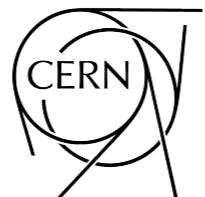


# Multimessenger Astronomy and Fundamental Physics

Joachim Kopp (CERN & JGU Mainz)

“Physics of the Universe” School | Asiago, Italy | January 16<sup>th</sup>, 2020



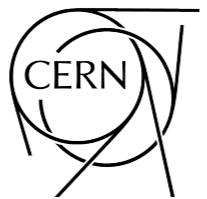
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# In this Talk

- WIMP Dark Matter
- Dark Photons
- Primordial Black Holes

# WIMP Dark Matter: Cosmology



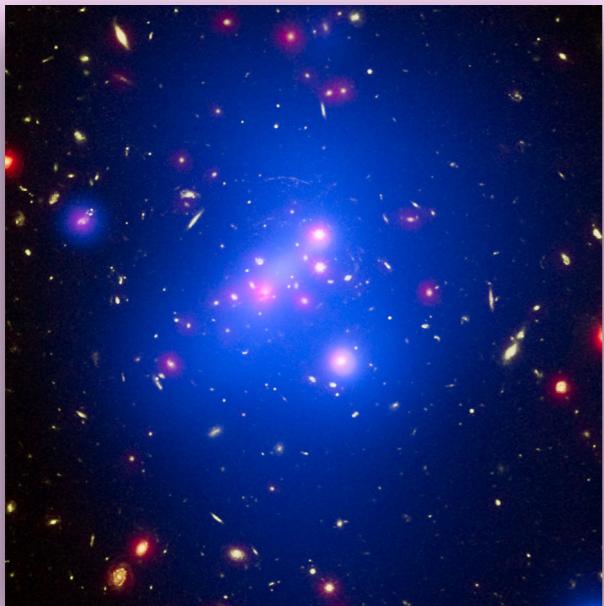
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# Evidence for Dark Matter

# Evidence for Dark Matter

## Galaxy Clusters

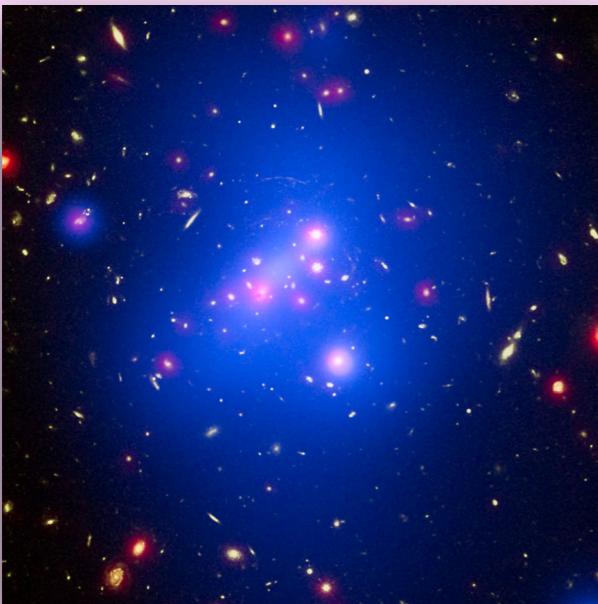


Virial Theorem:  $E_{\text{kin}} = -\frac{1}{2}E_{\text{pot}}$

Zwicky, 1930s:  $E_{\text{kin}} = -\frac{1}{2}E_{\text{pot}} \times 170$

# Evidence for Dark Matter

## Galaxy Clusters

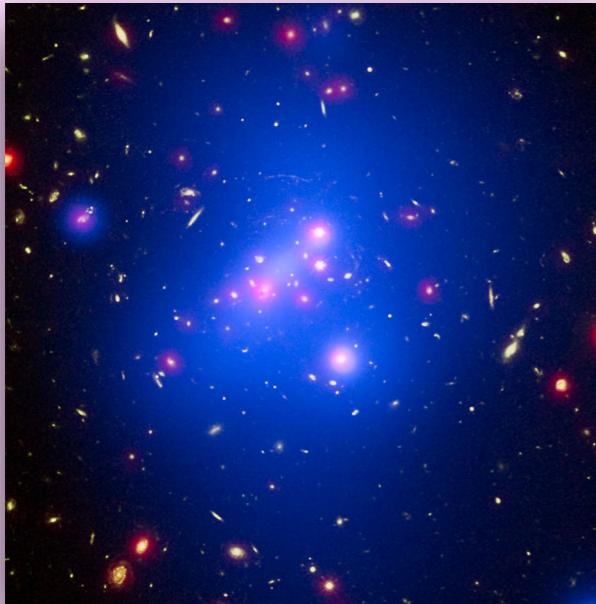


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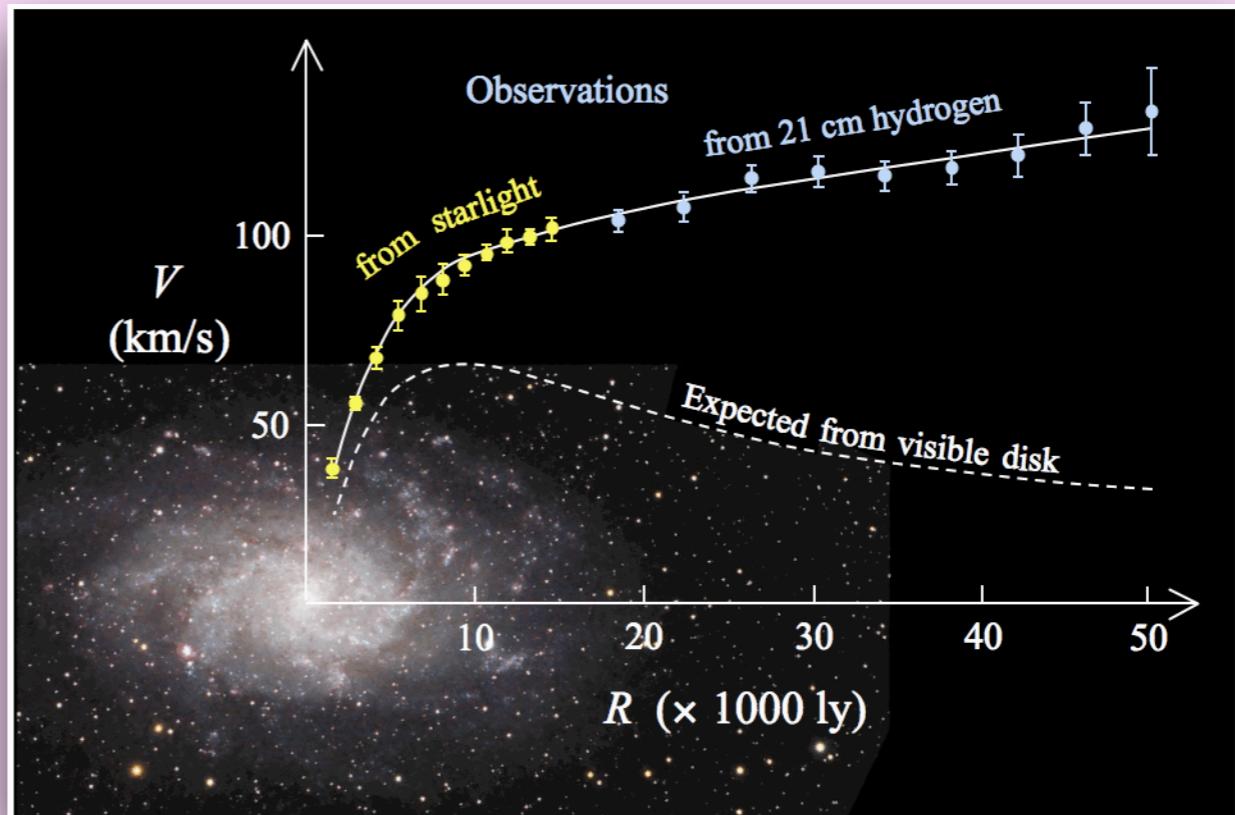
# Evidence for Dark Matter

## Galaxy Clusters



Virial Theorem:  $E_{\text{kin}} =$   
Zwicky, 1930s:  $E_{\text{kin}} =$

## Galaxy Rotation Curves



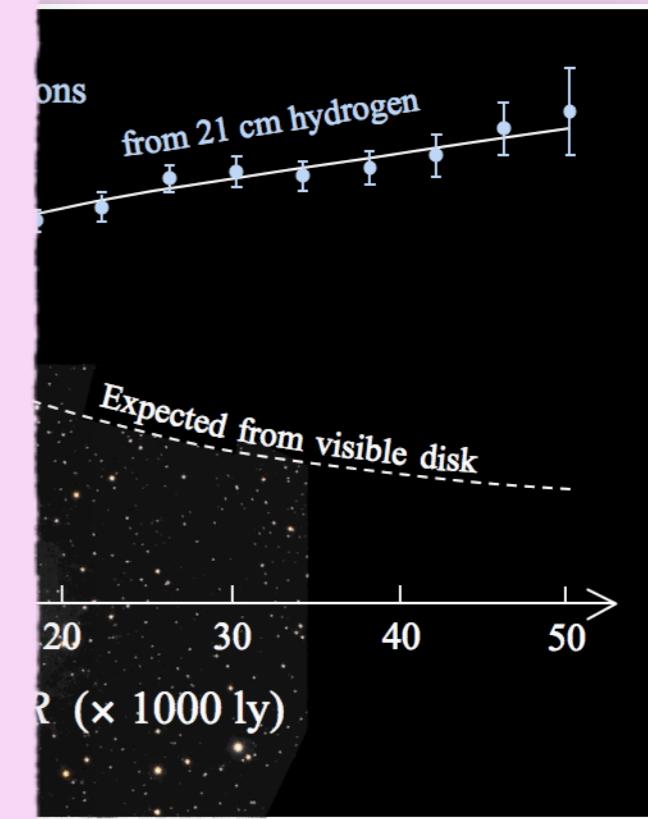
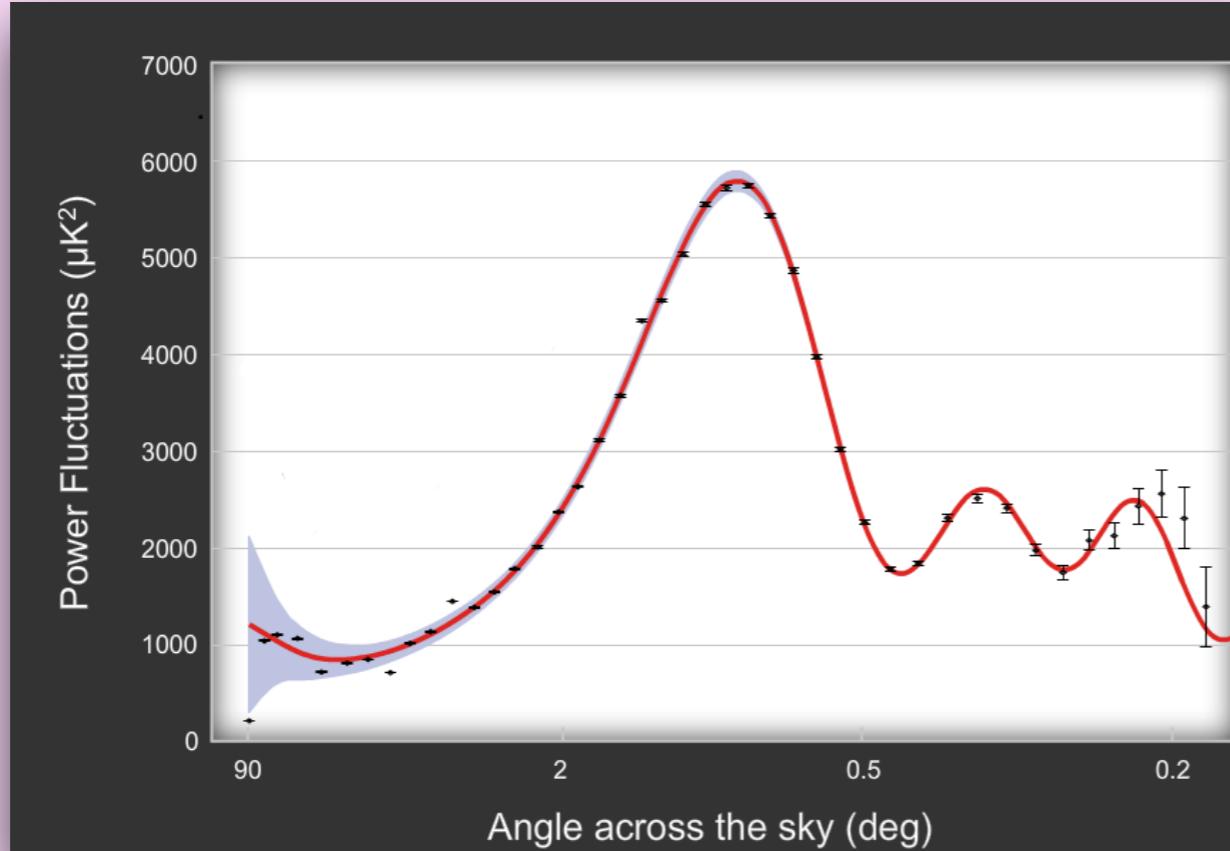
# Evidence for Dark Matter

## Galaxy Clusters



## Galaxy Rotation Curves

## Cosmic Microwave Background



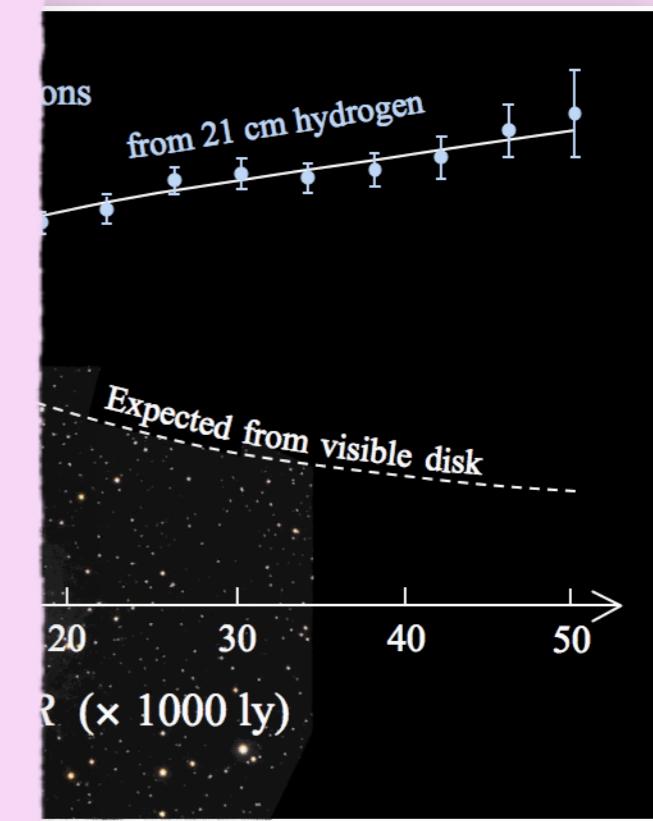
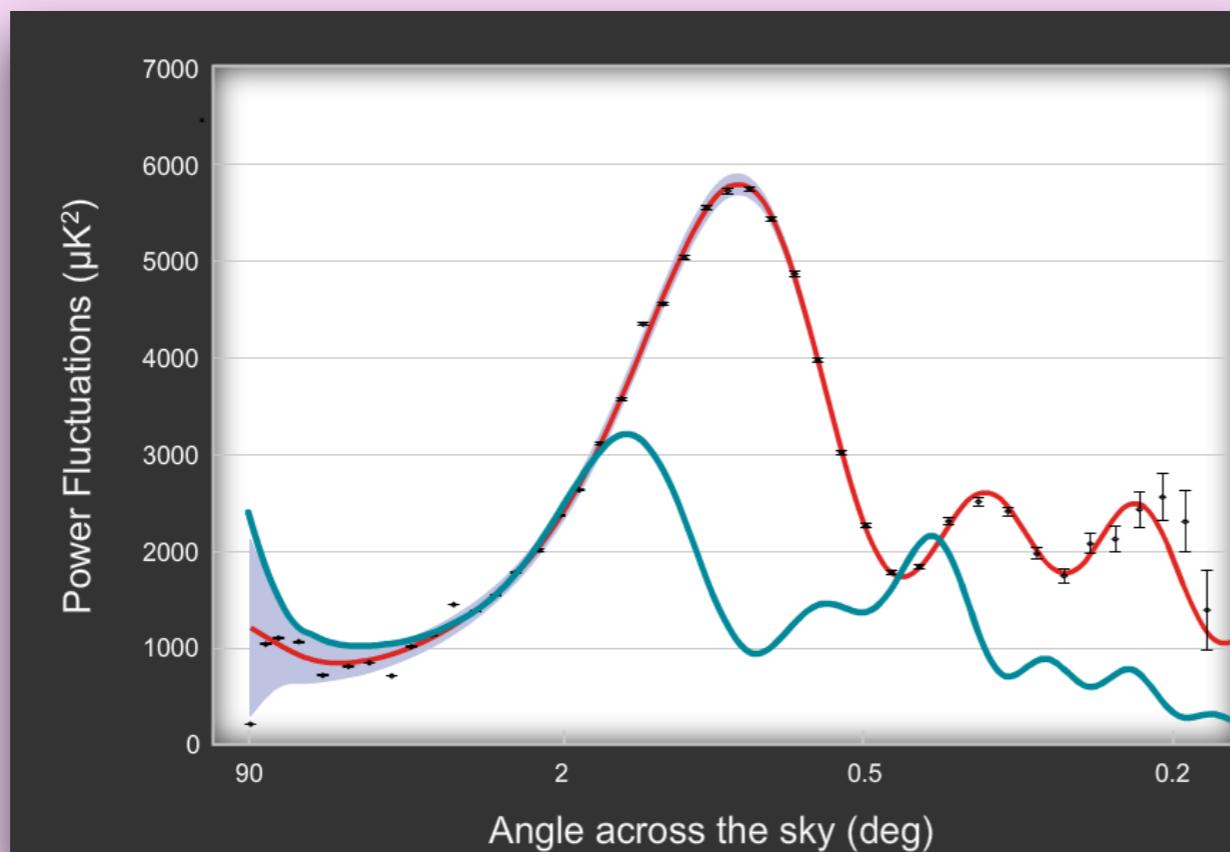
# Evidence for Dark Matter

## Galaxy Clusters



## Galaxy Rotation Curves

## Cosmic Microwave Background



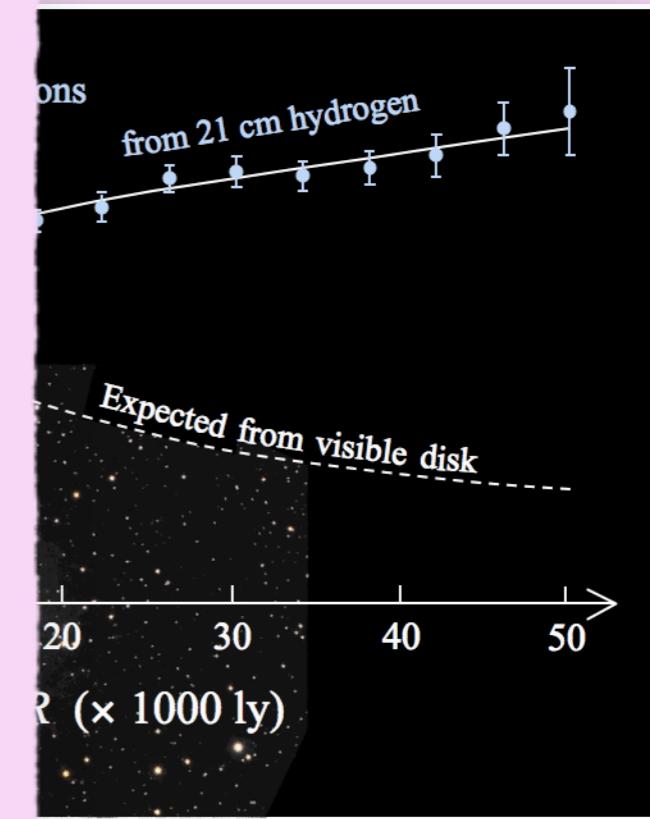
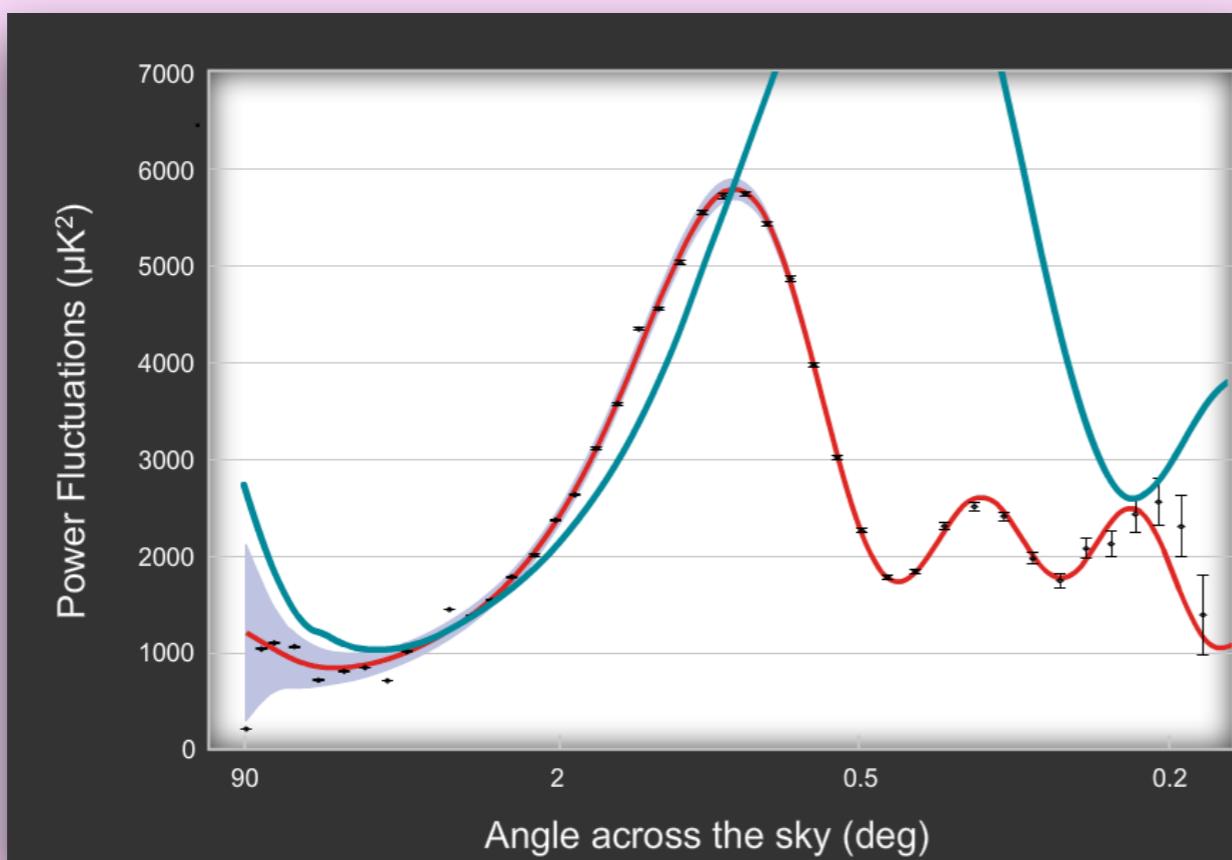
# Evidence for Dark Matter

## Galaxy Clusters



## Galaxy Rotation Curves

## Cosmic Microwave Background



# Standard Lore: Thermal Freeze-Out

- Early on: DM in thermal equilibrium with SM

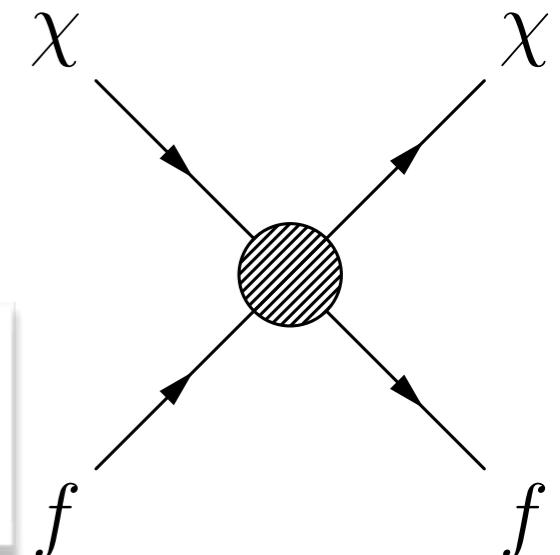
e.g. via  $\bar{\chi}\chi \longleftrightarrow \bar{f}f$

- Number density:  $n_{\chi, \text{eq}} = \int \frac{d^3 p}{(2\pi)^3} \exp [-E_\chi(\vec{p})/T]$

- $T$  drops, interactions freeze out

- Described by Boltzmann equation

$$\frac{dn_\chi}{dt} + 3n_\chi \frac{\dot{a}}{a} = - \left( n_\chi^2 \langle \sigma(\chi\chi \rightarrow \bar{f}f) v_{\text{rel}} \rangle - n_f^2 \langle \sigma(\bar{f}f \rightarrow \chi\chi) v_{\text{rel}} \rangle \right)$$



# Standard Lore: Thermal Freeze-Out

$$\frac{dn_\chi}{dt} + 3n_\chi \frac{\dot{a}}{a} = - \left( n_\chi^2 \langle \sigma(\chi\chi \rightarrow \bar{f}f) v_{\text{rel}} \rangle - n_f^2 \langle \sigma(\bar{f}f \rightarrow \chi\chi) v_{\text{rel}} \rangle \right)$$

- Detailed balance:  $n_f^2 \langle \sigma(\bar{f}f \rightarrow \chi\chi) v_{\text{rel}} \rangle = n_{\chi,\text{eq}}^2 \langle \sigma(\chi\chi \rightarrow \bar{f}f) v_{\text{rel}} \rangle$
- Final Boltzmann equation

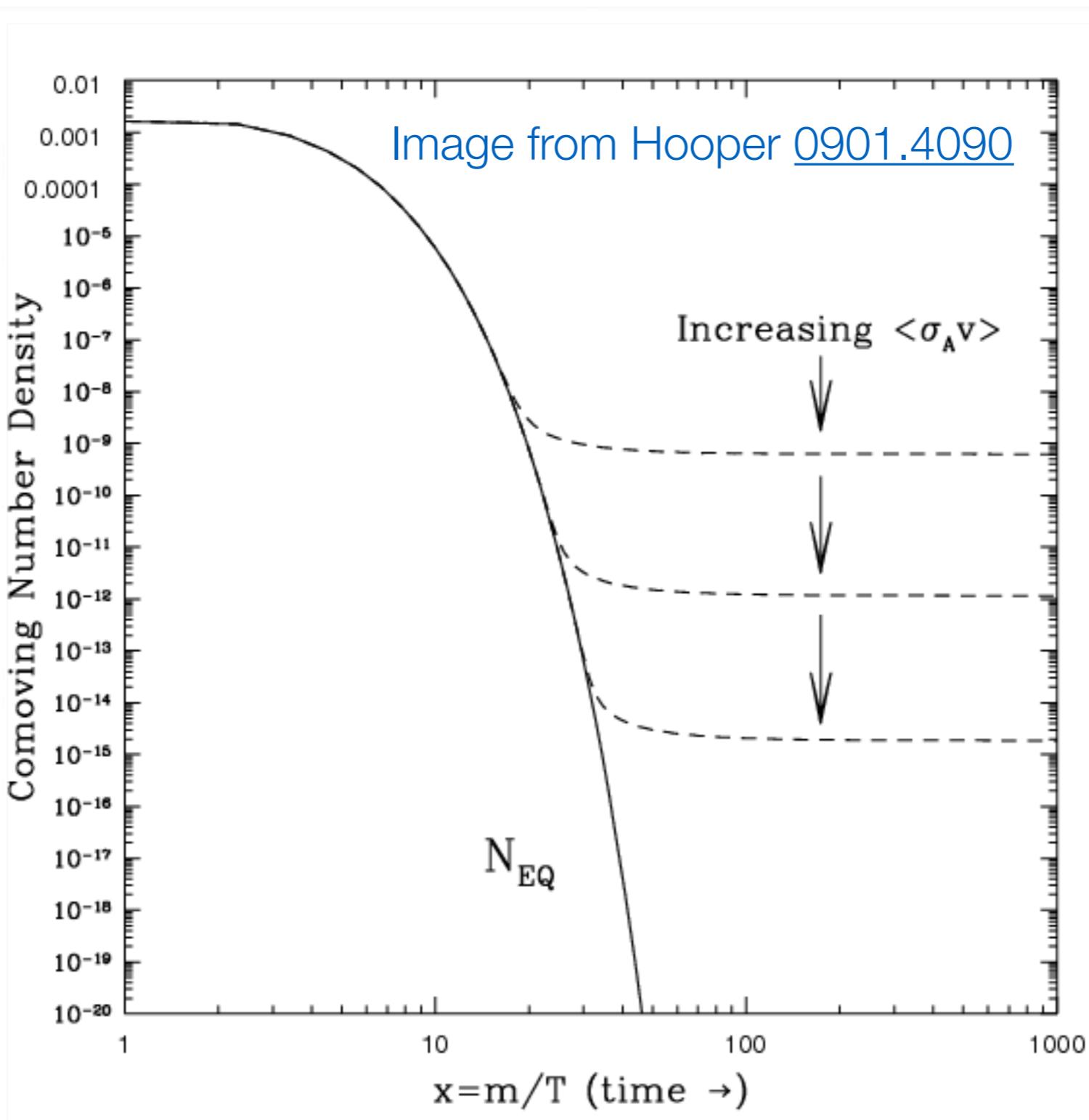
$$\frac{dn_\chi}{dt} + 3n_\chi \frac{\dot{a}}{a} = - \langle \sigma(\chi\chi \rightarrow \bar{f}f) v_{\text{rel}} \rangle (n_\chi^2 - n_{\chi,\text{eq}}^2)$$

# Standard Lore: Thermal Freeze-Out

$$\frac{dn_\chi}{dt} + \dots$$

- Detailed
- Final Boltzmann

$$\frac{dn_\chi}{dt} + \dots$$

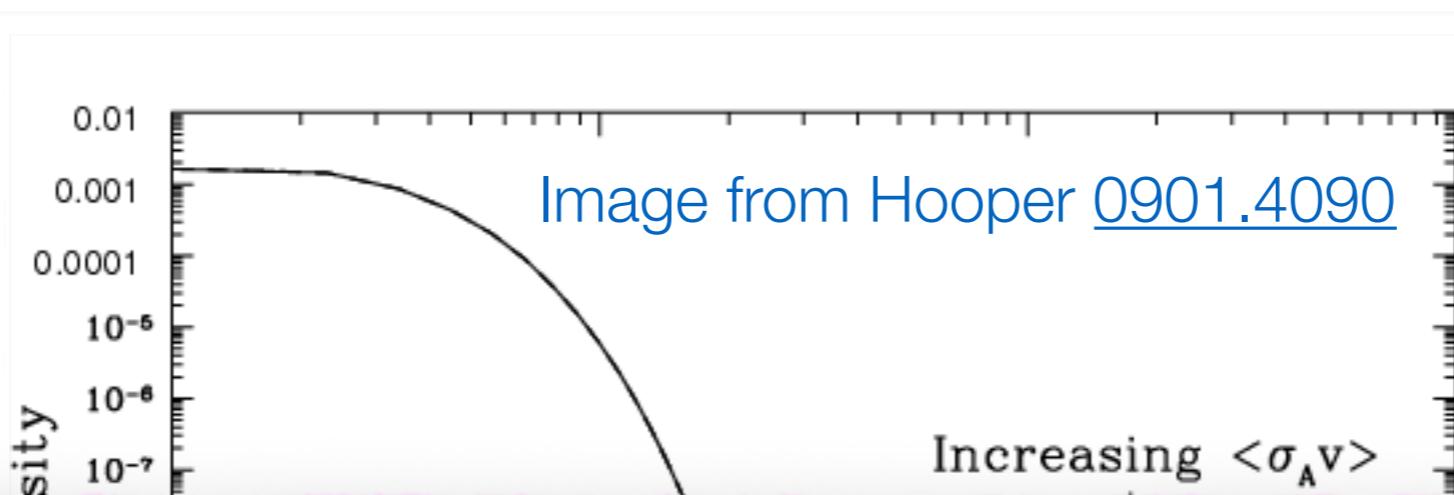


$$\rightarrow \chi\chi)v_{rel}\rangle$$

$$\chi\chi \rightarrow \bar{f}f)v_{rel}\rangle$$

# Standard Lore: Thermal Freeze-Out

$$\frac{dn_\chi}{dt} + \dots$$

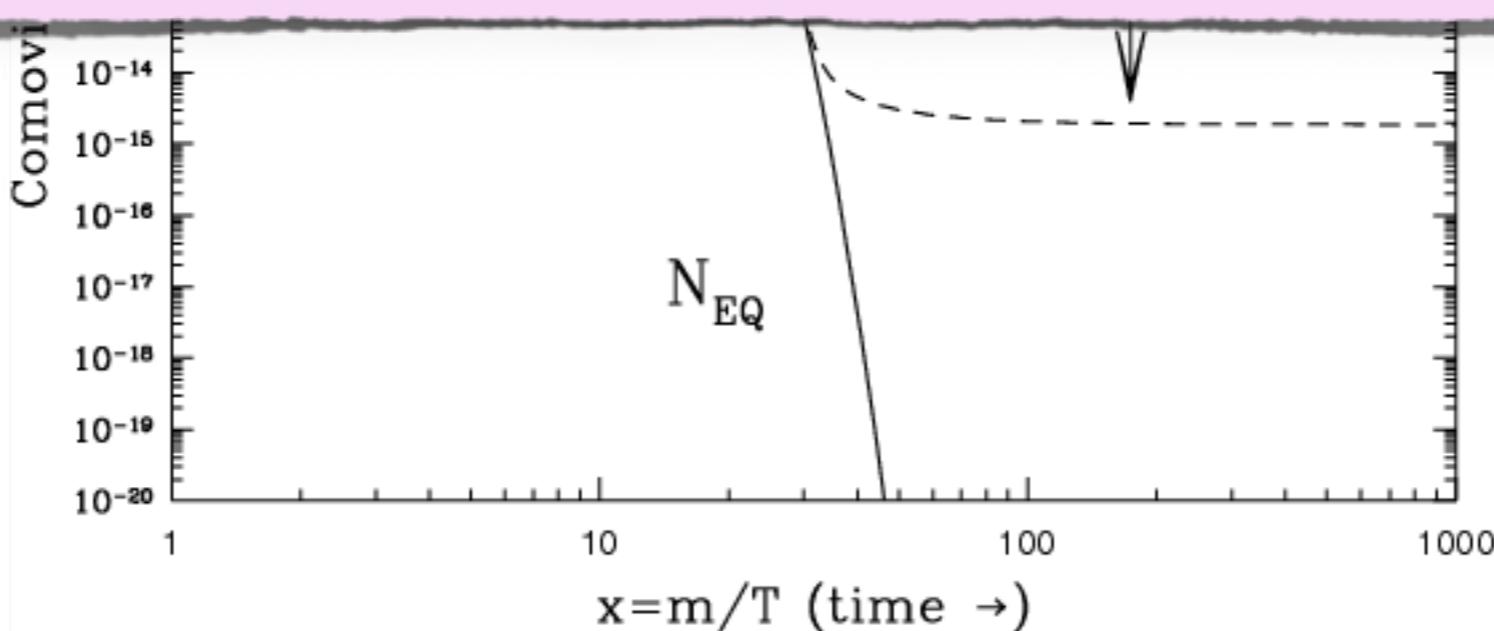


$$\rightarrow \chi\chi)v_{\text{rel}}\rangle)$$

observed relic abundance obtained for

$$\langle\sigma(\chi\chi \rightarrow \bar{f}f)v_{\text{rel}}\rangle \simeq 2.2 \times 10^{-26} \text{ cm}^3/\text{sec}$$

$$\frac{dn_\chi}{dt} + \dots$$



# Standard Lore: Thermal Freeze-Out

observed relic abundance obtained for

$$\langle \sigma(\chi\chi \rightarrow \bar{f}f) v_{\text{rel}} \rangle \simeq 2.2 \times 10^{-26} \text{ cm}^3/\text{sec}$$

- Expect new particles at  $\sim 100$  GeV
- SM-like couplings  $\sim \alpha_{\text{em}} \sim 0.01$
- Expect  $\langle \sigma(\chi\chi \rightarrow \bar{f}f) v_{\text{rel}} \rangle \simeq \text{few} \times 10^{-26} \text{ cm}^3/\text{sec}$

# Standard Lore: Thermal Freeze-Out

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WIMP Miracle



# DM annihilation today

observed relic abundance obtained for

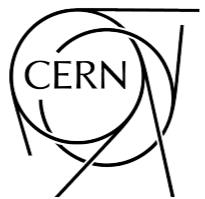
$$\langle \sigma(\chi\chi \rightarrow \bar{f}f) v_{\text{rel}} \rangle \simeq 2.2 \times 10^{-26} \text{ cm}^3/\text{sec}$$

If this mechanism is responsible for setting the DM abundance in the early Universe,

**annihilations should still be happening today**

in regions of high DM density

# WIMP Dark Matter: Indirect Detection



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# Where to look for DM Annihilation?

## Dwarf Satellite Galaxies

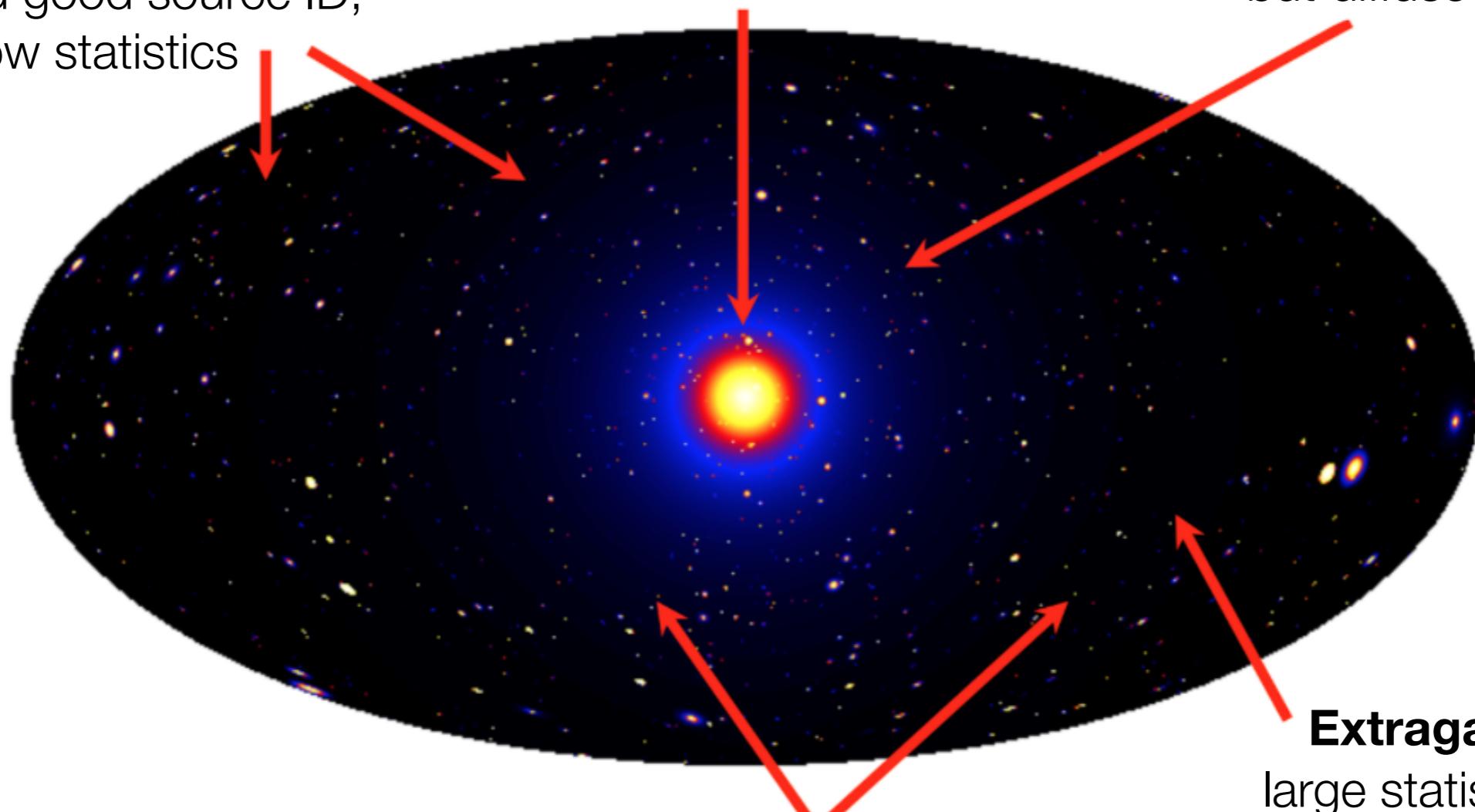
low BG and good source ID,  
but low statistics

## Galactic Center

good statistics, but source confusion  
and diffuse background

## Milky Way Halo

good statistics,  
but diffuse background



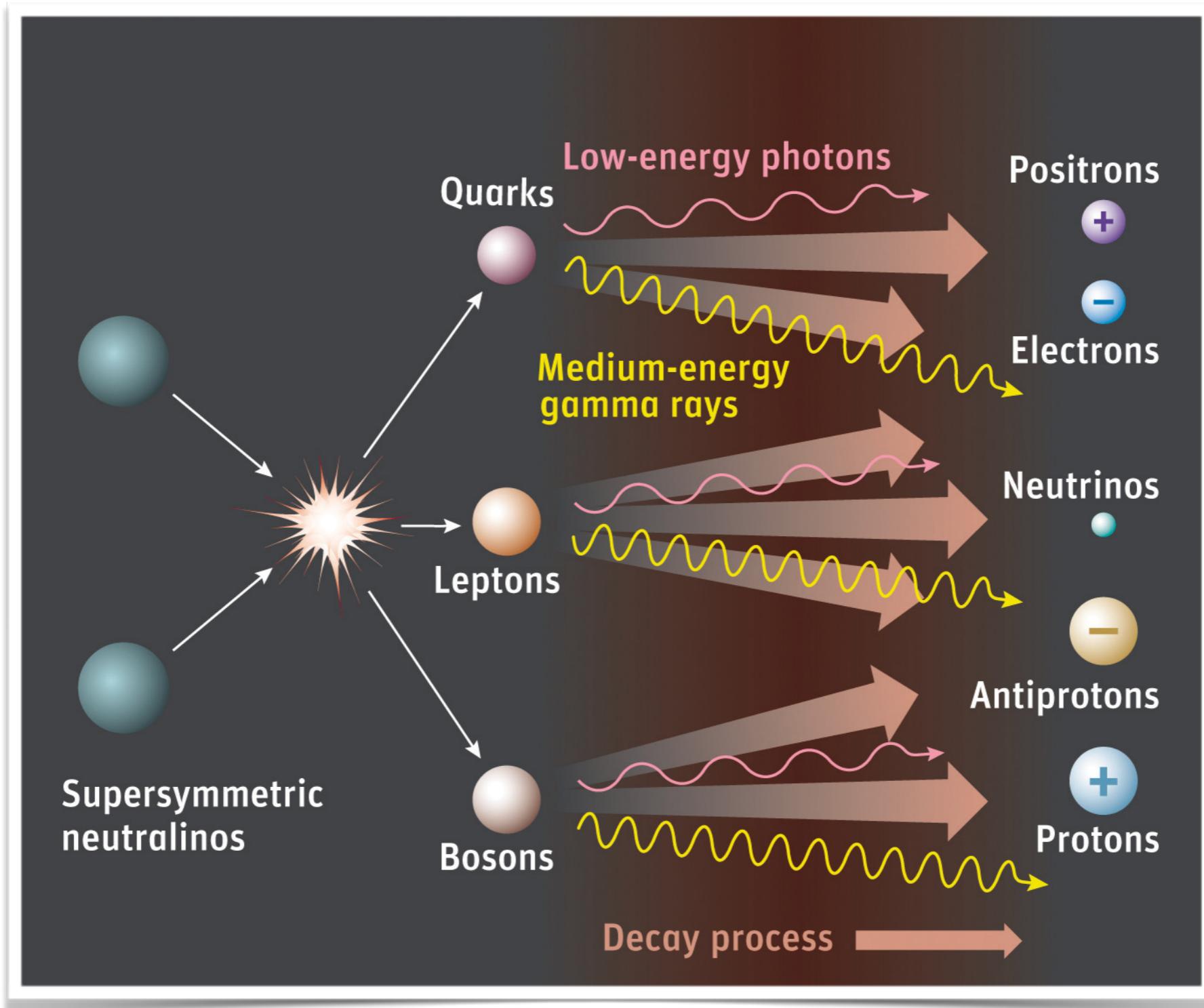
[arXiv:0908.0195](https://arxiv.org/abs/0908.0195),  
[Fermi-LAT](#),  
[KIPAC/Stanford](#)

**Galaxy Clusters**  
low background,  
but low statistics

**Extragalactic**  
large statistics, but  
astrophysical foregrounds and  
Galactic diffuse background

# Messengers of DM Annihilation

# Messengers of DM Annihilation



# Messengers of DM Annihilation

# Messengers of DM Annihilation

Annihilating  
DM particles

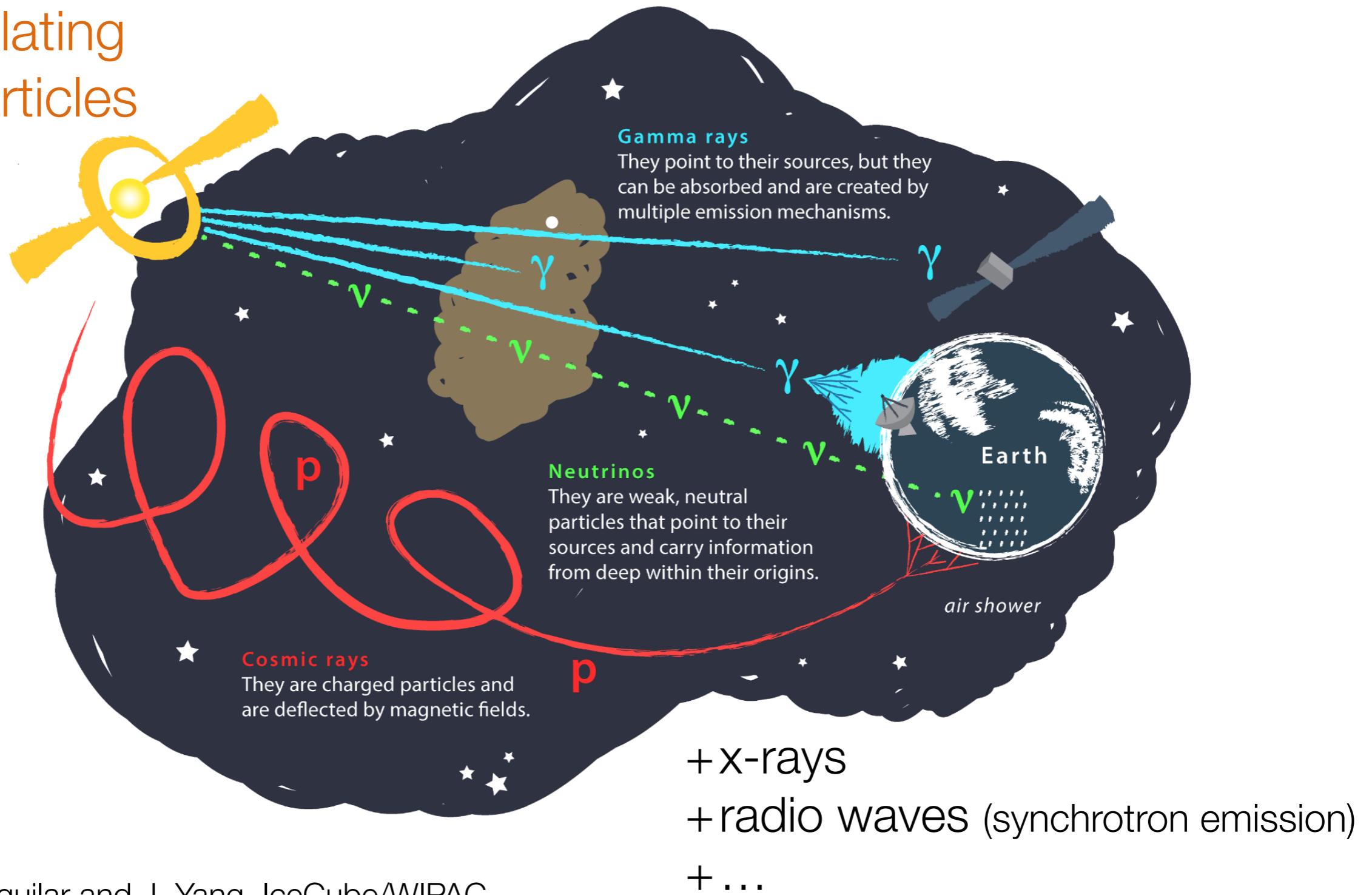
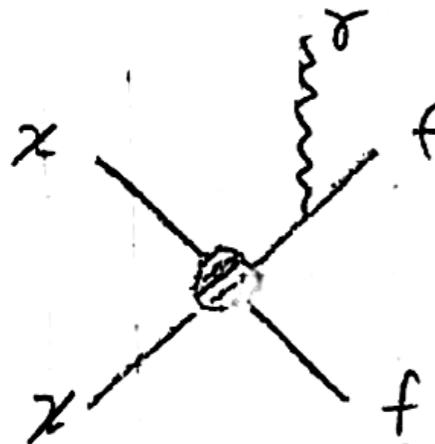
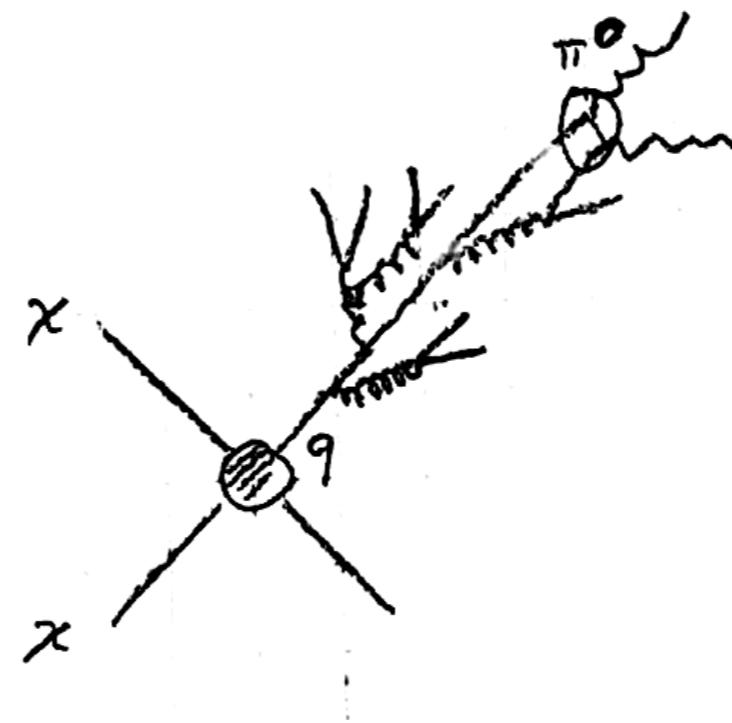


Image: J.A. Aguilar and J. Yang, IceCube/WIPAC

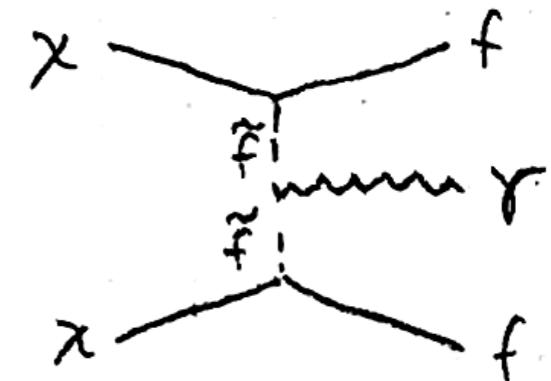
# Prompt Gamma Rays from DM Annihilation



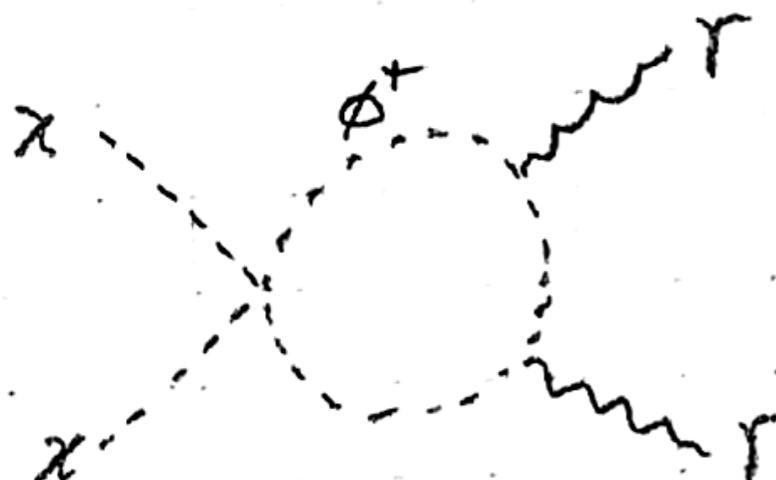
final state radiation



$\pi^0$  decay  
(for hadronic final states)

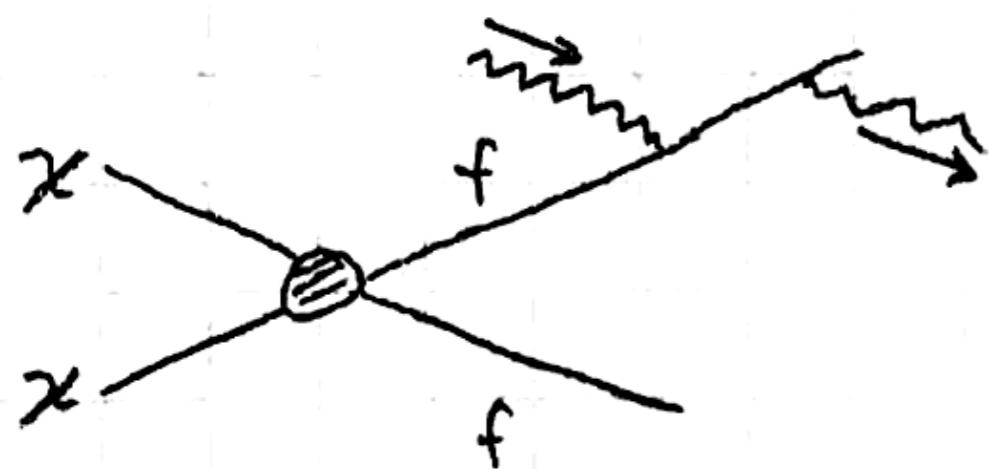


internal bremsstrahlung  
(for charged mediators)

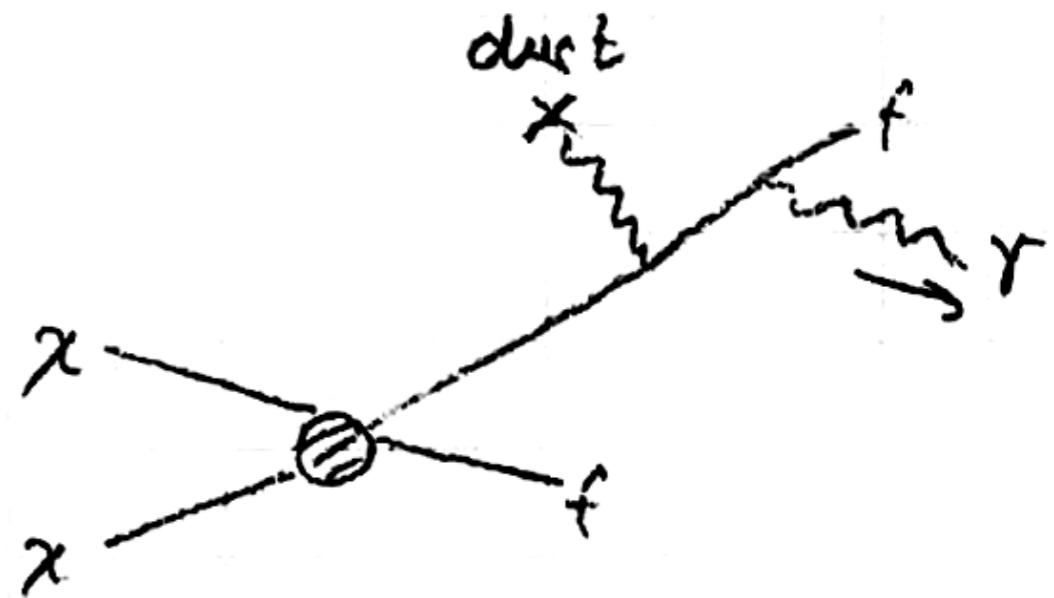


direct annihilation  
(via loops of charged particles)

# Secondary Gamma Rays from DM Annihilation



inverse Compton scattering  
on starlight or the CMB



bremsstrahlung  
(less important)

# Gamma Ray Flux at Earth

$$\phi_\gamma = \frac{\Delta\Omega}{4\pi} \left[ \frac{1}{\Delta\Omega} \int_{\Delta\Omega} d\Omega \int d\ell(\psi) \rho_{\text{DM}}^2(\ell, \psi) \right] \frac{\langle \sigma v_{\text{rel}} \rangle}{2m_\chi^2} \frac{dN_\gamma}{dE_\gamma}$$

# Gamma Ray Flux at Earth

$$\phi_\gamma = \frac{\Delta\Omega}{4\pi} \left[ \frac{1}{\Delta\Omega} \int_{\Delta\Omega} d\Omega \int d\ell(\psi) \rho_{\text{DM}}^2(\ell, \psi) \right] \frac{\langle \sigma v_{\text{rel}} \rangle}{2m_\chi^2} \frac{dN_\gamma}{dE_\gamma}$$

line of sight  
in direction  $\psi$



# Gamma Ray Flux at Earth

$$\phi_\gamma = \frac{\Delta\Omega}{4\pi} \left[ \frac{1}{\Delta\Omega} \int_{\Delta\Omega} d\Omega \int d\ell(\psi) \rho_{\text{DM}}^2(\ell, \psi) \right] \frac{\langle \sigma v_{\text{rel}} \rangle}{2m_\chi^2} \frac{dN_\gamma}{dE_\gamma}$$

line of sight  
in direction  $\psi$

DM mass density

# Gamma Ray Flux at Earth

$$\phi_\gamma = \frac{\Delta\Omega}{4\pi} \left[ \frac{1}{\Delta\Omega} \int_{\Delta\Omega} d\Omega \int d\ell(\psi) \rho_{\text{DM}}^2(\ell, \psi) \right] \frac{\langle \sigma v_{\text{rel}} \rangle}{2m_\chi^2} \frac{dN_\gamma}{dE_\gamma}$$

line of sight  
in direction  $\psi$

DM mass density

injection spectrum

# Gamma Ray Flux at Earth

$$\phi_\gamma = \frac{\Delta\Omega}{4\pi} \left[ \frac{1}{\Delta\Omega} \int_{\Delta\Omega} d\Omega \int d\ell(\psi) \rho_{\text{DM}}^2(\ell, \psi) \right] \frac{\langle \sigma v_{\text{rel}} \rangle}{2m_\chi^2} \frac{dN_\gamma}{dE_\gamma}$$

**J-factor**

contains all dependencies on astrophysics

# Gamma Ray Flux at Earth

$$\phi_\gamma = \frac{\Delta\Omega}{4\pi} \left[ \frac{1}{\Delta\Omega} \int_{\Delta\Omega} d\Omega \int d\ell(\psi) \rho_{\text{DM}}^2(\ell, \psi) \right] \frac{\langle \sigma v_{\text{rel}} \rangle}{2m_\chi^2} \frac{dN_\gamma}{dE_\gamma}$$

The equation shows the gamma ray flux  $\phi_\gamma$  as a product of several factors. A red oval highlights the first two terms: the solid angle  $\Delta\Omega$  divided by  $4\pi$ , and the integral over solid angle  $d\Omega$  and azimuthal angle  $d\ell(\psi)$  of the square of the dark matter density distribution  $\rho_{\text{DM}}^2(\ell, \psi)$ . A red arrow points from the text "J-factor" to this highlighted region. Another red oval highlights the last term: the cross-section times relative velocity  $\langle \sigma v_{\text{rel}} \rangle$  divided by twice the dark matter mass squared  $2m_\chi^2$ , multiplied by the differential dark matter particle number  $dN_\gamma$  and energy  $dE_\gamma$ . A red arrow points from the text "particle physics factor" to this highlighted region.

