



# IHEP Diffractive group



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## $\pi p$ and $\pi\pi$ scattering: towards the first LHC results

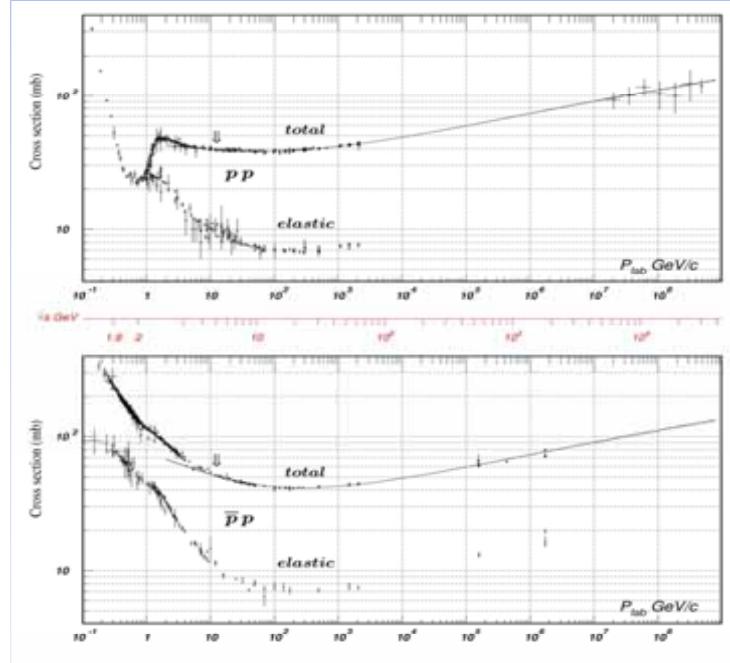
R.Ryutin, IHEP

# Plan

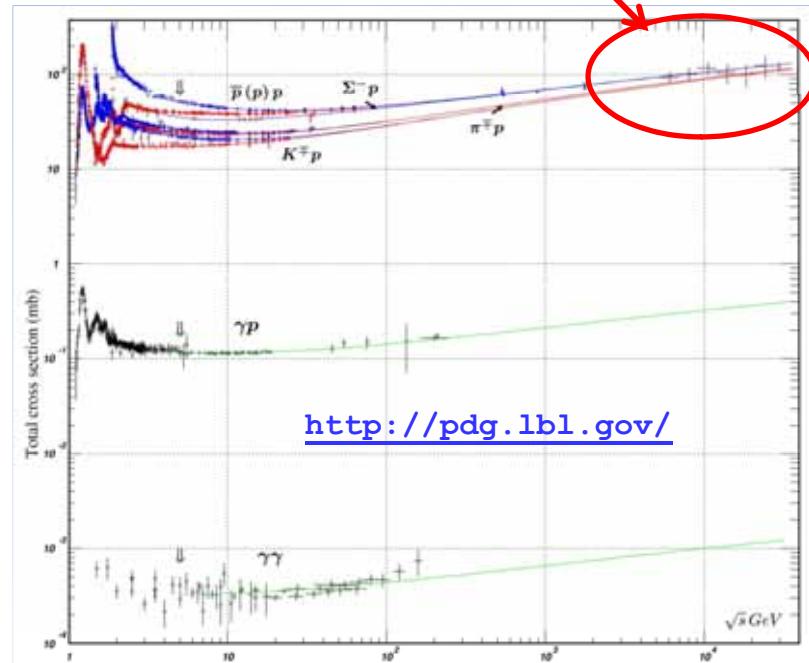
- Historical outlook and motivations
- Model for charge exchange processes
- Extraction of the cross-sections from data. Theoretical errors.
- Experimental situation.
- Total  $\pi p$  and  $\pi\pi$  cross-sections.  
Monte-Carlo and real data at 900 GeV and 7 TeV.
- Future prospects: elastic and inclusive di-jet cross-sections

# Historical outlook and motivations

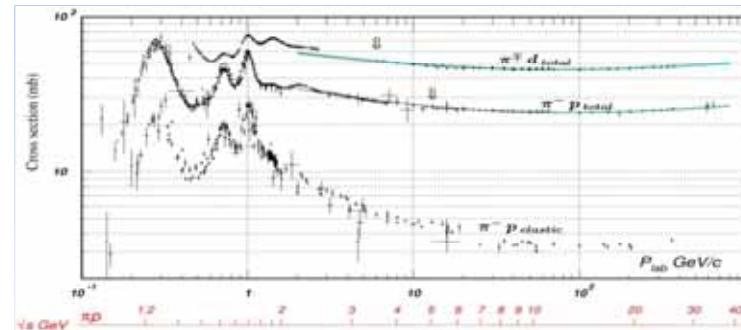
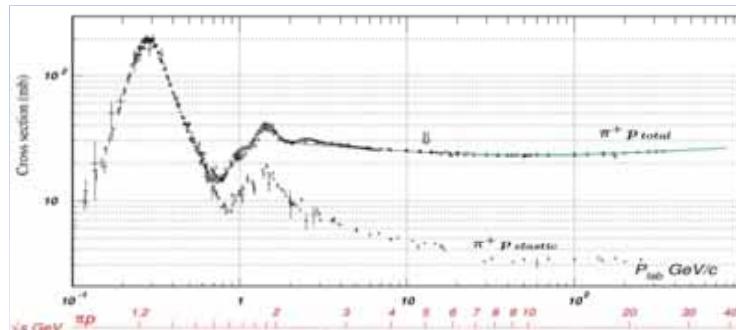
$p\bar{p}$  ( $\bar{p}p$ ):  $\sqrt{s}_{max} \sim 10$  TeV



Universality of strong interactions  
at super-high energies



$\pi p$ :  $\sqrt{s}_{max} \sim 30-40$  GeV !



# Historical outlook and motivations

## Extraction of $\pi p$ and $\pi\pi$ cross-sections

Basic idea of the extrapolation to  $t \rightarrow m_\pi^2$ :

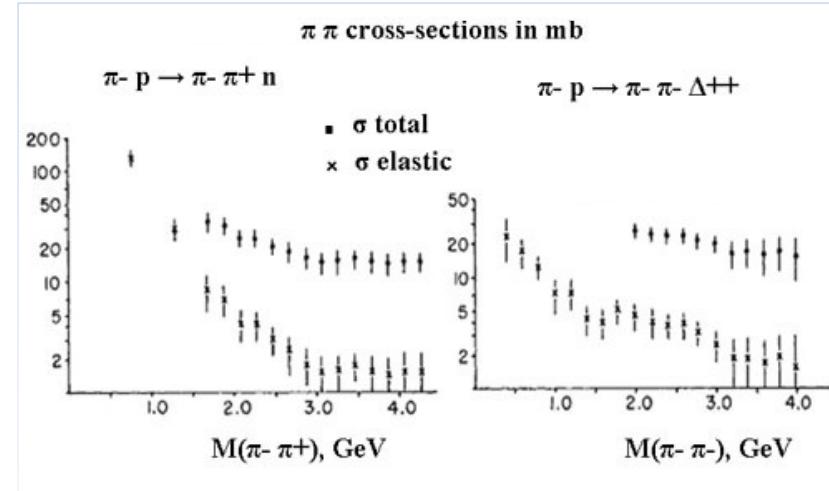
[ G.F. Chew, F.E. Low,  
Phys. Rev. 113 (1959) 1640 ]  
[ C. Goebel, Phys. Rev. Lett. 1 (1958) 337 ]

from  $\gamma^* p \rightarrow \pi^+ \pi^- p$

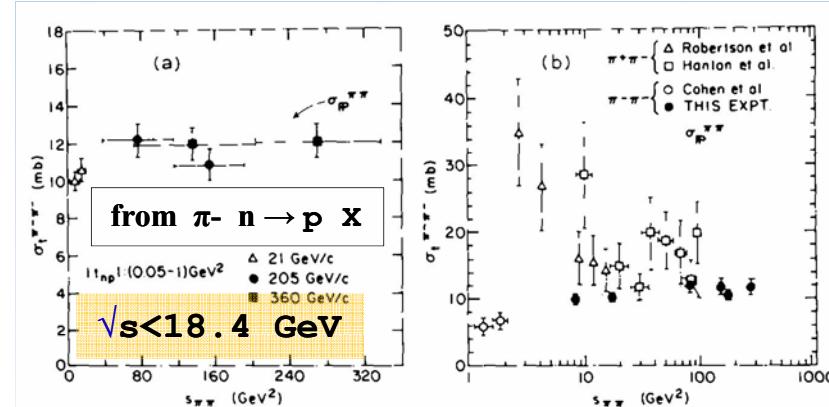
$\sigma_{\text{tot}}(\pi p) = 31 \pm 3.6 \text{ mb}$   
at  $\sqrt{s} = 50 \text{ GeV}$

[ M.G. Ryskin, Y.M. Shabelski, Yad. Fiz. 61(1998) 89]  
[ J.Breitweg (ZEUS Collab.), Eur. Phys. J. C2 (1998) 247 ]

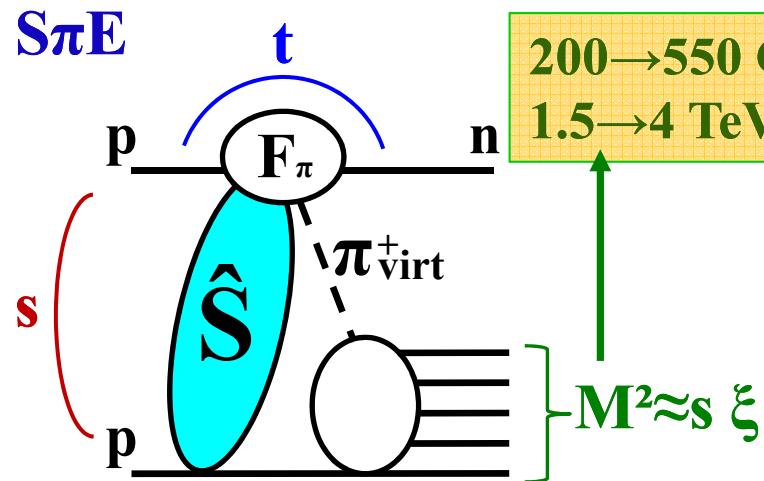
[ W.J. Robertson, W.D. Walker, J.L. Davis,  
Phys. Rev. D7 (1973) 2554 ]



[ H. Abramowicz et al., Nucl. Phys. B166 (1980) 62 ]



# Model for Charge Exchange processes



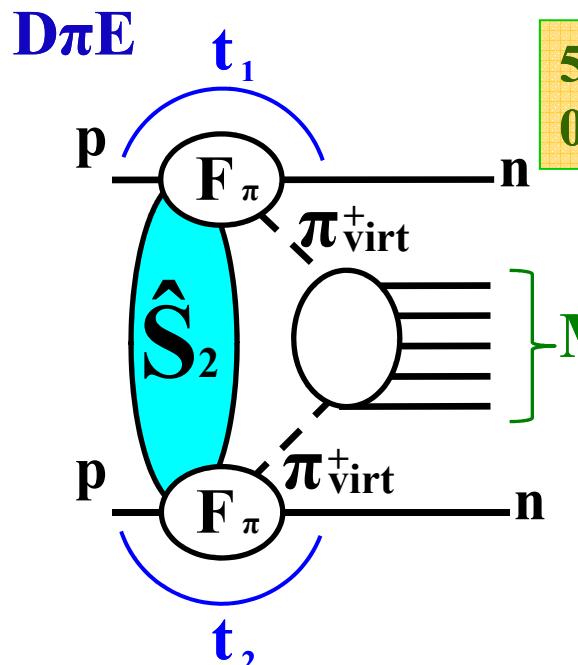
200→550 GeV at 0.9 TeV  
1.5→4 TeV at 7 TeV

$$F_0(\xi, t) = \frac{G_{\pi^+pn}^2}{16\pi^2} \frac{-t}{(t - m_\pi^2)^2} e^{2bt\xi^{1-2\alpha_\pi(t)}}$$

$$-t \simeq \frac{\vec{q}^2 + m_p^2 \xi^2}{1 - \xi}, \quad G_{\pi^+pn}^2/(8\pi) = 13.75$$

$$\alpha_\pi(t) \simeq 0.9(t - m_\pi^2), \quad b \sim 0.3 \text{ GeV}^{-2}$$

$$\frac{d\sigma_{S\pi E}}{dt d\xi} = F_0(\xi, t) S(s/s_0, \xi, t) \underline{\sigma_{\pi^+p}(s \xi)}$$



50→350 GeV at 0.9 TeV  
0.35→2.8 TeV at 7 TeV

$$\frac{d\sigma_{D\pi E}}{dt_1 dt_2 d\xi_1 d\xi_2} = F_0(\xi_1, t_1) F_0(\xi_2, t_2) S_2(s/s_0, \xi_{1,2}, t_{1,2}) \underline{\sigma_{\pi^+\pi^+}(s \xi_1 \xi_2)}$$

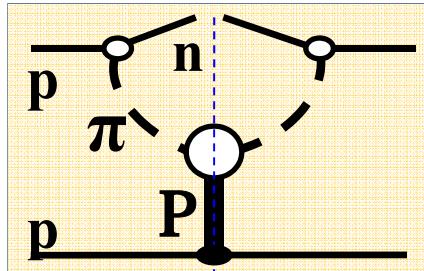
$$\sigma_{\pi_{virt}^+ p}(s \xi) = \sigma_{\pi^+ p}(s \xi)$$

$$\sigma_{\pi_{virt}^+ \pi_{virt}^+}(s \xi_1 \xi_2) = \sigma_{\pi^+ \pi^+}(s \xi_1 \xi_2)$$

