

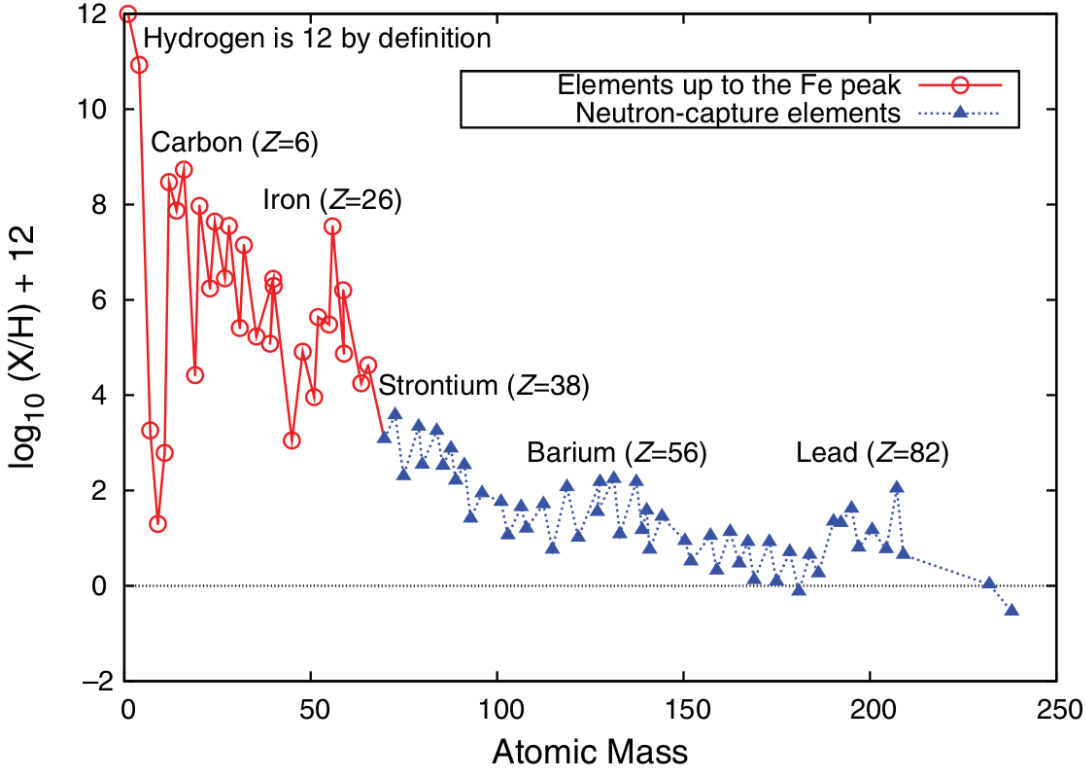
# The interplay between neutron captures and $\beta$ -decays at unstable isotopes

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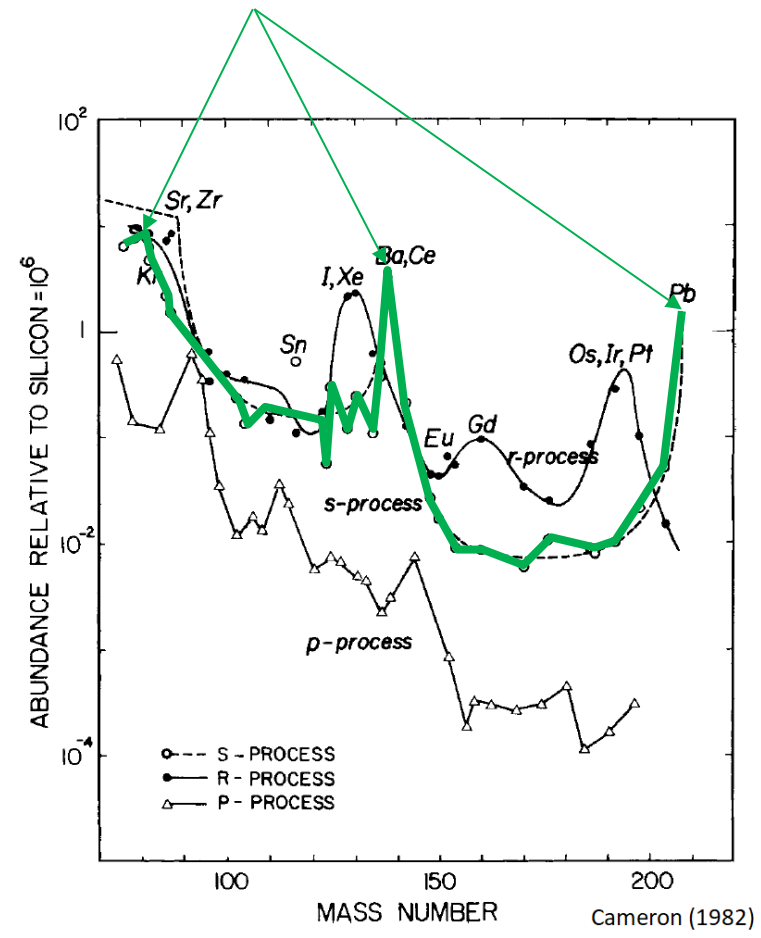
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# The origin of heavy elements in the Solar System



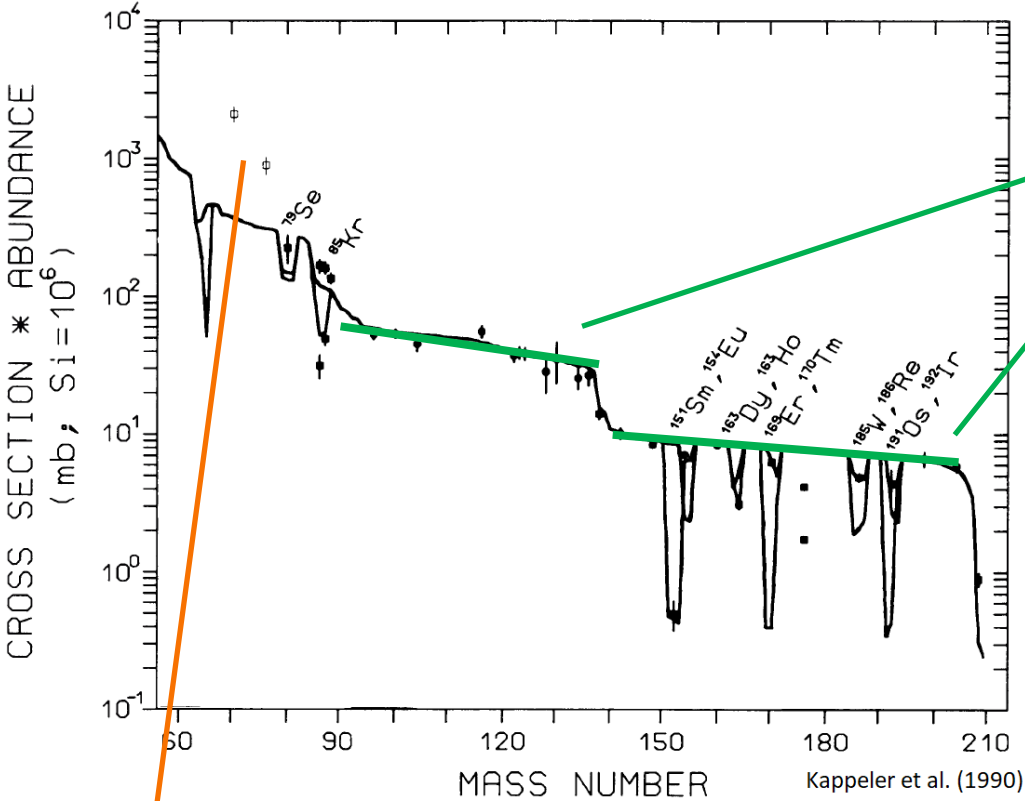
Location of peaks indicates *n*-capture process along valley of stability → *s*-process



