

Auroral oval layers detection by using CSES plasma and electric field data

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September 14-18, 2020

GOAL: characterize the plasma irregularities in the equatorward boundary of the auroral oval



From Ningchao Wang Ph.D. Thesis "Lagrangian coherent structures in ionospheric-thermospheric flows"

DATA: Chinese Seismo-Electromagnetic Satellite (CSES) mission CSES-01, which is part of a CNSA and ASI collaboration program



High-Energy Particle Detector

High-Energy Particle Package

Search-Coil Magnetometer







Electric Field Detector

Langmuir Probe





High-Precision Magnetometer



Tri-Band Beacon









Plasma Analyzer

Fast Iterative Filtering (FIF) decomposition method

Fast Iterative Filtering Algorithm

while the number of extrema of $s \ge 2$ do

compute the filter length l for s(x) and the corresponding filter w

compute the DFT of the signal s and of the filter w

while the stopping criterion is not satisfied do $\hat{s}_{m+1} = (I - \text{diag}(\text{DFT}(w)))^m \text{DFT}(s)$

 $IMF = \{\}$

IMF = FIF(s)

Given any nonstationary signal, FIF allows to decompose it in a few quasi-stationary and quasi-orthogonal oscillatory components

m = m + 1end while **Example:** piano C4 note 261.63 Hz $IMF = IMF \cup \{iDFT(\hat{s}_m)\}$ $s = s - i DFT(\hat{s}_m)$ 0.2 end while $IMF = IMF \cup \{s\}$ 0.1 ncy (kHz) 90 90 90 90 1000 0 Frequency (kHz) 70 0.0 10 10 10 -0.1 Lequen 6.4 -0.2 0 0.5 1.5 2 2.5 3 0.5 1.5 2.5 Signal Time (s) 0.5 1.5 2 2.5 Time (mins) STFT 0 (10) 0.5 2 2.5 0 1.5 **CWT** Time (secs) 0×10^{-10} Synchrosqueezing (SST) $\frac{10}{10}$ 2×10^{-1} 500 (zH) 500 200 Evedneuck 200 August 200 400 300 200 0 100 0 0.5 1.5 2 2.5 1 FIF decomposition Time (s) 0 Hilbert Transform (HT) 0.5 1.5 2 2.5 STFT CWT SST FIF+HT FIF+FIFogram FIFogram 4.3 + 0.6 s0.7 s 1.9 s 16.9 s 4.3 + 3.3 s

Multiscale Statistical Analysis (MSSA)

Considering a highly erratic time series X(t), we can decompose it via FIF as

$$X(t) = X_0(t) + \sum_{\tau} \delta_{\tau} X(t),$$

where $X_0(t)$ is the "low pass component", and $\Sigma_{\tau} \delta_{\tau} X(t)$ contains the fluctuations.

Given the previous decomposition, we can compute the following statistical quantites to caracherize the different time scales τ

Probability Distribution $P_I(\delta_{\tau}X)$ Kurtosis Excess $K_I^{ex}(\tau) = K_I(\tau) - 3$ Relative Energy $\varepsilon_{rel}(t,\tau) = \frac{|\delta_{\tau}X(t)|^2}{\int d\tau' |\delta_{\tau}X(t)|^2}$ Squared Local
Intermittency Measure $LIM^2(t,\tau) = \frac{|\delta_{\tau}X(t)|^4}{\langle |\delta_{\tau}X(t)|^2 \rangle_t^2}$



August 11, 2018 case event

The trace CSES-01 orbit (red) on the top of the Auroral Oval map on August 11, 2018. The map of Auroral Oval emission is taken at UT 21:45



In black the three components of the Electric Field measured by the Langmuir Probe. In red their trends, $X_0(t)$. The red and green vertical lines limit the post- and pre-boundary region, respectively.



Analysis Results: August 11, 2018 case event - Cont'ed



Analysis Results: August 11, 2018 case event - Cont'ed

 $E_x^{pre} LIM^2$



Analysis Results: August 11, 2018 case event - Cont'ed



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August 11, 2018 case event - Cont'ed

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