



# Effects of a hidden-photon dark matter background in axion-photon interactions

In coll with A. Arza, J. Jaeckel, D. Vargas-Arancibia  
JCAP 2021 (arxiv: 2007.12585)

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**(Universidad de Santiago de Chile)**

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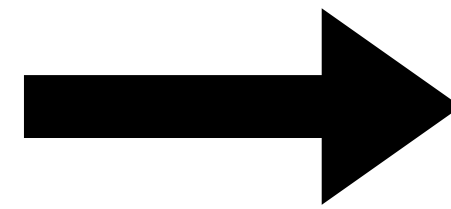
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Both are well motivated dark matter candidates.

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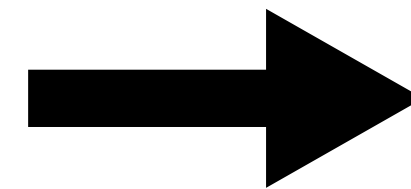
$$\sim \phi F_{\mu\nu} \tilde{F}^{\mu\nu}$$



**misalignment** (Preskill83, Abbott83, Dine83); **k. misalignment** (Co19); **topological defects (pre-inf SSB)** (Hagmann00, Wantz10, etc...)

Several ways to produce HP DM in the early universe

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**misalignment mechanism** (Nelson11, Arias12), **resonant decays of a precursor field** (Co19, Dror19, Bastero-Gil2019, Agrawal20...etc), **quantum fluctuations grown during inflation** (Graham16, Ema19, Alonso-Álvarez20), **topological defects** (Long19), **among others.**

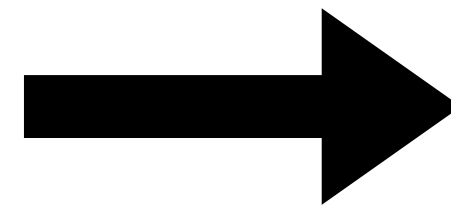


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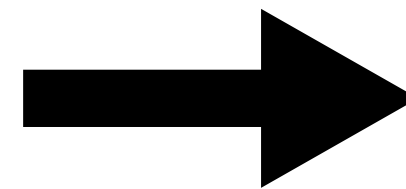
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A distinction with popular models for WIMP DM is that their **sufficient production does not require messenger particles**, and their cosmological stability is a consequence of **very small masses and couplings.**



**But what if these light particles do interact with the SM through a messenger?**

# Coupling axion-hidden photon

There have been several works elaborating on the idea of coupling between axions and hidden photons (among others):

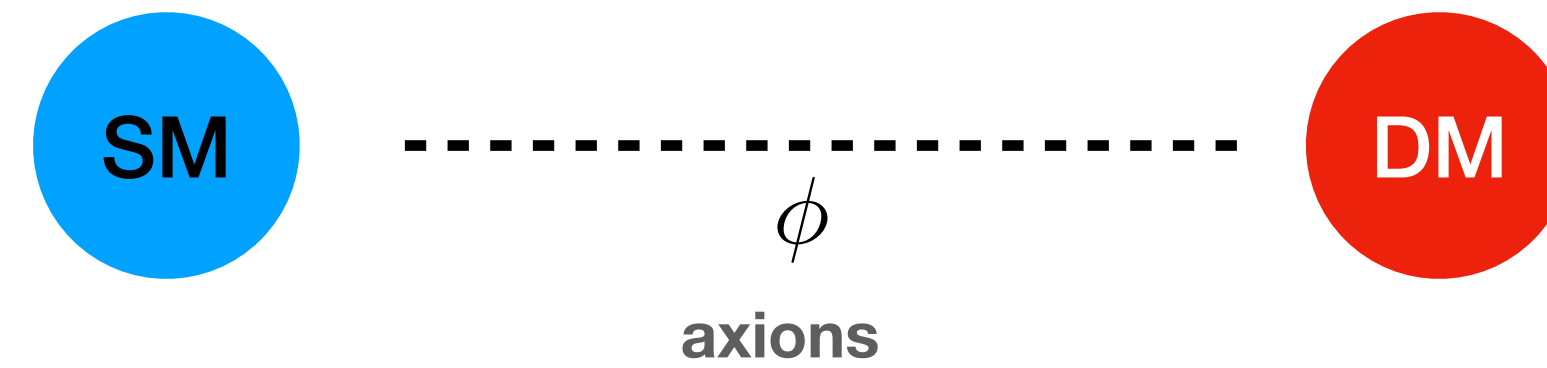
Alleviate puzzling observations such as 3.5 keV line (Jaeckel14), Xenon1T (Aprile20), Cosmic IR background (Kalashev19).

Axion dark matter to convert into HP dark matter (Takahashi18, Agrawal18, Co19, Agrawal20).

The coupling of QCD axion with a HP does not spoil the solution to the strong CP problem (Kaneta et al. 17).

- The golden precision era we are entering encourages to look for more involved particle physics models. They can be constrained!
- The search for new models can be done parasitically to existing ones.

# Our model



We consider the DM to be composed of light hidden photons  $\gamma'$

## Properties:

**Huge occupation number in the DM condensate**

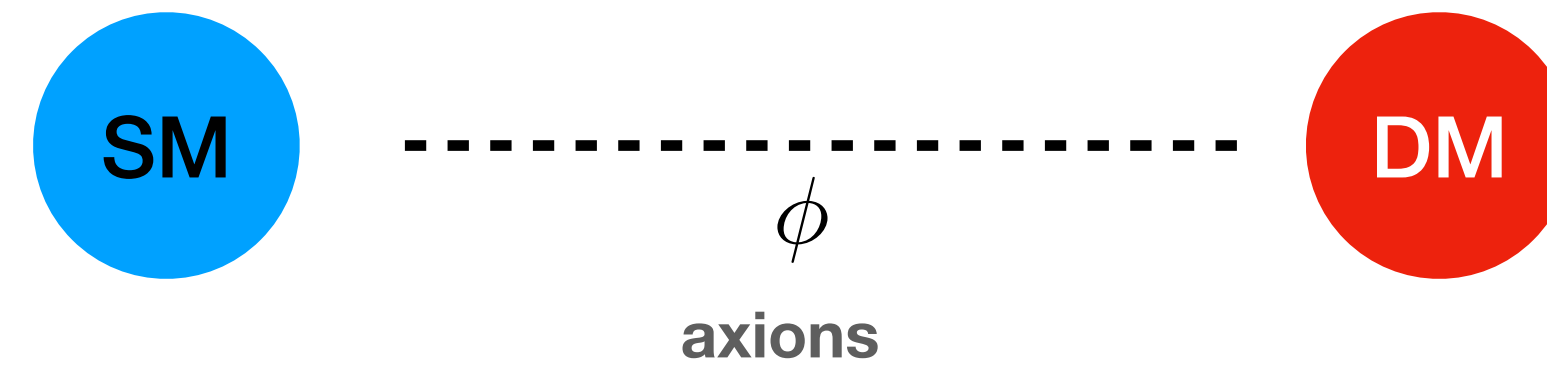
$$N_{\gamma'} \sim \frac{\rho_{\gamma'}}{m_{\gamma'} H^3} \sim 10^{40} \left( \frac{\text{eV}}{m_{\gamma'}} \right)^2 \left( \frac{X_{ini}}{10^{11} \text{ GeV}} \right)$$

permeates a hidden oscillating electric field.

$$\mathbf{E}'_{dm} = E'_0 \cos(m_{\gamma'} t) \hat{\epsilon}_{dm} \quad |\mathbf{E}'_{dm}| = \sqrt{2\rho_{dm,local}} = 3 \times 10^3 \frac{\text{V}}{\text{m}} \left( \frac{\rho_{dm,local}}{300 \text{ MeV/cm}^3} \right)^{1/2}$$



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We introduce a  $Z_2$  symmetry in the hidden sector that forbids

$$\sim \chi F_{\mu\nu} F'^{\mu\nu}$$

$$\sim \phi F_{\mu\nu} \tilde{F}^{\mu\nu} \quad \phi F'_{\mu\nu} \tilde{F}'^{\mu\nu}$$