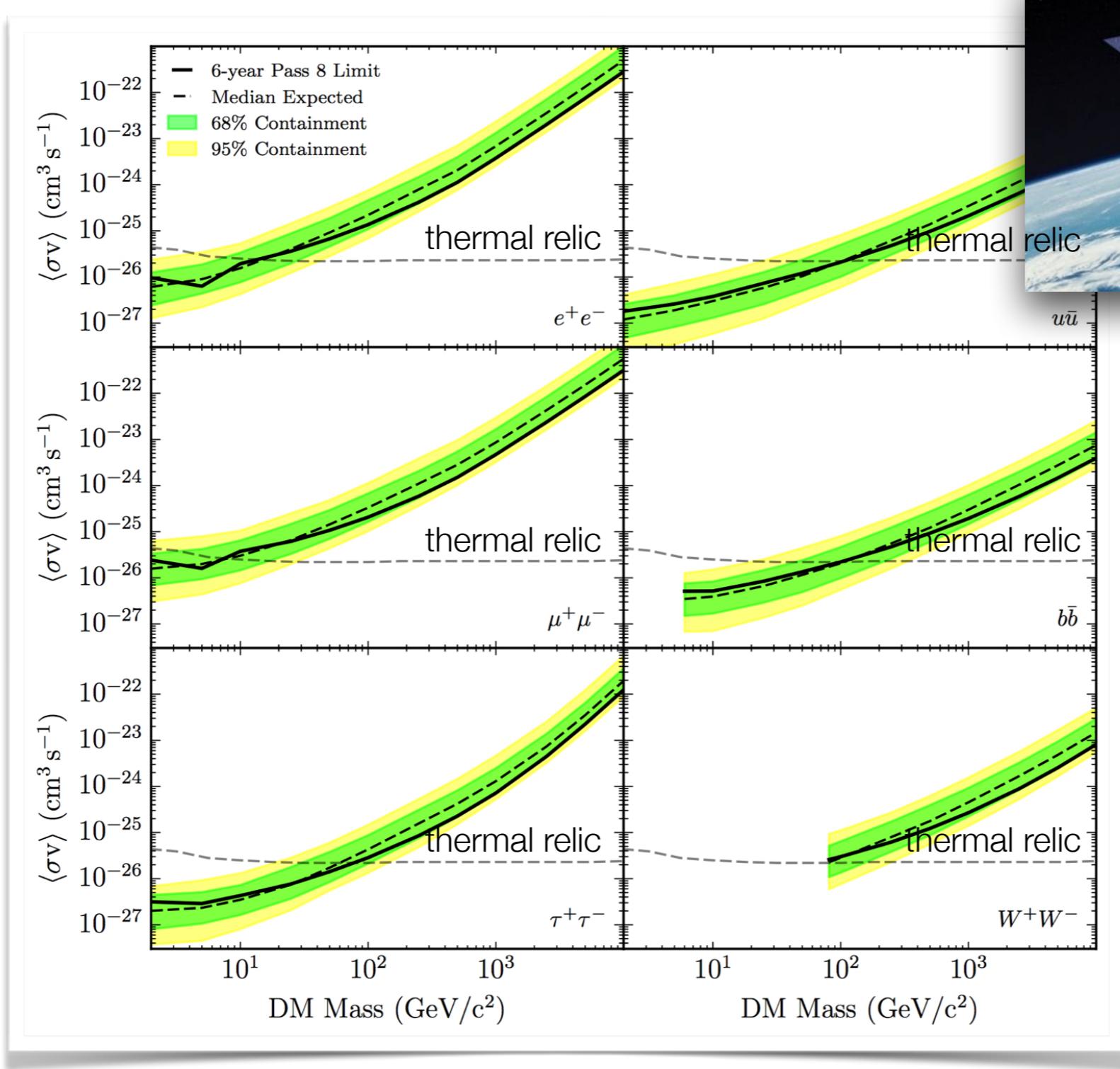
**J-factor**

contains all dependencies on astrophysics

**particle physics factor**

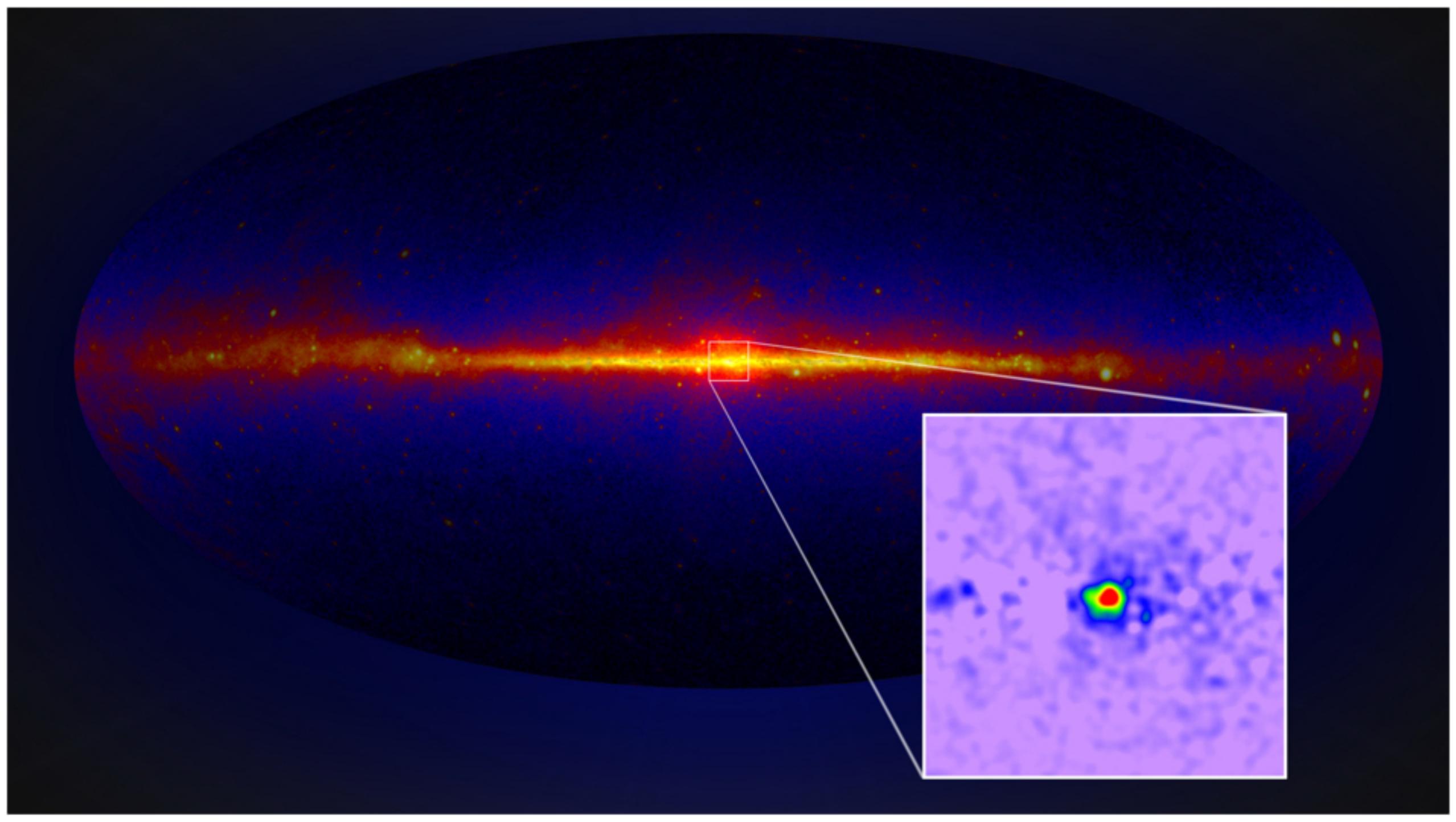
factor 2 in denominator only for  
self-conjugate DM

# Fermi-LAT Limits from Dwarf Galaxies



Credit: Fermi-LAT

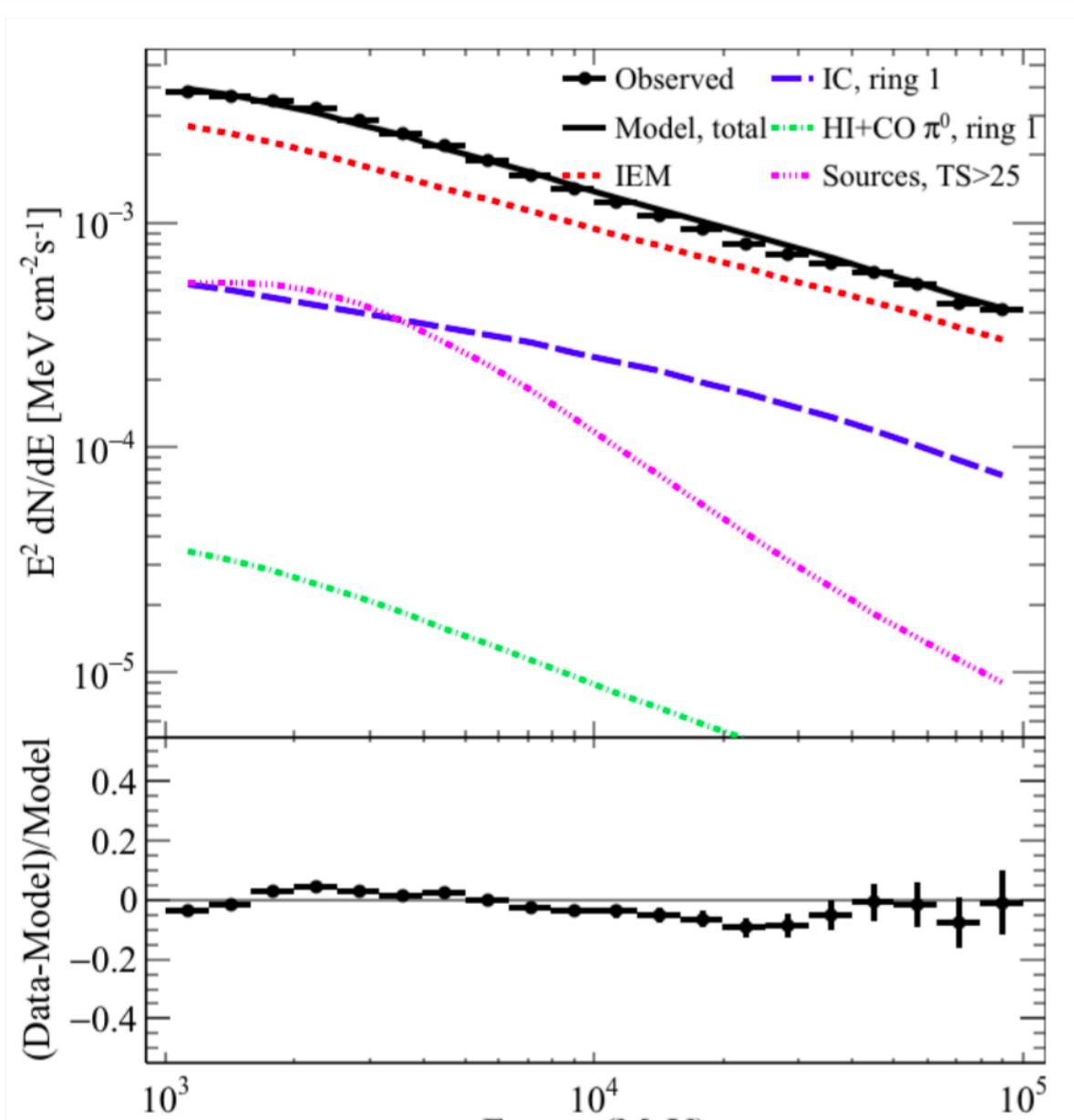
# The Galactic Center Excess



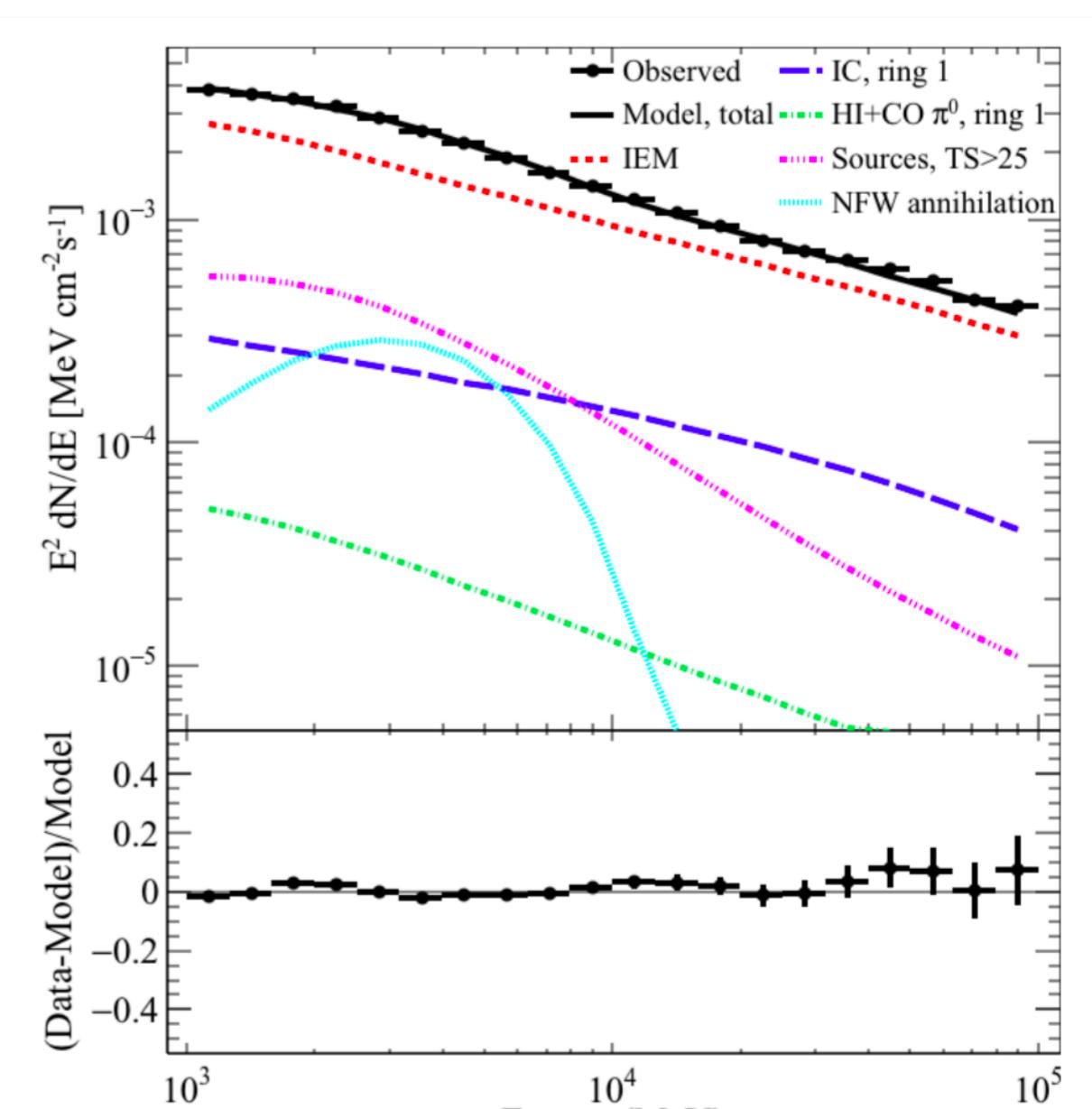
Credit: Tim Linden & NASA

# Dark Matter or Astrophysics?

no DM



including DM annihilation



Fermi-Lat, arXiv:1511.02938

# Cosmic Ray Transport — Leaky Box Model

**Galactic Disk**  
gas, stars: CR sources  
thickness  $\sim 100$  pc

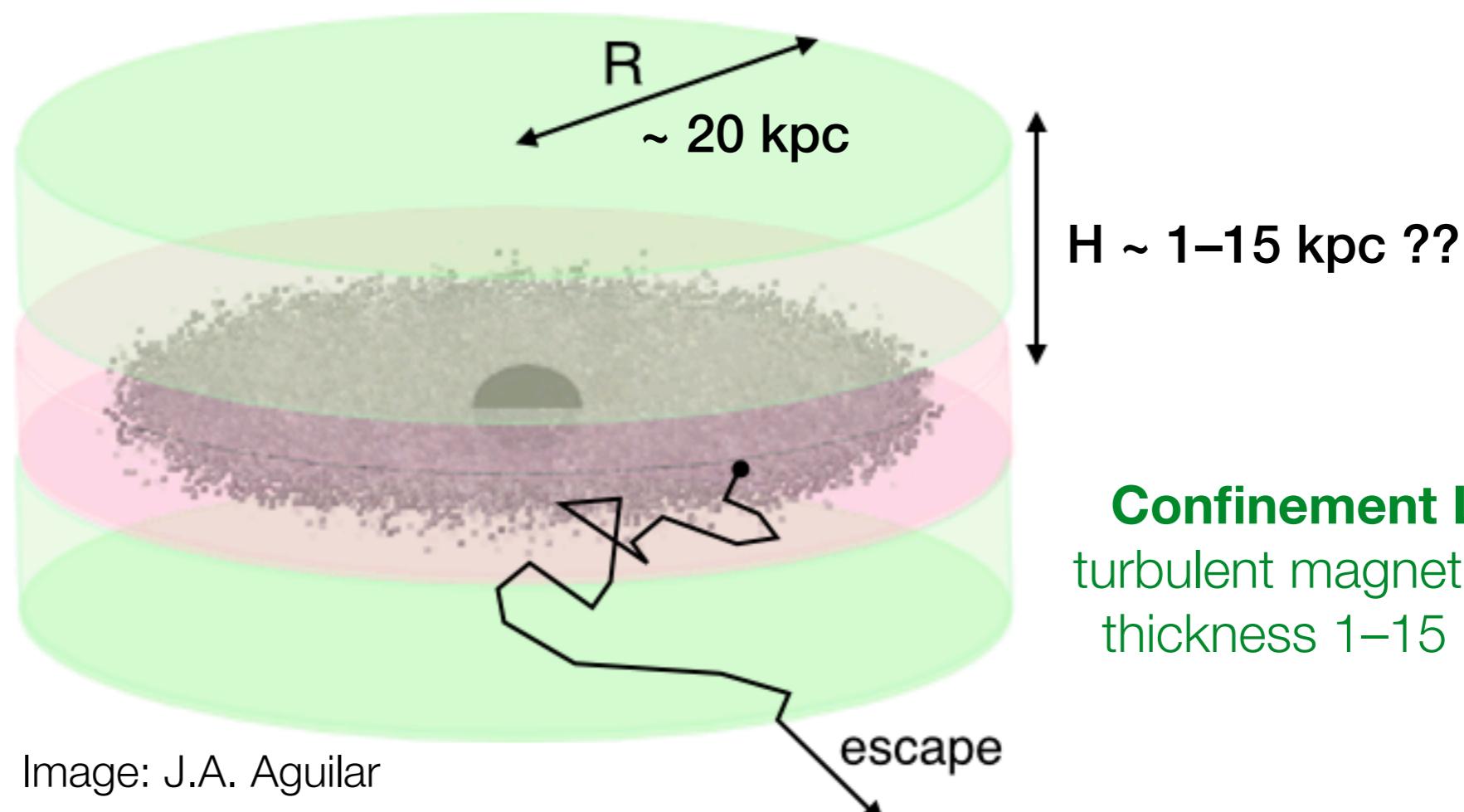


Image: J.A. Aguilar

Master equation (diffusion–loss equation)

$$\frac{\partial f(t, \vec{x}, E)}{\partial t} - K \cdot \Delta f + \frac{\partial}{\partial E} [\mathbf{b}(e) \cdot \mathbf{f}] + \frac{\partial}{\partial z} [\mathbf{v}_c \mathbf{f}] \cdot \text{sgn } z = Q(t, \vec{x}, E)$$

# Cosmic Ray Transport — Leaky Box Model

**Galactic Disk**  
gas, stars: CR sources  
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**density of particles**  
per unit energy

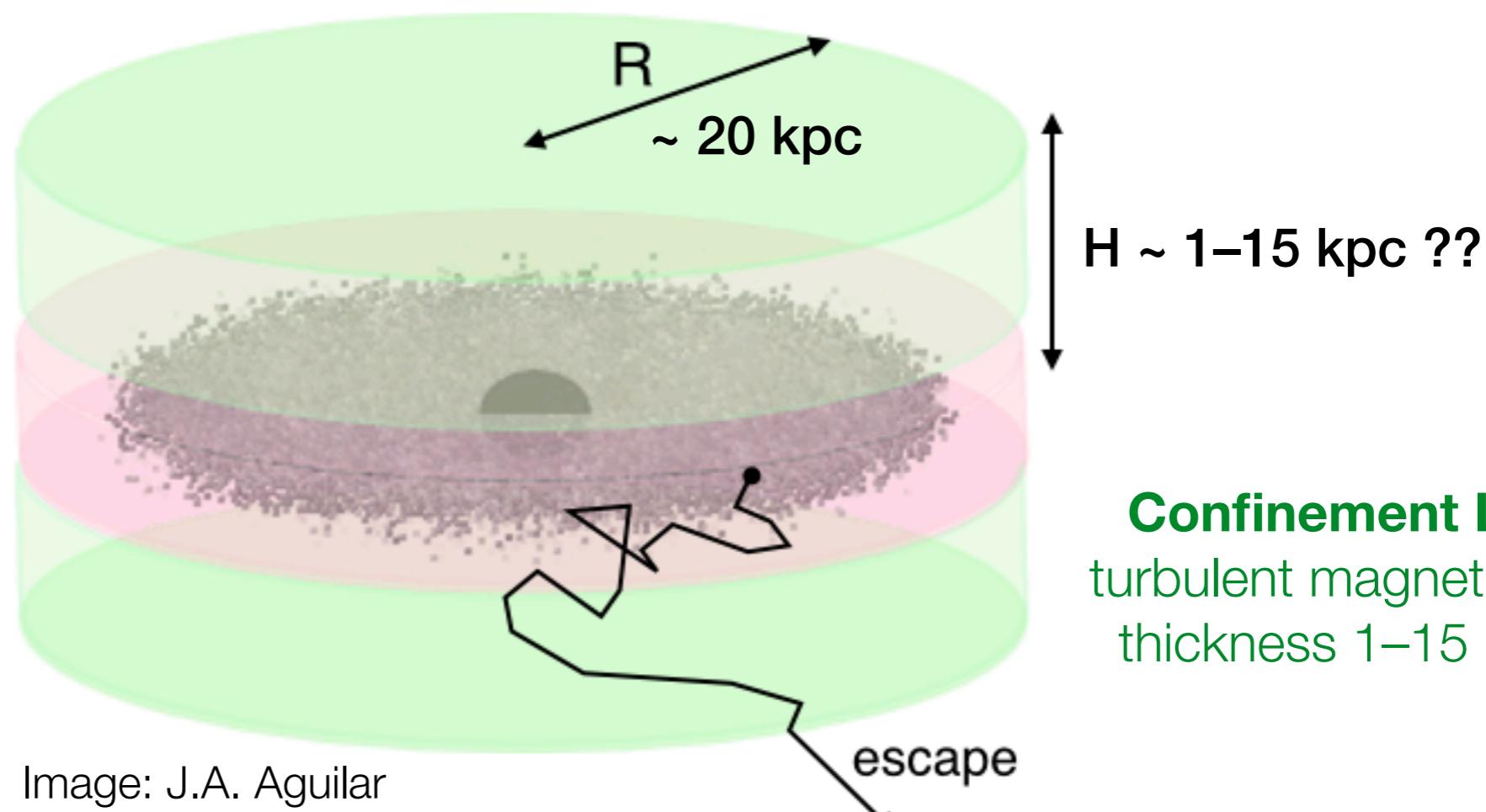


Image: J.A. Aguilar

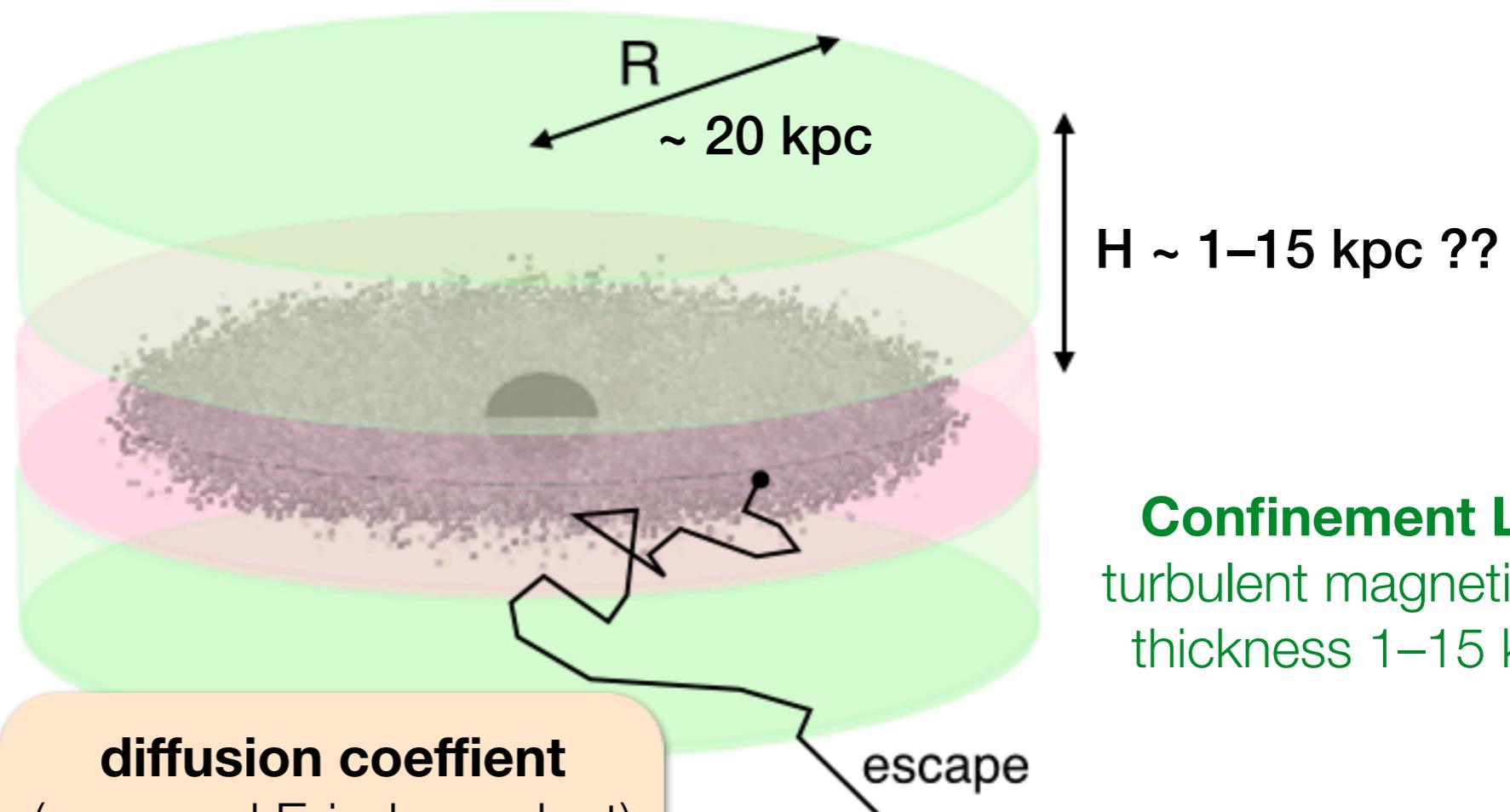
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# Cosmic Ray Transport — Leaky Box Model

**Galactic Disk**  
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thickness  $\sim 100$  pc

**density of particles**  
per unit energy



**diffusion coefficient**  
(assumed E-independent)

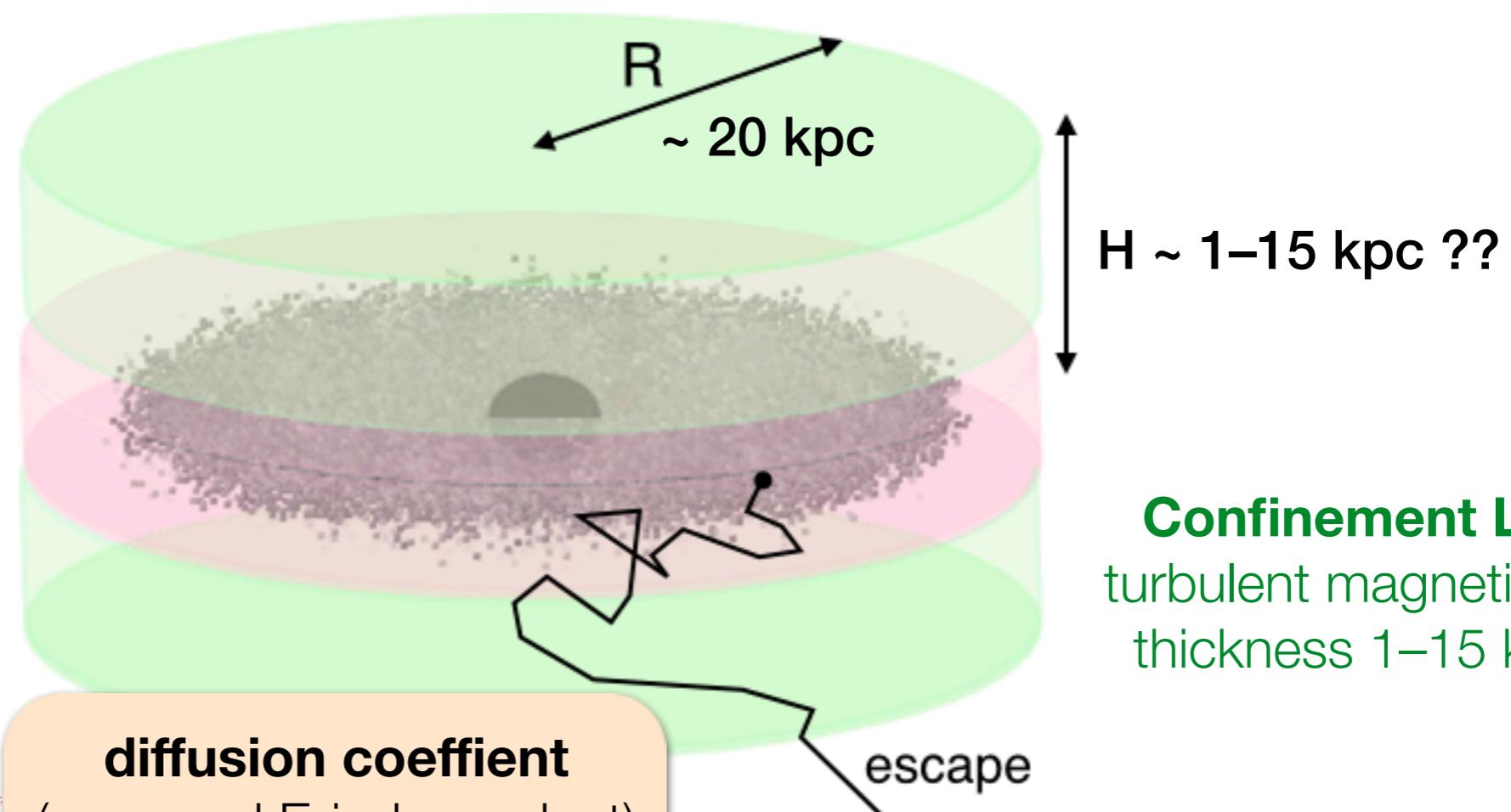
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# Cosmic Ray Transport — Leaky Box Model

**Galactic Disk**  
gas, stars: CR sources  
thickness  $\sim 100$  pc

**density of particles**  
per unit energy



**diffusion coefficient**  
(assumed E-independent)

Master equation (diffusion–loss equation)

$$\frac{\partial f(t, \vec{x}, E)}{\partial t} - K \cdot \Delta f + \frac{\partial}{\partial E} [b(e) \cdot f] + \frac{\partial}{\partial z} [v_c f] \cdot \text{sgn } z = Q(t, \vec{x}, E)$$

**loss function**

# Cosmic Ray Transport — Leaky Box Model

**Galactic Disk**  
gas, stars: CR sources  
thickness  $\sim 100$  pc

**density of particles**  
per unit energy

The diagram illustrates the Galactic Disk as a green cylinder with radius  $R \sim 20$  kpc and height  $H \sim 1-15$  kpc. A grey shaded region represents the disk's surface. A pink layer above it represents the Confinement Layer, which contains a convective wind. A red circle highlights the convective wind.

**Master equation (diffusion–loss equation)**

$$\frac{\partial f(t, \vec{x}, E)}{\partial t} - K \cdot \Delta f + \frac{\partial}{\partial E} [b(e) \cdot f] - \frac{\partial}{\partial z} [v_c f] \cdot \text{sgn } z = Q(t, \vec{x}, E)$$

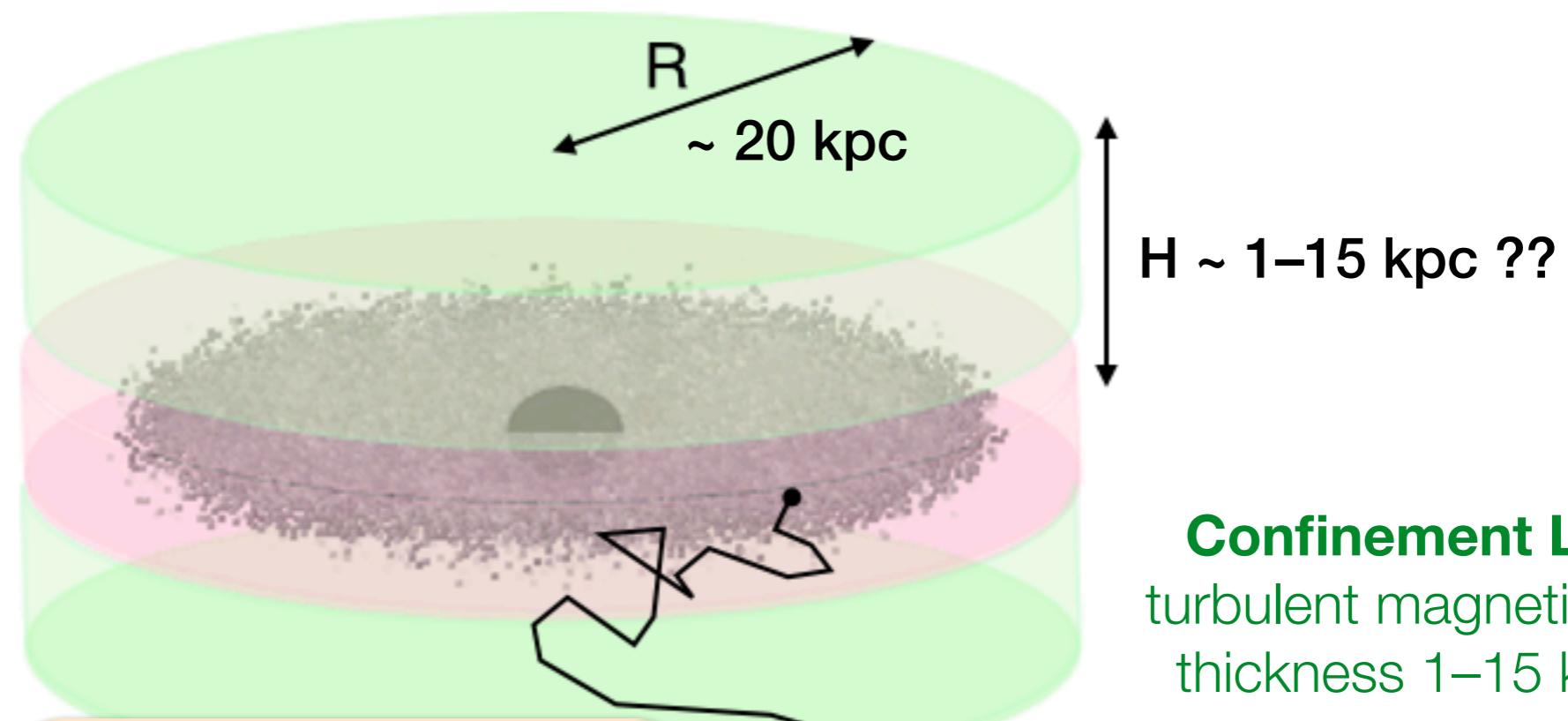
**loss function**

Red circles highlight the terms  $\frac{\partial f}{\partial t}$ ,  $K \cdot \Delta f$ ,  $\frac{\partial}{\partial E} [b(e) \cdot f]$ , and  $\frac{\partial}{\partial z} [v_c f] \cdot \text{sgn } z$ .

# Cosmic Ray Transport — Leaky Box Model

**Galactic Disk**  
gas, stars: CR sources  
thickness  $\sim 100$  pc

**density of particles**  
per unit energy



**Confinement Layer**  
turbulent magnetic fields  
thickness 1–15 kpc??

**convective wind**

**source term**

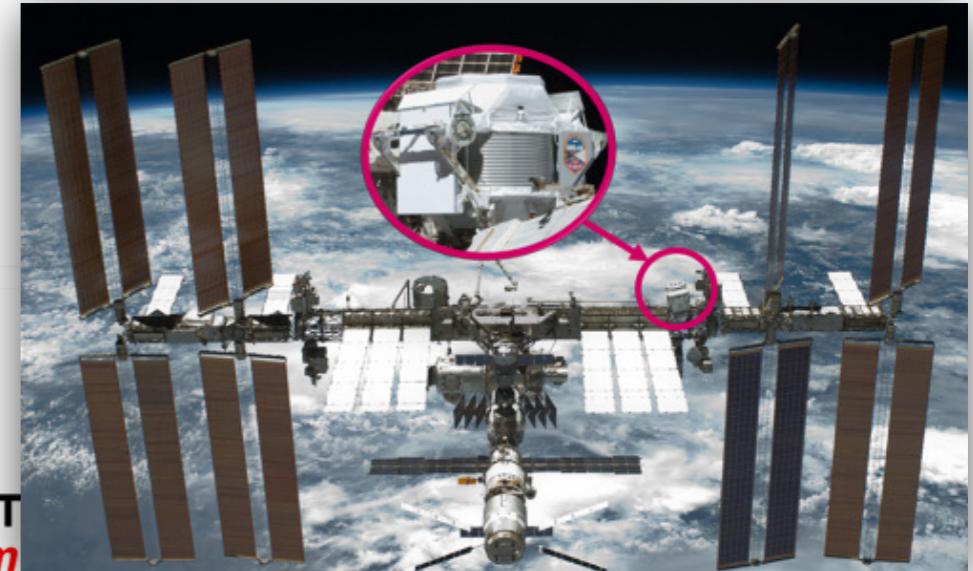
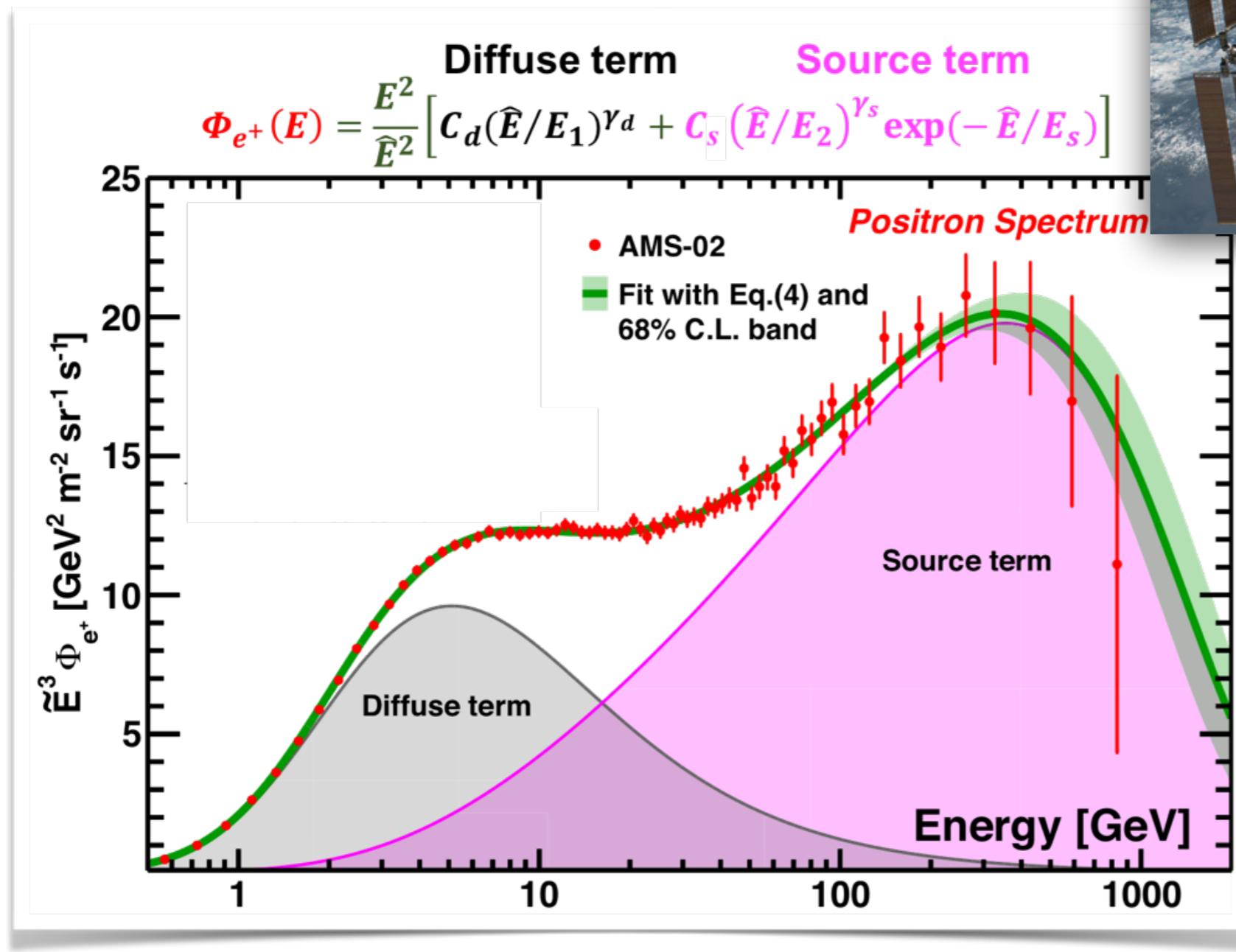
**diffusion coefficient**  
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Master equation (diffusion–loss equation)

$$\frac{\partial f(t, \vec{x}, E)}{\partial t} - K \cdot \Delta f + \frac{\partial}{\partial E} [b(e) \cdot f] - \frac{\partial}{\partial z} [v_c f] \cdot \text{sgn } z = Q(t, \vec{x}, E)$$

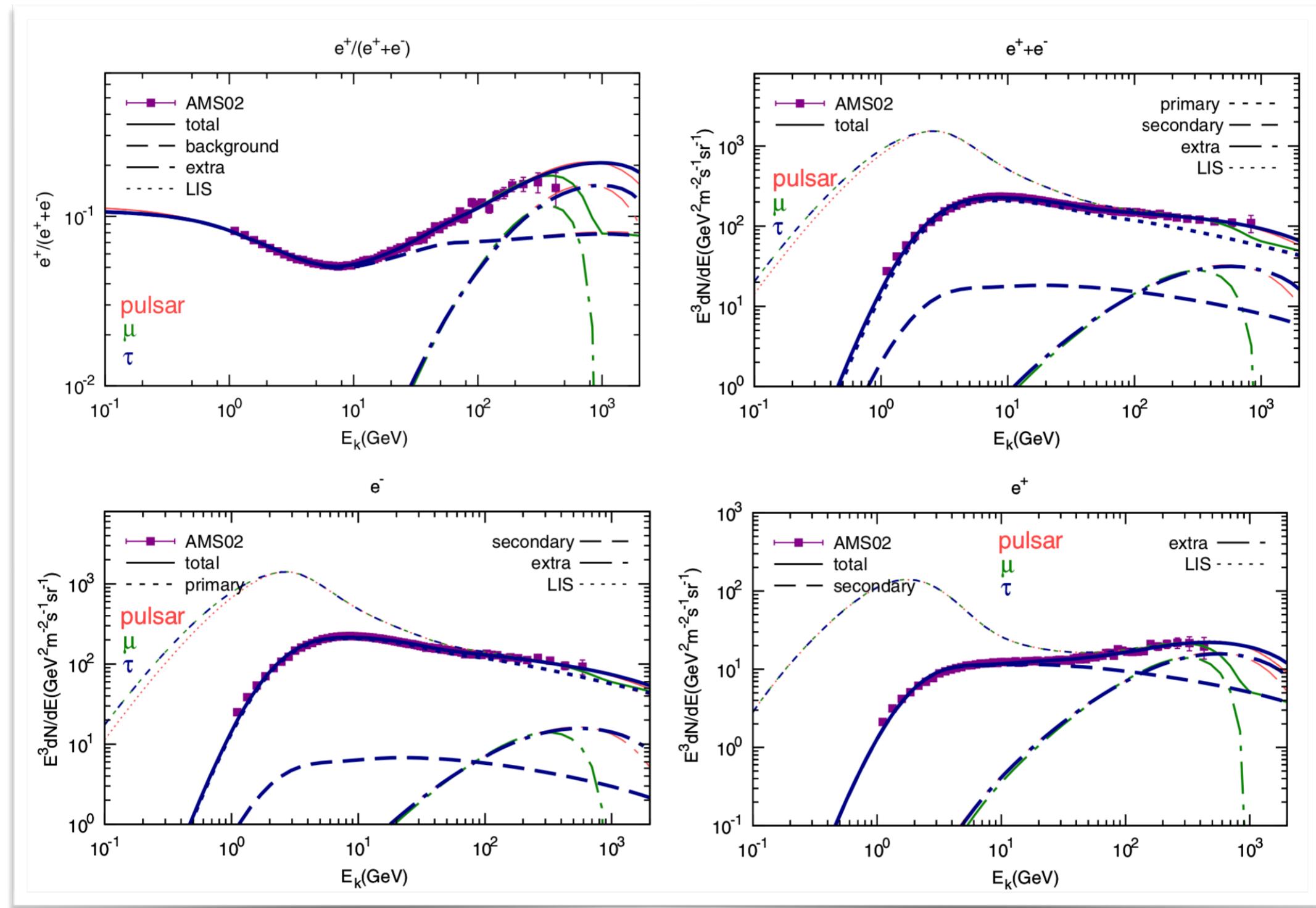
**loss function**

# AMS-02 Positron Excess



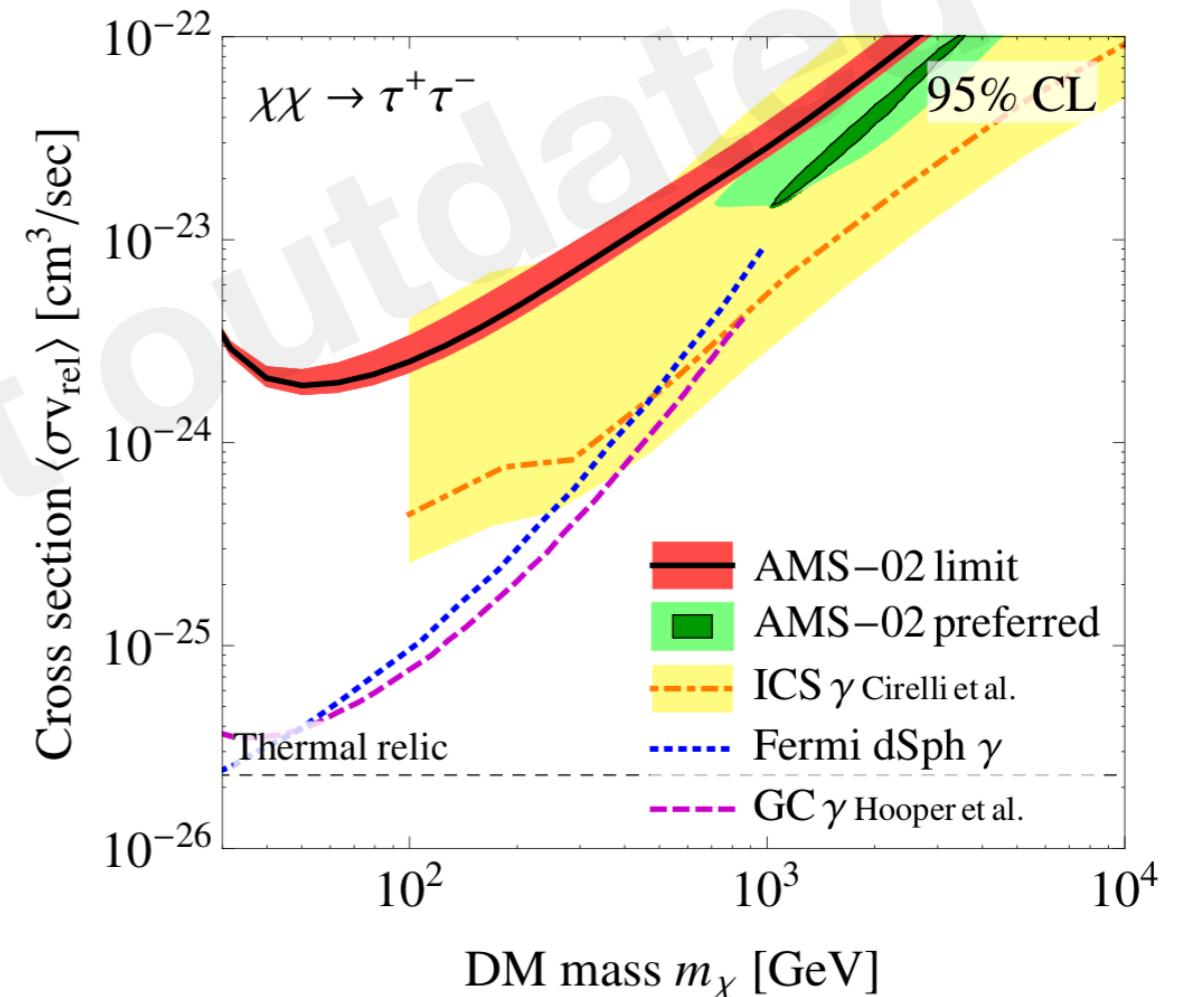
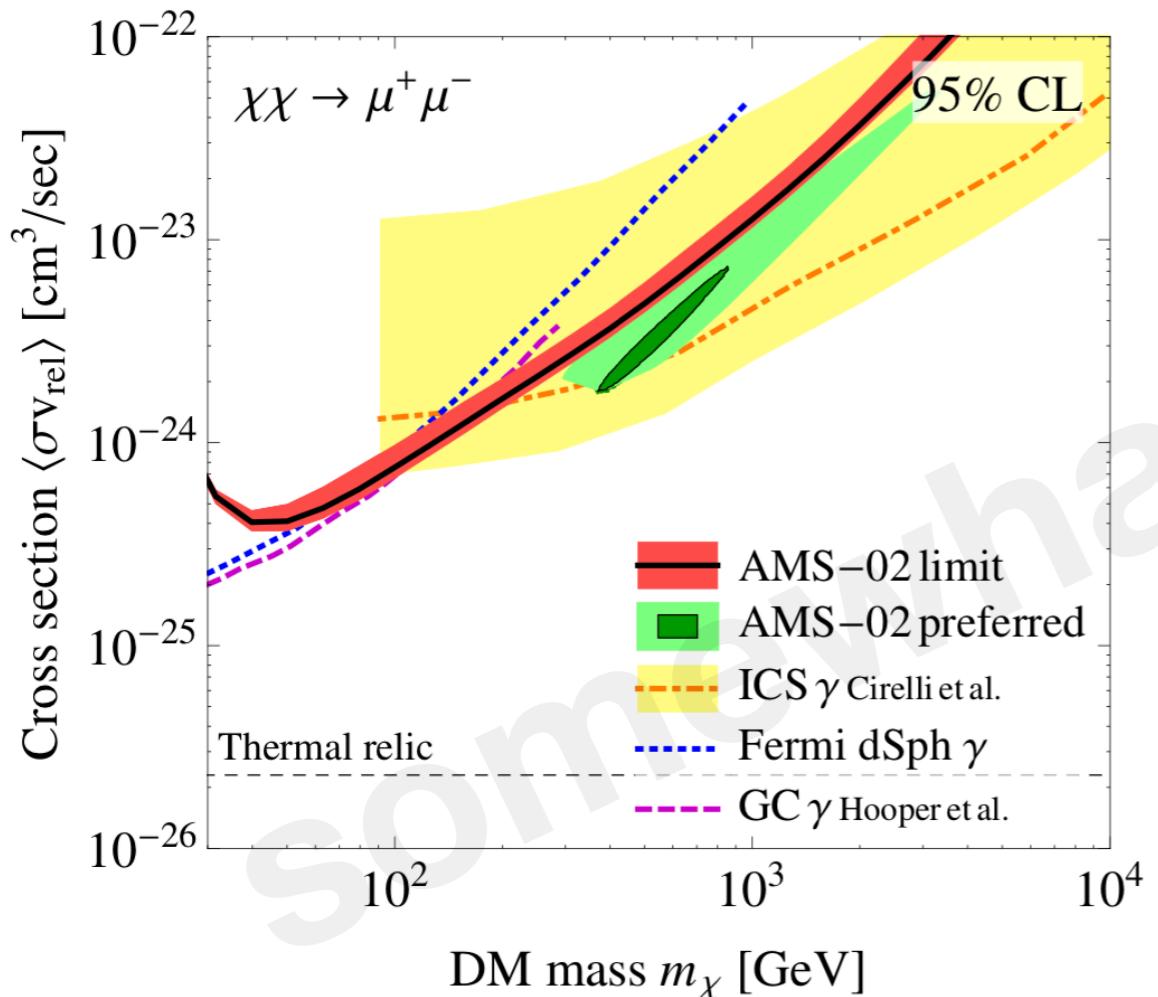
Source: AMS-02

# Dark Matter or Pulsars?



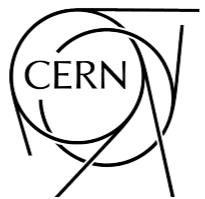
Lin Yuan Bi, arXiv:1409.6248

# AMS-02 Dark Matter Constraints



JK arXiv:1304.1184

# WIMP Dark Matter: Direct Detection

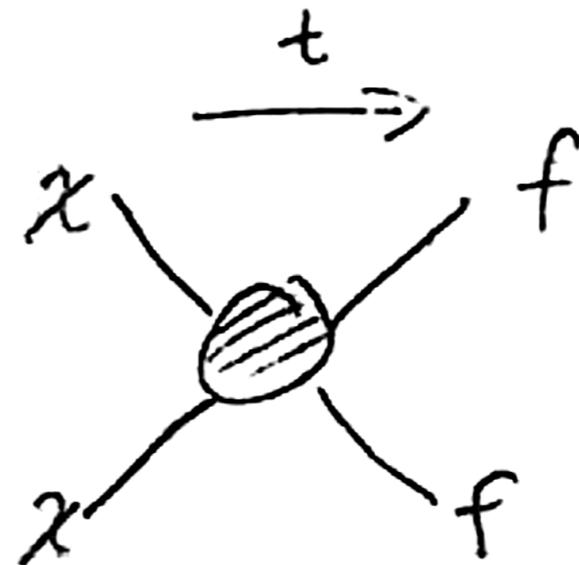


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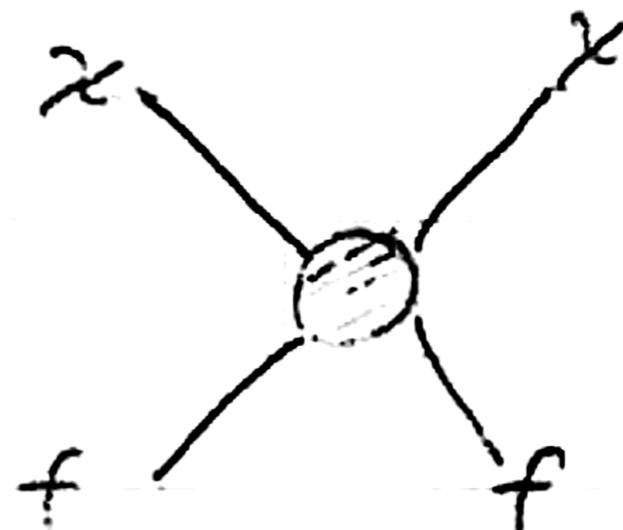


# Direct Detection of WIMP Dark Matter

Annihilation:

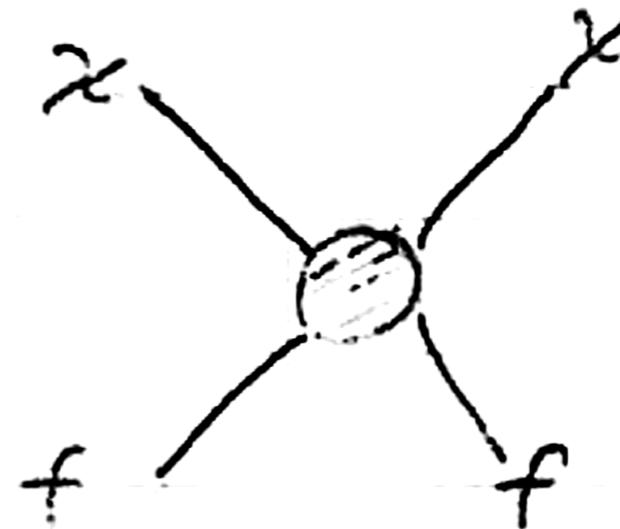


Turn diagram around  
➡ DM scattering



Galactic WIMPs detectable by scattering  
(preferentially on nuclei for kinematic reasons)

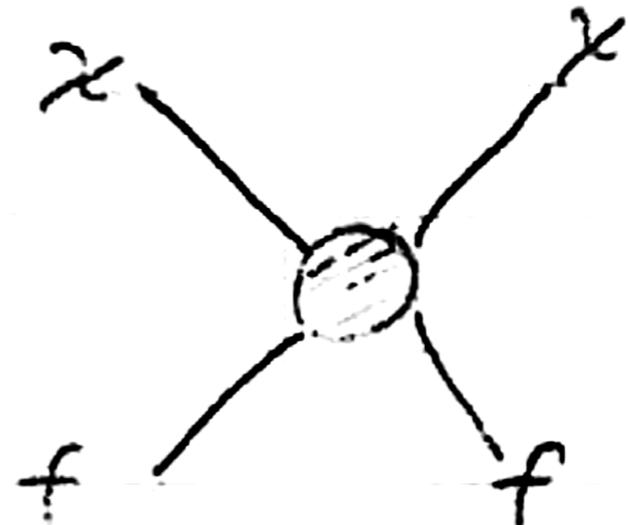
# Direct Detection in a Toy Model



# Direct Detection in a Toy Model

- Toy Model: scalar- (e.g. Higgs-) mediated DM interactions

$$\mathcal{L} \supset \sum_q \frac{m_q}{\Lambda^3} (\bar{\chi}\chi)(\bar{q}q)$$

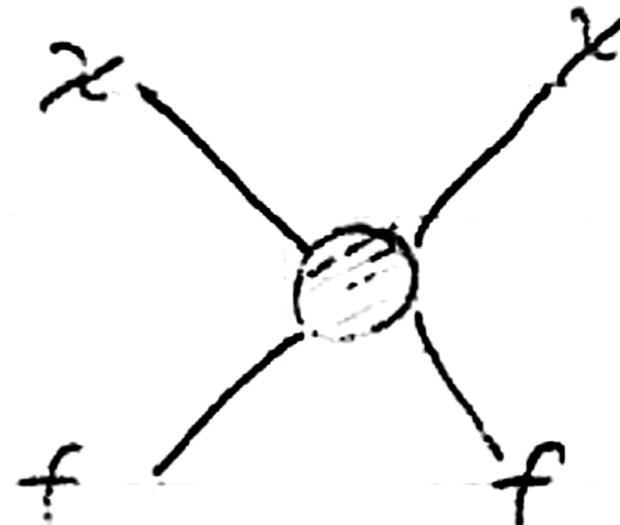


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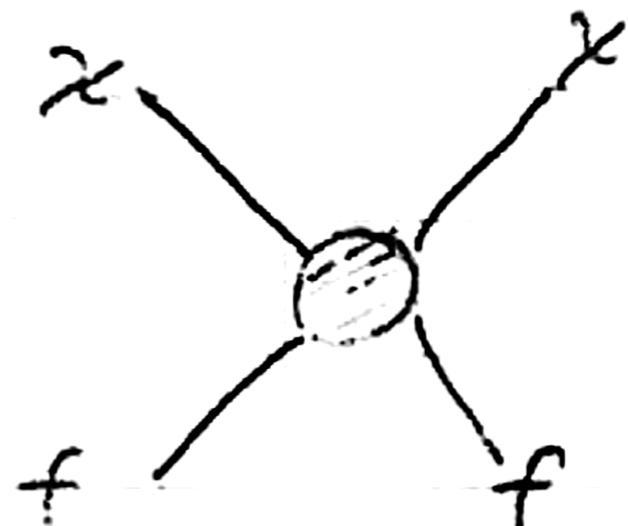
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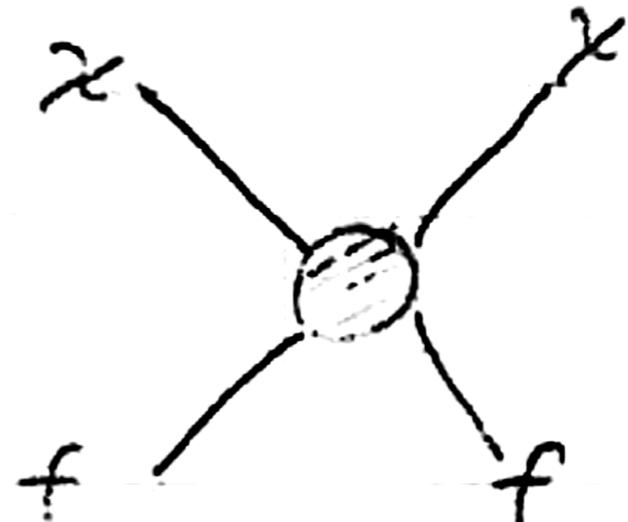
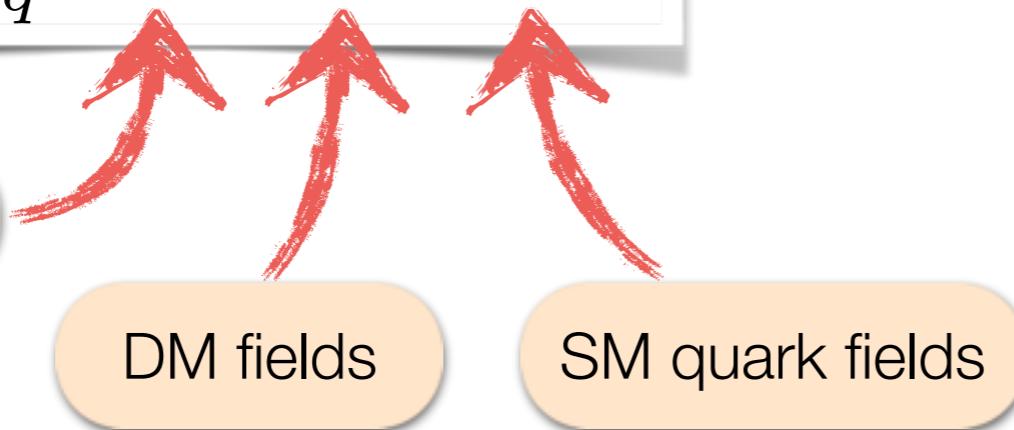
DM fields



