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# Nuclear fragmentation in particle therapy and space radiation protection: from the standard approach to the FOOT experiment

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Co-supervisor: Dr. Francesco Tommasino

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Nuclear fragmentation in particle  
therapy and space radiation protection:  
from the standard approach to the  
FOOT experiment

- Simple, flexible, cheaper setup
- Beam fragments only

- Different experimental strategies
- More complex setup
- More information about fragments

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- Fragmentation of 400 MeV/u  $^{12}\text{C}$  ions beam in bone-like material
- Secondary neutrons production by a 1 GeV/u  $^{58}\text{Ni}$  ions beam in target relevant for space applications

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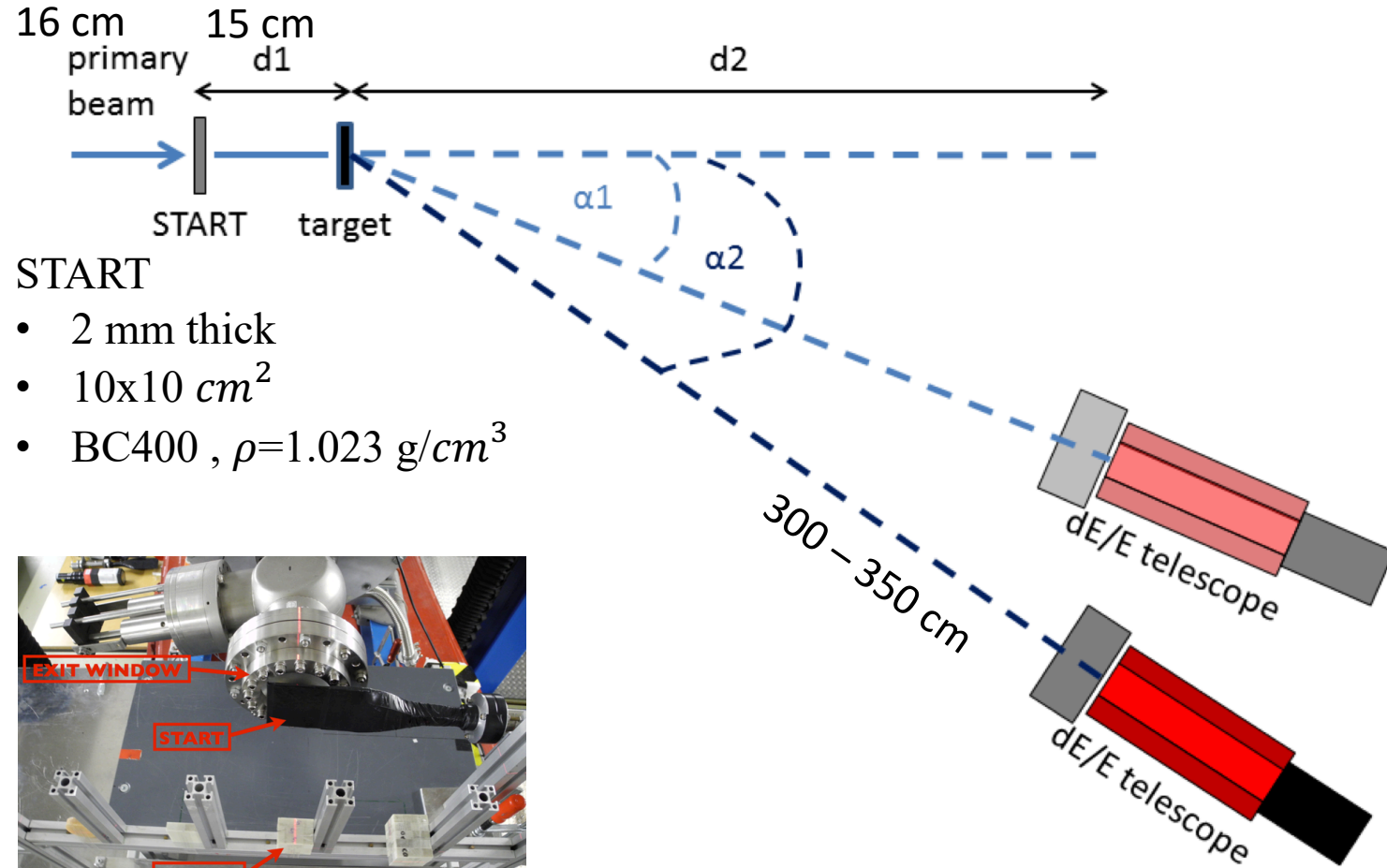
- Fragmentation of 400 MeV/u  $^{12}\text{C}$  ions beam in bone-like material
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- Different experimental strategies
- Mooore complex setup
- More information about fragments

- Fragments identification
- Cross sections machinery
- Performances study
- Real data analysis
- Future work with neutrons

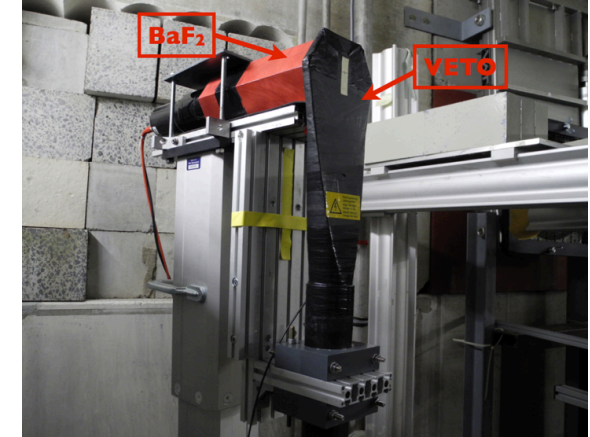
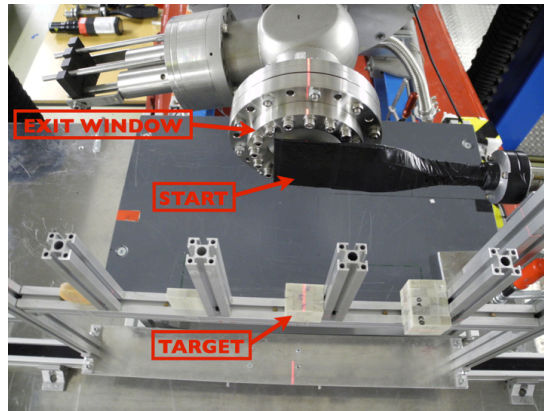
# Standard experimental setup

GSI, Cave A (Experimental cave)



START

- 2 mm thick
- $10 \times 10 \text{ cm}^2$
- BC400 ,  $\rho = 1.023 \text{ g/cm}^3$



dE - VETO

- 9 mm thick
- Exagonally shaped, 5.4 cm radius
- BC400 ,  $\rho = 1.023 \text{ g/cm}^3$

E - BaF<sub>2</sub>

- 14 cm length
- Exagonally shaped, 4.5 cm radius
- $\rho = 4.88 \text{ g/cm}^3$

# BaF<sub>2</sub> efficiency to neutrons

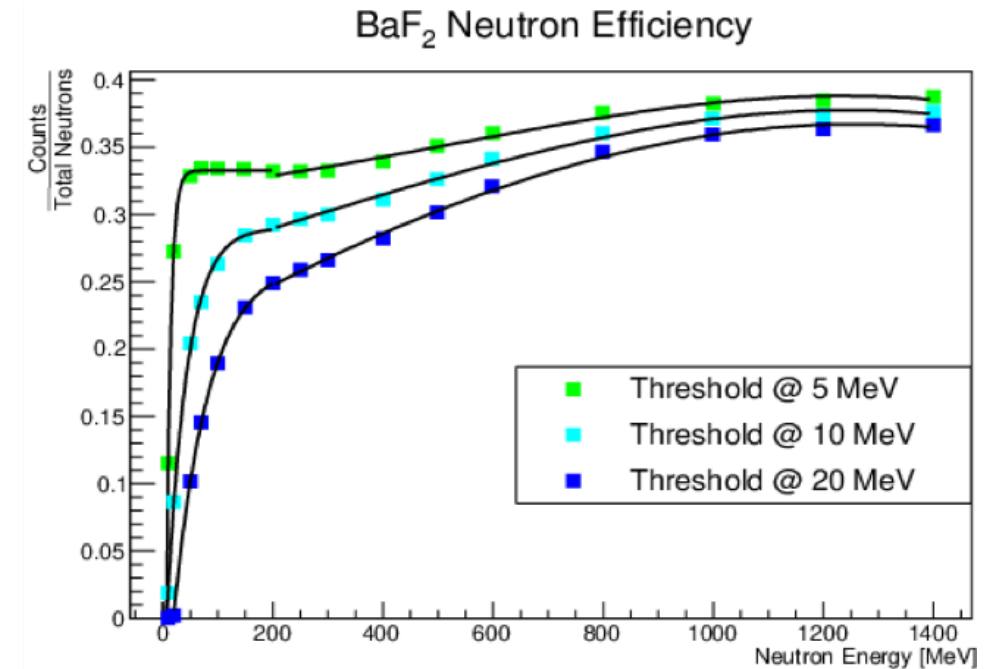
- GEANT4 simulation
- Monoenergetic neutrons with kinetic energies spanning between 10 MeV and 1400 MeV