Neutron captures processes :

<i>s</i> -process	<i>r</i> -process
<ul style="list-style-type: none"> <li><math>\tau_{\beta} \ll \tau_n</math></li> <li>Unstable nucleus decays before capturing another neutron</li> </ul>	<ul style="list-style-type: none"> <li><math>\tau_{\beta} \gg \tau_n</math></li> <li>Unstable nucleus captures another neutron before decaying</li> </ul>

# Astrophysical sites of the s-process



**main s-process (component)**  
<sup>13</sup>C-burning and He-flashes  
 in low mass TP-AGB stars

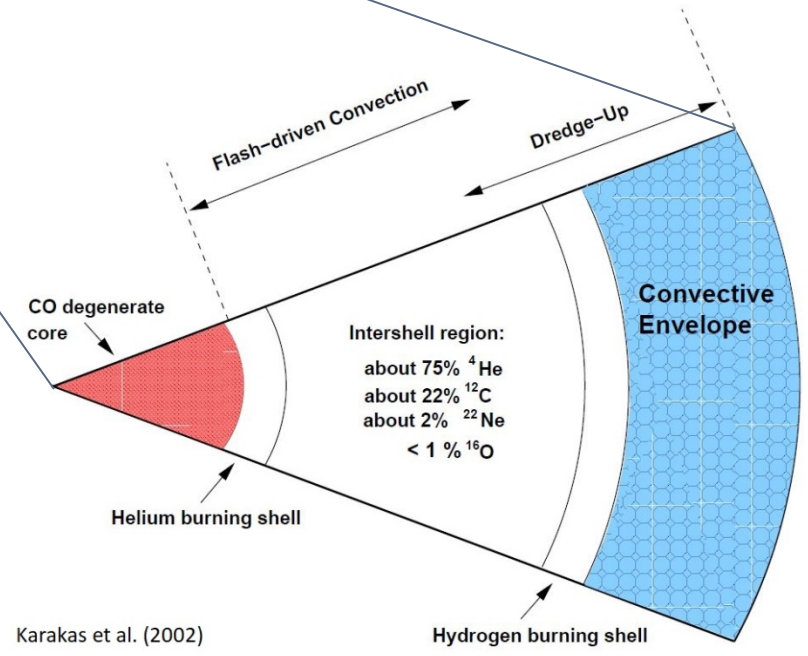
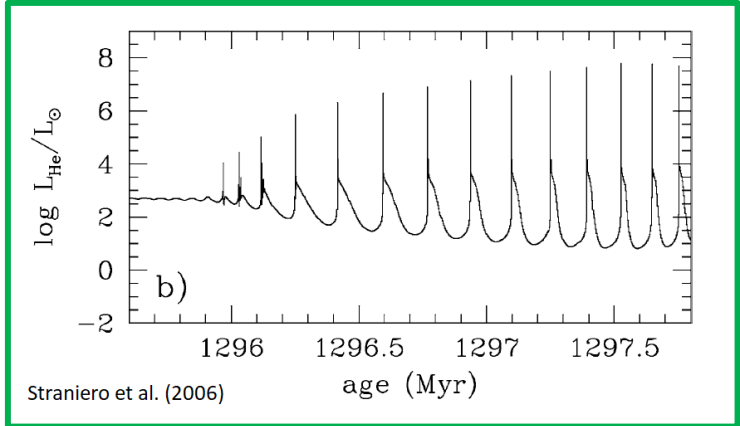
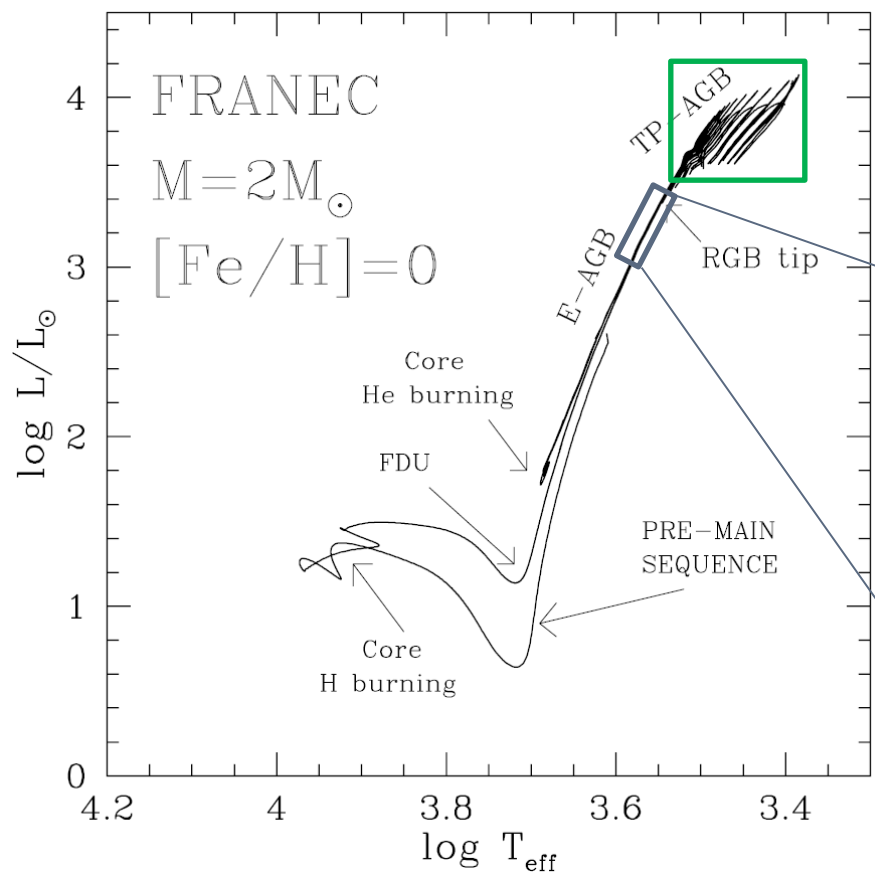
steady flow approximation  
 $\sigma_A \cdot N_A \approx \sigma_{A-1} \cdot N_{A-1} \approx \text{const.}$



can easily interpolate  
 s-contribution for s-nuclei  
**if neutron capture cross  
 sections are known**