# Our model

Thus, we end up with:

$$\mathcal{L} = -\frac{1}{4}F_{\mu\nu}F^{\mu\nu} - \frac{1}{4}F'_{\mu\nu}F'^{\mu\nu} + \frac{m_{\gamma'}^2}{2}A'_\mu A'^\mu + \frac{1}{2}\partial_\mu\phi\partial^\mu\phi - \frac{m_\phi^2}{2}\phi^2 + \frac{g_{\phi\gamma\gamma'}}{2}\phi F_{\mu\nu}\tilde{F}'^{\mu\nu}$$

We consider the HP-DM condensate as a background field:

$$\mathbf{E}'_{dm} = E'_0 \cos(m_{\gamma'}t)\hat{\epsilon}_{dm}$$

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And study the evolution of photons and axions in this background:

$$\begin{aligned}(\partial_t^2 - \nabla^2)\mathbf{A} &= -g_{\phi\gamma\gamma'}\nabla\phi \times \mathbf{E}'_{dm} \\(\partial_t^2 - \nabla^2 + m_\phi^2)\phi &= -g_{\phi\gamma\gamma'}\mathbf{E}'_{dm} \cdot \mathbf{B},\end{aligned}$$

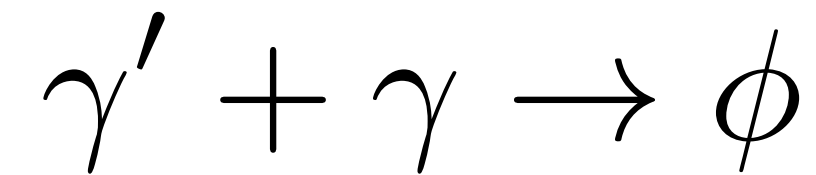


# Phenomenologically interesting processes

process favored when

Momentum transfer

Photon-HP annihilation



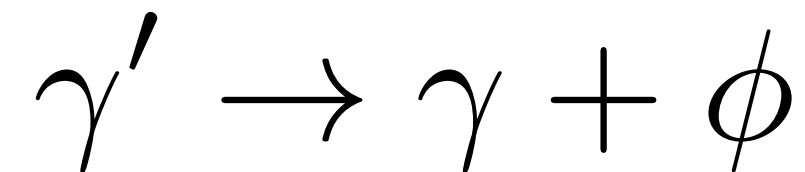
$$\omega = \omega_\phi - m_{\gamma'}$$

$$\Delta k \approx m_{\gamma'} \quad m_\phi \ll m_{\gamma'}, \omega$$

CMB distortion bounds, LSW

$$\Delta k \approx 0 \quad \text{when } m_\phi > m_{\gamma'} = \frac{m_\phi^2}{2\omega}$$

(Stimulated) HP decay



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Stability, CMB distortion, LSW

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(Stimulated) Photon decay



$$\omega = m_{\gamma'} + \omega_\phi$$

$$\Delta k \approx m_{\gamma'} \quad m_\phi \ll m_{\gamma'}, \omega$$

Stellar, helioscope, X-ray, LSW

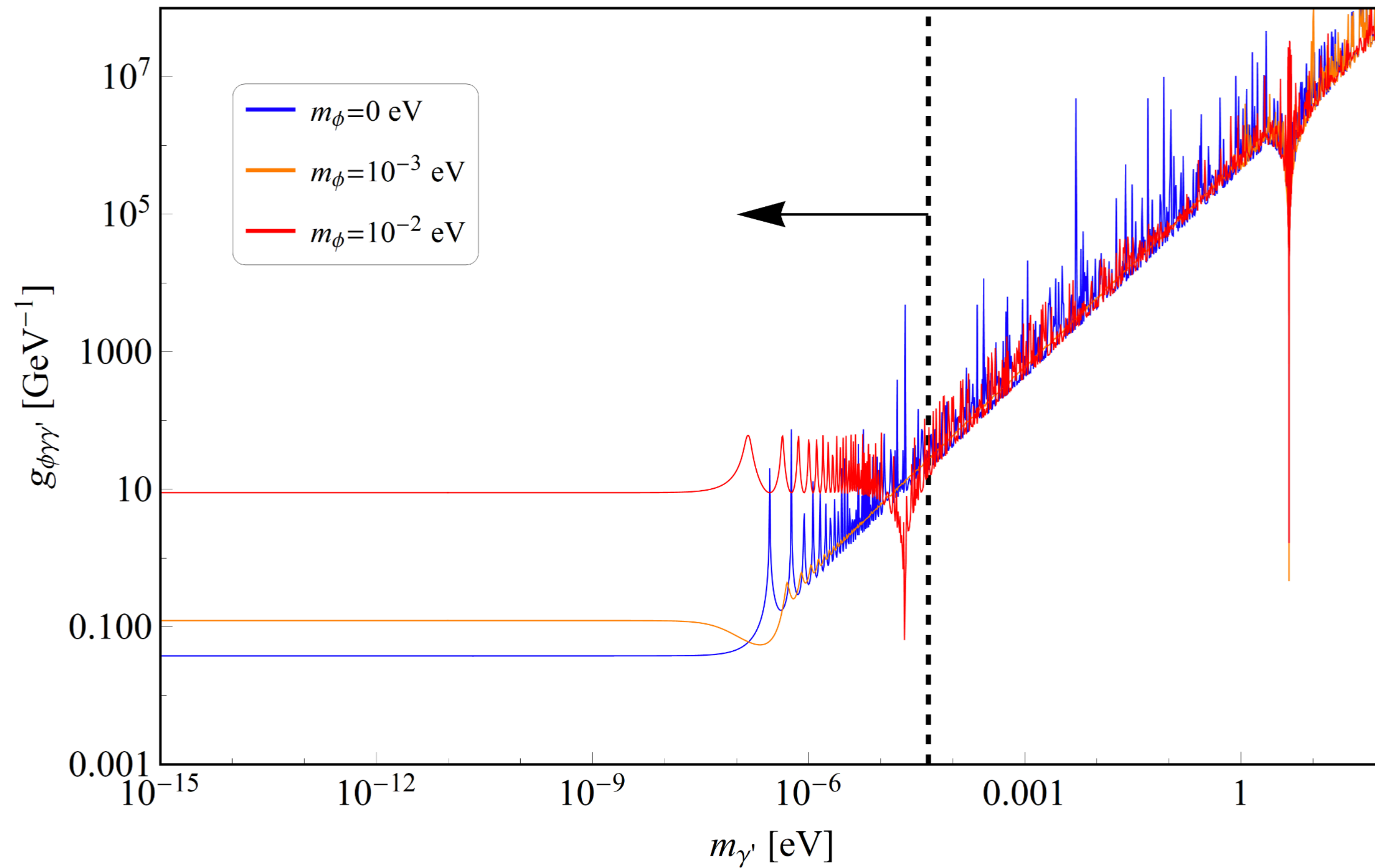
$$\Delta k \approx \frac{m_\phi^2}{2\omega} \quad m_\phi > m_{\gamma'}$$

uncertainty in photon momentum prevents full momentum transfer.

# LSW-type experiments

	1st cavity			
2nd cavity \backslash	$A_{\gamma\phi}$	$SD_{\gamma}$	$SD_{\gamma'}$	
$A_{\phi\gamma}$	$\omega + 2m_{\gamma'}$	$\omega$	$2m_{\gamma'} - \omega$	
$SD_{\phi}$	$\omega$	$\omega - 2m_{\gamma'}$	-	
$SD_{\gamma'}$	-	-	$\omega$	

