

# Axion-like Particles as Mediators for Dark Matter: Beyond Freeze-out

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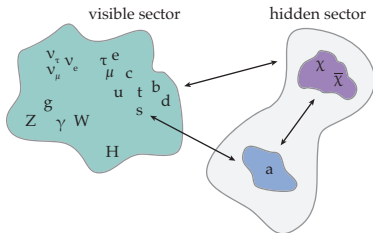
Centre de Physique Théorique Marseille

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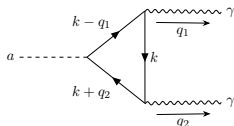
16th Patras workshop on Axions, WIMPs, WISPs

# The Model

Axion-like particle ( $a$ ) mediator between the SM fermions ( $f$ ) and the DM ( $\chi$ ), a Dirac fermion



Do not consider coupling to gauge bosons at tree-level but can couple via loops, e.g.





**Lagrangian:**

$$\mathcal{L} \supset \frac{1}{2} \partial_\mu a \partial^\mu a + \bar{\chi} (i \not{\partial} - m_\chi) \chi - \frac{1}{2} m_a^2 a^2 + ia \sum_f \frac{m_f}{f_a} C_f \bar{f} \gamma_5 f + ia \frac{m_\chi}{f_a} C_\chi \bar{\chi} \gamma_5 \chi$$

$g_{a\chi\chi} \equiv C_\chi / f_a$  (hidden sector coupling),  $g_{aff} \equiv C_f / f_a$  (connector coupling)

# Coupled Boltzmann equations

$$\frac{dn_\chi}{dt} + 3Hn_\chi = \sum_f \left\langle \sigma_{\chi\bar{\chi} \rightarrow f\bar{f}} v \right\rangle \left( \overbrace{(n_\chi^{\text{eq}}(T))^2} - \overbrace{n_\chi^2} \right) + \underbrace{\langle \sigma_{aa \rightarrow \chi\bar{\chi}} v \rangle}_{\text{Diagram 1}} n_a^2 - \underbrace{\langle \sigma_{\chi\bar{\chi} \rightarrow aa} v \rangle}_{\text{Diagram 2}} n_\chi^2$$


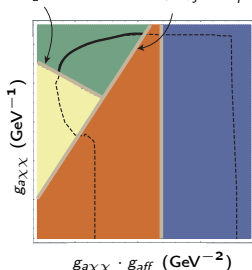
$$\frac{dn_a}{dt} + 3Hn_a = - \underbrace{\langle \sigma_{aa \rightarrow \chi\bar{\chi}} v \rangle}_{\text{Diagram 1}} n_a^2 + \underbrace{\langle \sigma_{\chi\bar{\chi} \rightarrow aa} v \rangle}_{\text{Diagram 2}} n_\chi^2 + \langle \Gamma_a \rangle \left( \underbrace{n_a^{\text{eq}}(T)}_{\text{Diagram 3}} - \underbrace{n_a}_{\text{Diagram 4}} \right) + \sum_{i,j,k} \langle \sigma_{ai \rightarrow jk} v \rangle \left( \underbrace{n_a^{\text{eq}}(T) n_i^{\text{eq}}(T)}_{\text{Diagram 5}} - \underbrace{n_a n_i^{\text{eq}}(T)}_{\text{Diagram 6}} \right)$$


# Coupled Boltzmann equations

$$\frac{dn_\chi}{dt} + 3Hn_\chi = \sum_f \langle \sigma_{\chi\bar{\chi} \rightarrow f\bar{f}} v \rangle \overbrace{(n_\chi^{\text{eq}}(T))^2}^{\text{Diagram: } f \text{ and } \bar{f} \text{ merge to } a \text{ (dashed), then } a \text{ splits to } \chi \text{ and } \bar{\chi}}$$

$$+ \underbrace{\langle \sigma_{aa \rightarrow \chi\bar{\chi}} v \rangle (T') n_a^2}_{\text{Diagram: } a \text{ (dashed) splits to } \chi \text{ and } \bar{\chi}} - \underbrace{\langle \sigma_{\chi\bar{\chi} \rightarrow aa} v \rangle (T') n_\chi^2}_{\text{Diagram: } \chi \text{ and } \bar{\chi} \text{ merge to } a \text{ (dashed)}}$$

$$\langle \sigma_{aa \rightarrow \chi\bar{\chi}} v \rangle (T') n_a^{\text{eq}}(T') \simeq H \quad \langle \sigma_{ai \rightarrow jk} v \rangle n_i^{\text{eq}} \simeq H$$



$$\frac{dn_a}{dt} + 3Hn_a = - \underbrace{\langle \sigma_{aa \rightarrow \chi\bar{\chi}} v \rangle (T') n_a^2}_{\text{Diagram: } a \text{ (dashed) splits to } \chi \text{ and } \bar{\chi}} + \underbrace{\langle \sigma_{\chi\bar{\chi} \rightarrow aa} v \rangle (T') n_\chi^2}_{\text{Diagram: } \chi \text{ and } \bar{\chi} \text{ merge to } a \text{ (dashed)}}$$

$$+ \langle \Gamma_a \rangle \underbrace{n_a^{\text{eq}}(T)}_{\text{Diagram: } f \text{ and } \bar{f} \text{ merge to } a \text{ (dashed)}}$$

$$+ \sum_{i,j,k} \langle \sigma_{ai \rightarrow jk} v \rangle \underbrace{n_a^{\text{eq}}(T) n_i^{\text{eq}}(T)}_{\text{Diagram: } q \text{ and } \bar{q} \text{ merge to } a \text{ (dashed), then } a \text{ splits to } j \text{ and } k}$$

