

Large surveys in cosmology in the Euclid era

Sylvain de la Torre

International Conference PUMA 2022

Probing the Universe with Multimessenger Astrophysics

September 26th 2022, Sestri Levante

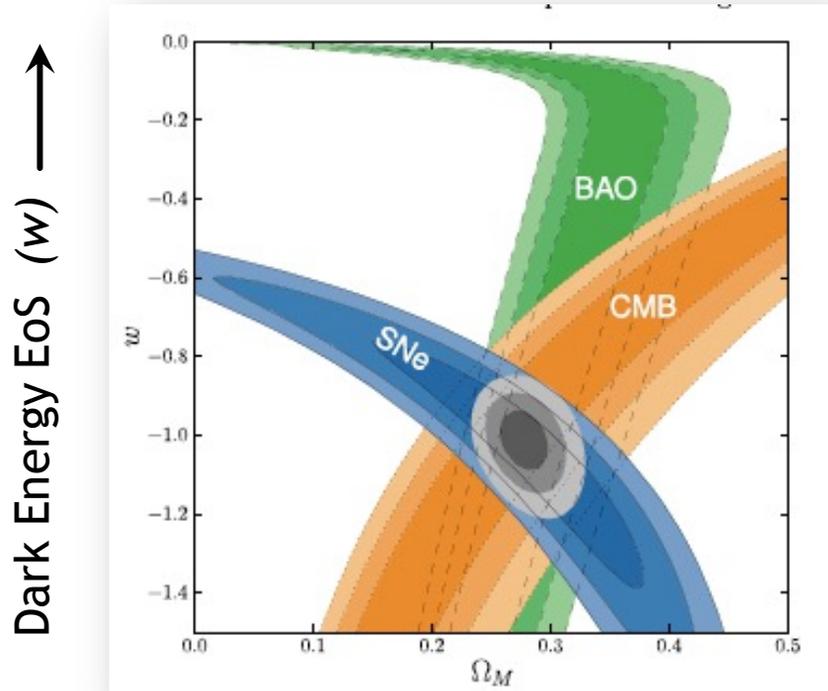


A vertical strip on the left side of the slide shows a Cosmic Microwave Background (CMB) fluctuation map. It features a dark blue background with lighter blue and white spots, representing temperature variations in the early universe. A prominent bright spot is visible near the center of the strip.

Outline

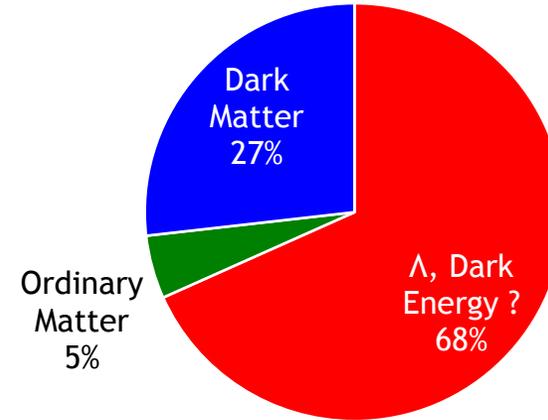
1. Standard cosmological model
2. Galaxy survey cosmology
3. Euclid mission
4. Conclusion

Concordance Λ CDM model



Amanullah et al. 2010

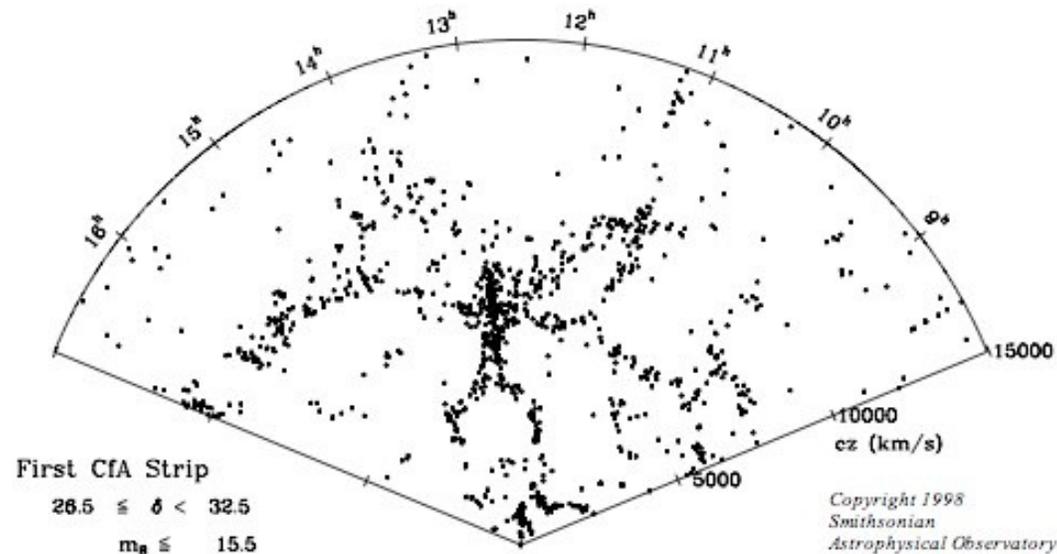
Universal content today



- ▶ Λ CDM 6-parameter model well established for few decades now, thanks to SN1a, CMB, galaxy clustering and lensing cosmological probes
- ▶ The origin of recent cosmic acceleration is a mystery (physical constant, dark energy, modified gravity ...?)
- ▶ Improved cosmological constrains led to apparent tensions between probes

Observed large-scale structure

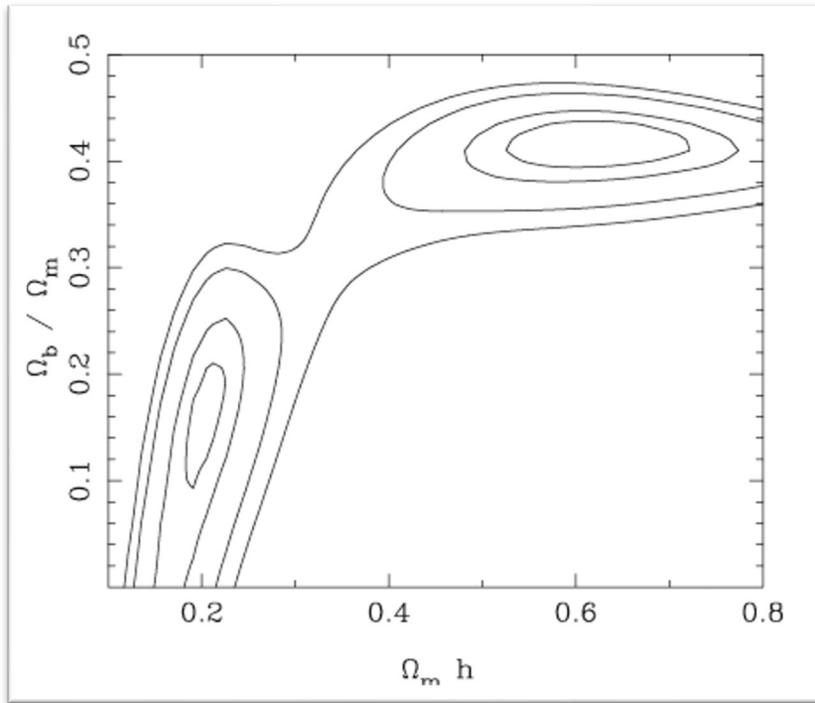
- ▶ In the late universe, LSS is mostly seen through galaxy spatial distribution and gravitational lensing
- ▶ The large-scale structure of the Universe evolves through the competing effects of **universal expansion and structure growth**



de Lapparent, Geller, Huchra, 1988

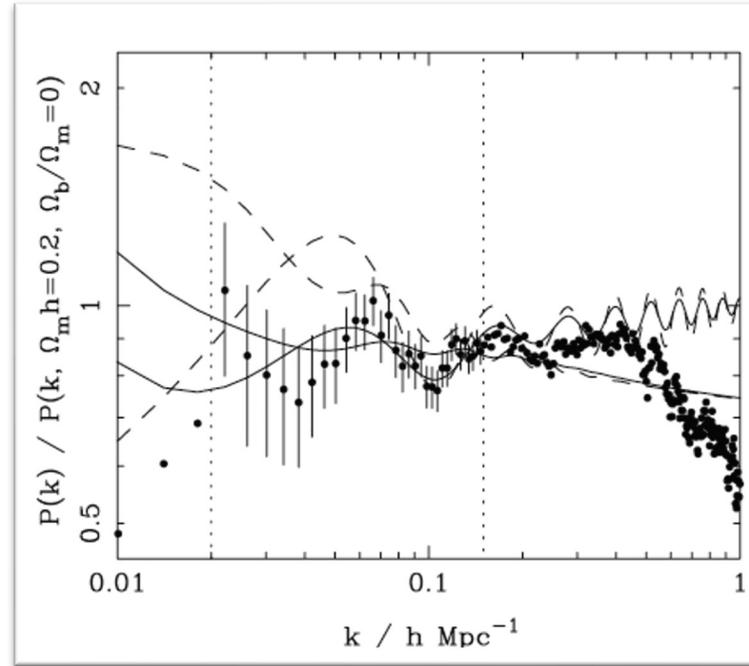
First constraints from galaxy $P(k)$

Constraints on the baryon fraction



2dFGRS, Percival et al. 2001
SDSS, Tegmark et al. 2002

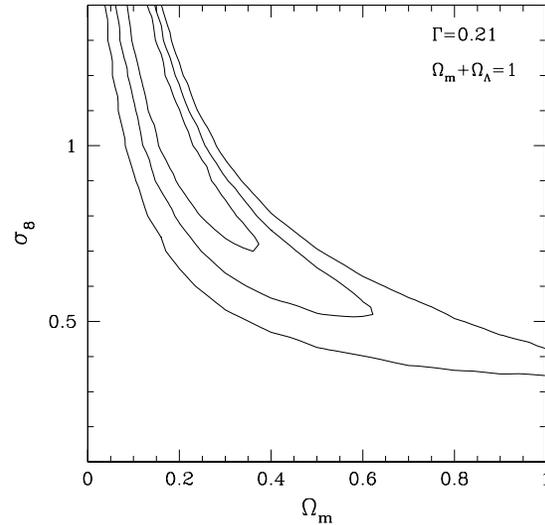
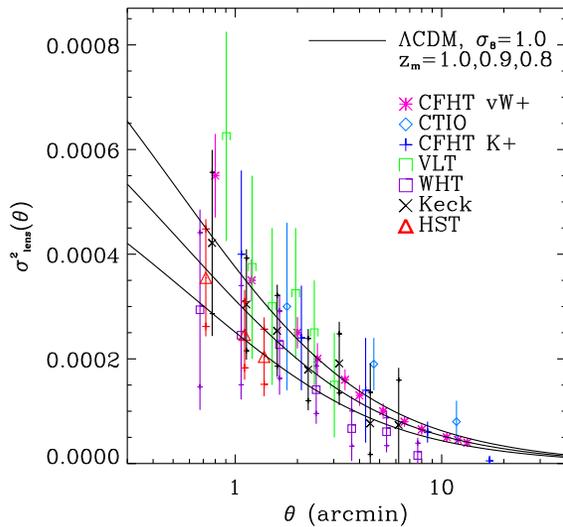
Galaxy power spectrum



- ▶ Galaxy power spectrum full shape (linear scales) sensitive to:

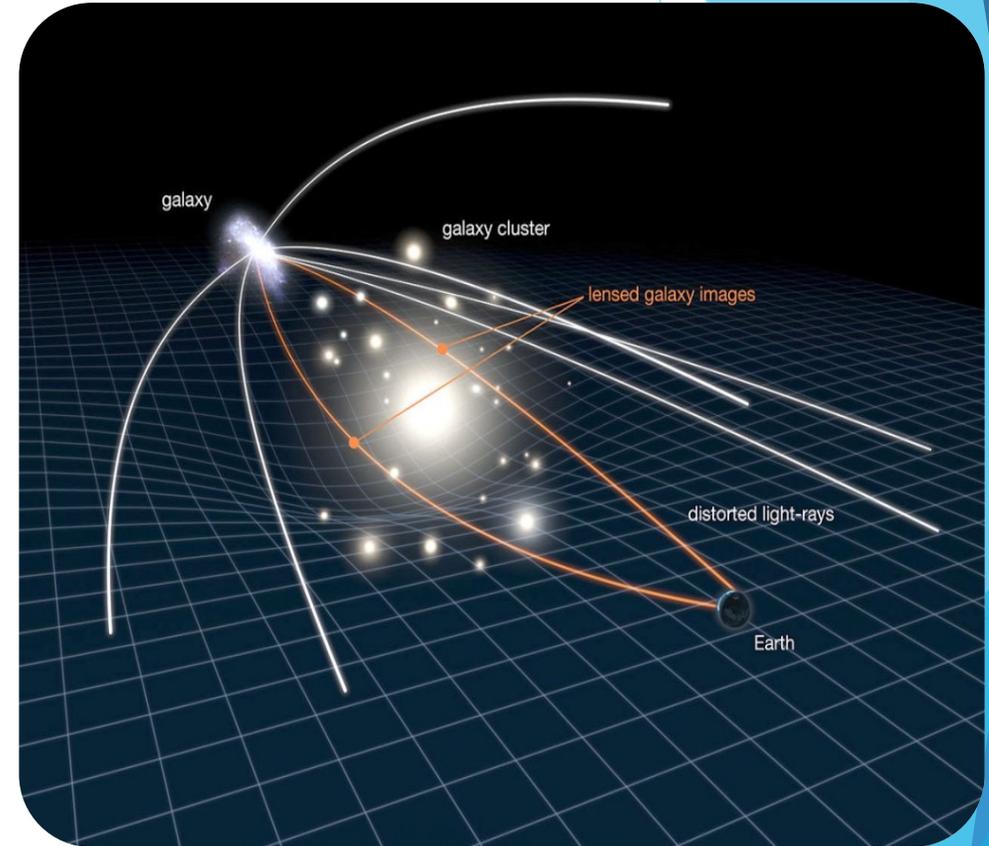
$h, \Omega_m h^2, \Omega_b h^2, n_s, b\sigma_8$

Weak gravitational lensing: cosmic shear



Van Vaerbeke et al. 2002 (compilation)

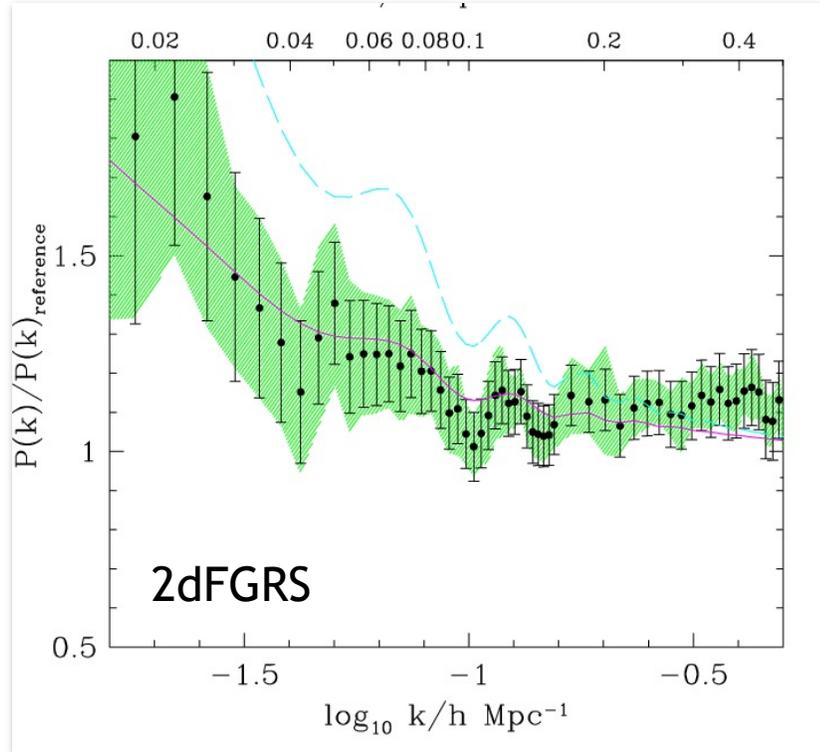
- Directly probe matter fluctuations
- Cosmic shear sensitive to mean matter density and growth of structure