Highly tuned detectors might miss some of these processes

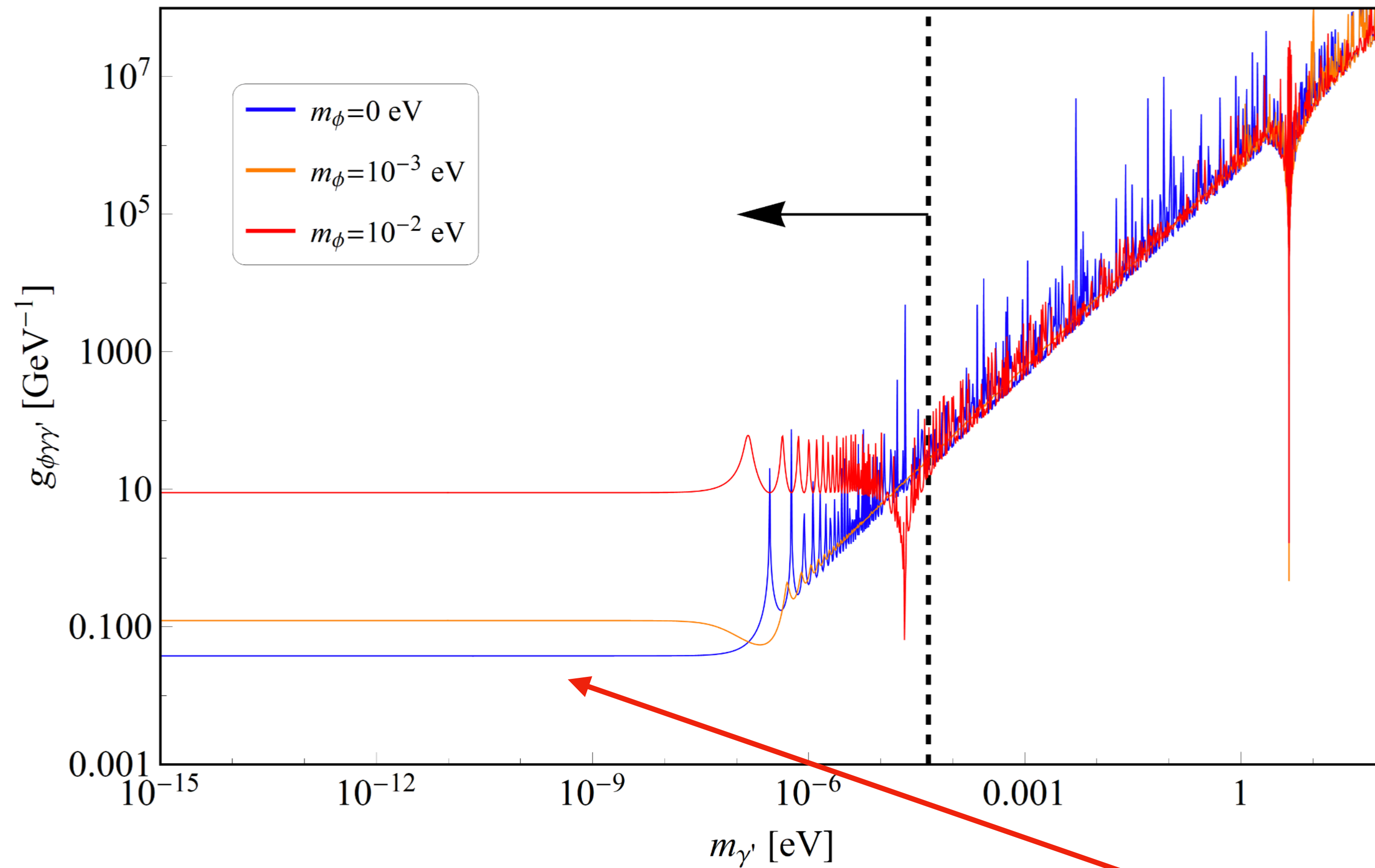


$\omega = 2.33 \text{ eV}$        $L = 4.3 \text{ m}$

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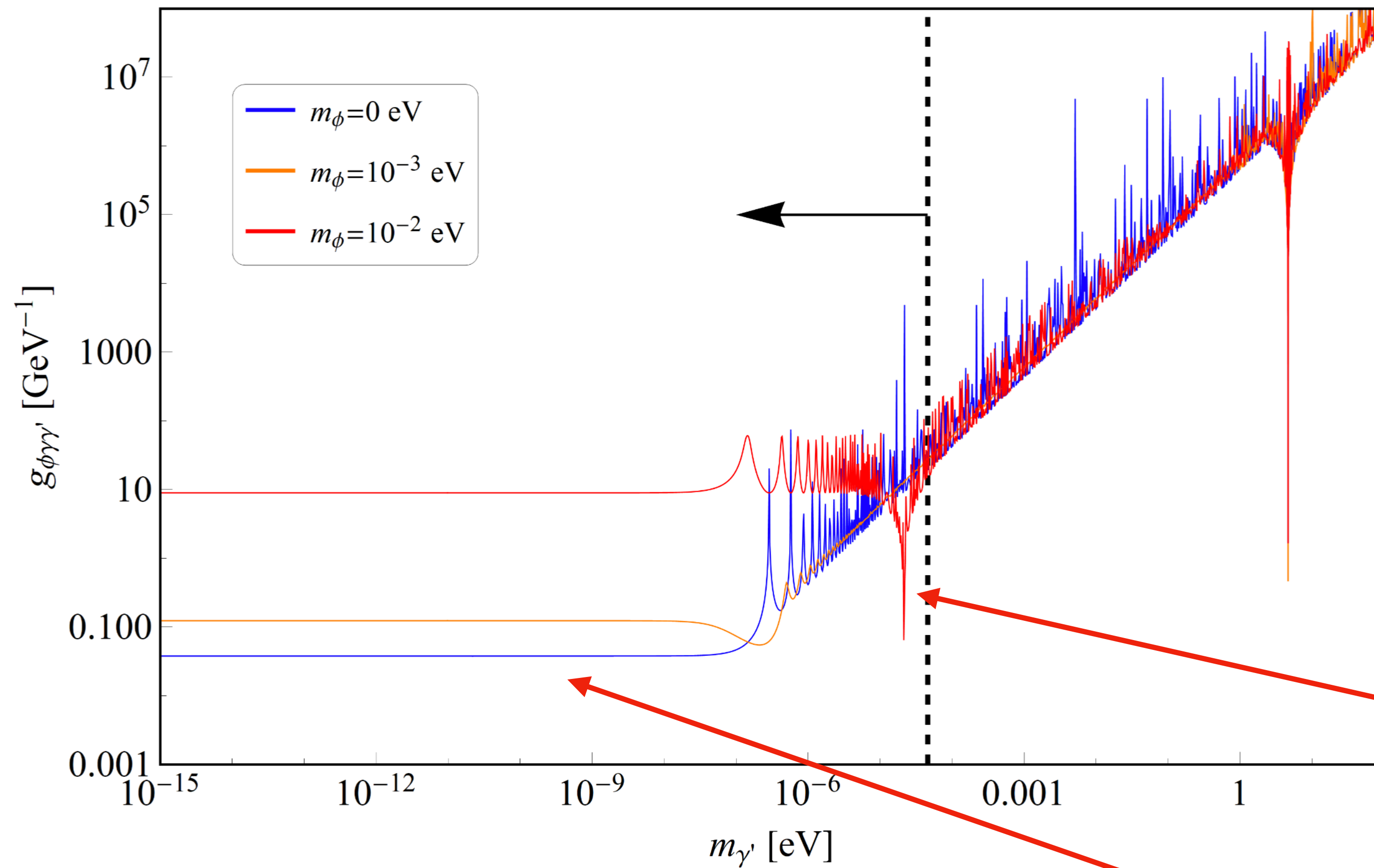
8 best sensitivity for small WISP masses



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$SD_{\gamma'}$		-	-	$\omega$

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resonance  $\gamma' + \gamma \rightarrow \phi$   
at  $m_{\gamma'} = \frac{m_{\phi}^2}{2\omega}$

