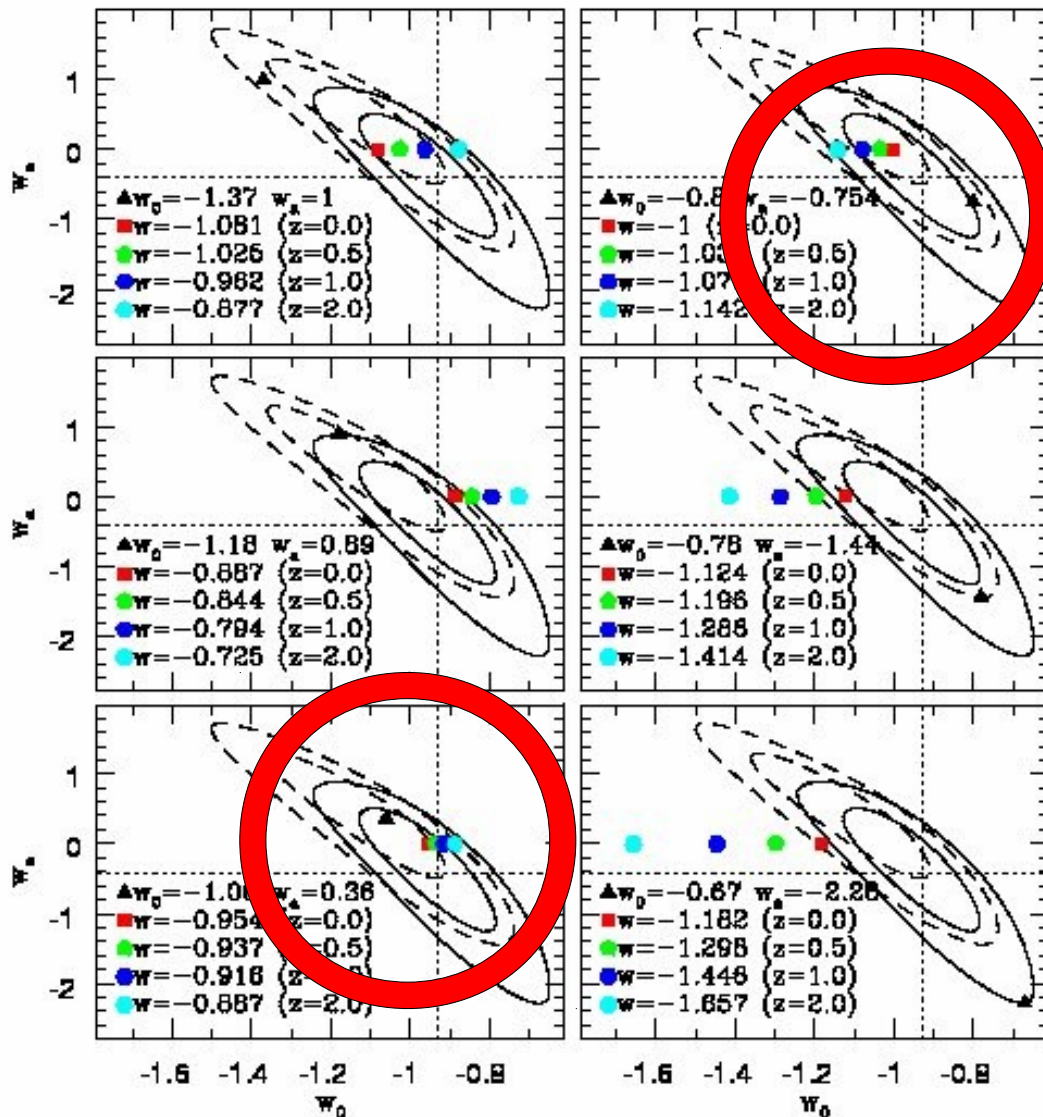
# Spectral equivalence: dDE vs $w=\text{const}$



$w(z) \neq w'(z)!!!$

bias for experiments!