Gravitational lensing

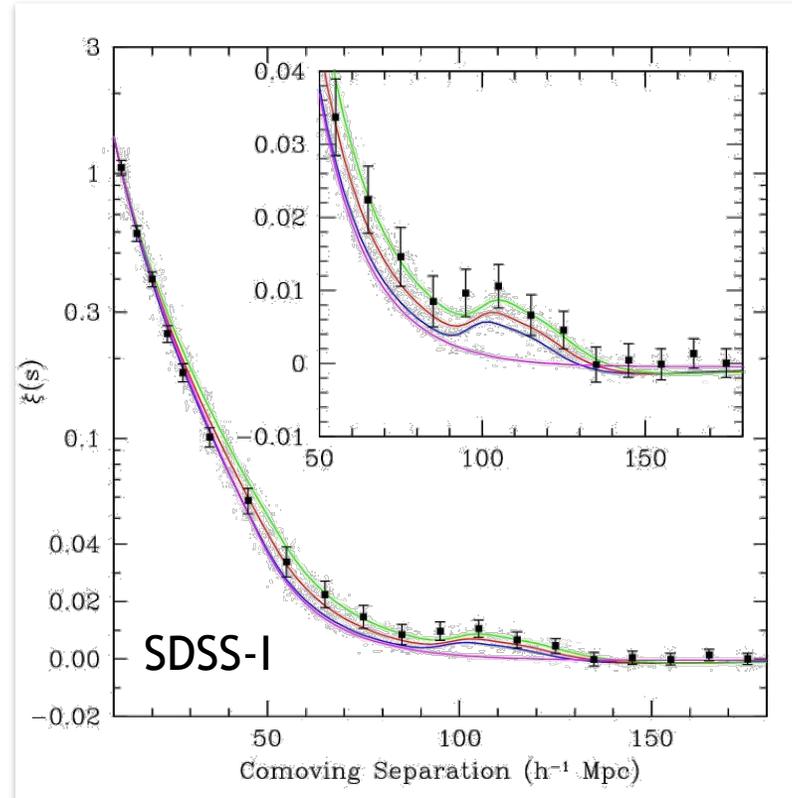
Baryon Acoustic Oscillations

Galaxy power spectrum



Cole et al. 2005

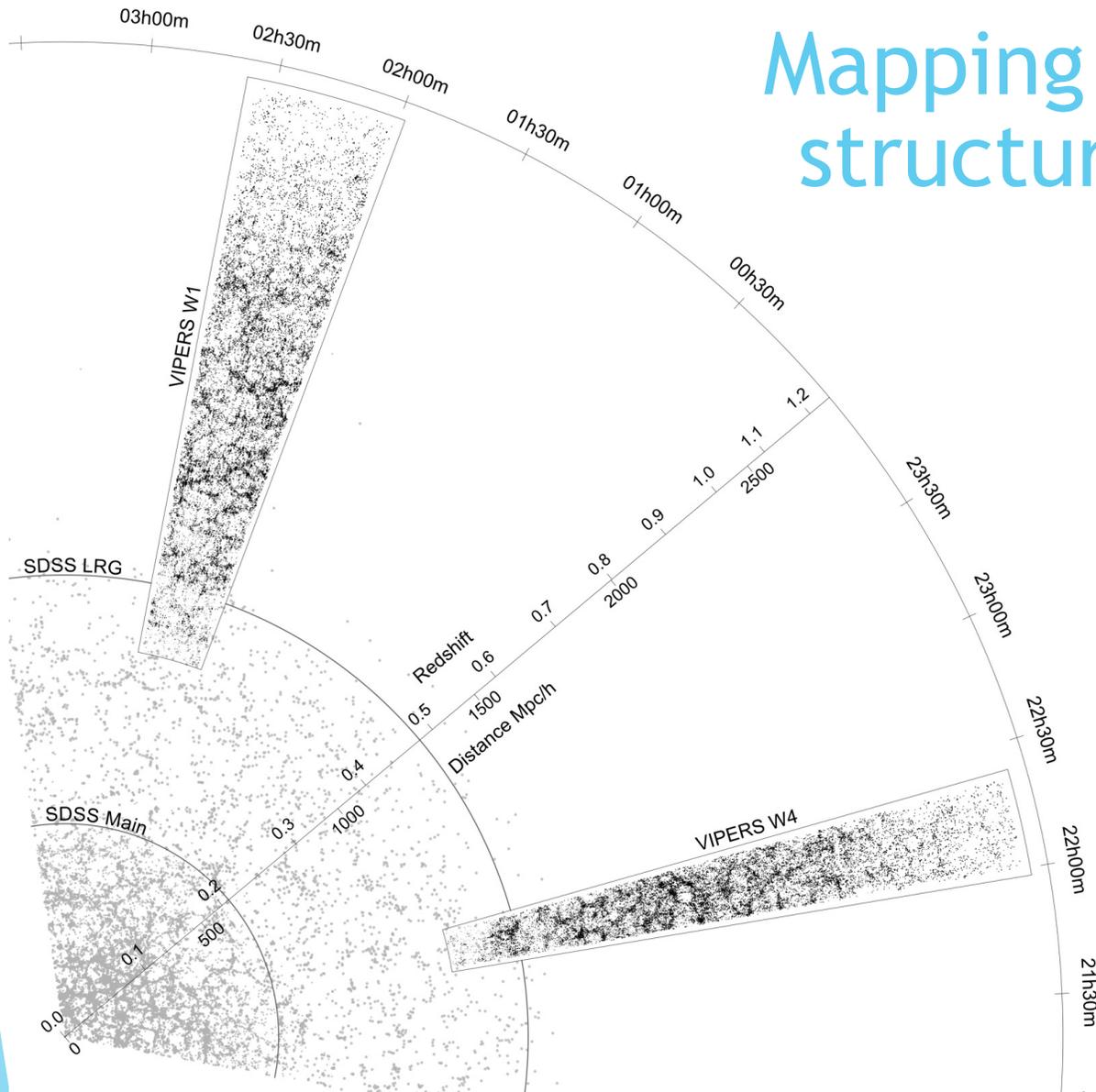
Galaxy correlation function



Eisenstein et al. 2005

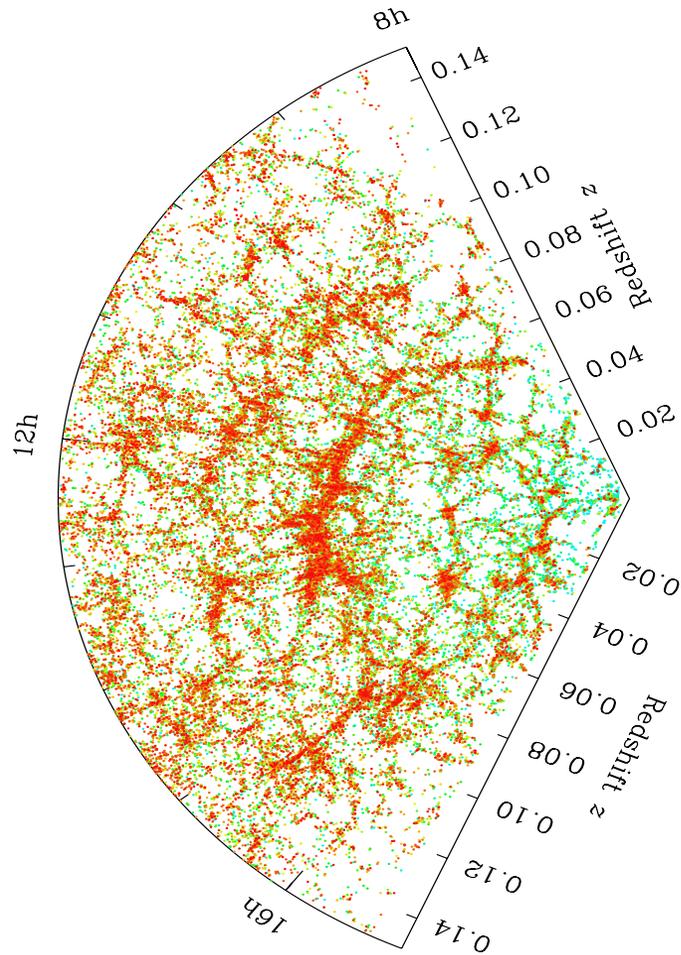
- ▶ First detections of BAO in galaxy clustering, sensitive to: $H(z)$, $D_A(z)$

Mapping the large-scale structure with galaxies



- ▶ Large redshift surveys for cosmology (non-exhaustive):
 - ▶ WiggleZ (*Blake et al., 2011*)
 - ▶ SDSS/BOSS (*Dawson et al, 2013*)
 - ▶ VIPERS (*Guzzo et al. 2014*)
 - ▶ SDSS/BOSS (*Dawson et al., 2013*)
 - ▶ SDSS/eBOSS (*Dawson et al., 2016*)
- ▶ More coming in the next years (2021-2027): DESI (on-going), Euclid, PFS, Roman

N-point statistics



Zehavi et al. 2011

▶ Two-point statistics

- ▶ The “probability of seeing a structure” can be casted in terms of the galaxy overdensity:

$$\delta = \frac{\rho - \rho_0}{\rho_0}$$

- ▶ The correlation function is simply the real-space two-point statistic of the galaxy field:

$$\xi(r) = \langle \delta(\mathbf{x})\delta(\mathbf{x} + \mathbf{r}) \rangle$$

- ▶ Its Fourier analogue, the galaxy power spectrum, is defined as:

$$P(k) = \langle \delta(\mathbf{k})\delta(\mathbf{k}') \rangle$$

▶ Higher-order statistics

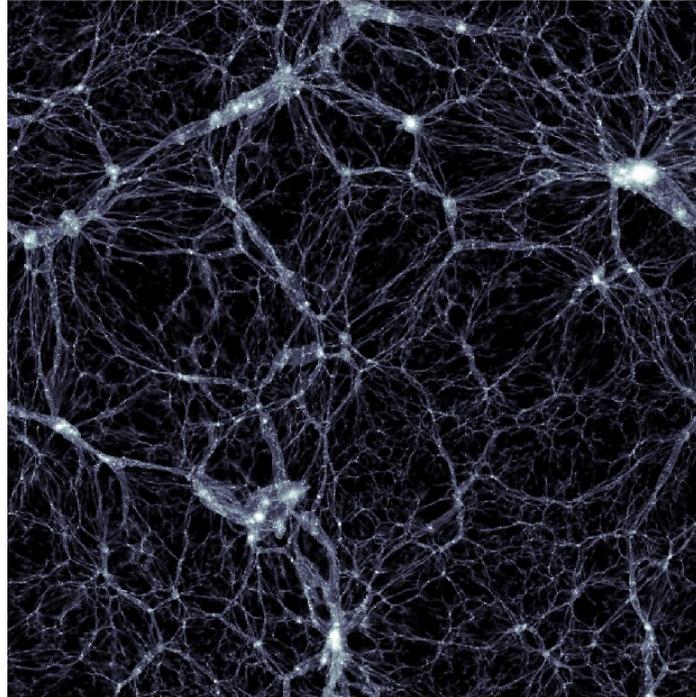
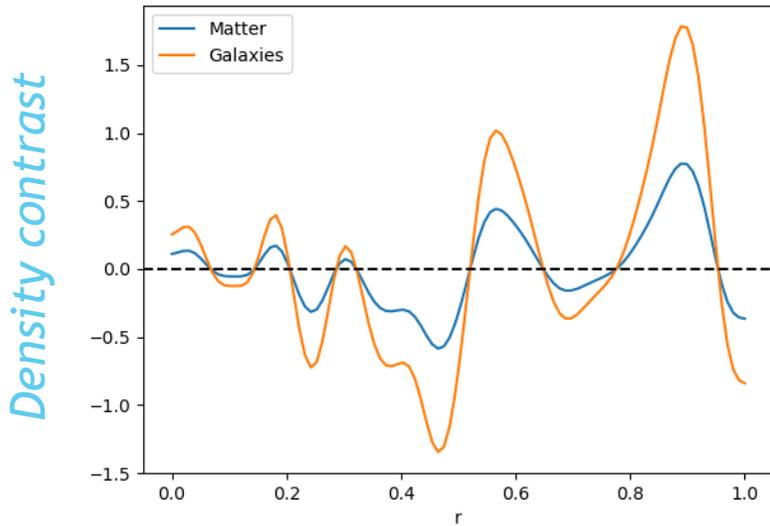
$$\xi(r) = \langle \delta(\mathbf{x}_1)\delta(\mathbf{x} + \mathbf{r}) \rangle$$

$$\zeta(r_1, r_2, r_3) = \langle \delta(\mathbf{x}_1)\delta(\mathbf{x}_2)\delta(\mathbf{x}_3) \rangle$$

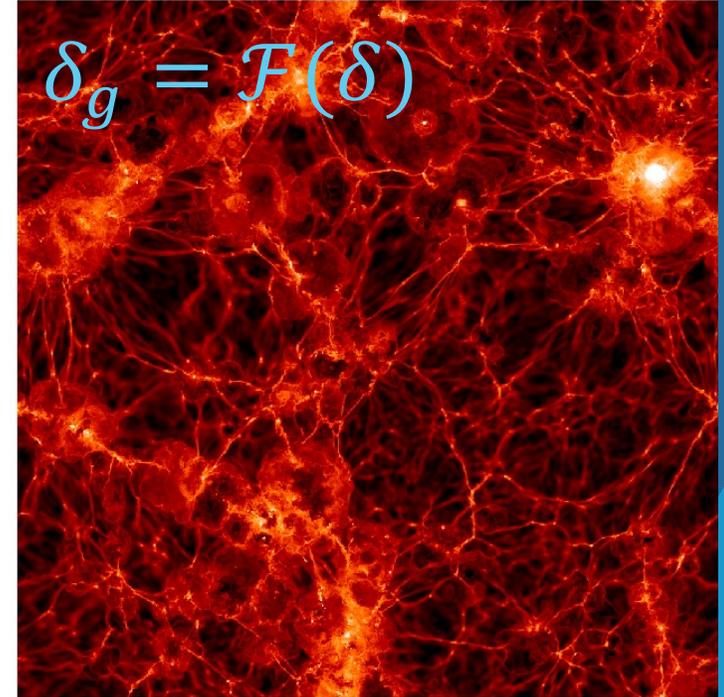
...

Biased galaxy formation

- Galaxies are biased tracers of the underlying density field



(a) dark matter



(b) baryons

- Example of perturbative model: (McDonald & Roy, 2009)

$$\delta_h(\mathbf{x}) = b_1 \delta(\mathbf{x}) + \frac{1}{2} b_2 [\delta(\mathbf{x})^2 - \sigma_2] + \frac{1}{2} b_{s^2} [s(\mathbf{x})^2 - \langle s^2 \rangle]$$

Linear bias

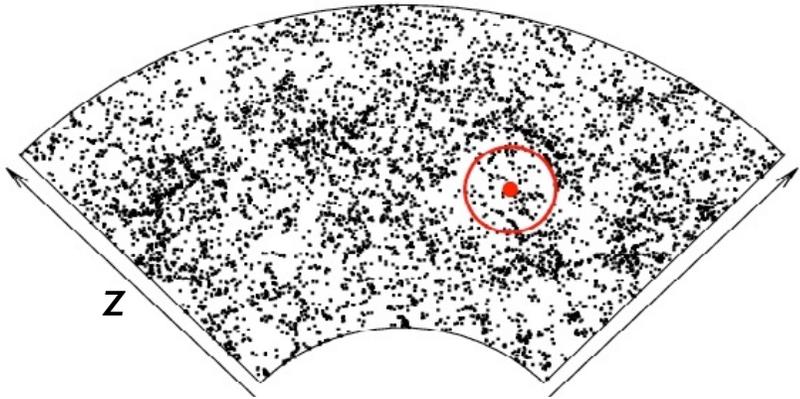
Non-linearities

Tidal tensor \rightarrow Non-local

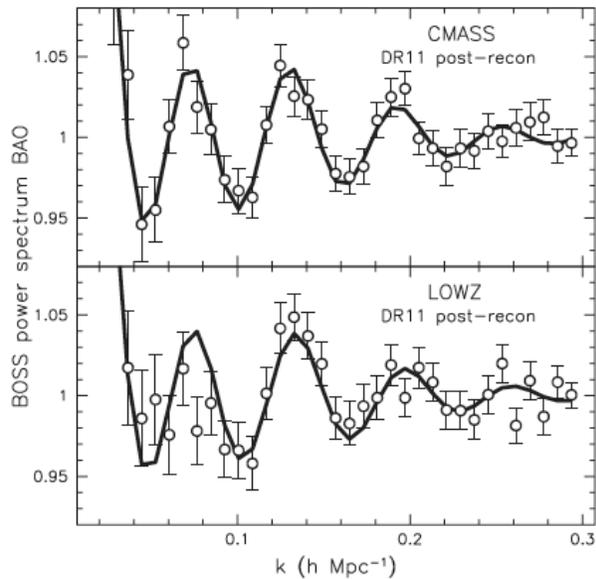
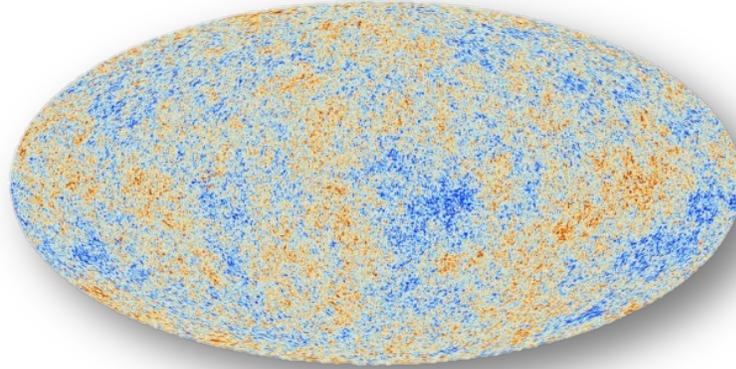
Haider et al., 2016

Baryon Acoustic Oscillations

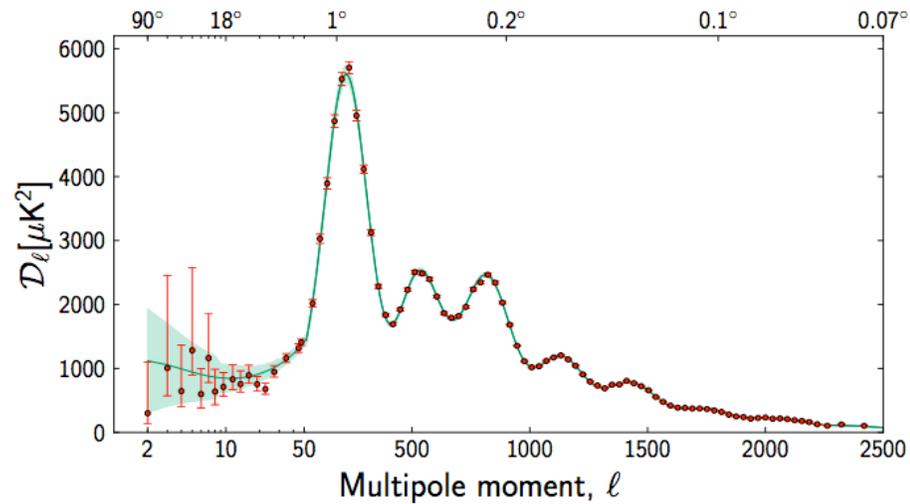
Galaxies



CMB

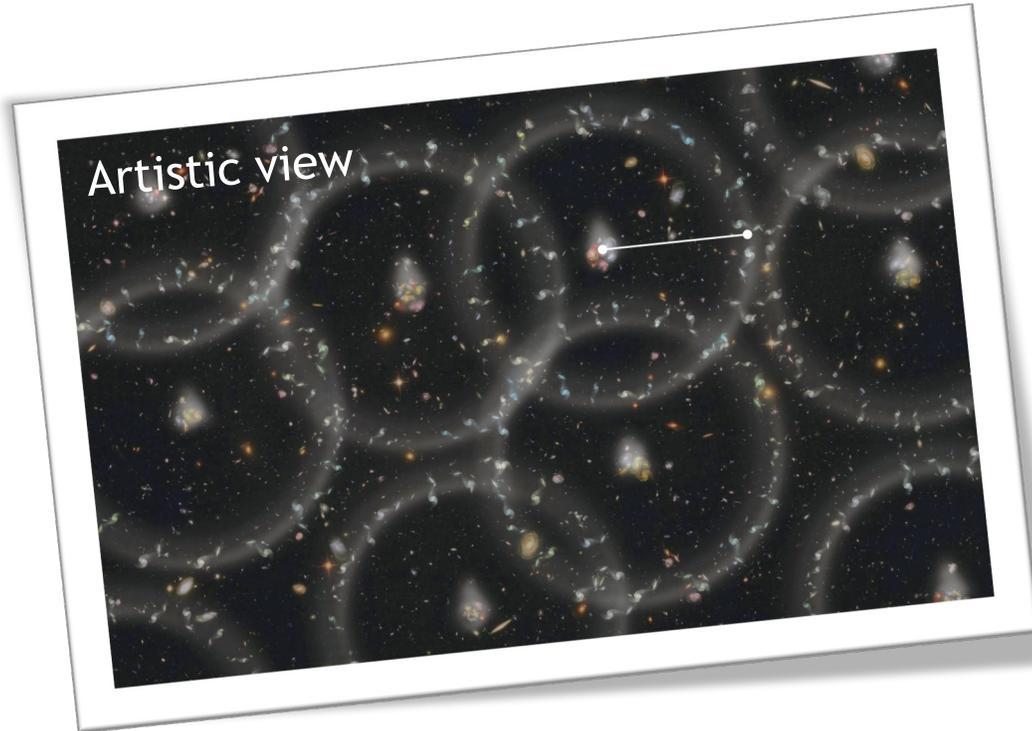


Anderson et al. 2014

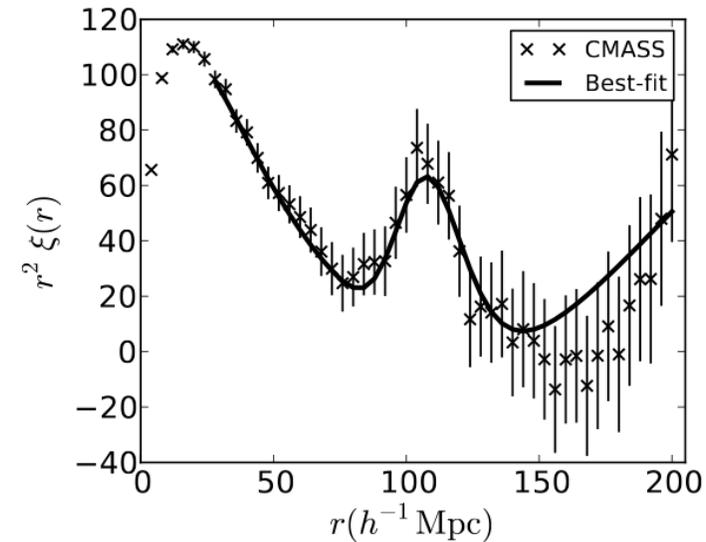


Planck Collaboration 2015

Baryon Acoustic Oscillations



Galaxy correlation function



Anderson et al. 2012

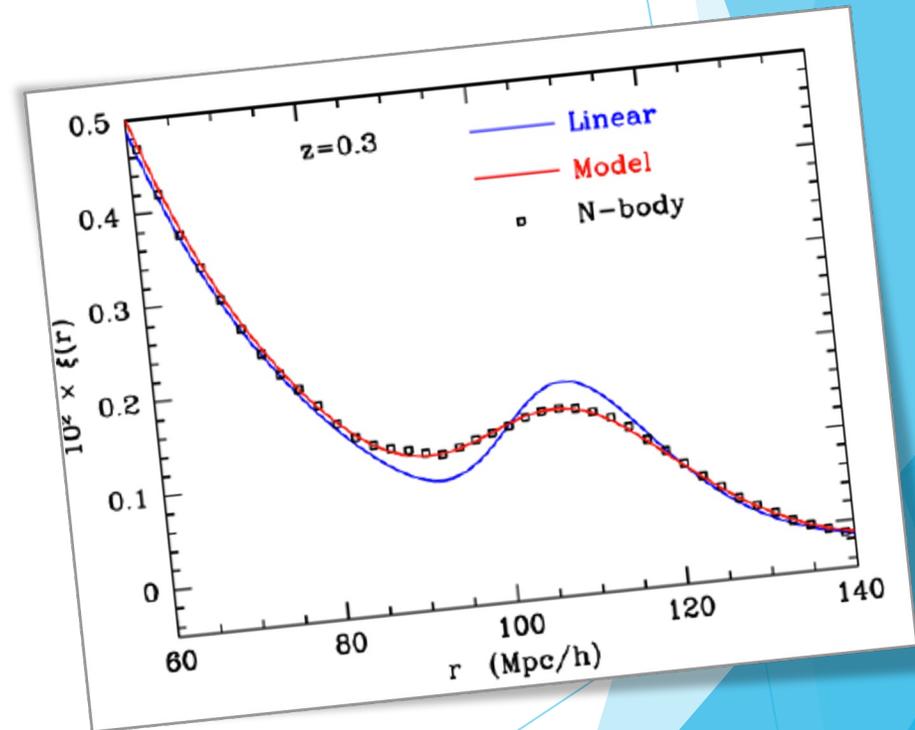
- BAO scale is determined by the sound horizon at drag epoch (z_d):

