

# Atmospheric Contamination for CMB Ground-Based Observations

4th COSMOS WORKSHOP: Ground-Based CMB experiments

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## Unwanted effects from the atmosphere

- Thermal contribution around of 15 K
- Increase of the optical load on each detector, increase of their effective noise;
- Presence of spin synchronous signal for stable enough atmosphere
  - Low wind speed compared to the scan speed

## A 3D description of the atmosphere

Atmosphere antenna temperature in  $\hat{r}_s$  direction:

$$T_A = \frac{1}{\lambda^2} \int \frac{d\vec{r}}{r^2} B(\hat{r}_s, \vec{r}) \alpha(\vec{r}) T_p(\vec{r})$$

$\alpha(\vec{r})$  describes the whole atmosphere:

- Spatial structures distributions
- Time evolution

Due to its complexity the function  $\alpha(\vec{r})$  is unknown!

## A time saving approach - Atmosphere correlations

Ok...  $\alpha(\vec{r})$  is unknown. I can evaluate the atmospheric correlation

### Two points correlation

$$\begin{aligned}
 C_{ij}^{tt'} &= \left\langle T_A^i(r), T_A^j(r') \right\rangle = \\
 &= \frac{1}{\lambda^4} \int \frac{d\vec{r}}{r^2} \int \frac{d\vec{r}'}{r'^2} B(\hat{r}_s^i(t), \vec{r}) B(\hat{r}_s^j(t'), \vec{r}') \times \\
 &\times \left\langle \alpha(\vec{r}), \alpha(\vec{r}') \right\rangle T_p(\vec{r}) T_p(\vec{r}')
 \end{aligned}$$

$C_{ij}^{tt'}$  is defined for two detectors  $i$  and  $j$  that observe the sky in the directions  $\hat{r}_s^i$  e  $\hat{r}_s^j$  at the times  $t$  e  $t'$ <sup>1</sup>

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<sup>1</sup>ERRARD, J., et al. Modeling atmospheric emission for CMB ground-based observations. The Astrophysical Journal, 2015, 809.1: 63

## A time saving approach - Atmosphere correlations

Evaluation of correlation level between  $\alpha(\vec{r})$  and  $\alpha(\vec{r}')$

$$\langle \alpha(\vec{r}), \alpha(\vec{r}') \rangle = \chi_1(\Delta\vec{r}) \cdot \chi_2(z, z')$$

Spatial distribution of the atmospheric fluctuations

$$\chi_1(\Delta\vec{r}) = \chi_1^0 \exp\left(-\frac{\Delta r^2}{2L_0}\right) \quad L_0 \text{ measurable}$$

Water vapor vertical profile

$$\chi_2(z, z') = \chi_2^0 \exp\left(-\frac{z + z'}{2z_0}\right) \quad z_0 \text{ measurable}$$

# The atmosphere dynamic

The atmosphere evolution is due to the wind shear

- Uniform for all altitudes  $z$ ;
- The atmosphere structures are rigidly moved by wind shear

$$\chi_1(\Delta\vec{r}) \rightarrow \chi_1(\Delta\vec{r} - \vec{W}\Delta t)$$

where

$$\vec{W} = W_x\hat{x} + W_y\hat{y} = W\hat{w} \quad \forall z$$

## Code check with POLARBEAR data

I have checked my code with POLARBEAR data presented in <sup>2</sup>

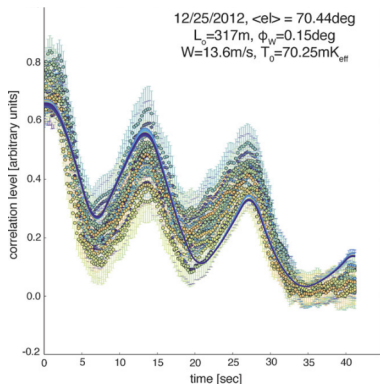
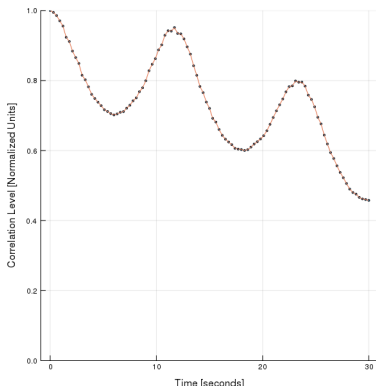
- Raster Scanning Strategy:  $\phi_0 + \frac{\Delta a}{2} \cos(2\pi f_{scan}t + \psi)$  like STRIP-2
- $\Delta a = 5deg$ .
- $ss = 1deg/sec$
- $f_{scan} = ss/\Delta a$

Evaluation of Auto-Correlation coefficient  $C_{ij}^{tt'}$  with  $j = i = 0$

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<sup>2</sup>ERRARD, J., et al. Modeling atmospheric emission for CMB ground-based observations. The Astrophysical Journal, 2015, 809.1: 63

