

# Model the response: from energy deposit to S1 and S2

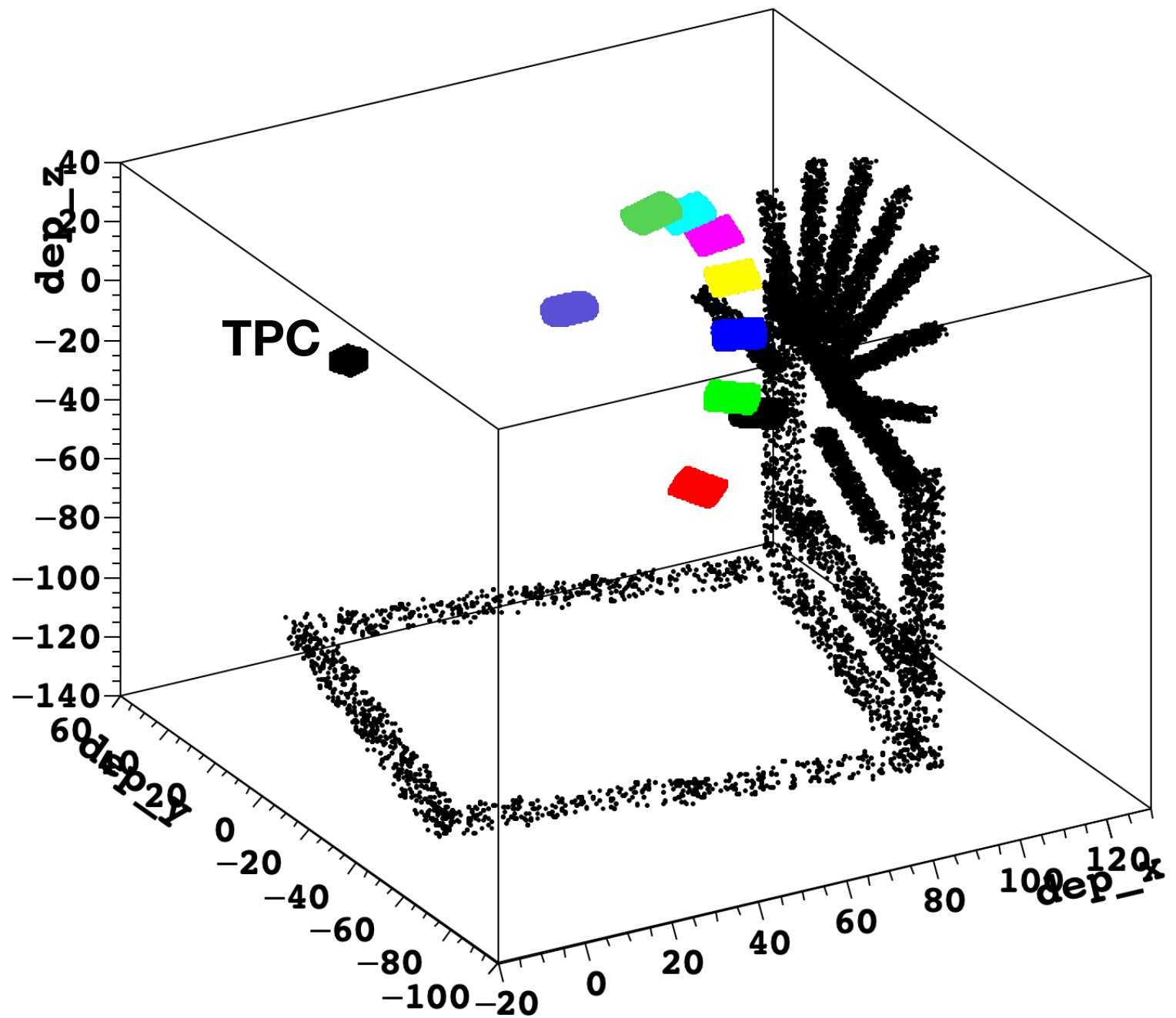
A toyMC is not enough (need to consider effects of beam width, TPC size, multiple scatters, accidental coincidence).

Start from an actual simulation (3E8 neutrons? in a 3 deg cone). **CHECK beam-time conversion**

Selection based on TOF:  
 $35 \text{ ns} < \text{TPC time} < 41 \text{ ns}$  &&  
 $20 \text{ ns} < \text{ND time} - \text{TPC time} < 26 \text{ ns}$

Determine energy deposited in the TPC for TPC-ND coincidence events.  
*Neglect coincidence with Si for the moment.*

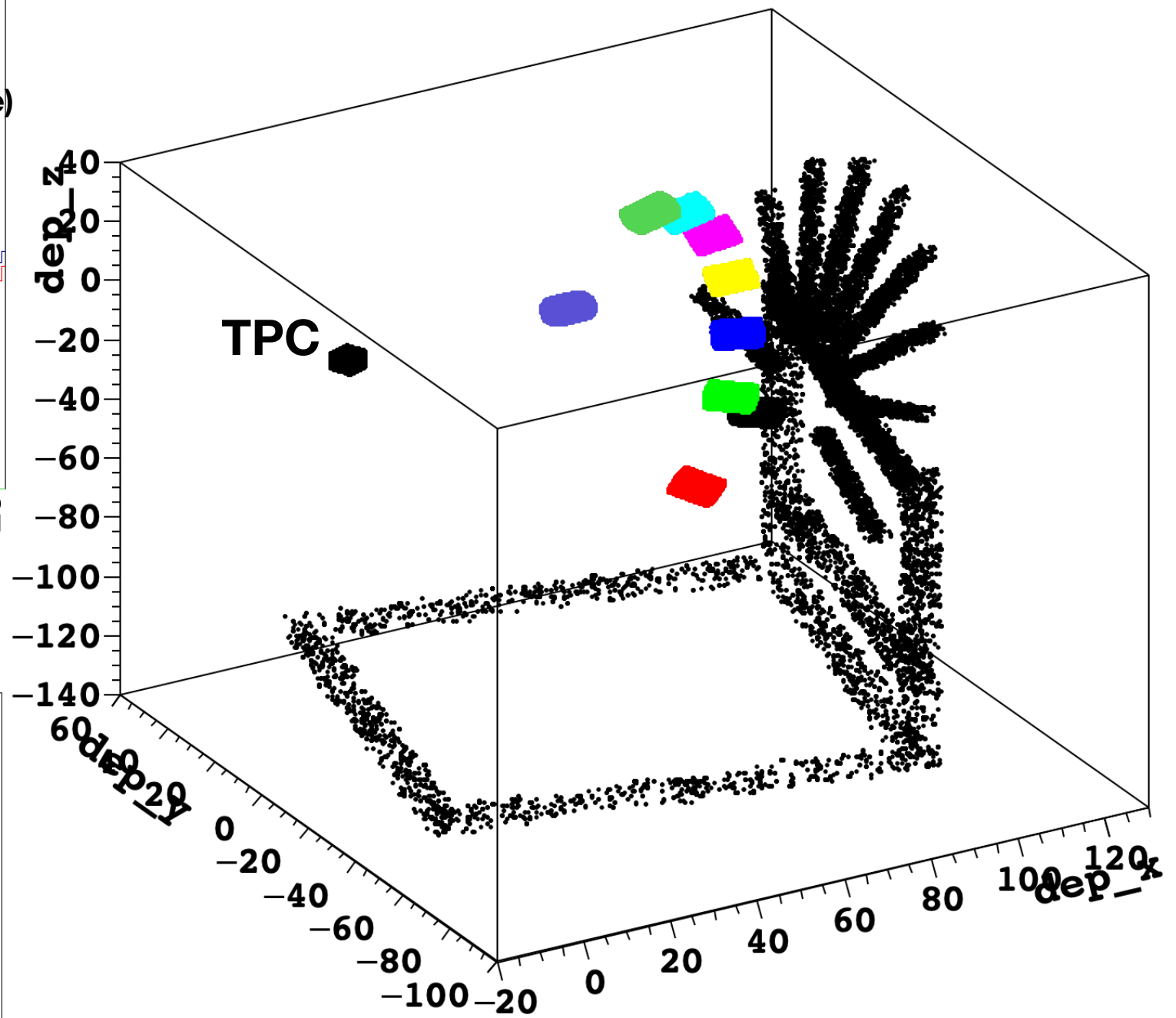
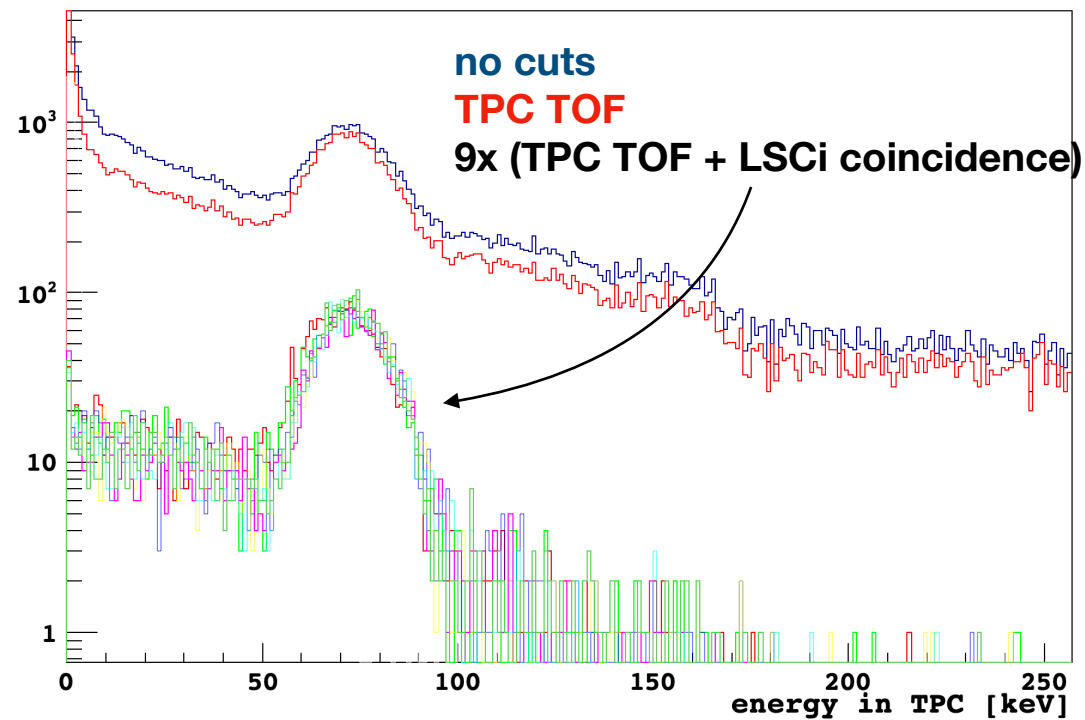
GOAL is to store the distribution of **the azimuthal angle of the recoiling  $^{40}\text{Ar}$**  (angle with respect to the drift field) vs  **$^{40}\text{Ar}$  recoil energy**.



*same color scheme maintained when looking at TPC-LSCi coincidence*

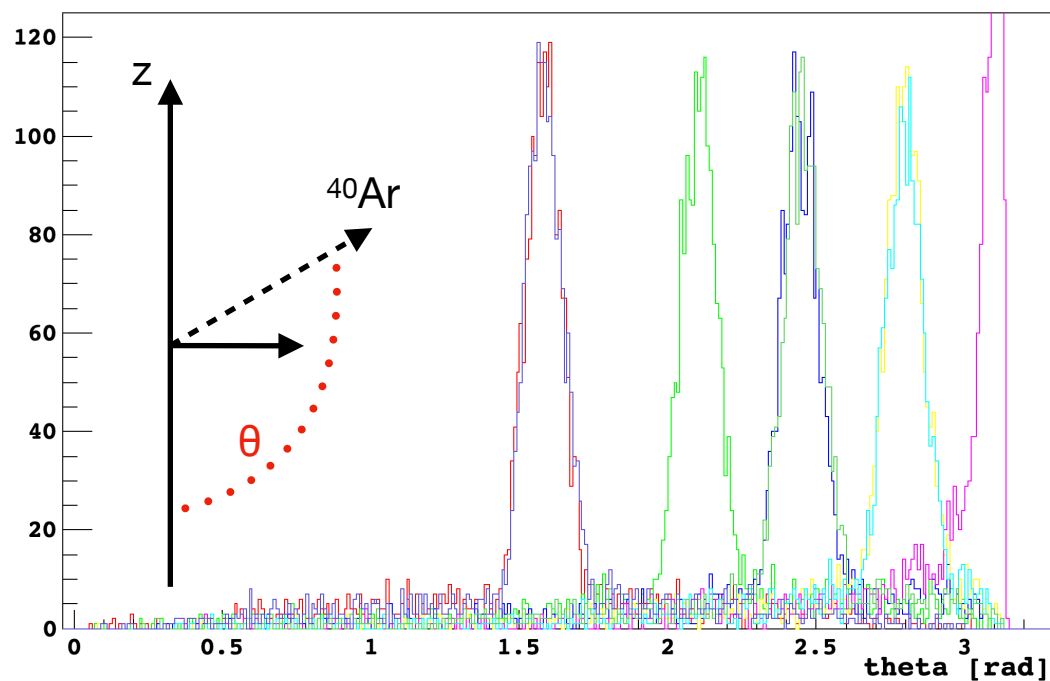
# Model the response: from energy deposit to S1 and S2

energy in TPC before and after coincidence and TOF selection



$^{40}\text{Ar}$  recoil angle wrt to drift field

Each (pair) of LSCi selects one angle



**==> use the join energy-angle 2D distributions from MC as PDF for the following**

# What next

1) Energy in TPC  $\xrightarrow{L_{Eff} \text{ from ARIS}}$  Visible Energy



2) Visible energy  $\xrightarrow{\text{Model from DS50 and ARIS}}$  ions and excitons ( $W = 19.5 \text{ eV}$ ,  $N_{ex}/N_i = 1$ )



3) Free ions  $\xrightarrow{\text{Recombination from ARIS}}$  ions  $\downarrow$  excitons  $\uparrow$  recombination (S1)



angle with the field ?  
fluctuations ?

