

LC09

Perugia, 22.09.2009

# Evolution of the Universe to the present Inert phase

2HDMs

$Z_2$  symmetry

The Inert Model

Various vacua

Today = Inert phase

Thermal evolutions

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# THE THEORY OF MATTER and STANDARD MODEL(S)

F. Wilczek, LEPFest, Nov.2000 (hep-ph/0101187)

Theory of Matter =  $SU(2)_L$  weak  $\times U(1)_Y$  weak  $\times SU(3)$  color

Theory of Matter refers to the core concepts:

- quantum field theory
- gauge symmetry
- spontaneous symmetry breaking
- asymptotic freedom
- the assignments of the lightest quarks and leptons

Standard Models: Choose the number of Higgs (scalar) doublets

SM=1HDM, 2HDM (MSSM), 3HDM ...

Note, that the lightest scalar is often **SM-like**

NonStandard Models are based on more radical assumptions.

# Brout-Englert-Higgs mechanism

Spontaneous breaking of EW symmetry

$$SU(2) \times U(1) \rightarrow U(1)_{\text{QED}}$$

## Standard Model

Doublet of  $SU(2)$ :  $\Phi = (\phi^+, v + H + i\zeta)^T$

Masses for  $W^{+/-}$ ,  $Z$  (tree  $\rho = 1$ ) , no mass for the photon

Fermion masses via Yukawa interaction

Higgs particle  $H_{\text{SM}}$  - spin 0, neutral, CP even  
couplings to  $WW/ZZ$ , Yukawa couplings to fermions

mass  $\leftrightarrow$  selfinteraction unknown

# Brout-Englert-Higgs mechanism

Spontaneous breaking of EW symmetry

$SU(2) \times U(1) \rightarrow ?$

## Two Higgs Doublet Models

Two doublets of  $SU(2)$  ( $Y=1$ ,  $\rho=1$ ) -  $\Phi_1, \Phi_2$

Masses for  $W^{+/-}$ ,  $Z$ , no mass for photon?

Fermion masses via Yukawa interaction –

various models: Model I, II, III, IV, X, Y, ...

5 scalars:  $H^+$  and  $H^-$  and neutrals:

- CP conservation: CP-even  $h$ ,  $H$  & CP-odd  $A$
- CP violation:  $h_1, h_2, h_3$  with indefinite CP parity\*

Sum rules (relative couplings to SM  $\chi$ )

# 2HDM Potential

Lee'73, Haber, Gunion, Glashow, Weinberg, Paschos, Despande, Ma, Wudka, Branco, Rebelo, Lavoura, Ferreira, Barroso, Santos, Botella, Silva, Diaz-Cruz, Grimus, Ecker, Ivanov, Ginzburg, Krawczyk, Osland, Nishi, Nachtmann, Maniatis, Manteuffel, Akeroyd, Kanemura, Kalinowski, Grzadkowski, Hollik, Rosiek..

$$\begin{aligned} V = & \lambda_1 (\Phi_1^\dagger \Phi_1)^2 + \lambda_2 (\Phi_2^\dagger \Phi_2)^2 + \lambda_3 (\Phi_1^\dagger \Phi_1)(\Phi_2^\dagger \Phi_2) \\ & + \lambda_4 (\Phi_1^\dagger \Phi_2)(\Phi_2^\dagger \Phi_1) + [\lambda_5 (\Phi_1^\dagger \Phi_2)^2 + \text{h.c.}] \\ & + [(\lambda_6 (\Phi_1^\dagger \Phi_1) + \lambda_7 (\Phi_2^\dagger \Phi_2)) (\Phi_1^\dagger \Phi_2 + \text{h.c.})] \\ & - m_{11}^2 (\Phi_1^\dagger \Phi_1) - m_{22}^2 (\Phi_2^\dagger \Phi_2) - [m_{12}^2 (\Phi_1^\dagger \Phi_2) + \text{h.c.}] \end{aligned}$$

$Z_2$  symmetry transformation:  $\Phi_1 \rightarrow \Phi_1$     $\Phi_2 \rightarrow -\Phi_2$

Hard  $Z_2$  symmetry violation:  $\lambda_6, \lambda_7$  terms

Soft  $Z_2$  symmetry violation:  $m_{12}^2$  term      ( $\text{Re } m_{12}^2 = \mu^2$ )

Explicit  $Z_2$  symmetry in  $V$ :  $\lambda_6, \lambda_7, m_{12}^2 = 0$

# $Z_2$ symmetry: $\Phi_1 \rightarrow \Phi_1$    $\Phi_2 \rightarrow -\Phi_2$

- If  $Z_2$  symmetry holds in the Lagrangian L  
no CP violation in the scalar sector

*Lee' 73*

*Glashow, Weinberg'77, Paschos '77*

*Despande, Ma' 78*

- Softly broken  $Z_2 \rightarrow$

*Branco, Rebelo '85*

CP violation possible, tree-level FCNC absent,

Decoupling and non-decoupling possible

*Haber'95*

- Hard breaking  $Z_2 \rightarrow$

CP violation possible [\* even without CP mixing]

*Lavoura, Silva' 94 ; Kanishev, MK, Sokołowska' 2008*

tree-level FCNC

# Yukawa interactions

( with or without  $Z_2$  symmetry)

Model I - only  $\Phi_1$  interacts with fermions

Model II –  $\Phi_1$  with down-type fermions d , l  
 $\Phi_2$  with up-type fermions u

Model III - both doublets interact with fermions

Model IV (X) - leptons interacts with one doublet,  
quarks with other

Model Y -  $\Phi_1$  with down-type quarks d  
 $\Phi_2$  with up-type quarks u and leptons

Top 2HDM – top with one doublet

Fermiophobic 2HDM – no coupling to the lightest Higgs  
+ Extra dim 2HDM models ....

# Inert or Dark 2HDM

Deshpande, Ma'78  
Barbieri, Hall, Rychkov'06

$Z_2$  symmetry under  $\Phi_1 \rightarrow \Phi_1$      $\Phi_2 \rightarrow -\Phi_2$

both in L and in vacuum → Inert Model



$$\langle \Phi_1^\top \rangle = (0, v) \quad \langle \Phi_2^\top \rangle = (0, 0)$$

- $\Phi_1$  as in SM, with Higgs boson  $h$  (SM-like)
- $\Phi_2$  - no vev, with 4 scalars (no Higgs bosons!)  
no interaction with fermions (**inert** doublet)

Conservation of the  $Z_2$  symmetry; only  $\Phi_2$  has odd  $Z_2$ -parity

- The lightest scalar – a candidate for dark matter  
( $\Phi_2$  dark doublet with dark scalars).

# Possible vacuum states (for real V)

A. Barroso, P.M. Ferreira, R. Santos, J.P. Silva, hep-ph/0507329,

The most general vacuum state

$$\langle \phi_1 \rangle = \begin{pmatrix} 0 \\ \frac{1}{\sqrt{2}}v_1 \end{pmatrix}, \quad \langle \phi_2 \rangle = \begin{pmatrix} u \\ \frac{1}{\sqrt{2}}v_2 e^{i\xi} \end{pmatrix}$$

$$v_1, v_2, u, \xi - \text{real, } \geq 0$$
$$v^2 = v_1^2 + v_2^2 + u^2 = (246 \text{ GeV})^2$$

Inert	I	$u = v_2 = 0$
Normal (CP conserving)	N	$u = \xi = 0$
Charge Breaking	Ch	$u \neq 0 \quad v_2 = 0$
Vacuum	B	$u = v_1 = 0$
CP violating	CP	$u = 0 \quad \xi \neq 0$



# Vacua for the potential with explicit $Z_2$ symmetry and real parameters

Ginzburg, Kanishev, MK, Sokołowska'09

Finding extrema:  $\partial V / \partial \Phi_1|_{\Phi_1 = \langle \Phi_1 \rangle} = 0$  and  $(\Phi_1 \rightarrow \Phi_2)$   
Finding minima  $\rightarrow$  global minimum = vacuum

Positivity (stability) constraints (for  $\lambda_6, \lambda_7, m^2_{1,2}=0$ )

$$\boxed{\lambda_1 > 0, \quad \lambda_2 > 0, \quad \Lambda_{3+} > 0, \quad \Lambda_{345+} > 0, \quad \tilde{\Lambda}_{345+} > 0.}$$

