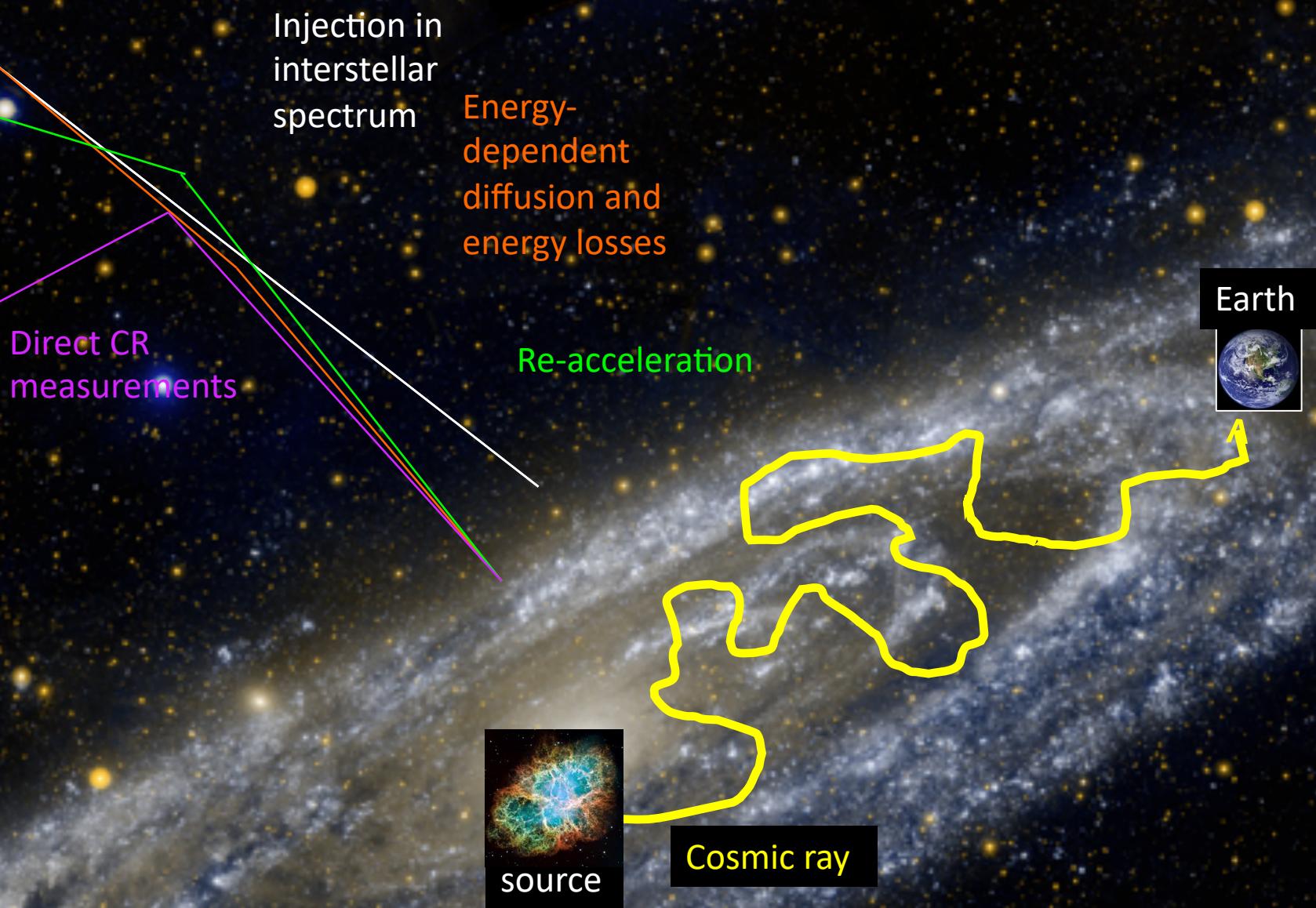


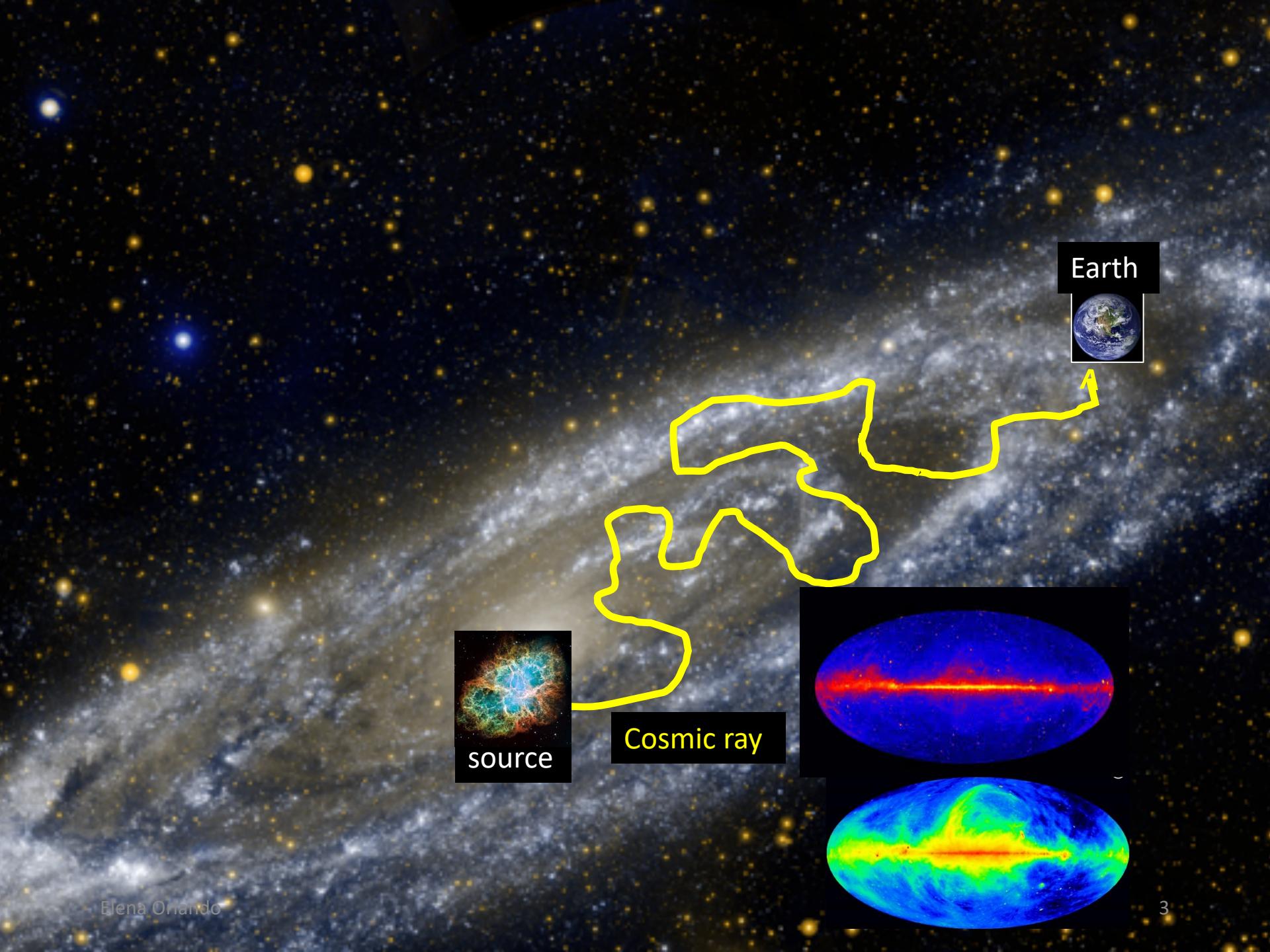
Review on codes of Cosmic Ray Propagation in the Galaxy