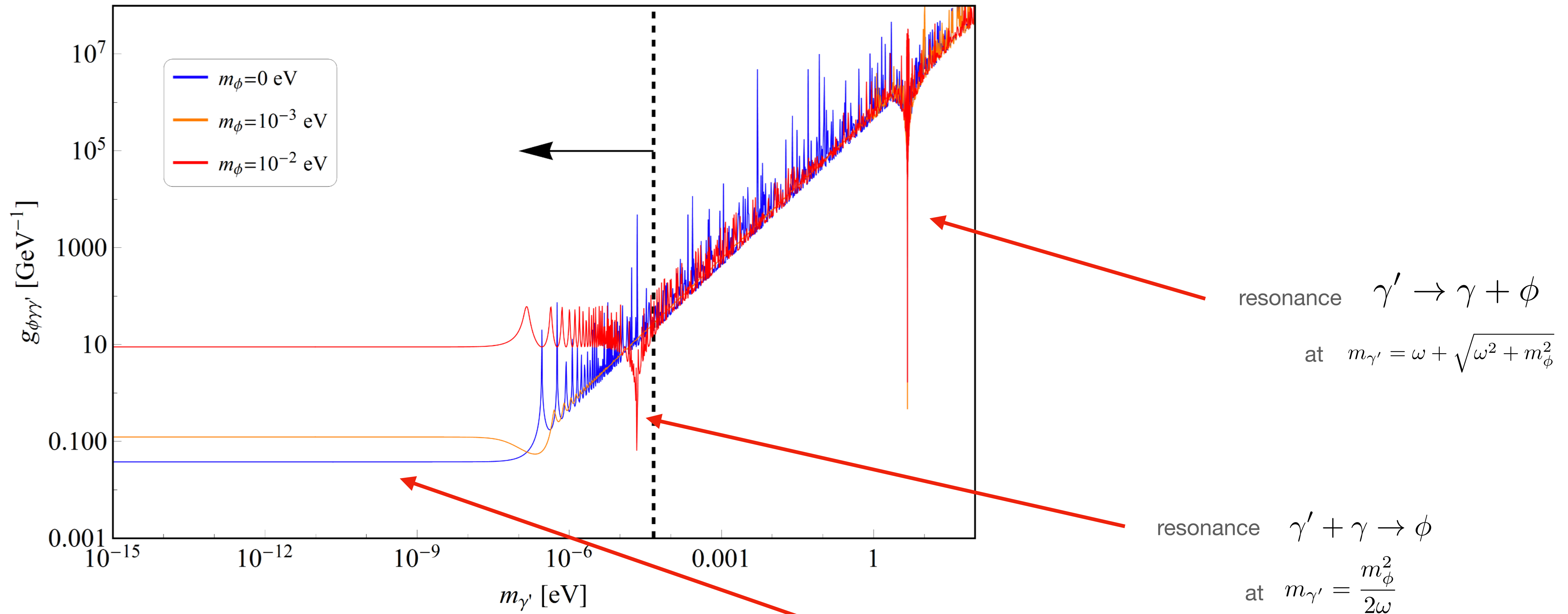
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# Stability of the DM condensate

$$\gamma' \rightarrow \gamma + \phi$$

**Spontaneous decay**  
**Stimulated decay**

$$\tau = \frac{1}{\Gamma_{\gamma' \rightarrow \phi\gamma}} = \frac{96\pi}{g_{\phi\gamma\gamma'}^2 m_{\gamma'}^3} \left(1 - \frac{m_\phi^2}{m_{\gamma'}^2}\right)^{-3} \approx 2 \times 10^{17} \text{ s} \left(\frac{g_{\phi\gamma\gamma'}}{10^{-6} \text{ GeV}^{-1}}\right)^{-2} \left(\frac{m_{\gamma'}}{1 \text{ eV}}\right)^{-3}.$$

**perturbative decay**



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With huge occupation numbers in HP condensate, it is also possible to have a spontaneous **Bose enhanced** decay.

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$$\begin{aligned} \epsilon(k) = m_{\gamma'}' - \omega - \omega_{\phi} &\approx 0 \\ \mathbf{k}_{\phi} + \mathbf{k} &\approx 0 \end{aligned}$$

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Resonance  
condition

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$$n_\gamma(t) = \int \frac{d^3k}{(2\pi)^3} \left( f_{\gamma,\mathbf{k}}(0) \left( \cosh(s_{\mathbf{k}}t)^2 + \frac{\epsilon_k^2}{4s_{\mathbf{k}}^2} \sinh(s_{\mathbf{k}}t)^2 \right) + f_{\phi,-\mathbf{k}}(0) \frac{\Omega_{\mathbf{k}}^2}{s_{\mathbf{k}}^2} \sinh(s_{\mathbf{k}}t)^2 + \frac{\Omega_{\mathbf{k}}^2}{s_{\mathbf{k}}^2} \sinh(s_{\mathbf{k}}t)^2 \right).$$

stimulated decay by initial  
photon population

stimulated decay by  
initial axion population

spontaneous Bose  
enhanced decay

# Stability of the DM condensate

$$\gamma' \rightarrow \gamma + \phi$$

Spontaneous decay  
Stimulated decay

$$n_\gamma(t) = \frac{m_{\gamma'}^2 \eta}{16\pi} \frac{e^{2\eta t}}{2\eta t} \left( f_{m_{\gamma'}/2} + \frac{1}{2} \right) \quad \text{for nearly massless axions}$$

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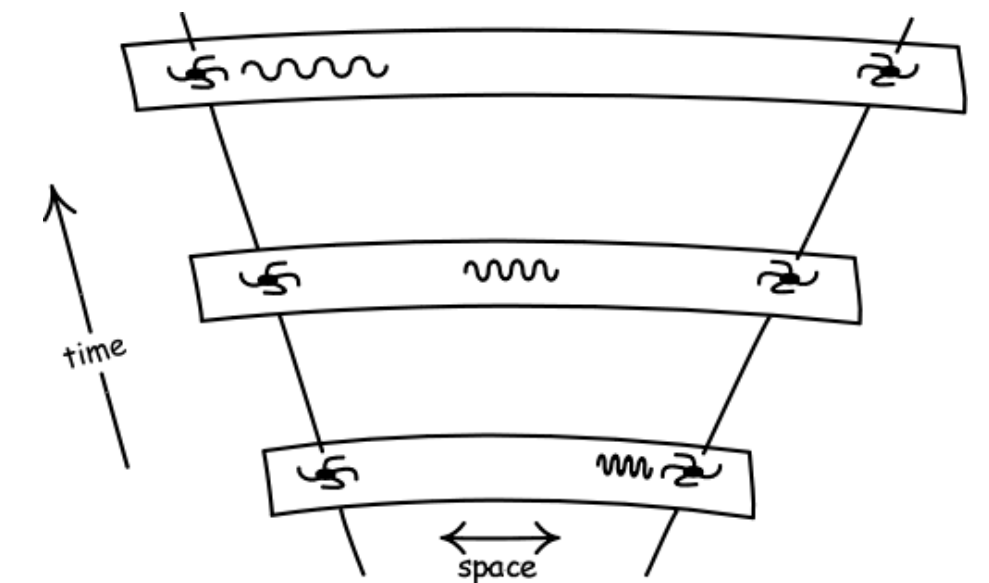
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A photon of energy  $\omega = k$  will be **redshifted away** from the **parametric resonance window**

after an interval of time  $2\eta\delta t = g_{\phi\gamma\gamma'}^2 \rho_{dm} / (m_{\gamma'} H).$



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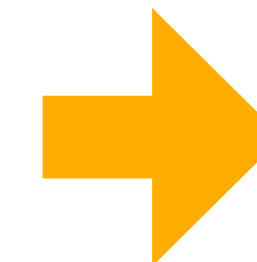
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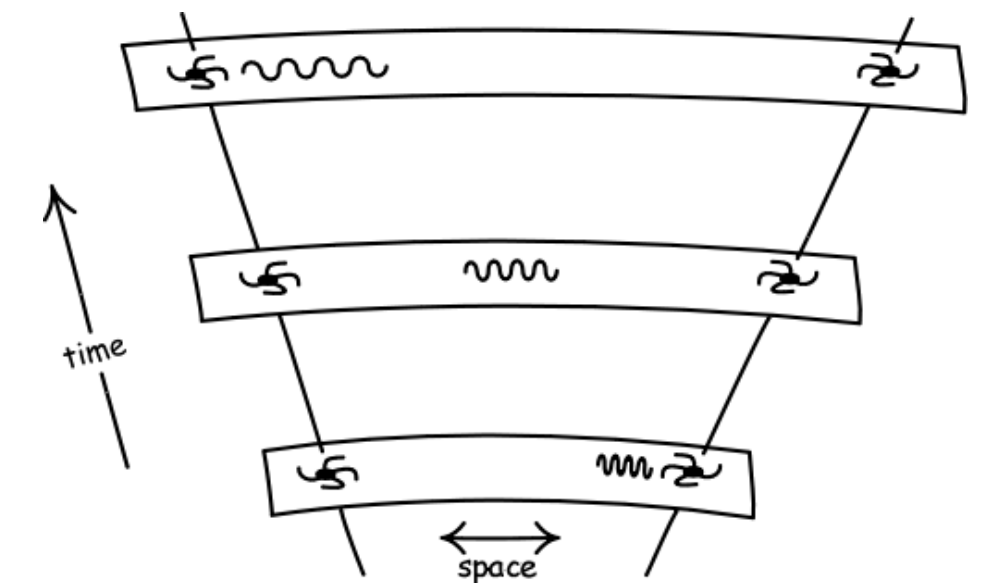


