

EPOS results and future developments

Sophys Gabriel
ATER in Theory Group at Subatech
Second LHCb Heavy Ion Workshop

with K.Werner, M.Jafarpour, J.Jahan, M.Stefaniak and G.Pokropska



EPOS story: EPOS 3 \neq EPOS-LHC

B. Guiot, I. Karpenko, S. Ostapchenko, T. Pierog, S. Porteboeuf, K. Werner
J. Jahan, G. Prokropska, G. Sophys, M. Stefaniak

EPOS 1.99 (public 2009)

- ❑ Effective flow, parametrized
- ❑ Tuned to fit data from SPS, RHIC, Tevatron

EPOS LHC (public 2012)

- ❑ Effective flow
- ❑ Tuned to fit pp and pA data up to early LHC data (\rightarrow cosmic rays)

EPOS 2.xx (semi public)

- ❑ True 3D+1 ideal hydro+ hadronic cascade (\rightarrow collective effects)

EPOS 3.xx (to be public in 202x ?)

- ❑ True 3D+1 viscous hydro (slow) **OR** (fast) effective flow treatment, new implementation of saturation (HM pp, pA and AA)
- ❑ All data from LHC run 1 and others...

EPOS philosophy

We try to understand all aspects of hadronic interactions (hadron-hadron, hadron-nucleus, nucleus-nucleus).

The starting point is the Regge Theory:

- ❑ Study of the S matrix
- ❑ Calculation of elastic cross section

The theory inside EPOS is the Parton-Based-Gribov-Regge-Theory:

- ❑ Combination of Parton Model and Gribov Regge Theory with energy sharing
- ❑ Hard/Soft processes, elastic/inelastic cross section
- ❑ Energy conservation by multiple Pomeron exchange
- ❑ Particle production

How do we construct an event ?

Same procedure applies, based on several stages:

- 1 Initial Conditions
- 2 Core-Corona Approach
- 3 Viscous hydrodynamic expansion
- 4 Statistical hadronization
- 5 Final state hadronic cascade

EPOS initial state

Conceptually very different compared to other models (Pythia, Herwig...)

Heavily based on S-matrix theory

(S related to T via $S_{if} = \delta_{fi} + i(2\pi)^4 \delta(p_f - p_i) T_{fi}$)

- Lorentz invariance
- Unitarity
- Analyticity (\Rightarrow crossing symmetry)

EPOS initial state

Conceptually very different compared to other models (Pythia, Herwig...)

Heavily based on S-matrix theory

(S related to T via $S_{if} = \delta_{fi} + i(2\pi)^4 \delta(p_f - p_i) T_{fi}$)

- Lorentz invariance
- Unitarity
- Analyticity (\Rightarrow crossing symmetry)

Asymptotic form of T:

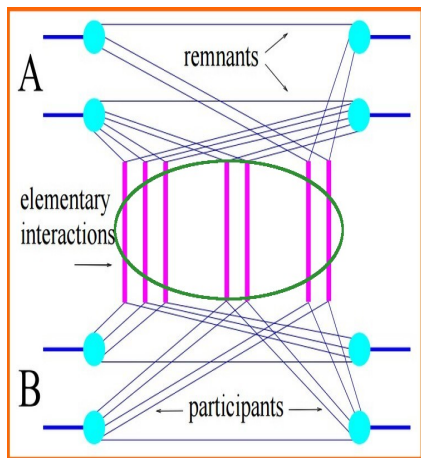
$$T(s, t) = \beta(t) s^{\alpha(t)} \approx \beta(t) s^{\alpha(0) + \alpha'(0)t}$$

After Fourier transform:

- soft contribution: $T_{soft} = \beta(b) (x^+ x^- s_{pp})^{\alpha(b)}$
- pQCD contribution: $T_{ladder} = \sum \beta(b) (x^+ x^- s_{pp})^{\alpha(b)}$

Main theory in EPOS

Parton-Based-Gribov-Regge-Theory (PBGRT)



- 1 Initial Conditions
- 2 Core-Corona Approach

- Interaction between partons = **Pomeron**: treated by Quantum Field Theory
- Energy conserved by partonic participants and remnants

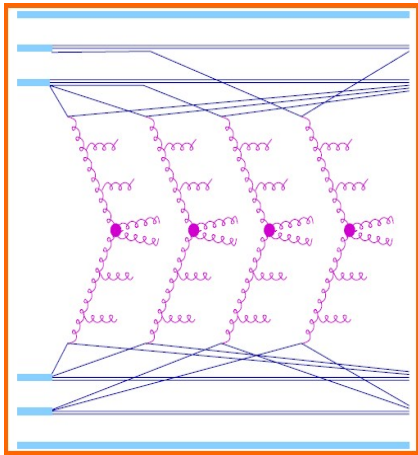
Pomeron

H. J. Drescher, M. Hladik, S. Ostapchenko, T. Pierog and K. Werner, Phys. Rept. **350**, 93 (2001)

Main theory in EPOS

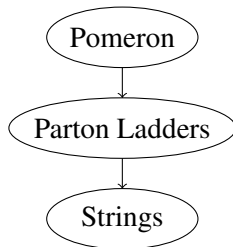
Parton-Based-Gribov-Regge-Theory (PBGR)

- 1 Initial Conditions
- 2 Core-Corona Approach



H. J. Drescher, M. Hladik, S. Ostapchenko, T. Pierog and K. Werner, Phys. Rept. **350**, 93 (2001)

- Interaction between partons = **Pomeron**: treated by Quantum Field Theory
- Energy conserved by partonic participants and remnants

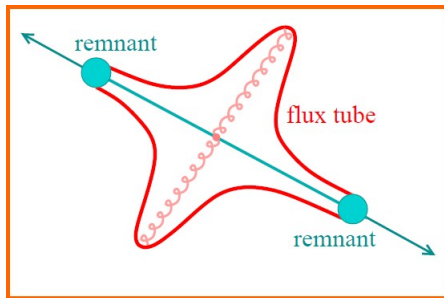


Core-Corona Evolution

- 1 Initial Conditions
- 2 Core-Corona Approach

One string for one scattering

Few scatterings \rightarrow we *can* treat **independently** each string



GDRE2012, Nantes, Jul 2012, Klaus WERNER, Subatech, Nantes

More scatterings \Rightarrow

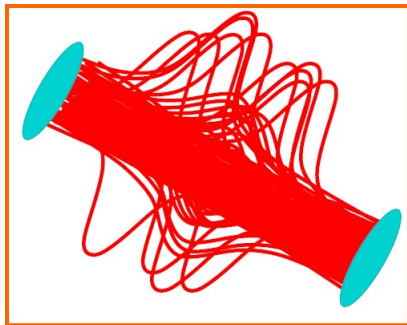
Core-Corona Evolution

- 1 Initial Conditions
- 2 Core-Corona Approach

One Lund string for one scattering

A lot of scatterings → we **cannot** treat *independently* each string

We can observe different string densities?



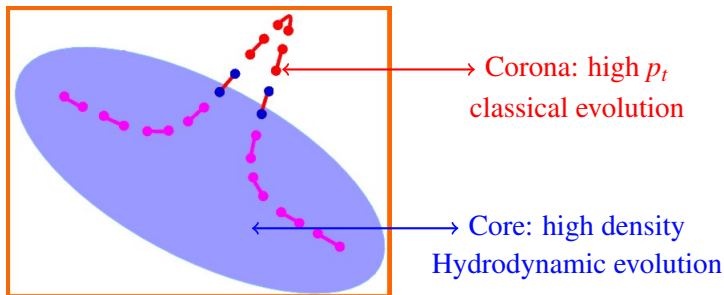
B. Guiot and K. Werner, J. Phys. Conf. Ser. **589** (2015) no.1

Core-Corona Evolution

- 1 Initial Conditions
- 2 Core-Corona Approach

High density: we use hydrodynamics → the Core is treated as a **fluid**.