$$\varepsilon_{BaF_2} = \frac{N_p(E_{kin})}{N_n(E_{kin})}$$

$N_p$  = particles detected by the crystal

$N_n$  = incident neutrons

$E_{kin}$  = kinetic energy of incident neutrons

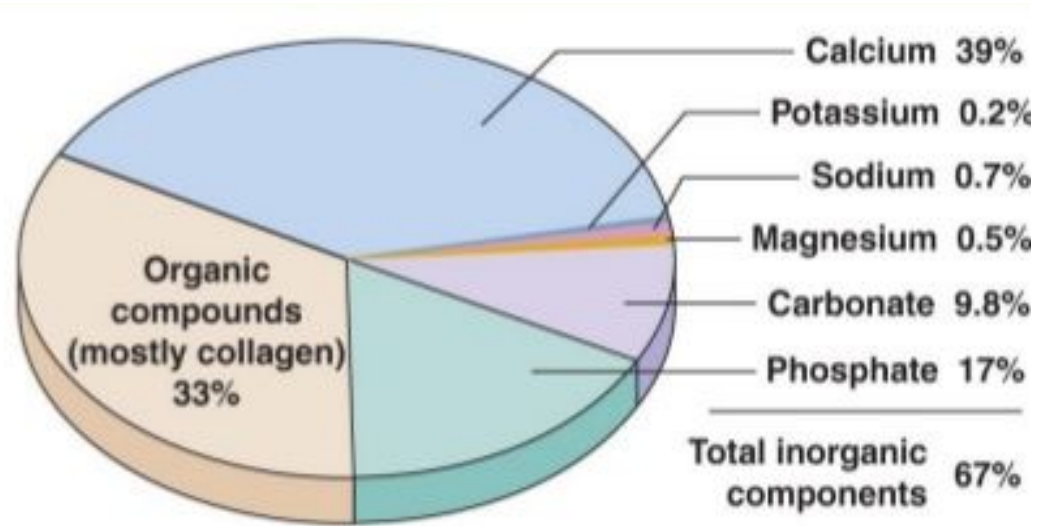


$$f_1(x) = a_0 + a_1x \quad x < 200 \text{ MeV}$$
$$f_2(x) = b_0 + b_1x + b_2x^2 + b_3x^3 \quad x > 200 \text{ MeV}$$

Applied to the offline analysis

# Bone-like materials

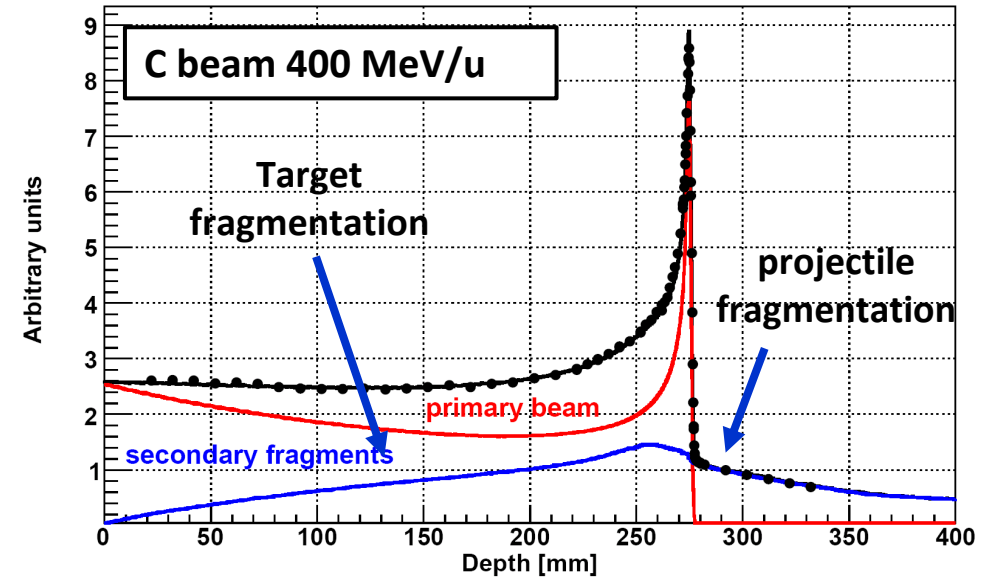
## Composition of bone



Beam: 400 MeV/u  $^{12}\text{C}$

Target: 5 cm compact bone simulant

| % by weight | H    | C     | N    | O     | Ca    | Cl   |
|-------------|------|-------|------|-------|-------|------|
|             | 3.10 | 31.26 | 0.99 | 37.57 | 27.03 | 0.05 |



## Goal

Characterization of secondary fragments produced in 5cm compact-bone target at 2, 4, 6, 7, 10, 30 deg wrt the primary beam direction

# The ROSSINI collaboration

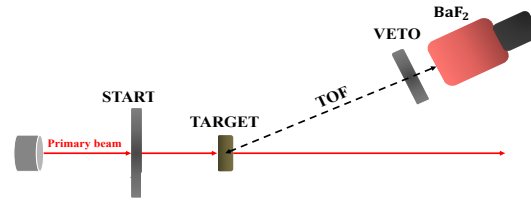
Radiation shielding by ISRU and innovative materials for EVA, vehicles and habitats



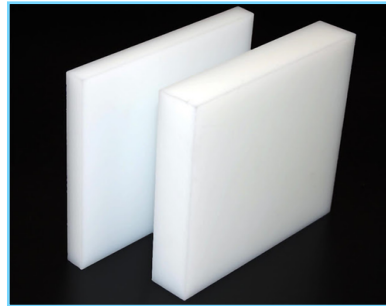
Beam: 1 GeV/u  $^{58}\text{Ni}$

$\Delta E/E$  system placed at 24 deg

Target:



Polyethylene

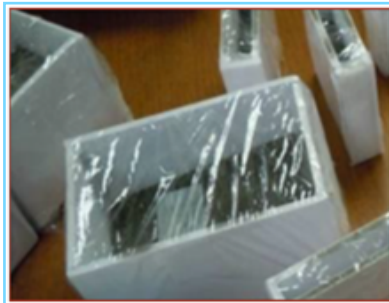


Aluminum



Space  
journey

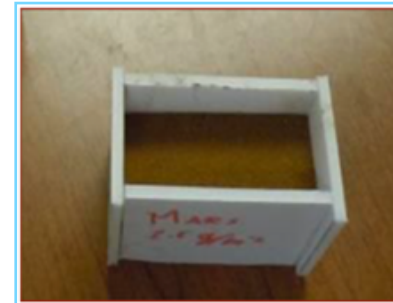
Lunar regolith



Lunar concrete



Mars regolith



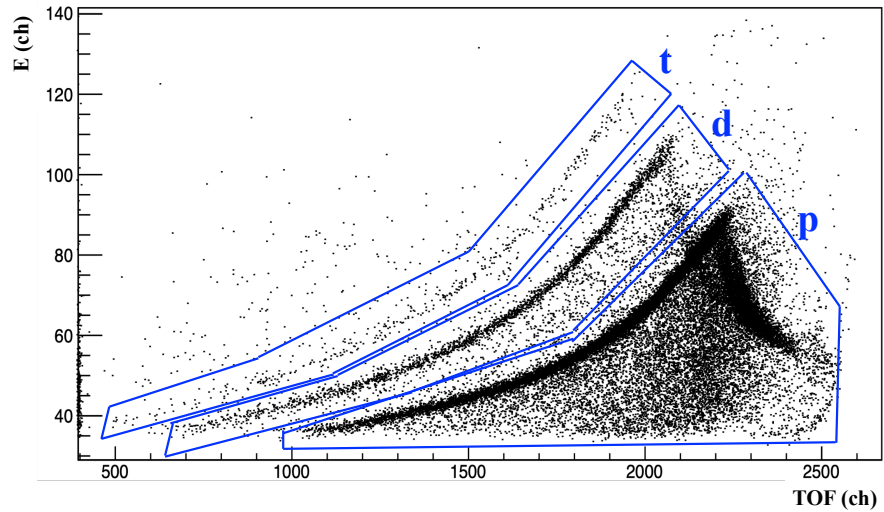
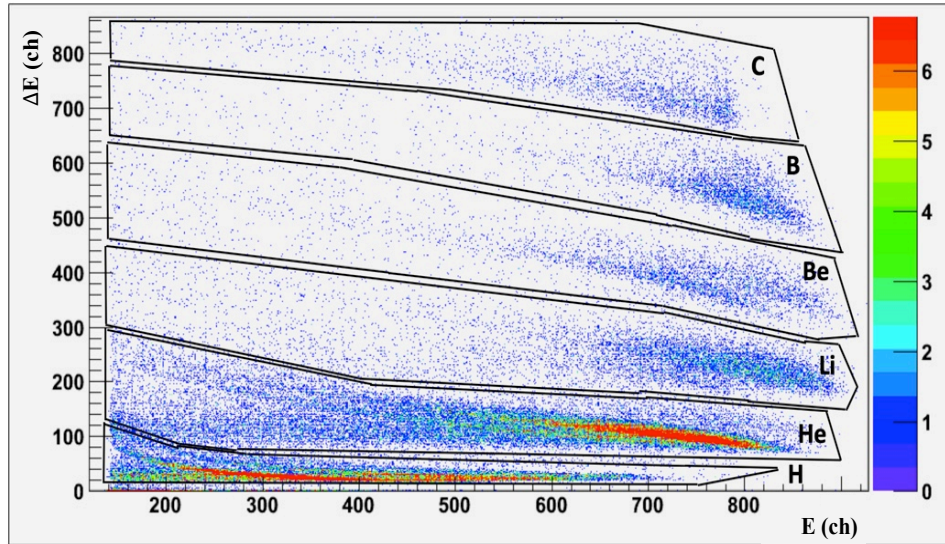
Surface  
habitation