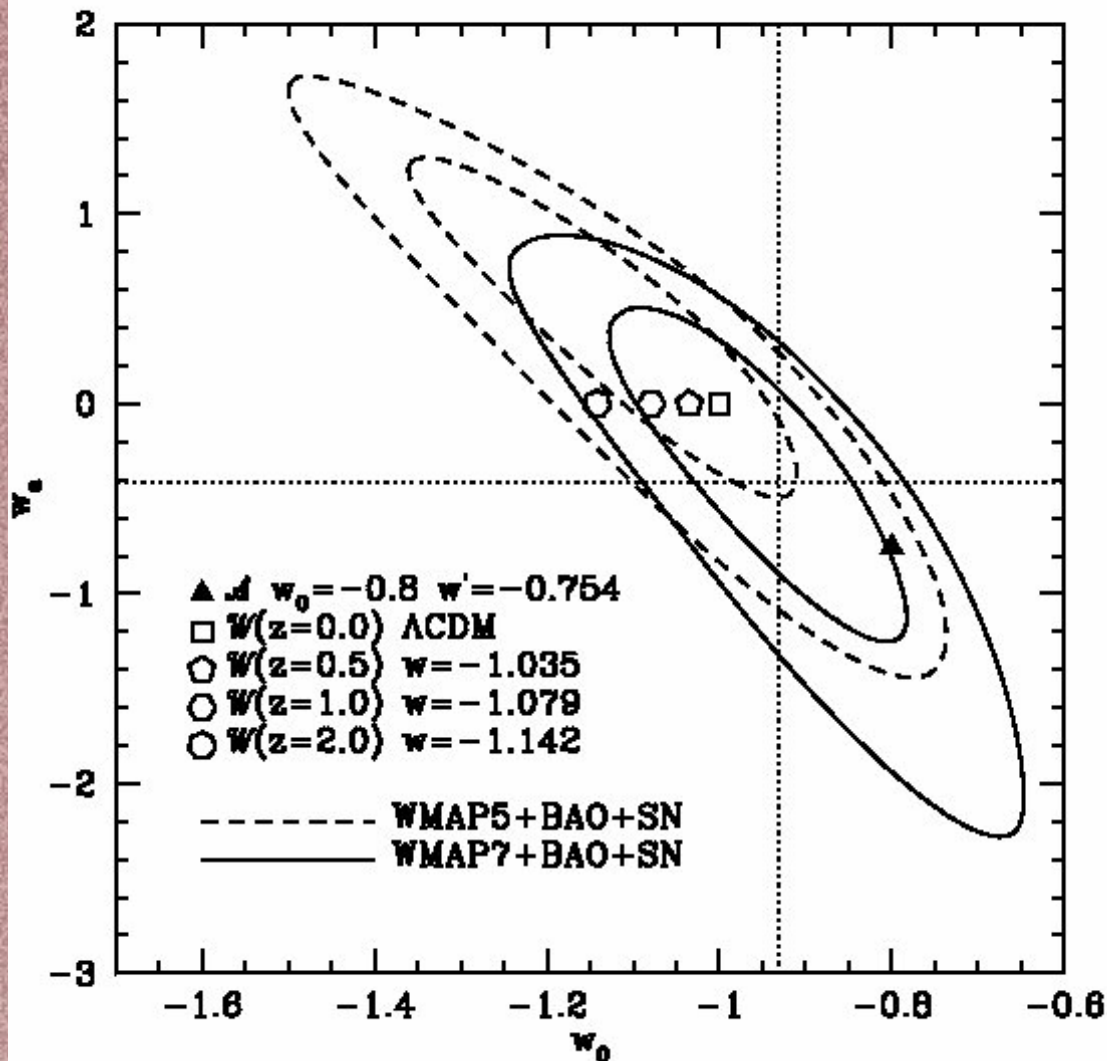
# Spectral equivalence: dDE vs $w=\text{const}$



$w'(z)$  closer than  $w(z)$

bias for experiments!