Elena Orlando

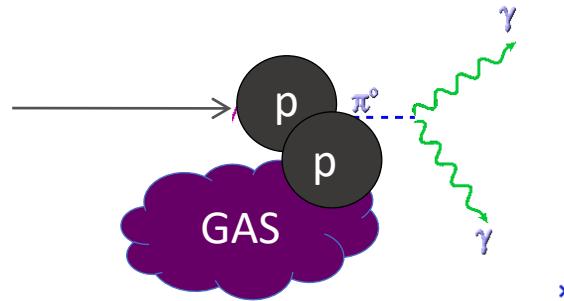
(University of Trieste & Stanford University)

1st Workshop on Gamma-ray Halos around Pulsars
Virtual 1-3 Dec 2020

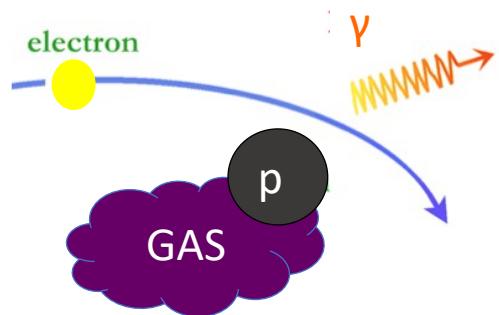
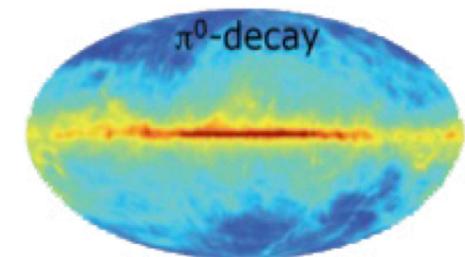
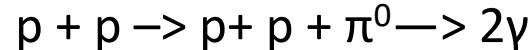




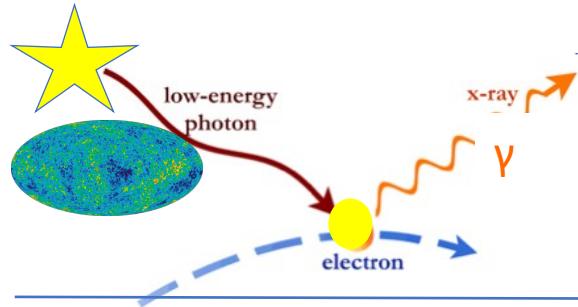
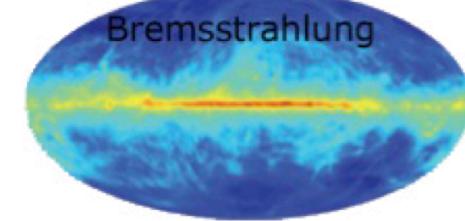
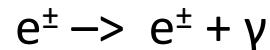
Interstellar Emission Mechanisms



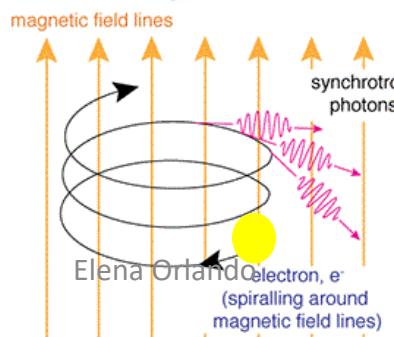
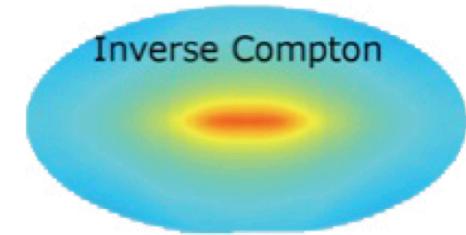
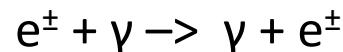
Pion decay



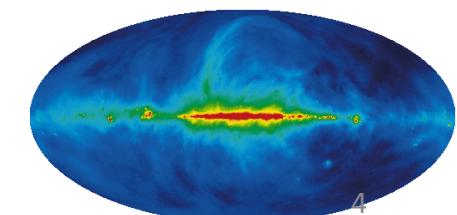
Bremsstrahlung



Inverse Compton



Synchrotron



Transport of CR in the Galaxy

e.g.