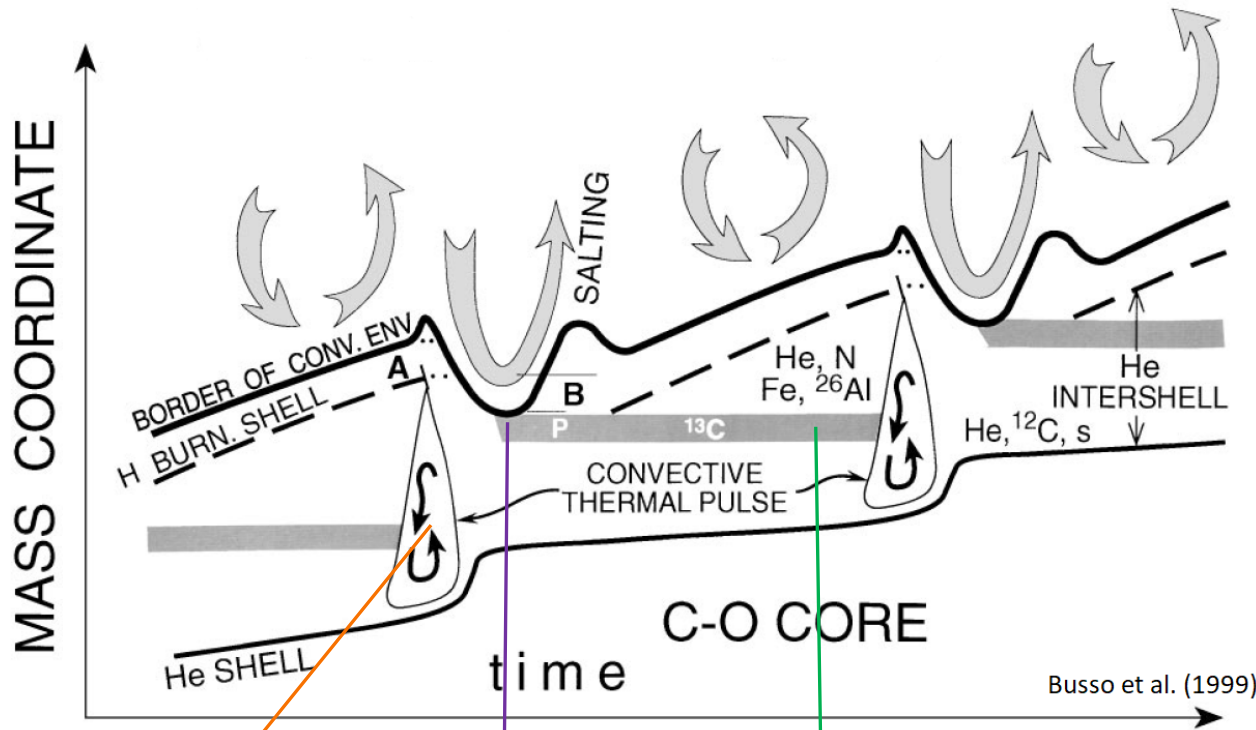
**weak s-process (component)**  
 core-He/ shell-C burning in massive stars

# Main s-process

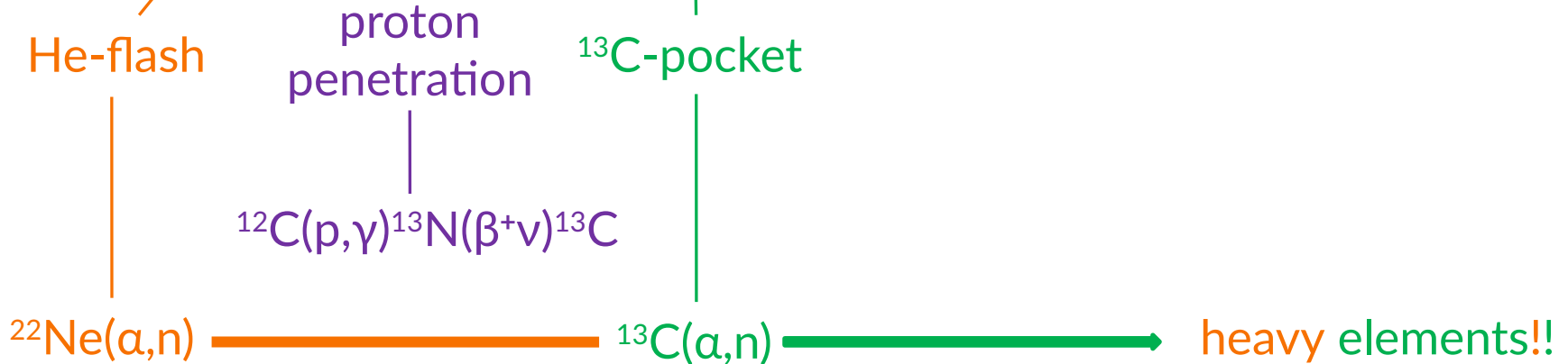


- Thermally Pulsing (TP)
- Asymptotic Giant Branch (AGB)
- Low-Mass Stars (LMS)

