

**When: 15-16 july 2021 (confirmed @80%)**

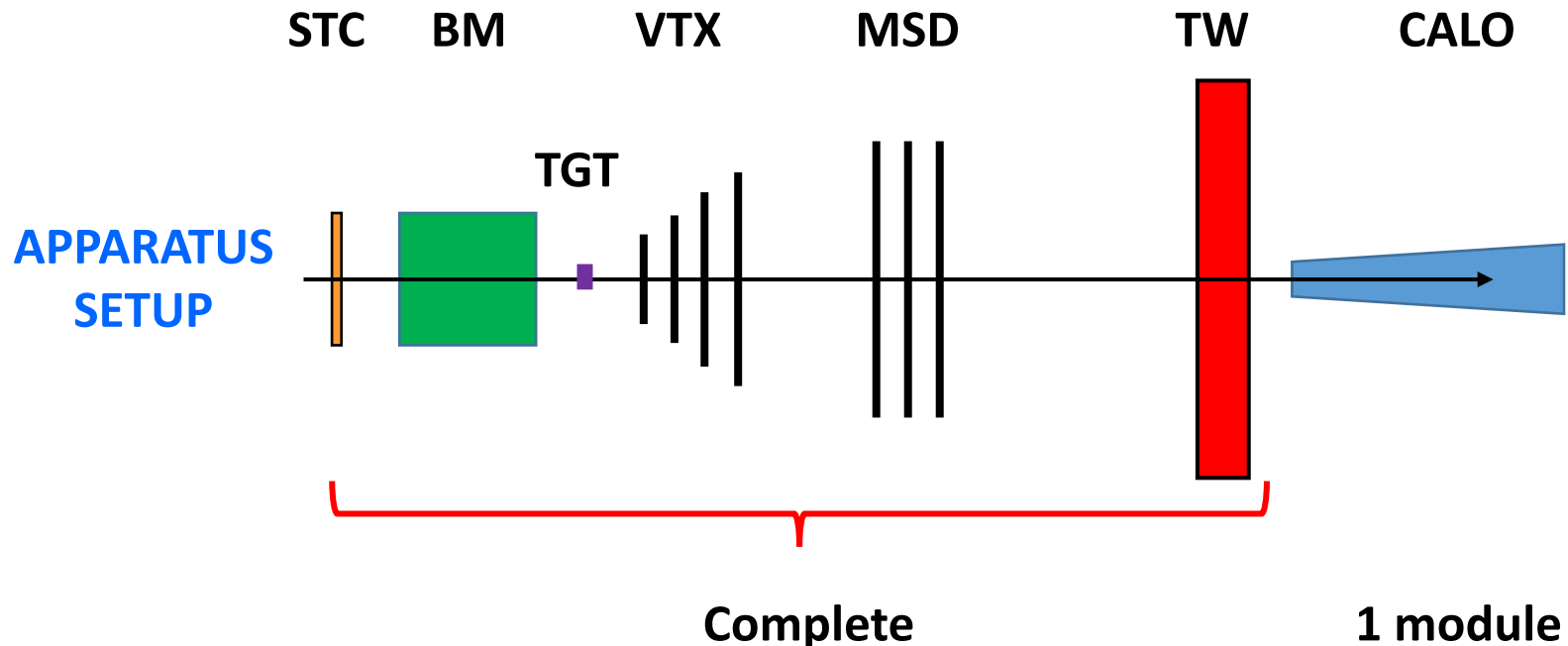
**Beam:  $^{16}\text{O}$  @200 and 400 MeV/u**

**Data taking duration: 6 slots of 8 hours each**

**Beam duty cycle: 50%**

**Number of primaries (supposing beam frequency 1 KHz) :  $1.5 \times 10^6$  /hour**

**FOOT acquisition rate: 1 KHz**



# Time schedule

Mon 12	Tue 13	Wed 14	Thu 15	Fri 16	Sat 17
MOUNT	CABLING and TEST		BEAM	BEAM	DISMOUNT



Mounting



DAQ  
TRIGGER  
SOFTWARE  
DETECTORS



MACHINE SETUP:

- move detectors?
- NO → time 0
- YES → time?



