Status of General-Purpose Event Generators

REF 2019, Pavia, November 25, 2019 Stefan Prestel (Lund)





EVENT GENERATOR

Tool for producing data, *not knowing* measurements beforehand.

Better "theory pseudodata" \rightarrow Better "real data" analyses.



REALISTIC MODELING OF COLLISIONS OF COMPOSITE OBJECTS REQUIRES:

- precise hard scattering
- accurate radiation cascade
- extensive modelling of interactions of multiple constituents & soft processes
- detailed hadronization and decay



Precision fixed-order perturbative calculations and their embedding in GPMCs. Allows for *event generation* & eases data comparison.

Precision pQCD in event generators



Multi-leg processes are particularly important backgrounds for searches. Higher-order precision allow setting indirect bounds on new physics.

Event generators need to deliver on both, for arbitrary processes \Rightarrow Merging and Matching.

Combining calculations

Plot from arXiv:1705.06700



NLO SM (QCD) everywhere now considered min. requirement. NLO calculations for "arbitrary" processes are available.

Most flexible predictions obtained by combining many calculations.

Challenge: Remove overlap of inclusive calculations in a theoretically sound way! \Rightarrow Merging. Overlap removed by PS resummation and/or all-order subtractions.

 $i + \ge N_{jet}$ [pb] ATLAS Data 102 Z(o) Z(0.1.2) 101 $Z(0,1,2), \rho \in [5,20]$ GeV Z(0*,1*,2) $Z(0^*, 1^*, 2, 3) \rho = 15 \text{ GeV}$ $r(Z/\gamma^{*}(\rightarrow i$ 10^{-1} 10^{-2} Herwig 7.1 10-3 1.8 1.6 MC/Data 1.2 1 0.8 0.6 0.4 0 3 5 6 5/25 Niet

Inclusive jet multiplicity

NLO QCD+PS merging is the state-of-the-art. Available in SHERPA, PYTHIA, HERWIG.

Frontier: NNLO QCD+PS matched simulations. Several color-singlet processes available

- UN²LOPS in SHERPA. News: DIS
- NNLOPS in POWHEG-BOX. News: W^+W^-





Less simple procs challenging w/o better understanding of PS and resummation.

 $\langle p_{T,2i} \rangle$ [GeV]

Precision event generator error budgets

Plots from arXiv:1810.06493

Any precise calculation is only as good as its error budget.

Many variations can contribute:

- Fixed-order scale variations
- ◊ Matching scheme
- Shower construction
- ◊ PS phase-space constraints
- All-order PS scale variations
- Non-perturbative variations

HERWIG especially active here.



Cautionary tales...



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Electroweak corrections

NLO EW corrections to inclusive observables \sim NNLO QCD. But distribution quite different!

EW corr. combined with PS \sim NLO QCD case, but often, weak real-emission can be neglected.





Important for even simple observables! Automation allows to assess formally subleading terms. Intense efforts. Many processes in SHERPA+OPENLOOPS & AMC@NLO

Resonances in NLO+PS

Resonances add many subleties to NLO+PS:

 need robust way to define "resonance"
 need adjusted efficient IR regularisation
 need PS to respect resonance properties
 need to define inclusive cross-section if reals contain new resonances

- \rightarrow Resonance histories
- \rightarrow Resonance-aware subtraction
- \rightarrow Resonance-aware matching
- \rightarrow Diagram subtraction





Parton showers are crucial to model jet structure and evolution. NLO+PS only as good as the PS. PS accuracy and uncertainties far from obvious \rightarrow intense renewed activity.

Parton shower approximations

PS aims at solving evolution equations

$$\frac{\mathrm{d}f_a(x,t)}{\mathrm{d}\ln t} = \sum_{b=q,g} \int_0^1 \frac{\mathrm{d}z}{z} \, \frac{\alpha_s}{2\pi} \left[P_{ab}(z) \right]_+ f_b\left(\frac{x}{z},t\right)$$

by iteratively constructing states distributed according to $\left[P_{ab}(z)\right]_+$

Current PS are spin-averaged, large- N_c & recover soft/collinear single real-emission pattern \Rightarrow Large uncertainties.