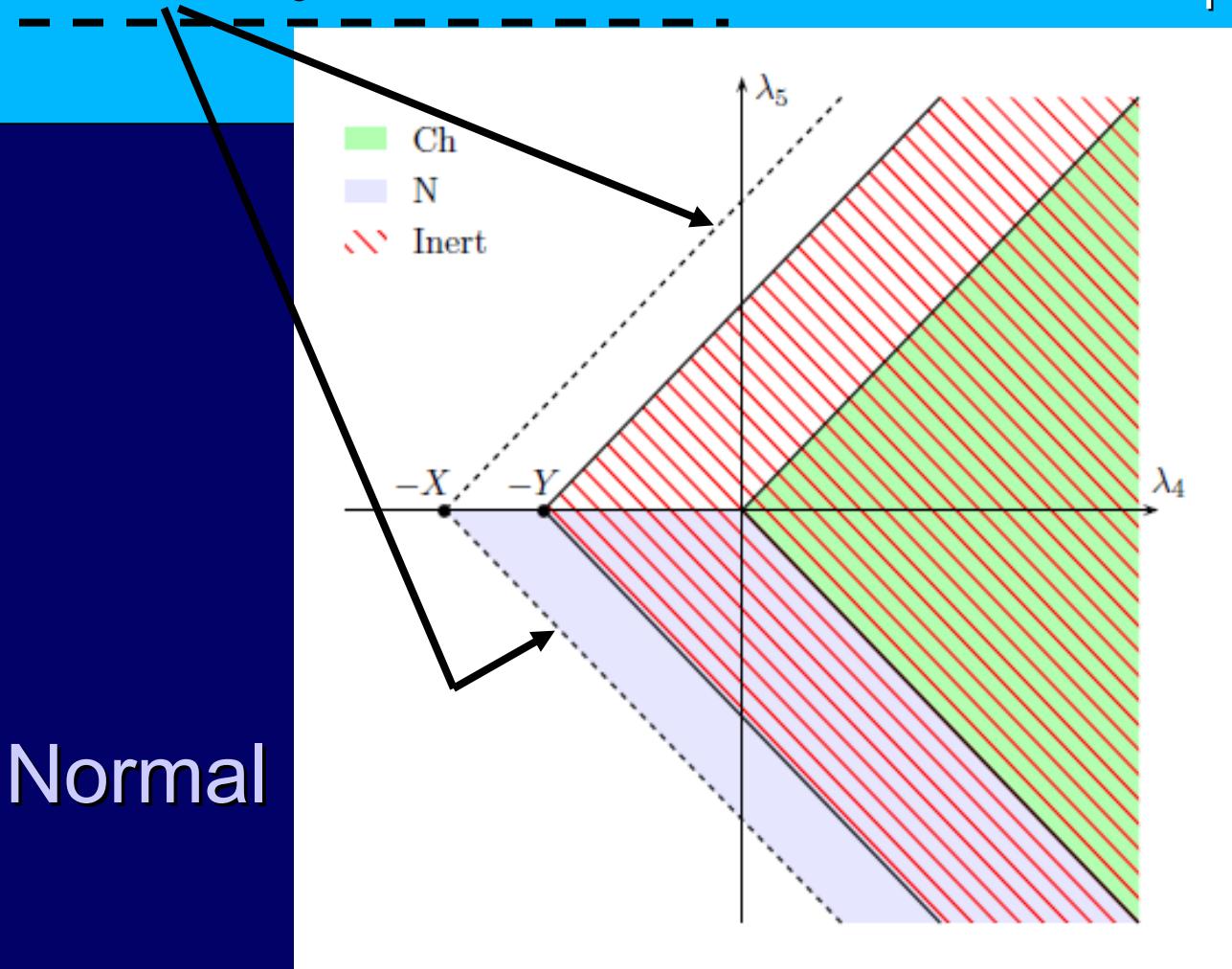
$$\lambda_{345} = \lambda_3 + \lambda_4 + \lambda_5, \quad \tilde{\lambda}_{345} = \lambda_3 + \lambda_4 - \lambda_5.$$

$$\Lambda_{345\pm} = \sqrt{\lambda_1 \lambda_2} \pm \lambda_{345}, \quad \tilde{\Lambda}_{345\pm} = \sqrt{\lambda_1 \lambda_2} \pm \tilde{\lambda}_{345}, \quad \Lambda_{3\pm} = \sqrt{\lambda_1 \lambda_2} \pm \lambda_3.$$

Extremum fulfilling the positivity constraints  
with the lowest energy = vacuum

# Various extrema on $(\lambda_4, \lambda_5)$ plane ( $Z_2$ sym)

Positivity constraints on V:  $X = \sqrt{\lambda_1 \lambda_2 + \lambda_3} > 0 \rightarrow \lambda_4 \pm \lambda_5 > -X$



Inert (or B)  
 $Y = M_{H^+}^2 2/v^2$

Charge  
breaking  
Ch

Note the overlap of the Inert with N and Ch !

# TODAY

2HDM with explicit  $Z_2$  symmetry

$\Phi_1 \rightarrow \Phi_1$     $\Phi_2 \rightarrow -\Phi_2$  with Model I (Yukawa int.)

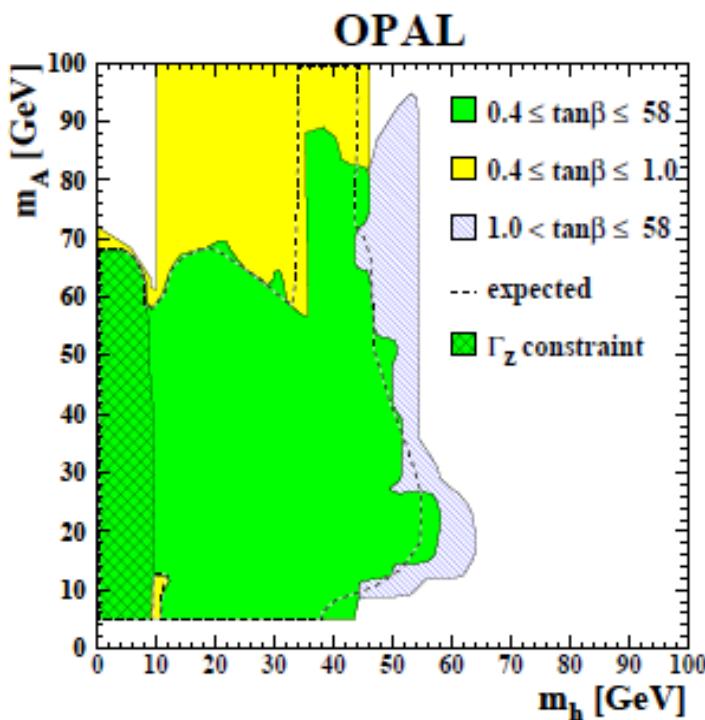
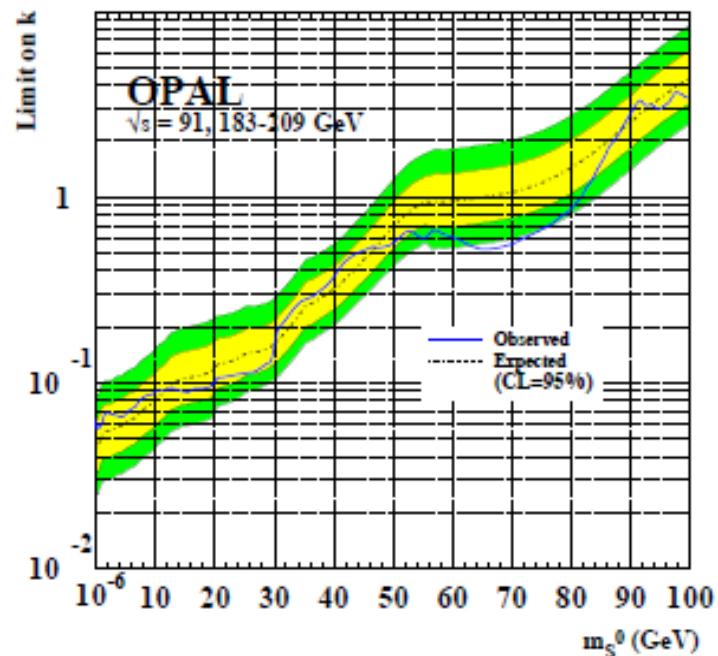
Which extremum is a vacuum?