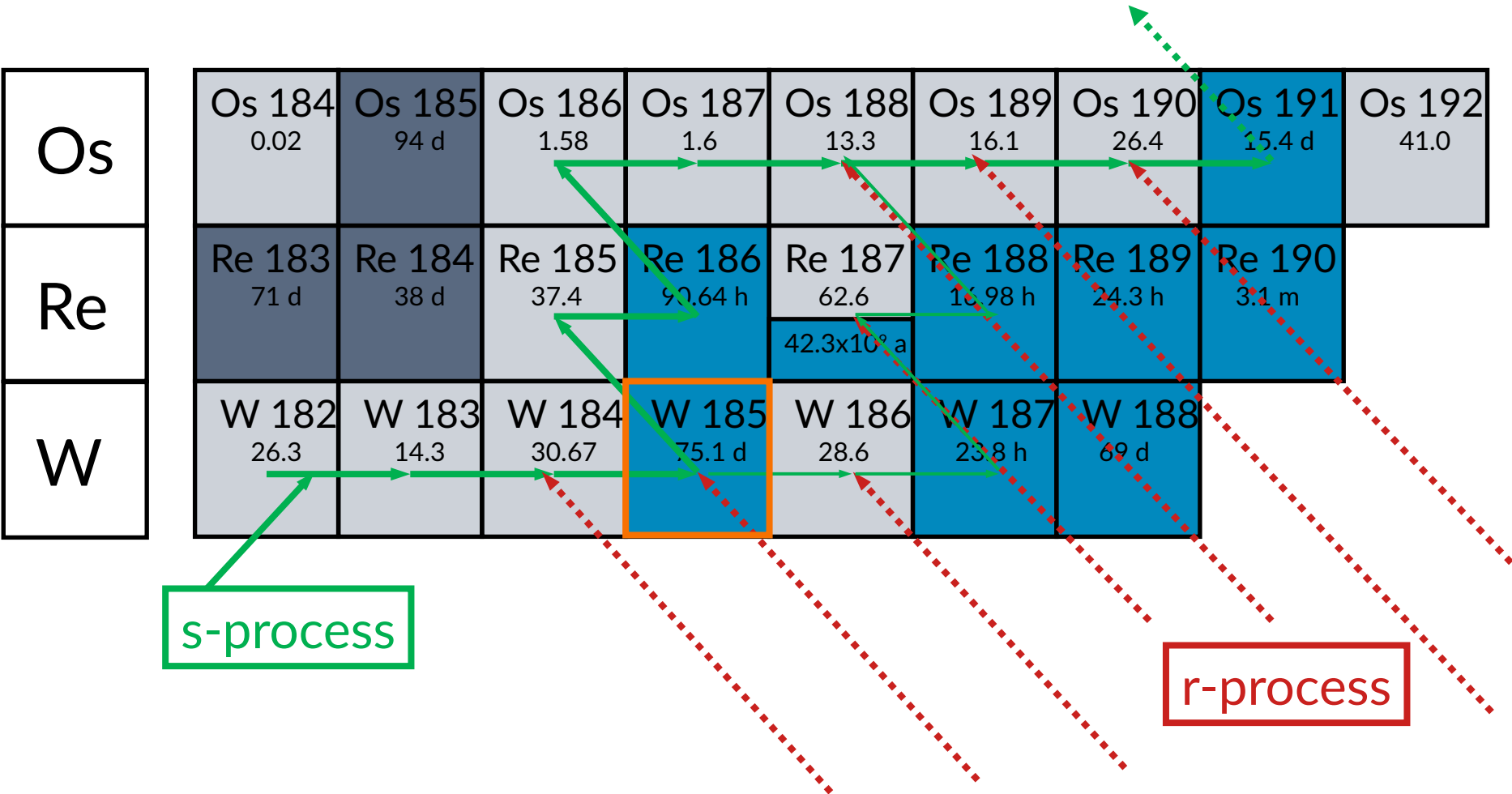
# H- and He-burning in TP-AGB stars



- **What?**  
Low-Mass Stars
- **When?**  
Asymptotic Giant Branch (AGB)
- **How?**  
Thermally Pulsing (TP)



# How do s-process neutron captures work?



s-process

r-process

Branching points: if  $\tau_{\beta} \sim \tau_n \Rightarrow$  several paths are possible

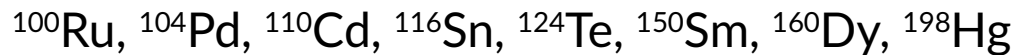
# The main component: uncertainties

- experimental ( $n, \gamma$ ) rates have been highly reduced in recent years reaching in some cases a precision smaller than 1 or 2 % (see e.g. Käppeler et al. 2011)
- However, the high s-process temperatures allow the **low-lying excited states to be populated** by the intense and energetic thermal photon bath
- ground state is accessible by experiment  $\Rightarrow$  the effect of neutron captures in excited states has to be evaluated theoretically and suffers from large uncertainties
- $\beta$ -decay rates of some radioactive isotopes may be **largely affected** by variations of temperature and electron density
- the contribution of thermally populated excited levels and the effects of unknown transitions in a strongly ionized plasma can largely modify the  $\beta$ -decay rates at stellar temperatures.
- **Takahashi & Yokoi (1987)** investigated the  $\beta$ -decay rates of unstable heavy isotopes at temperatures and electron densities typical of stellar interiors ( $5 \times 10^7 \leq T \leq 5 \times 10^8$  K;  $10^{26} \leq n_e \leq 3 \times 10^{27}$  cm<sup>-3</sup>), finding large deviations from the terrestrial values
- temperature dependence of branchings is even more complex, if branchings have isomeric states that are thermalized at high temperatures through transitions via mediating states at higher excitation energy
- **the abundances of the affected s-only isotopes carry direct information on the physical conditions occurring during the s-process, i.e. neutron density, temperature and density**

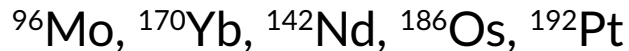
# The main component: uncertainties of major branches

We distinguish the s-only isotopes in three classes, according to their dependence on reaction branchings:

**1) unbranched s-only isotopes**, with unstable isobars having half-lives shorter than a couple of days (thus forbidding neutron captures during TPs)



**2) s-only isotopes sensitive to neutron density only**, with unstable isobars having half-lives (almost) constant in stellar environments

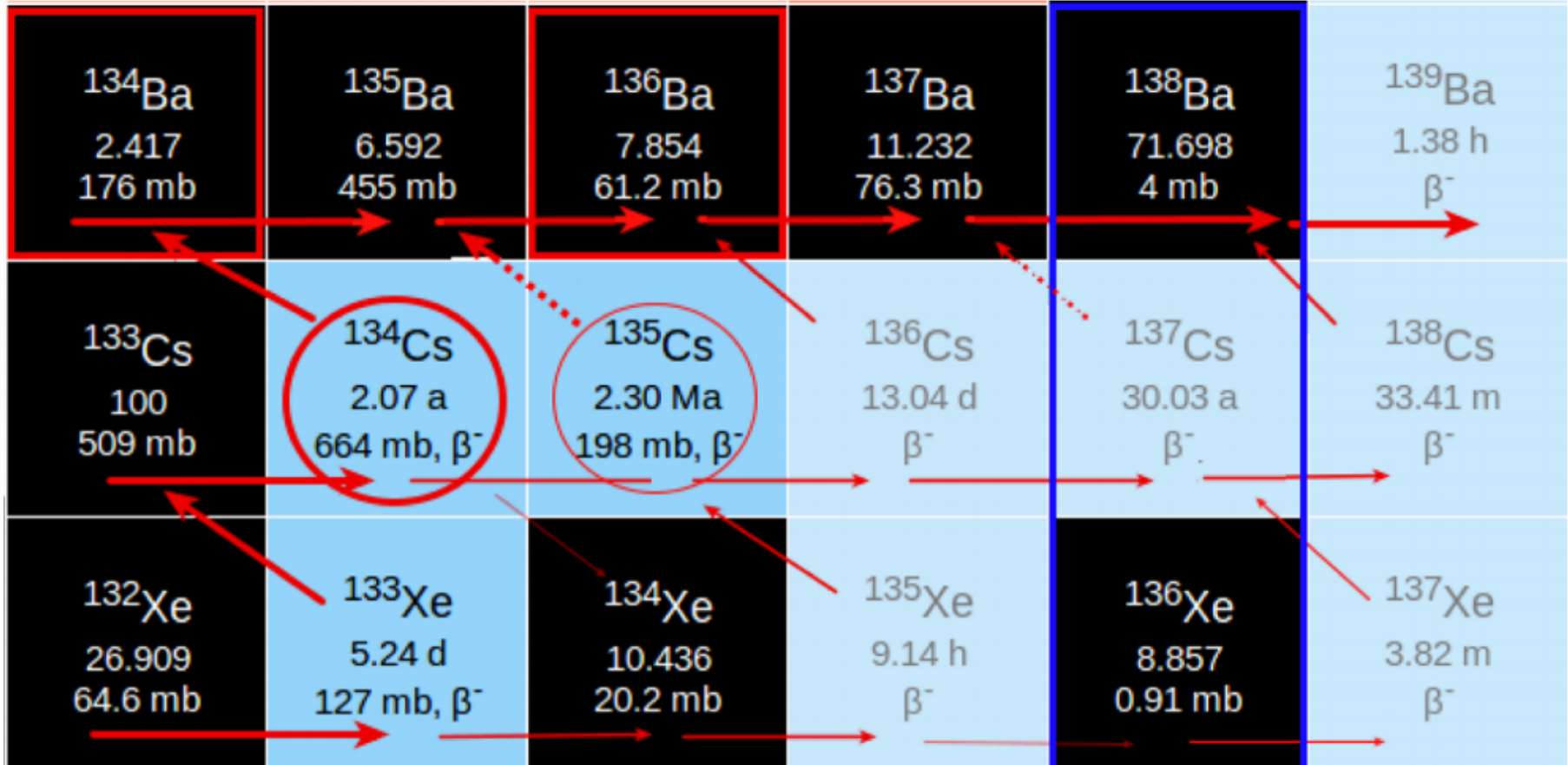


**3) s-only isotopes** ( $^{134,136}\text{Ba}$ ,  $^{152,154}\text{Gd}$ ,  $^{176}\text{Hf}$ ,  $^{204}\text{Pb}$ ,  $^{180}\text{Ta}^m$ ,  $^{128}\text{Xe}$ ) affected by branch points with unstable isobars having  $\beta$ -decay rates quickly changing under stellar conditions:

- **nuclides sensitive to both neutron density and stellar temperature** (and/or electron density):  $^{134}\text{Cs}$ ,  $^{151}\text{Sm}$ ,  $^{154}\text{Eu}$ ,  $^{176}\text{Lu}$ ,  $^{204}\text{Tl}$
- **nuclides less affected by neutron density, but dominated by stellar temperature and/or electron density gradients during TP**:  $^{179}\text{Hf}$ ,  $^{128}\text{I}$



# The branch at $^{134}\text{Cs}$ I

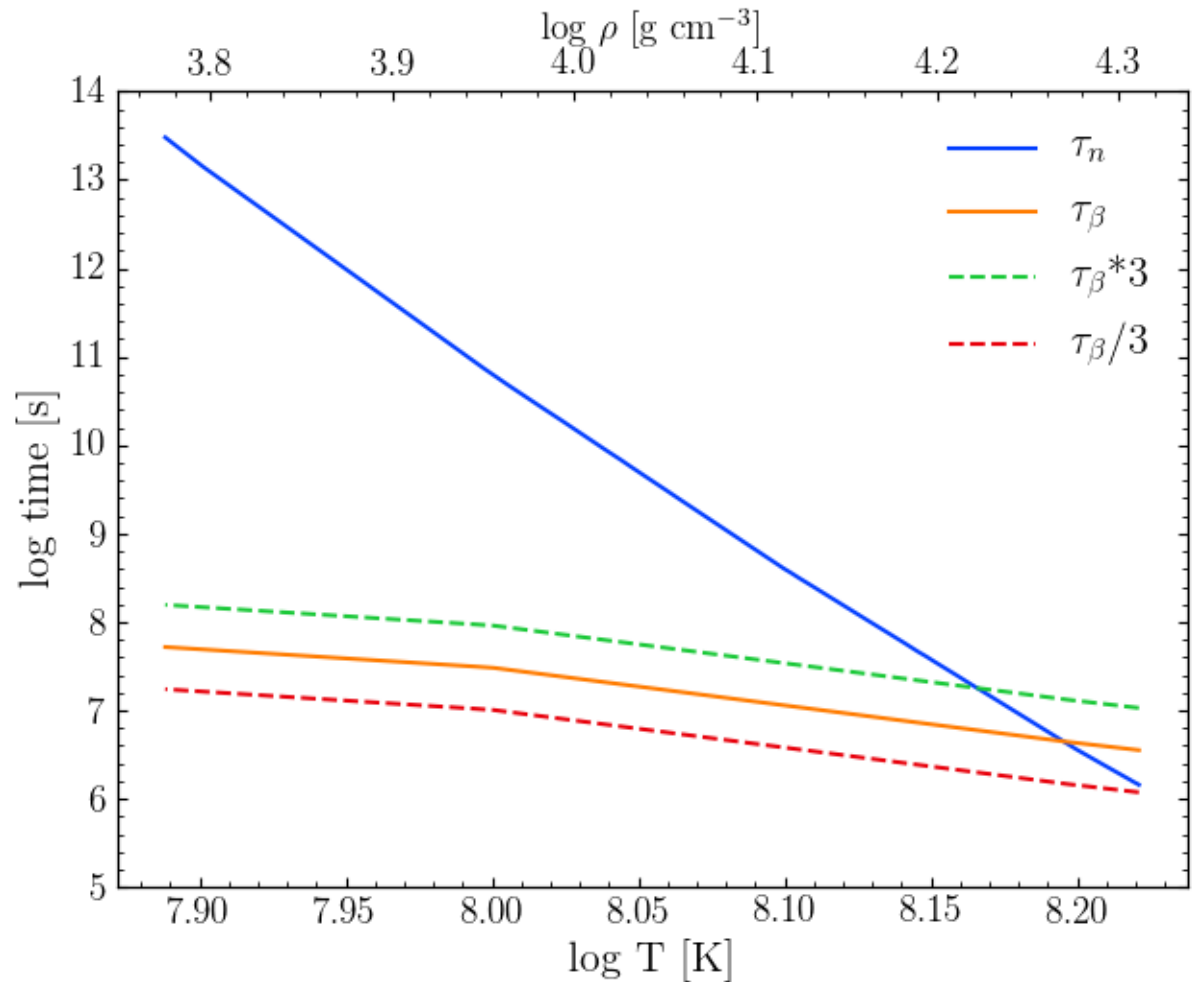


The dominant uncertainty affecting the  $^{134}\text{Ba}/^{136}\text{Ba}$  ratio derives from the  $\beta$ -decay rate of  $^{134}\text{Cs}$

→ the terrestrial half-life of  $^{134}\text{Cs}$  ( $t_{1/2} = 2.07$  yr) is **strongly reduced** under stellar conditions (Takahashi & Yokoi 1987)