# Cluster scale – Hydro simulations



$$w(a) = w_0 + w_a(1-a)$$

$$h_0 = 0.7$$

$$\Omega_c = 0.228 \quad \Omega_b = 0.046$$

$$\Omega_{de} = 0.726$$

$$n_s = 0.96$$

$$\sigma_8 = 0.81$$

$$L_{\text{box}} = 256 (64^*) \text{ Mpc } h^{-1}$$

$$N_{\text{part}} = 256^3$$

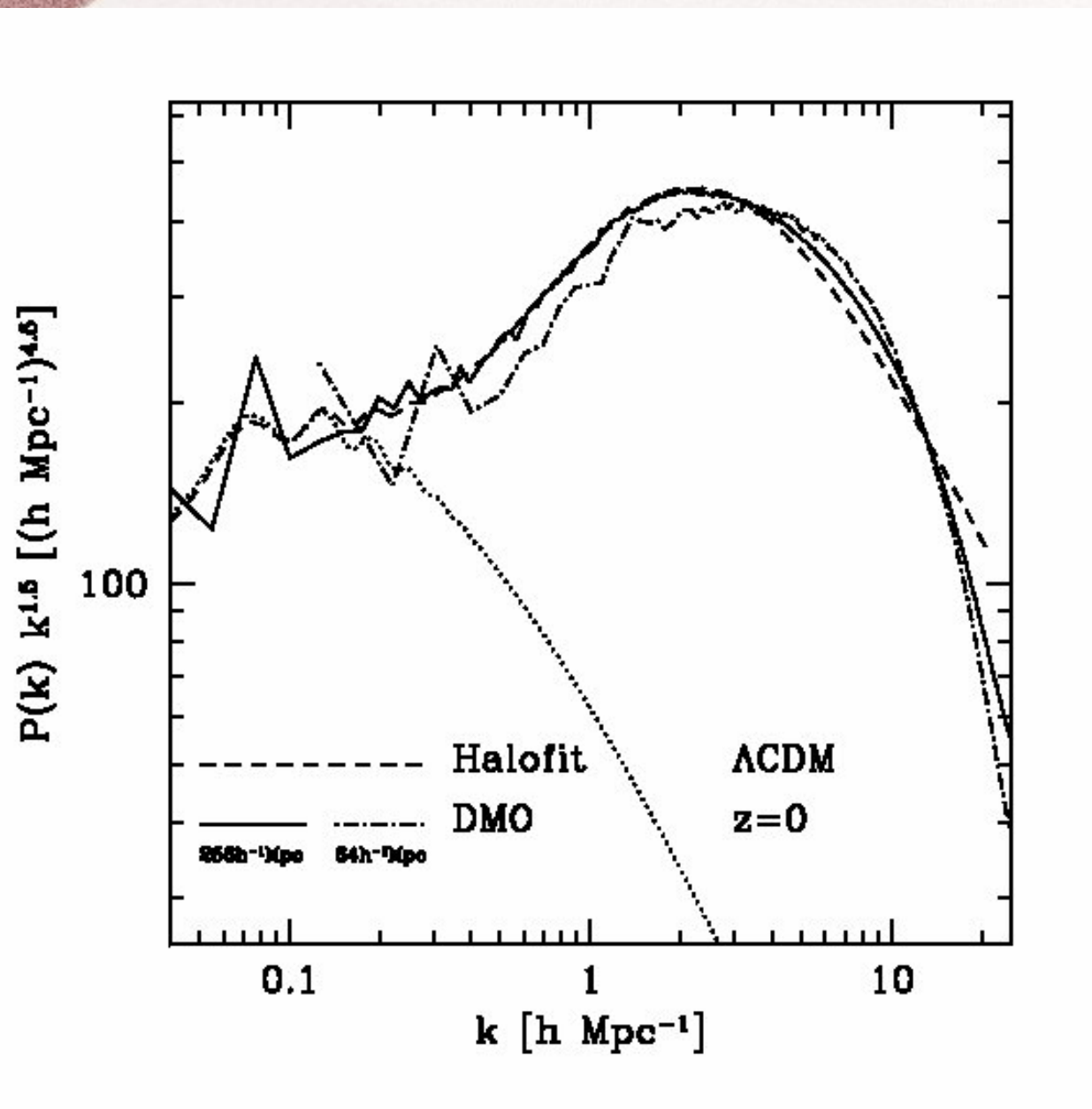
$$m_{\text{part-c}} = 6.33 \cdot 10^{10} \text{ M}_s h^{-1}$$

$$m_{\text{part-b}} = 1.28 \cdot 10^{10} \text{ M}_s h^{-1}$$

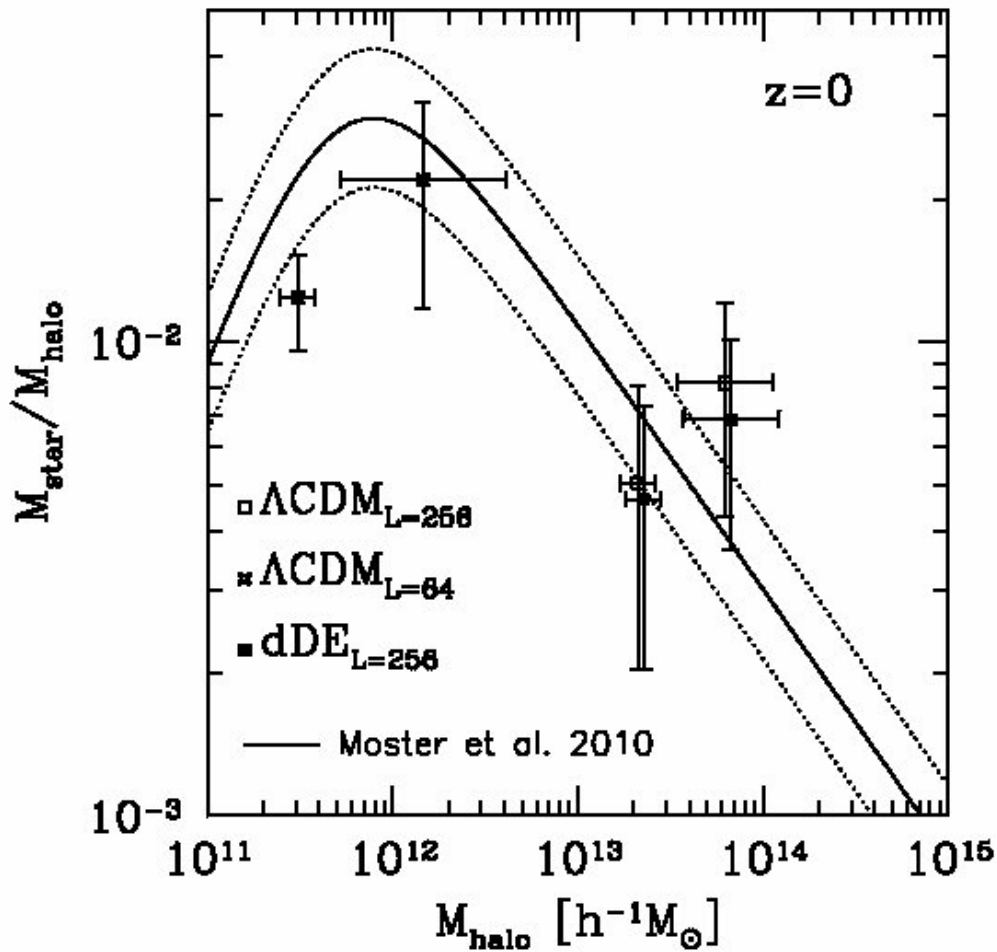
GASOLINE (Wadsley et al 2001)