Surviving ions  $\xrightarrow{\quad\quad}$  S2

g2 / ionization yield (PE/e-) ?  
S2 resolution ?

Excitons  $\xrightarrow{\quad\quad}$  S1

g1 / light yield (PE / ph) ?  
S1 resolution ?

Effect of the field: can be  
INVENTED to reproduce SCENE.  
Smth like  $\alpha \cdot \cos\theta$  ?

fluctuations:  
in DS50 we fluctuate (Gaus)  
independently  $N_i$  and  $N_{ex}$  only at  
this point (S1 driven).  
Need update?

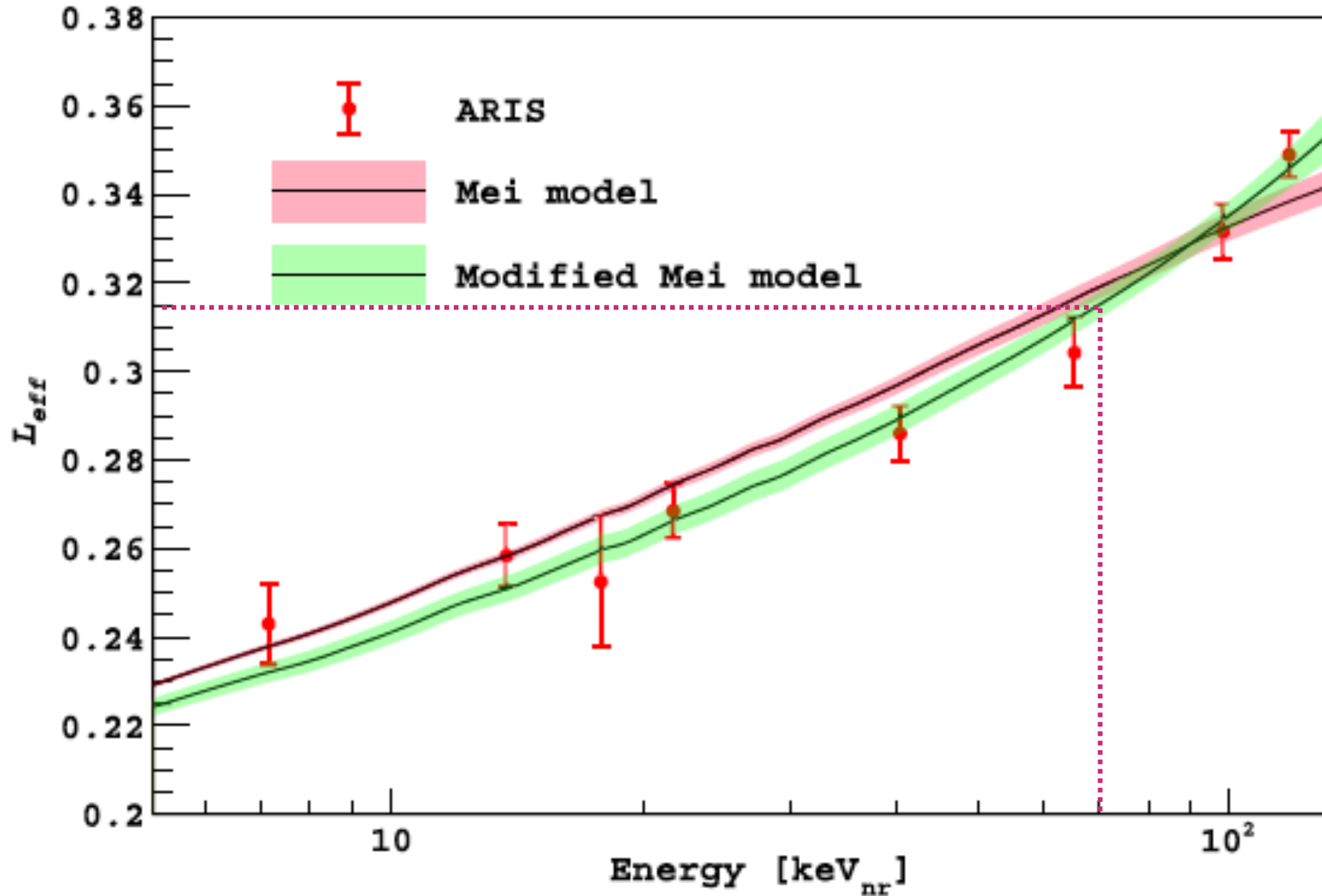
Measure from current ReD

# 1) True energy to visible energy.



Use  $L_{\text{eff}}$  from ARIS measurement

**0.315 at 70 keV**



## 2) Model from DS50 and ARIS



### The model:

$$N_Q = \text{Gaus} ( E_{\text{vis}} / 19.5 \text{ eV} )$$

$$N_i = N_Q / ( 1 + \alpha ) = N_Q / 2$$

$$N_{\text{ex}} = N_Q - N_i$$

$$N_\gamma = N_{\text{ex}} + \text{Binomial} ( N_i , R(\theta) )$$

$$N_{e^-} = N_Q - N_\gamma$$

$$\text{meanS1} = \text{Binomial} ( N_\gamma , g1 )$$

$$\text{meanS2} = g2 \times N_{e^-}$$

$$S1 = \text{Gaus} ( \text{meanS1} , \sigma1 \sqrt{\text{meanS1}} )$$

$$S2 = \text{Gaus} ( \text{meanS2} , \sigma2 \sqrt{\text{meanS2}} )$$

### Considerations:

- Recombination  $R$  (can be extracted from ARIS) is the parameter with **largest effect** on  $S2$ .
- Effect of  $\theta$  is invented: do we reproduce SCENE?
- Fluctuations and correlations are assumed (can not establish with DS50 or ARIS)
- $S2$  is not tuned in DS50. The only handle is the ARIS/DS50 cross calibration.

$N_Q$  number of produced quanta

$N_i$  number of e-/ion pairs

$N_{\text{ex}}$  number of excitons

$\alpha$   $N_{\text{ex}}/N_i$  (assumed 1 for NR)

$N_\gamma$  Number of scintillation photons

$N_{e^-}$  Number of free electrons

$R$  Recombination

$\theta$  azimuthal angle

$g1$  light detection probability

$g2$  multiplication in gas

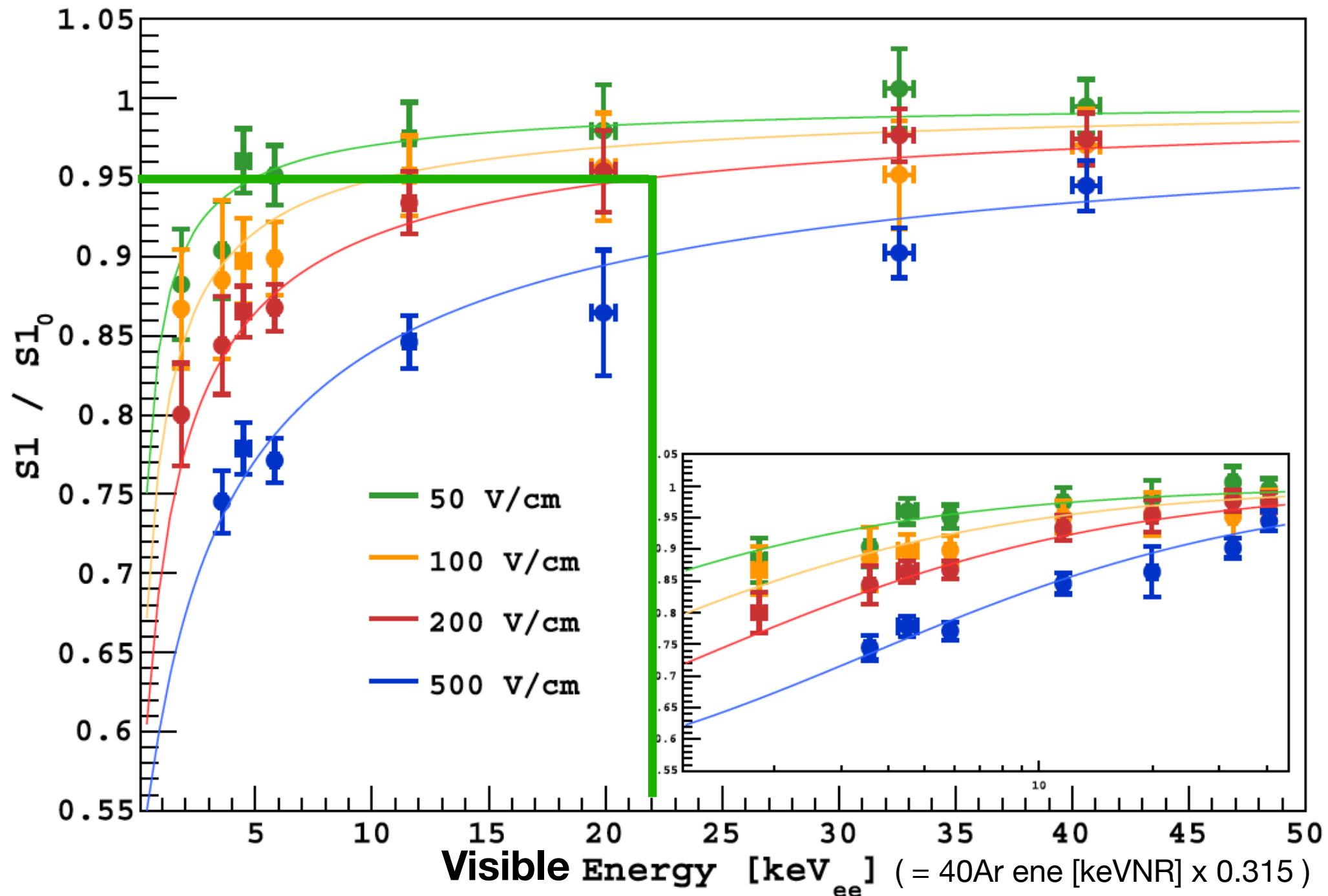
$\sigma1$   $S1$  resolution other than binomial (SPE, geometry...)

$\sigma2$   $S2$  resolution (multiplication, SPE, e- lifetime?...)