Strong, Moskalenko, Ptuskin (2007) ARNPS 57, 285

Grenier et al. (2015) ARAA 53, 199

Gabici et al. (2019) IJMPD 1930022

Kachelrieß & Semikov (2019) PPNP 109, 103710

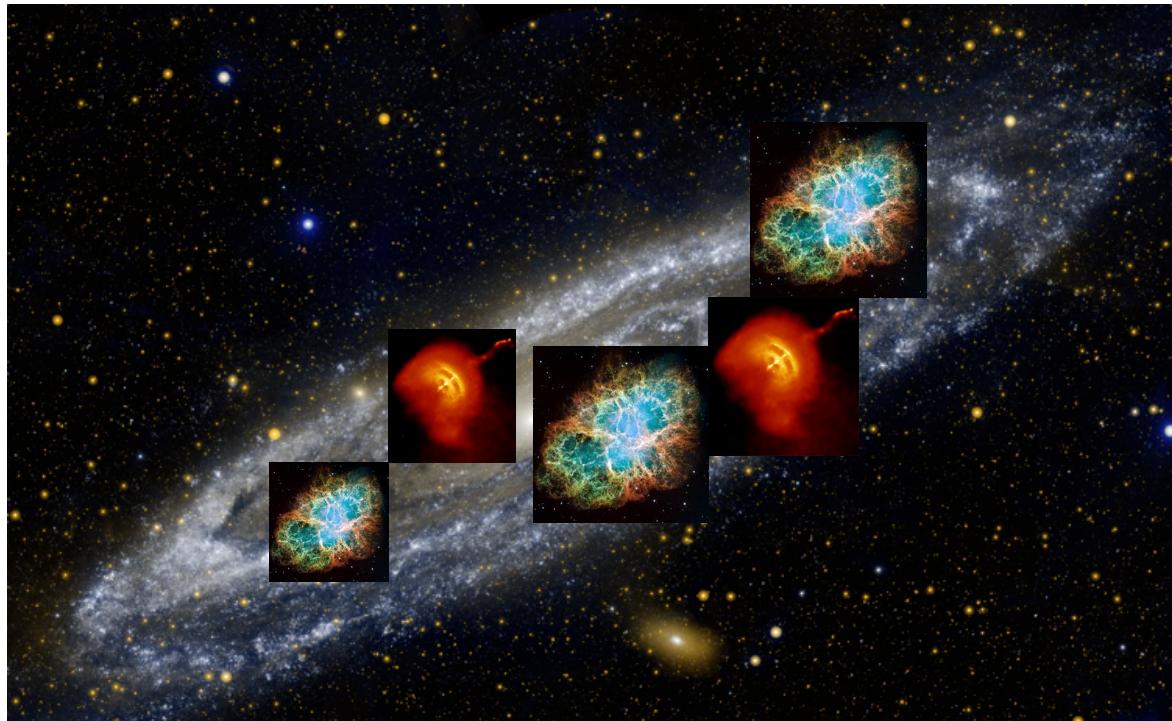
(not an exhaustive list)

The Transport Equation

$$\frac{\partial \psi(\vec{r}, p, t)}{\partial t} = q(\vec{r}, p, t) + \vec{\nabla} \cdot (D_{xx} \vec{\nabla} \psi - \vec{V} \psi)$$
$$+ \frac{\partial}{\partial p} p^2 D_{pp} \frac{\partial}{\partial p} \frac{1}{p^2} \psi - \frac{\partial}{\partial p} \left[\dot{p} \psi - \frac{p}{3} (\vec{\nabla} \cdot \vec{V}) \psi \right] - \frac{1}{\tau_f} \psi - \frac{1}{\tau_r} \psi$$

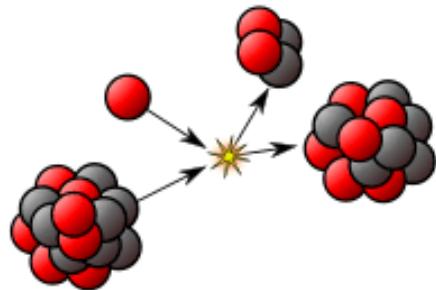
The Transport equation: the source term

$$\frac{\partial \psi(\vec{r}, p, t)}{\partial t} = q(\vec{r}, p, t) + \vec{\nabla} \cdot (D_{xx} \vec{\nabla} \psi - \vec{V} \psi) \\ + \frac{\partial}{\partial p} p^2 D_{pp} \frac{\partial}{\partial p} \frac{1}{p^2} \psi - \frac{\partial}{\partial p} \left[\dot{p} \psi - \frac{p}{3} (\vec{\nabla} \cdot \vec{V}) \psi \right] - \frac{1}{\tau_f} \psi - \frac{1}{\tau_r} \psi$$



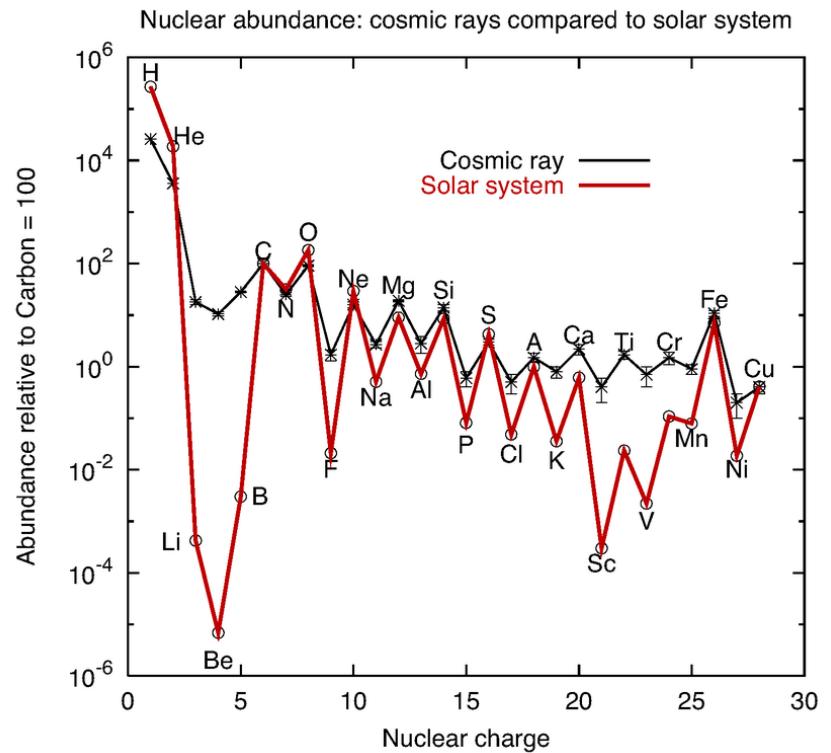
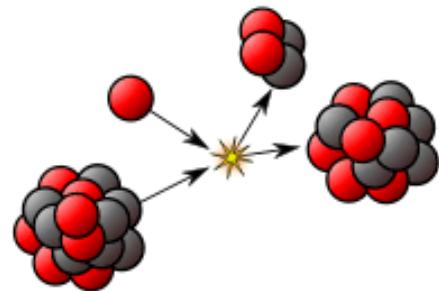
The Transport Equation: spallation/decay

$$\begin{aligned}\frac{\partial \psi(\vec{r}, p, t)}{\partial t} &= q(\vec{r}, p, t) + \vec{\nabla} \cdot (D_{xx} \vec{\nabla} \psi - \vec{V} \psi) \\ &+ \frac{\partial}{\partial p} p^2 D_{pp} \frac{\partial}{\partial p} \frac{1}{p^2} \psi - \frac{\partial}{\partial p} \left[\dot{p} \psi - \frac{p}{3} (\vec{\nabla} \cdot \vec{V}) \psi \right] - \frac{1}{\tau_f} \psi - \frac{1}{\tau_r} \psi\end{aligned}$$