- Charged breaking ?  
massive photon, el.charge is not conserved  
→ No
- Neutral :
  - Normal      ok, many data, but no DM
  - Inert        OK! there are some data
  - B            no, all fermions massless, no DM

# LEP: 2HDM (N vacuum) $v_1, v_2$ ( $\tan\beta$ ); Model I,II..

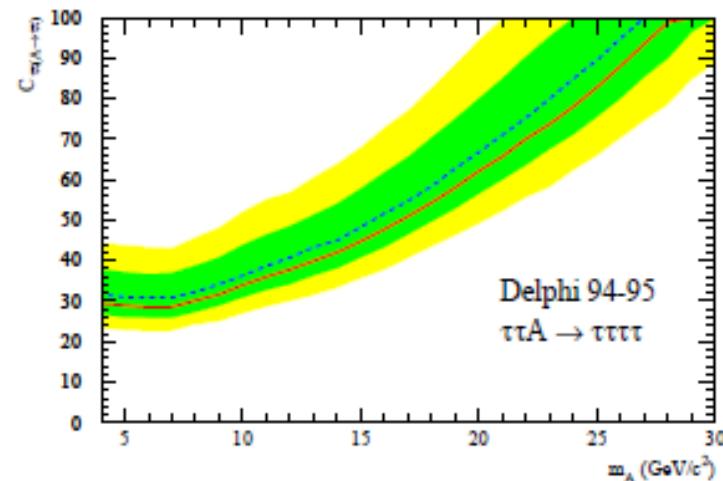
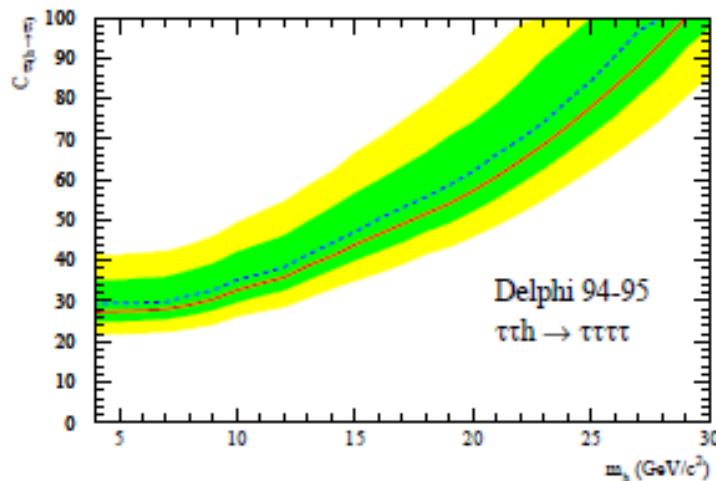
Neutral Higgs bosons - couplings to gauge boson, and mass exclusion

Light h OR light A in agreement with current data  
hZZ:  $\sin(\beta - \alpha)$  and hAZ:  $\cos(\beta - \alpha)$

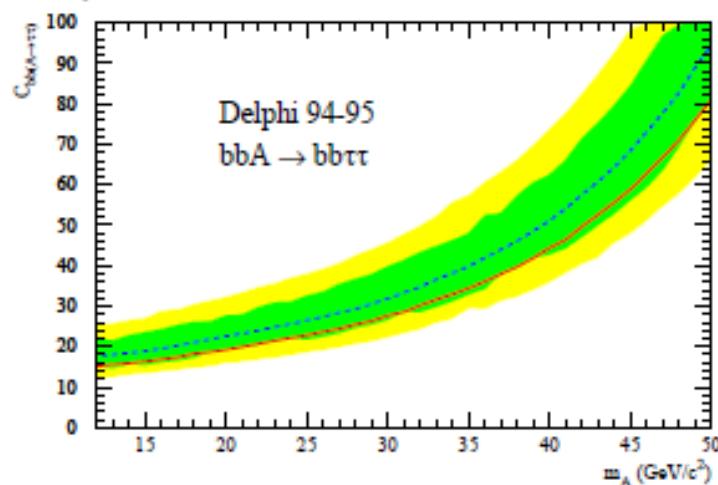


Light scalar  $h \rightarrow$  small  $k = \sin^2(\beta - \alpha)$  !

## Upper (95%) limits for Yukawa couplings $\chi_d$ ( $\tan \beta$ ) in 2HDM (II)



Yukawa coupling ( $\tan \beta$ ) up to 20 allowed mass larger than 35 GeV!



# Inert Model (Dark 2HDM) vs data

Ma..1978,2007, Barbieri.. 2006  
Exact  $Z_2$  symmetry in L and in vacuum →  
 $Z_2$ -parity: odd is only  $\Phi_2$



- Nonzero vev has only doublet  $\Phi_1$  (Higgs doublet)  
only it couples to fermions (Model I)  
SM-like Higgs boson  $h$        $M_h^2 = m_{11}^2 = \lambda_1 v^2$



- Zero vev for  $\Phi_2$  (scalar doublet) and no Yukawa int.
- Four scalars with odd  $Z_2$ -parity (dark scalars D)
- The lightest dark scalar - stable

# Dark scalars $D = H^+, H^-, H, A$

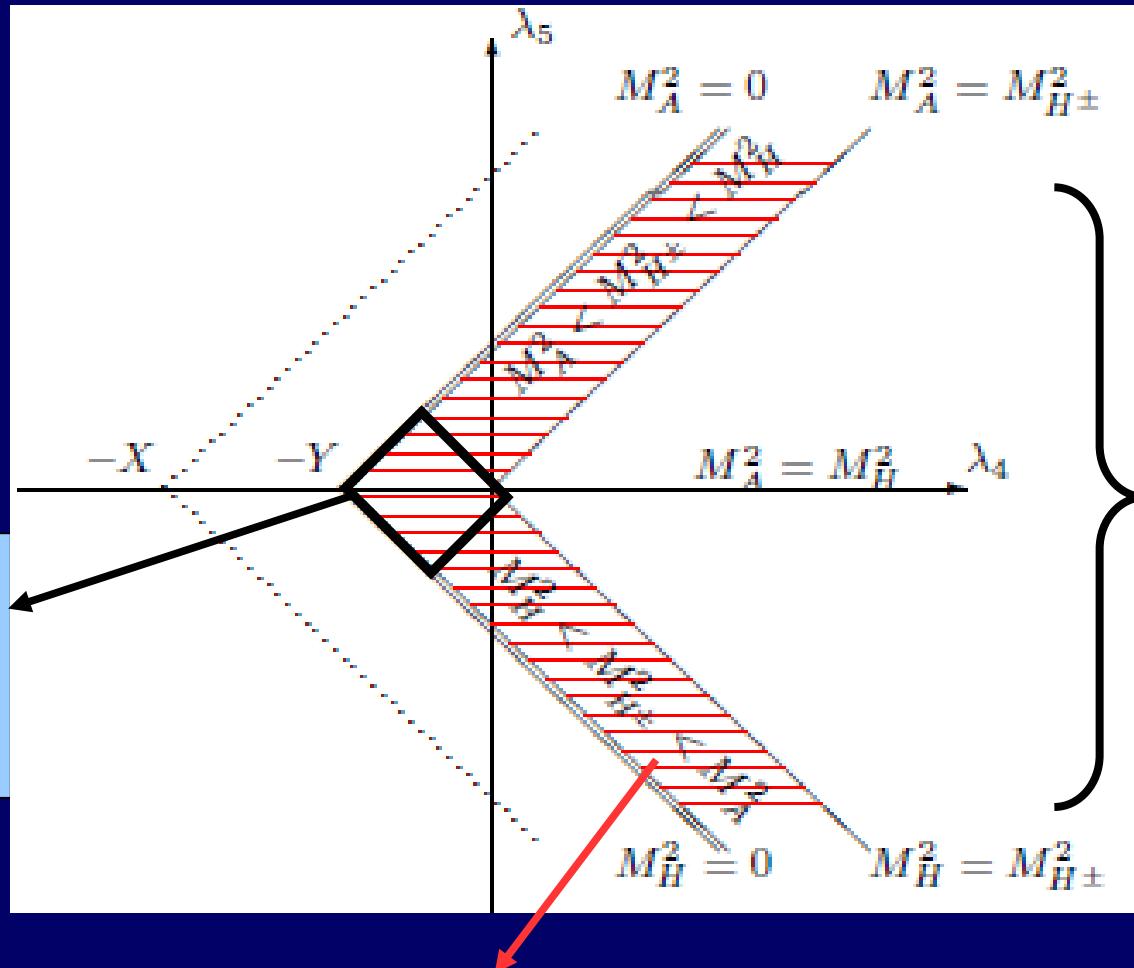
- Masses

$$\begin{aligned}M_{H^+}^2 &= -\frac{m_{22}^2}{2} + \frac{\lambda_3}{2} v^2 \\M_H^2 &= -\frac{m_{22}^2}{2} + \frac{\lambda_3 + \lambda_4 + \lambda_5}{2} v^2 \\M_A^2 &= -\frac{m_{22}^2}{2} + \frac{\lambda_3 + \lambda_4 - \lambda_5}{2} v^2\end{aligned}$$

