

QUANTUM MACHINE LEARNING

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UNIVERSITY OF FLORENCE

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ABOUT ME

- RTD-B @ UniFi (Rita Levi Montalcini)
- INFN Projects: SFT, ML

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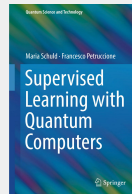
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Research Interests

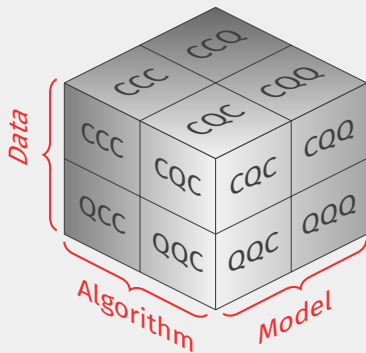
- Quantum Information Theory: Quantum Computation & Quantum Communication
- Quantum Many-Particle Systems
- Machine Learning

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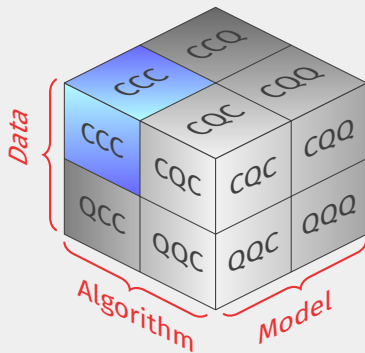
		Algorithm	
		classical	quantum
Data	classical	CC	CQ
	quantum	QC	QQ



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CL. DATA, CL. ALGORITHM, CL. MODEL

ML for data analysis, data interpolation, stochastic optimization

- Deep Neural Networks: TensorFlow, Julia (KNet, Flux)

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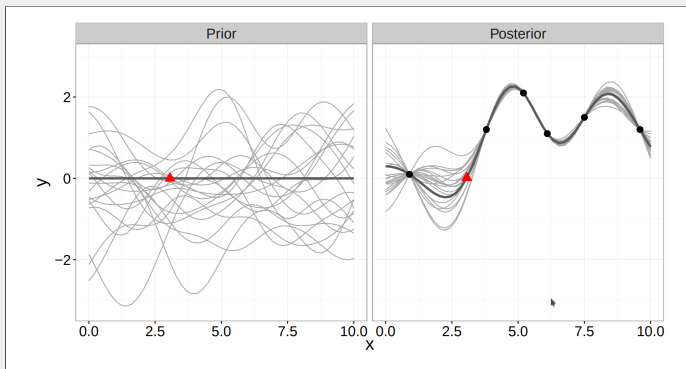
ML for data analysis, data interpolation, stochastic optimization

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- XGBoost

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ML for data analysis, data interpolation, stochastic optimization

- Deep Neural Networks: TensorFlow, Julia (KNet, Flux)
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- XGBoost
- **Gaussian Process Regression**



OPENING THE BLACK BOX: WHY ML WORKS?

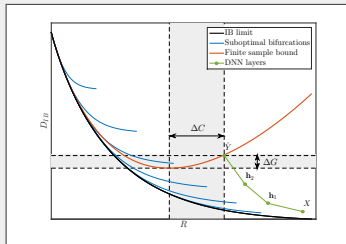
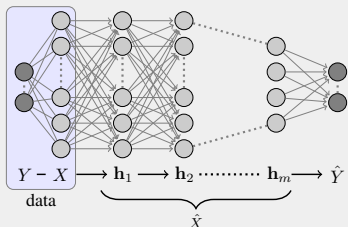
Information Theory

- Coding theory: best theoretical (de)compression strategies
- Amount of information quantified by the entropy H

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Theoretical limit (supervised learning)

residual information between X and Y not captured by \hat{X}

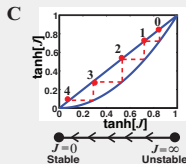
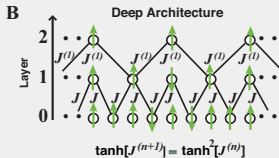
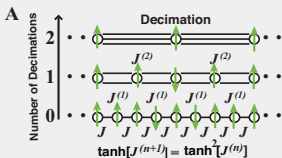
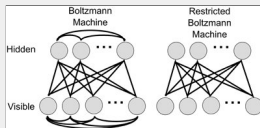
$$D_{IB} = H(X, Y|\hat{X})$$

OPENING THE BLACK BOX: WHY ML WORKS?