MEASUREMENTS

- Alignment
- Trigger request
- Calibration
- Physics



Test, synchronization, acquisition



Ready to start soon when beam ON

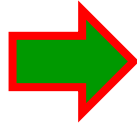
# ALIGNMENT

WITHOUT TARGET

ALL DETECTORS IN PARALLEL

Measurements:

- Alignment, Tests
- evaluate fragmentation in air and in detectors



Statistics: ~30kevt/s/min



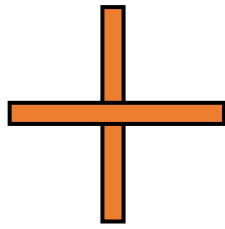
~15 minutes



~450kevt/s (> statistics without Target in GSI 2019)  
Is it enough?

Time: 15 minute  
In the final table quoted 1 hour

## TRIGGER REQUESTS



veto on TW central bars when energy deposit is over threshold

Not considered trigger with also another hit somewhere that has more bias

**Important:** trigger calibration is performed parasitically no dead time

### Measurements:

- ❑ **Trigger request:**
  - ❑ **Step 1:** ~ minimum bias → 1 hour (Useful also for physics)
    - ❑ Evaluate the pulse height for TW central channels
  - ❑ **Step 2:** apply threshold and restart the run (trigger prescaled)
    - ❑ Test different thresholds (1 minute stop for each change)
  - ❑ **Step 3:** measure fragmentation trigger rates
  - ❑ **Step 4:** start with fragmentation run