- $D$  couple to  $V = W/Z$  (eg.  $AZH, H^-W^+H$ ),  
no DV V !
- Selfcouplings DDDD proportional to  $\lambda_2$
- Couplings between Higgs boson  $h$  and  $D$   
proportional to  $M_D^2 + m_{22}^2/2$

# Intert Model – dark scalar masses

using X (positivity) and  $Y = M_{H^+}^2 2/v^2$



here  $H^+$  is  
the heaviest

here  
 $H^+$  is  
the  
lightest

here  $H$  is the dark matter candidate ( $\lambda_5 < 0$ )

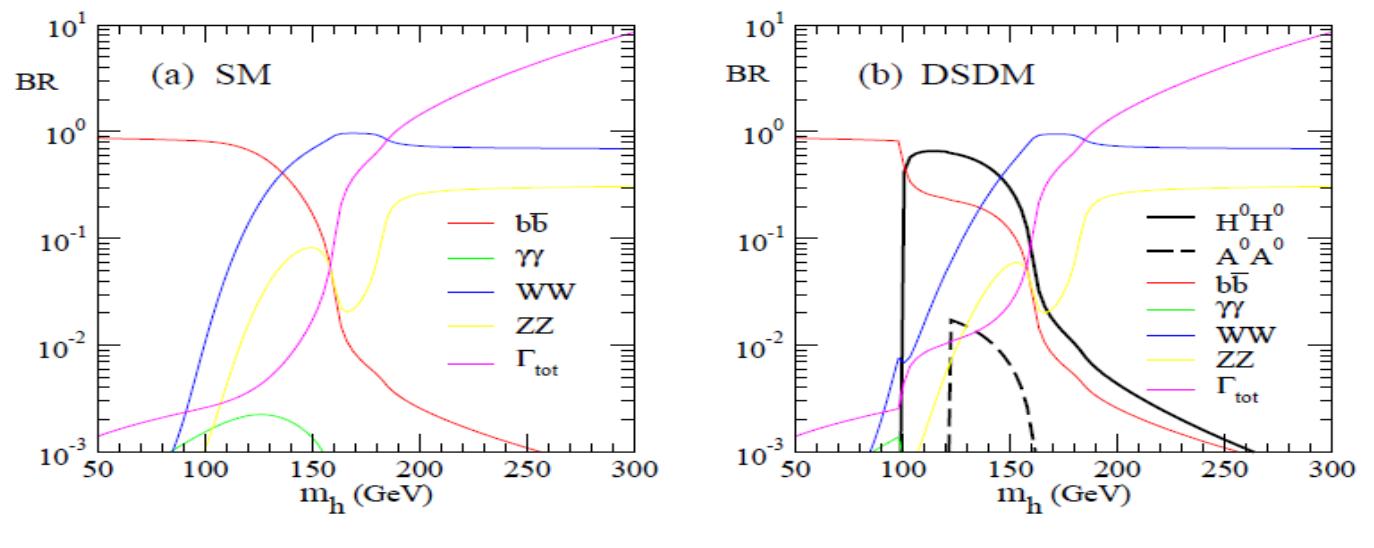
# Testing Inert Model

- To consider
  - properties of SM-like  $h$  (light and heavy)
  - properties of dark scalars  
(produced only in pairs!)
  - DM candidate
- Colliders signal/constraints
  - Barbieri et al '2006 for heavy  $h$
  - Cao, Ma, Rajasekaren' 2007 for a light  $h$

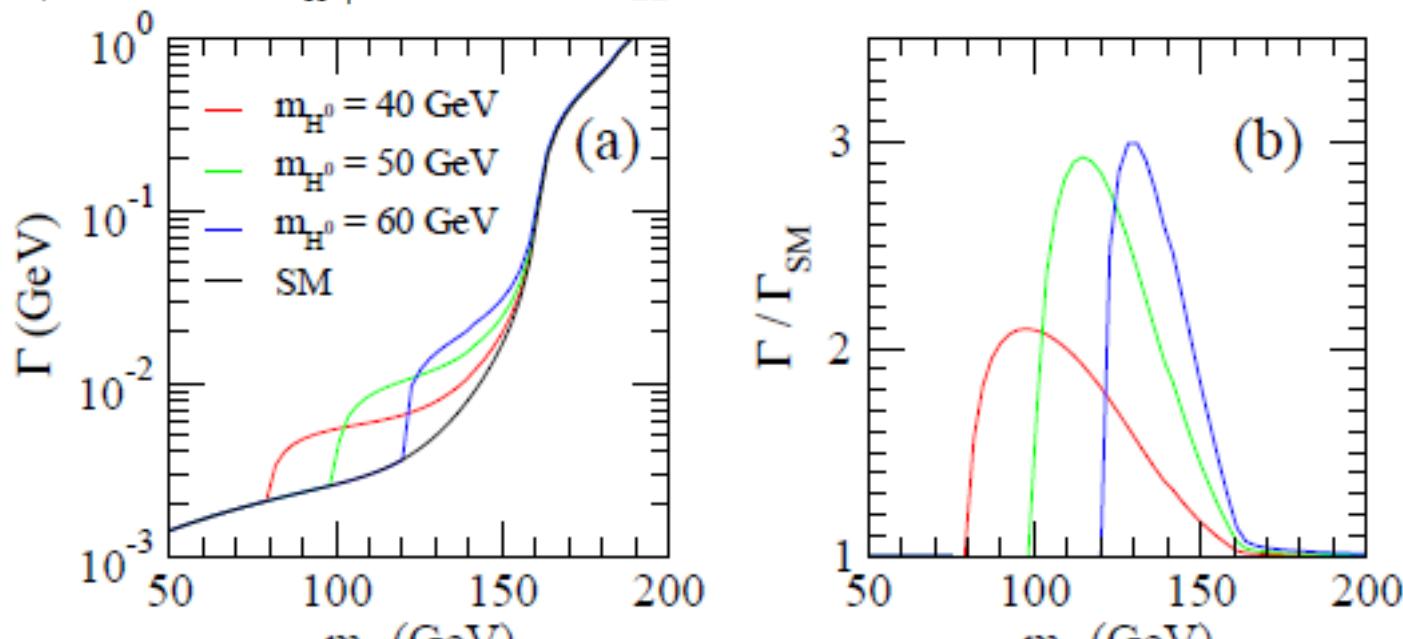
LEP II:  $M_H + M_A > M_Z$ ,  $\Delta(A, H) = 5 - 30$  GeV for  $M_h = 105 - 110$  GeV  
EW precision data:  $(M_{H^+} - M_A)(M_{H^+} - M_H) = M^2$ ,  $M = 120^{+20}_{-30}$  GeV

