

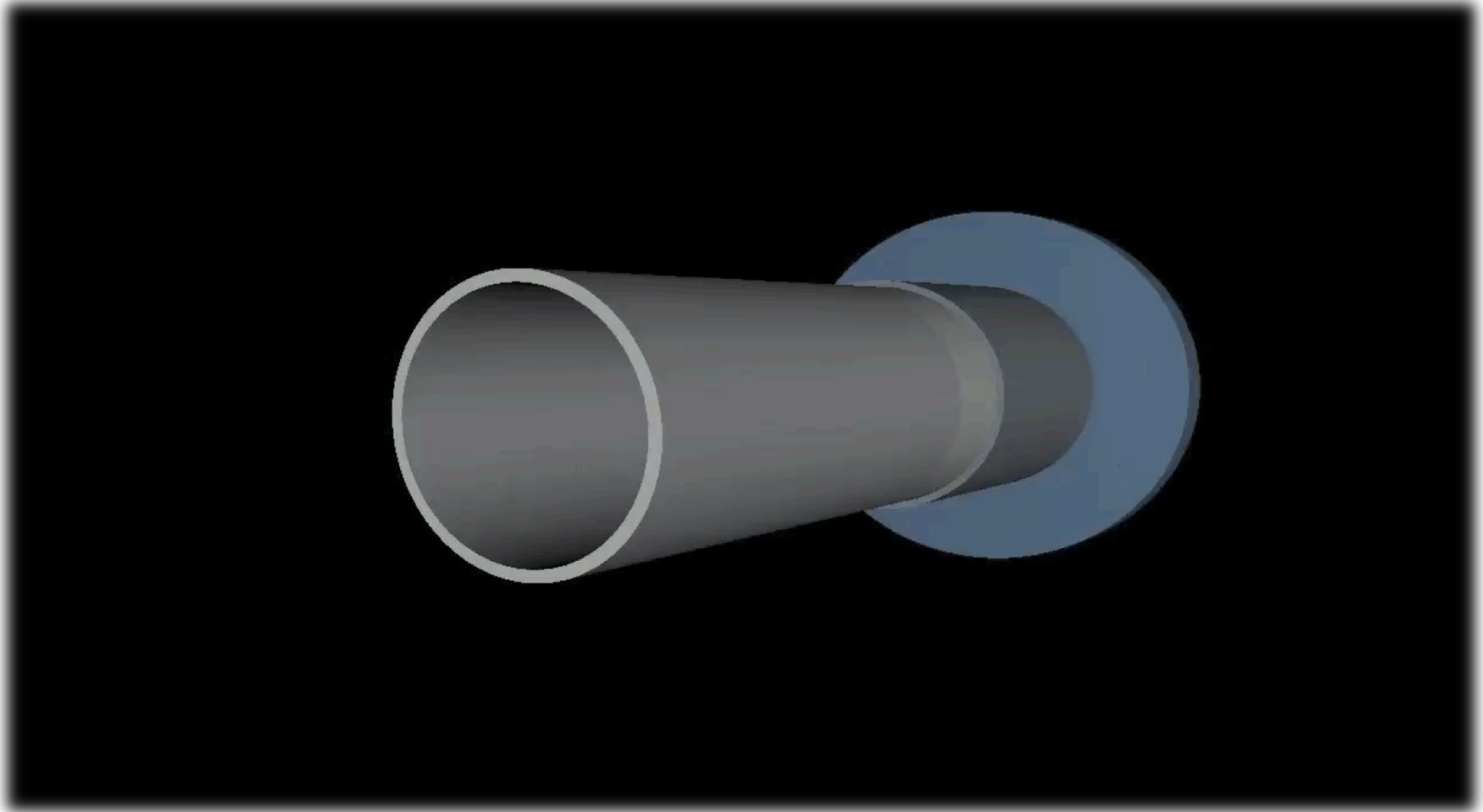
# FDIRC Simulation Status