$$r_d = \int_{z_d}^{\infty} \frac{c_s(z)}{H(z)} dz \approx 150 \text{ Mpc}$$

Baryon Acoustic Oscillations

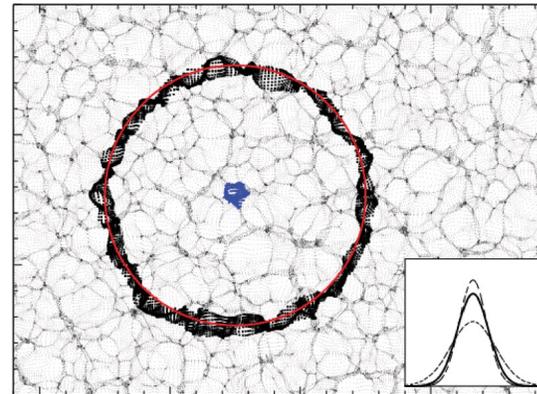
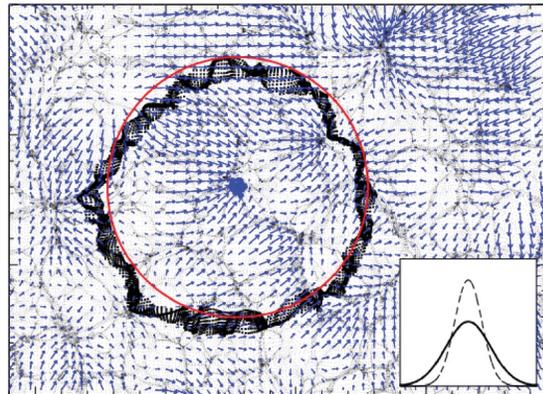
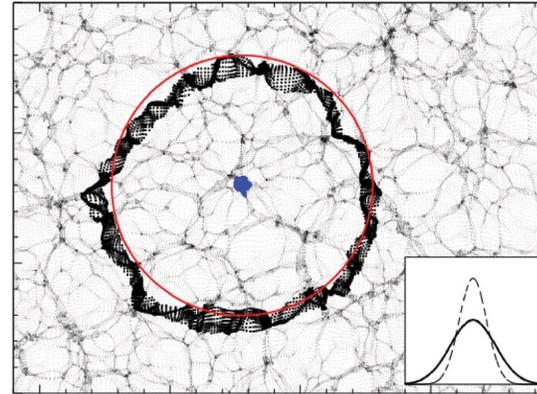
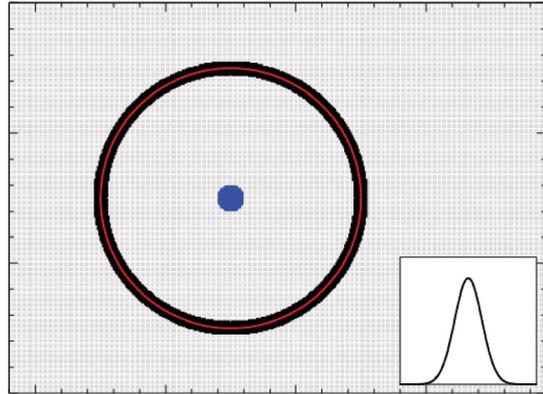
- ▶ Non-linear effects on BAO
 - ▶ As structure grows, galaxy peculiar velocities smooth out the BAO peak on scales of 15-20 Mpc/h
 - ▶ PT or numerical simulations predict a Gaussian damping of the peak

$$\Delta^2(k) = \{ \Delta_{\text{lin}}^2(k) + \dots \} \exp[-k^2 \Sigma^2 / 2] + \Delta_{22}^2 + \dots$$



Baryon Acoustic Oscillations

Padmanabhan et al. 2012

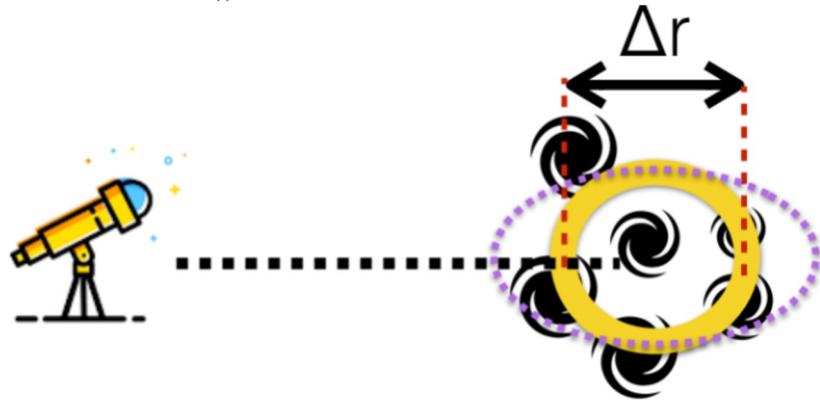


- ▶ Reconstruction: mitigate non-linear effects and sharpen the BAO peak (usually based on Zel'dovich approximation)

BAO & Alcock-Pazcynski distortions

- ▶ Anisotropy induced by the assumed (*fiducial*) cosmology which convert redshift into distances.

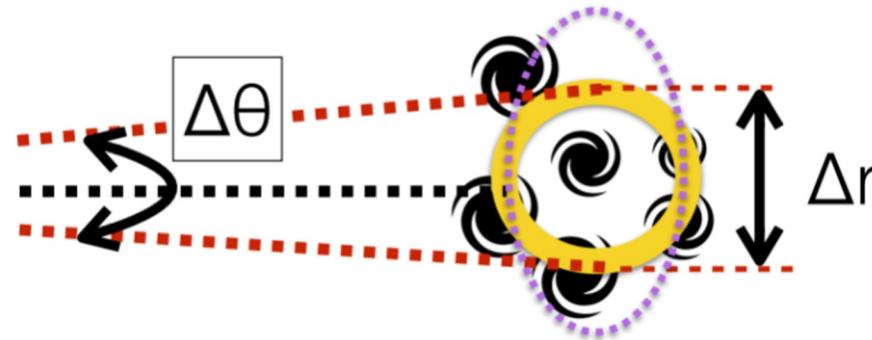
$$\Delta r_{\parallel} \approx c/H(z) \equiv D_H(z)$$



Radial distance

$$\alpha_{\parallel} = \frac{D_H(z_{\text{eff}})/r_d}{D_H^{\text{fid}}(z_{\text{eff}})/r_d^{\text{fid}}}$$

$$\Delta r_{\perp} \approx D_M(z)$$

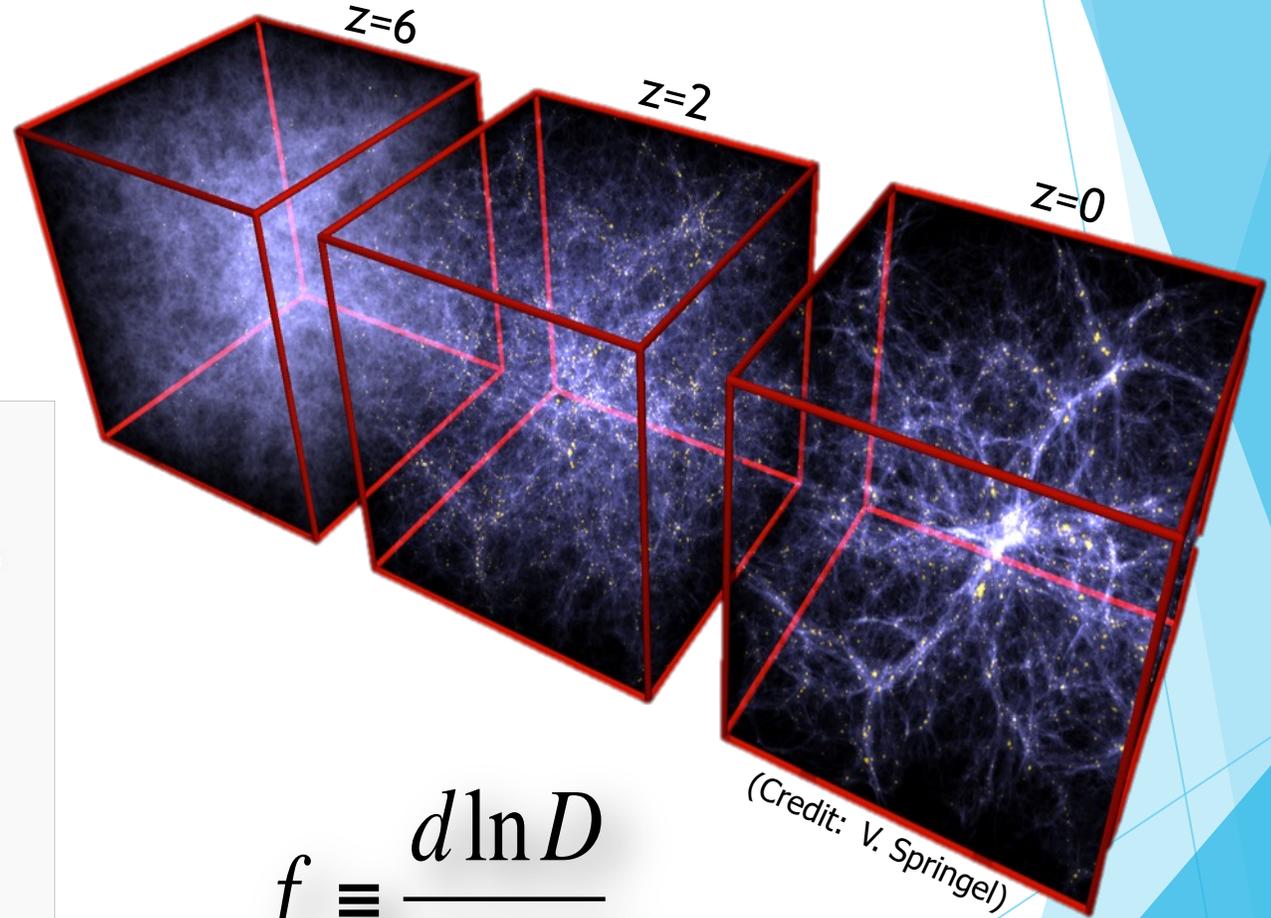
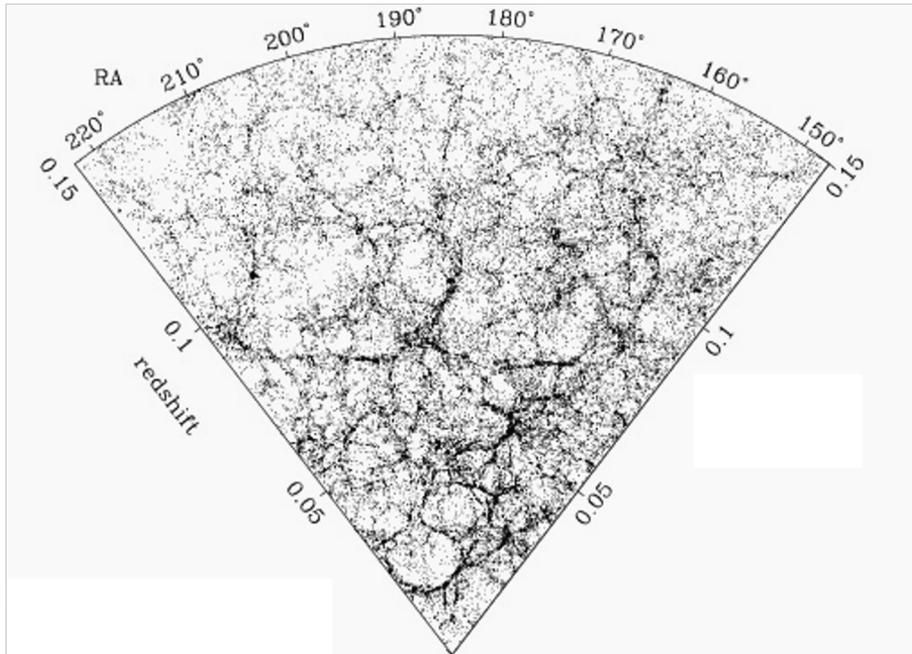


Angular diameter distance

$$\alpha_{\perp} = \frac{D_M(z_{\text{eff}})/r_d}{D_M^{\text{fid}}(z_{\text{eff}})/r_d^{\text{fid}}}$$

Probing the growth rate of structure

Real space

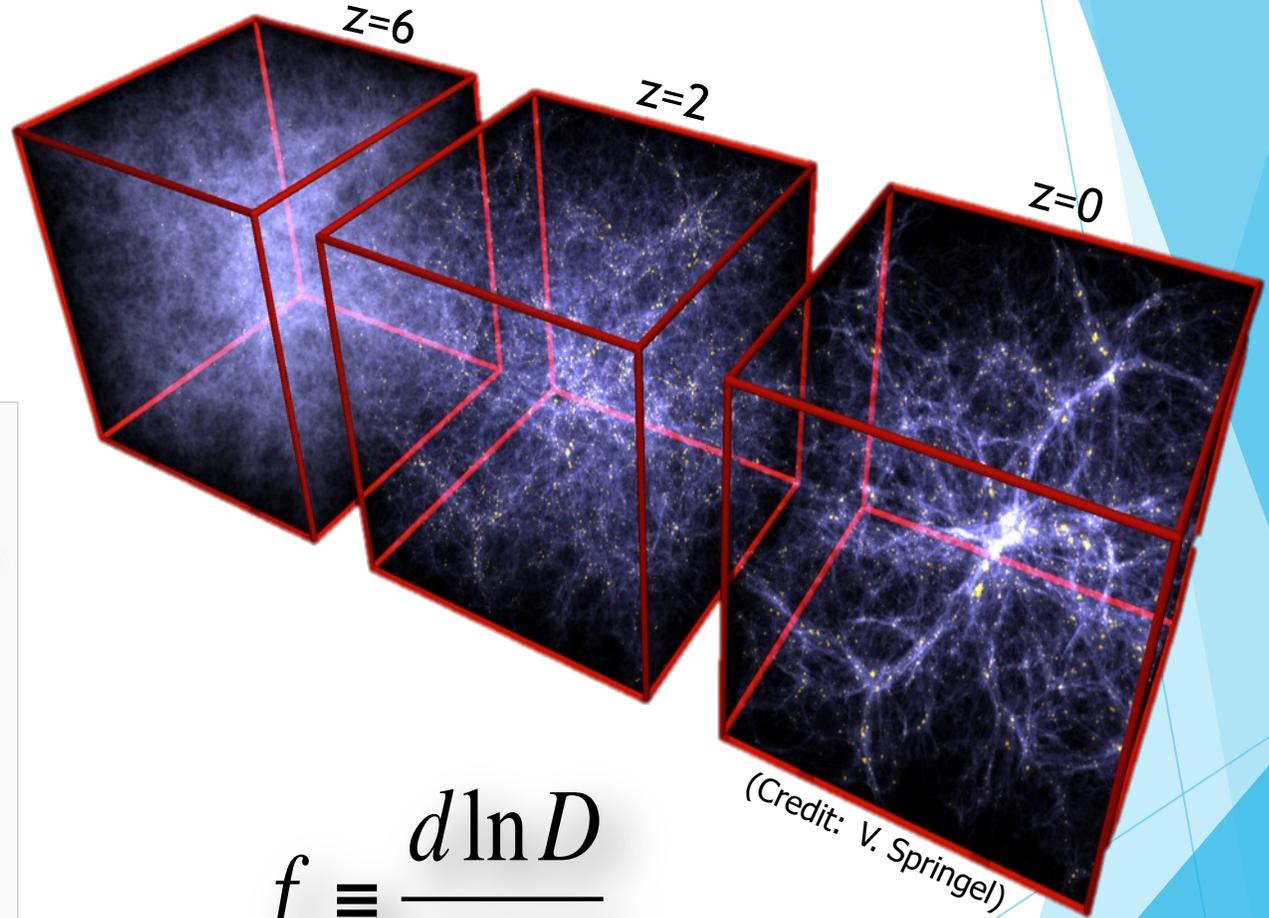
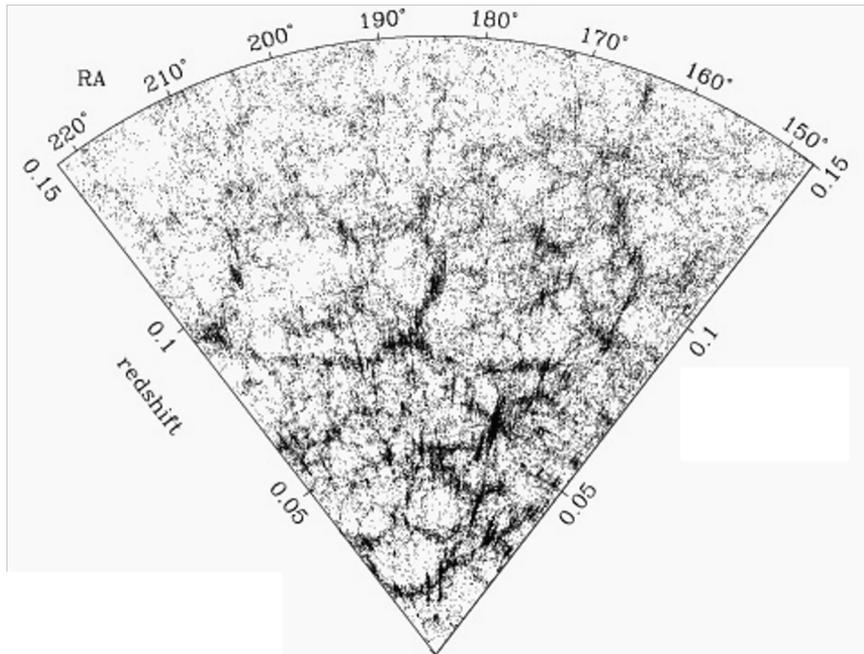


$$f \equiv \frac{d \ln D}{d \ln a}$$

Growth rate of structure

Probing the growth rate of structure

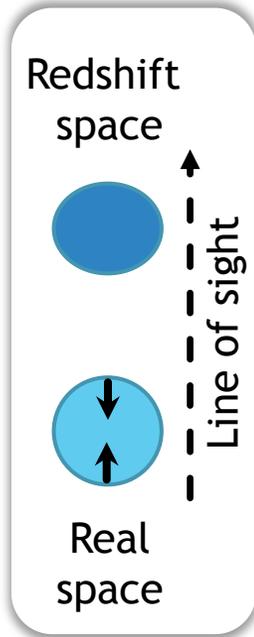
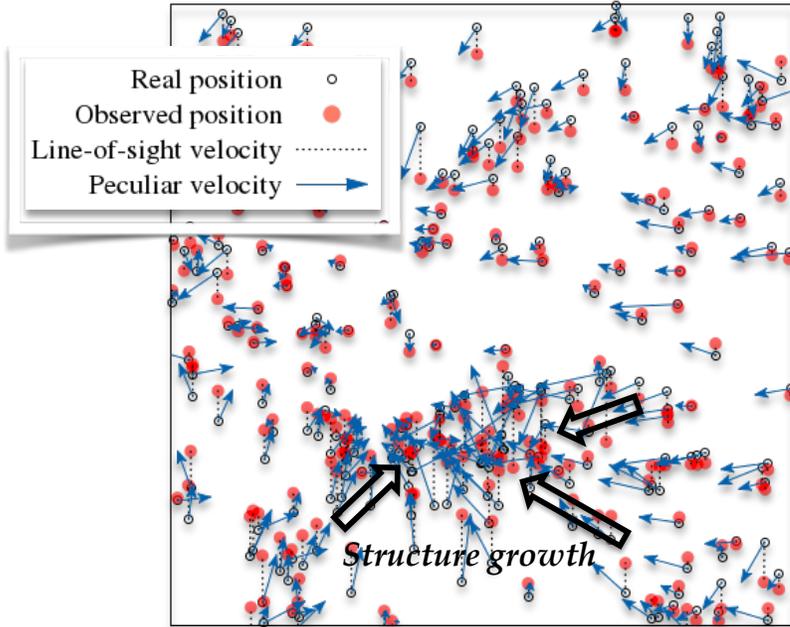
Redshift space



