

# Monte Carlo Analysis of Normally-Distributed Optical Crosstalk

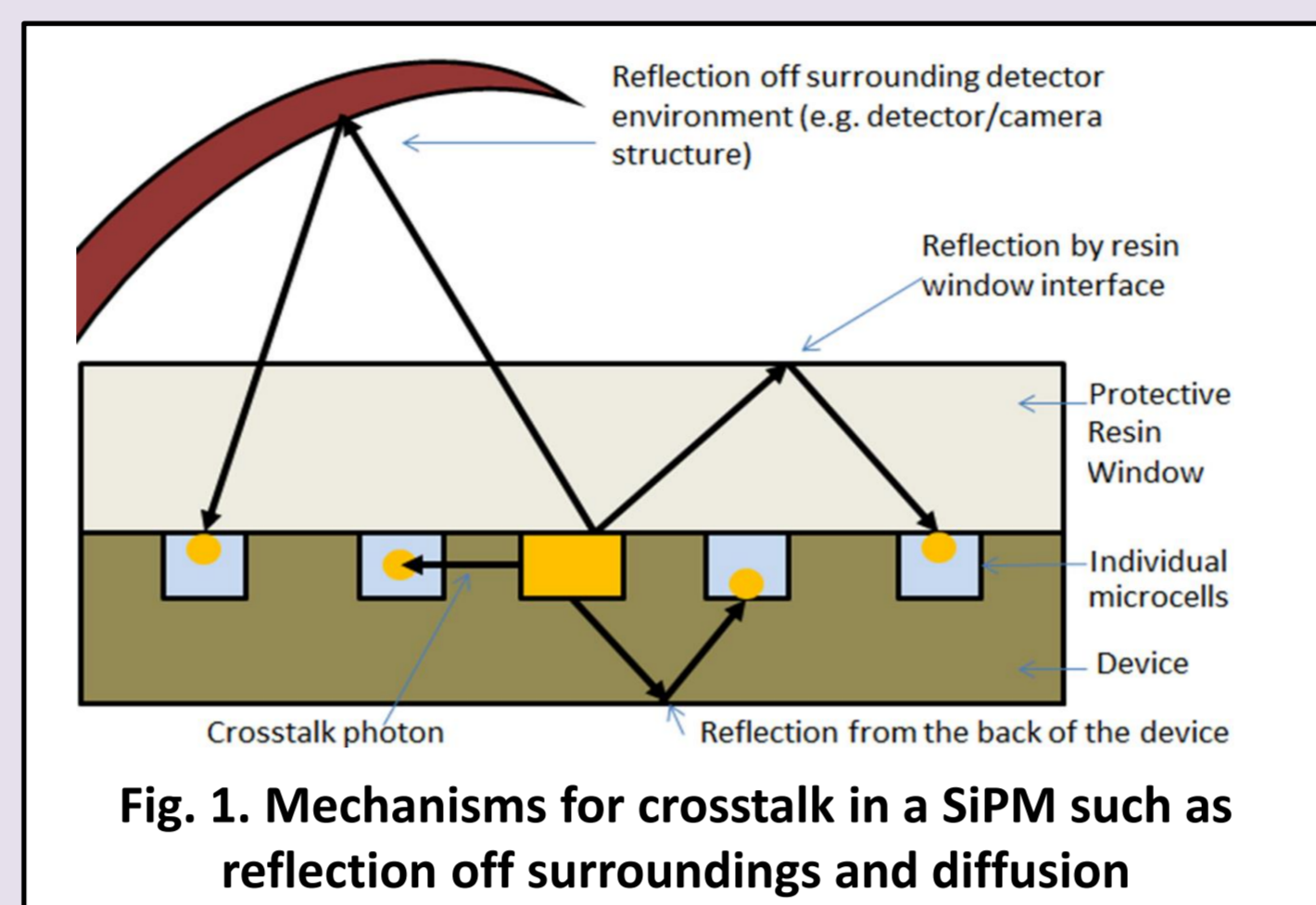
J O D Williams, S R Rosen, J S Lapington

Department of Physics and Astronomy, University of Leicester, University Road, Leicester, UK