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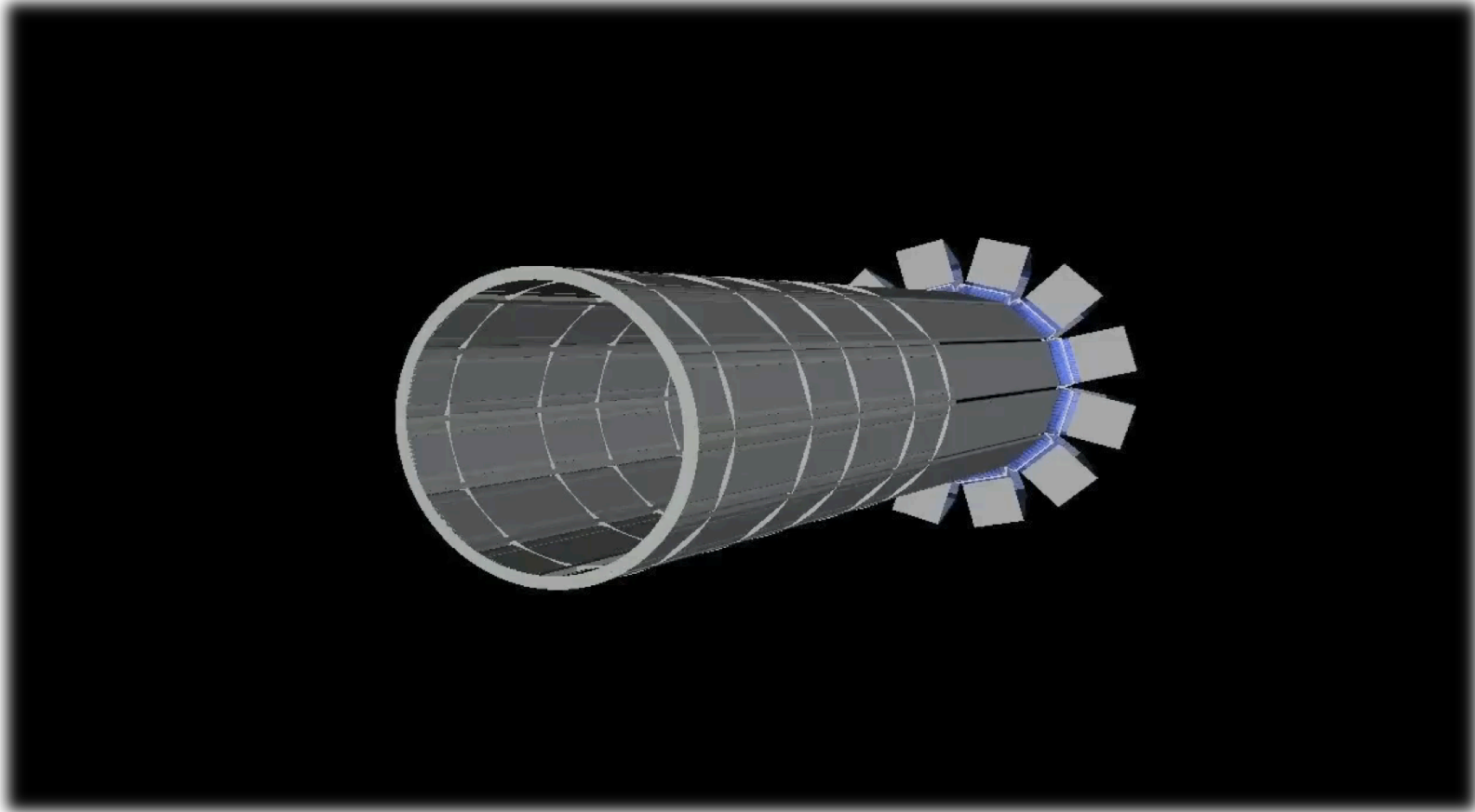
# Outline