Main contribution  
for  $|t| < 0.3 \text{ GeV}^2$   
virtual → real pion

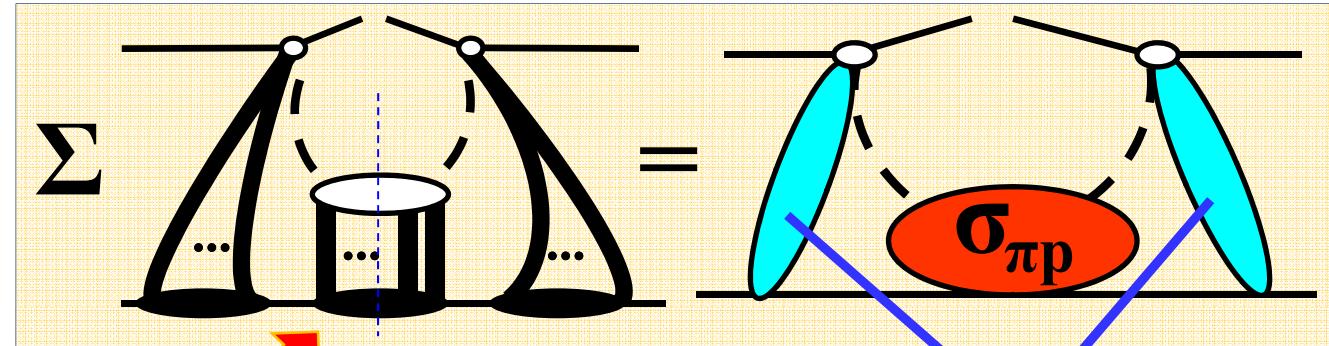
# Model for Charge Exchange processes

## $S\pi E$ Born term

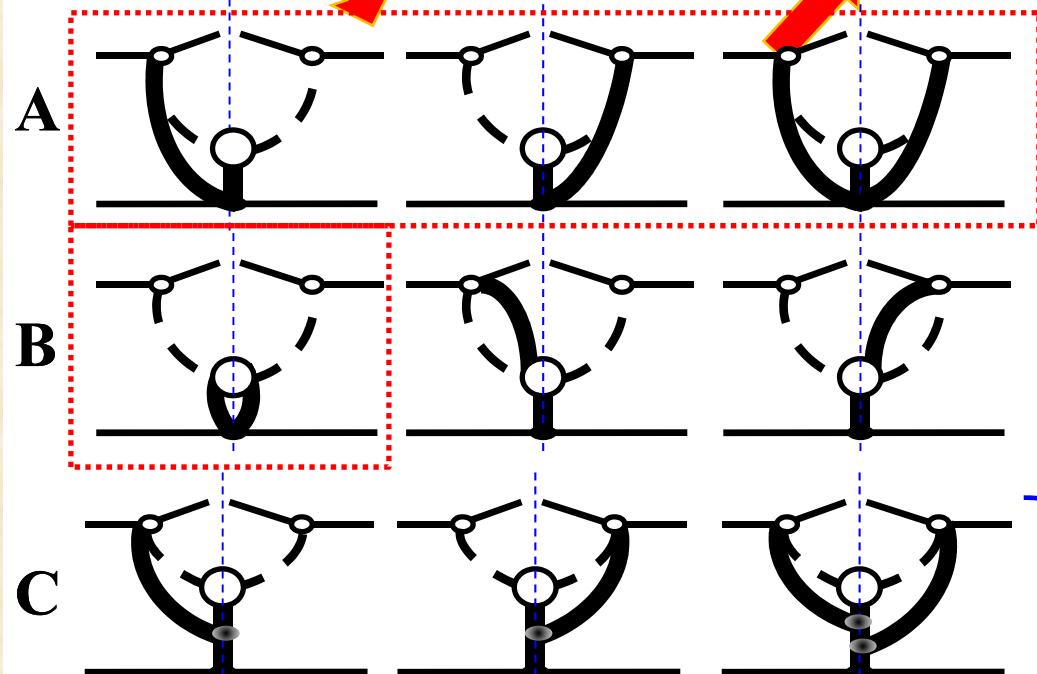


absorbtion

## Leading contributions (eikonalization)



[ V.A. Petrov, A.V. Prokudin,  
Eur. Phys. J. C23 (2002) 135 ]

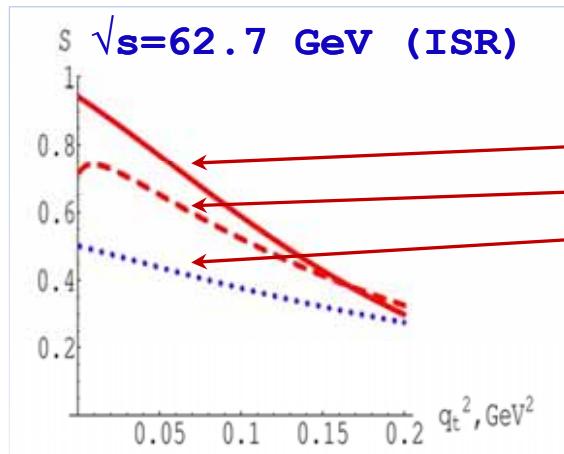


It is possible to keep  
interpretation of  $\pi p$  scattering

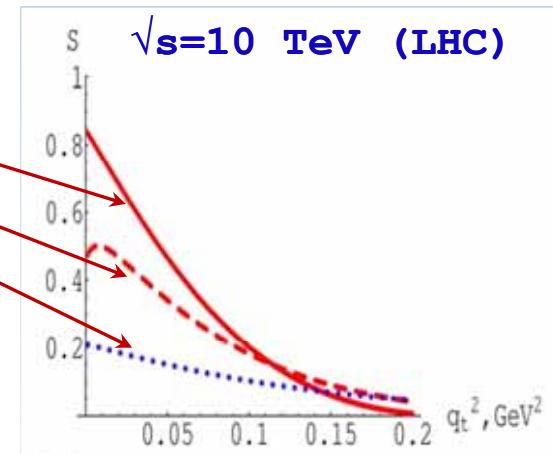
“enhanced” diagrams  
with 3IP vertexes

[ A.B. Kaidalov, V.A. Khoze, A.D. Martin and  
M.G. Ryskin, Eur. Phys. J. C47 (2006) 385 ]

# Model for Charge Exchange processes



$M, \text{ GeV}$	$\xi$	$M, \text{ TeV}$
0.627	0.0001	0.1
19.8	0.1	3.16
34.3	0.3	5.48

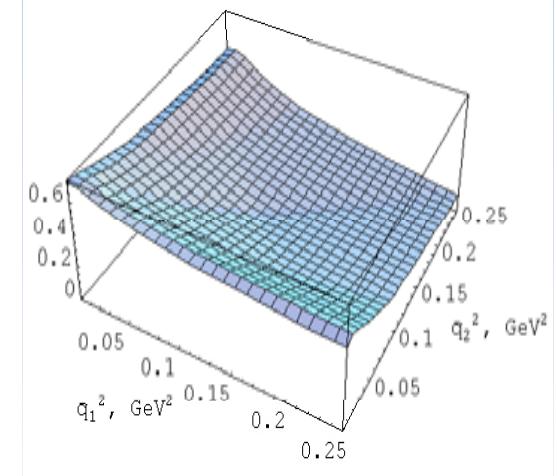
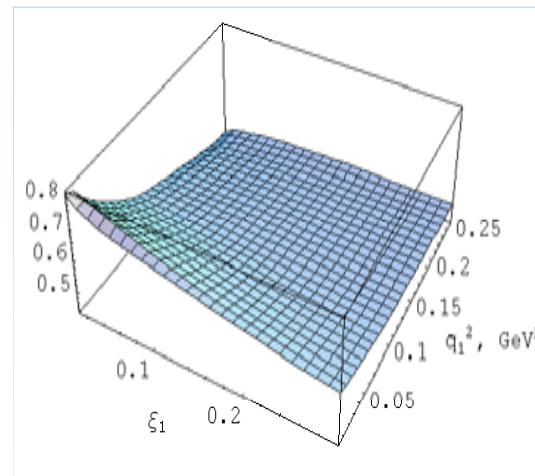
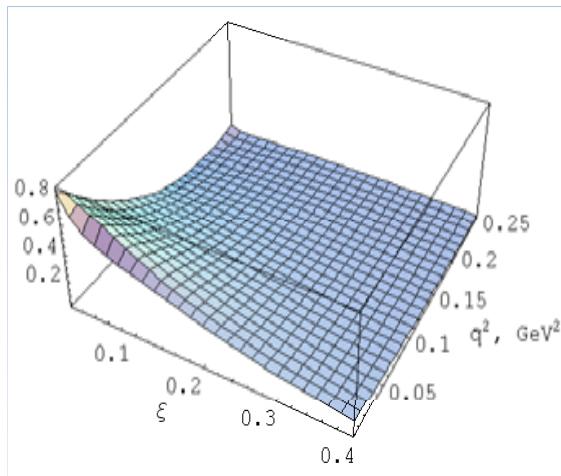


Absorbtion at  $\sqrt{s}=10 \text{ TeV}$

$S(\xi, \bar{q}^2)$

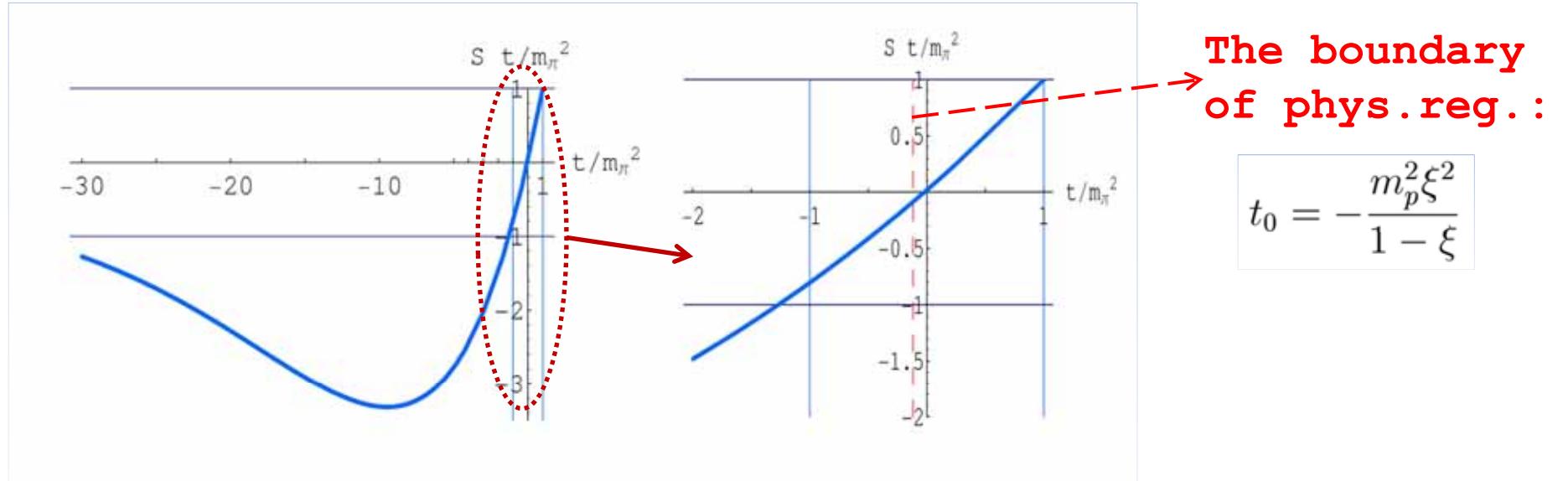
$S_2(\xi_1, \bar{q}_1^2, \xi_2=0.1, \bar{q}_2^2 \sim 0)$

$S_2(\xi_{1,2}=0.1, \bar{q}_1^2, \bar{q}_2^2)$



# Extraction of $\pi p$ and $\pi\pi$ cross-sections

Function  $S*t/m_\pi^2$  for  $\xi=0.05$



Exact extrapolation procedure ("model independent")

$$\sigma_{\pi+p}(s, \xi) = \lim_{t \rightarrow m_\pi^2} \sigma_{\pi+p}(s, \xi) \frac{S(s/s_0, \xi, t)t}{m_\pi^2} = \lim_{t \rightarrow m_\pi^2} E(\xi, t) \frac{d\sigma_{S\pi E}}{d\xi dt}$$

$$\sigma_{\pi+\pi+}(s, \xi_1 \xi_2) = \lim_{t_{1,2} \rightarrow m_\pi^2} \sigma_{\pi+\pi+}(s, \xi_1 \xi_2) \frac{S_2(s/s_0, \xi_{1,2}, t_{1,2}) t_1 t_2}{m_\pi^4} = \lim_{t_{1,2} \rightarrow m_\pi^2} E(\xi_1, t_1) E(\xi_2, t_2) \frac{d\sigma_{D\pi E}}{d\xi_1 d\xi_2 dt_1 dt_2}$$

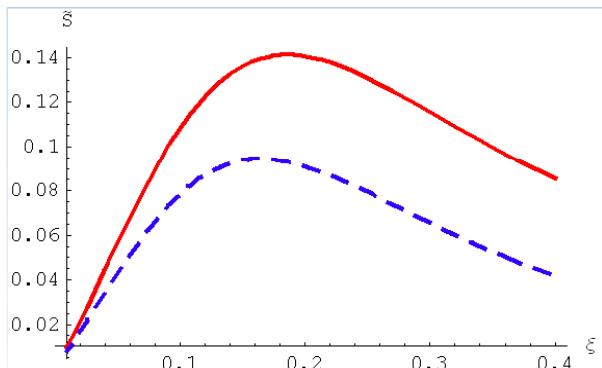
$$E(\xi, t) = -\frac{(t - m_\pi^2)^2}{m_\pi^2} \frac{16\pi^2}{G_{\pi^+pn}^2 e^{2bt} \xi^{1-2\alpha_\pi(t)}}$$

# Extraction of $\pi p$ and $\pi\pi$ cross-sections

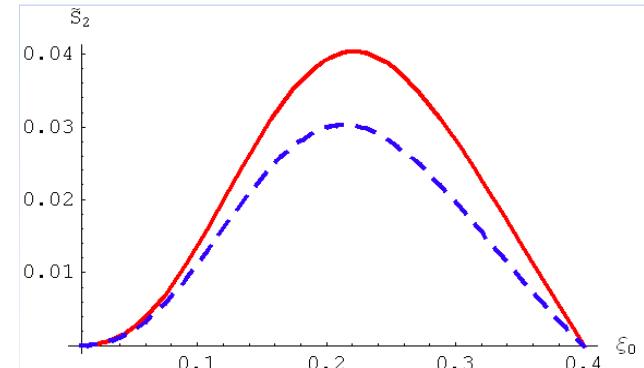
**Integral extraction procedure**

(depends on the model for absorption,  
but can be normalized to pp cross-sections!)

