## Tracking: Status and perspectives

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#### OFT recent changes

• Maximum angle for clusterization  $\alpha_{\max} = \alpha_{\max}$  can be scaled down

$$\alpha_{\rm max} = \cos^{-1} \left( 1 - \frac{2}{\left( \left( n_{\rm int} + 2 \right) / 3 \right)^{0.9}} \right)$$

• 1<sup>st</sup> vertex evaluation parameter *a=1* in AGATA package



• Single interaction procedure

*minprobsing* limit on product of range and cross section for photoelectric effect -> hardcoded energy-dependent probability to find the interaction point at a given distance inside AGATA

#### OFT recent changes

• Some bug fixes and improvements (thanks to Jeremy !):

Some events with wrong crystal ID in the Ge sphere correction to compute effective distance in Ge (in online/replay software, not in the AGATA package)

Possibility to have different packets for tracking based on the time of the interaction points

#### Results for 1172 keV from <sup>60</sup>Co (2016)



P/T ( $\sigma_{\theta}$  =0.8) goes from 34 to 36% with new single interaction procedure Addback factor ( $\sigma_{\theta}$  =0.8) goes from 1.18(2) to 1.26(2) removing the factor 2

#### What can be improved ?



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### PSA hits

- Improve the fidelity of the signal data base
- Provide uncertainties of the hit positions/energies
- Provide multiple-hit/segment solution as well as single-hit/segment

- Feedback loop from tracking to aid/guide PSA ?

#### What can be improved ?



• Geometric method (mgt, OFT, Gretina): link clustering

Free parameter: maximum opening angle  $\alpha_{max}$ 

(may vary with the number of interactions)

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 Minimization of an objective function via Fuzzy loggic : *Fuzzy C-Means* and *Hyperconic clustering* (or *Dancing Cones*)

$$J(f) = \sum_{j \in N, k \in K} f_{k,j}^m d_{k,j}^2$$

j - labels the N interaction points

k - labels the K clusters

*d* - geometrical distance between point *j* and cluster *k* 

 $f_{k,j}$  degree of membership of point j to cluster k

*m* - fuzzyfier

Free parameter:  $D_{max}$  (to get an estimate of the number of clusters to be found)

• Minimization of the Free Energy of the system: *Deterministic annealing filter* 

$$F = D - TS$$

$$F = \frac{1}{N} \sum_{i=1}^{N} \sum_{j=1}^{n} p(c_j / v_i) \cdot d(v_i, c_j) + \frac{T}{N} \sum_{i=1}^{N} \sum_{j=1}^{n} p(c_j / v_i) \cdot \ln[p(c_j / v_i)]$$

 $p(c_j/v_i)$  – probability that point *i* belongs to cluster *j*  $d(v_i, c_i)$  Euclidean distance of point *i* to cluster *j* 

Free parameters: rate of change of temperature **T** and **T**<sub>stop</sub>

30 photons of 1 MeV into AGATA  $4\pi$  (only reaction chamber present & no extra dead layers)

Algorithm	Efficiency (%)	Peak-to-Total (%)
MGT[9]	28	49
OFT[8]	24	55
Fuzzy C-Means	27	46
Deterministic Annealing[11]	26	48

G. Suliman & D. Bucurescu (2010)

• Machine learning algorithms for cluster recognition on the basis of total cluster energy, number of interactions, spatial extent, ....?



#### What can be improved ?



#### Test of Compton vertex



$$E_{i} = \frac{E_{i-1}}{1 + \frac{E_{i-1}}{mc^{2}} (1 - \cos \theta_{i})}$$

1) 
$$V_i^E = E_i - E_i^P$$
  
2)  $V_i^e = e_i - e_i^P$   
3)  $V_i^{\cos\theta} = \cos\theta_i^E - \cos\theta_i^E$   
4)  $V_i^{\theta} = \theta_i^E - \theta_i$ 

$$\chi^{2} = \sum_{i=1}^{N_{V}} \left( \frac{V_{i}^{x}}{\sigma(V_{i}^{x})} \right)^{2}$$

assuming normality and independence :

$$\sigma^2(V_i^x) = \sum \left(\frac{\partial V_i^x}{\partial w} \Delta w\right)^2$$

#### Test of Compton vertex



1)  $V_i^E = E_i - E_i^P$ 2)  $V_i^e = e_i - e_i^P$ 3)  $V_i^{\cos\theta} = \cos\theta_i^E - \cos\theta_i$ 4)  $V_i^{\theta} = \theta_i^E - \theta_i$  mgt:

$$\chi^2 = \sum_{i=1}^{N_V} W_i \left(\frac{V_i^E}{E_{i-1}}\right)^2$$

Gretina:  $FOM = \frac{1}{N_V} \sqrt{\sum_{i=1}^{N_V} (V_i^{\theta})^2}$ OFT:  $L = \prod_{i=1}^{N_V} P_i \exp^{-a \left(\frac{V_i^E}{\sigma_E}\right)^2}$ 

i=1

## What does the data look like ?

662 keV photon interacting in AGATA with 2 interactions (primary gamma interaction points) unphysical cosines are set to correspond to thetaE= 7 rad.



Total absorption events

#### What does the data look like ?

Total absorption vs partial absorption (smeared), when the 1st interaction is known



#### Adding packed 3-interaction events



#### Correcting for position uncertainties

 $\sigma_{\theta}$ =0.8 cm



## Using other observables

For distances <2 cm, where background & peak coexist



## With uncertainty correction



The cut can be improved !

# What happens when the 1st interaction point is not known....?

Determine the first interaction point as the one that minimizes the difference between EscatterE and EscatterP

- → 15% total absorption events end up with the wrong 1st interaction
- ➔ 65% of partial absorption events end up with the wrong 1st interaction



#### Using same selections as before

## How does this compare to OFT ?



Spectrum	Eff.	P/T
Core	1	32%
Red	1.1	83%
Blue	1.2	70%
Tracked ( $\sigma_{\theta}$ =0.8)	1.2	74%

## How different are good and bad 662 keV events ?

662 kev total absorption vs 662 partial absorption (from 900 keV scattered events)



## What to conclude ?

- Certainly room for « pattern » recognition in tracking
- How do patterns change with the number of interactions in the clusters and the total incident energy ?
- How do patterns change with real data ?
- What other observables can/should be used ?
- How to calculate a probability or likelihood in order to compare clusters, which contain some common interaction points ?
- Should clusterization & cluster validation be decorrelated ?

NB: algorithm timing is not an issue- as final « good » tracking can be done offline