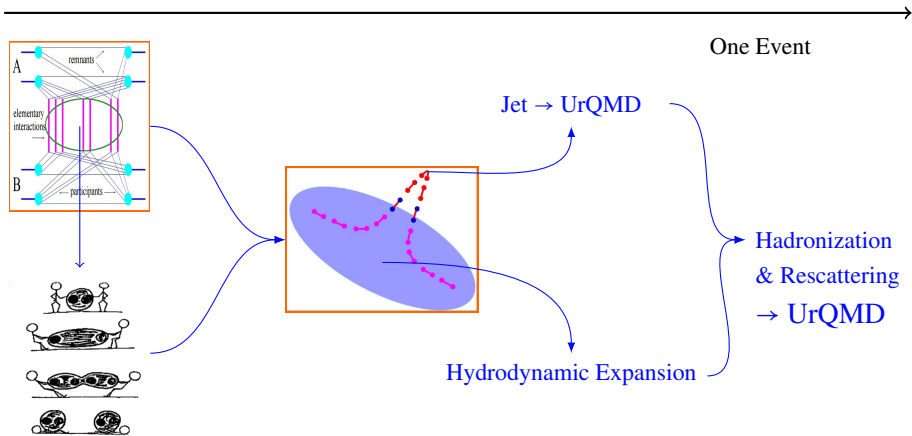
Low density: we do nothing → Corona becomes **hadrons** !



B. Guiot and K. Werner, J. Phys. Conf. Ser. **589** (2015) no.1

In high multiplicity pp, we can create some **fluid** with this procedure.

Unified Approach



Current activities

Current activities

- ❑ Statistical hadronization, results pp, PbPb
K. Werner werner@subatech.in2p3.fr
- ❑ Consistent implementation of hard processes (crucial for Heavy Flavor)
K. Werner werner@subatech.in2p3.fr
- ❑ Equation of state for BES energies
M. stefaniak stefaniak@subatech.in2p3.fr
- ❑ Low Energies (BES, later NICA)
G. Sophys: sophys@subatech.in2p3.fr
- ❑ EPOS and Rivet (analyzing STAR data)
J. Jahan: jahan@subatech.in2p3.fr & G. Pokropska: g.pokropska@gmail.com
- ❑ EPOS + PHSD
E. Bratkovskaya: brat@fias.uni-frankfurt.de & M. Jafarpour: jafarpou@subatech.in2p3.fr

Toward the release of EPOS

Proper language: EPOS running

How to use EPOS?

- 1 just event simulation, output as "events" into root files: **for users**
- 2 online analysis, during simulation, with event storing: **for developers**
- 3 both

For developers: a proper language

EPOS input works like a shell, with command lines. Thus we can "predefine" what kind of histogram we want in the end, as EPOS shell script, with very simple commands.

Low Energies

My Ph.D ☺

Low Energies

My Ph.D ☺

Proper language

```
beginhisto
  histogram
    pt      !variable name (x-axis)
    numpt1 !what is counted (yaxis)
    12      !normalisation
    0 20    !range for x variable
    100     !number of bins
    idcode 120 idcode -120 !define particle species
endhisto
```

Generalization for much complex observables

A large number of analysis are done to create a new database with EPOS analysis especially concerning the collectivity observables.

Framework independent of further EPOS's developments → can test a newest version directly, nothing needs to be done, we just submit the jobs and get the new plots.

EPOS + Rivet

What is Rivet?

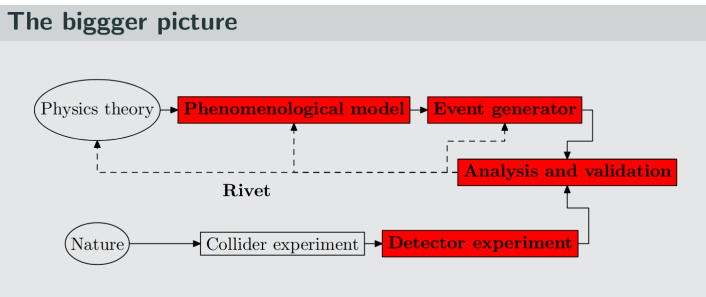
EPOS + Rivet

What is Rivet?

Robust Independant Validation of Experiment and Theory:

<https://rivet.hepforge.org/>

Purpose: offer a simple and standardised independent tool to compare simulations from Monte-Carlo generators to experimental data



EPOS + Rivet

What is Rivet?

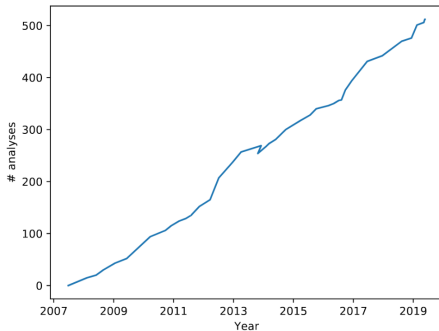
Software based on C++ libraries, installed with different packages:

- YODA: Python libraries and classes used to manage plotting
- HepMC: simulations recording and reading for analyses
- Fastjet: recombination algorithms, mainly used for jet analyses

Contains many analyses based on publications from many different experiments, with experimental results included.

Develops thanks to users community contributions

Advantage: provides huge and constantly growing library of data and analyses

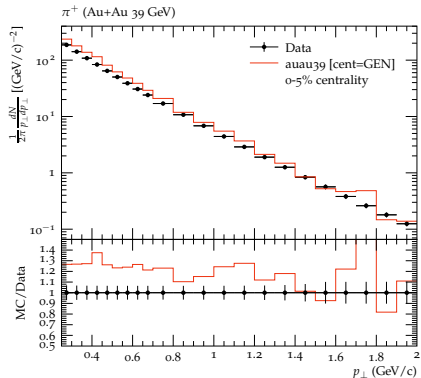


"Rivet users & developers workshop", Andy Buckley (27/05/2019)

EPOS + Rivet

Why Rivet?

- Easy and standardised way to analyse simulated heavy-ion collisions.
- Automatisation of the comparison process between results from EPOS (or event generators more generally) and experimental data.
- Access to huge library of experimental data to compare with.
- It is planned to make new public release of EPOS usable with Rivet, to facilitate user's work.



J. Jahan & G. Prokopska

EPOS + PHSD

What is PHSD?

EPOS + PHSD

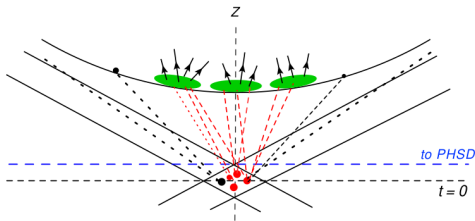
Questions? Ask P. Moreau or M. Jafarpour

What is PHSD?

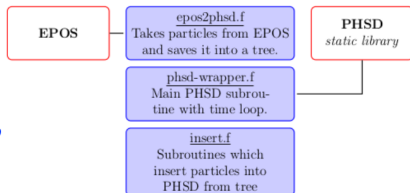
- ❑ Microscopic covariant transport model that combines effective partonic and hadronic degrees of freedom and dynamical description of the hadronization process.
- ❑ The theoretical foundation of PHSD is consisting of the DQPM and equation of motion based on Kadanoff-Baym equations.
- ❑ DQPM: dynamics in partonic phase
- ❑ HSD approach: hadronic part
- ❑ Kadanoff-Baym equations: describing the dynamics of the strongly interacting systems far out-of equilibrium
- ❑ The particle production is based on Lund string model
EPOS strings can be a new initial condition for PHSD!