$$f \equiv \frac{d \ln D}{d \ln a}$$

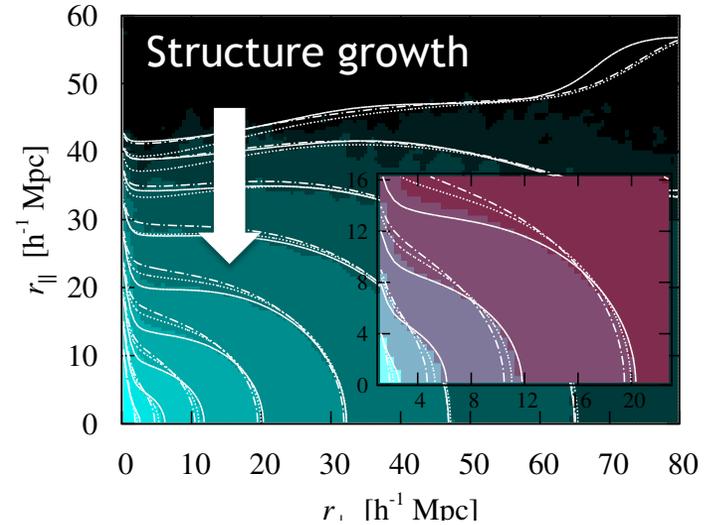
Growth rate of structure

Redshift-space distortions



Distance in redshift-space: $s = r + \frac{v_{los}}{aH}$

Galaxy anisotropic correlation function

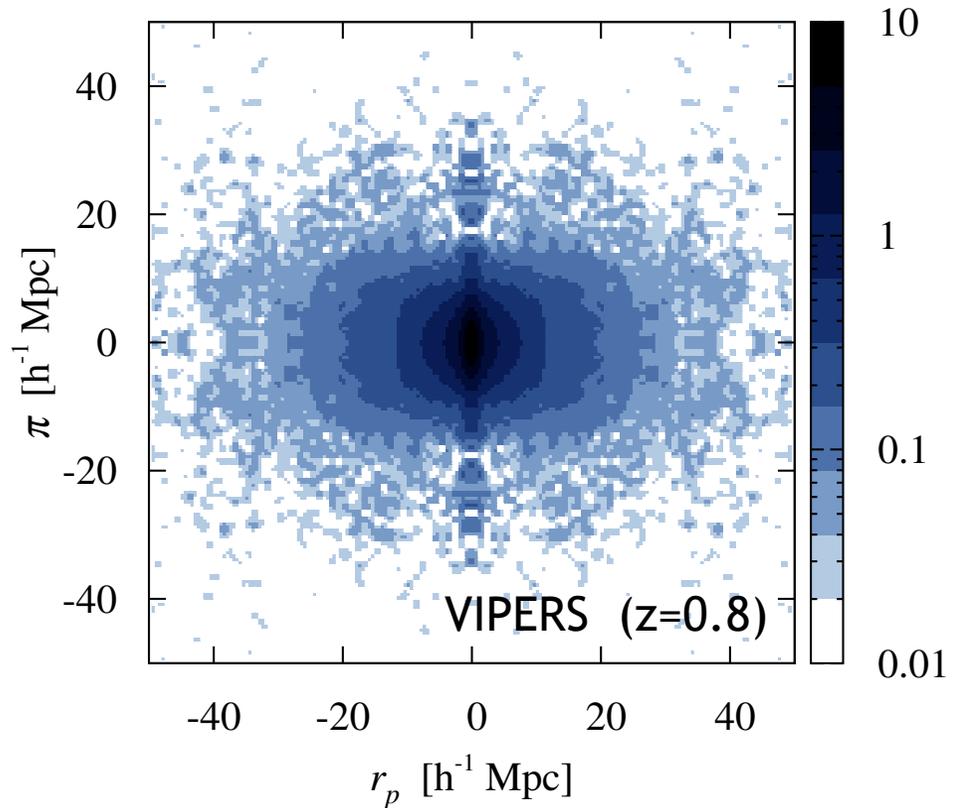


de la Torre et al. 2012

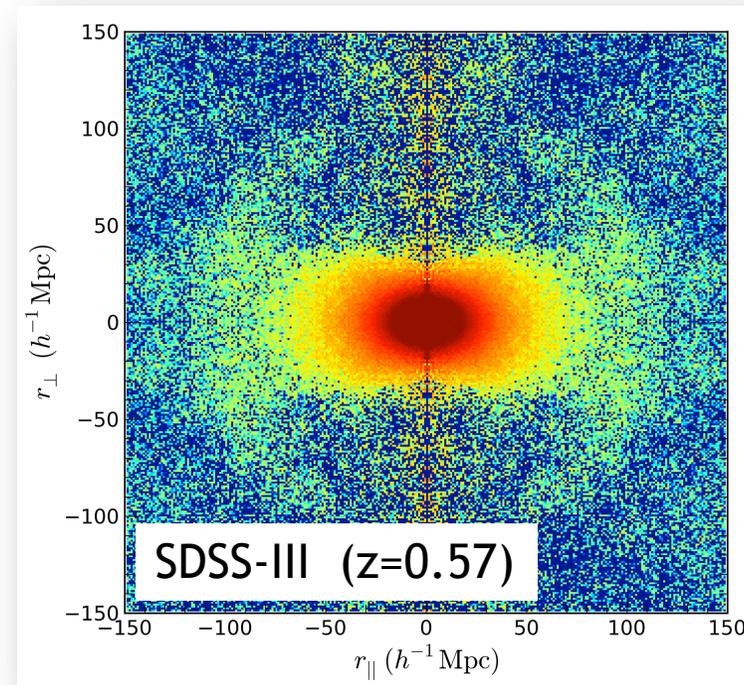
$$f \equiv \frac{d \ln D}{d \ln a} \approx \Omega_m(z)^\gamma$$

RSD measurements

Anisotropic correlation function : $\xi(r_{\perp}, r_{\parallel}) = \int \frac{d^3k}{(2\pi)^3} e^{ik \cdot s} P^s(k, \mu) :$



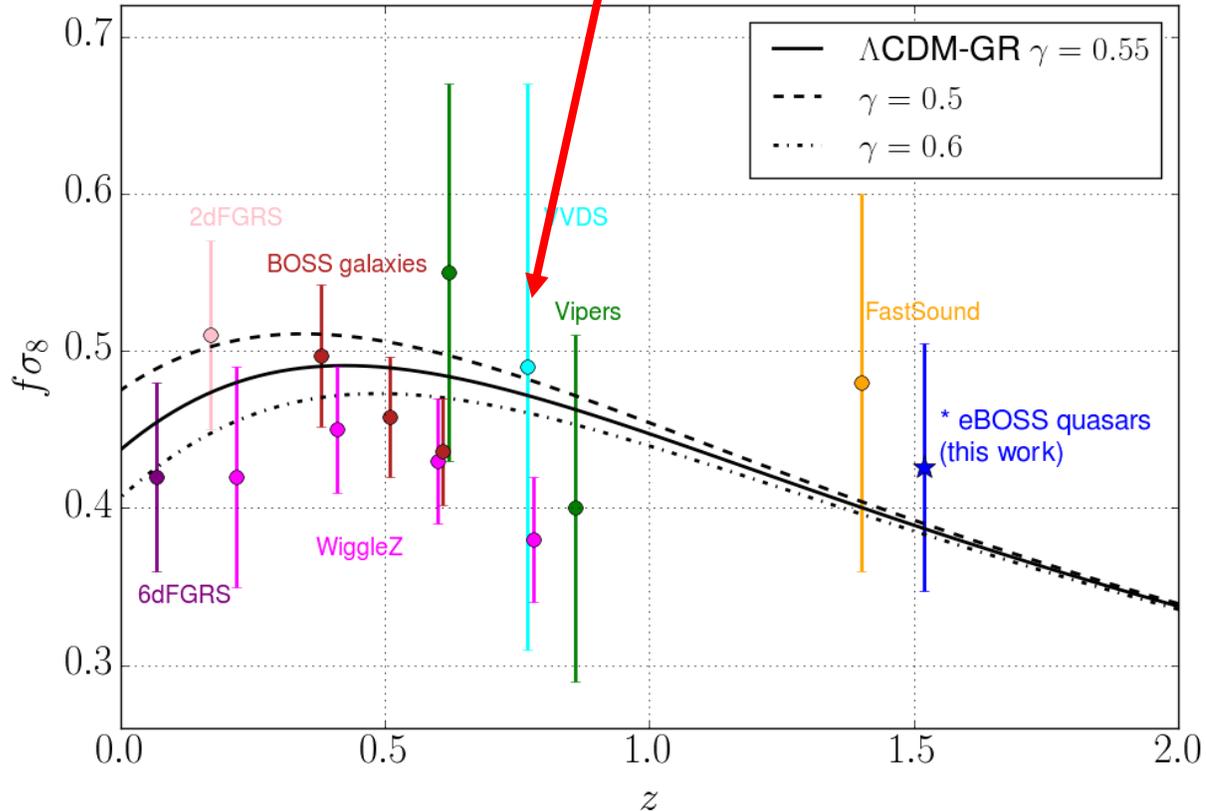
VIPERS, de la Torre et al. 2013)



SDSS/BOSS, Samushia et al. 2014

Redshift-space distortions

Guzzo et al. 2008



Zarrouk et al. 2018

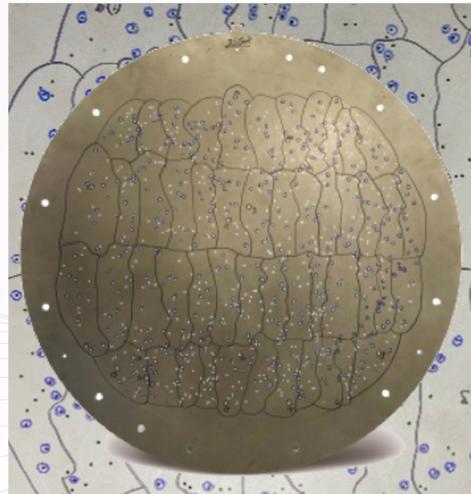
$$f \equiv \frac{d \ln D}{d \ln a} \approx \Omega_m(z)^\gamma$$

State-of-the art: SDSS-IV

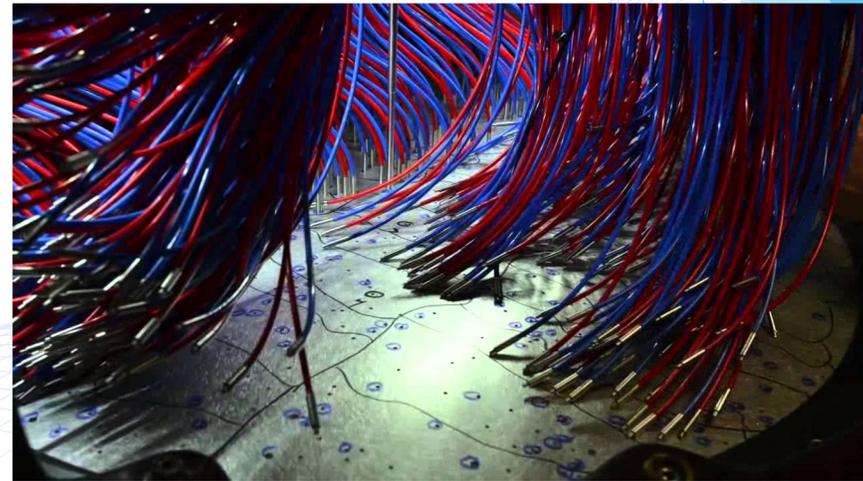
- SDSS: collection of wide-area, multi-band imaging and spectroscopic surveys
- Primary goal to probe the large-scale structure of the universe and cosmology
- SDSS-IV uses 2.5-meters telescope was designed and built at the Apache Point Observatory, at Sunspot, New Mexico, USA
- Observations performed with two multi-objects fiber-fed twin spectrograph



SDSS telescope



SDSS plate



SDSS fibers

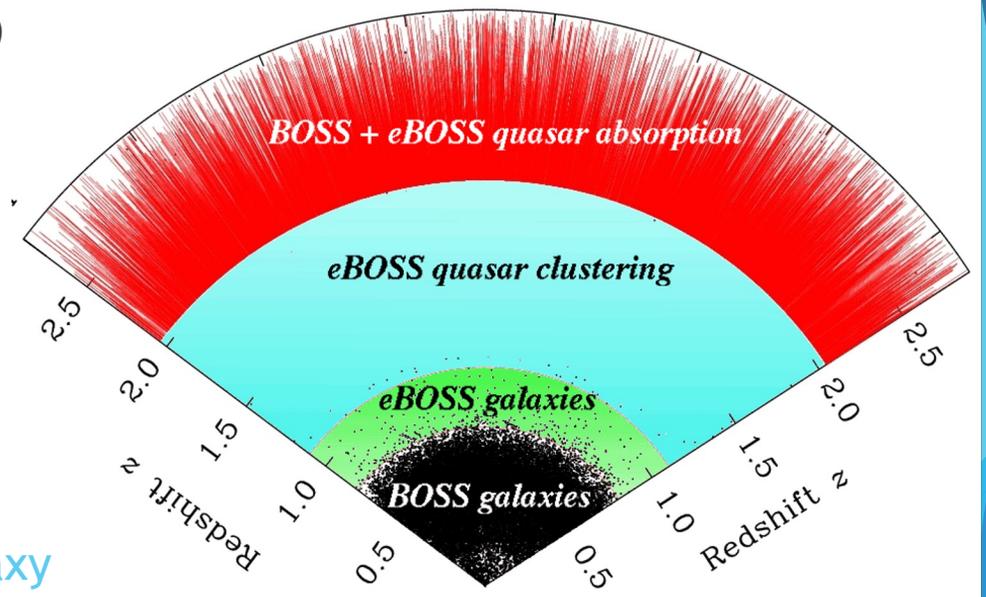
SDSS/eBOSS survey

- ▶ Galaxies target by eBOSS :
 - ▶ Luminous red galaxies (LRGs, mostly elliptical galaxies)
 - ▶ Emission lines galaxies (ELGs, spiral/irr. galaxies)
 - ▶ Quasars (QSOs)
 - ▶ Quasars absorption lines: the Lyman-alpha forest
- ▶ Additional data : Constant mass galaxies observed by BOSS (CMASS, 75% red 25 % blue galaxies)

Luminous red galaxy

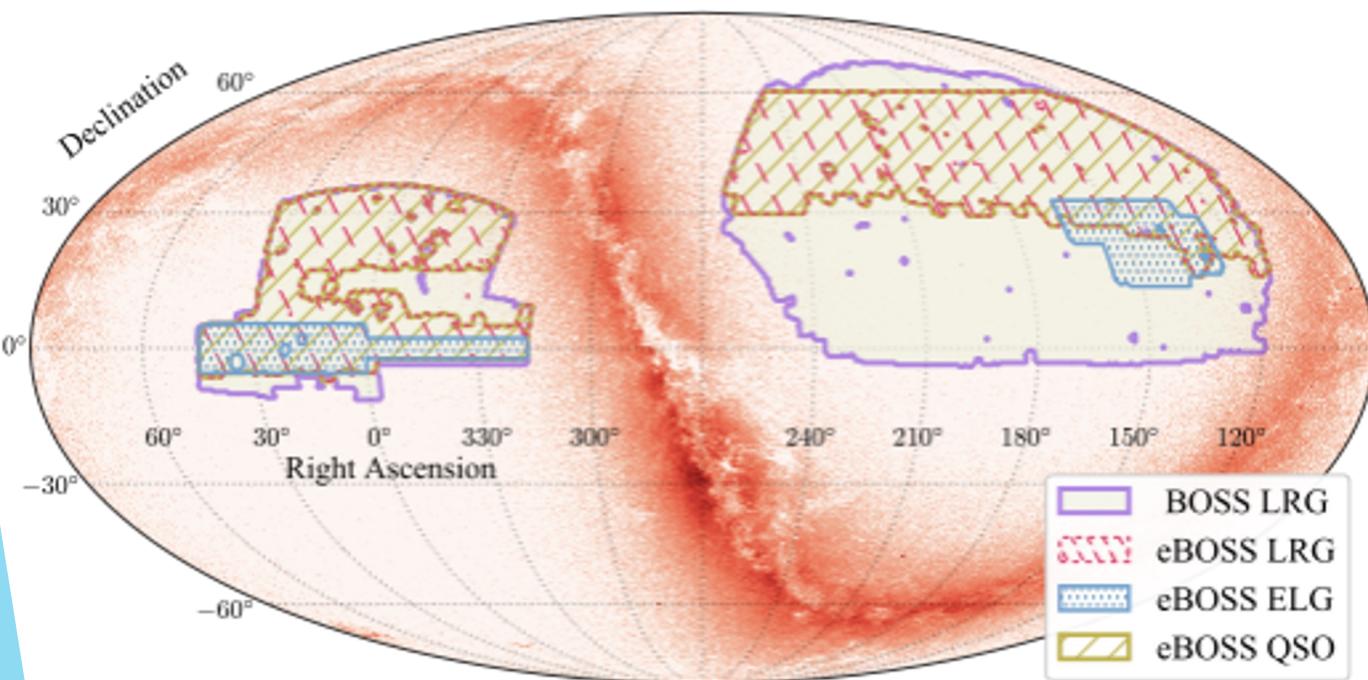


Emission-line galaxy



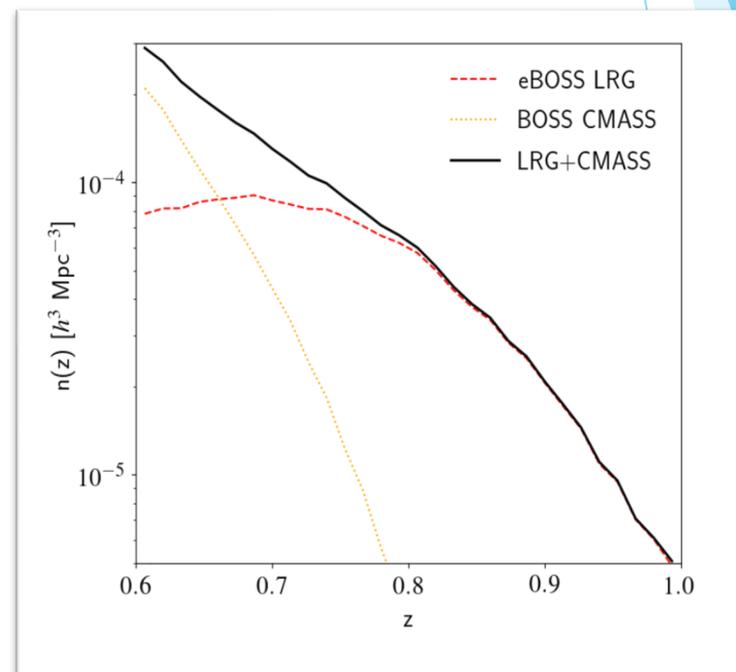
eBOSS galaxies samples

eBOSS observations



eBOSS angular footprint

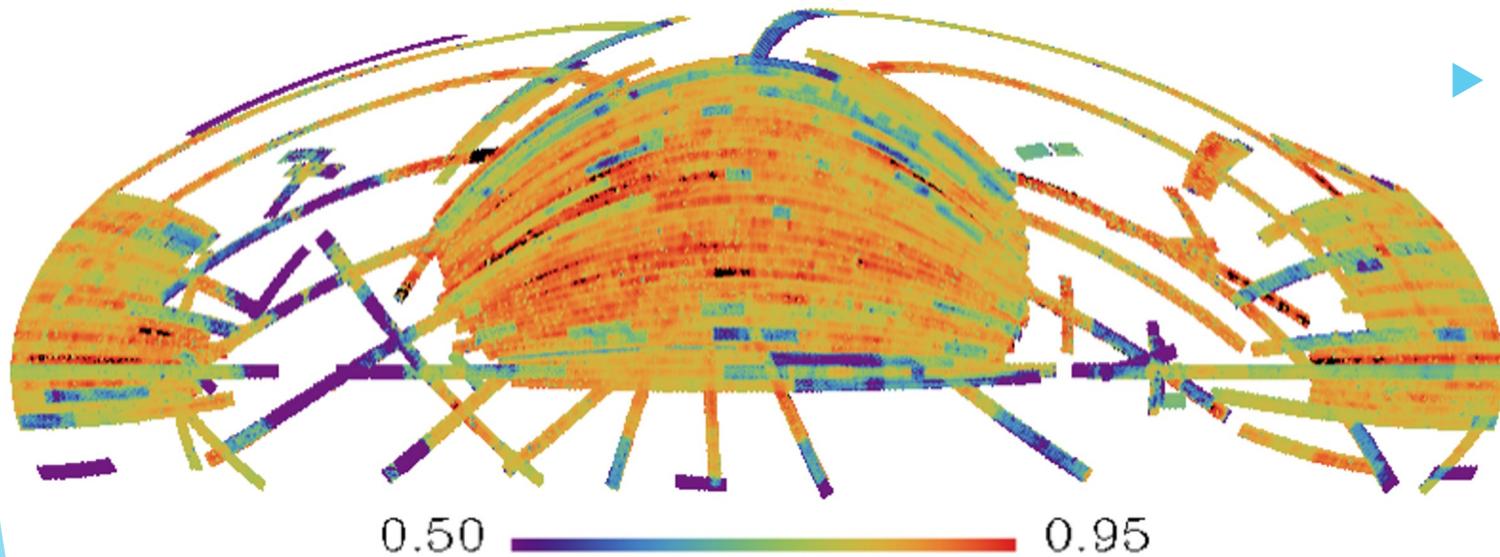
Bautista, Paviot, Vargas, de la Torre 2020