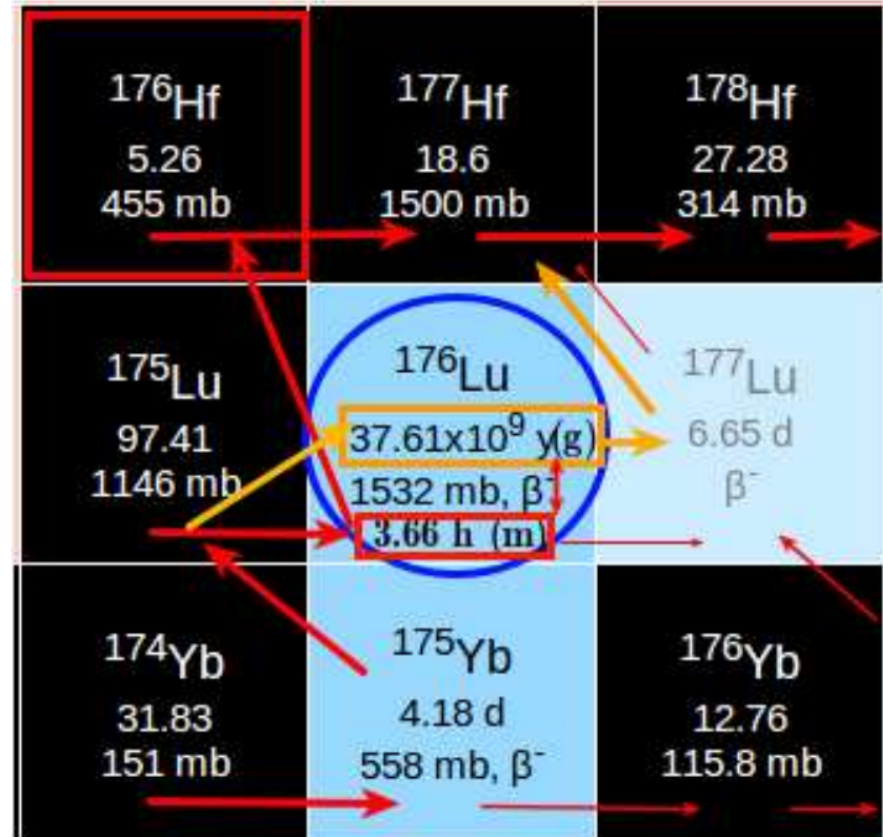
# The branch at $^{134}\text{Cs}$ II

- $t_{1/2}$  decreases by a factor of 3 at  $T = 100$  MK (0.67 yr) and by two orders of magnitude at  $T = 300$  MK (3.8 d)
- Note that  $\lambda(^{134}\text{Cs})$  does not change with electron (or mass) density
- a small amount of  $^{134}\text{Cs}$  is converted to  $^{135}\text{Cs}$  during the peak neutron density at the bottom of the TPs
- $^{134}\text{Ba}$  is temporarily reduced (by  $\sim 30\%$ ). The initial amount of  $^{134}\text{Ba}$  is almost fully re-established as soon as the neutron density decreases.
- almost the entire s-flow is directed towards  $^{134}\text{Ba}$ , may resulting in a **overestimate of solar  $^{134}\text{Ba}$**



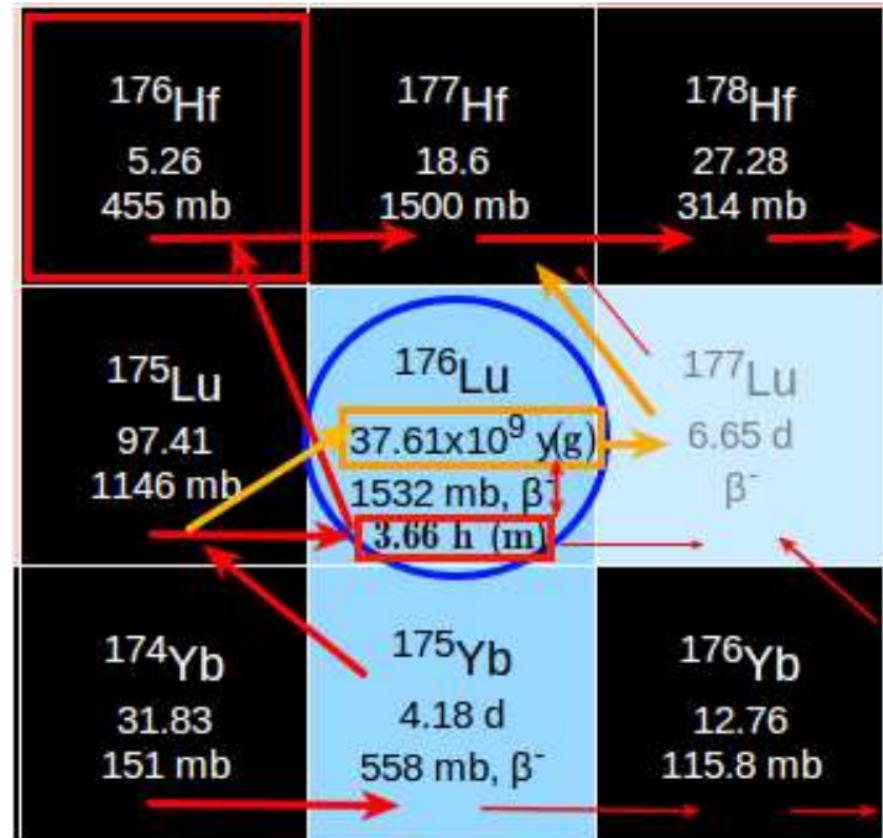
# The branch at $^{176}\text{Lu}$ I

- The  $^{176}\text{Lu}/^{176}\text{Hf}$  ratio is largely affected by the branch at  $^{176}\text{Lu}$ , which is strongly sensitive to the temperature during TPs
- $^{176}\text{Lu}$  has a short-lived isomer ( $t_{1/2}^m = 3.66$  h) and an extremely long-lived ground state ( $t_{1/2}^g = 38$  Gyr)
- **internal transitions are highly forbidden** by nuclear selection rules and any coupling can only be provided by states with intermediate quantum numbers and higher excitation energies
- the **low temperatures** during the  $^{13}\text{C}$ -pocket phase are not sufficient for that coupling, the s-process flow via both states has been treated independently



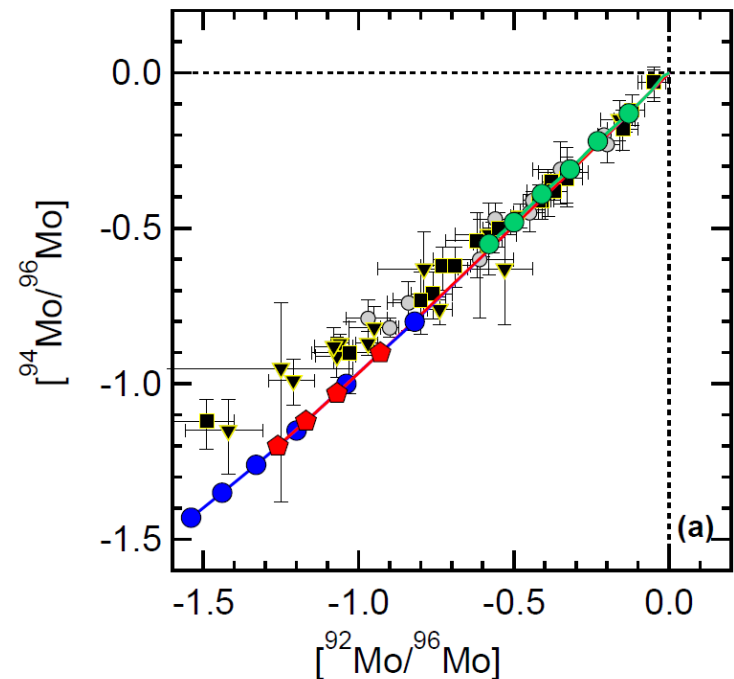
# The branch at $^{176}\text{Lu}$ II

- $^{176}\text{Lu}^g$  is produced via thermal transitions in the bottom layers of the advanced TPs, where temperatures are  $T \sim 300$  MK
- Once produced, the long-lived  $^{176}\text{Lu}^g$  survives in the cooler external layers of the convective flashes, outside of the burning zone
- Accordingly, the detailed neutron density and temperature profiles in the TPs have to be considered for the s-process calculations.



