

Simulations of PRESPEC Plunger experiments

J. Gerl, O. Möller, C. Domingo Pardo, N. Pietralla, M. Reese

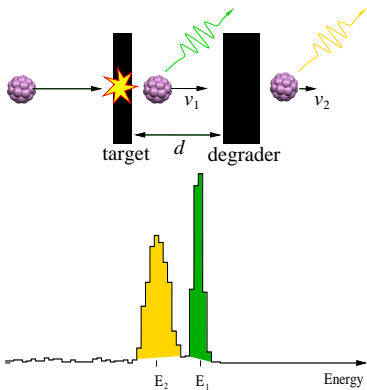


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Outline:

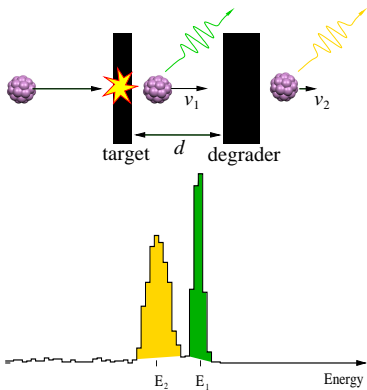
- ▶ Lifetime measurements with radioactive beams
- ▶ Simulation details
- ▶ Comparison with data
- ▶ Some examples
- ▶ Future improvements

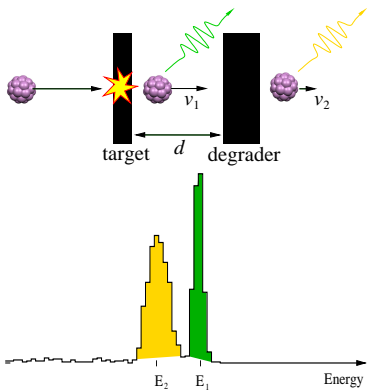
Lifetime Measurements with Exotic Beams



Doppler shift method for lifetime measurements (Plunger Method)

- ▶ Important tool for nuclear structure investigation
- ▶ Model independent lifetimes
- ▶ Many future experiments will use this technique





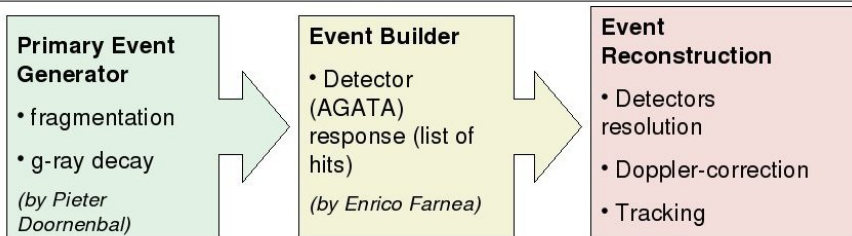
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PRESPEC plunger experiments

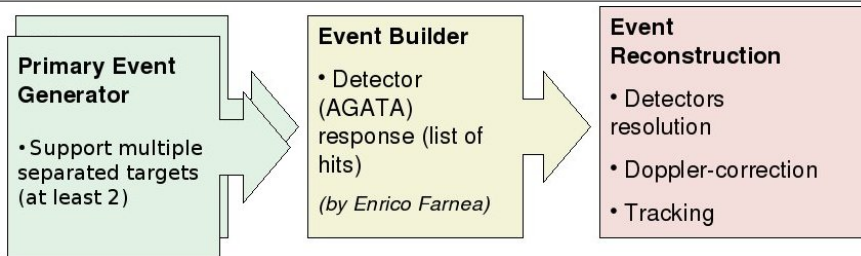
- ▶ Fast beams: v/c several 10%
- ▶ Thick target and degrader
- ▶ Broad beams: FWHM are several cm in x - and y -direction
- ▶ Low event rate (compared to stable beam facilities)

Changes to the existing Simulation System



[C. Domingo Pardo]

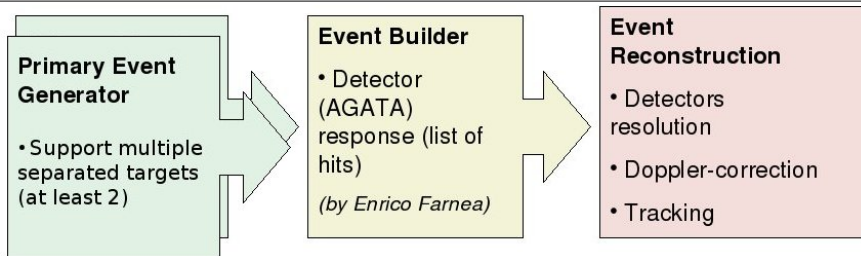
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[C. Domingo Pardo]

