

Ultra High Energy y-ray emission from Giant Molecular Clouds

Giada Peron



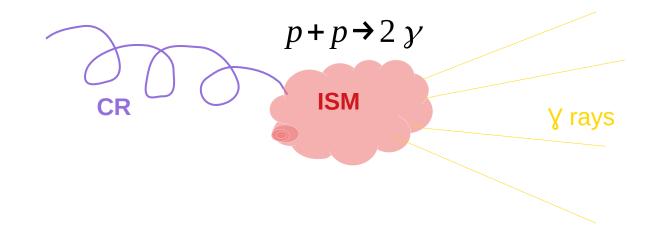
Outline

- Gamma-ray emissivity from MCs
- Visibility and results at low energies (Fermi-LAT)
- Potential of LHAASO



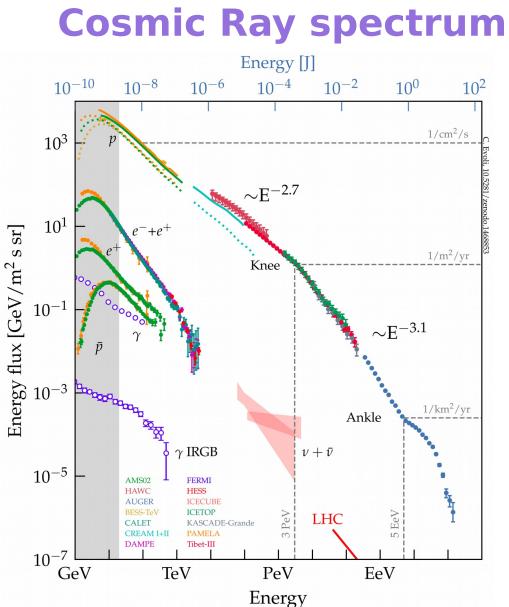


Gamma-rays from Molecular Clouds



$$F_{\gamma} = \frac{dN}{dE \, dA \, dt} = \xi_N \int \frac{dV \, n}{4 \, \pi \, d^2} \int dE_p \frac{d \, \sigma_{pp \rightarrow \gamma}}{dE_p} J(E_p) \quad \text{flux measured at Earth}$$
$$= \xi_N \int N_{col} d \, \theta \int dE_p \frac{d \, \sigma_{pp \rightarrow \gamma}}{dE_p} J(E_p)$$
Fraction of heavier nuclei Density of the target Distribution of CR

3

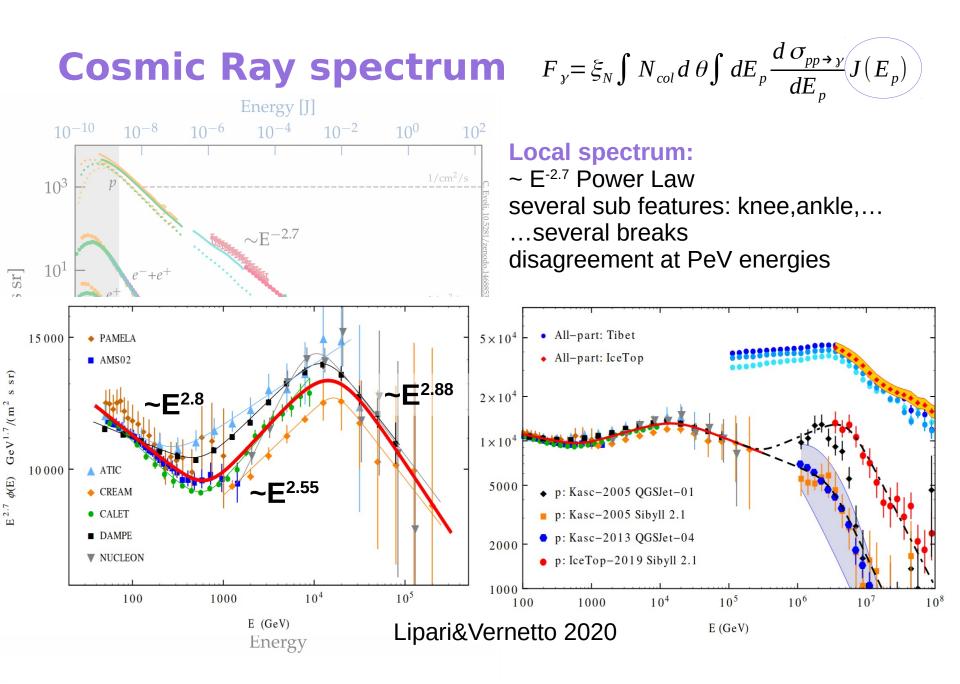


Cosmic Ray spectrum $F_{\gamma} = \xi_N \int N_{col} d\theta \int dE_p \frac{d\sigma_{pp \rightarrow \gamma}}{dE_p} J(E_p)$