# 3A) Recombination from ARIS

- Recombination R (can be extracted from ARIS)

$$S1/S1_0 = (1 + R) / (1 + Nex/Ni) = 0.95 \quad ==> \quad R(T_{\perp}E) \sim 0.9$$



### 3A) Effect of $\theta$ - invented to reproduce SCENE

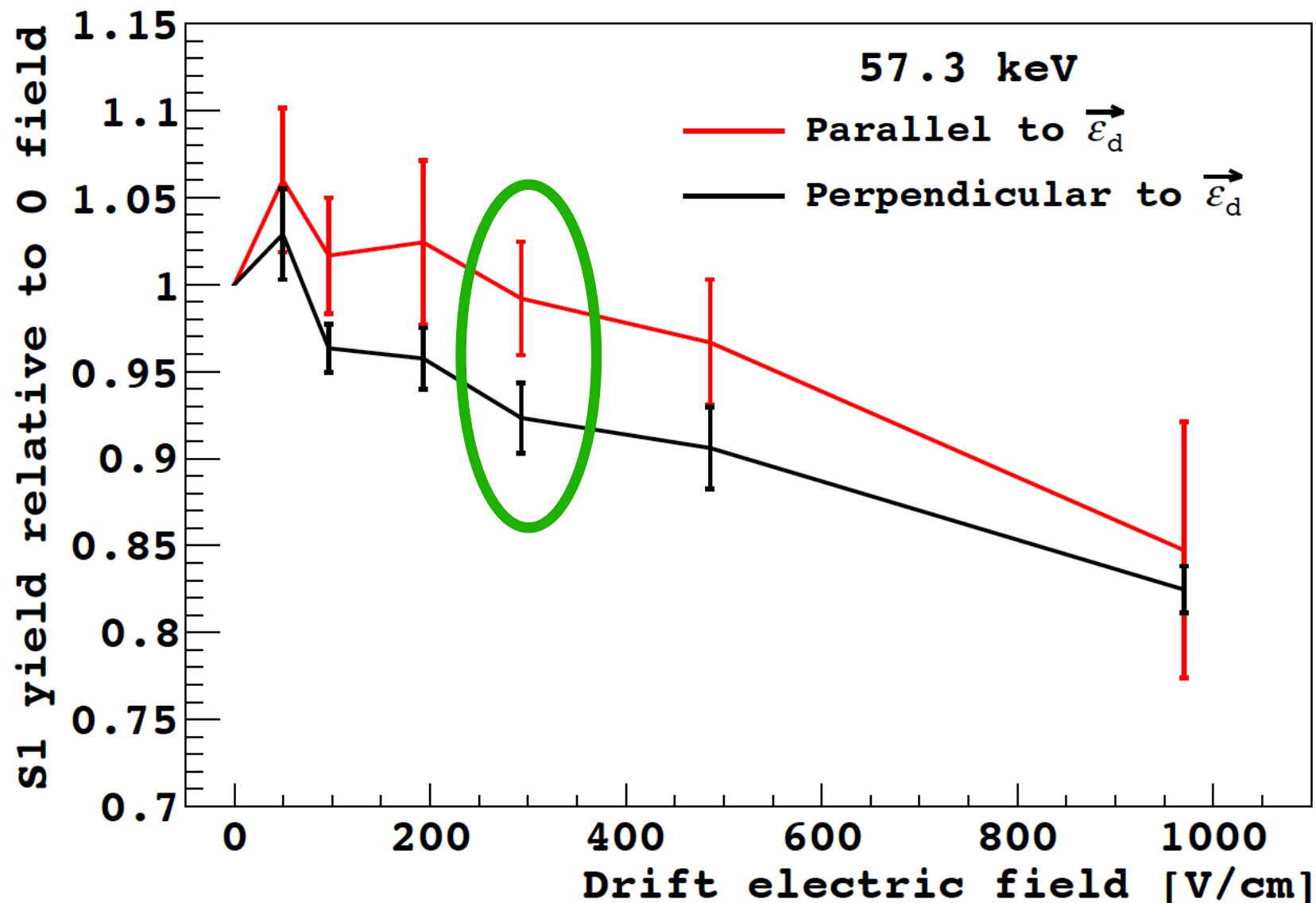
- Effect of  $\theta$  is invented: do we reproduce SCENE.

Recombination becomes  $R = 0.9 * (1. + A * \text{abs}(\cos(\theta)))$  ;

For  $A = 0.08$  the  $T_{\parallel}E$  vs  $T_{\perp}E$  effect is  $\sim$  as observed in SCENE



For  $T_{\parallel}E$ , recombination is 98% of e-/ion pair. A 10% increase in the  $A$  parameter (0.08 to 0.09) implies a factor of  $\sim 2$  less S2 signal!





## 4) Detector resolutions.

This input is easy to adjust, based on the measured detector performance.

Do we have reference values?

**Excitons**      — — —> **S1**

$g1$  / light yield (PE / ph) ?

S1 resolution ?

**Surviving free e-**      — — —> **S2**

$g2$  / ionization yield (PE/e-) ?

S2 resolution ?

S1 LY is ~ 8 PE / keV?

==>  $g1 \sim 0.2$

S1 = Gaus ( $N\gamma \times 0.2$ , sigma)

sigma is  $\sqrt{g1 \cdot (1-g1) \cdot N\gamma + \sigma1^2 \cdot N\gamma \cdot g1}$

$\sigma1 \sim 2$  to match ReD data  
(peak RMS ~ 10% @ 60 keV)

S2 multiplication ?

Use  $g2 = 10$  PE / e-

S2 resolution ?

Use  $\sigma2 \sim 2$

Use Gaus ( $g2 \times Ne$ ,  $\sigma2 \times \sqrt{g2 \times Ne}$ )

$g1$  light detection probability

$g2$  multiplication in gas

$\sigma1$  S1 resolution other than binomial (SPE, geometry...)

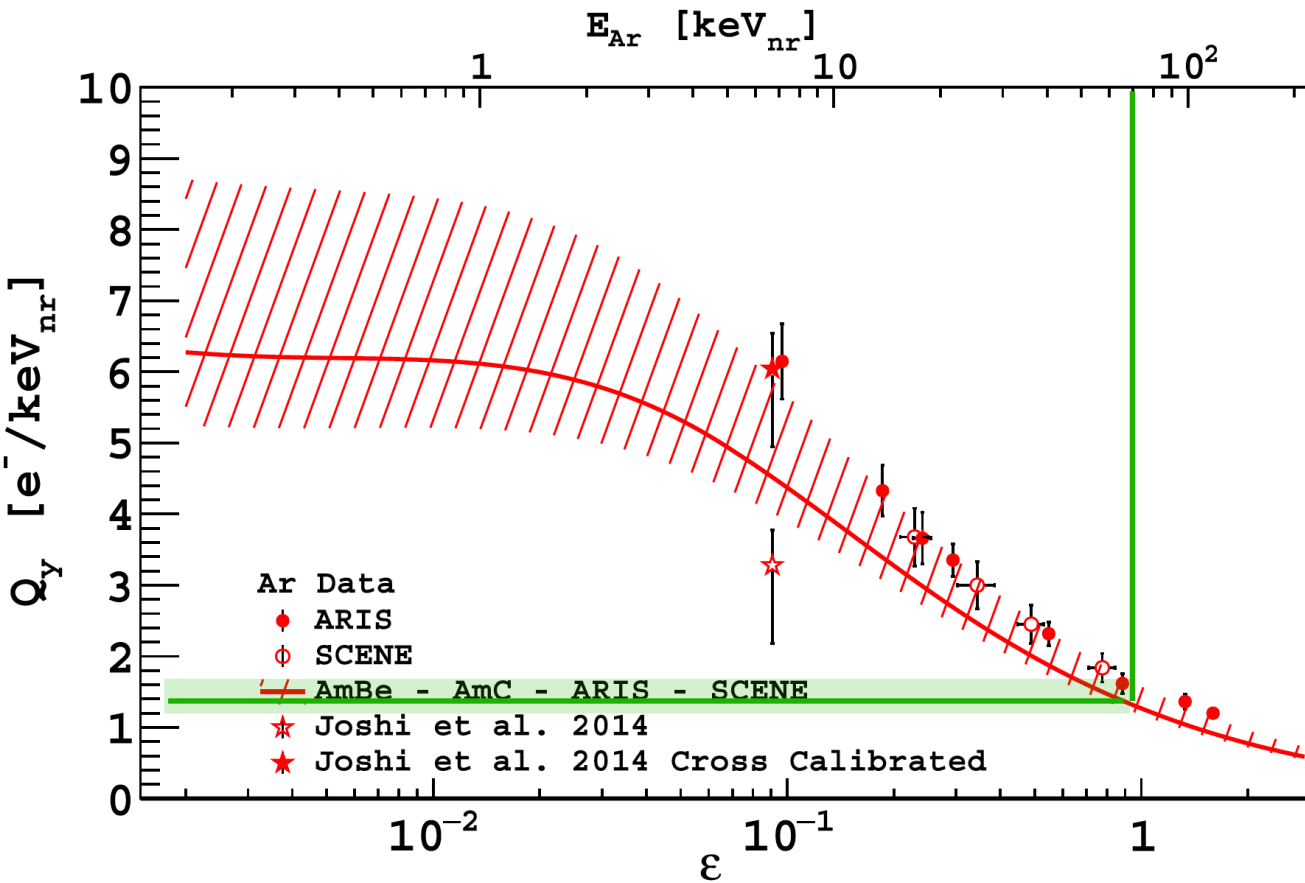
$\sigma2$  S2 resolution (multiplication, SPE, geometry, e- lifetime?...)



# Validation of the Model ?

Ionization yield from ARIS/DS50.

Expect 1.2 to 1.6 e<sup>-</sup> / keV<sub>NR</sub> at 70 keV<sub>NR</sub>



Consistent

According to this model:

**Test**

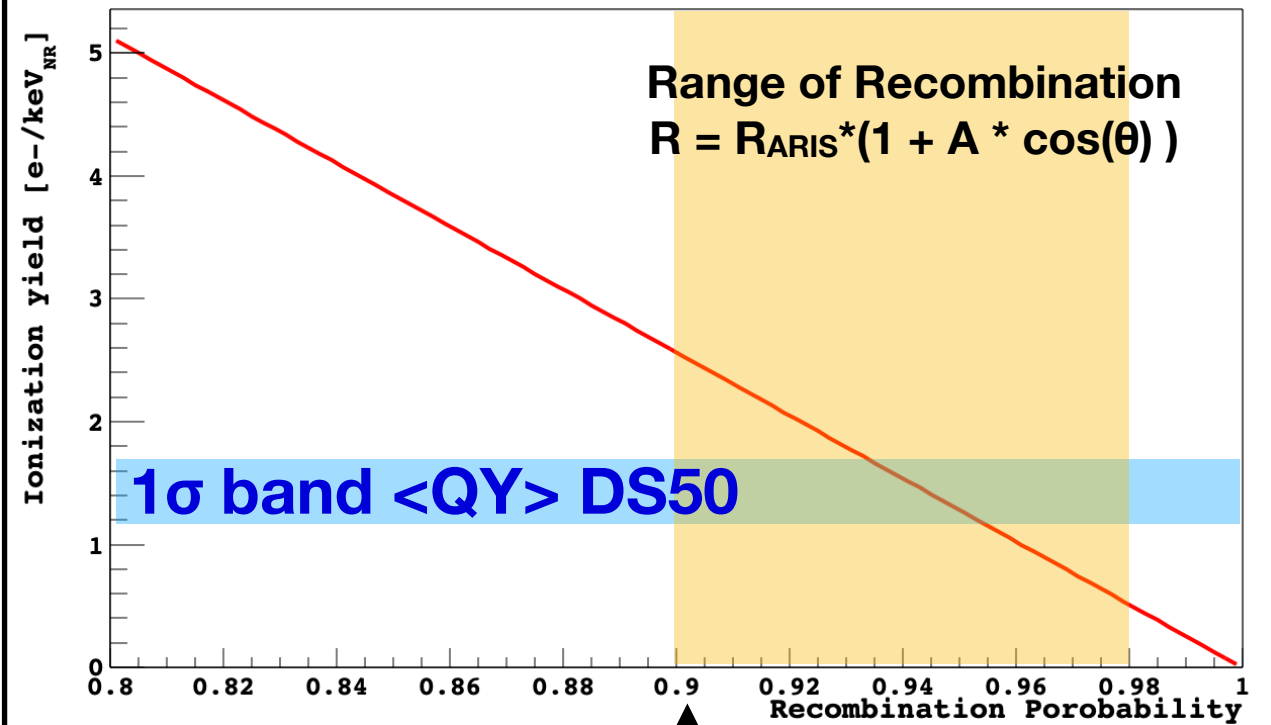
$$\langle N_Q \rangle = ( E_{vis} / 19.5 \text{ eV} )$$