**Goal**

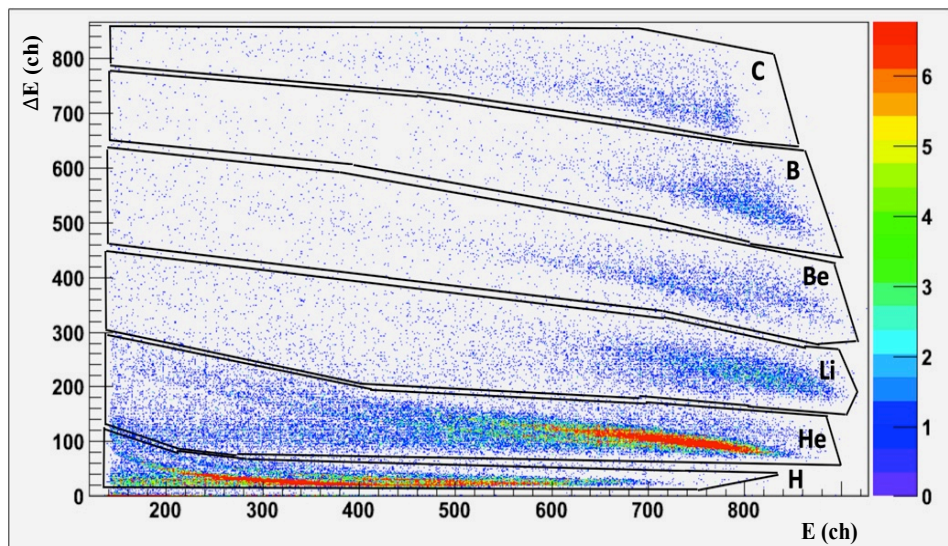
Characterization of secondary neutrons production in several targets in order to test new shielding materials



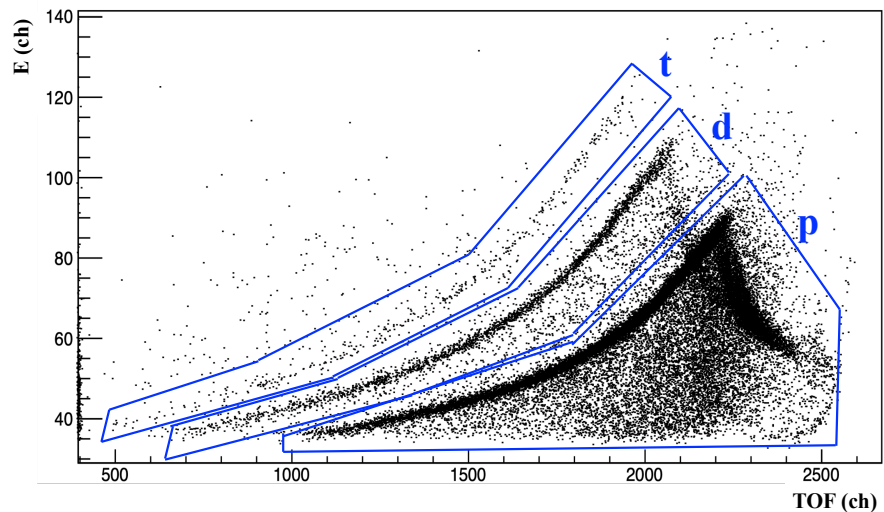
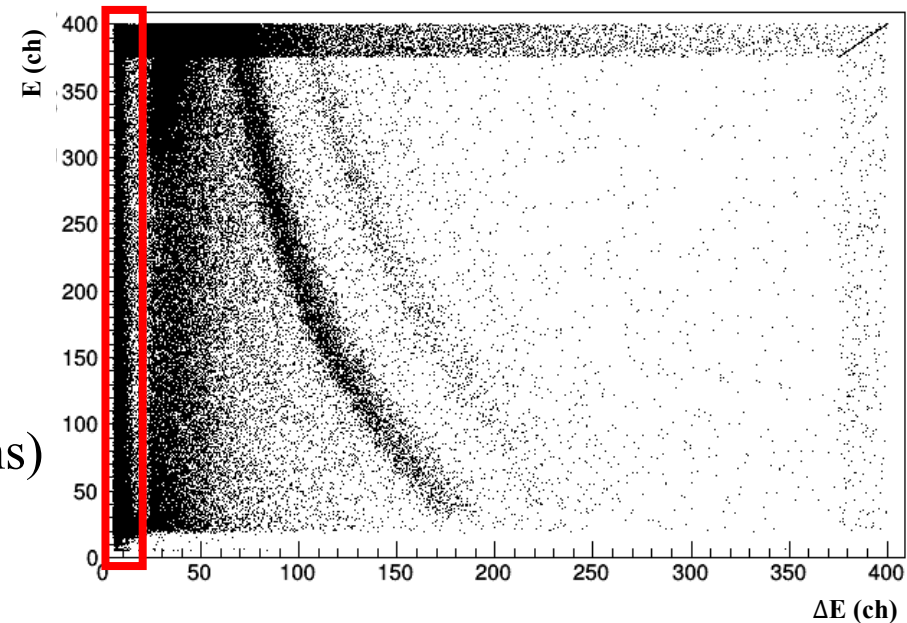
# Particle identification



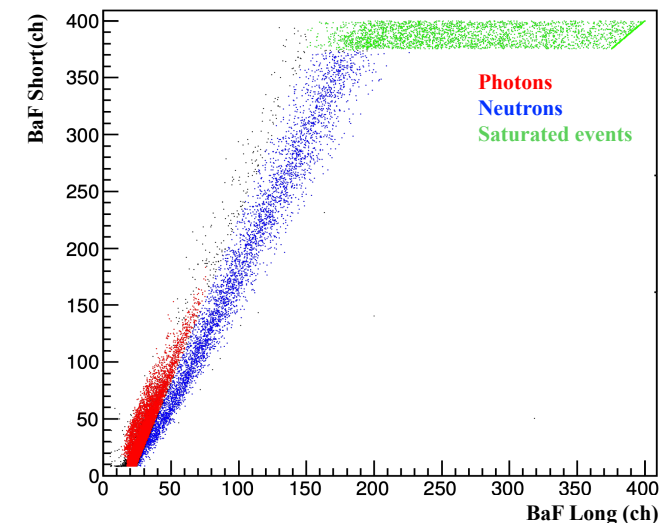
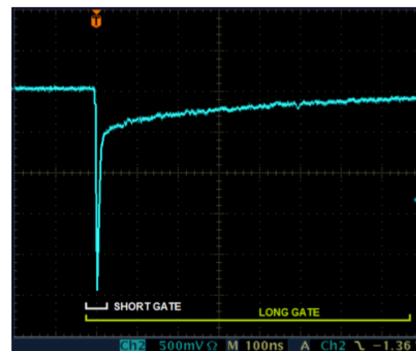
# Particle identification



Neutral particles  
(neutrons + photons)



BaF<sub>2</sub> components lenght  
Short: 54 ns  
Long: 800 ns

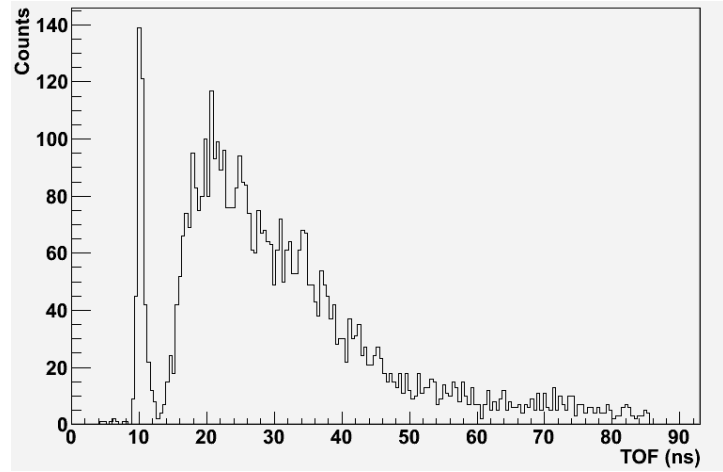
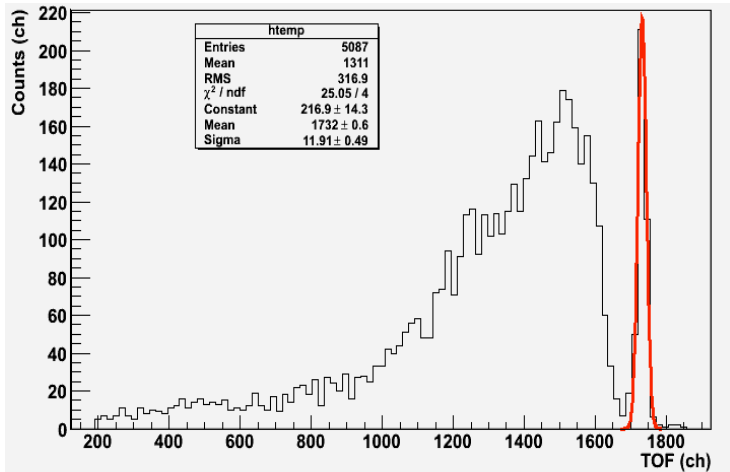
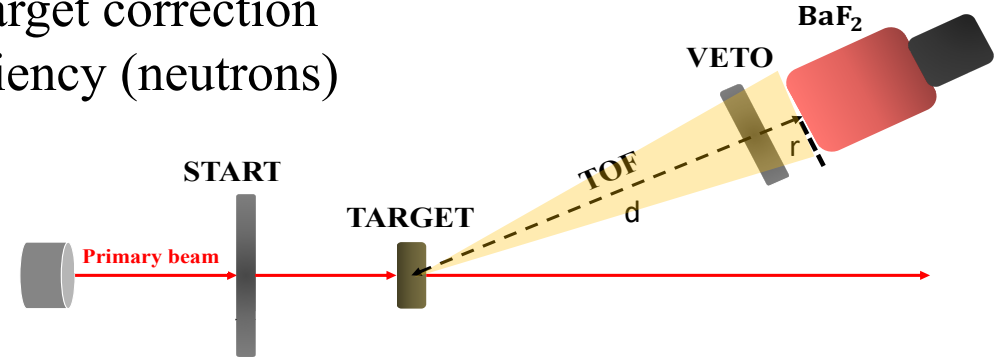