Without LHC measurements (TOTEM, ...) at 10 TeV theoretical error from most popular models is about 10%, at 0.9 TeV errors are low, since we have the data at 1.9 TeV.



—  $\sqrt{s} = 0.9 \text{ TeV}$   
- - -  $\sqrt{s} = 7 \text{ TeV}$



$$\tilde{S}(\xi) = \int_{t_{min}}^{t_{max}} dt S(s/s_0, \xi, t) F_0(\xi, t)$$

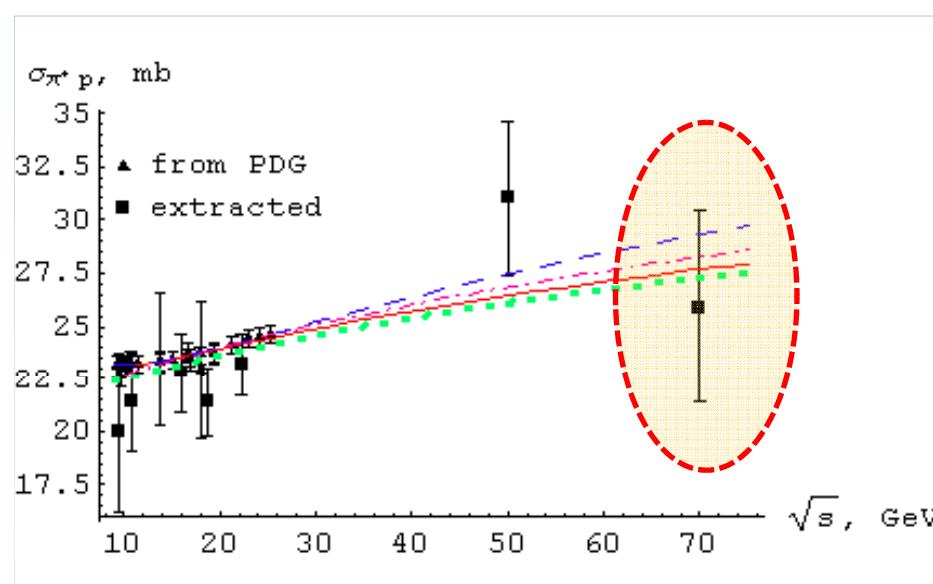
$$\tilde{S}_2(\xi_0) = \int_{t_{min}}^{t_{max}} dt_1 dt_2 \int_{-y_0}^{y_0} dy S_2(s/s_0, \{\xi_0 e^{\pm y}\}, \{t_i\}) F_0(\xi_0 e^y, t_1) F_0(\xi_0 e^{-y}, t_2)$$

$$\sigma_{\pi^+ p}(M_{\pi p}^2) = \frac{\frac{d\sigma_{S\pi E}}{d\xi}}{\tilde{S}(s, \xi)}, \quad \xi \simeq \frac{M_{\pi p}^2}{s}$$

$$\sigma_{\pi^+ \pi^+}(M_{\pi\pi}^2) = \frac{\frac{d\sigma_{D\pi E}}{d\xi_0}}{\tilde{S}_2(s, \xi_0)}, \quad \xi_0 = \frac{M_{\pi\pi}}{\sqrt{s}}, \quad y_0 = \ln \frac{\xi_{\max} \sqrt{s}}{M_{\pi\pi}}$$

# Extraction of $\pi$ p cross-sections from data

	NA49	ISR			HERA	PHENIX
$\sqrt{s}$	9.4	10.8	15.9	18.7	22.2	50
$\sigma(\text{ext.})$	$20 \pm 3.8$	$21.4 \pm 2.3$	$22.8 \pm 1.9$	$21.4 \pm 1.6$	$23.2 \pm 1.5$	$31 \pm 3.6$
$\sigma(\text{PDG})$	23.2	23.19	23.55	23.85	24.27	27.43



**COMPETE**

[ B. Nicolescu et al. (COMPETE Coll.),  
ArXiv: hep-ph/0110170]

**DL**

[ A. Donnachie, P.V. Lanshoff,  
Phys. Lett. B296 (1992) 227]

**GP**

[ A.A. Godizov, V.A. Petrov,  
JHEP 0707 (2007) 083]

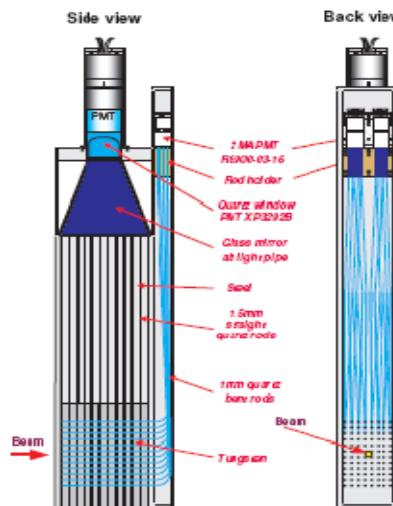
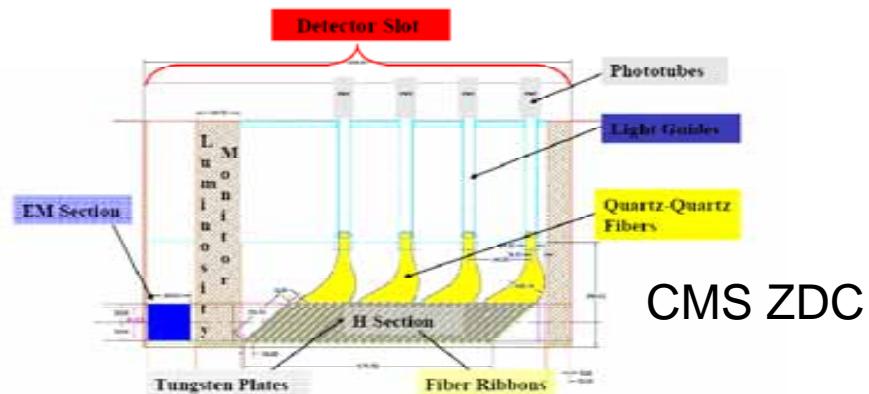
**BSW**

[ C. Bourrely, J. Soffer, T. T. Wu,  
Eur. Phys. J. C28(2003)97]

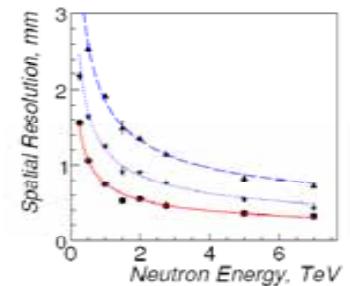
# Experimental tools

At 140 m for 5 TeV neutron  $t \sim 0.128 R^2$ :  $t < 0.3 \Rightarrow R < 1.5$  cm

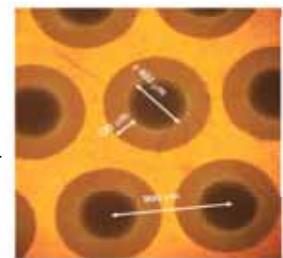
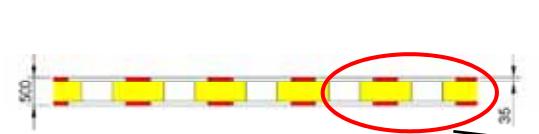
Central cell (2x10 cm) of EM ZDC:  $t < 1.2$  GeV-2



ATLAS ZDC



We suggest to change fiber layers by THGEM plates



## 1. A Concise review on THGEM detectors.

Nucl.Instrum.Meth.A598:107-111,2009.

e-Print: arXiv:0807.2026 [physics.ins-det]

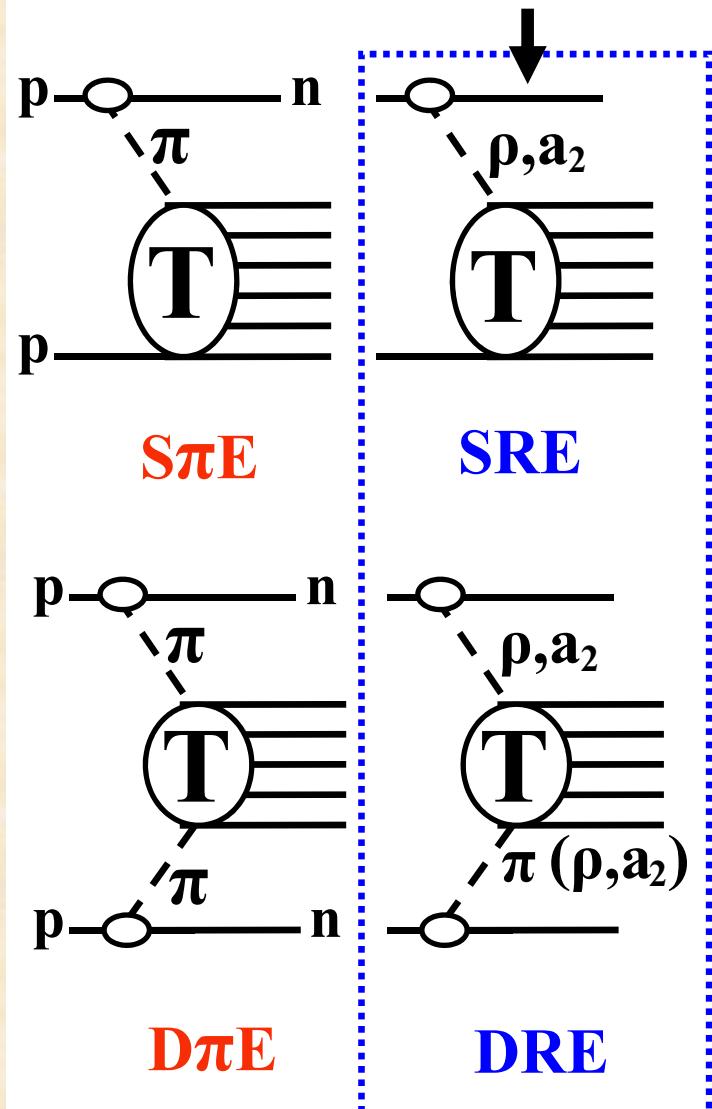
## 2. Development of detector active element based on thgem.

e-Print: arXiv:0906.4441 [physics.ins-det]

- cheap
- fast
- high rad. resistance
- coordinate and energy measurement
- upgrade HE CMS

