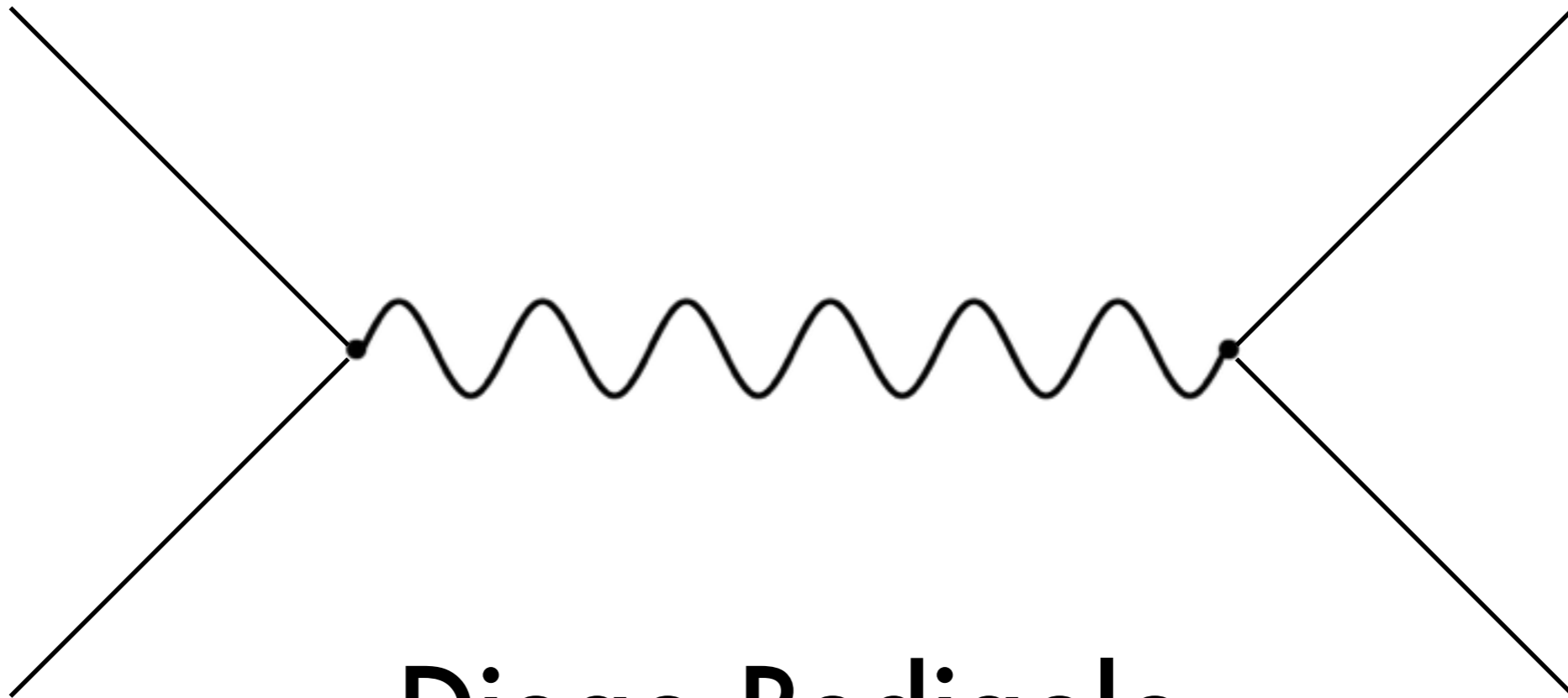


THE HUNT FOR NEW FORCES

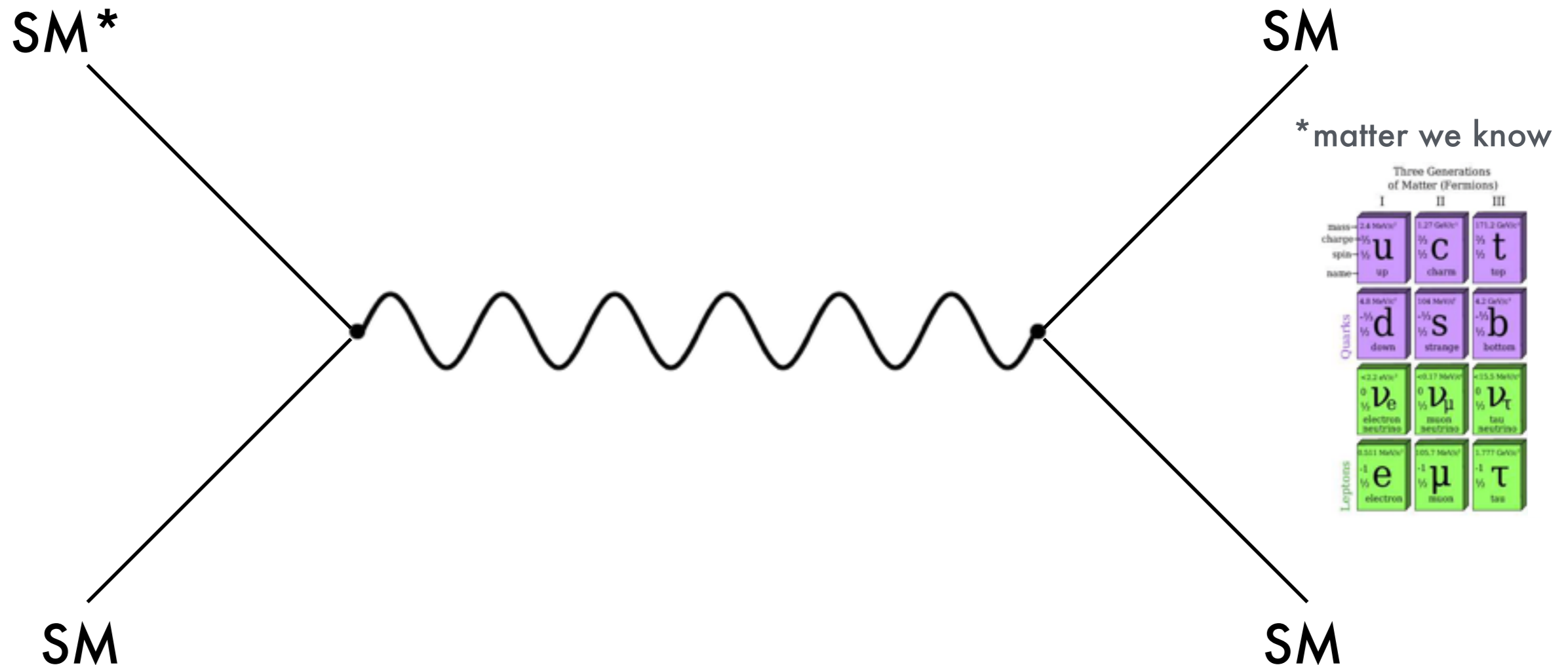


Diego Redigolo

28/10/2019

THE HUNT FOR NEW FORCES

* SM=Standard Model

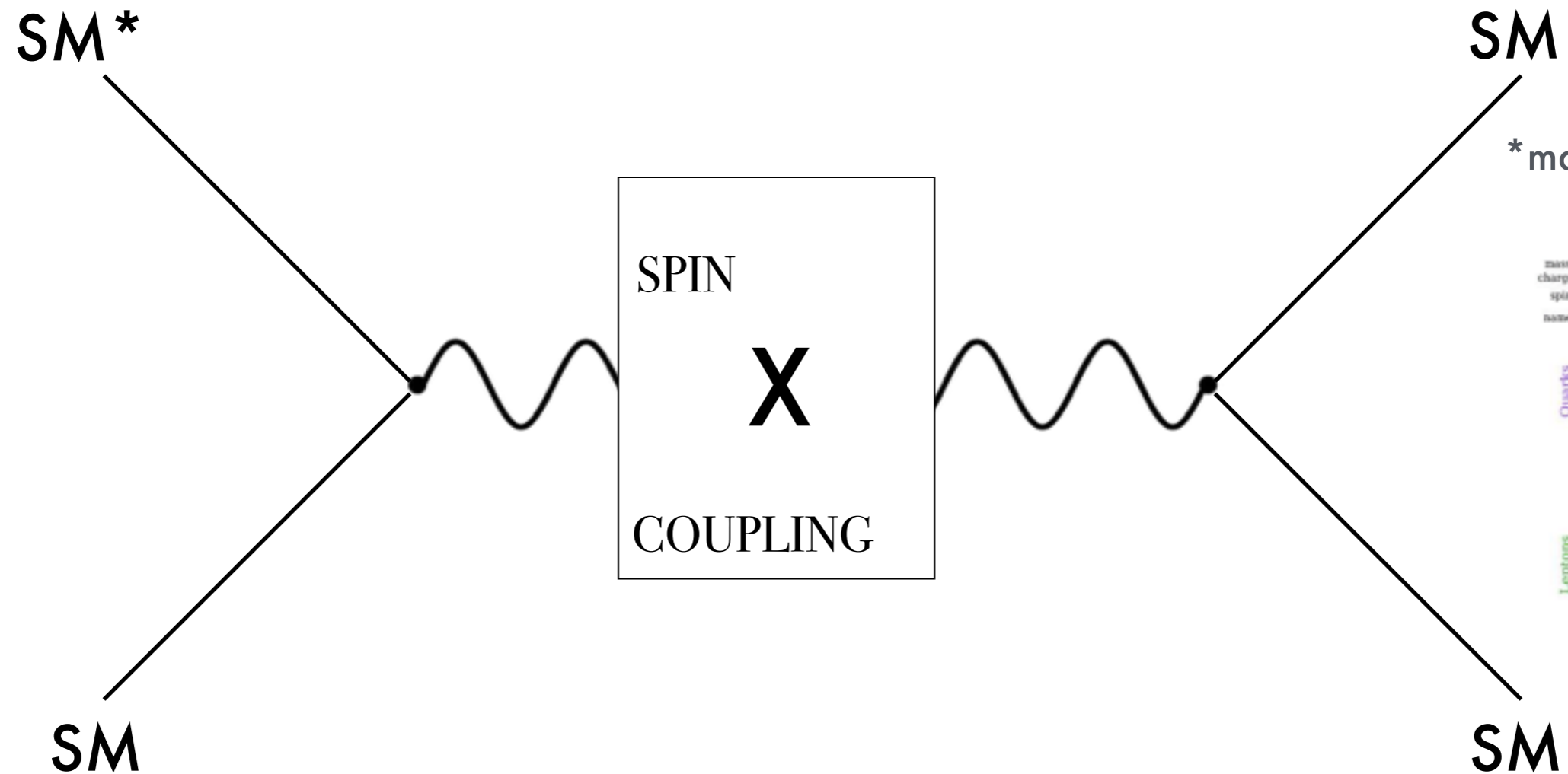


The force properties are encoded in the nature of the
force carrier

and its interactions with the *matter we know about**

THE CHEMISTRY OF FORCES

* SM=Standard Model



*matter we know

Three Generations of Matter (Fermions)

	I	II	III
mass	2.4 MeV/c ²	1.27 GeV/c ²	171.2 GeV/c ²
charge	$2/3$	$2/3$	$2/3$
spin	$1/2$	$1/2$	$1/2$
name	u up	c charm	t top
Quarks	d down	s strange	b bottom
mass	4.8 MeV/c ²	108 MeV/c ²	4.2 GeV/c ²
charge	$-1/3$	$-1/3$	$-1/3$
spin	$1/2$	$1/2$	$1/2$
name	ν_e electron neutrino	ν_μ muon neutrino	ν_τ tau neutrino
Leptons	e electron	μ muon	τ tau
mass	0.511 MeV/c ²	105.7 MeV/c ²	1.777 GeV/c ²
charge	-1	-1	-1
spin	$1/2$	$1/2$	$1/2$
name	e electron	μ muon	τ tau



Like chemists

we can classify the types of force carriers X

THE FORCES WE KNOW...

Short range

$$\begin{matrix} 0 \\ 1 \\ g \\ g_s \simeq 1.2 \end{matrix}$$

fm

$$\begin{matrix} 80.4 \text{ GeV} \\ 1 \\ W^\pm \\ g \simeq 0.64 \end{matrix}$$

$$\begin{matrix} 90.2 \text{ GeV} \\ 1 \\ Z \\ g' \simeq 0.3 \end{matrix}$$

$$\begin{matrix} 125 \text{ GeV} \\ 0 \\ h \\ \text{yukawas...} \end{matrix}$$

pm

- confinement
- symmetry breaking

Seen in EU colliders :

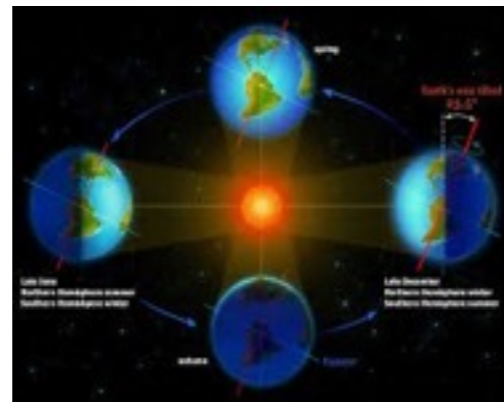


Long range

$$\begin{matrix} 0 \\ 1 \\ \gamma \\ e \simeq 0.3 \end{matrix}$$

$$\begin{matrix} 0 \\ 2 \\ h_{\mu\nu} \\ \frac{m_p}{M_{\text{Pl}}} \simeq 10^{-19} \end{matrix}$$

Seen in everyday life:



THE FORCES WE KNOW...

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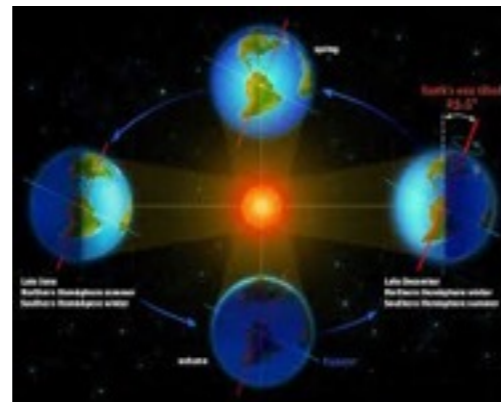


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Seen in everyday life:



this is all we got so far...

NEW DARK FORCES?



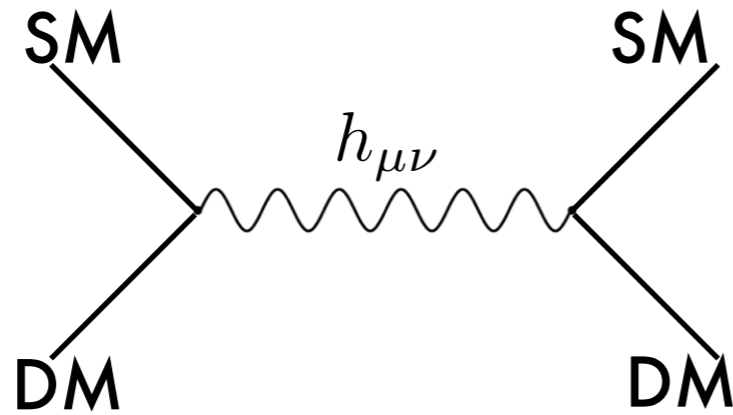
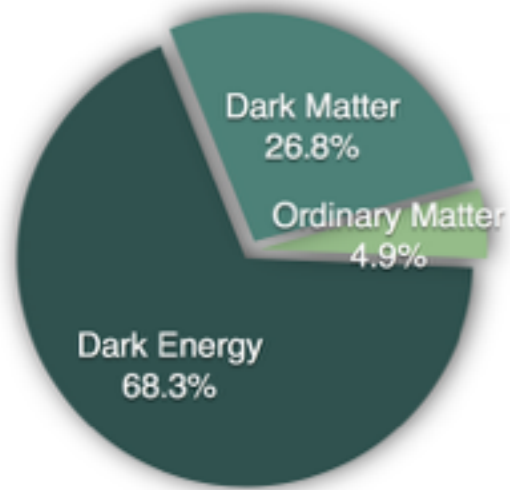
NEW DARK FORCES?



it is plausible to imagine new forces
to be present...



DARK MATTER EXISTS/ED

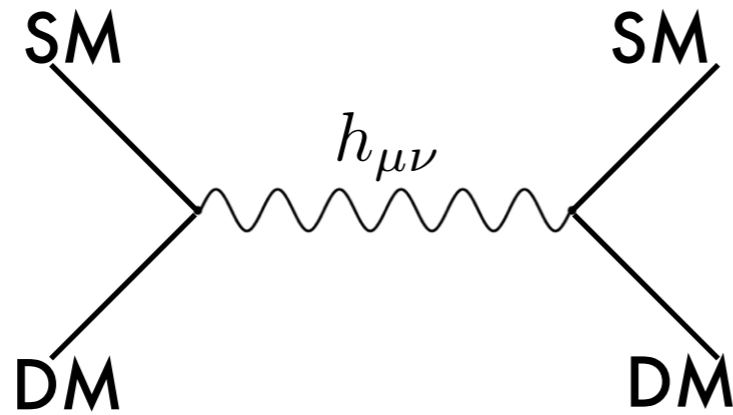
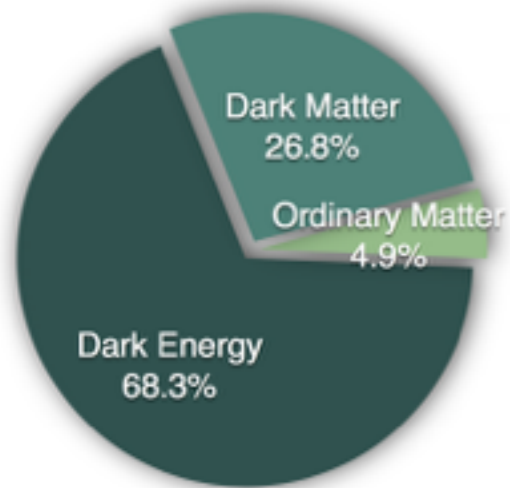


we have many evidences
from its gravitational interactions
with the regular matter

Dark Matter should be a particle of some sort...

even *MOND aficionados* have to introduce
new particles to the SM

DARK MATTER EXISTS/ED

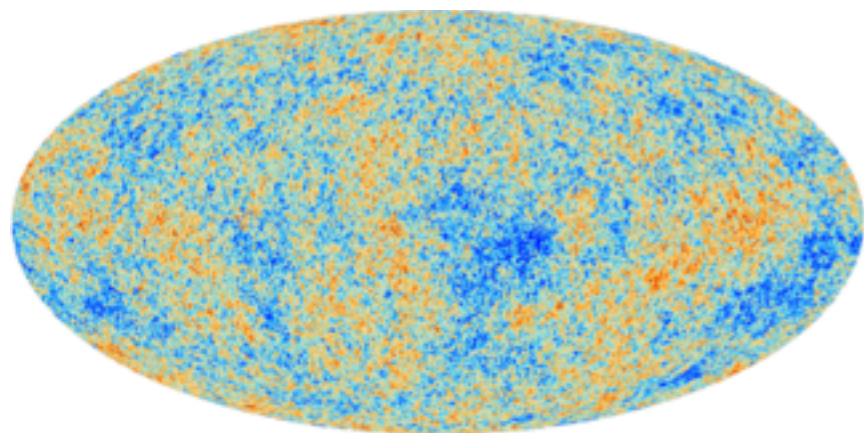


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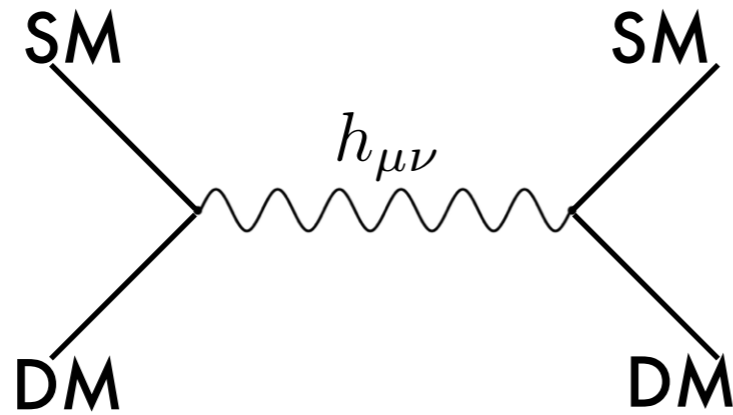
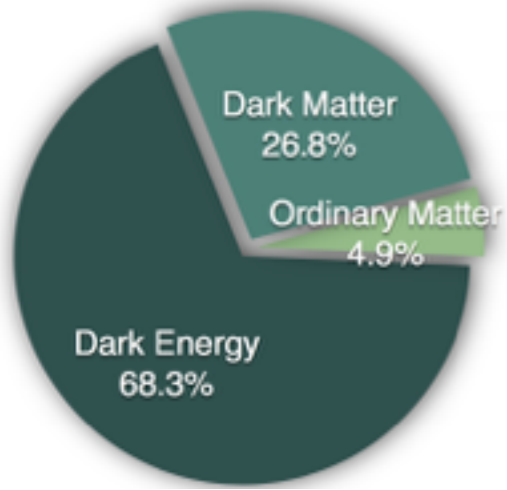
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CMB Temperature map



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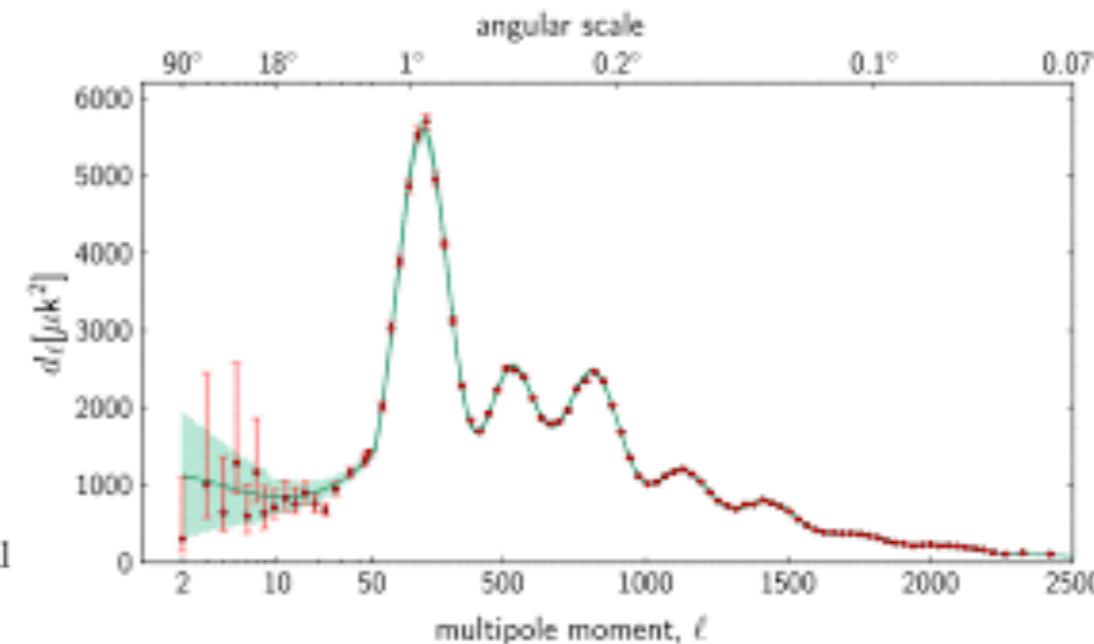
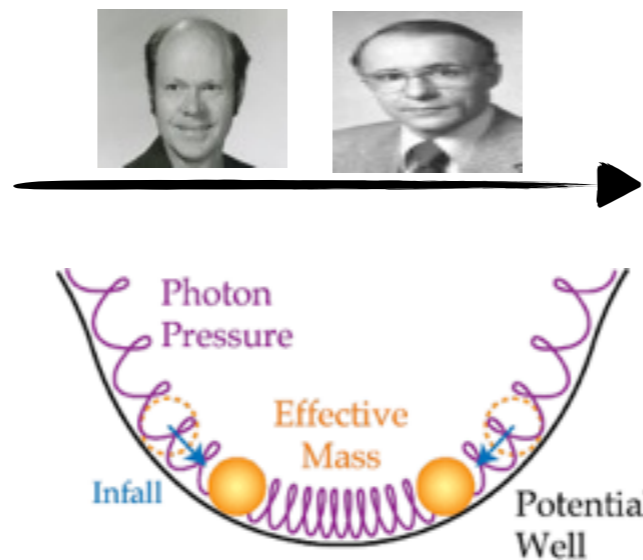
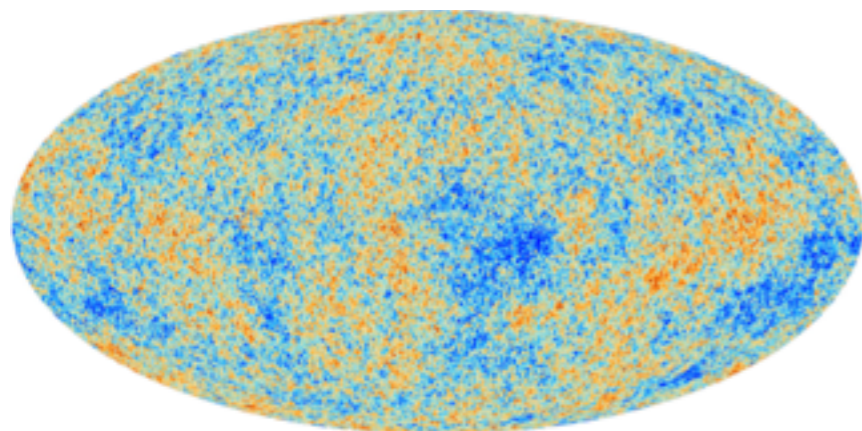