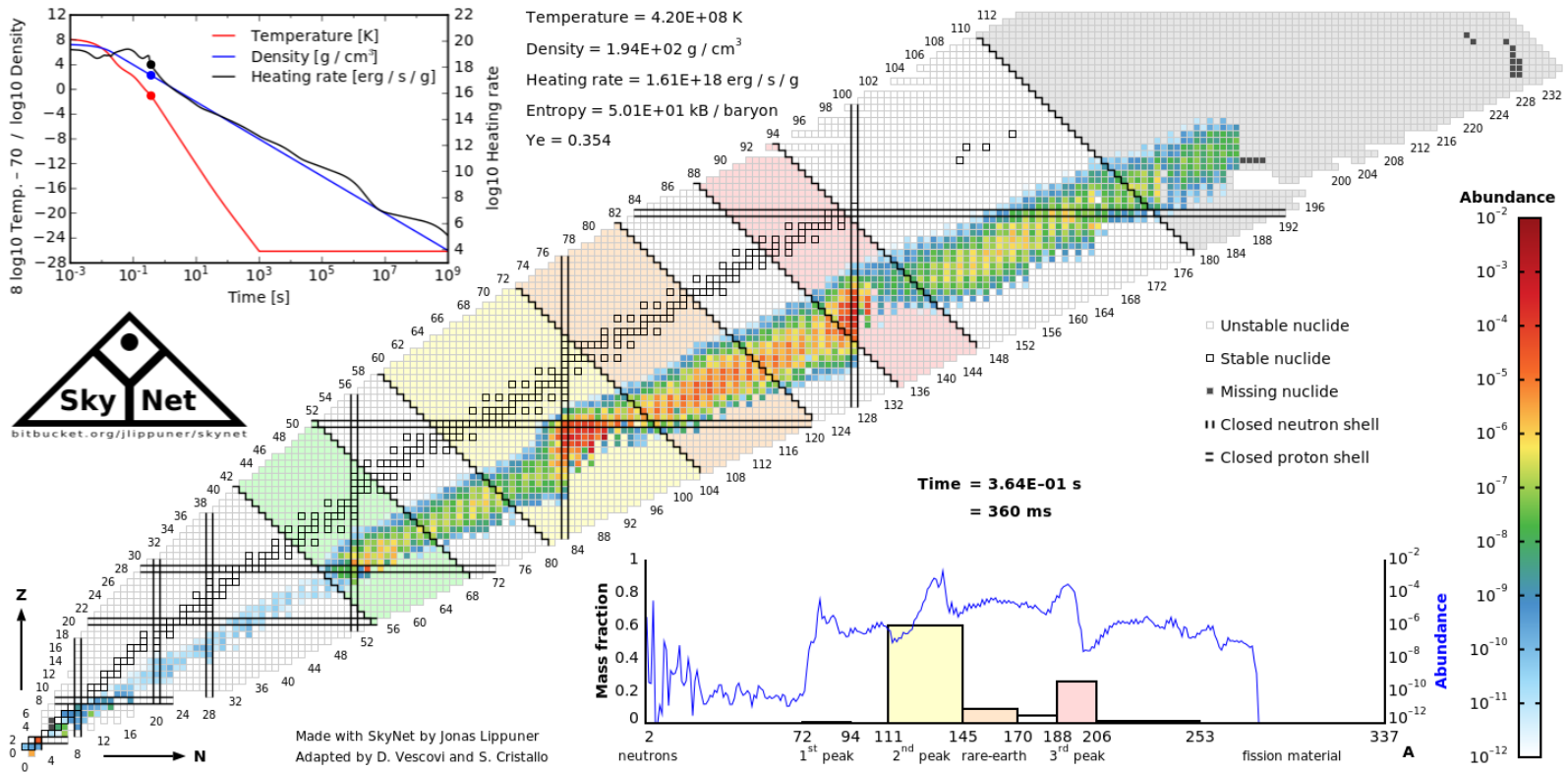
- main production channel for  $^{94}\text{Mo}$  via  $^{93}\text{Nb}(n,\gamma)^{94}\text{Nb}(\beta+v)$
- $^{94}\text{Nb}$  comes indirectly from  $^{93}\text{Zr}$ , which actually behave as stable in timescale of TP-AGB stars evolution: its presence, and thus the presence of  $^{94}\text{Mo}$ , should be strongly underabundant
- In presolar SiC grains this nucleus is overabundant with respect to model's predictions, probably due to lifetime of  $^{94}\text{Nb}$  itself
- $\beta$ -decay rate of  $^{94}\text{Nb}$  has a strong dependence on stellar temperature
- $t_{1/2}$  reduced from 20,000 yr at room temperature to 0.5 yr at  $10^8$  K and 9 days at  $3 \times 10^8$  K

$^{93}\text{Mo}$ 4.00 ka $\beta^+$	$^{94}\text{Mo}$ 9.25 102 mb	$^{95}\text{Mo}$ 15.92 292 mb	$^{96}\text{Mo}$ 16.68 112 mb
$^{92}\text{Nb}$ 34.70 Ma $\beta^+$	$^{93}\text{Nb}$ 100 266 mb	$^{94}\text{Nb}$ 20.30 ka 482 mb, $\beta^-$	$^{95}\text{Nb}$ 34.99 d 310 mb, $\beta^-$
$^{91}\text{Zr}$ 11.22 60 mb	$^{92}\text{Zr}$ 17.15 33 mb	$^{93}\text{Zr}$ 1.53 Ma 95 mb, $\beta^-$	$^{94}\text{Zr}$ 17.38 26 mb



# r-process: basic ideas

- key reactions:  $(A, Z) + n \leftrightarrow (A + 1, Z) + \gamma$
- r-process requires initial high  $n_n$  and  $T$ 
  - high  $n_n$ :  $\tau_{(n,\gamma)} \ll \tau_{\beta\text{-decay}}$
  - high  $n_n$  and  $T$ :  $(n,\gamma) \leftrightarrow (\gamma,n)$  along isotopic chain
  - steady abundances intra-chain with one dominant nucleus
- $\beta$ -decay rates of dominant nuclei regulate inter-chain flow
- equilibrium freeze-out:  $n_n$  drops and  $\beta$ -decays take over