- FDIRC in FullSim (Bruno)
- Look at chromatic/time correction

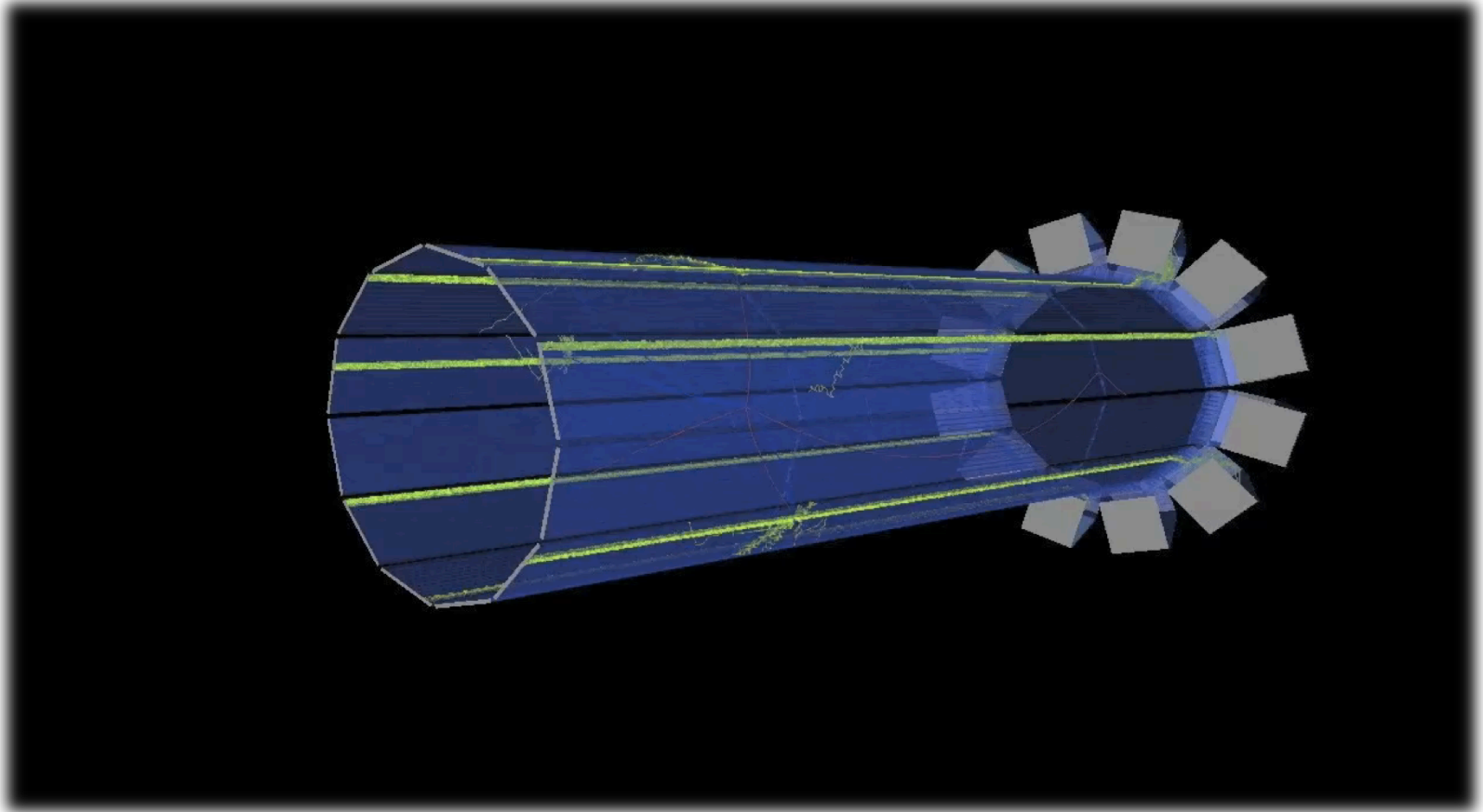
# FDIRC in Bruno (all support)



# No Outer Skins



# An Event



# Timing Correction First Look

- I wanted to start looking at what improvements could be gained by using timing to compensate for the chromatic dispersion that degrades the ring resolution.