# Particle identification

$$\text{Yield} = \frac{\text{Counts corrected (Z, A)}}{N_{\text{primaries}} \Omega}$$

Dead time correction  
No-target correction  
Efficiency (neutrons)

$$\Omega = \frac{\pi r^2}{d^2}$$

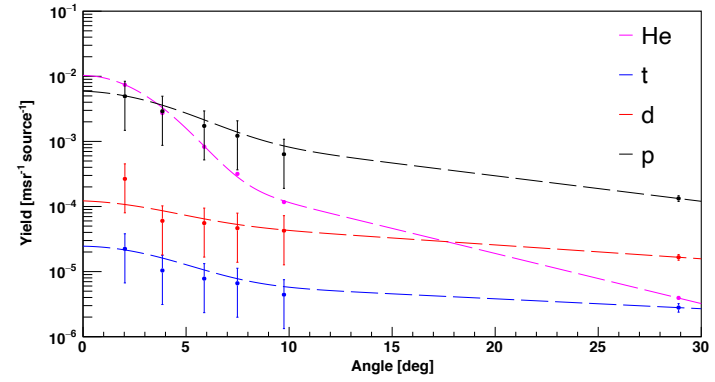
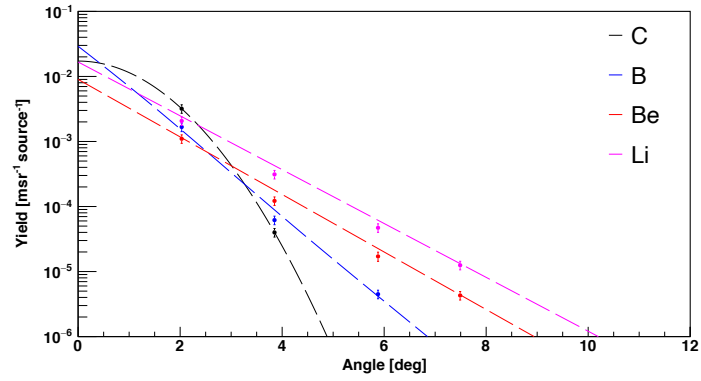


$$E_{\text{kin}} = \left( \frac{1}{\sqrt{1 - \left( \frac{d}{\text{TOF} \cdot c^2} \right)^2}} - 1 \right) m_0 c^2$$

Gaussian fit applied to the photons peak in order to estimate its position and sigma

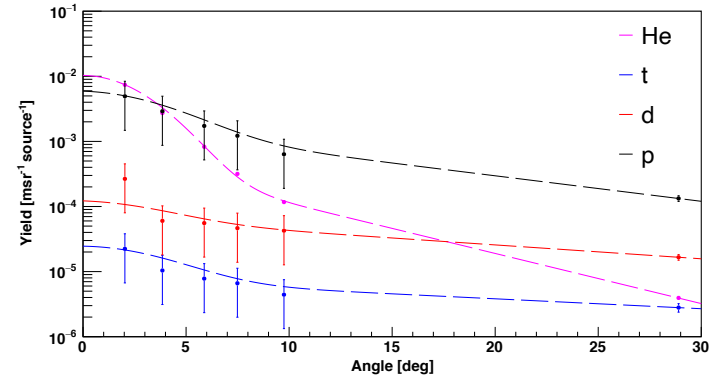
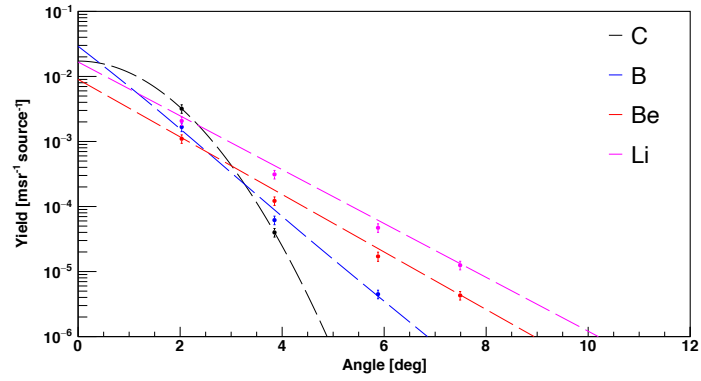
# Compact bone data

## Angular distribution

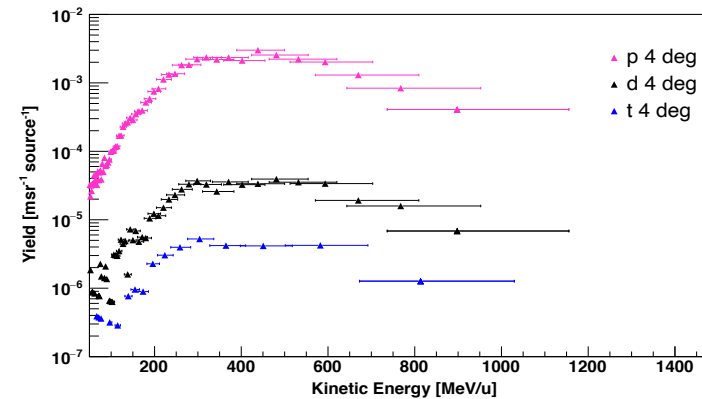
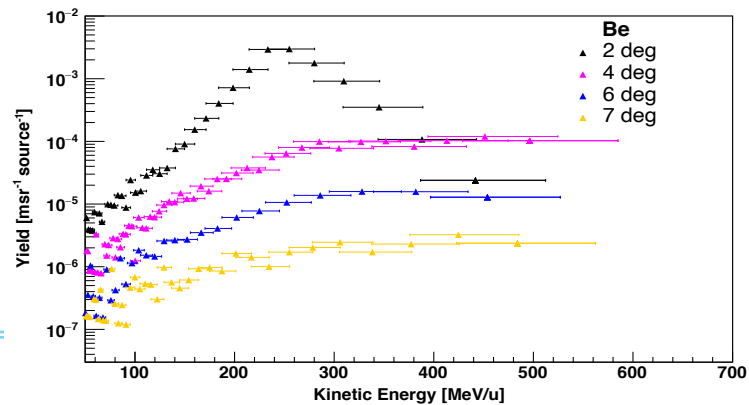
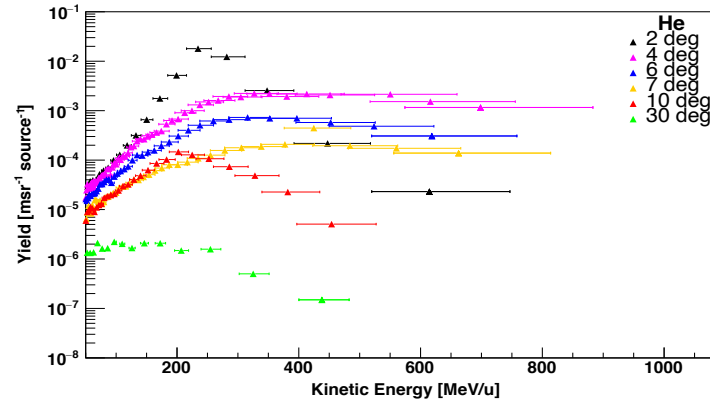
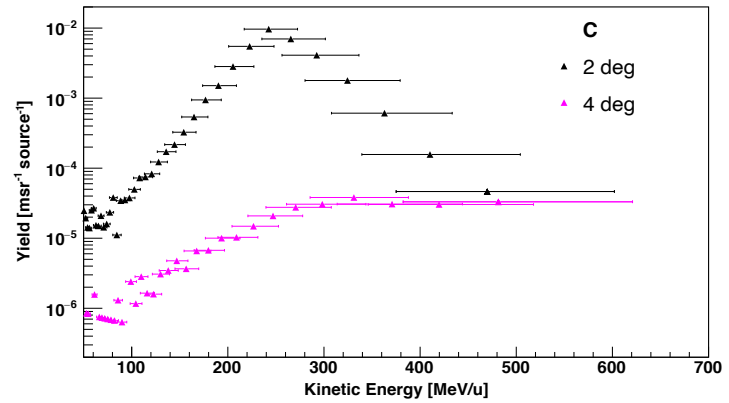