# r-process: uncertainties

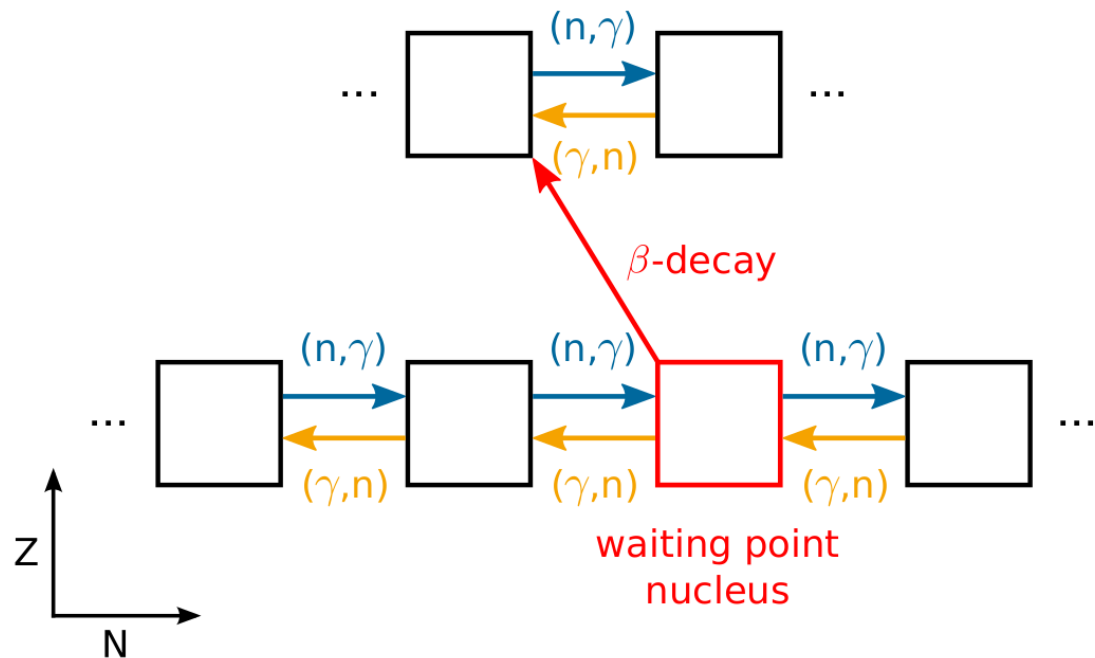
- constraining the astrophysical site for the r process comes from the challenge and sheer number of measurements that must be performed on thousands of short-lived neutron-rich nuclei far from stability that may participate in this process
- For instance, neutron captures in the r process are believed to first exceed and then compete with  $\beta$  decays allowing for the set of most abundant isotopes or “path” to potentially push out to the neutron dripline

## → $\beta$ -decay lifetimes of these nuclei are critical inputs for the r-process

1) set the timescale for heavy element production if  $(n,\gamma)$ - $(\gamma,n)$  equilibrium occurs

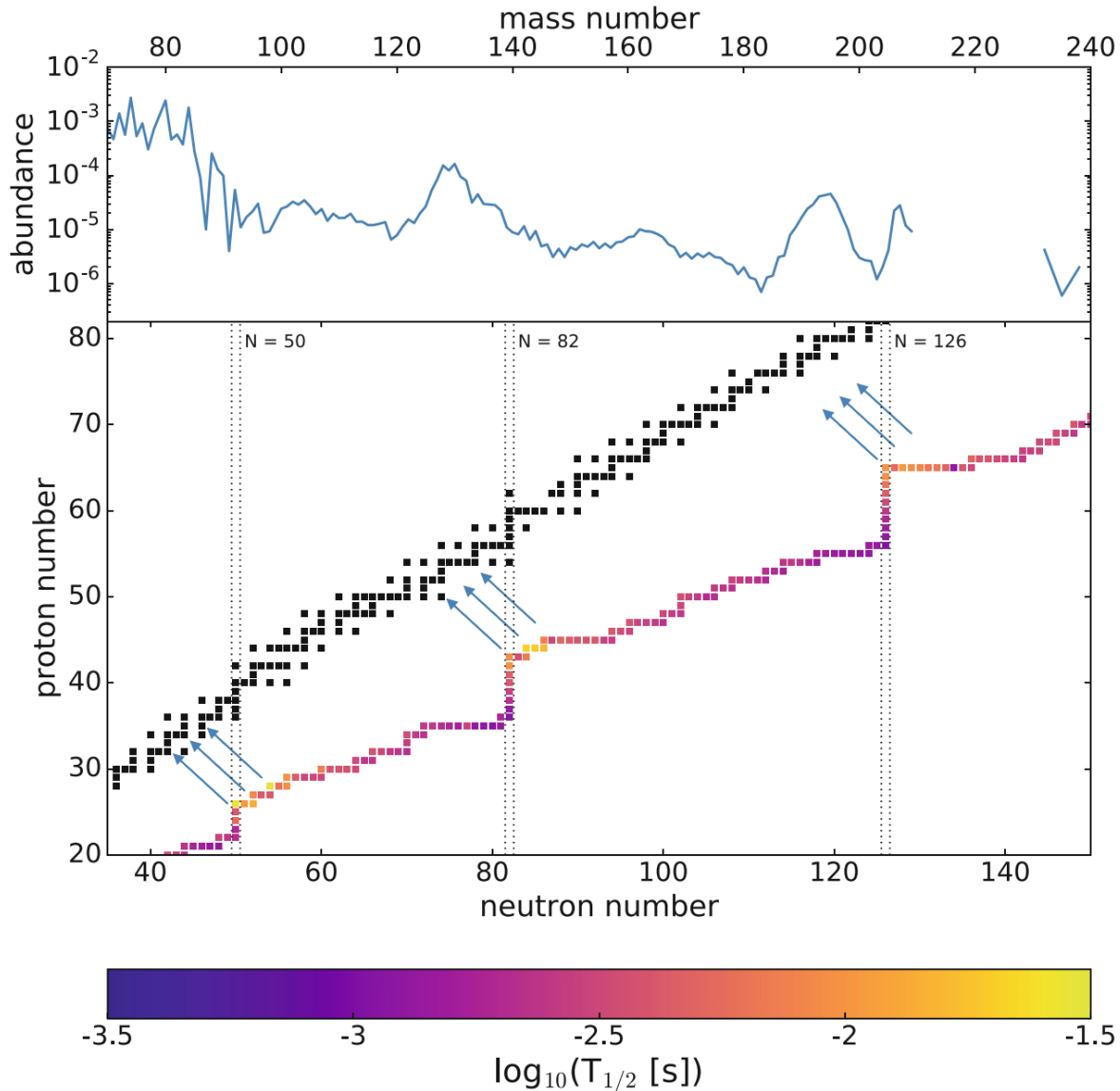
2) help to shape the final pattern as the path moves back to stability

- many studies of  $\beta$ -decay rates most of which have focused on so-called ‘**waiting point**’ nuclei, for which the abundance flow waits for its decay to proceed



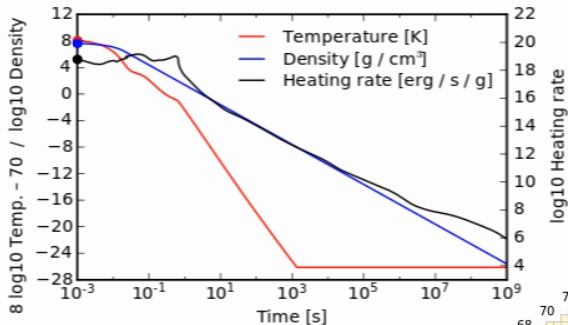
# r-process: peaks

- Wherever the path crosses isotopes with a **closed neutron shell**, both the neutron capture cross sections and  $\beta$ -decay rates become significantly **smaller**
  - accumulation of material in these nuclei
- after the supply of free neutrons has ceased, the extremely neutron-rich isotopes undergo a series of  $\beta$ -decays to stability
- the mass numbers where the r-process path crossed the magic neutron numbers can be identified in the final abundance pattern by **characteristic peaks**





# r-process: simulation



Temperature =  $5.70\text{E}+09$  K  
 Density =  $4.23\text{E}+07$  g / cm<sup>3</sup>  
 Heating rate =  $6.09\text{E}+18$  erg / s / g  
 Entropy =  $1.00\text{E}+01$  kB / baryon  
 Ye = 0.100