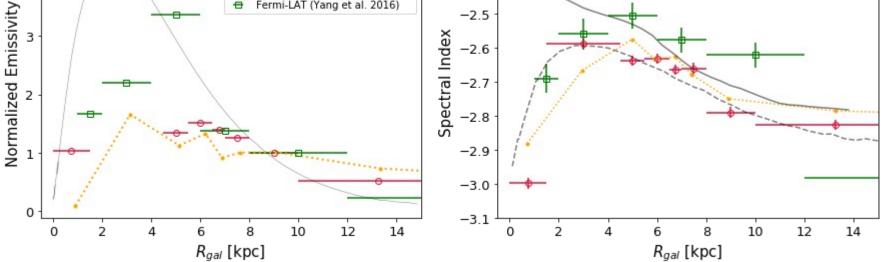
Local spectrum:

~ E^{-2.7} Power Law several sub features (knee,ankle,...)





← Fermi-LAT (Pothast et al. 2018) ← Fermi-LAT (Acero et al. 2016) ⊕ Fermi-LAT (Yang et al. 2016) −2.5 -



-2.3

Galactic spectrum: Enhanced and harder towards the galactic center

4

SNR (Green 2015)

Cosmic Ray spectrum

$$F_{\gamma} = \xi_N \int N_{col} d\theta \int dE_p \frac{d\sigma_{pp \rightarrow \gamma}}{dE_p} J(E_p)$$

Turbulence (Gaggero et. al 2015)

Source anticorrelation (Guo et al 2018)



The target: diffuse medium

- Ionized $n < 1 \ cm^{-3}$
- Atomic n~10 cm⁻³ , N_{col} ~ 10²² cm⁻² traced by 21-cm line and dust;

 Molecular n > 100 cm⁻³, N_{col} ~ 10²³ cm⁻² traced by CO and dust; mostly embedded in molecular clouds;

$$F_{\gamma} = \xi_N \int N_{col} d\theta \int dE_p \frac{d\sigma_{pp \to \gamma}}{dE_p} J(E_p)$$

 $N_{lb,col} = X_{tracer} \int dv T_{lb}^{B}(v)_{tracer}$

With uncertainties of ~20-30%

Dust map from Planck





The target: diffuse medium

- Ionized $n < 1 \ cm^{-3}$

- Atomic $n \sim 10 \text{ cm}^{-3}$, $N_{col} \sim 10^{22} \text{ cm}^{-2}$ traced by 21-cm line and dust;

- Molecular $n > 100 \text{ cm}^{-3}$, $N_{col} \sim 10^{23} \text{ cm}^{-2}$ traced by CO and dust; mostly embedded in molecular clouds;

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With uncertainties of ~20-30%

Dust map from Planck

Flux from a big area:

- High density, high signal
- Only *integral* information (Wash out possible variations)
- Possible contamination of mis-modelled sources
- Dominated by most massive molecular clouds

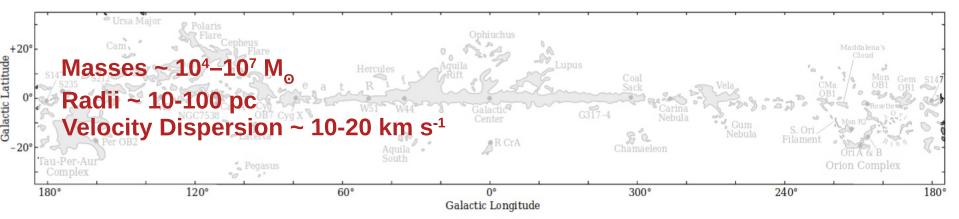
Strong et al. 1996 Acero et al. 2016 Yang et al. 2016 Pothast et al. 2018





The target: molecular clouds

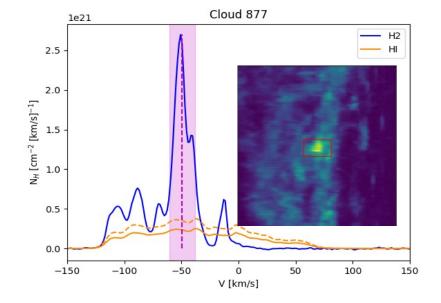
Dame et al. 2001



Flux from a small region:

- Localized, differential information
- Sensitive to fluctuations;
- Reduced contamination;
- X Lower signal;

Aharonian 2001 Casanova et al. 2010 Yang et al. 2015 Neronov et al. 2017 Aharonian et al. 2020