$$N_i = N_Q / ( 1 + \alpha ) = N_Q / 2$$

$$N_{ex} = N_Q - N_i$$

$$N_{e^-} = N_i \times ( 1 - R ) = N_Q / 2 \times ( 1 - R )$$

$$N_{e^-} / E_{vis} = N_Q / 2 \times ( 1 - R ) / E_{vis}$$

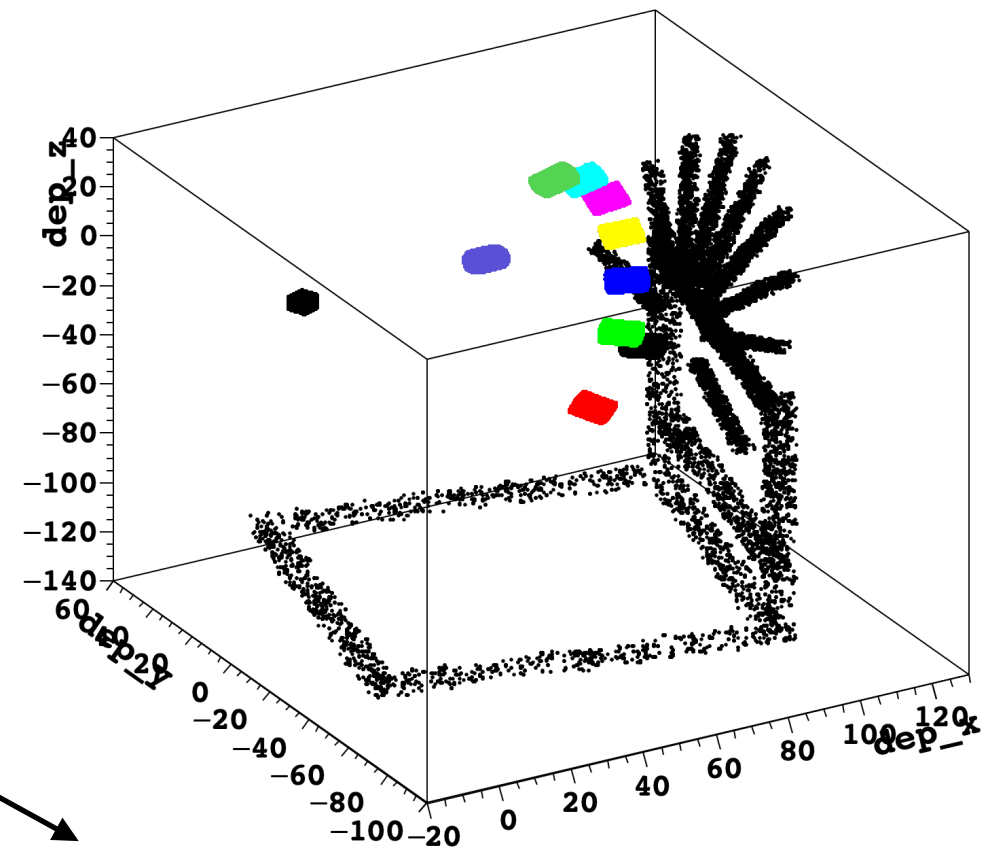
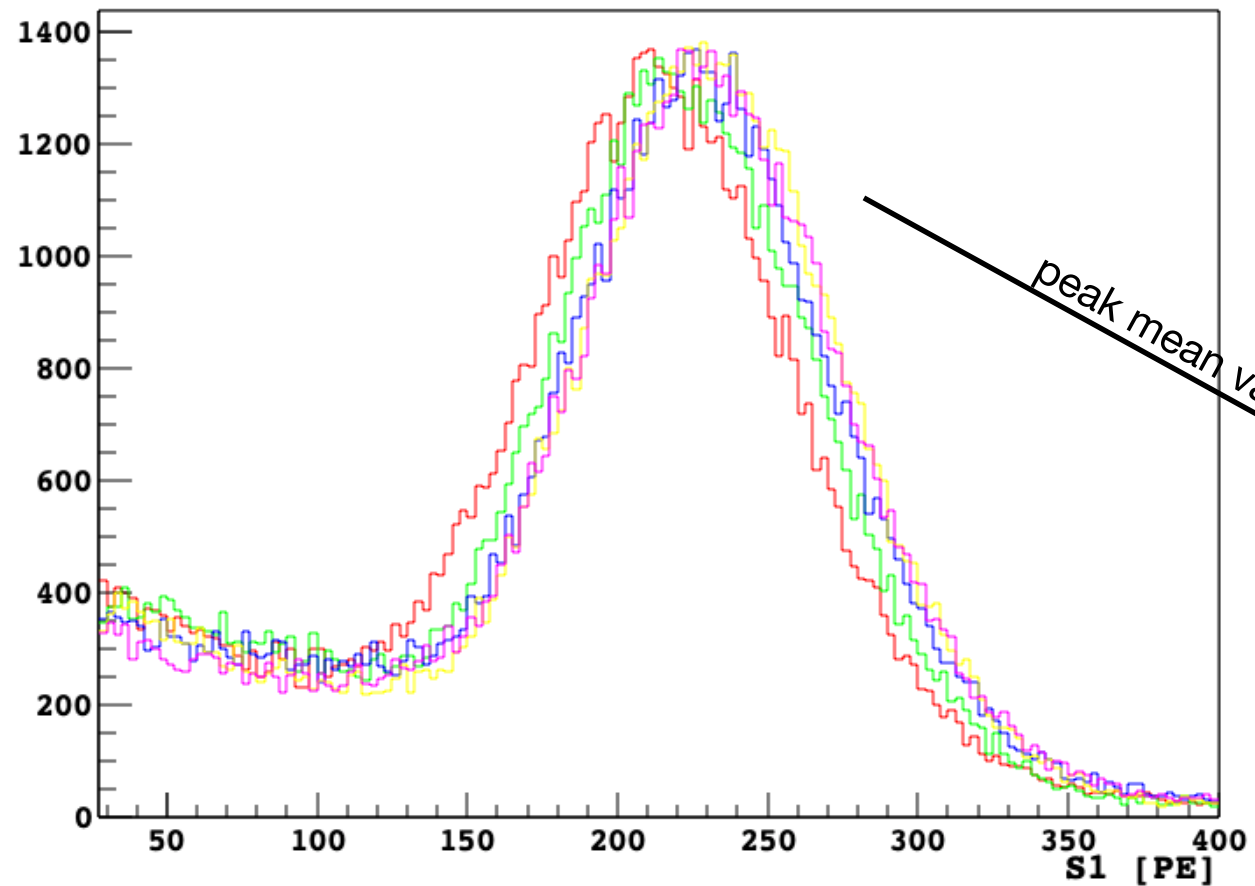


Recombination in ARIS is 0.9  
( geometry selects T<sub>⊥</sub>E.... )