LRG and CMASS radial selection function

Control of the observational systematics

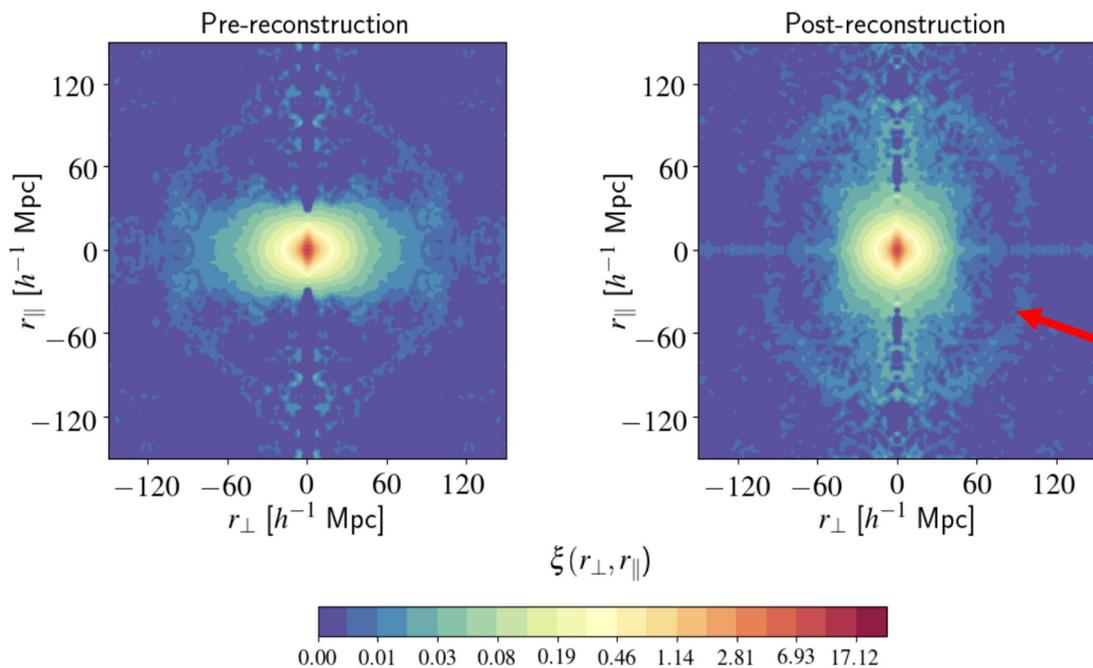
eBOSS spectroscopic sampling



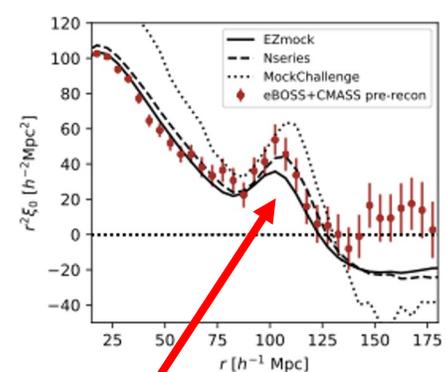
- ▶ Three main sources of systematics:
 - ▶ Angular fluctuations of the number of targets due to the quality of the imaging
 - ▶ Fiber collision (due to the physical size of each fiber)
 - ▶ Catastrophic redshift (due to bad redshift determination)

State-of the art: eBOSS survey

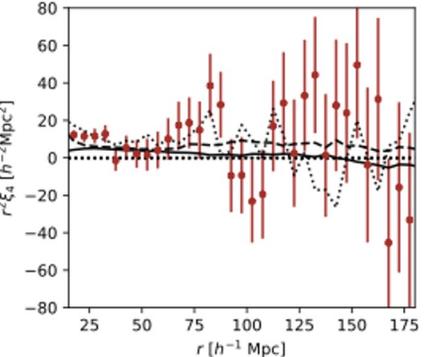
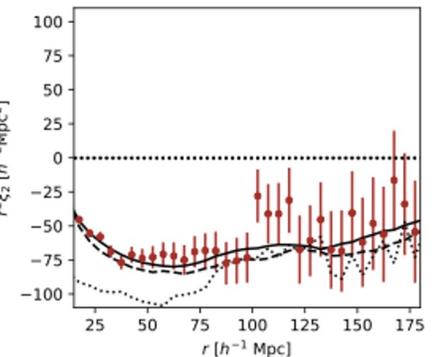
▶ 377 458 LRGs in the range $0.6 < z < 1.0$



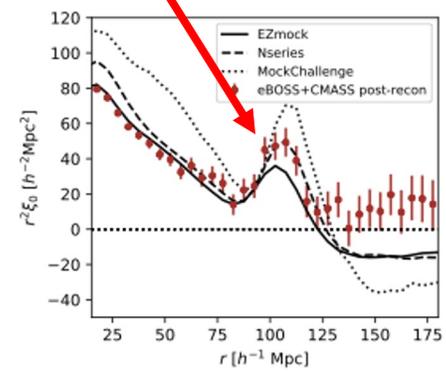
Galaxy anisotropic correlation function



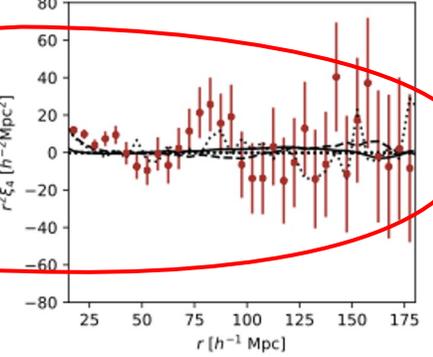
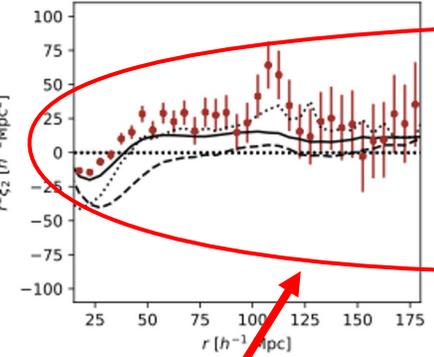
Pre-reconstruction



BAO

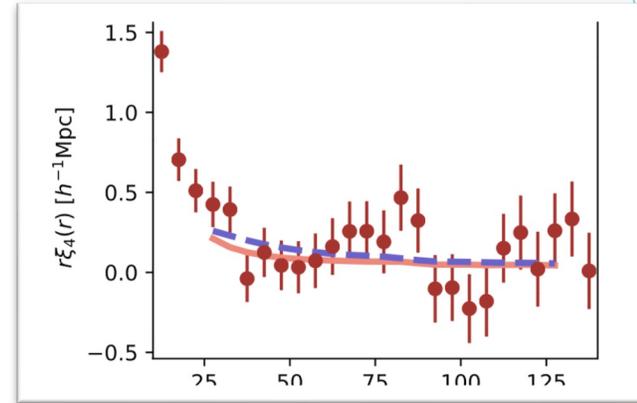
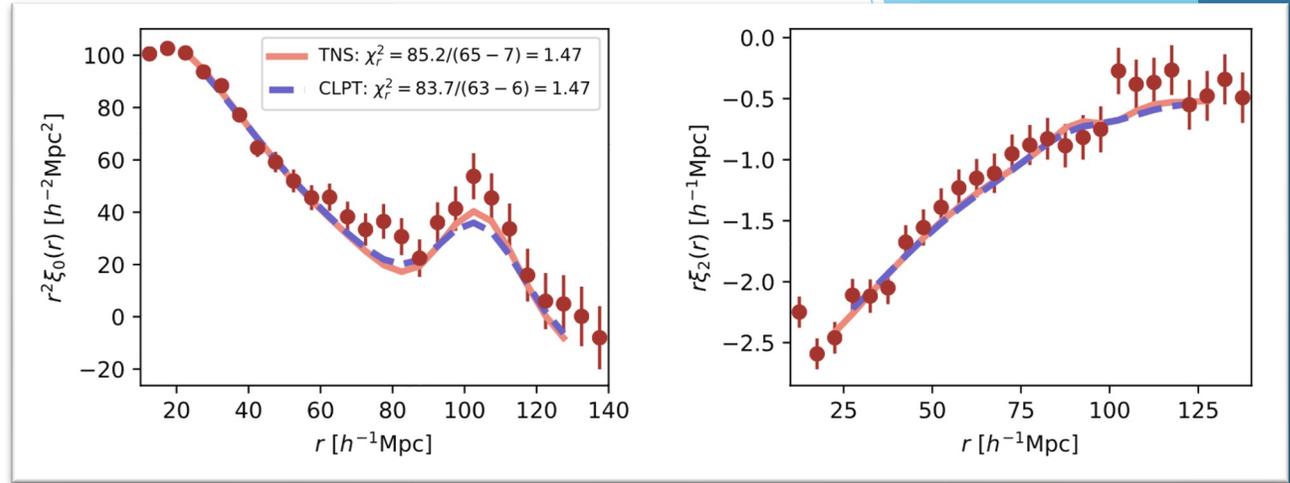
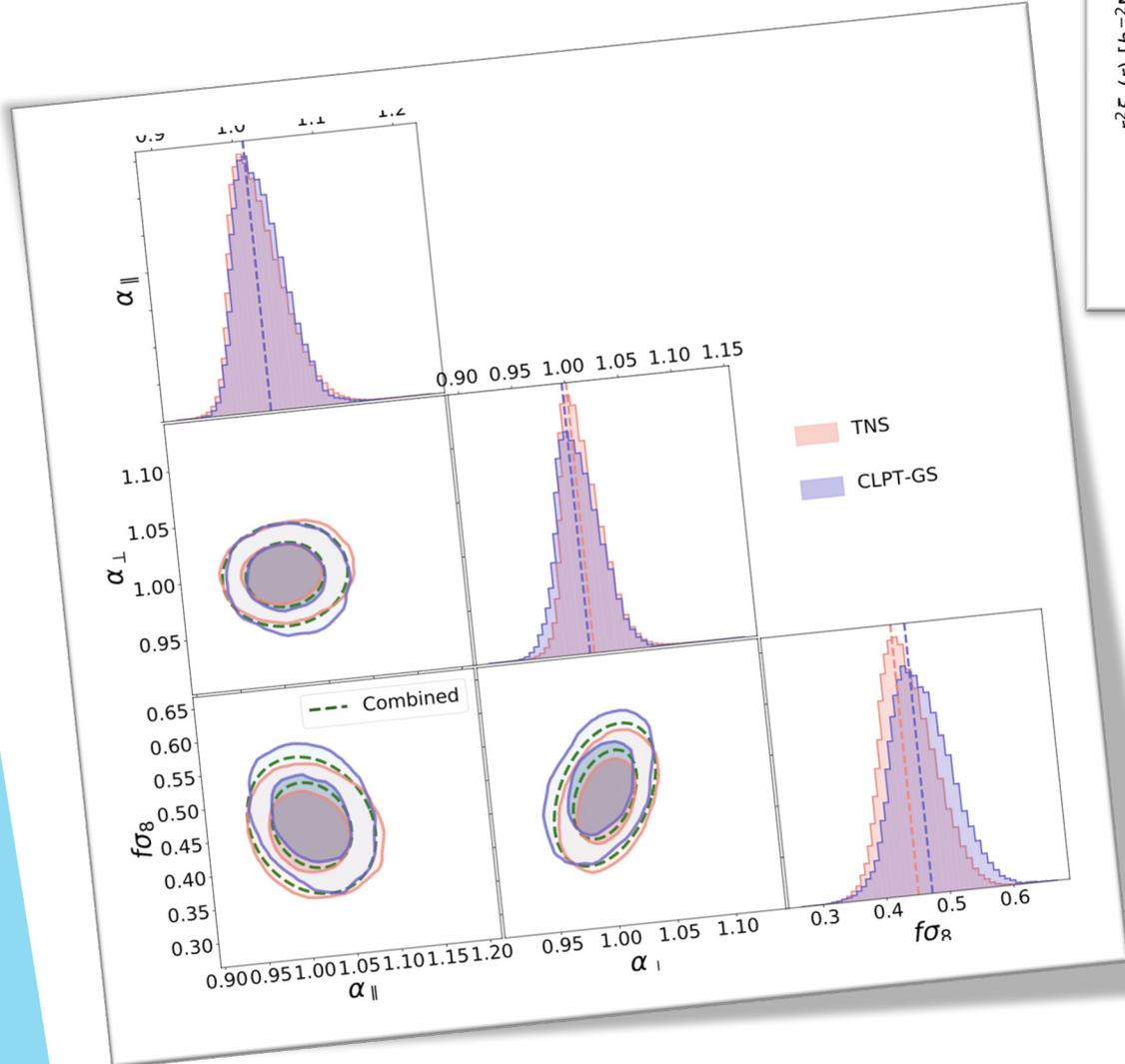


Post-reconstruction



Anisotropy almost removed by reconstruction

RSD measurements



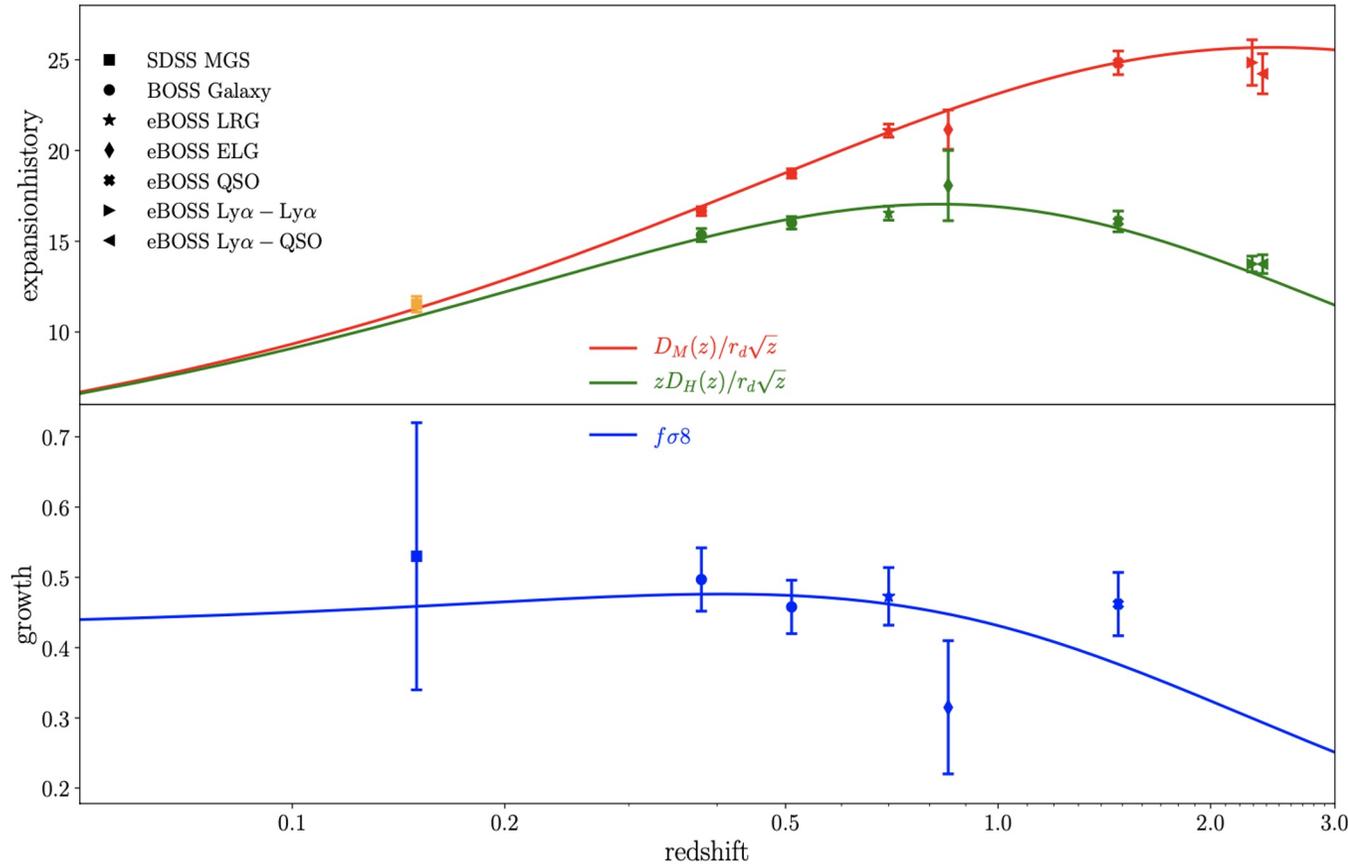
$$\mathbf{D}_{\text{RSD}, \xi_\ell} = \begin{pmatrix} D_M / r_d \\ D_H / r_d \\ f \sigma_8 \end{pmatrix} = \begin{pmatrix} 17.42 \pm 0.40 \\ 20.46 \pm 0.70 \\ 0.460 \pm 0.050 \end{pmatrix}$$

eBOSS Systematic error budget

- ▶ For precision cosmology systematic and statistical error need to be assessed in great detail
- ▶ Total systematic budget :
 - ▶ More than 50 % of the statistical error for each parameter
 - ▶ Dominated by observational systematics

Type	Model	$\sigma_{\alpha_{\perp}}$	$\sigma_{\alpha_{\parallel}}$	$\sigma_{f\sigma_8}$
Modelling	CLPT-GS	0.004	0.009	0.010
	TNS	0.004	0.006	0.009
Fid. cosmology	CLPT-GS	0.009	0.010	0.014
	TNS	0.005	0.008	0.012
Obs. effects	CLPT-GS	0.009	0.012	0.017
	TNS	0.010	0.014	0.018
σ_{syst}	CLPT-GS	0.013	0.018	0.024
	TNS	0.012	0.017	0.023
	P_{ℓ}	0.012	0.013	0.024
σ_{stat}	CLPT-GS	0.020	0.028	0.045
	TNS	0.018	0.031	0.040
	P_{ℓ}	0.027	0.036	0.042
$\sigma_{\text{syst}}/\sigma_{\text{stat}}$	CLPT-GS	0.66	0.63	0.54
	TNS	0.65	0.55	0.58
	P_{ℓ}	0.43	0.37	0.58
$\sigma_{\text{tot}} = \sqrt{\sigma_{\text{syst}}^2 + \sigma_{\text{stat}}^2}$	CLPT-GS	0.024	0.033	0.051
	TNS	0.021	0.035	0.046
	P_{ℓ}	0.029	0.038	0.048