Several groups work on assessing "PS accuracy" by constructing testing baselines (arXiv:1711.03497, arXiv:1805.09327, arXiv:1904.11866)

Plot from arXiv:1803.7977

The PS tackles an evolution equation by rewriting

$$P_{ba}(z,\varepsilon) = \hat{P}_{ba}(z) \Theta(1-z-\varepsilon) - \delta_{ab} \frac{\Theta(z-1+\varepsilon)}{\varepsilon} \sum_{c=q,g} \int_{0}^{1-\varepsilon} d\zeta \, \zeta \, \hat{P}_{ac}(\zeta)$$

$$\frac{\mathrm{d} f_a(x,t)}{\mathrm{d} \ln t} = \sum_{b=q,g} \int_{0}^{1} \frac{\mathrm{d} z}{z} \frac{\alpha_s}{2\pi} \left[P_{ab}(z) \right]_{+} f_b\left(\frac{x}{z},t\right)$$

$$\Rightarrow \frac{d \ln f_a(x,t)}{\mathrm{d} \ln t} = -\sum_{c=q,g} \int_{0}^{1-\varepsilon} d\zeta \, \zeta \, \frac{\alpha_s}{2\pi} \hat{P}_{ac}(\zeta) + \sum_{b=q,g} \int_{x}^{1-\varepsilon} \frac{\mathrm{d} z}{z} \, \frac{\alpha_s}{2\pi} \, \hat{P}_{ba}(z) \, \frac{f_b(x/z,t)}{f_a(x,t)}$$

with virtual "endpoint" and "differential" emission component, giving

$$\frac{d\ln\mathcal{F}_a(x,t,\mu^2)}{d\ln t} = \sum_{b=q,g} \int_x^{1-\varepsilon} \frac{dz}{z} \frac{\alpha_s}{2\pi} \hat{P}_{ba}(z) \frac{f_b(x/z,t)}{f_a(x,t)} \quad \text{with} \quad \mathcal{F}_a(x,t,\mu^2) = f_a(x,t)\Delta_a(t,\mu^2)$$

 \Rightarrow Homogeneous eq. depending only on the *differential spectrum*.

The evolution equation

$$\frac{d\ln \mathcal{F}_a(x,t,\mu^2)}{d\ln t} = \sum_{b=q,g} \int_x^{1-\varepsilon} \frac{dz}{z} \frac{\alpha_s}{2\pi} \hat{P}_{ba}(z) \frac{f_b(x/z,t)}{f_a(x,t)}$$

with $\mathcal{F}_a(x,t,\mu^2) = f_a(x,t)\Delta_a(t,\mu^2) = f_a(x,\mu^2) \Pi_a(x,t,\mu^2)$

can be solved by multiple iteration, *i.e.* repeatedly sampling the spectrum.

 \Rightarrow May also be used to generate exclusive multi-particle states. For that, we need

1) a mapping $n \rightarrow m$ parton states (recoil strategy)

2) an easy way to generate (no-)emission spectra (ordering, veto algorithm)

PDF evolution, virtual splittings

see also arXiv:1711.02369.pdf. Plots from arXiv:1902.02105 or supplied by H. Jung

The PS evolution equation is a result of

$$P_{ba}(z,\varepsilon) = \hat{P}_{ba}(z) \Theta(1-z-\varepsilon) - \delta_{ab} \frac{\Theta(z-1+\varepsilon)}{\varepsilon} \sum_{c=q,g} \int_{0}^{1-\varepsilon} d\zeta \, \zeta \, \hat{P}_{ac}(\zeta)$$

and assumes that

...PDFs extracted/tabulated with definite kernels + phase space constraints, however, PS phase-space constr s not used in standard fits.



Showers generating exclusive states should hit all QCD divergences in differential distributions,

even integrable ones $\propto 1 - 2\cos^2 \phi \rightarrow \text{Need spin correlations!}$

New: Collins-Knowles algorithm in HERWIG \tilde{Q} and dipole PS

Keep track of spin-density matrix and helicity amplitudes.
Keep track of splitting's Lorentz frame & remember kinematic recoils.

 \rightarrow Better description of sensitive data, e.g. azimuthal separation of the charged leptons in $t\bar{t}$ events



Showers describing multi-emission states at $N_c = 3$ are available through \diamond Color matrix-element corrections in HERWIG \diamond Fixed color sampling in toy-DIRE \diamond LC+ approximation (+ Coulomb effects) in in DEDUCTOR



Effects appear moderate, and approaches still need to be scrutinized:

Is it sensible to correct color factors, and not kinematics? Is it sensible to correct reals w/o including virtual Coulomb exchanges? Are the algorithms stable/efficient enough for LHC production? Are full-color showers sensible if hadronization is $N_c \rightarrow \infty$? Reasonable choices for a PS (ordering, recoil...) require knowledge of "higher-order corrections" beyond single-emission spectra @ lowest order.

Remember: The kernel in the evolution eq. has a well-defined order-by-order expansion.