$$\sim t^{-1/2}$$

RD

$$\sim t^{-1}$$

MD



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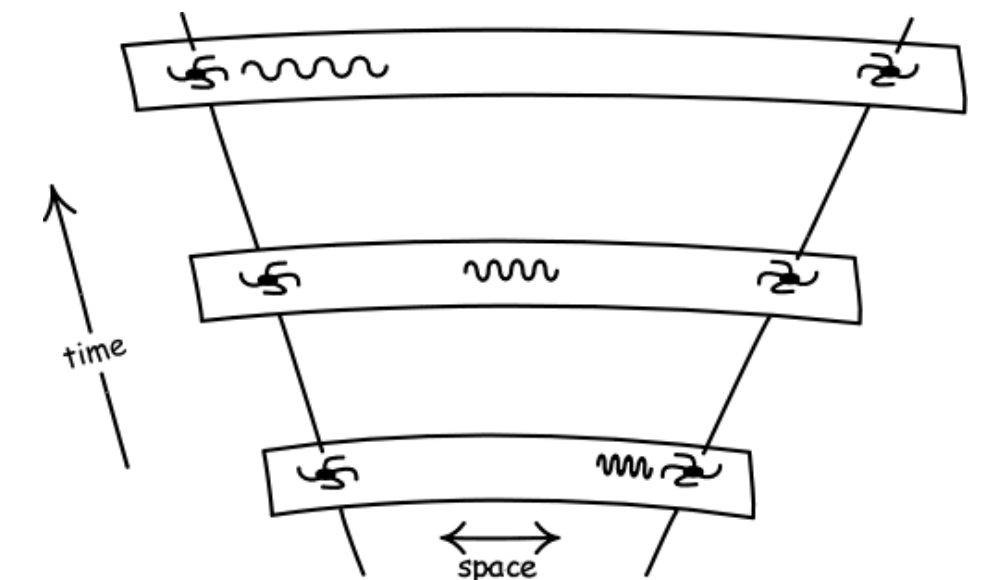
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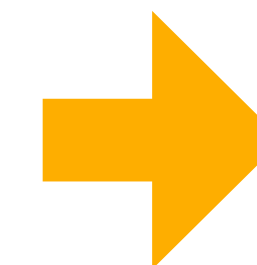
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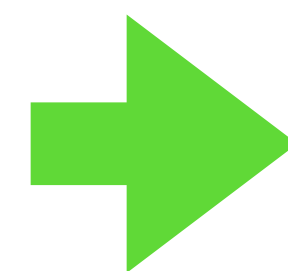
RD

$$\sim t^{-1}$$

MD

all in all, by

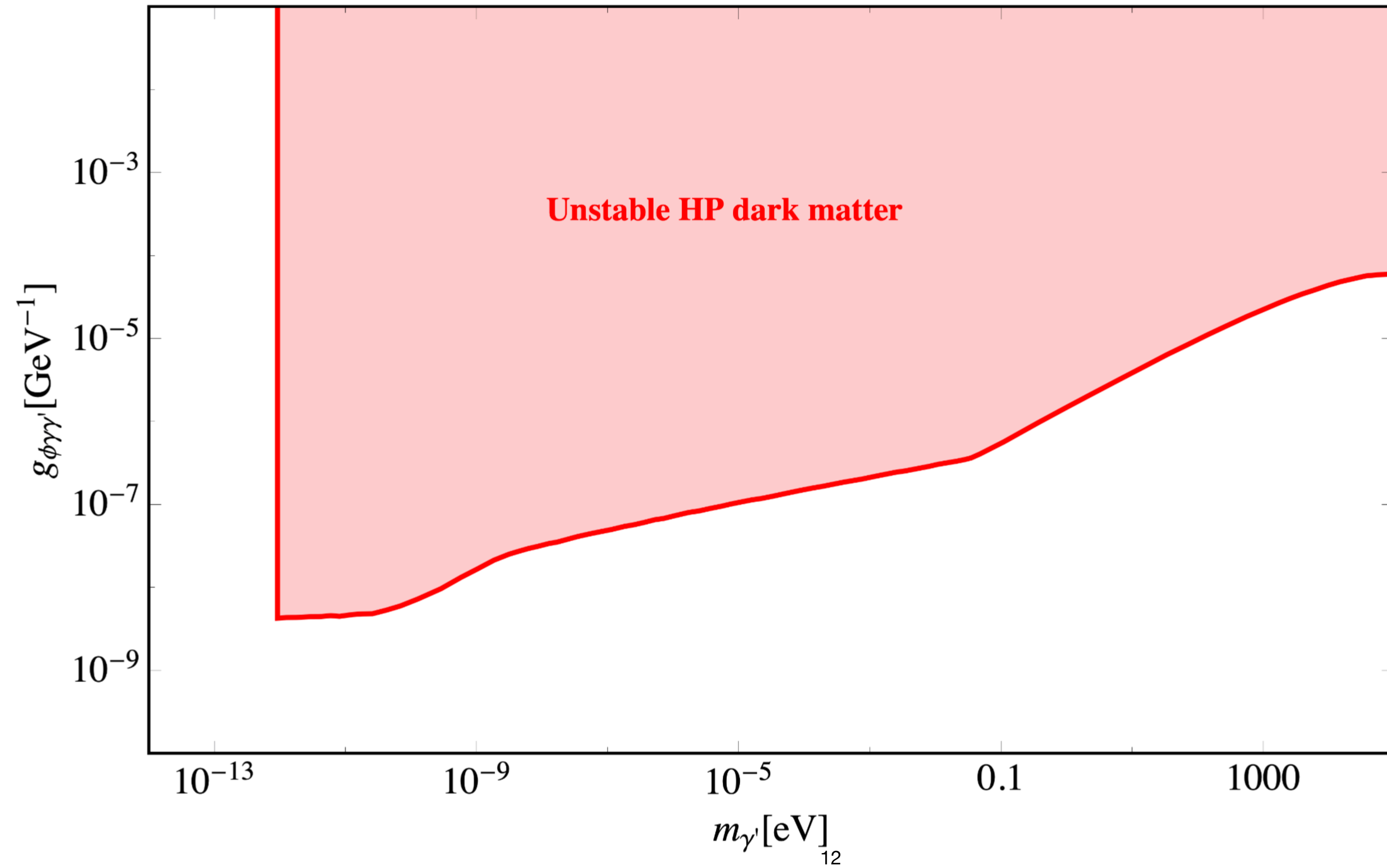
$$\rho_\gamma < \rho_{dm}$$



$$g_{\phi\gamma\gamma'}^2 < \frac{m_{\gamma'} H}{\rho_{dm}} \ln \left( \frac{64\pi \rho_{dm}}{\sqrt{2H m_{\gamma'}^5 T}} \right).$$

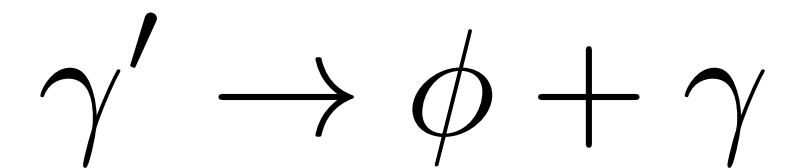
We include plasma effects by evaluating at times such that  $m_{\gamma'} \gtrsim m_{pl}$