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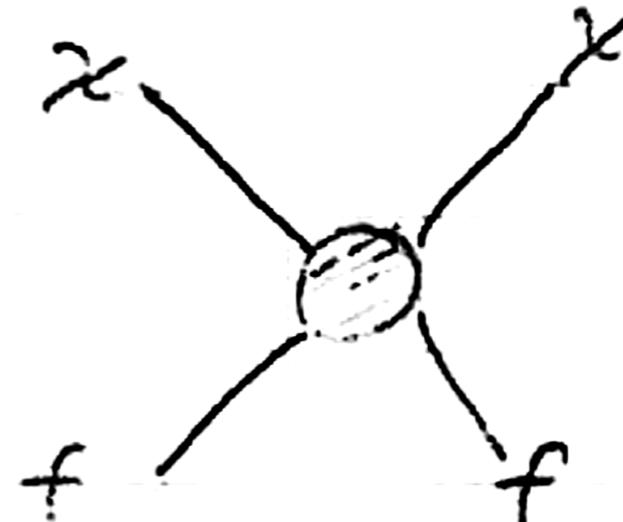
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EFT cutoff scale

DM fields

SM quark fields

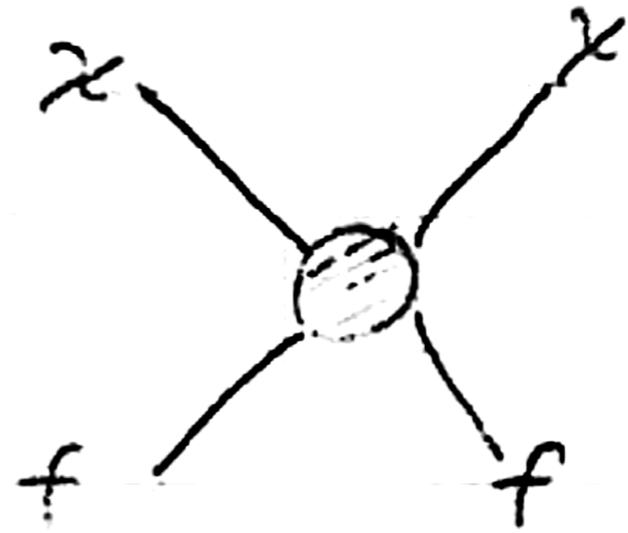


Idea: new scalar mixes with the SM Higgs boson  
➡ couplings to fermions  $\propto$  mass

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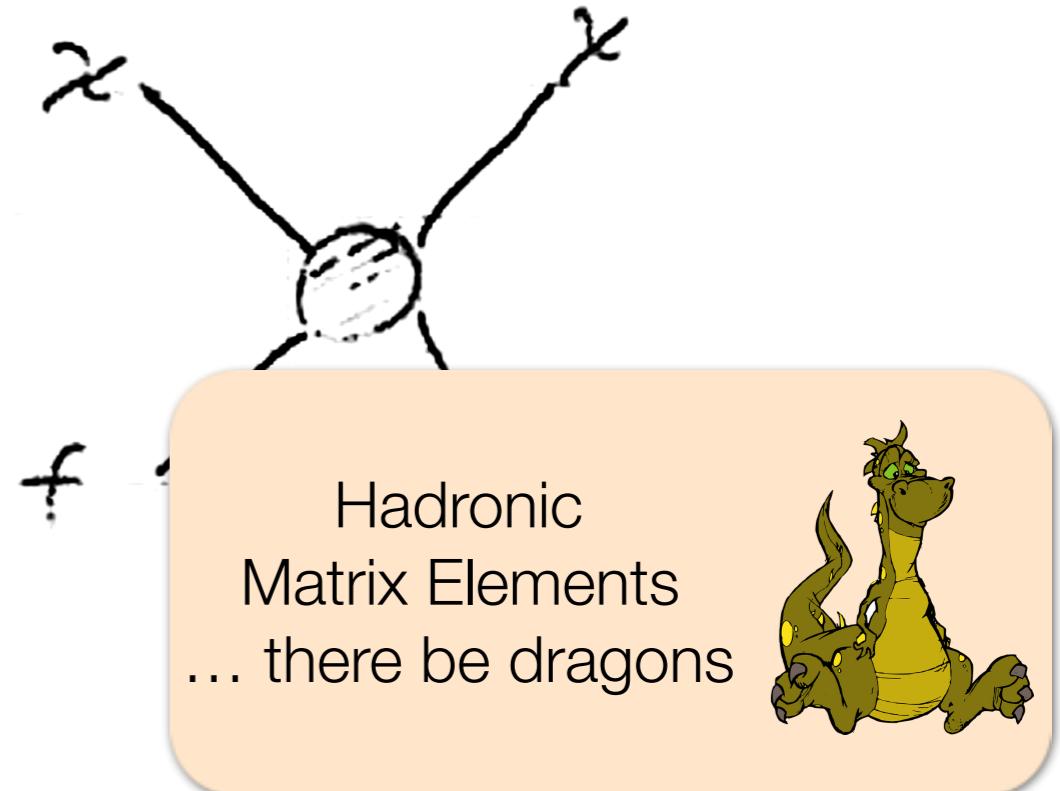
- Non-relativistic matrix element:

$$\frac{1}{4} \overline{|\mathcal{M}|^2} = \frac{16 m_N^2 m_\chi^2}{\Lambda^6} \left[ \sum_q m_q \langle N | \bar{q} q | N \rangle \right]^2$$

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recoil energy

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**DM velocity distribution**  
in Earth rest frame

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**nuclear form factor**

loss of coherence at  
large momentum transfer

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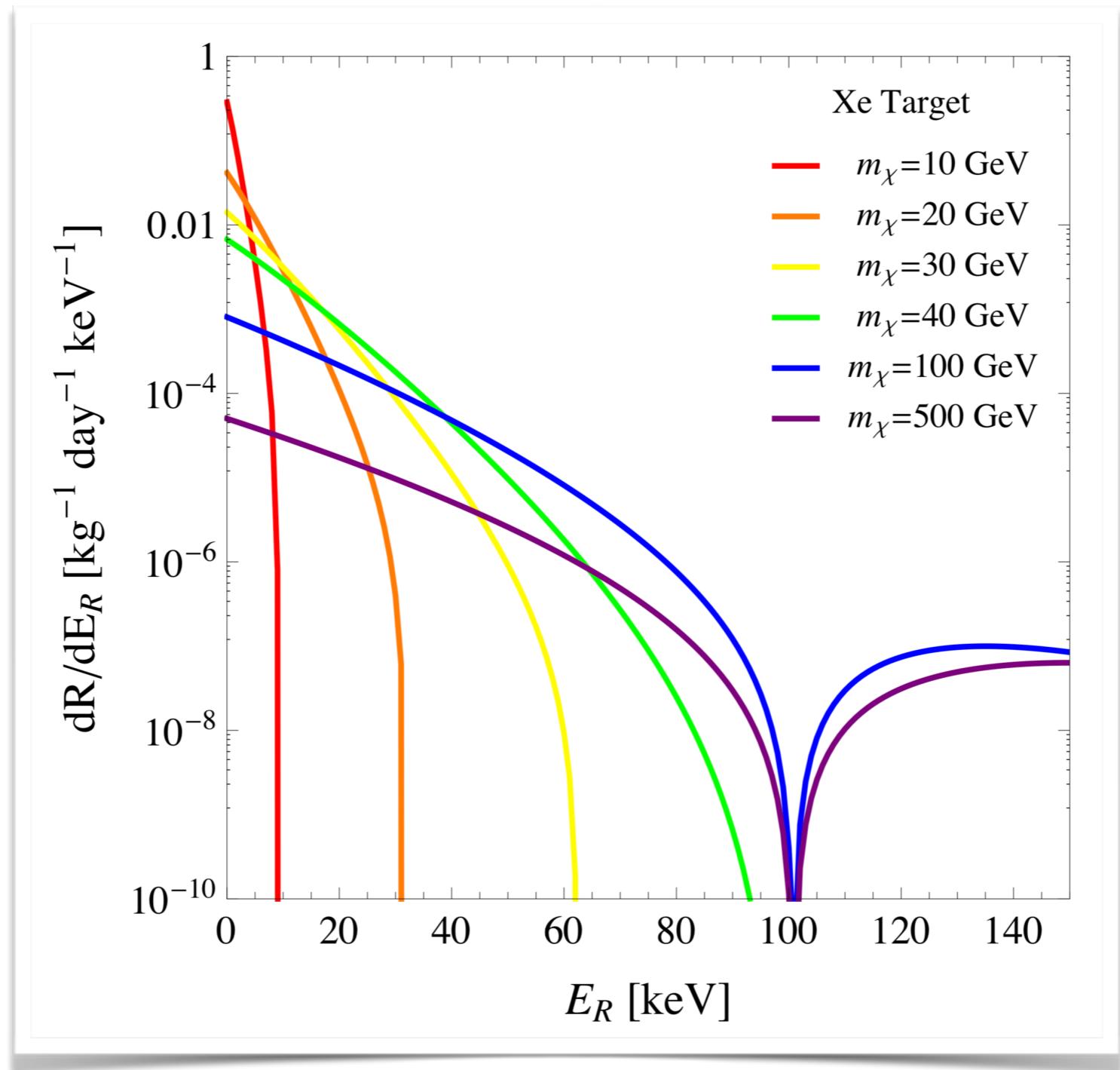
$\frac{\chi N}{E_r}$

kinematic correction factor

- Count rate for scattering on nuclei [cm<sup>2</sup> sec<sup>-1</sup> keV<sup>-1</sup> kg<sup>-1</sup>]

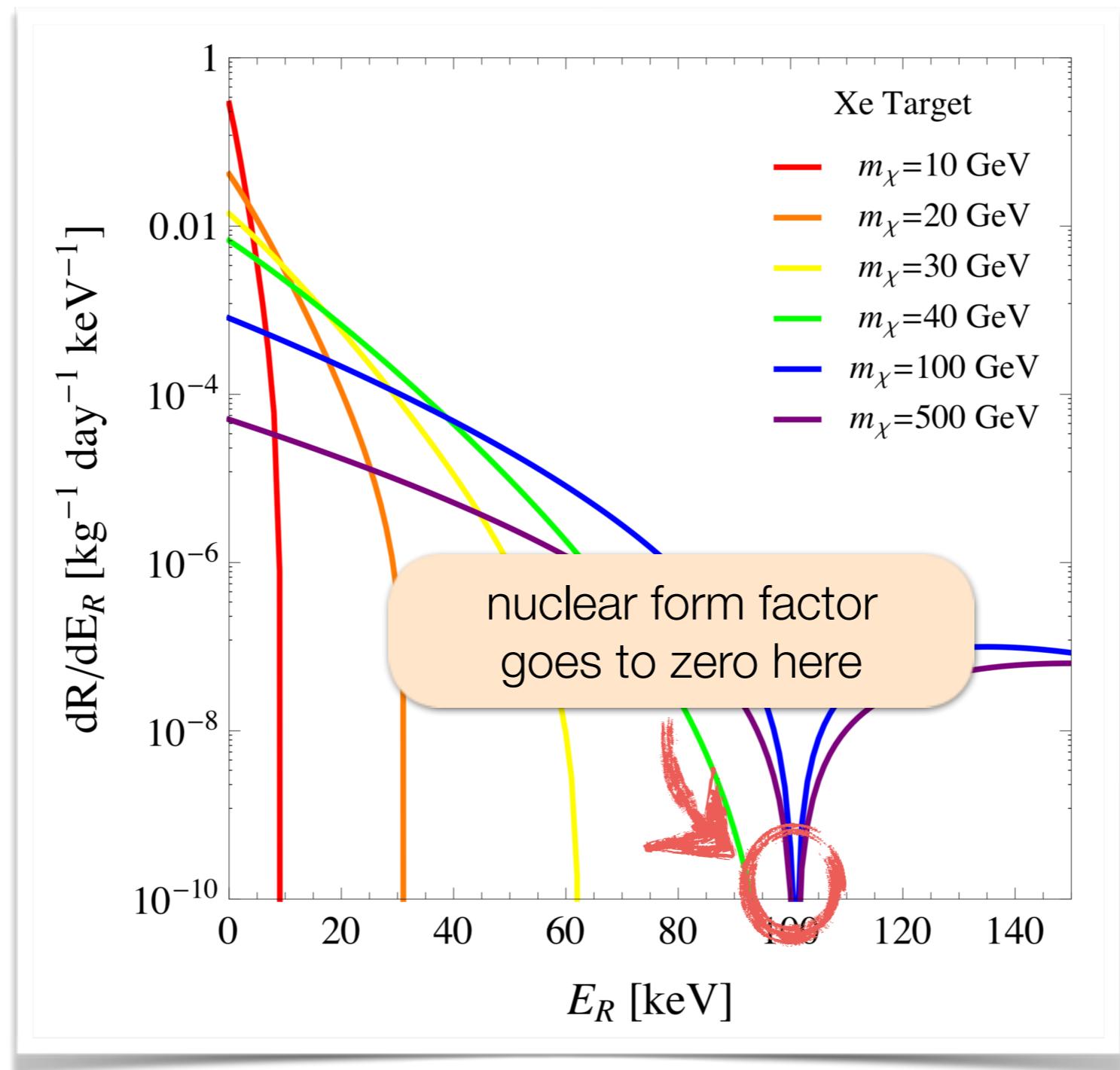
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# Recoil Spectrum



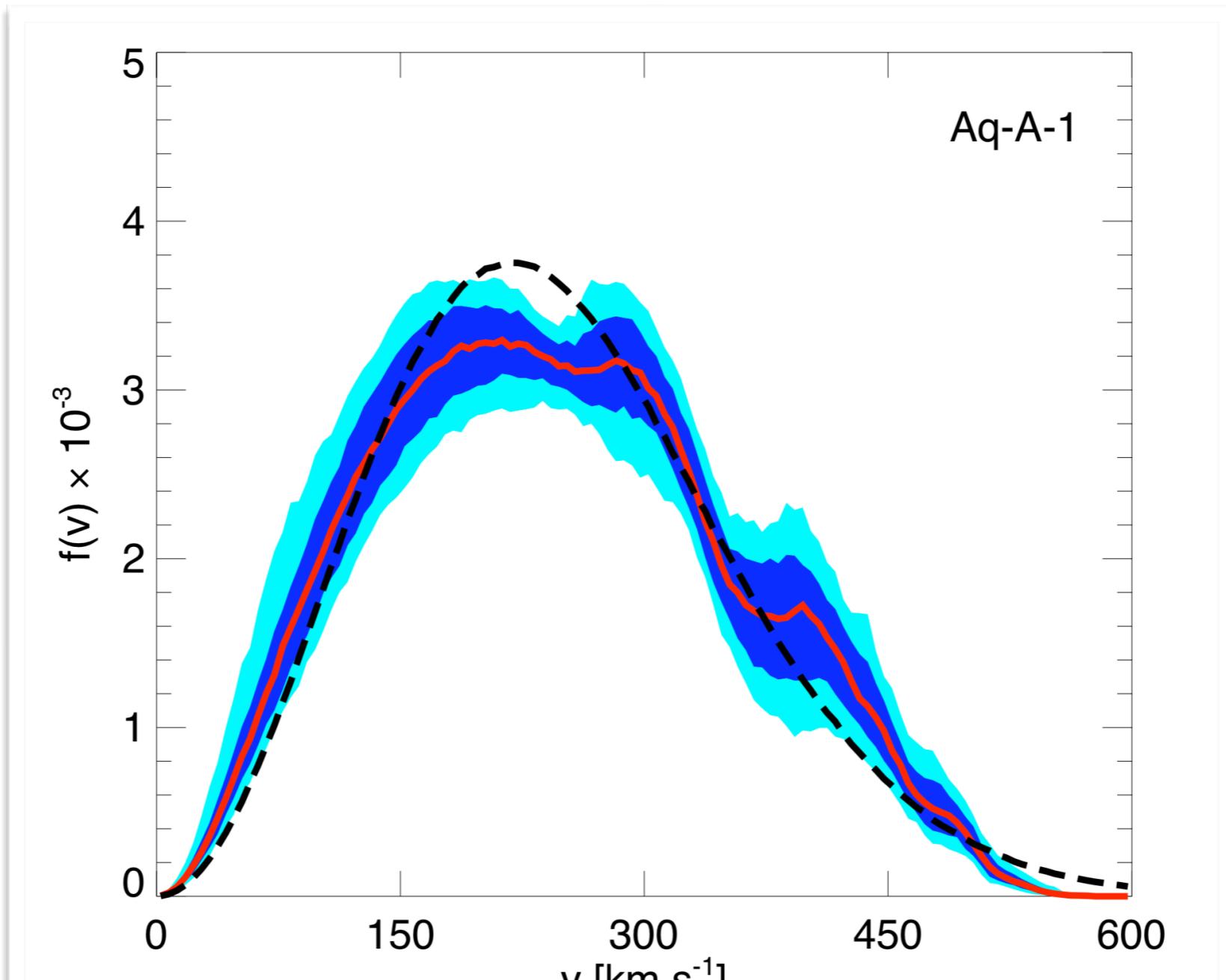
Dienes Kumar Thomas, arXiv:1208.0336

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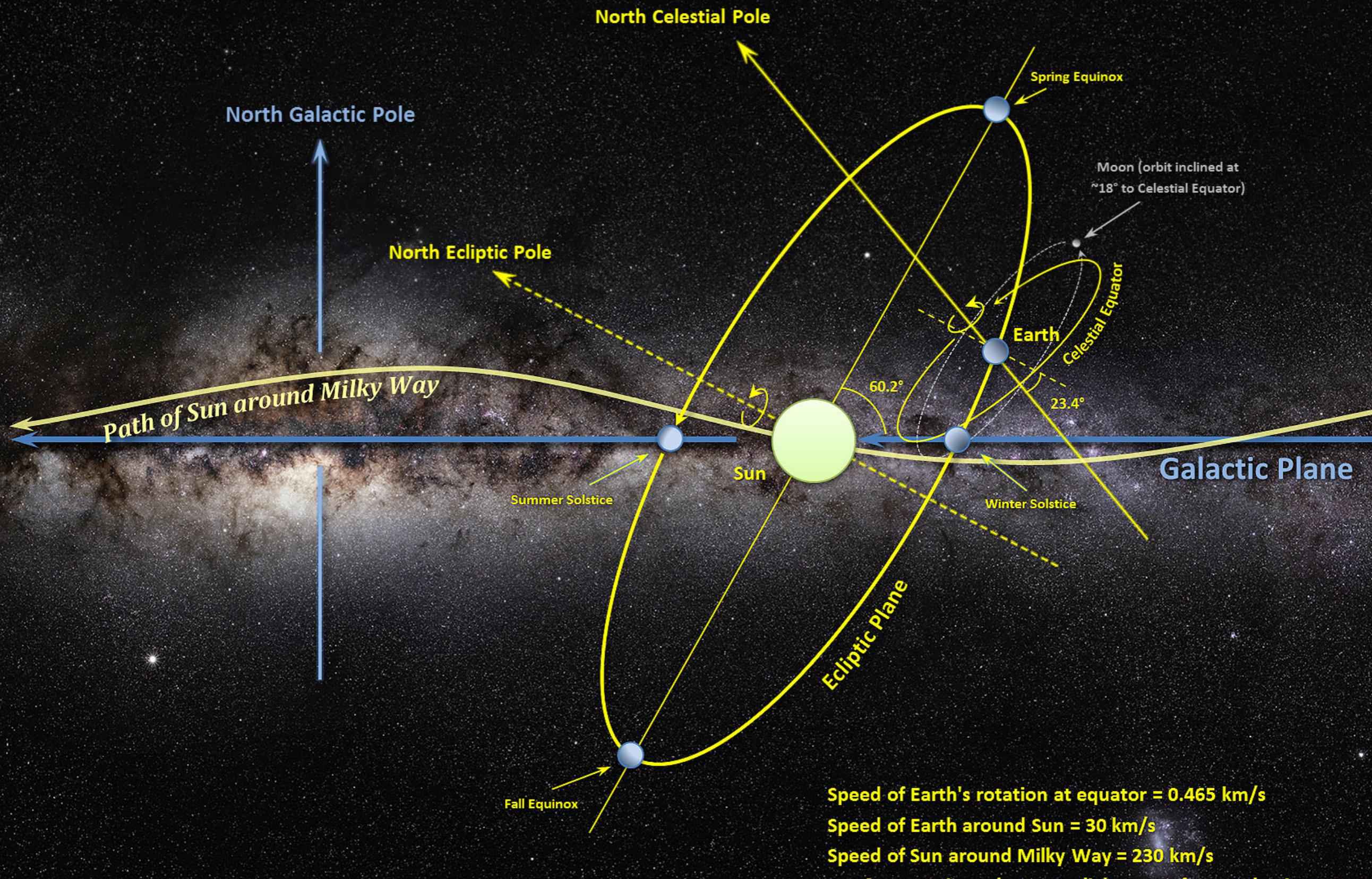
Dienes Kumar Thomas, arXiv:1208.0336

# DM Velocity Distribution (Galactic Rest Frame)



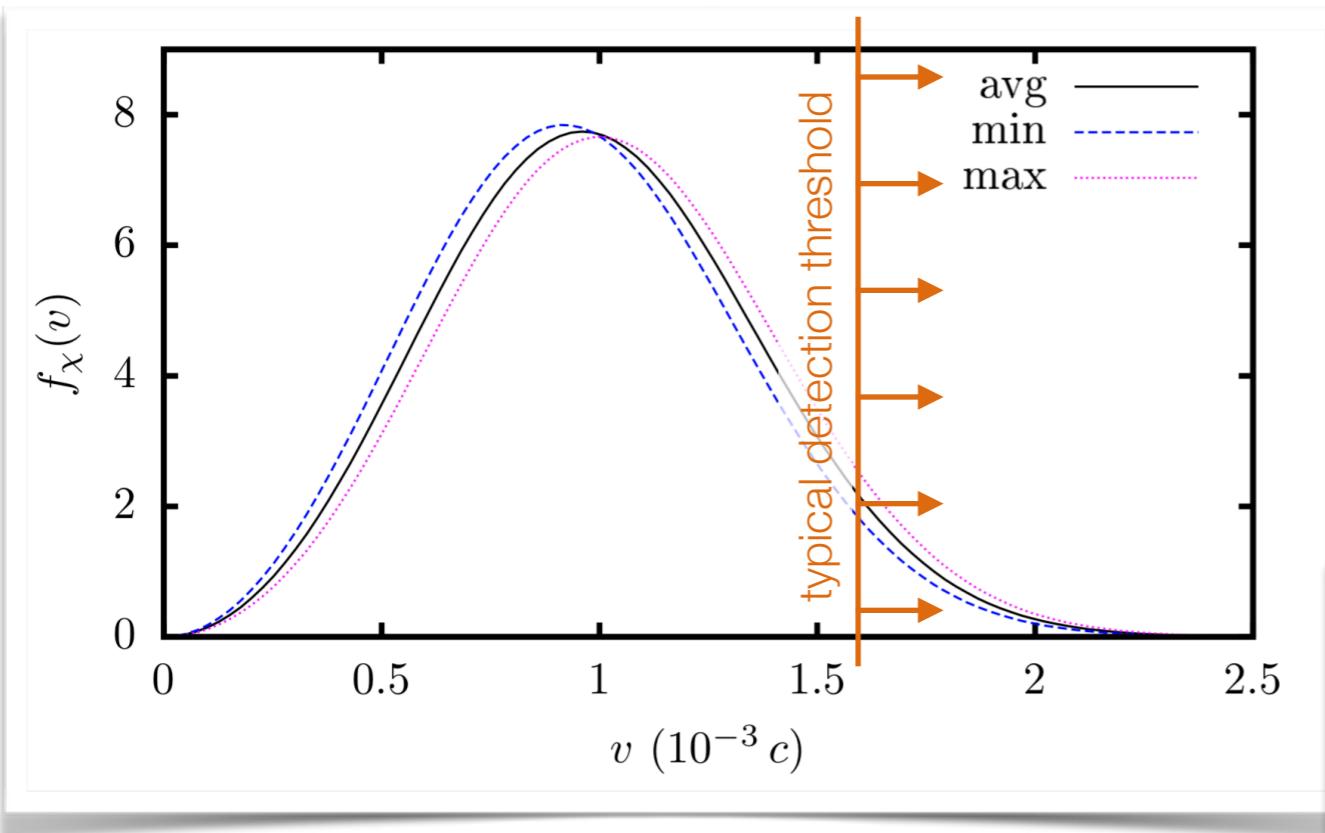
Vogelsberger et al. [arXiv:0812.0362](https://arxiv.org/abs/0812.0362)  
Strigari [arXiv:1211.7090](https://arxiv.org/abs/1211.7090)

# MOTION OF EARTH AND SUN AROUND THE MILKY WAY

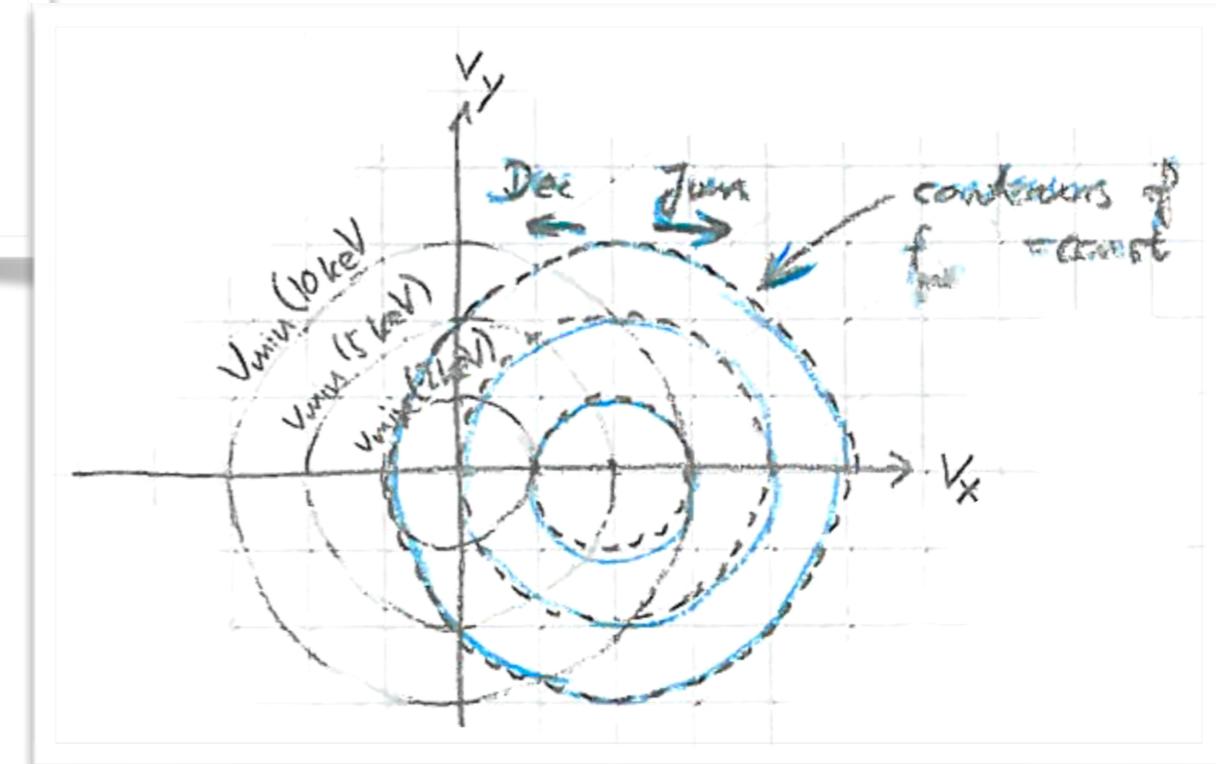


Source: Wikimedia Commons

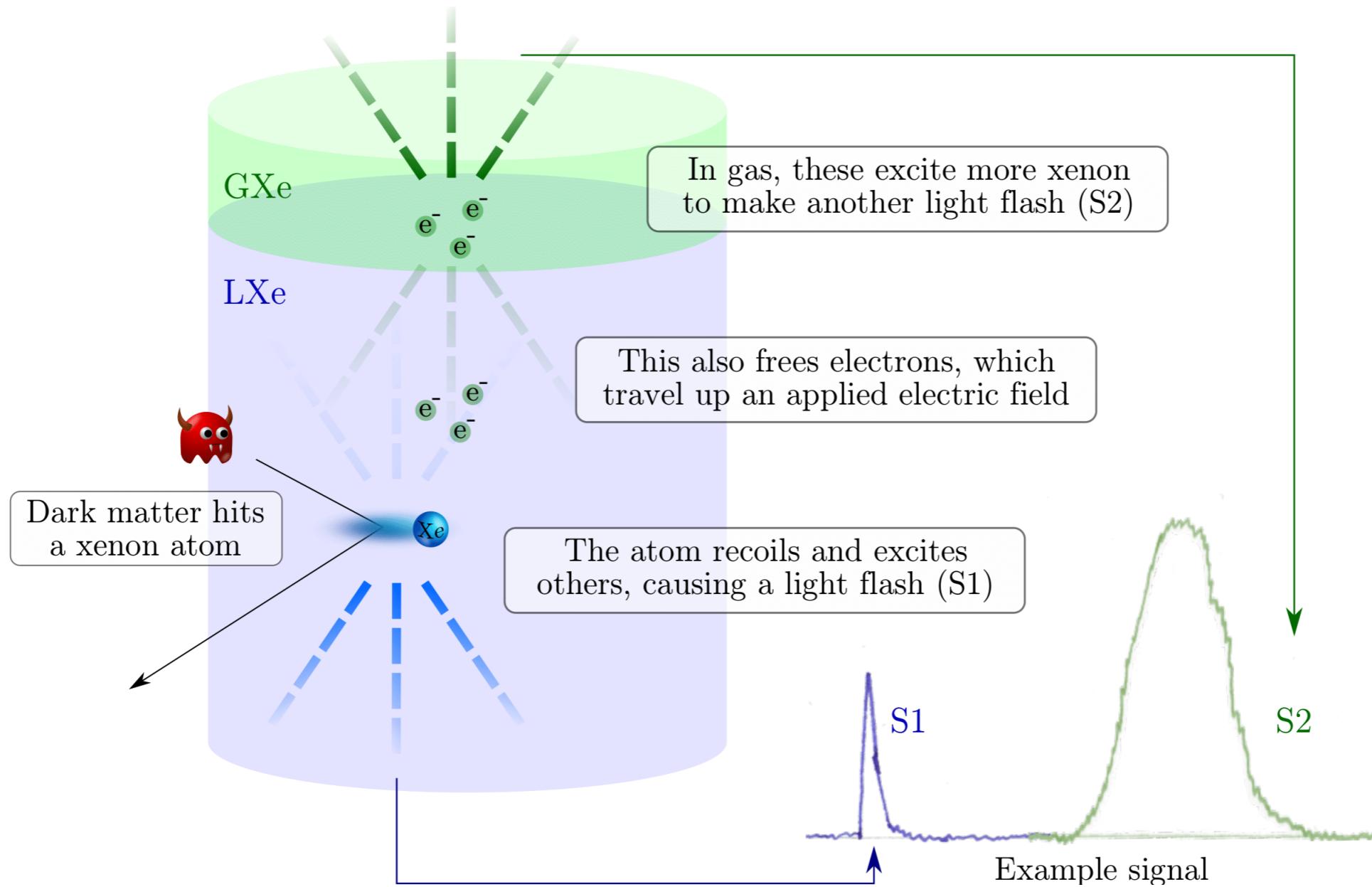
# DM Velocity Distribution: Annual Modulation



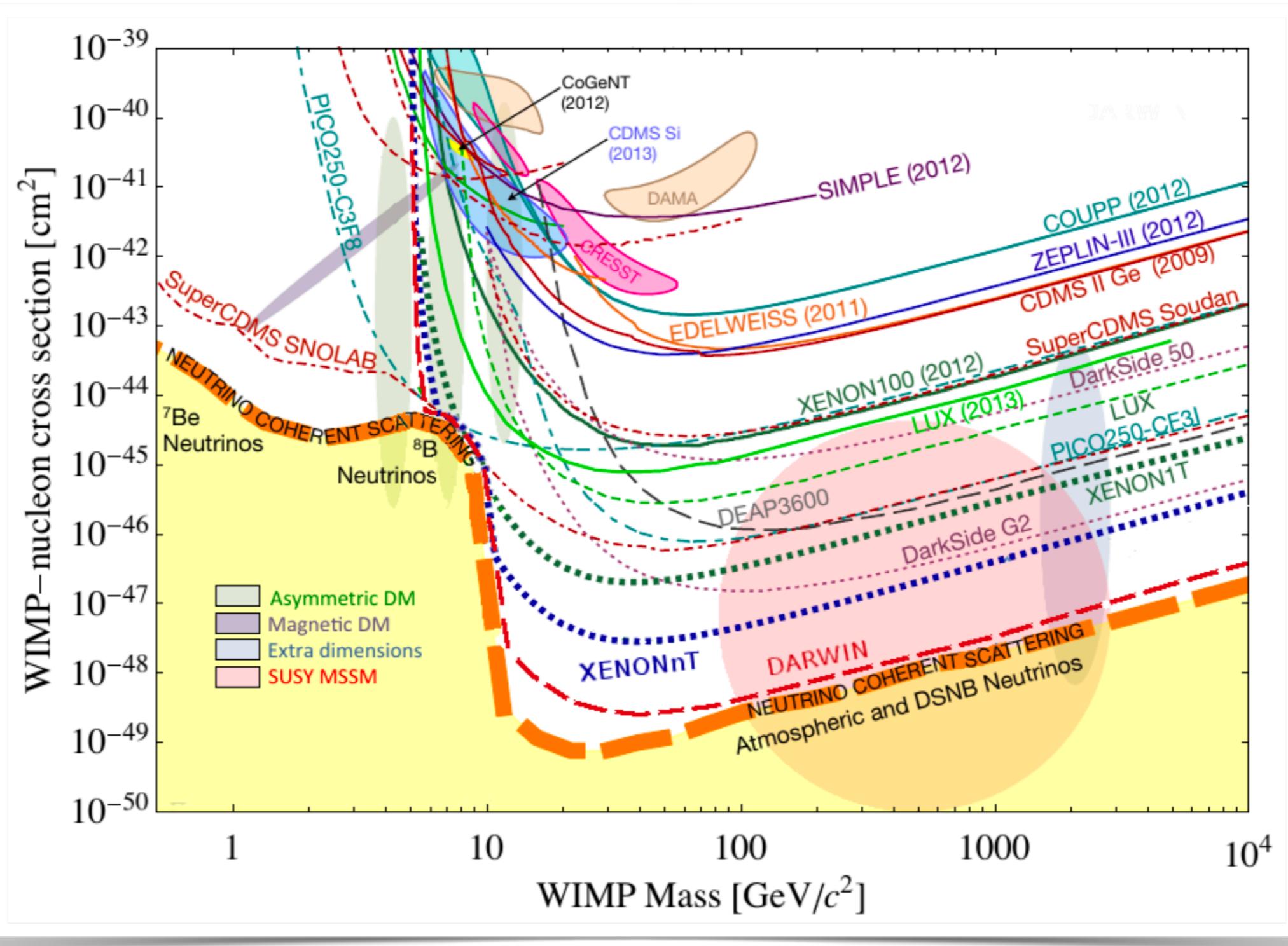
Roberts et al. arXiv:1604.04559



# Direct Detection Experiments

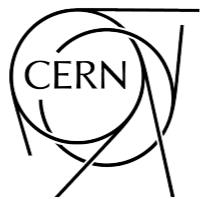


# Direct Detection Results



Klasen Pohl Sigl arXiv:1507.03800

# WIMP Dark Matter: Collider Searches

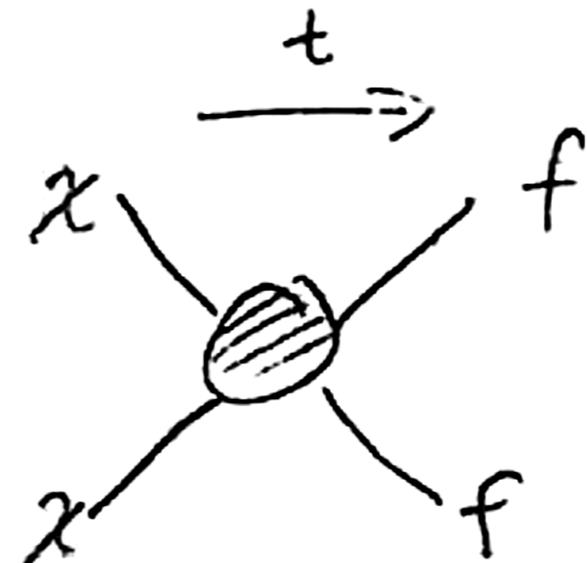


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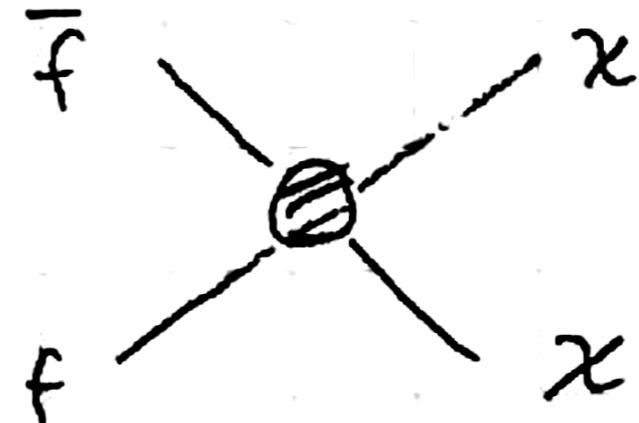


# WIMP Production at Colliders

- Annihilation:



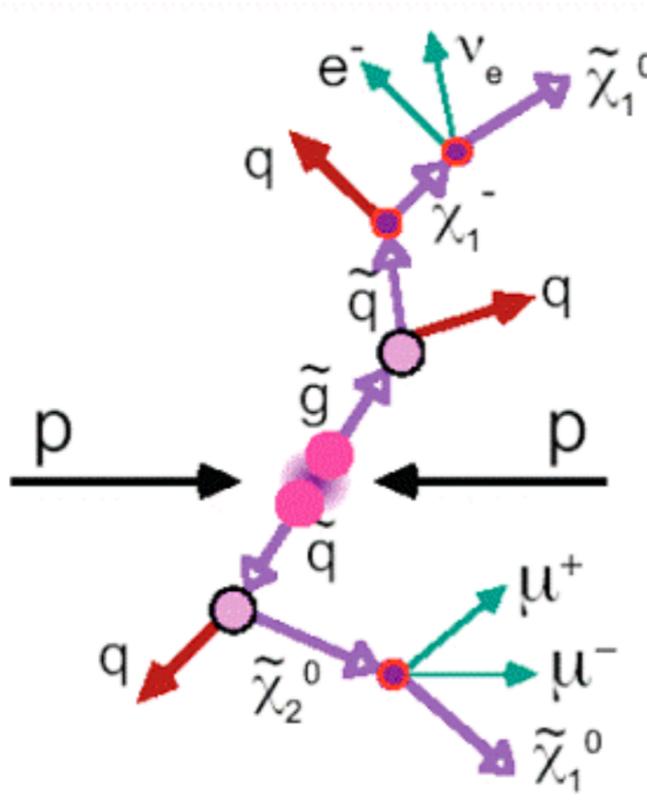
- Rotate diagram by 180°  
➡ DM production



- WIMP Production could be possible at the LHC  
But: WIMPs are invisible to the detectors

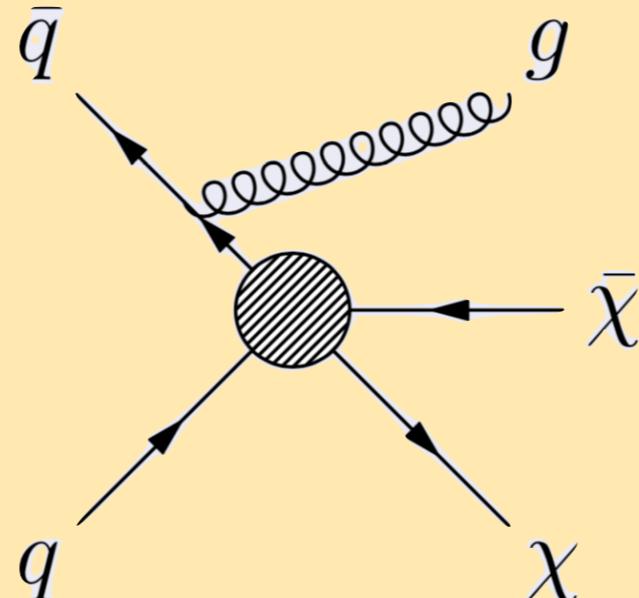
# WIMP Detection at Colliders

## Cascade Decays



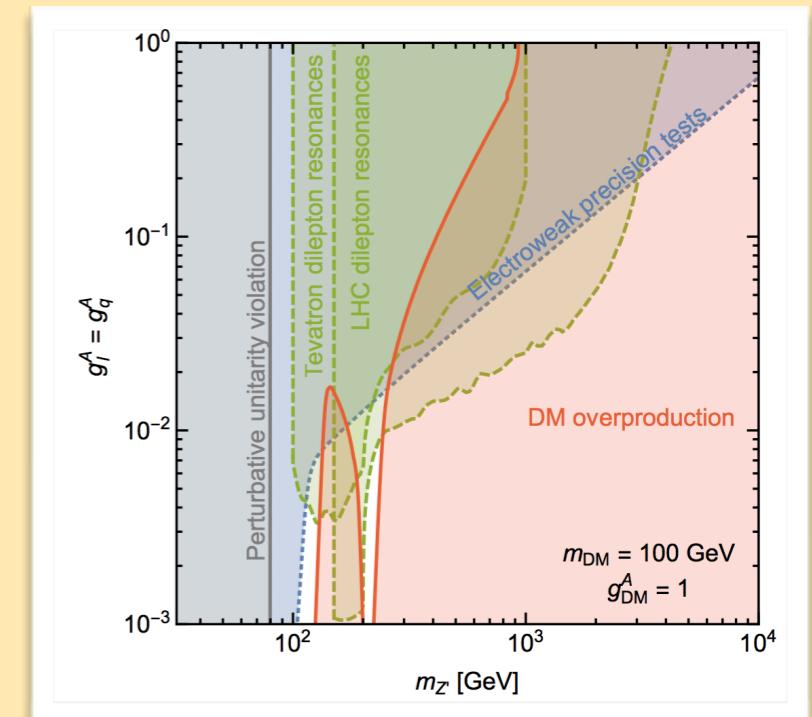
- missing  $p_T$  signatures
- in UV-complete models
- highly model-dependent

## mono-X signatures

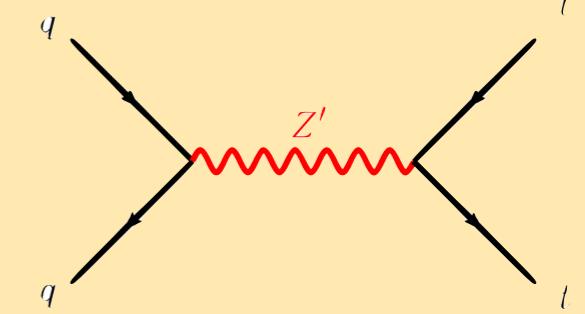


- $X = \text{gluon, photon, ...}$
- more model-independent
- large background

## mediator searches



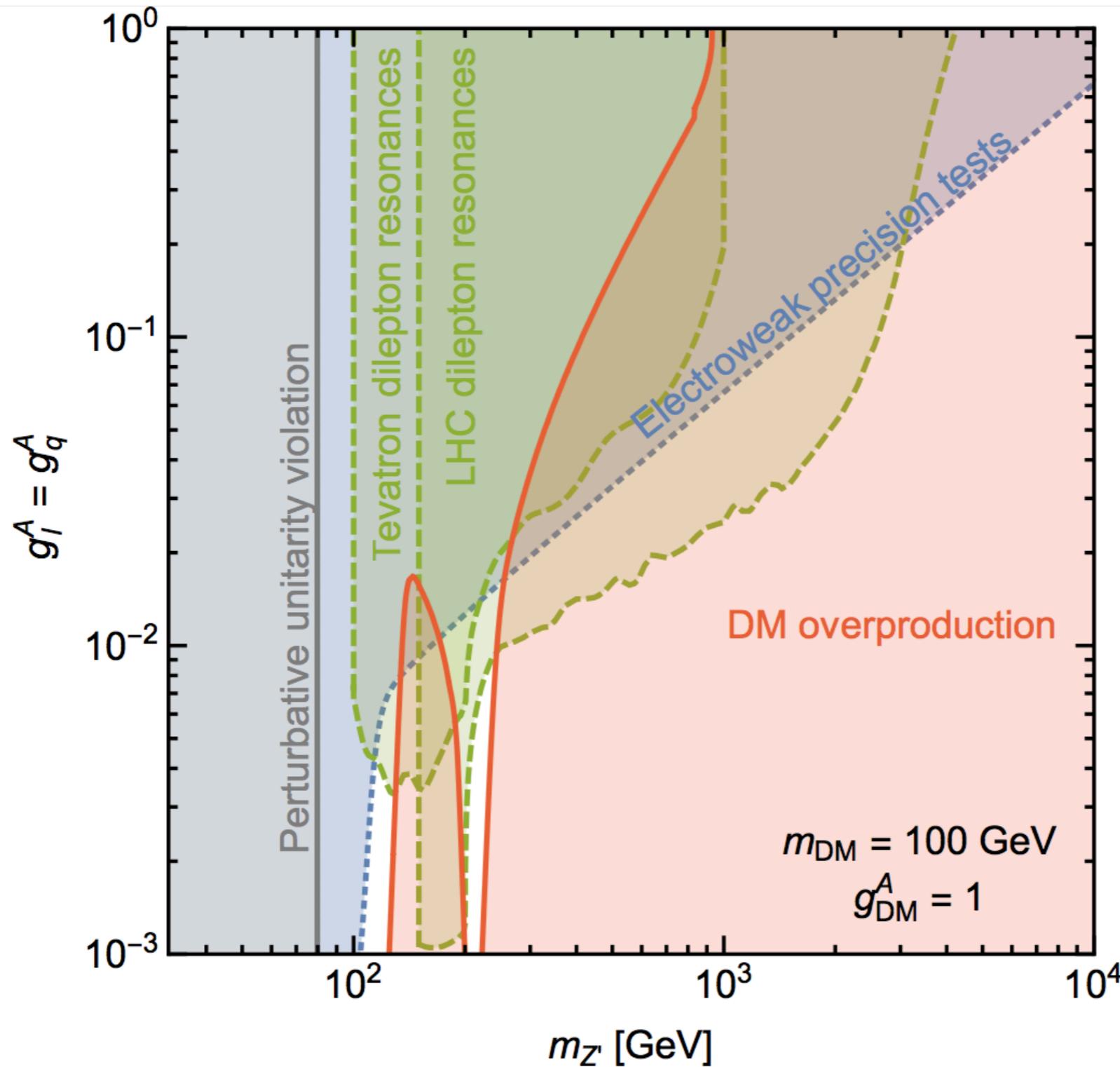
- Mediators of DM–SM interactions often easier to detect than DM itself



# WIMP Detection at Colliders

Ca

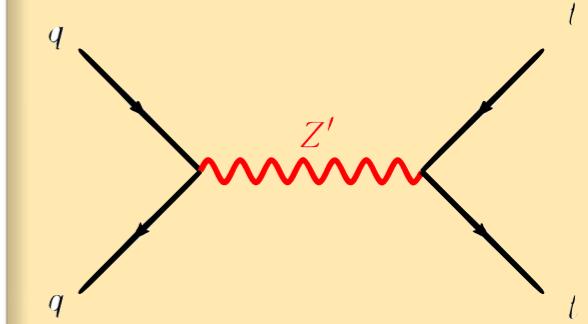
| $\sigma$



- min
- in
- high

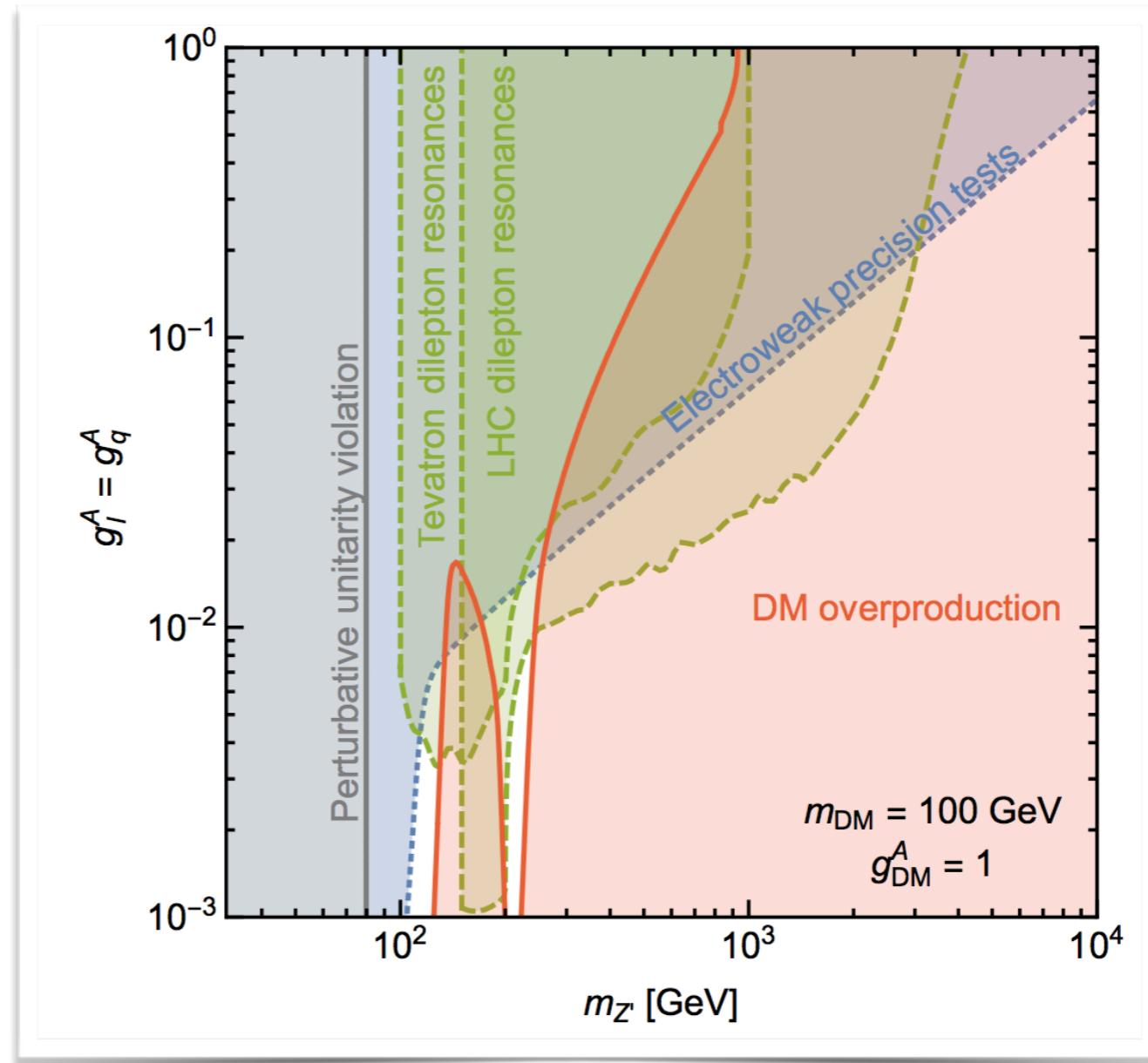
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# WIMP Production at Colliders

Mediators of DM interactions often easier to detect than DM itself



Kahlhoefer Schmidt-Hoberg Schwetz Vogel, 2015

# WIMPs — Take-Home Messages



## Many ways of probing WIMPs

- indirect (charged & neutral cosmic rays)
- direct (scattering on nuclei or electrons)
- collider (production of DM particles)



## Each individual method has shortcomings

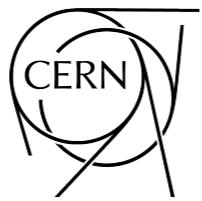
(backgrounds, foregrounds, ...)



## To convince the community, we need

- detections with different methods/messengers
- for indirect detection: signals from different source regions

# Dark Photons



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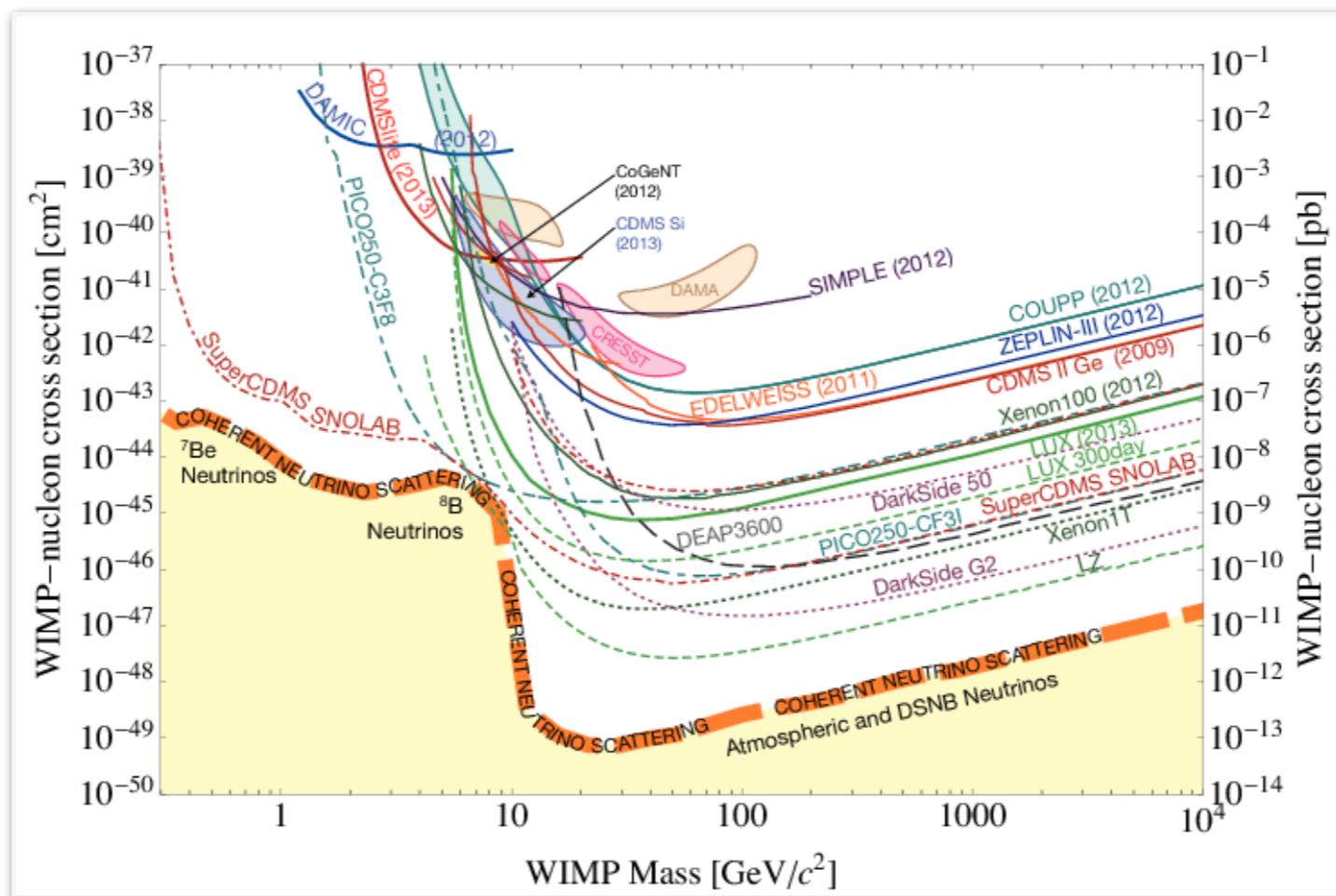
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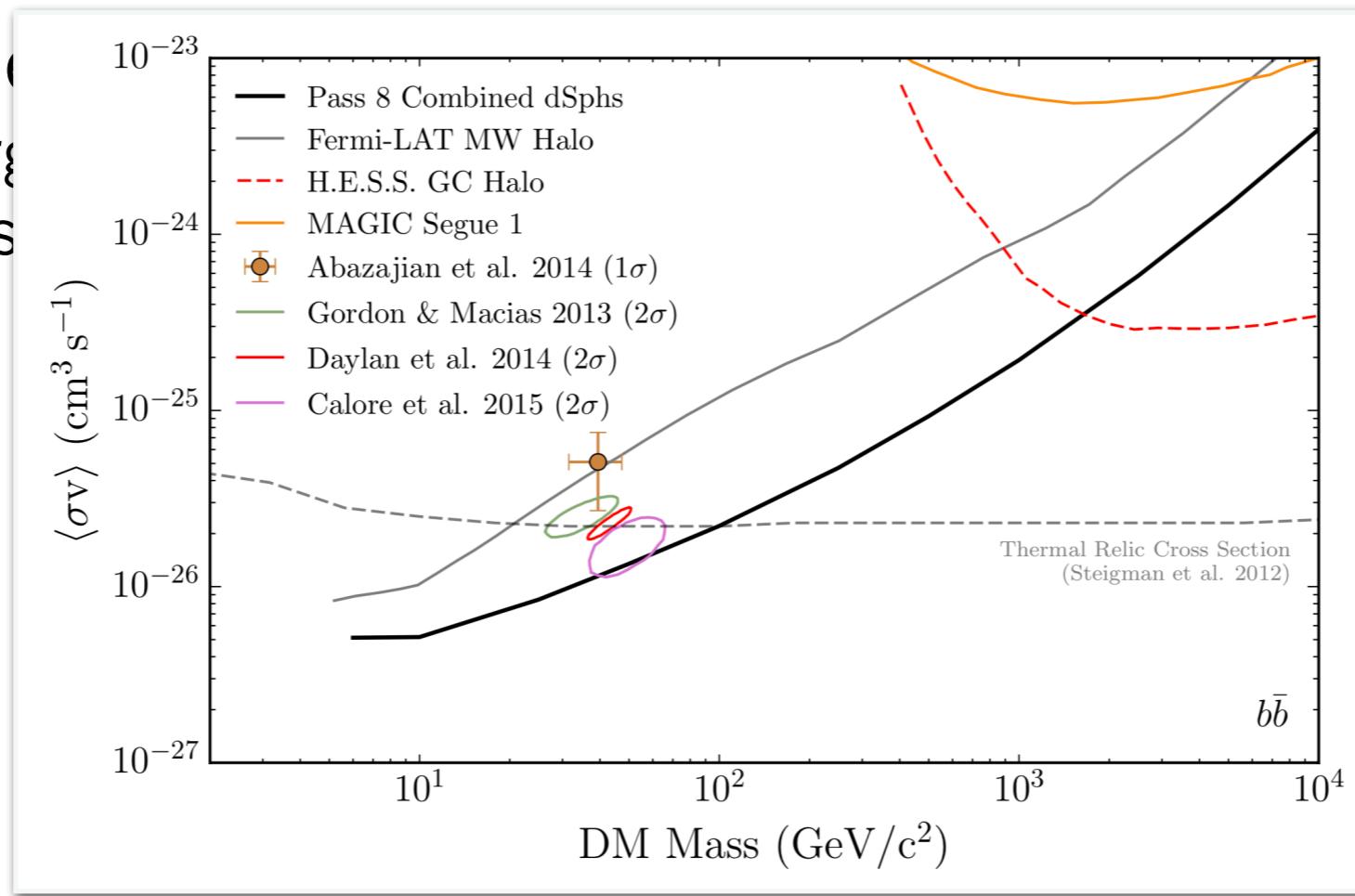


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below threshold for annihilation into  $\gamma$ -rich final states ( $\bar{b}b$ ,  $\tau^+\tau^-$ , ...)
- For light mediator particles, colliders are at relative disadvantage (cross section  $\sigma \sim 1/E_{cm}^2$ )

# Motivation

 Only three possibilities for coupling a total gauge singlet to SM particles through a renormalizable interaction

- Singlet scalar  $S$ : **Higgs portal**  $\mathcal{L} \supset \lambda(H^\dagger H)S^\dagger S$   
(typically implies  $m_S \sim m_H \rightarrow$  back at the electroweak scale)
- Singlet fermion  $N$ : **Neutrino portal**  $\mathcal{L} \supset y\bar{L}(i\sigma^2 H^*)N$   
(relevant for instance for sterile neutrino DM  $\rightarrow$  Christoph Weniger's lectures)
- Singlet gauge boson  $B'$ : **kinetic mixing**  $\mathcal{L} \supset -\frac{1}{2} \sin \chi F_Y^{\mu\nu} F'_{\mu\nu}$

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field strength tensor

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$B'_\mu$  field strength tensor

# Dark Photons and Dark Matter

- Dark Photons could either make up the dark matter ...
- ... or act as mediator of DM—SM couplings

# Dark Photons: Formalism

$$\mathcal{L} \supset -\frac{1}{2} \sin \chi F_Y^{\mu\nu} F'_{\mu\nu}$$

- Remove kinetic mixing term by transformation

$$\begin{pmatrix} B_\mu \\ B'_\mu \end{pmatrix} = \begin{pmatrix} 1 & -\tan \chi \\ 0 & \sec \chi \end{pmatrix} \begin{pmatrix} \tilde{B}_\mu \\ \tilde{B}'_\mu \end{pmatrix}$$

to ensure  $B$  and  $B'$  have standard kinetic terms  
(necessary for proper definition and normalization of 1-particle states)  
Note: this trafo does not change the SM hypercharge couplings.