Supposing 3 thresholds tested → after 3 hours of minimum bias → TRIGGER ON



**After 3 hours → TRIGGER ON**

# TRIGGER PERFORMANCE

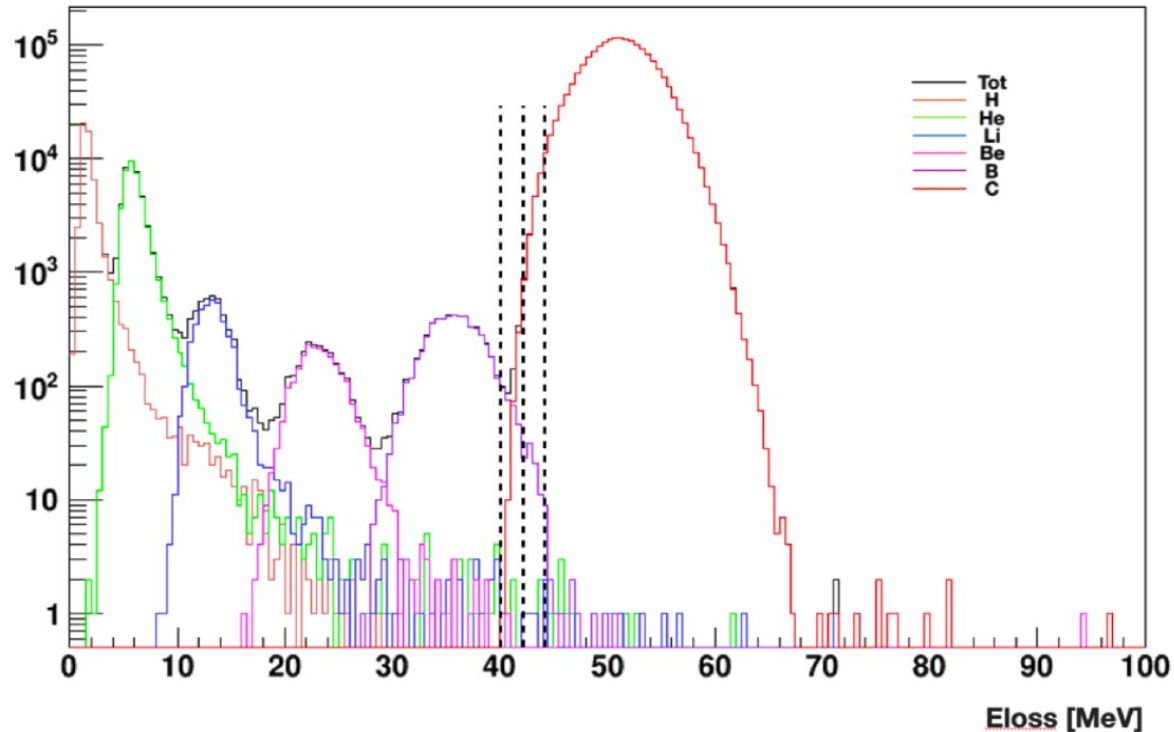
VETO on TW central bars

MC:

- Beam:  $^{12}\text{C}$  @ 200 MeV/u
- Target:  $\text{C}_2\text{H}_4$

Suppose similar for  $^{16}\text{O}$

3 thresholds: 38–42–46 MeV



- Empty events decrease by factor 10
- Efficiency  $\rightarrow$  100% for fragments  $\neq$  from beam

In principle we can work with a beam frequency @ 10 KHz but  $\rightarrow$  pile up problems  $\rightarrow$  too many tracks on vtx  $\rightarrow$  increase dead time by a factor  $\sim$  2

**beam @ 4KHz  $\rightarrow$  number of interacted events increased by factor 4**

## CALIBRATION

### TOF WALL

#### □ SCAN

□ 2 s per cell → 14 min

□ 3 s per cell → 20 min

□ 4 s per cell → 27 min

□ 4 points per bars → 17 min

□ 5 points per bar → 22 min

- All detectors in place
- at the end of the data taking

#### □ Fragment identification on each cell

- necessary enough statistics in each cell (problem in periphery?)



### CALORIMETER

□ Crystal inhomogeneity → better to calibrate all

□ How much statistics for each crystal?

□ How much time to move detectors?

detectors moved  
from beam?

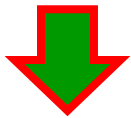


# PHYSICS

	24 h		24h	
Energy	200 MeV/u		400 MeV/u	
Target	C	C <sub>2</sub> H <sub>4</sub>	C	C <sub>2</sub> H <sub>4</sub>
Thickness (mm)	5	5 (10?)	5	5 (10?)
Density (g/cm <sup>3</sup> )	1.83	0.94	1.83	0.94
Distance Target-TW (cm)	180	180	180 (more?)	180 (more?)

2 possible cross section measurements

NO CALO involved



Only charge determination

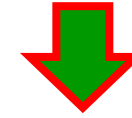


**Integral charge cross section**  
**Differential charge x sect wrt angle**

CALO involved



Isotopic identification



**Differential fragment cross section**

## Integral cross section

### Cross section formula

$$\sigma_{i,t} = \frac{Y_{i,t}}{N_p} \frac{A_t}{N_A \rho_t \delta_t}$$

With:

$\sigma_{i,t}$  = cross section to produce fragment i on target t [ $\text{cm}^2$ ]

$Y_{i,t}$  = Number of fragments of type i [ ]

$A_t$  = molecular mass of target [ $\text{g mol}^{-1}$ ]

$N_p$  = number of primary particles [ ]

$N_A$  = Avogadro's number [ $\text{mol}^{-1}$ ]

$\rho_t$  = density of target [ $\text{g cm}^{-3}$ ]

$\delta_t$  = thickness of target [ $\text{cm}^{-1}$ ]

$$\sigma_{i,C} = \frac{Y_{i,C}}{N_p} \frac{A_C}{N_A \rho_C \delta_C}$$

$$\sigma_{i,C_2H_4} = \frac{Y_{i,C_2H_4}}{N_p} \frac{A_{C_2H_4}}{N_A \rho_{C_2H_4} \delta_{C_2H_4}}$$

$$\sigma_{i,H} = \frac{1}{4} (\sigma_{i,C_2H_4} - 2\sigma_{i,C})$$

### Uncertainty on Cross section depends on statistics

$$\frac{\Delta\sigma_{i,H}}{\sigma_{i,H}} \sim \frac{1.08}{0.33} \frac{\Delta\sigma_{i,C}}{\sigma_{i,C}} \sim 3.3 \frac{\Delta\sigma_{i,C}}{\sigma_{i,C}}$$