EPOS + PHSD

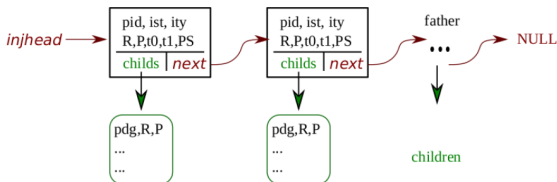
Combining of EPOS and PHSD Models



(a) EPOS particles production in hyper-surface. Zero time corresponds to maximum overlapping



(b) Block structure of combined code

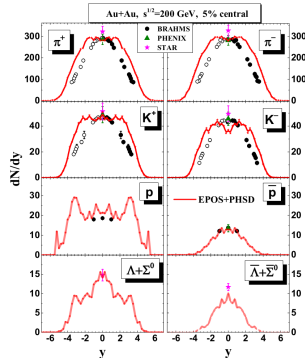
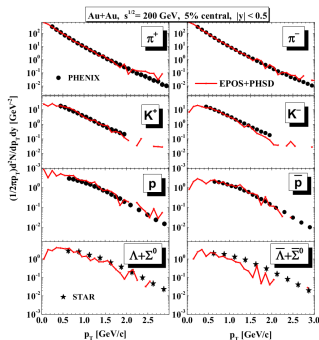
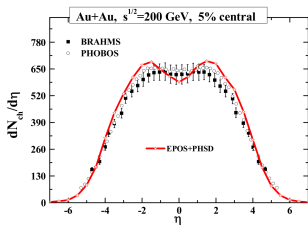


Preliminary Results

DRAFT

EPOS + PHSD

Purple Results



E. Bratkovskaya & M. Jafarpour

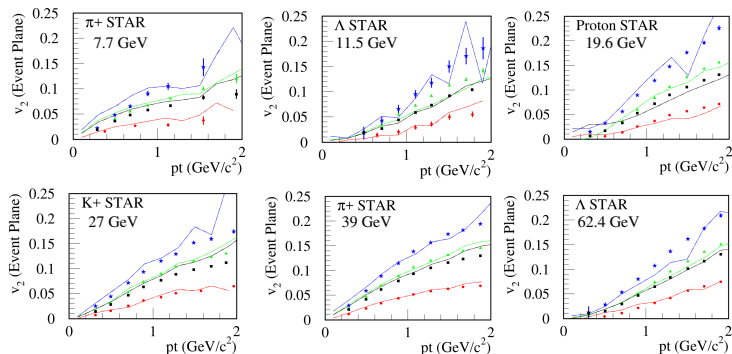
We did nothing outside put EPOS at initial state of PHSD and these first results seems extraordinary good!

EPOS Low Energies

Preliminaries

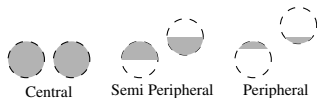
EPOS Low Energies

Preliminaries



- Good reproduction for all energies
- v_2 vs p_t reveals little anisotropy for all energies
- No energy dependence observed.

L. Adamczyk et al. Phys. Rev., C93(1):014907,2016.



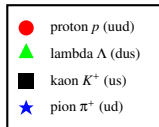
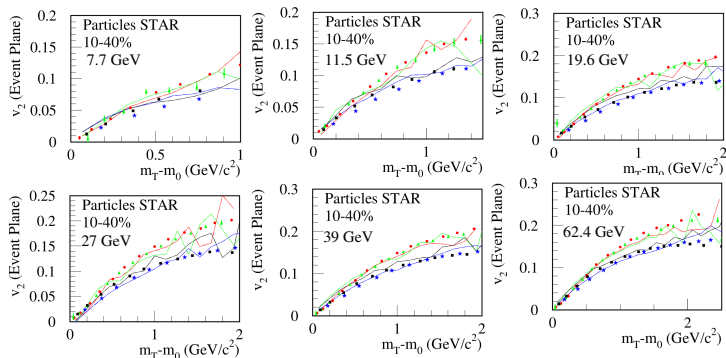
$$p_T = \sqrt{p_x^2 + p_y^2}$$

$$\approx 100\text{K events}$$

Au-Au collisions

Separation Baryon-Meson

Calculated using Eta-sub method



- We have a separation of Baryons and Mesons for all energies
- No energy dependence observed.

L. Adamczyk et al. Phys. Rev., C93(1):014907,2016.

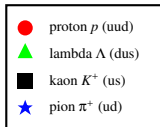
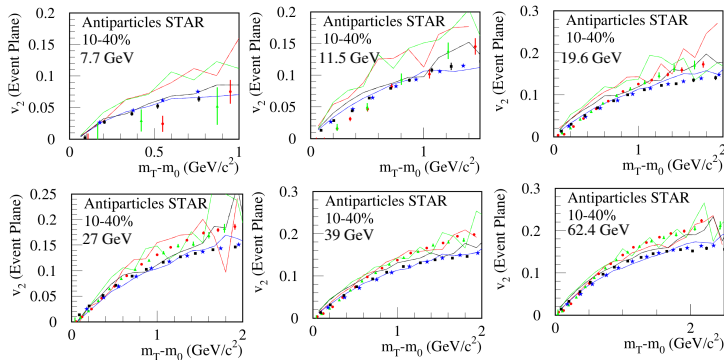
$$m_T - m_0 = \sqrt{p_T^2 + m_0^2} - m_0$$

$\approx 100\text{K events}$

Au-Au collisions

Separation Baryon-Meson

Calculated using Eta-sub method



- Reproduction for energies after $\sqrt{s_{NN}} = 19.6$ GeV
- We have a separation of Baryons and Mesons for energies after $\sqrt{s_{NN}} = 11.5$ GeV
- Energy dependence observed!

L. Adamczyk et al. Phys. Rev., C93(1):014907,2016.

$$m_T - m_0 = \sqrt{p_T^2 + m_0^2} - m_0$$

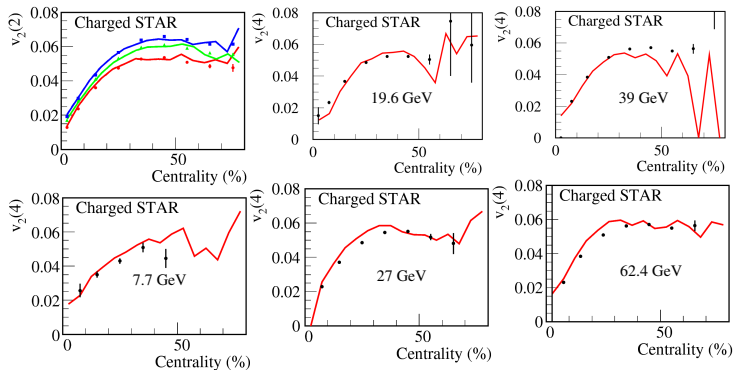
$\approx 100\text{K events}$

Au-Au collisions

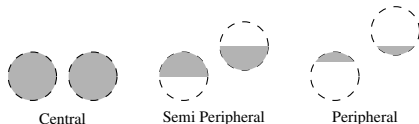
Integrated flow versus centrality

Calculated using Q-cumulant method

L. Adamczyk et al. arXiv:1509.08397v2.



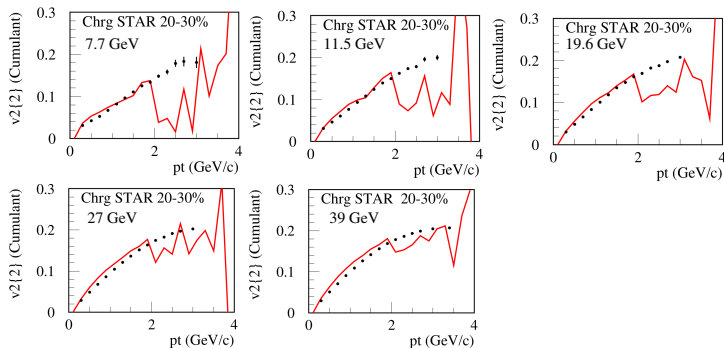
- Data/theory < 5 % for central collisions;
- $v_2\{n\}$ higher at 30-50 %;
- Weak energy dependence observed.



$\approx 100\text{K}$ events
Au-Au collisions

Differential flow versus p_T

Calculated using Q-Cumulant method



L. Adamczyk et al. Phys. Rev. C. 86, 054908 (2012).

$$p_T = \sqrt{p_x^2 + p_y^2}$$

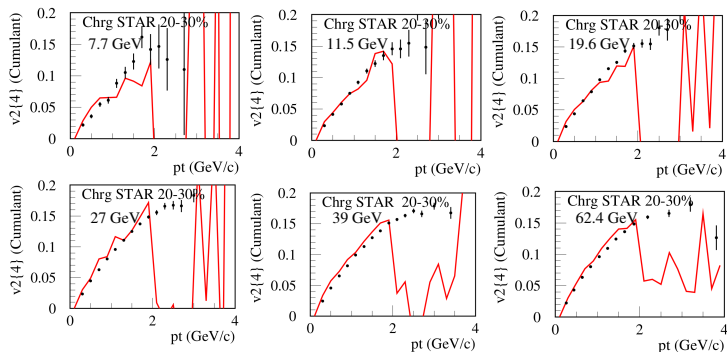
$\approx 100\text{K events}$

Au-Au collisions

- Jet-matter interaction not include
- Good reproduction for all energies since $p_T < 2$ GeV
- No energy dependence observed.