## Some examples

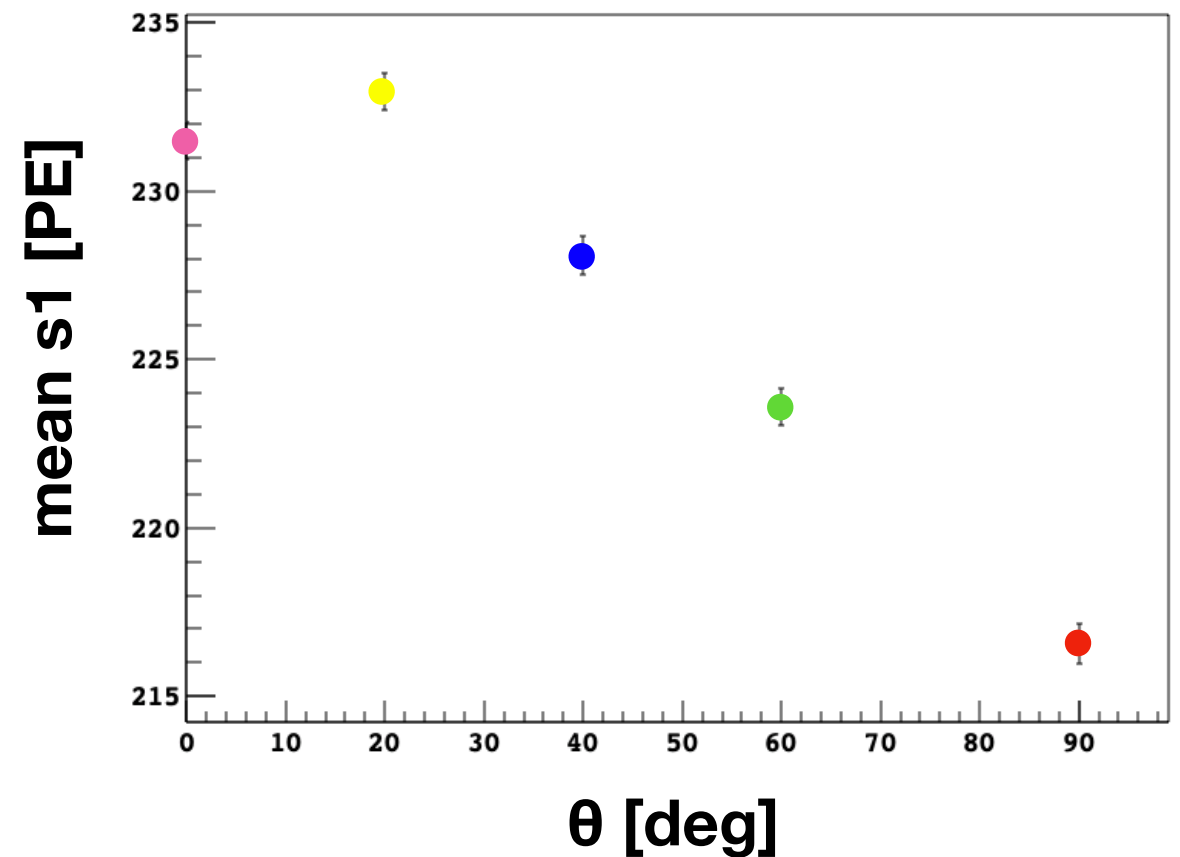
# S1 spectra for 5 LSci

With arbitrary large statistics

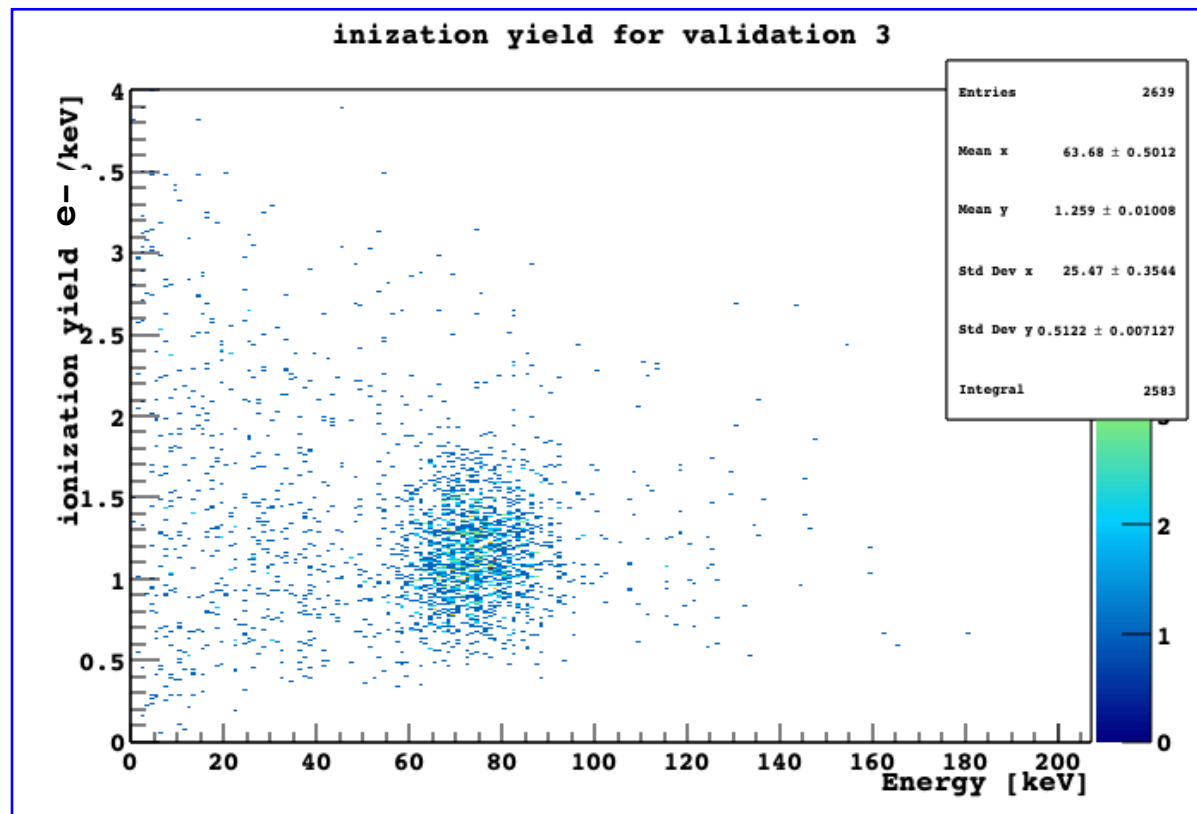
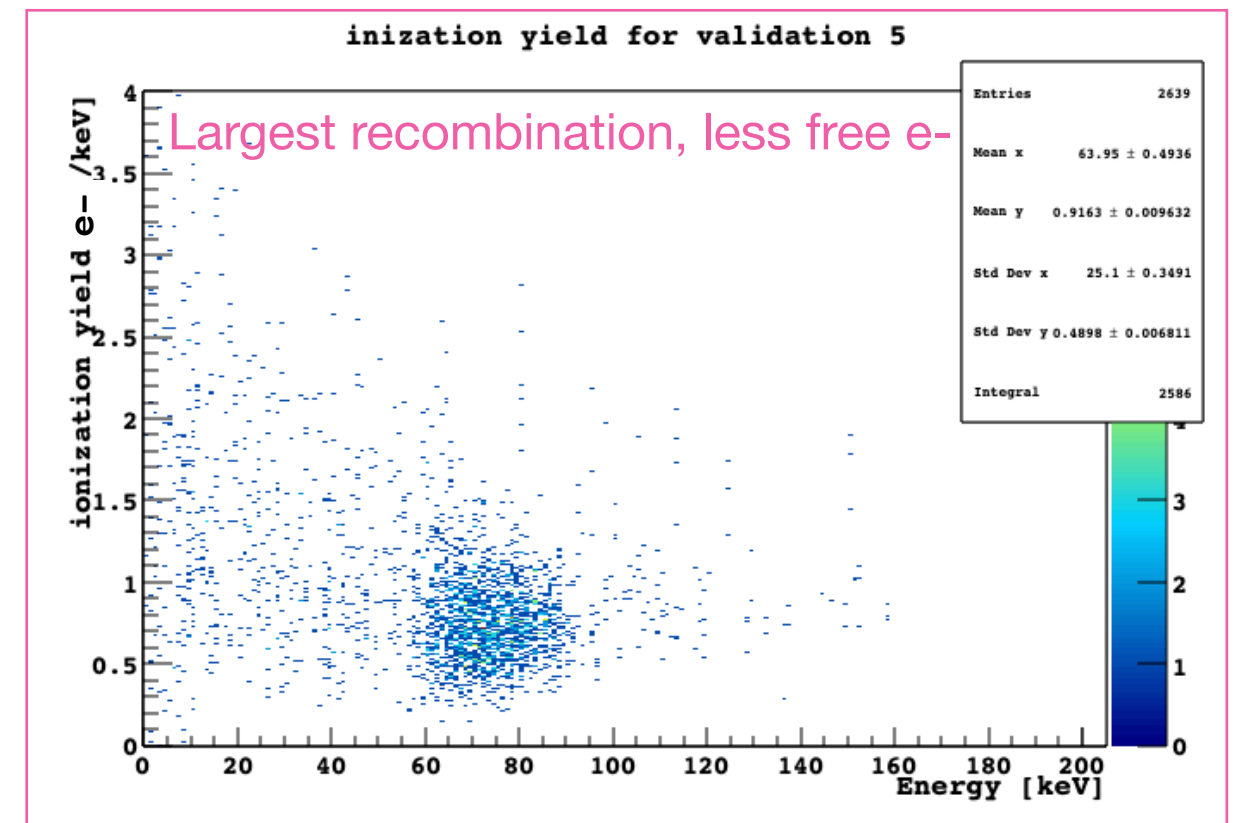
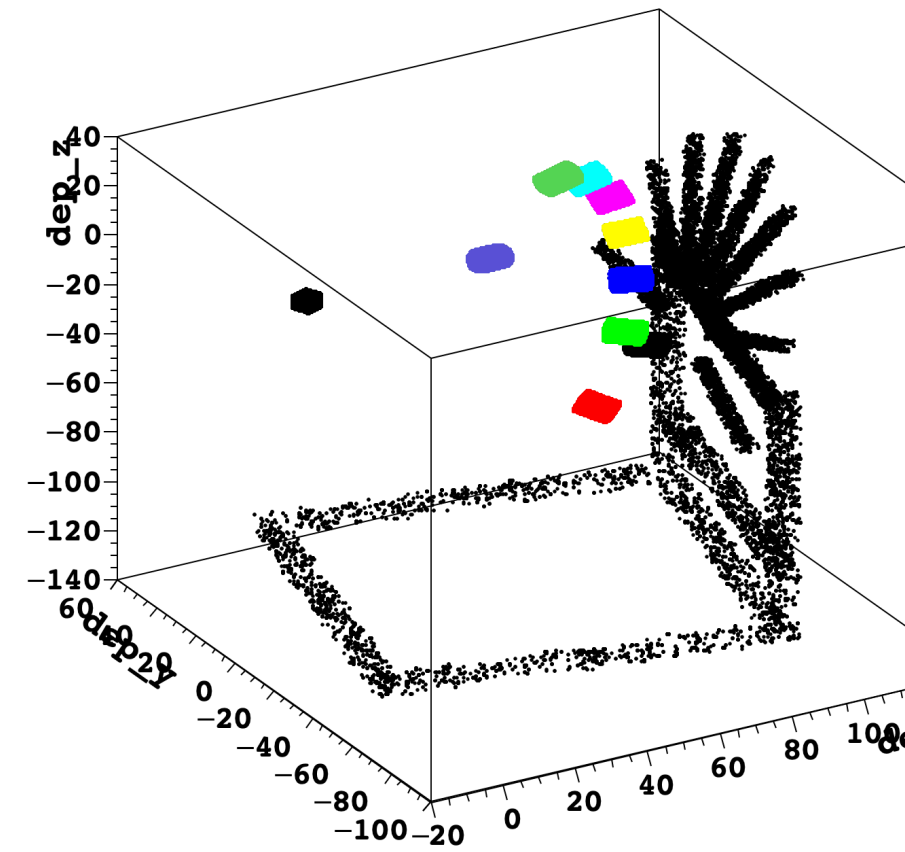
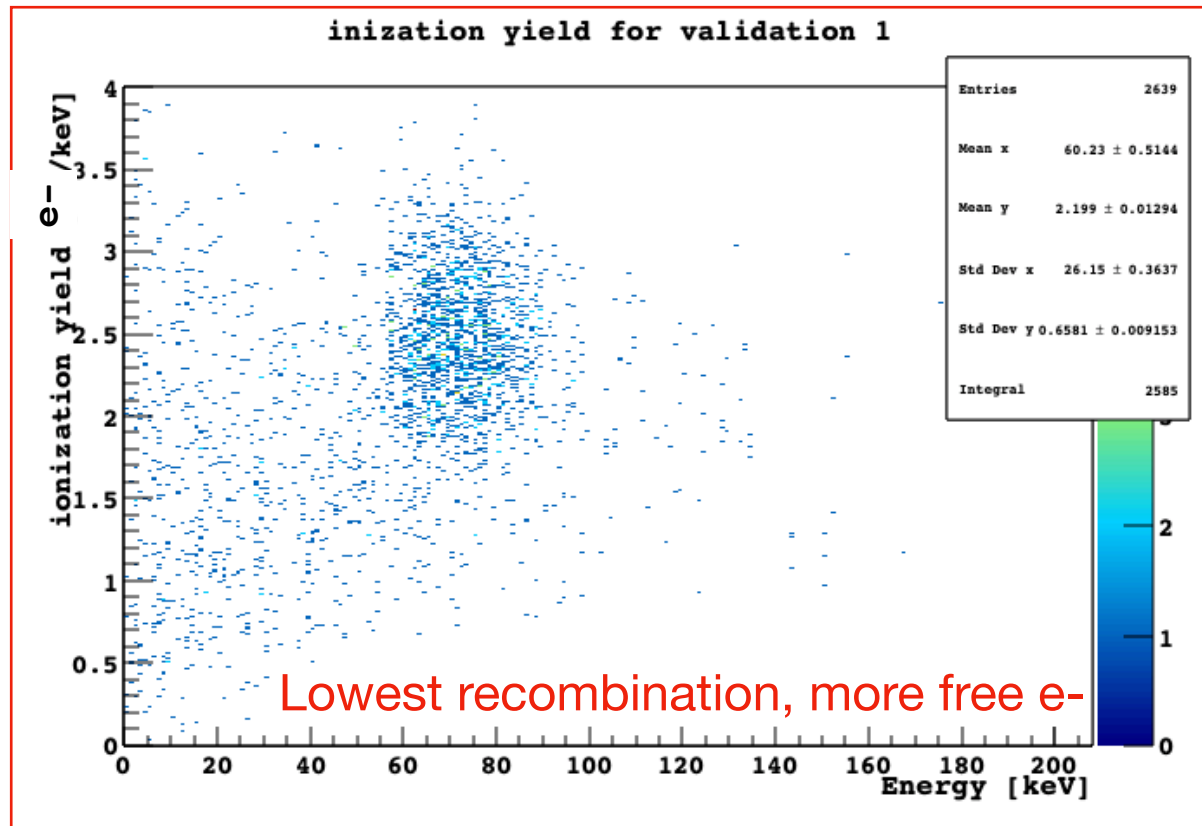


From a gaussian + bg fit of the peaks:

**Compatible with SCENE**



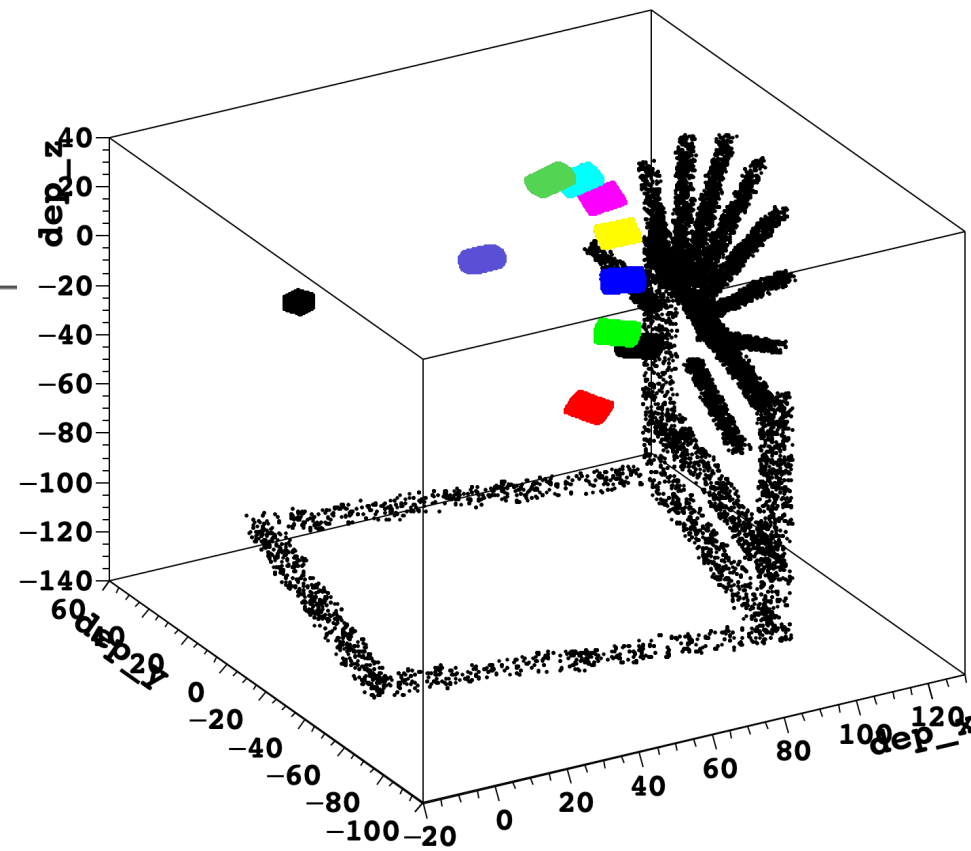
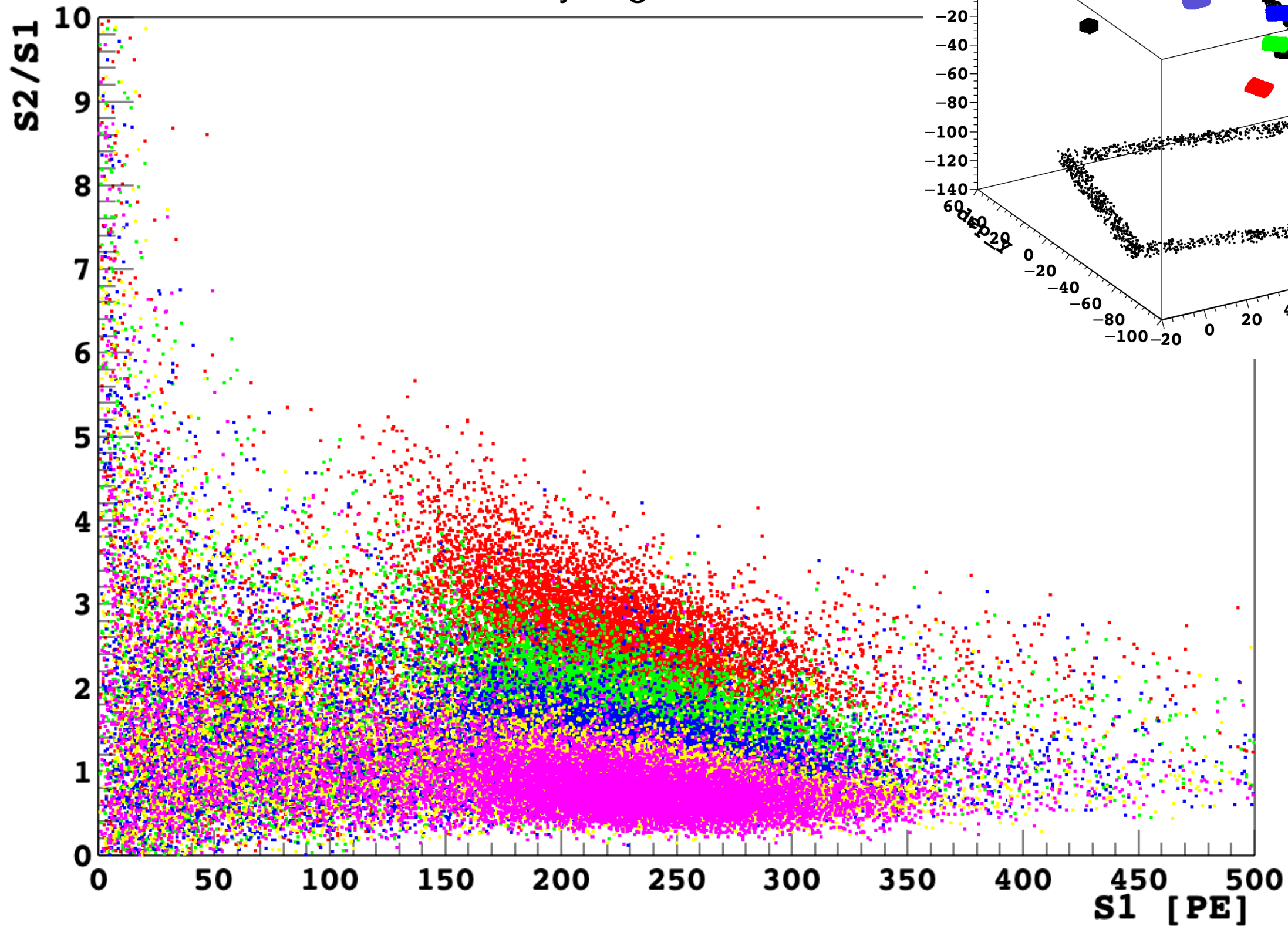
# Ionization yield for 3 LSCi