- Recall:

$$\cos \theta_c = \frac{1}{n\beta} = \frac{1}{n_p(\lambda)\beta}$$

where  $n_p$  is the phase index and is a function of wavelength

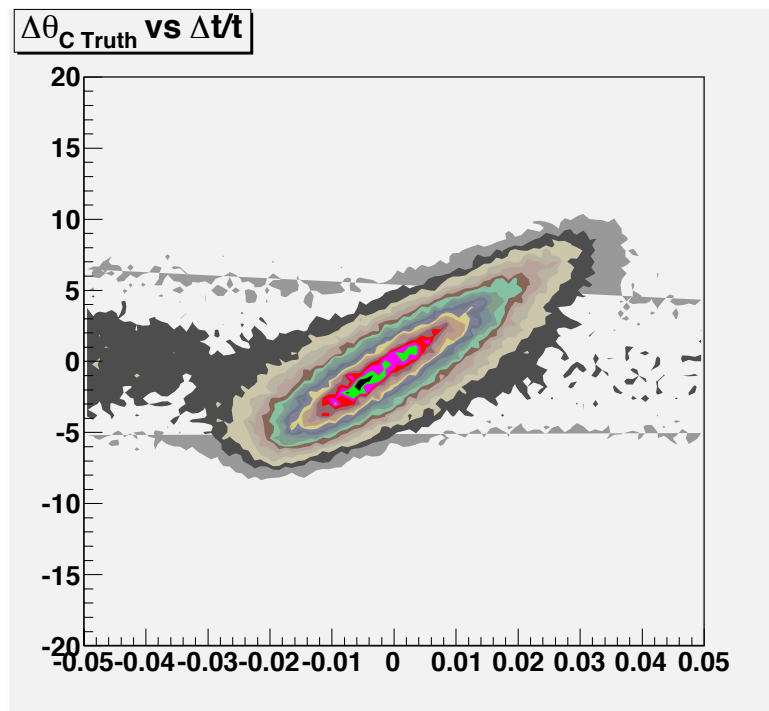
- Time of propagation depends on the group index,  $n_g(\lambda)$
- Bottom line is that this introduces a correlation between the time of a photon's arrival and a shift in  $\cos \theta_c$

# Technique

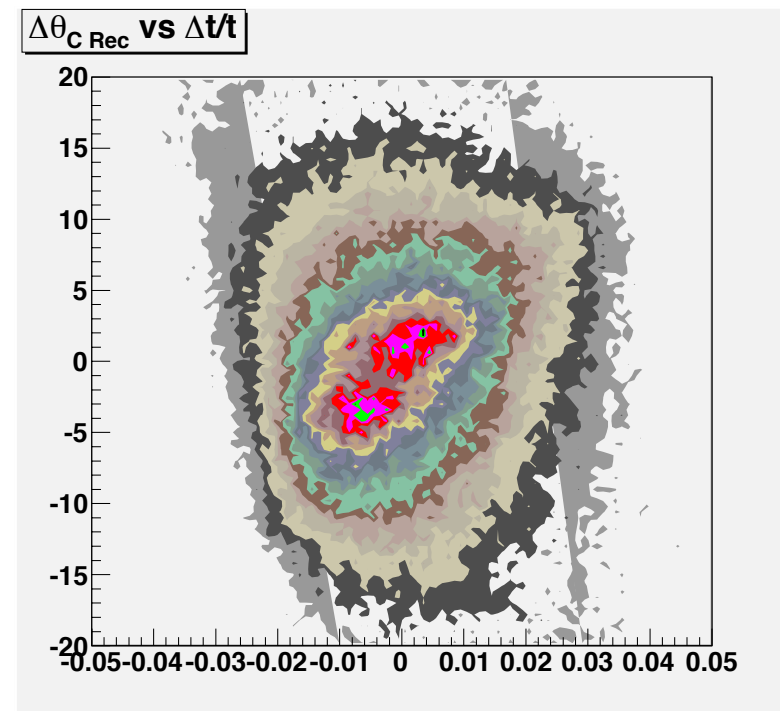
- The single photon library used to go from detector pixel to photon  $\theta_x$  and  $\theta_y$  was generated using monochromatic photons with  $\lambda = 410$  nm
  - Near peak of PMT response
- Calculate  $\theta_c$  and expected time assuming a 410 nm photon
- Expected time requires  $\theta_x$ ,  $\theta_y$  and time from single photon library,  $z$  position from track, and which  $k_z$  ambiguity was used for this calculation (did it hit the forward mirror or not?)
- Use  $(t - t_{410})/t_{410} = \{n_g(\lambda)/n_g(410) - 1\}$  to determine a correction factor to apply to  $\cos\theta_c$  to get back to  $\cos\theta_{c410}$