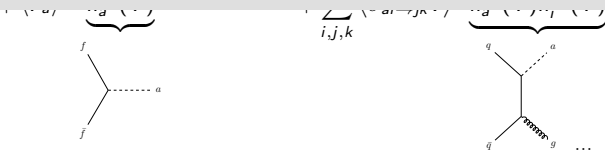
# Coupled Boltzmann equations

$$\frac{dn_\chi}{dt} + 3Hn_\chi = \sum_f \langle \sigma_{\chi\bar{\chi} \rightarrow f\bar{f}} v \rangle \underbrace{(n_\chi^{\text{eq}}(T))^2}_{\text{Diagram: } f \text{ and } \bar{f} \text{ lines meeting at a vertex with a dashed line to } a \text{ and } \bar{a} \text{ lines}} \langle \sigma_{aa \rightarrow \chi\bar{\chi}} v \rangle (T') n_a^{\text{eq}}(T') \simeq H \quad \langle \sigma_{ai \rightarrow jk} v \rangle n_i^{\text{eq}} \simeq H$$

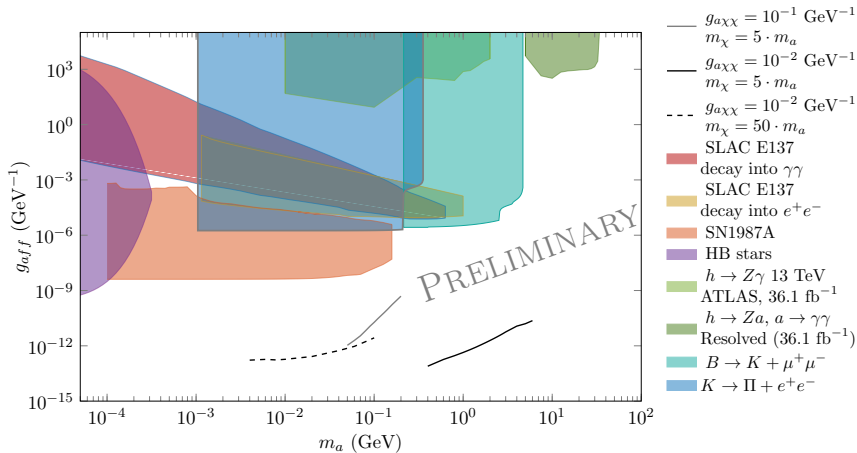
Hidden sector and visible sector thermally decoupled,  $T' \ll T$

$$\frac{\partial \rho'(T')}{\partial t} + 3H(\rho' + P')(T') = \int \frac{d^3p}{(2\pi)^3} C[f(p, t)]$$

Need to solve system of 3 (unfortunately stiff) coupled differential equations

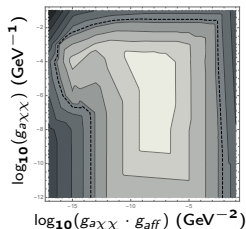


# Results: Reannihilation vs. constraints on our ALP



# Conclusion

## What we have done



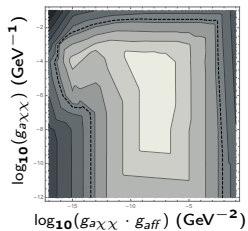
## Future work

$$E(\partial_t - Hp\partial_p)f = C[f]$$

- Our simple framework of an axion-like particle mediating DM leads to various alternative DM genesis scenarios
- Performed a detailed numerical calculation of full region of parameter space giving the correct relic density in various regimes, in particular reannihilation regime non-trivial
- Brand-new calculation of constraints (normally constraints for ALPs for photon coupling) to verify if these regions of parameter space are allowed
- Improve accuracy, in particular in freeze-in but also in reannihilation region, by solving unintegrated Boltzmann equation
- Apply future expected constraints to our model

# Conclusion

## What we have done



- Our simple simple framework of an axion-like particle mediating DM leads to various alternative DM genesis scenarios
- Performed a detailed numerical calculation of full region of parameter space giving the correct relic density in various regimes, in particular reannihilation regime non-trivial
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## Future work

$$E(\partial_t - Hp\partial_p)f = C[f]$$

**Exciting time for axions! We look forward to seeing the impact of future experimental results on our model!**