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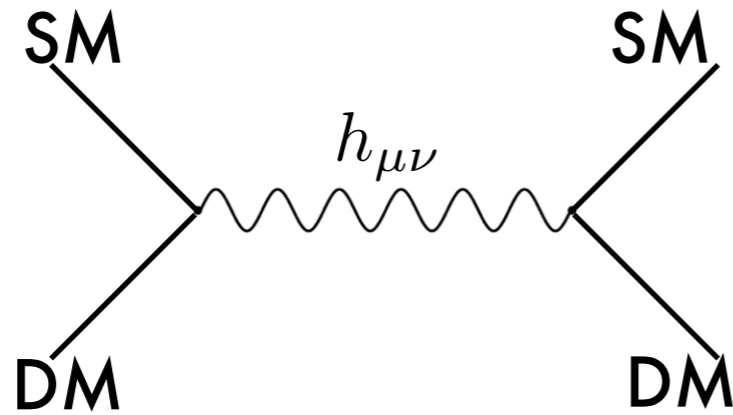
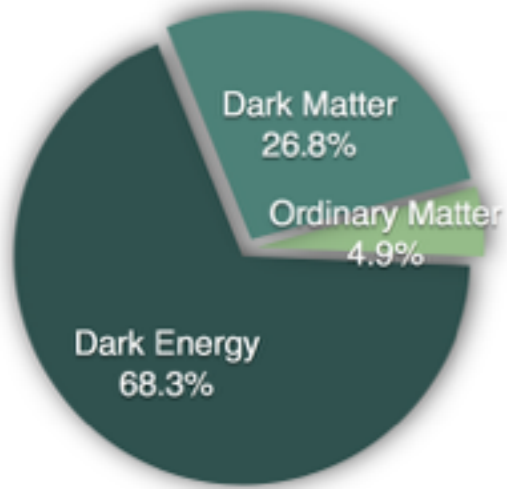
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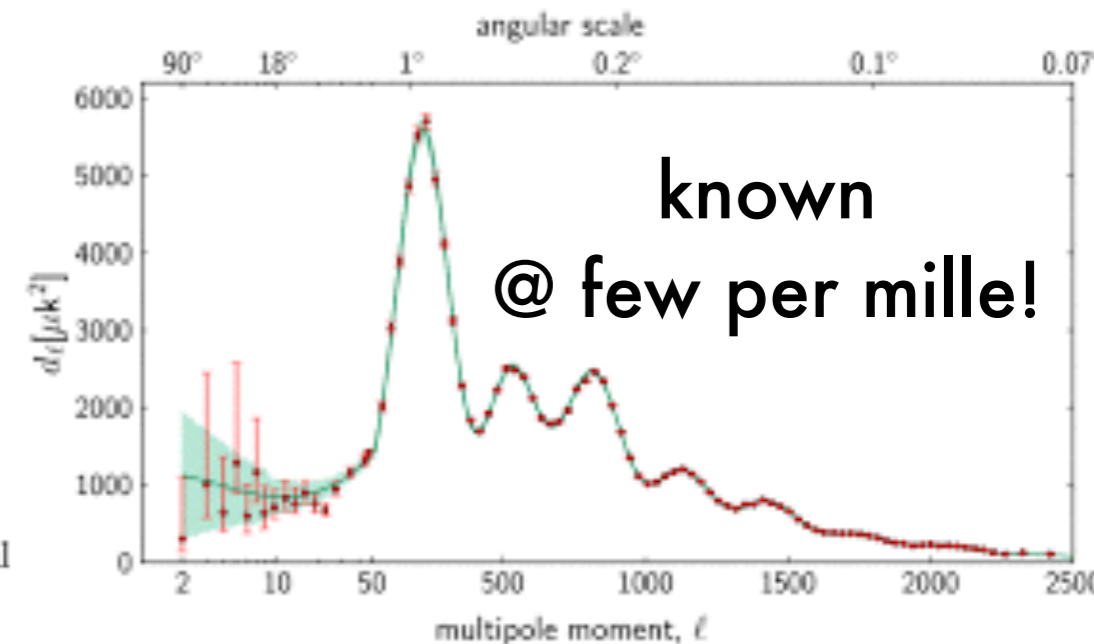
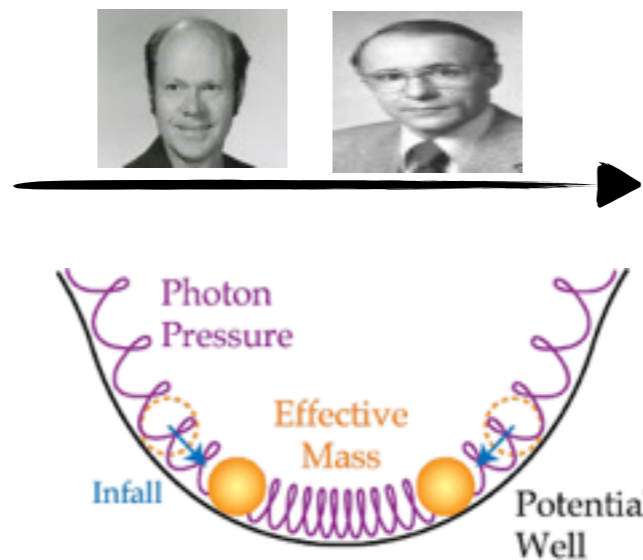
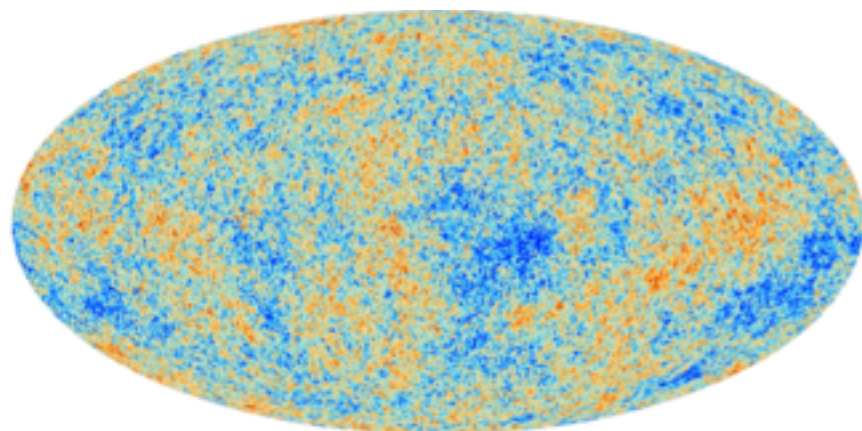


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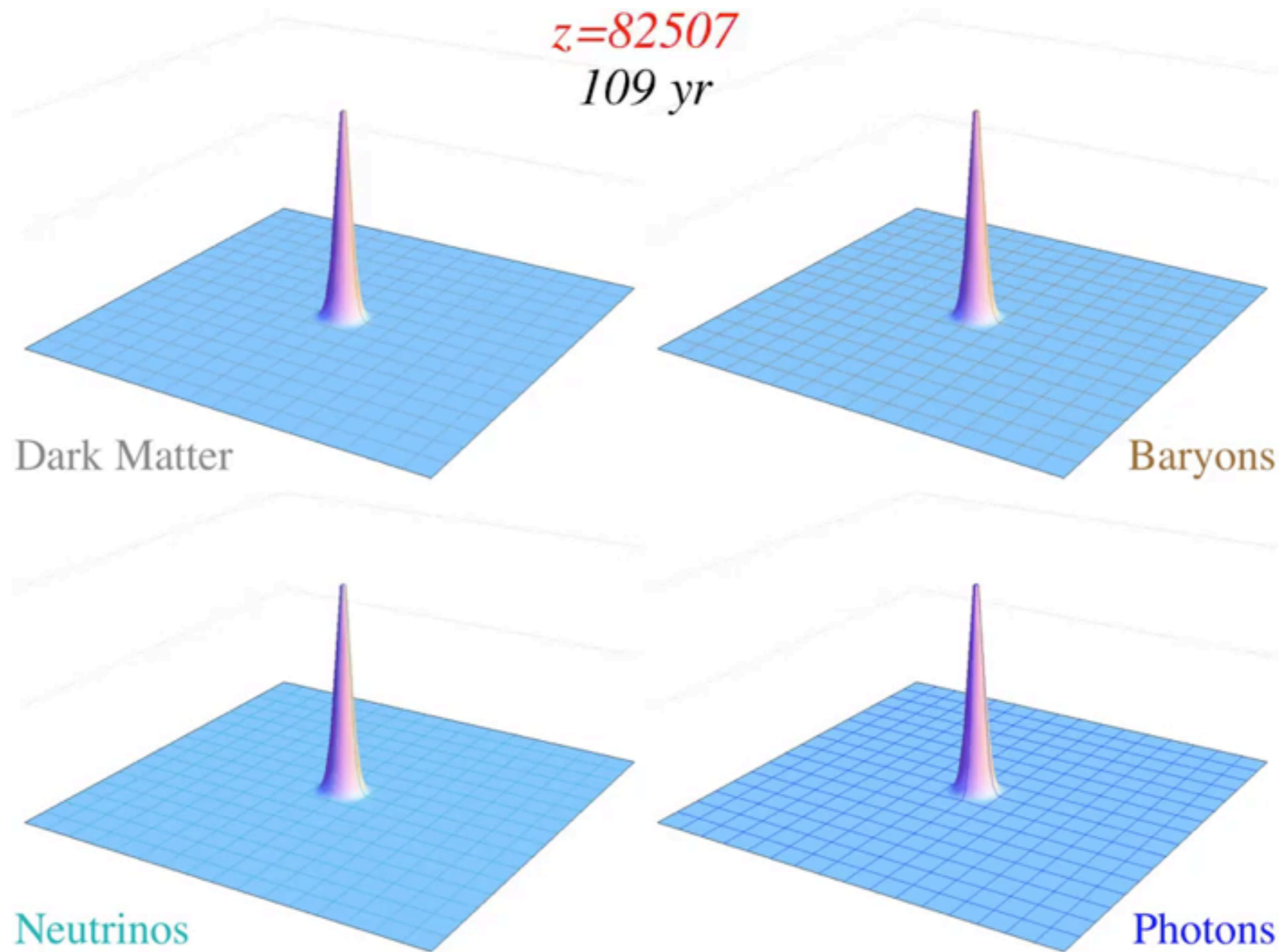
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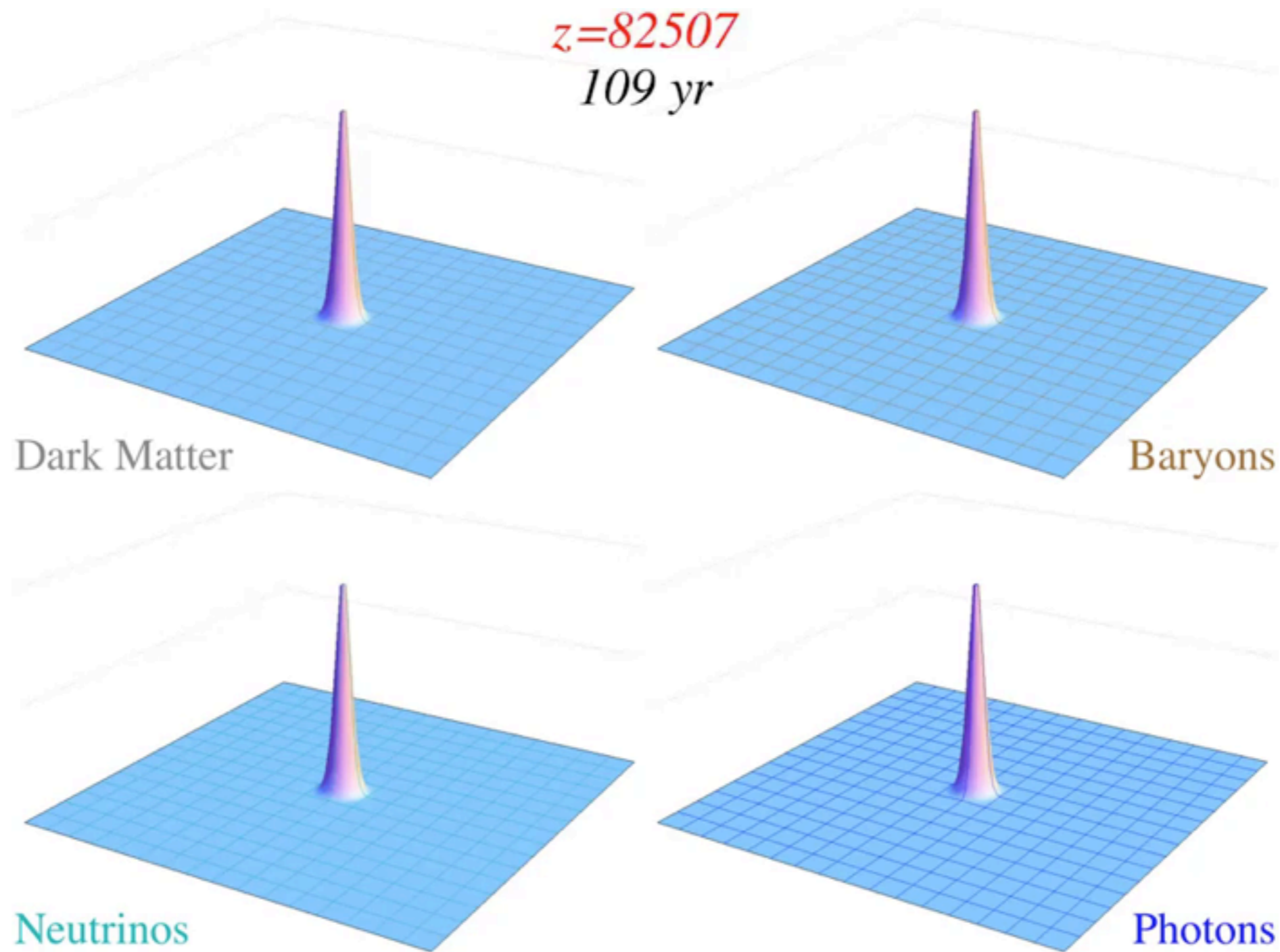
CMB Temperature map



ANIMATION TO SHOW OFF

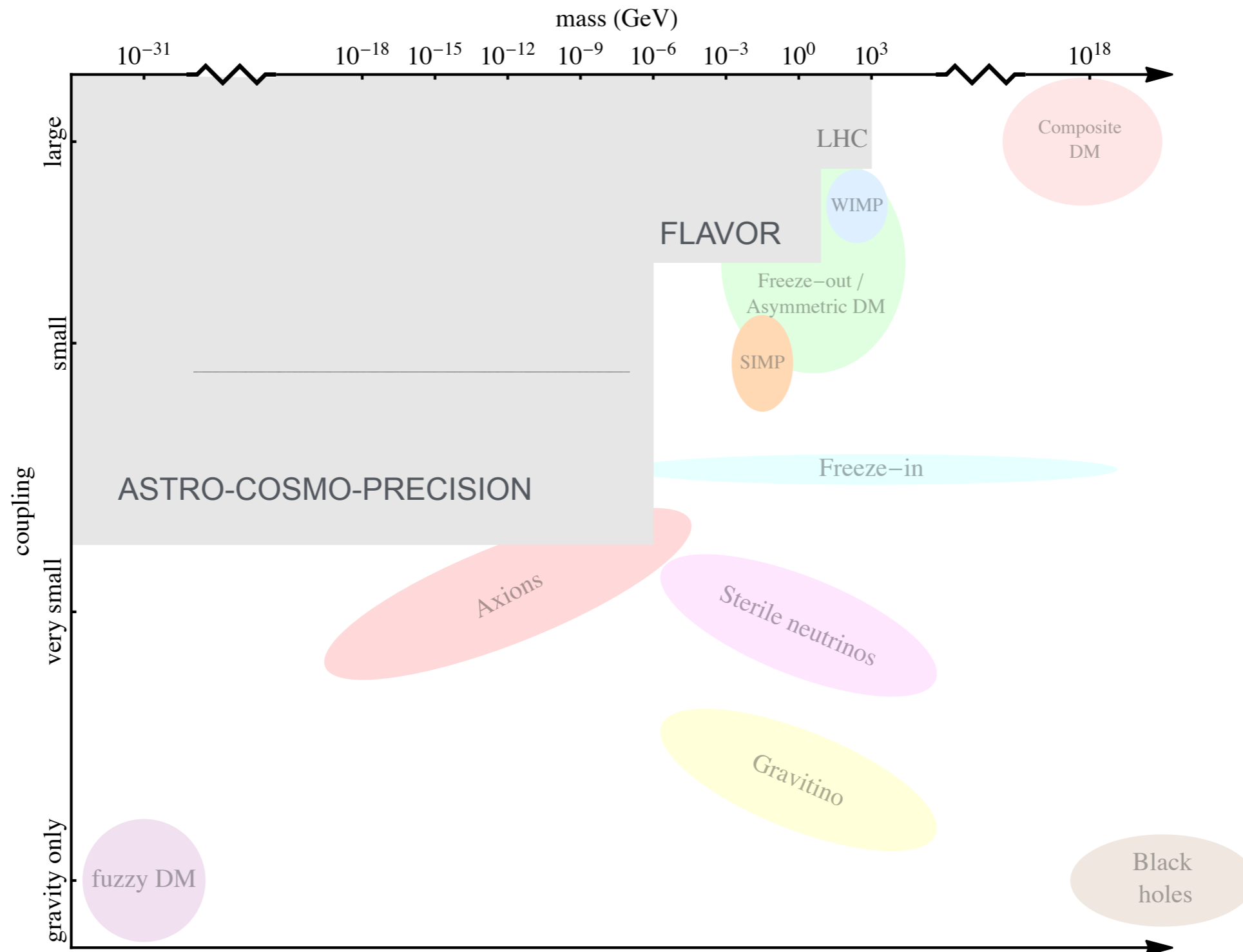


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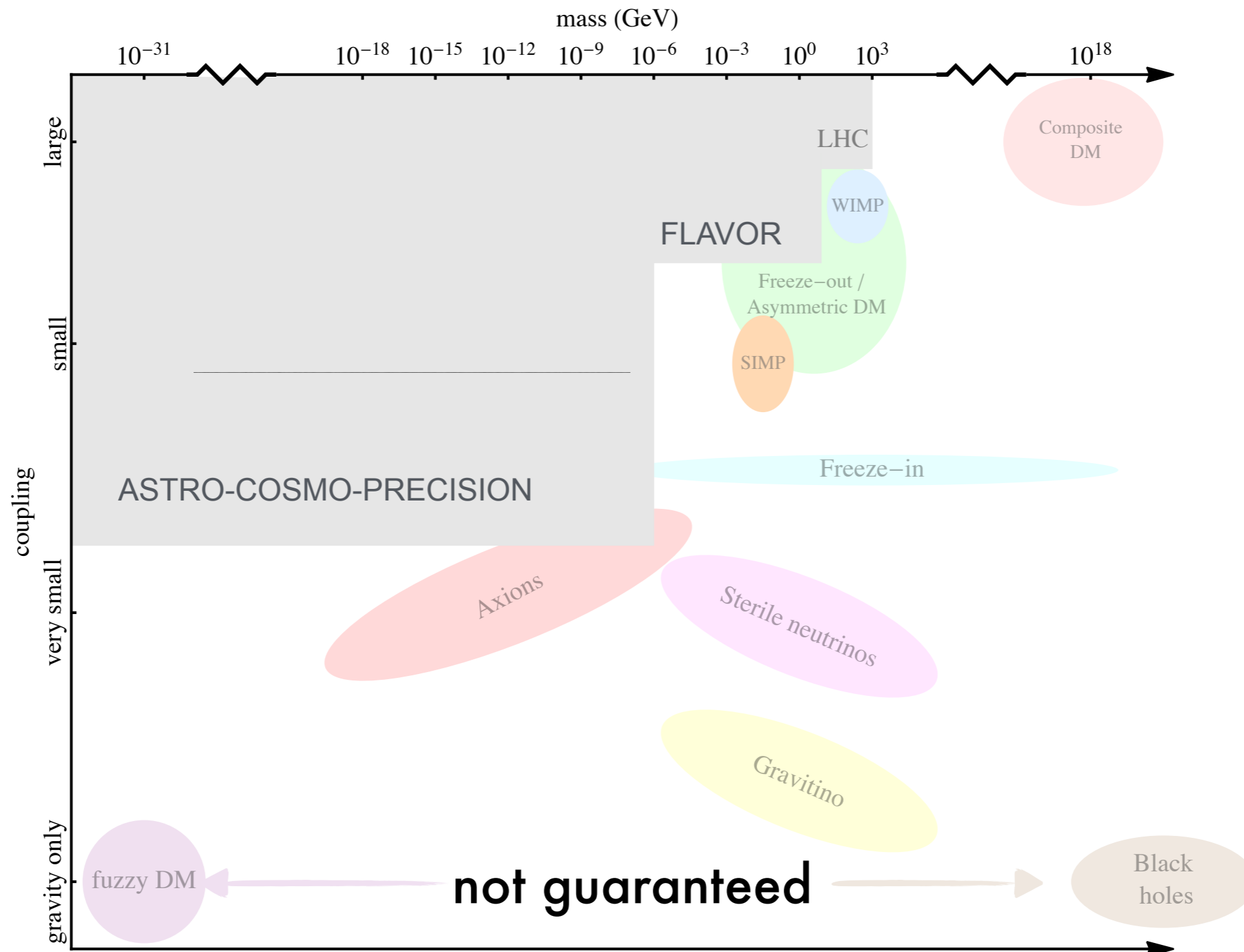
DARK MATTER PRODUCTION