\*only for  $\Lambda$ CDM

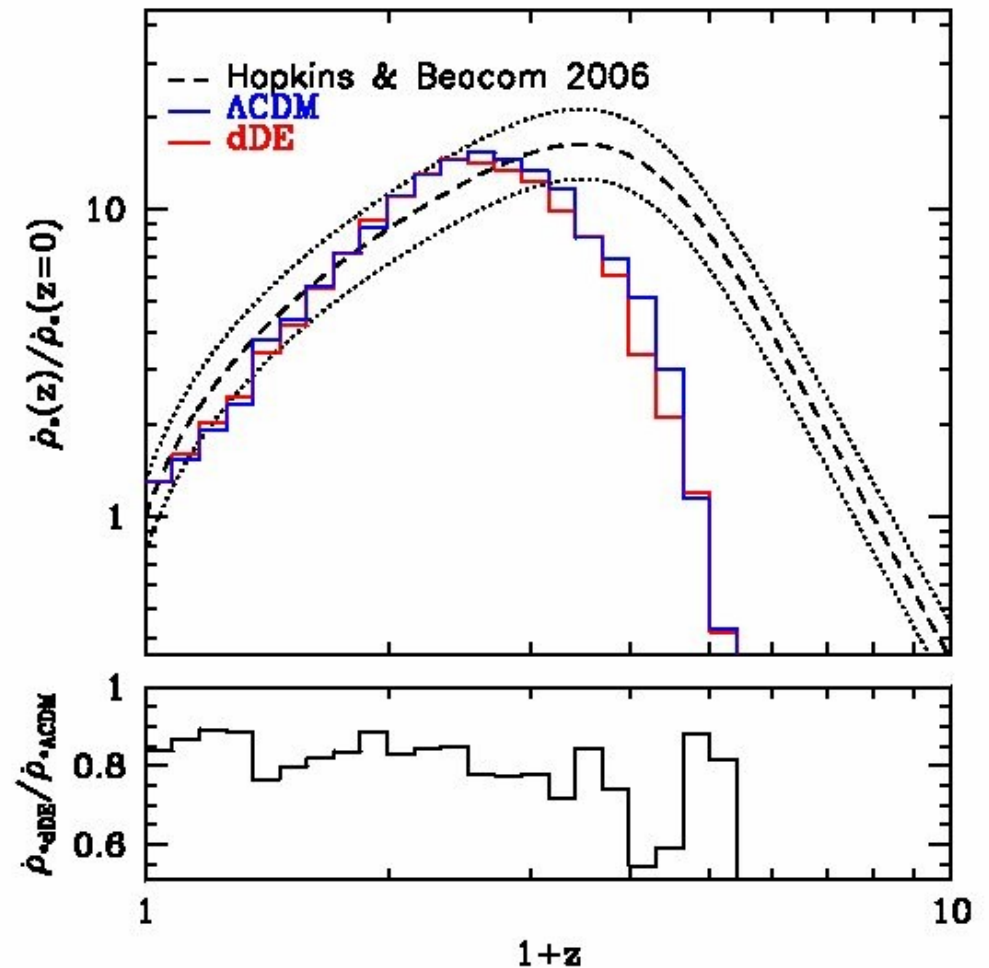
# Sample variance vs resolution - $P(k)$