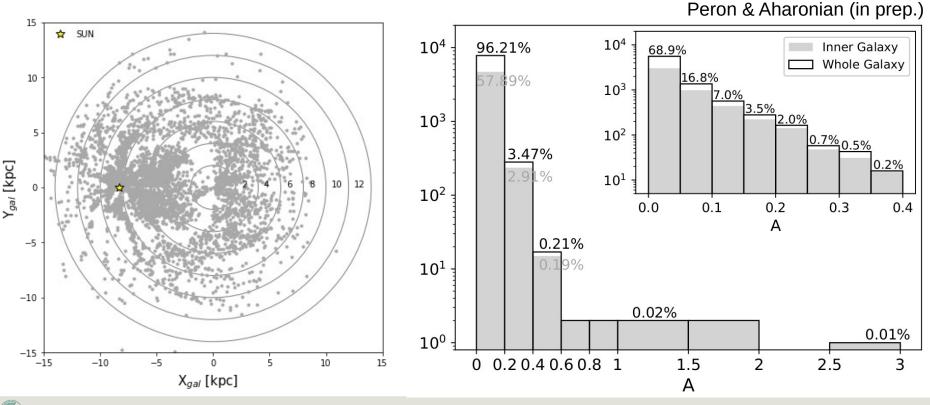


Molecular clouds in the Milky Way

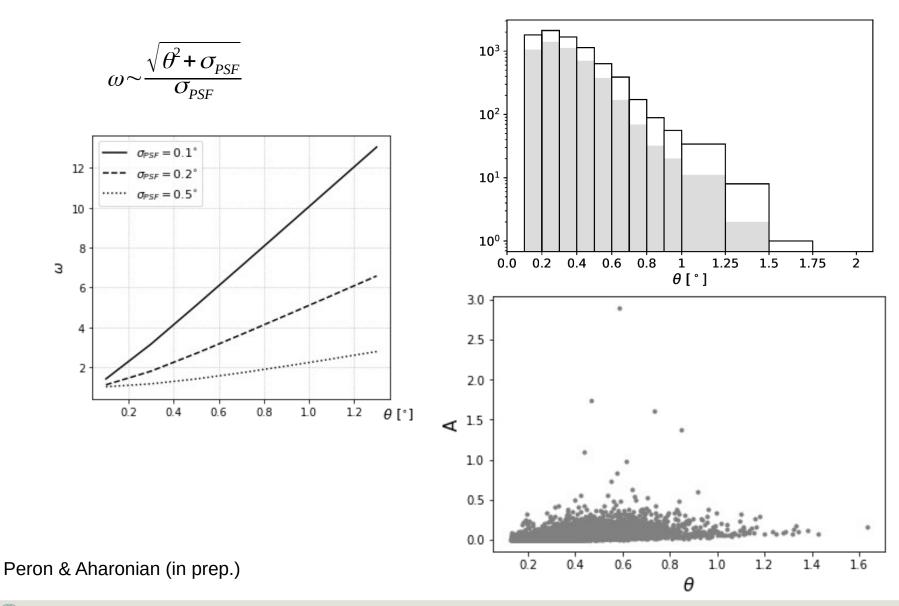
8107 MCs catalogued by *Miville Deschenes et al. (2016)* Correspond to 98% of all molecular medium

$$F_{\gamma} = \xi_N \int N_{col} d\theta \int dE_p \frac{d\sigma_{pp \rightarrow \gamma}}{dE_p} J(E_p) \propto A \int dE_p \frac{d\sigma_{pp \rightarrow \gamma}}{dE_p}$$

$$A = \frac{M_{5}}{d_{kpc}^{2}} \sim 8 \times 10^{-20} \frac{N_{col}}{cm^{-2}} d\theta$$