Production mechanisms require a NEW FORCE

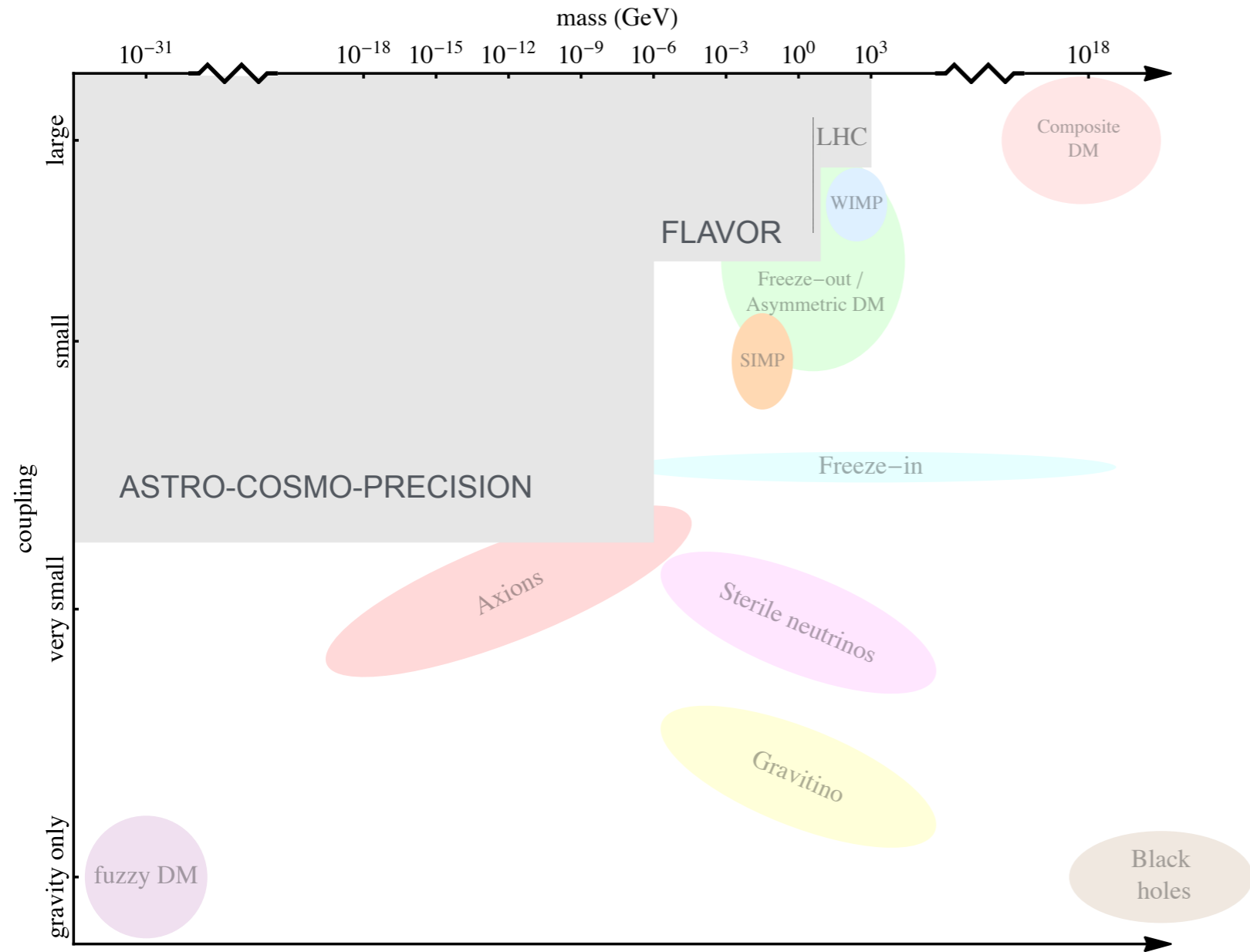


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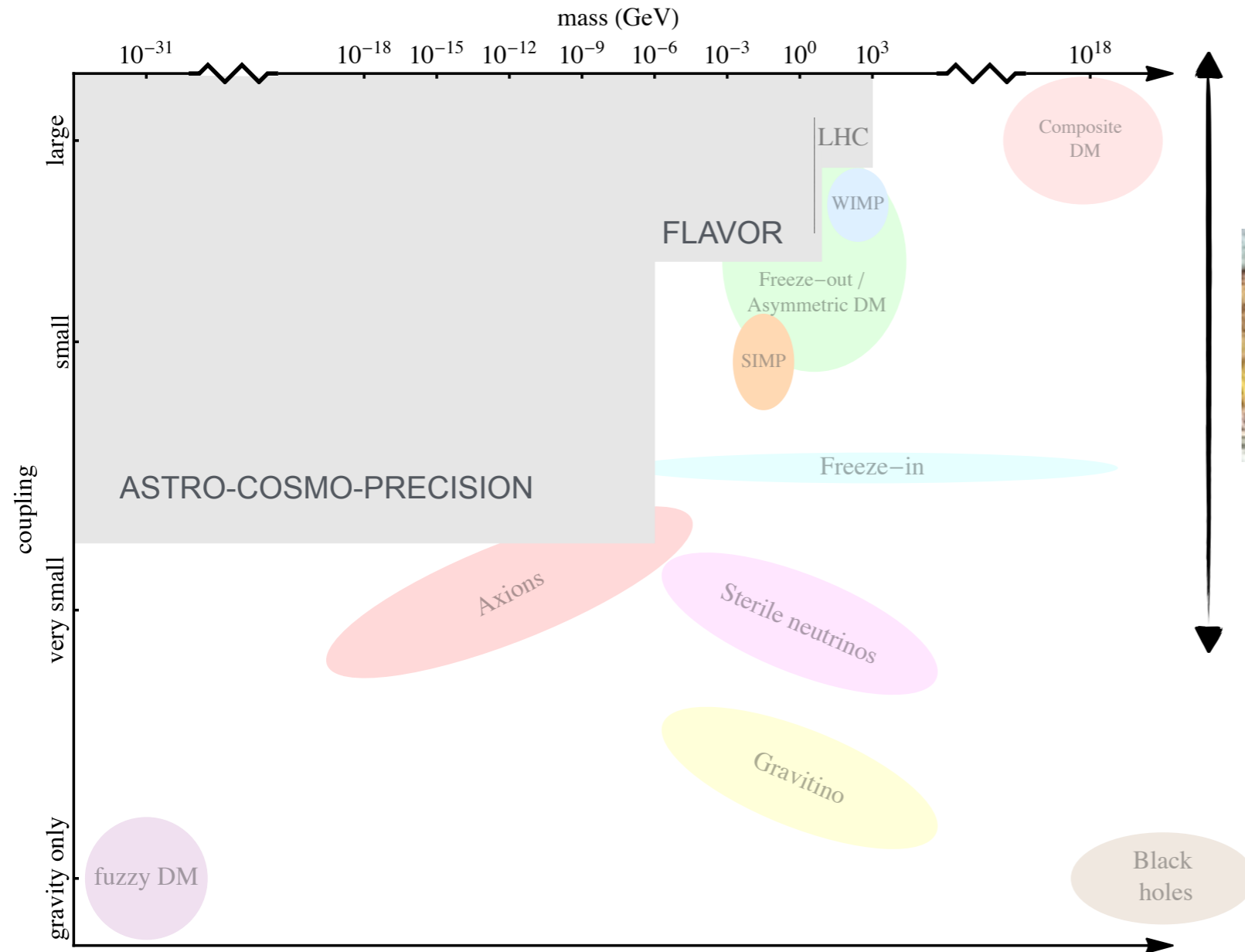
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ANALOGY VS MINIMALITY



ANALOGY VS MINIMALITY

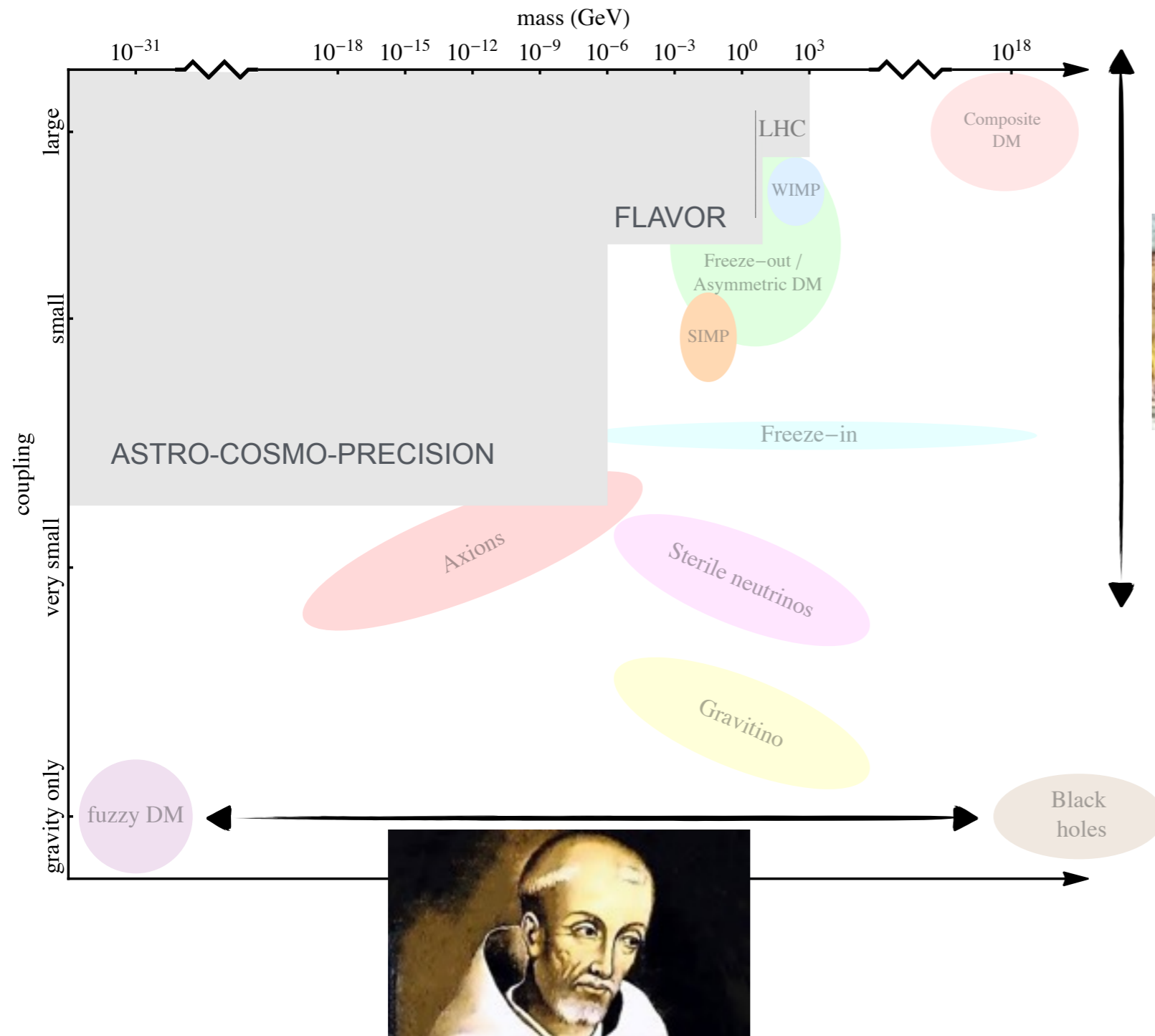


ANALOGY



it is plausible that
New Forces
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ANALOGY VS MINIMALITY



ANALOGY

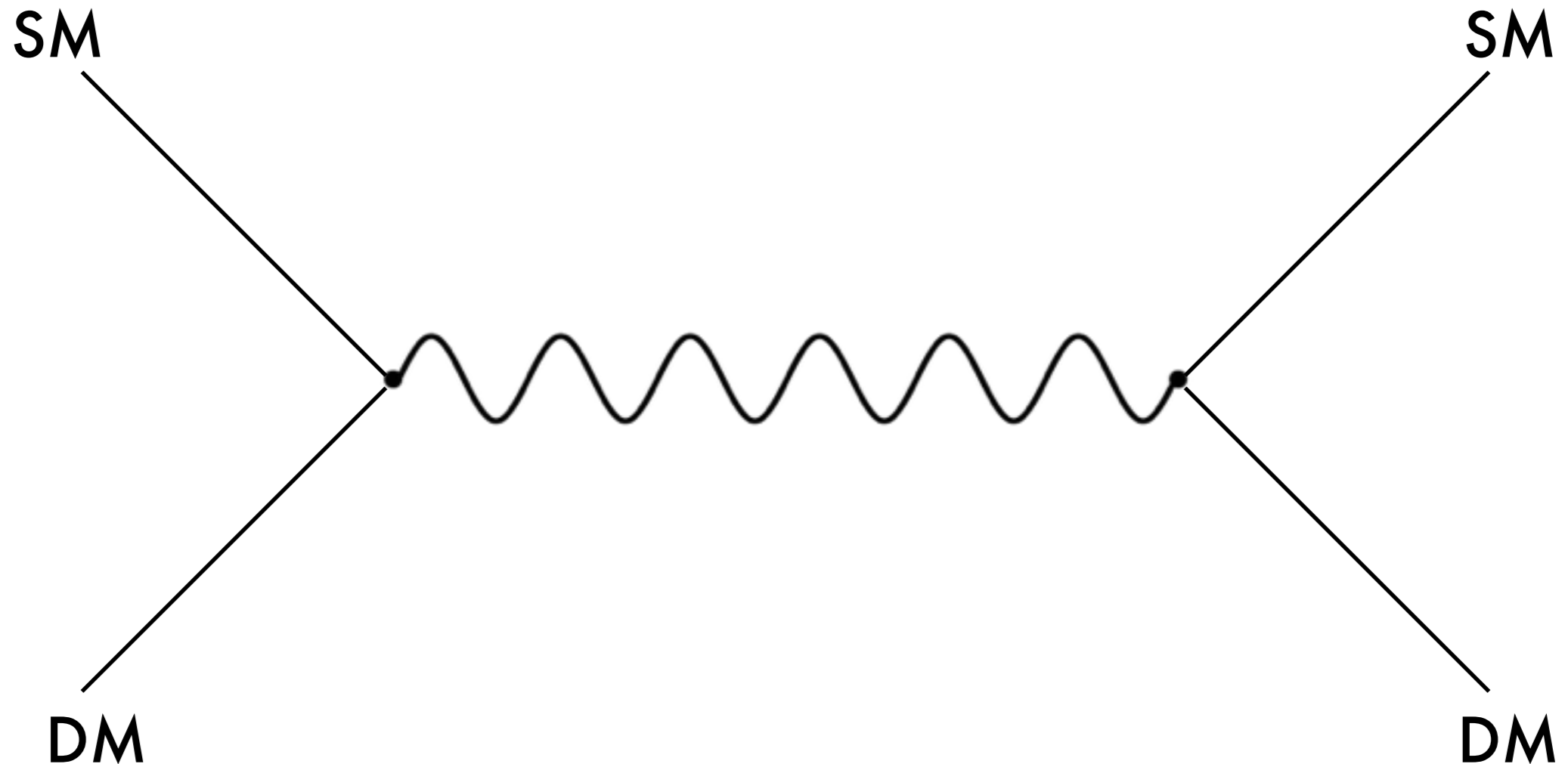


it is plausible that
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MINIMALITY disfavours a New Force

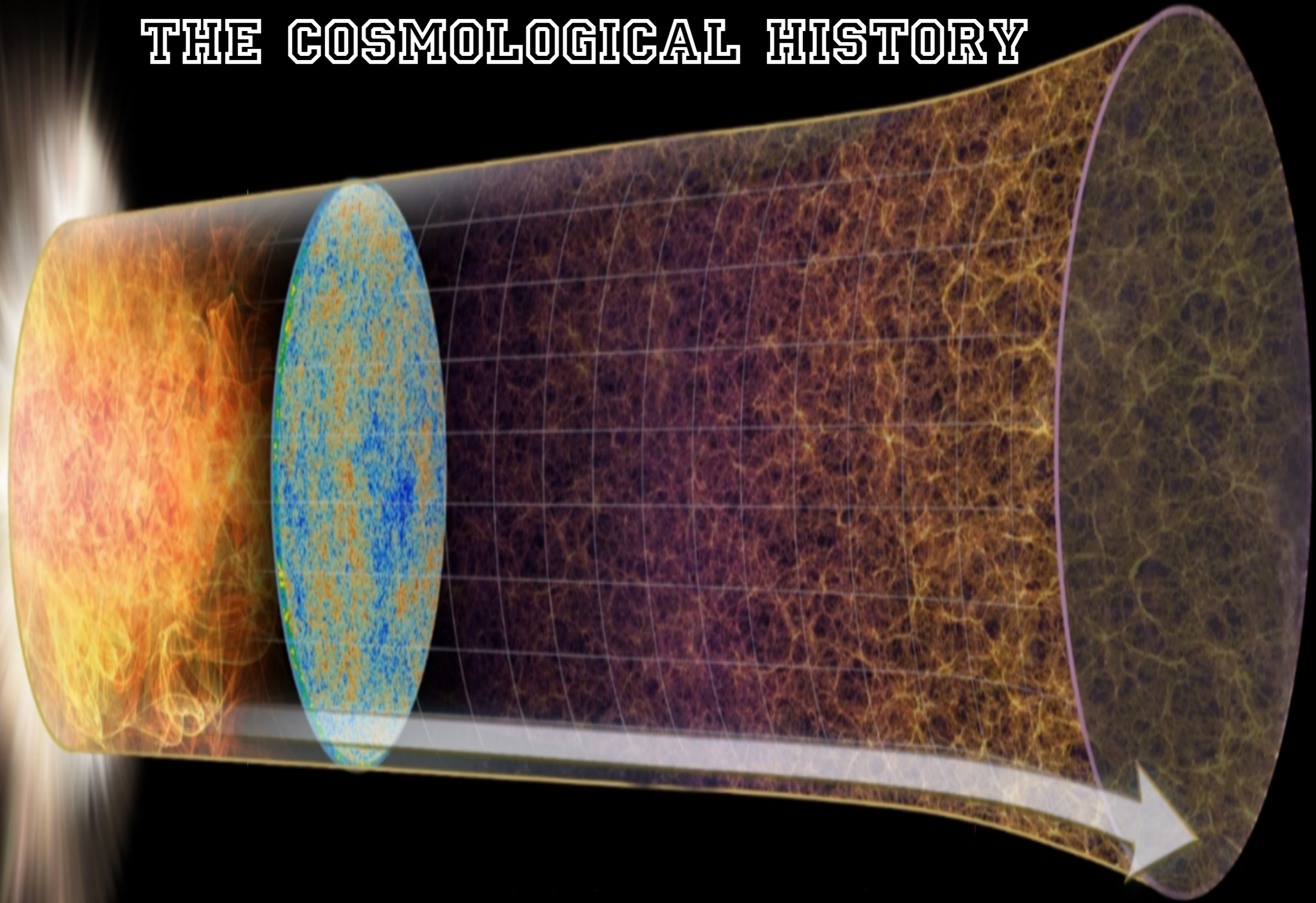
HOW TO PROBE NEW FORCES?

*one way out of many...



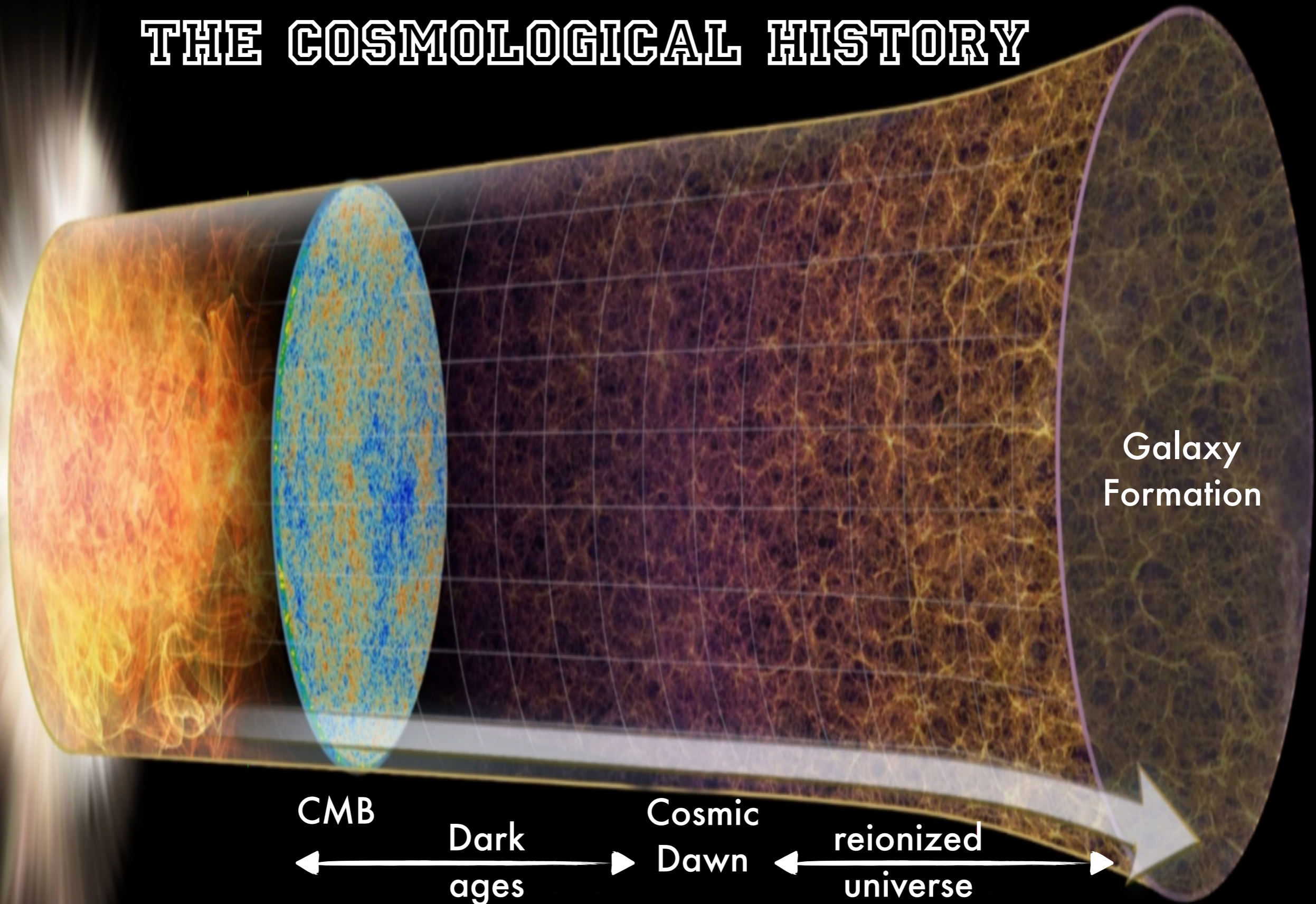
**A new force induces a
new scattering of Dark Matter with baryons***