- Electroweak symmetry breaking mixes  $B$  and  $W$ :

$$\begin{pmatrix} \tilde{A}_\mu \\ \tilde{Z}_\mu \\ \tilde{Z}'_\mu \end{pmatrix} = \begin{pmatrix} \cos \theta_w & \sin \theta_w & 0 \\ -\sin \theta_w & \cos \theta_w & 0 \\ 0 & 0 & 1 \end{pmatrix} \begin{pmatrix} \tilde{B}_\mu \\ W_\mu^3 \\ \tilde{B}'_\mu \end{pmatrix}$$

see for instance arXiv:0903.1118

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$\theta_w$  is defined such that  $\tilde{\mathbf{A}}$  is massless.

$\tilde{Z}$  and  $\tilde{Z}'$  have mass term of the form

$$\frac{1}{2} \begin{pmatrix} \tilde{Z}_\mu & \tilde{Z}'_\mu \end{pmatrix} \begin{pmatrix} m^2 & -\Delta \\ -\Delta & M^2 \end{pmatrix} \begin{pmatrix} \tilde{Z}^\mu \\ \tilde{Z}'^\mu \end{pmatrix}$$

Diagonalized by rotation

$$\begin{pmatrix} Z_- \\ Z_+ \end{pmatrix} = \begin{pmatrix} \cos \zeta & -\sin \zeta \\ \sin \zeta & \cos \zeta \end{pmatrix} \begin{pmatrix} \tilde{Z}^\mu \\ \tilde{Z}'^\mu \end{pmatrix}$$

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# Dark Photons: Formalism

$$\mathcal{L} \supset -\frac{1}{2} \sin \chi F_Y^{\mu\nu} F'_{\mu\nu}$$

$$\begin{pmatrix} B_\mu \\ B'_\mu \end{pmatrix} = \begin{pmatrix} 1 & -\tan \chi \\ 0 & \sec \chi \end{pmatrix} \begin{pmatrix} \tilde{B}_\mu \\ \tilde{B}'_\mu \end{pmatrix} \quad \begin{pmatrix} \tilde{A}_\mu \\ \tilde{Z}_\mu \\ \tilde{Z}'_\mu \end{pmatrix} = \begin{pmatrix} \cos \theta_w & \sin \theta_w & 0 \\ -\sin \theta_w & \cos \theta_w & 0 \\ 0 & 0 & 1 \end{pmatrix} \begin{pmatrix} \tilde{B}_\mu \\ W_\mu^3 \\ \tilde{B}'_\mu \end{pmatrix}$$

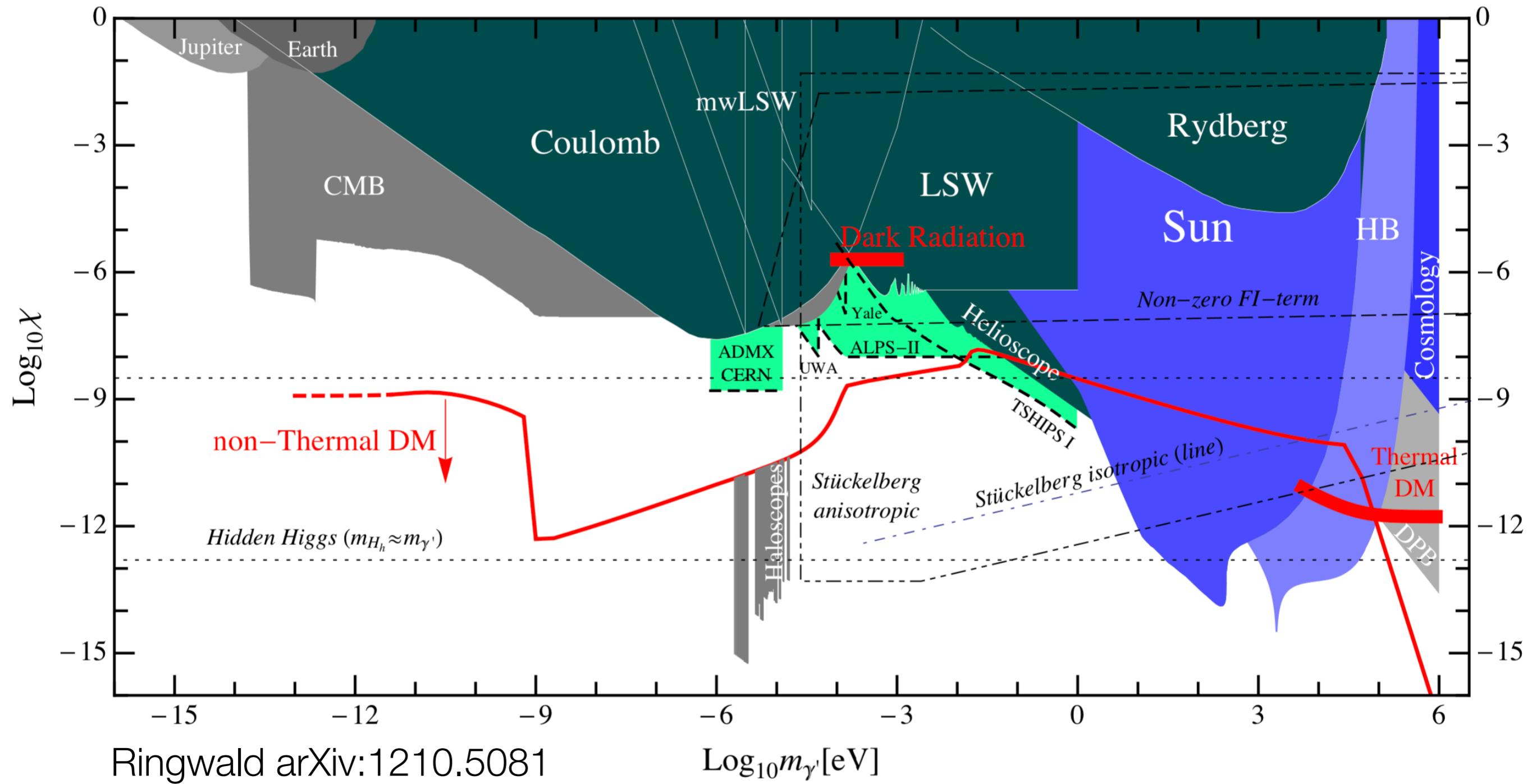
$$\begin{pmatrix} Z_- \\ Z_+ \end{pmatrix} = \begin{pmatrix} \cos \zeta & -\sin \zeta \\ \sin \zeta & \cos \zeta \end{pmatrix} \begin{pmatrix} \tilde{Z}^\mu \\ \tilde{Z}'^\mu \end{pmatrix}$$

Couplings to SM currents in the new basis:

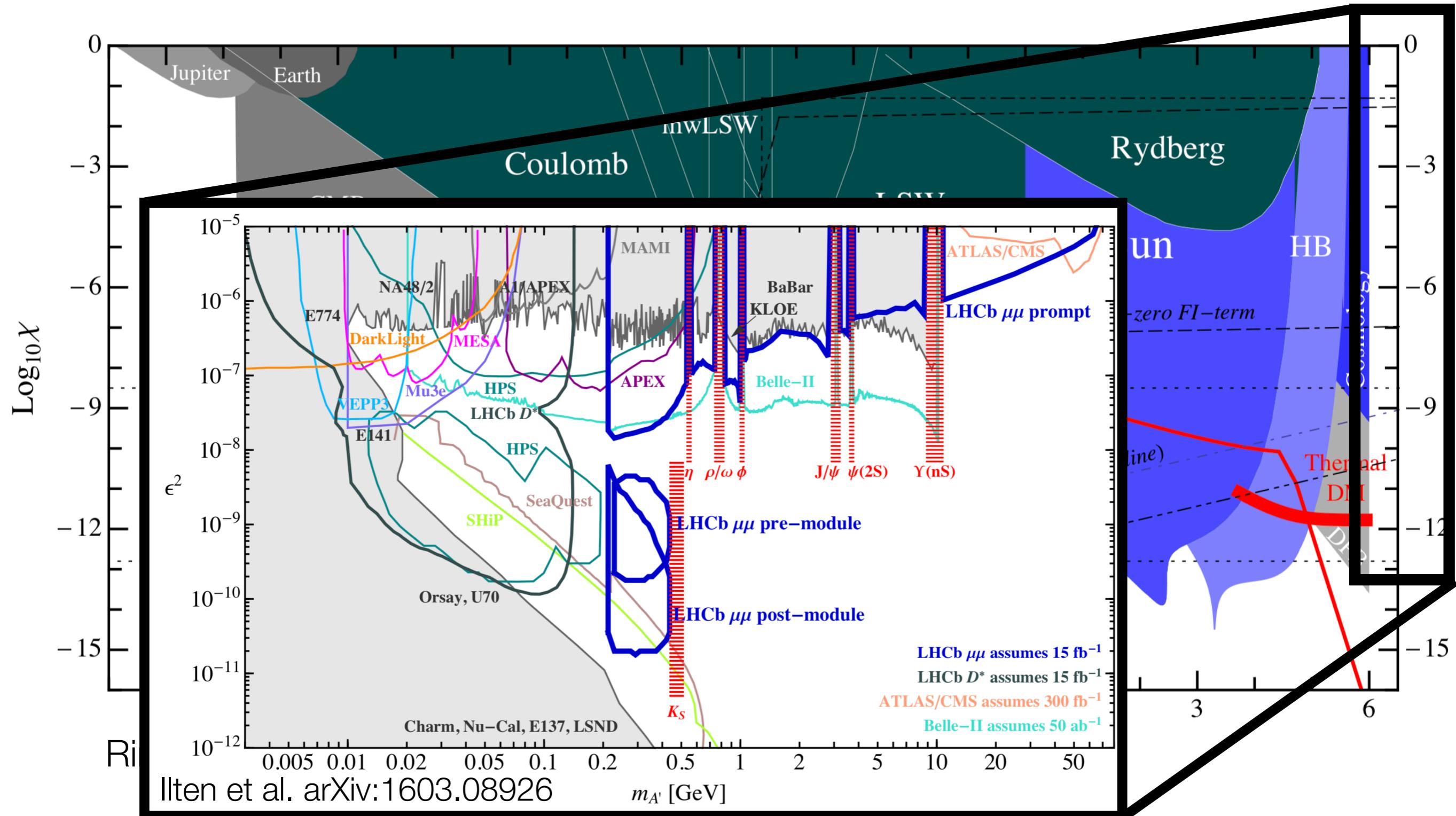
$$\begin{pmatrix} J_A \\ J_Z \\ J_{Z'} \end{pmatrix} = \begin{pmatrix} 1 & 0 & 0 \\ -\cos \theta_w \tan \chi \sin \zeta & \sin \theta_w \tan \chi \sin \zeta + \cos \zeta & \sec \chi \sin \zeta \\ -\cos \theta_w \tan \chi \cos \zeta & \sin \theta_w \tan \chi \cos \zeta - \sin \zeta & \sec \chi \cos \zeta \end{pmatrix} \begin{pmatrix} J_{\text{EM}}^{\text{SM}} \\ J_Z^{\text{SM}} \\ J' \end{pmatrix}$$

Note: photon couplings unchanged (related to unbroken U(1)<sub>em</sub>)

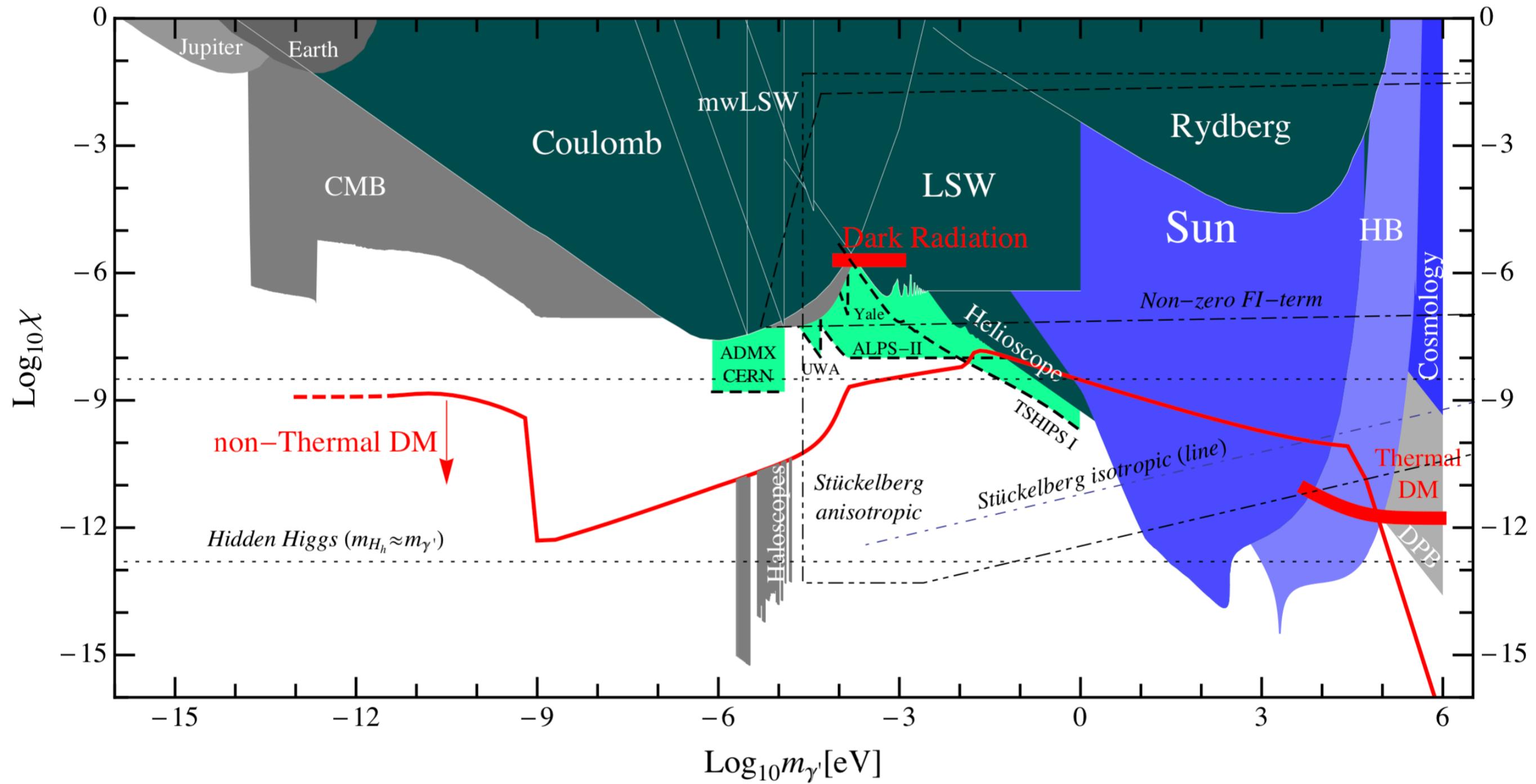
# Dark Photon Constraints



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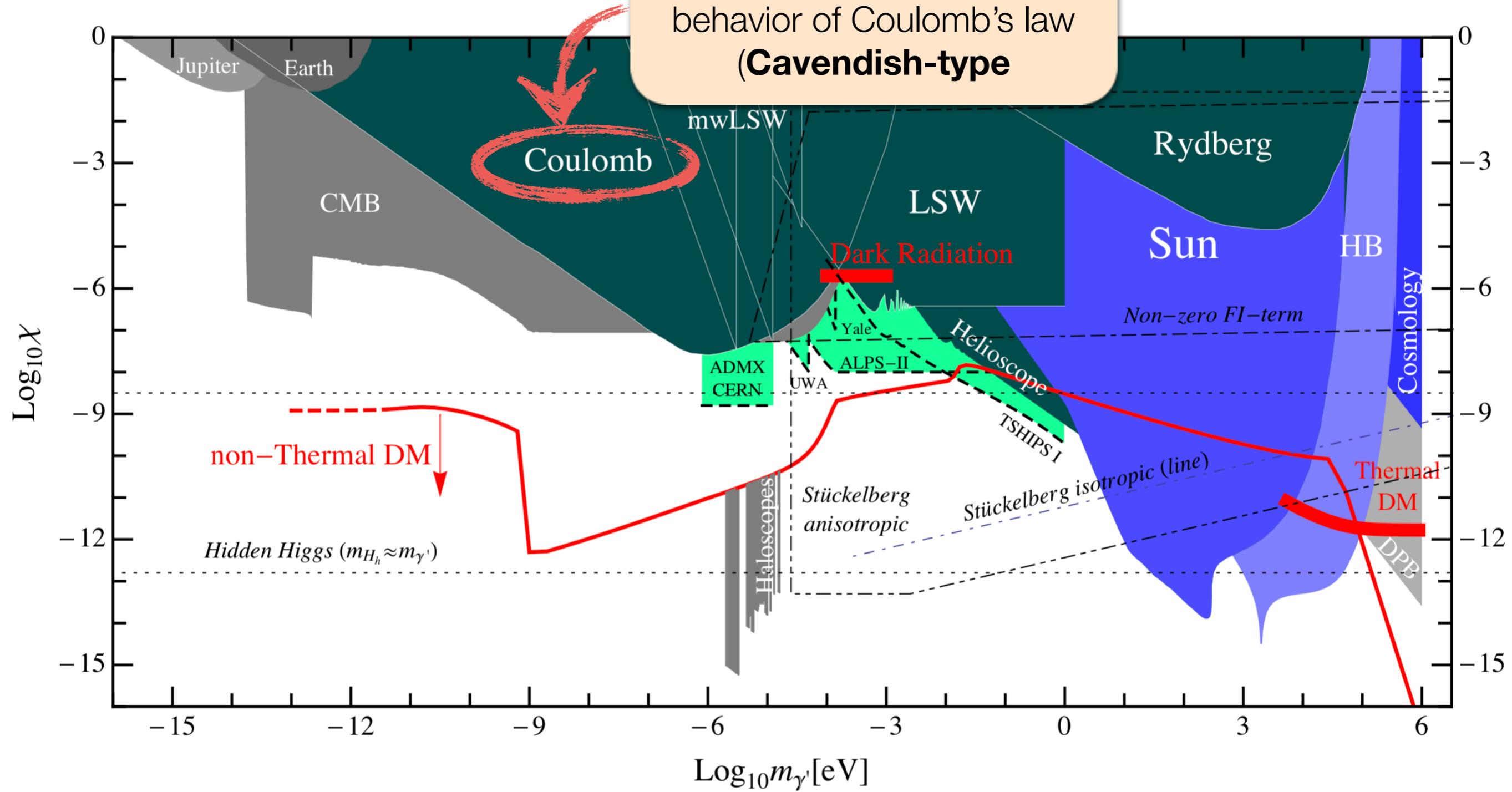


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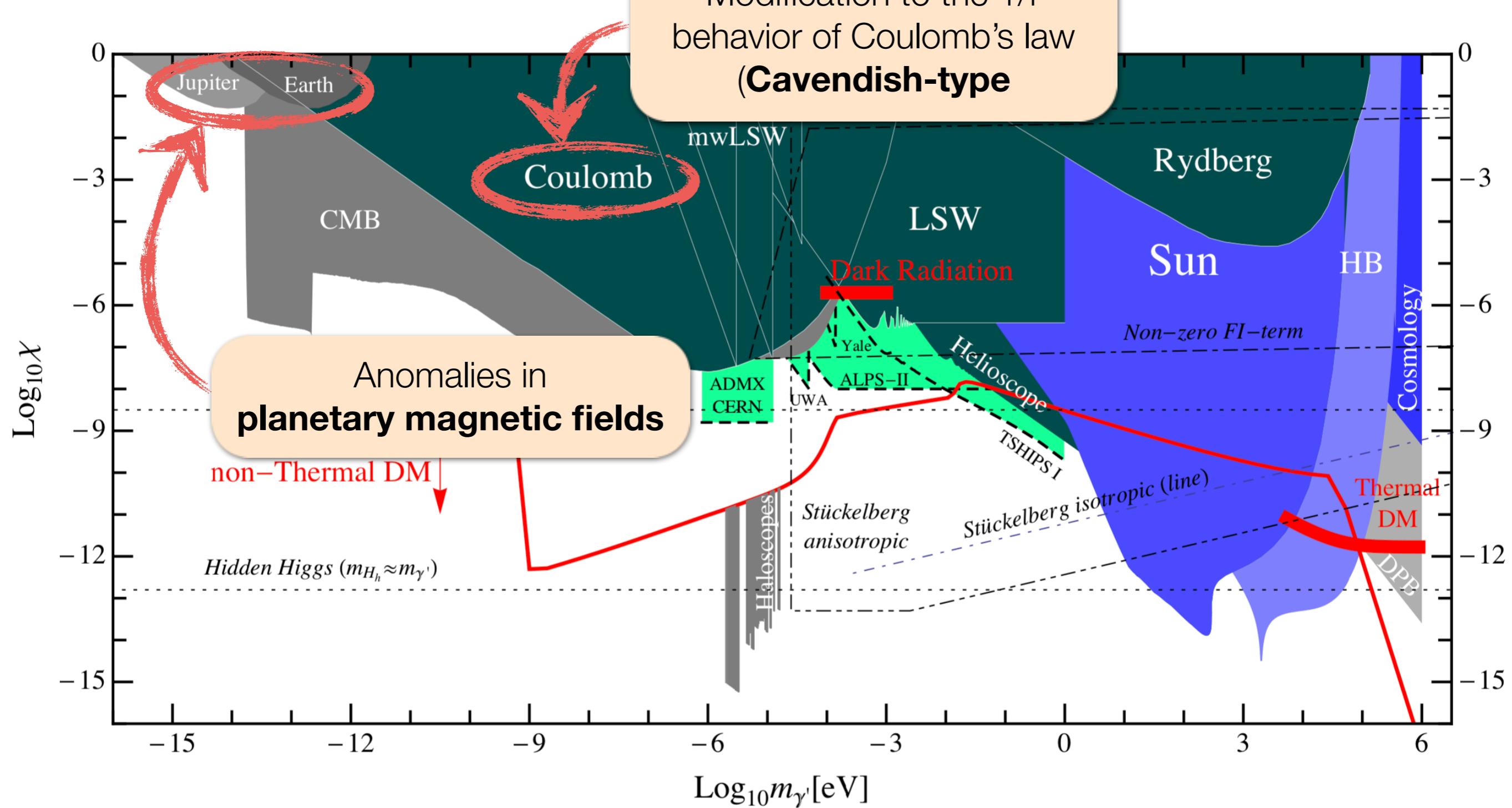


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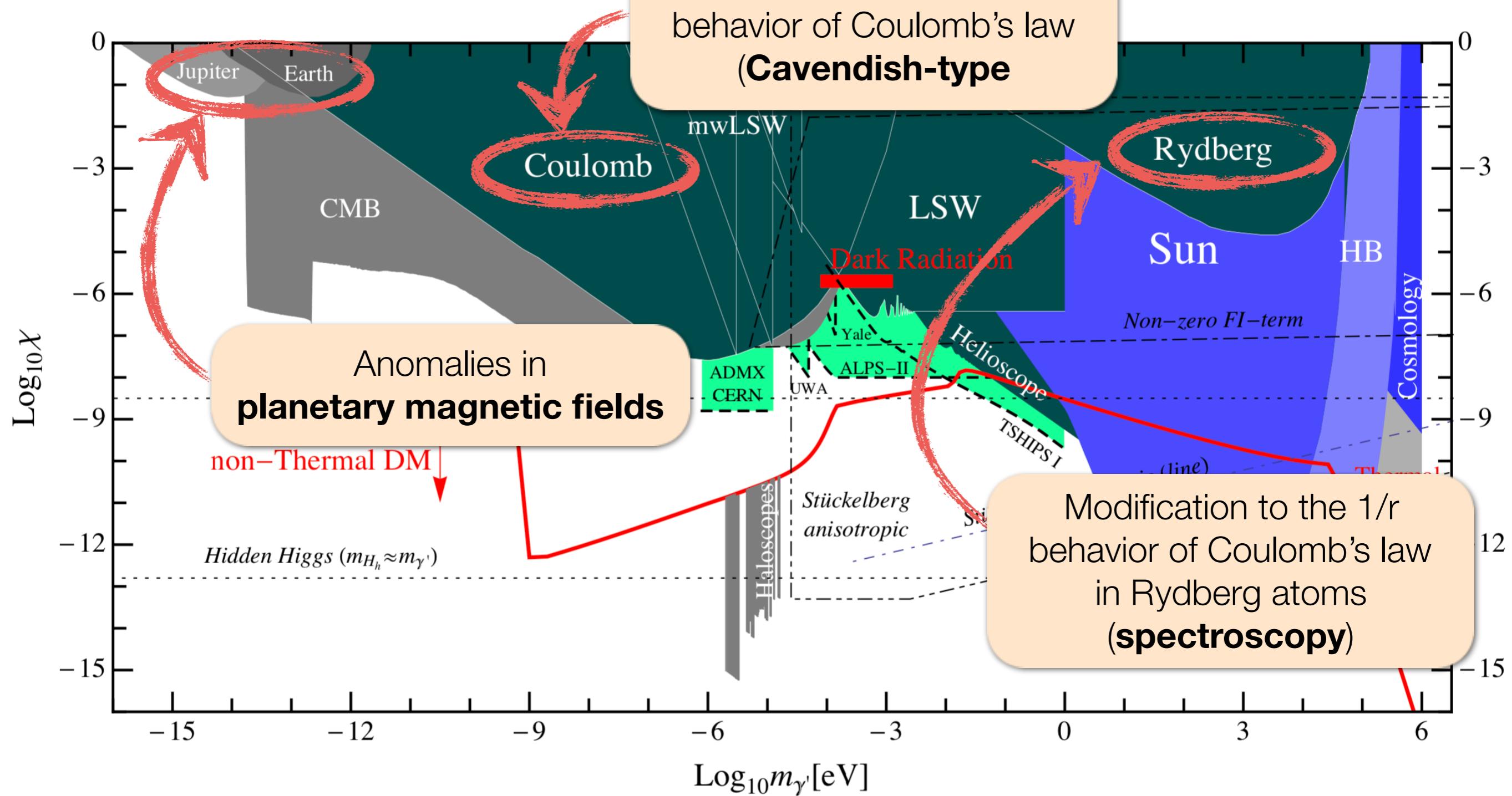
Modification to the  $1/r$  behavior of Coulomb's law  
**(Cavendish-type)**



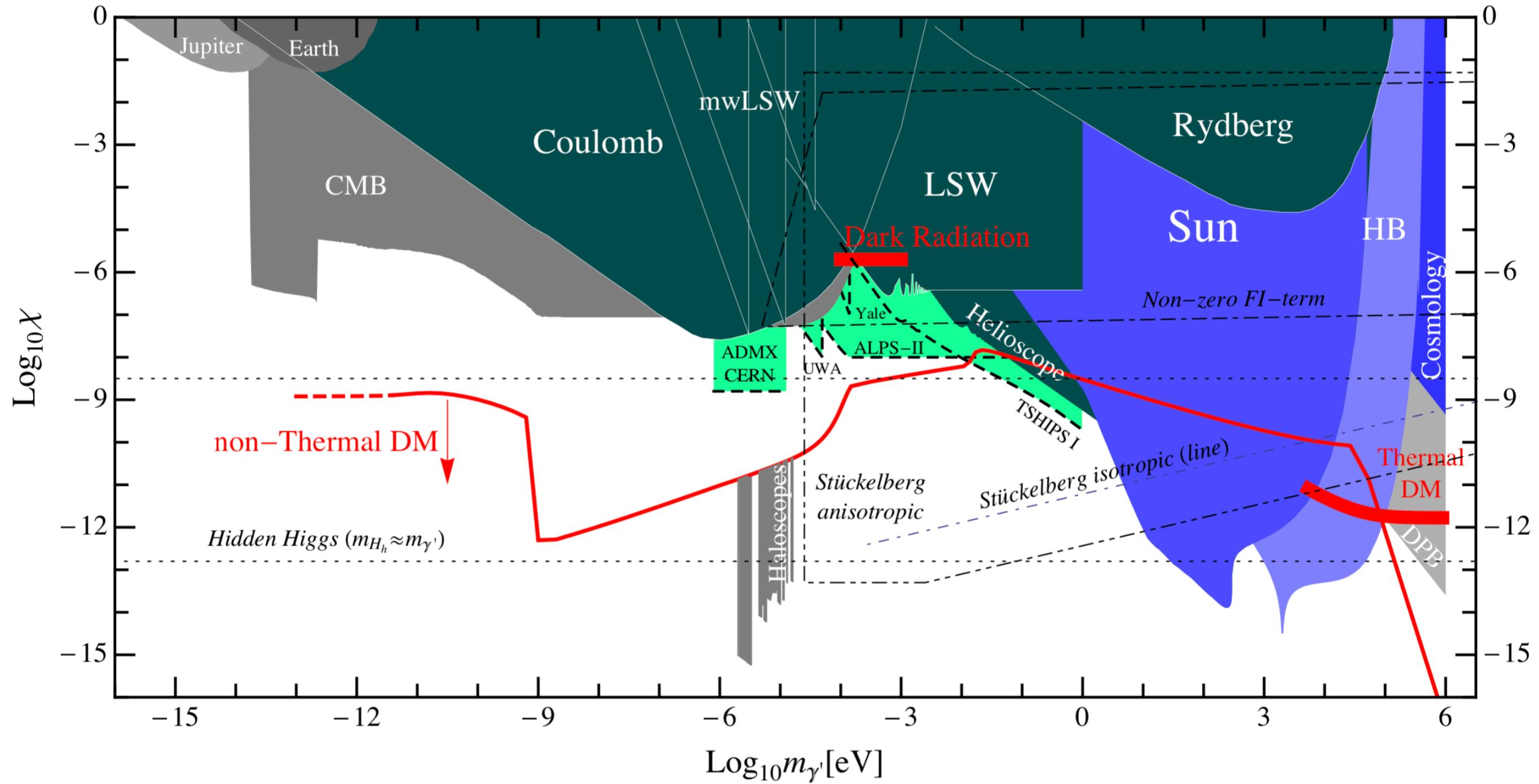
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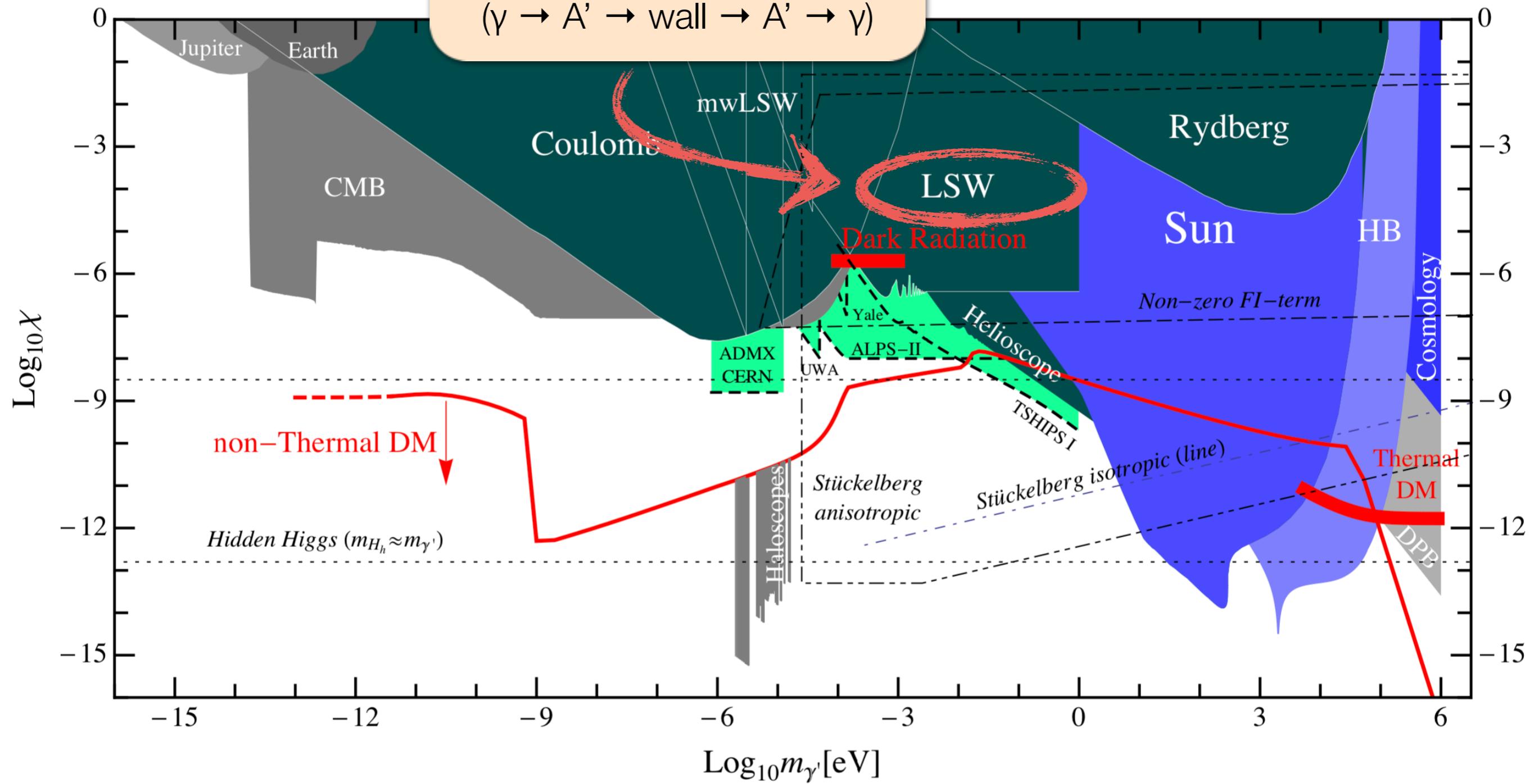


# Dark Photon Constraints

**Light shining through wall**

experiments

$(\gamma \rightarrow A' \rightarrow \text{wall} \rightarrow A' \rightarrow \gamma)$

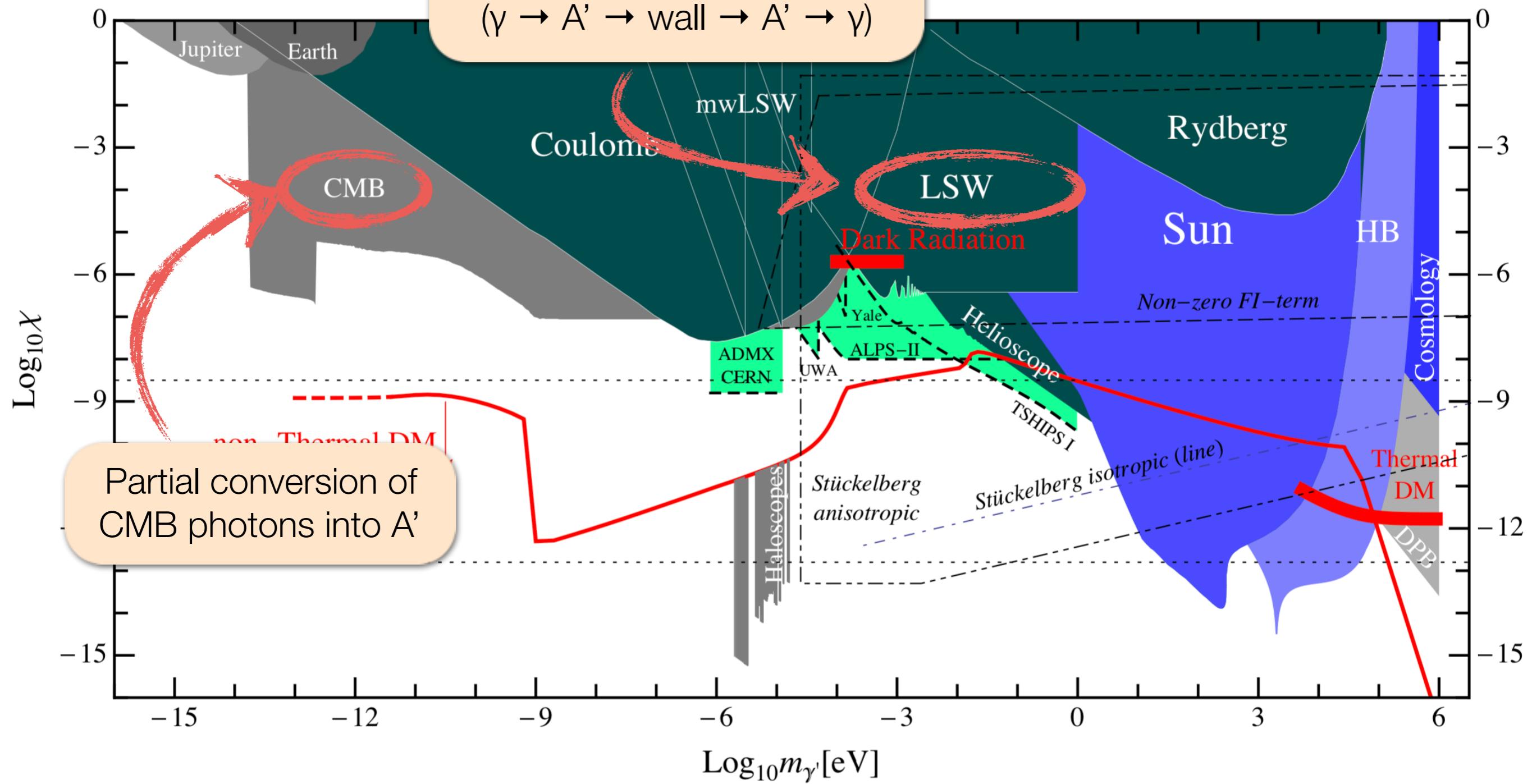


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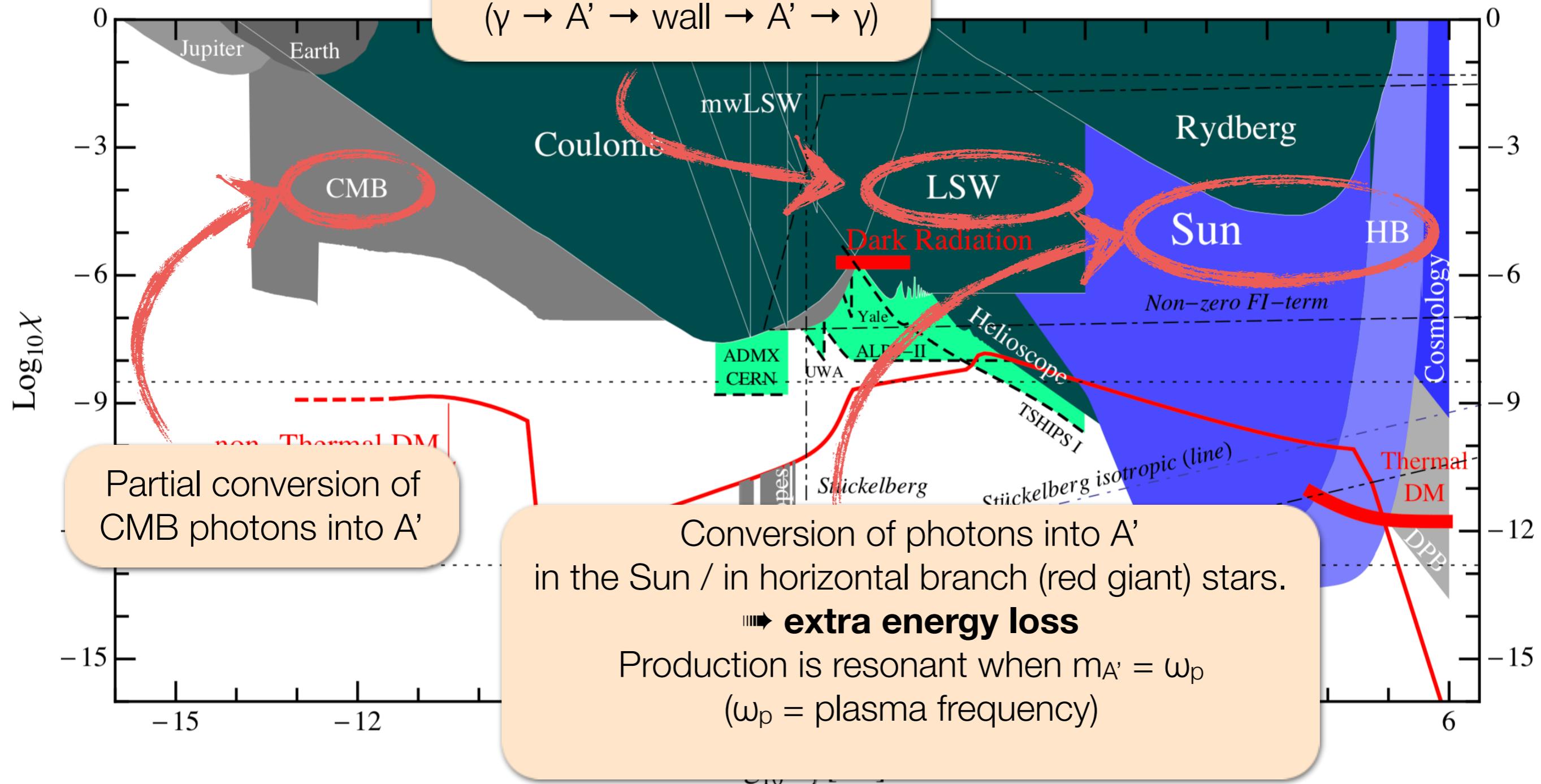


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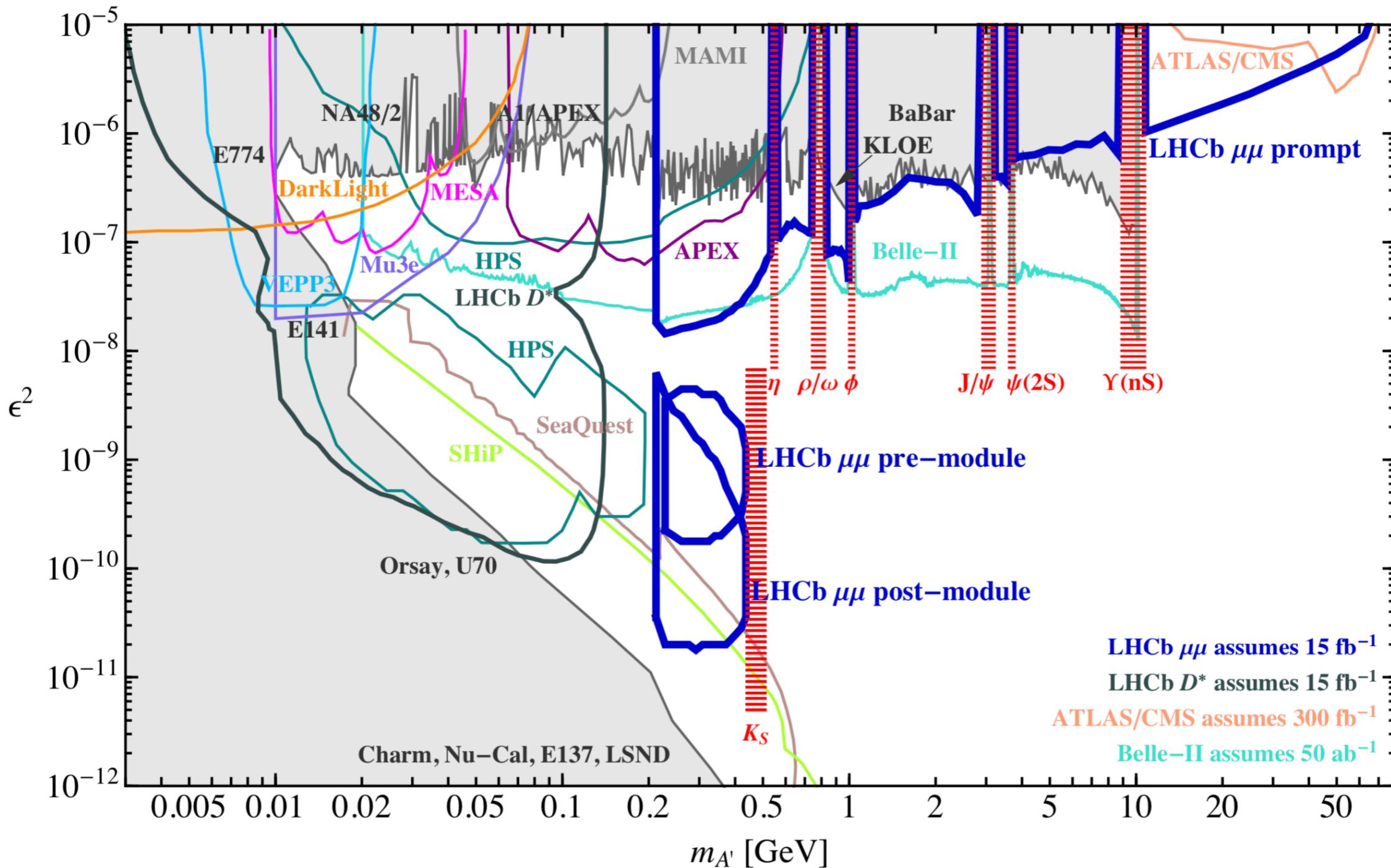
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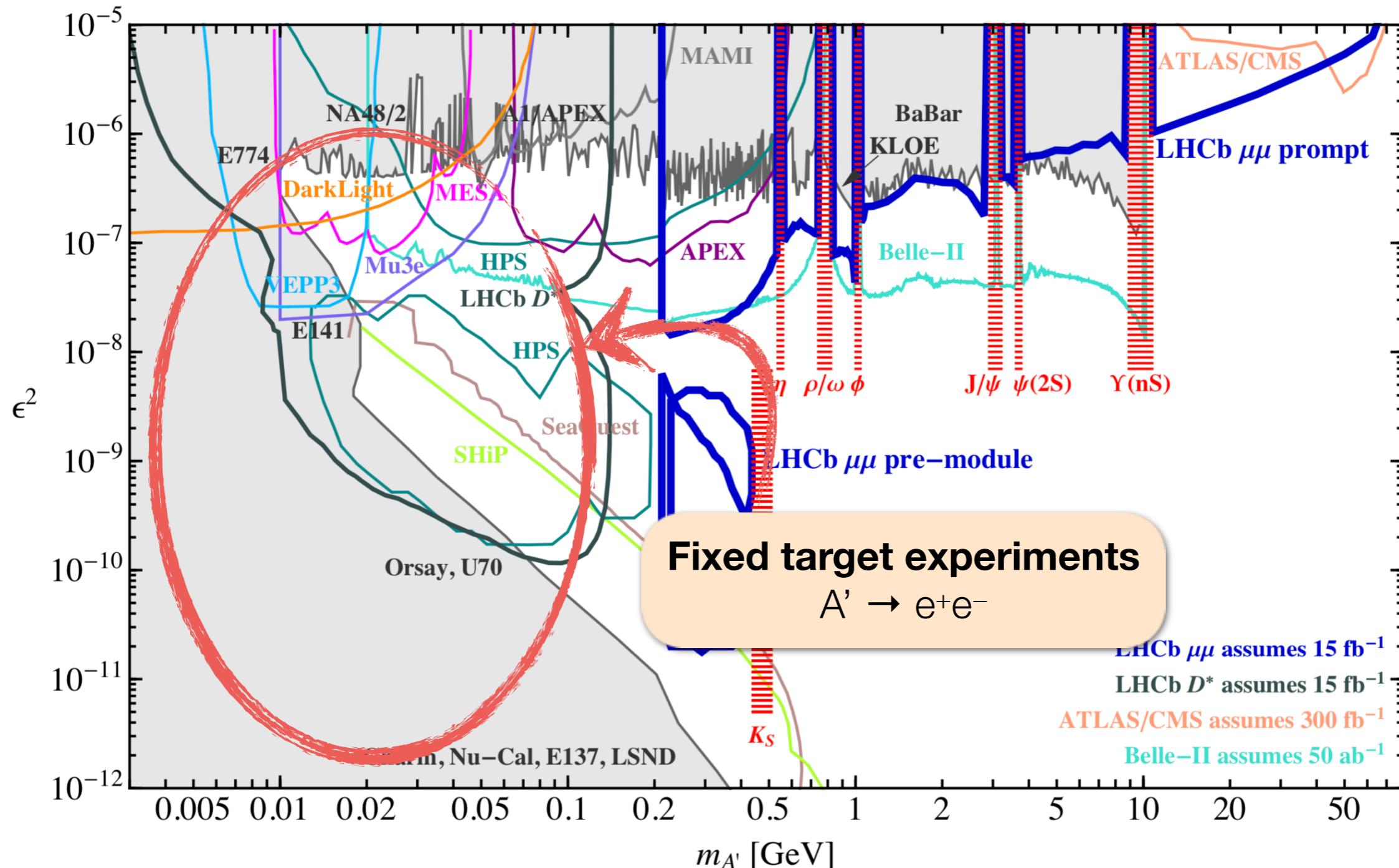
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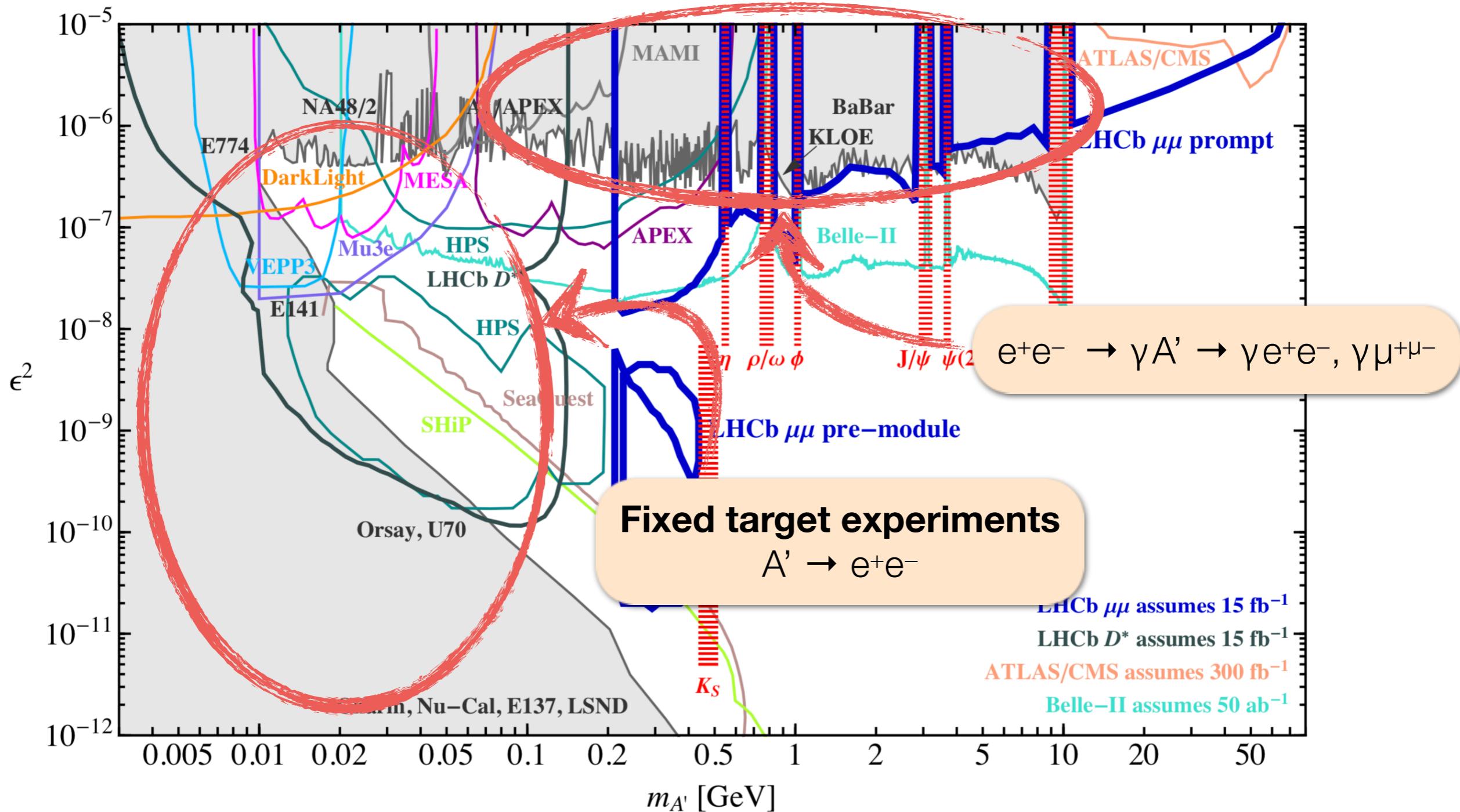
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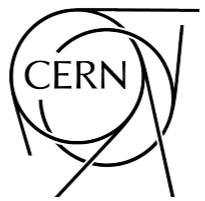
# Dark Photon Constraints



# Dark Photon Constraints



# Primordial Black Holes as Dark Matter



JOHANNES GUTENBERG  
UNIVERSITÄT MAINZ



# Basic Idea

Upward fluctuations of the plasma density in the early Universe may gravitationally collapse into black holes.