Molecular clouds: extension

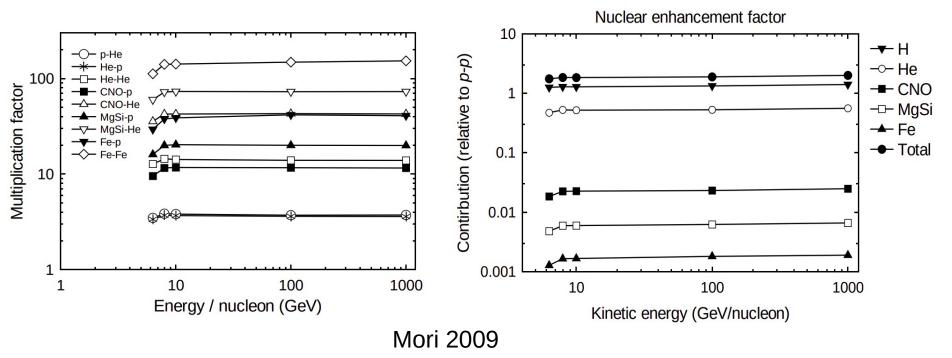




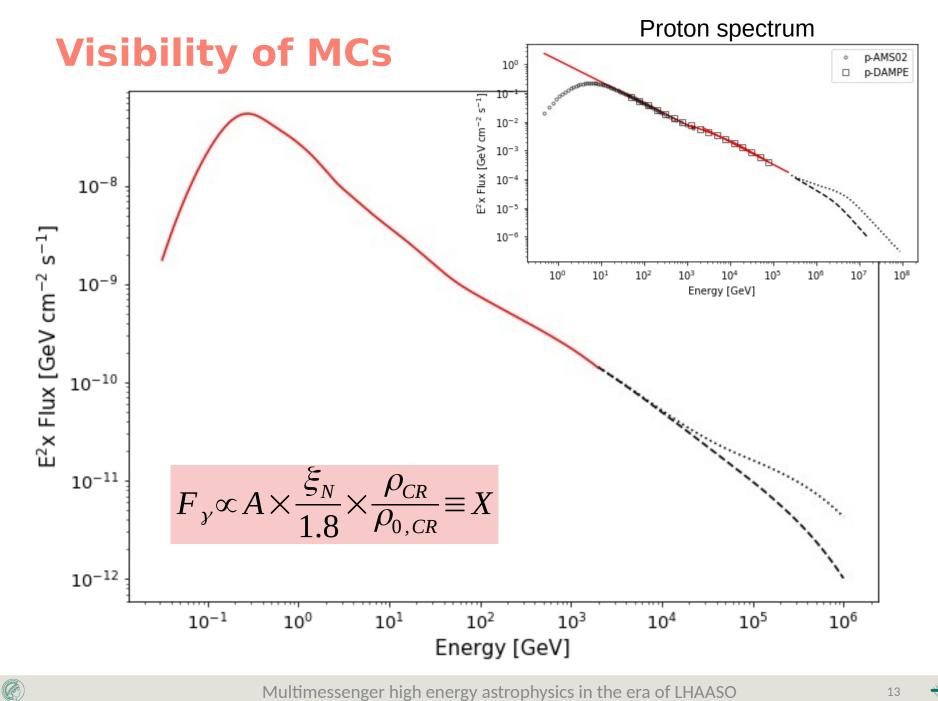
Nuclear enhancement $F_{y} = \xi_{N} \int N_{col} d\theta \int dE_{p} \frac{d\sigma_{pp \rightarrow y}}{dE_{p}} J(E_{p})$ factor

$$\xi_{N} = \sum m_{ip} \frac{J_{i}(E_{i})}{J_{p}(E_{p})} + \sum m_{i\alpha} \frac{J_{i}(E_{i})}{J_{p}(E_{p})} \frac{r}{1-r}$$

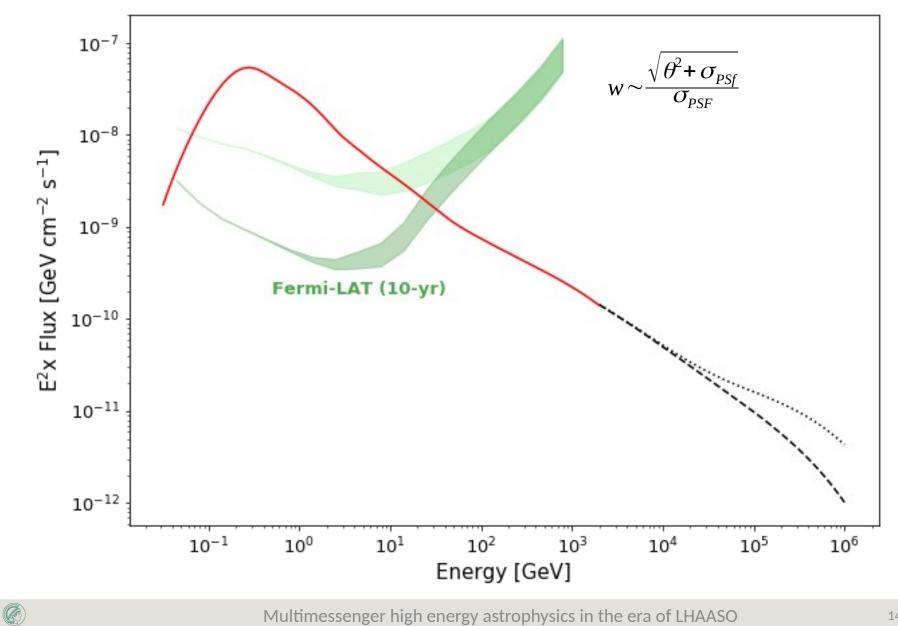
For solar composition $\xi_N \sim 1.8 - 2$