Differential flow versus p_T

Calculated using Q-Cumulant method



L. Adamczyk et al. Phys. Rev. C. 86, 054908 (2012).

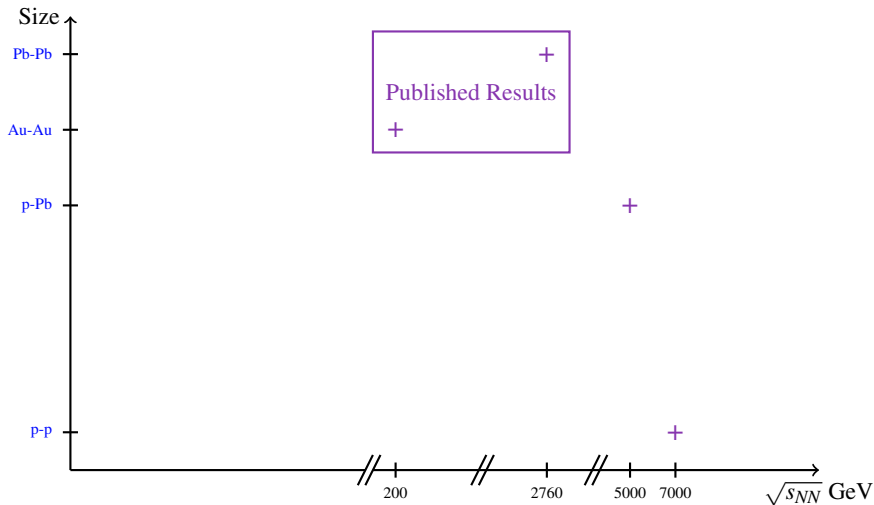
$$p_T = \sqrt{p_x^2 + p_y^2}$$

$\approx 100\text{K events}$

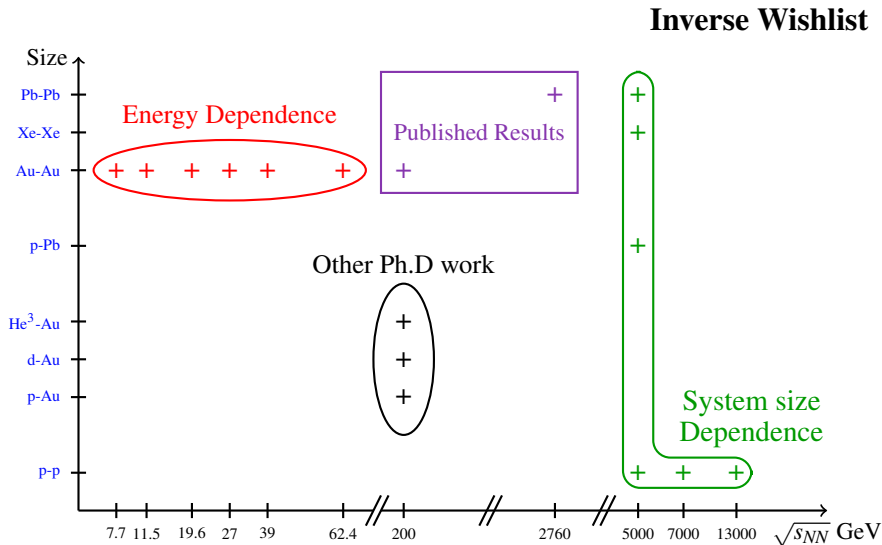
Au-Au collisions

- Jet-matter interaction not include
- Good reproduction for all energies since $p_T < 2$ GeV
- No energy dependence observed.

Before 2019 for EPOS



Early 2020



Outlook about the work in 2018-2019

Outlook about the work in 2018-2019

- ❑ Large database in EPOS at low energies to check all new updates easily ✓
- ❑ First merging of EPOS with RIVET to have a fast comparison data/theory ✓
- ❑ First merging of EPOS with PHSD to test another approach of model using EPOS at initial condition ✓
- ❑ Work with D. Fuseau to have a kind of EPOS@PNJL with EPOS at initial conditions for PNJL model
- ❑ Work about microcanonical equation to have consistent pp collisions
- ❑ Consistent implementation of hard processes for Heavy Flavor
- ❑ From me, I working about the nuclear modification factor and propose other factors to distinguish nuclear and QGP effects:

$$r_{AA} \propto \frac{\text{Yield in } A+A_{\text{central}}}{\text{Yield in } A+A_{\text{periph}}}, R'_{AA} \propto \frac{\text{Yield in } A+A}{\text{Yield in } pp_{\text{high mult}}} \text{ and } R_{pp} = \frac{\text{Yield in } pp_{\text{high mult}}}{\text{Yield in } pp_{\text{min bias}}}$$

Outlook about the work in 2018-2019

- ❑ Large database in EPOS at low energies to check all new updates easily ✓
- ❑ First merging of EPOS with RIVET to have a fast comparison data/theory ✓
- ❑ First merging of EPOS with PHSD to test another approach of model using EPOS at initial condition ✓
- ❑ Work with D. Fuseau to have a kind of EPOS@PNJL with EPOS at initial conditions for PNJL model
- ❑ Work about microcanonical equation to have consistent pp collisions
- ❑ Consistent implementation of hard processes for Heavy Flavor
- ❑ From me, I working about the nuclear modification factor and propose other factors to distinguish nuclear and QGP effects:

$$r_{AA} \propto \frac{\text{Yield in } A+A_{\text{central}}}{\text{Yield in } A+A_{\text{periph}}}, R'_{AA} \propto \frac{\text{Yield in } A+A}{\text{Yield in } pp_{\text{high mult}}} \text{ and } R_{pp} = \frac{\text{Yield in } pp_{\text{high mult}}}{\text{Yield in } pp_{\text{min bias}}}$$

Thank for your attention!

How can we use Rivet?

Each analysis composed of 4 files :

```
#include "Rivet/Tools/Percentile.hh"
#include <complex>
#include <iostream>
#include <string>

namespace Rivet {

class STAR_BES_Centrality: public SingleValueProjection{
public:
  STAR_BES_Centrality () {
    declare(ChargedFinalState{cuts:abseta < 0.5 && Cuts::absrap < 0.1 && Cuts::pT > 0.2*GeV;
  }
  /// Clone on the heap.
  DEFAULT_RIVET_PROJ_CLONE(STAR_BES_Centrality);
protected:
  void project(const Event6 e) {
    clear();
    double estimate = apply<FinalState>(e, "STAR_BES_Centrality").particles().size();
    set(estimate);
  }
};
```

“ANALYSIS_NAME.cc” (analysis code)

```
BEGIN PLOT /STAR_2017_PRC96_044904/d20-x04-y01
Title=$p/\pi^{+}$ (Au+Au 7.7 GeV/c)
XLabel=$\angle$ N (part) \ranges
YLabel=$p/\pi^{+}$
LogY=0
YMin=0
YMax=0.8
XMax=360
ConnectBins=0
LegendYPos=0.2
# + any additional plot settings you might like, see make-plots documentation
END PLOT
```

“ANALYSIS_NAME.plot” (plotting options)

```
Name: STAR_2017_PRC96_044904
Year: 2017
Summary: Bulk Properties of the medium produced in Relativistic Heavy-Ion Collision
Experiment: STAR
Collider: RHIC
InspireID: 1510593
Status: UNVALIDATED
Authors:
- Johannes Jahan <johannes.jahan@etu.univ-nantes.fr>
- Gabriela Pokropska <g.pokropska@gmail.com>
- Maria Stefaniak <maria.stefaniak@subatech.in2p3.fr>
References:
```