# Sample variance vs resolution - Star formation



fair star fraction in halos

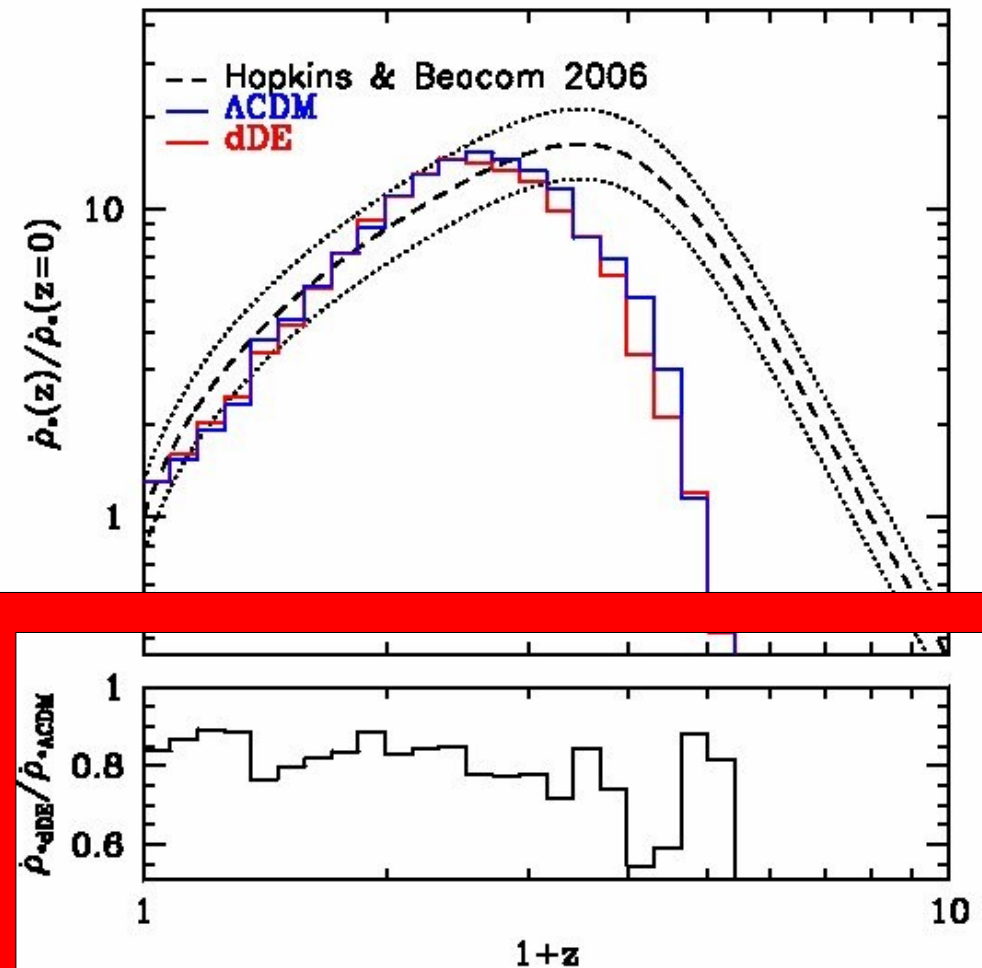
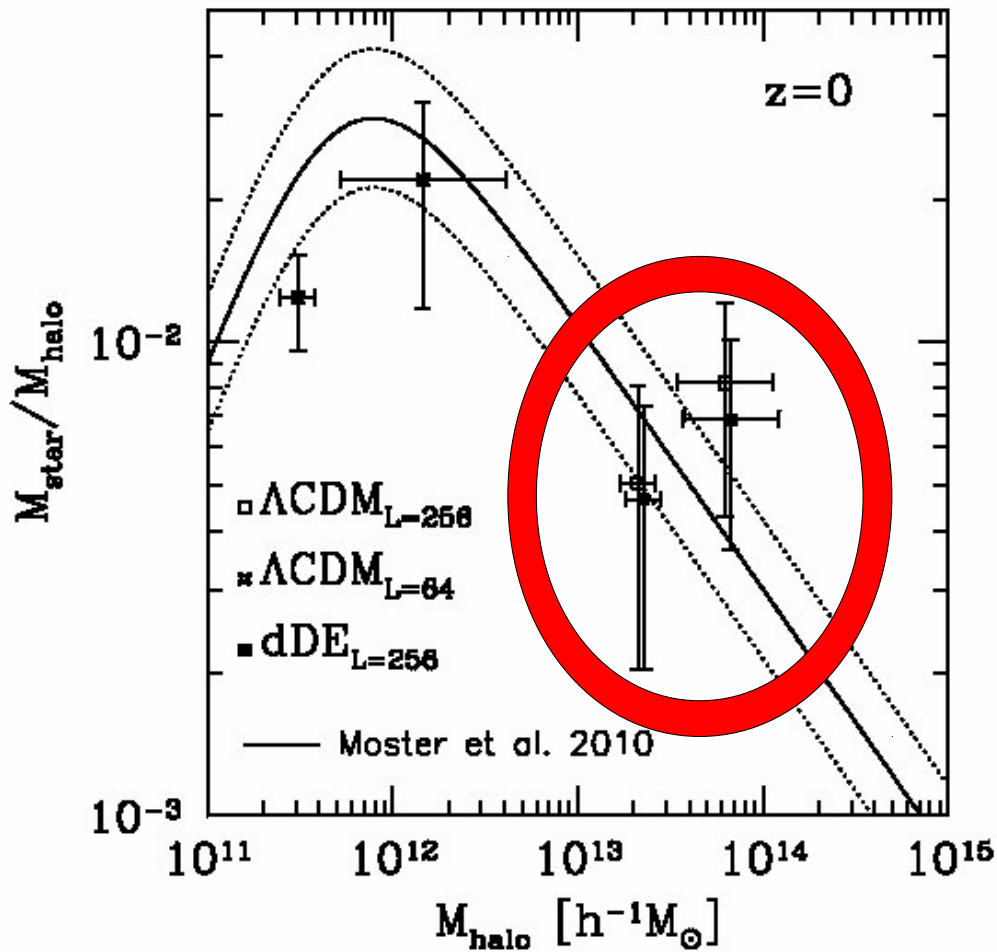