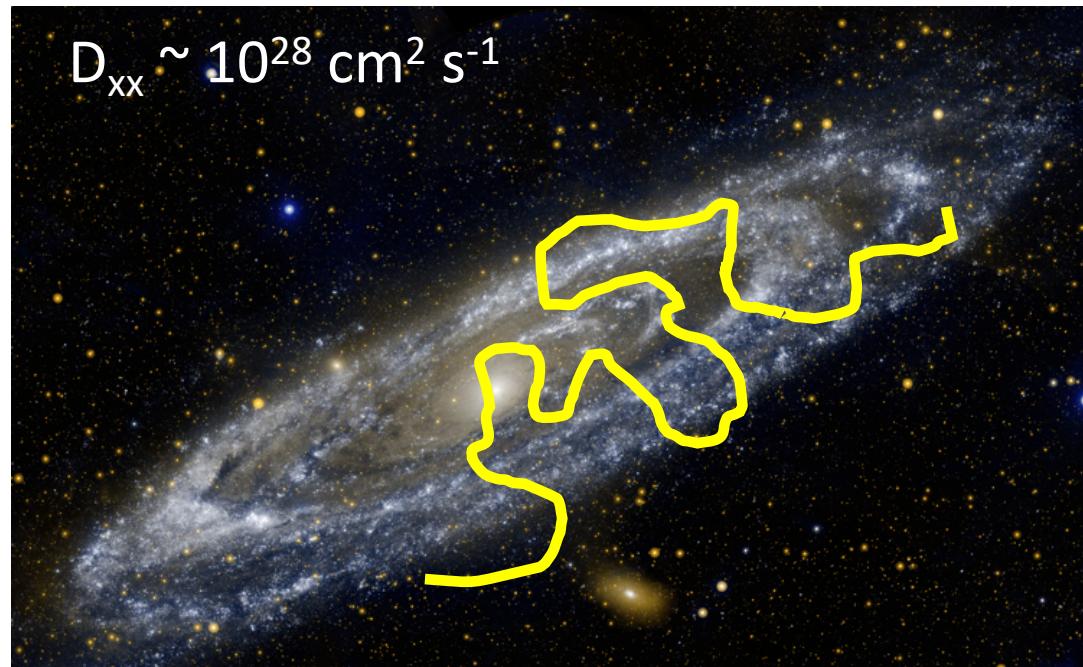
The Transport Equation: spallation/decay

$$\begin{aligned} \frac{\partial \psi(\vec{r}, p, t)}{\partial t} &= q(\vec{r}, p, t) + \vec{\nabla} \cdot (D_{xx} \vec{\nabla} \psi - \vec{V} \psi) \\ &+ \frac{\partial}{\partial p} p^2 D_{pp} \frac{\partial}{\partial p} \frac{1}{p^2} \psi - \frac{\partial}{\partial p} \left[\dot{p} \psi - \frac{p}{3} (\vec{\nabla} \cdot \vec{V}) \psi \right] - \frac{1}{\tau_f} \psi - \frac{1}{\tau_r} \psi \end{aligned}$$



The Transport Equation: diffusion

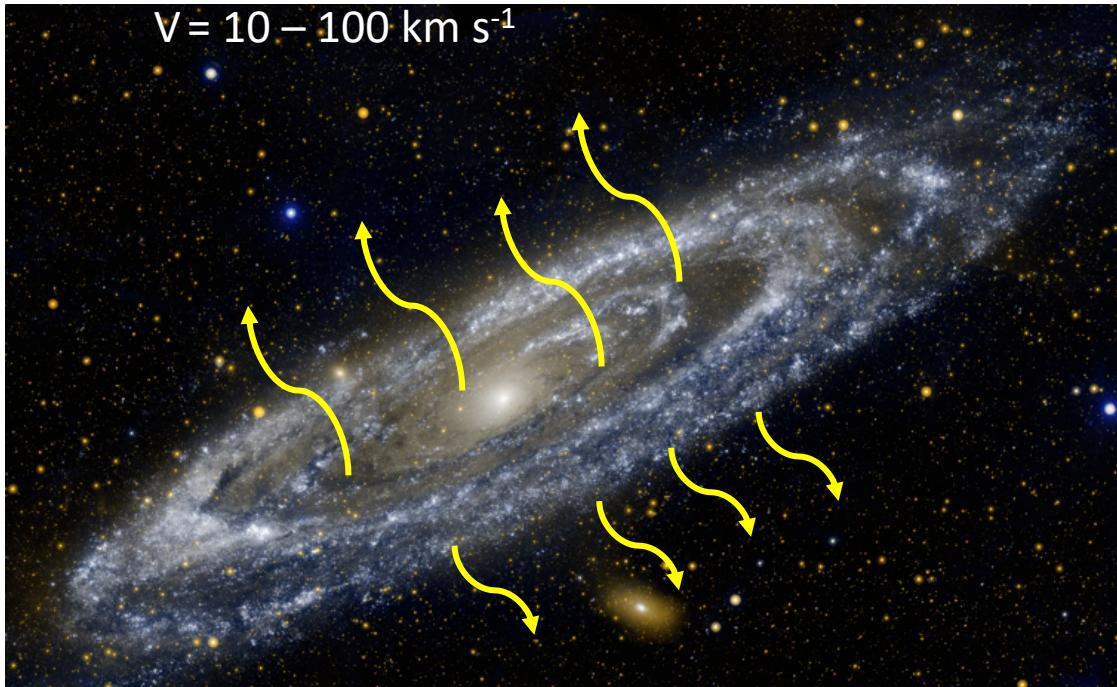
$$\begin{aligned}\frac{\partial \psi(\vec{r}, p, t)}{\partial t} &= q(\vec{r}, p, t) + \vec{\nabla} \cdot (D_{xx} \vec{\nabla} \psi - \vec{V} \psi) \\ &+ \frac{\partial}{\partial p} p^2 D_{pp} \frac{\partial}{\partial p} \frac{1}{p^2} \psi - \frac{\partial}{\partial p} \left[\dot{p} \psi - \frac{p}{3} (\vec{\nabla} \cdot \vec{V}) \psi \right] - \frac{1}{\tau_f} \psi - \frac{1}{\tau_r} \psi\end{aligned}$$



e.g. Strong et al. (2007) ARNPS 57, 285 and references therein

The Transport Equation: convection

$$\begin{aligned}\frac{\partial \psi(\vec{r}, p, t)}{\partial t} = & q(\vec{r}, p, t) + \vec{\nabla} \cdot (D_{xx} \vec{\nabla} \psi - \vec{V} \psi) \\ & + \frac{\partial}{\partial p} p^2 D_{pp} \frac{\partial}{\partial p} \frac{1}{p^2} \psi - \frac{\partial}{\partial p} \left[\dot{p} \psi - \frac{p}{3} (\vec{\nabla} \cdot \vec{V}) \psi \right] - \frac{1}{\tau_f} \psi - \frac{1}{\tau_r} \psi\end{aligned}$$



e.g.