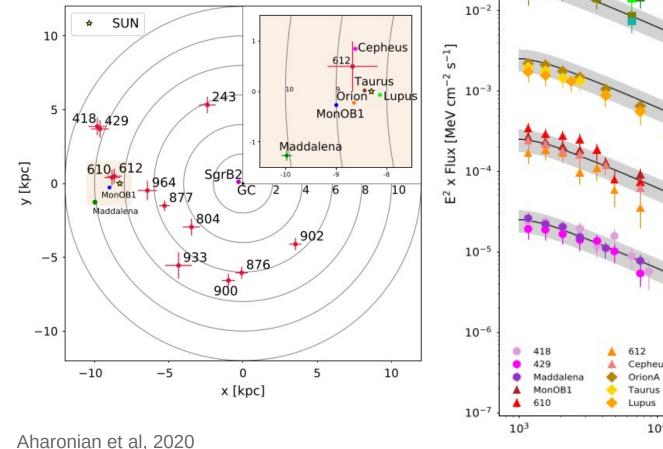
Visibility of MCs

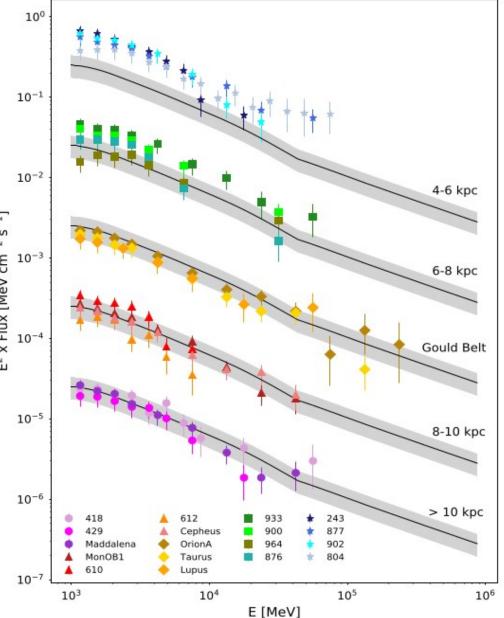


Multimessenger high energy astrophysics in the era of LHAASO

Some results from Fermi-LAT

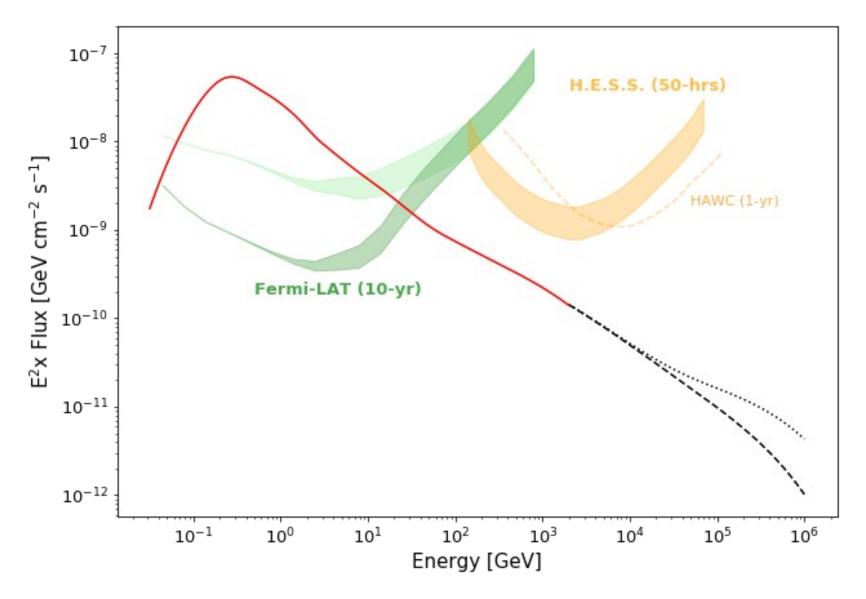
Spectrum of 19 molecular clouds In different locations