# HP-DM Stability



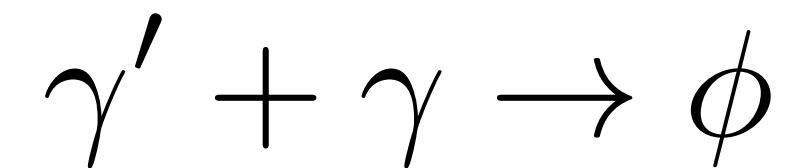
# Bounds from CMB distortion

Two processes contribute to CMB distortion



stimulated HP decay from CMB photons satisfying

$$\omega = \frac{m_{\gamma'}^2 - m_{\phi}^2}{2m_{\gamma'}}$$



Photon - HP annihilation with

$$\omega = \frac{m_{\phi}^2 - m_{\gamma'}^2}{2m_{\gamma'}}$$

We compute the spectral photon energy density and its corrections, to obtain the distortion of the CMB spectrum as

$$\rho_{\text{dm},0} \sim 1 \text{keV}/\text{cm}^3$$

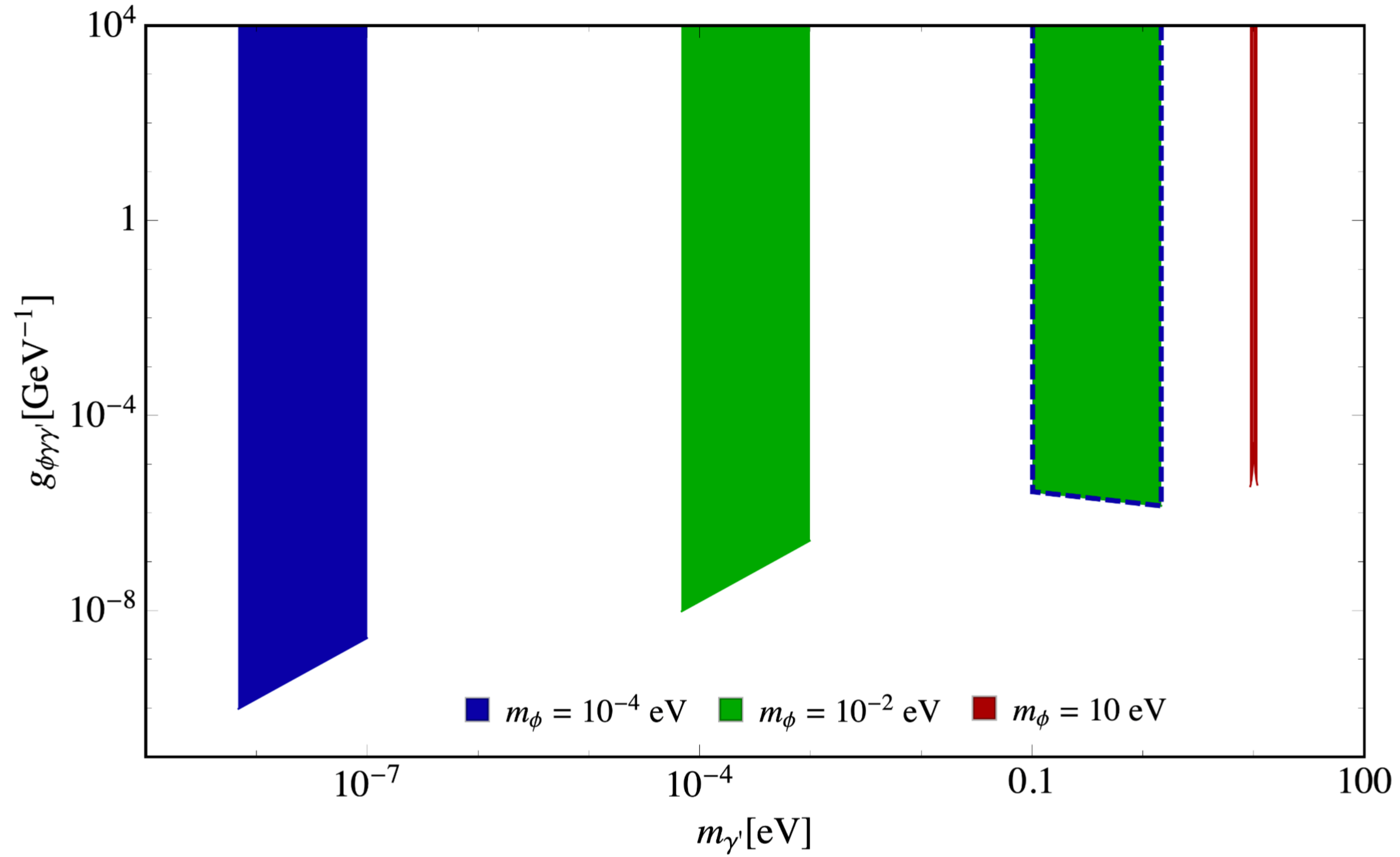
$$t_0 \sim 14 \times 10^9 \text{yr}$$

$$\chi_{\omega} \sim (10^{-3} - 1)$$

$$\delta_{\omega} = \frac{\delta \rho_{\mathbf{k},0}}{\rho_{\mathbf{k},0}} = \pm \frac{\pi g_{\phi\gamma\gamma'}^2 \rho_{\text{dm},0} t_0}{8 m_{\gamma'} \chi_{\omega}^{3/2}}$$

Using the accuracy of FIRAS (Fixsen93)  $\delta_{\omega} < 10^{-4}$ .

# CMB Constraints





# Stellar constraints

Energy loss arguments have been widely invoked to study novel particles. A new energy loss channel will perturb the stellar object, enforcing it to become more compact, luminous and hotter than the unperturbed configuration (Raffelt87, Gondolo09, An13)

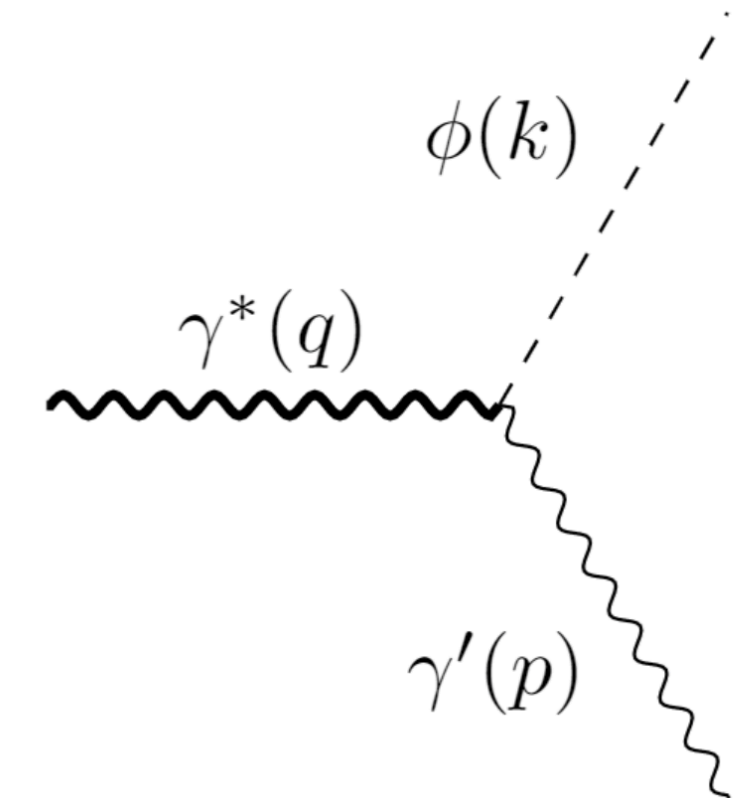
The vertex in our model allows for the decay of a transverse plasmon into a hidden-photon and an axion in a plasma.

We start looking the anomalous solar luminosity produced by this process, using that  $L_x < 0.1L^{std}$

$$L_x = \int_{V_{\text{sun}}} dV g_d \int \frac{d^3\mathbf{q}}{(2\pi)^3} \frac{\Gamma_x \omega(q)}{e^{\omega(q)/T} - 1}$$

$$\Gamma_{\gamma^* \rightarrow \phi \gamma'} = \frac{1}{3} \frac{g_{\phi\gamma\gamma'}^2}{32\pi} \frac{\omega_{pl}^4}{\omega} \quad \text{massless}$$

$$\Gamma_{\gamma^* \rightarrow \phi \gamma'} = \frac{1}{3} \frac{g_{\phi\gamma\gamma'}^2}{32\pi} \frac{1}{\omega \omega_{pl}^2} \left[ (\omega_{pl}^2 - (m_\phi + m_{\gamma'})^2) (\omega_{pl}^2 - (m_\phi - m_{\gamma'})^2) \right]^{\frac{3}{2}} \quad \text{massive}$$