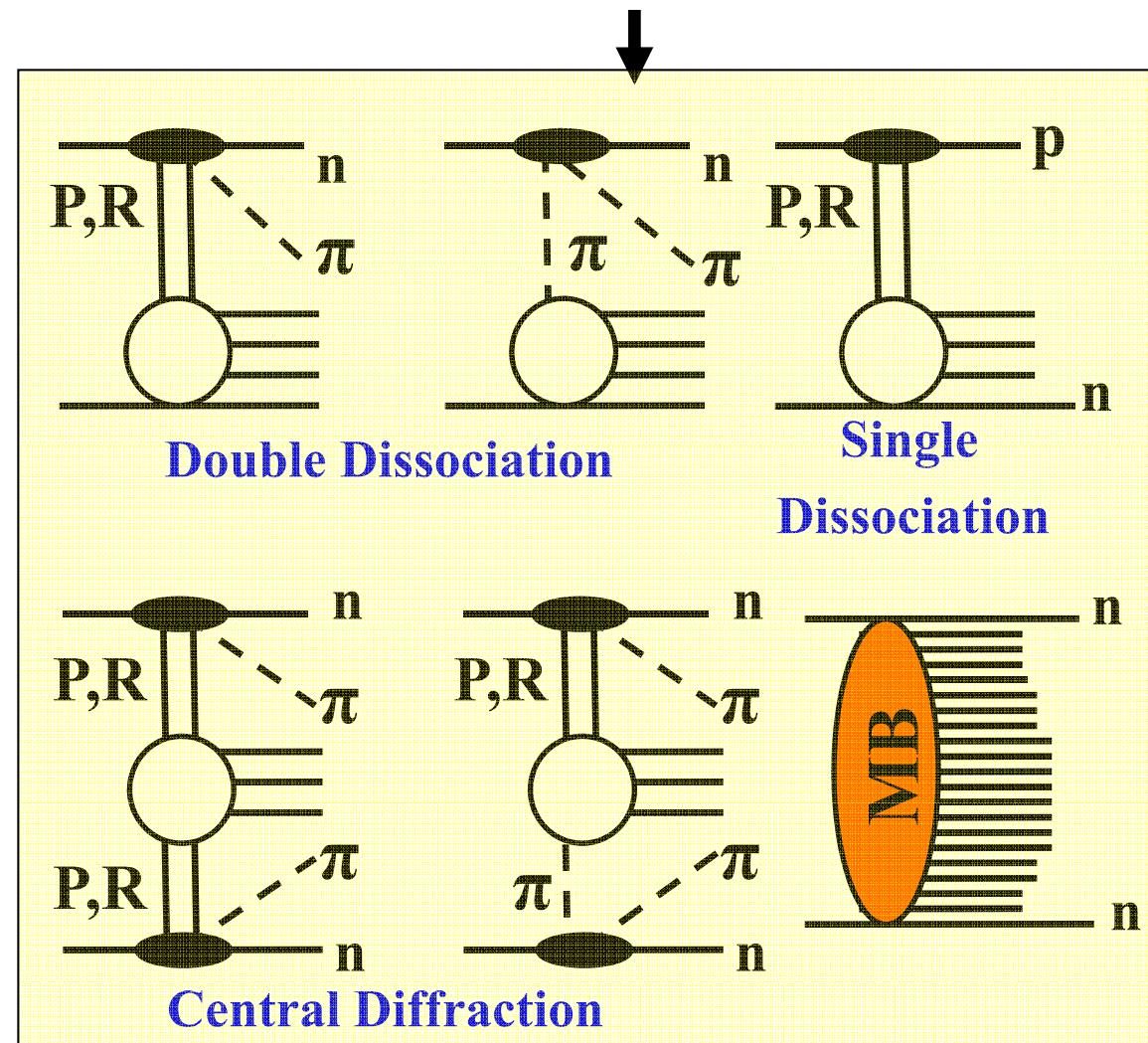
# Signal and backgrounds

[R.Ryutin ,V.Petrov, A.Sobol, in preparation ]



[ V.Petrov, R.Ryutin, A.Sobol, EPJC 65 (2010) 237 ]

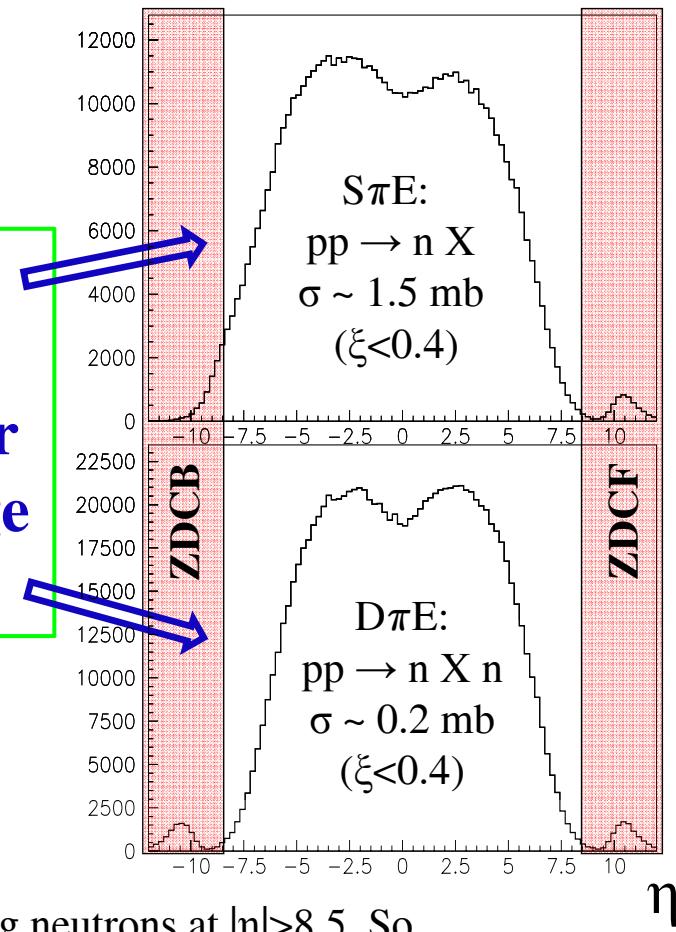
[ A.Sobol, R.Ryutin, V.Petrov and M.Murray, Arxiv:1005.2984 ]



# Signal and backgrounds distributions

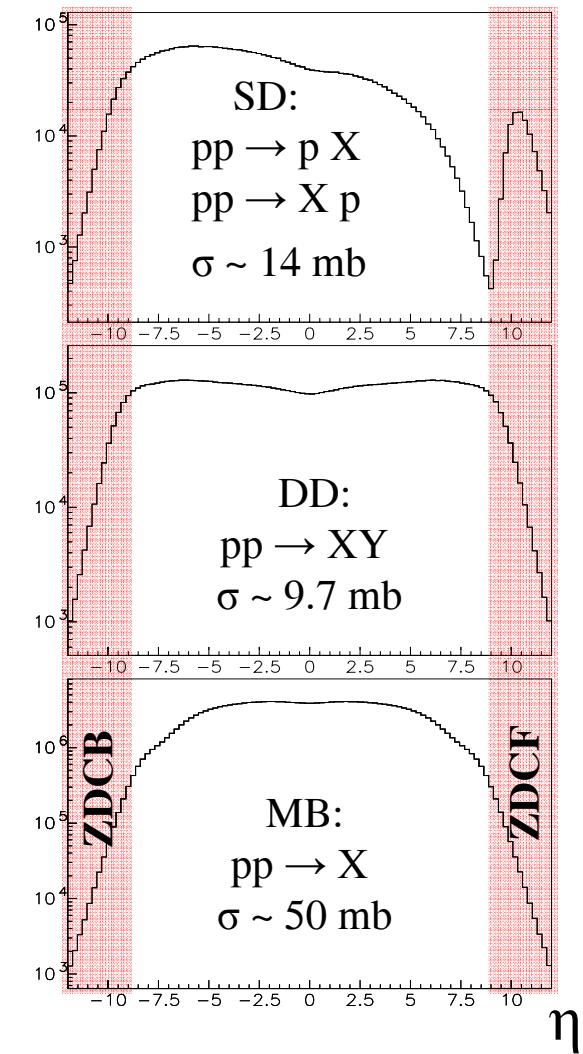
We propose to perform measurements of CE and DCE processes at LHC.  
For the leading neutron detection Zero Degree Calorimeter could be used.

**MC Generator**  
**MonChER1.0:**  
**(Monte-Carlo for**  
**Charge Exchange**  
**Reactions)**

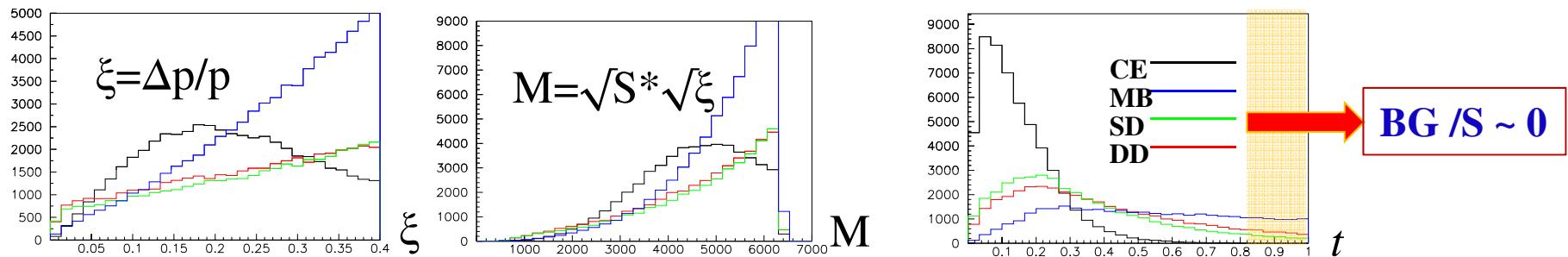


All processes have leading neutrons at  $|\eta|>8.5$ . So

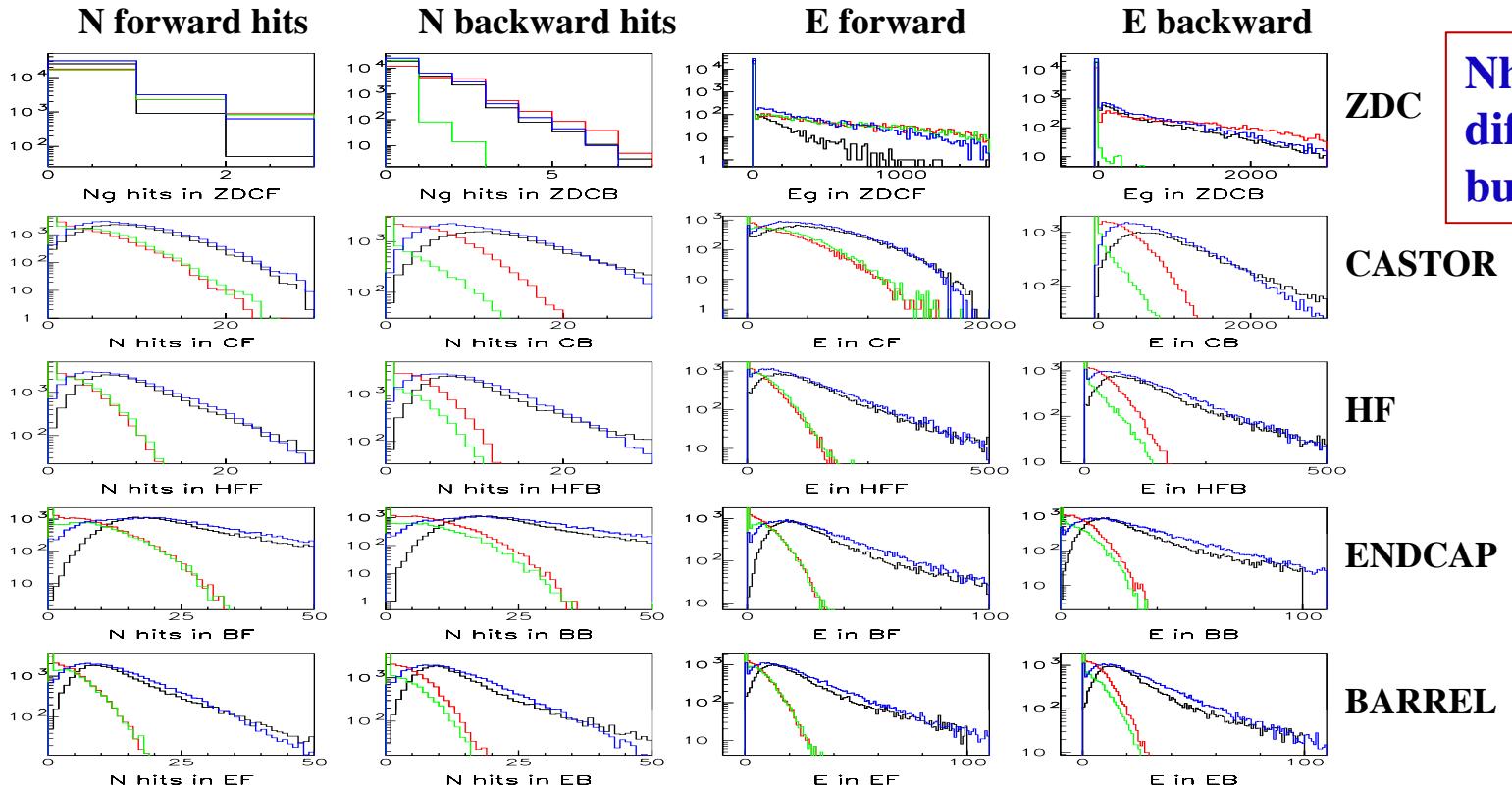
- SD, DD and MB can imitate S $\pi$ E and D $\pi$ E;
- S $\pi$ E can imitate D $\pi$ E



# Monte-Carlo for CE (methods)



We selected events with 1 neutron detected in ZDCForward and look on Calo in forward and backward region