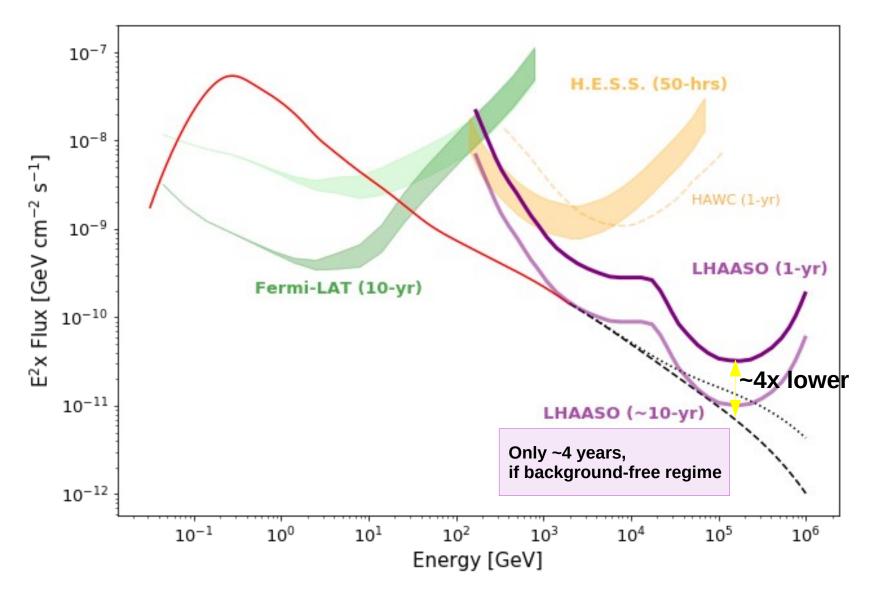


Visibility at VHE energy





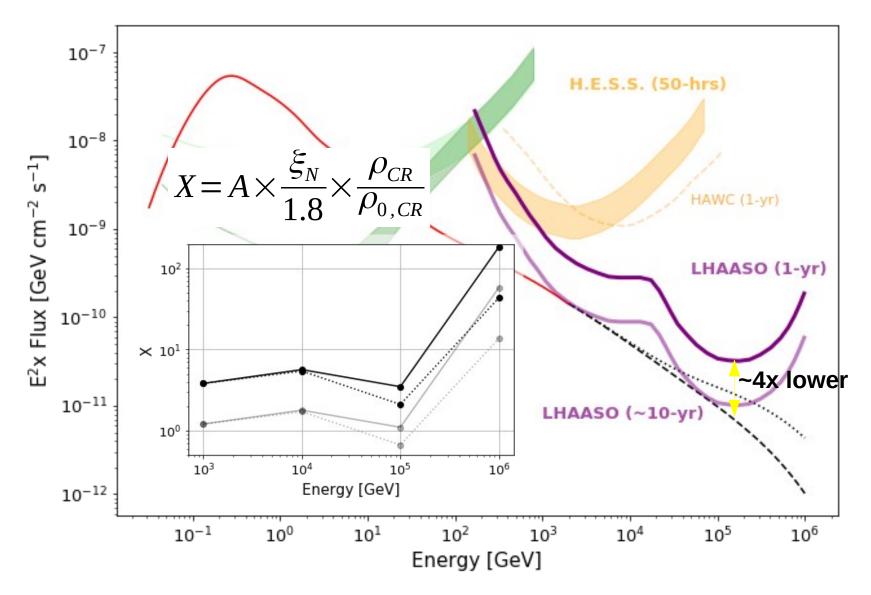
Visibility at UHE energy





17

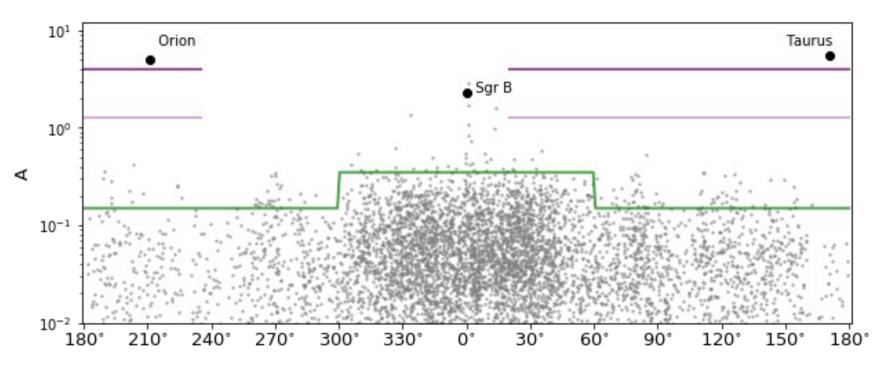
Visibility at UHE energy





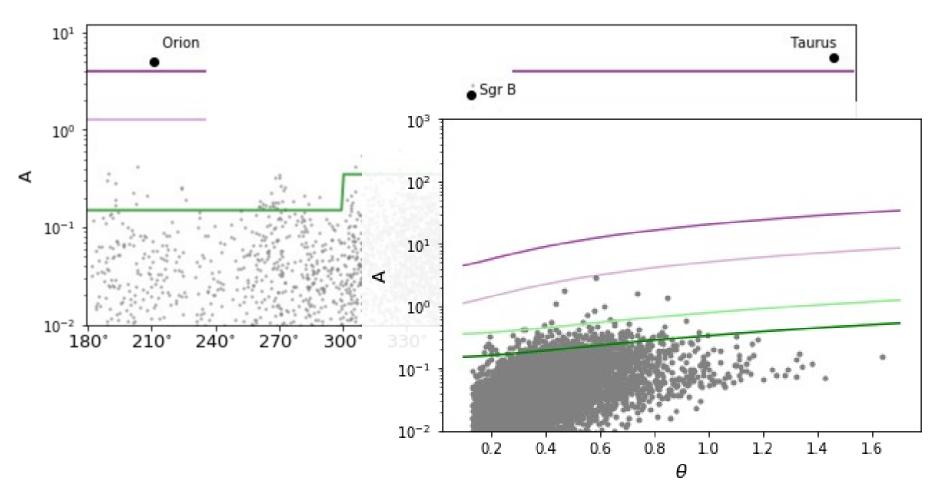
1. MCs with the highest A factor:

