

Simulation update

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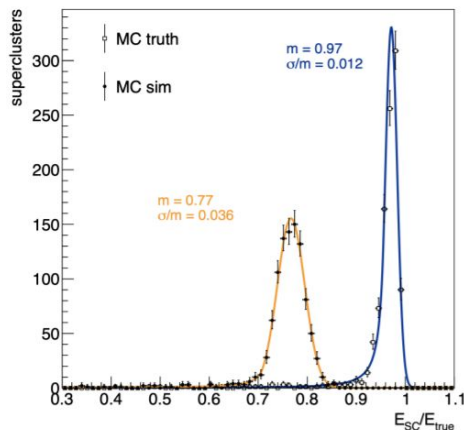
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Reconstruction of simulated images

Energy containment and resolution INFN

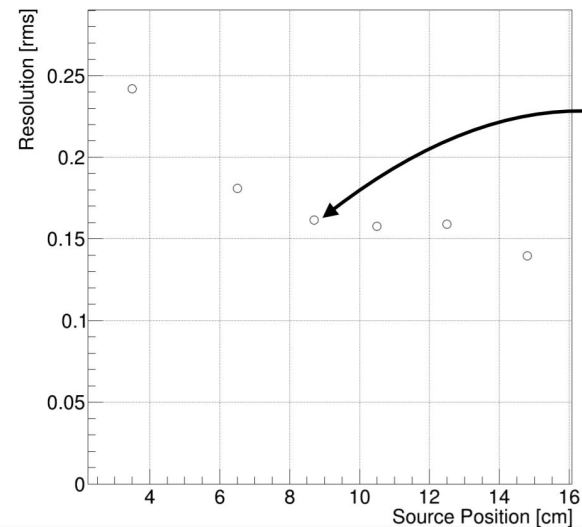
- In the paper on nuclear recoils identification with neutrons we describe the basic- and super-cluster reconstruction
- would be useful to show the energy containment on simulation: mean of E/E_{true} distribution
 - taken from Giulia / Fabrizio a sim of $E=6$ keV NRs either “pure MC” or with simulation of electronics noise + diffusion



Considerations:

1. w/o noise, containment better than 5%
2. with noise, it decreases to ~80%. Not a problem, since ^{55}Fe calibrates the absolute energy
 - 1. it could be tuned on simulation
3. *resolution with noise+diffusion (4%) is still much better than in data (~15% on Fe)*
 - 1. indicates that some more realistic model is needed in sim. 2.1 can be done once we have a better modeling

Measured energy resolution on ^{55}Fe data



Reconstruction of simulated images

inputs to improve



– Two items that can impact resolution

1. Noise modeling. Currently a simple Gaussian is used, with $\sigma = 2$ photons

1. the value is OK, but data has a distribution with non Gaussian tails with much larger tail. This should be easy to address: just sample the measured distribution in data to assign the pixel noise

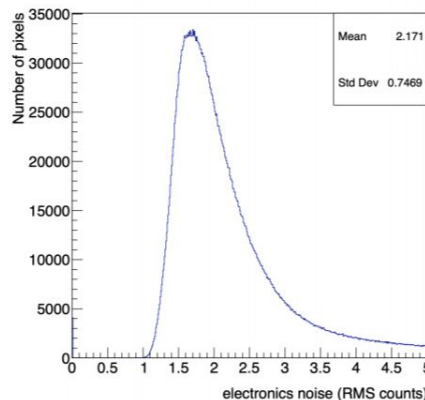
2. Diffusion modeling. The measured diffusion seems larger than the one predicted.

1. also here, one should try to use the measured one, instead of the simple $\sqrt{z}$ model?

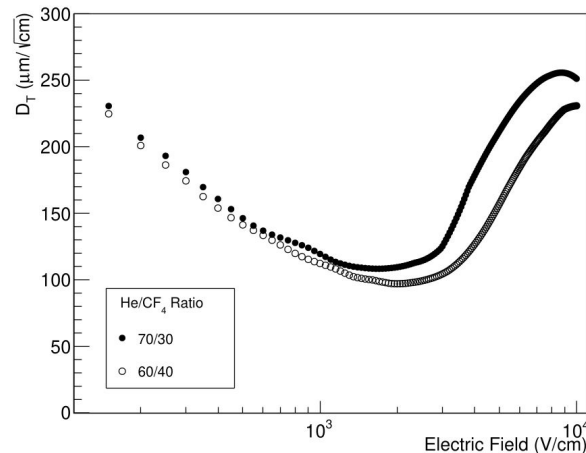
3. Other?