$N_{hits}(HF) > 7$   
diffraction  $\sim 0$ ,  
but MB  $\sim$  CE

# Total $\pi p$ & $\pi\pi$ cross-sections from CE&DCE (MC)

## CE & DCE at 10 TeV

### No selection

S/B

CE 1/28

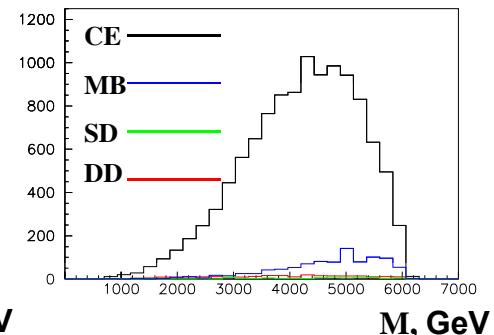
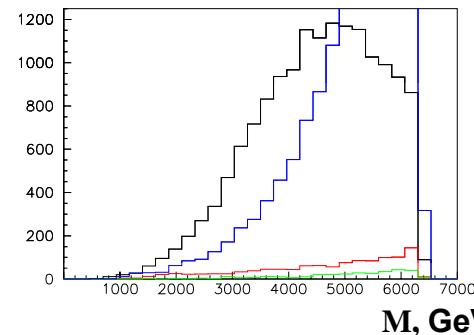
DCE 1/380

### Simple selection:

$$(CE1) : \begin{cases} N_n^f > 0 & \& N_n^b = 0 \\ N_n^f = 0 & \& N_n^b > 0 \end{cases} \quad (DCE1) : \begin{cases} N_n^f > 0 \\ N_n^b > 0 \end{cases}$$

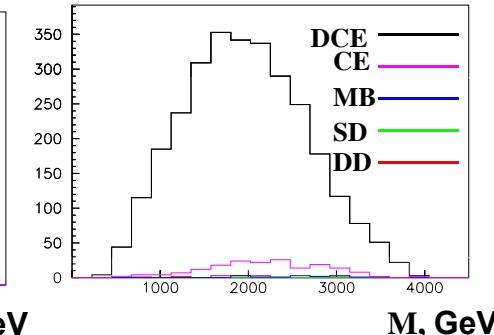
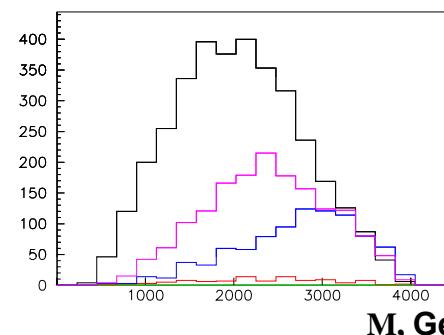
	S/B
$\{\xi < 0.4 \text{ & CE1}\}$ (CE)	1/2.7
$\{\xi < 0.4 \text{ & DCE1}\}$ (DCE)	1/1.6

## Additional selections



CE: Nhits(HF)>7  
S/B ~ 1/0.56

CE:  $|t| < 0.2 \text{ GeV}^2$   
S/B ~ 1/0.08



DCE: Nhits(HF)>7  
S/B ~ 1/0.7

DCE:  $|t| < 0.3 \text{ GeV}^2$   
S/B ~ 1/0.07

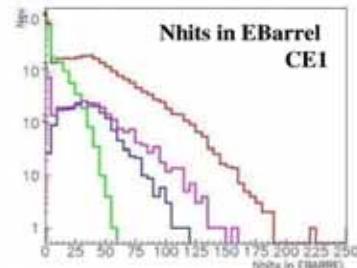
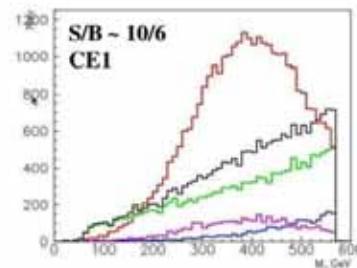
# Total $\pi p$ & $\pi\pi$ cross-sections from CE&DCE (MC)

## CE & DCE at 900 GeV

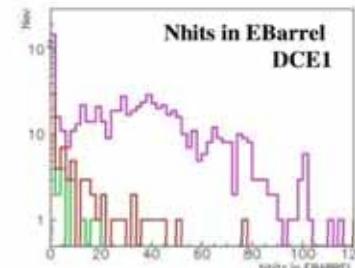
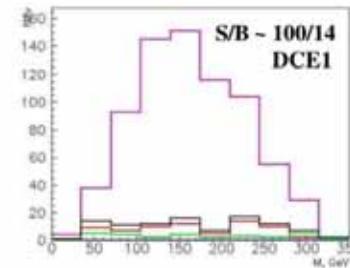
CE selection	CE	:	DCE	:	Diffraction	:	MB	(S : B) <sub>CE</sub>
NO	1	:	0.08	:	10.3	:	19.5	1:30
CE1	1	:	0.11	:	0.44	:	0.07	10:6
CE1 & CE2	1	:	0.07	:	0	:	0.007	100:8

Process	CE	DCE	SD	DD	MB	Elastic	Total
$\sigma, \text{mb}$	1.76	0.14	11.7	6.4	32.5	12.8	65.3

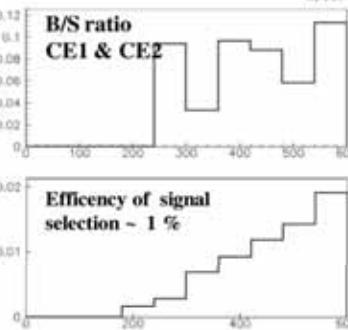
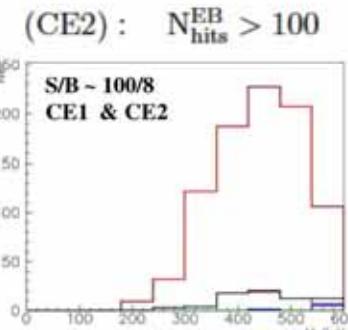
$$(\text{CE1}) : \begin{cases} N_n^f > 0 & \& N_n^b = 0 \\ N_n^f = 0 & \& N_n^b > 0 \end{cases}$$



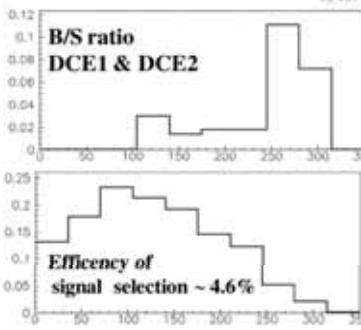
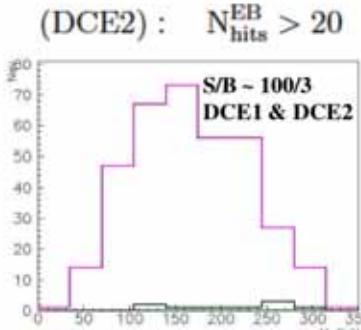
$$(\text{DCE1}) : \begin{cases} N_n^f > 0 \\ N_n^b > 0 \end{cases}$$



Diffraction MB DCE CE



Efficiency of signal selection ~ 1 %

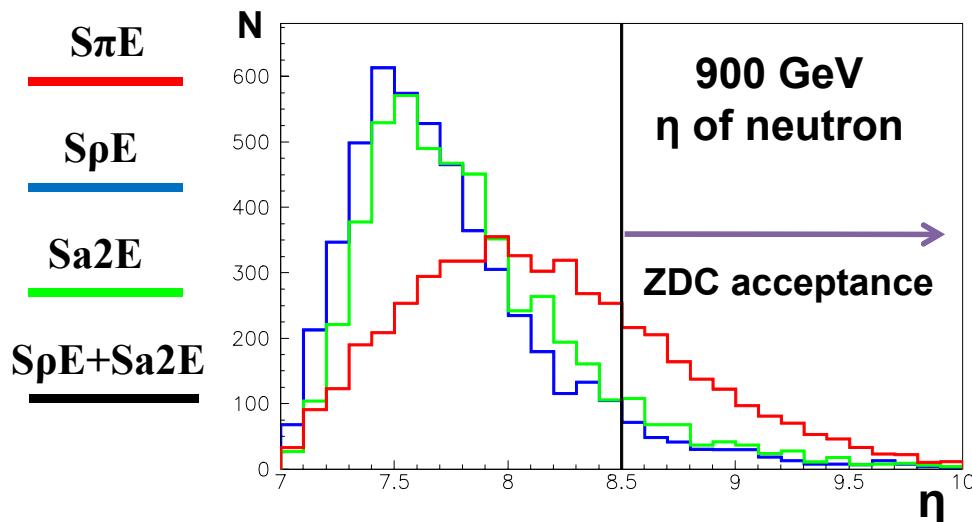


Efficiency of signal selection ~ 4.6 %

At 900 GeV we have good chances to get  $10^7$  CE and  $10^6$  DCE events at  $1 \text{ pb}^{-1}$ , using ZDC+CMS Calorimeters only!

Model dependent extraction of  $\pi p$  &  $\pi\pi$  total cross-sections at 200-600 & 50-350 GeV

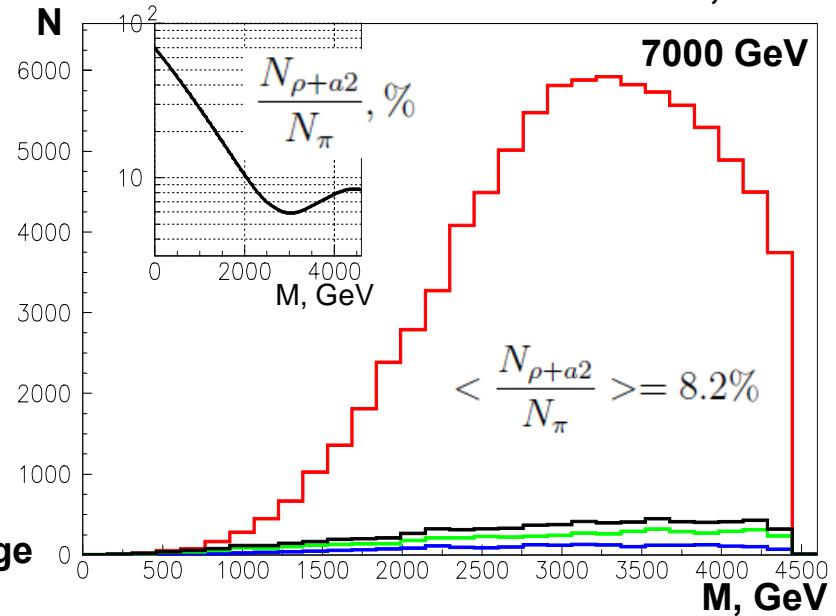
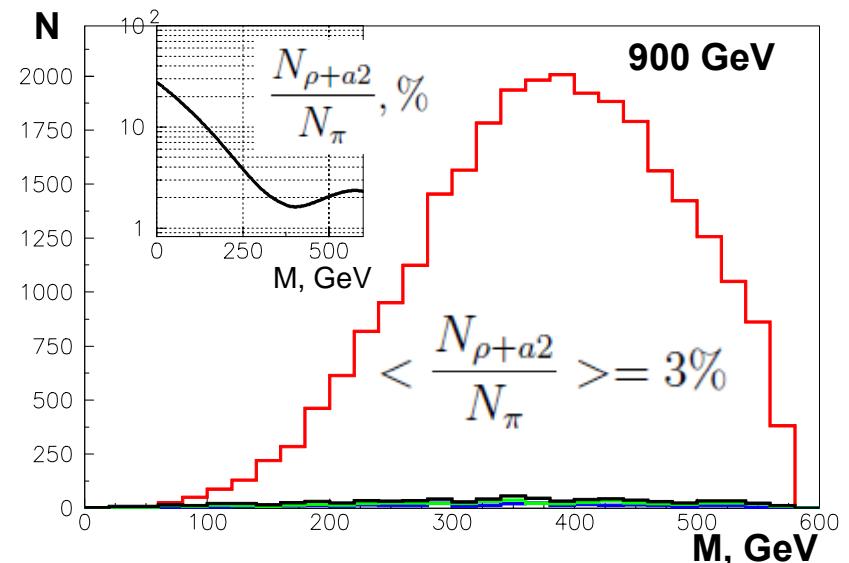
# Total $\{\pi, \rho, a_2\}p$ cross-sections from CE (MC)



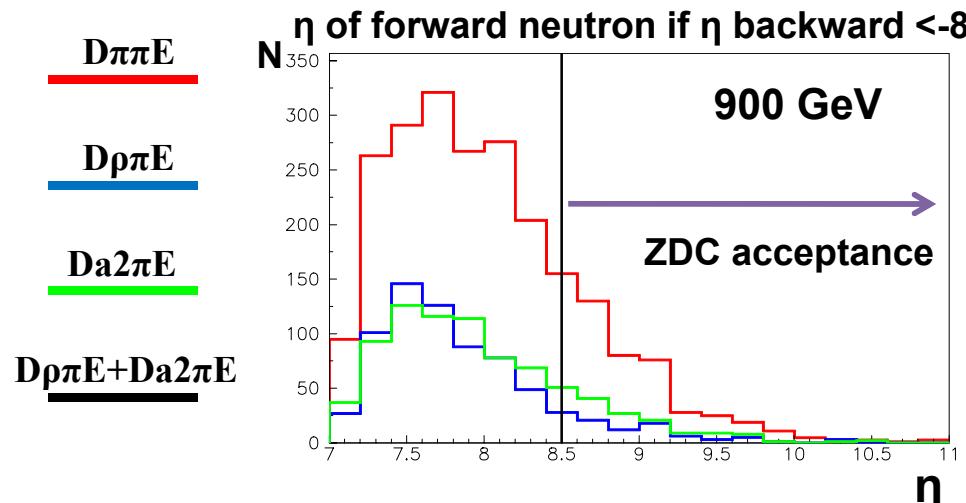
CME, GeV	900	7000
$\frac{\sigma_{\rho+a2}}{\sigma_\pi}, \%$	10.7	8.2
ZDC acceptance, %	$\left\{ \begin{array}{l} S\pi E \\ S\rho E \\ Sa_2 E \end{array} \right.$	$\left\{ \begin{array}{l} 27.8 \\ 10.8 \\ 6.7 \end{array} \right. \begin{array}{l} 86.6 \\ 86.8 \\ 86.7 \end{array}$
$\frac{N_{\rho+a2}}{N_\pi}, \%$	3.0	8.2

At 900 GeV  $\rho$  and  $a_2$  exchanges are suppressed up to 3% just by ZDC acceptance due to different neutron kinematics.