# $\theta_C$ Resolution vs. $\Delta t/t$

True  $\theta_C$  - Nominal



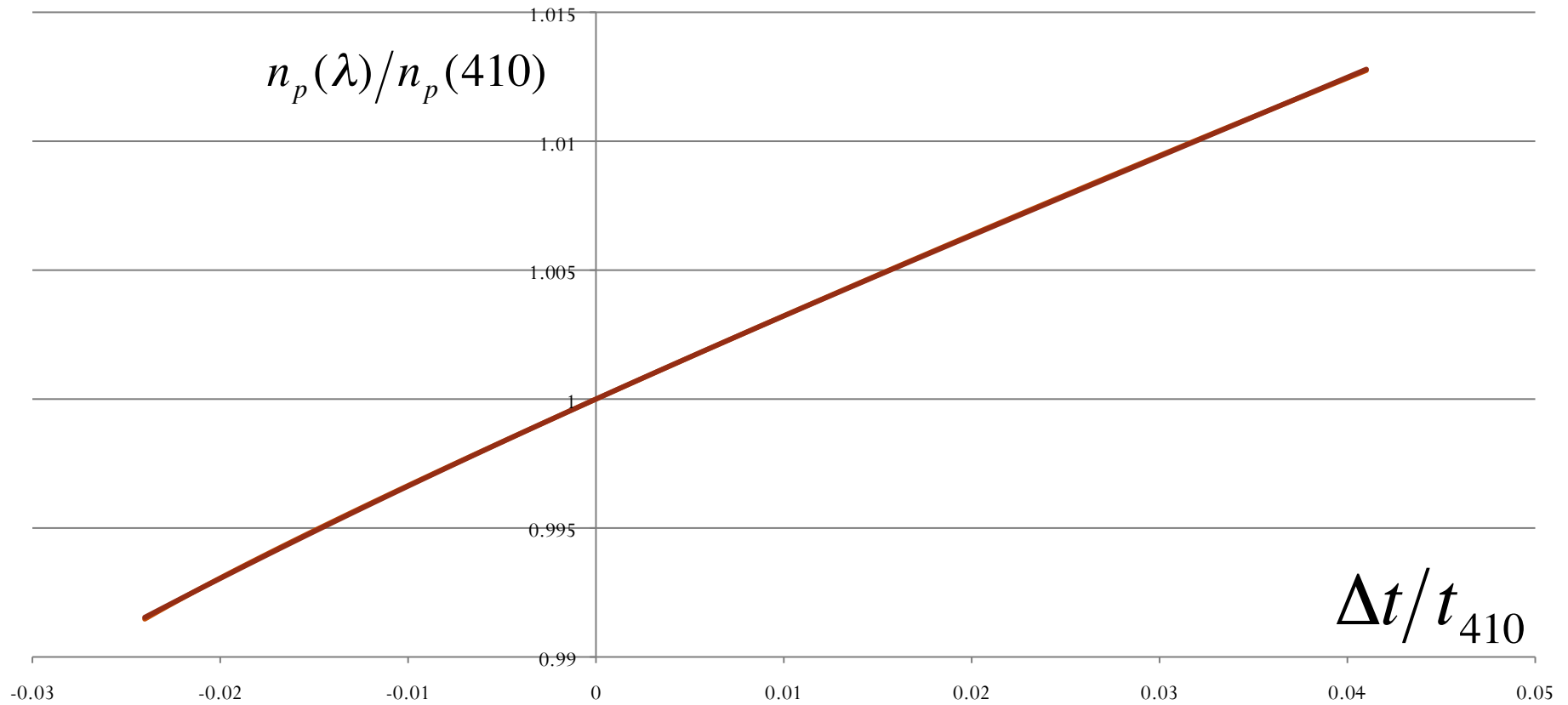
Reco  $\theta_C$  - Nominal



Spread comes from MS. This is a 4GeV  $\pi$ .