# Dark 2HDM – additional decays of $h$

Ma.. ' 2007

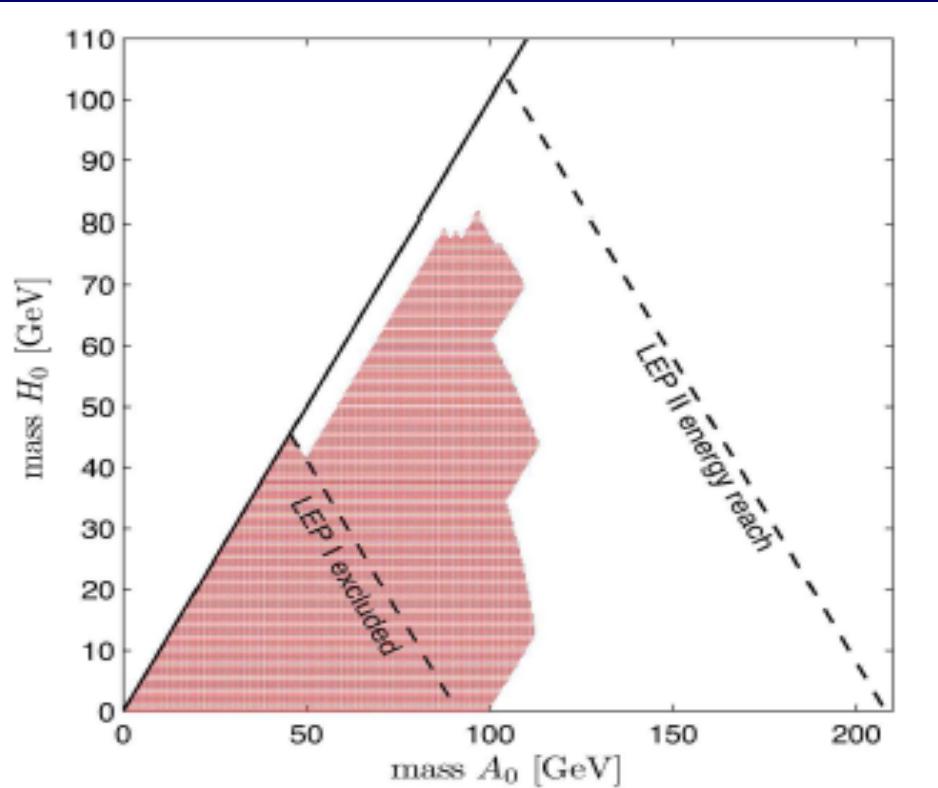


For  $M_H = 50$  GeV,  $\Delta(A, H) = 10$  GeV,  $M_{H+} = 170$  GeV,  $m_{22} = 20$  GeV

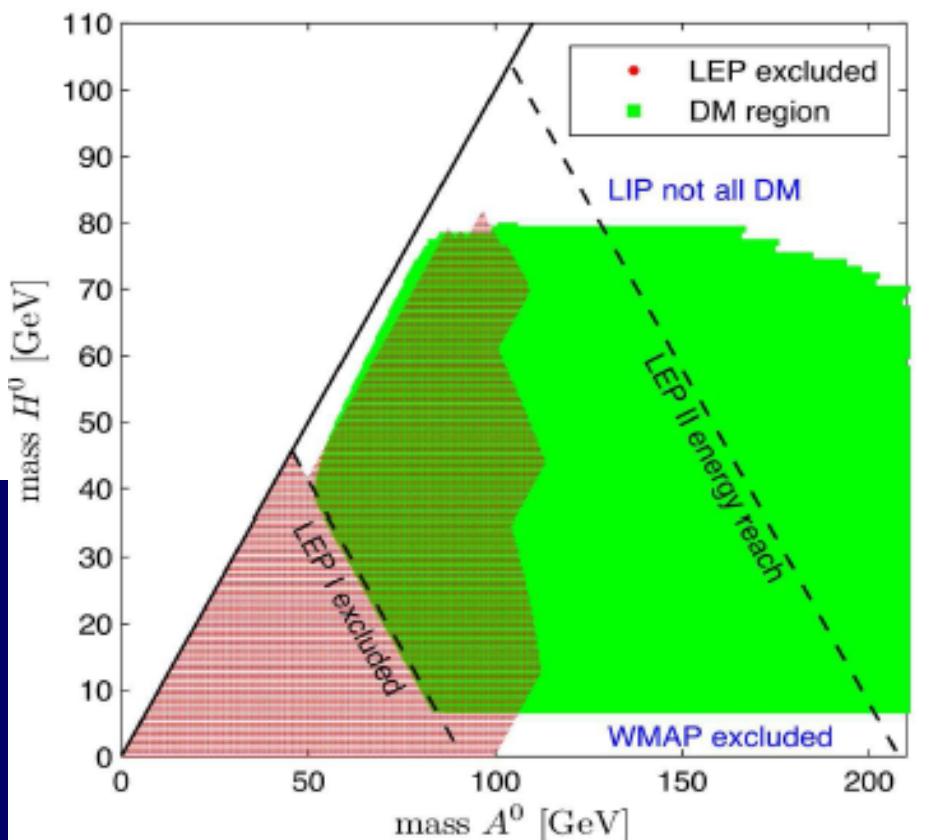


# Dark 2HDM: LEP II exclusion

Lundstrom et al 0810.3924



LEP II + WIMP  
 $M_h = 200 \text{ GeV}$   
 $M_A - M_H > 8 \text{ GeV}$



# Inert Model: constraints LEP+DM → LHC

*E. Dolle, S. Su, 0906.1609 [hep-ph]*

LEP (exclusion and EW precision data)

+ relic density using MicroOMEGA/CalCHEP

$$\delta_1 = m_{H^\pm} - m_S$$

$$\delta_2 = m_A - m_S$$

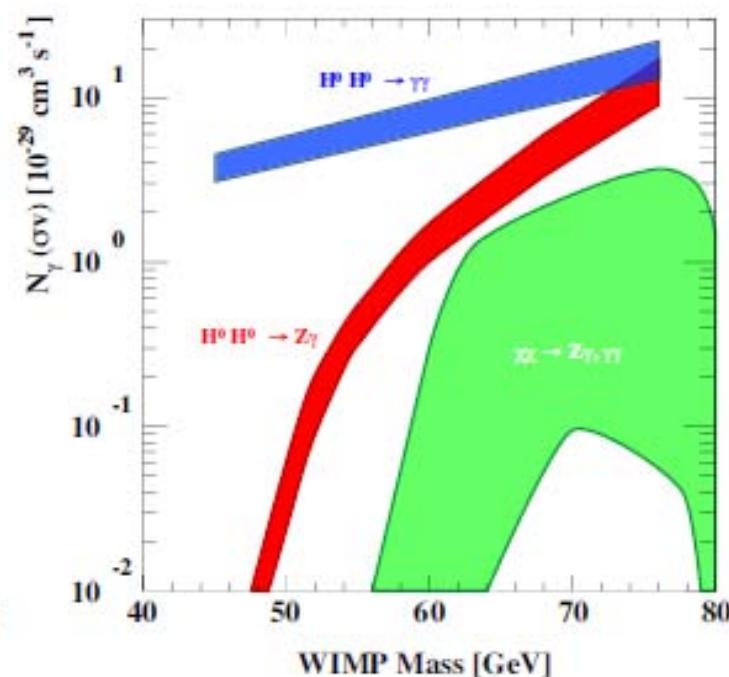
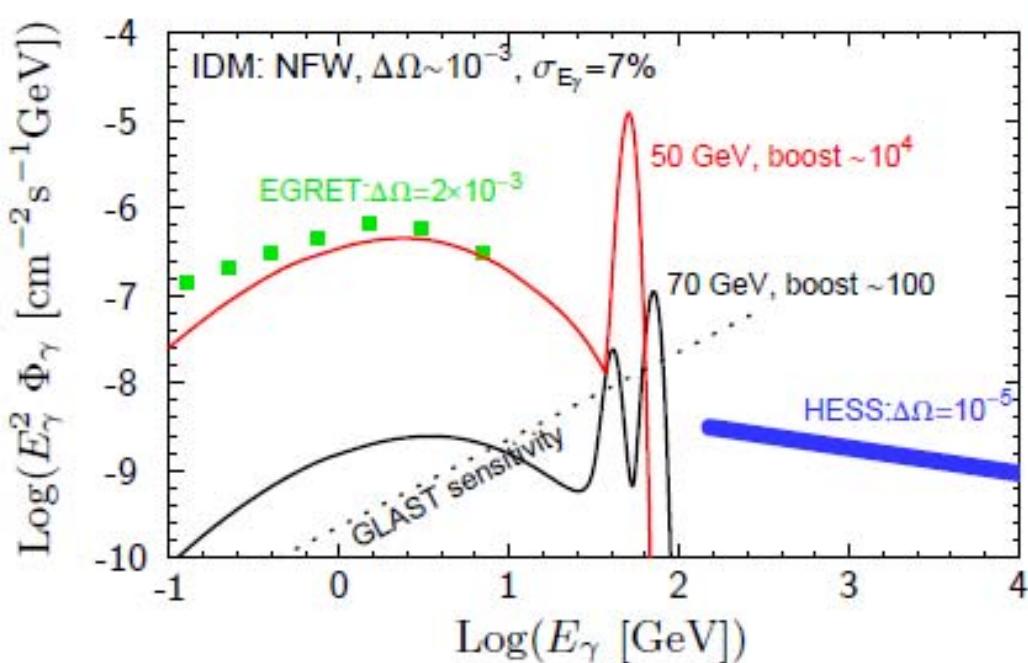
## Viable region for relic density