THE COSMOLOGICAL HISTORY



AS DARK MATTER DETECTOR

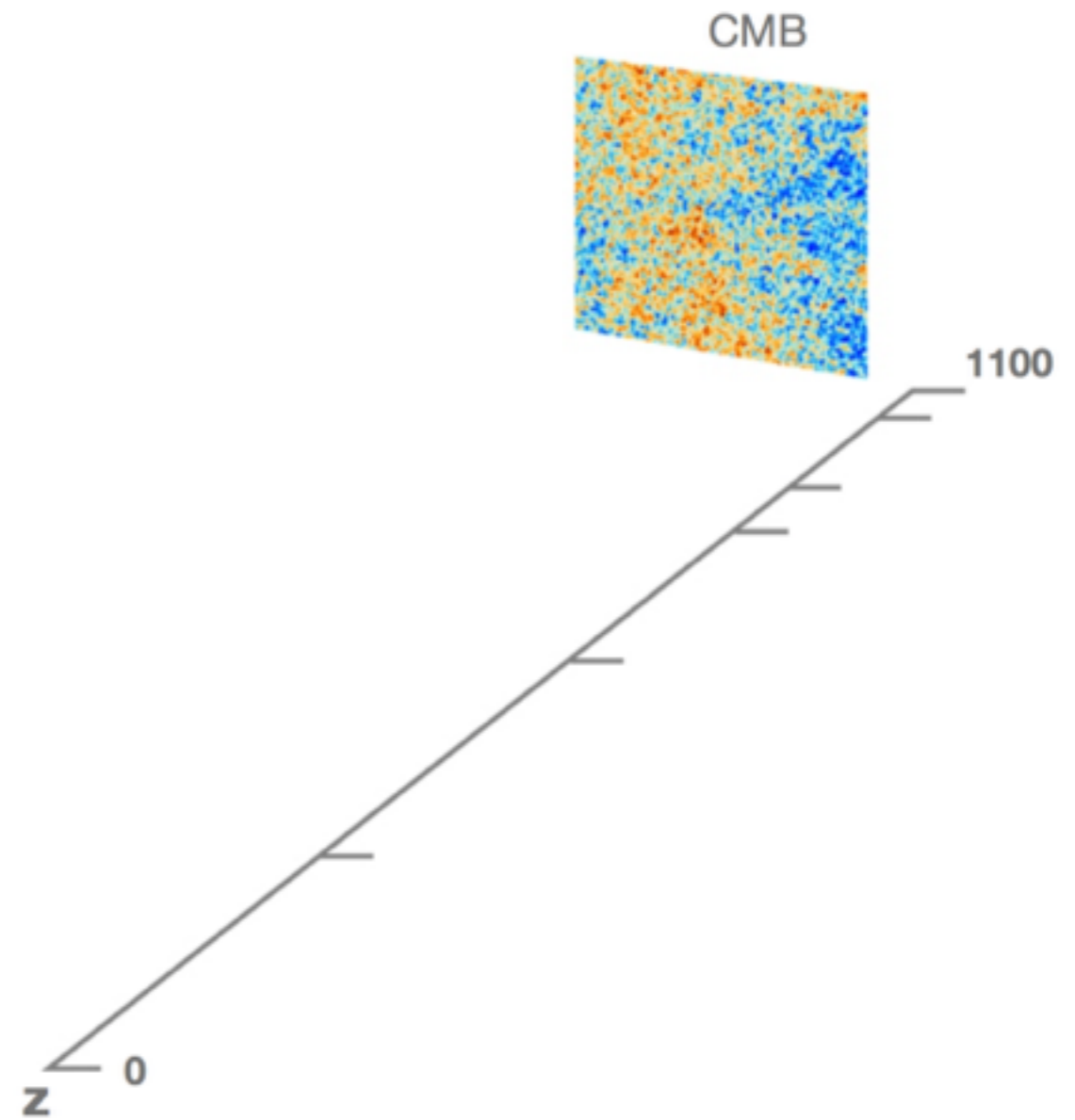
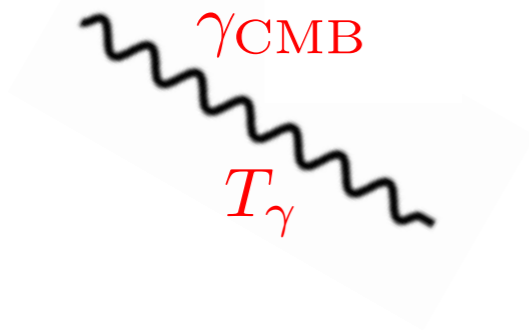
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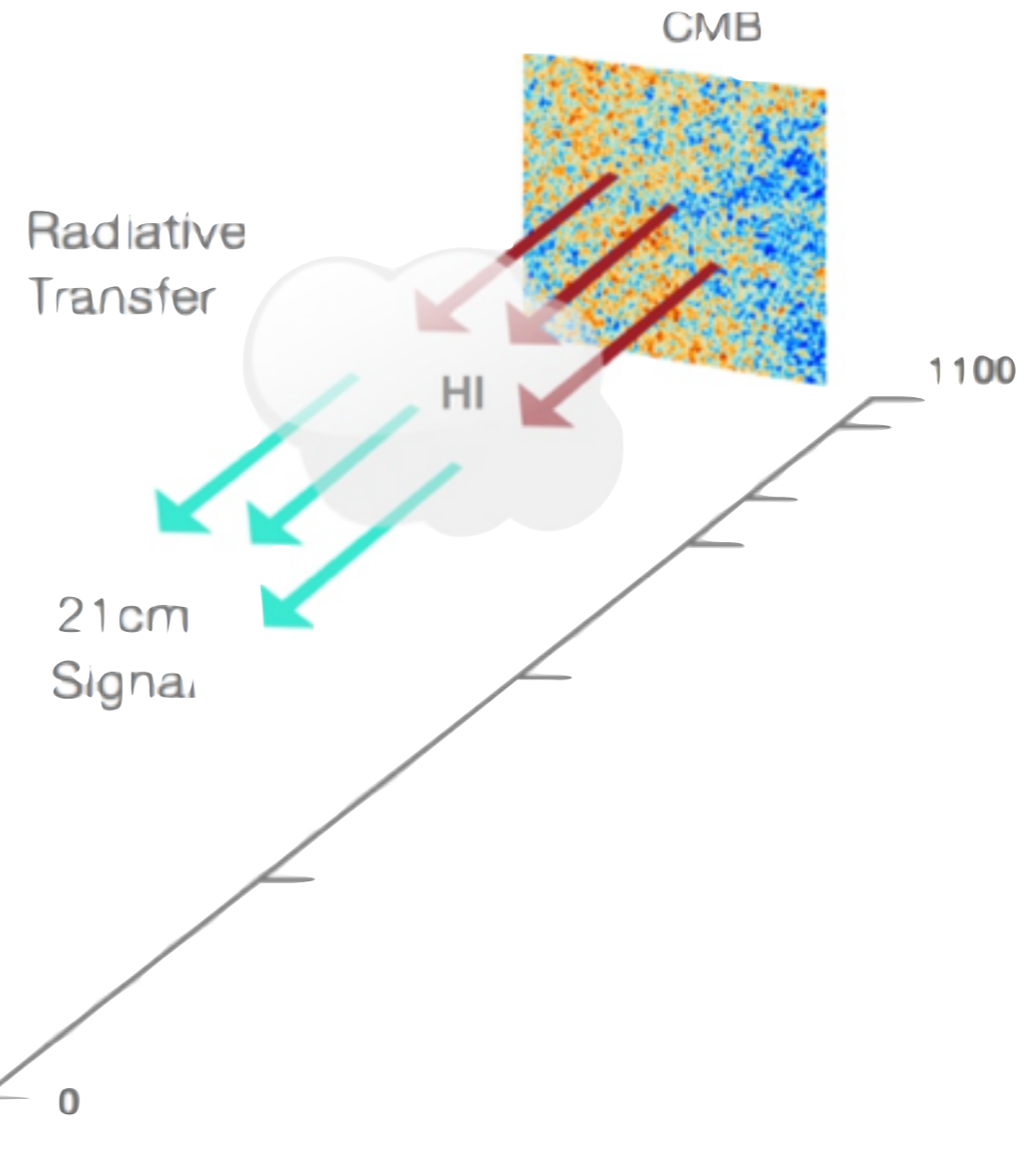
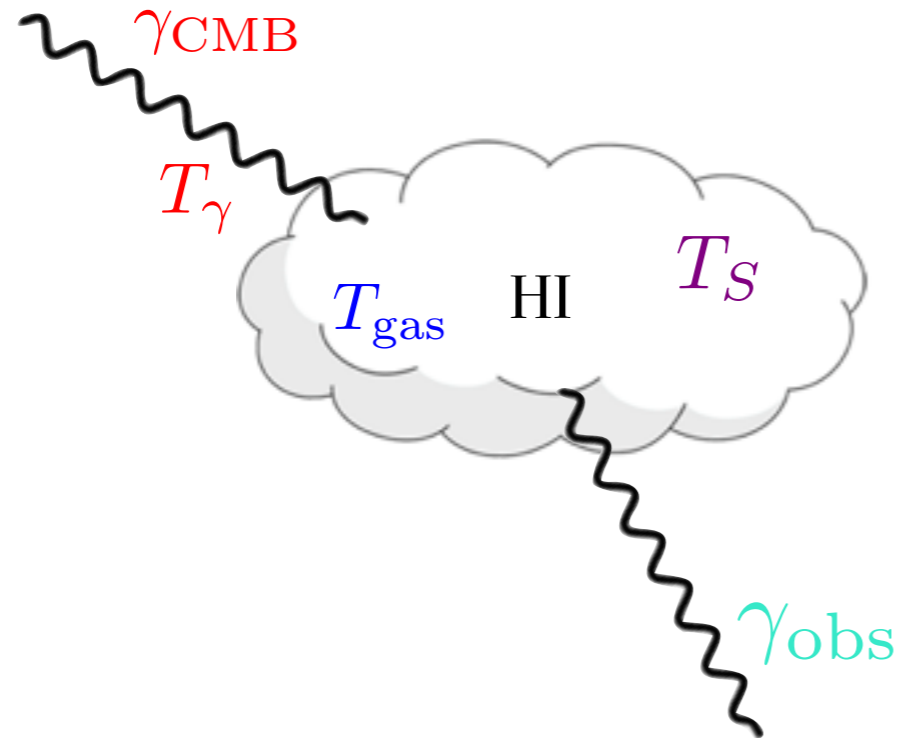
21 CM COSMOLOGY PRIMER

CMB photons



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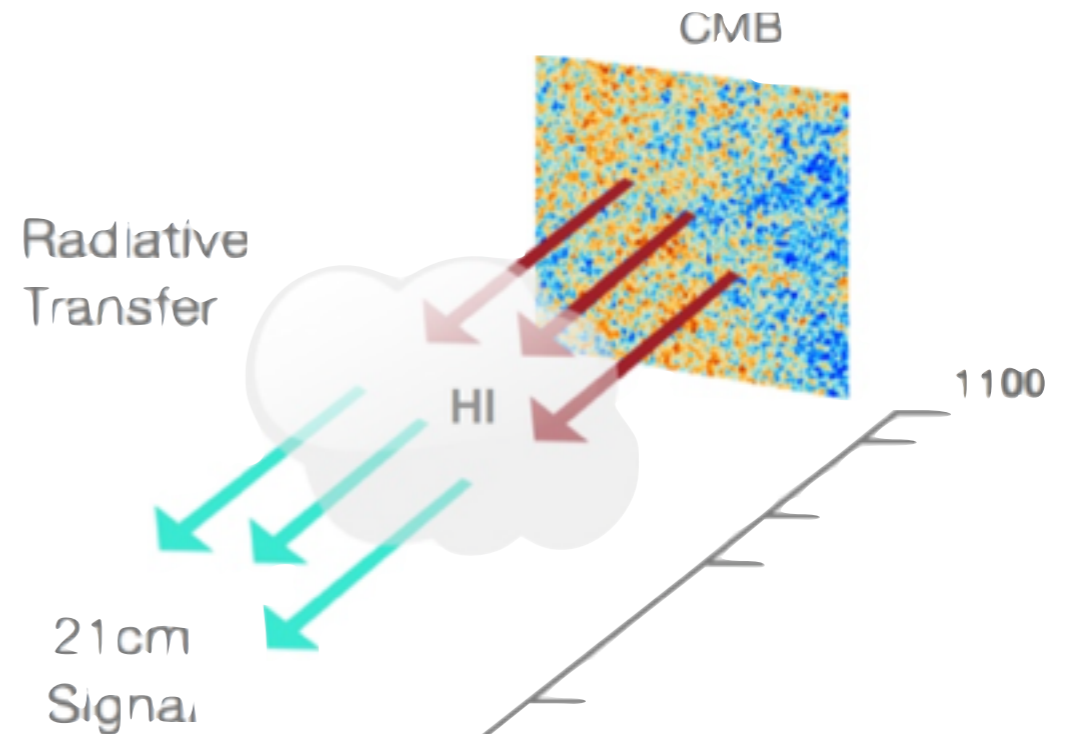
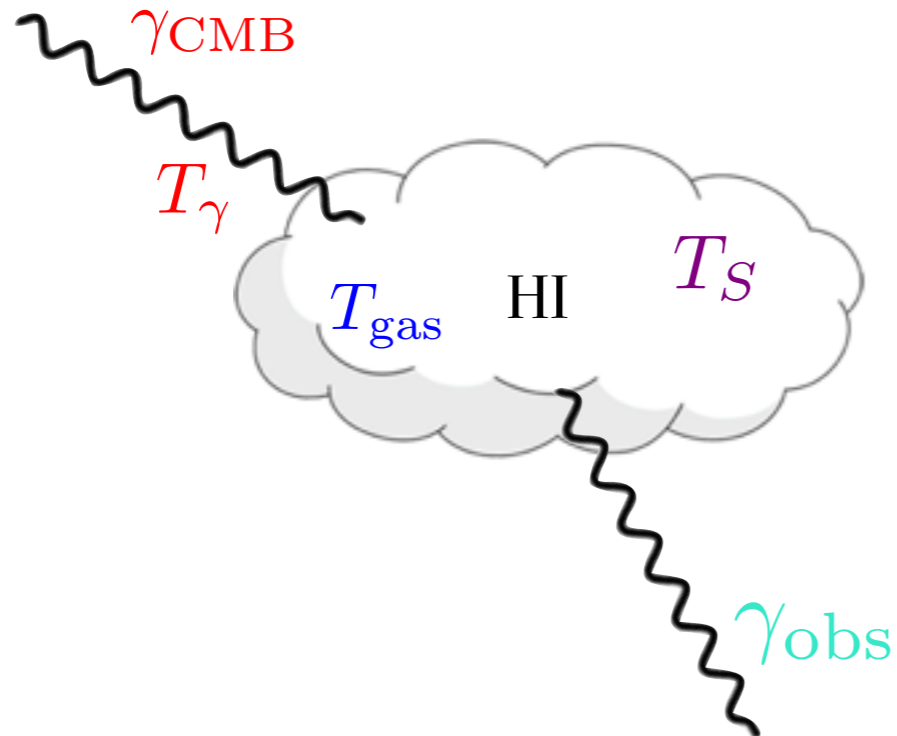
The HI is described by 2 temperatures

T_S ratio of number densities

T_{gas} is just the kinetic energy of the gas

21 CM COSMOLOGY PRIMER

CMB photons



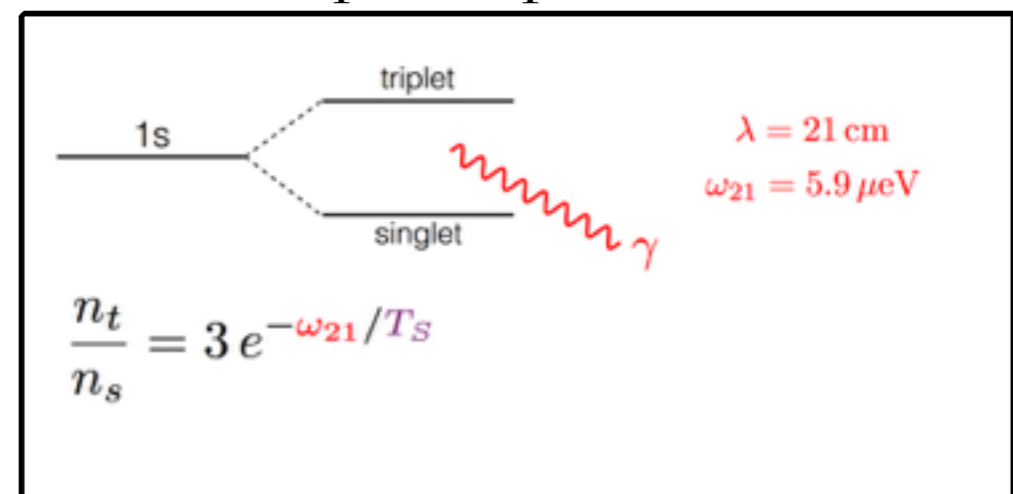
The HI is described by 2 temperatures

T_S ratio of number densities

T_{gas} is just the kinetic energy of the gas

T_{21} is what we see after CMB is subtracted

spin temperature T_S

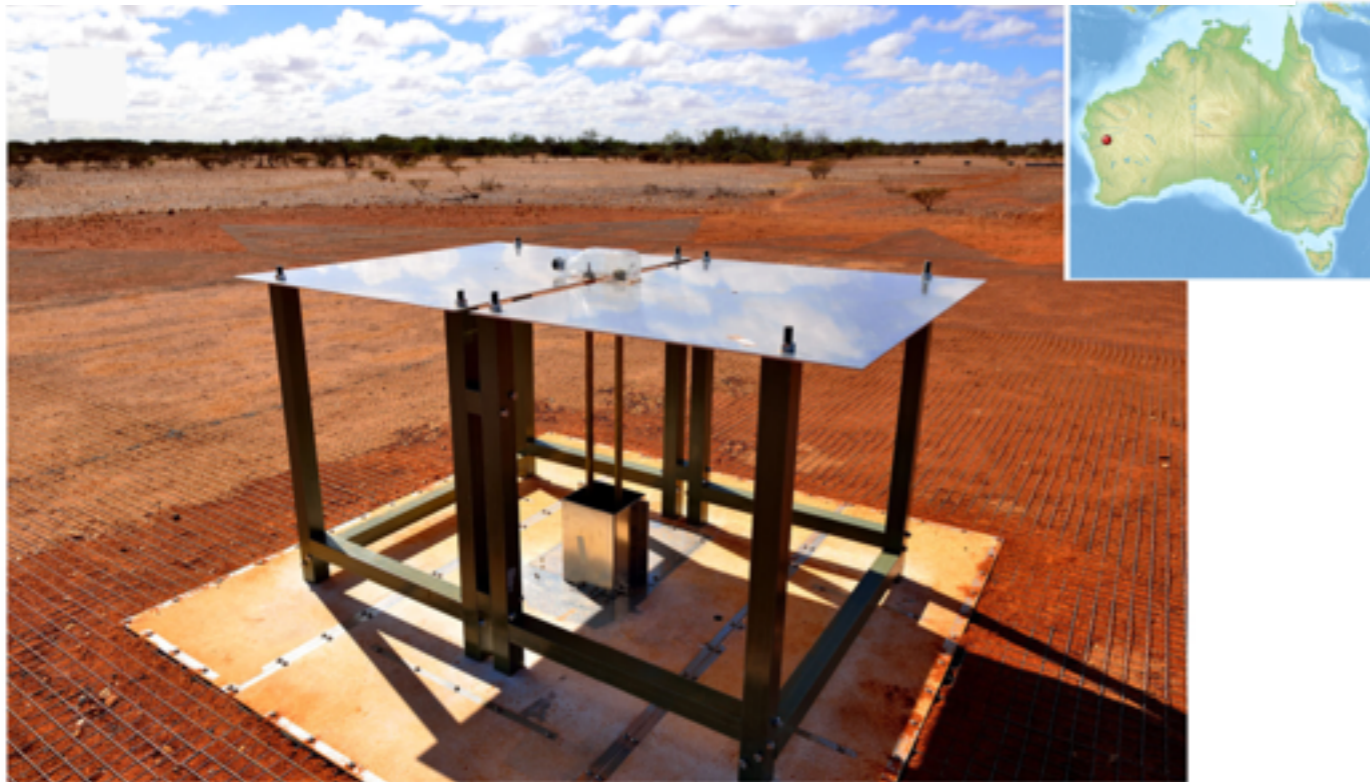


THE FIRST MEASUREMENT ?

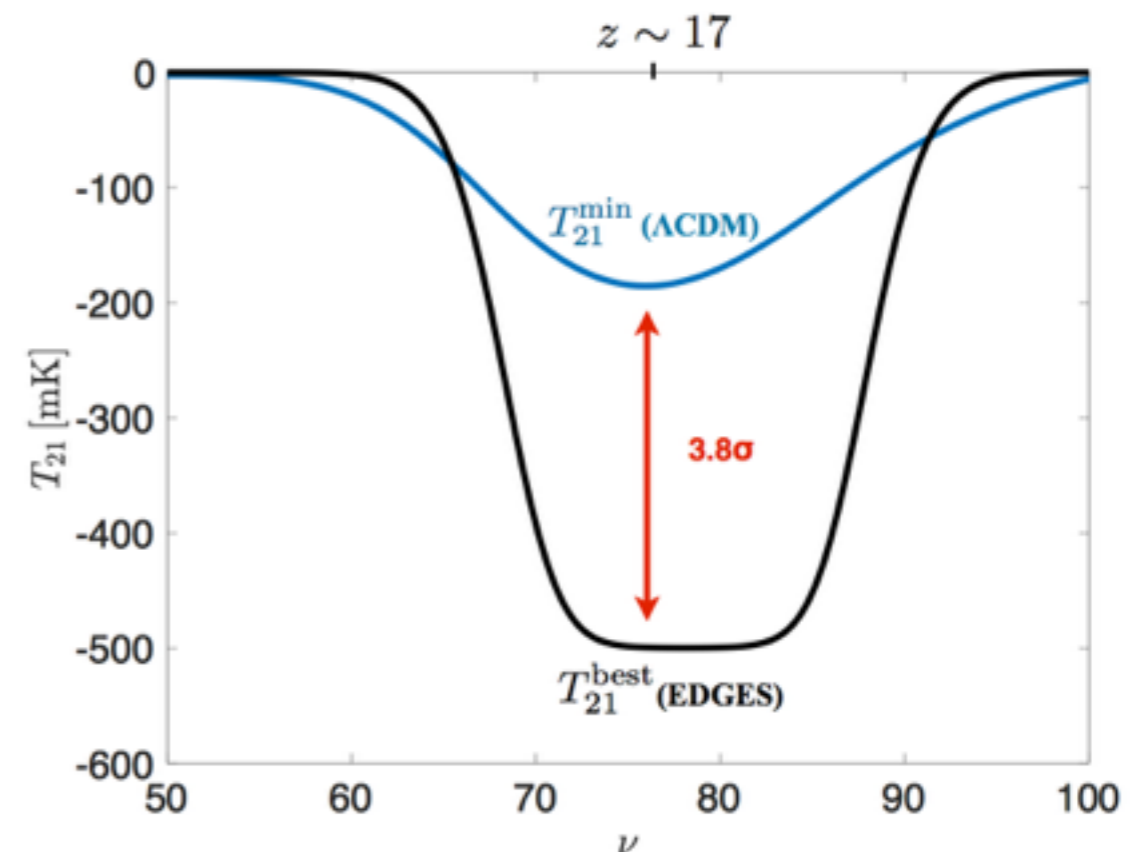
The observed temperature COLDER than the COLDEST prediction from
DM + GRAVITY only

EDGES

Experiment to Detect the Global Epoch of Reionization Signature



$$T_{21} = \frac{1}{1+z} (T_S - T_{\text{CMB}}) (1 - e^{-\tau})$$



A NEW FORCE TO EXPLAIN EDGES

$$* T_S \sim T_{\text{gas}}$$

$$T_{21} = \frac{1}{1+z} (T_S^* - T_{\text{CMB}}) (1 - e^{-\tau})$$

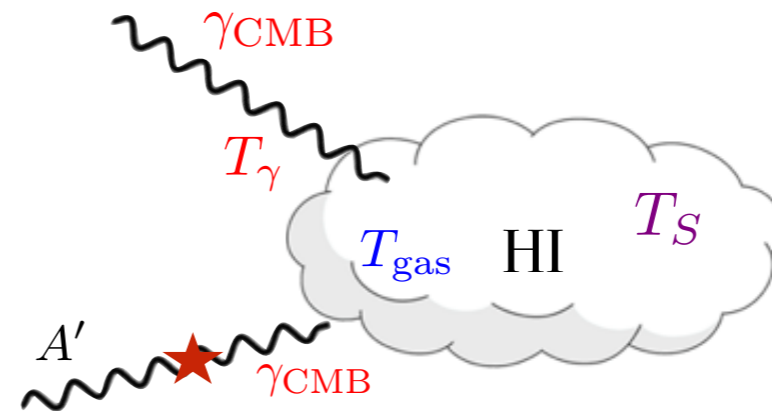
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- Modifying the R.J. tail of the CMB

M. Pospelov, J. Pradler, J. Ruderman, A. Urbano (2018)



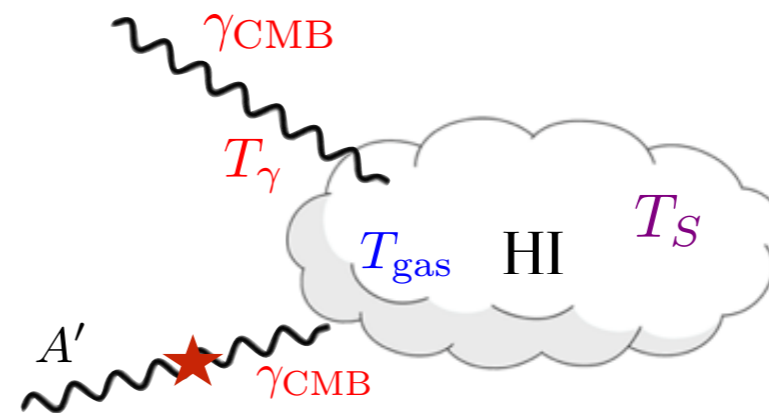
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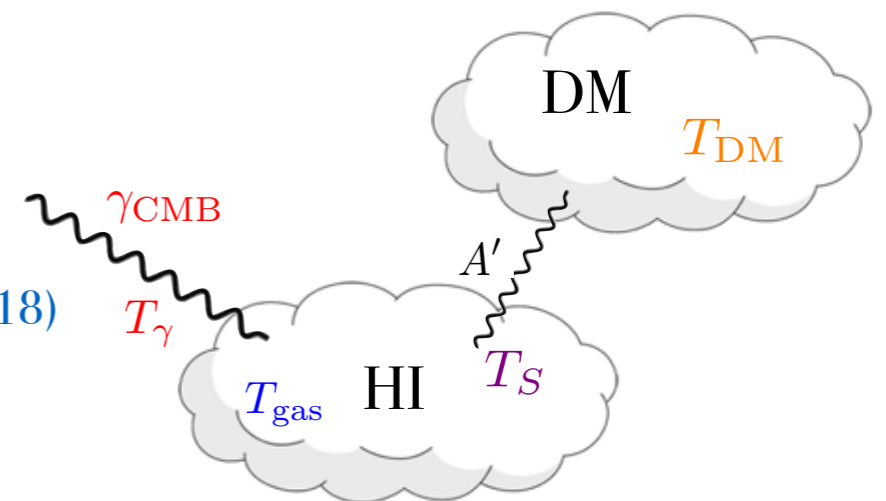


- **Cooling the gas with Dark Matter scattering**

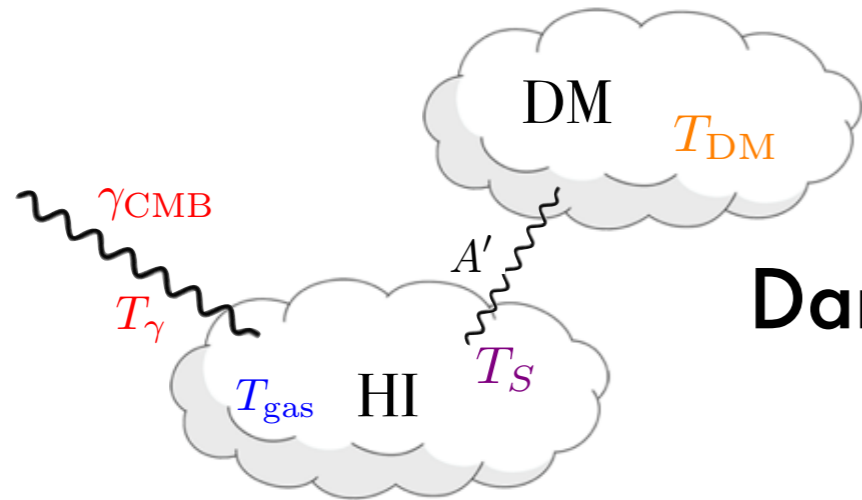
Kadota, Silk, Tashiro, (2014) Ali-Haimoud, Kovetz, Munoz (2015)

Barkana (2018); Loeb, Munoz (2018) Berlin, Hooper, Krnjaic, McDermott (2018)

Barkana, Outmezguine, D.R., Volonky, (2018) Liu, Slatyer, (2018).....