At 7000 GeV there is no such difference and  $\rho+a_2$  exchange remains at level ~8%.



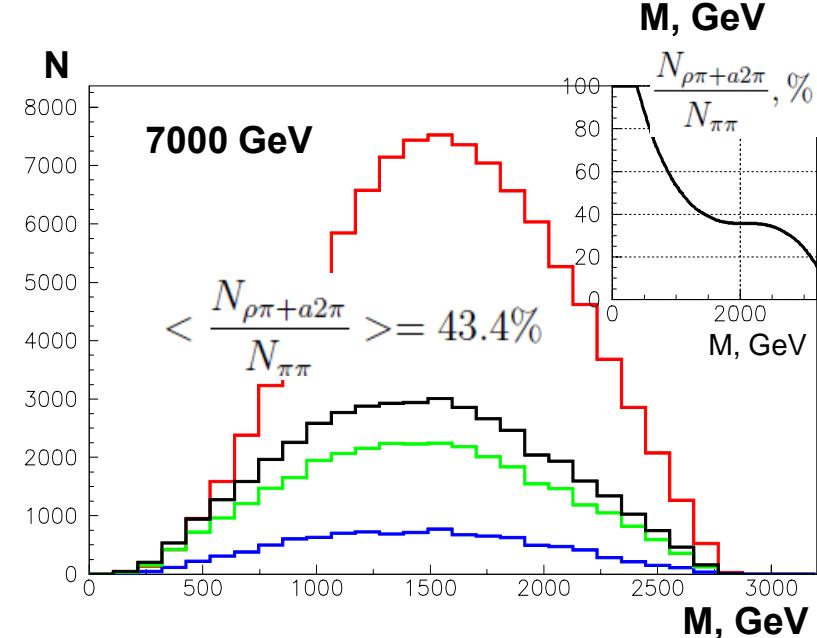
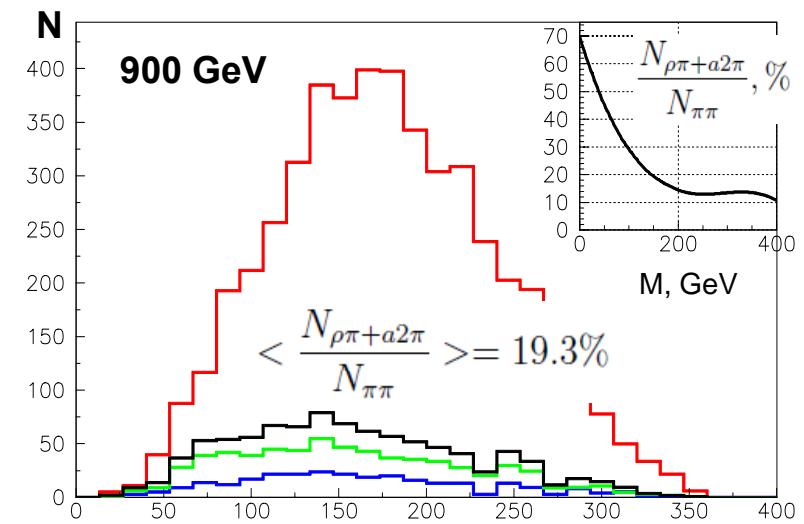
# Total $\{\pi, \rho, a_2\}\pi$ cross-sections from DCE (MC)



CME, GeV	900	7000
$\frac{\sigma_{\rho\pi+a2\pi}}{\sigma_{\pi\pi}}, \%$	47.3	43.4
ZDC acceptance, %	$\left\{ \begin{array}{l} D\pi\pi E \\ D\rho\pi E \\ Da_2\pi E \end{array} \right.$	$\begin{array}{l} 4.80 \\ 0.28 \\ 0.65 \end{array}$
$\frac{N_{\rho\pi+a2\pi}}{N_{\pi\pi}}, \%$	19.3	43.4

At 900 GeV  $\rho\pi$  and  $a_2\pi$  exchanges are suppressed from 47% to 19 % by ZDC acceptance.

At 7000 GeV  $\rho\pi+a2\pi$  exchanges remain at level ~43%.



# Elastic $\pi p$ & $\pi\pi$ cross-sections from CE&DCE (MC)

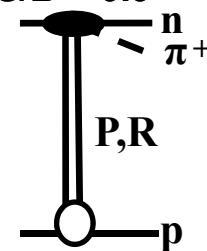
## Elastic CE & DCE at 10 TeV

### No selection

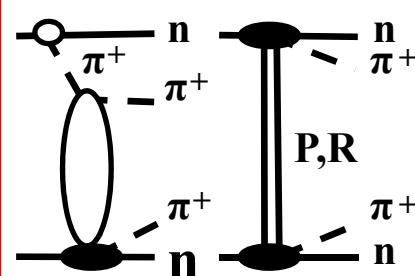
	S/B
CE	0.004
DCE	0.0025

Nhits(Barrel,Endcap,  
HF,CASTOR,EZDC)=0

CE S/B ~ 0.9



DCE S/B ~ 1.1



### Simple selection:

$$(CE1) : \begin{cases} N_n^f > 0 & \& N_n^b = 0 \\ N_n^f = 0 & \& N_n^b > 0 \end{cases}$$

$$(DCE1) : \begin{cases} N_n^f > 0 \\ N_n^b > 0 \end{cases}$$

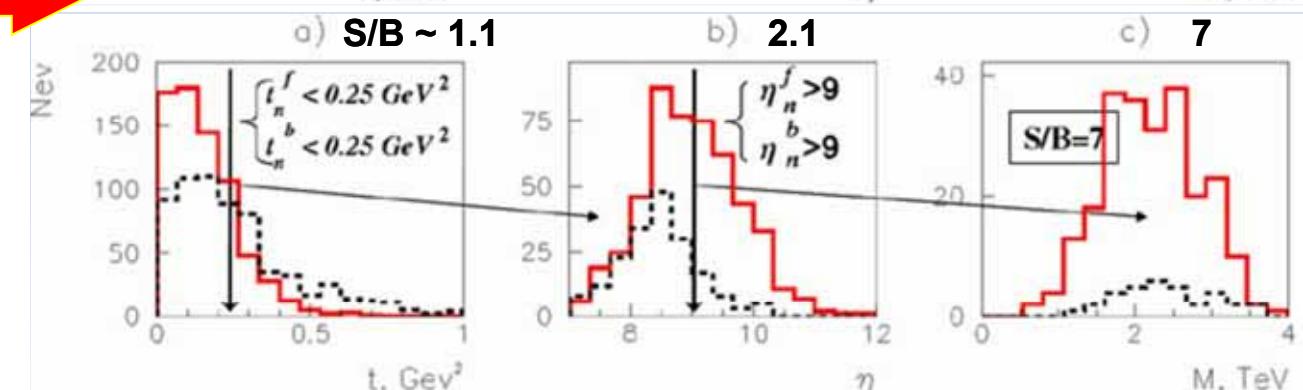
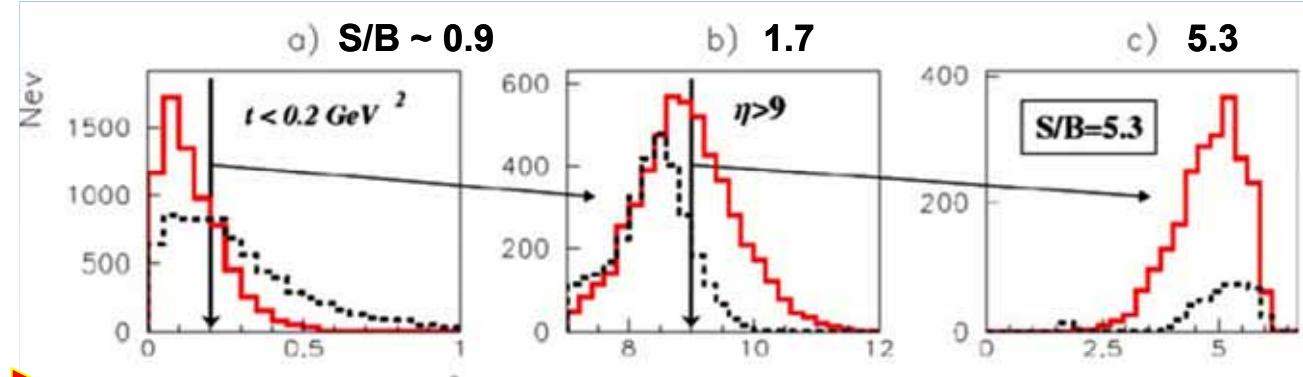
S/B

$\{\xi < 0.4 \& CE1\}$  (CE)

0.05

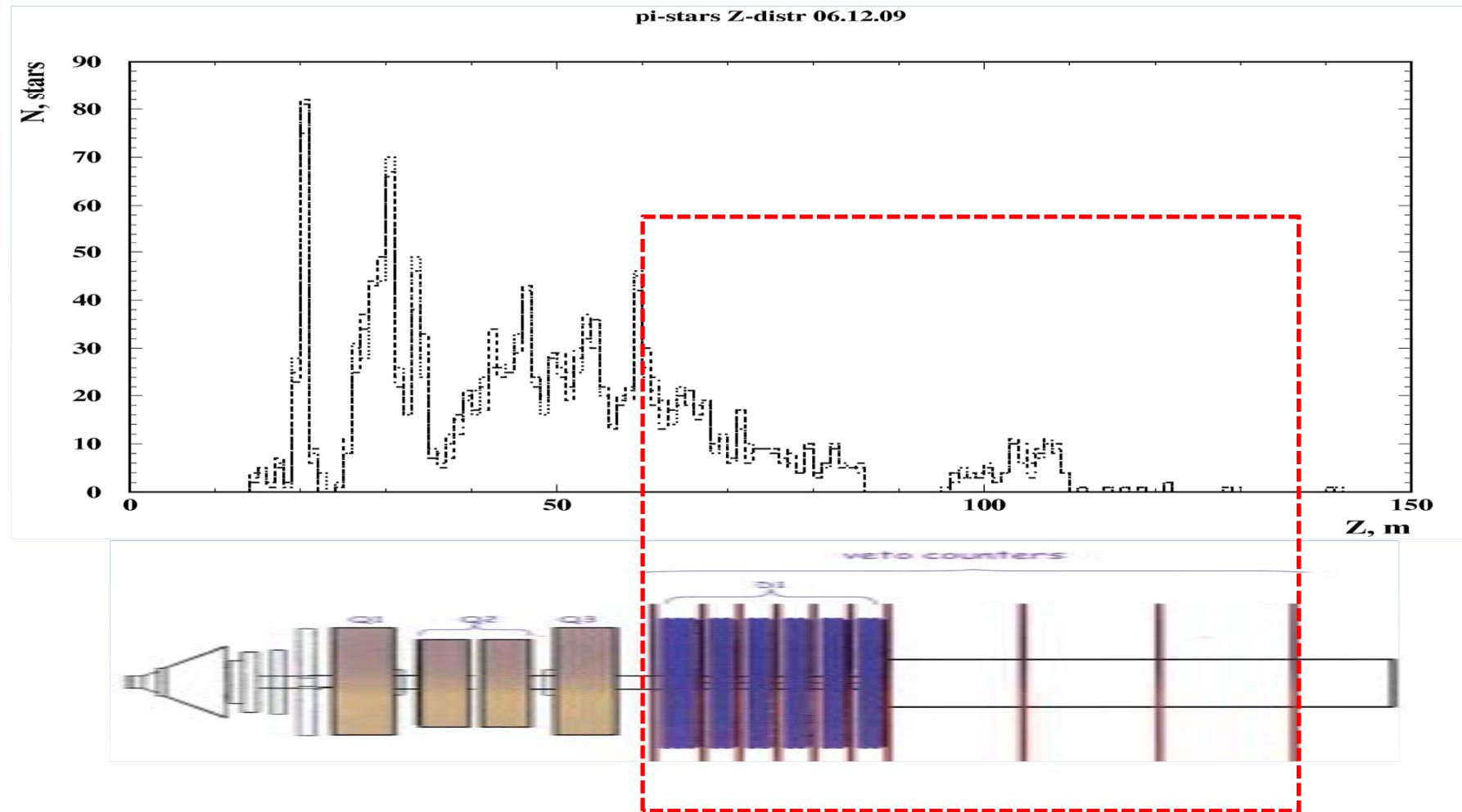
$\{\xi < 0.4 \& DCE1\}$  (DCE)