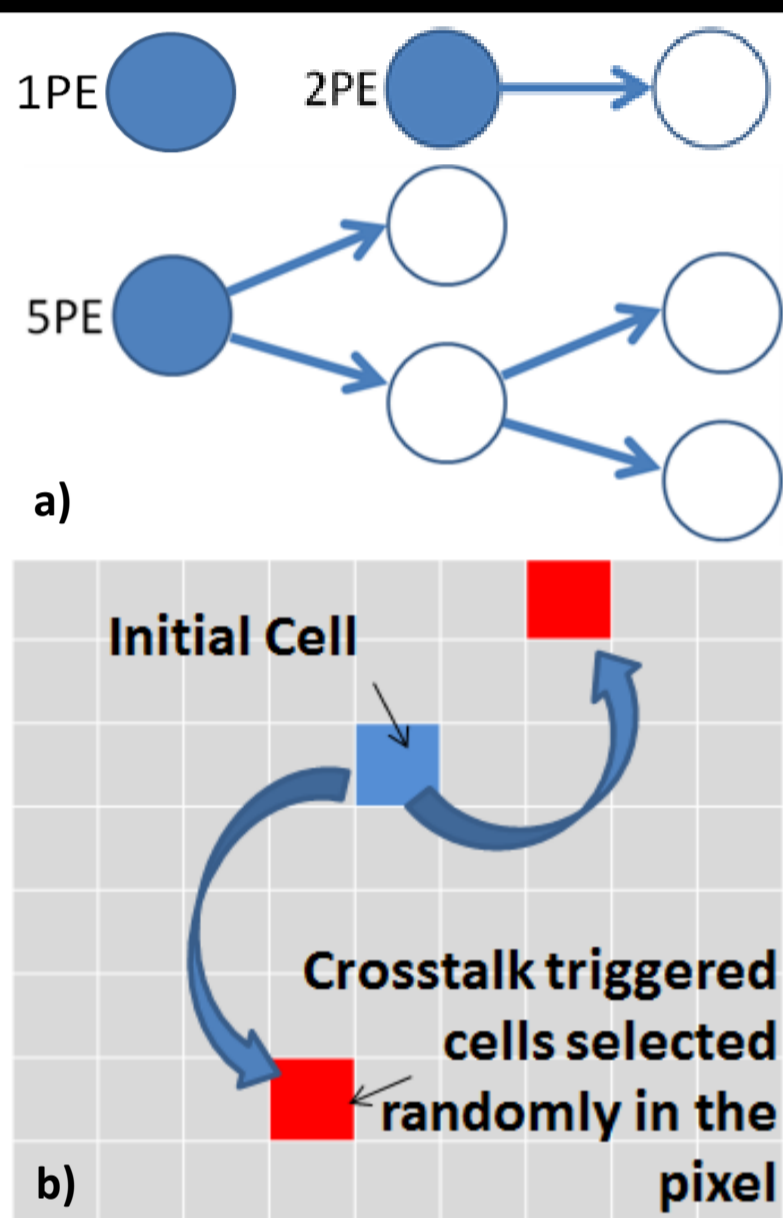
## Introduction

- Silicon Photomultipliers (SiPMs) are compact, solid state, optical photon-counting photodetectors [1]
- SiPMs have a wide range of applications, including on the CHEC camera for the Cherenkov Telescope Array [2]
- Optical crosstalk (OCT), where photons emitted by triggered microcells can trigger others, is a crucial parameter that affects SiPMs
- OCT can be modelled analytically by Borel [3][4] and near-neighbour (Gallego) models [4]
- Normally-Distributed Crosstalk Model (NDCM) proposed, and simulated via Monte Carlo (MC) simulations



## Silicon Photomultipliers (SiPM) & Optical Crosstalk (OCT)

- SiPMs biased above breakdown produces a measurable photoresponse from a single photon striking a single microcell
- Photodetection generates Geiger breakdown via impact ionisation
  - 3 photons generated per  $10^5$  avalanche electrons
    - These photons can trigger other cells (fig.1) → crosstalk
    - OCT probability  $\lambda$  gives likelihood that more cells trigger
- $\lambda$  related to overvoltage, and architectural parameters e.g. microcell size, window thickness [6]
- Number of triggered microcells characterised in terms of PE