primary ( $\text{C}_2\text{H}_4$ ) = primary (C)

$$\frac{\Delta\sigma_{i,H}}{\sigma_{i,H}} \sim 2.5 \frac{\Delta\sigma_{i,C}}{\sigma_{i,C}}$$

primary ( $\text{C}_2\text{H}_4$ ) = 2 x primary (C)

$$\frac{\Delta\sigma_{i,H}}{\sigma_{i,H}} \sim 2.1 \frac{\Delta\sigma_{i,C}}{\sigma_{i,C}}$$

primary ( $\text{C}_2\text{H}_4$ ) = 4 x primary (C)



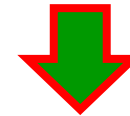
## Integral charge cross section: MC statistics evaluation

MC  $^{12}\text{C}$  @200 MeV/u (is similar for  $^{16}\text{O}$ ) :

- Target C: Target:  $Z = 5$  mm,  $\rho = 1.83$  g/cm $^3$ ,  $A_t = 12$ ,  $A_t / \rho_t = 6.5$
- Target  $\text{C}_2\text{H}_4$ : Target:  $Z = 5$  mm,  $\rho = 0.94$  g/cm $^3$ ,  $A_t = 28$ ,  $A_t / \rho_t = 29.8$

Z of fragment i	$Y_{i,C}$	$Y_{i,C_2H_4}$	$\frac{Y_{i,C}}{Y_{i,C_2H_4}}$
1	334288	207099	1.61
2	274852	197885	1.39
3	28158	22329	1.26
4	15405	13240	1.16
5	32617	26699	1.22
6	26183	26396	0.99

Statistics reached with  $10^7$  primaries for each target



~6+6 hours of Beam time @ 1 kHz, 50% duty cycle with minimum bias

$Y(C) > Y(C_2H_4)$  but  $\sigma(C) < \sigma(C_2H_4)$  due to  $A_t / \rho_t$

More statistics on  $\text{C}_2\text{H}_4$  target, to have enough statistics for cross section in H primary ( $\text{C}_2\text{H}_4$ ) = 2 x primary (C) or enlarge the target depth of  $\text{C}_2\text{H}_4$

**NO Statistical problem: for integrated cross section 2+2 hour is enough**

## Differential fragment cross section

### Calorimeter

- ❑ evaluate the energy → differential cross section
- ❑ Evaluate mass → isotopic identification



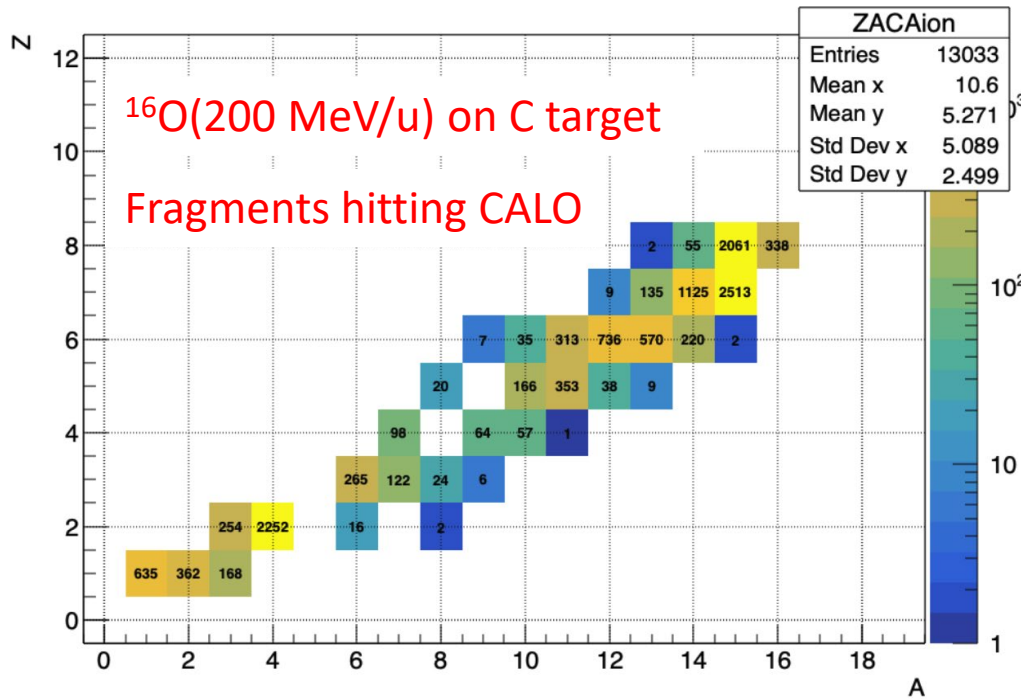
- ❑ Solid angle reduction (calo with only 1 module)
- ❑ Z reconstruction:
  - ❑ 1MeV threshold on TW
  - ❑ Same E loss (inside 5%) in front and rear slab
- ❑ Mass reconstruction: 10 MeV threshold on CALO
  - ❑ Sum over 4-6-9 crystals
  - ❑ Not considered non-homogeneity of the Calo