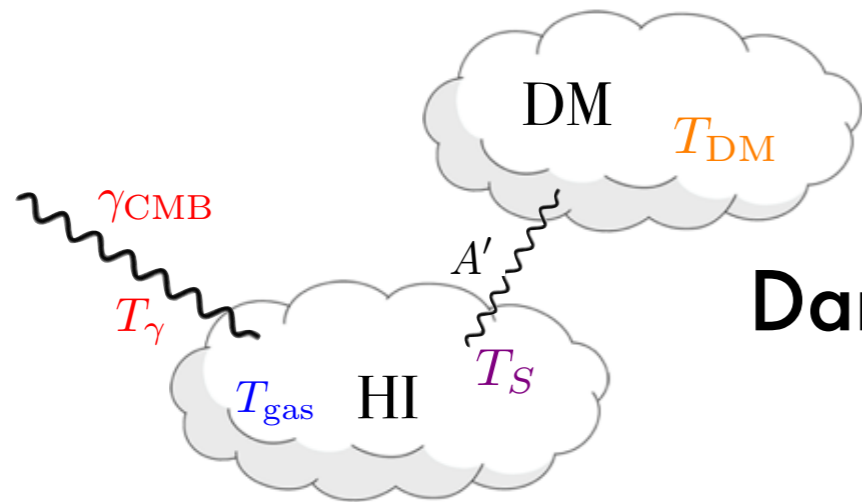
A NEW FORCE TO EXPLAIN EDGES



$$T_{\text{DM}} \ll T_{\text{gas}}$$

Dark Cooling induced by new forces between
Dark Matter and baryons

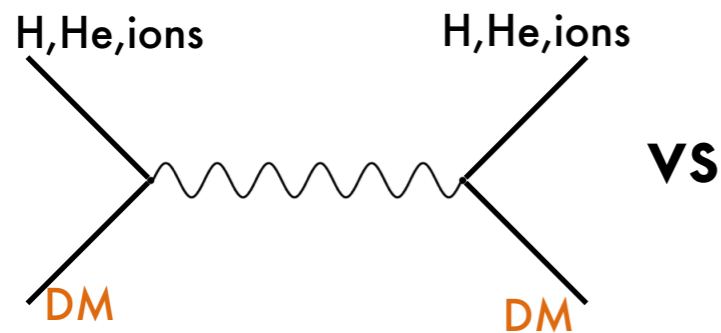
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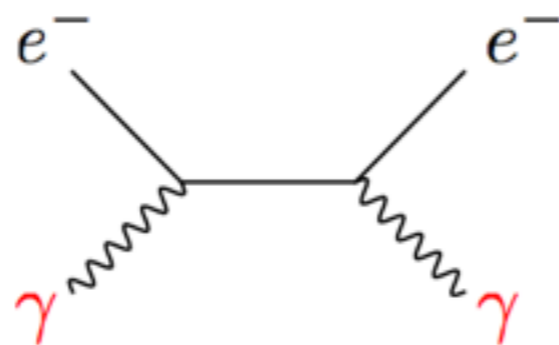
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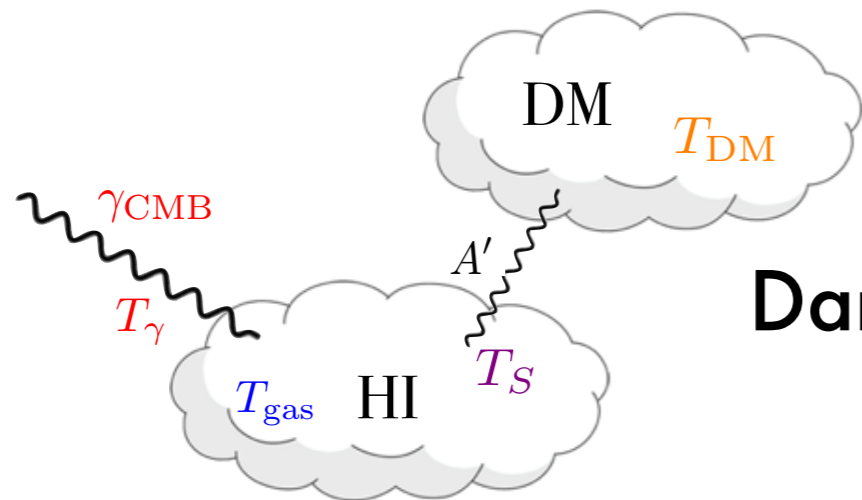
- DM cooling rate vs Compton rate \longrightarrow large cross section



vs



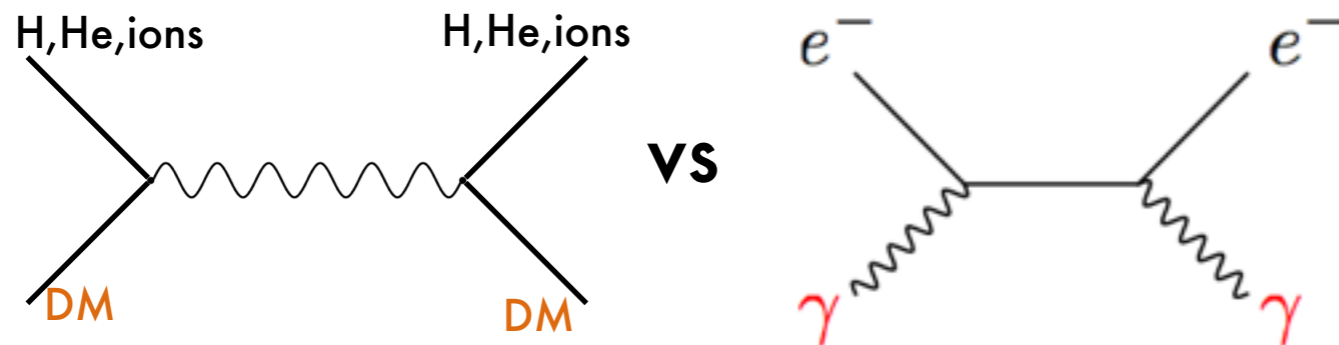
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Dark Cooling induced by new forces between Dark Matter and baryons

- DM cooling rate vs Compton rate \longrightarrow large cross section



- cooling needs to overcome heating \longrightarrow DM lighter than HI

LONG RANGE FORCE TO EXPLAIN EDGES

DM cooling rate needs to overcome Compton rate

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cross section excluded by CMB unless $\sigma_{\text{cosmic-dawn}} \gg \sigma_{\text{CMB}}$

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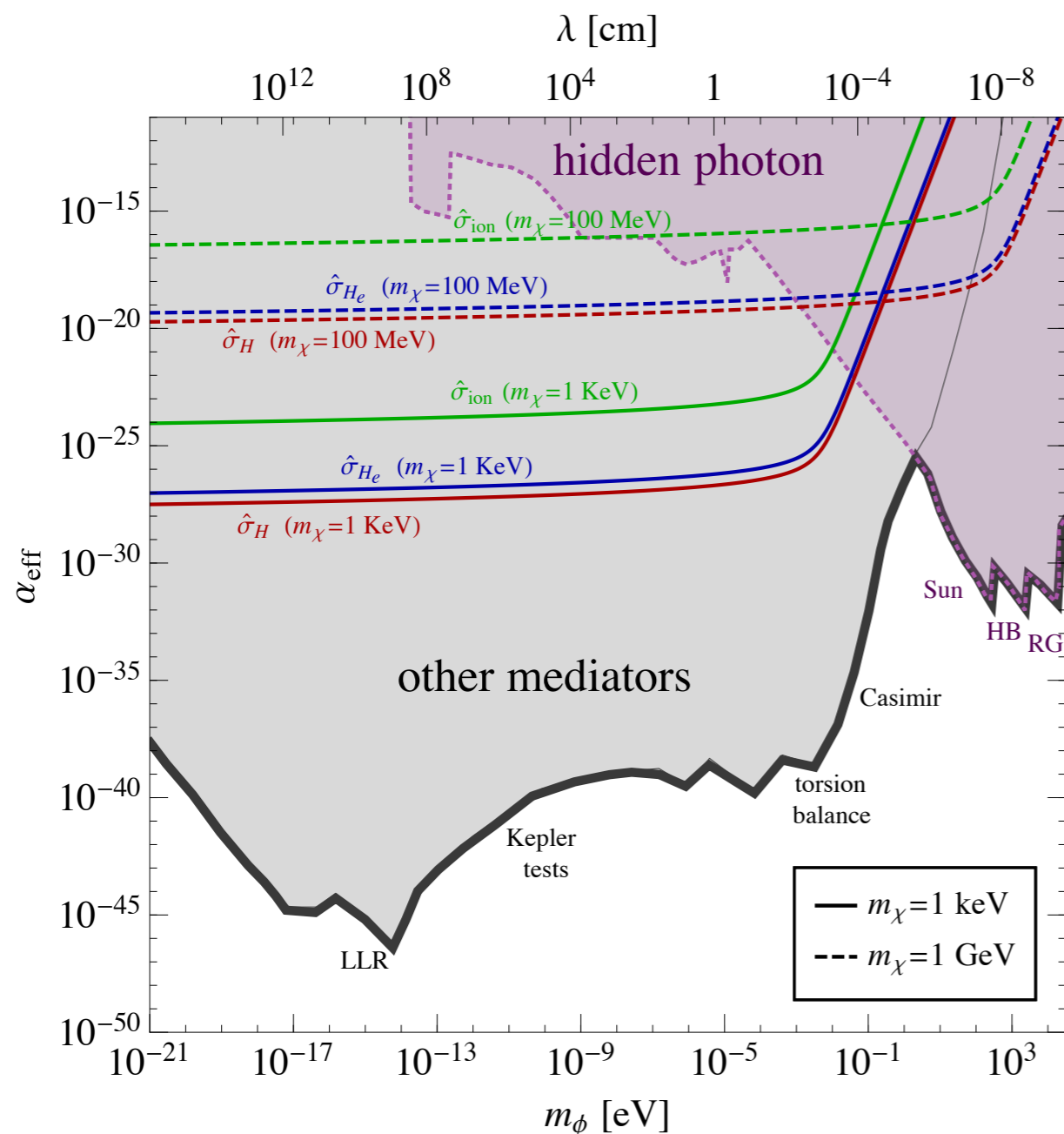


light mediator: $m_X \lesssim \mu_I v_{\text{rel}} \simeq 1 \text{ KeV} \cdot \frac{\mu_I}{\text{GeV}}$

DM lighter than HI

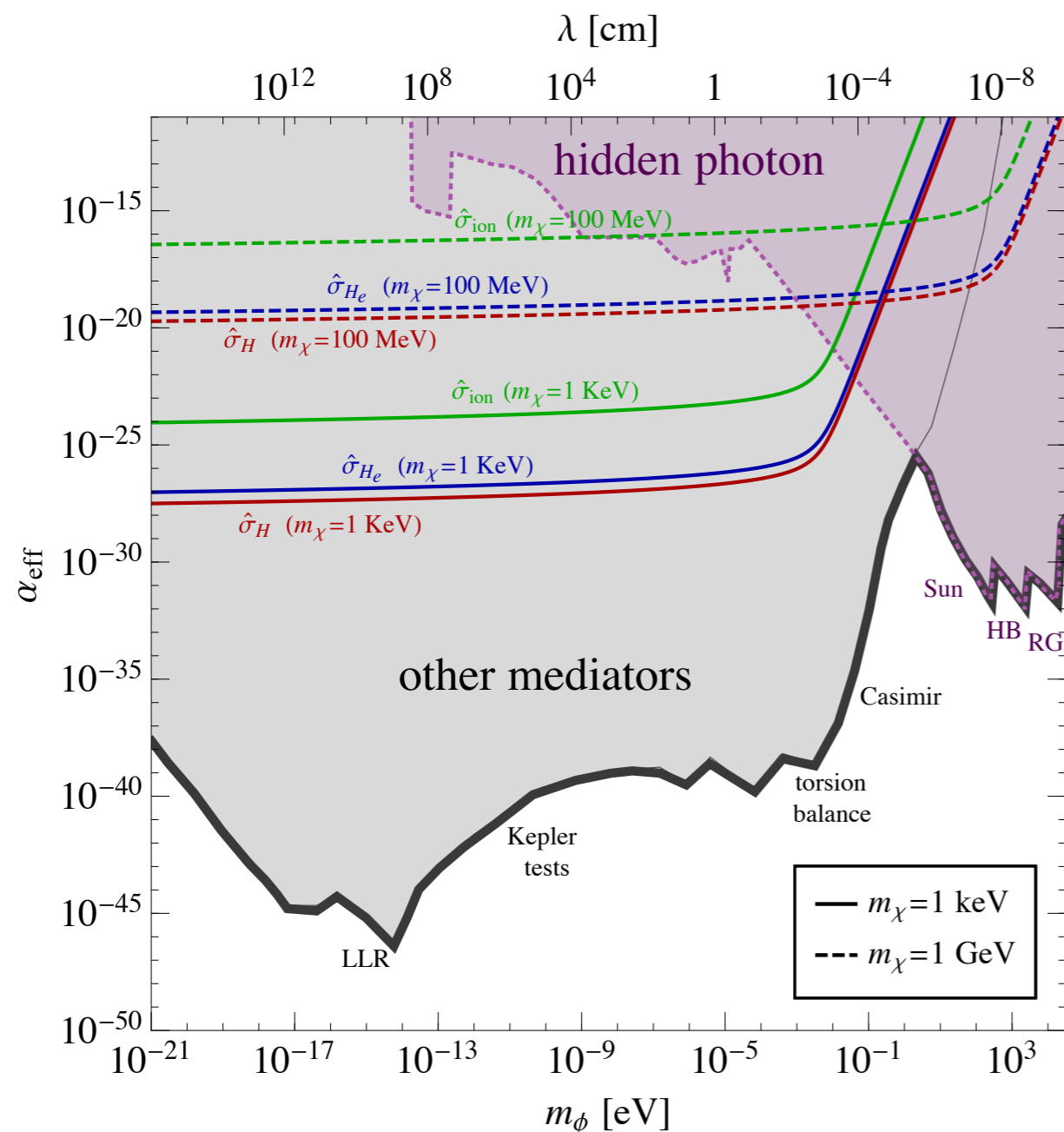
TYPE OF FORCES ALLOWED

Long range interactions with hydrogen or helium are excluded!



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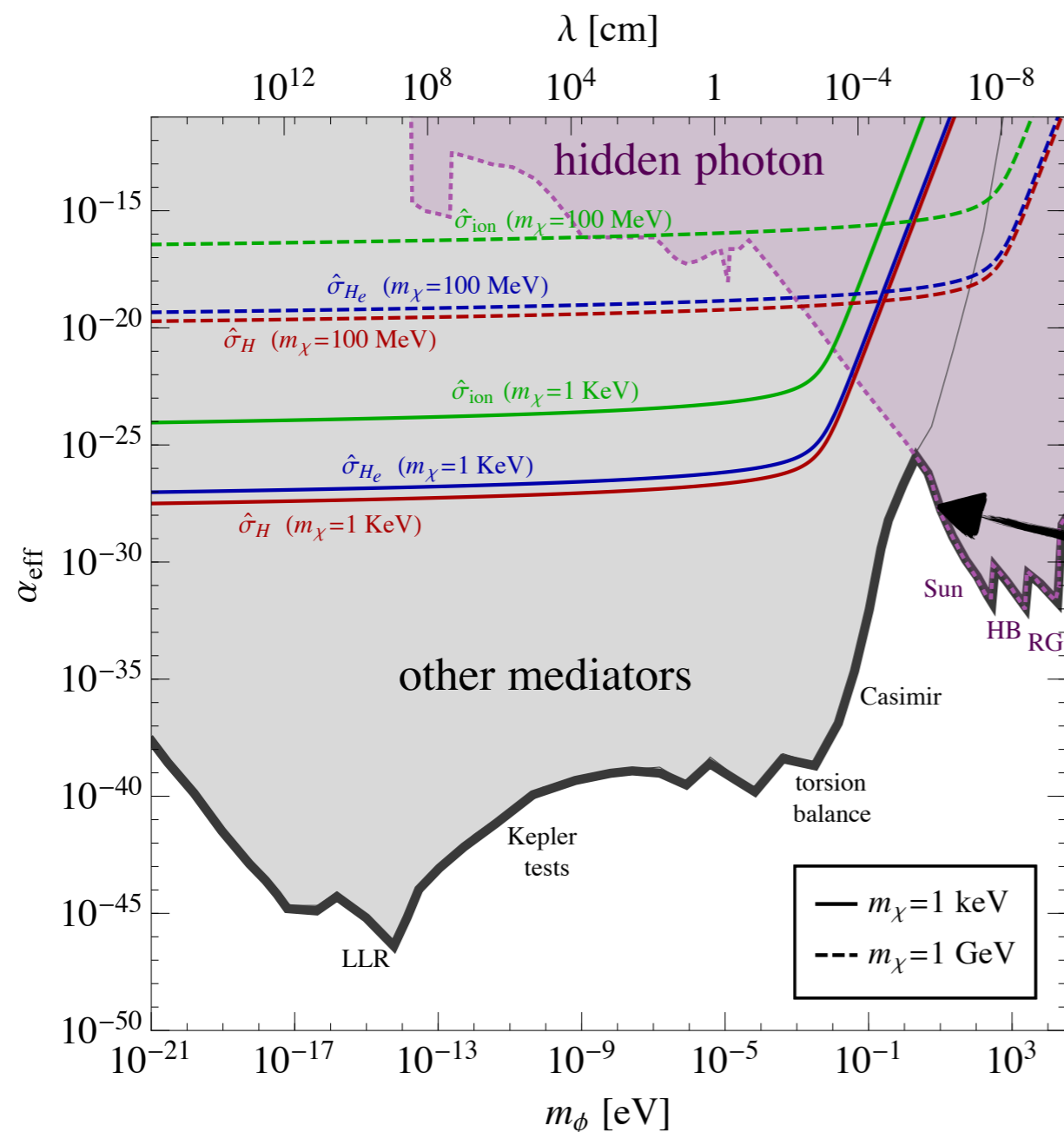
The (dark photon) is special

$$\mathcal{L} = \frac{1}{4} F'_{\alpha\beta} F'^{\alpha\beta} + \frac{m_{A'}^2}{2} A'_\alpha A'^\alpha + \frac{\epsilon}{2} F_{\alpha\beta} F'^{\alpha\beta}$$

$$\alpha_{\text{eff}} = \epsilon^2 \alpha_{\text{em}}$$

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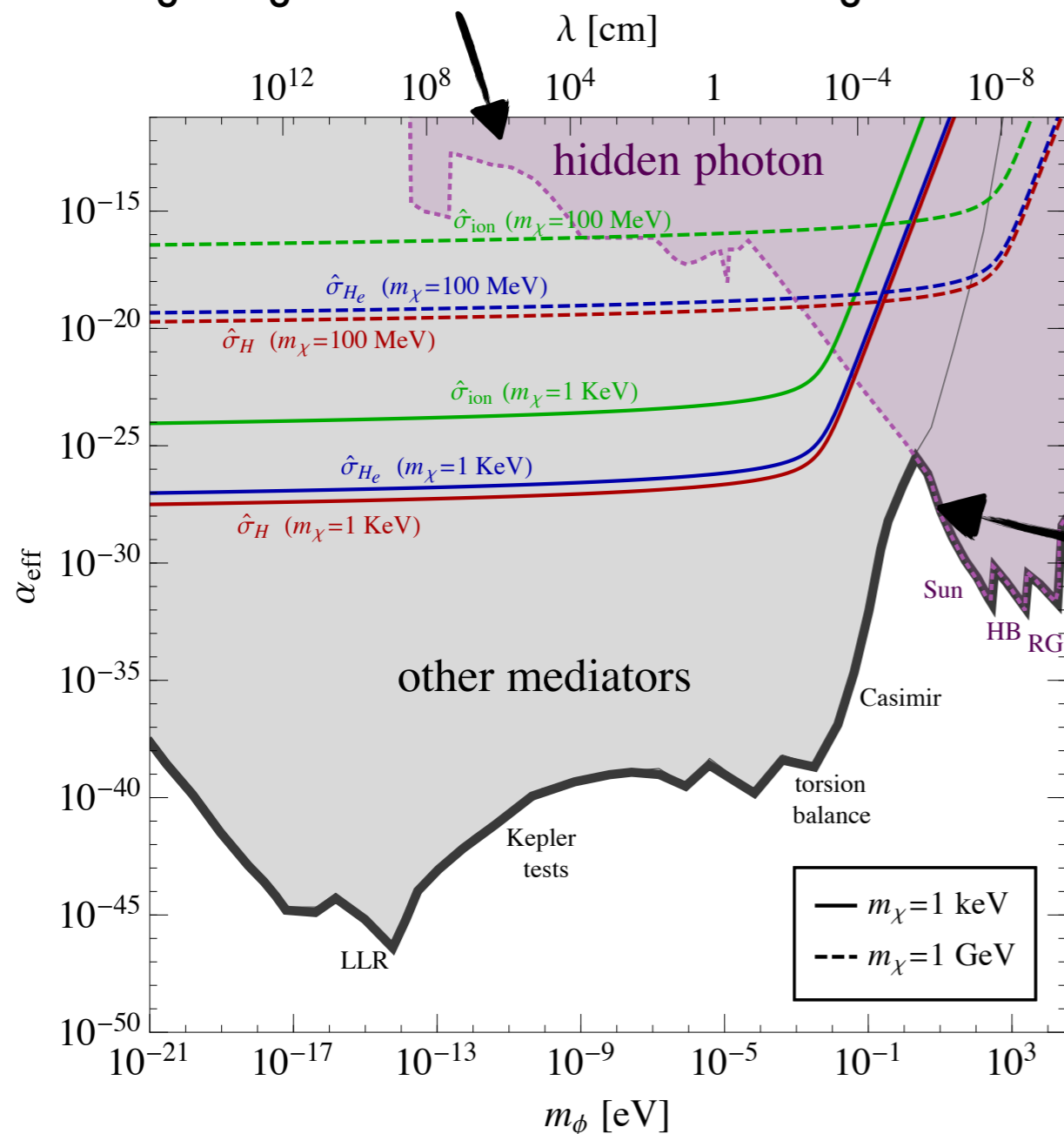
on-shell production of dark photon is suppressed

$$\sim \frac{m_{A'}^2}{T_{\text{star}}^2}$$

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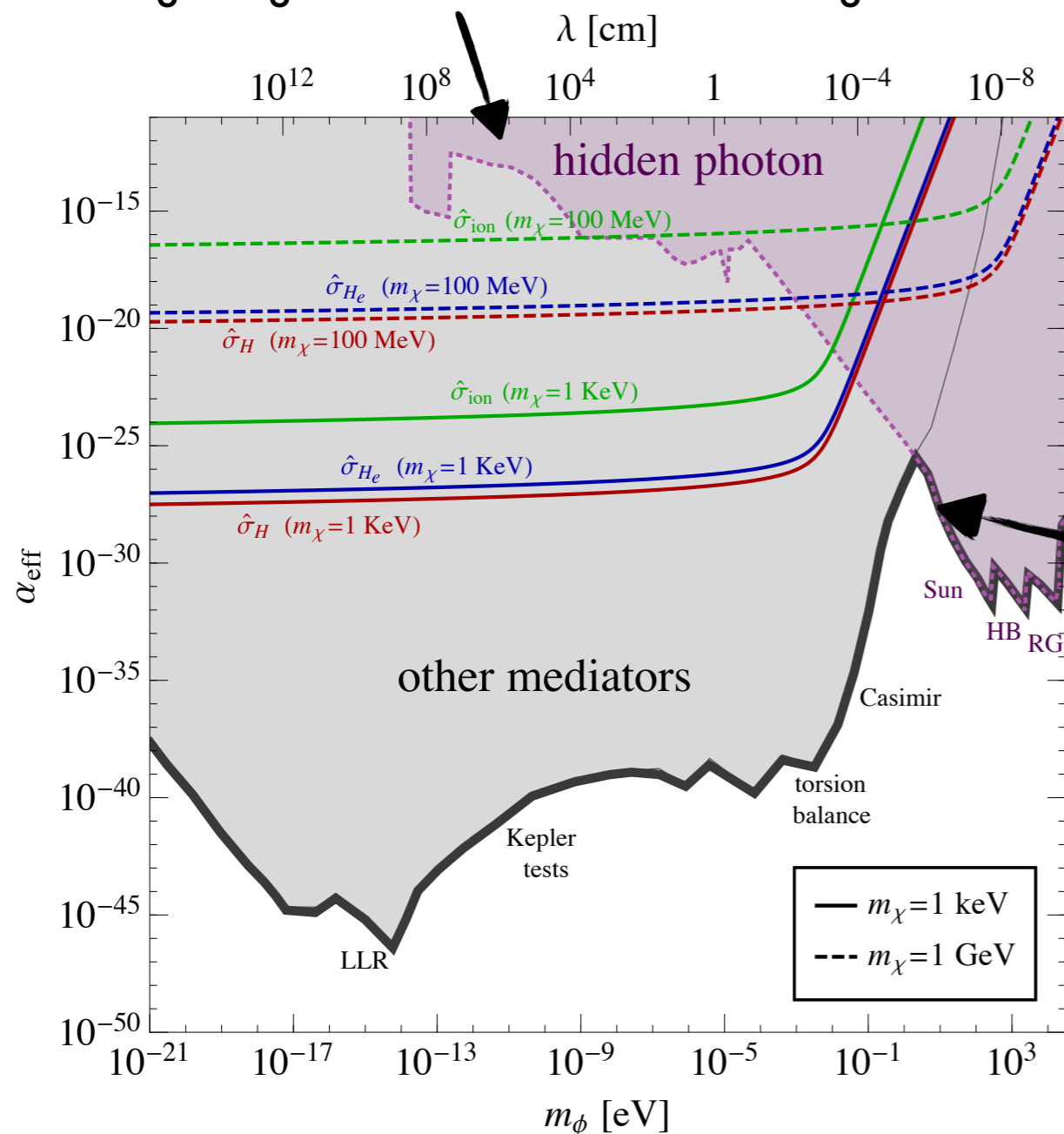
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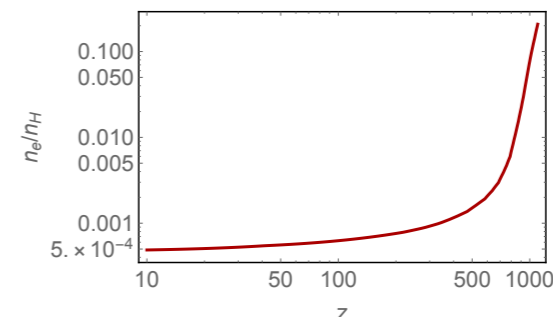
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$$\sim \frac{m_{A'}^2}{T_{\text{star}}^2}$$