Criterion:  
“collapse should happen faster than rebound”

- Collapse timescale:  $1/(G\delta\rho)^{1/2}$  (from  $R \sim GMt^2/R^2$ )
- Rebound timescale:  $R/c_{sound} = R/w^{1/2}$
- where  $w$  is the equation of state parameter ( $p = w\rho$ )
- $\rightarrow R > (w/G\delta\rho)^{1/2}$
- Set  $R \sim 1/H \sim M_{Pl}/T^2$  (Hubble horizon) and use  $G \sim 1/M_{Pl}^2$
- $\rightarrow \delta\rho/T^4 > w$

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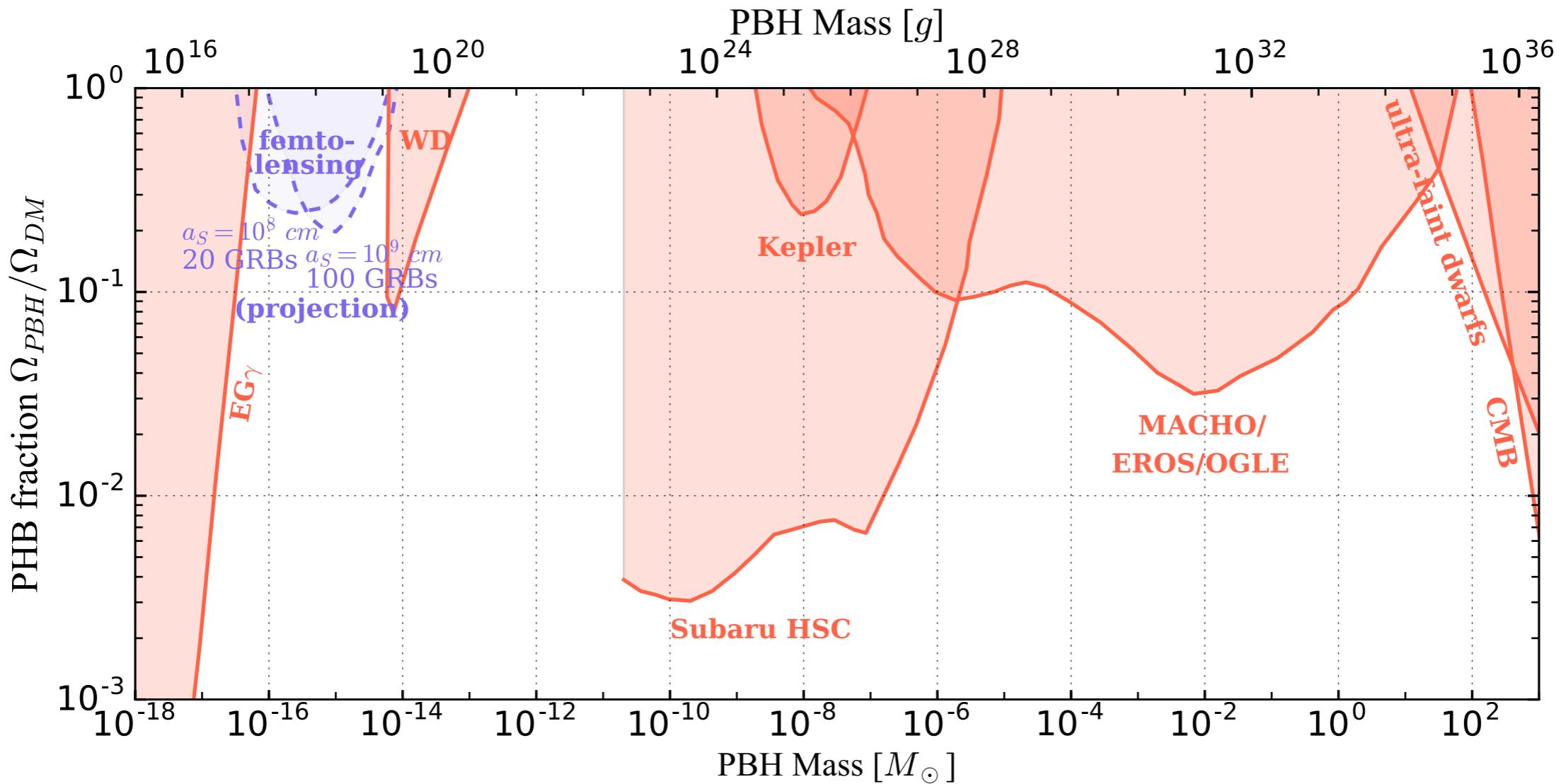
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relative overdensity

# PBH Parameter Space



Katz JK Sibiryakov Xue  
arXiv:1807.11495

# PBH Evaporation

Hawking 1974: black holes emit thermal radiation at temperature  $T_{\text{BH}} = 1/(8\pi G_N M)$  (“Hawking radiation”)

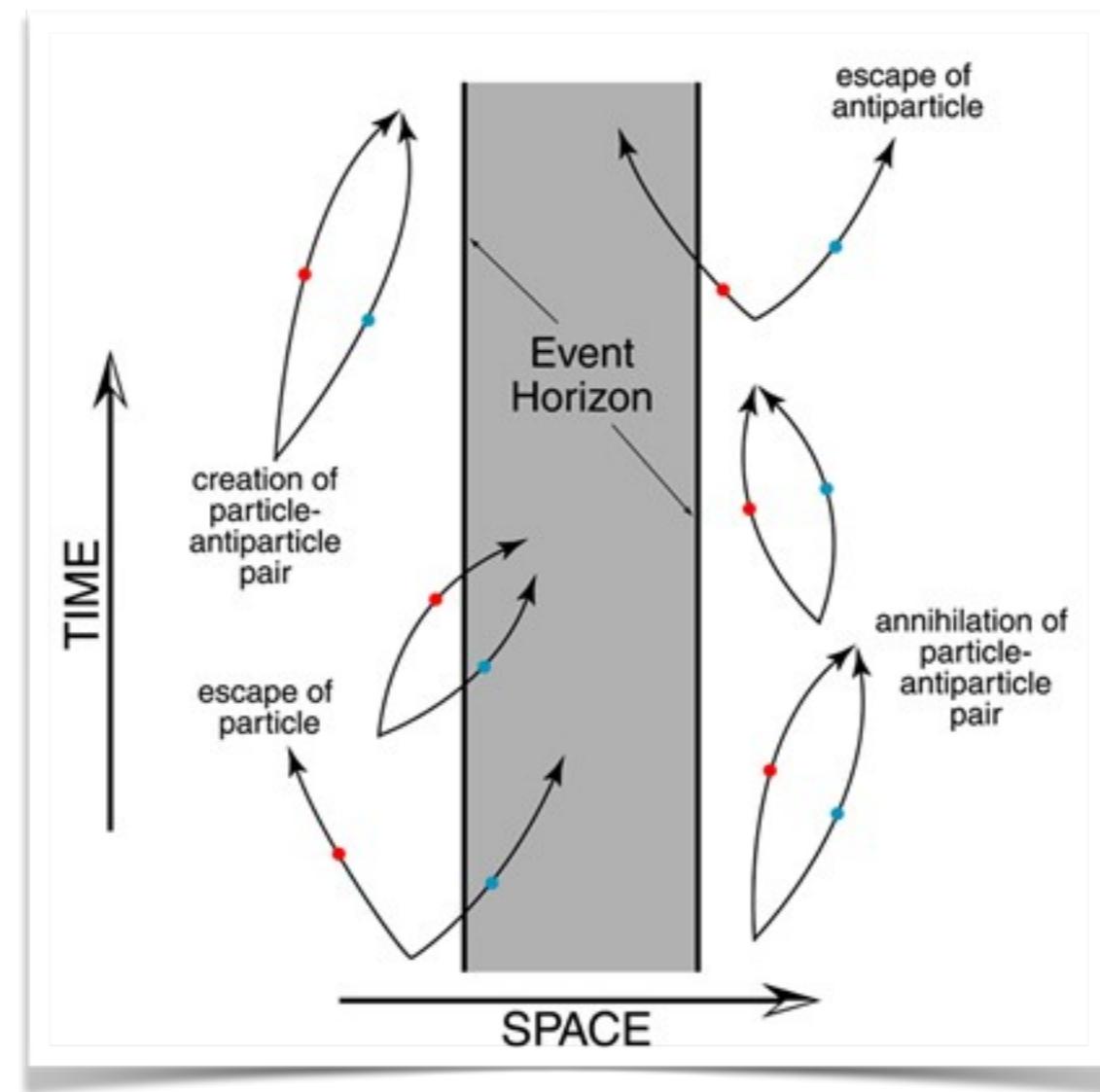


image by  
Stephen Dilorio

# PBH Evaporation

- Hawking 1974: black holes emit thermal radiation at temperature  $T_{\text{BH}} = 1/(8\pi G_N M)$  (“Hawking radiation”)
- Mass loss per unit area per unit time (Stefan Boltzmann law):
- Consequently, they eventually evaporate.

$$\frac{dM_{\text{BH}}}{dt} = \sigma T_{\text{BH}}^4 \cdot 4\pi R^2 = \frac{1}{2^{10}\pi \cdot 15} \frac{1}{G_N^2 M^2}$$

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Schwarzschild radius  
 $R = 2G_N M$

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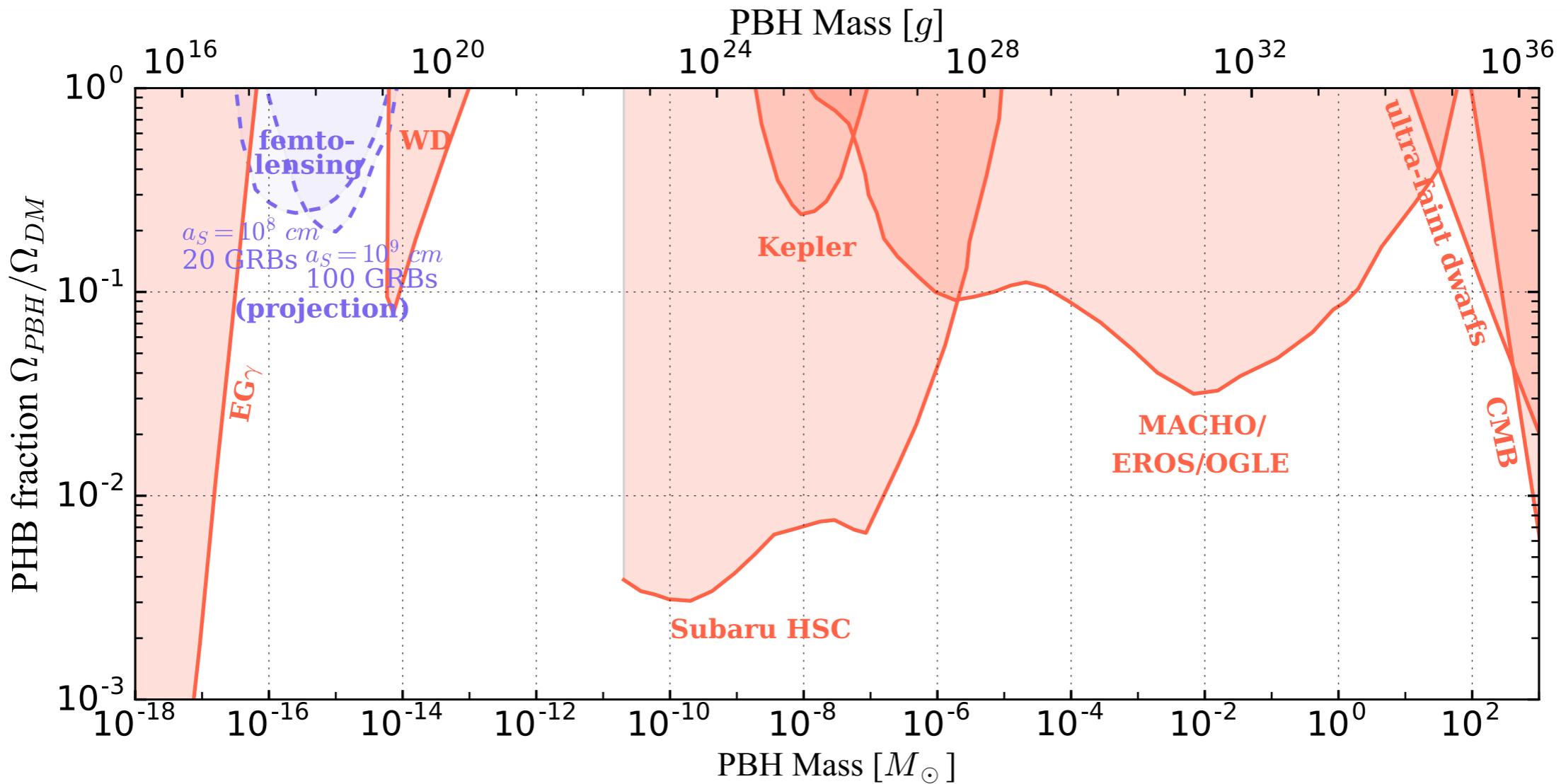
Solve this differential equation by separation of variables

$$t = 5 \cdot 2^{10}\pi G_N^2 M^3 = 2 \times 10^{67} \text{ yrs} \times \left(\frac{M}{M_\odot}\right)^3$$

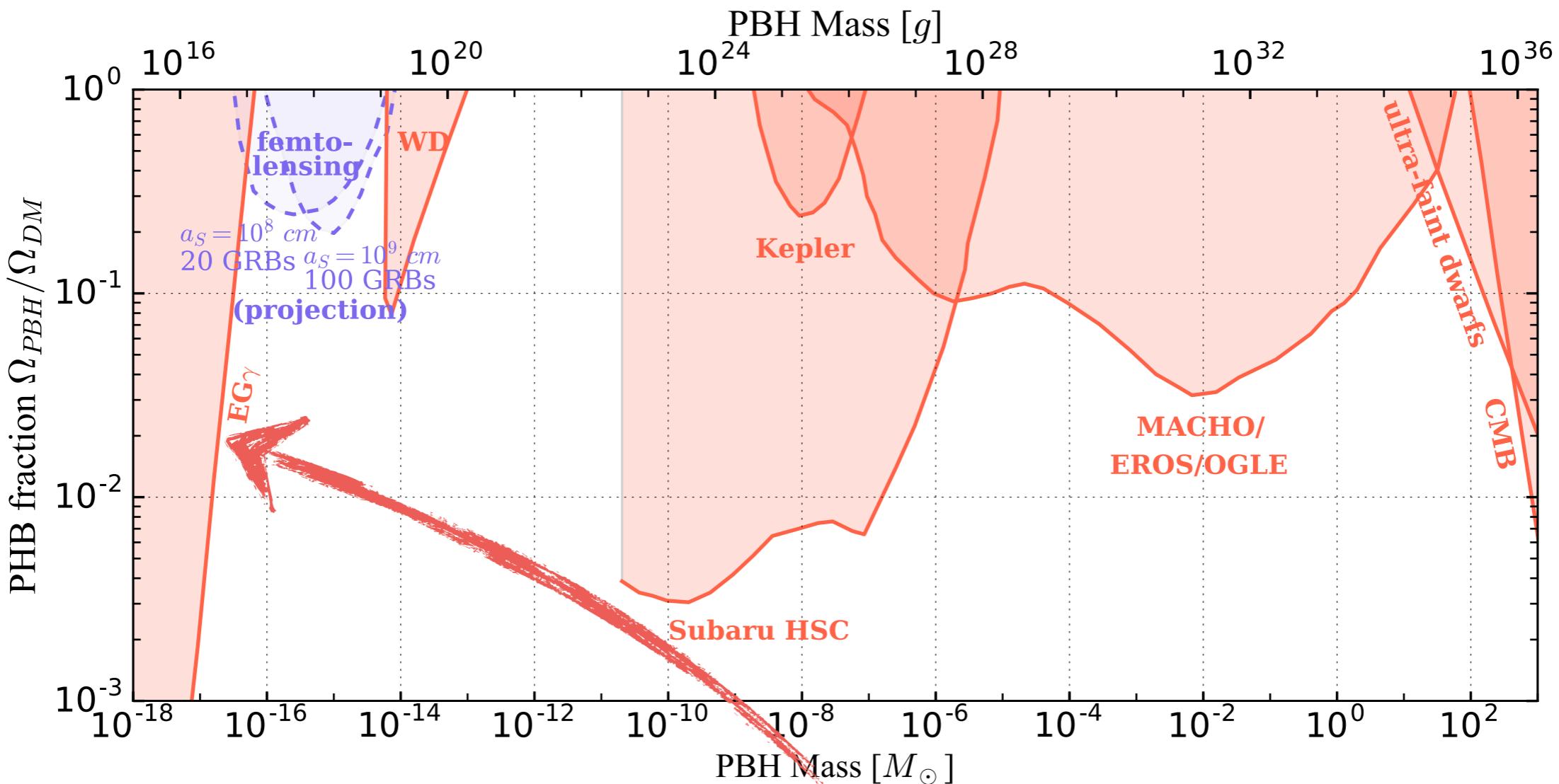
Conclusions:

- PBH with mass  $\lesssim 10^{-20} M_\odot$  have already evaporated
- Even for somewhat larger masses (up to  $10^{-16} M_\odot$ ), their Hawking radiation would contribute significantly to extragalactic background light

# PBH Parameter Space



# PBH Parameter Space



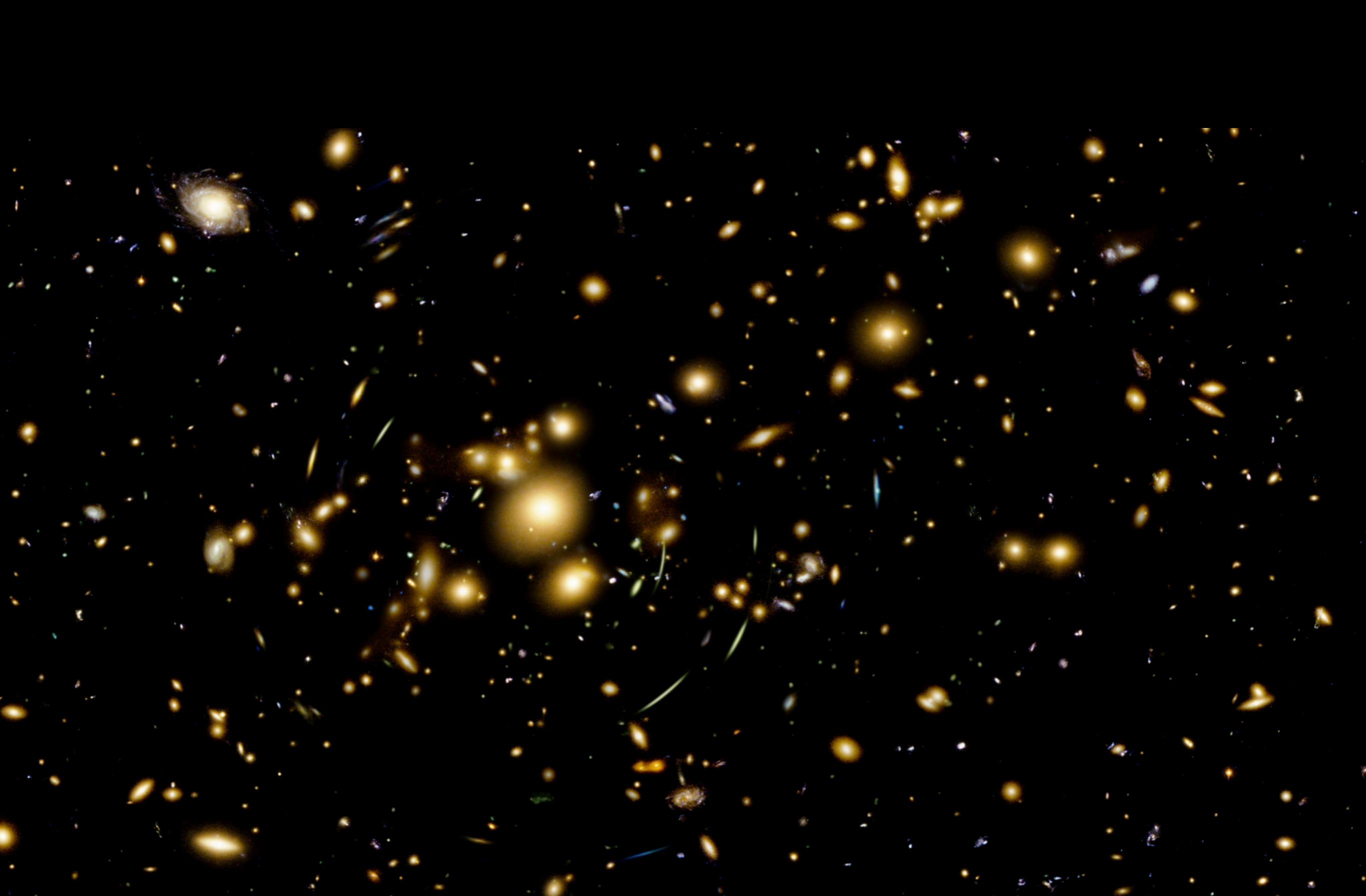
**Extragalactic background light**  
constraint on Hawking radiation  
from PBH evaporation

# Gravitational Lensing



Basic idea:

PBH intersecting our line of sight to a distant source  
distorts the image of that source

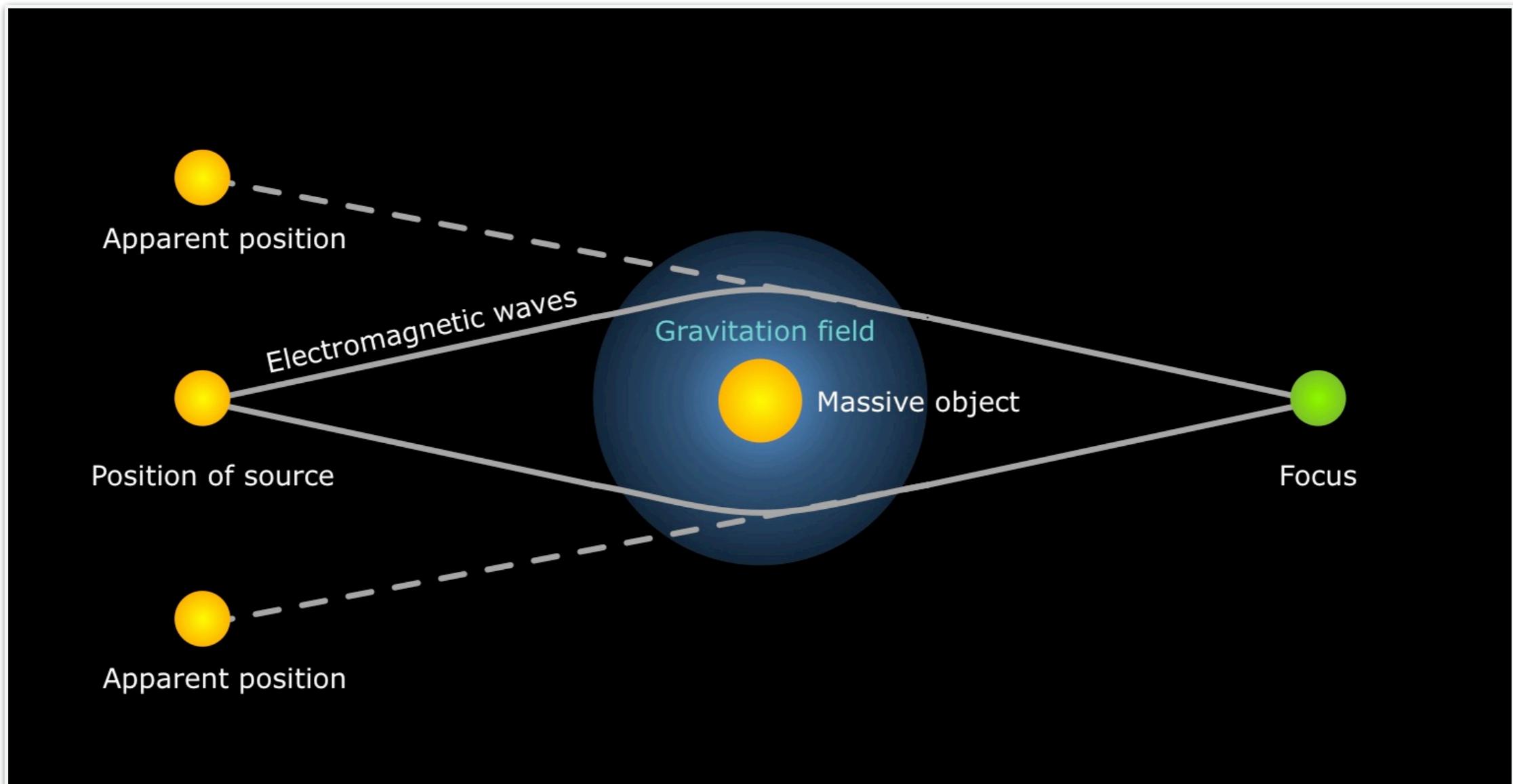


[www.spacetelescope.org](http://www.spacetelescope.org)



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# Gravitational Lensing



# Gravitational Lensing: Formalism

- ✓ Starting from the Minkowski metric

$$\eta_{\mu\nu} = \begin{pmatrix} 1 & 0 & 0 & 0 \\ 0 & -1 & 0 & 0 \\ 0 & 0 & -1 & 0 \\ 0 & 0 & 0 & -1 \end{pmatrix}$$

we add a weak gravitational potential

$$\eta_{\mu\nu} \rightarrow g_{\mu\nu} = \begin{pmatrix} 1 + \frac{2\Phi}{c^2} & 0 & 0 & 0 \\ 0 & -(1 - \frac{2\Phi}{c^2}) & 0 & 0 \\ 0 & 0 & -(1 - \frac{2\Phi}{c^2}) & 0 \\ 0 & 0 & 0 & -(1 - \frac{2\Phi}{c^2}) \end{pmatrix}$$

- ✓ Corresponding line element:

$$ds^2 = g_{\mu\nu} dx^\mu dx^\nu = \left(1 + \frac{2\Phi}{c^2}\right) c^2 dt^2 - \left(1 - \frac{2\Phi}{c^2}\right) (d\vec{x})^2$$

- ✓ Light travels along null geodesic ( $ds = 0$ ):

$$\left(1 + \frac{2\Phi}{c^2}\right) c^2 dt^2 = \left(1 - \frac{2\Phi}{c^2}\right) (d\vec{x})^2$$

based on lecture notes by Massimo Meneghetti

# Gravitational Lensing: Formalism

$$\left(1 + \frac{2\Phi}{c^2}\right) c^2 dt^2 = \left(1 - \frac{2\Phi}{c^2}\right) (d\vec{x})^2$$

- Speed of light in gravitational field

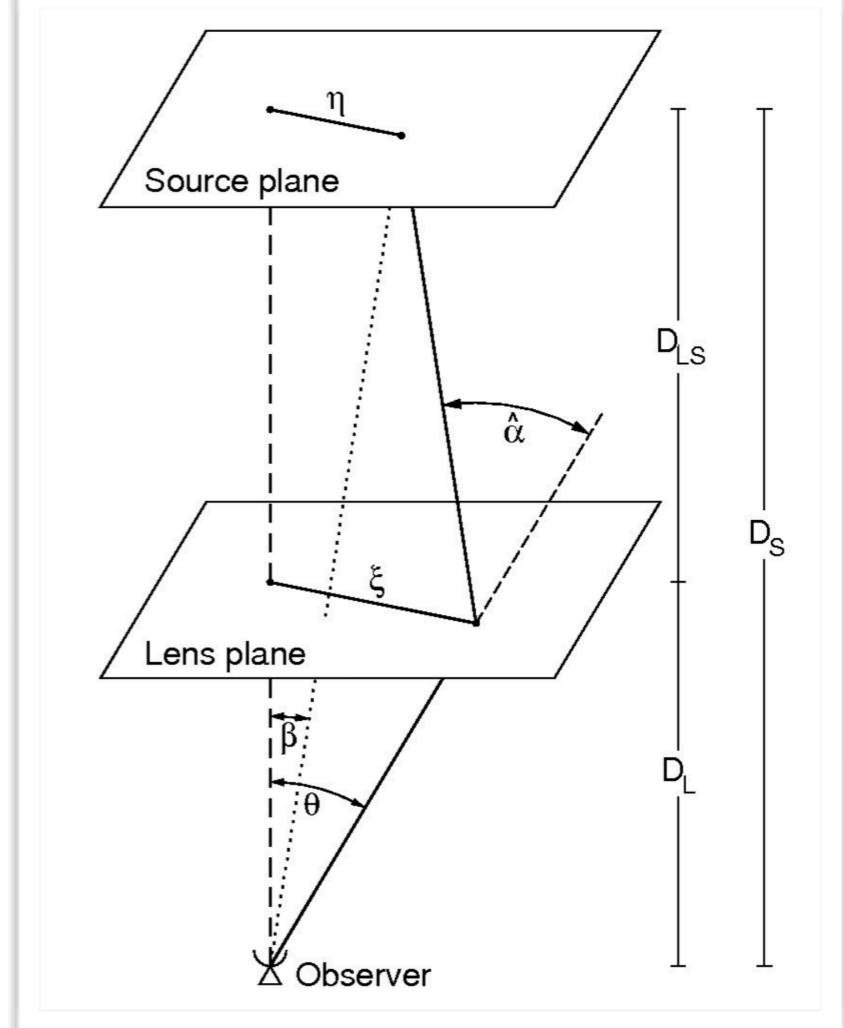
$$c' = \frac{|d\vec{x}|}{dt} = c \sqrt{\frac{1 + \frac{2\Phi}{c^2}}{1 - \frac{2\Phi}{c^2}}} \approx c \left(1 + \frac{2\Phi}{c^2}\right)$$

- Corresponding index of refraction

$$n = c/c' = \frac{1}{1 + \frac{2\Phi}{c^2}} \approx 1 - \frac{2\Phi}{c^2}$$

- Light travel time is increased by

$$\Delta t_{\text{grav}} = \int_S^O \frac{dl}{c} n[\vec{x}(l)] = \int_S^O \frac{dl}{c} \frac{2G_N M}{c^2 \sqrt{l^2 + \xi^2}} \simeq -\frac{4G_N M}{c^2} \log \theta$$



based on lecture notes by Massimo Meneghetti

# Gravitational Lensing: Formalism

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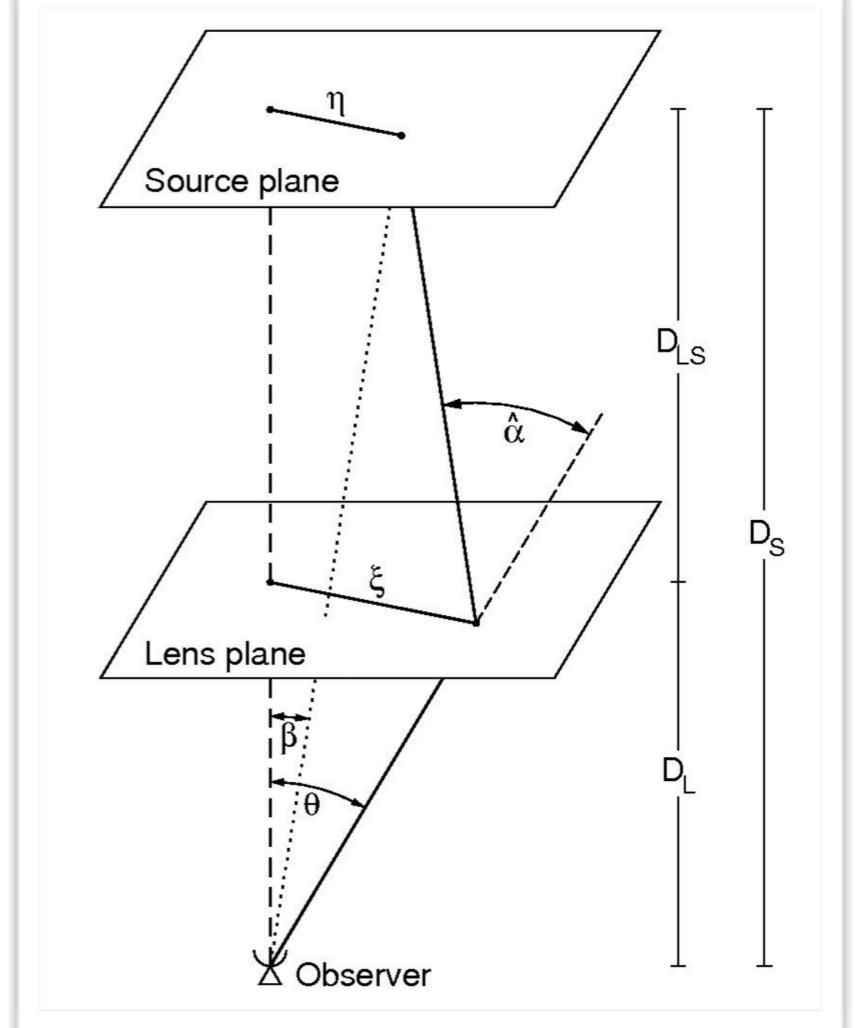
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Integral from source  
to observer



based on lecture notes by Massimo Meneghetti

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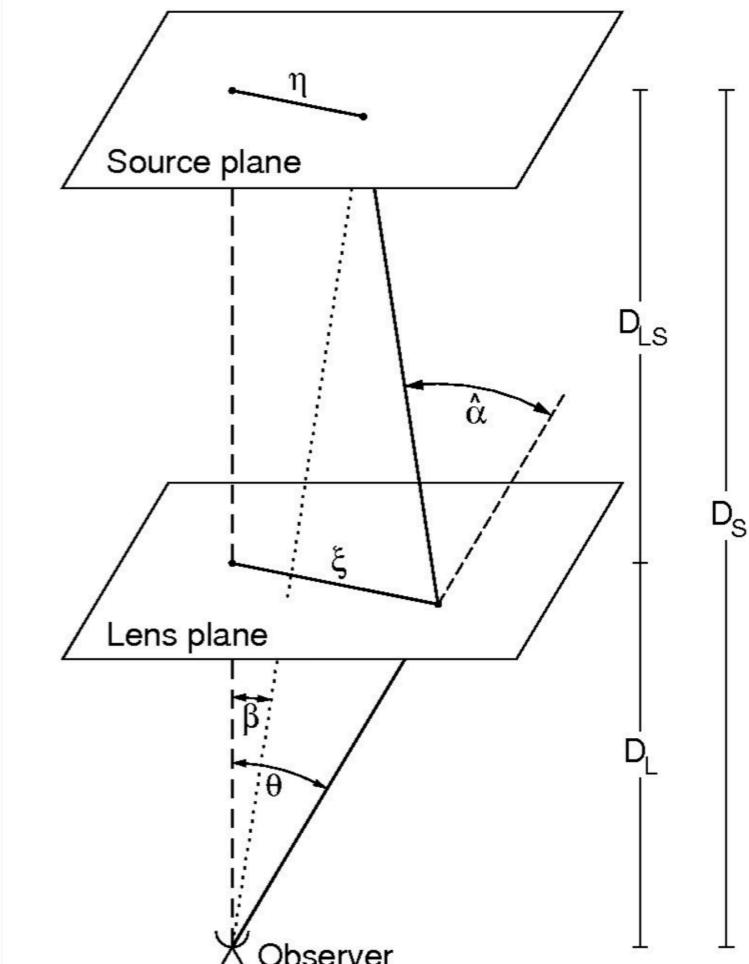
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Integral from source  
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Impact parameter  
(min. distance to lens)

based on lecture notes by Massimo Meneghetti



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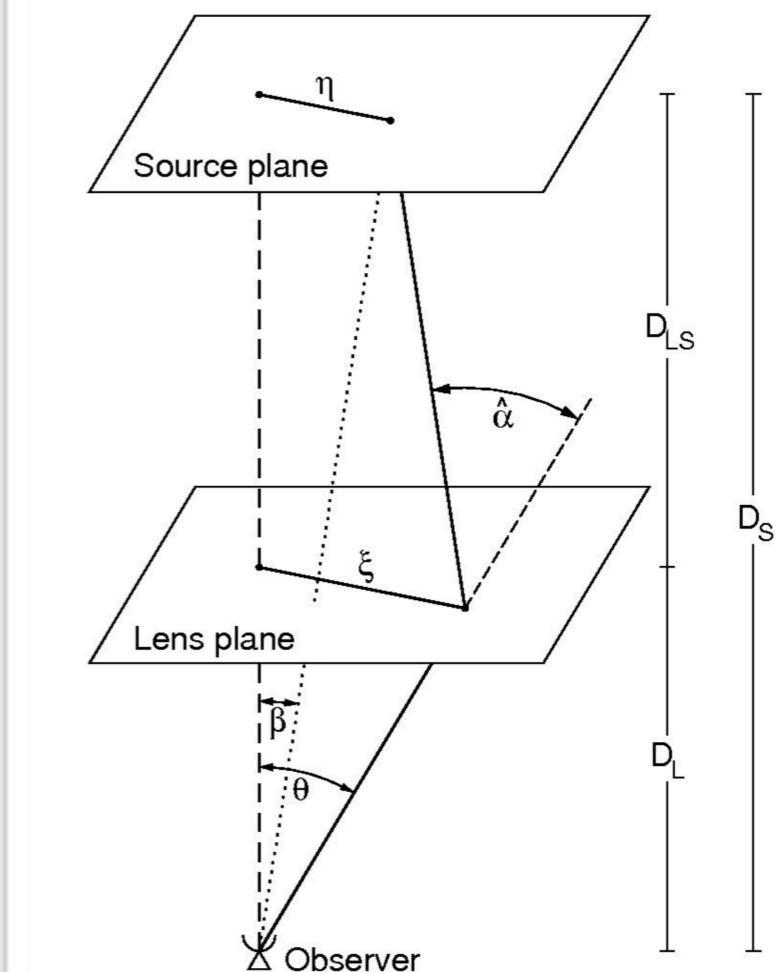
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Integral from source  
to observer

Impact parameter  
(min. distance to lens)

lensing angle  
 $\theta = \xi/D_s$



based on lecture notes by Massimo Meneghetti

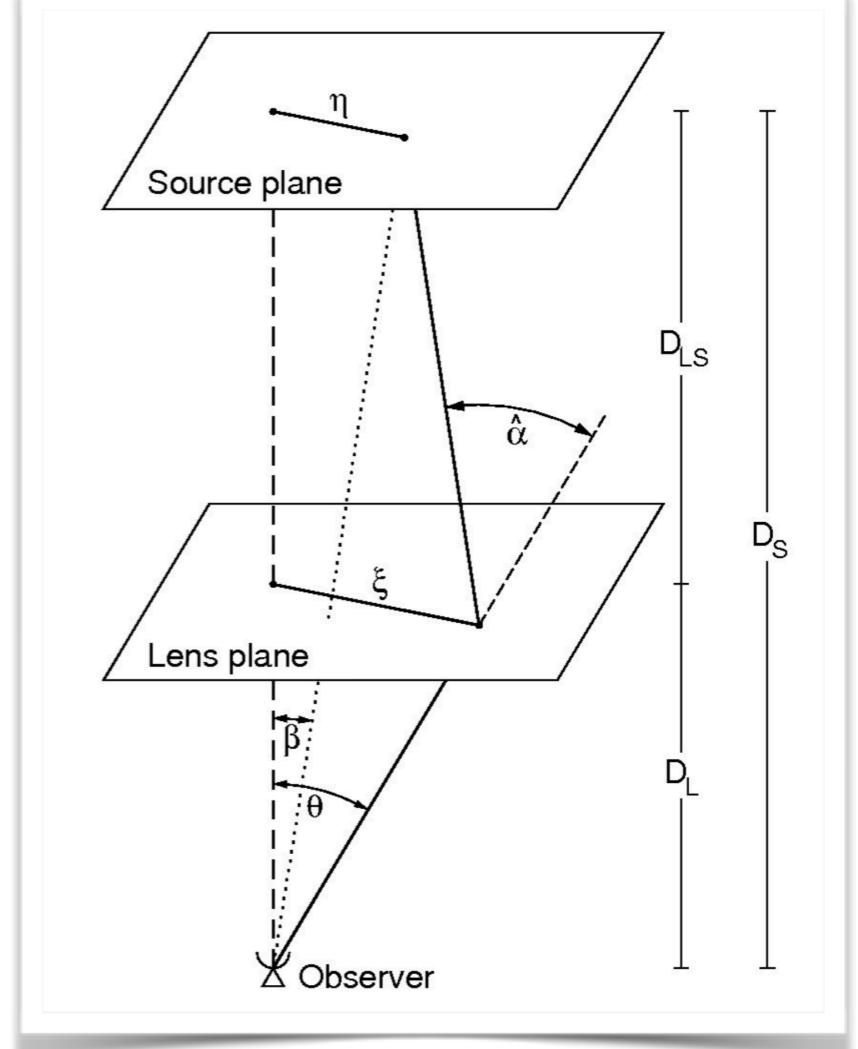
# Gravitational Lensing: Formalism

In addition: geometric time delay

$$\begin{aligned}\Delta t_{\text{geom}} &= \left[ \frac{D_L}{c \cos(\theta - \beta)} - D_L \right] + \left[ \frac{D_{LS}}{c \cos[(\theta - \beta)D_L/D_{LS}]} - D_{LS} \right] \\ &\simeq \frac{D_L}{2c} (\theta - \beta)^2 + \frac{D_{LS}}{2c} \frac{(\theta - \beta)^2 D_L^2}{D_{LS}^2} \\ &= \frac{D_L D_S}{2c D_{LS}} (\theta - \beta)^2\end{aligned}$$

Overall:

$$\Delta t = \frac{D_L D_S}{c D_{LS}} \left[ \frac{(\theta - \beta)^2}{2} - \frac{4G_N M D_{LS}}{c^2 D_L D_S} \log \theta \right]$$



# Gravitational Lensing: Formalism

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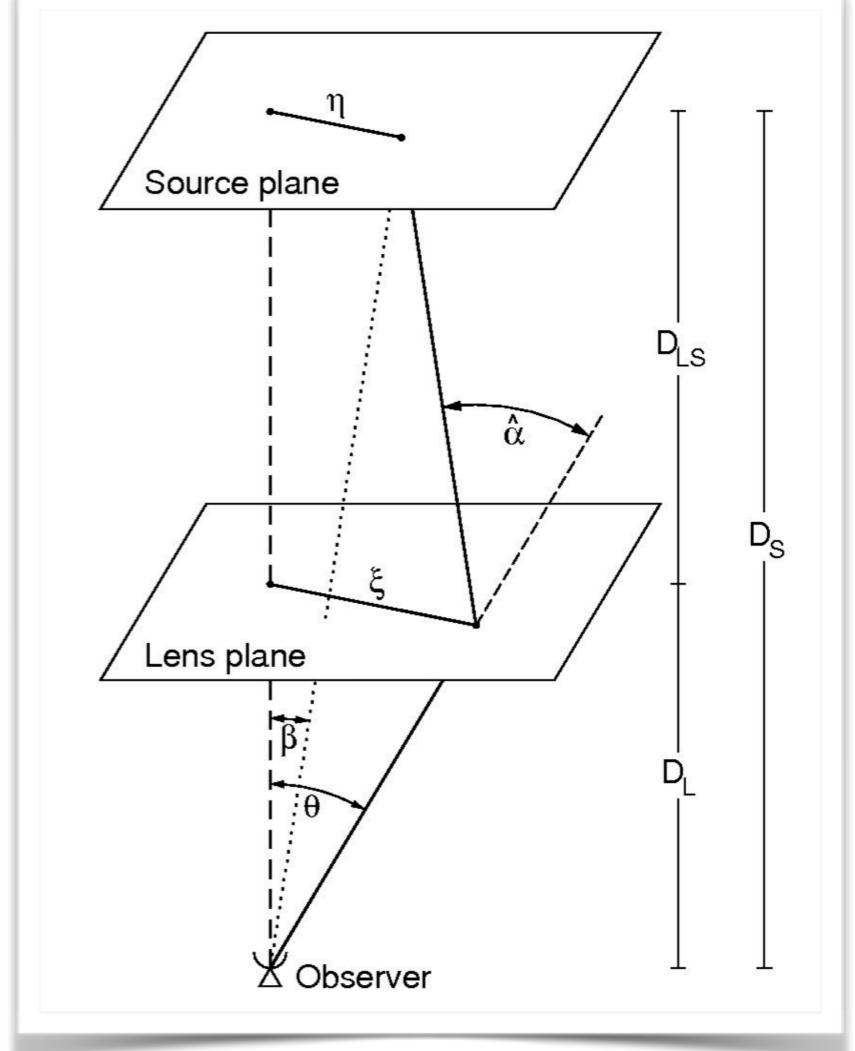
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Overall:

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Square of the **Einstein angle**:

$$\theta_E^2 \equiv \frac{4G_N M D_{LS}}{c^2 D_L D_S}$$



# Gravitational Lensing: Formalism

$$\Delta t = \frac{D_L D_S}{c D_{LS}} \left[ \frac{(\theta - \beta)^2}{2} - \frac{4G_N M D_{LS}}{c^2 D_L D_S} \log \theta \right]$$

- Light waves travelling from the source to the observer along different paths (different  $\theta$ ) acquire different phase:  $e^{i\omega\Delta t}$ .
- Fermat's principle: if  $\omega\Delta t \gg 1$ , contributions with different  $\theta$  will interfere destructively, except at stationary points of  $\Delta t$ .

$$\frac{d \Delta t}{d\theta} = \frac{D_L D_S}{c D_{LS}} \left[ (\theta - \beta) - \frac{\theta_E^2}{\theta} \right] \stackrel{!}{=} 0$$

- Leads to the **lens equation**:

$$\theta - \beta = \frac{\theta_E^2}{\theta}$$

# Gravitational Lensing: Formalism

$$\theta - \beta = \frac{\theta_E^2}{\theta}$$

- The solutions are the angular positions of the lensed images

$$\theta_{\pm} = \frac{1}{2} \left( \beta \pm \sqrt{\beta^2 + 4\theta_E^2} \right)$$

- We see that the Einstein angle is a measure for the angular deviation between the lensed and (hypothetical) unlensed images. This interpretation is exact for  $\beta = 0$  (lens along the line of sight).
- One can also compute the magnification (intensity relative to the unperturbed source) of the two images:

$$\mu_{\pm} = \frac{y^2 + 2}{2y\sqrt{y^2 + 4}} \pm \frac{1}{2} \quad \text{with} \quad y \equiv \beta/\theta_E$$

# Microlensing

- For a  $1 M_\odot$  lens at  $\mathcal{O}(\text{kpc})$  distance  
(typical scale within the Milky Way):  
 $\theta_E \sim 0.003 \text{ arcsec}$
- For comparison:  
angular resolution of the Hubble telescope: 0.05 arcsec
- However: can still observe overall **brightening** of the source

$$\mu_{\pm} = \frac{y^2 + 2}{2y\sqrt{y^2 + 4}} \pm \frac{1}{2} \quad \rightarrow \text{total magnification:} \quad \mu = \frac{y^2 + 2}{y\sqrt{y^2 + 4}}$$

- This effect is called **microlensing**.
- Observable because of time dependence: a PBH passing in front of a background star leads to transient magnification of that star.

# Microlensing

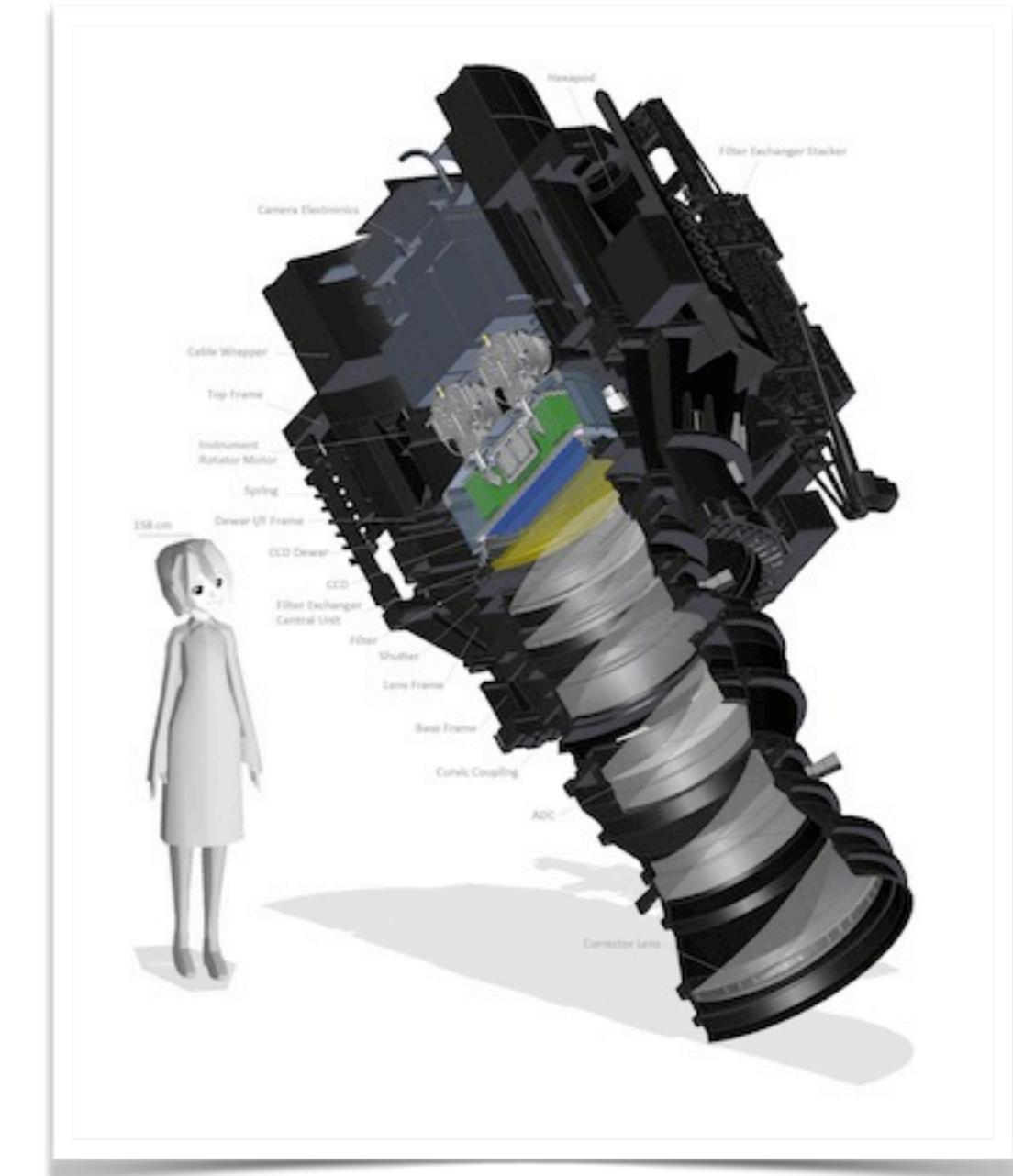
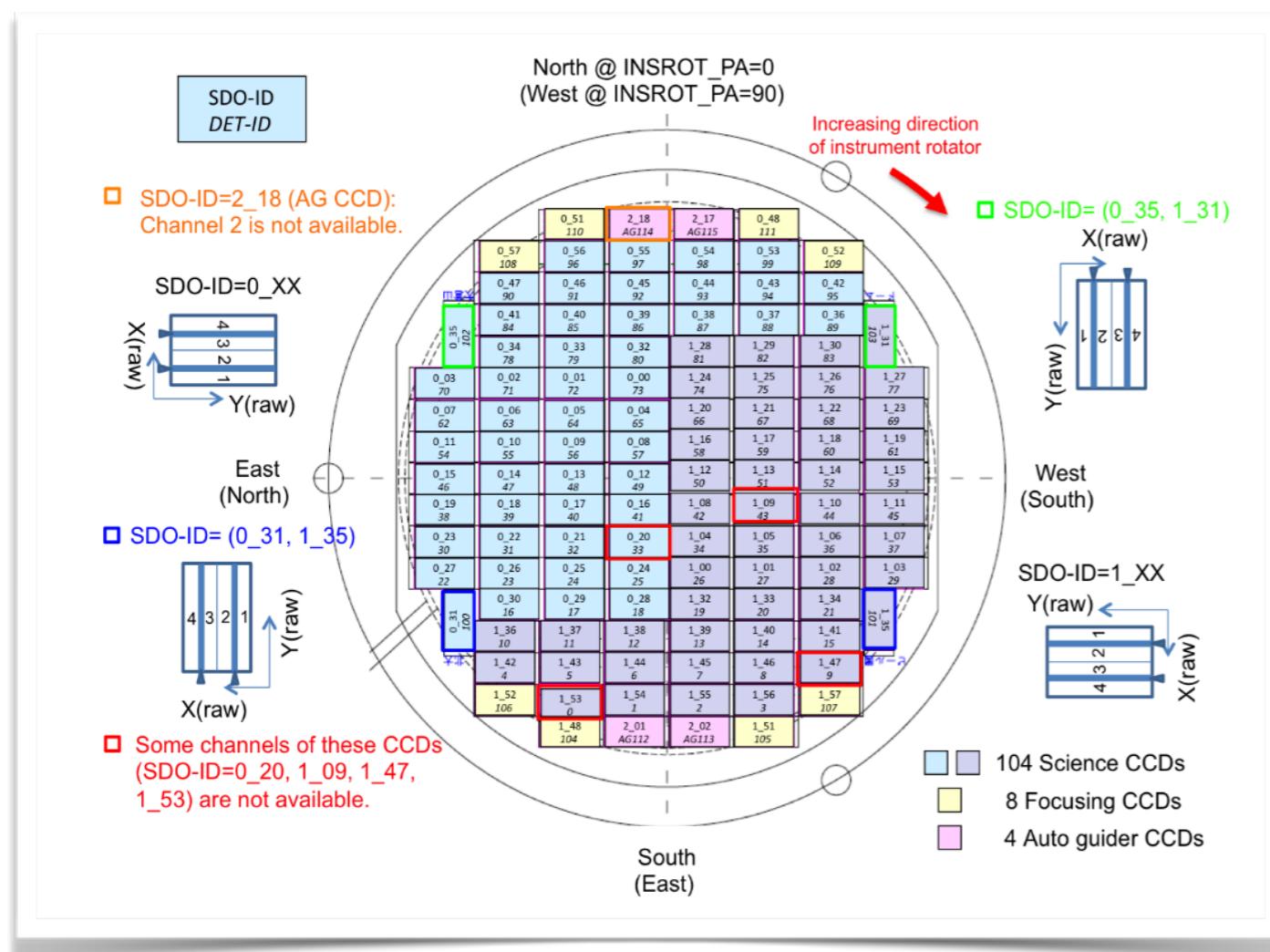
Observations at the 8.2 m Subaru Telescope (Hawaii)



Niikura et al. arXiv:1701.02151

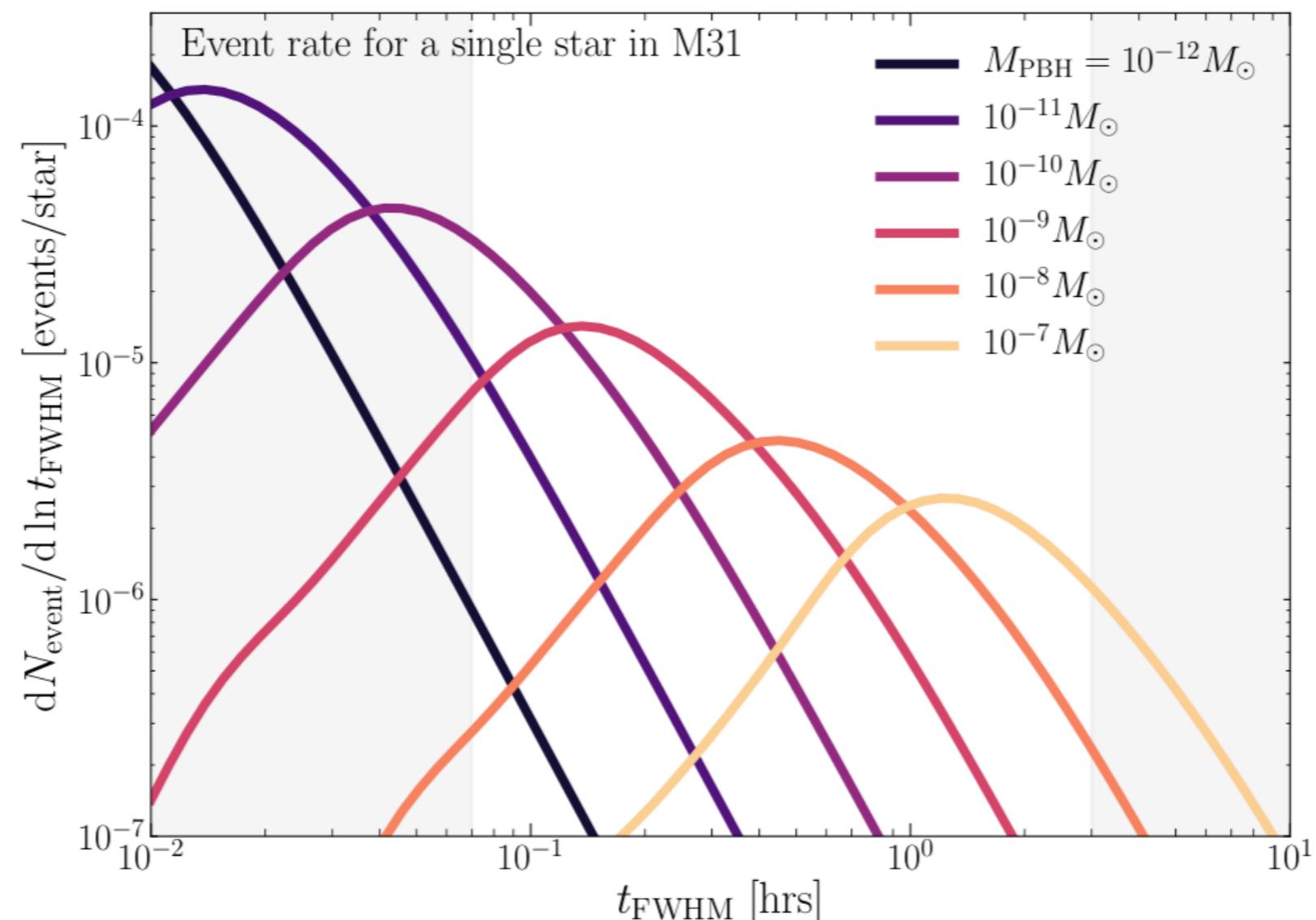
# Microlensing

- In particular: Hyper Suprime-Cam
- 1.5 degree field of view (huge!)
- 900 Megapixels



Niikura et al. arXiv:1701.02151

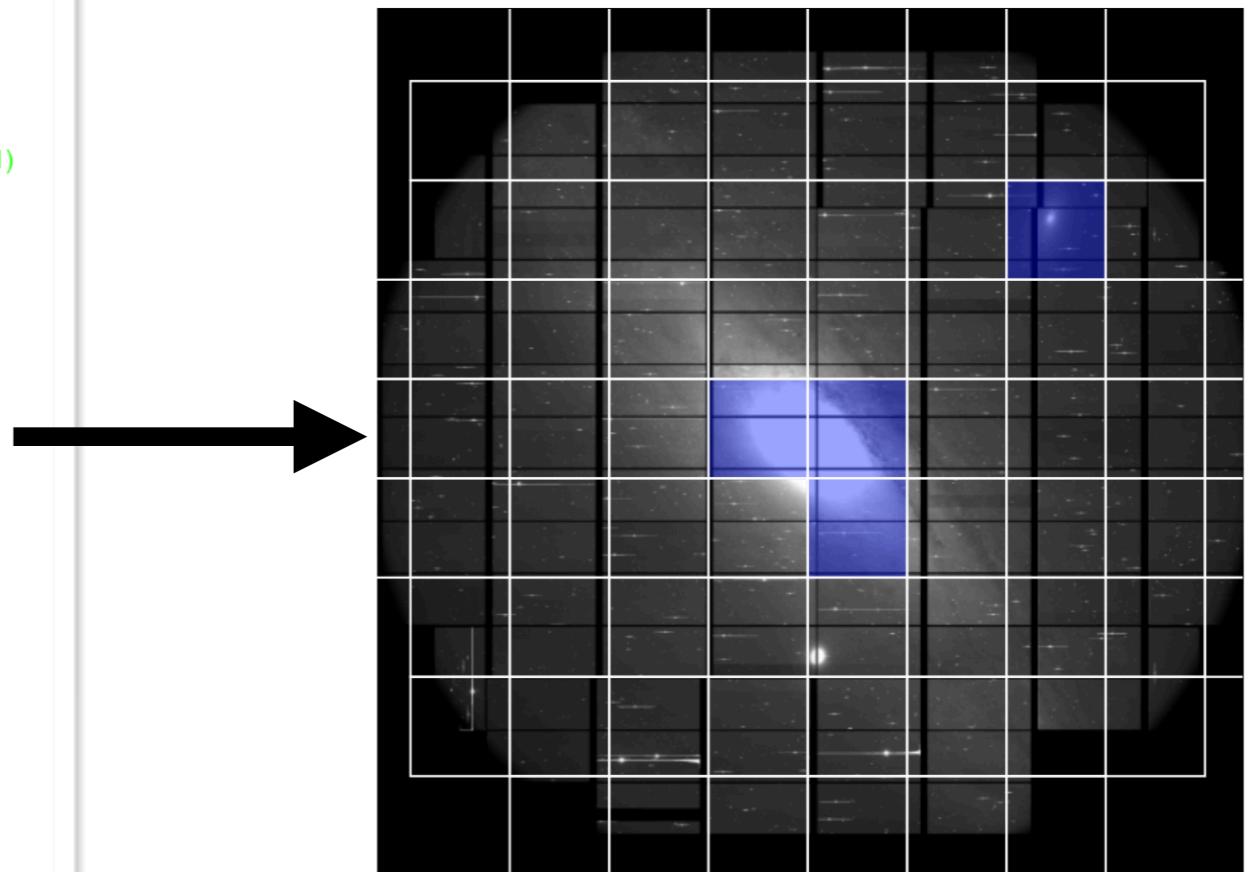
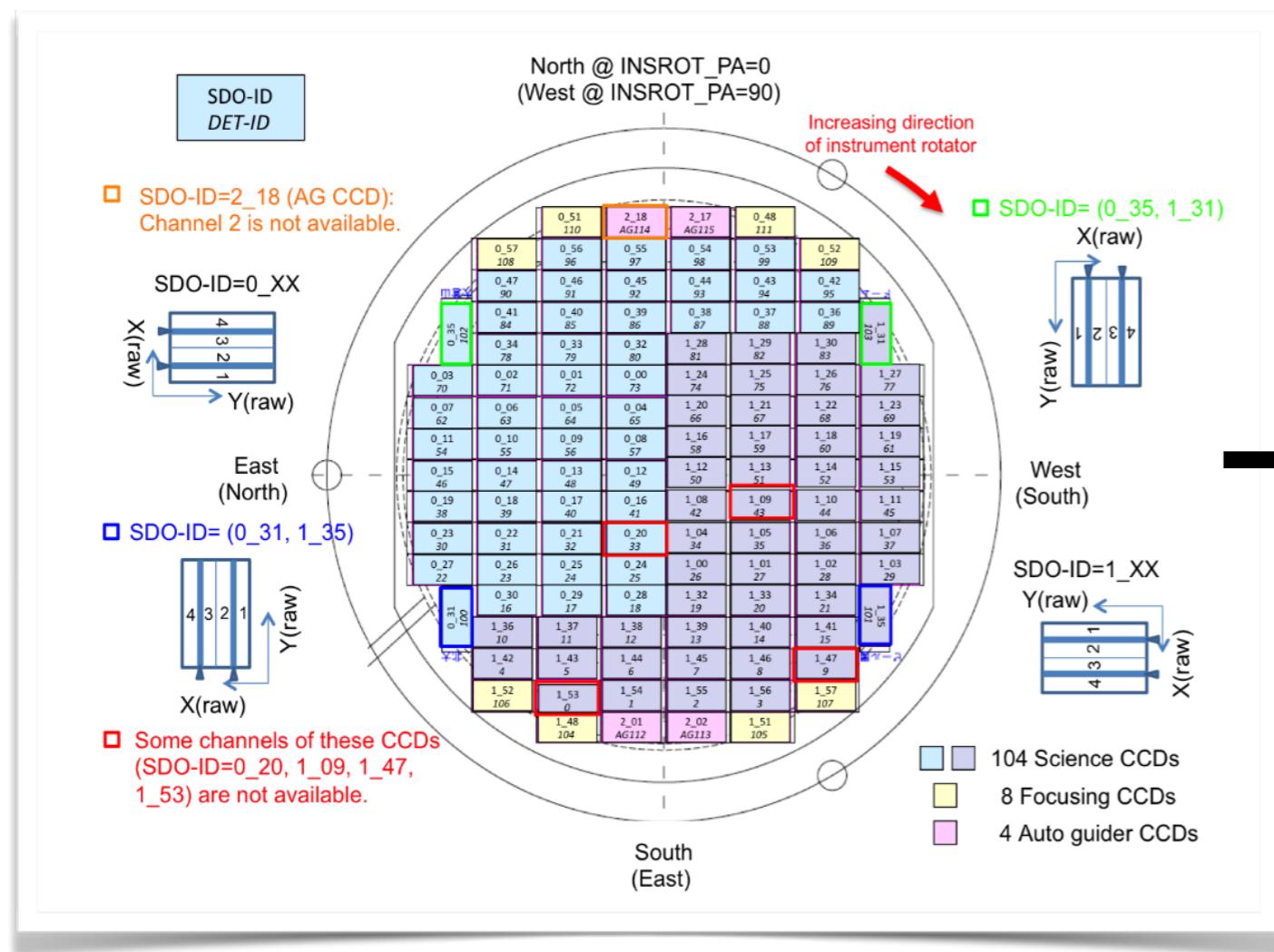
# Lensing Probability



Niikura et al. arXiv:1701.02151

# Observation Strategy

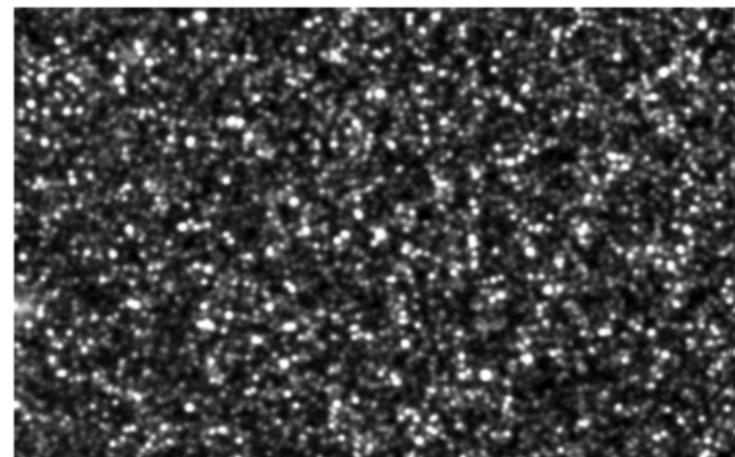
- Single night (7 hours of observations) sufficient
- Large field of view
  - observe the whole M31 (Andromeda) galaxy at once



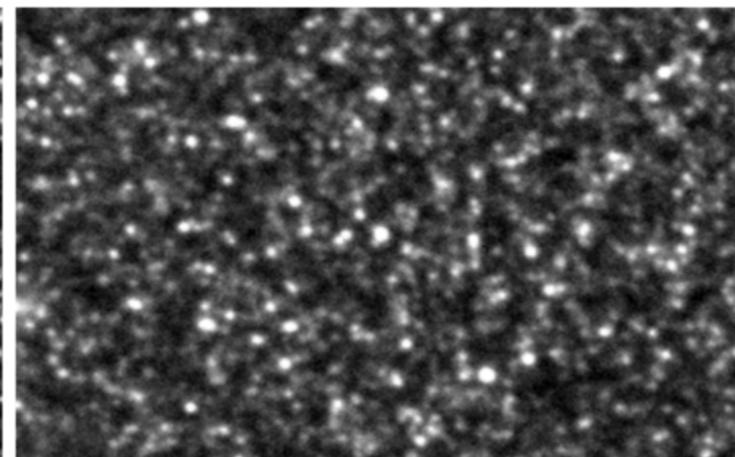
Niikura et al. arXiv:1701.02151

# Observation Strategy

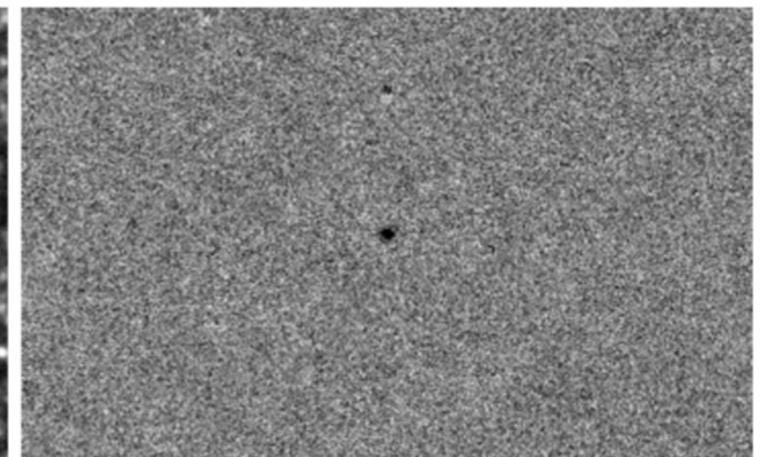
- Single night (7 hours of observations) sufficient
- Repeated observations of the same patch on the sky  
(90 sec observation time, 35 sec readout time)
- Subtract reference image to detect transients