small halos missed

resolution good enough for our purpose

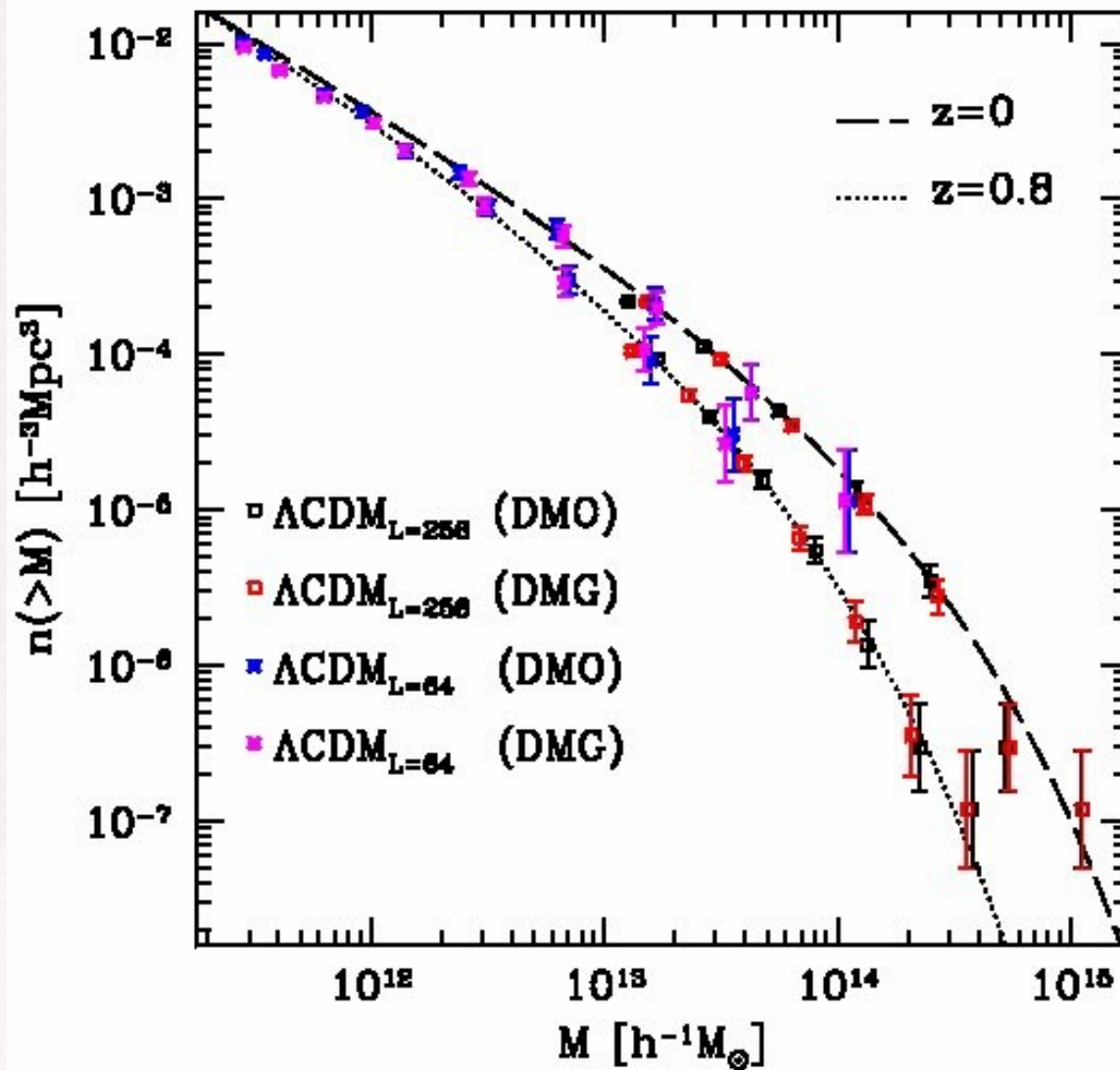


# Sample variance vs resolution - Star formation

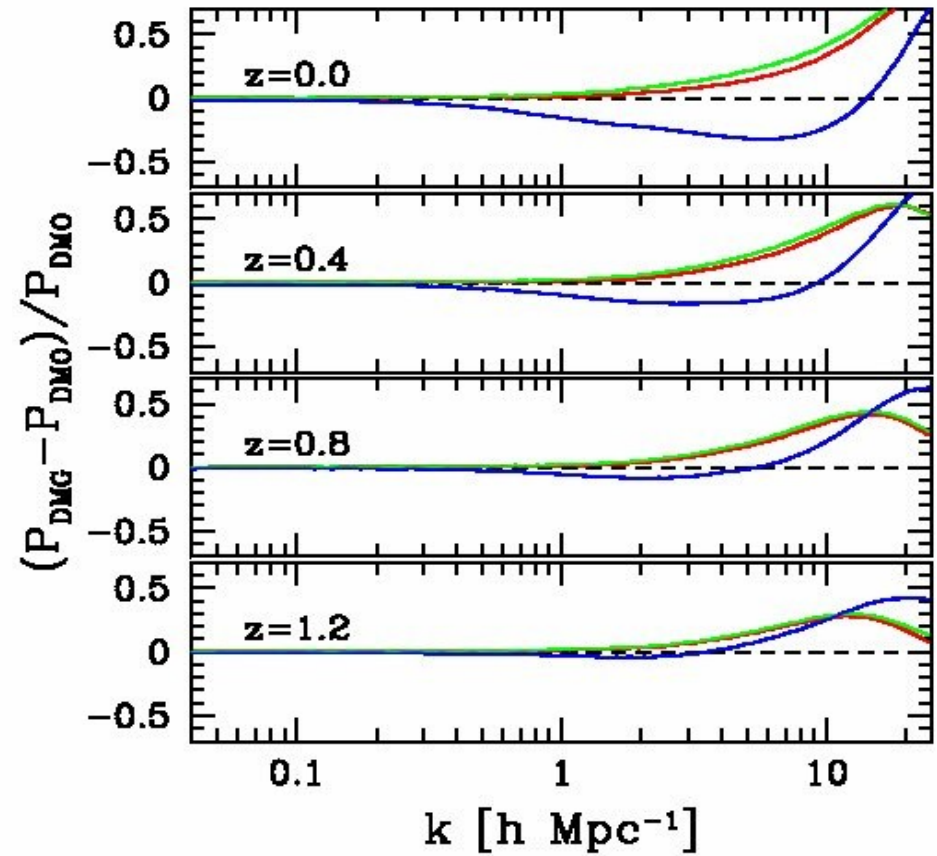