S=H

	DM	SM h	$m_S$	$\delta_1, \delta_2$	$\lambda_L$
(I)	low $m_S$	low $m_h$	30 – 60 GeV	50 - 90 GeV	-0.2 to 0
(II)			60 – 80 GeV	at least one is large	-0.2 to 0.2
(III)		high $m_h$	50 – 75 GeV	large $\delta_1$ , $\delta_2 < 8$ GeV	-1 to 3
(IV)			~ 75 GeV	large $\delta_1, \delta_2$	-1 to 3
(V)	high $m_S$	low $m_h$	500 – 1000 GeV	small $\delta_1, \delta_2$	-0.2 to 0.3

## Significant Gamma Lines from Inert Doublet Model

Gustafsson,Lundstrom,Bergstrom,Edsjo' 2007 studied direct annihilation of  $H\bar{H}$  into  $\gamma\gamma$  and  $Z\gamma$  for  $M_H$  between 40-80 GeV (loop process, energy below WW threshold).



# Conclusion on gamma lines

- Gustafsson et al.2007: *Striking DM line signals -promising features to search with GLAST*  
Mass of H = 40-80 GeV, H+ = 170 GeV,  
A = 50-70 GeV, h = 500 and 120 GeV
- Honorez, Nezri, Oliver, Tytgat 2006-7: *H as a perfect example or archetype of WIMP – within reach of GLAST*  
Here mass of h = 120 GeV, large mass H+ close to A = 400 - 550 GeV
- September 2009 → waiting on FERMI results

# Evolution of the Universe – different vacua in the past ?

We consider 2HDM with an explicit  $Z_2$  symmetry  
assuming that today the Inert Model is realized.

Useful parametrization with  $k$  and  $\delta$

$$\lambda_2/\lambda_1 = k^4, \quad m_{11}^2 = m^2(1 - \delta), \quad m_{22}^2 = k^2 m^2(1 + \delta)$$

$$\lambda_{345} = \lambda_3 + \lambda_4 + \lambda_5, \quad \tilde{\lambda}_{345} = \lambda_3 + \lambda_4 - \lambda_5.$$

$$\Lambda_{345\pm} = \sqrt{\lambda_1 \lambda_2} \pm \lambda_{345}, \quad \tilde{\Lambda}_{345\pm} = \sqrt{\lambda_1 \lambda_2} \pm \tilde{\lambda}_{345}, \quad \Lambda_{3\pm} = \sqrt{\lambda_1 \lambda_2} \pm \lambda_3.$$

Yukawa interaction – Model I →  
all fermions couple only to  $\Phi_1$

# Possible vacua:

Ch }  
Inert }  
B }  
N }

$$v_1^2 = \frac{m^2 k^2}{2} \left( \frac{1}{\Lambda_{3+}} - \frac{\delta}{\lambda_{3-}} \right), \quad v_2 = 0, \quad u^2 = \frac{m^2}{2} \left( \frac{1}{\Lambda_{3+}} + \frac{\delta}{\lambda_{3-}} \right)$$

$$\mathcal{E}_{ch} = -\frac{m^4 k^2}{8} \left( \frac{1}{\Lambda_{3+}} + \frac{\delta^2}{\Lambda_{3-}} \right)$$

$$v_2 = 0, \quad v^2 = v_1^2 = \frac{m^2(1-\delta)}{\lambda_1}, \quad \mathcal{E}_A = -\frac{m^4(1-\delta)^2}{8\lambda_1}$$

$$v_1 = 0, \quad v^2 = v_2^2 = \frac{m^2(1+\delta)}{k^2 \lambda_1}, \quad \mathcal{E}_B = -\frac{m^4(1+\delta)^2}{8\lambda_1}$$

$$v_1^2 = \frac{m^2 k^2}{2} \left( \frac{1}{\Lambda_{345+}} - \frac{\delta}{\Lambda_{345-}} \right), \quad v_2^2 = \frac{m^2}{2} \left( \frac{1}{\Lambda_{345+}} + \frac{\delta}{\Lambda_{345-}} \right),$$

$$\mathcal{E}_C = -\frac{k^2 m^4}{4} \left( \frac{1}{\Lambda_{345+}} + \frac{\delta^2}{\Lambda_{345-}} \right)$$

Depending on value of  $\delta \rightarrow$   
a true vacuum (with the minimal energy)

# Depending on $\delta \rightarrow$ a true vacuum

$$\boxed{\mathcal{E}_I - \mathcal{E}_N} = \frac{m^4}{8} \frac{(\Lambda_{345-} + \delta\Lambda_{345+})^2}{\lambda_1 \Lambda_{345-} \Lambda_{345+}},$$

$$\boxed{\mathcal{E}_I - \mathcal{E}_{Ch}} = \frac{m^4}{8} \frac{(\Lambda_{3-} + \delta\Lambda_{3+})^2}{\lambda_1 \Lambda_{3-} \Lambda_{3+}}$$

$$\boxed{\mathcal{E}_N - \mathcal{E}_{Ch}} = \frac{k^2 m^2}{4} \lambda_{45} \left[ \frac{1}{\Lambda_{3+} \Lambda_{345+}} - \frac{\delta^2}{\Lambda_{3-} \Lambda_{345-}} \right], \quad \boxed{\mathcal{E}_I - \mathcal{E}_B} = \frac{m^4 \delta}{2 \lambda_1}.$$

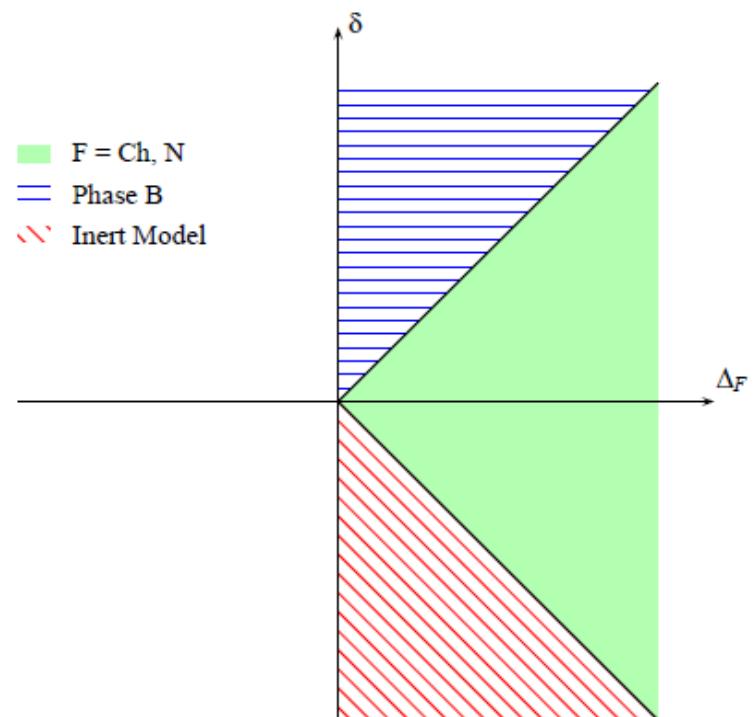
For Ch

$$\Delta_{Ch} = \Lambda_{3-}/\Lambda_{3+} > 0$$

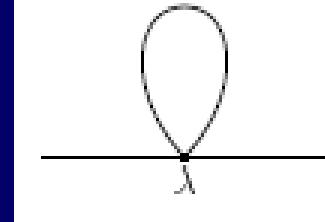
For N

$$\Delta_N = \Lambda_{345-}/\Lambda_{345+} > 0$$

So, if  $\delta$  change with time?