- e.g. Gould Belt clouds (A[Taurus]~6, A[Orion]~3)
- good compromise needs to be found with the angular extension



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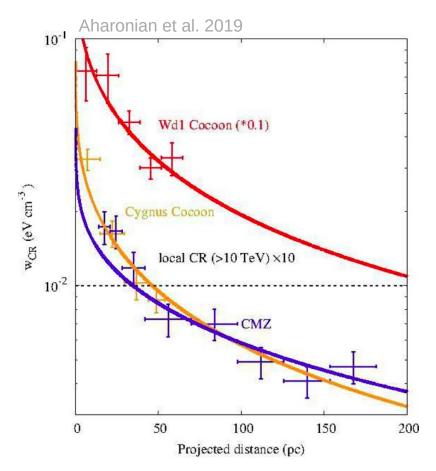
- e.g. Gould Belt clouds (A[Taurus]~6, A[Orion]~3)
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2. Enhance the CR density:

- In the vicinity of one (or more) accelerator CR density is higher;
- Near an accelerator the CR spectrum is harder;



$$F_{\gamma} \propto A \times \frac{\xi_N}{1.8} \times \frac{\rho_{CR}}{\rho_{0,CR}} \equiv X$$

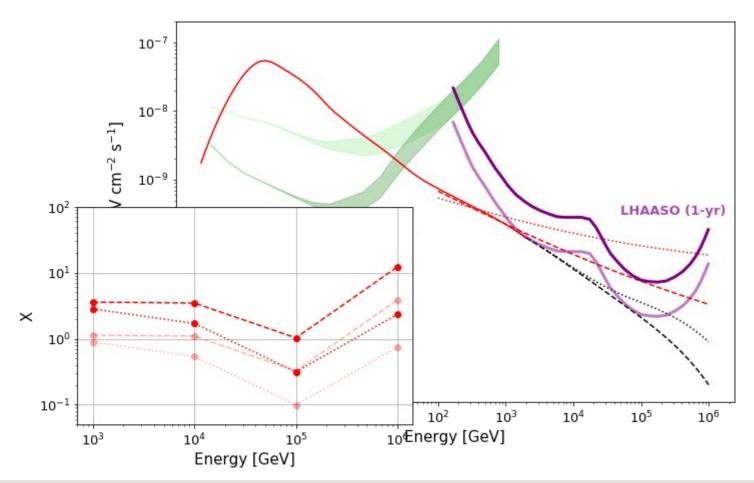
Cosmic ray density could be orders of magnitude higher than the local one in the proximity of an accelerator





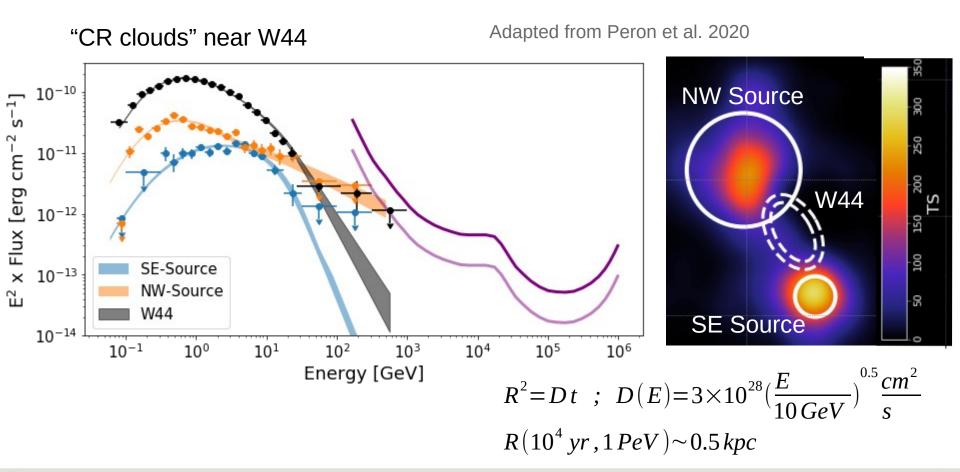
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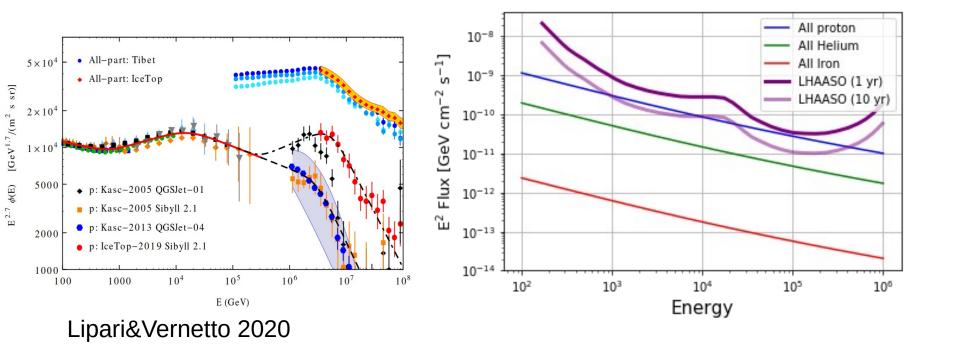
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3. Higher nuclear enhancement factor:

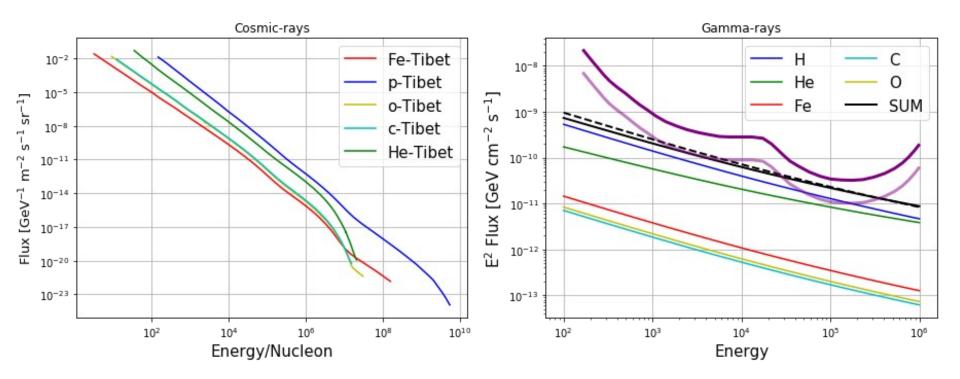
- Heavier composition of Cosmic Rays at UHE;





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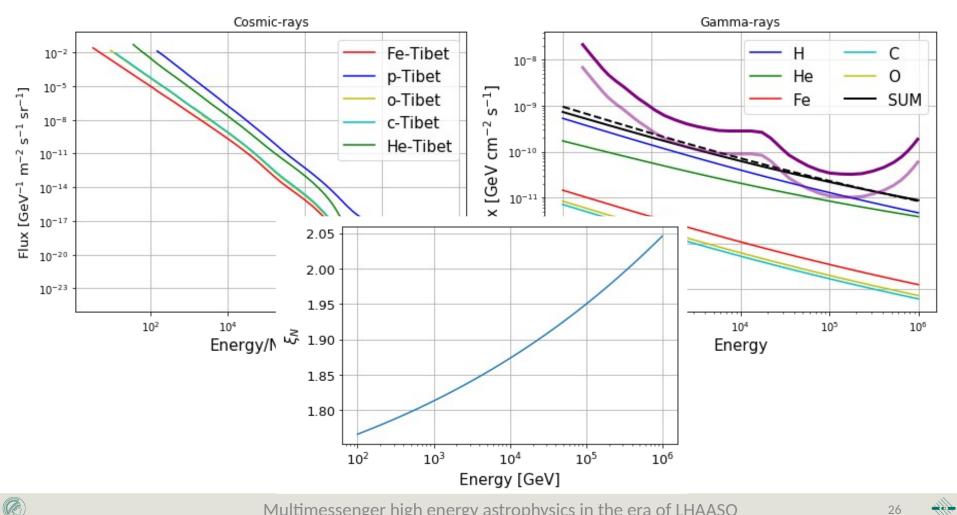
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Ø

3. Higher nuclear enhancement factor:

- Heavier composition of Cosmic Rays at UHE;



Conclusions

- Molecular Clouds constitute a perfect target both for mapping the overall Galactic cosmic ray distribution and for studying the escaped particles near accelerators;
- Most of the energy falls in the GeV energy band, but an extension of the spectrum to UHE is possible with LHAASO
- LHAASO in a few years can measure the spectrum of passive MCs and distinguish between different end of the proton spectrum;
- LHAASO will be very suitable for exploring the surrounding of accelerators;