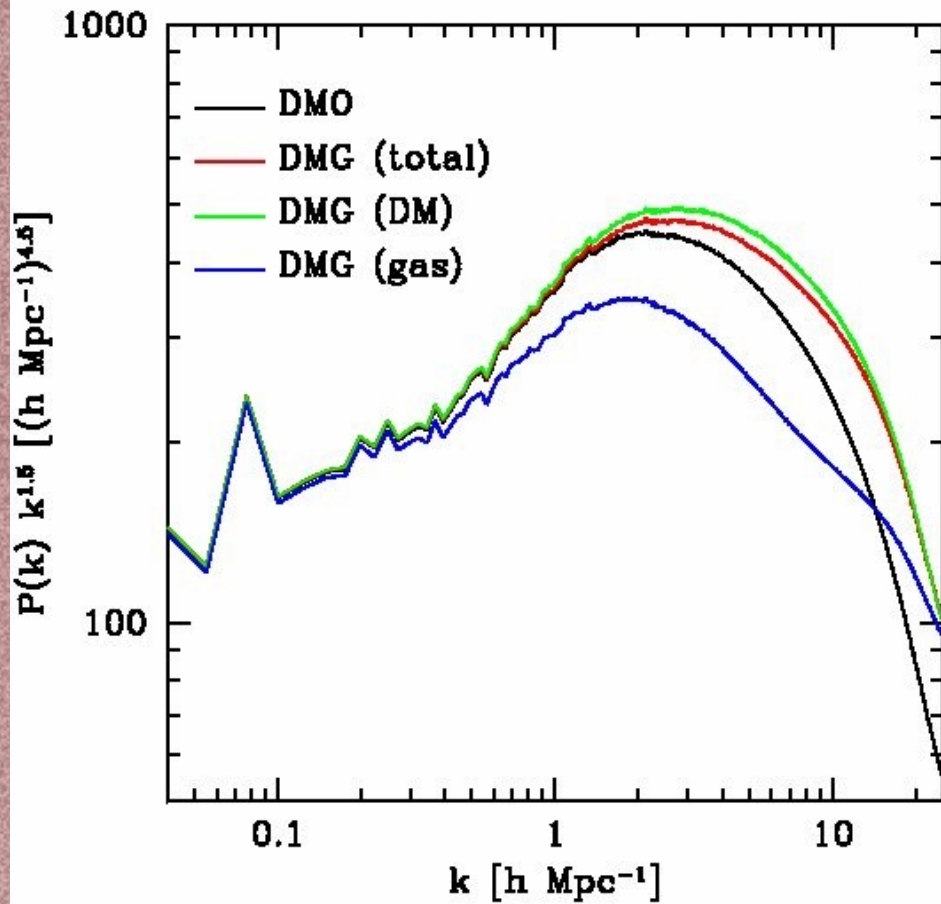


$\Lambda\text{CDM}$  and  $\text{dDE}$  differ in star formation?!?  
 we would need more resolution...