# Compact bone data

Angular distribution

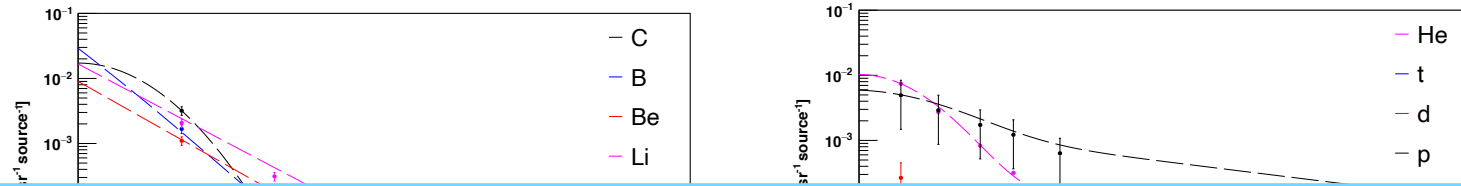


Energy distribution



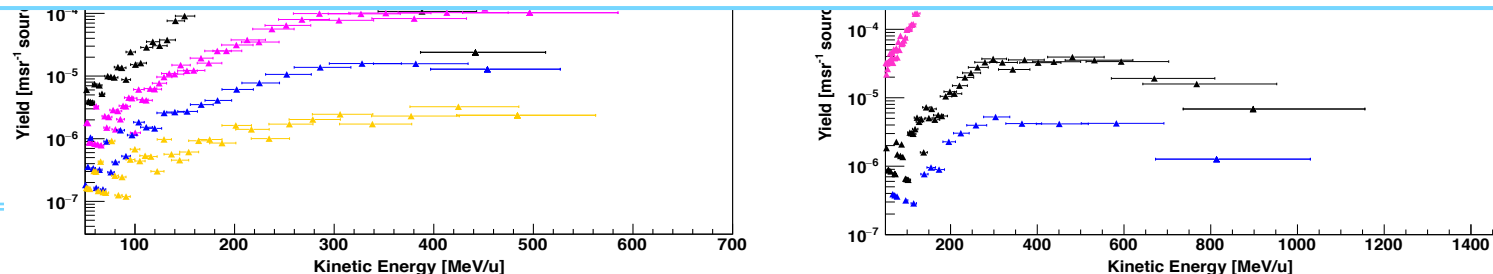
# Compact bone data

istribution

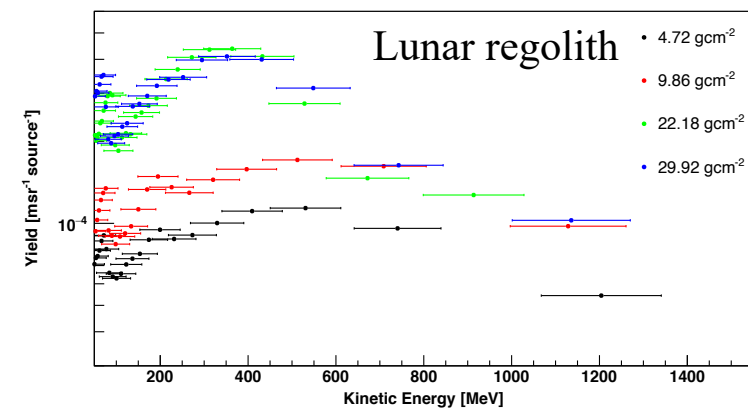
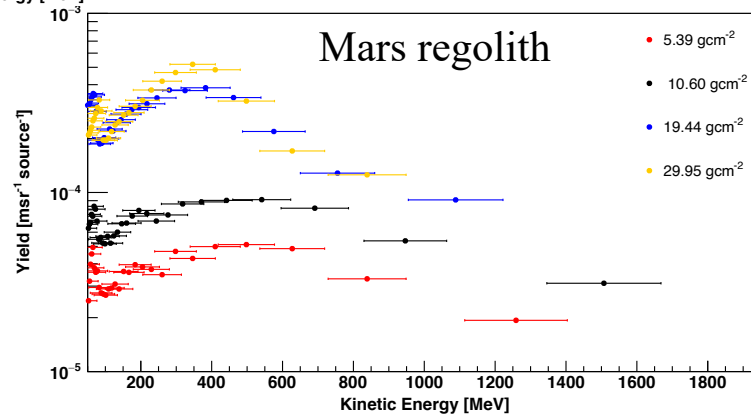
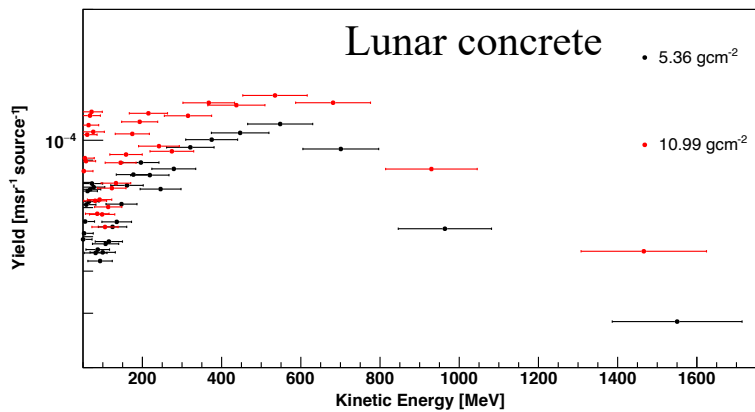
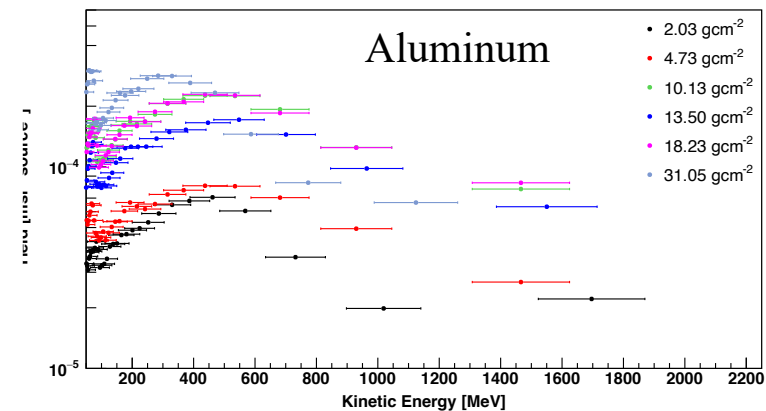
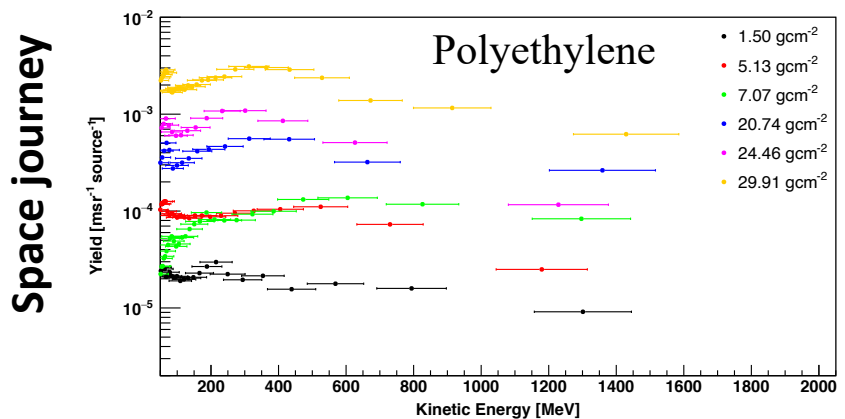


- Primary ions and heavy particles down to Li detected up to  $\sim 10$  deg
- He and H fragments identified at angles  $> 10$  deg
- P and He fragments are the most abundant species generated, dominating the spectrum in a narrow forward cone (0 - 5 deg)
- Energy spectra - @ 2 deg  $\rightarrow$  peak at 250 MeV/u
  - @ 4 , 6 deg  $\rightarrow$  wider distributions peaked at lower energy values when increasing the detection angles
  - Lighter fragments can double the primary beam energy