Observation #1



Observation #2



Difference  
(including transient)

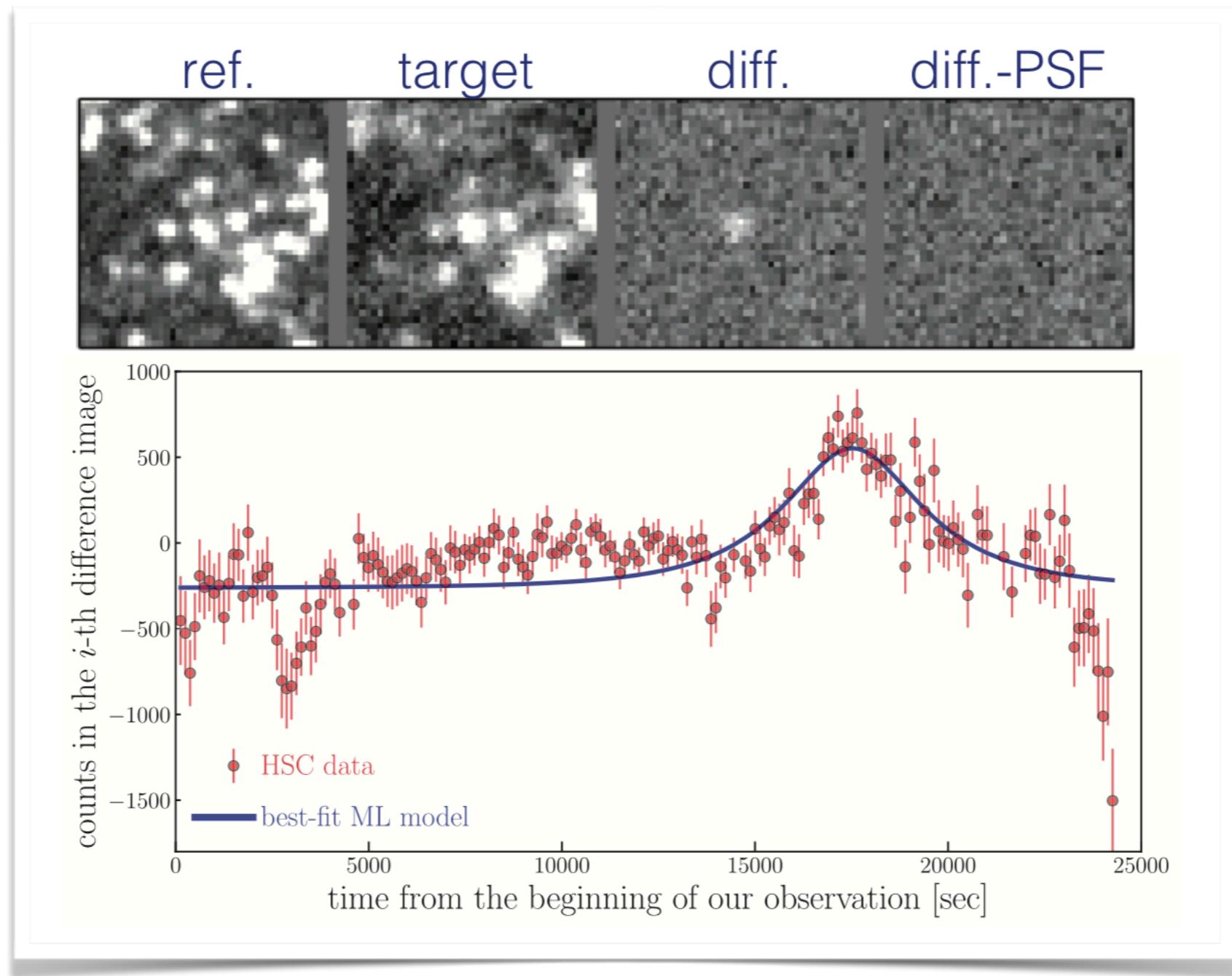
Niihura et al. arXiv:1701.02151

# Data Analysis

- Analysis challenges
  - each CCD pixel contains many stars
  - central region of M31 too bright (CCDs saturated ➔ discard)
- Selection criteria for microlensing candidates
  - At least  $5\sigma$  detection in any of the 188 difference images
  - difference image consistent with point spread function
- Result: 15571 candidates
- Construct light curve for each of them

Niikura et al. arXiv:1701.02151

# Data Analysis



Niiikura et al. arXiv:1701.02151

# Further Selection Criteria

Subject the 15571 candidates to the following cuts

- Require single bump to exclude periodic stars (➡ 11 703 candidates left)
- Fit predicted microlensing light curve, require decent goodness-of-fit (➡ 66 candidates left)

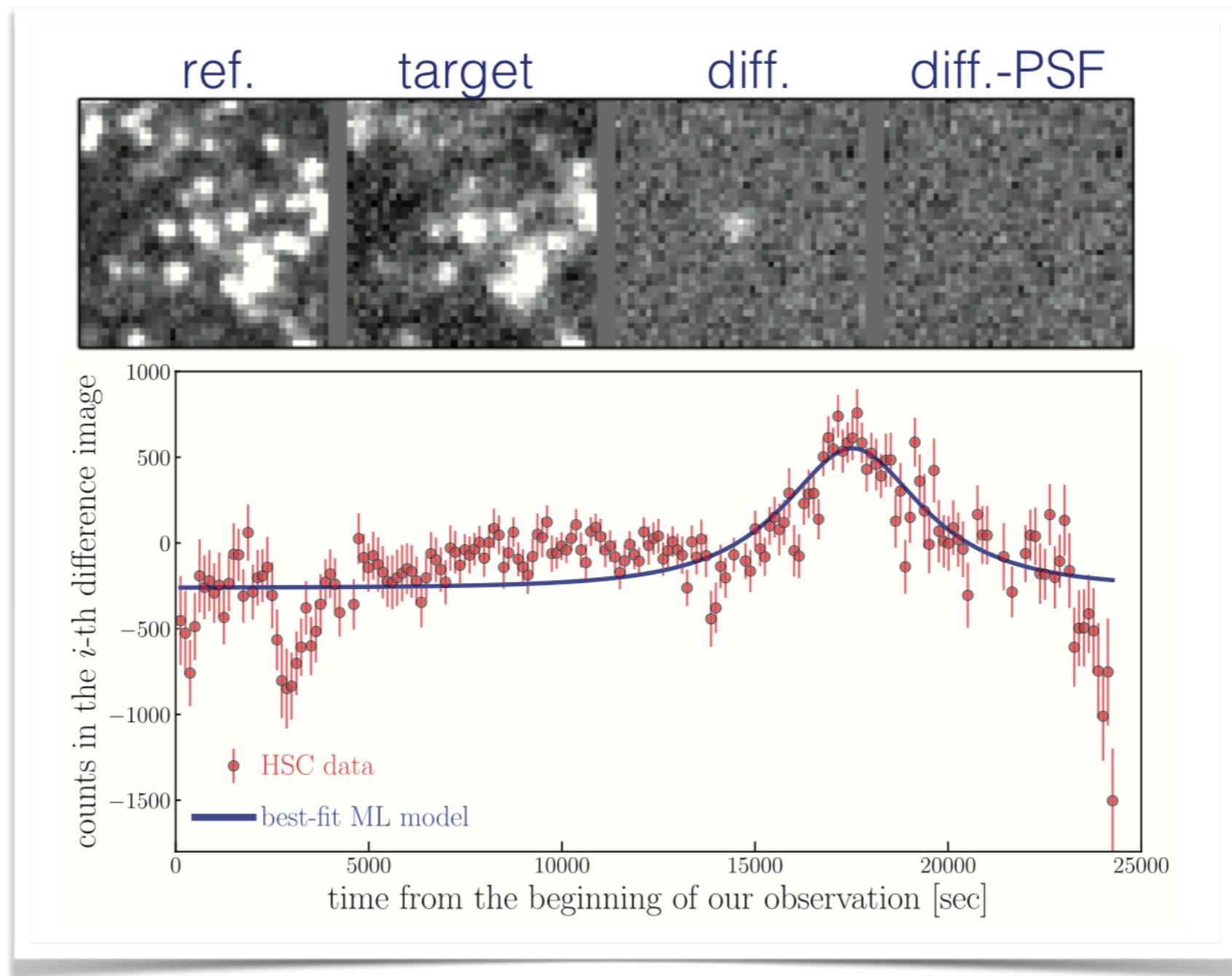
Visual inspection

- reject 44 candidates due to cross-talk from nearby bright star
- reject 20 additional candidates at the edges of CCDs
- reject 1 candidate due to passing asteroid

1 candidate left

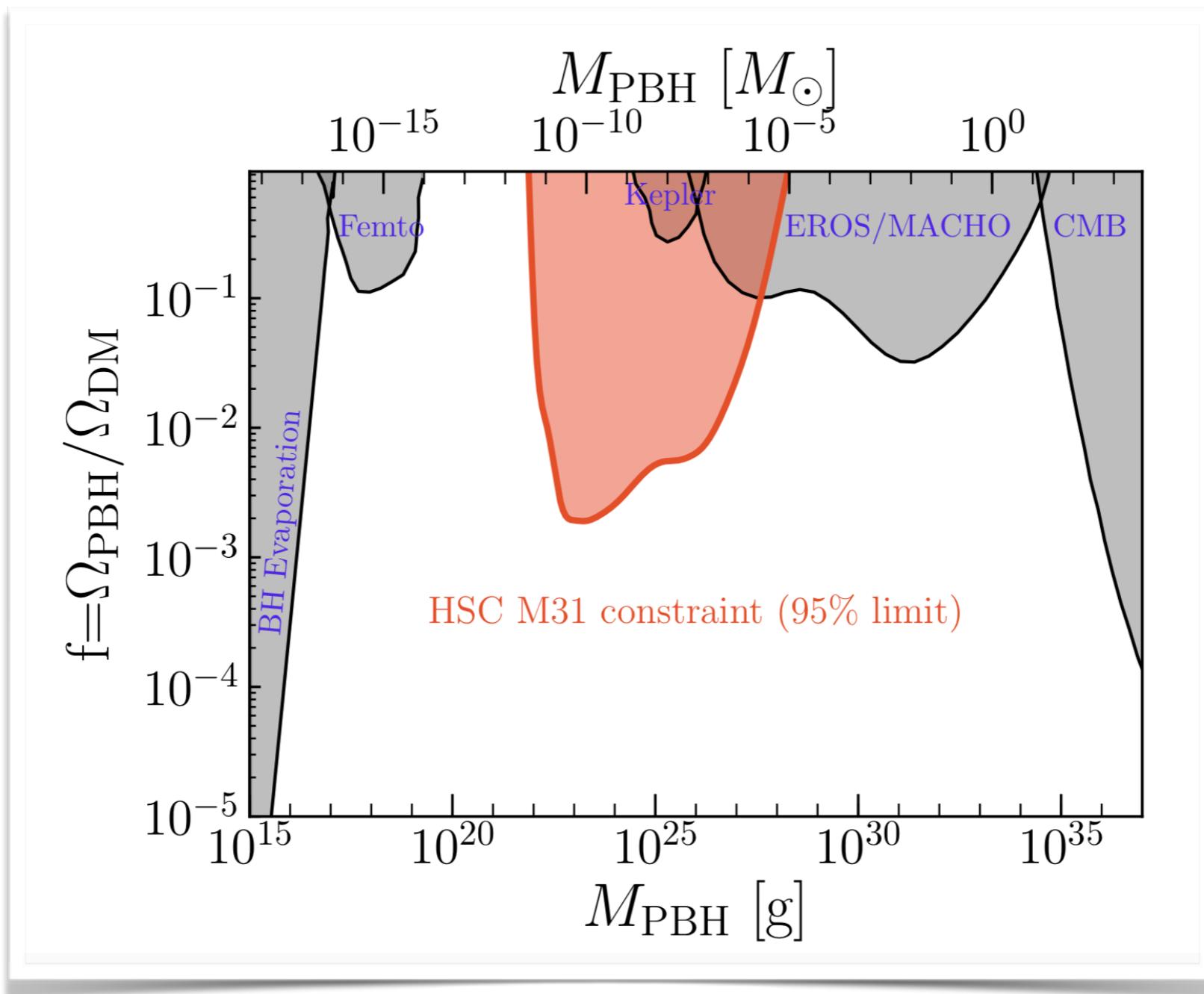
Niikura et al. arXiv:1701.02151

# Data Analysis



Niihura et al. arXiv:1701.02151

# Resulting Limits



Niikura et al. arXiv:1701.02151

# Caveat 1: Wave Optics

- Our calculations so far relied on Fermat's principle:  
if  $\omega\Delta t \gg 1$ , contributions with different  $\theta$  will interfere destructively, except at stationary points of  $\Delta t$ .
- Leads to the lens equation

$$\theta - \beta = \frac{\theta_E^2}{\theta}$$

- What if  $\omega\Delta t \lesssim 1$ ?
- Need to evaluate full Fresnel integral

$$\mu \propto \left| \int d^2\vec{\theta} e^{i\omega\Delta t(\vec{\theta}, \vec{\beta})} \right|^2$$

# Caveat 1: Wave Optics

$$\mu \propto \left| \int d^2\vec{\theta} e^{i\omega\Delta t(\vec{\theta}, \vec{\beta})} \right|^2$$

- Can be evaluated analytically for point-like lens

$$F(y, \Omega)_{\text{BH}} = e^{i\Omega|\vec{y}|^2/2} \left(-\frac{i\Omega}{2}\right)^{i\Omega/2} \Gamma\left(1 - \frac{i\Omega}{2}\right) L_{-1+\frac{i\Omega}{2}}\left(-\frac{i|\vec{y}|^2\Omega}{2}\right)$$

with

$$\Omega \equiv \frac{4GM(1+z_L)}{c^3} \omega \quad y \equiv \beta/\theta_E$$

- Tends to reduce magnification  
(more destructive interference)

# Caveat 1: Wave Optics

$$\mu \propto \left| \int d^2\vec{\theta} e^{i\omega\Delta t(\vec{\theta}, \vec{\beta})} \right|^2$$

- ✓ Can be evaluated analytically for point-like lens

$$F(y, \Omega)_{\text{BH}} = e^{i\Omega|\vec{y}|^2/2} \left( -\frac{i\Omega}{2} \right)^{i\Omega/2} \Gamma \left( 1 - \frac{i\Omega}{2} \right) L_{-1+\frac{i\Omega}{2}} \left( \frac{i|\vec{y}|^2\Omega}{2} \right)$$

with

$$\Omega \equiv \frac{4GM(1+z_L)}{c^3} \omega$$

$$y \equiv \beta/\theta_E$$

Laguerre polynomial

- ✓ Tends to reduce magnification  
(more destructive interference)

## Caveat 2: Finite Size of the Source

- Different points on the source are magnified differently
- Remember: total magnification in geometric optics:

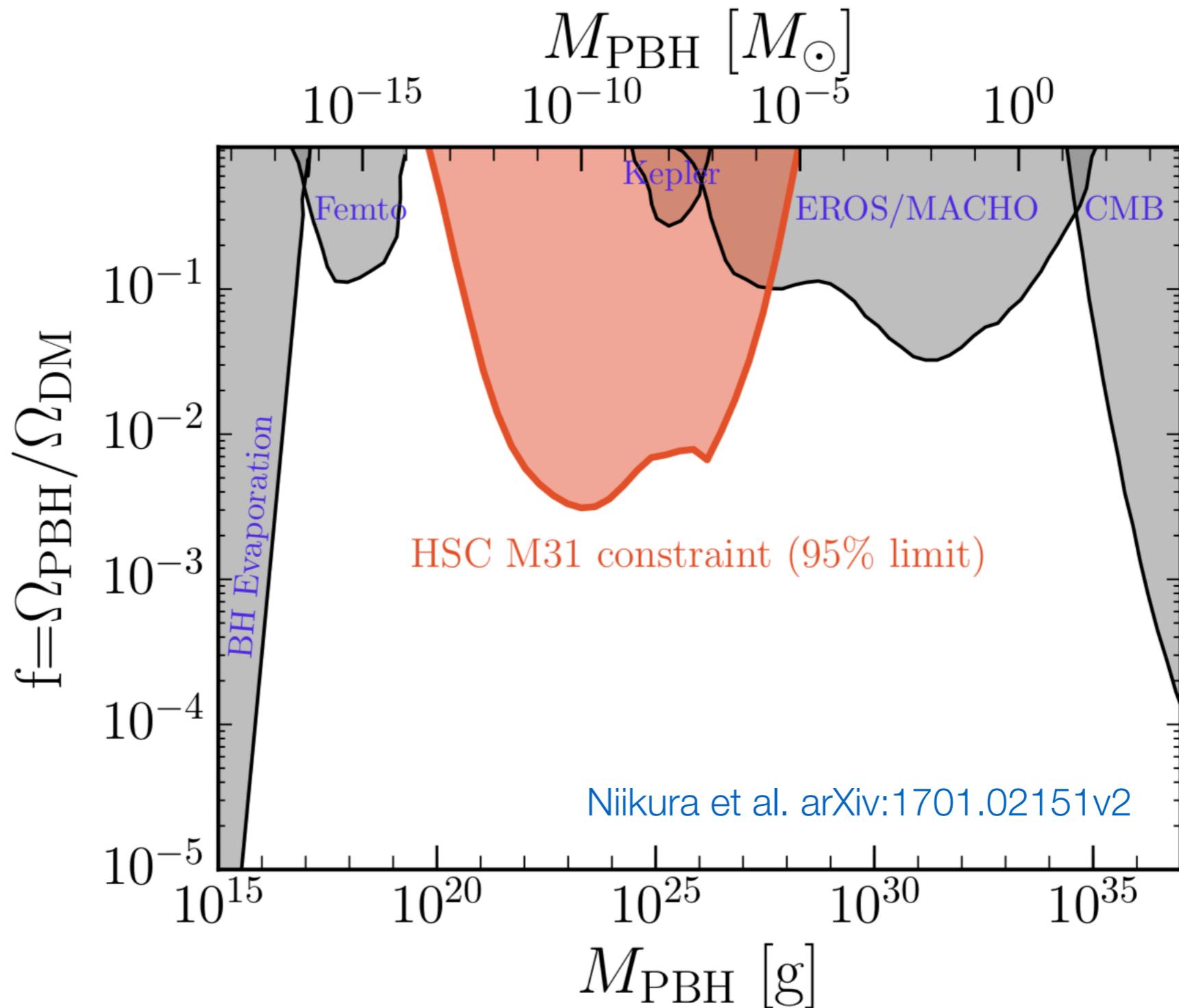
$$\mu = \frac{y^2 + 2}{y\sqrt{y^2 + 4}}.$$

- Now need to evaluate

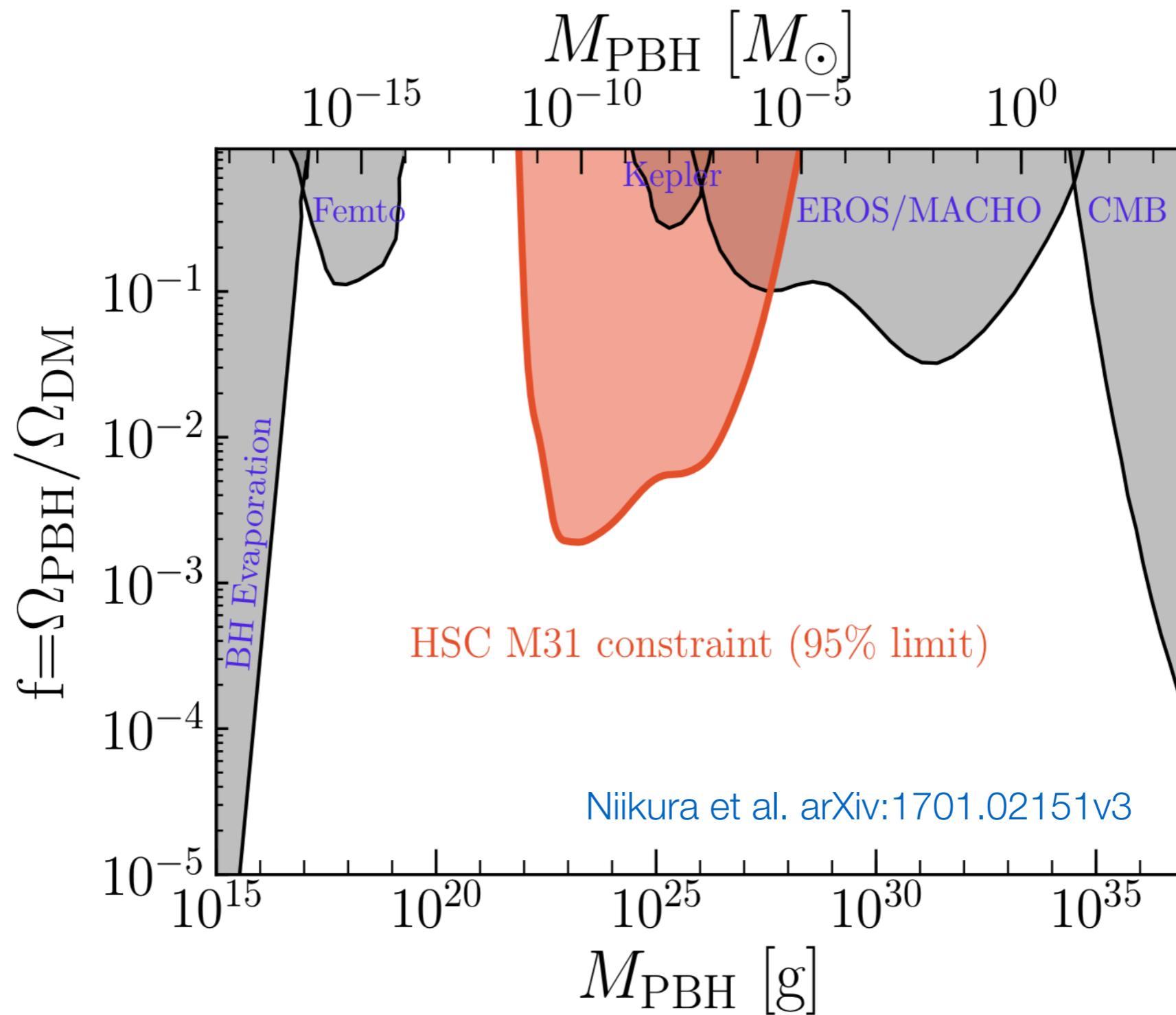
$$\int d\vec{y} \frac{\vec{y}^2 + 1}{|\vec{y}| \sqrt{\vec{y}^2 + 4}}$$

- Tends to reduce the magnification

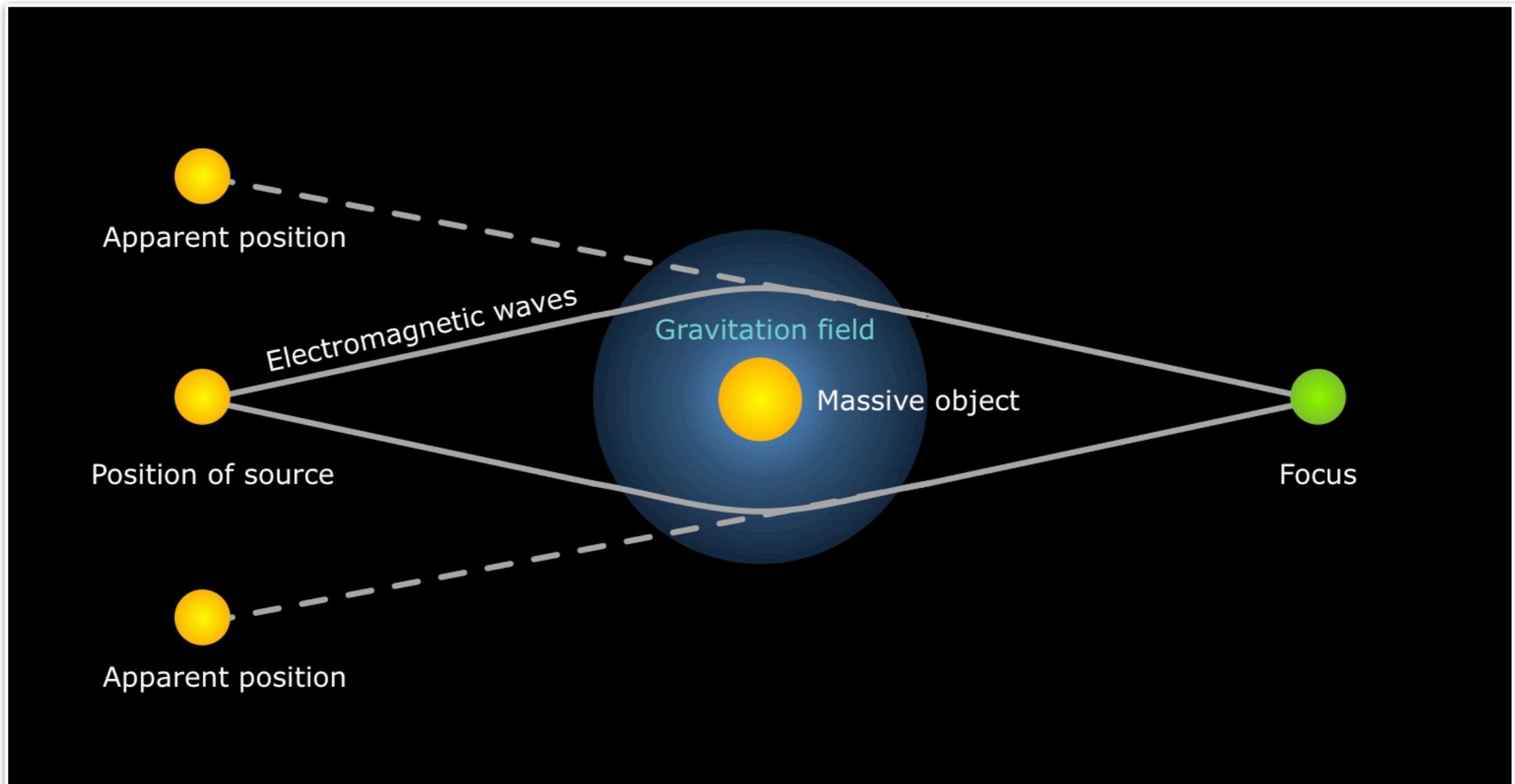
# Effect of Wave Optics + Finite Source Size



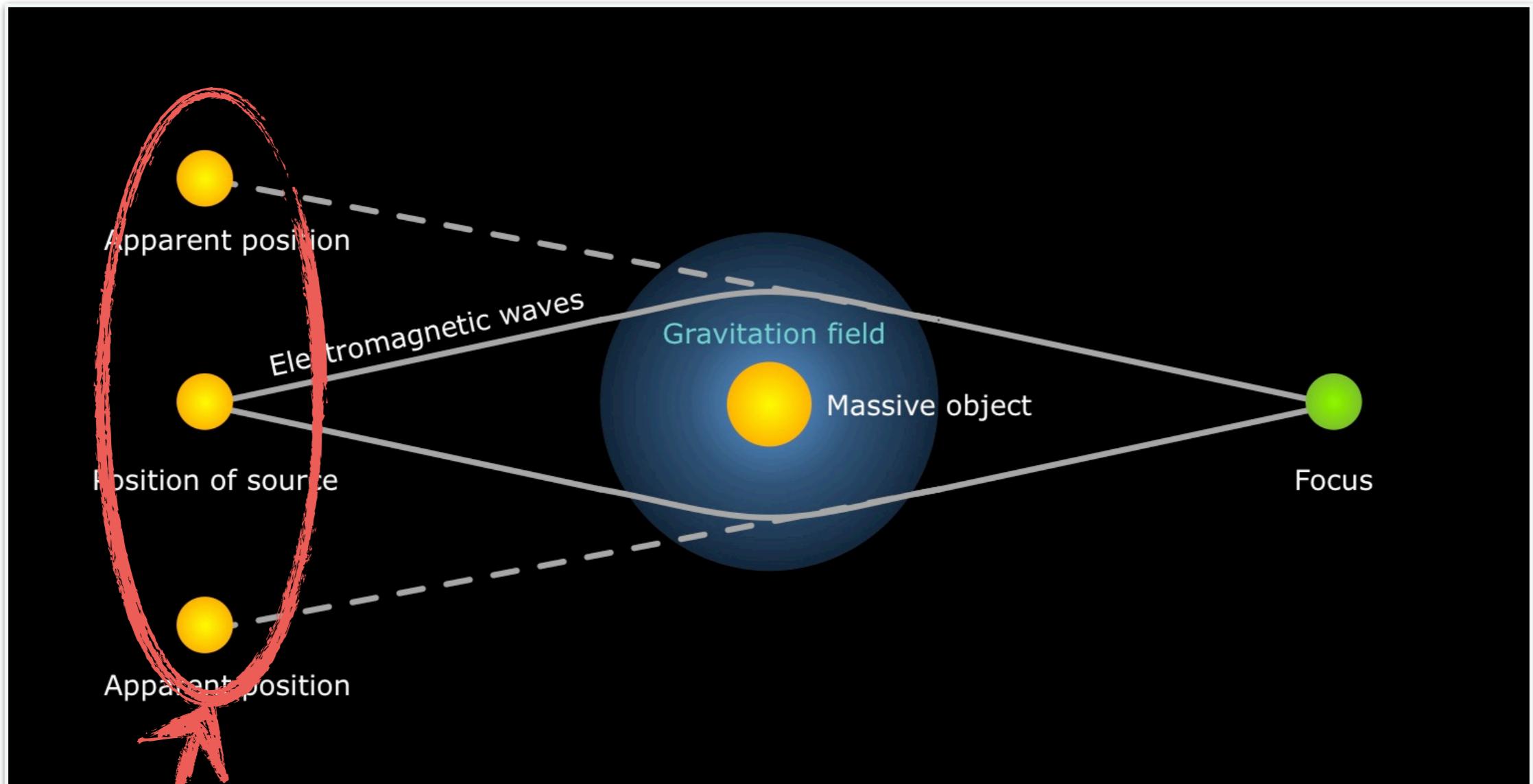
# Effect of Wave Optics + Finite Source Size



# Femtolensing

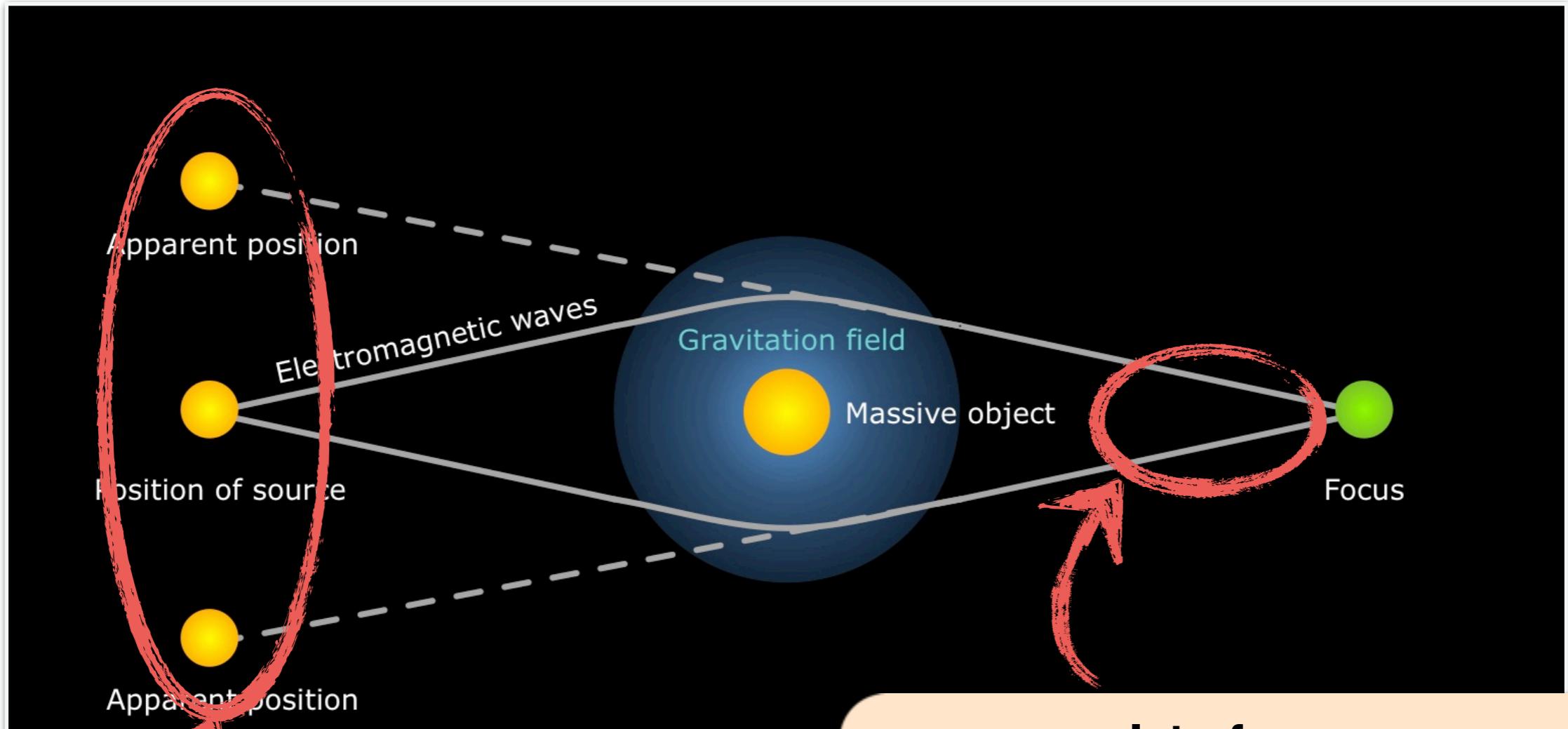


# Femtolensing



Images not resolved

# Femtolensing



Images not resolved

**Interference**  
between images

$$A = A_1 e^{iEt_1} + A_2 e^{iEt_2}$$

expect wiggles in energy spectrum

# Time Delay (Geometric Optics)

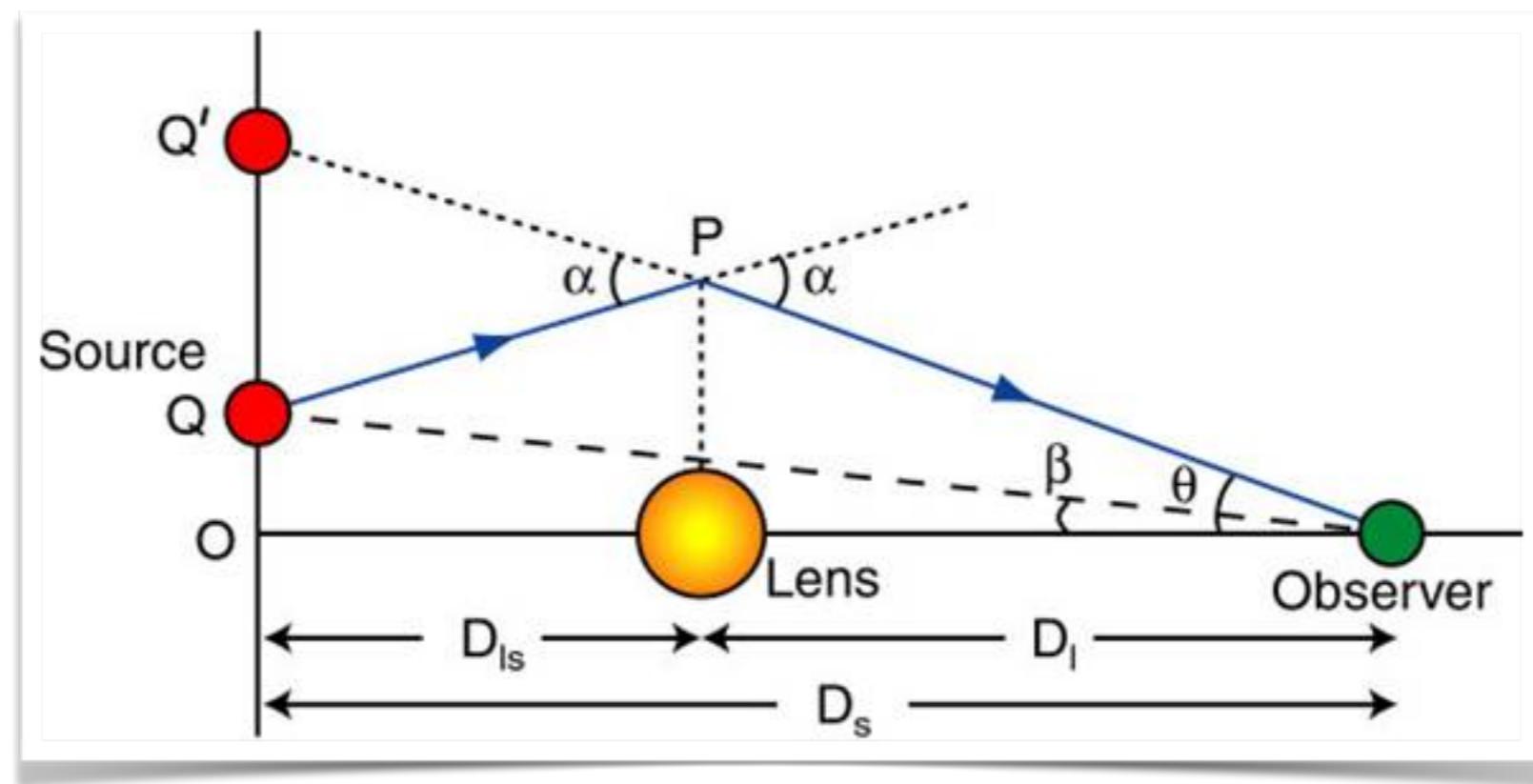
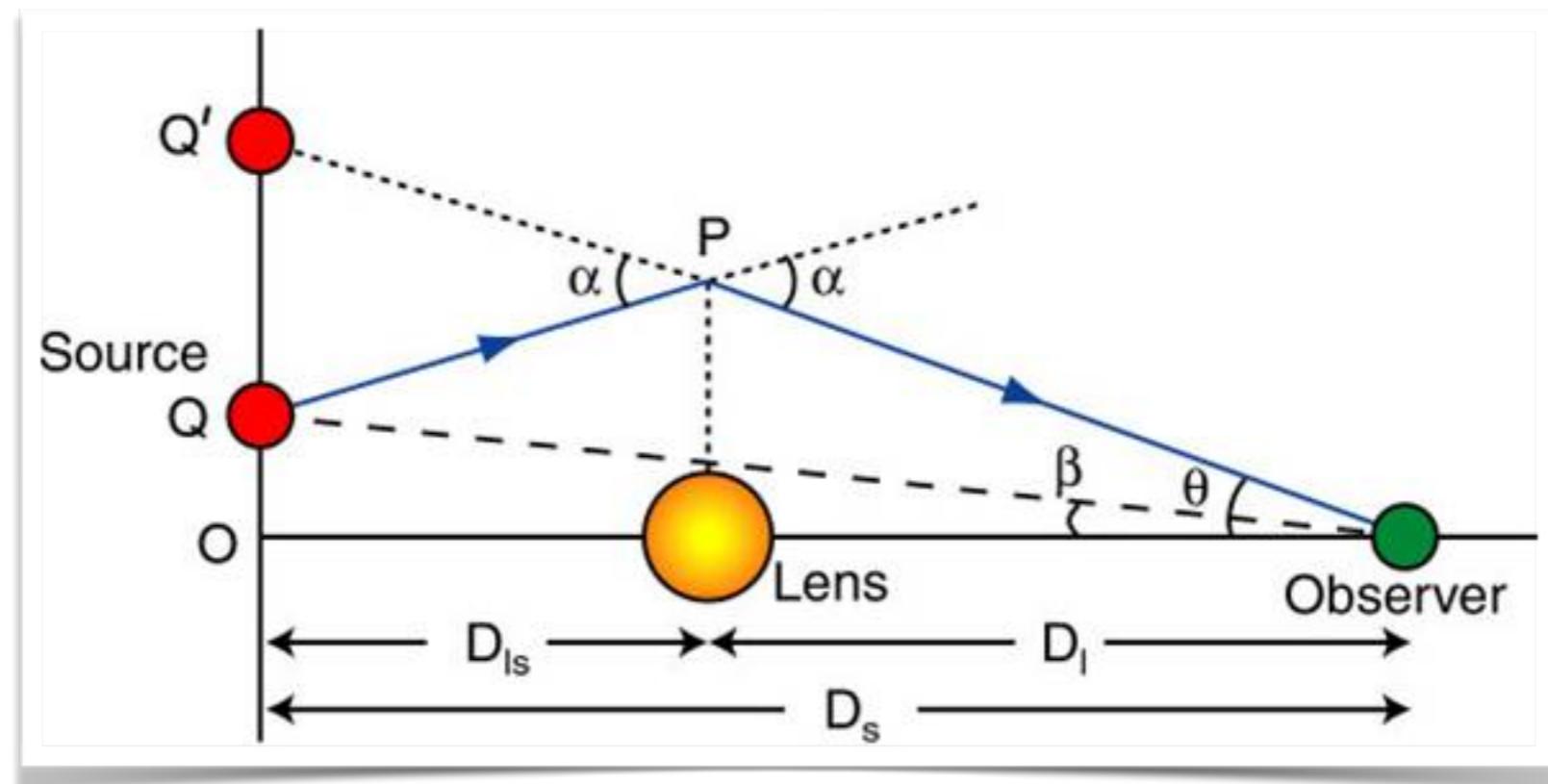


Image: University of Manchester

Time Delay:

$$\Delta t = \frac{1}{c} \frac{D_L D_S}{D_{LS}} (1 + z_L) \left( \frac{|\vec{\theta} - \vec{\beta}|^2}{2} - \psi(\vec{\theta}) \right)$$

# Time Delay (Geometric Optics)



## Geometric Time Delay

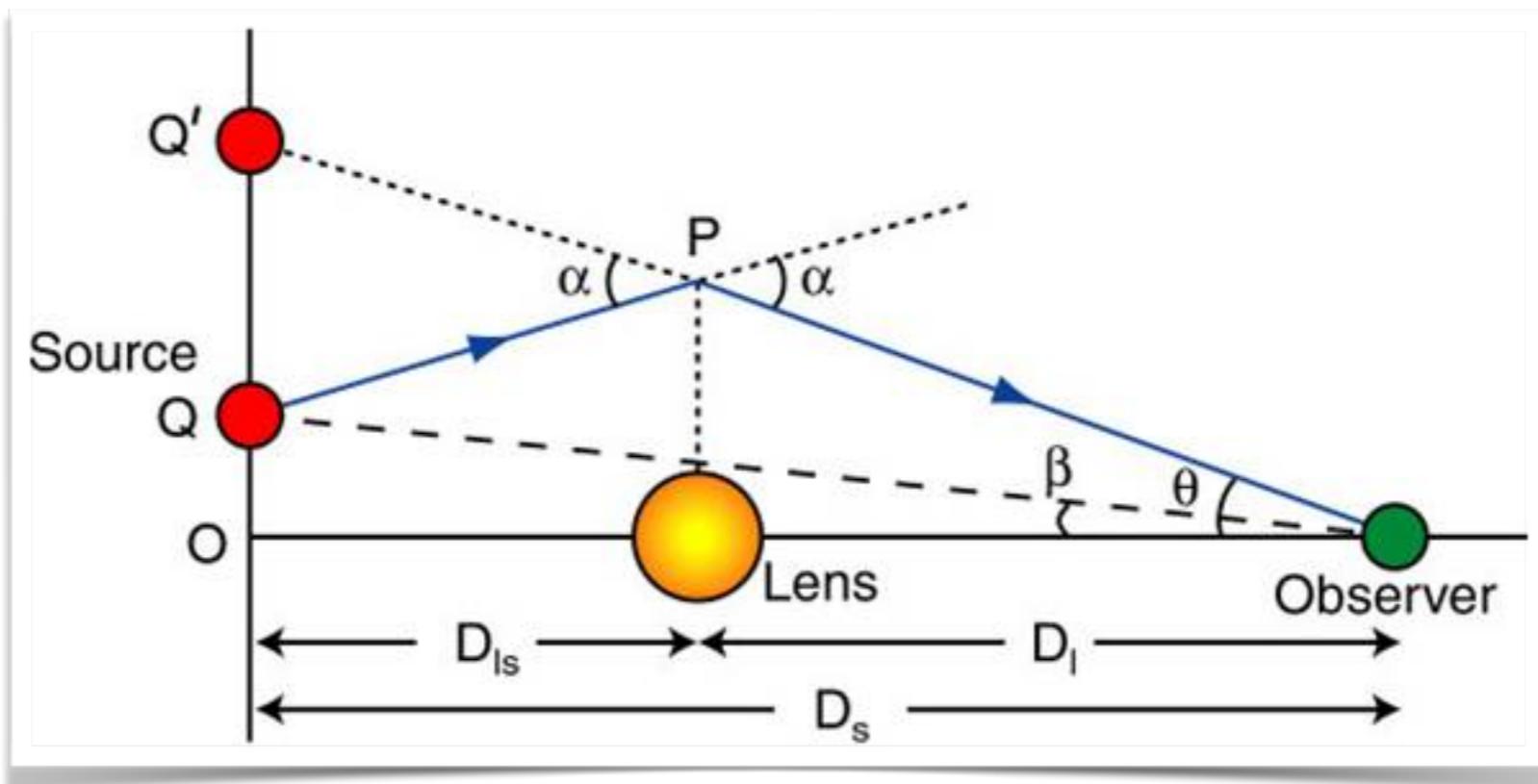
University of Manchester

Time Delay:

$$\Delta t = \frac{1}{c} \frac{D_L D_S}{D_{LS}} (1 + z_L)$$

$$\left( \frac{|\vec{\theta} - \vec{\beta}|^2}{2} - \psi(\vec{\theta}) \right)$$

# Time Delay (Geometric Optics)



University of Manchester

## Geometric Time Delay

Time Delay:

$$\Delta t = \frac{1}{c} \frac{D_L D_S}{D_{LS}} (1 + z_L)$$

$$\left( \frac{|\vec{\theta} - \vec{\beta}|^2}{2} \right) \psi(\vec{\theta})$$

## Lensing Potential

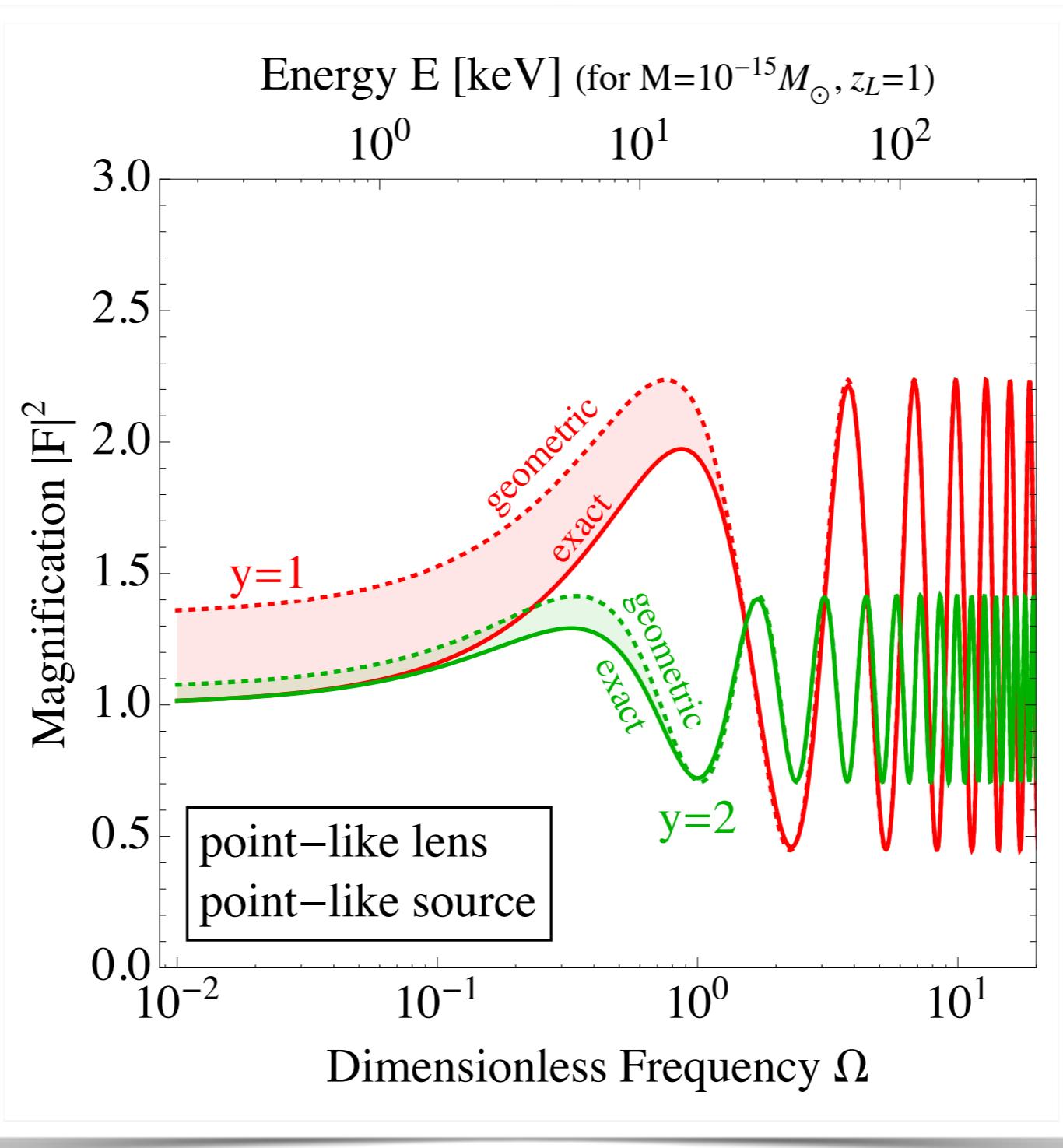
for point-like lens:  $\psi(\theta) = \theta_E^2 \log \theta$

# Time Delay (Geometric Optics)

$$\Delta t = \frac{1}{c} \frac{D_L D_S}{D_{LS}} (1 + z_L) \left( \frac{|\vec{\theta} - \vec{\beta}|^2}{2} - \psi(\vec{\theta}) \right)$$

- If  $\omega \Delta t \lesssim 1$ , expect interference between the two images
- Oscillatory features in magnification function

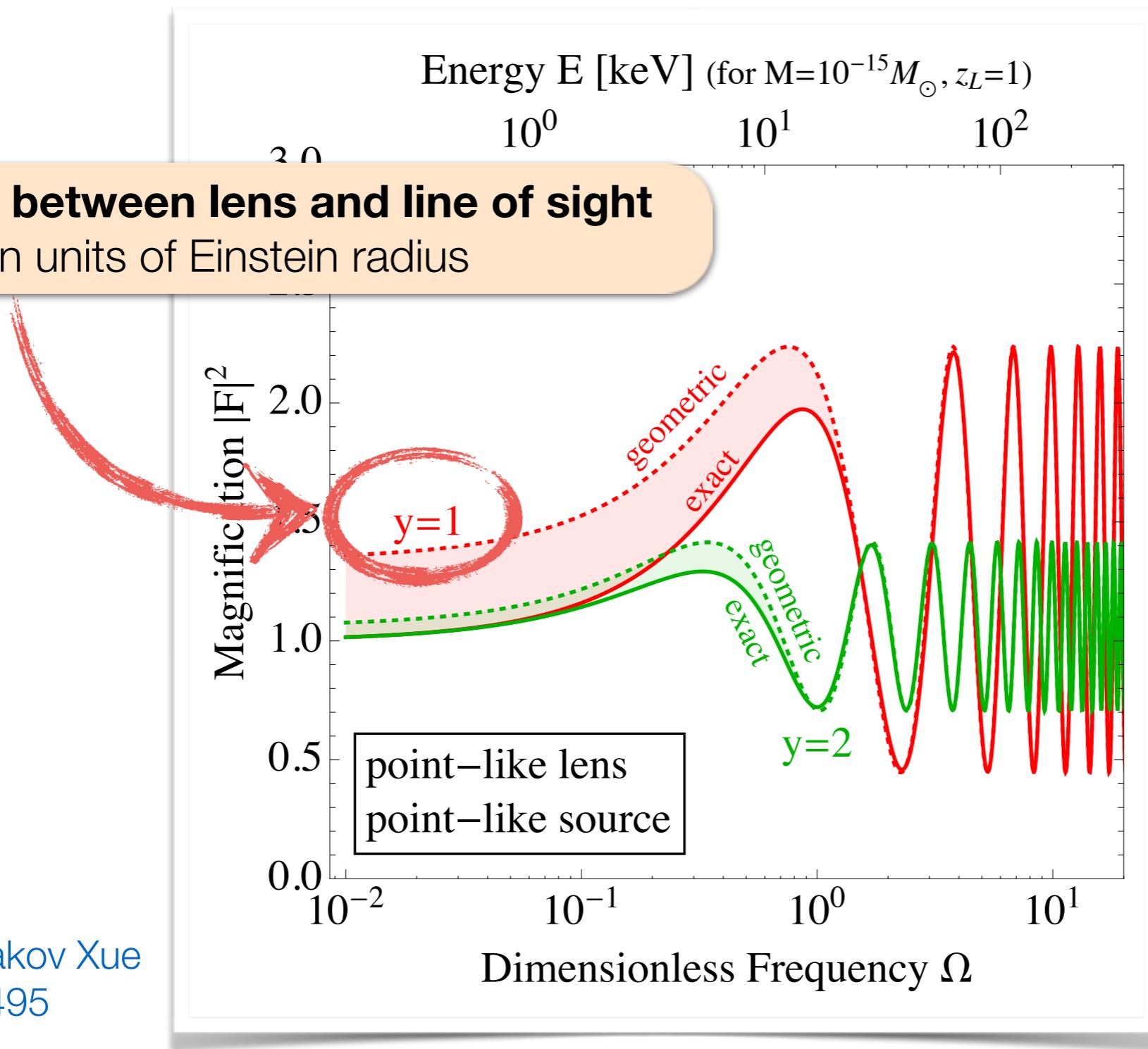
# Magnification Function



Katz JK Sibiryakov Xue  
arXiv:1807.11495

# Magnification Function

**Distance between lens and line of sight**  
in units of Einstein radius



Katz JK Sibiryakov Xue  
arXiv:1807.11495

# Magnification Function

**Distance between lens and line of sight**  
in units of Einstein radius

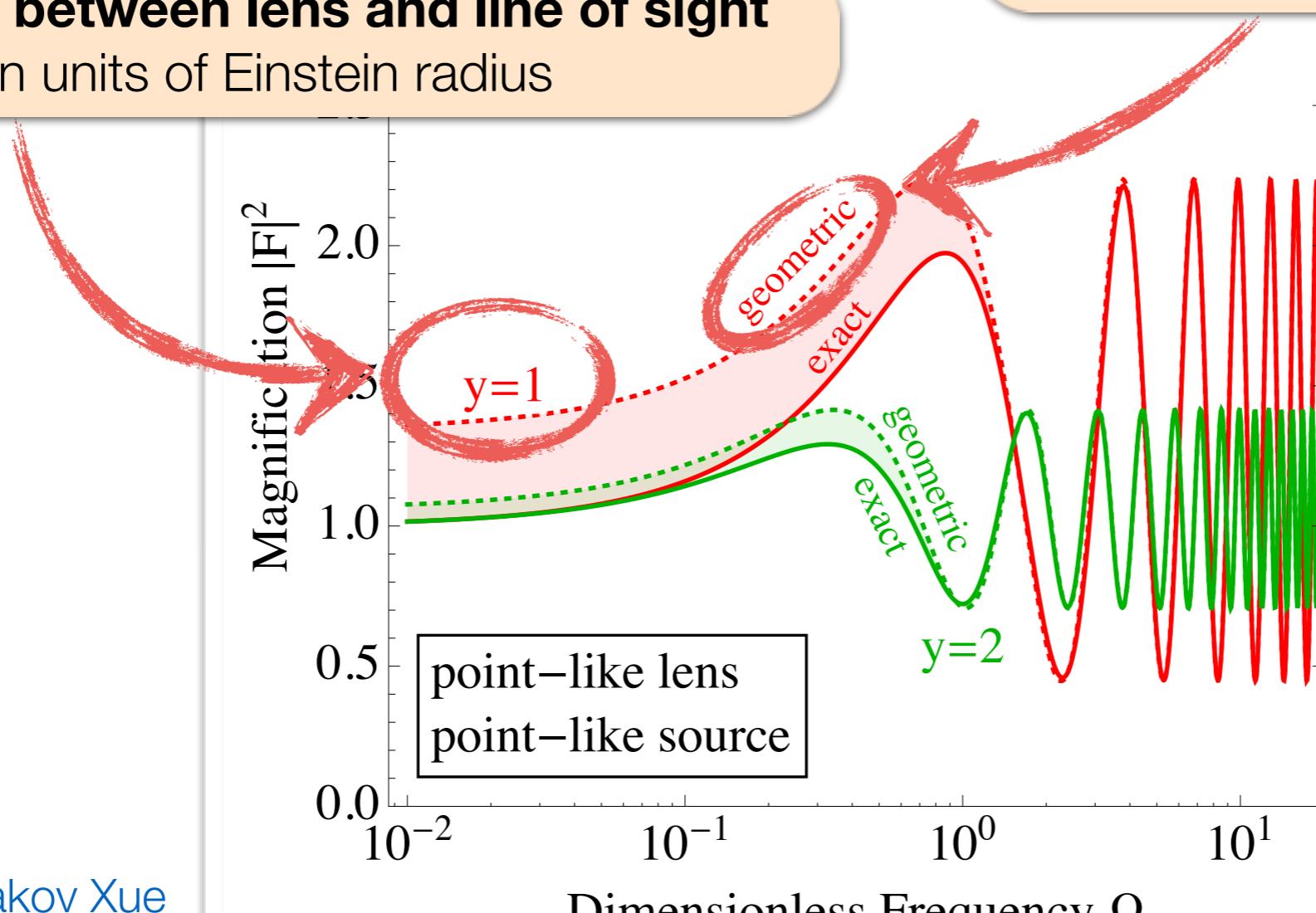
Energy E [keV] (for  $M=10^{-15} M_{\odot}$ )

$10^0$

$10^1$

$\sim 1$

**Classical geometric picture**  
interference between two rays



Katz JK Sibiryakov Xue  
arXiv:1807.11495

# Magnification Function

**Distance between lens and line of sight**  
in units of Einstein radius

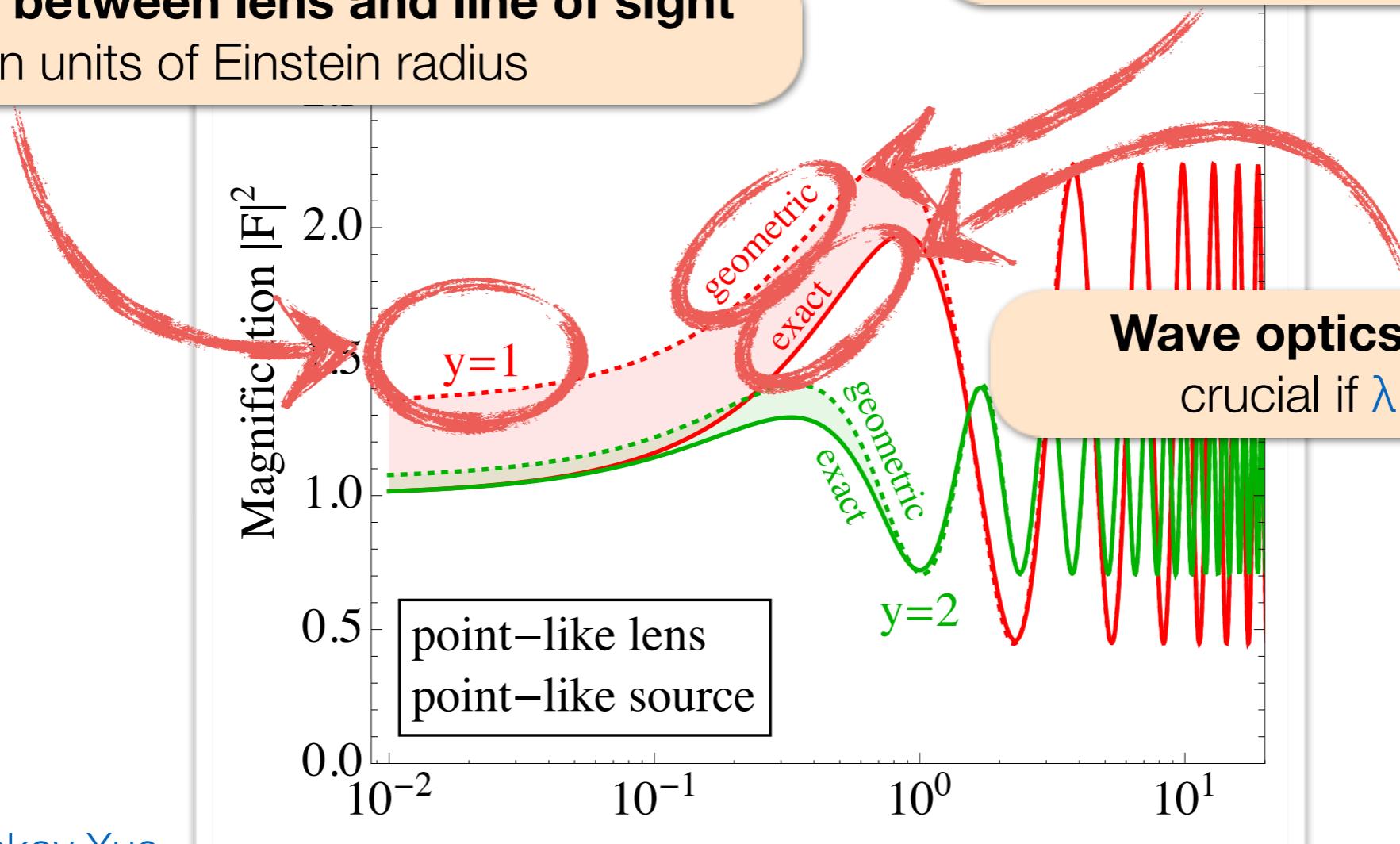
Energy  $E$  [keV] (for  $M=10^{-15} M_{\odot}$ )