# Halo mass function



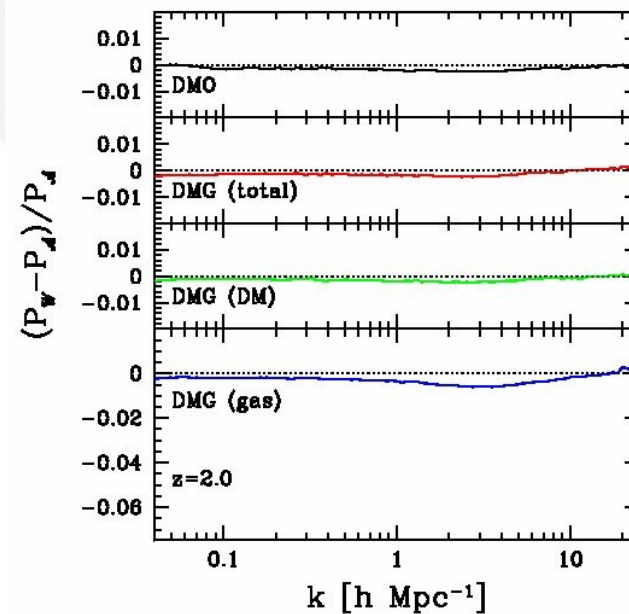
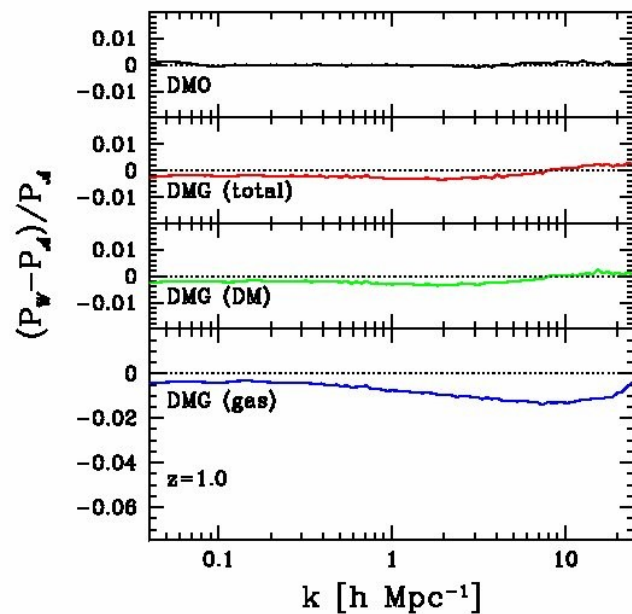
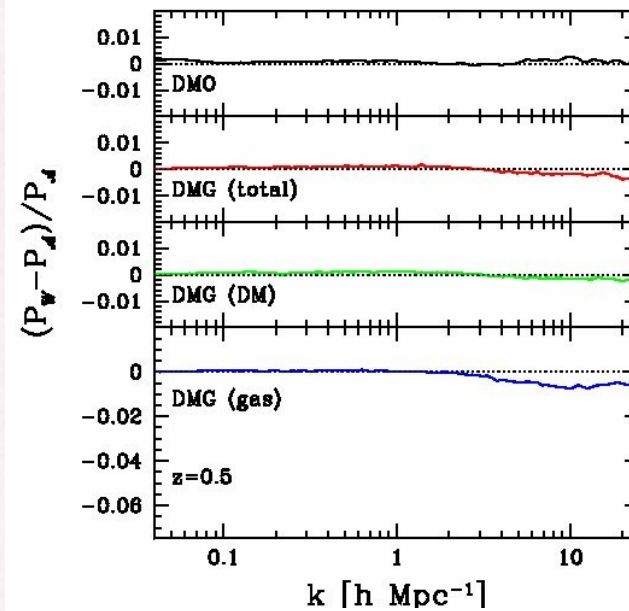
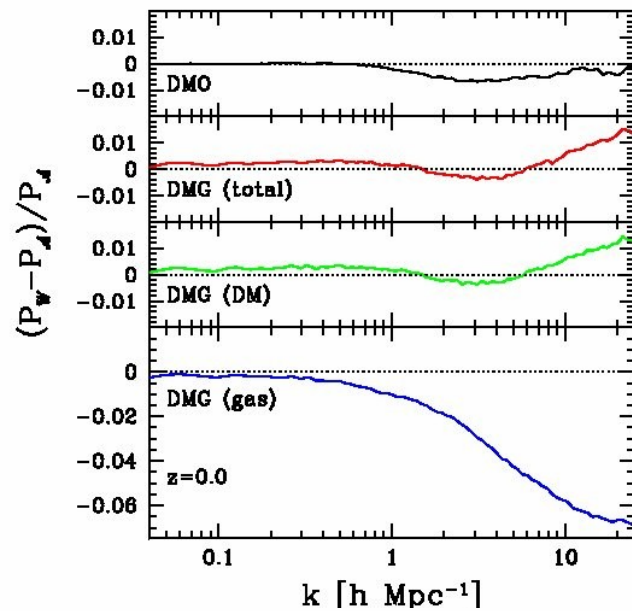
# Matter power spectra: Hydro vs N-body



gas: cooling - power shifts inside the halos

dark matter: adiabatic contraction – power increase drastically in non linear regime!!!

# Spectral equivalence in hydro simulations



# Conclusions

- matter power spectra is sensible to cosmological dynamics;
- matter power spectra is very sensible to baryon physics in non linear regime;
- spectral equivalence between dDE and  $w=\text{const}$  works very well also with baryon physics;
- when halofit expression will be available for  $w=\text{const}$  models, will be straightforward to extend it to any  $w(a)$  model;
- there are several bias for analysis data in order to estimate  $w(a)$ !

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**Thank you**