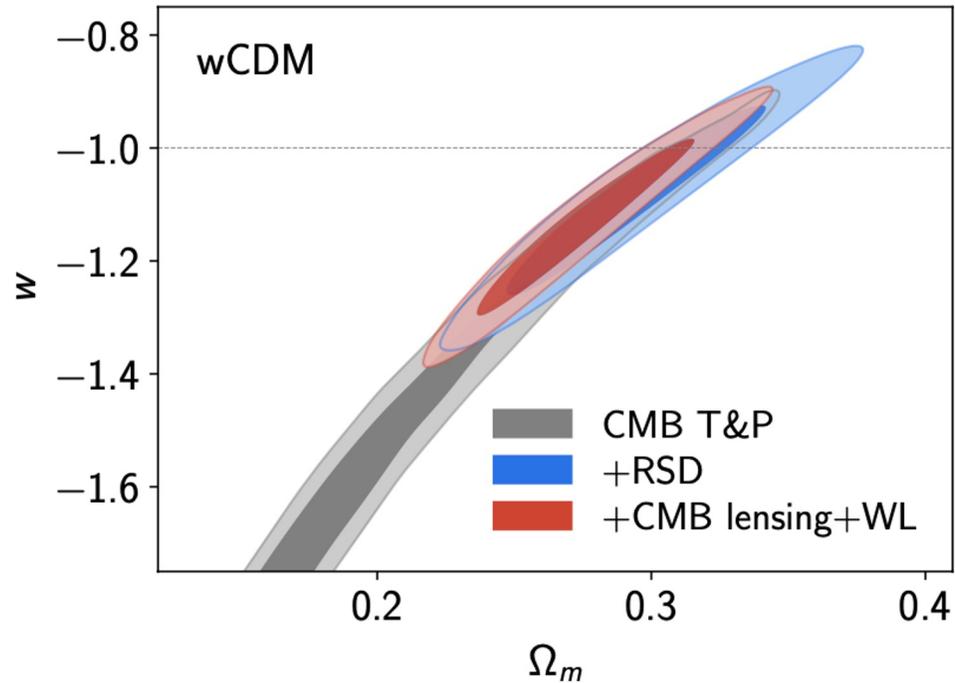
Cosmological implication of 20 years of SDSS



eBOSS collaboration 2021

- ▶ 7 independent measurements of expansion rate history
- ▶ 6 independent measurements on the growth rate of structure
- ▶ By combining geometrical and growth of structure measurements for 20 years of SDSS survey, obtain most precise measurement of expansion and growth history to date

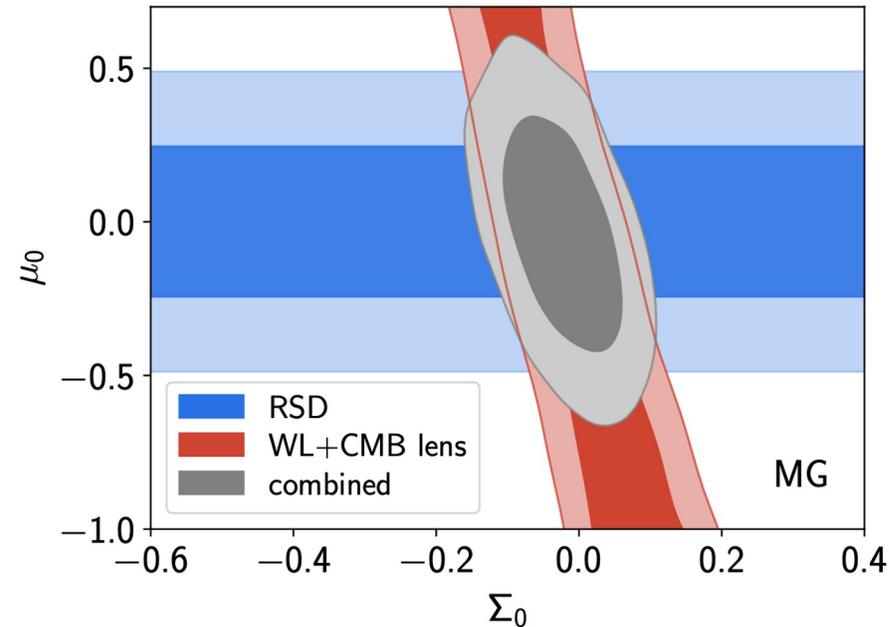
Cosmological implication on gravity/DE



$$w = -1.09 \pm 0.11$$

▶ Observations compatible with the standard model: General Relativity + cosmological constant

▶ No detection of (parametric) modification to General Relativity prediction



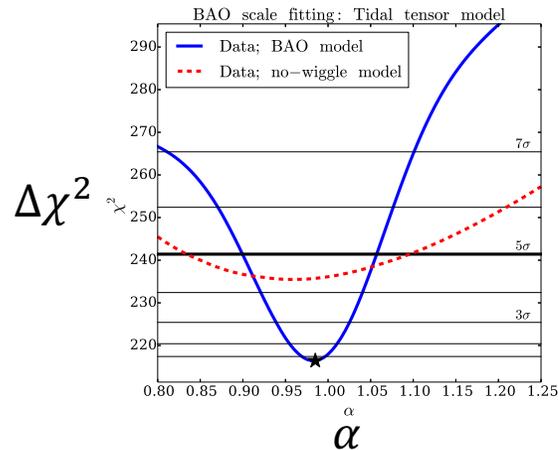
$$k^2 \Phi = -4\pi G a^2 (1 + \mu) \bar{\rho} \delta$$

$$k^2 (\Phi + \Psi) = -8\pi G a^2 (1 + \Sigma) \bar{\rho} \delta$$

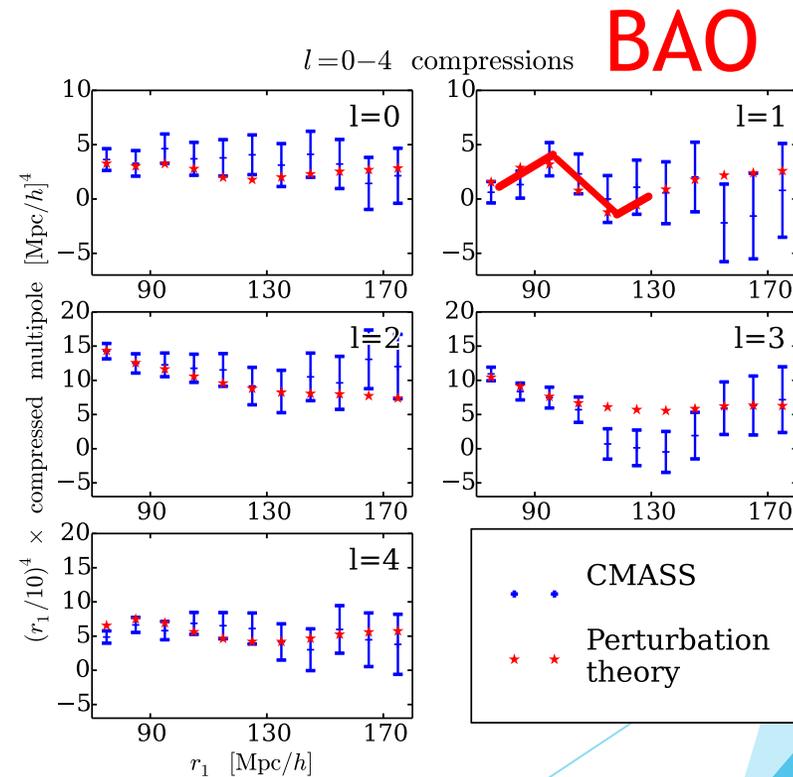
$$\mu_0 = 0.04 \pm 0.25, \quad \Sigma_0 = 0.024 \pm 0.054$$

Three-point statistics

- ▶ Can we go beyond two-point statistics to probe cosmology?
- ▶ BAO feature 4.5σ detection in the 3-point correlation function



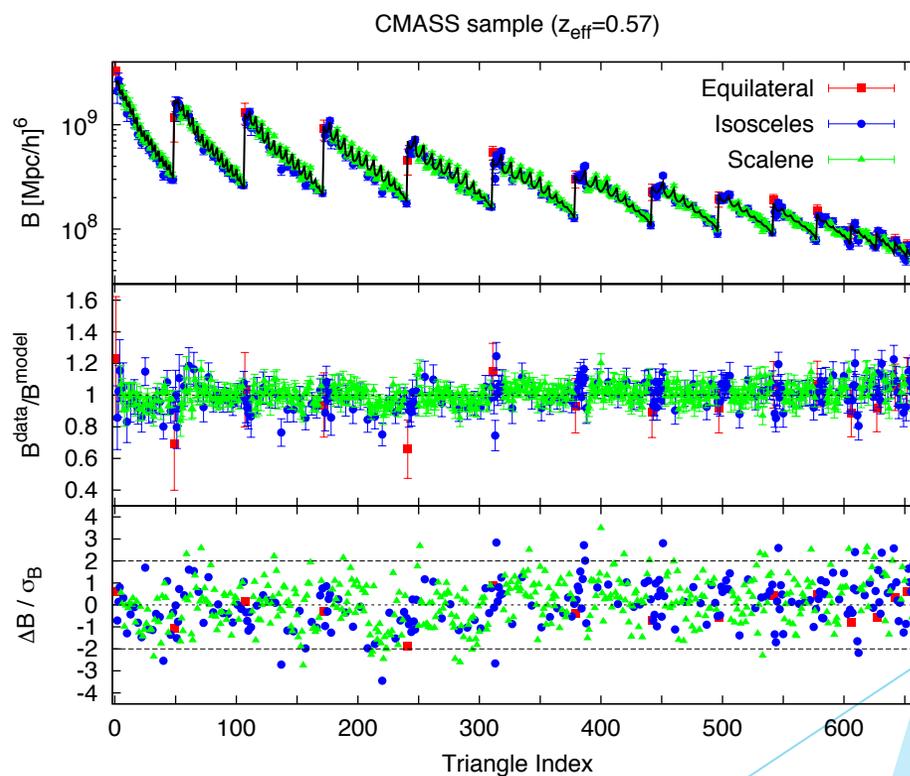
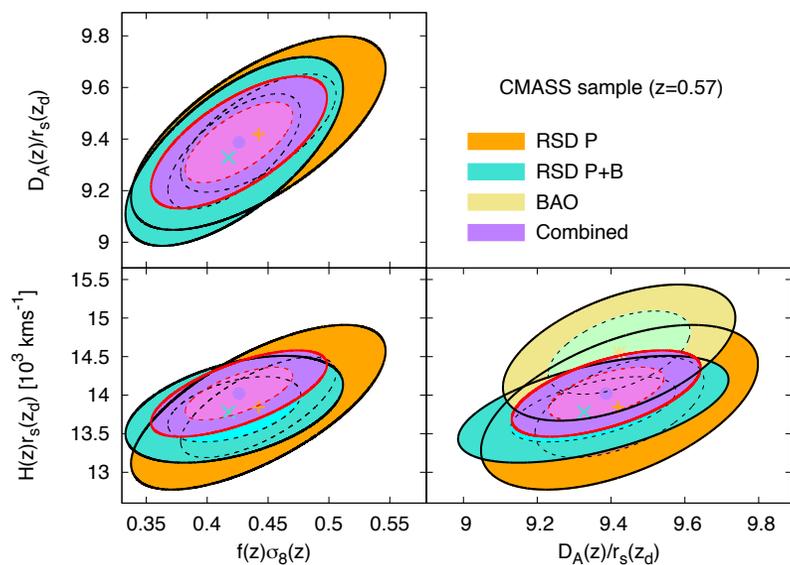
$$B_s(k_1, k_2, x) = b_1^3 P(k_1) P(k_2) \left[\tilde{F}_2(k_1, k_2; x) \mathcal{D}_{\text{SQ1}}(\beta, x) + \tilde{G}_2(k_1, k_2; x) \mathcal{D}_{\text{SQ2}}(\beta, k_1, k_2; x) + \mathcal{D}_{\text{NLB}}(\beta, \gamma; x) + \mathcal{D}_{\text{FOG}}(\beta, k_1, k_2; x) \right] + \text{cyc.},$$



Slepian et al., 2016, 2017

Combining two- and three-point statistics

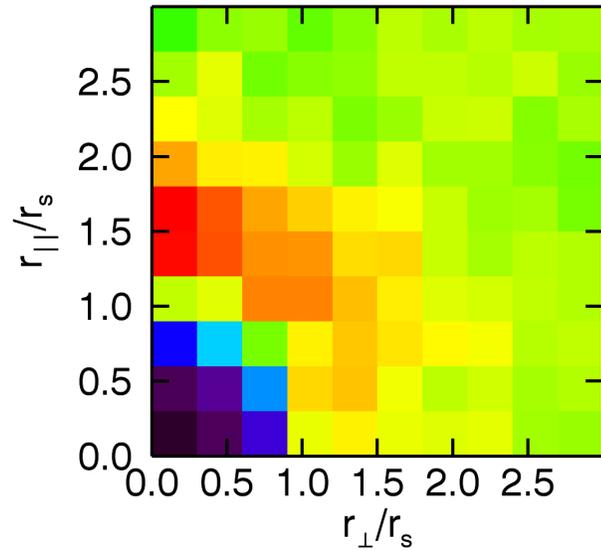
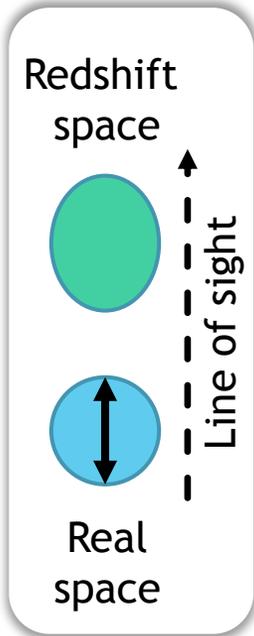
- ▶ Adding Bispectrum improves cosmological constraints



Gil-Marin et al. 2017

Cross-correlation galaxy-void

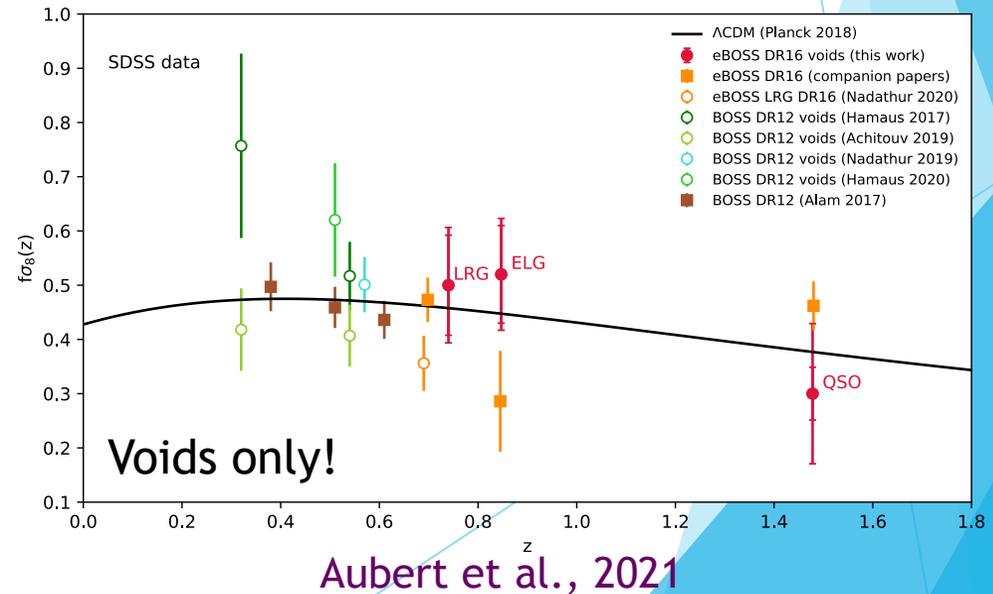
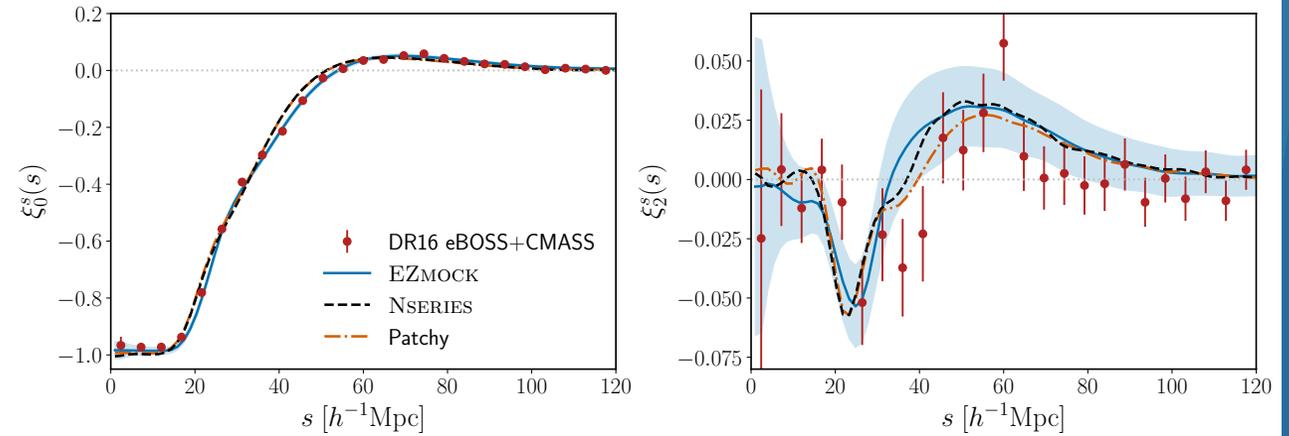
- ▶ Cosmic voids are interesting objects, to some extent simpler to model (linear)
- ▶ Used for RSD and Alcock-Pazcynski test



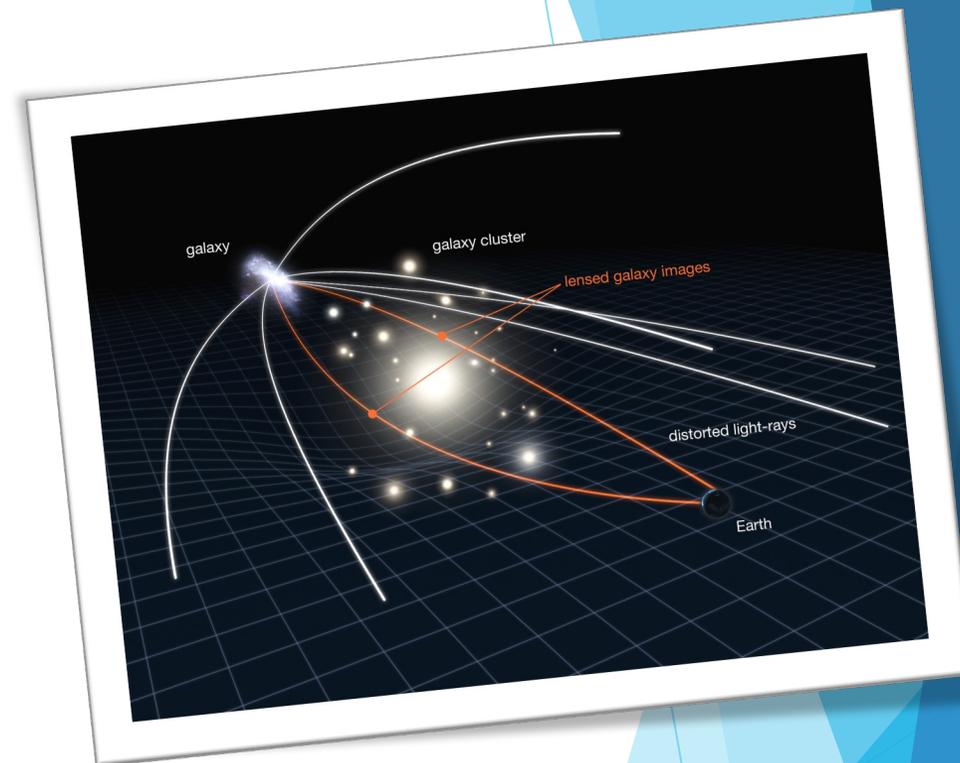
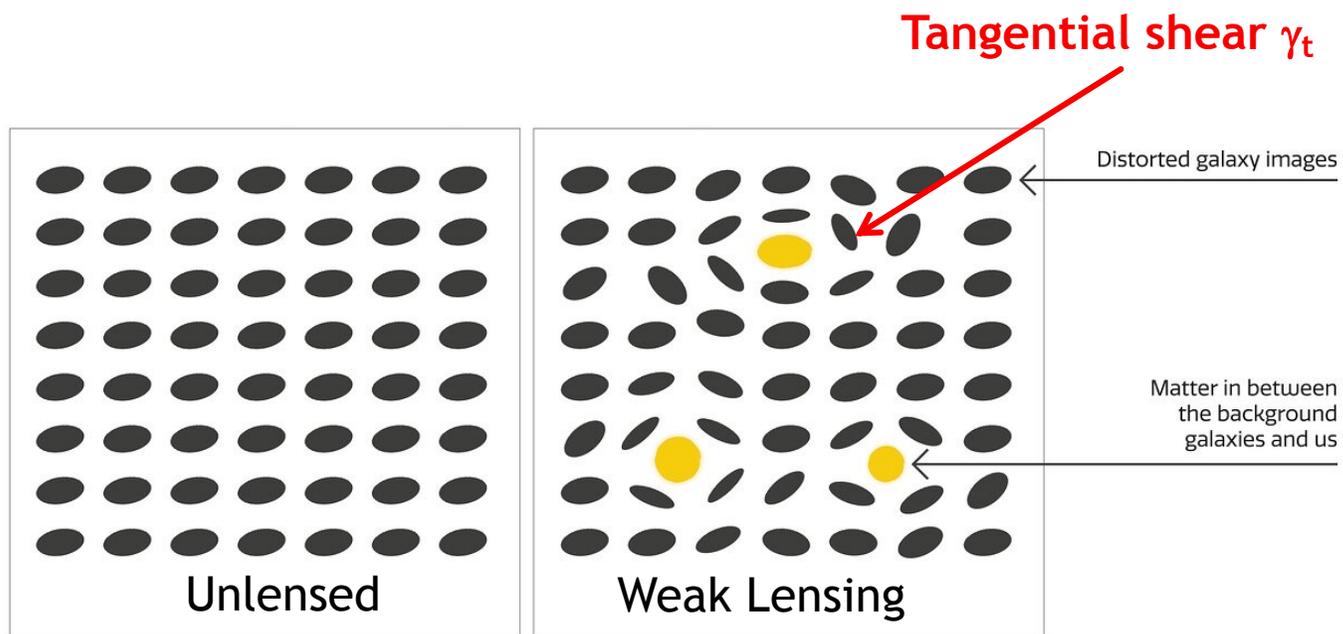
Hawken et al., 2017