$$A = \frac{E_{calo}}{931.5(\gamma-1)}$$

# Differential fragment cross section: 200 MeV/u

MC sample:  $^{16}\text{O}(200 \text{ MeV/u})$  on C and  $\text{C}_2\text{H}_4$  targets

Statistic:  $10^6$  primaries ( $\sim 40$  minutes of minimum bias) for each target



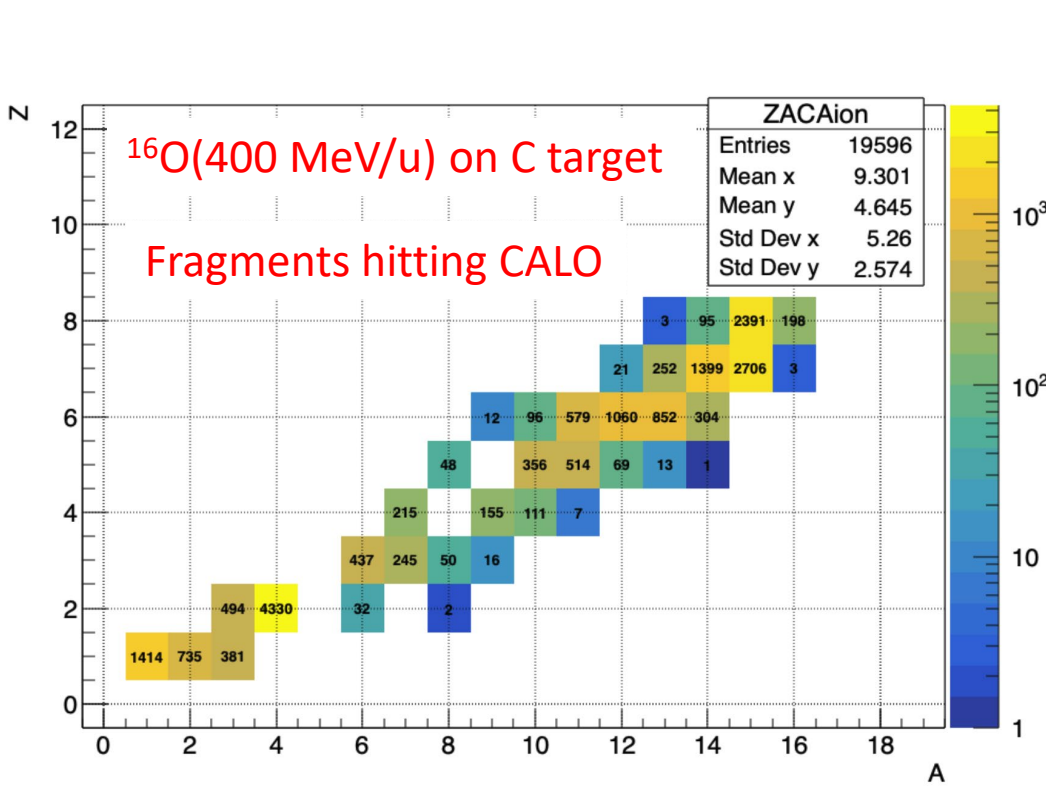
C target			$\text{C}_2\text{H}_4$ targets		
Z	TW	CALO %TW	Z	TW	CALO %TW
1	1165	7	1	870	6
2	2524	11	2	2181	10
3	417	16	3	332	13
4	220	17	4	188	16
5	586	33	5	545	31
6	1883	45	6	1867	46
7	3782	87	7	3085	74
8	2456	72	8	2706	82