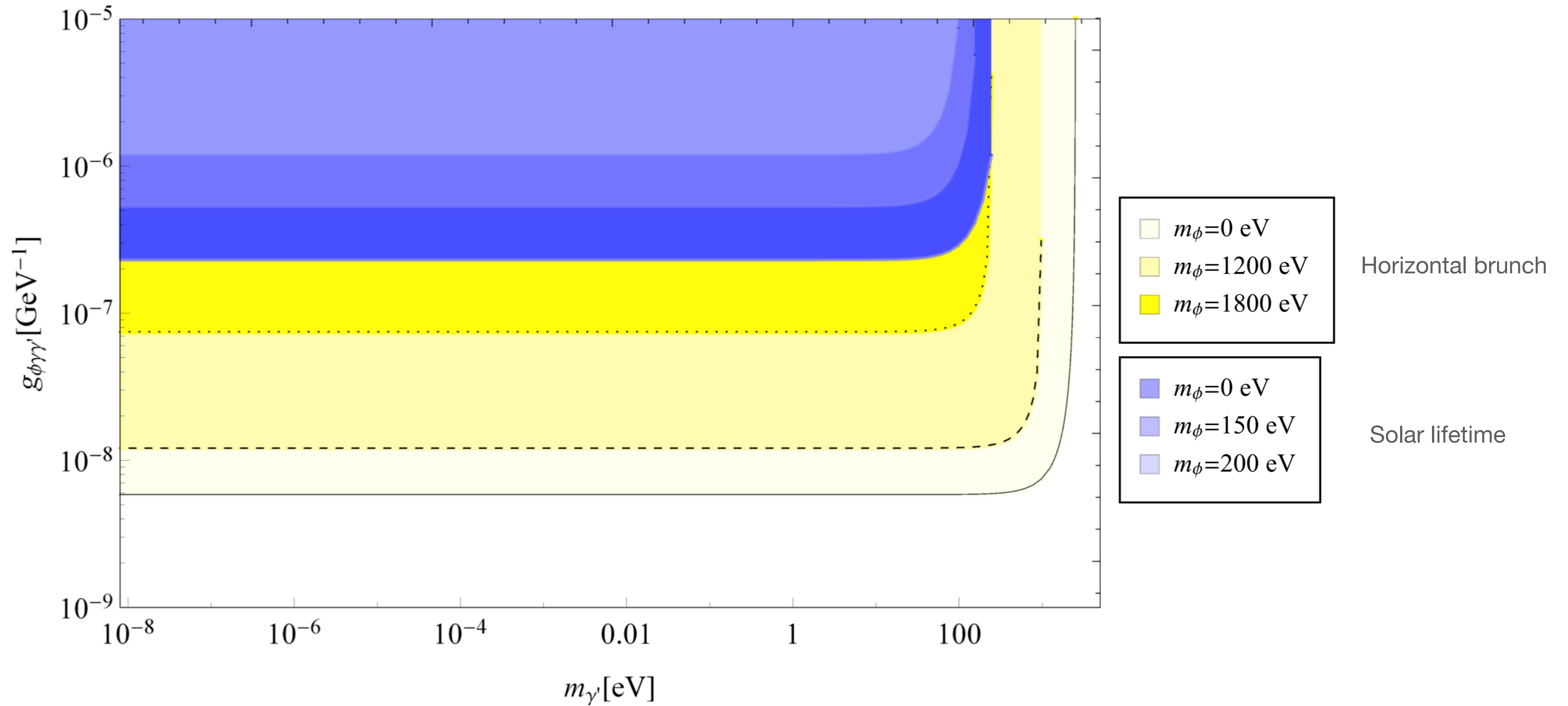


Horizontal Branch stars are denser and hotter than the sun, so improved limits are expected.

# Stellar constraints

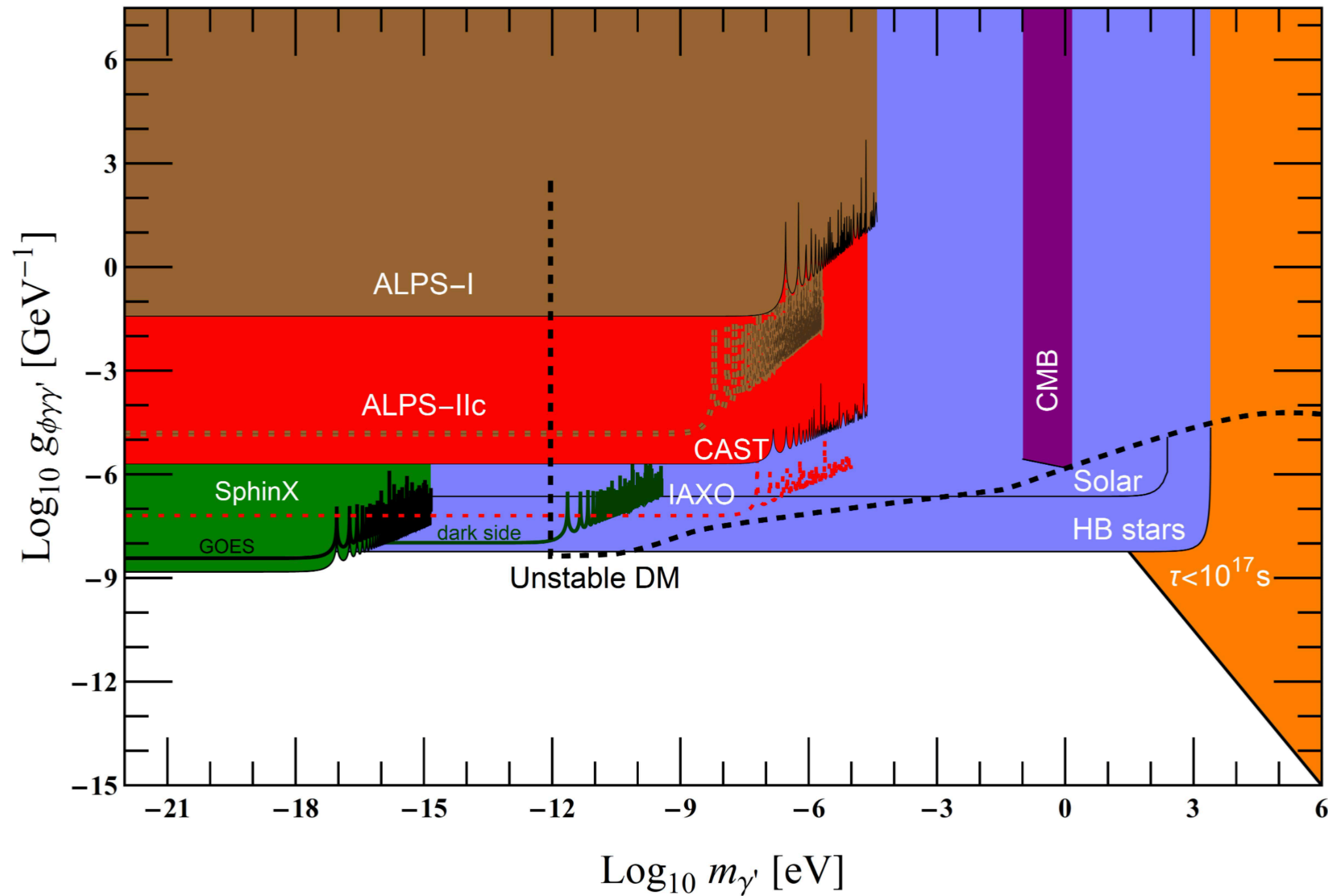
$$\omega_{\text{pl}}^{\text{sun}} \sim 0.3 \text{ keV}$$