According to DS50, the avg value is  $1.4 \pm 0.2 e^- / \text{keV}_{\text{NR}}$

# S2/S1 vs S1

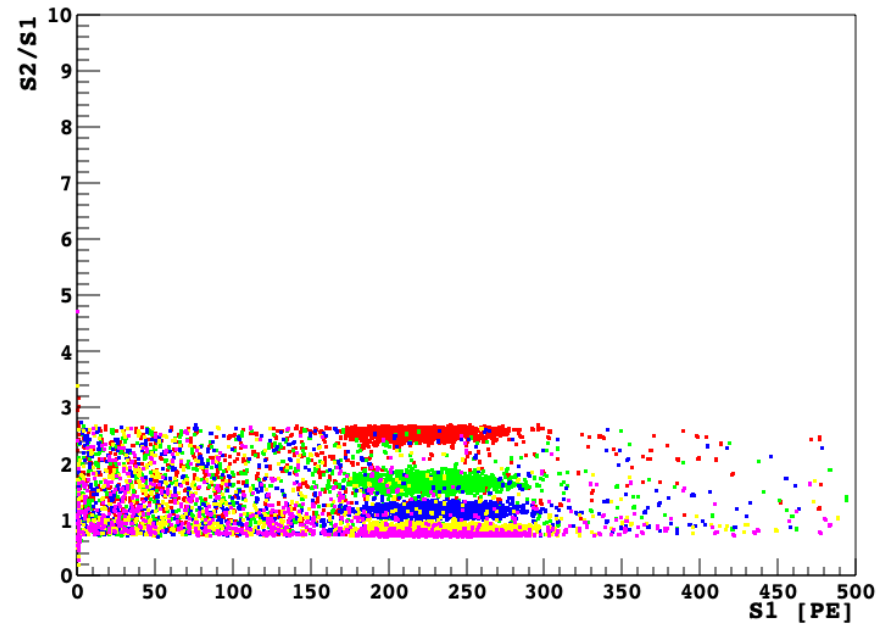
with arbitrary large statistics



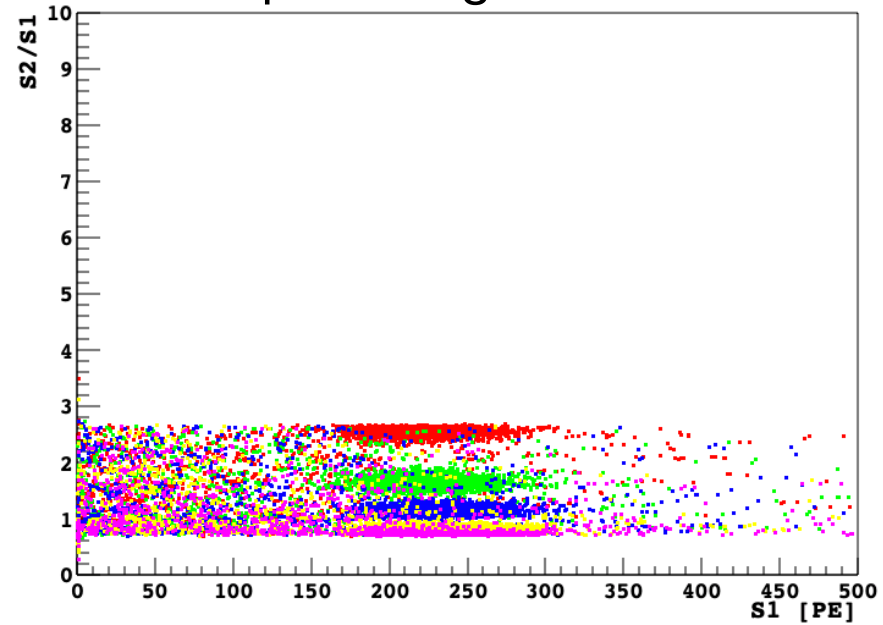


# S2/S1 vs S1 changing fluctuations and resolutions

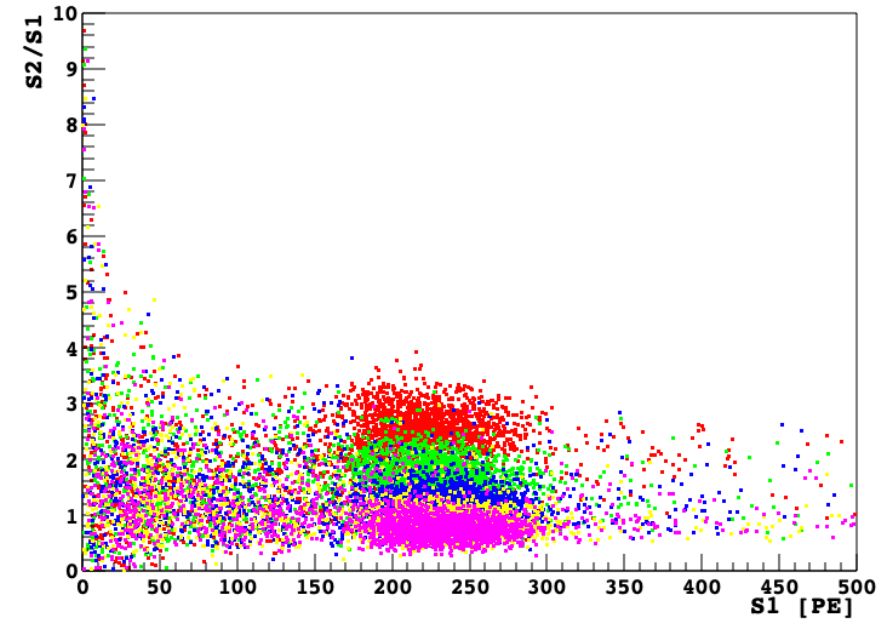
With no fluctuations



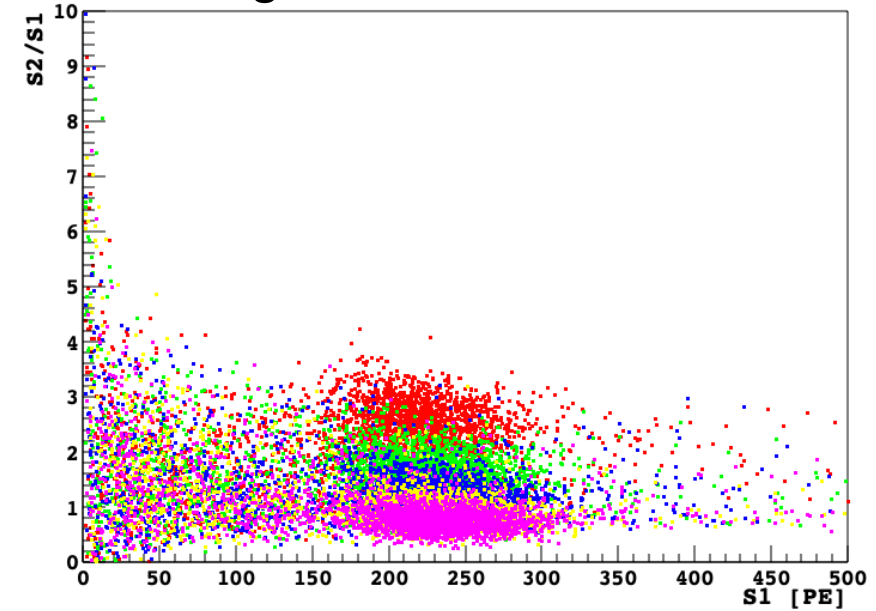
Add quenching fluctuations



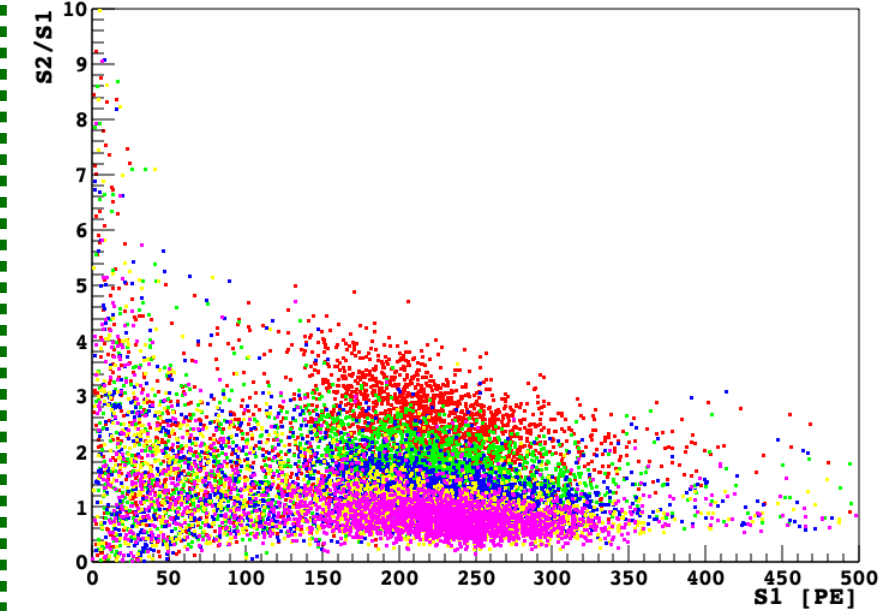
Add recombination fluctuations



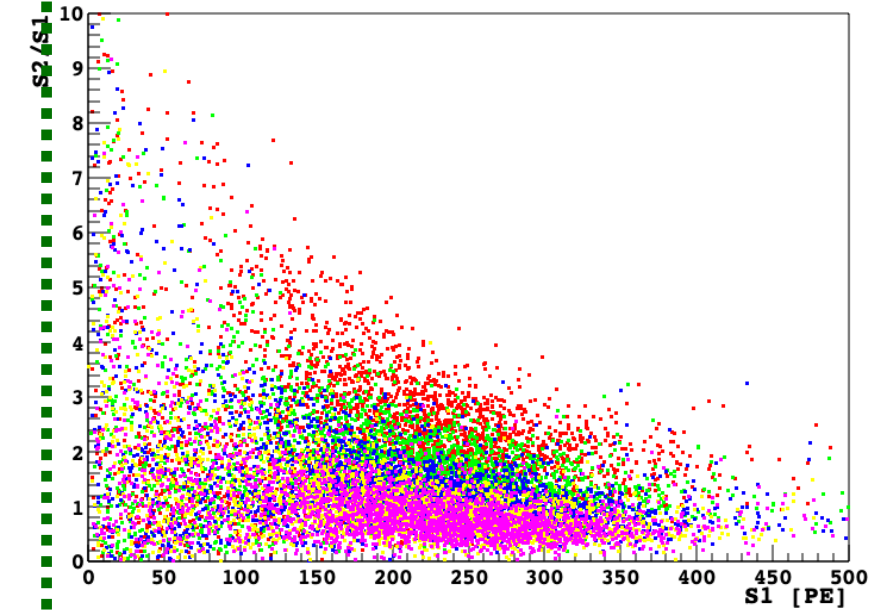