“ANALYSIS_NAME.info” (information about paper, beam, author...)

```
BEGIN YODA SCATTER2D_V2 /REF/STAR_2017_PRC96_044904/d20-x04-y01
Variations: ["" ]
IsRef: 1
Path: /REF/STAR_2017_PRC96_044904/d20-x04-y01
Title: ""
Type: Scatter2D
...
# sval xerr- xerr+ yval yerr- yerr+
1.390000e+01 4.400000e+00 4.400000e+00 4.410000e-01 6.000000e-02 6.000000e-02
2.560000e+01 7.100000e+00 7.100000e+00 4.560000e-01 6.000000e-02 6.000000e-02
4.470000e+01 8.700000e+00 8.700000e+00 4.910000e-01 6.400000e-02 6.400000e-02
7.180000e+01 1.020000e+01 1.020000e+01 5.300000e-01 6.900000e-02 6.900000e-02
1.095000e+02 1.100000e+01 1.100000e+01 5.850000e-01 7.400000e-02 7.400000e-02
1.682000e+02 1.020000e+01 1.020000e+01 5.730000e-01 7.300000e-02 7.300000e-02
2.262000e+02 7.900000e+00 7.900000e+00 5.000000e-01 7.100000e-02 7.100000e-02
2.944000e+02 6.000000e+00 6.000000e+00 5.910000e-01 7.500000e-02 7.500000e-02
3.374000e+02 2.100000e+00 2.100000e+00 5.880000e-01 7.500000e-02 7.500000e-02
END YODA SCATTER2D_V2
```

“ANALYSIS_NAME.yoda” (experimental data)

How can we use Rivet? (2)

To compile the analysis :

```
rivet-buildplugin RivetANALYSIS_NAME.so ANALYSIS_NAME.cc
```

Then to run it :

```
rivet /path/to/DATA.hepmc -a --pwd ANALYSIS_NAME:cent=GEN -p  
CALIB_NAME.yoda -o ANALYSIS_NAME.yoda
```

--pwd : Rivet will take into account the analysis even if it was not natively provided with the installation

Not necessary if it has been added to the `rivet --list-analyses` by

```
setenv RIVET_ANALYSIS_PATH /path/to/analysis/files
```

Command to get plot:

```
rivet-mkhtml --pwd ANALYSIS_NAME.yoda
```


Focus on Nuclear Modification Factor

The nuclear modification factor used as a probe to the QGP?

To disentangle initial- and final- state effects the nuclear modification factor can be used:

$$R_{AA} = \frac{\text{Yield in A+A}}{\langle N_{\text{coll}} \rangle \times \text{Yield in p+p}}$$

Test whether AA (pA) can be described by incoherent superposition of $\langle N_{\text{coll}} \rangle$: binary collisions \rightarrow *Calculated via **Glauber Model***

- $R_{AA} \approx 1$ absence of nuclear effects
- $R_{AA} < 1$: suppression in AA collisions \rightarrow QGP? **Actually we don't know**
- $R_{AA} > 1$: enhancement in AA collisions \rightarrow some mechanisms: Cronin Effects, Anti-shadowing etc ...

Quantitative analysis

Monte Carlo Glauber Model

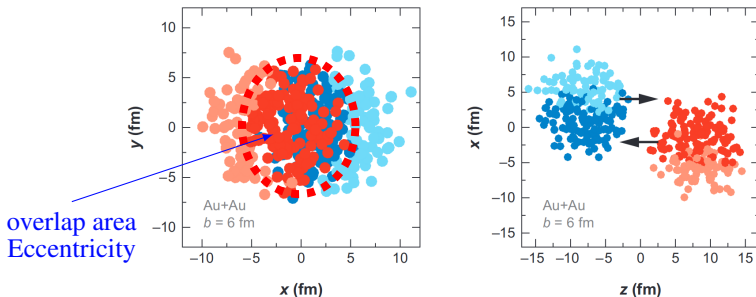
- **Basic assumptions**
 - nucleons travel on straight line trajectories
 - independant binary nucleon-nucleon collision
 - inelastic nucleon-nucleon cross section is independent of number of binary collision of a nucleon underwent before
- **Impact parameter is randomly sampled**
- **Nucleons are randomly distributed inside nuclei**, generally by Wood Saxon distribution
- Collision occurred based on the transverse distance between nucleons, and on the measured nucleon-nucleon inelastic cross sections (**from PDG**)
- Model provides impact parameter (b), number of participants (N_{part}), number of binary collisions (N_{coll}), and their correlations
 - also provides spatial anisotropy, so called “eccentricities”

Limitation: Cannot be used for light nuclei!

How to calculate the number of binary collisions?

Introduction to Glauber Model

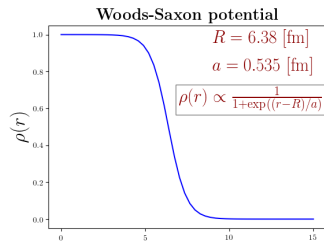
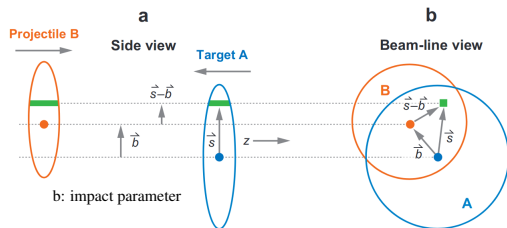
N_{coll} cannot be found directly in experiment \Rightarrow Use Glauber Model



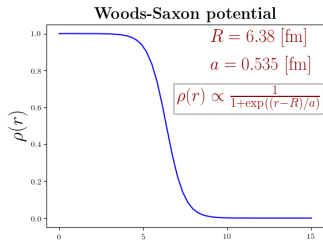
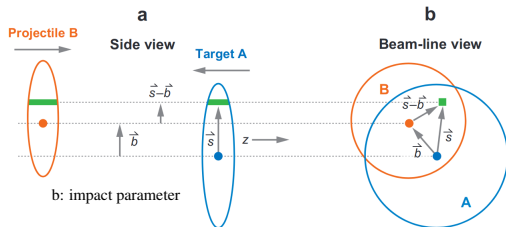
M. L. Miller et al, arXiv:nucl-ex/0701025

- The simplest approach to describe the initial condition of nucleus-nucleus collisions
- Widely used to determine centrality, and for initial conditions in hydrodynamical models, event generators

How to calculate the number of binary collisions? (2)



How to calculate the number of binary collisions? (2)



Number of nucleons per unity of surface at \vec{s} position in nucleus A:

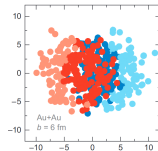
$$T_A(\vec{s}) = \int_{-\infty}^{+\infty} dz \rho_A \sqrt{s^2 + z^2}$$

T_A means the thickness function of the nucleus A with $\int ds^2 T_A(s) = A'$

Between a collision between nuclei A and B, the **Nuclear overlap function** is:

$$T_{AB}(b) = \int ds^2 T_A(s) T_B(|\vec{s} - \vec{b}|) \Rightarrow N_{\text{coll}}(b) = \sigma_{NN} T_{AB}(b)$$

with A' number of nucleons in nucleus A



M. L. Miller et al,
arXiv:nucl-ex/0701025

How to calculate the nuclear modification factor?

- Position of nucleons in each nucleus generated by Monte Carlo following the Wood Saxon distribution as impact parameter
- Determination of N_{coll}
- Histogram of each distribution between the two different collisions
- Use this formulas: $R_{AA} = \frac{\text{Yield in A+A}}{\langle N_{\text{coll}} \rangle \times \text{Yield in p+p}}$

How to calculate the nuclear modification factor?

- Position of nucleons in each nucleus generated by Monte Carlo following the Wood Saxon distribution as impact parameter
- Determination of N_{coll}
- Histogram of each distribution between the two different collisions
- Use this formulas: $R_{AA} = \frac{\text{Yield in A+A}}{\langle N_{\text{coll}} \rangle \times \text{Yield in p+p}}$

The value of R_{AA} is not equal to 1 \Rightarrow something happens in **AA** more than **pp** and this is the **only thing** that we can say (not necessary a fluid) \rightarrow **Nuclear effects**.

How to calculate the nuclear modification factor?