- Breitschwerdt et al. 1991, A&A, 245, 79
- Hanasz et al. 2009, A&A, 498, 335
- Everett et al. 2010 ApJ 711 13
- Giacinti et al. 2012 PRL 108, 261101
- Pakmor et al. 2016, ApJ, 824, L30
- Recchia et al. 2017, MNRAS, 470, 865
- Pfrommer et al. 2017, MNRAS, 465, 4500
- Evoli et al. 2018 Phys. Rev. Lett. 121
- Tremblay et al. 2019 BAAS 51c 480 ASTRO2020 white paper
- Hopkins et al. MNRAS submitted

The Transport Equation: reacceleration

$$\frac{\partial \psi(\vec{r}, p, t)}{\partial t} = q(\vec{r}, p, t) + \vec{\nabla} \cdot (D_{xx} \vec{\nabla} \psi - \vec{V} \psi) + \frac{\partial}{\partial p} p^2 D_{pp} \frac{\partial}{\partial p} \frac{1}{p^2} \psi - \frac{\partial}{\partial p} \left[\dot{p} \psi - \frac{p}{3} (\vec{\nabla} \cdot \vec{V}) \psi \right] - \frac{1}{\tau_f} \psi - \frac{1}{\tau_r} \psi$$



$V_a = 0 - 40 \text{ km s}^{-1}$

e.g.

Seo & Ptuskin, 1994

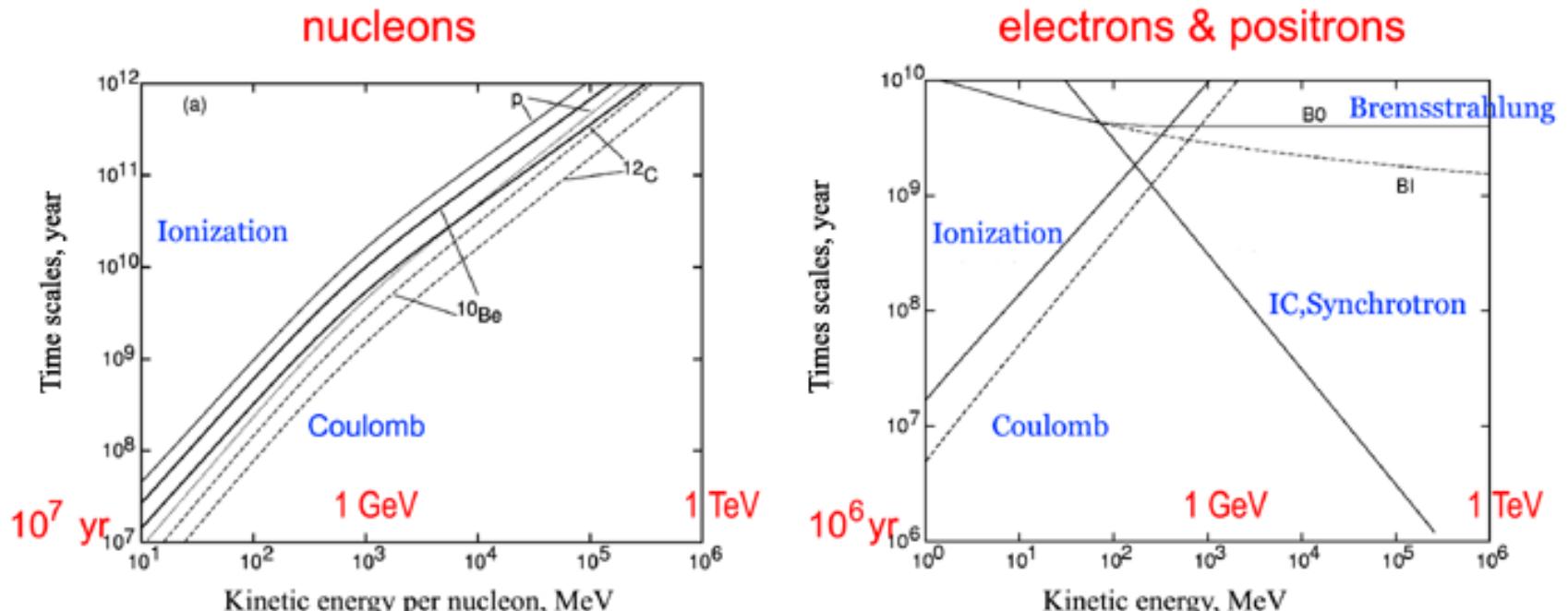
Thornbury & Drury, MNRAS 442, 3010 (2014)

Drury & Strong, A&A 597, 117 (2017)

Tomassetti 2015, PhRvD, 92, 081301

The Transport Equation: energy losses

$$\begin{aligned} \frac{\partial \psi(\vec{r}, p, t)}{\partial t} &= q(\vec{r}, p, t) + \vec{\nabla} \cdot (D_{xx} \vec{\nabla} \psi - \vec{V} \psi) \\ &+ \frac{\partial}{\partial p} p^2 D_{pp} \frac{\partial}{\partial p} \frac{1}{p^2} \psi - \boxed{\frac{\partial}{\partial p} \left[\dot{p} \psi - \frac{p}{3} (\vec{\nabla} \cdot \vec{V}) \psi \right]} - \frac{1}{\tau_f} \psi - \frac{1}{\tau_r} \psi \end{aligned}$$



Solutions to the transport equation

Analytical	Numerical
quick estimates	
simple cases	more complex cases
simplified assumptions	more realistic

Approach

Analytical

e.g.

- Davis (1960)
- Ginzburg & Syrovatskii (1969)
- Webber et al. (1992)
- Maurin, Donato et al. (2001)
- Jones et al. (2001)

Semi-Analytical

- Ptuskin (1980)
- Schlickeiser (1990)
- USINE (Maurin et al. 2000)

Numerical

- GALPROP (Strong & Moskalenko 1998)
- DRAGON (Evoli *et al.*, 2008)
- PICARD (Kissmann *et al.*, 2013)

CR Propagation Codes

Solving the transport equation

GALPROP (public; around since '98; **Strong & Moskalenko** as original developers).

It models all CR species, and gamma rays. Recent extensions to synchrotron temperature (**Strong et al. 2011**) and polarization, free-free absorption and emission (**Orlando & Strong 2013**).

DRAGON (public; **Evoli et al.**)

It models all CR species and gamma rays. Inspired by GALPROP, recently rewritten as DRAGON2 with new features (e.g. coefficient diffusion tensor).