Add g1 binomial fluctuations



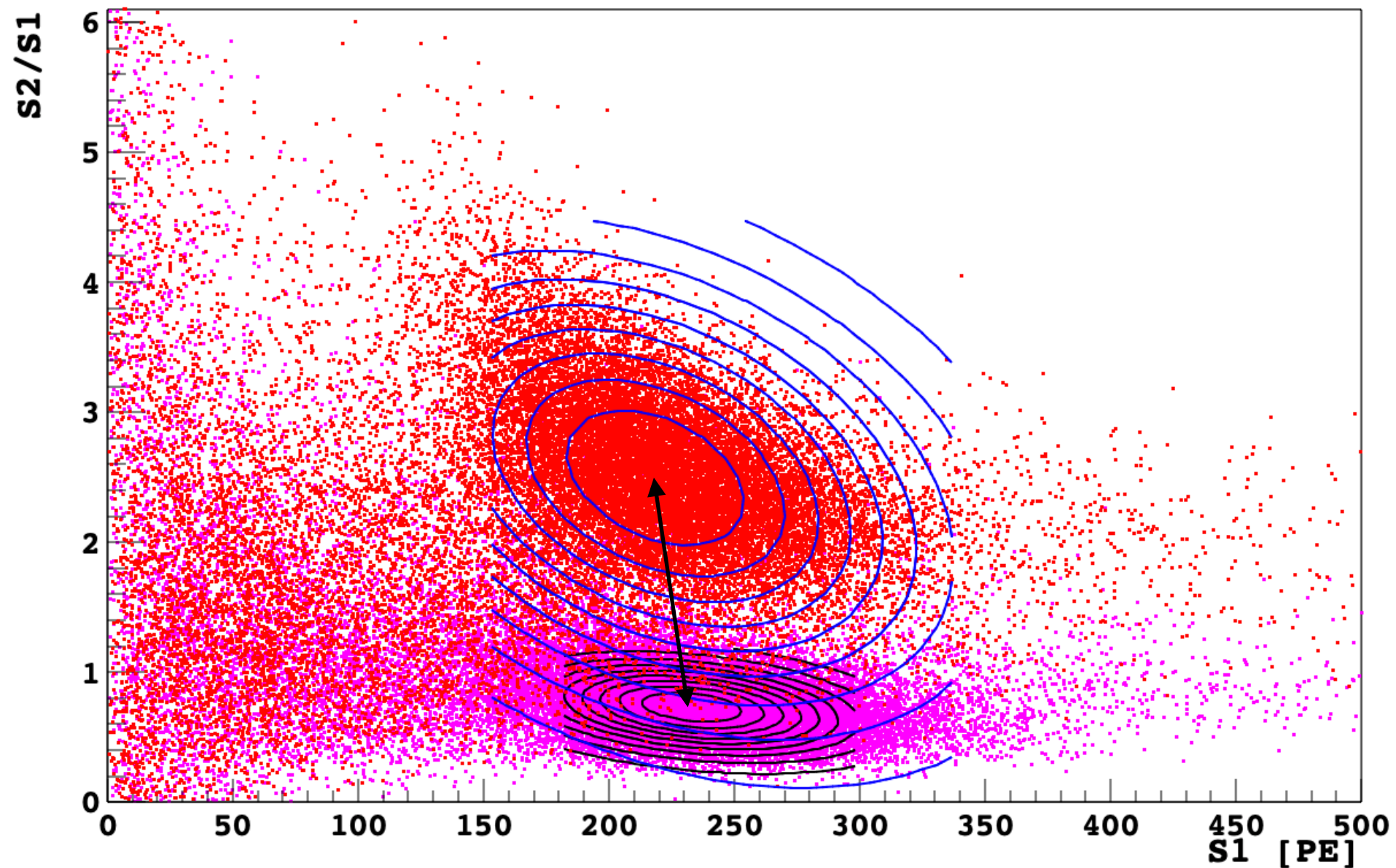
Add current ReD  $\sigma_{S1}$  and  $\sigma_{S2}$



Extreme case:  $2 \times \sigma_{S1}$  and  $\sigma_{S2}$



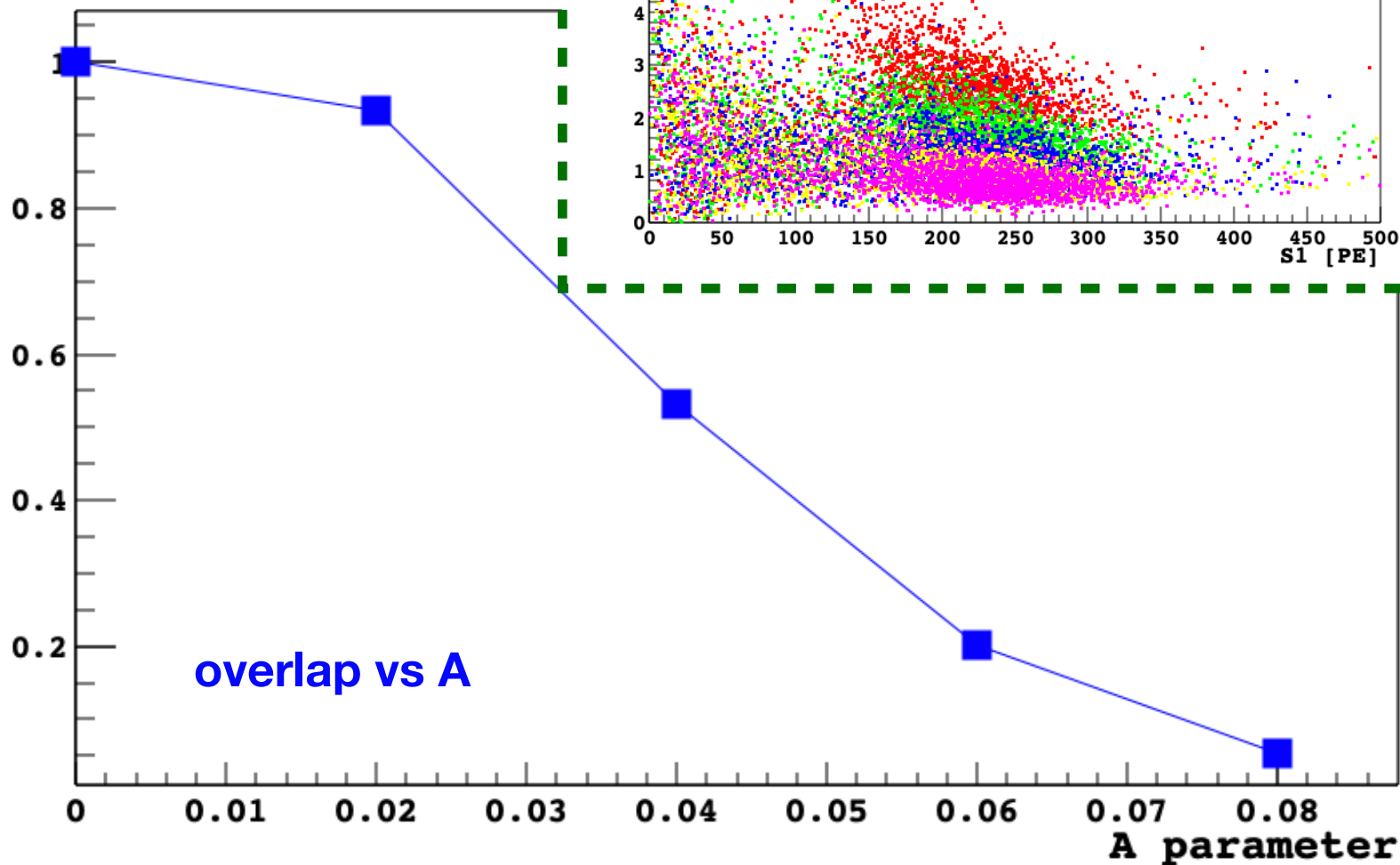
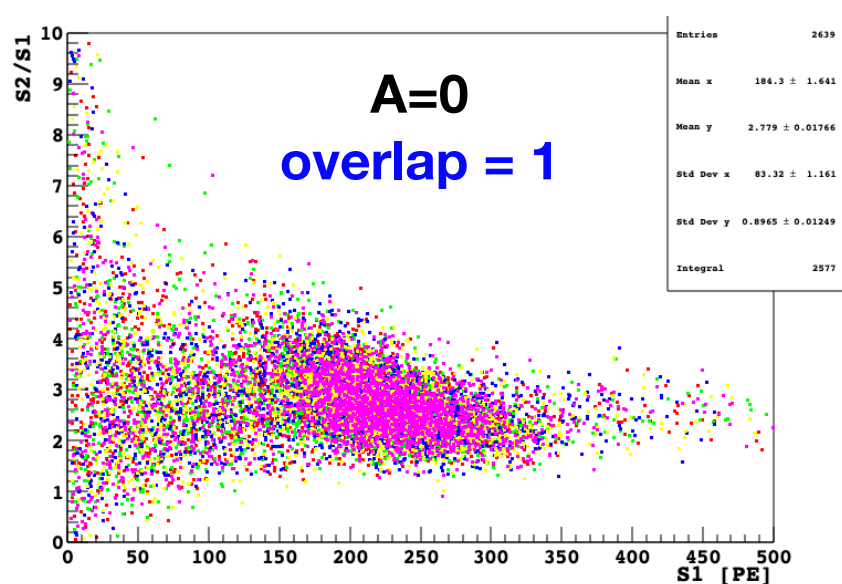
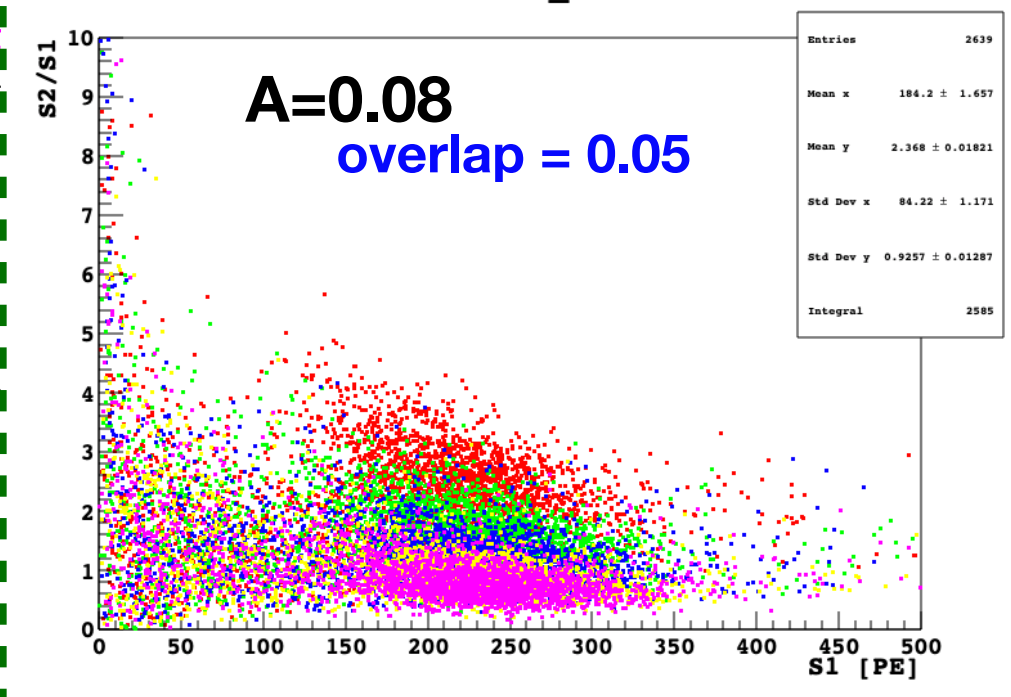
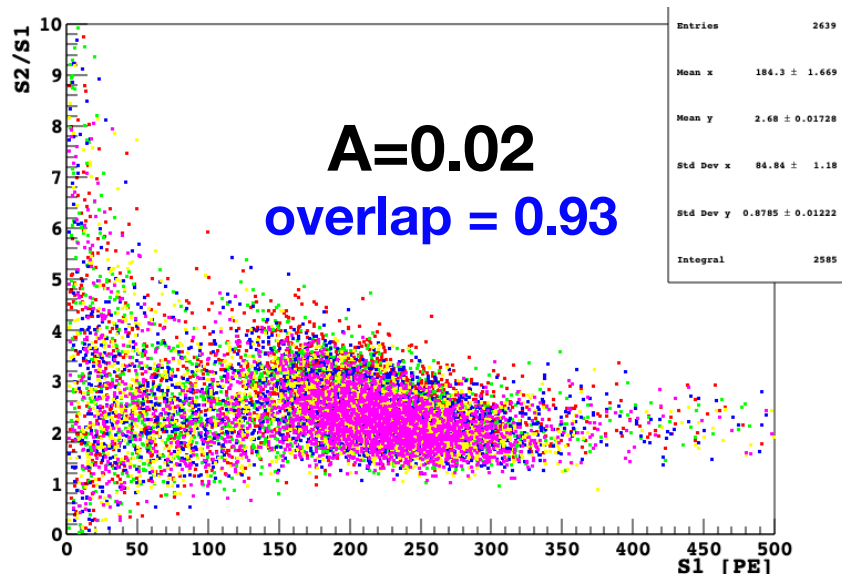
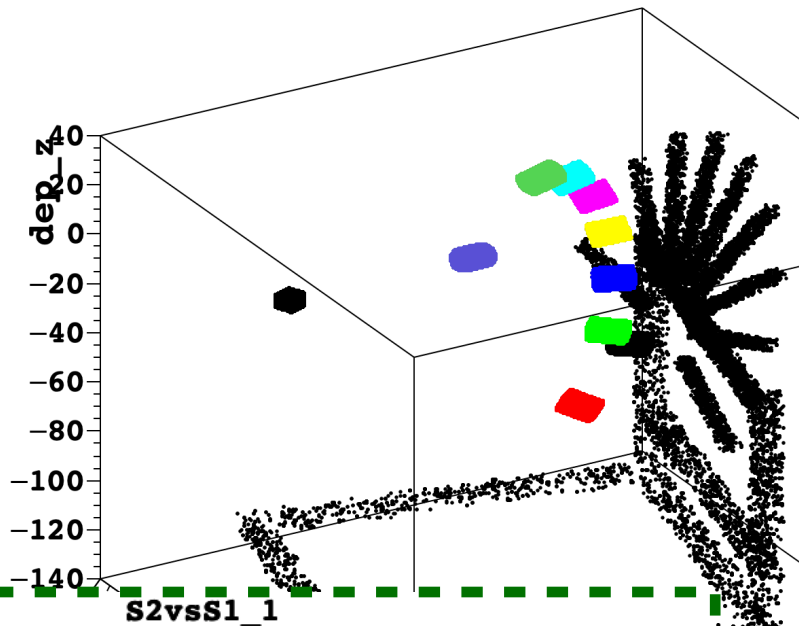
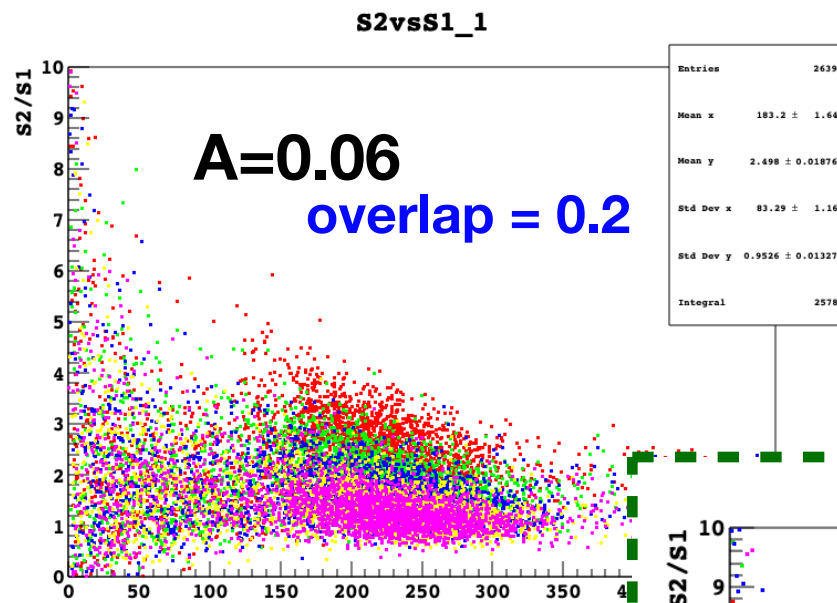
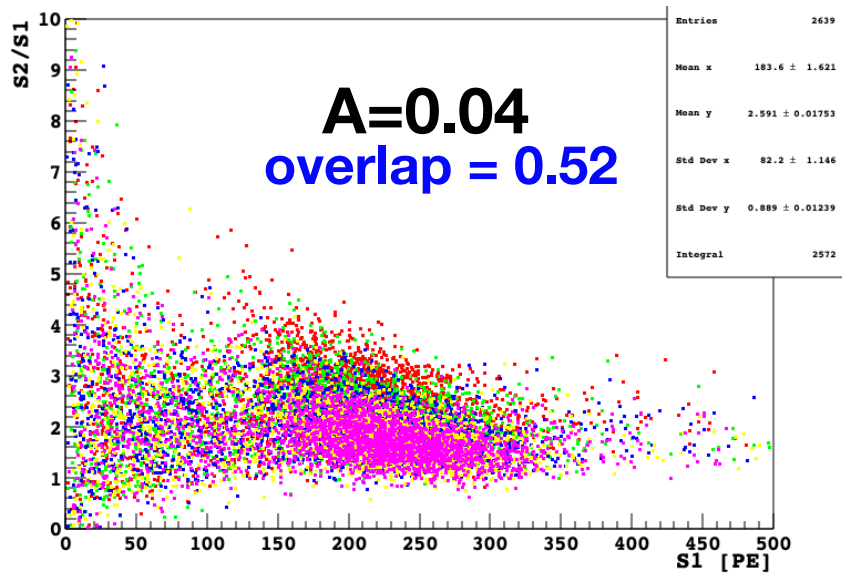
# Preliminary distance estimate