$1/v^4$ with the ionized fraction only



MILLICHARGE DARK MATTER

As far as DM-baryon scattering is concerned
we can directly couple the DM to the photon by giving it a small EM charge

$$\mathcal{L} = Qe\gamma_\alpha J_{DM}^\alpha$$

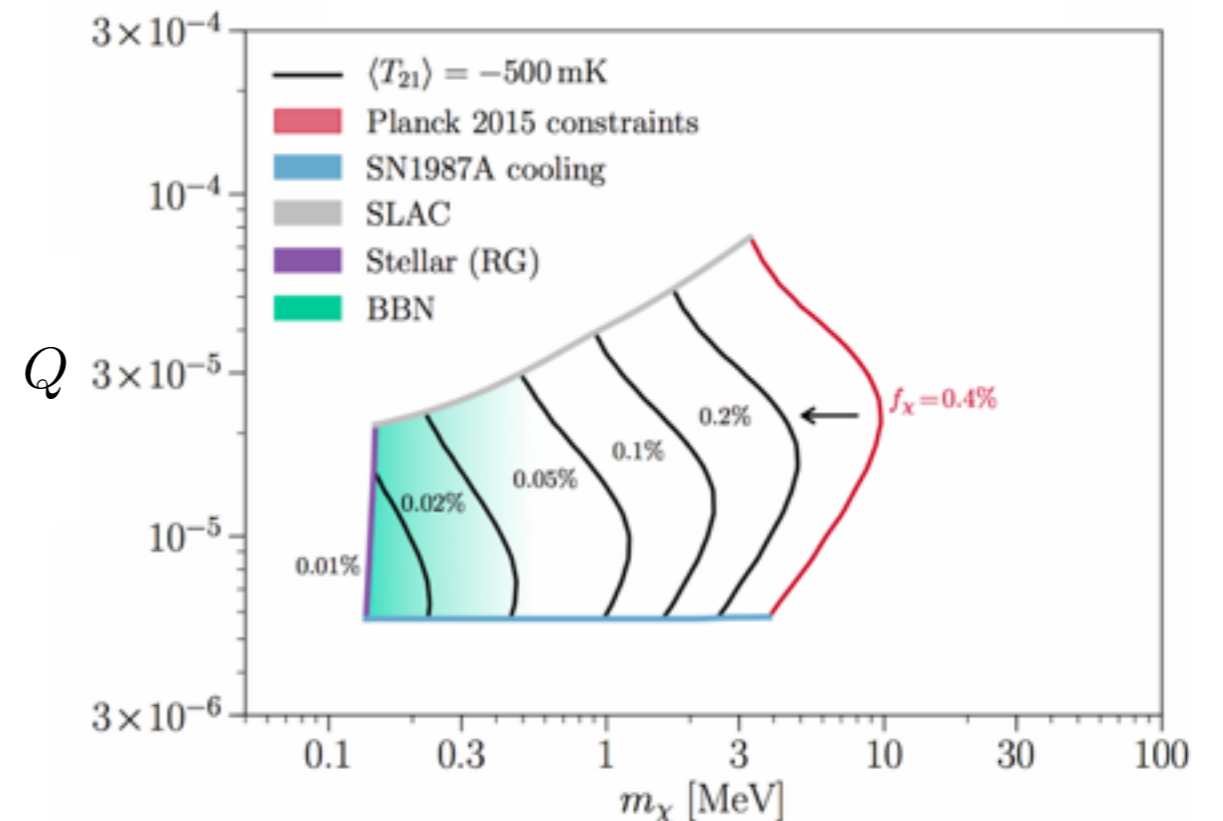
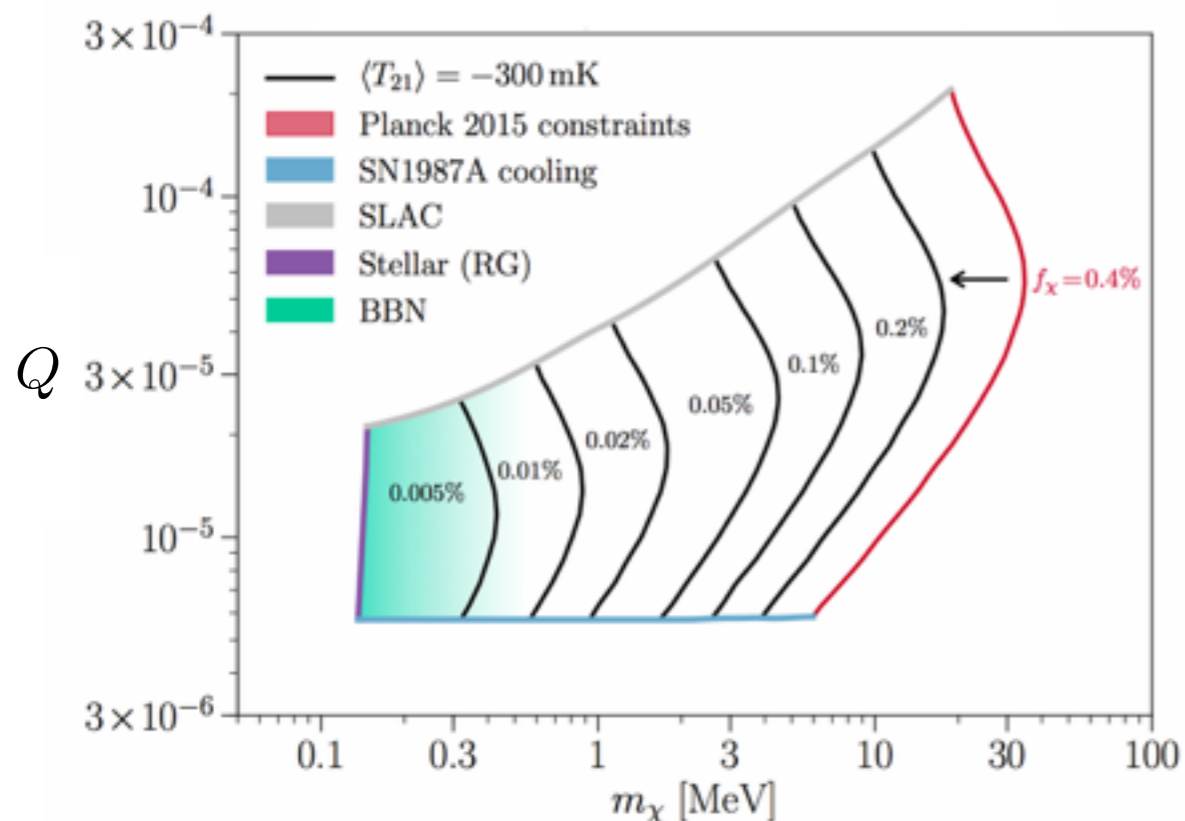
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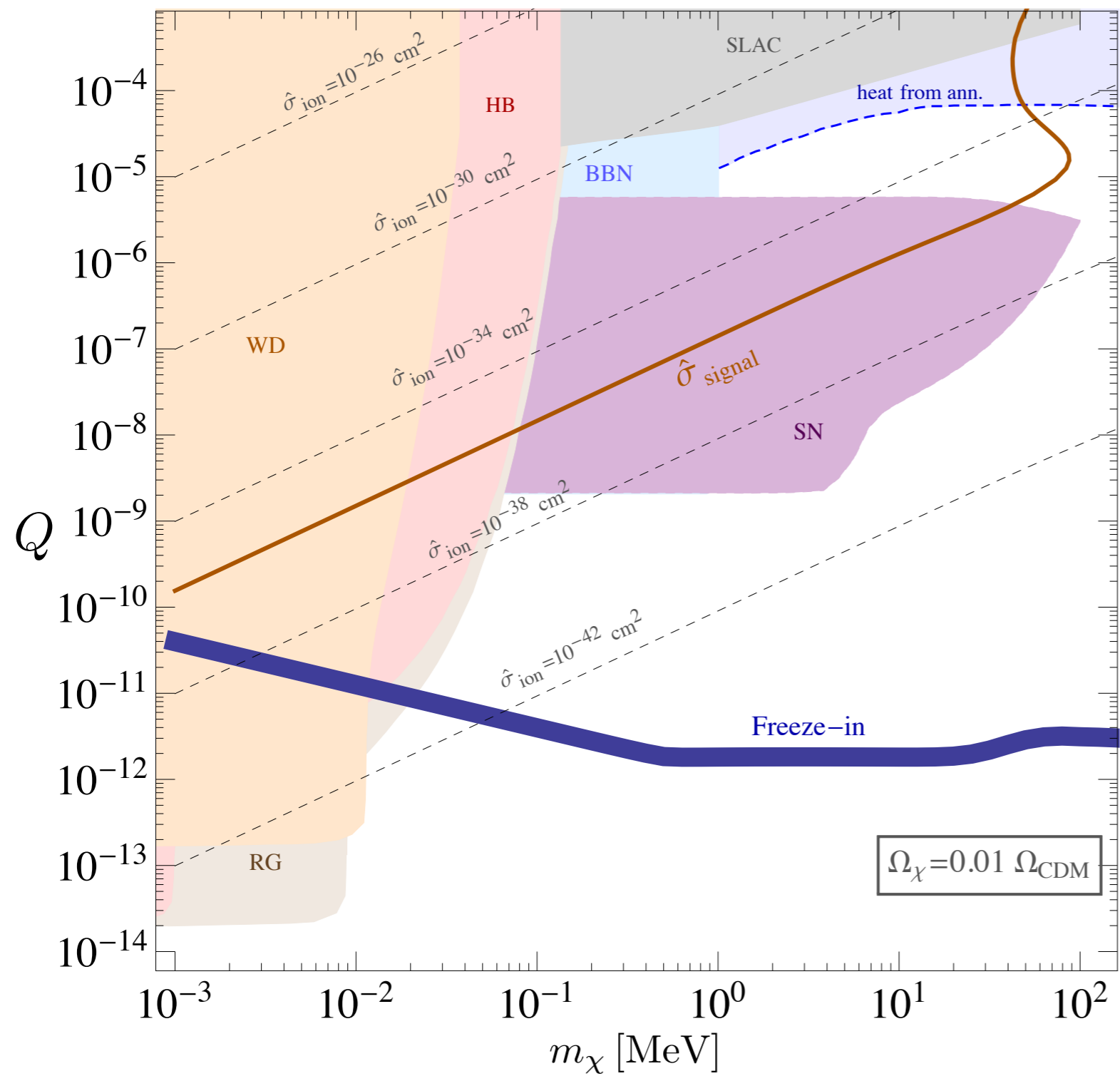
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A fraction of “millicharge” DM is a viable explanation for EDGES

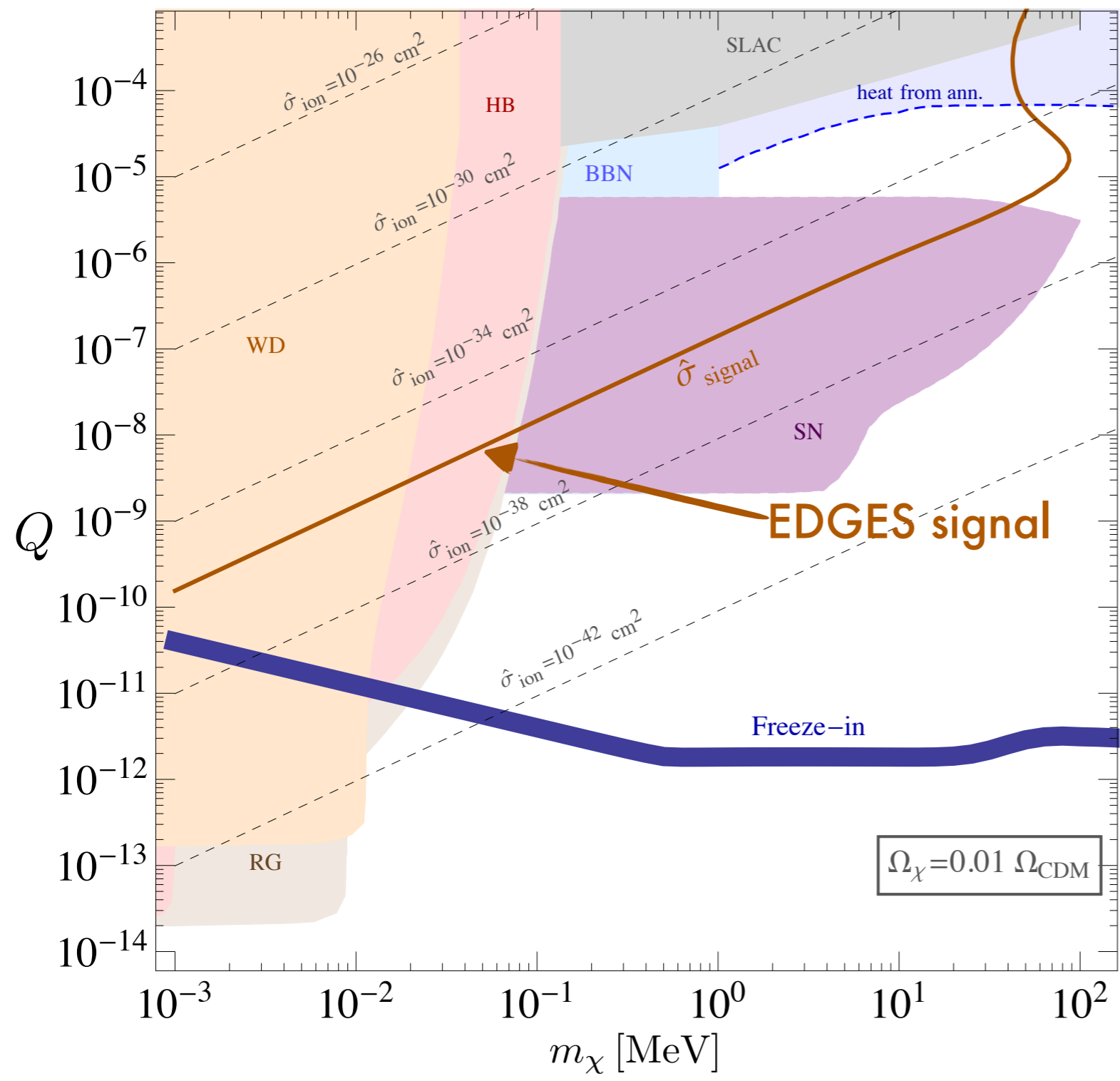
Kovetz, Poulin, Gluscevic, Boddy, Barkana and Kamionkowski (2018)



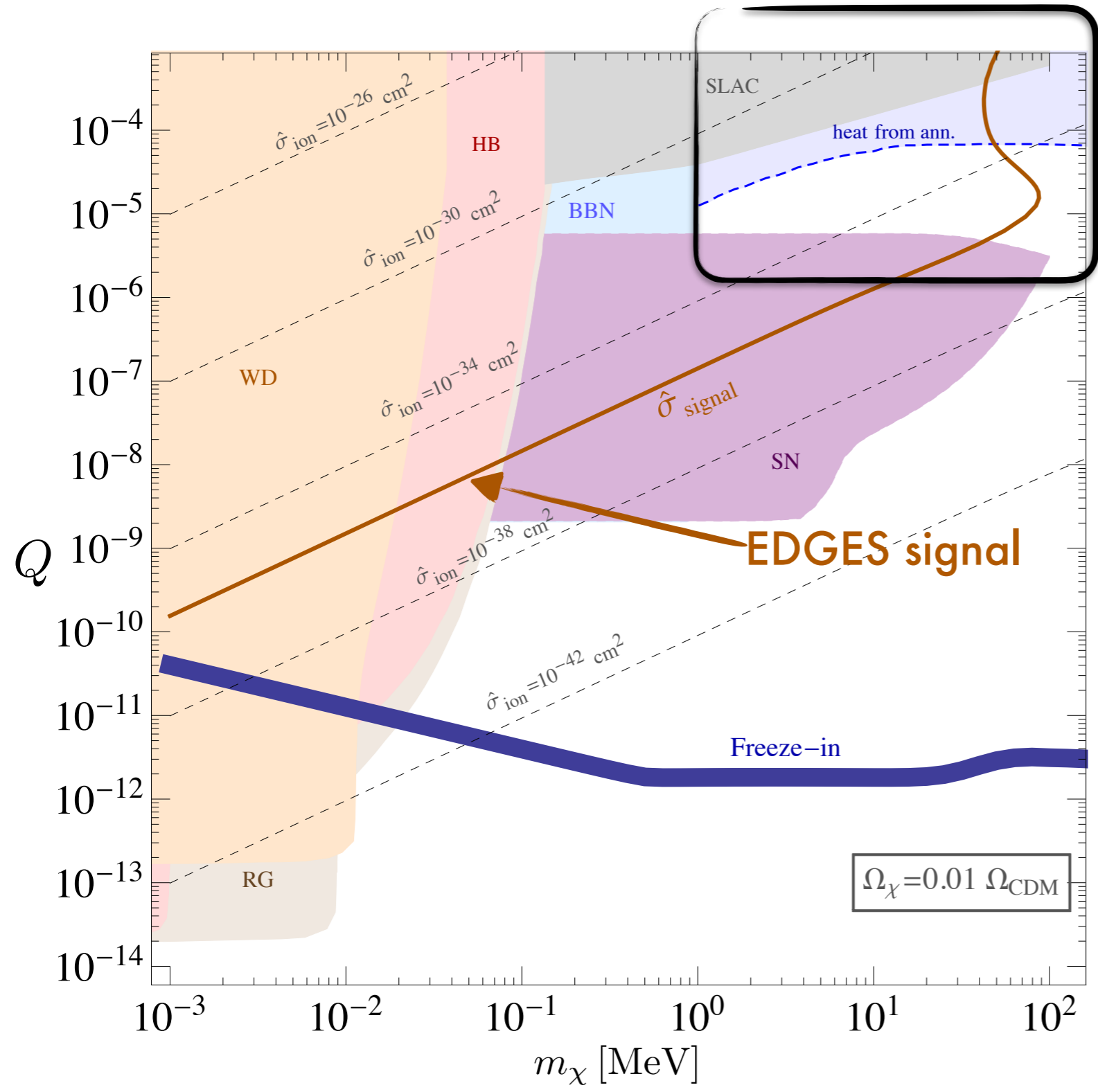
EDGES VS DIRECT DETECTION



EDGES VS DIRECT DETECTION

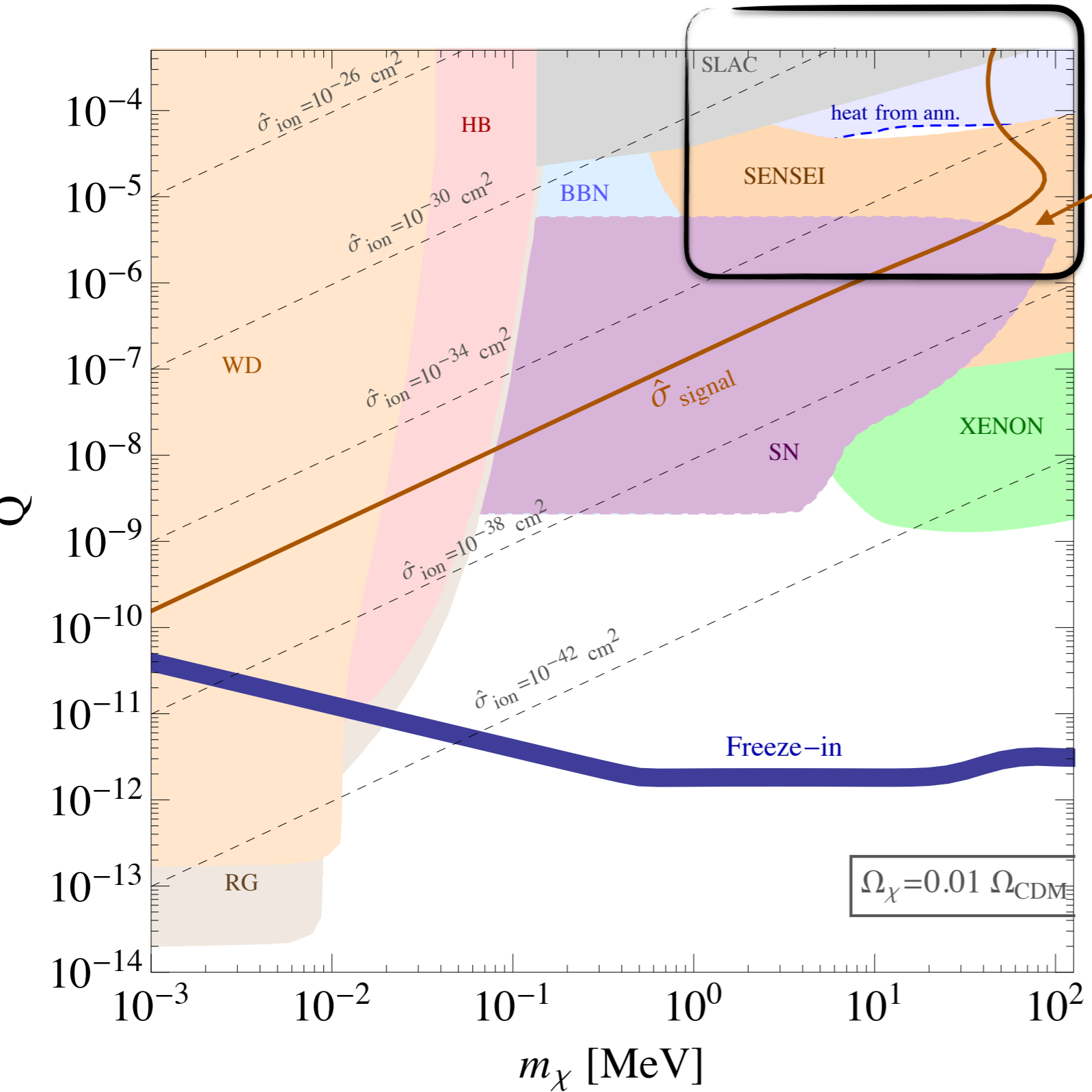


EDGES VS DIRECT DETECTION



CAN WE TEST THE ALLOWED REGION in direct detection experiments?