Instead of recreating corrections post-facto by adjusting PS choices to recover known results, directly calculate the corrections, e.g. perform (N)NLO calculations; NLO evolution given by

$$\Delta_{\mathsf{NLO}}(t_0, t_1) = e^{-\int_{t_1}^{t_0} \frac{dt}{t} \int d\tilde{z} \left[\left(\mathbf{V} + \mathbf{I} + \mathbf{C} \right) (\tilde{z}) \mathcal{O}(\Phi_B) + \int \mathrm{d}\Phi_{+1} (\mathbf{R} - \mathbf{S}) (\tilde{z}, \Phi_{+1}) \mathcal{O}(\Phi_R) \right]}$$

i.e. fully differential NLO calculation in exponent of the Sudakov factor. Then define LO shower from requirement of fully local subtraction.

Parton showering: Results beyond lowest order

Lessons from performing $\mathcal{O}(\alpha_s^2)$ calculation

- Triple coll. sectors require spin correlations in LO PS. Small effect.
- Double soft sectors require color correlations in LO PS. Small effect.
- 4-mom. shifts from on-shell int. states has to be compensated.
- Recoil compensation & genuine NLO correction almost balance out.



 \Rightarrow Realistic uncertainties. Implemented for SHERPA and PYTHIA.

Argument: We do not collide complete $SU(2)_{EW}$ multiplets \Rightarrow Bloch-Nordsieck cancellation incomplete, left-over EW logarithms. \Rightarrow Need new PDFs (FFs) at high *E*, PS should include EW radiation.

This requires a) new initial states, b) tracing of helicity, c) new PDFs. No complete implementation yet, but Vs+jets w/ QCD PDFs.





QCD is more than just perturbative calculations: Soft- and nonperturbative effects make up the bulk of cross sections at hadron colliders. The LHC is an excellent QCD discovery machine!

Fragmentation





Color or flavor are not "destroyed" by confinement – only contained.

Partons convert to hadrons once they have small relative momenta and a virtuality $\sim \Lambda_{qcd}.$

Widely separated partons do not allow hadron vertices @ $\mathcal{O}(\Lambda_{qcd})$ momenta!

see e.g. Collins & Rogers arXiv:1801.02704 [hep-ph]



Gluons and soft/collinear partons from evolution make momentum flow small and allow non-perturbative parton-hadron vertices.

Tuning and correlations

arXiv:1803.07977 (LH proceedings 2017)



Naively, would want to tune *only* soft/NP parameters using "specialized" observables $(n_{ch}, n_{\pi,K...}$ scaled momentum). But NP models are very sensitive to *perturbative input* state.

Also, "perturbative" observables can have NP regions as well. Should perturbative variations degrade the accuracy there?

Soft/NP & perturbative parameters correlated! Can we really treat them in isolation?

Spin asymmetries (and their factorization/evolution) help to understand the structure of polarized hadrons & are a major goal of the EIC.

Polarized non-perturbative structure can e.g. be investigated through spin-dependent fragmentation function defining string break-up.



⇒ Yields e.g. Collins asymmetries $a^{u\uparrow \to h+X} = 2\langle \sin(\phi_h - \phi_{S_q}) \rangle$ – w/o reweighting by calculation employing fitted polarized TMD :)

Summary

 Improving the fixed-order perturbative precision of generators: *NNLO+PS* available for several color-singlet proc^s, *DIS* first NNLO+PS w/ final-state partons at Born level. *NLO+PS* consolidated by detailed uncertainty studies, *LO+PS* at extreme multiplicity. *Inclusion of NLO EW* effects in full swing.

Developments to define parton showers more rigorously: Treatment of subleading color & spin important, even for lowest-order PS Can systematically correct PS through fully differential NLO calculation in exponent.

New momentum in non-perturbative physics: Exciting ideas in non-perturbative QCD phenomenology and collectivity in pp/heavy-ion collisions.

Collisions at hadron colliders are packed with color/hadrons.

Color reconnection: pQCD-style ansatz for non-perturbative color rearrangement

Space-time evolution of single strings: Hadron packing affected by closeby hadrons.

High string density also means string-string interactions



Collective effects



CMS 2010: Long-range azimuthal multiplicity correlations show "ridge". ATLAS 2017: Similar "ridge" in Z-boson events (ATLAS-CONF-2017-068). Repulsive string interactions reproduce the effects! In ultra-peripheral pA or AA collisions, colliding photons can also have non-perturbative structure & illuminate nuclear PDFs.



PYTHIA implementation ready to use for measurements at $pp\ {\rm LHC}$

High-multiplicity pp collisions show extreme QCD behavior, similar to heavy ion collisions.

⇒ Check *how close* with new heavy-ion capabilities!

In PYTHIA, pA and AA collisions are modeled through ANGANTYR:

 Correlated generation of multiple nucleon-nucleon collisions.
 Full final state for each subcollisions & overall collision
 Event-by-event fluctuations of

nucleon wavefunctions.

Encouraging description of multiplicity distributions!