# Termal corrections of parameters



Matsubara method (temperature  $T \gg m^2$ ) –  
–only quadratic (mass) parameters change with  $T$

$$m_{11}^2(T) = m_{11}^2(0) - 2c_1 m^2 w, \quad m_{22}^2(T) = m_{22}^2(0) - 2c_2 m^2 w$$

$$c_1 = \frac{3\lambda_1 + 2\lambda_3 + \lambda_4}{2}, \quad c_2 = \frac{3\lambda_2 + 2\lambda_3 + \lambda_4}{2}, \quad w = \frac{T^2}{12m^2}$$

$$c_1, c_2 > 0$$

$$m(T=0) \equiv m, \delta(0) \equiv \delta$$

$$m^2(T) = m^2(1 - (c_2 + c_1)w)$$

$$\delta(T) = \frac{m^2}{m^2(T)} \left( \delta - \frac{c_2 - c_1}{c_2 + c_1} \right) + \frac{c_2 - c_1}{c_2 + c_1}$$

$m_{11}^2(T), m_{22}^2(T) \downarrow$  with  $T \downarrow \rightarrow$  different phases

# Extrema:

- In the EW symmetry vacuum, both  $m^2_{11}(T), m^2_{22}(T) < 0$

Both mass parameter grow with time t

- In the Inert extremum condition:  $m^2_{11} = \lambda_1 v^2$ , so  $m^2_{11} > 0$

- B extremum condition:  $m^2_{22} = \lambda_2 v^2 > 0$ , so  $m^2_{22} > 0$

Since  $m^2_{11}(T), m^2_{22}(T)$  are monotonic functions of T ( $T^2$ )

→ if Inert (or B) was an extremum in the past then  
 $m^2_{11}(T)$  (or  $m^2_{22}(T)$ ) positive for the rest of the evolution

- What happened next, depends on other parameters

# Phase transitions from the EW symmetric phase

$\Lambda_{3-} > 0, \lambda_4 + \lambda_5 > 0 \quad \delta(T_{Ch\pm}) = \pm \Delta_{Ch}$

Two second order phase transitions:

EW  $\xrightarrow{\text{II}}$  Phase B  $\xrightarrow{\text{II}}$  Charged phase  $\xrightarrow{\text{II}}$  Inert phase

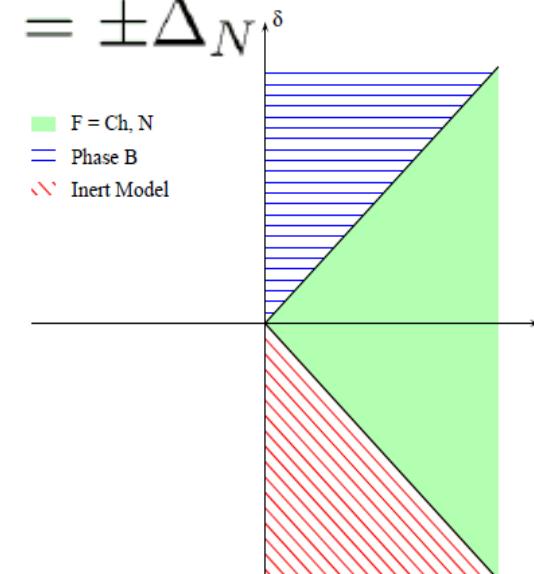
$\Lambda_{345-} > 0, \lambda_4 + \lambda_5 < 0 \quad \delta(T_{N\pm}) = \pm \Delta_N$

Two second order phase transitions:

EW  $\xrightarrow{\text{II}}$  Phase B  $\xrightarrow{\text{II}}$  Phase N  $\xrightarrow{\text{II}}$  Inert phase

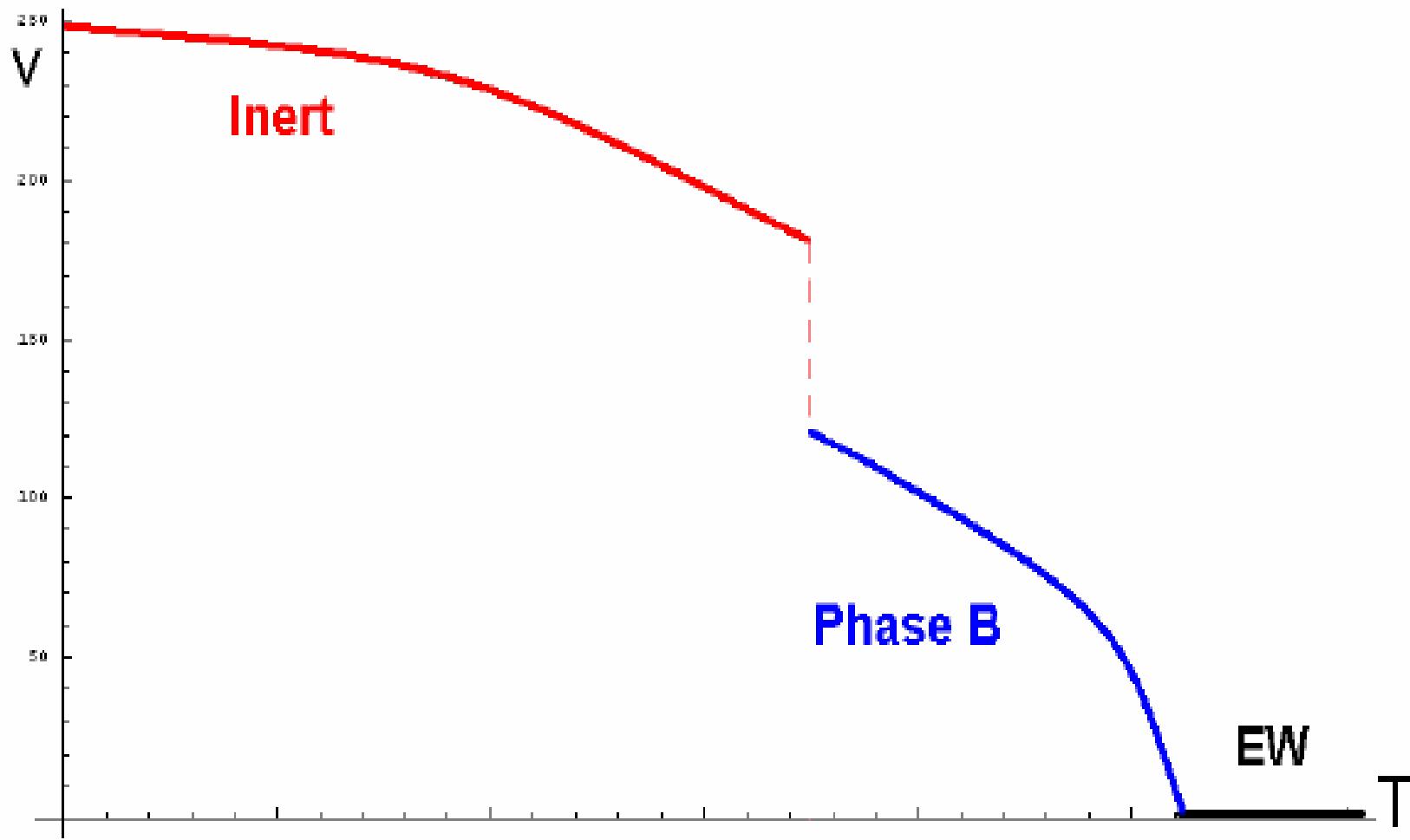
First order phase transition:

EW  $\xrightarrow{\text{II}}$  Phase B  $\xrightarrow{\text{I}}$  Inert phase



to the present INERT phase

# EW – B – I: an example



# Conclusions

- Rich content of 2HDMs
- Inert Model in agreement with present data – soon tests at FERMI and LHC
- What was in the Past?

- EW  $\xrightarrow{\text{II}}$  Phase B  $\xrightarrow{\text{I}}$  Inert phase
- EW  $\xrightarrow{\text{II}}$  Phase B  $\xrightarrow{\text{II}}$  Phase N  $\xrightarrow{\text{II}}$  Inert phase
- EW  $\xrightarrow{\text{II}}$  Phase B  $\xrightarrow{\text{II}}$  Charged phase  $\xrightarrow{\text{II}}$  Inert phase
- EW  $\xrightarrow{\text{II}}$  Inert phase

- Various scenarios
- Can we find clear signals ?

excluded if DM neutral !