We have to decrease these numbers by the reconstruction efficiency

# Differential fragment cross section: 400 MeV/u

Statistics evaluated on MC sample:  $^{16}\text{O}(400 \text{ MeV/u})$  on C and  $\text{C}_2\text{H}_4$  targets

Statistic:  $10^6$  primaries ( $\sim 40$  minutes of minimum bias) for each target



C			$\text{C}_2\text{H}_4$		
Z	TW	CALO %TW	Z	TW	CALO %TW
1	2530	7	1	1761	7
2	4858	15	2	4207	18
3	748	25	3	669	28
4	488	32	4	415	33
5	1001	61	5	999	57
6	2903	78	6	2725	71
7	4381	94	7	4387	91
8	2687	96	8	2946	94

We have to decrease these numbers by the reconstruction efficiency

In general:  $\left\{ \begin{array}{l} \text{Yeld (400 MeV/u)} > \text{Yeld (200 MeV/u)} \\ \sigma (400 \text{ MeV/u}) < \sigma (200 \text{ MeV/u}) \end{array} \right.$

**Scenario 1: use only Minimum bias**

1	2	3	4	5	6	7	8
Machine setup		Alignment	Physics C target				

1° slot

1	2	3	4	5	6	7	8
Machine setup	Physics C <sub>2</sub> H <sub>4</sub> Target						

2° slot

1	2	3	4	5	6	7	8
Machine setup	Physics C <sub>2</sub> H <sub>4</sub> Target			TW calibration	Calo calibration moving out all detectors		spare

3° slot

All acquired events with minimum bias

decrease these numbers by reconstruction efficiency

If target depth 1 cm → statistics doubled

**<sup>16</sup>O(200 MeV/u)**

Z	C	C2H4
1	8700	13000
2	19000	32000
3	3100	5000
4	1600	2800
5	4400	8000
6	14000	28000
7	28000	46000
8	18000	40000

**<sup>16</sup>O(400 MeV/u)**

Z	C	C2H4
1	19000	26000
2	36000	63000
3	5600	10000
4	3600	6200
5	7500	15000
6	21700	41000
7	33000	65800
8	20000	44000

## Scenario 2: use of trigger

1		2		3		4		5		6		7		8	
Machine setup			Alignment			Physics C target Minimum Bias				Physics C target TRIGGER					
1		2		3		4		5		6		7		8	
Machine setup		Physics C <sub>2</sub> H <sub>4</sub> Target Minimum Bias				Physics C <sub>2</sub> H <sub>4</sub> Target TRIGGER									
1		2		3		4		5		6		7		8	
Machine setup		Physics C <sub>2</sub> H <sub>4</sub> Target TRIGGER				TW calibration		Calo calibration moving out all detectors				spare			

1° slot

2° slot

3° slot

decrease these numbers by reconstruction efficiency

If target depth 1 cm  
→ statistics doubled

16O(200 MeV/u)

Z	C	C2H4
1	12800	27000
2	27700	67000
3	4600	10000
4	2400	5800
5	6400	17000
6	20700	57000
7	41600	95000
8	27000	83000

16O(400 MeV/u)

Z	C	C2H4
1	27800	54000
2	53000	130000
3	8200	20000
4	5300	12800
5	11000	31000
6	31200	84000
7	48000	135000
8	29000	91000

## *Conclusions*

Am I missing something?