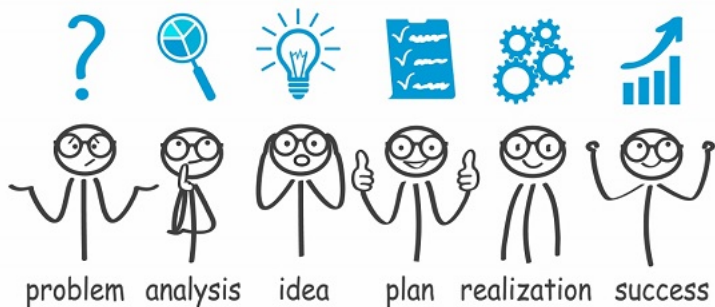
- Position of nucleons in each nucleus generated by Monte Carlo following the Wood Saxon distribution as impact parameter
- Determination of N_{coll}
- Histogram of each distribution between the two different collisions
- Use this formulas: $R_{AA} = \frac{\text{Yield in A+A}}{\langle N_{\text{coll}} \rangle \times \text{Yield in p+p}}$

The value of R_{AA} is not equal to 1 \Rightarrow something happens in **AA** more than **pp** and this is the **only thing** that we can say (not necessary a fluid) \rightarrow **Nuclear effects**.

An example: *Au* and *Pb* nuclei have a majority number of **neutrons**. *np* or *nn* collisions do not produced the same thing than *pp* collisions (isospin effect)

New problem arises: high multiplicity *pp* collisions with some heavy ions physic behaviors

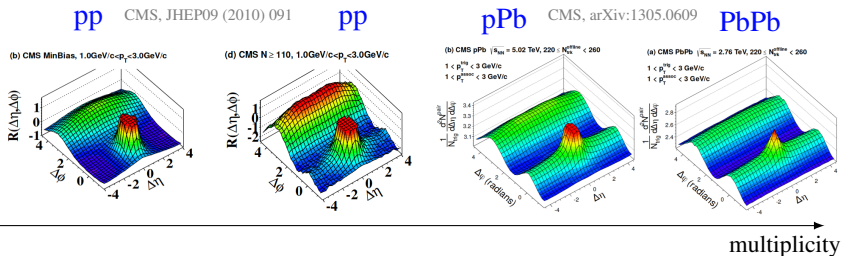
My Problem with this observable



Collectivity in pp collisions

Evolution of point of view

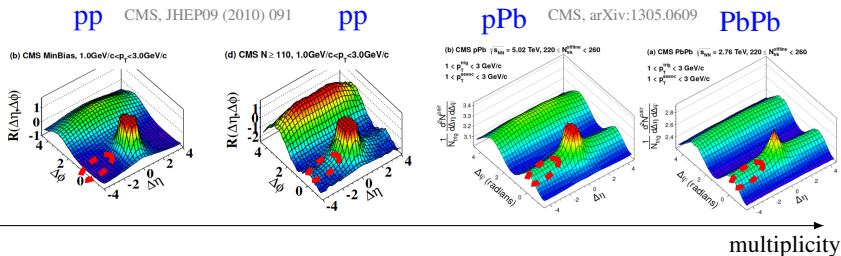
- Before 2010: pp is only a **reference** for heavy ions collisions as an elementary collision
- 2010: Something happens!



Collectivity in pp collisions

Evolution of point of view

- Before 2010: pp is only a **reference** for heavy ions collisions as an elementary collision
- 2010: Something happens! **Ridge also on small system collisions !**



- Currently, several workshops/conferences or session at QM have the title: **Collectivity at small system?**
- **Can we continue to use pp collisions as reference when we don't know everything of this collision?**

My plan to better understand these collisions

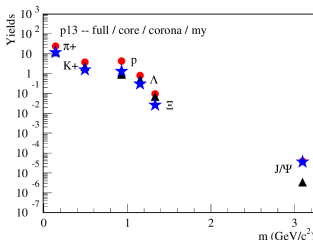
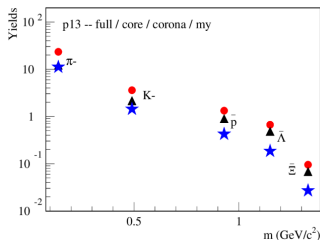
- ① Using EPOS to generate event of pp , pA and AA collisions
- ② Generate events for pp collisions activating fluid or not
- ③ Plot the yields of each collision
- ④ Calculate the N_{coll} with EPOS
- ⑤ Plot the R_{AA} using the two pp collisions and check firstly the differences
- ⑥ Calculate the R_{AA} for different centralities of AA collisions.
- ⑦ Calculate a new r_{aa} not to study nuclear effect but only to study

the QGP:
$$r'_{AA} \propto \frac{\text{Yield in A+A}_{\text{central}}}{\text{Yield in A+A}_{\text{periph}}}$$

Yields in pp collisions

● full ▲ core ★ corona

w fluid

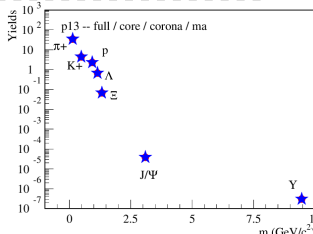
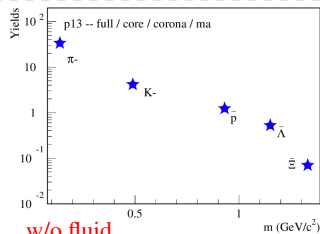


Successful production of Υ for ma analysis.

Behavior equivalent about the yields of both analysis.

As expected, in ma analysis (without fluid activation), we have same value for corona part and full part.

w/o fluid

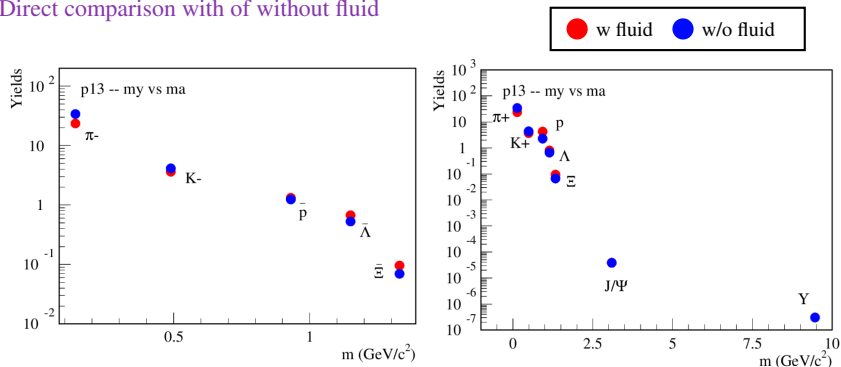


Less corona part for each particles except for J/Ψ

antiparticle particle

Yields activating or not the fluid in pp collisions

Direct comparison with of without fluid

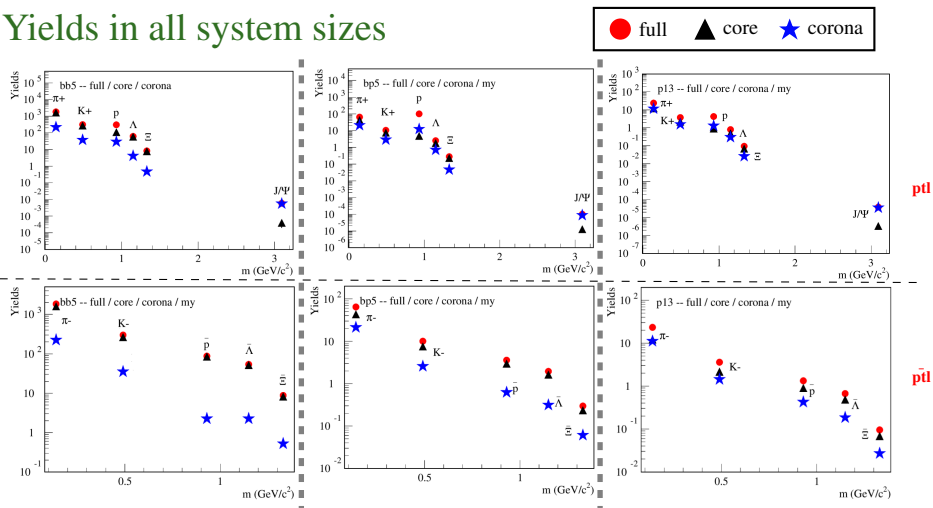


Generally more particles created without fluid.