Anisotropic galaxy-void CCF

Nadathur et al. 2021



Galaxy-galaxy lensing

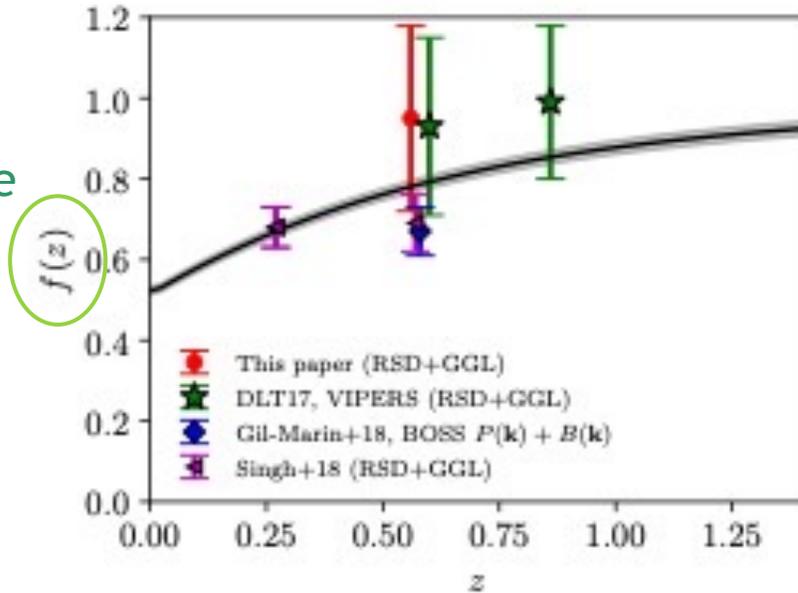


Cross-correlation between background galaxies shear and foreground galaxies position

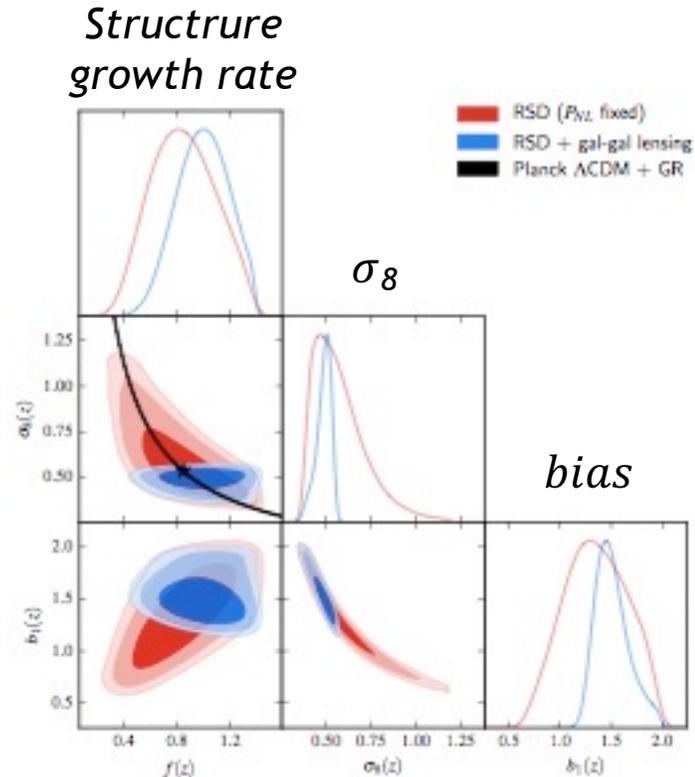
$$\langle \gamma_t(\theta) \rangle = \langle \delta_g(\phi, z_1) \gamma_t(\phi + \theta, z_2) \rangle$$

RSD and galaxy-galaxy lensing

Directly probing structure growth

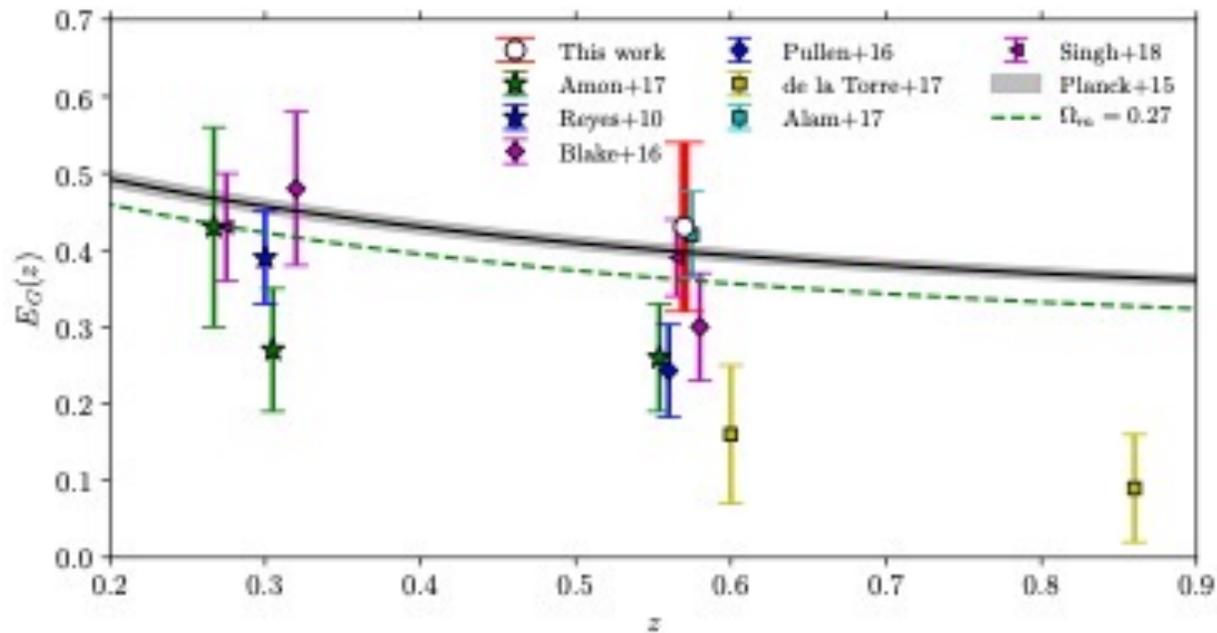


- ▶ Weak lensing and galaxy clustering allows breaking the classical f - σ_8 - b degeneracy in GC



de la Torre et al. 2017

RSD and galaxy-galaxy lensing



Jullo, de la Torre et al., 2019

$$E_G \equiv \frac{\nabla^2(\psi - \phi)}{3H_0^2 a^{-1} \beta \delta} = \frac{1 \boxed{Y_{gm}}}{\boxed{\beta Y_{gg}}} \propto \frac{b}{f} \frac{\Omega_{M_0}}{b} \approx \frac{\Omega_{M_0}}{f}$$

- ▶ An alternative test of gravity related to the **gravitational slip parameter**
- ▶ Independent of galaxy bias



Euclid: a space mission to solve dark energy

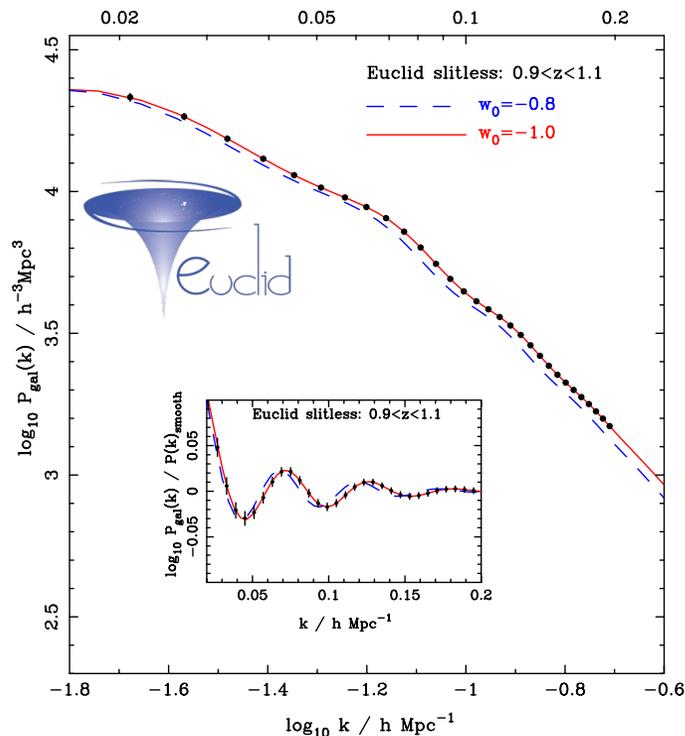
- ▶ Euclid is an ESA space mission aiming at:
 - ▶ 3D mapping of 50 million galaxies over 15,000 deg² with slitless spectroscopy in space
 - ▶ A survey of the shapes of over 2 billion galaxies on the same surface
- ▶ The aim is to trace the structure of the Universe, both visible (galaxies) and invisible (dark matter), to understand the nature of dark energy

Euclid Satellite: end of assembly in Turin in July 2022

Euclid mission

- ▶ Next-generation galaxy surveys designed to extract most of the cosmological information: large probed volumes, sufficiently high galaxy/quasars sampling rate, multitracer, multiprobe...

Galaxy power spectrum



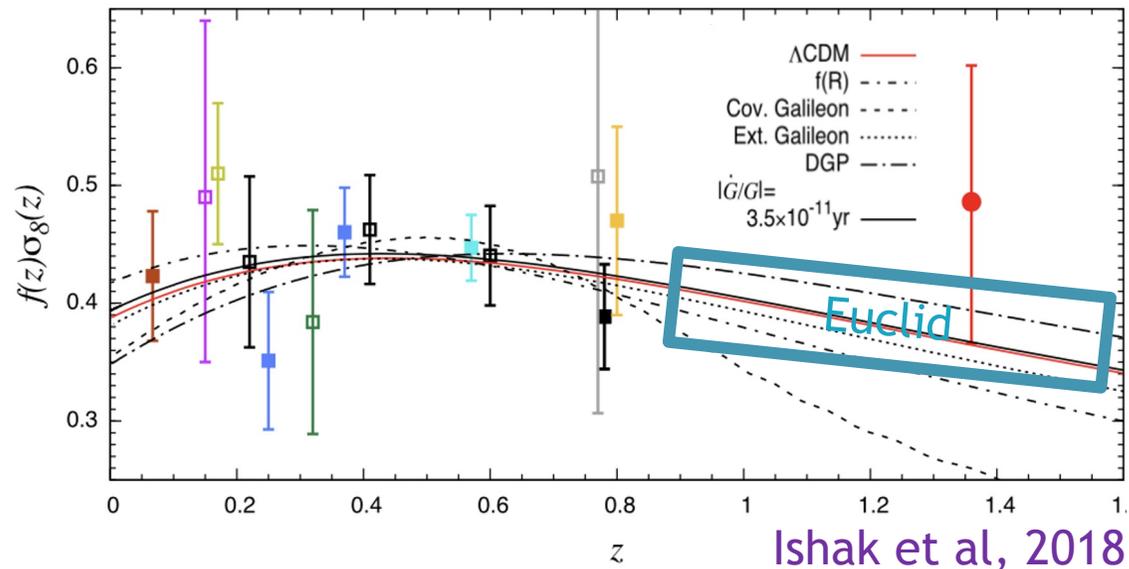
With Euclid (& DESI) we expect:

- Sub-percent accuracy on the BAO scale
- Percent accuracy on the growth rate of structure and γ

→ Crucial to solve the Dark Energy problem

Euclid will use weak lensing and galaxy clustering to measure the expansion history of the Universe, the dark energy equation of state, and the growth rate of structure to within typically one percent accuracy

Euclid mission

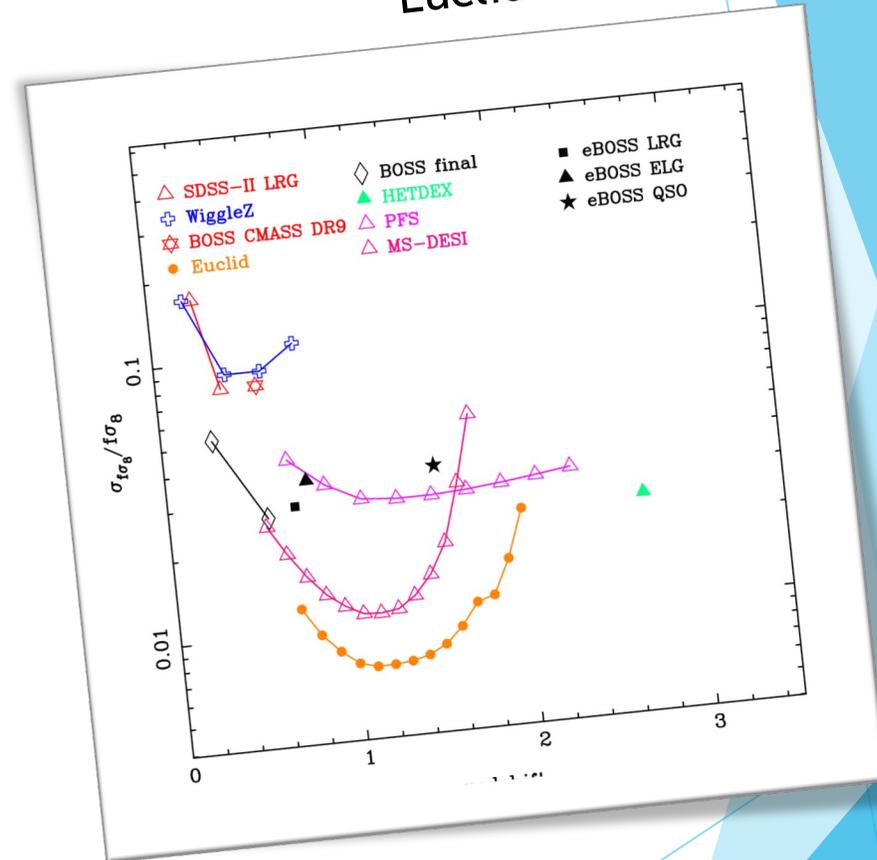


Ishak et al, 2018

Growth of structure / gravity

- ▶ **Euclid** will allow testing gravity and cosmology beyond standard model, e.g. be sensitive to modified gravity or DE models

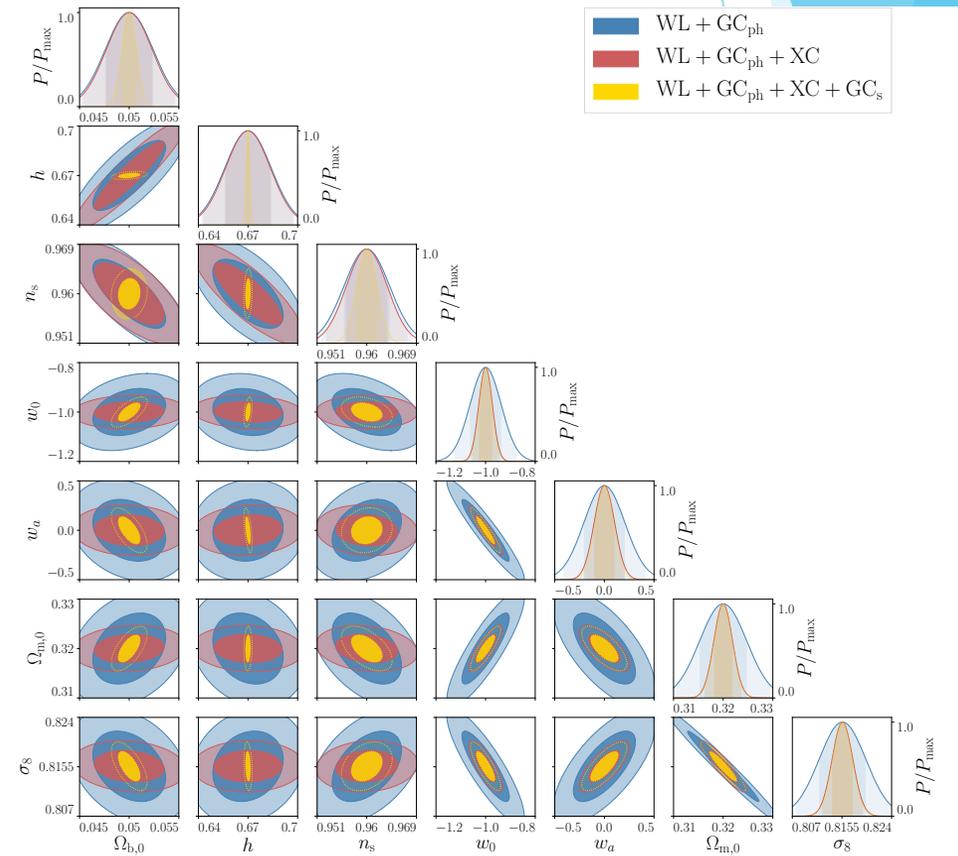
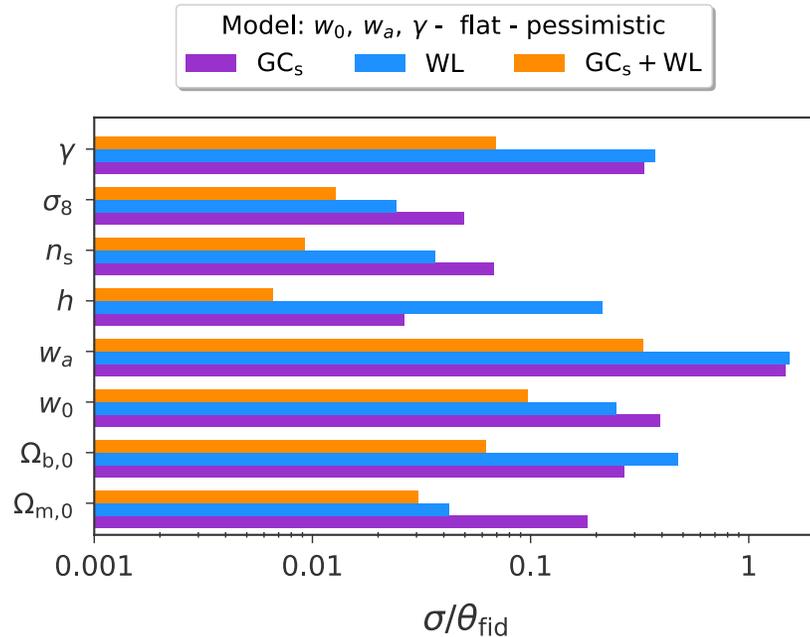
Euclid Consortium



Euclid Forecast on the growth of structure

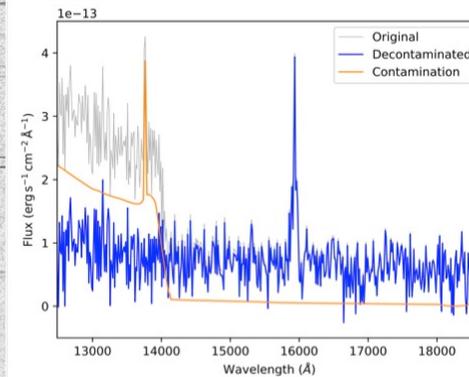
Euclid era cosmology: combinations & cross-correlations

- ▶ Combination of galaxy clustering and weak lensing significantly increases the FoM
- ▶ Impact of cross-correlations is particularly relevant for models beyond a cosmological constant



Challenges

- ▶ **Control systematics** to extremely small level: e.g. non-linear modelling, observational effects (slitless spectroscopy), second-order effects usually neglected (magnification, IA, relativistic effects, baryons)



- ▶ Combine LSS probe and tracers in a consistent way : covariances, systematic error assessment, etc.