### $\cos\theta_C$ Correction Factor vs. $\Delta t/t$



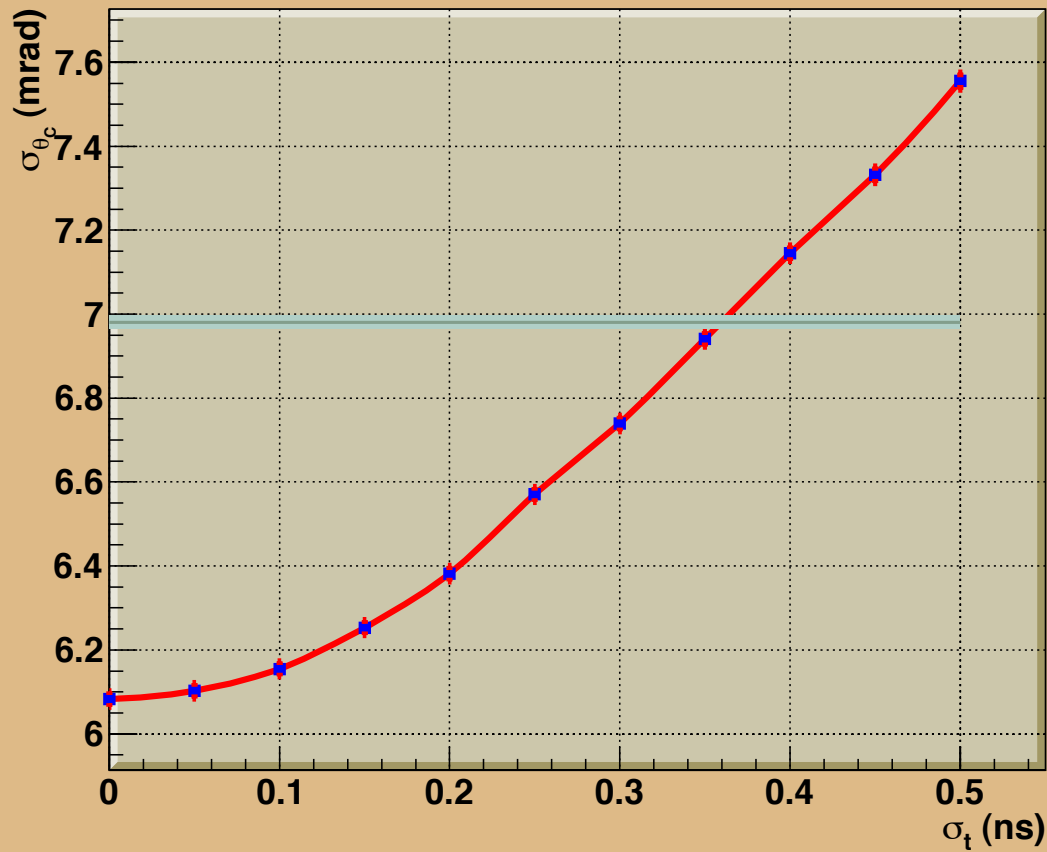
## Multiplicative Factor to $\cos\theta_C$ vs. $\Delta t/t$

Correction is typically small, just a percent or so.