B-Inert is the 1st order phase transition –discontinuities  
It is possible not to have DM at high temperature

# Model I for N, Inert, B phase

- For the N Phase ( $\alpha$  – mixing angle,  $\chi$  – relative coupling)

- Interaction with fermions:

$$\begin{aligned}\chi_t^{H^0} &: \frac{\sin \alpha}{\sin \beta} ; \quad \chi_b^{H^0} : \frac{\sin \alpha}{\sin \beta} ; \quad \chi_t^{h^0} : \frac{\cos \alpha}{\sin \beta} ; \quad \chi_b^{h^0} : \frac{\cos \alpha}{\sin \beta} \\ \chi_t^{A^0} &: -i\gamma_5 \cot \beta ; \quad \chi_b^{A^0} : i\gamma_5 \cot \beta\end{aligned}$$

- Interaction with gauge bosons

$$\chi_h^V = \cos \alpha, \quad \chi_H^V = \sin \alpha, \quad \chi_A^V = 0.$$

- For the Inert Model:

- Dark scalars from  $\phi_2$  do not interact with fermions
  - They have no triple interactions with gauge bosons  $H_i V_1 V_2$ , but there are vertices  $H_i H_j V$  and  $H_i H_j V_1 V_2$
  - $h$  from  $\phi_1$  interacts with fermions and gauge bosons like SM Higgs boson

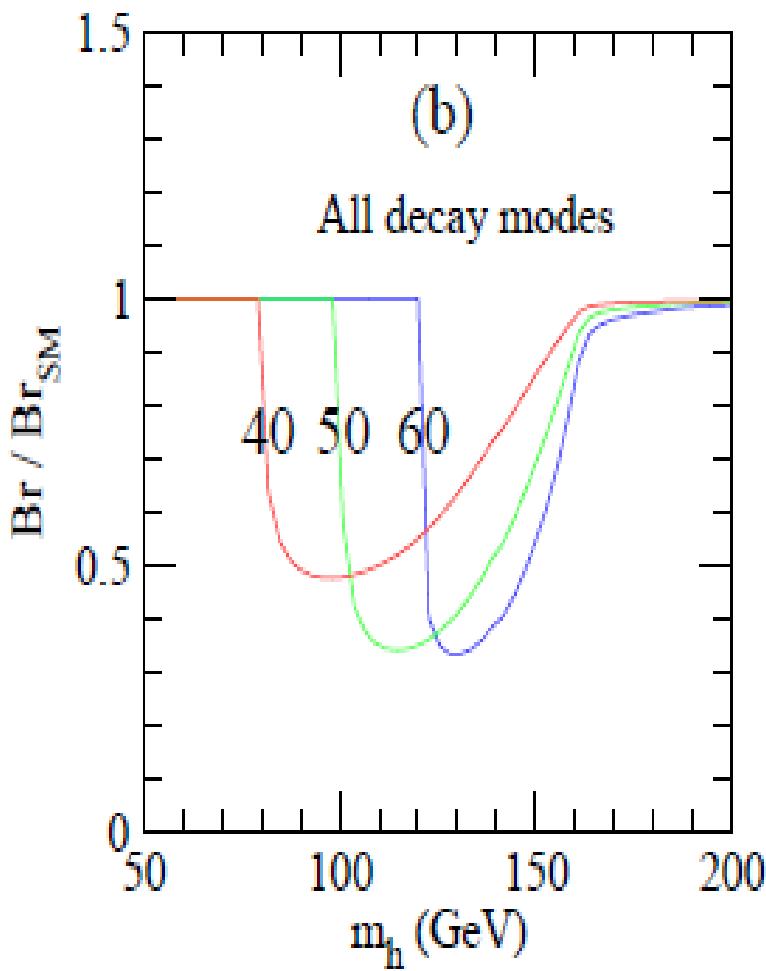
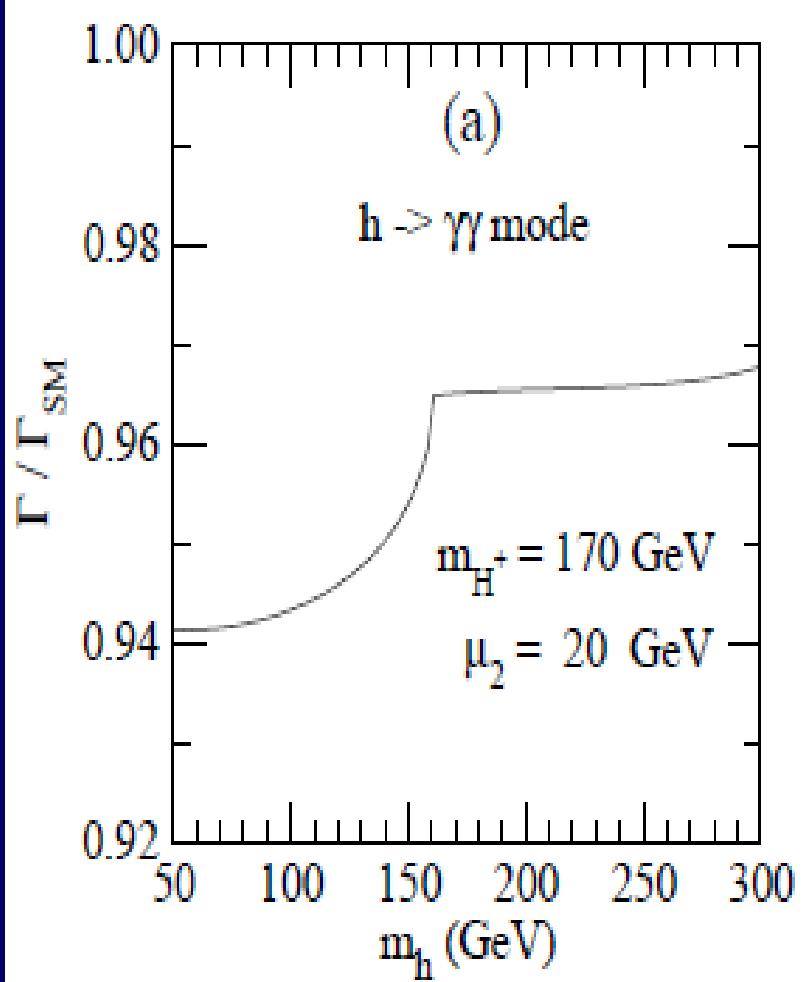
# Collider reach @ LHC

$S = H \text{ (DM)}$

$pp \rightarrow SA \rightarrow SSZ^{(*)} \rightarrow S\bar{S}l^+l^-$

	$m_S$	$(\delta_1, \delta_2)$	$S$	$B$	$S/B$	$S/\sqrt{B}$
	GeV	GeV	fb	fb	$L=100 \text{ fb}^{-1}$	
LH1	40	(100,100)	3.68	102.18	0.04	3.64
LH2	40	(70,70)	0.97	0.88	1.11	10.37
LH3	82	(50,50)	0.19	0.47	0.40	2.75
LH4	73	(10,50)	0.22	0.47	0.47	3.23
LH5	79	(50,10)	0.33	0.30	0.09	0.52
HH1	76	(250,100)	0.69	27.17	0.03	1.33
HH2	76	(200,30)	1.22	27.65	0.04	2.32

# Dark 2HDM: $\gamma\gamma h$



# 2HDM: old idea and recent progress

- T.D. Lee 1973 – mainly for spontaneous CP violation
- Rich phenomenology ....
- 2004-2009: deeper understanding of V using symmetry (reparametrization freedom or is  $\tan \beta$  a physical parameter?, condition for CP conservation, vacuum states)-  
*Haber, Gunion; Ginzburg, MK; Nishi, Nachtmann, Maniatis, Manteiffel, Ivanov, Kanishev, Sokołowska, Barroso, Santos, Ferreira, Silva, Botella, Lavoura, Branco, Rebelo, Grimus, Osland, Vives...*
- 2006-9 Dark matter: *Ma, Barbieri;*  
Evolution of the Universe: *Ginzburg, Ivanov, Kanishev, MK, Sokołowska*

*New analyses for LHC, ILC, PLC  
Constraints from Flavour data  
Generators for 2HDM*