1. Fe data is a good dataset to validate this, since the clustering is trivial

→ At this stage we don't include any error on the multiplication process: implement gain distribution



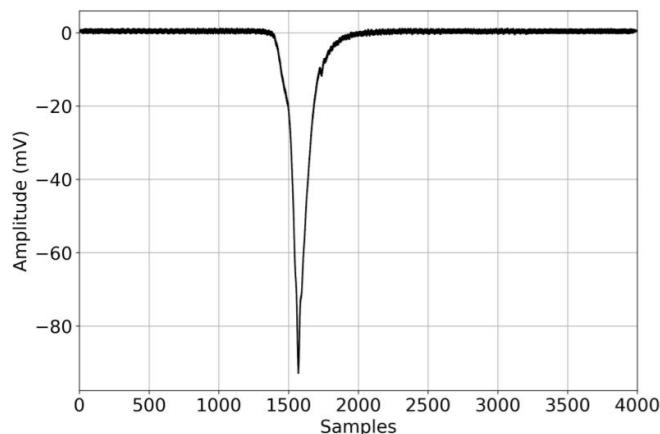
$$\sigma_T = \sqrt{(\sigma_{T0}^2 + D_T^2 \cdot z)}$$
$$\sigma_{T0} = 300 \mu m$$



at the moment we are using
500 μm for every track (corresponds to ~ 10 cm drift in LEMON)

PMT simulation

The idea is to tune the PMT modeled response using ^{55}Fe data



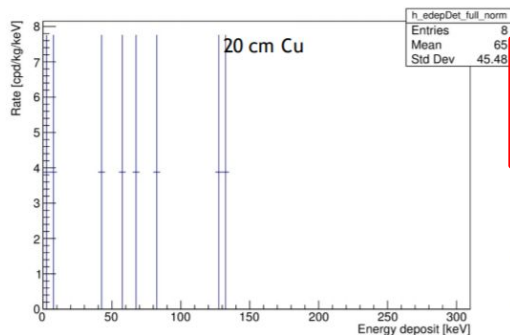
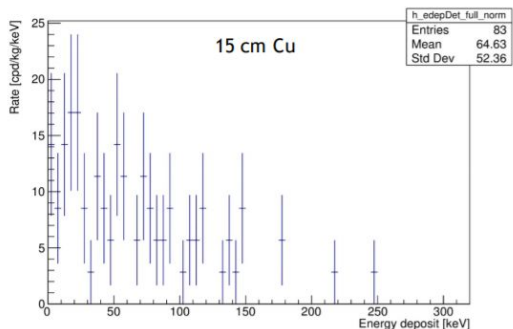
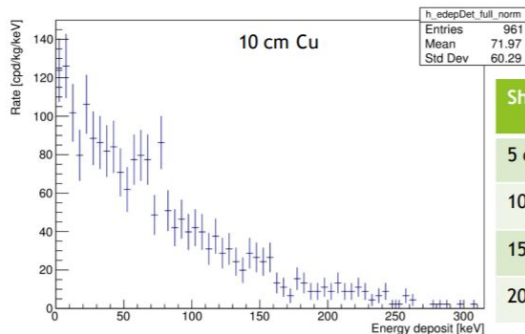
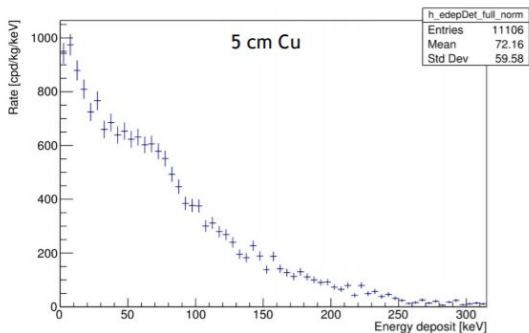
- ☐ Short signals with peak amplitude greater than -120 mV selected;
- ☐ Their peaks were centralized;
- ☐ Mean signal obtained;

- ☐ Calibration factor for the number of created electrons: $1e-/40eV$;
- ☐ Signal amplitude calibration factor: $0.66 \text{ mV}/e^-$;
- ☐ ^{55}Fe event energy: 5.9 keV;
- ☐ Number of electrons created in ^{55}Fe events: around 148 e^- ;

LIME background simulations

LIME Simulation Results - Gamma Background

Shielding - 50 cm water plus 5 cm, 10 cm, 15 cm and 20 cm Cu



Shielding	gamma flux [n/cm ² /s]	Evts/yr [0-20 keV]
5 cm Cu	6.9e-4	464000
10 cm Cu	-	54100
15 cm Cu	-	6771
20 cm Cu	-	970