Time difference between photons typically less than 1ns ( $\sigma \sim .7$  ns)

Use a 3<sup>rd</sup> order polynomial fit to the analytic function

## $\theta_c$ Resolution vs. Time Resolution

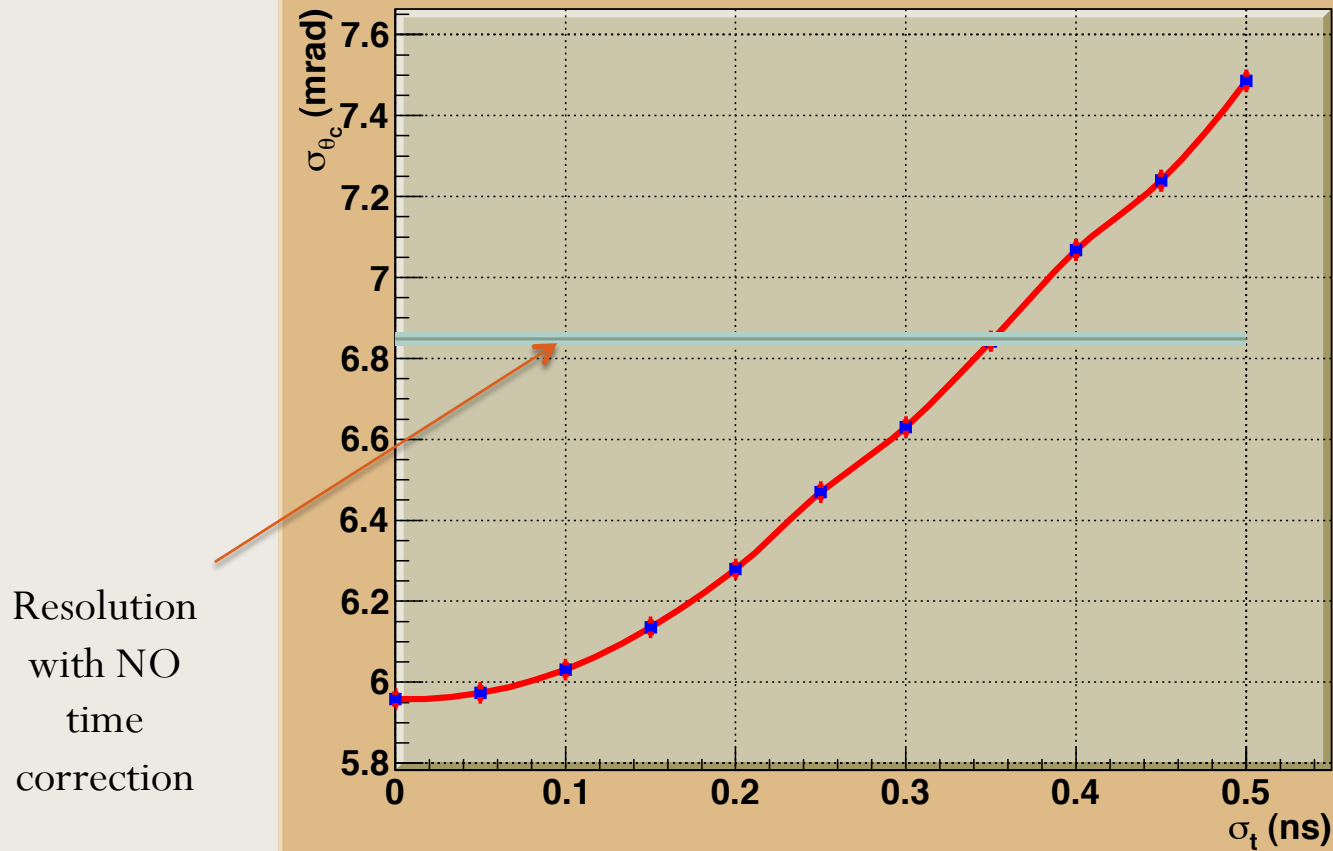


## Single Photon $\theta_c$ Resolution

3mm x 3mm pixels

Hamamatsu quotes transit time spread of 0.4ns (FWHM) for H8500 and H9500 which would mean sigma = 0.17ns