$$\omega_{\text{pl}}^{\text{HB}} \sim 2 \text{ keV}$$



# Constrained parameter space

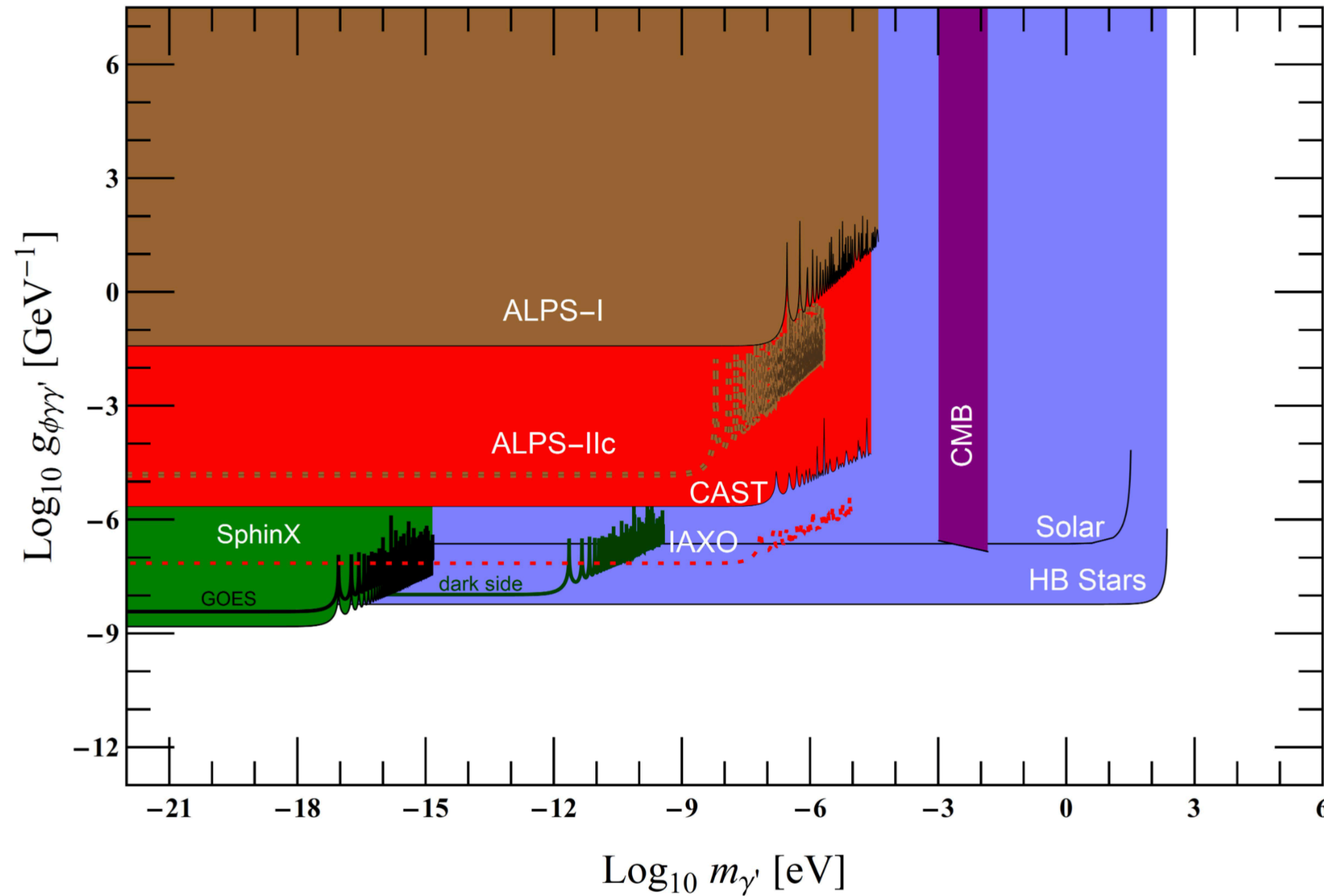
## Summary



massless ALP  
 $m_{\phi} \ll m_{\gamma'}$

# Constrained parameter space

## Summary



massive ALP

$$m_{\phi} = 10 m_{\gamma'}$$

# Outlook

- We studied a model of very light dark matter particles (HPs) interacting only under the inclusion of an additional light “messenger” with the Standard Model (the ALP).
- For ALP masses higher than the HP, the DM is stable.
- For HP heavier than ALPs, the decay of DM can exhibit parametric resonance, constraining the parameter space where the HP can be the DM.
- Best bounds from astrophysical observations.
- Direct detection becomes harder, but still possible. A different tune of the detectors could help to distinguish between different physical models.

# Coherence of DM

The coherence length of the DM goes by the inverse width in momentum space of the hidden photon distribution

$$L_{\text{coh}} \sim \frac{1}{\Delta k_{\text{coh}}} \quad \text{and} \quad \Delta k_{\text{coh}} = m_{\gamma'} \Delta v$$

During early times we use linear perturbation theory to obtain

$$\Delta k_{\text{coh}} \sim \sqrt{H m_{\gamma'} \delta}. \quad \delta \sim \delta\rho/\rho \sim 10^{-4} < 1$$

No longer applicable during matter domination. Fluctuations start to grow and become non-linear

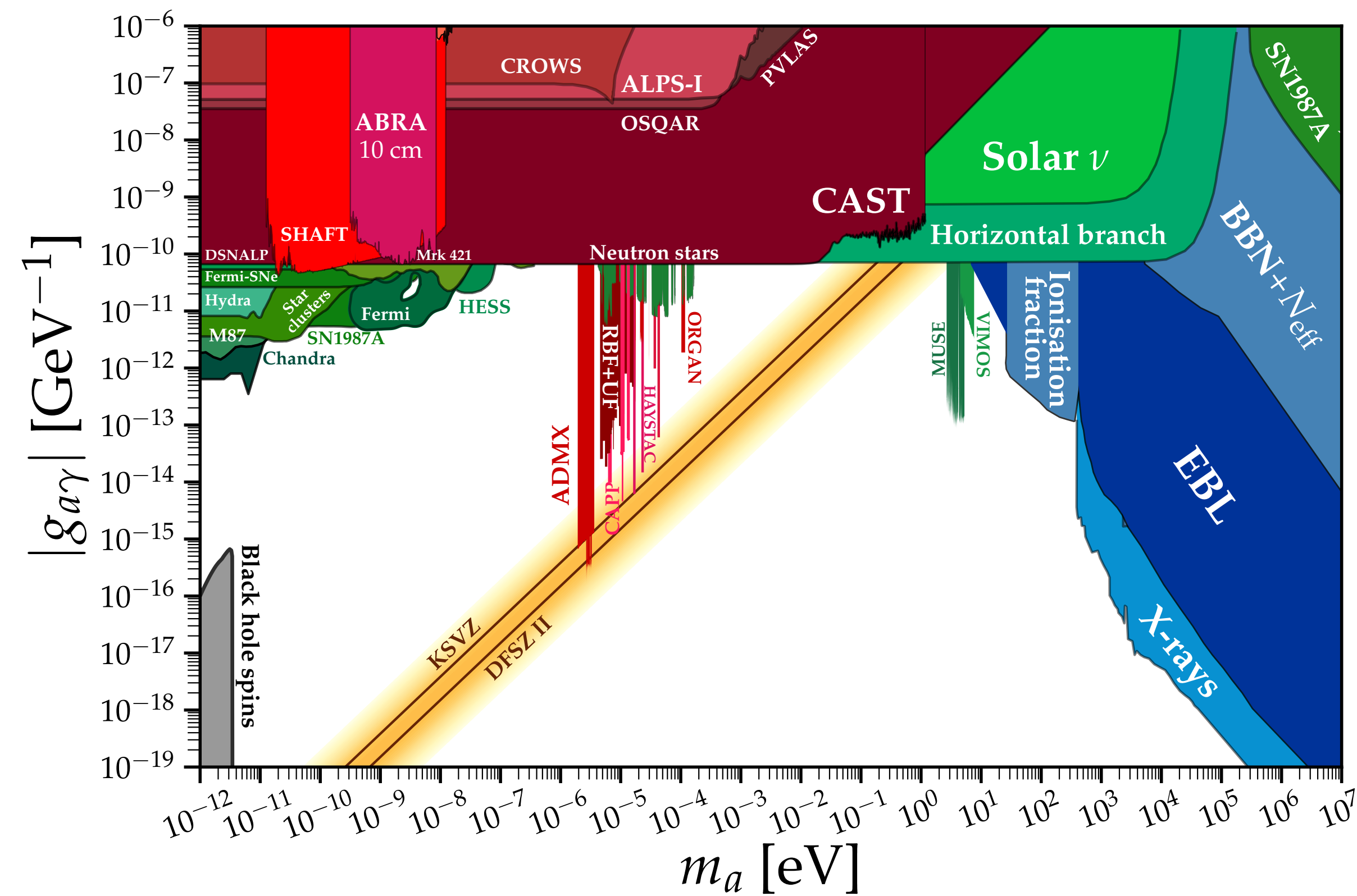
$$\delta \sim 1$$

$$\int_0^{k_{NL}} dk \frac{k^2 P_{\text{lin}}(k, z)}{2\pi^2} \sim 1.$$

we estimate the scales are linear for  $z \gtrsim 75$



# Several observations and experiments constrain their parameter space



Compilation made by C. O'Hare.  
Available at: <https://github.com/cajohare>

Caputo, O'Hare, Millar, Vitagliano arxiv: 2105.04565 [hep-ph]