Simulation of plunger experiments requires a different Primary Event Generator

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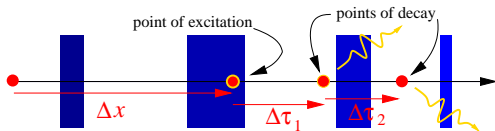
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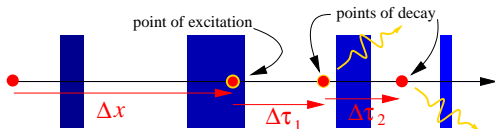
Simulation of plunger experiments requires a different Primary Event Generator

Current version of the Plunger Primary Event Generator

- ▶ New code
- ▶ Fits into the existing framework
- ▶ Supports an arbitrary number of separated target layers

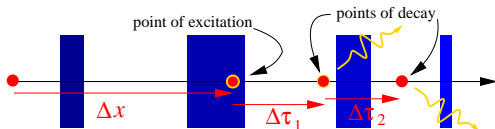
Simulation Details





For every primary

- ▶ Choose reaction point
- ▶ Integrate Bethe-Bloch formula (in space)
- ▶ Reaction kinematics and ejectile excitation

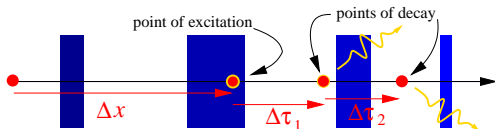


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Repeat until complete de-excitation

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- ▶ Compute Lorentz boosted isotropic emission probability
- ▶ Emit gamma (write input file for AGATA code)



Bethe-Bloch Formula

At high energy: reasonable approximation

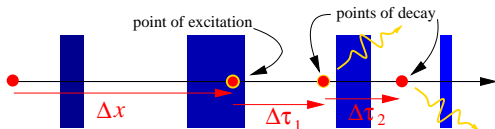
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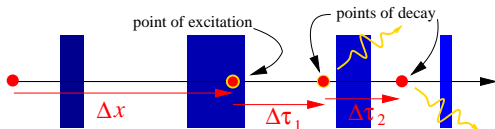
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Propagate in space

$$\frac{d\beta}{dx} = \frac{dE}{dx} \frac{d\beta}{dE} = \frac{dE}{dx} \frac{(1 - \beta^2)^{3/2}}{\beta m_p}$$

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Propagate in proper time of projectile

$$\frac{d\beta}{d\tau} = \frac{dE}{dx} \frac{d\beta}{dE} \frac{dx}{d\tau}$$

$$\frac{dx}{d\tau} = \gamma\beta c$$

Example Input

```
# all length in micrometers
# Layer: A Z density(in g/cm^3)  thickness(in um)  cross_section
# A = Z = 1 and density = 0 means vacuum

Layer: 93 41 8.57 108.0 80.0 C # target
Layer: 1 1 0 2000.0 0.0 C # vacuum
Layer: 12 6 1.85 803.0 0.0 C # degrader 1
Layer: 1 1 0 3000.0 0.0 C # vacuum
Layer: 12 6 1.85 400.0 0.0 C # degrader 2

Ap: 110 # projectile mass
Zp: 46 # projectile charge number

E0: 80.0 # initial projectile energy (in MeV/A)
deltaE: 1.0 # variance of initial projectile energy (in MeV/A)

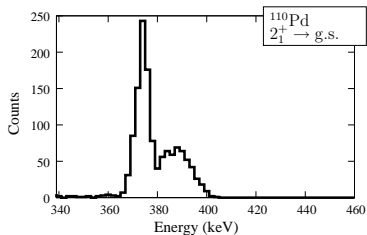
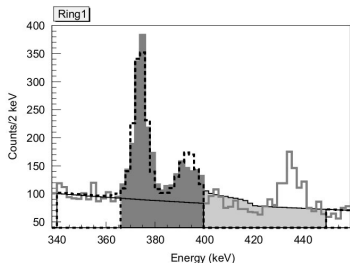
Ae: 110 # ejectile mass
Ze: 46 # ejectile charge number
Bn: 8.0 # binding energy in MeV/u

decay_filename: decay

x0: 0.0 # primary beam position
deltax: 30000 # and variance in x-direction (in um)
y0: 0.0 # primary beam position
deltay: 30000 # and variance in y-direction (in um)
```