## $\theta_C$ Resolution vs. Time Resolution

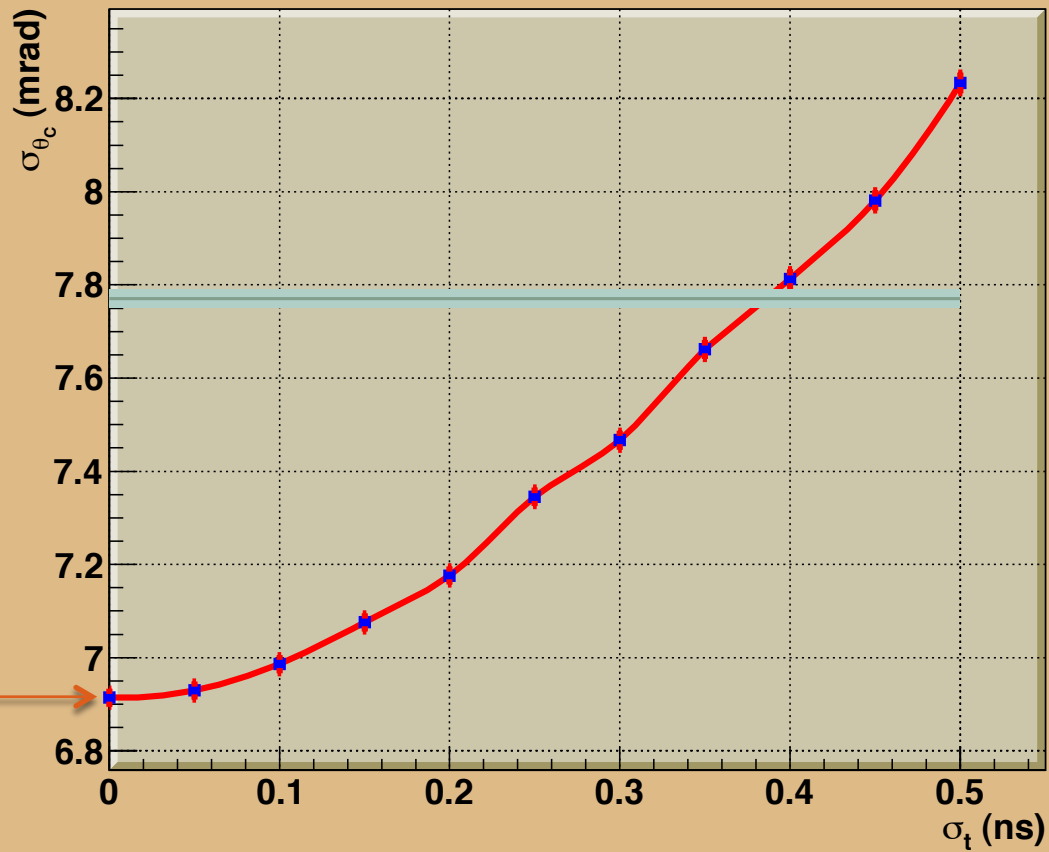


## Single Photon $\theta_C$ Resolution

12mm x 3mm pixels

Hamamatsu quotes transit time spread of 0.4ns (FWHM) for H8500 and H9500 which would mean  $\sigma = 0.17$ ns

## $\theta_c$ Resolution vs. Time Resolution



Almost as good  
here as 3mm  
pixel in y.

## Single Photon $\theta_c$ Resolution

12mm x 6mm pixels

# Conclusion

- Chromatic correction looks qualitatively consistent with FDIRC prototype results.
  - Could gain more than about 0.5 mrad in single photon resolution
    - Depends on  $z$  of track
  - Doesn't explicitly include resolution on track time, but that is common to all the hits
- One (unrelated) thing that concerns me:
  1. There is a significant difference in resolution between 3mm and 6mm pixel size in  $y \Rightarrow$  3mm isn't small on scale of ring image.
  2. Ring images can be pretty flat in  $y$  (see next plot)
  3. Tubes have 1.5mm dead space around the edges  $\Rightarrow$  3mm dead space between two tubes
  4. Could we have some dead zones where we lose many photons from a single track because of these cracks? Won't just be random loss, but could be very correlated.
    - Stagger the tubes?

# 4GeV $\pi$ at $65^\circ$ Boxes are 3mm x 3mm

Example Ring Image