PICARD (not public; **Kissmann et al.**)

It models all CR species. No B-field yet. It allows fine 3d spatial resolution with reasonable CPU time.

USINE (public; **Maurin**)

Semi-analytical. It models hadronic CRs. Plan to include also CR electrons in future

(Additional Related Codes and Scenarios)

Girichidis et al.: MHD with CR as a fluid, CR-driven wind from SNe, small scale.

Hanasz et al. **PIERNIK** code, MHD with CR as a fluid, large-scale CR-driven outflows in galaxies; full galaxy.

Pakmor & Pfrommer et al.: feedback, e.g. CR driven galactic winds.

Uhlig et al 2012, Salem et al. 2014, Jacob et al. 2017, Simpson et al. 2016, Booth 2013, etc... (incomplete reference)

For CR propagation in the Galaxy with self-generated turbulence see also

Aloisio & Blasi (2013) JCAP 1307

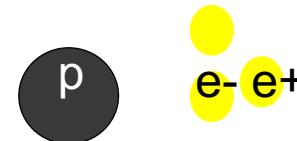
Blasi, Amato, Serpico (2015) 583 A95

Evoli's talk this conference

Elena Orlando

Ingredients (& Uncertainties) in CR Propagation Codes

**CR direct measurements to constrain
injected spectra and propagation
parameters**



But

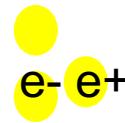
Primary B? (e.g. Genolini+2015)

Different diffusion for CR heavier than He? (e.g. Jóhannesson+2016)

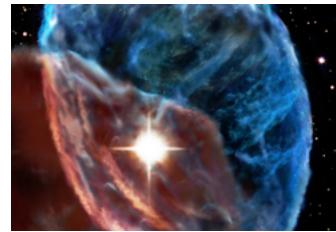
Anisotropic diffusion coefficient? (e.g. De Marco+ 2007, Blasi+ 2012,
Aloisio+ 2015, Gaggero+ 2015, Tomassetti 2015, Fend+ 2016 , Cerri+ 2017)

Ingredients (& Uncertainties) in CR Propagation Codes

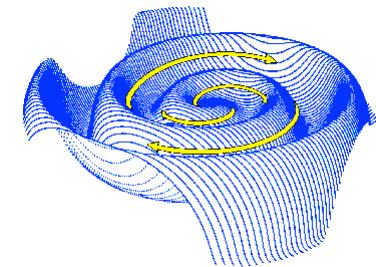
CR direct measurements to constrain injected spectra and propagation parameters



CR source distribution



Magnetic field



Gas distribution



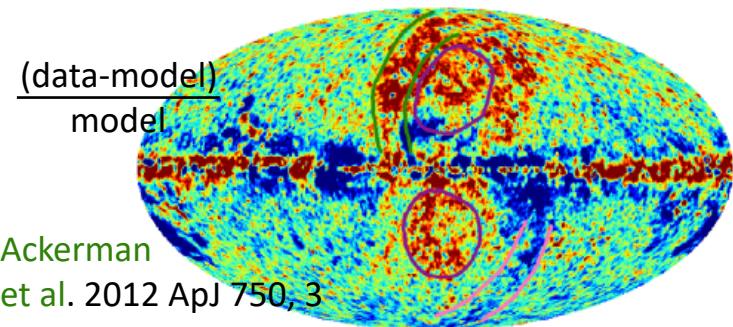
Interstellar photon distribution



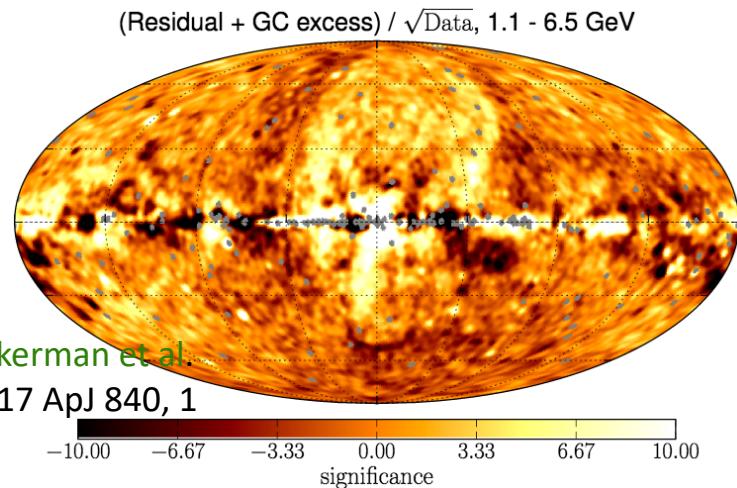
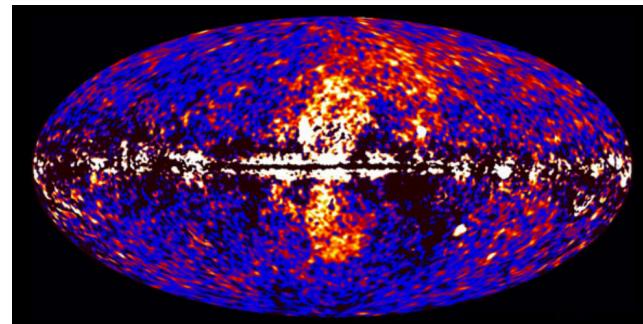
Cross-sections

Challenges with present CR propagation models

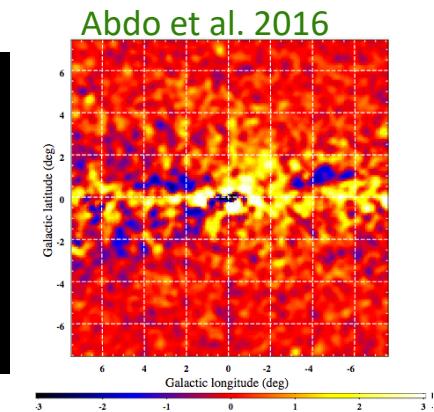
- Disagreement with some precise CR measurements
- Excesses and deficiencies in gamma rays data at a large and at small scales.



NASA/DOE/Fermi LAT/Finkbeiner et al.
Su et al. 2010



**Confirmed
by many authors!**
(e.g. Dobler+ 2010; Calore+
2015, Hooper+ 2010, 2013,
Acero+ 2016, Goodenough+
2011, Abazajian+ 2012,
Gordon+ 2013, Daylan+
2014, Cholis+ 2015, Bartels+
2016, Herold & Malyshev
2019, ...)