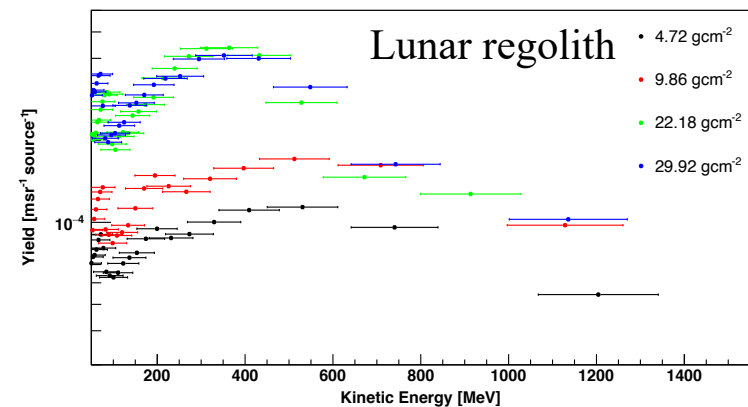
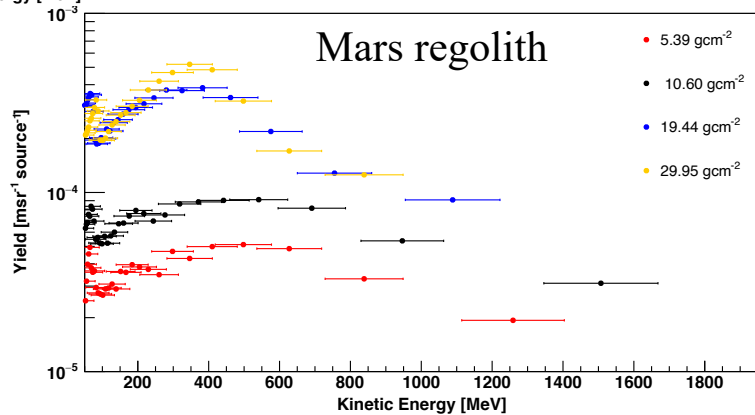
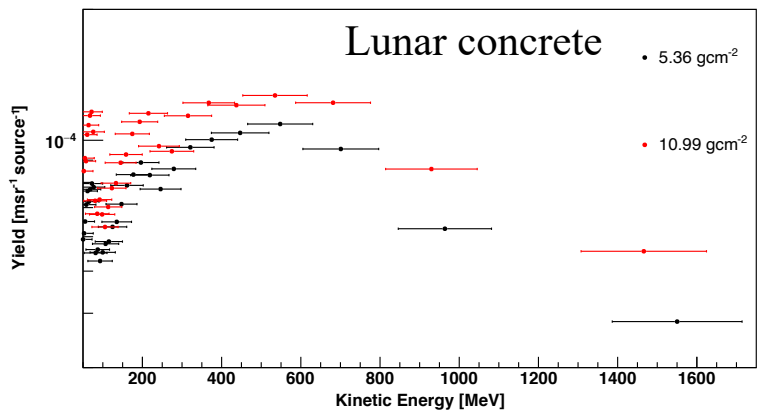
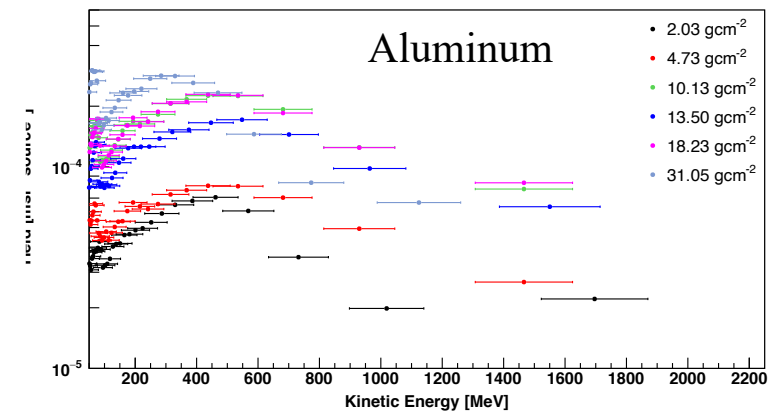
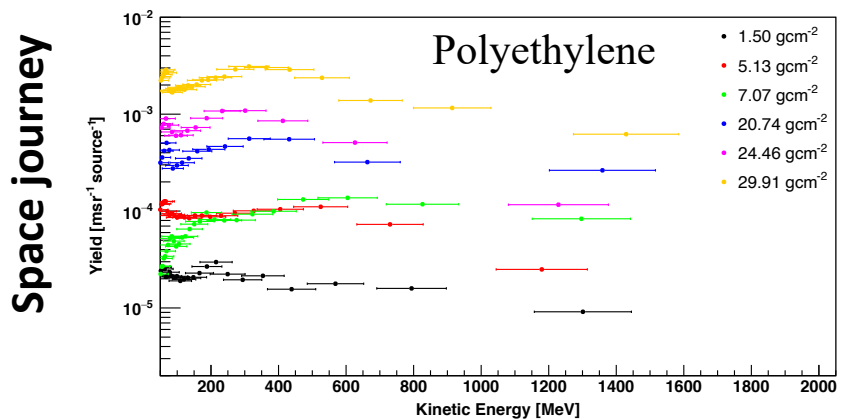
EI



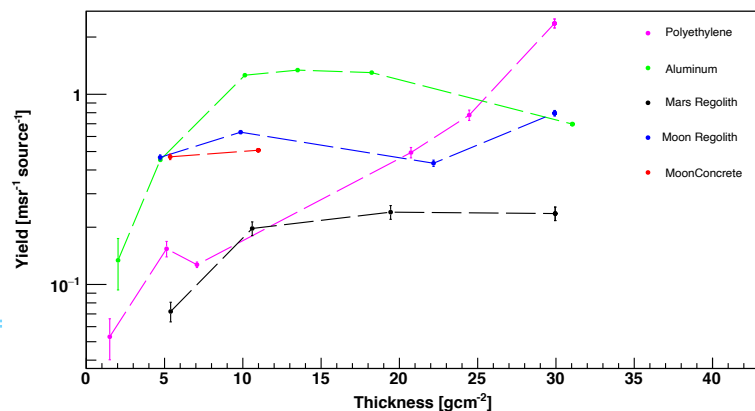
# ROSSINI data – kinetic energy spectra & build-up curves



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Build-up curves



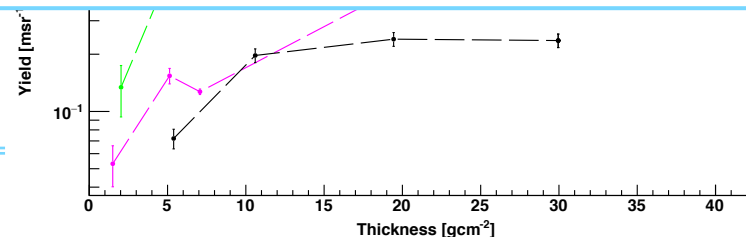


# ROSSINI data – kinetic energy spectra & build-up curves

In terms of secondary neutrons production :

- Energy spectra peaked between  $\sim 300$  and  $500$  MeV
- The peak shifts towards lower energies at increasing target thickness
- Number of secondary neutrons produced increases with the target thickness regardless of the irradiated material
- Space journey: polyethylene best choice
- Surface habitation: Moon regolith provides a lower neutrons production with respect to Moon concrete
- The point corresponding to the thickest aluminum target requires an additional investigation

Build-up curves



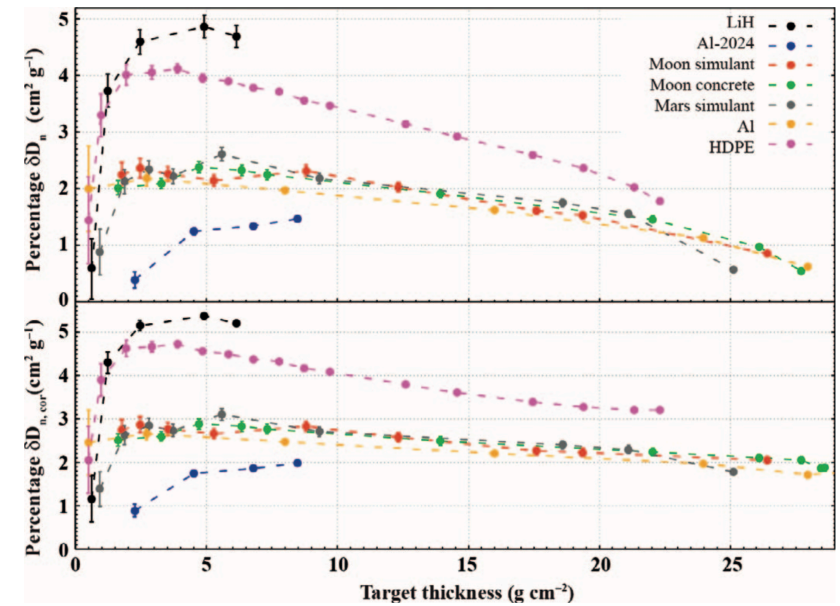
# Conclusions adding data from *M. Giraud et al.*