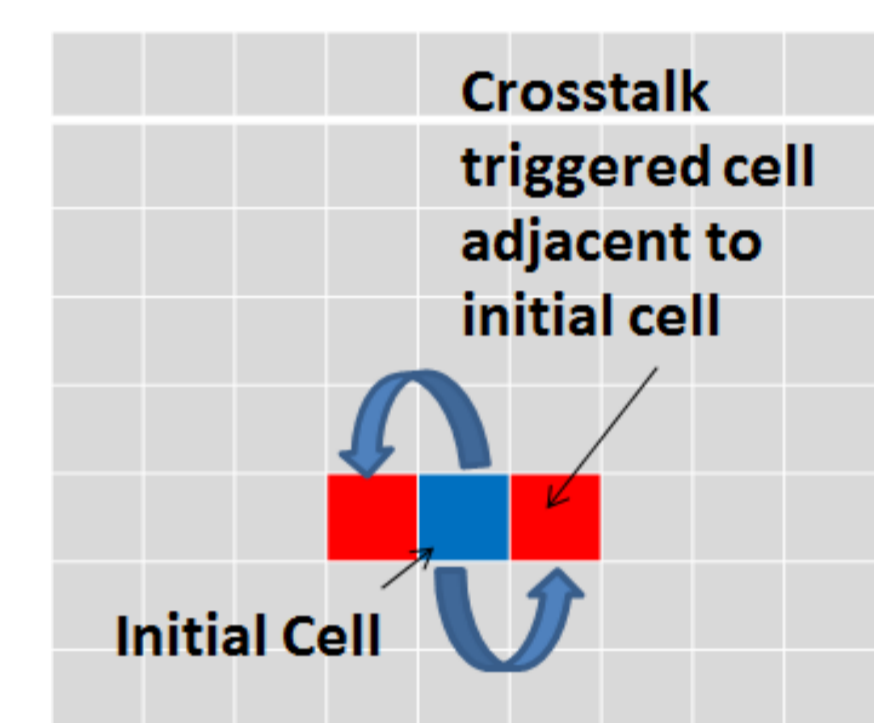


## Borel Model

- One event can trigger 1+ secondary events (fig. 2a), depending on  $\lambda$  [3]
- Equivalent to triggering 1+ microcells on a SiPM
- No spatial distribution → trigger anywhere on the pixel (fig. 2b)
- Can show good fit to experimental data [4]

## Near Neighbour (Gallego) Model

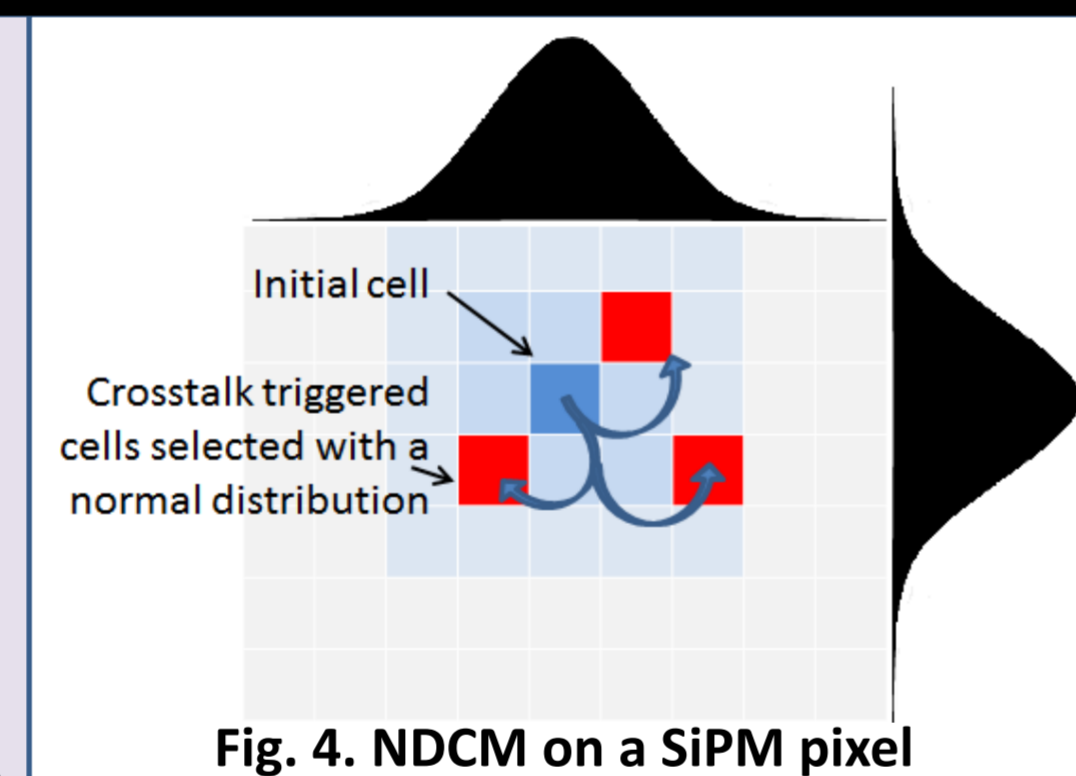
- Near-neighbour (Gallego) models crosstalk by considering the triggering of the nearest microcells (fig. 3) [5]
- Spatially distributed, analytical model
- Constrains available microcells available to be triggered
- Has previously demonstrated better agreement with experimental c.f. the Borel model.