0.04



# Elastic $\pi p$ cross-sections from CE

## Elastic CE at 10 TeV: pion detection

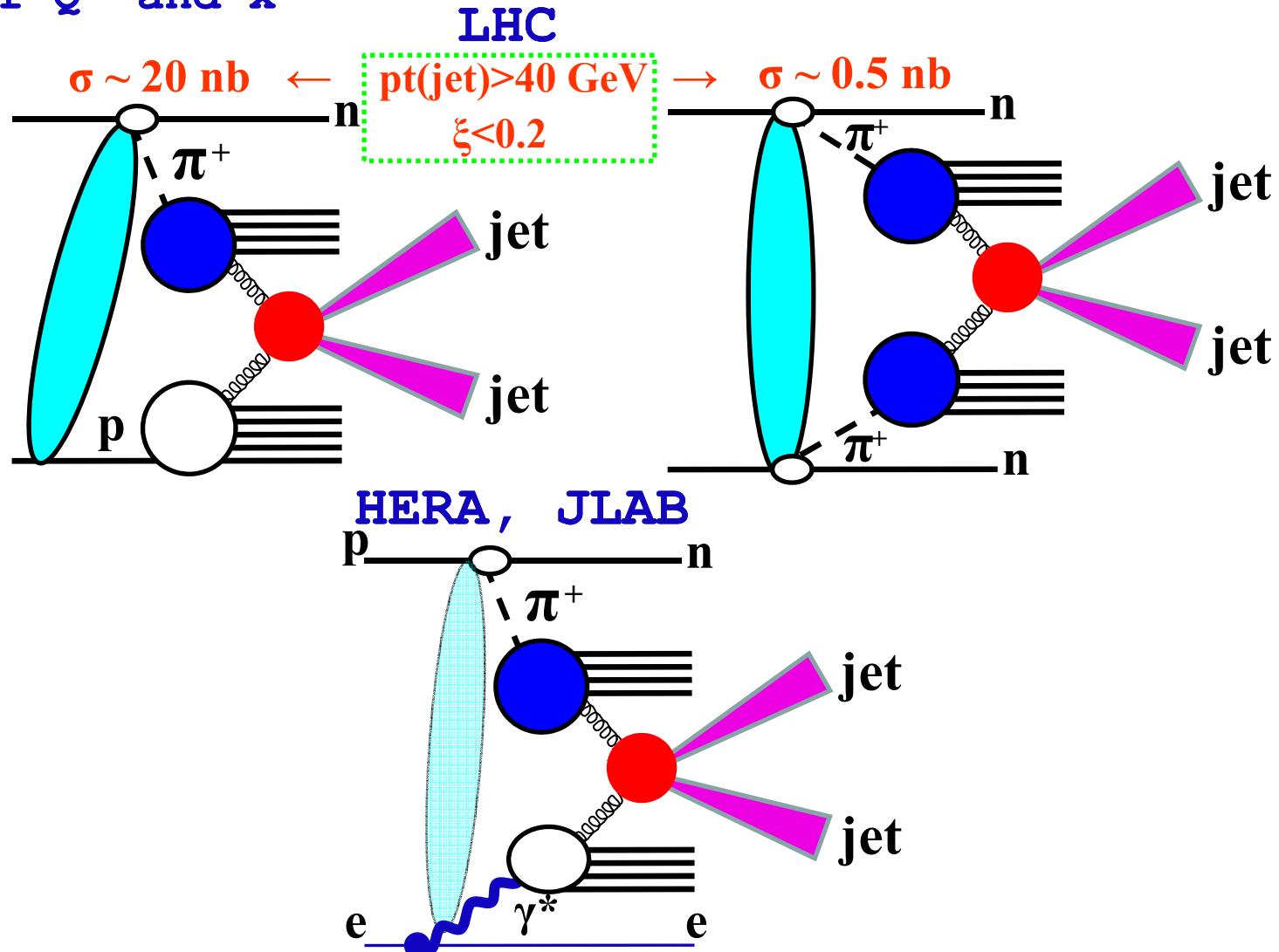


[ M. Albrow et al., JINST 4, (2009) P10001 ]

Forward Shower Counters (FSC):  $8 < \eta < 11$

# Future prospects: pion structure functions

Parton distributions in a pion in a still unexplored domain of  $Q^2$  and  $x$



# Summary

- CE ( $pp \rightarrow nX$ ) and DCE ( $pp \rightarrow nXn$ ) processes measured at LHC could provide us with unique information on  $\pi^+p$  and  $\pi^+\pi^+$  cross sections at very high c.m. energy (up to several TeV): total, elastic, inclusive jet cross-sections, ... => universal behaviour, value of absorbtion, diffractive patterns, parton distributions in a pion, ...
- Cross-sections for CE & DCE processes are estimated to be 1.5 mb & 0.2 mb at 10 TeV (very large number of events, even with low efficiency of registration)
- Model for charge exchange processes (with  $\pi$ ,  $\rho$  and  $a_2$  reggeons) in the range  $0 < qt < 0.5$  GeV,  $0.0001 < \xi < 0.4$ ,  $0.9$  TeV  $< \sqrt{s} < 14$  TeV was developed and applied to MC (generator MonChER1.0: 4 models for pion-proton scattering, 3IP model for absorbtion)
- Model-independent extraction of  $\pi^+ p$  and  $\pi^+ \pi^+$  cross-sections is possible for LHC if we can measure t-distributions. It is not possible for the present design of ZDC (or at 900 GeV with some restrictions) => At this moment only model-dependent extraction is possible with uncertainties in absorbtion (can be normalized to pp, at present we have 10% model error from most popular models)
- Backgrounds: SD, DD, CD, MB are suppressed at  $|t| < 0.25$  GeV $^2$  (S/B~10). But even for the whole ZDC acceptance we can reach also S/B~10 with efficiency 1-3% for  $S\pi E$  and 5-10% for  $D\pi E$  without t-cuts, using the information from CMS detectors. Reggeon backgrounds can reach 3% (8%) at 0.9 (7) TeV for CE and 19% (43%) for DCE. Pile-up is supposed to be low at first runs.
- Total and inclusive dijet cross-sections  $\pi p$  and  $\pi \pi$  cross-sections could be extracted from the real data at 0.9!!! and 7 TeV in a model-dependent way.
- For elastic cross-sections and t-measurements we need modifications of detectors (FSC, ZDC, THGEM).

# Backup slides (absorbtion formulae)

$$\Phi_B(\xi, \vec{q}^2) = \frac{N(\xi)}{2\pi} \left( \frac{1}{\vec{q}^2 + \epsilon^2} + i \frac{\pi \alpha'_\pi}{2(1-\xi)} \right) \exp(-\beta^2 \vec{q}^2),$$

$$N(\xi) = (1-\xi) \frac{G_{\pi+pn}}{2} \xi^{\frac{\alpha'_\pi \epsilon^2}{1-\xi}} \exp \left[ -b \frac{m_p^2 \xi^2}{1-\xi} \right],$$

$$\beta^2 = \frac{b + \alpha'_\pi \ln \frac{1}{\xi}}{1-\xi}, \quad \epsilon^2 = m_p^2 \xi^2 + m_\pi^2 (1-\xi),$$

$$\Theta_0(b, \xi, |\vec{q}|) = \frac{2\pi b J_0(b|\vec{q}|)}{N(\xi)} \int_0^\infty dk k J_0(bk) \Phi_B(\xi, k^2),$$

$$\Theta_s(b, \xi, |\vec{q}|) = \frac{2\pi b J_1(b|\vec{q}|)}{N(\xi)} \int_0^\infty dk k^2 J_1(bk) \Phi_B(\xi, k^2)$$

$$V(b) = \exp(-\Omega_{el}(s/s_0, b)),$$

$$\Omega_{el} = \sum_{i=1}^3 \Omega_i,$$

$$\Omega_i = \frac{2c_i}{16\pi B_i} \left( \frac{s}{s_0} e^{-i\frac{\pi}{2}} \right)^{\alpha_{IP_i}(0)-1} \exp \left[ -\frac{b^2}{4B_i} \right],$$

$$B_i = \alpha'_{IP_i} \ln \left( \frac{s}{s_0} e^{-i\frac{\pi}{2}} \right) + \frac{r_i^2}{4}.$$

$i$	$c_i$	$r_i^2 (\text{GeV}^{-2})$
1	$53.0 \pm 0.8$	$6.3096 \pm 0.2522$
2	$9.68 \pm 0.16$	$3.1097 \pm 0.1817$
3	$1.67 \pm 0.07$	$2.4771 \pm 0.0964$

$$\Phi_0 = \frac{N(\xi)}{2\pi} \int_0^\infty db \Theta_0(b, \xi, |\vec{q}|) V(b),$$

$$|\vec{q}| \Phi_s = \frac{N(\xi)}{2\pi} \int_0^\infty db \Theta_s(b, \xi, |\vec{q}|) V(b),$$

$$S = \frac{m_p^2 \xi^2 |\Phi_0(s/s_0, \xi, \vec{q}^2)|^2 + \vec{q}^2 |\Phi_s(s/s_0, \xi, \vec{q}^2)|^2}{(m_p^2 \xi^2 + \vec{q}^2) |\Phi_B(\xi, \vec{q}^2)|^2}$$

$$\bar{\Phi}_{ij} = \frac{N(\xi_1) N(\xi_2)}{(2\pi)^2} \int_0^\infty db_1 db_2 I_\phi(b_1, b_2) \Theta_i(b_1, \xi_1, |\vec{q}_1|) \Theta_j(b_2, \xi_2, |\vec{q}_2|),$$

$$I_\phi(b_1, b_2) = \int_0^\pi \frac{d\phi}{\pi} V \left( \sqrt{b_1^2 + b_2^2 - 2b_1 b_2 \cos \phi} \right),$$

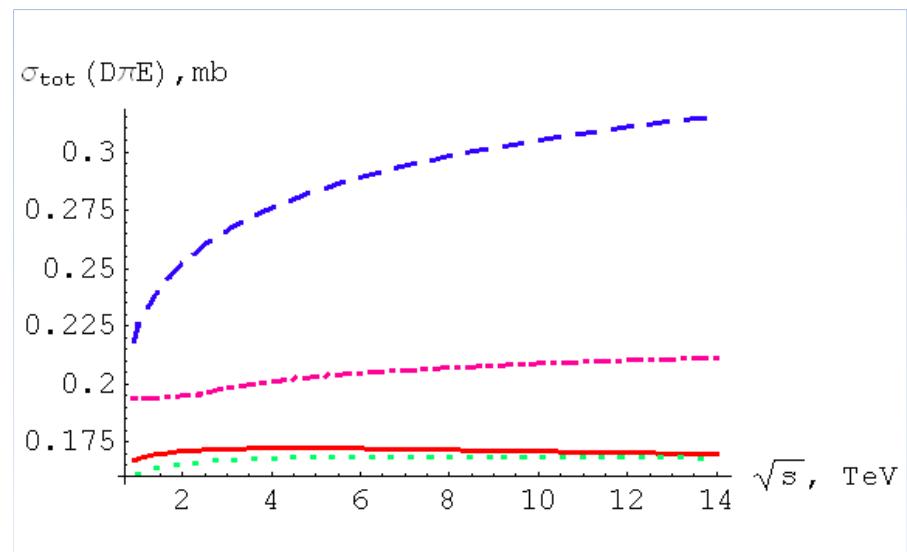
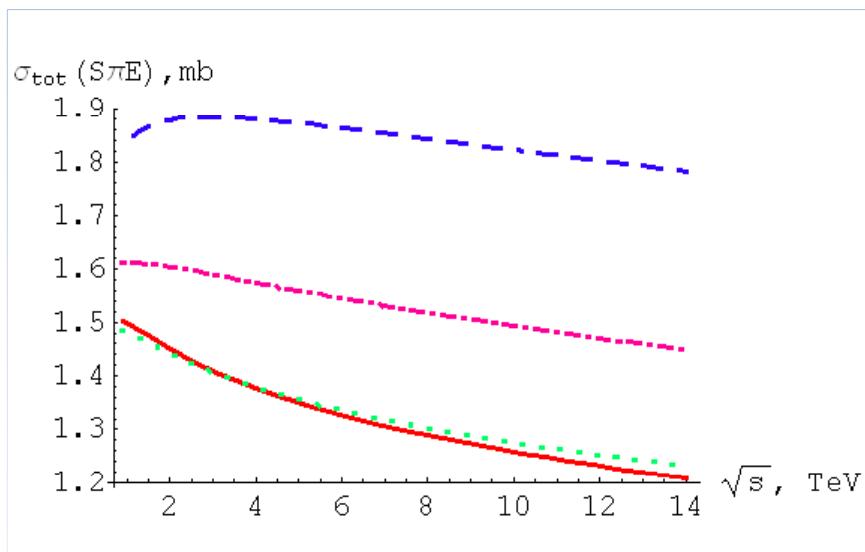
$$\rho_{00} = m_p^2 \xi_1 \xi_2, \quad \rho_{0s} = m_p \xi_1, \quad \rho_{s0} = m_p \xi_2, \quad \rho_{ss} = 1,$$

$$S_2 = \frac{\sum_{i,j=0,s} \rho_{ij}^2 |\bar{\Phi}_{ij}(s/s_0, \{\xi_i\}, \{\vec{q}_i^2\})|^2}{\prod_{i=1}^2 [(m_p^2 \xi_i^2 + \vec{q}_i^2) |\Phi_B(\xi_i, \vec{q}_i^2)|^2]}$$

# Backup slides (total S $\pi$ E and D $\pi$ E cross-sections)

Total CE and DCE cross-sections in the region  
 $\Omega = \{0 < qt < 0.5 \text{ GeV}, 0.0025 < \xi < 0.4\}$