Beam: 968 MeV/u and 972 MeV/u  $^{56}\text{Fe}$

Target: same

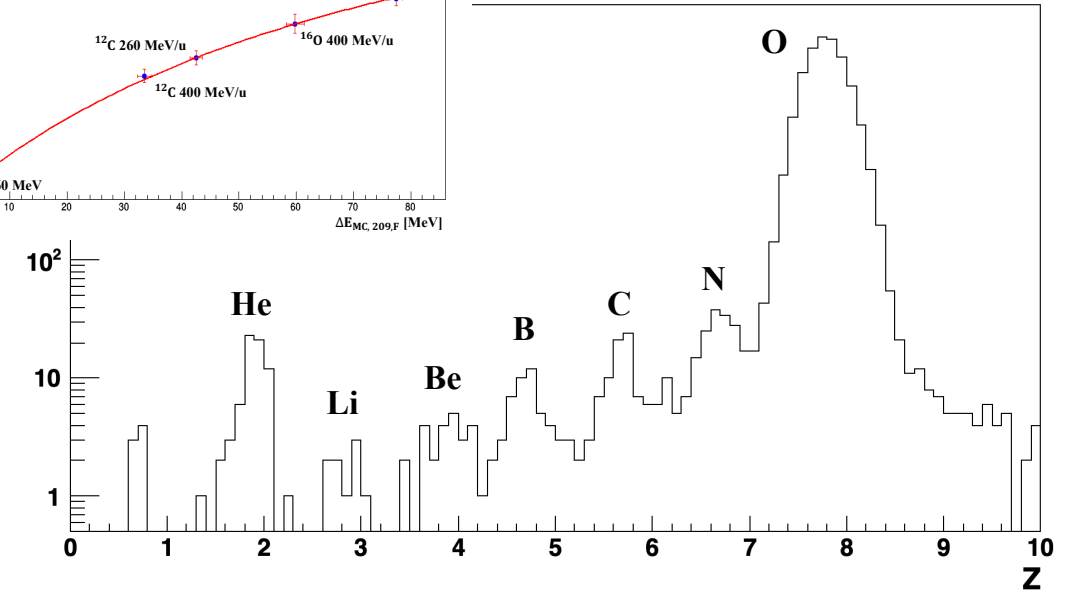
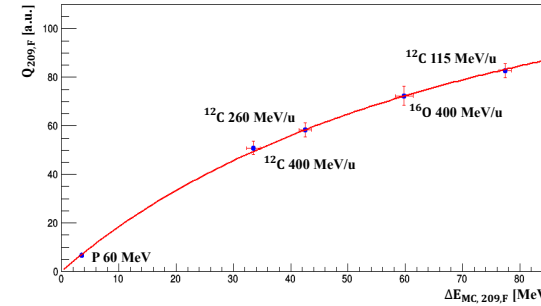
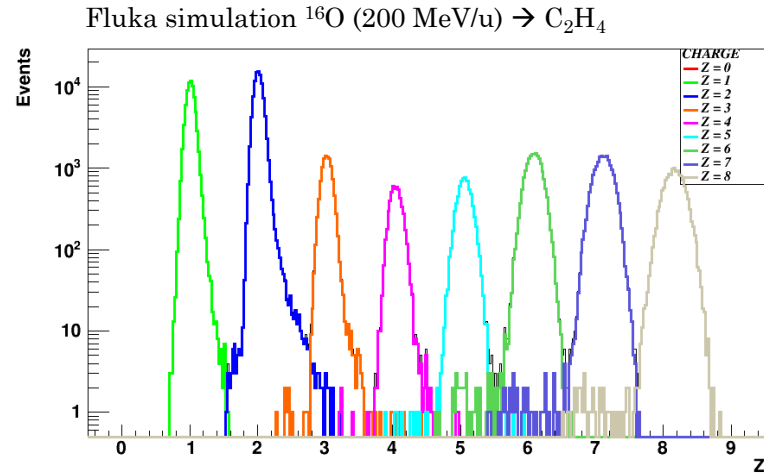
Goal: dose reduction

- **Aluminum:** almost constant independently of the target thickness
- **Polyethylene:** - rapid build-up in the first  $2\text{ g/cm}^2$  followed by a slow drop at larger thickness  
- polyethylene reduces the dose between  $\sim 15\%$  and  $\sim 50\%$  more than aluminum
- **Moon regolith** and Mars regolith and **Moon concrete:** dose reduction almost the same
  - Polyethylene: best compromise between low neutrons production and dose reduction capability  $\rightarrow$  ideal material for the spacecraft hull shielding
  - Moon concrete: always lower dose reduction with respect to Moon regolith
  - Additional target materials and thicknesses should be irradiated with  $^{58}\text{Ni}$  and other light and heavy ions to provide a more complete comparison of candidate shielding materials



# FOOT – fragments identification

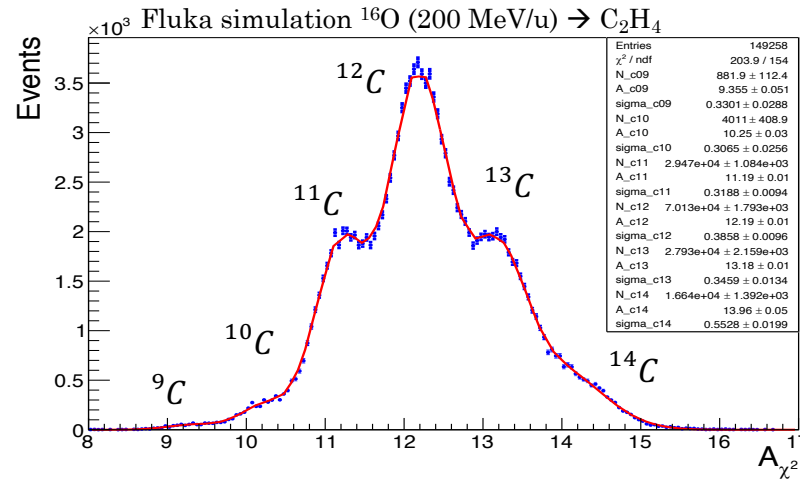
$$-\frac{dE}{dx} = \frac{\rho \cdot Z}{A} \frac{4\pi N_A m_e c^2}{M_U} \left( \frac{e^2}{4\pi\epsilon_0 m_e c^2} \right)^2 \frac{z^2}{\beta^2} \left[ \ln \left( \frac{2m_e c^2 \beta^2}{I \cdot (1 - \beta^2)} \right) - \beta^2 \right]$$



$$A_1 = \frac{p}{U\beta\gamma c}$$

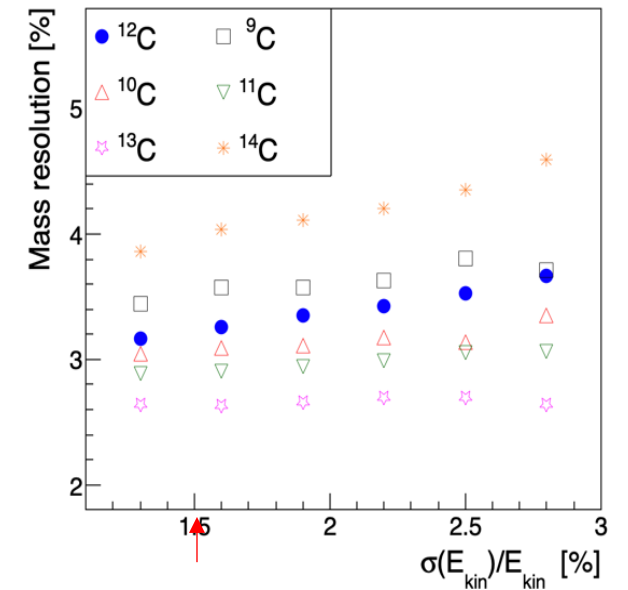
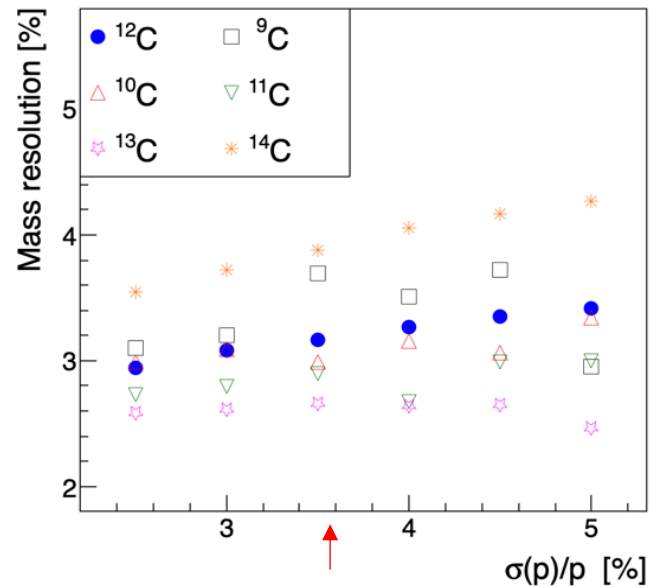
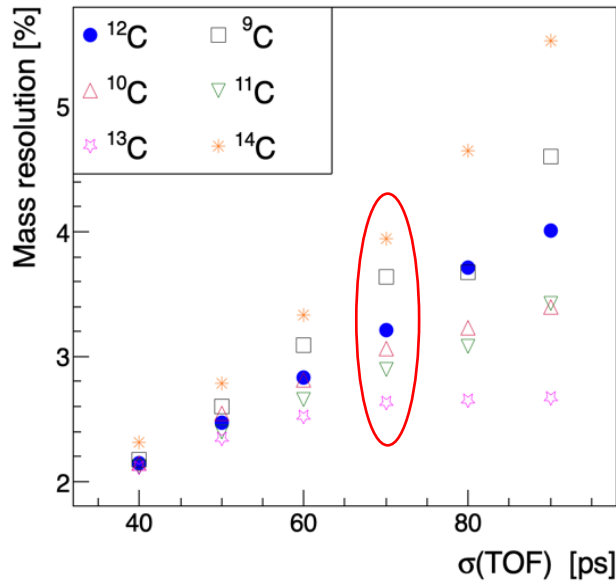
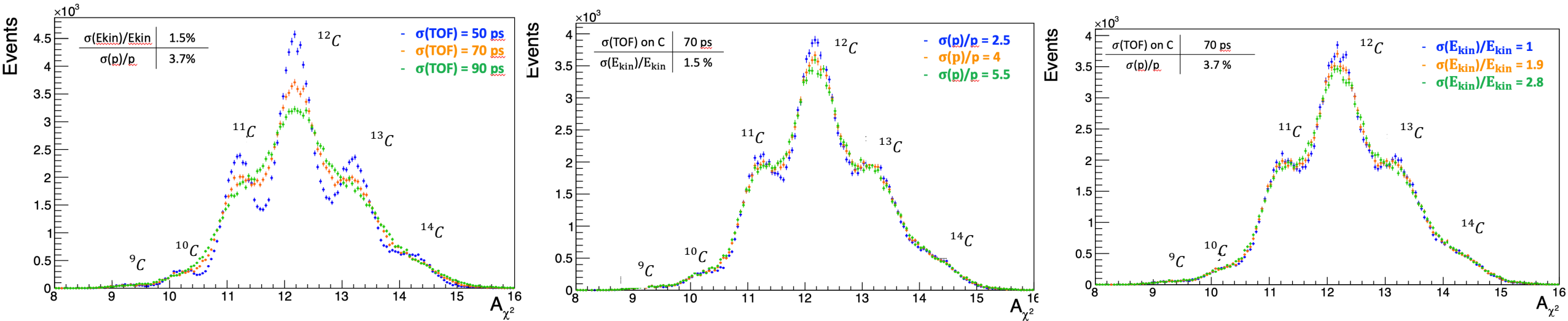
$$A_2 = \frac{E_k}{Uc^2(1 - \gamma)}$$