**Goal $<10^4$ cpy (ER)
for $E < 20$ keV**

**50 cm water +
20 cm copper
or
100 cm water +
10 cm copper
→ $O(10^3)$ cpy**

**For each additional 5 cm Cu
the gamma background
decreases about a factor of 8.**

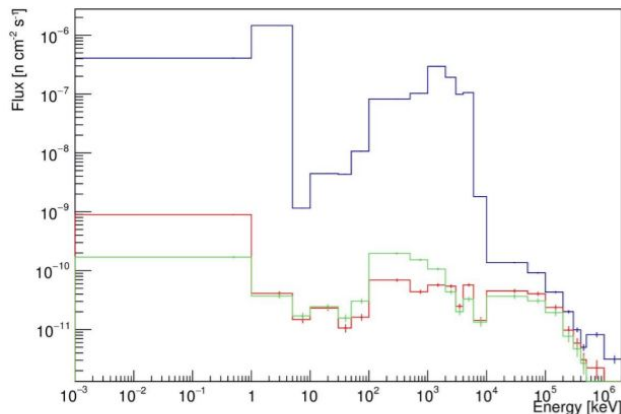
**For each additional 25 cm
water the gamma background
decreases about a factor of 4.**

**Note: The gamma flux is not
provided in this study because of the
computer time that would be
required. It will be important to
further increase the statistics**

LIME background simulations

LIME Simulation Results - Neutron Background

Shielding - 50 cm water plus 5 cm Cu

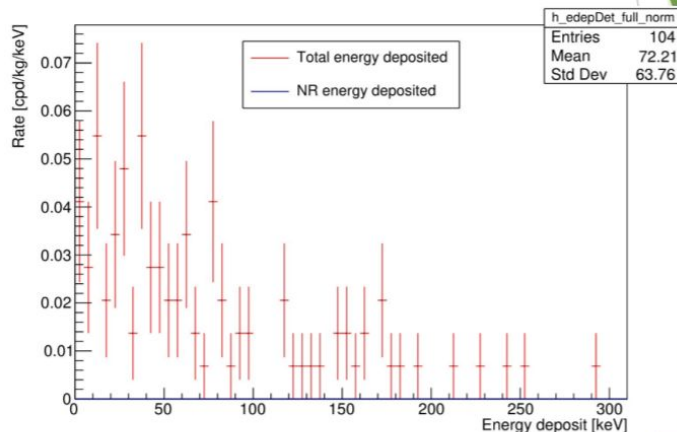


Number of events in [0-20] keV: 0.0359634 ± 0.00784786 cpd/kg/keV
Resuting in about 18.0445 ± 3.93764 events/year



Number of NR in [0-20] keV: 0.0 ± 0.0 cpd/kg/keV
Resuting in about 0.0 ± 0.0 NR/year

A.F.V. Cortez, CYGNO Simulation Meeting, 28th May, 2020



Flux (n/cm2/s)	Neutron	Secondary Gamma
@LNGS	2.76e-6	-
After 50 cm Water	1.45e-9	1.66e-7
After 5 cm Cu	9.64e-10	2.09e-8