**COMPETE** **DL** **GP** **BSW** parametrizations for  $\sigma_{\pi p}$



Since there are no real data for  $\pi\pi$  cross-sections,  
we can use factorization assumptions:

**COMPETE**  
**DL**

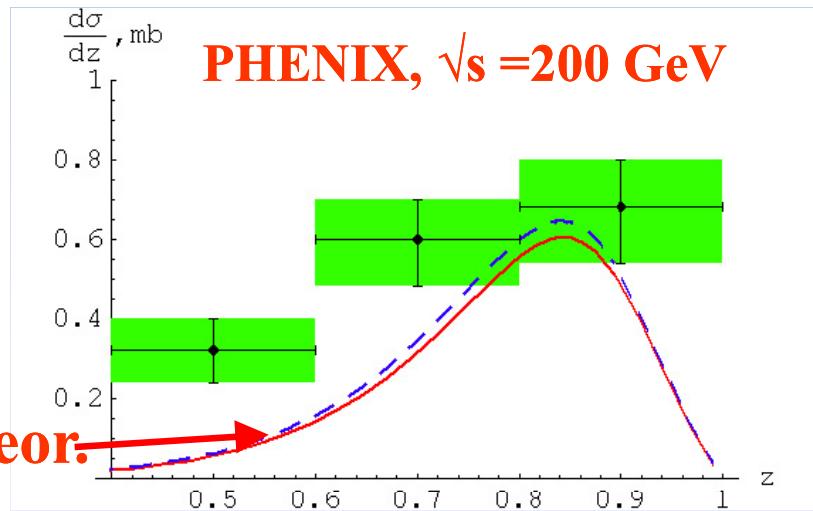
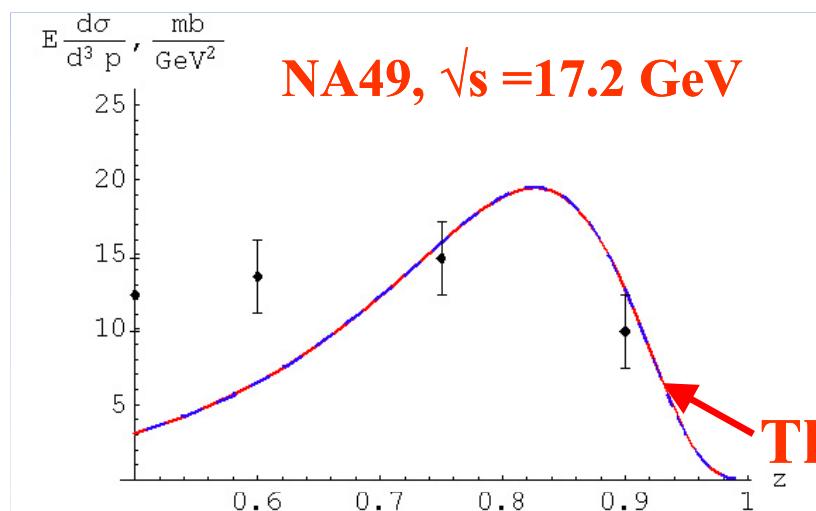
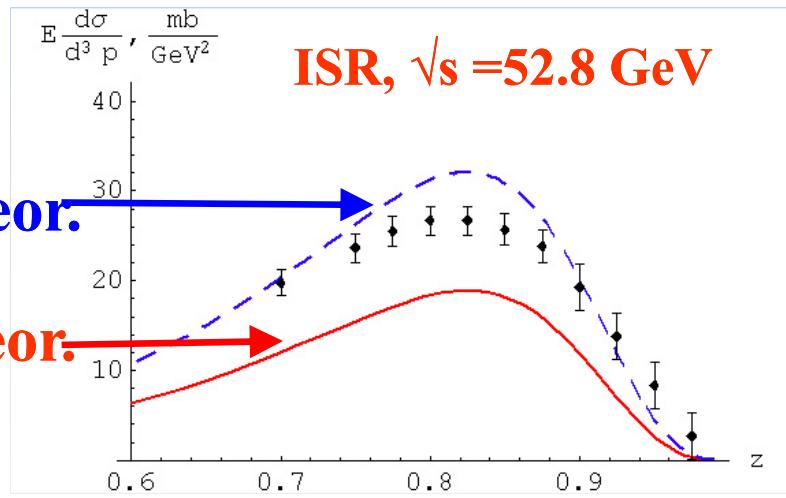
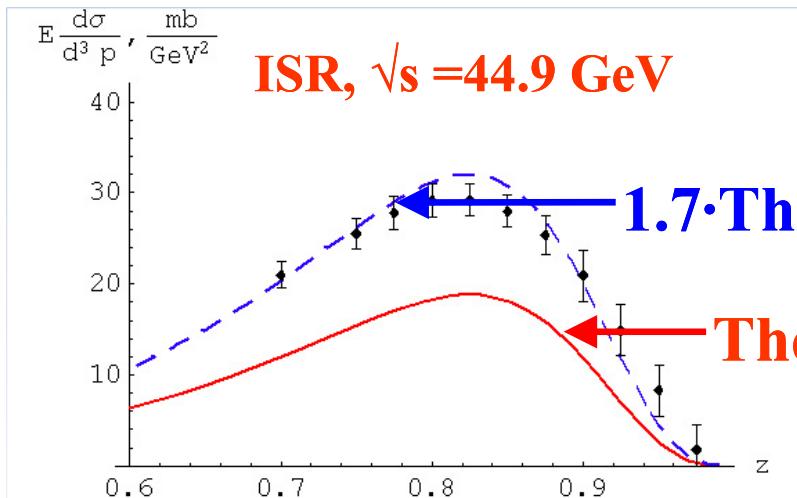
$$\sigma_{\pi\pi} = \frac{\sigma_{\pi p}^2}{\sigma_{pp}}$$

**GP**  
**BSW**

$$\beta_{\pi\pi}(t) = \frac{\beta_{\pi p}(t)^2}{\beta_{pp}(t)}$$

$\beta(t)$  are residues of reggeon  
poles in eikonals

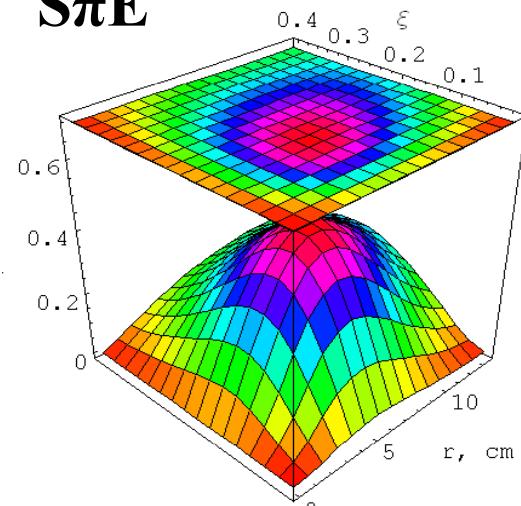
# Backup slides ( $\pi$ p cross-sections from data)



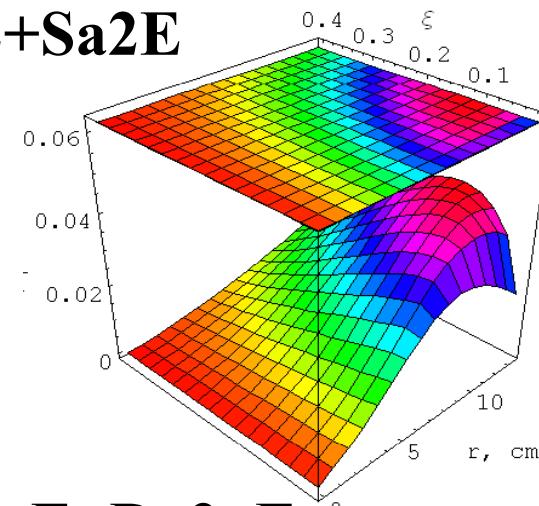
# Backup slides (cross-sections at 900 GeV)

$d\sigma/drd\xi$  (mb/cm)

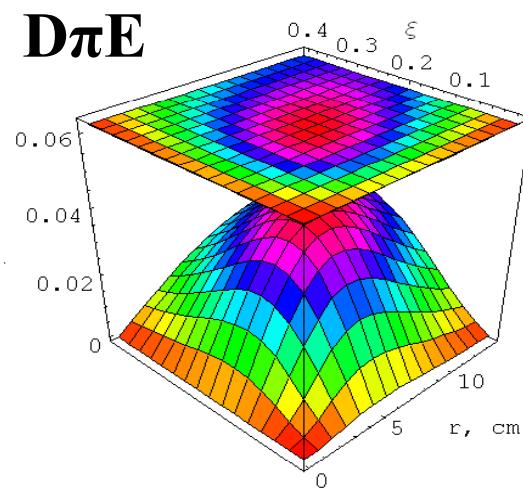
$S\pi E$



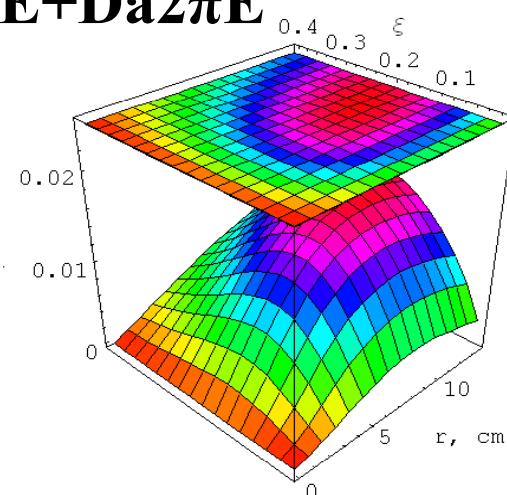
$S\rho E + Sa2E$



$D\pi E$



$D\rho\pi E + Da2\pi E$

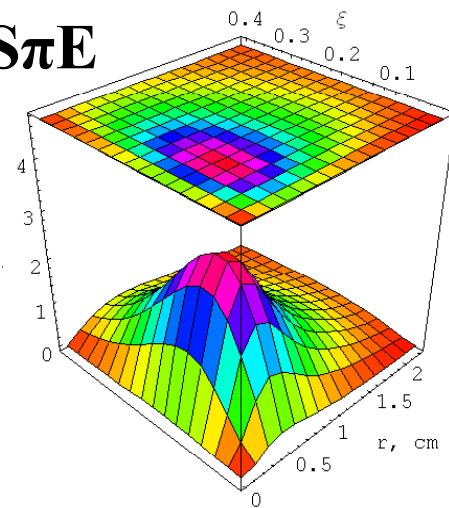


$r$  is the transverse distance from the center of ZDC

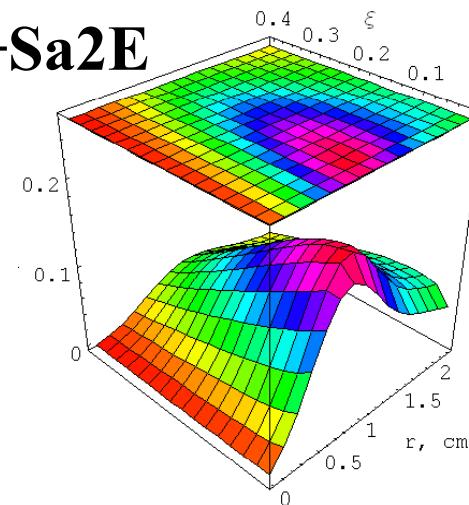
# Backup slides (cross-sections at 7 TeV)

$d\sigma/dr d\xi$  (mb/cm)

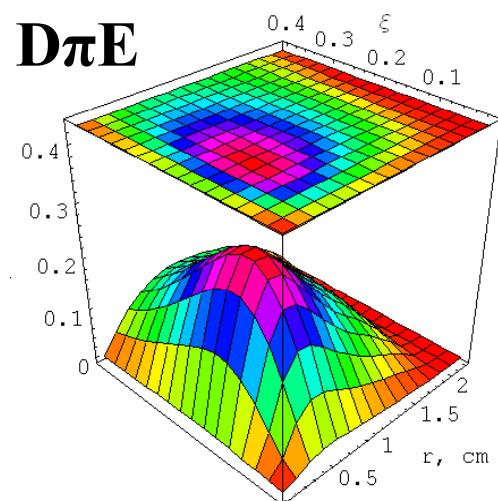
$S\pi E$



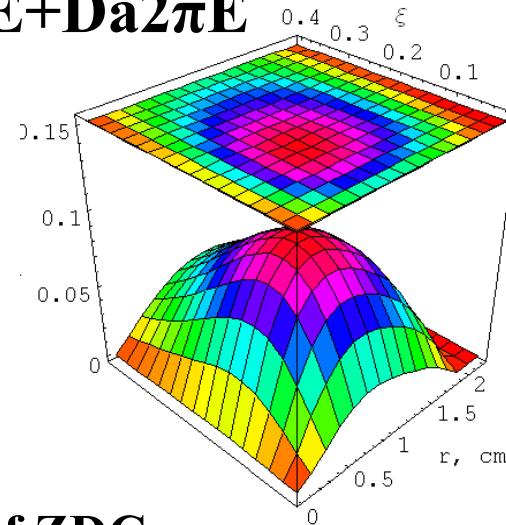
$S\rho E + Sa2E$



$D\pi E$



$D\rho\pi E + Da2\pi E$



$r$  is the transverse distance from the center of ZDC