A modified source term
in the center absorbs the
GC excess (Gaggero+
2015; Carson & Profumo
2016)

Challenges with present CR propagation models

- Disagreement with some precise CR measurements
- Excesses and deficiencies in gamma rays data at a large and at small scales.

International Journal of Modern Physics D | VOL. 28, NO. 15

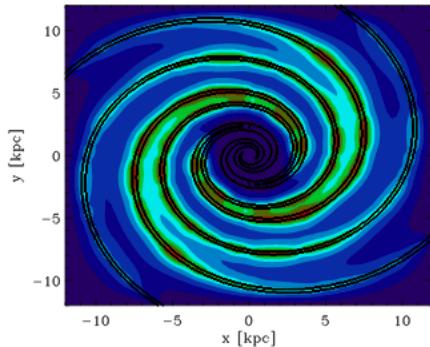
The origin of Galactic cosmic rays: Challenges to the standard paradigm

Stefano Gabici, Carmelo Evoli, Daniele Gaggero, Paolo Lipari, Philipp Mertsch, Elena Orlando, Andrew Strong and Andrea Vittino

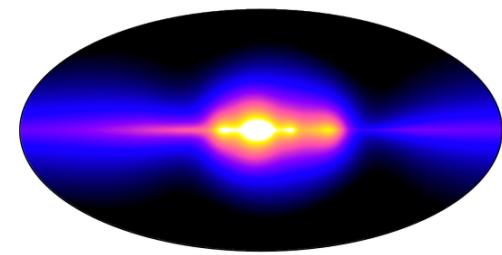
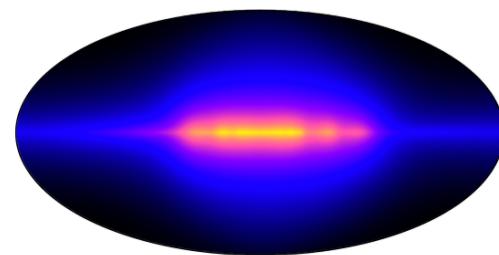
<https://doi.org/10.1142/S0218271819300222>

A critical review of the standard paradigm for the origin of Galactic cosmic rays (CRs) is presented. Recent measurements of local and far-away CRs reveal unexpected behaviors, which challenge the commonly accepted scenario. These recent findings are discussed, together with long-standing open issues. Despite the progress made thanks to ever-improving observational techniques and theoretical investigations, at present our understanding of the origin and of the behavior of CRs remains incomplete. We believe it is still unclear whether a modification of the standard paradigm, or rather a radical change of the paradigm itself is needed in order to interpret all the available data on CRs within a self-consistent scenario.

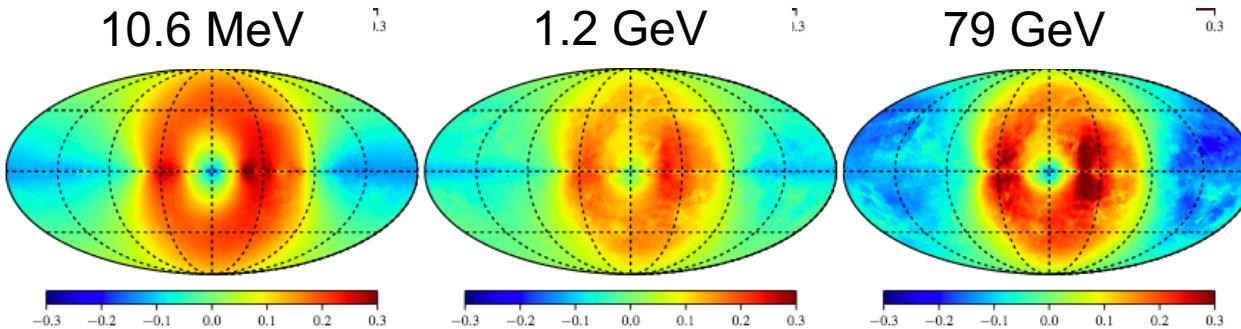
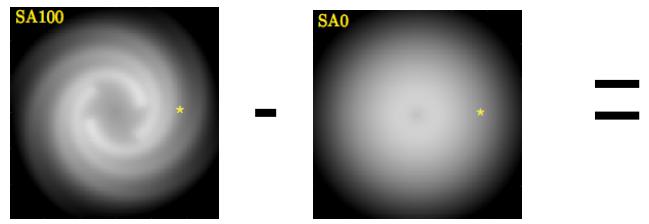
Effects of 3D CR distributions



Electron density at 100 GeV
with **DRAGON** (Gaggero et
al. 2013 PRL 111, 021102)

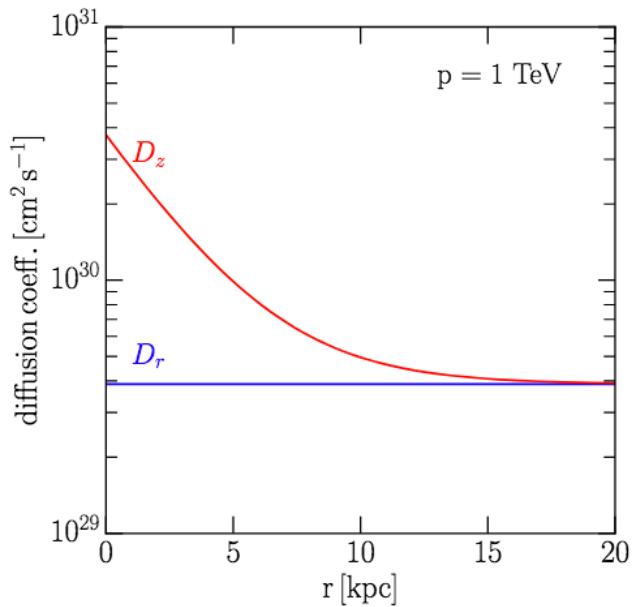


Inverse Compton: with Galactic bar and 4 spiral arms
implemented in **PICARD** (Werner, M. et al. 2015, APh 64,
18; Kissmann, R. et al. 2015, APh 70, 39; Kissmann's talk
at CRATER2018)