**Goal <1 cpy (NR)
for $E < 20$ keV**

**50 cm water +
5 cm copper**
→ sufficient to have
0 NR evts/yr
(Equivalent time of
simulation ~ 1 year)

Secondary
gammas are
negligible

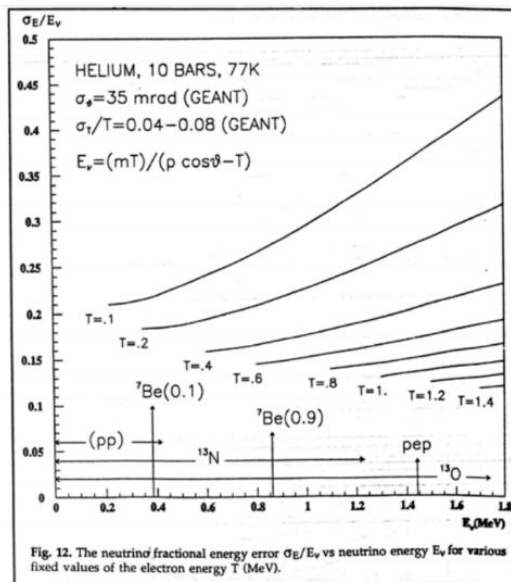
Summary and next steps

- Reconstruction efficiency studies on MC (Fabrizio, Giulia, Emanuele)
 - **improve inputs to the digitization** and re-digitize some MC samples
 - compare with data and see if with MC we **reproduce resolution measured on data**
 - once this is fixed → systematic **efficiency and bkg rejection study on MC**
- PMT (Rafael, Mariana)
 - tuning simulation on LEMON ^{55}Fe data
- LIME background simulations (Andrè, Giulia)
 - **external background: 1 m water + 10 cm copper** gives **0 NR/year** and **$\mathcal{O}(10^3)$ ER/year**
→ compatible with space available in currently assigned site for LIME @LNGS
 - **camera background:** work in progress, we expect to be the dominant background
- Sensitivity study (Giorgio, Elisabetta)
 - **Sensitivity** curves with different **background** and **energy threshold**
 - Very important input to discussion on optimization of shielding, gas mixture, etc.
- Solar neutrino with CYGNO (Elisabetta)
 - look promising, some preliminary studies ongoing → could be a publication *per se*

Backup

Neutrinos with CYGNO

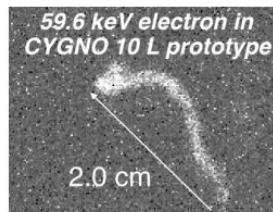
Goal: reproduce plot & verify expected number of events



HELLAZ: He @ 5 bar, 10 m drift, 1 mm x,y,z strips

Electron energy threshold: 100 keV

HELLAZ: A HIGH RATE SOLAR NEUTRINO DETECTOR
WITH NEUTRINO ENERGY DETERMINATION



**CYGNO PHASE-2
can detect order
50 events/year**

	Diffusion	Target density	Electron energy threshold	Expected yield from pp
HELLAZ	0.2 sqrt(cm)	3 kg/m ³	100	0.5-1 m ⁻³ y ⁻¹
CYGNO	0.01 sqrt(cm)	1-1.5 kg/m ³	10-20	1-2 m ⁻³ y ⁻¹

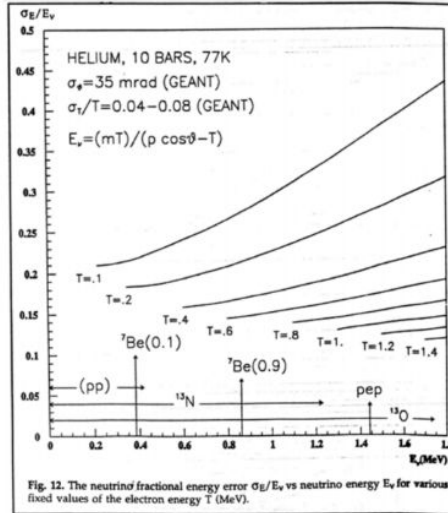
back of the envelope evaluation

**with He:CF₄ 60:40 and
20 keV threshold**

→ also confirmed with a complete calculation by Samuele Torelli (PhD student @GSSI)

Neutrinos with CYGNO

Goal → reproduce this plot for our experiment



Energy resolution of proportional ionisation counter

$$R = 2.35 \sqrt{\frac{F}{N} + \frac{1}{N} \left(\frac{\sigma_q}{G_q} \right)^2} = 2.35 \sqrt{\frac{F}{N} + \frac{f}{N}}$$

The neutrino energy resolution σ_{E_V}/E_V is obtained from the derivatives of eq. (2) i.e.

$$\sigma_{E_V}/E_V = \sqrt{\{D_\theta^2 \sigma_\theta^2 + D_T^2 (\sigma_T/T)^2\}} \quad (11)$$

where the dimensionless logarithmic derivatives

$$D_\theta = (1/E_V) (\partial E_V / \partial \theta) = (E_V/m_e) \sqrt{\{1 + (2m_e/T) - [1 + (m_e/E_V)]^2\}} \quad (12)$$

$$D_T = (T/E_V) (\partial E_V / \partial T) = (E_V + m_e) / (T + 2m_e)$$

Inputs → energy and angular resolution

Angular resolution



Try to measure on MC

Giulia provided me MC sample
(both MC truth & digitised hits)



Parameterise from pixel size, diffusion and multiple scattering

where $g = 1 + \epsilon \log_{10}(\langle \cos^2 \theta \rangle / X_0)$ and $(S_2) = 14.1$ MeV, $\epsilon = 1/9$. The recoil angle error $\sigma_\theta = \sigma_q$ since the unit vector from the sun to the track start point is well determined. This error is shown in fig.5 for

Hellaz problem:

several version of this plot, even using the same parameters

→ need to understand which one is the right to compare with...

Preliminary study promising → could be a publication *per se*