Heavier anti-particles created with fluid (because of strange quarks?).

No suppression observed for J/Ψ particles with creation of fluid in EPOS. Big difference between proton produced by collision with or without fluid.

Yields in all system sizes



Approximately same behavior for each collision for anti-particles.

More particles produced by fluid in Pb-Pb collisions.

Even with normalization, less particles are produced for smaller system.

Preliminary Results about Nuclear Modification Factor

Previous works thanks to Abdellatif EL JAAFARI (internship student in Master 1)

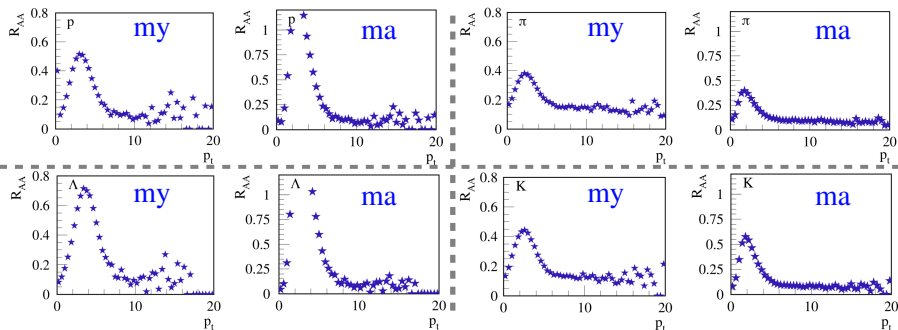
Preliminary Results about Nuclear Modification Factor

Previous works thanks to Abdellatif EL JAAFARI (internship student in Master 1)

- Results come from Abdellatif El Jaafari
- Data come from my Ph.D stocked in root file, old version of EPOS (3.239)
- N_{coll} not stocked in root file \Rightarrow need to take this variable in article: arXiv:1710.07098v3 (edited in February 2019).
- Consequently, we firstly start by analysis the difference between the two R_{AA} with or without core-corona approach before to check quantitatively results with the factor 1.
- We have 1.6M events for pp without fluid / 100K events for pp with fluid and 40K events for $Pb-Pb$ collisions
- In the following ma means without fluid and my means with fluid in pp collisions.

Preliminary Results about Nuclear Modification Factor

Previous works thanks to Abdellatif EL JAAFARI (internship student in Master 1)



Quantitative differences between pp collisions with fluid or without fluid. When we don't activate the fluid in pp collision, the **bump** have a **bigger** amplitude while the **plateau** is a bit **smaller** than R_{AA} with fluid in pp .

Trend do not depend on the QGP? (in pp)

Outlook and Perspectives

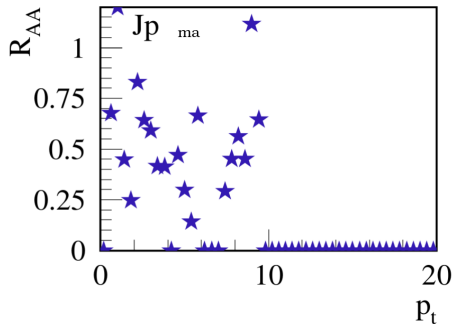
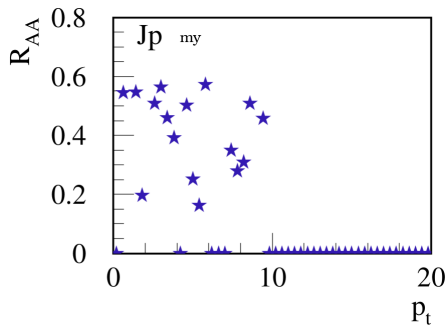
Outlook and Perspectives

- ① Using EPOS to generate events of pp , pA and AA collisions ✓
- ② Generate events for pp collisions activating fluid or not ✓
- ③ Plot the yields of each collision ✓
- ④ Calculate the N_{coll} with EPOS
- ⑤ Plot the R_{AA} using the two pp collisions and check firstly the differences
- ⑥ Calculate the R_{AA} for different centralities of AA collisions.
- ⑦ Calculate a new r_{aa} and R'_{AA} not to study nuclear effect but only to study the QGP or opposite: $r_{AA} \propto \frac{\text{Yield in A+A}_{\text{central}}}{\text{Yield in A+A}_{\text{periph}}}$ and $R'_{AA} \propto \frac{\text{Yield in A+A}}{\text{Yield in pp}_{\text{high mult}}}$

When the plan will be completed, I want to calculate a kind of R_{pp} means:

$$R_{pp} = \frac{\text{Yield in pp}_{\text{high mult}}}{\text{Yield in pp}_{\text{min bias}} \times (N_{\text{coll}} = 1)}$$

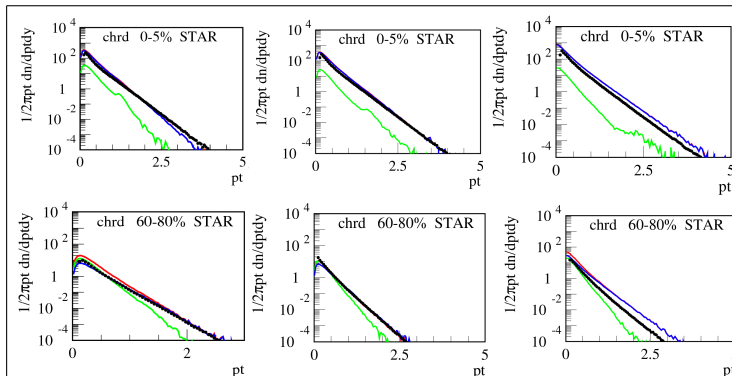
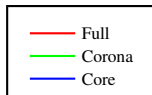
Raa of charmonia particles



Not enough particles to say something.

Collectivity in all BES energies?

Starting by "basic" observables



Energy →

- Reproduction for $\sqrt{s_{NN}} = 7.7$ and 11.5 GeV for central collisions
- Large core (fluid) part even at low energies!
- No reproduction for peripheral collision.

7.7 GeV

11.5 GeV

19.6 GeV

Centrality



Central



Semi Peripheral



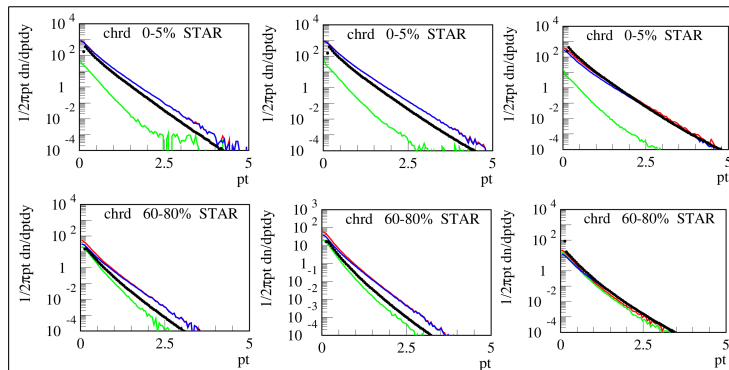
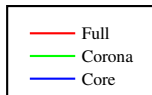
Peripheral

$$p_T = \sqrt{p_x^2 + p_y^2}$$

$$\approx 100K \text{ events}$$

Collectivity in all BES energies?

Starting by "basic" observables



27 GeV

39 GeV

62.4 GeV

Centrality



Central



Semi Peripheral



Peripheral

$$p_T = \sqrt{p_x^2 + p_y^2}$$

$\approx 100\text{K events}$

- No reproduction before $\sqrt{s_{NN}} = 62.4$ GeV
- Large core (fluid) contribution at all BES energies!
- No energy dependence observed.