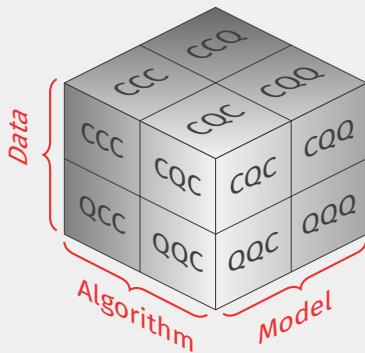
Restricted Boltzmann Machines (unsupervised learning)

$$p(\{s_j\}) \propto e^{-\beta[\sum_{ij} J_{ij} s_i s_j + \sum_i h_i s_i]}$$

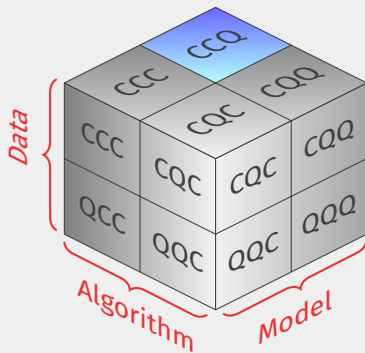
Learning as following the **renormalization group flow**



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Problem in ML

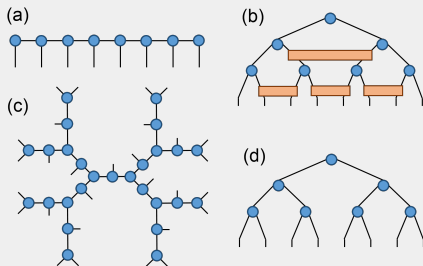
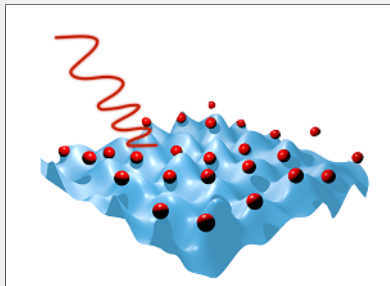
effectively model a complex mapping between huge dimensional spaces using few trainable parameters

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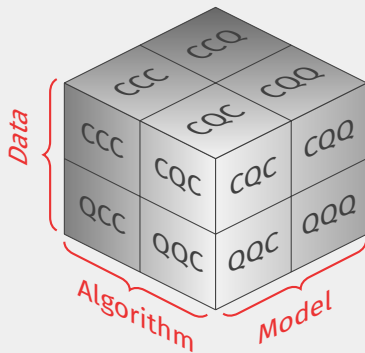
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Analogy: variational methods for quantum many-body systems

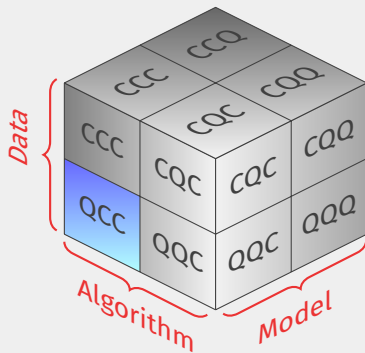
$$E_{GS} \lesssim \min_{\theta} \langle \psi(\theta) | H | \psi(\theta) \rangle$$



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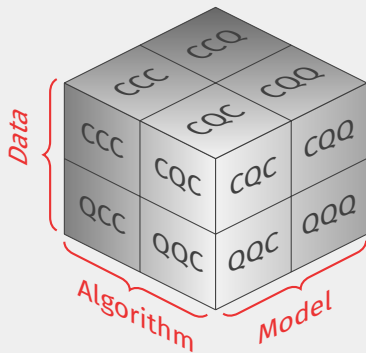
Q. DATA, CL. ALGORITHM, CL. MODEL

ML as a tool to probe and control Quantum Systems

Example applications:

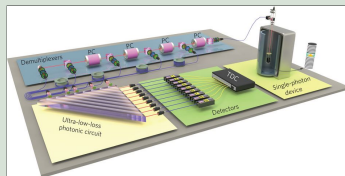
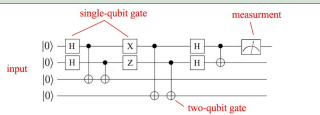
- Extract relevant features of a quantum system from carefully chosen measurements
- Quantum theory is probabilistic: optimising the dynamics of a quantum system requires **stochastic optimization** (ML)
- Prediction of quantum dynamics via recurrent neural networks
- Optimal tomography via gaussian process regression
- Quantum Control via reinforcement learning