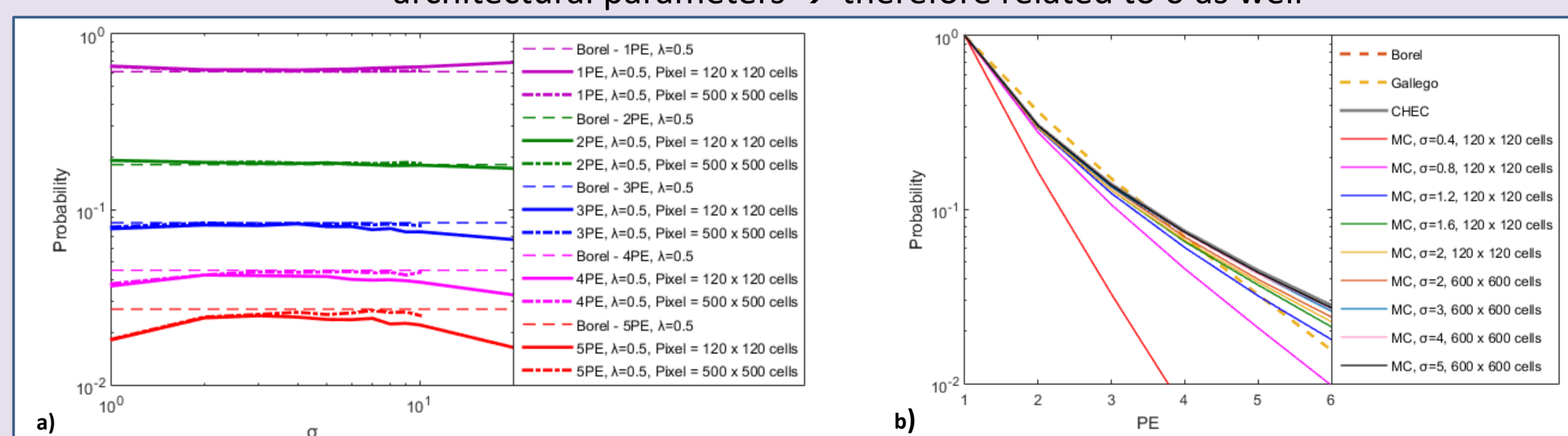
## Normally-Distributed Crosstalk Model (NDCM)

### Model (NDCM)

- Photon triggers a microcell
- Triggering of further microcells due to OCT weighted by 2-d normal distribution centred on triggered microcell, distribution width given by standard deviation  $\sigma$  (fig. 4)
- At small  $\sigma$ , NDCM predicts PE probability greater than Borel (for PE=1) and less than Borel (for PE>3) (fig. 5a)
- For  $\sigma \approx 3$  microcells, distribution width means the PE probabilities approximately equal those from Borel
- For large  $\sigma$ , increasing probability that secondary microcells are triggered outside of the pixel
  - Lower probability of triggering a microcell within the pixel
  - PE=1 probability increases, PE>2 decreases



- NDCM fitted against experimental data from CHEC-S camera [7]
  - CHEC-S silicon  $\lambda \approx 0.5$
  - Data fit better by Borel model than Near Neighbour model (fig. 5b)
  - NDCM fits better for a wider normal distribution,  $\sigma \approx 5$ , over a large pixel size → consequence of high  $\lambda$
- What is  $\sigma$ ? Optical Path Length related to how far a crosstalk photon can propagate given architectural parameters
- Crosstalk related to the number of available microcells, operational and architectural parameters → therefore related to  $\sigma$  as well



## Summary

- Normally-distributed crosstalk model (NDCM) with a standard deviation  $\sigma$ , can fit experimental data better than other models
- $\sigma$  is a device-specific distance parameter, on the scale of the microcell size, akin to an optical path length quantifying how far an optical crosstalk photon could propagate from a triggered microcell.
- Crosstalk probability  $\lambda$  is related to device-specific  $\sigma$

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## References

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