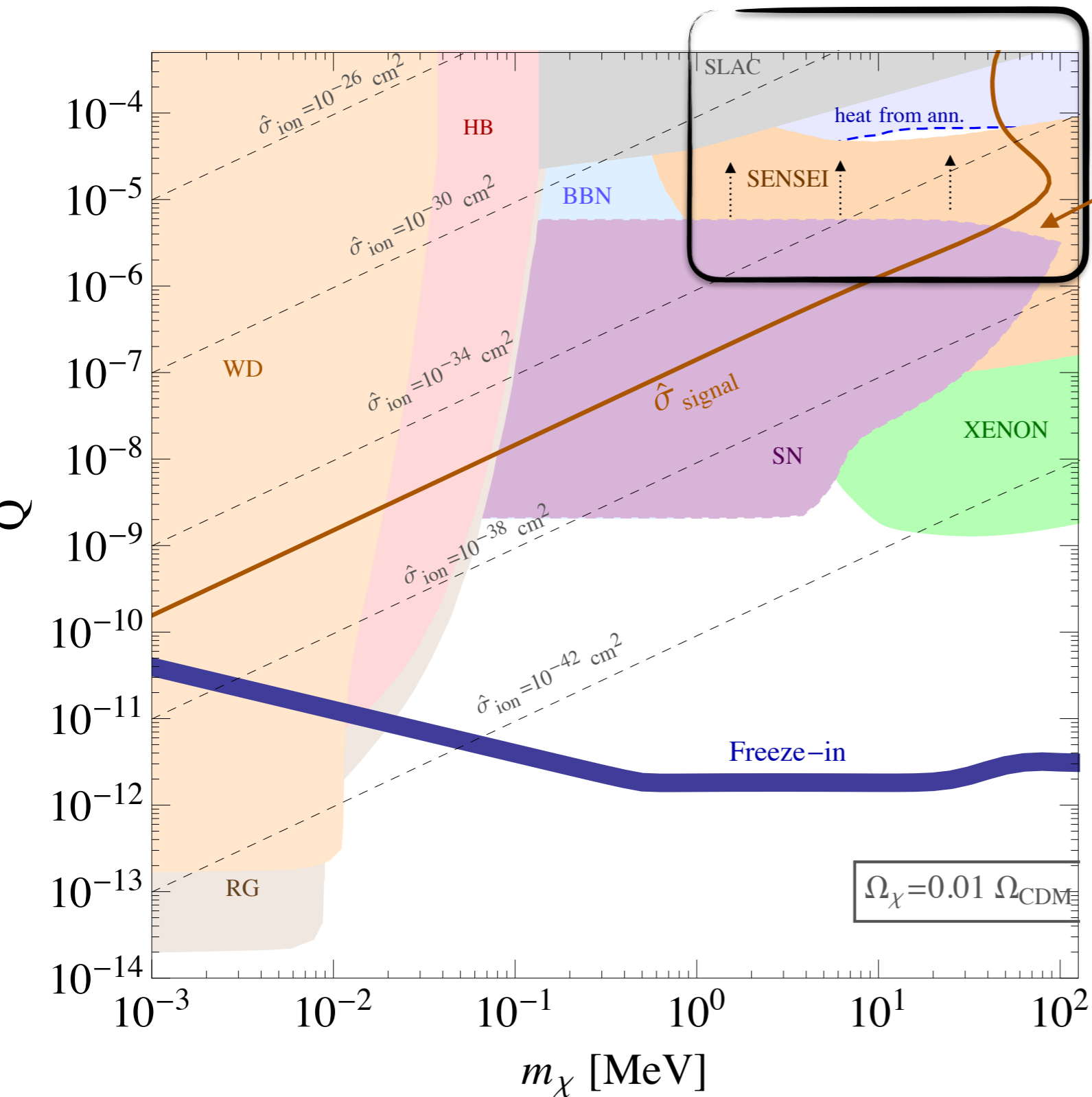
EDGES VS DIRECT DETECTION



Surface run SENSEI with 1 gram
 the bound stops at high Q because
 of terrestrial effects

Emken, R.Essig, C. Kouvaris, Sholapurkar (2018)

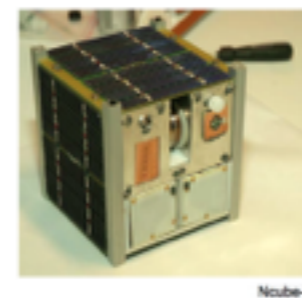
EDGES VS DIRECT DETECTION



Surface run SENSEI with 1 gram

the bound stops at high Q because of terrestrial effects

Emken, R.Essig, C. Kouvaris, Sholapurkar (2018)



SENSEI on a satellite?

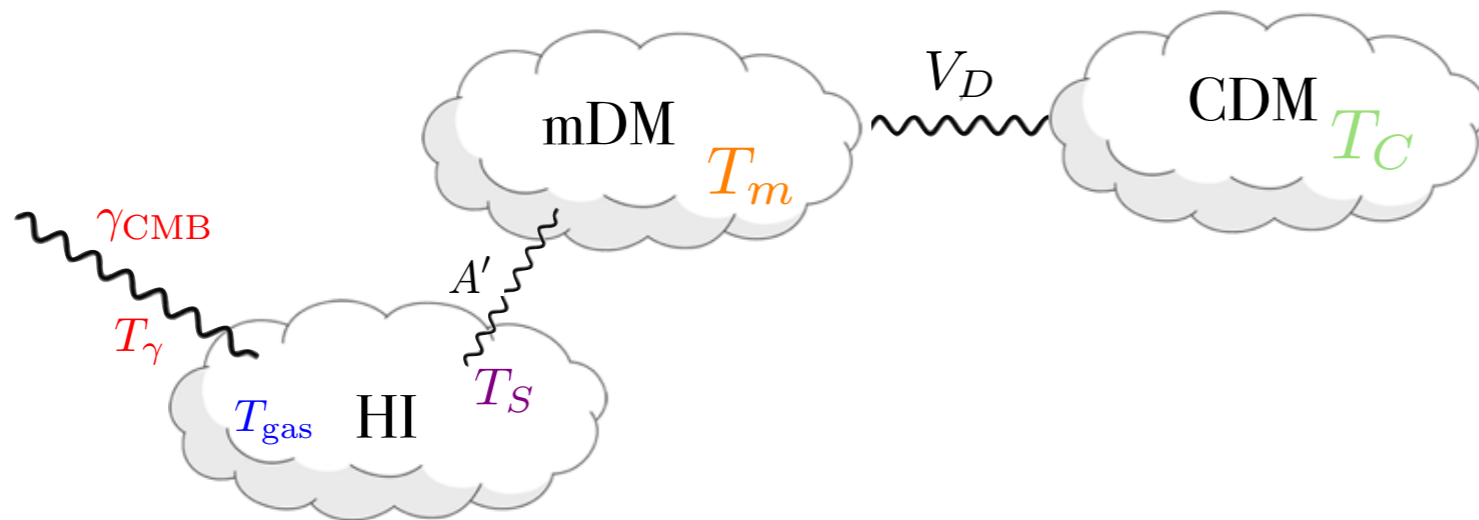


Is millicharge DM accelerated like cosmic rays?

Chang, Essig, D.R., Outmezguine, Volansky (to appear)

A NEW REFRIGERATOR AT 21 CM

Liu, Outmezguine, D.R., Volansky, (2019)

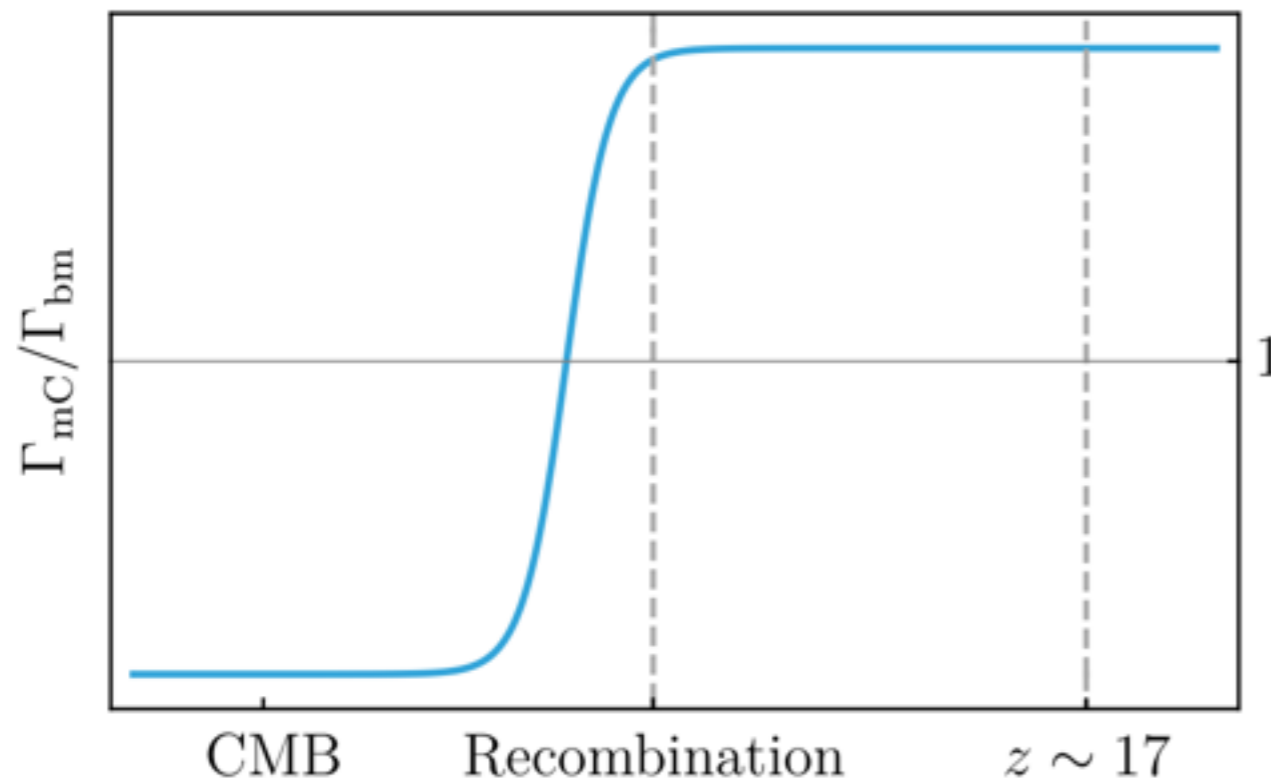
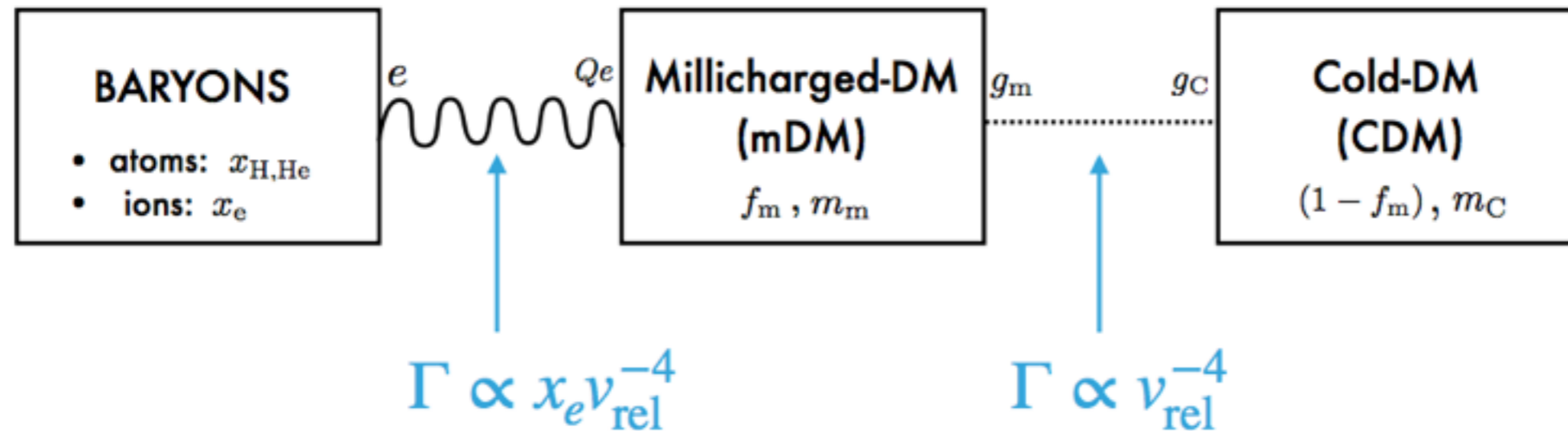


- We have few droplets of millicharge Dark Matter (mDM) ice in the baryon soup
- These are constantly cooled via a gigantic Cold Dark Matter (CDM) fridge

IT IS EASIER TO COOL THE BARYONS!

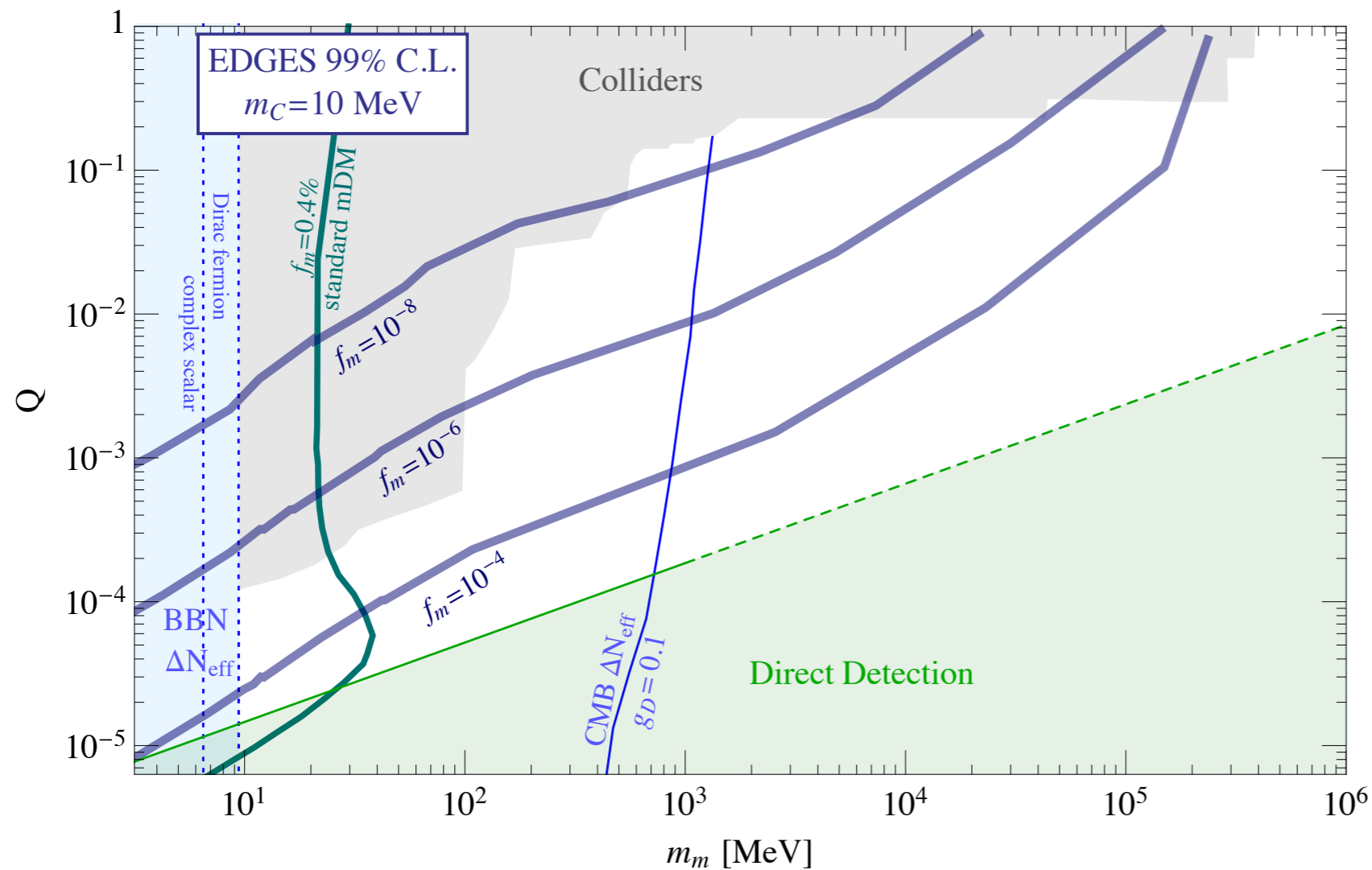
A NEW REFRIGERATOR AT 21 CM

Liu, Outmezguine, D.R., Volansky, (2019)



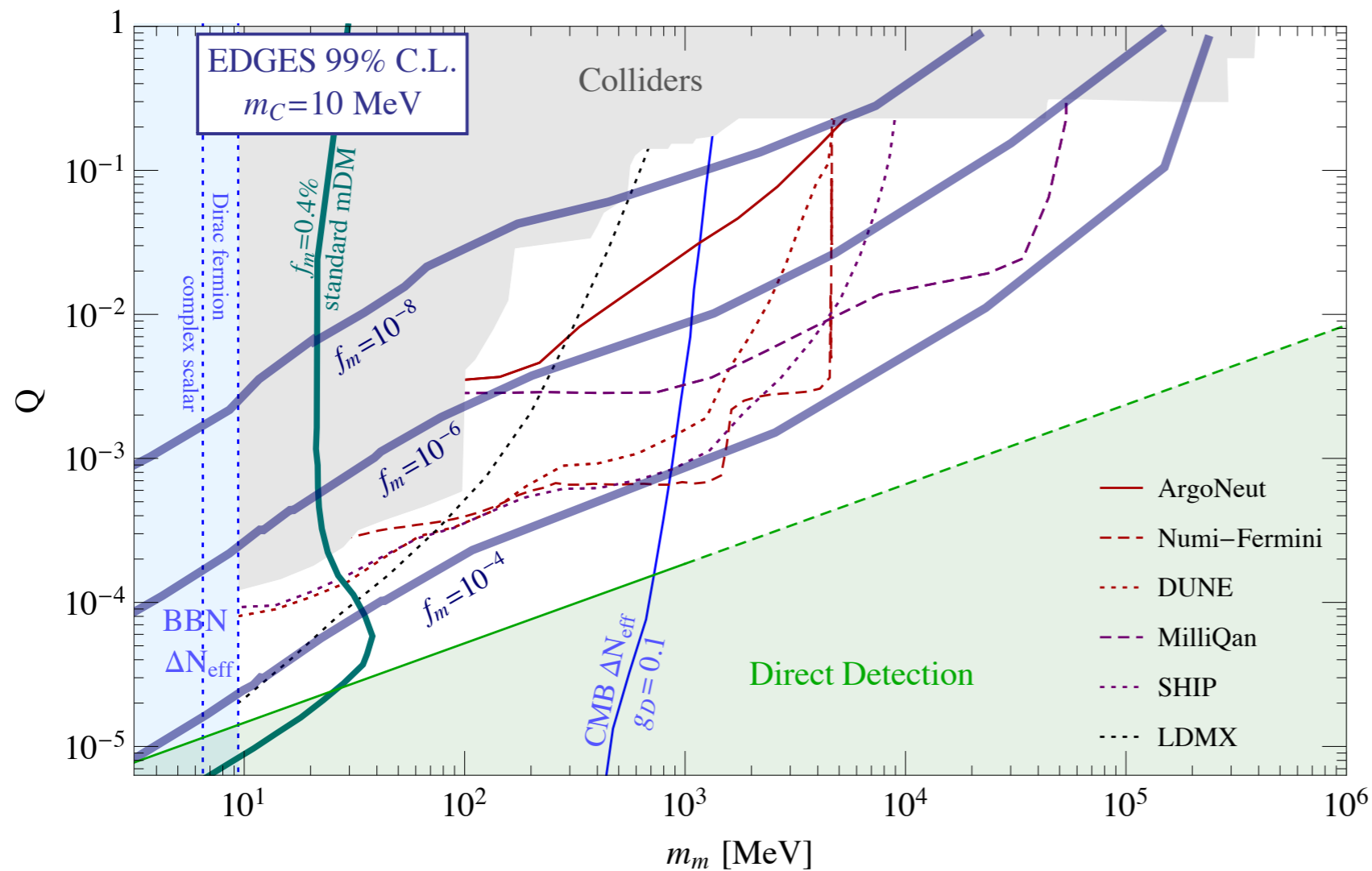
- At CMB the mDM is tight to the baryons
- After recombination mDM is tight to CDM

WHAT CAN WE SEE?



- mDM tiny fraction $f_m > 10^{-8}$
- up to 200 GeV in mass
- in between direct-detection shielding and collider constraints

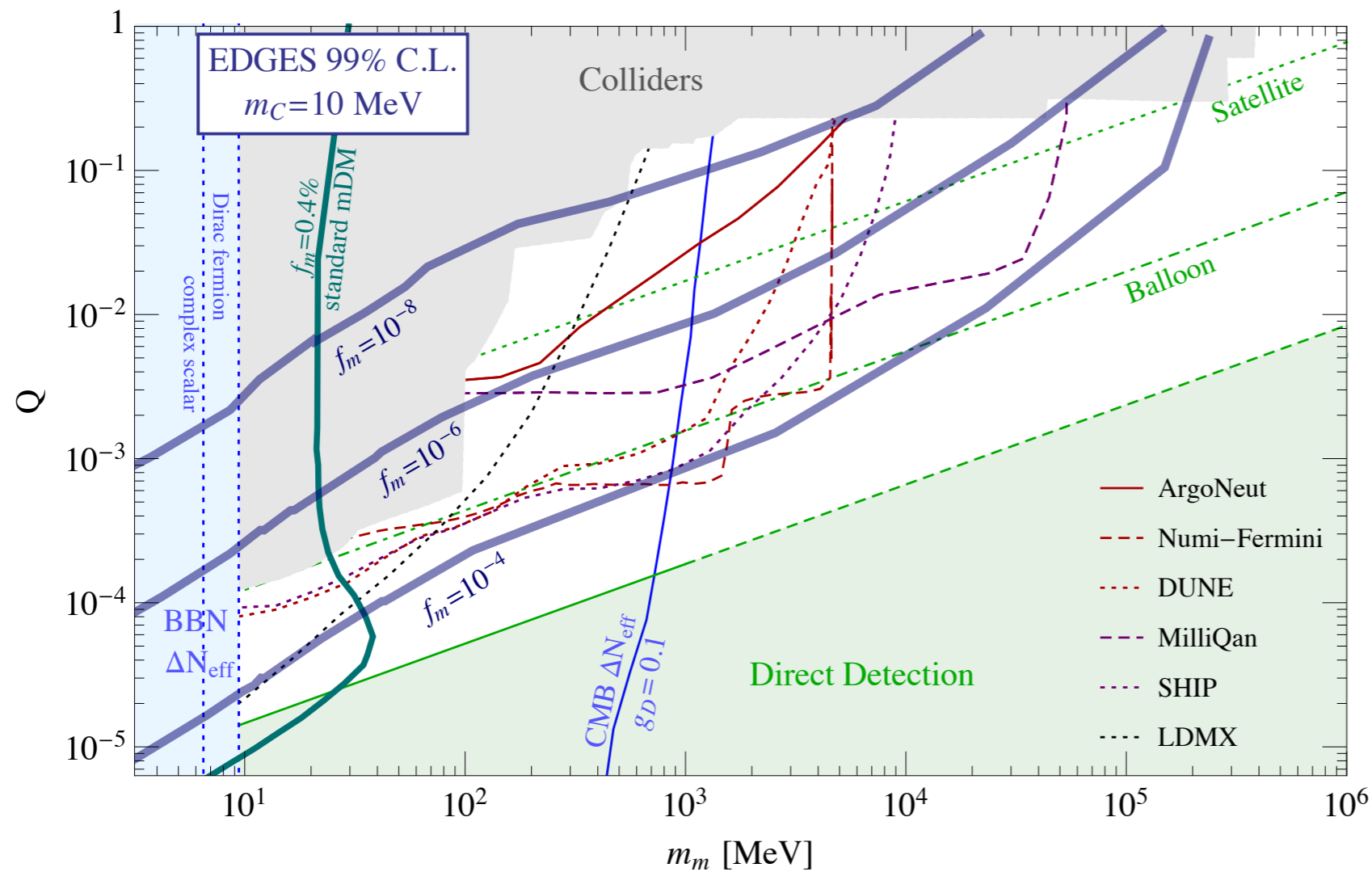
WHAT CAN WE SEE?



• FUTURE COLLIDERS (soon)

- mDM tiny fraction $f_m > 10^{-8}$
- up to 200 GeV in mass
- in between direct-detection shielding and collider constraints

WHAT CAN WE SEE?