$$A_3 = \frac{pc^2 - E_k^2}{2Uc^2 E_k}$$



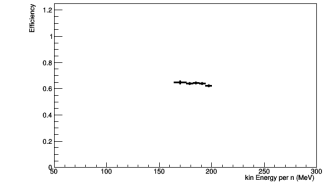
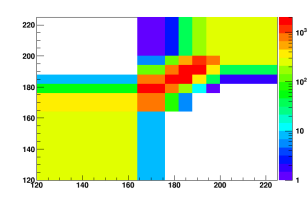
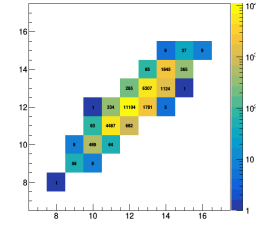
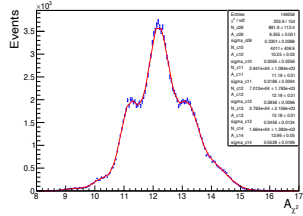
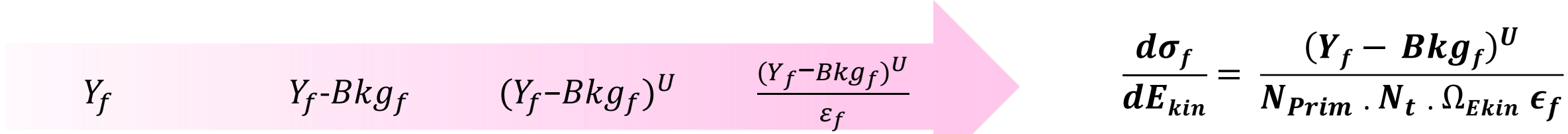
- Charge res: 2% ( $^{16}\text{O}$ ) – 6% ( $^1\text{H}$ )
- Mass res: 3.5% ( $^{16}\text{O}$ ) – 4.5% ( $^1\text{H}$ )

# FOOT – performances study



$\sigma(\text{TOF})$  is the most sensible parameter in terms of isotope identification

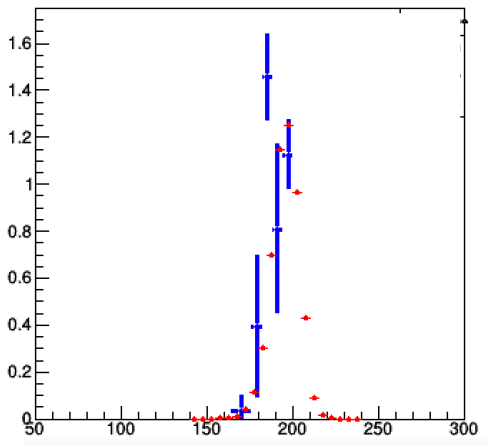
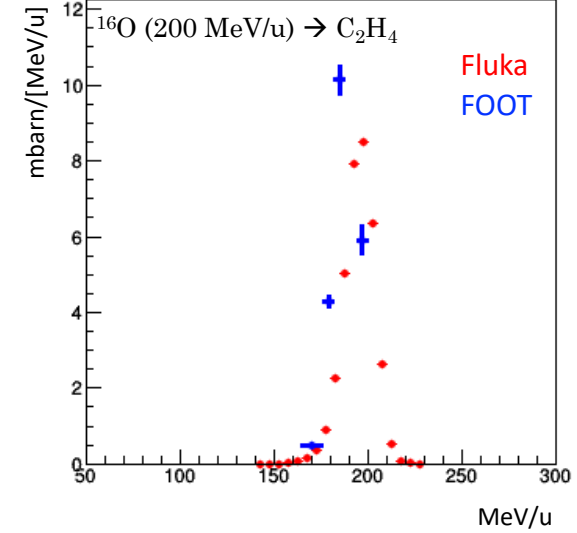
# FOOT - cross sections reconstruction



$$\frac{d\sigma_f}{dE_{kin}} = \frac{(Y_f - Bkg_f)^U}{N_{Prim} \cdot N_t \cdot \Omega_{Ekin} \epsilon_f}$$

$$\frac{d\sigma}{dE_{kin}}(H) = \frac{1}{4} \left( \frac{d\sigma}{dE_{kin}}(C_2H_4) - 2 \frac{d\sigma}{dE_{kin}}(C) \right)$$

Fluka simulation



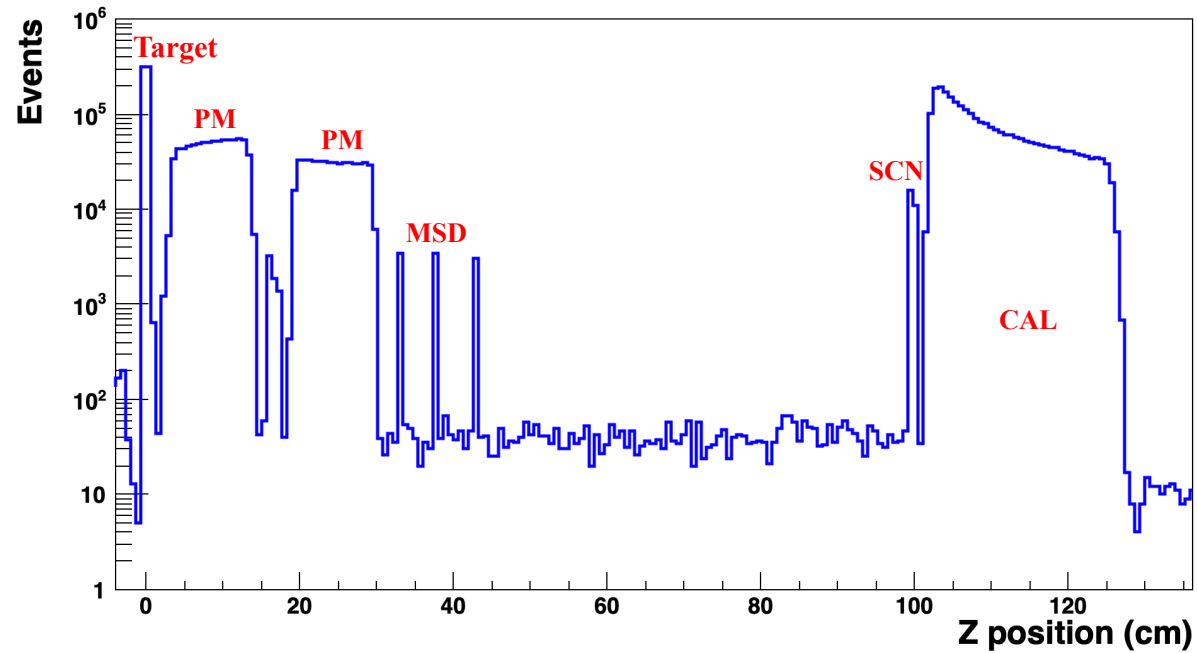
Total Cross Section

$$\sigma_f = \frac{(Y_f - Bkg_f)^U}{N_{Prim} \cdot N_t \cdot \epsilon_f}$$

Direct kinematics :

- $\frac{\sigma_{FLUKA}}{\sigma_{FOOT}} < 25\%$  for all C isotopes
- H by difference :  $\frac{\sigma_{FLUKA}}{\sigma_{FOOT}} \approx 8\%$

# FOOT - future



Future ... let's play with FOOT  
and neutrons!

Thank  
you!