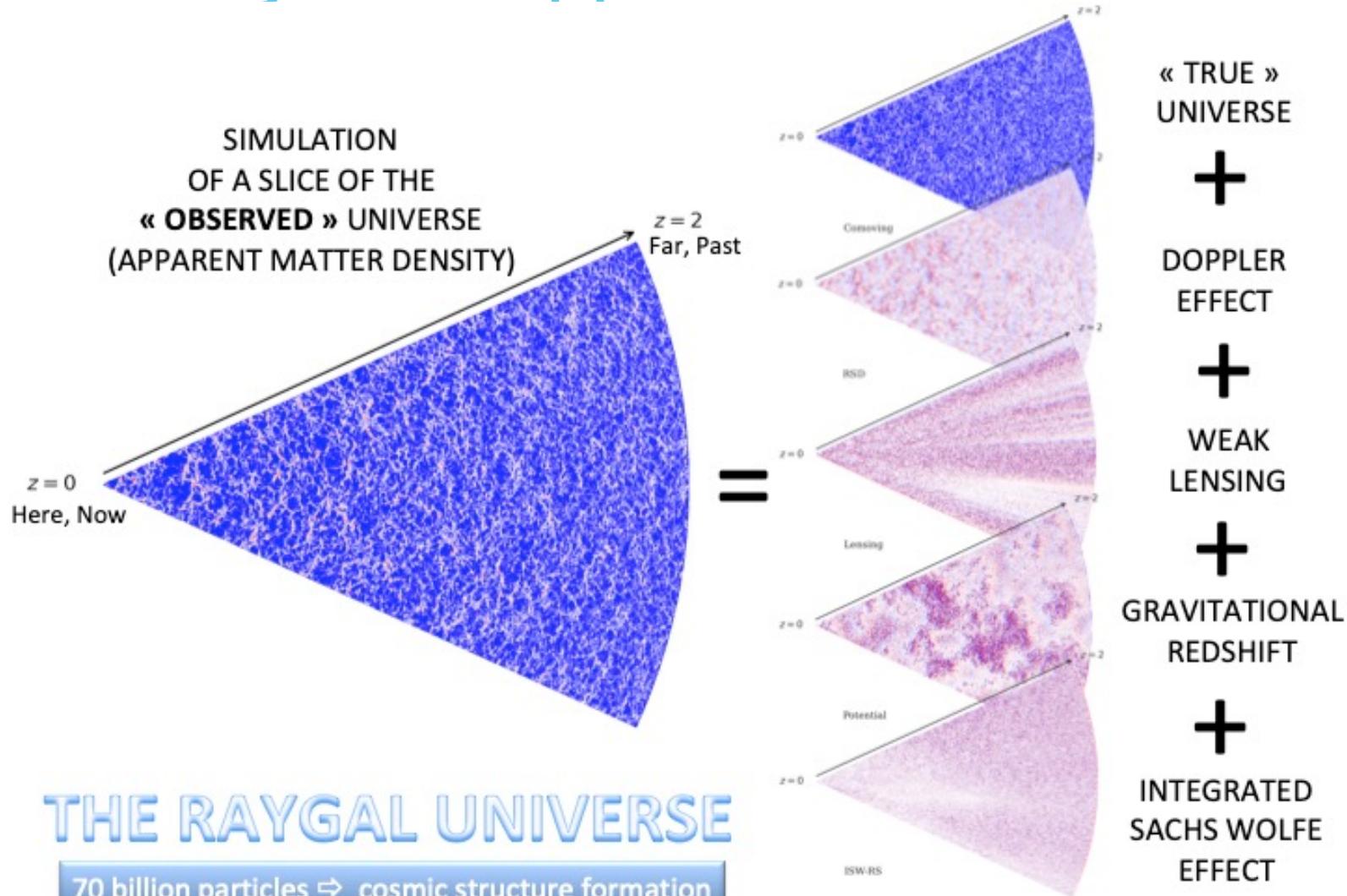
Precision cosmology with galaxy clustering

Report of the Euclid galaxy clustering systematic error budget tiger team

Systematic effect		impact on BAO	impact on RSD	Maturity of mitigation
Reconstruction		large	none	medium
Nonlinear evolution of dark-matter		medium	large	medium
Redshift-space distortions		low	large	low
Galaxy density bias		low	large	low
Massive neutrinos		low	large	medium
Galaxy velocity bias		low	large	low
Variations of model template with cosmology		low	unknown	low
Lightcone & projection effects		low?	low?	low
Relative velocity and density perturbations between baryons and dark matter		small?	small?	small?

- ▶ Galaxy clustering cosmology is mature but still, methods need further refinement to reach the exquisite statistical accuracy provided by next-generation cosmological surveys

RSD beyond Doppler

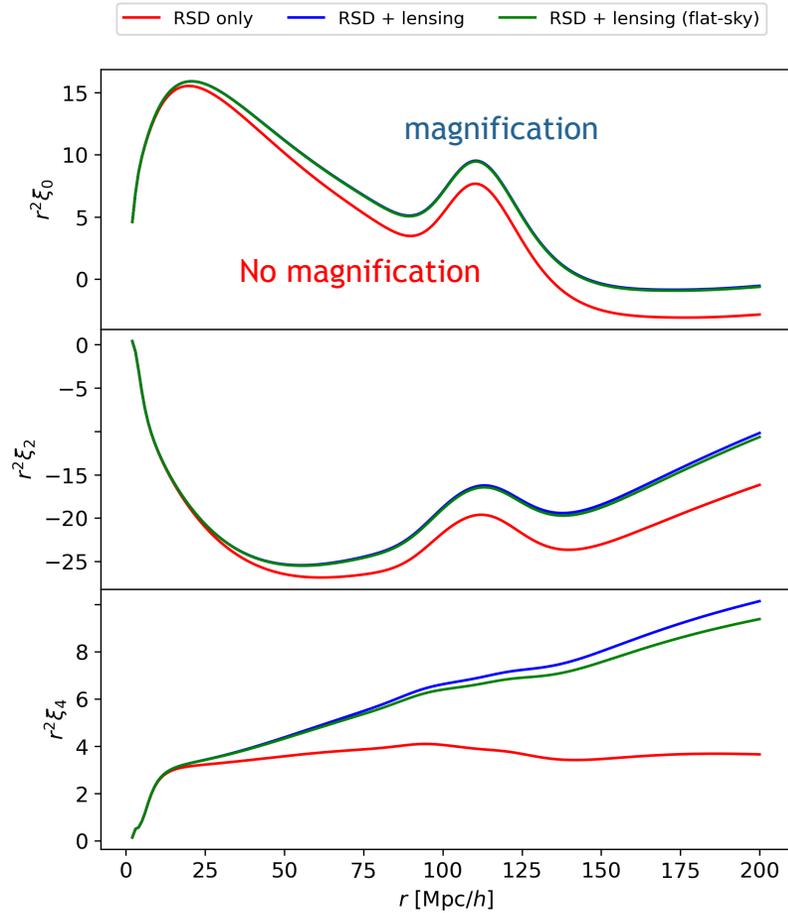


THE RAYGAL UNIVERSE

70 billion particles \Rightarrow cosmic structure formation
1 billion photons \Rightarrow general relativistic effects

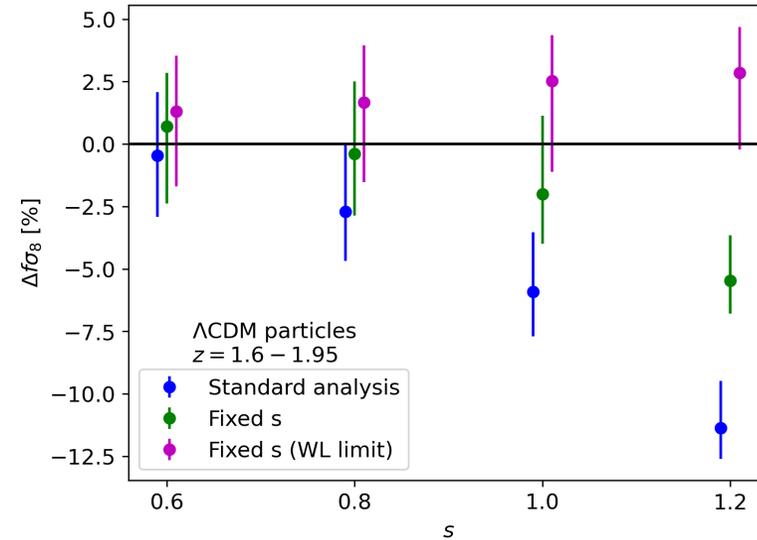
Impact of magnification on RSD

Correlation function multipoles



Breton, de la Torre 2022

- ▶ Impact in the worst case mostly on large scales, but anisotropic
- ▶ Generally, linear correction is good enough for galaxy clustering



- ▶ Weak lensing limit may break down for some cases (high redshift and s)

Conclusion

- ▶ Understanding gravity on cosmological scales is key to understand Dark Energy and cosmic acceleration
- ▶ LSS observations from galaxy and lensing survey are crucial to get insights on the strength of gravity through the characterization of the growth of structure
- ▶ Future large spectroscopic+lensing surveys such as DESI and Euclid will allow to make a big step towards understanding gravity on cosmological scales and cosmology
- ▶ Galaxy clustering and lensing observables are interconnected, and be efficiently combined to improved constraints
- ▶ Importance of controlling systematic errors in surveys at exquisite level to achieve this goal



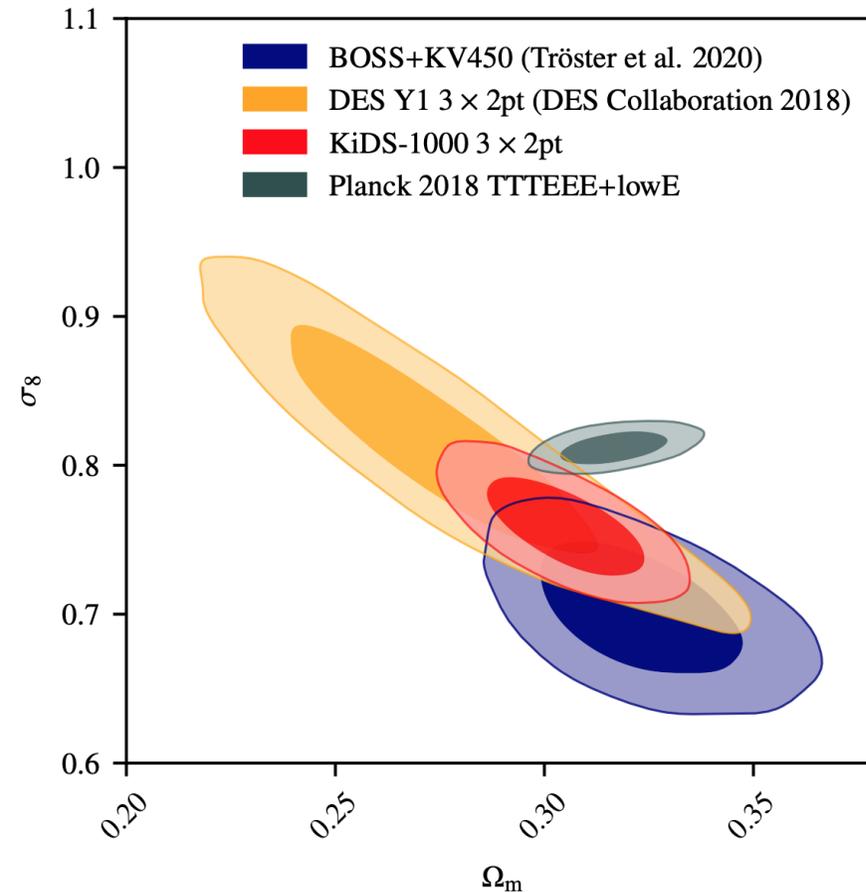


Cosmological tensions: S_8

- ▶ Discrepancies between CMB and weak-lensing constraints on S_8 :

$$S_8 \equiv \sigma_8 \sqrt{\Omega_m / 0.3}$$

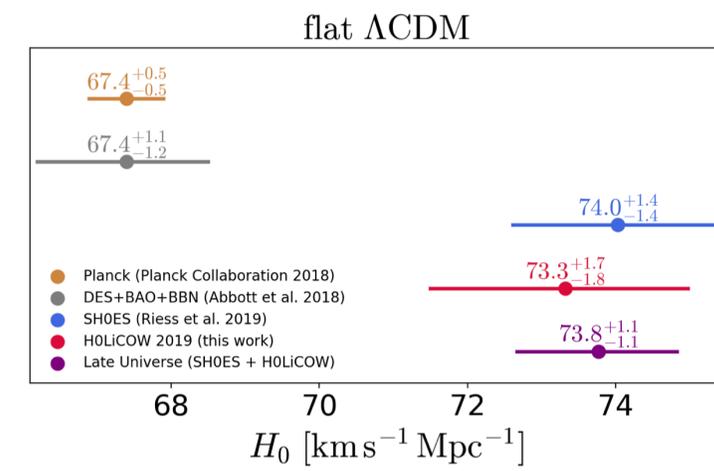
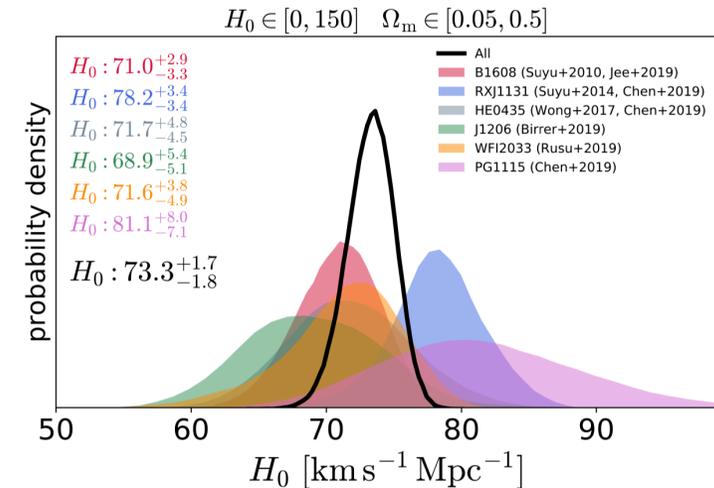
- ▶ The S_8 tension is at about 2.6σ level between the Planck data in the Λ CDM scenario and KiDS survey
- ▶ Mainly driven by σ_8 , which is lower in lensing analyses



Heymans et al. 2020

Cosmological tensions: H_0

- ▶ 3-4 σ discrepancy between Planck/LSS constraints and local direct measurements from SN1a/cepheids
- ▶ In the CMB, constraints are obtained by assuming a cosmological model and are therefore model dependent
- ▶ Planck constraints change when modifying the assumptions of the underlying cosmological model
- ▶ Local distance ladder measurements based on the combination of different geometric distance calibrations of cepheids



Relativistic effects

- ▶ Apparent comoving position of a source:

$$\mathbf{s} = \chi \mathbf{n} + \frac{c}{H} \delta z \mathbf{n} - \mathbf{n} \int_0^\chi (\phi + \psi)/c^2 d\chi' - \int_0^\chi (\chi - \chi') \nabla_\perp (\phi + \psi)/c^2 d\chi'$$

Redshift perturbations

Shapiro effect

Transverse lensing

- ▶ Redshift perturbations:

$$\delta z = \frac{a_0}{a} \left\{ \frac{\mathbf{v} \cdot \mathbf{n}}{c} - \frac{(\psi - \psi_0)}{c^2} + \frac{1}{2} \left(\frac{v}{c} \right)^2 - \frac{1}{c^2} \int_\eta^{\eta_0} \frac{\partial(\phi + \psi)}{\partial \eta} d\eta' \right\}$$

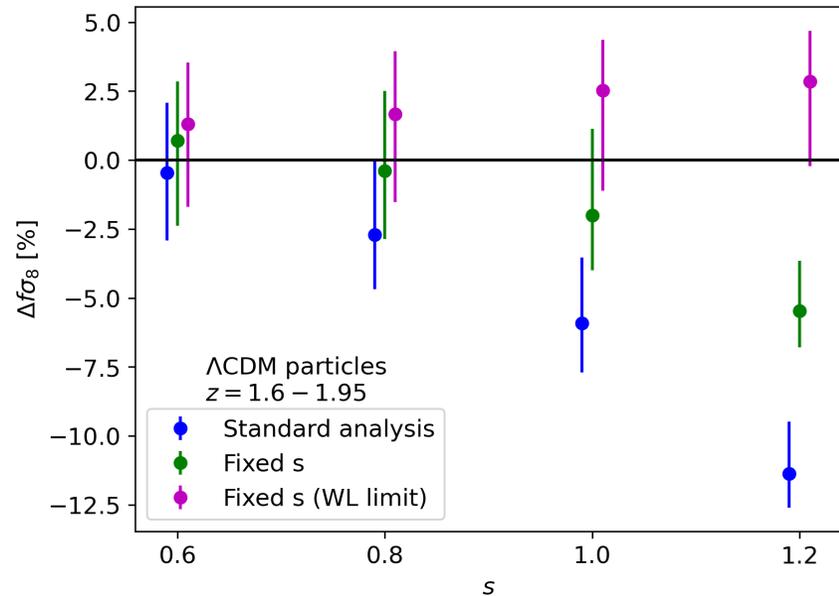
Doppler

Gravitational redshift (transverse Doppler...) ...

- ▶ Effects usually neglected, but detectable with next-generation surveys such as Euclid or DESI

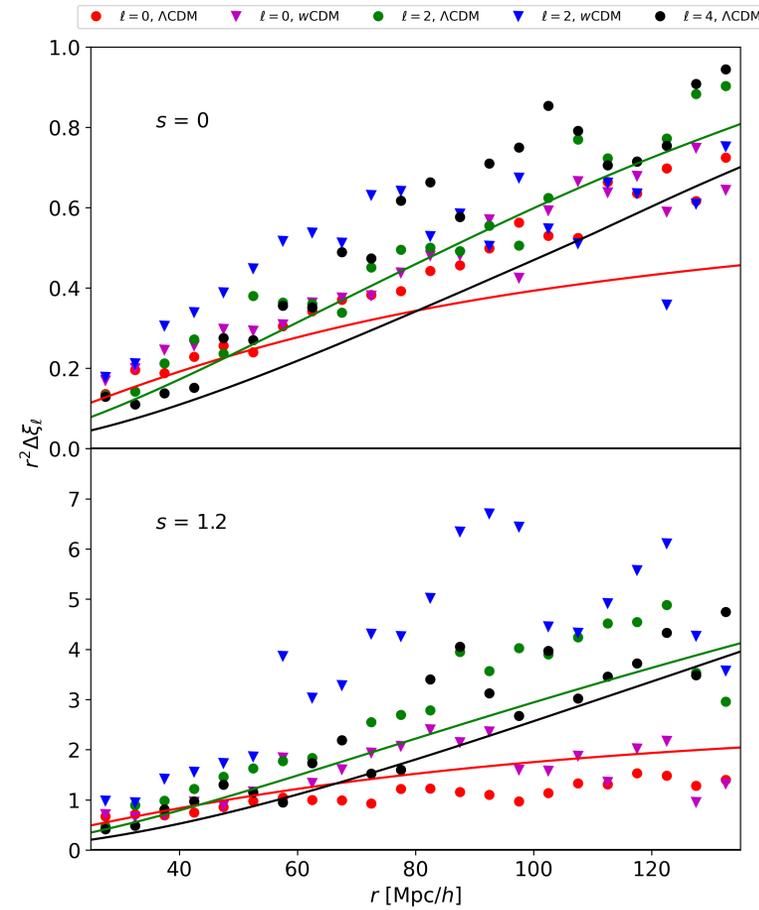
Magnification correction

- ▶ Generally, linear correction is good enough for galaxy clustering



- ▶ Weak lensing limit may break down for some cases (high redshift and s)

Linear predictions vs simulation



Breton, de la Torre 2022