$10^0$

$10^1$

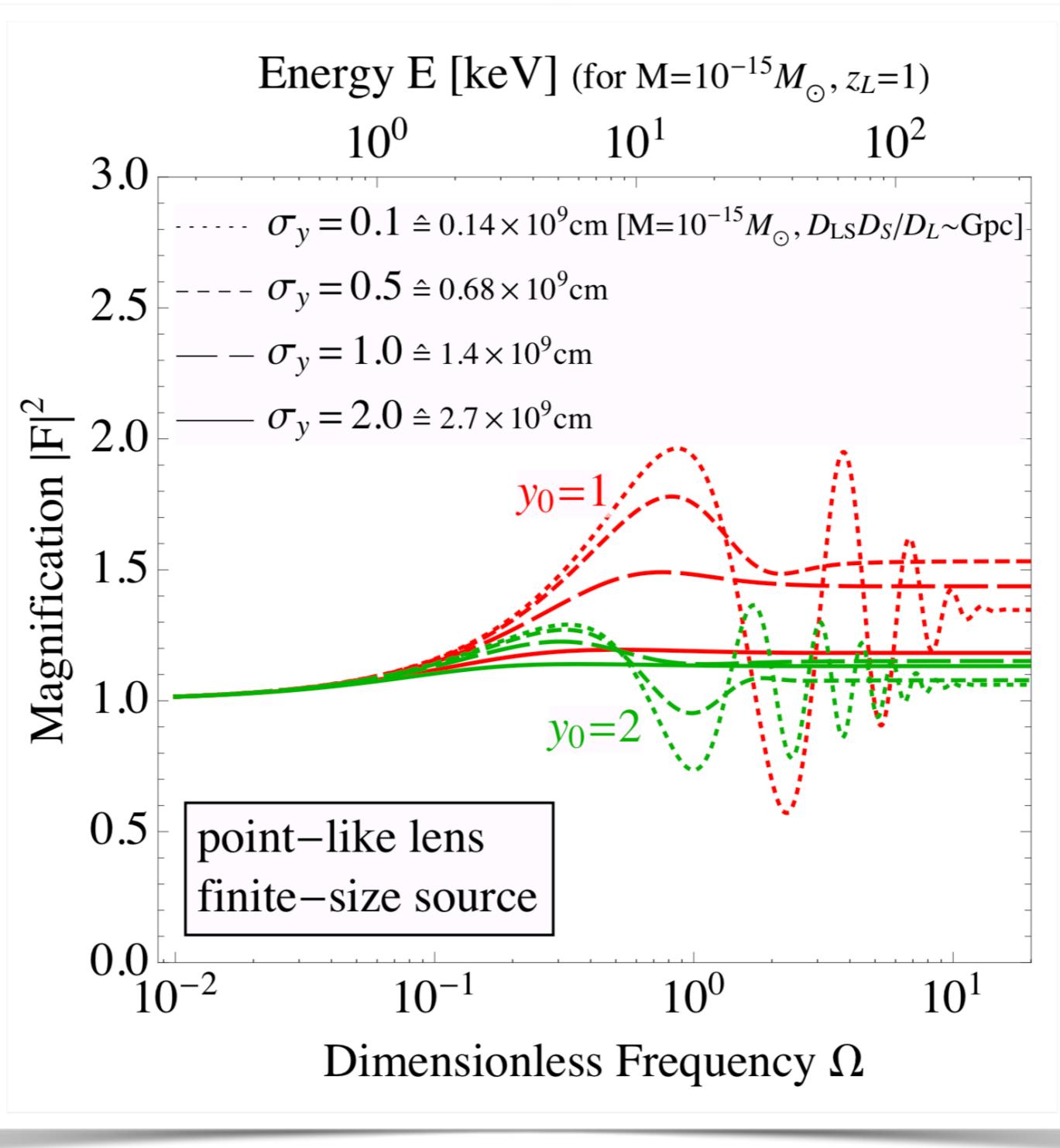
( $\sim 1$ )

**Classical geometric picture**  
interference between two rays



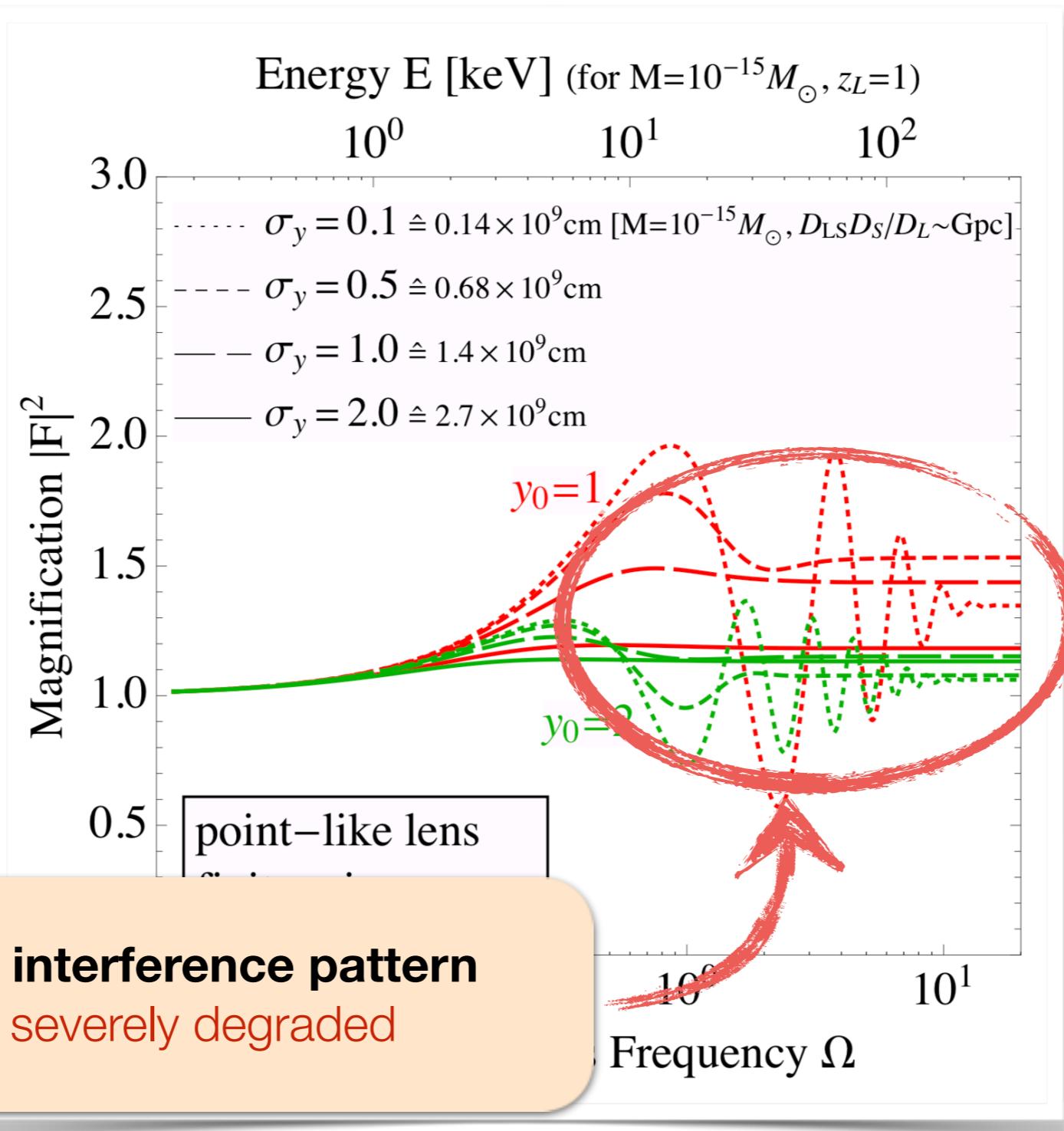
Katz JK Sibiryakov Xue  
arXiv:1807.11495

# Including Finite Source Size



Katz JK Sibiryakov Xue  
arXiv:1807.11495

# Including Finite Source Size



**Wash-out of interference pattern**

sensitivity severely degraded

Katz  
arXiv

# Requires Source Properties

 How to realize  $\omega \Delta t \lesssim 1$ ?

$$\begin{aligned}\Delta t &= \frac{D_L D_S}{c D_{LS}} \left[ \frac{(\theta - \beta)^2}{2} - \frac{4G_N M D_{LS}}{c^2 D_L D_S} \log \theta \right] \\ &\sim \frac{4G_N M}{c^2} = 2 \times 10^{-5} \text{ sec} \left( \frac{M}{M_\odot} \right)\end{aligned}$$

or, equivalently

$$\frac{1}{\Delta t} \sim 0.3 \text{ MeV} \left( \frac{10^{-16} M_\odot}{M} \right)$$

 Satisfied for instance for *gamma rays*

# Possible Source: Gamma Ray Bursts (GRBs)

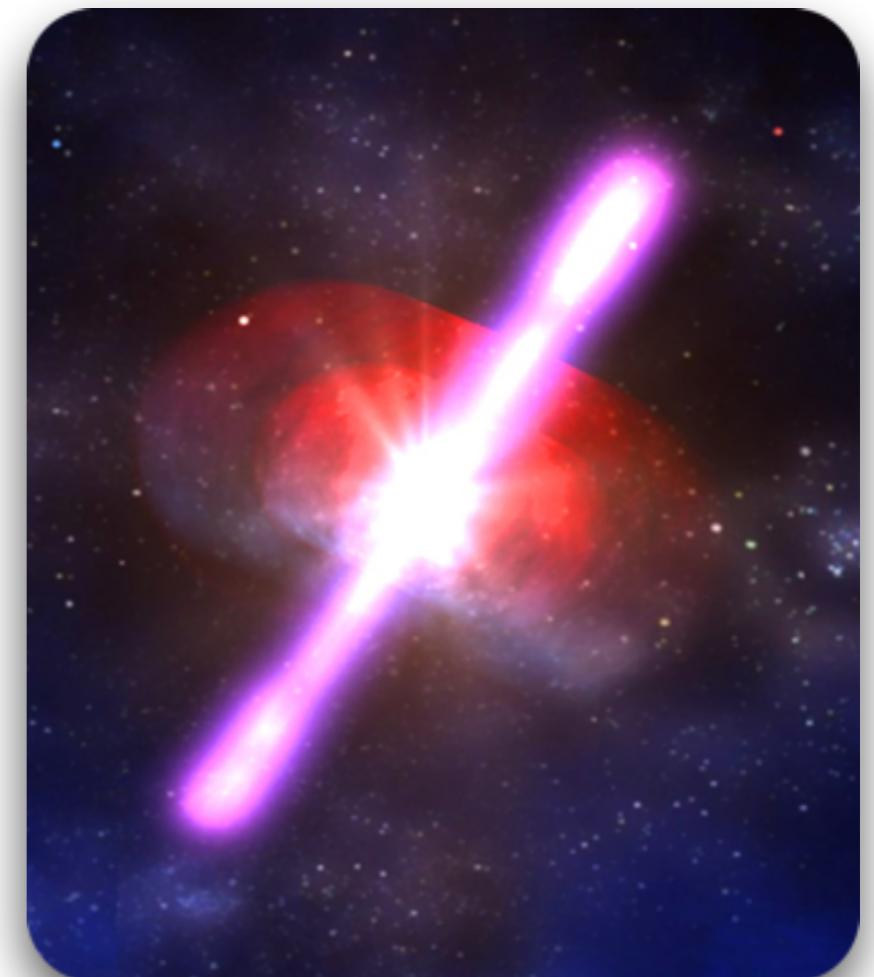
Brightest electromagnetic events in the Universe

- Can be observed far, far away ( $\sim$  Gpc,  $z \sim$  few)
- large probability of finding a lens in between

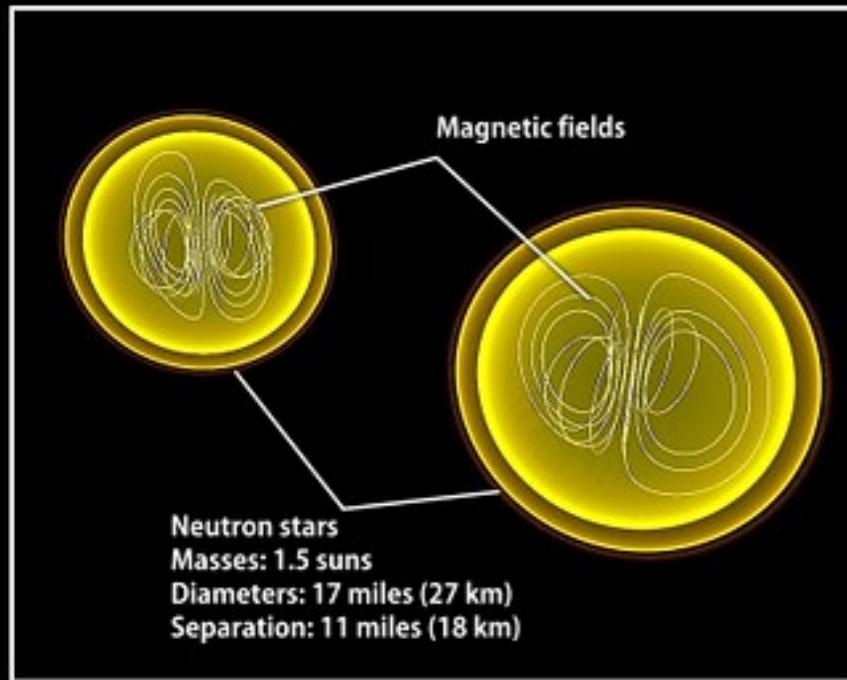
Duration:  $\sim$ 100 ms to tens of seconds

Proposed mechanisms

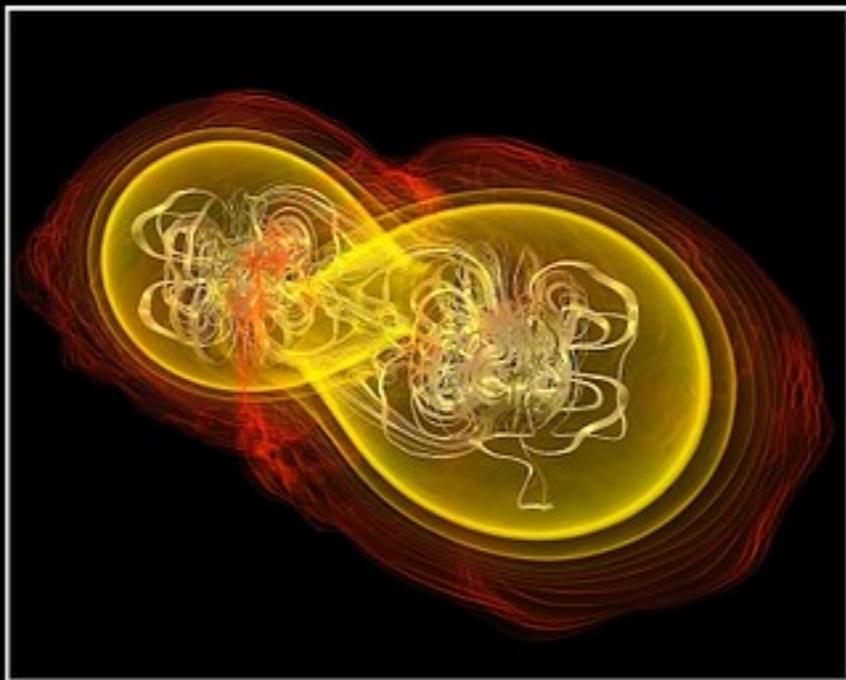
- Supernova explosion of massive star  
(long GRB, duration  $\gtrsim$  2 sec)
- Binary neutron star merger  
(short GRB, duration  $\lesssim$  2 sec)



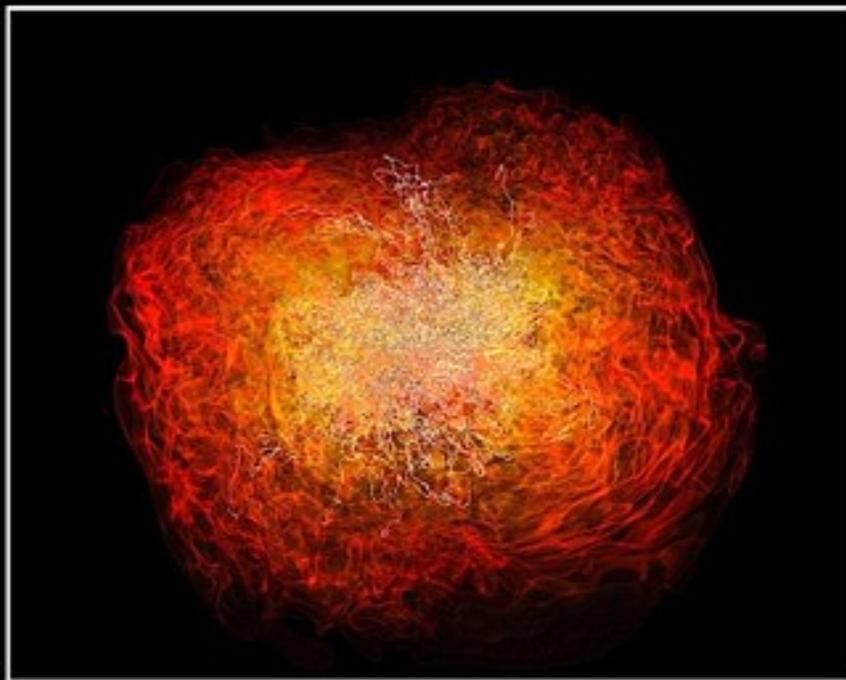
# Crashing neutron stars can make gamma-ray burst jets



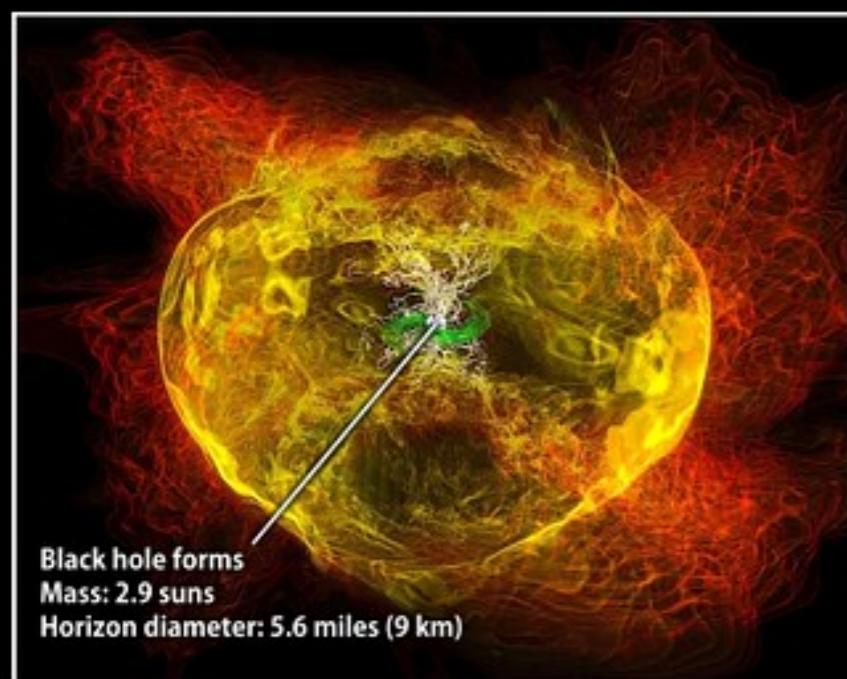
Simulation begins



7.4 milliseconds



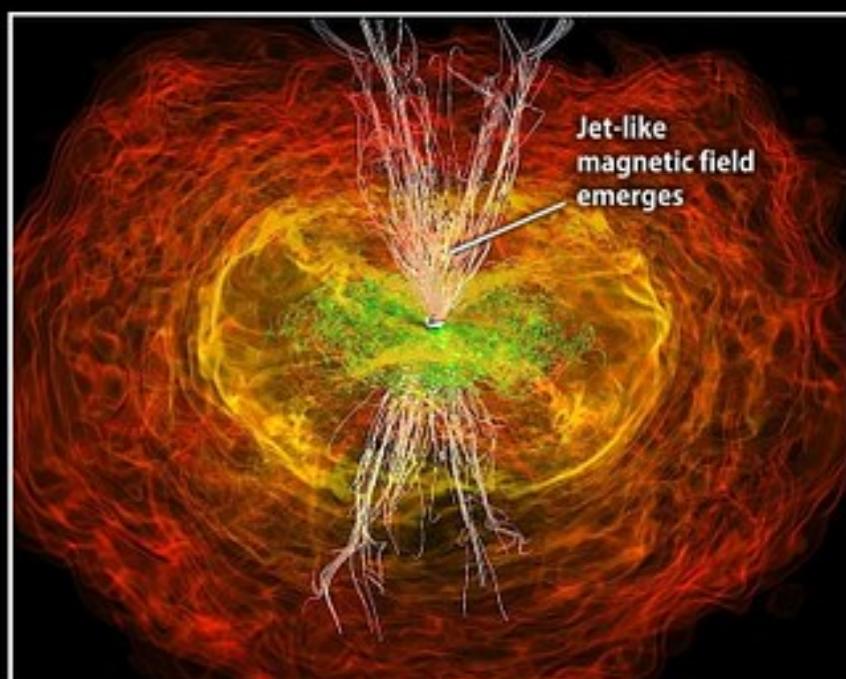
13.8 milliseconds



15.3 milliseconds



21.2 milliseconds



26.5 milliseconds

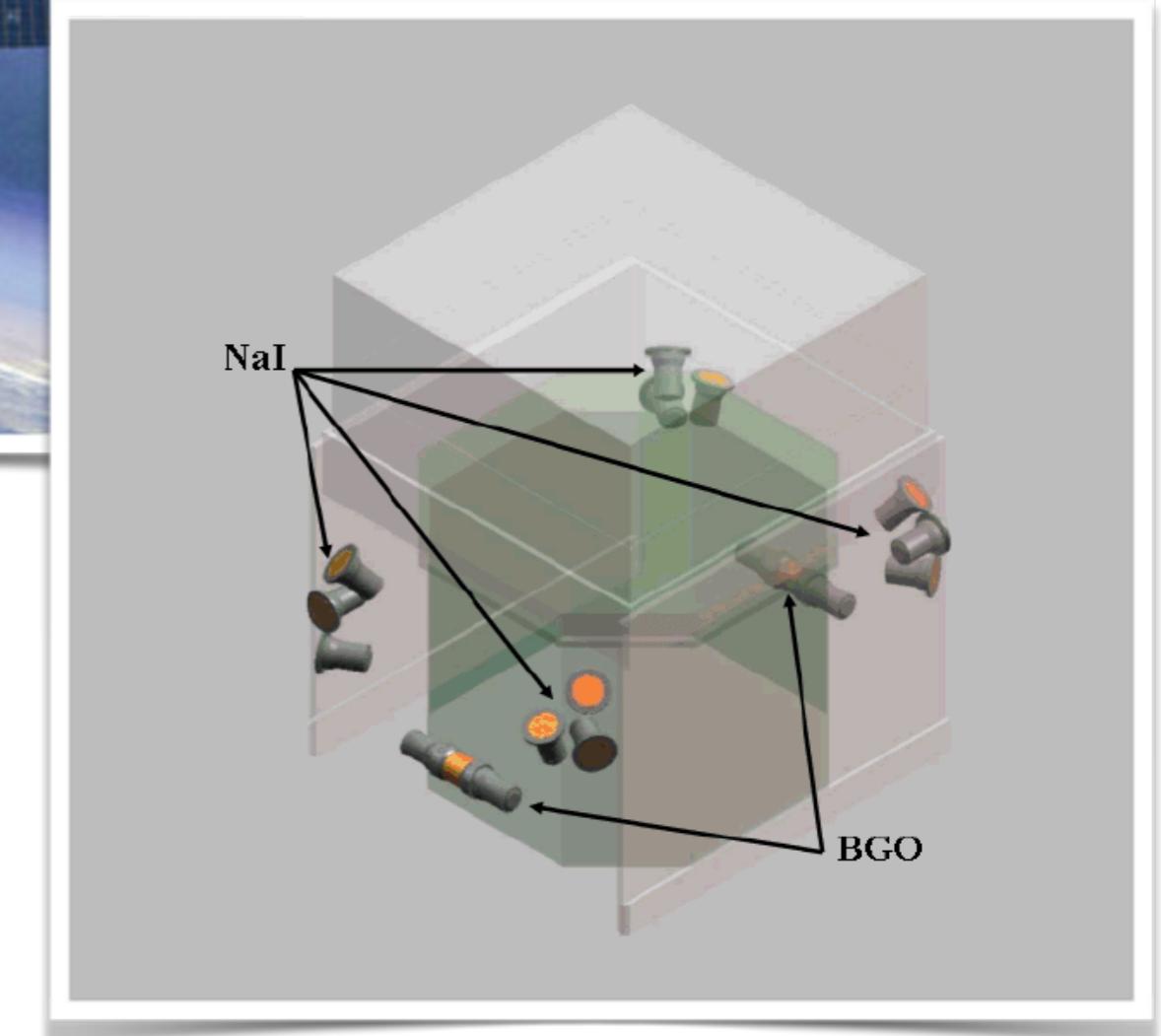
Credit: NASA/AEI/ZIB/M. Koppitz and L. Rezzolla

# GRB Observations



Fermi Satellite

Fermi Gamma Ray Burst Monitor



## GBM Specifications & Performance

Quantity	GBM (Minimum Spec.)
Energy Range	< 10 keV - > 25 MeV
Field of View	all sky not occulted by the Earth
Energy Resolution <sup>1</sup>	< 10%
Deadtime per Event	< 15 $\mu$ s
Burst Sensitivity <sup>2</sup>	< 0.5 cm <sup>-2</sup> s <sup>-1</sup>
Alert GRB Location <sup>3</sup>	$\sim$ 15°
Final GRB Location <sup>4</sup>	$\sim$ 3°

<sup>1</sup> 1- $\sigma$ , 0.1 - 1 MeV

<sup>2</sup> 50 - 300 keV

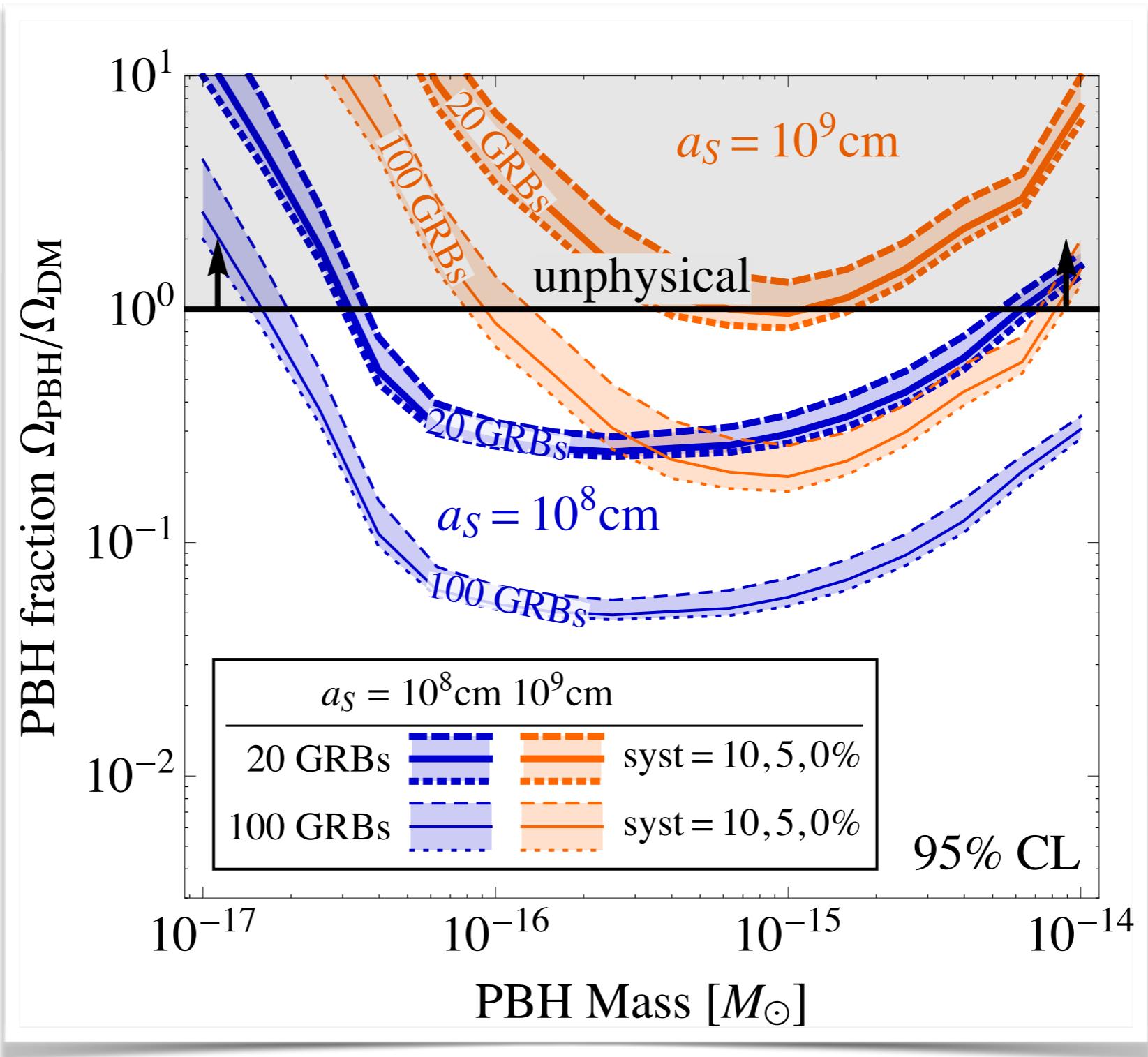
<sup>3</sup> Calculated on-board; 1 second burst of 10 photons cm<sup>-2</sup> s<sup>-1</sup>, 50 - 300 keV

<sup>4</sup> Final ground computed locations; 1 second burst of 10 photons cm<sup>-2</sup> s<sup>-1</sup>, 50 - 300 keV

# GRB Caveats

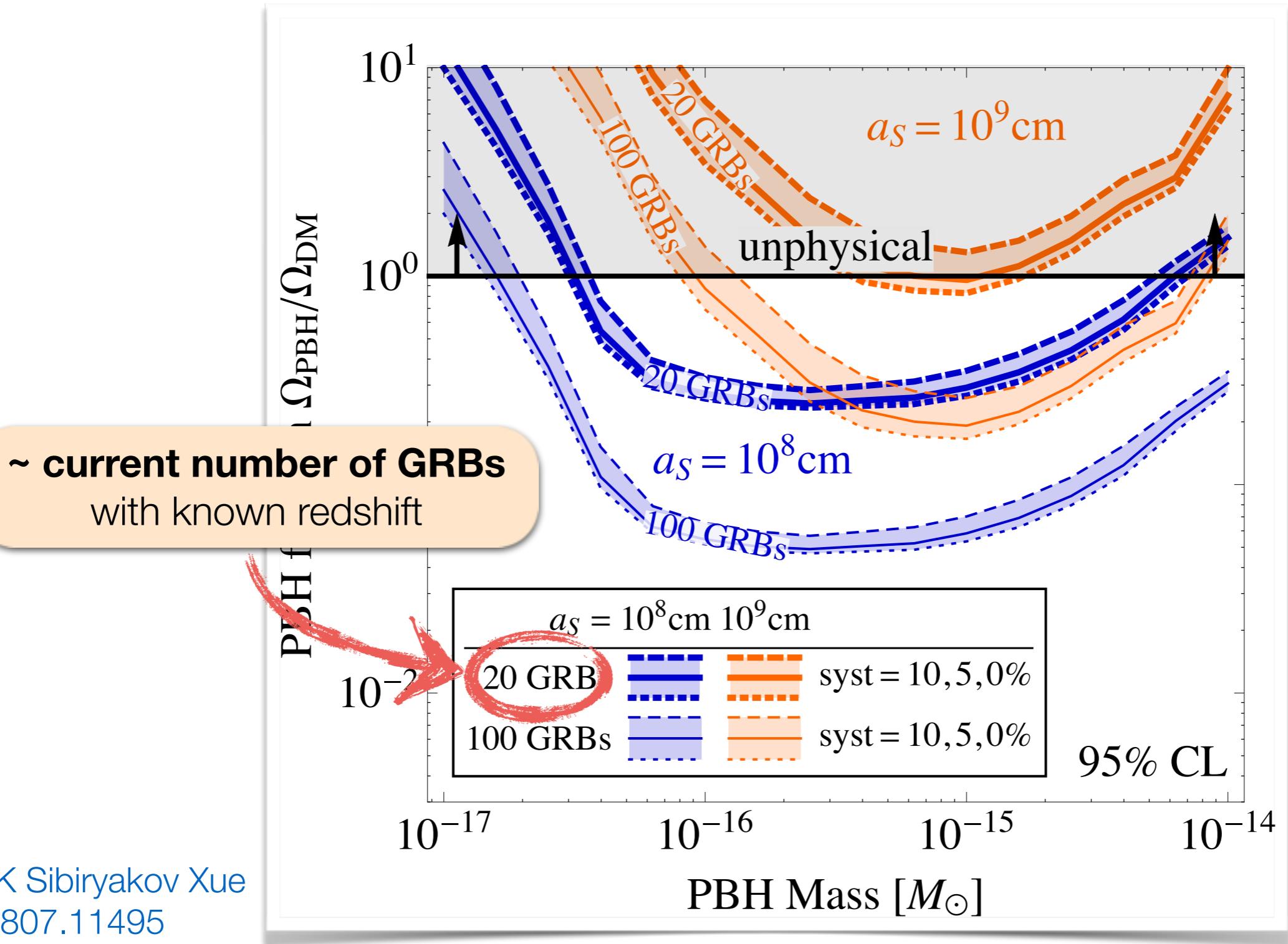
- To constrain the PBH density using (non-)observation of femtolensing, we need to know the distance to the GRB
  - Requires optical counterpart
  - Only ~20 GRBs with known distance so far
- Wave optics effects
- Finite size of GRB source

# Sensitivity Estimates



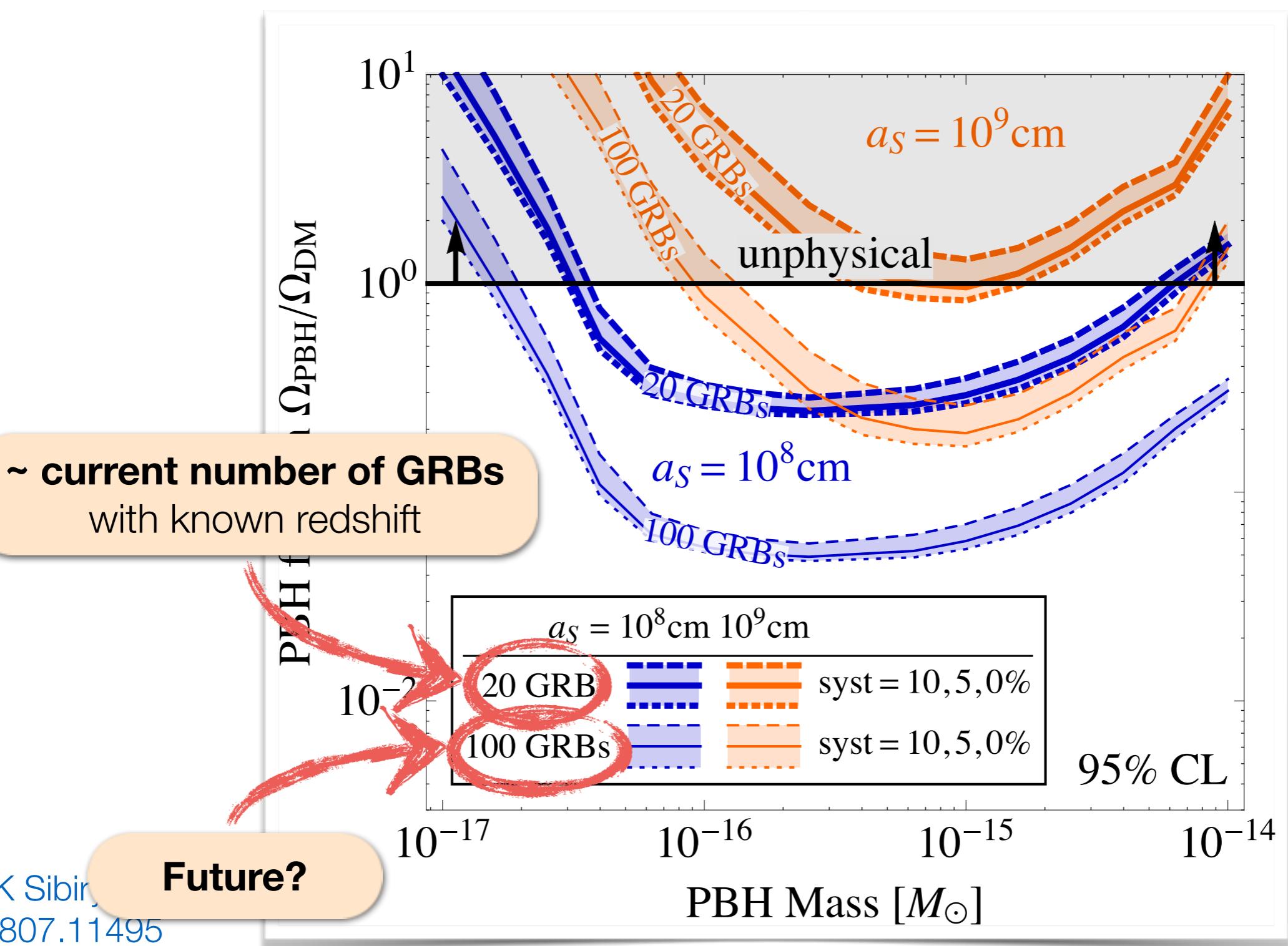
Katz JK Sibiryakov Xue  
arXiv:1807.11495

# Sensitivity Estimates

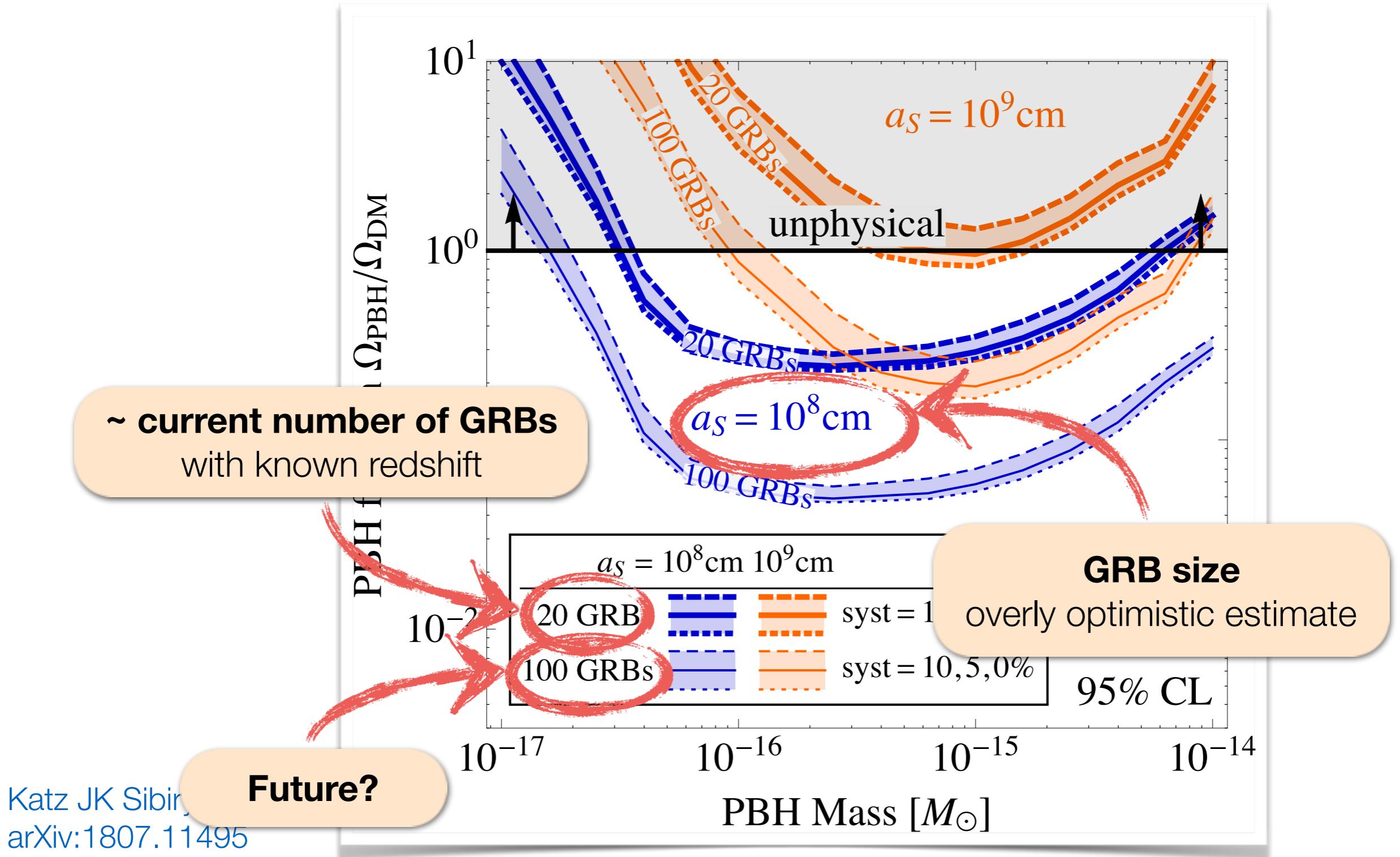


Katz JK Sibiryakov Xue  
arXiv:1807.11495

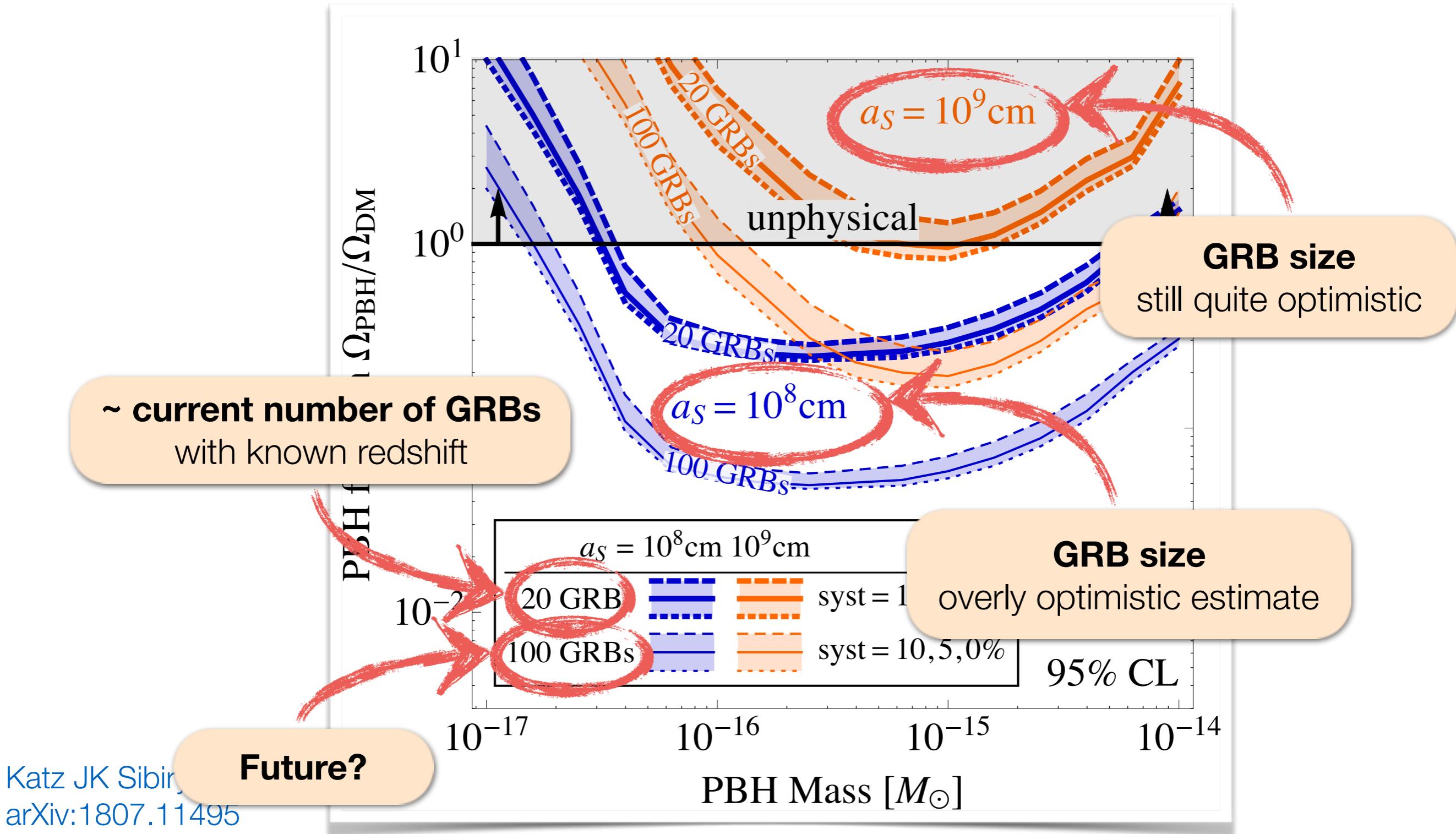
# Sensitivity Estimates



# Sensitivity Estimates



# Sensitivity Estimates



# Finite Size of GRB Sources

- $\gamma$  production in GRBs:Katz JK Sibiryakov Xue, arXiv:1807.11495
  - e<sup>+</sup>, e<sup>-</sup> acceleration in relativistic shock waves
- Variability time scale in rest frame for source size as:
$$t_{\text{var}} \sim a_S/c$$
- Relativistic boost  $\gamma$ :
$$t_{\text{var}} \sim (1 + z_S) \left(1 - \frac{v}{c} \cos \theta_{\text{obs}}\right) \gamma a_S/c$$
- Observation angle  $\theta_{\text{obs}} \sim 1/\gamma$
- Observed  $t_{\text{var}} \gtrsim 0.01$  sec (short GRB);  $\gtrsim 0.1$  sec (long GRB)

$$a_S \simeq \frac{10^{11} \text{ cm}}{1 + z_S} \times \left( \frac{t_{\text{var}}}{0.03 \text{ sec}} \right) \left( \frac{\gamma}{100} \right)$$

# Finite Size of GRB Sources: Caveats

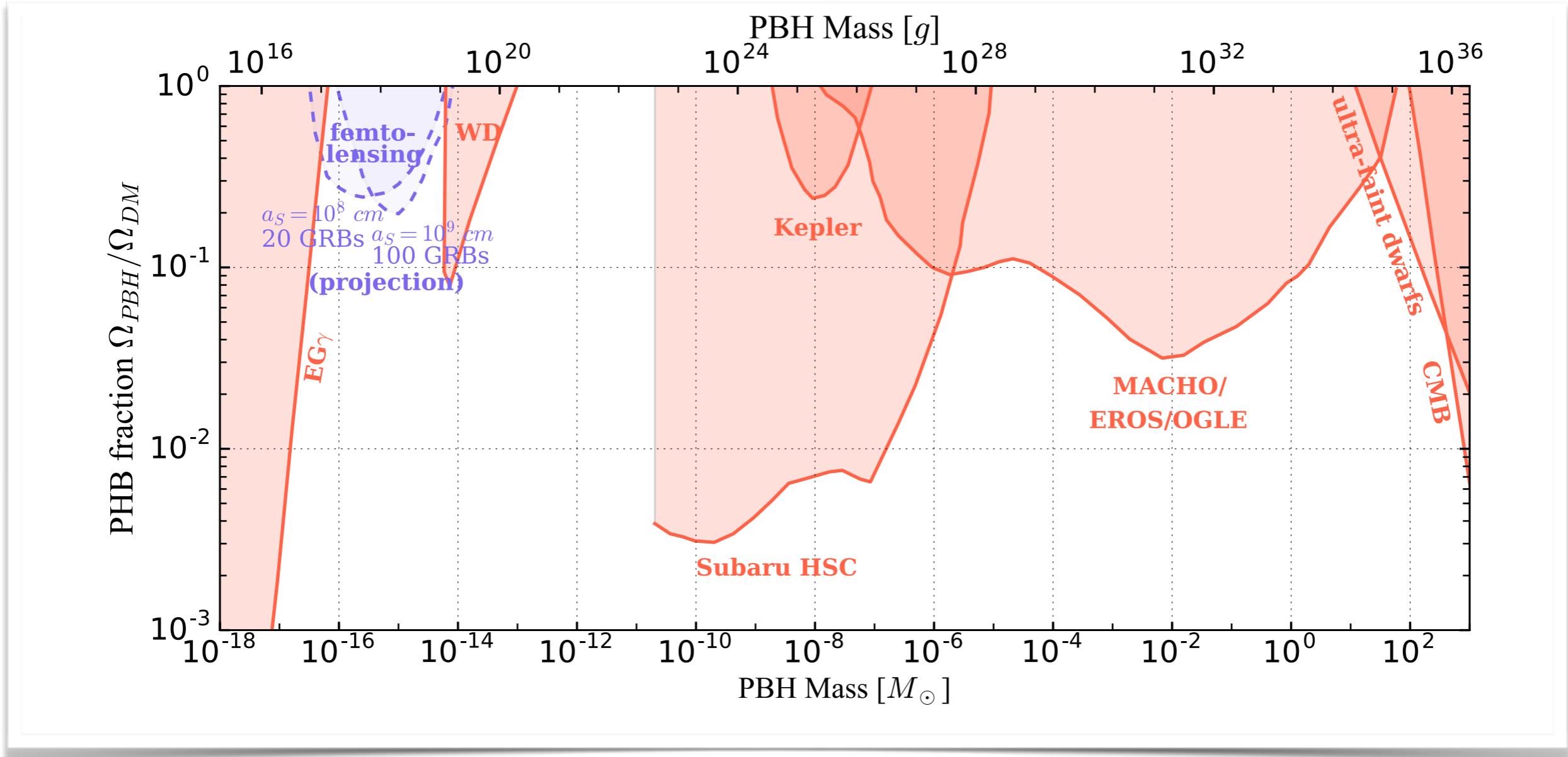
- Some GRBs with shorter variability time scale  $t_{\text{var}} \lesssim 10^{-3}$  sec
  - $t_{\text{var}}$  distribution could have a long tail → use tail for femtolensing
- Intrinsic variability might be too fast to be resolved
- Conservative estimate: require optical depth  $\tau < 1$ :

$$a_S > 1.8 \times 10^9 \left( \frac{d_S}{7 \text{Gpc}} \right)^2 \left( \frac{f_{500}}{10^{-3} \text{sec}^{-1} \text{cm}^{-2} \text{keV}^{-1}} \right) \left( \frac{\gamma}{1000} \right)^{-4} \text{cm}.$$

- Assumptions:
  - Power law spectrum with  $\alpha = -2$
  - Thomson scattering (non-relativistic in rest frame of ejecta)
  - Target  $e^+$ ,  $e^-$  from pair production by  $\gamma$  rays
  - ...

Katz JK Sibiryakov Xue, arXiv:1807.11495

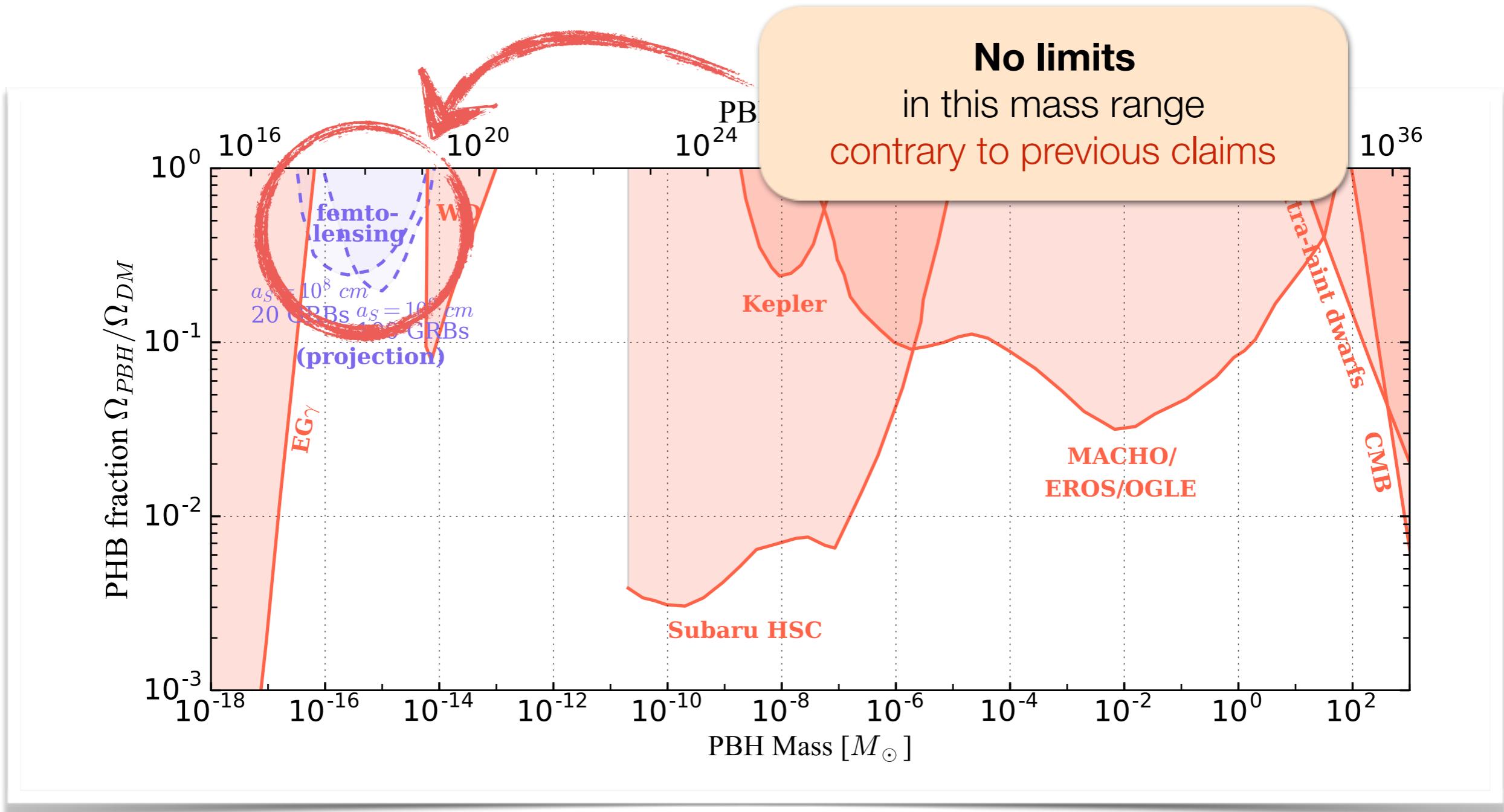
# PBH Parameter Space



Katz JK Sibiryakov Xue  
arXiv:1807.11495

Assuming  $\delta$ -like PBH mass distribution

# PBH Parameter Space

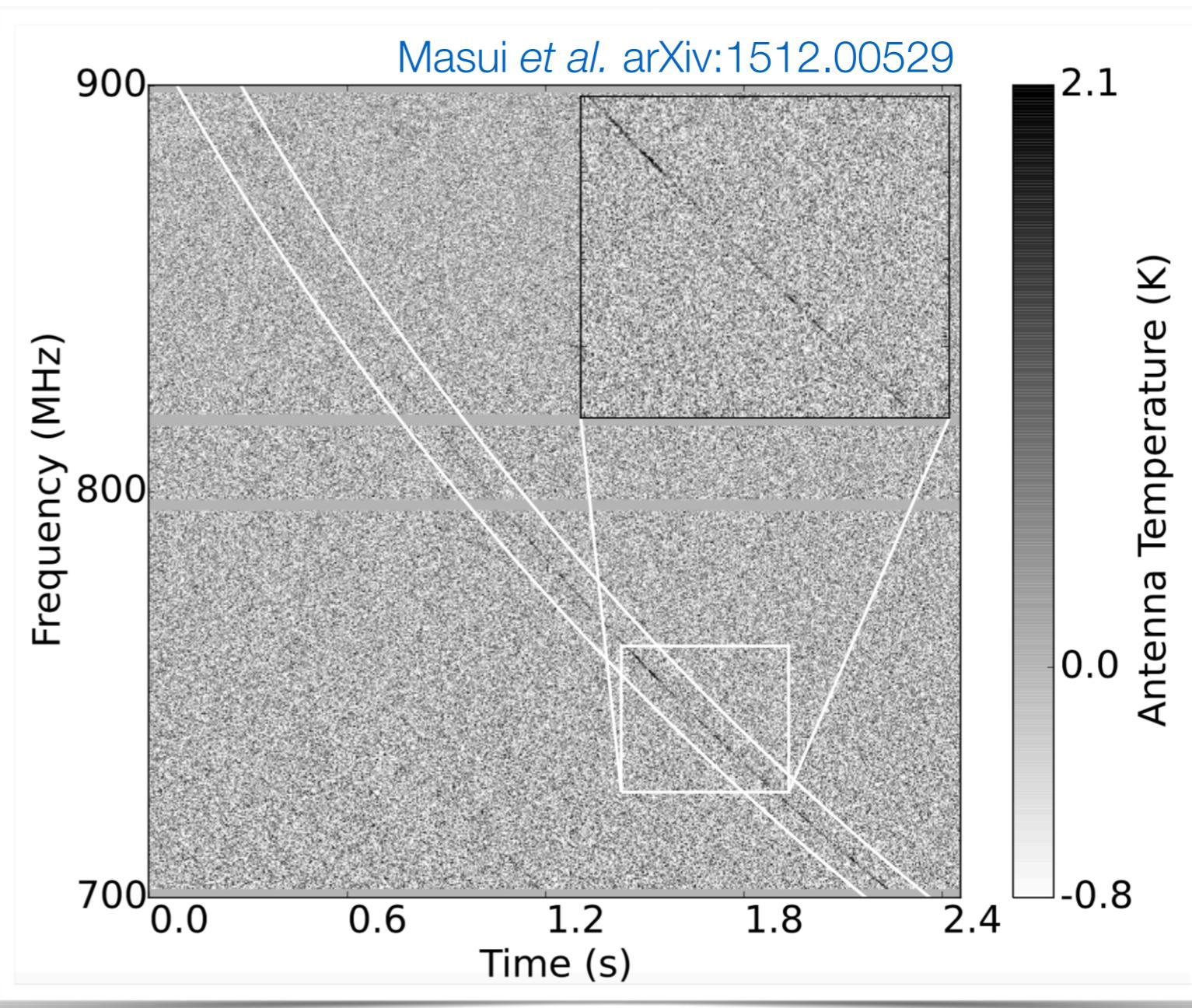


Katz JK Sibiryakov Xue  
arXiv:1807.11495

Assuming  $\delta$ -like PBH mass distribution

# Fast Radio Bursts

- Short ( $\sim$  ms) burst of radio waves
- At  $\mathcal{O}(\text{Gpc})$  distance  
(inferred from dispersion)
- Some repeaters
- Mechanism unknown



# Fast Radio Bursts

Short ( $\sim$  ms) burst of radio waves

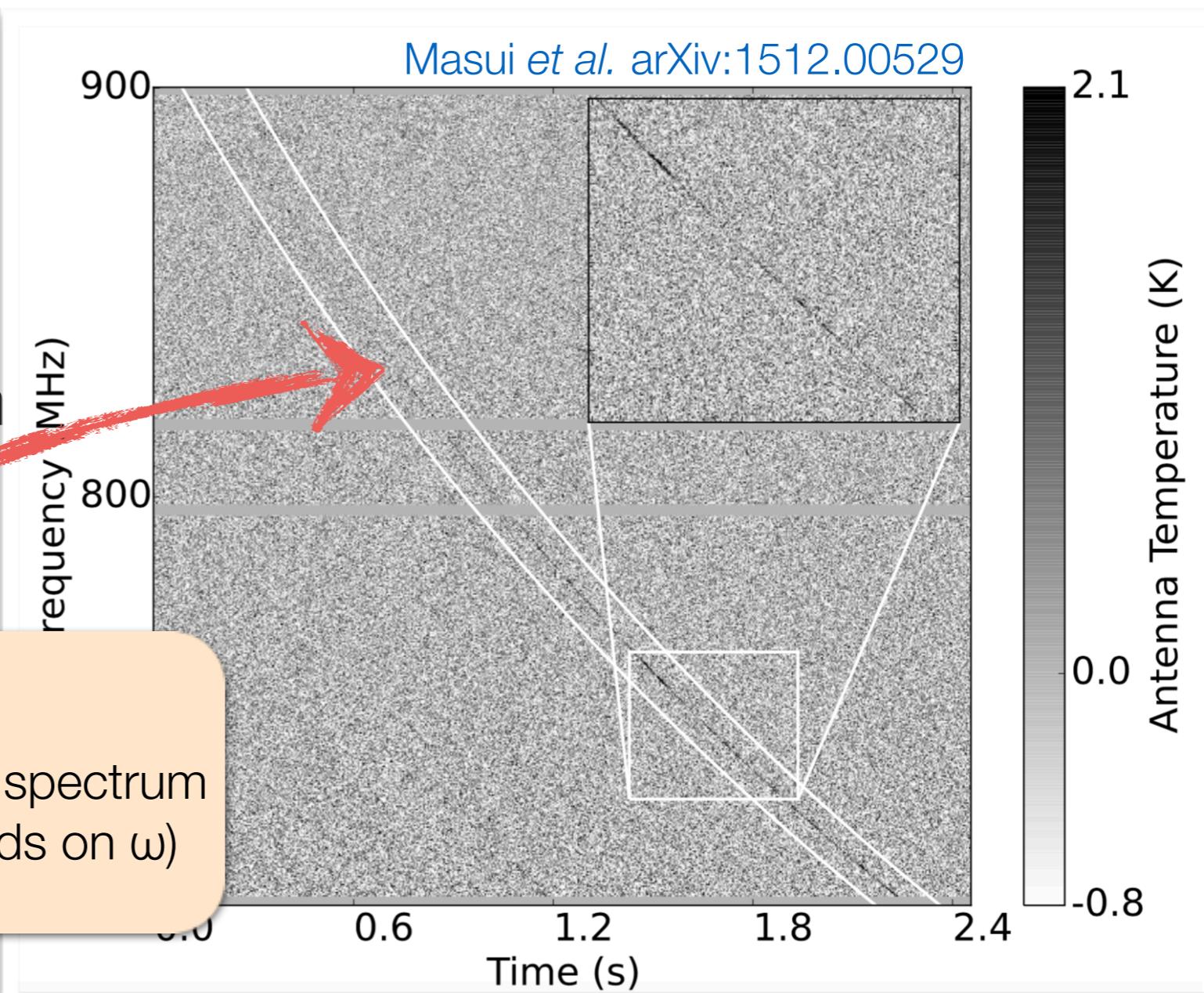
At  $\mathcal{O}(\text{Gpc})$  distance  
(inferred from dispersion)

Some repeaters

Mechanism unknown

## Dispersion

Burst moves through the frequency spectrum  
(speed of light in ISM / IGM depends on  $\omega$ )



# Fast Radio Bursts

## Scintillation

interference between waves traveling along different paths through turbulent ISM / IGM.