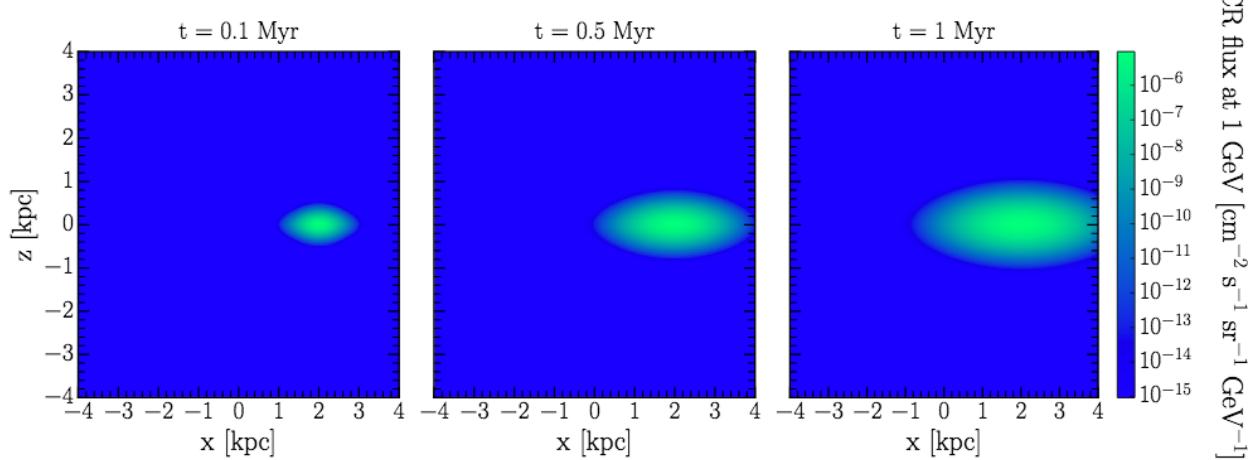


Gamma residuals between
spirals arms and non-spiral
CR source distribution with
GALPROP
(Porter et al. 2017 ApJ 846,
67; Johannesson et al.
2018 ApJ 856, 45)

An example of anisotropic diffusion in DRAGON2



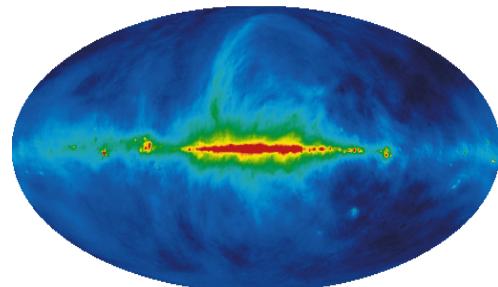
Evoli et al. (2017) JCAP 02, 015 (see also Gaggero et al. 2015)



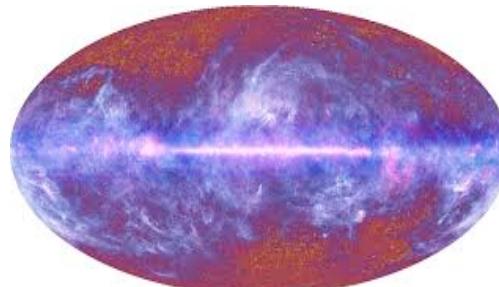
Also diffusion coefficient tensor implementation in DRAGON2 (Cerri+ 2017)

Inclusion of synchrotron modeling and 3D Bfield in GALPROP & Effects in gamma

Modeling temperature & polarization with 3D magnetic fields in a consistent way with gammas



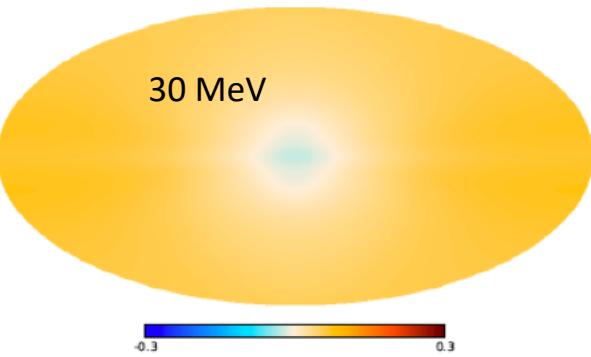
Radio surveys



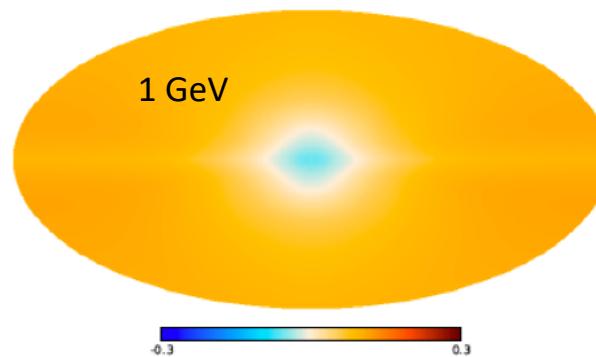
Planck - microwaves

Strong, Orlando, Jaffe (2011) A&A 534, 54
Orlando & Strong (2013) MNRAS 436, 2127
Orlando (2018) PRD 436, 2127

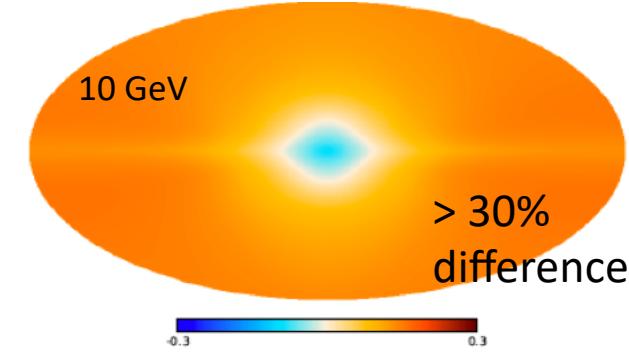
Inverse Compton residuals (Orlando 2019, Phy.Rev.D 99, 043007)
 $(\text{IC old} - \text{IC new}) / \text{IC old}$



30 MeV



1 GeV



10 GeV

> 30%
difference

Updated B-fields produces brighter IC in the inner Galaxy
than predicted by previous models used for Fermi LAT analyses

CR propagation codes for halos?

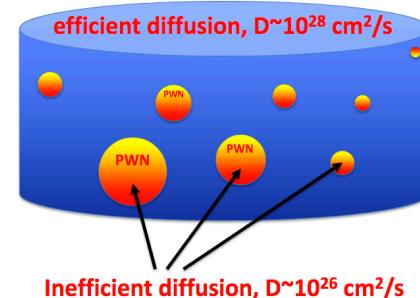


As large-scale back-/fore-ground

- many model uncertainties (gas, ISRF, CR distribution, B-field, cross-sections)
- challenges in describing very precise recent data (review by Gabici+ 2019)

Including regions of inefficient diffusion around sources

- “Swiss cheese” (Profumo’s talk)



- Same uncertainties as for the large-scale modeling
- Need of non-equidistant binning (Evoli et al. (2017) JCAP 02, 015; Jóhannesson et al. (2019) ApJ 879, 91)
- need to reduce the Galaxy, very high computational costs and memory (Jóhannesson et al. 2019 ApJ 879, 91)



Thank you for your attention