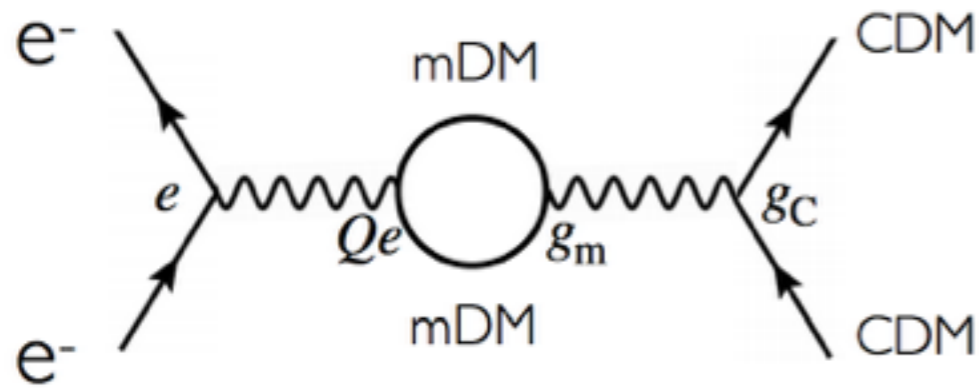
- FUTURE COLLIDERS (soon)
- Direct Detection in the Sky

• mDM tiny fraction: $f_m > 10^{-8}$

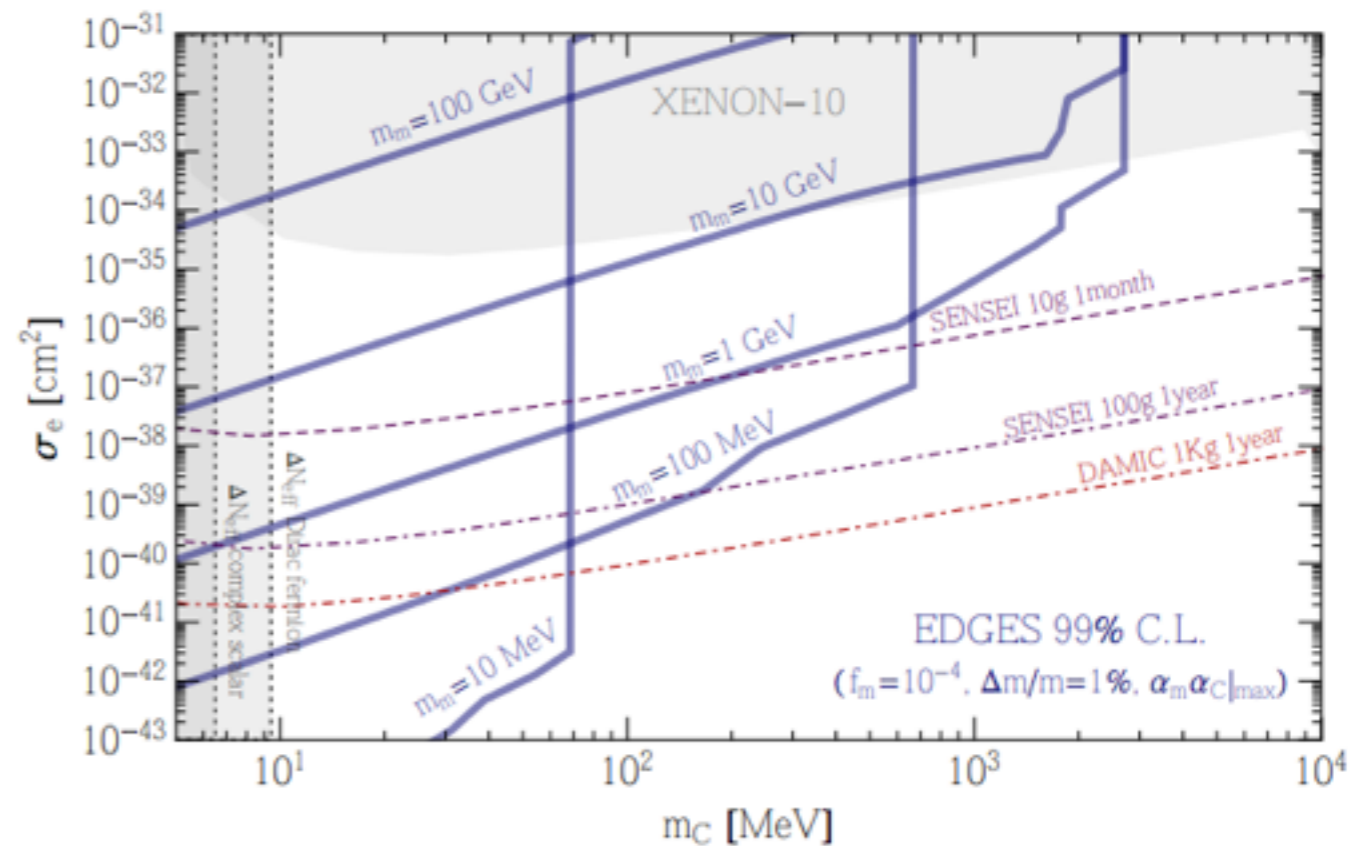
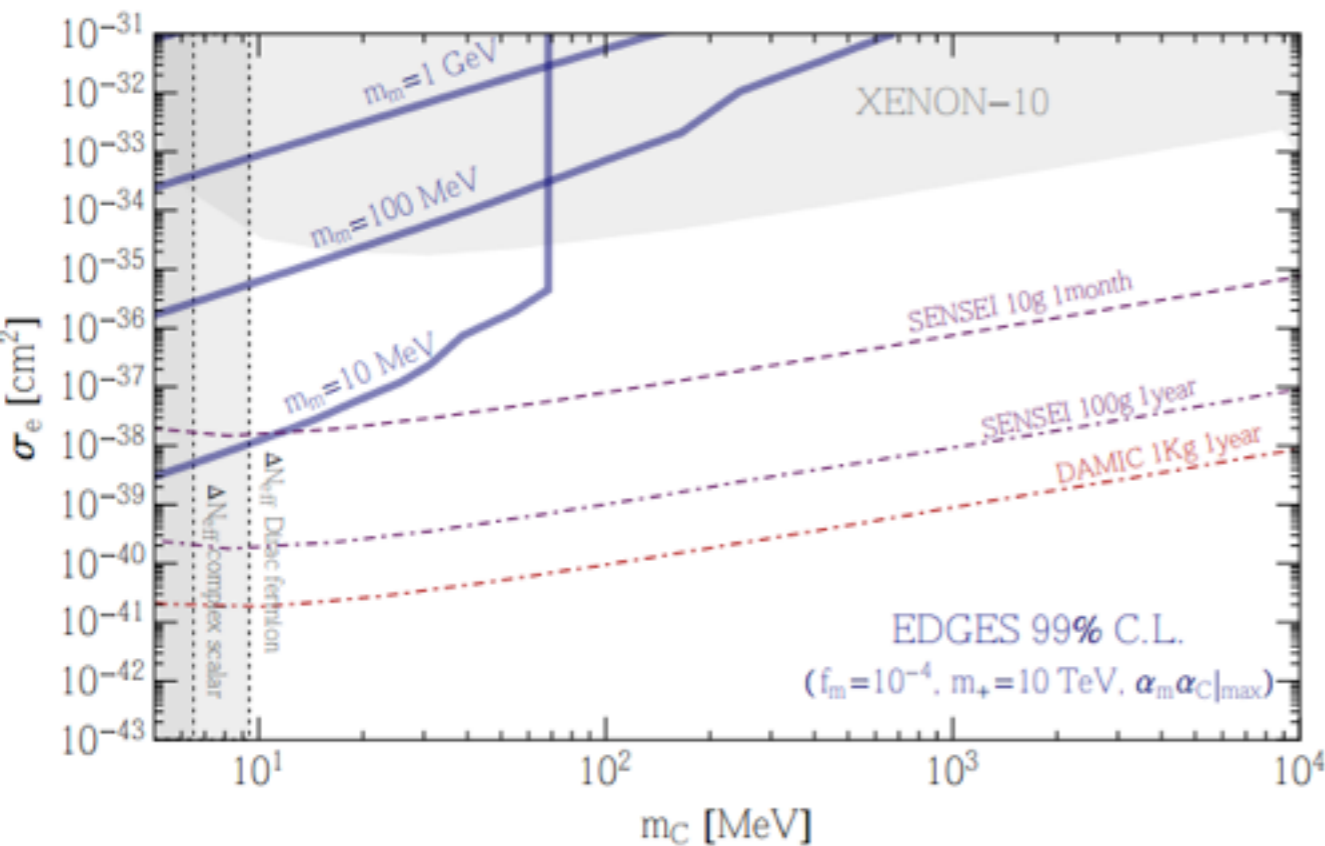
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WHAT CAN WE SEE?

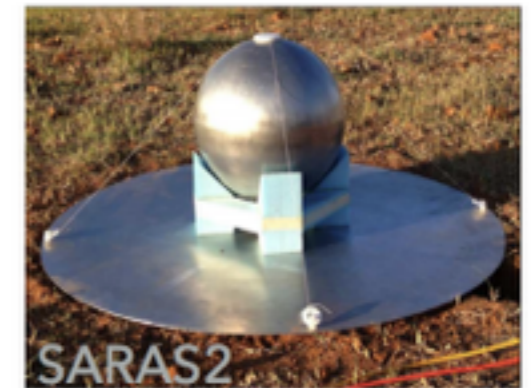
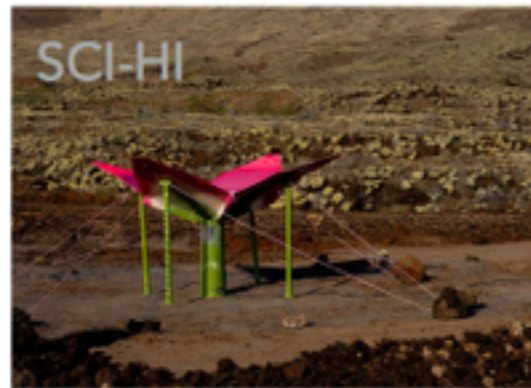


- CDM is below 6 GeV
- interactions with electrons via a loop of mDM
- perfect target for low-threshold direct detection

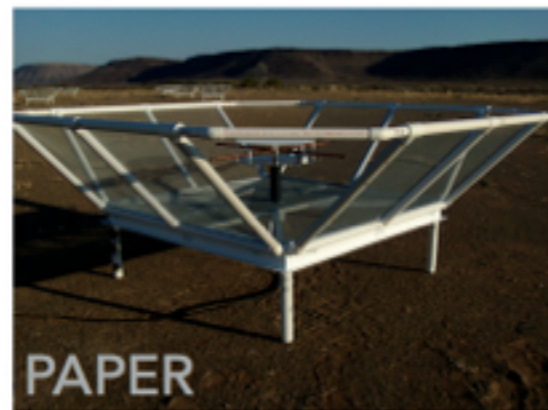


21 CM COSMOLOGY IS BLOOMING

global 21 cm spectrum



21 cm fluctuations



TIME FOR THEORISTS TO IMPROVE THE PREDICTIONS!

The Standard Model

with R. Barkana, N. J. Outmezguine, T. Volansky

Boltzmann equation for the singlet density

$$\dot{n}_0 + 3Hn_0 = -n_0(C_{01} + B_{01} + L_{01}) + n_1(C_{10} + A_{10} + B_{10} + L_{10})$$

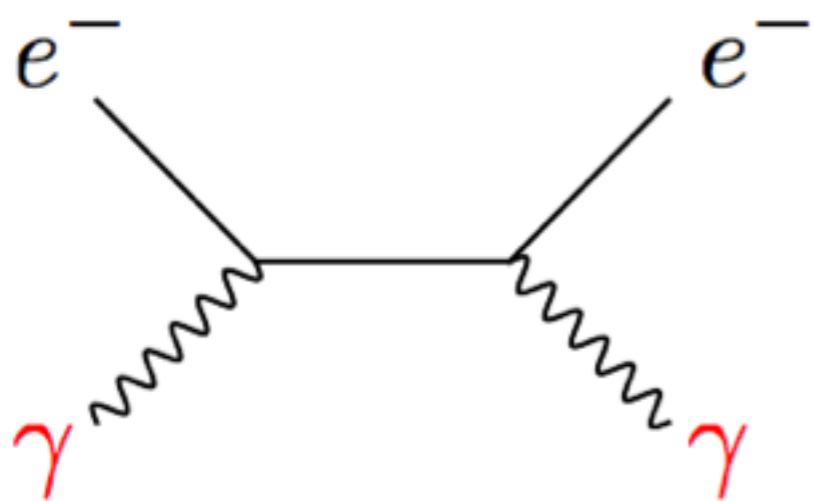
All the rates are bigger than Hubble down to $z=10$ & T_S is defined by an equilibrium equation

$$\Delta T_s \simeq \frac{y_{\text{col}} \Delta T_{\text{gas}} + y_{\text{Ly}\alpha} \Delta T_{\text{Ly}\alpha}}{1 + y_{\text{col}} + y_{\text{Ly}\alpha}}$$

$$\Delta T = T - T_{\text{CMB}}$$

$$y_{\text{Ly}\alpha} = \frac{E_{21}}{T_{\text{Ly}\alpha}} \frac{L_{10}}{A_{10}}$$

$$y_{\text{col}} = \frac{E_{21}}{T_{\text{gas}}} \frac{C_{10}}{A_{10}}$$



At high enough redshift Compton scattering dominates

$$T_S \simeq T_{\text{gas}} \simeq T_\gamma$$

Lowering the redshift the gas temperature decouples!

$$T_\gamma \sim (1+z)$$

$$T_{\text{gas}} \sim (1+z)^2$$

The Standard Model

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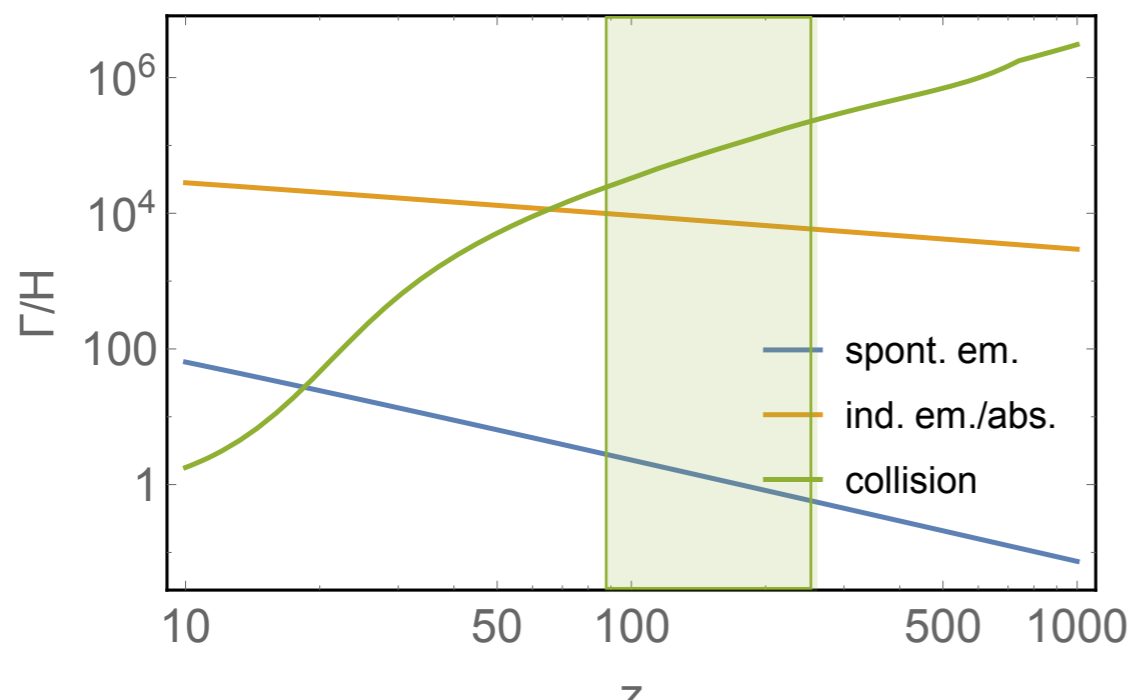
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$$\Delta T = T - T_{\text{CMB}}$$

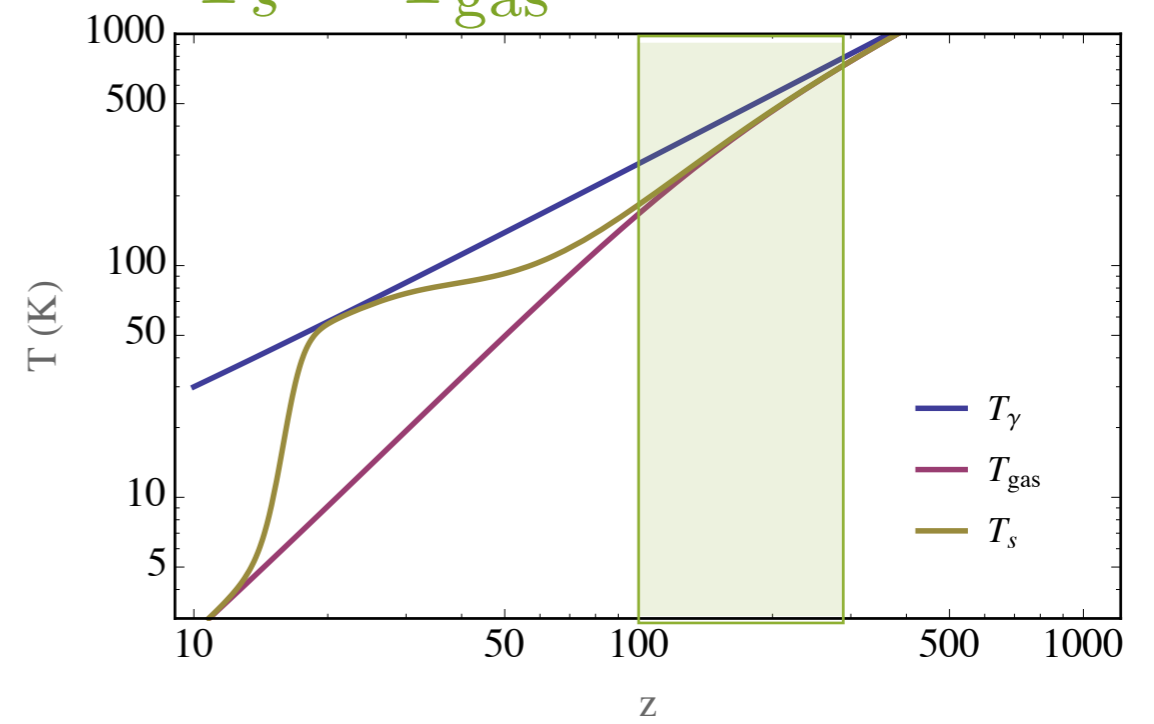
$$y_{\text{Ly}\alpha} = \frac{E_{21}}{T_{\text{Ly}\alpha}} \frac{L_{10}}{A_{10}}$$

$$y_{\text{col}} = \frac{E_{21}}{T_{\text{gas}}} \frac{C_{10}}{A_{10}} \gg 1$$

HI-HI & HI-e dominates



$T_s \simeq T_{\text{gas}}$



The Standard Model

with R. Barkana, N. J. Outmezguine, T. Volansky

Boltzmann equation for the singlet density

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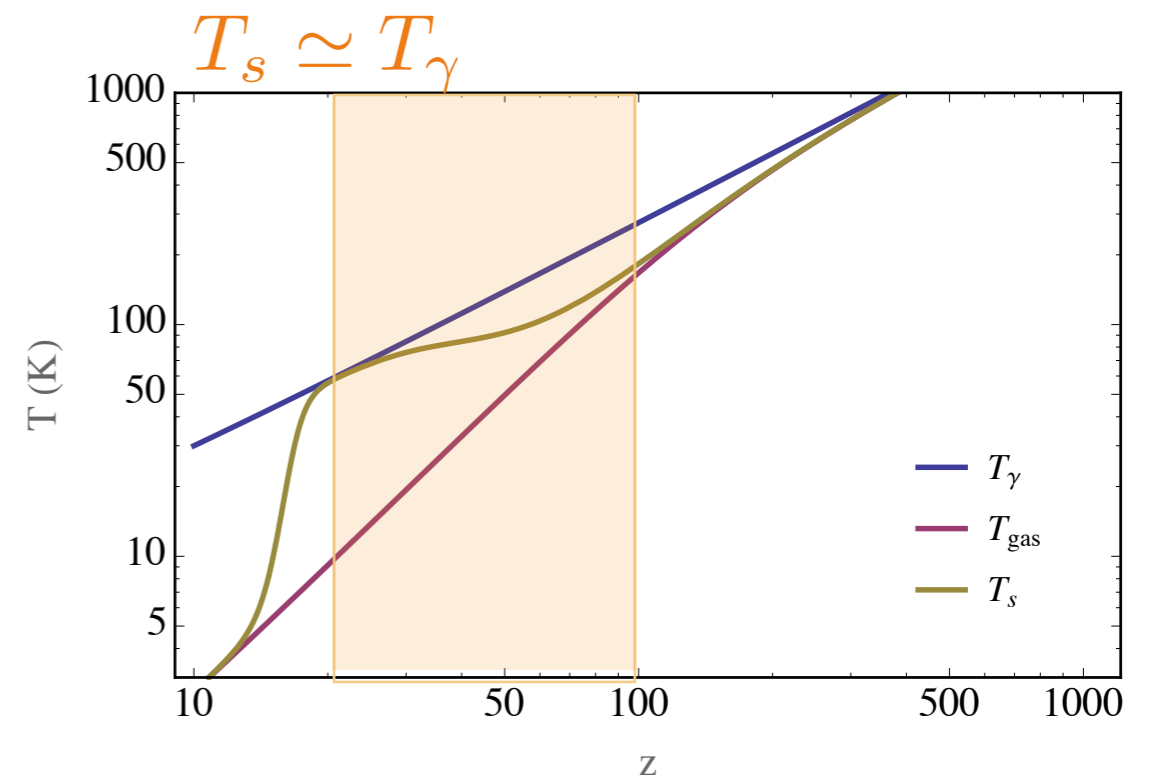
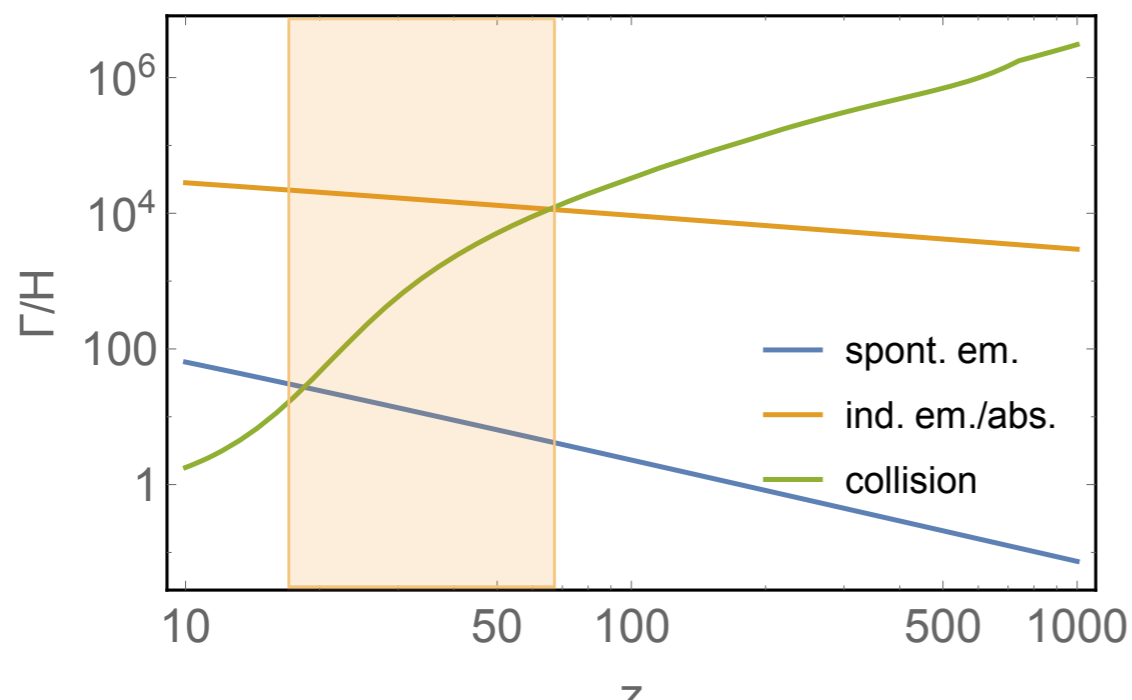
$$\Delta T_s \simeq \frac{y_{\text{col}} \Delta T_{\text{gas}} + y_{\text{Ly}\alpha} \Delta T_{\text{Ly}\alpha}}{1 + y_{\text{col}} + y_{\text{Ly}\alpha}}$$

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$$y_{\text{col}} = \frac{E_{21}}{T_{\text{gas}}} \frac{C_{10}}{A_{10}}$$

CMB Emissions/Abs. dominates



The Standard Model

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@ $z=30$ WouTuysen-Field (WF effect)

getting WF-effect right requires modelling of first star X-ray heating and Ly α fluxes

see . T. Venumadhav, L. Dai , A.A. Kaurov, M. Zaldarriaga 2018