Short ( $\sim$  ms) burst of radio waves

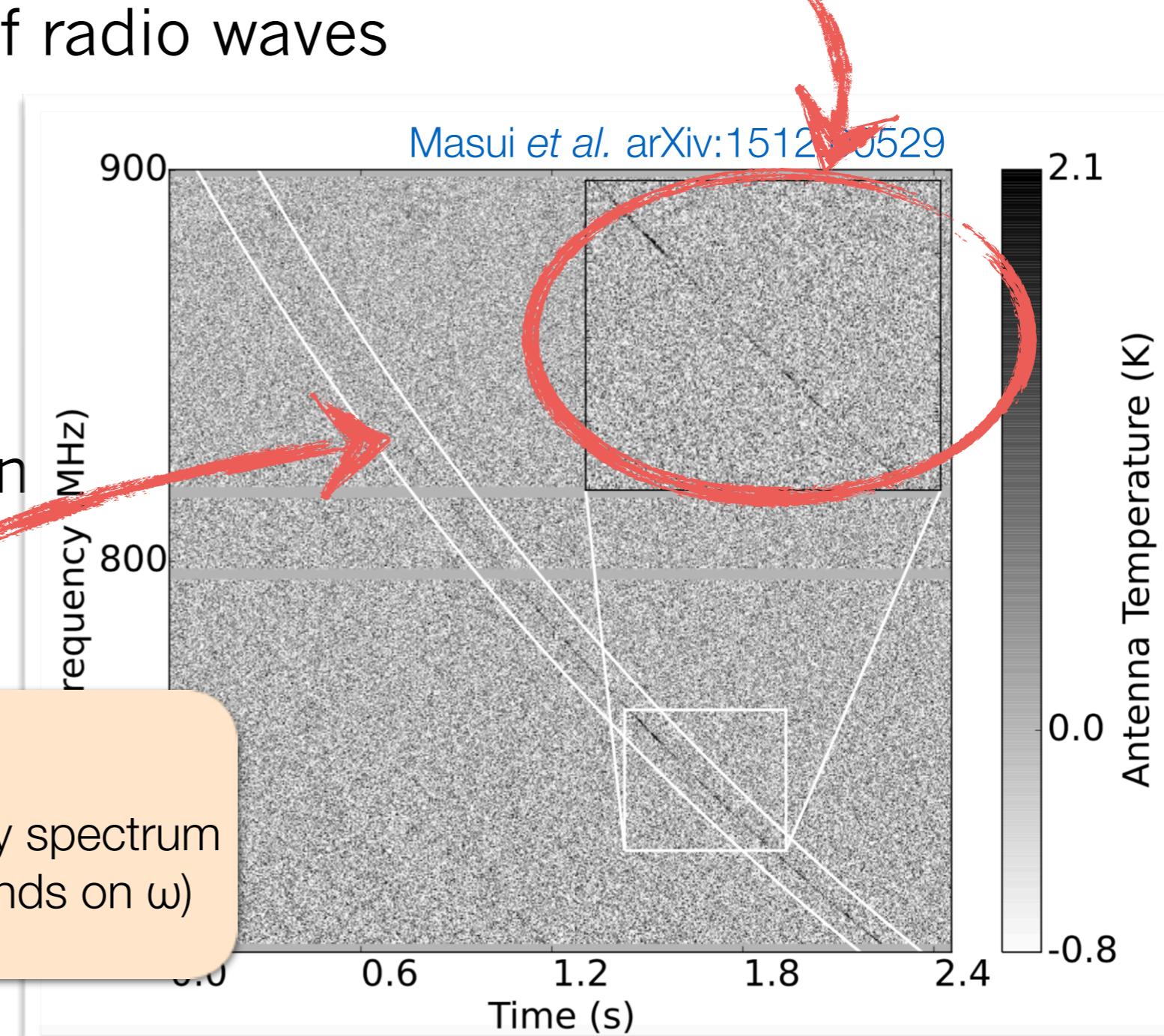
At  $\mathcal{O}(\text{Gpc})$  distance  
(inferred from dispersion)

Some repeaters

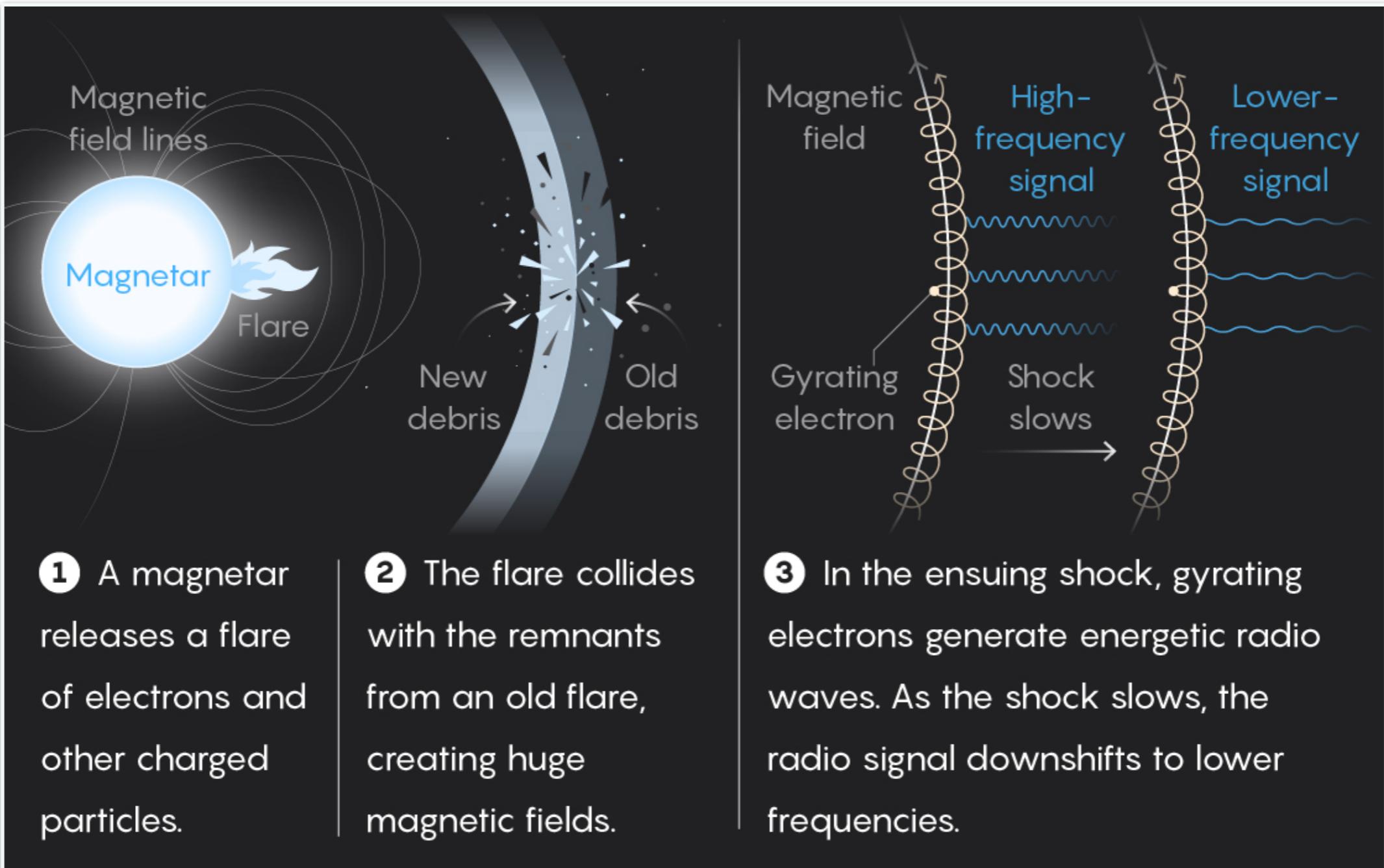
Mechanism unknown

### Dispersion

Burst moves through the frequency spectrum  
(speed of light in ISM / IGM depends on  $\omega$ )



# One of $\mathcal{O}(50)$ proposed FRB mechanisms



see [arXiv:1810.05836](https://arxiv.org/abs/1810.05836)  
for a review of mechanisms

Image: [Quanta Magazine](#)  
based on Metzger Margalit Sironi arXiv:1902.01866

# Femtolensing of FRBs

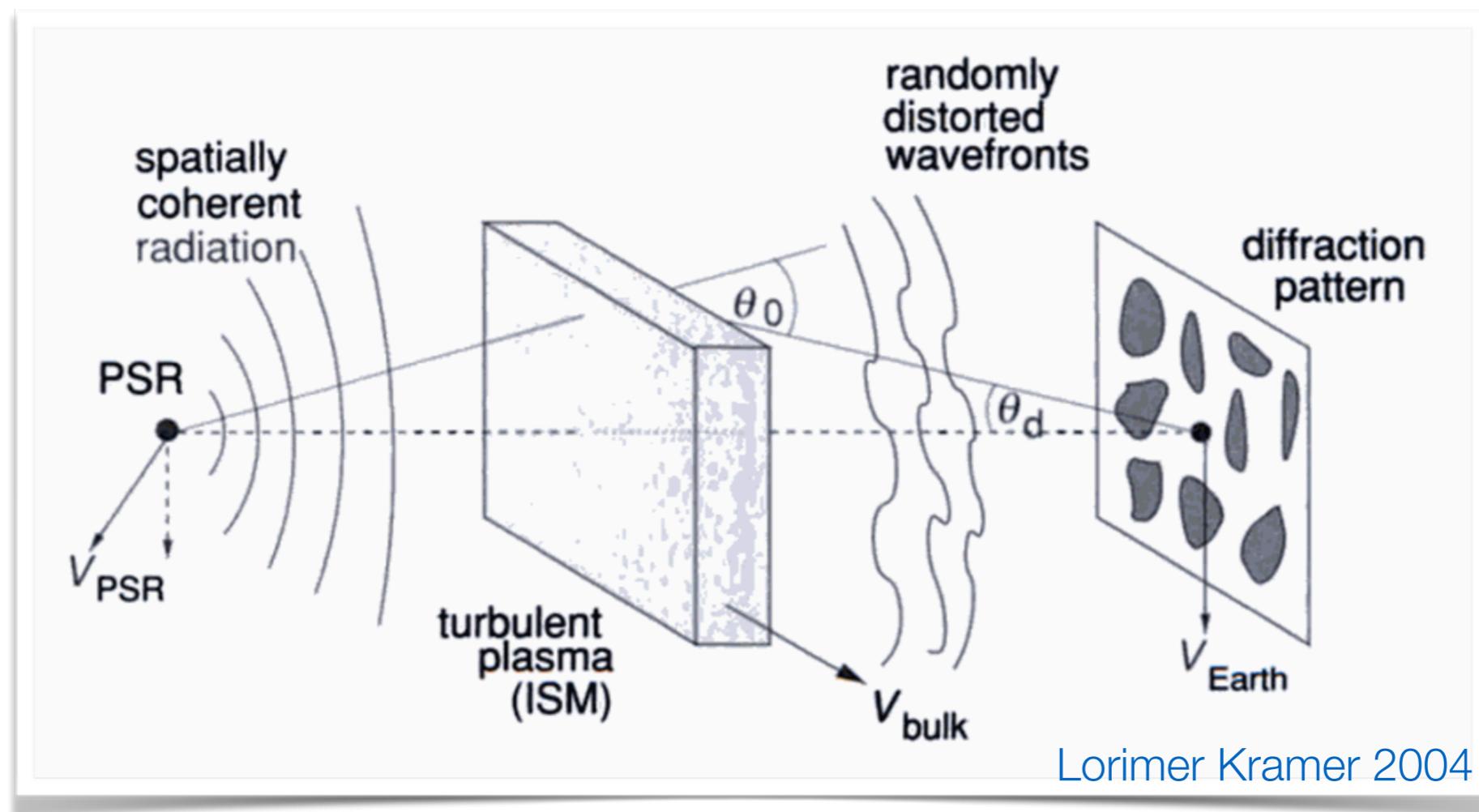
Remember:

$$\Delta t \simeq \frac{1}{c} \frac{D_L D_S}{D_{LS}} (1 + z_L) \theta_E^2 \left( \frac{|\vec{\theta} - \vec{\beta}|^2}{2} - \psi(\vec{\theta}) \right) \sim 4G_N M_{\text{lens}}$$

- Leads to  $\mathcal{O}(2\pi)$  phase shifts for  $f \sim \text{GHz}$  if  $M_{\text{lens}} \sim 10^{-4} M_{\text{sun}}$
- Many new FRBs expected from SKA  $\rightarrow$  high statistics
- But: easily confused with *scintillation*

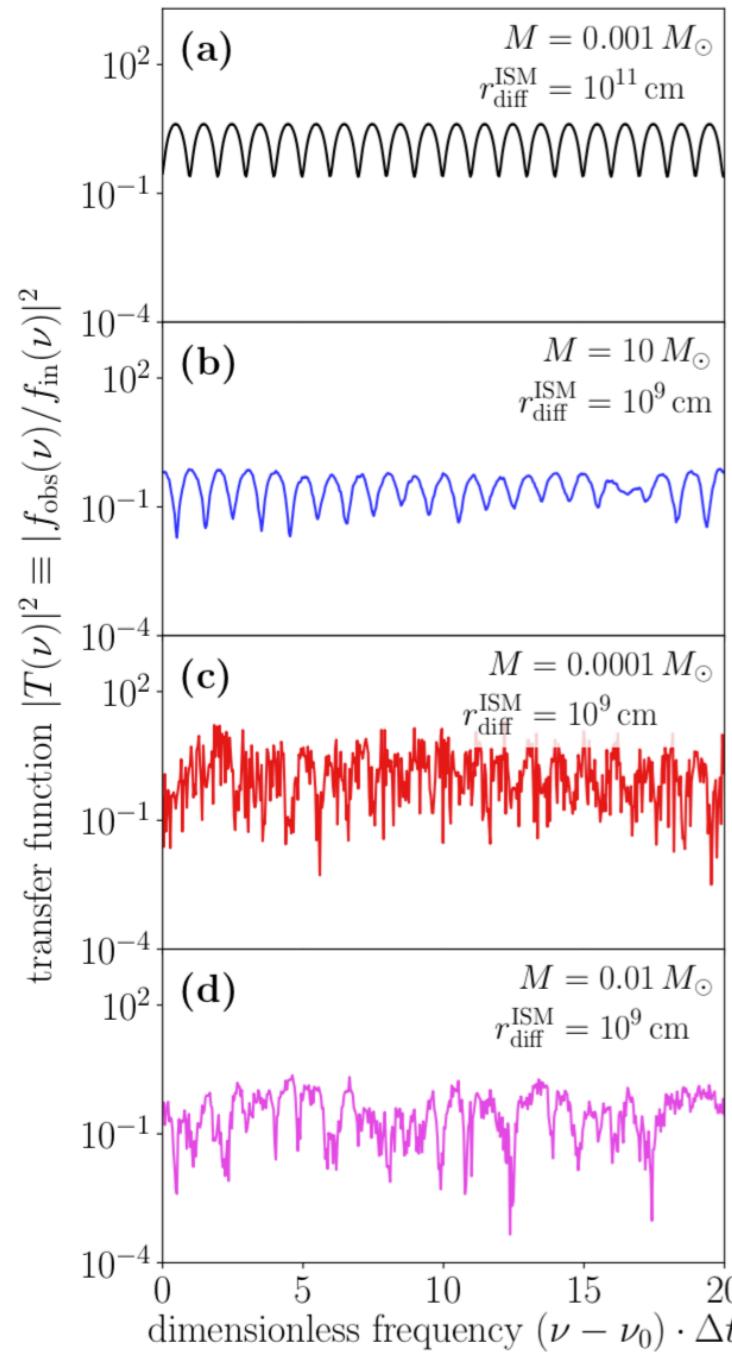
# Scintillation

- many different lines of sight to the source because of refraction / diffraction in turbulent ISM / IGM
- leads to random interference patterns

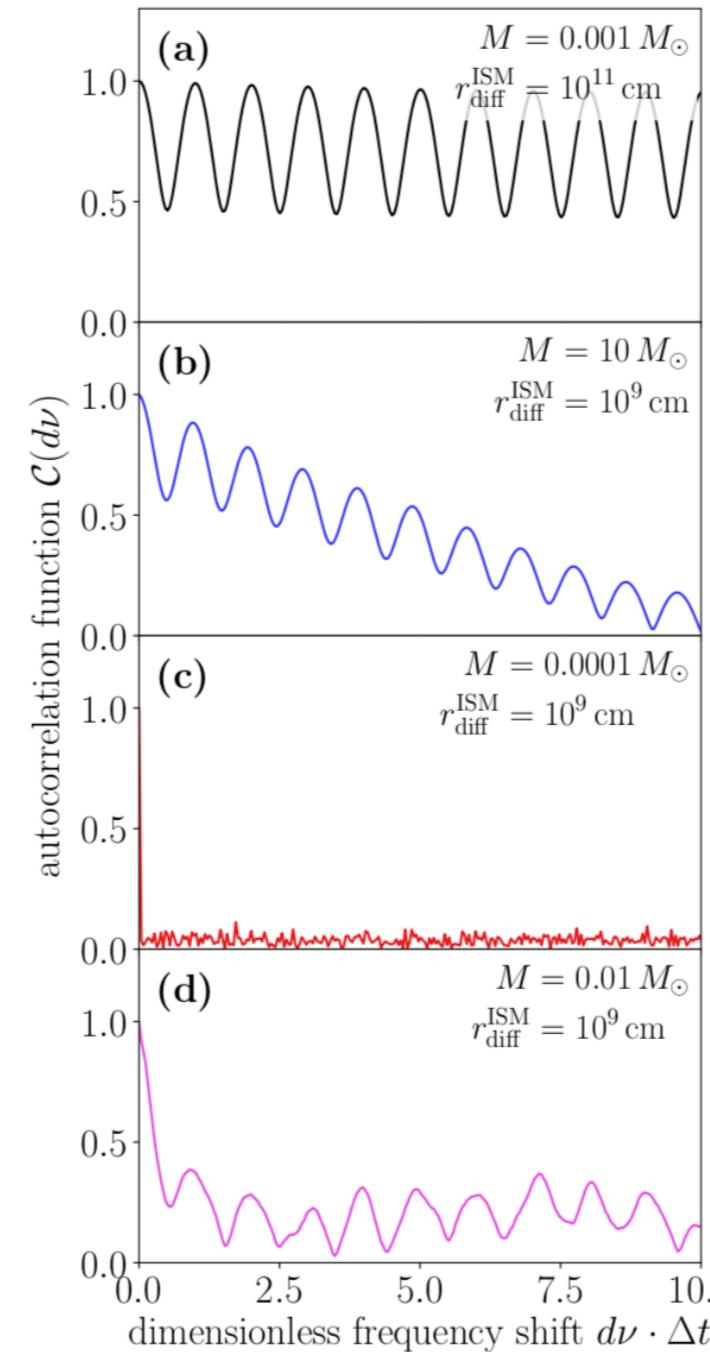


# Scintillation

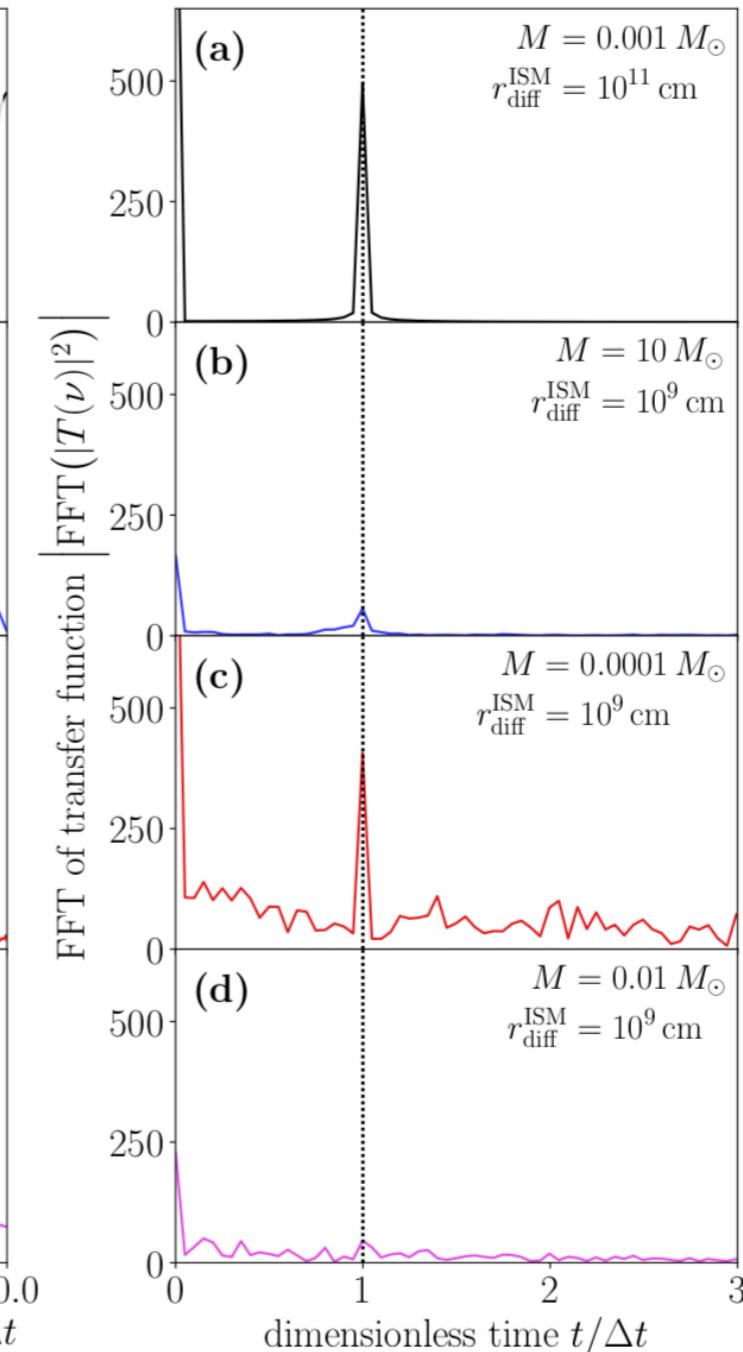
## FRB Spectrum



## Autocorrelation



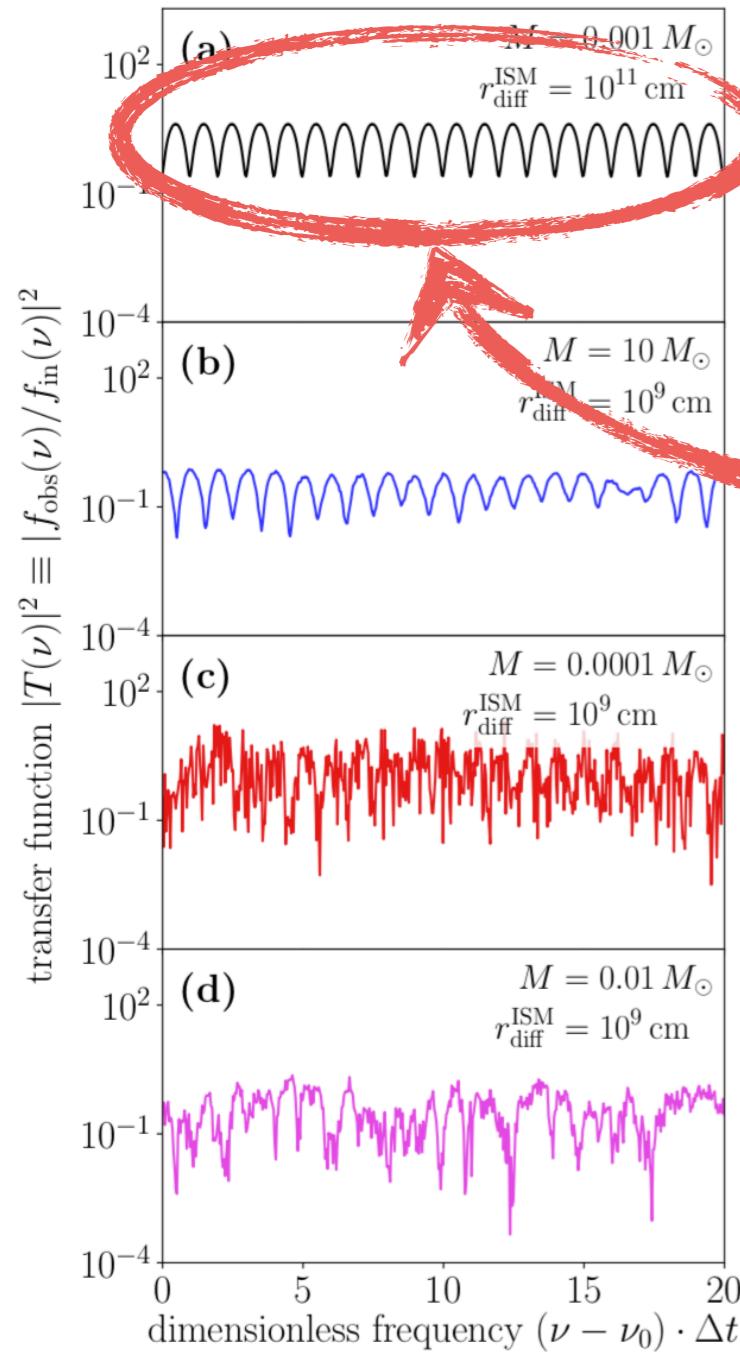
## FFT



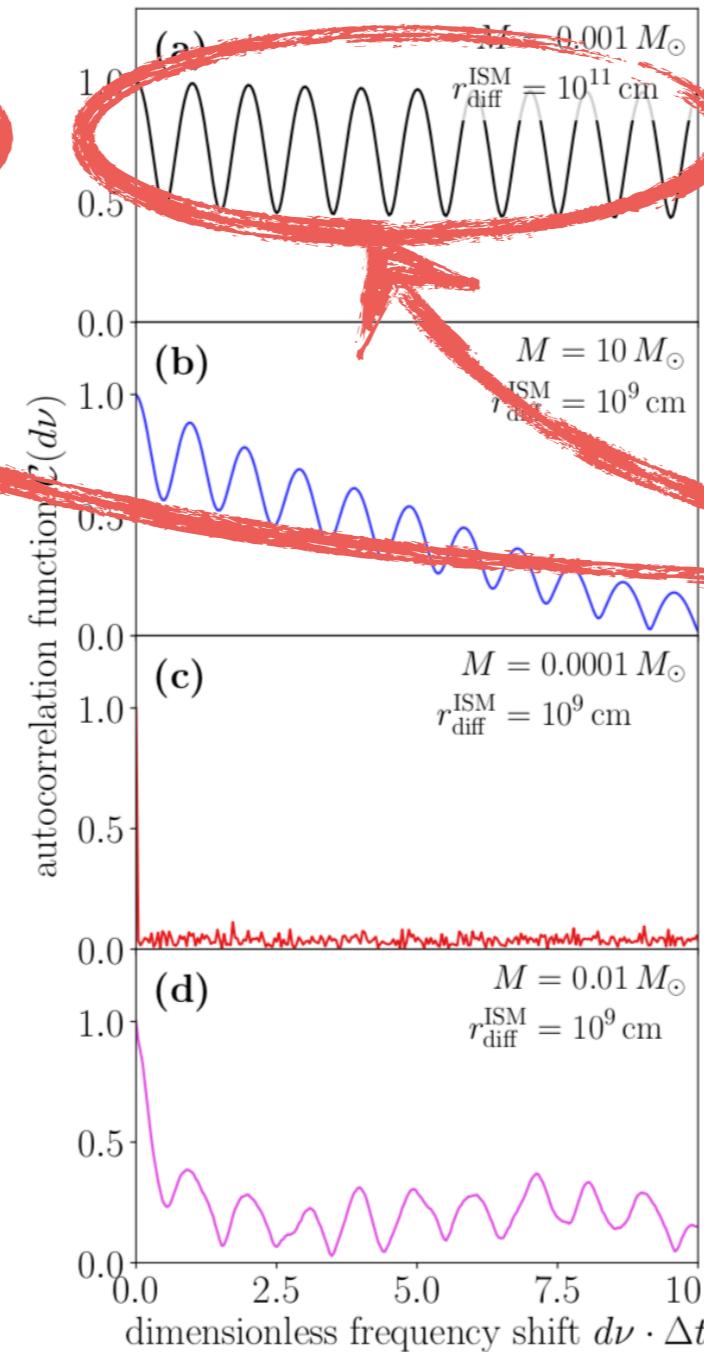
Katz JK Sibiryakov Xue, arXiv:1912.07620

# Scintillation

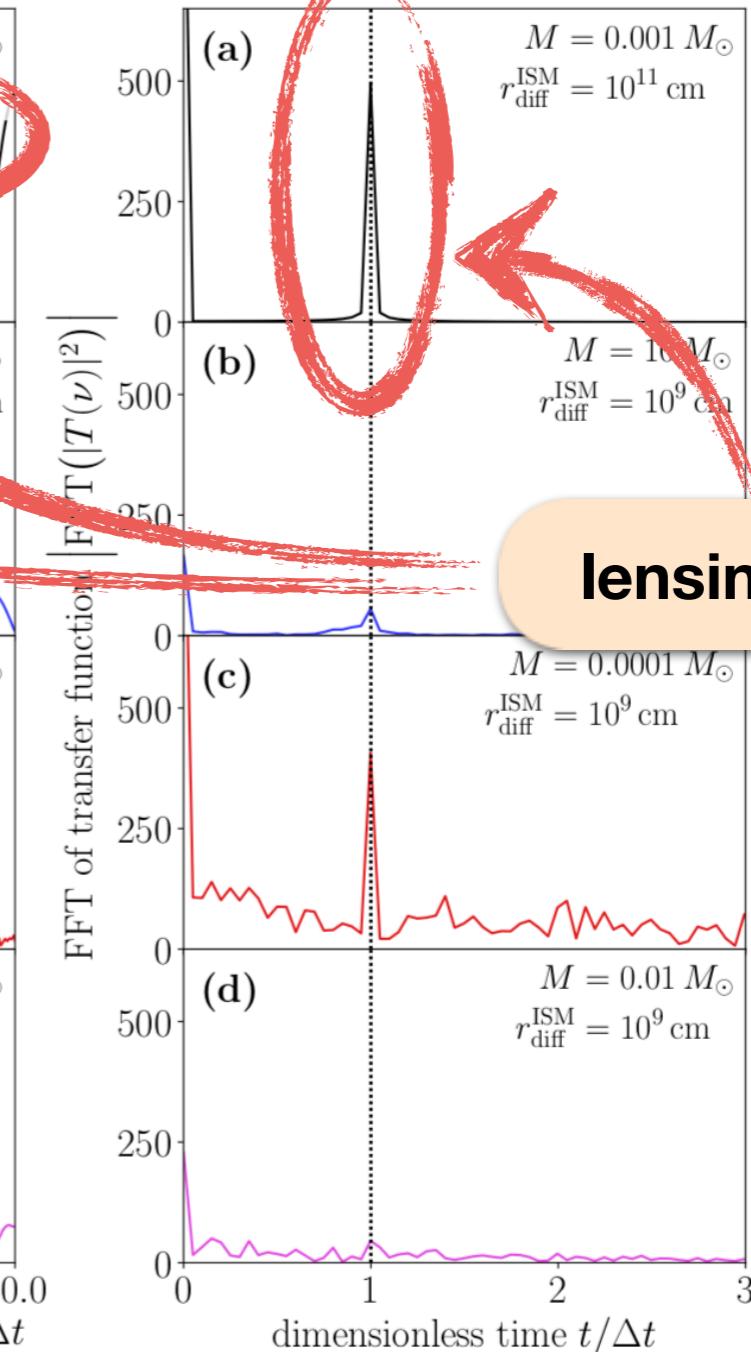
## FRB Spectrum



## Autocorrelation

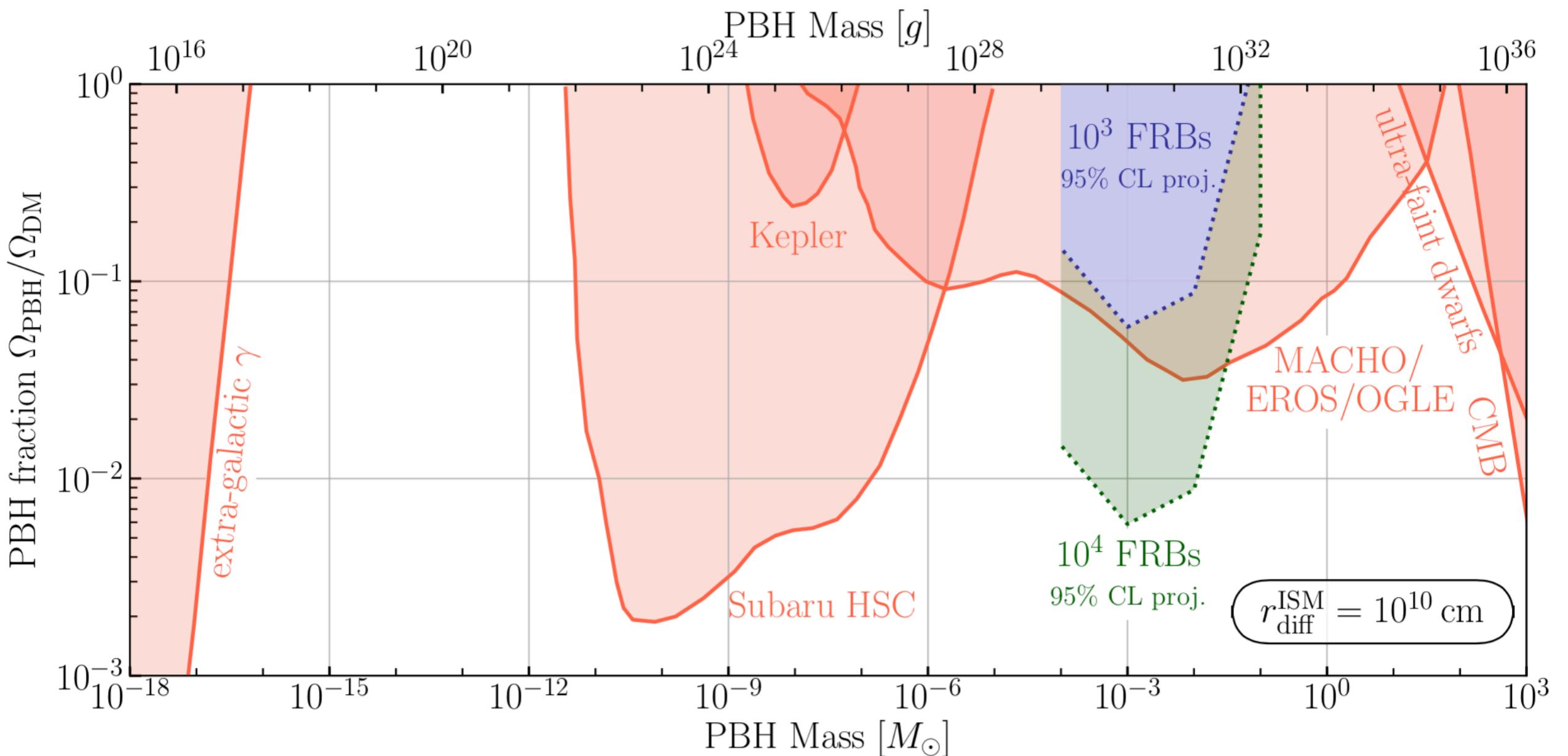


## FFT



Katz JK Sibiryakov Xue, arXiv:1912.07620

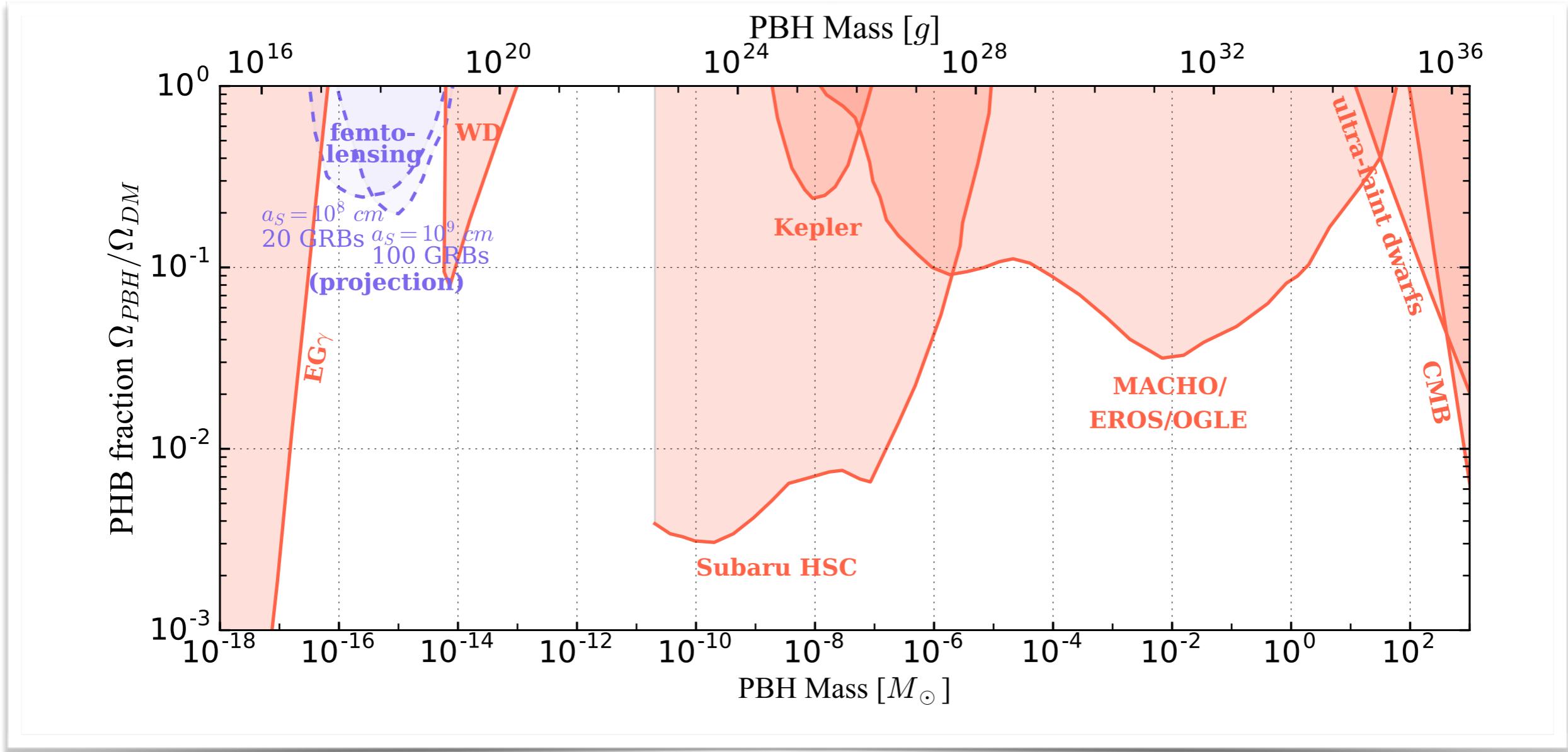
# PBH Parameter Space



Katz JK Sibiryakov Xue, arXiv:1912.07620

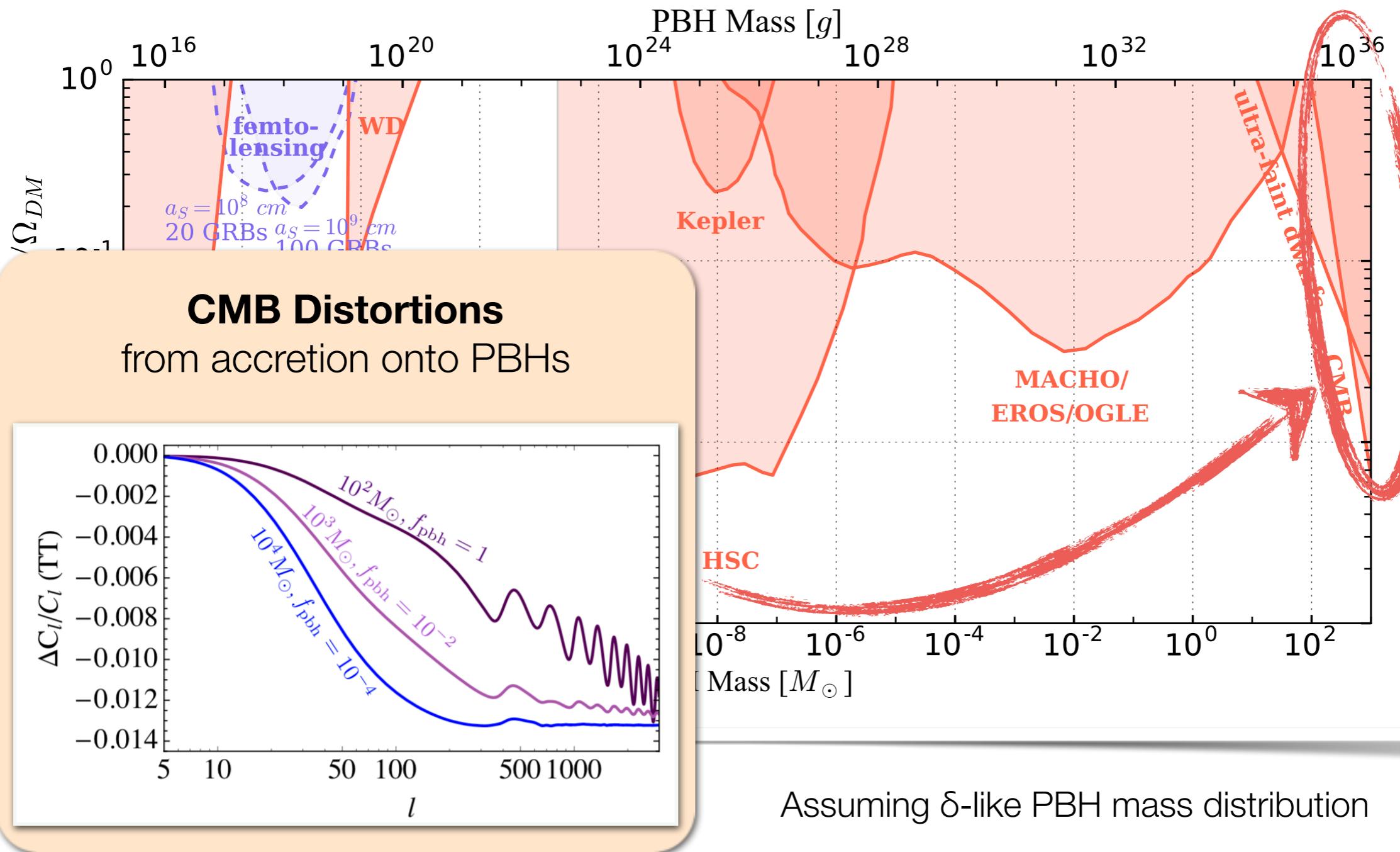
Assuming  $\delta$ -like PBH mass distribution

# PBH Parameter Space

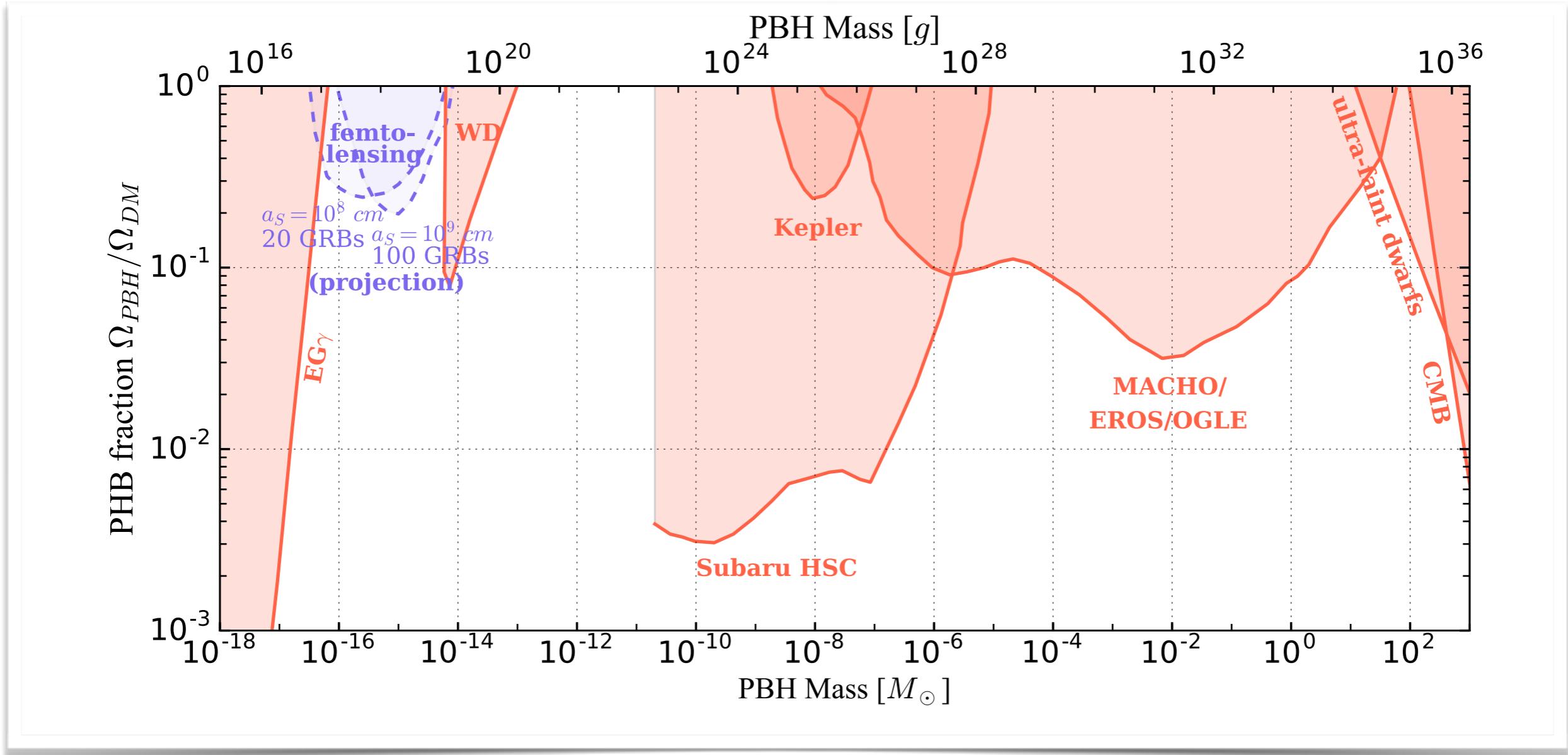


# PBH Parameter Space

Ali-Haïmoud Kamionkowski arXiv:1612.05644



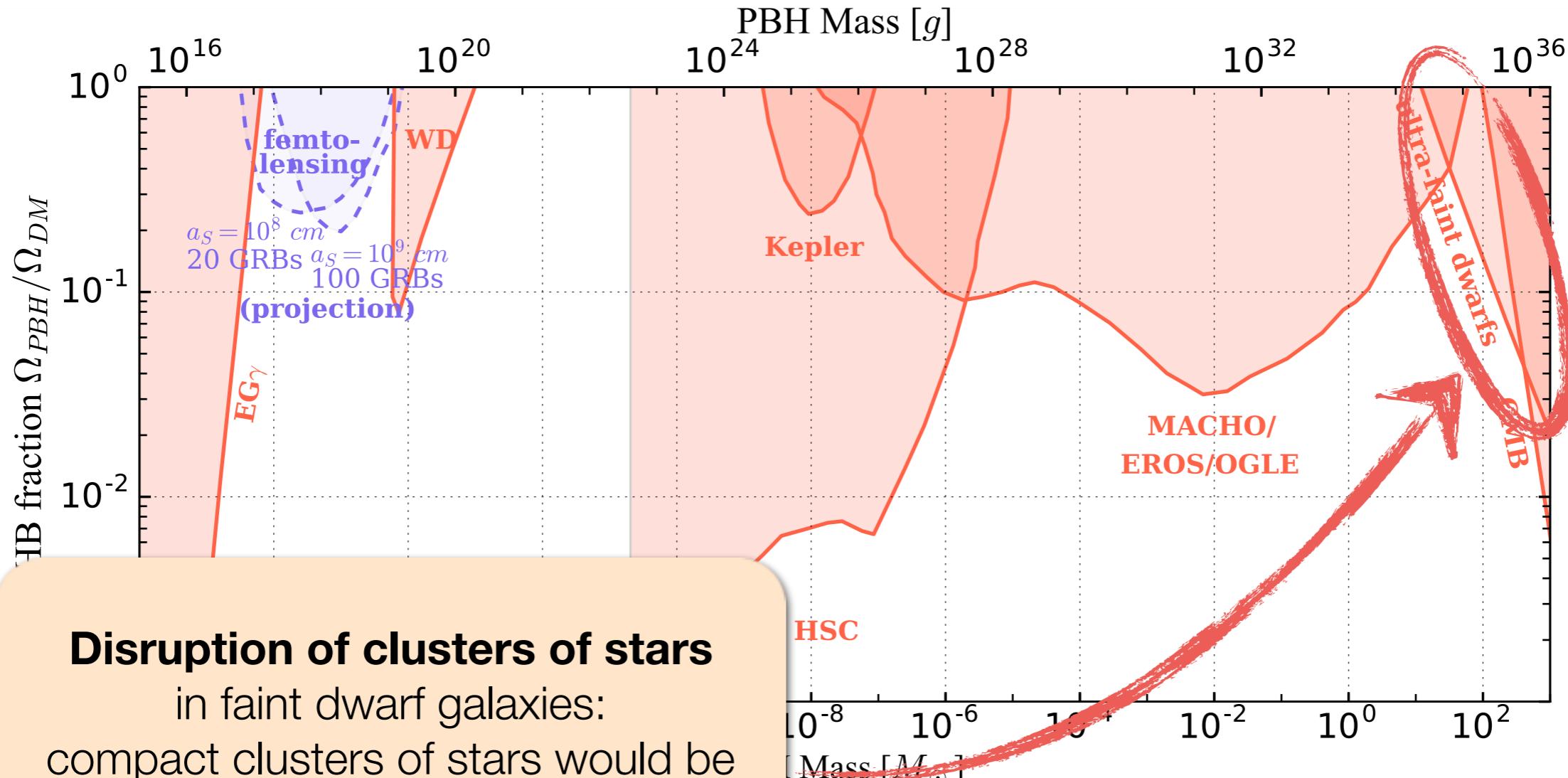
# PBH Parameter Space



Assuming  $\delta$ -like PBH mass distribution

# PBH Parameter Space

Brandt arXiv:1605.03665

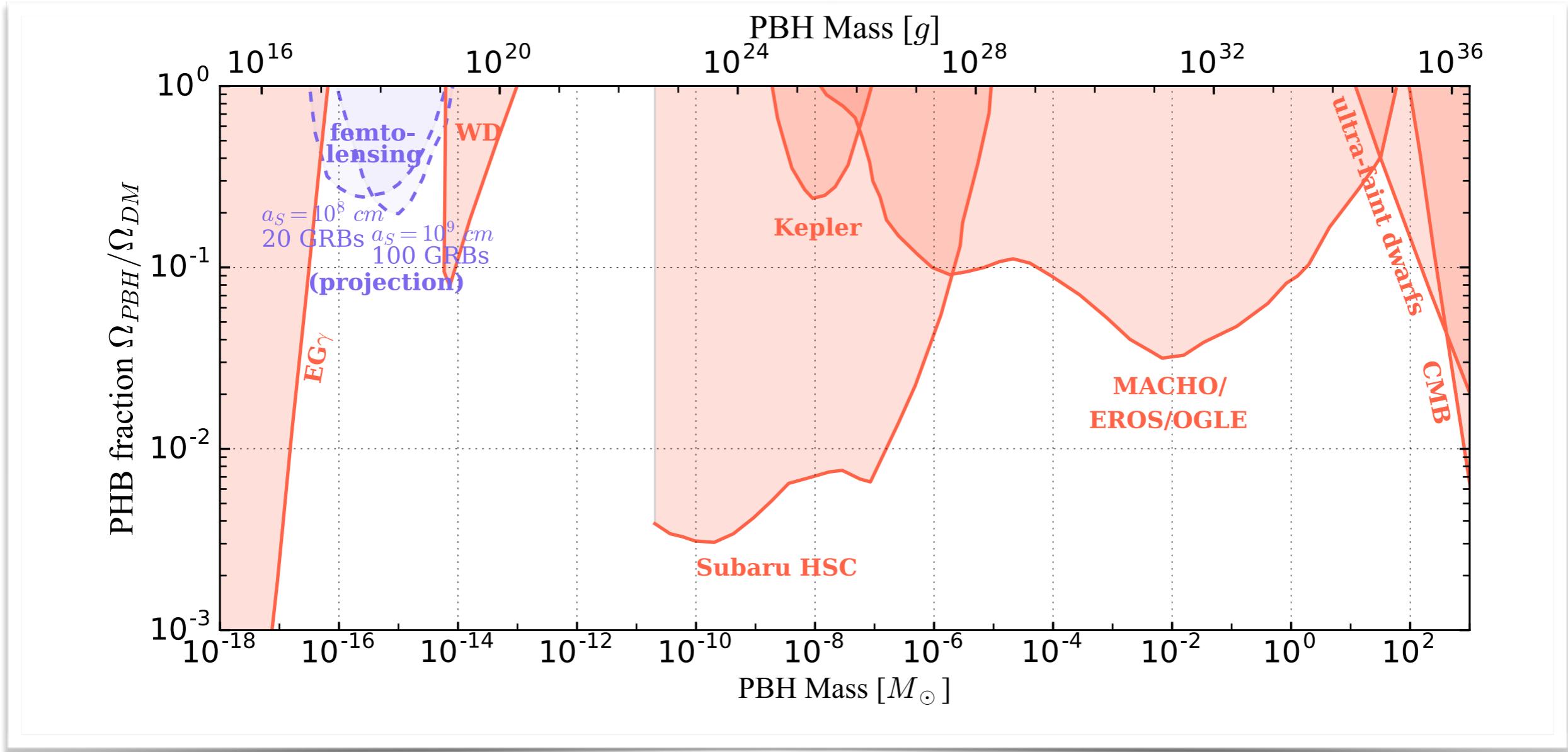


## Disruption of clusters of stars

in faint dwarf galaxies:  
compact clusters of stars would be  
disrupted by gravitational transfer of  
kinetic energy from massive PBHs.

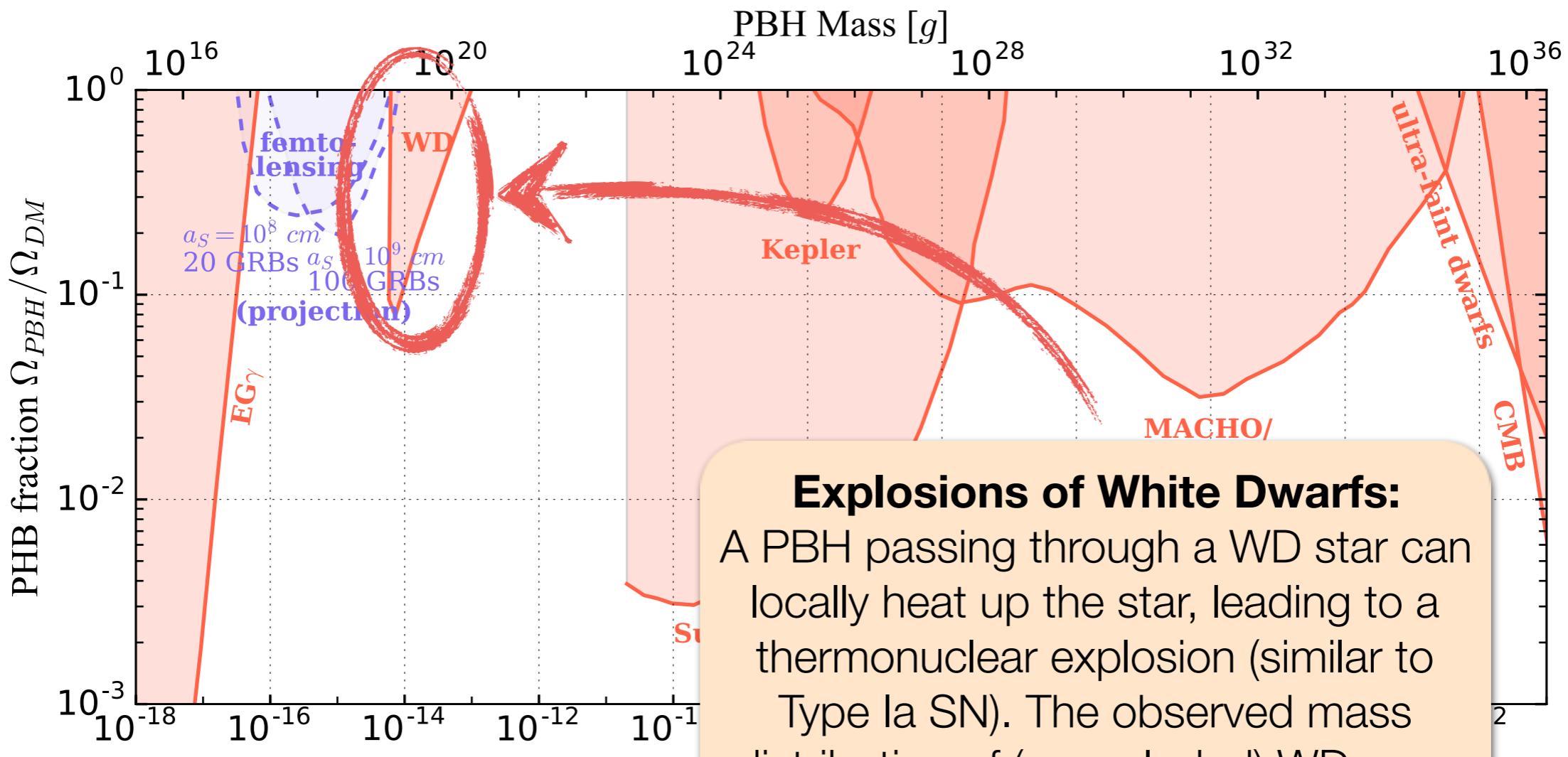
Assuming  $\delta$ -like PBH mass distribution

# PBH Parameter Space



# PBH Parameter Space

Graham Rajendran Veral arXiv:1505.04444



**Explosions of White Dwarfs:**  
A PBH passing through a WD star can locally heat up the star, leading to a thermonuclear explosion (similar to Type Ia SN). The observed mass distribution of (unexploded) WDs can be used to set constraints.

Assuming  $\delta$ -like PBH mass distribution

# Summary

# Summary

## WIMP Dark Matter

- annihilation today leads to various types of cosmic rays
- for individual messengers: confusion with astrophysical sources

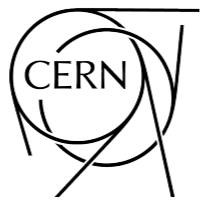
## Dark Photons

- generically appears in low-scale ( $\lesssim$  GeV) DM models
- potpourri of constraints (both terrestrial & astro)

## Primordial Black Holes

- interesting DM candidate that doesn't require new particles
- interesting astrophysical constraints
- but lots of open parameter space

# Thank You !



JOHANNES GUTENBERG  
UNIVERSITÄT MAINZ