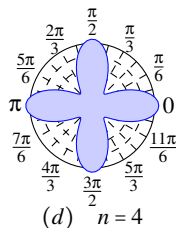
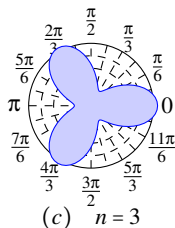
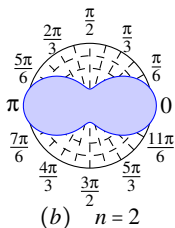
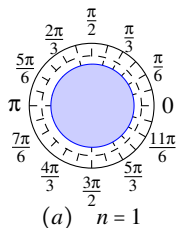
Description of used collectivity observable

Anisotropic flow

A way of characterizing the various patterns of anisotropic flow is to use a Fourier expansion of the particle distribution function:

$$E \frac{d^3 N}{d^3 \mathbf{p}} = \frac{1}{2\pi} \frac{d^2}{p_t dp_t dy} \left(1 + 2 \sum_{n=1}^{\infty} v_n \cos [n(\phi - \Psi_{RP})] \right)$$

E: energy of the particle ; p: momentum ; p_t: transverse momentum ; φ: azimuthal angle ; y: rapidity ; Ψ_{RP}: reaction plane angle.

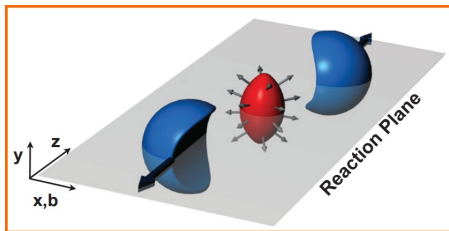


Elliptic Flow

Elliptic Flow

Anisotropic Flow

Direct evidence of flow: anisotropy in particle momentum distributions correlated with the reaction plane.



R. Snellings, *New J. Phys.* **13** (2011) 055008

Anisotropic Flow: ($n=1$:Directed Flow , $n=2$: Elliptic Flow)

$$v_n(pt, y) = \langle \cos [n(\phi(pt, y) - \Psi_{RP})] \rangle$$

Event plane method

Eta-Sub: Event Plane Method

Event Flow vector (projection of azimuthal angle):

$$Q_{n,x} = \sum_i w_i \cos(n\phi_i) = Q_n \cos(n\Psi_n)$$

$$Q_{n,y} = \sum_i w_i \sin(n\phi_i) = Q_n \sin(n\Psi_n)$$

The sum goes over all particles i used in *the event plane calculation*.
 ϕ_i and w_i are the lab azimuthal angle and weight for particle i

Where Ψ_n is **the event plane angle**:

$$\Psi_n = \frac{1}{n} \tan^{-1} \left(\frac{\sum_i w_i \sin(n\phi_i)}{\sum_i w_i \cos(n\phi_i)} \right)$$

Cumulants

$$\langle 4 \rangle \equiv \langle e^{in(\phi_1 + \phi_2 - \phi_3 - \phi_4)} \rangle$$

Four azimuthal correlations

Study of four-particle correlations \Rightarrow flow in order of v_n^4

For combinatorial reasons, the probability that 4 particles are all correlated together is of order $1/M^3$ (M: Multiplicity).

Can **Measure flow** if $v_n \gg 1/M^{3/4} \rightarrow$ bias from nonflow effects is smaller.

$$\begin{aligned}
 \begin{array}{cc} 1 & 2 \\ 3 & 4 \end{array} &= \begin{array}{cc} \textcircled{1} & \textcircled{2} \\ \textcircled{3} & \textcircled{4} \end{array} + \begin{array}{cc} \text{---} 1 & 2 \text{---} \\ \text{---} 3 & 4 \text{---} \end{array} + \begin{array}{cc} 1 & 2 \\ 3 & 4 \end{array} + 4 \begin{array}{cc} \textcircled{1} & \textcircled{2} \\ \text{---} 3 & 4 \text{---} \end{array} + \begin{array}{|cc|} \hline 1 & 2 \\ \hline 3 & 4 \\ \hline \end{array} \\
 c_n\{4\} &= \begin{array}{cc} \textcircled{1} & \textcircled{2} \\ \textcircled{3} & \textcircled{4} \end{array} + \begin{array}{cc} \text{---} 1 & 2 \text{---} \\ \text{---} 3 & 4 \text{---} \end{array} + \begin{array}{cc} 1 & 2 \\ 3 & 4 \end{array} + 4 \begin{array}{cc} \textcircled{1} & \textcircled{2} \\ \text{---} 3 & 4 \text{---} \end{array} + \begin{array}{|cc|} \hline 1 & 2 \\ \hline 3 & 4 \\ \hline \end{array} \\
 &= 2 \times \left(\begin{array}{cc} 1 & 2 \\ \text{---} 3 & 4 \text{---} \end{array} + \begin{array}{|cc|} \hline 1 & 2 \\ \hline \end{array} \right)^2 \\
 &= \begin{array}{cc} \textcircled{1} & \textcircled{2} \\ \textcircled{3} & \textcircled{4} \end{array} + \begin{array}{|cc|} \hline 1 & 2 \\ \hline 3 & 4 \\ \hline \end{array}
 \end{aligned}$$

Q-Cumulant Method

A. Bilandzic, R. Snellings, and S. Voloshin Phys. Rev. C 83, 044913 – Published 26 April 2011

Q-Cumulant → Recent Method to calculate cumulants → **one loop over data**
 Fast and unbiased Cumulant Method

$$\text{Flow vector: } Q_n = \sum_{i=1}^M e^{in\phi_i} \quad \langle 2 \rangle \equiv \langle e^{in(\phi_1 - \phi_2)} \rangle \quad \langle 4 \rangle \equiv \langle e^{in(\phi_1 + \phi_2 - \phi_3 - \phi_4)} \rangle$$

Q-Cumulant Method

Q-Cumulant → Recent Method to calculate cumulants → **one loop over data**
Fast and unbiased Cumulant Method

$$\text{Flow vector: } Q_n = \sum_{i=1}^M e^{in\phi_i} \quad \langle 2 \rangle \equiv \langle e^{in(\phi_1 - \phi_2)} \rangle \quad \langle 4 \rangle \equiv \langle e^{in(\phi_1 + \phi_2 - \phi_3 - \phi_4)} \rangle$$

Procedure to create cumulants by direct calculations:

- 1 Decompose azimuthal correlations into expressions like $|Q_n|^2, |Q_n|^4 \dots$ in terms of $\langle 2 \rangle, \langle 4 \rangle \dots$
- 2 Solve system of coupled equations for multi-particle scattering in same harmonic $\langle 2 \rangle, \langle 4 \rangle \dots$
- 3 Create $\langle\langle 2 \rangle\rangle, \langle\langle 4 \rangle\rangle$, average on all events, taking in account weights of event
- 4 Create Cumulants with terms of $\langle\langle 2 \rangle\rangle, \langle\langle 4 \rangle\rangle$ etc ...

$$\text{Ex: } \langle 2 \rangle = \frac{|Q_n|^2 - M}{M(M-1)}$$

Reduce the contribution of nonflow effects

Q-Cumulant Method

A. Bilandzic, R. Snellings, and S. Voloshin Phys. Rev. C 83, 044913 – Published 26 April 2011

Cumulant coefficients

Cumulants for reference flow:

$$c_n\{2\} = \langle\langle 2 \rangle\rangle$$

$$c_n\{4\} = \langle\langle 4 \rangle\rangle - 2 \times \langle\langle 2 \rangle\rangle^2$$

Reference flow or integrated flow:

$$v_n\{2\} = \sqrt{c_n\{2\}}$$

$$v_n\{4\} = \sqrt[4]{-c_n\{4\}}$$

Reference Flow: v_2 vs multiplicity or vs centrality

Cumulants for differential flow:

$$d_n\{2\} = \langle\langle 2' \rangle\rangle$$

$$d_n\{4\} = \langle\langle 4' \rangle\rangle - 2 \times \langle\langle 2' \rangle\rangle \langle\langle 2 \rangle\rangle$$

Differential flow:

$$v'_n\{2\} = d_n\{2\} / \sqrt{c_n\{2\}}$$

$$v'_n\{4\} = -d_n\{4\} / (-c_n\{4\})^{3/4}$$

Differential Flow: v_2 vs p_t or vs η