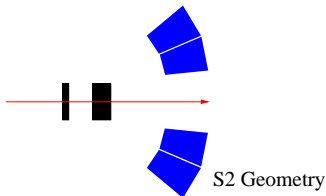
Comparison with NSCL Plunger Simulation

^{110}Pd Coulomb excitation



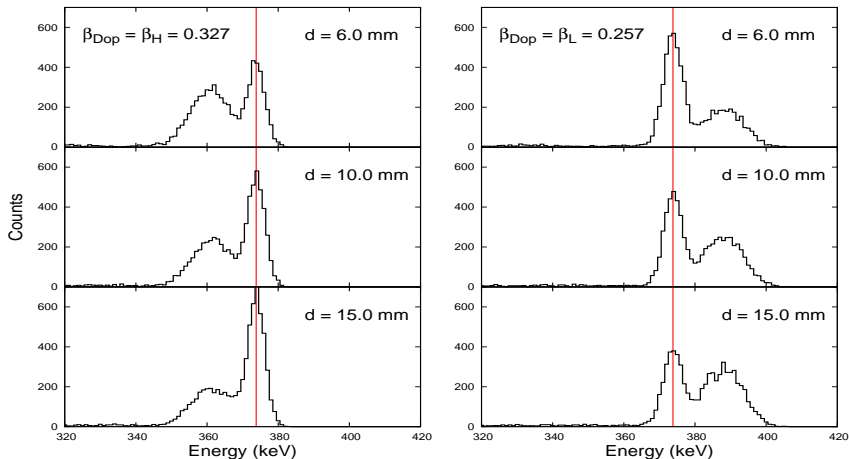
from [P. Adrich et al., Nucl. Instr. and Meth. A **598** (2009) 454]

- ▶ 65.8 MeV/u ^{110}Pd beam
- ▶ 108 μm thick ^{93}Nb target
- ▶ 503 μm thick ^{12}C degrader
- ▶ $\tau_{2_1^+} = 67.1\text{ps}$
- ▶ $E_{2_1^+} = 373.8\text{keV}$
- ▶ Coulomb excitation in target and degrader



Different Distances and Doppler Correction

^{110}Pd Coulomb excitation



Plunger Data Analysis

Example with 2 Degraded Foils

Different kinds of plunger data analysis

- ▶ Differential Decay Curve (DDC) Method
- ▶ τ dependant line shape or simulation \rightarrow fit τ
- ▶ Target with 2 degrader foils (Differential Plunger)
[Dewald et al, Z. Phys. A **334** 163 (1989)]

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Example setup

- ▶ 65.8 MeV ^{110}Pd beam, Coulomb excitation
- ▶ 108 μm thick ^{93}Nb target
- ▶ 800 μm thick ^{12}C degrader
- ▶ 400 μm thick ^{12}C second degrader
- ▶ $d_1 = 2.0\text{mm}$, $d_2 = 3.0\text{mm}$
- ▶ $\tau_{2_1^+} = 67.1\text{ps}$
- ▶ $E_{2_1^+} = 373.8\text{keV}$

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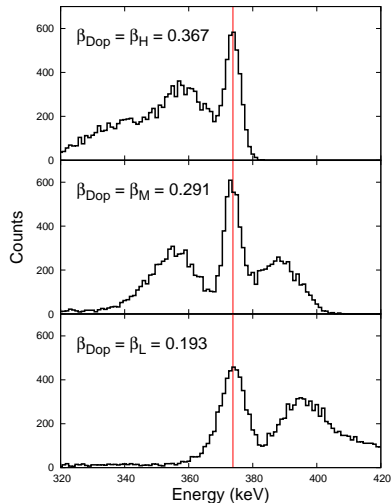
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- ▶ Interesting for nuclear physics simulations: Geant4 version 9.3 has ICRU'73 based stopping model for ions with $0.025\text{MeV/u} < T < 1\text{GeV/u}$

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- ▶ No model for nuclear excitation processes (Coulomb excitation, fusion, transfer)
- ▶ Geant4 gets interesting with increasing number simulation details

- ▶ Implementation and test of new event generator for PRESPEC plunger simulations
- ▶ Possibilities of the software
- ▶ Further development (Geant4)

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Thank you for your attention!