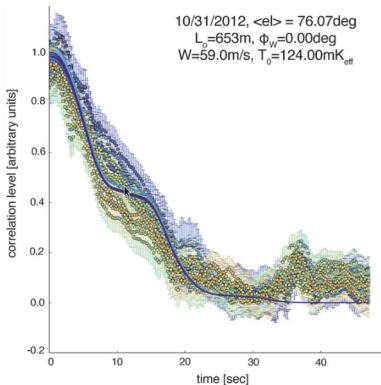
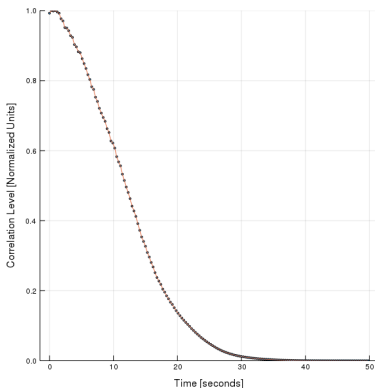
# Code check with POLARBEAR data



Low wind speed:  $W = 13.6 \text{ m/s}$ , and  $\phi_W = 0.15 \text{ deg}$

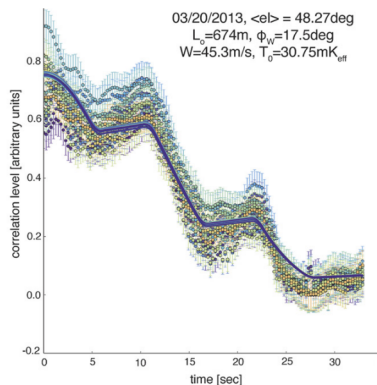
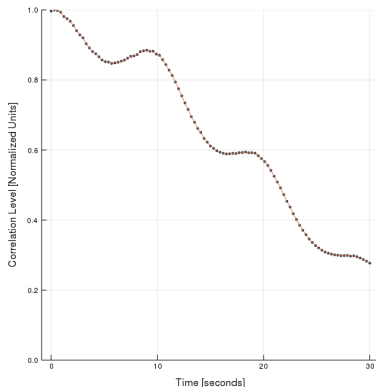


# Code check with POLARBEAR data



High wind speed:  $W = 59.0 \text{ m/s}$ , and  $\phi_w = 0 \text{ deg}$

# Code check with POLARBEAR data



Halfway condition:  $W = 45.3 \text{ m/s}$ , and  $\phi_w = 17.5 \text{ deg}$

## Summary and on-going work

### SUMMARY

- The atmosphere is not a constant optical load!
- Our code reproduces the main correlation features observed in the POLARBEAR data
- This tool will help optimise the scanning strategy for STRIP-2

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## NEXT STEPS

- Extract from the auto-correlation pattern the information about the spurious signal of different atmospheres (wind speed/direction)
- Simulate a complete TOD (all noise sources + atmosphere): incidence on the scientific case
- Go over the code to reach best performance and make it usable on the department HPC cluster with docker or singularity

Thank you for the attention!

## BS1: effective noise

Let  $s$  the CMB signal,  $n$  the total noise signal, the observed signal  $x$  is given by:

$$x = s + n \quad (1)$$

the  $S/N$  is given by

$$SNR = \frac{s + n}{\sqrt{s + n}} \quad (2)$$

so I have a better  $S/N$  on  $x$ , but it is got worse on  $s$

## BS2: Importance sampling integration

$$I = \int_{\Omega} d\vec{x} f(\vec{x}) \quad (3)$$

1. First integral evaluation  $I = S = \frac{1}{N} \sum_{i=1}^N \frac{f(\vec{x}_i)}{p(\vec{x}_i)}$ . With uniform random samples.
2. If I have  $M$  evaluations of the integral  $I$ :  $\{S_{\alpha}\}_{\alpha=1}^M$  :  

$$I = \bar{\sigma} \sum_{\alpha} \frac{S_{\alpha}}{\sigma_{\alpha}^2}$$
3. 
$$\sigma_{\alpha}^2 = \frac{1}{N-1} \frac{1}{N} \sum_{i=1}^N \frac{f^2(\vec{x}_i)}{p(\vec{x}_i)} - S_{\alpha}^2$$
4. The error is minimal iff  $p(\vec{x}) = \frac{|f(\vec{x})|}{\int_{\Omega} d\vec{x} |f(\vec{x})|}$
5. Transformation 1:  $\int_a^b f(x) dx = \int_0^1 f(y(b-a) + a)(b-a) dy$
6. Transformation 2:  $\int_0^1 f(x) dx = \int_0^1 dy \frac{f(x)}{\beta x^{\beta-1}} \Big|_{y=x^{\beta}}$  per  $\beta > 1$

## BS3: The alpha function

Let  $\tau$  the optical depth so

$$\Gamma = \exp(-\tau) = \exp[-m(\theta)\tau_0] \quad (4)$$

where  $m(\theta)$  is the airmass as function of latitude elevation angle. Transmission  $\Gamma(\lambda)$  and absorption  $\alpha(\vec{r}, \lambda)$  are related by

$$\Gamma(\lambda) = \exp(-\tau(\lambda)) = \exp\left[-\int_0^r \alpha(r', \lambda) dr'\right] \quad (5)$$

and the term

$$\left[-\int_0^r \alpha(r', \lambda) dr'\right] \quad (6)$$

is not constant for  $\theta = \text{const.}$  but it is in relation with spatial distribution of atmosphere structures.



## BS4: Coordinate System

