



Contribution ID: 22

Type: Poster

## Compressed Sensing Quantum State Tomography: An Alternate Approach

The matrix generalizations of Compressed Sensing (CS) were adapted to Quantum State Tomography (QST) previously by Gross et al. [Phys. Rev. Lett. 105, 150401 (2010)], where they consider the tomography of  $n$  spin-1/2 systems. For the density matrix of dimension  $d = 2^n$  and rank  $r$  with  $r \ll 2^n$ , it was shown that randomly chosen Pauli measurements of the order  $O[dr \log(d)^2]$  are enough to fully reconstruct the density matrix by running a specific convex optimization algorithm. The result utilized the low operator-norm of the Pauli operator basis, which makes it “incoherent” to low-rank matrices. For quantum systems of dimension  $d$  not a power of two, Pauli measurements are not available, and one may consider using  $SU(d)$  measurements. Here, we point out that the  $SU(d)$  operators, owing to their high operator norm, do not provide a significant savings in the number of measurement settings required for successful recovery of all rank- $r$  states. In this work [Phys. Rev. A 101, 062328], we propose an alternative strategy, in which the quantum information is swapped into the subspace of a power-two system using only  $\text{poly}[\log(d)^2]$  gates at most, with QST being implemented subsequently by performing  $O[dr \log(d)^2]$  Pauli measurements. We show that, despite the increased dimensionality, this method is more efficient than the one using  $SU(d)$  measurements.

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**Session Classification:** Beers and Posters