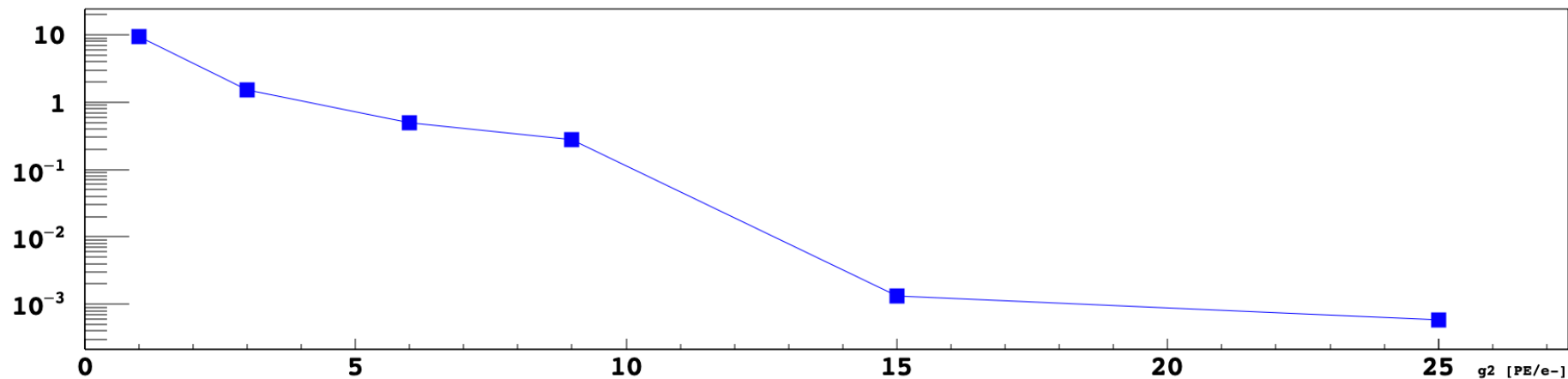
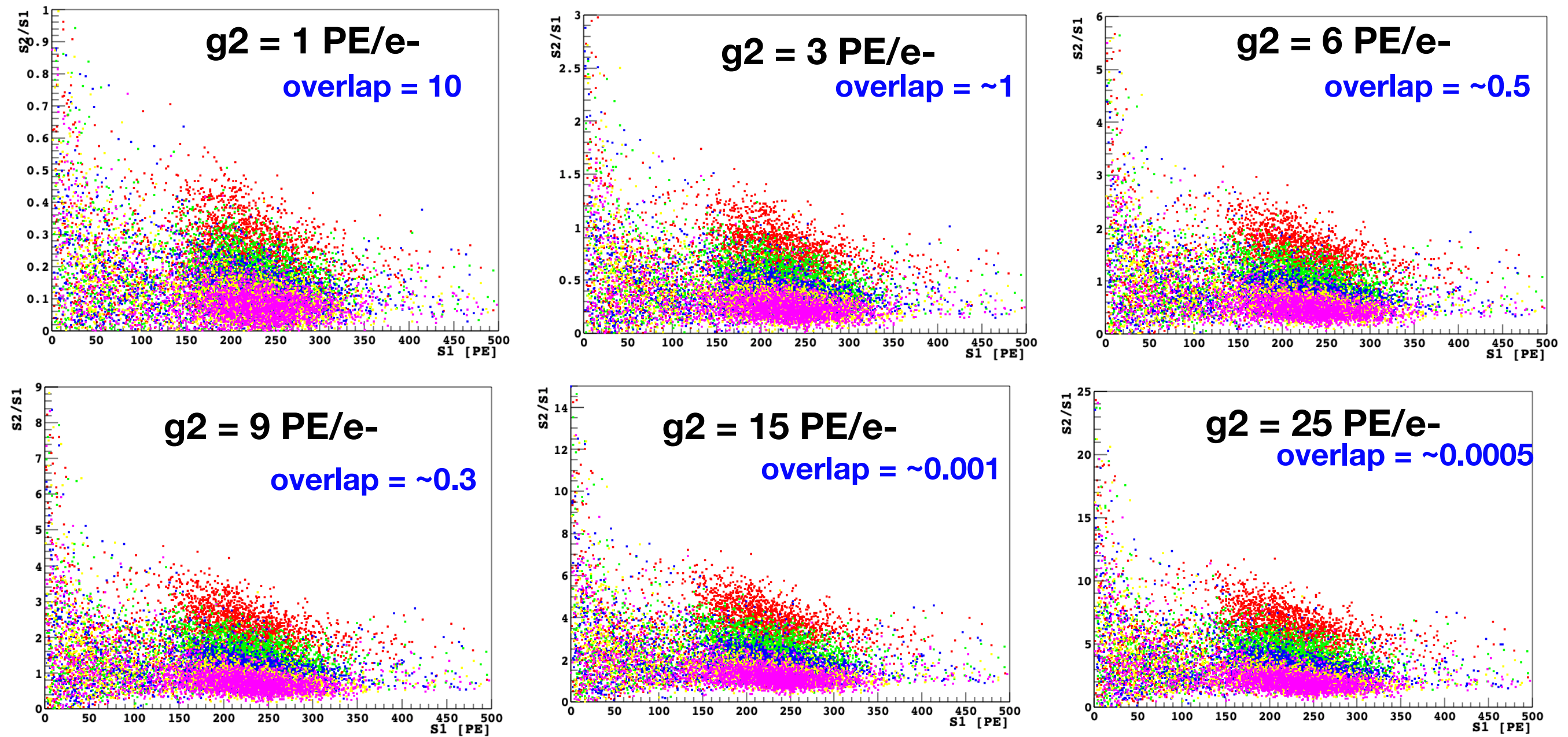
A relative estimate of the separation between the peaks can be done using a fit of  $T//E$  and  $T\perp E$  peaks with bivariate gaussians. Then take the product of the normalized functions and integrate. A more refined approach will include all the peaks and a LL.



# The directional effect on S2/S1 vs S1



# S2/S1 vs S1 as a function of g2



# Conclusions

Tool is basically ready, may need some refinement

Normalize to correct statistics and evaluate the impact

Develop analysis and define strategy