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“Near-Term” Quantum Devices

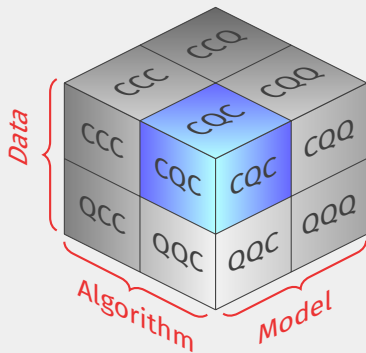
- Available nowadays (Google, IBM, etc.)
- Circuit based vs sampling devices (D-Wave, boson samplers)



“Full” Quantum Computer

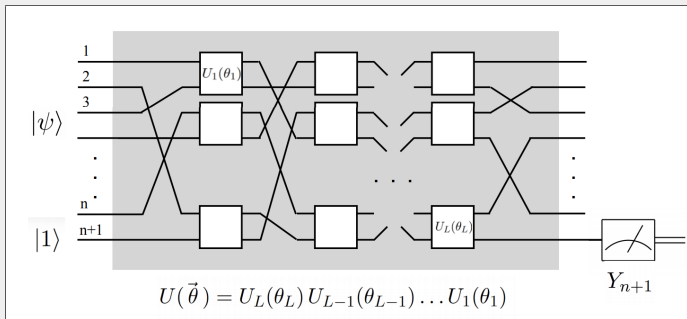
- Can run proper quantum algorithms (Shor, etc.)
- Requires error correction ($10^4 - 10^5$ qubits)
- Up to **exponential speedups** for solving certain problems

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Quantum Neural Networks

classical trainable parameters $\{\theta_j\}$

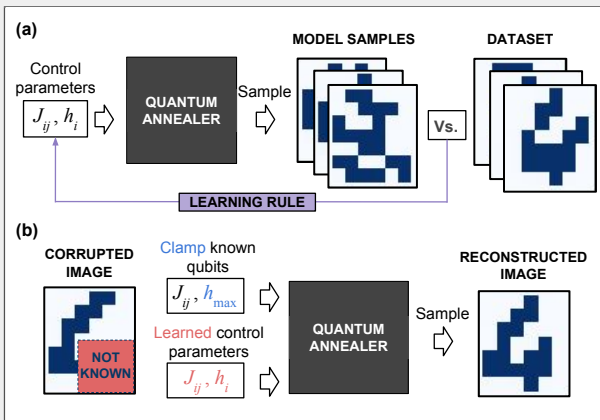


✓ Ok for near-term devices

✗ Possible speedups not known

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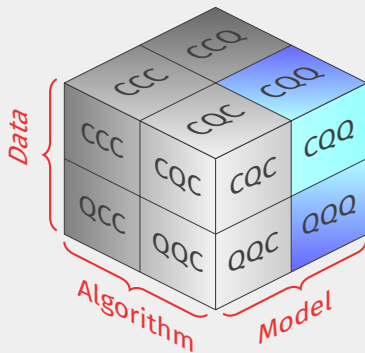
Unsupervised learning with quantum samplers



✓ Ok for near-term devices

✗ Speedups might be expected, but not well justified

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HHL algorithm

A quantum computer can solve a linear system

$$y = Ax$$

using $\mathcal{O}(\log(N))$ operations. This is an **exponential speedup**

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Many applications in ML

- Quantum Principal Component Analysis
- Quantum Support Vector Machines
- Quantum Recommendation Systems (“Netflix problem”)

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Summary:

- ✓ A quantum computer can speedup ML algorithms
- ✗ Too difficult for near-term devices

SUMMARY

- Physical theories (information theory, RG-flow, etc.) can help us to understand why ML works
- ML as a tool to probe and optimize quantum systems
- Quantum correlations as “inspiration” to define new ML models
- Quantum sampling devices for classically hard distributions
- Quantum algorithms provide exponential speedups to some ML problems

SUMMARY

- Physical theories (information theory, RG-flow, etc.) can help us to understand why ML works
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Thank you for your
attention!