

Highlights in hadron physics: New views on the proton structure



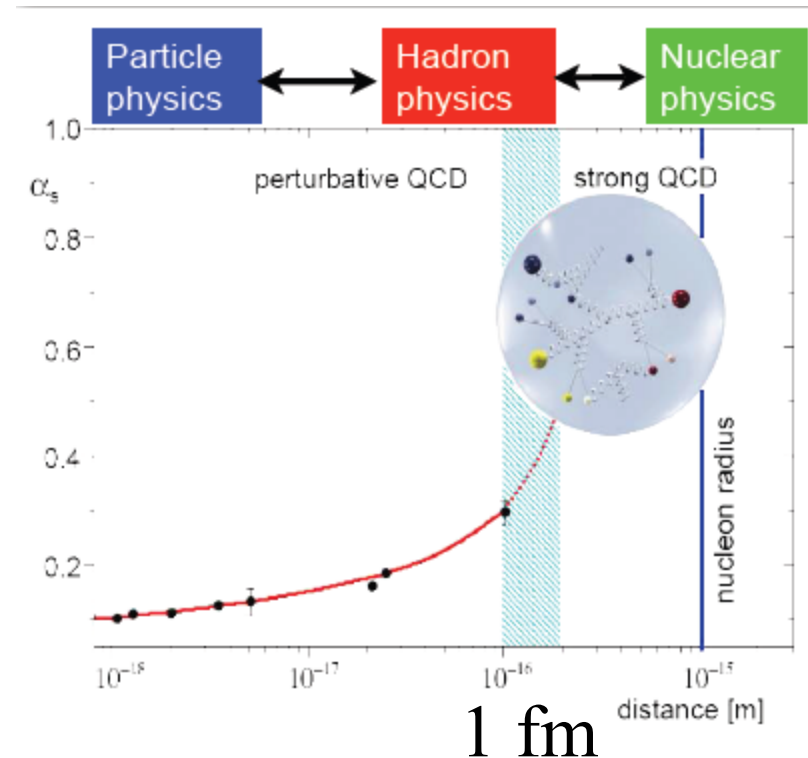
*Egle Tomasi-Gustafsson
CEA, IRFU, DPhN,
Université Paris-Saclay
France*

Women in Nuclear and Hadron Theoretical Physics: the last frontier - WTPLF 2018

10-11 December 2018 *Grand Hotel Savoia Genova*
Europe/Rome timezone

Open questions in QCD (some..)

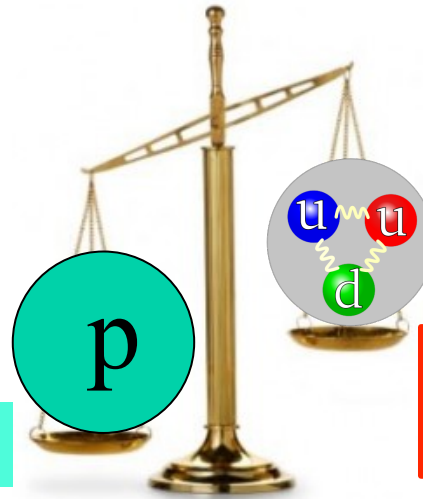
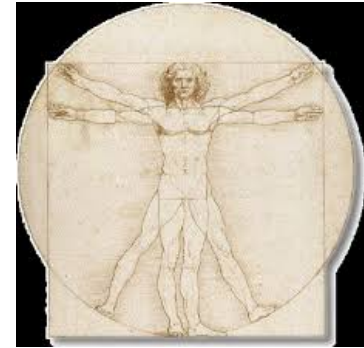
- **Confinement:** *why free quarks are not observed?*
- **Origin of the hadron mass:** the Higgs mechanism accounts for some percent of the hadron mass
- *How are color neutral objects formed?*
- Establish existence and properties of **exotics, hybrids, glueballs**
- **Structure of the nucleon** (charge, magnetic, spin distributions)



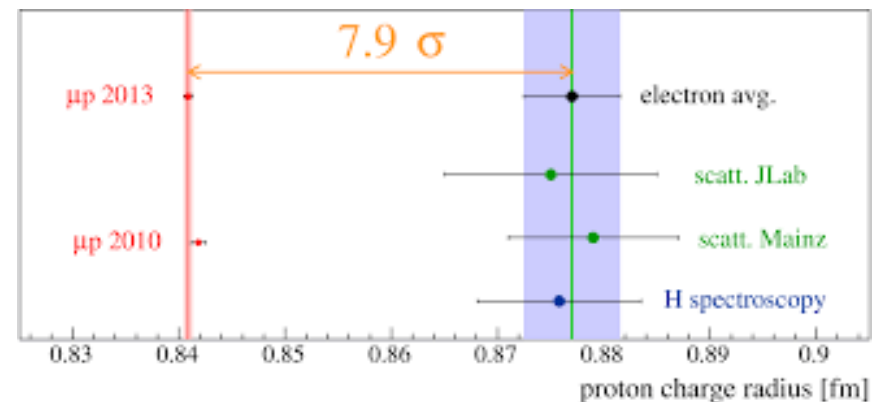
The proton

- Hadrons - particles submitted to the strong interaction – are the most abundant constituents of the visible matter
 - Proton is the the most common particle in nature
 - Its fundamental properties
 - **Mass** $M_p=938,2720 \text{ MeV}/c^2$
 - **Spin**
 - **Size**
- are still *object of controversy*

Electromagnetic structure
Elementary reactions



$u\text{-quark}=1.5\text{-}4 \text{ MeV}/c^2$
 $d\text{-quark}=4\text{-}8 \text{ MeV}/c^2$



Hadron Electromagnetic Form factors



The Nobel Prize in Physics 1961

"for his pioneering studies of electron scattering in atomic nuclei and for his thereby achieved discoveries concerning the structure of the nucleons"



Robert Hofstadter

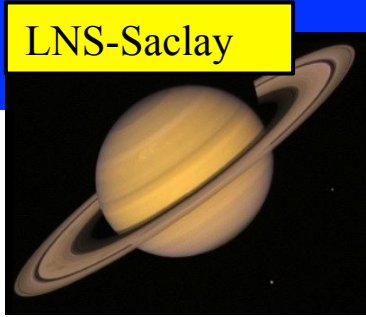
🕒 1/2 of the prize

USA

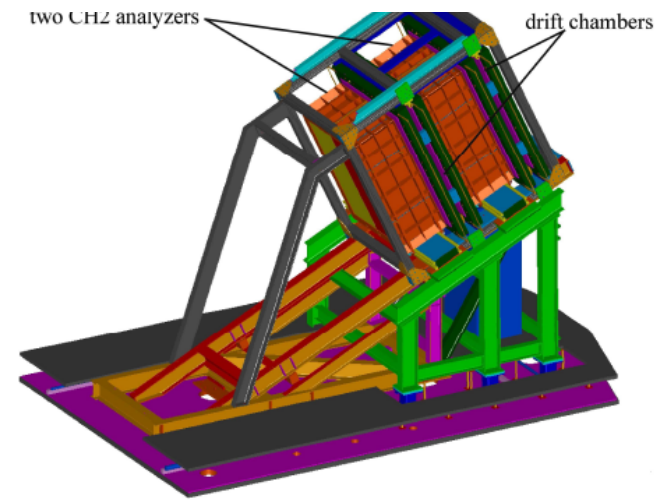
Stanford University
Stanford, CA, USA

- Characterize the **internal structure of a particle** (\neq point-like)
- Elastic form factors contain information on the **hadron ground state**.
- In a P- and T-invariant theory, the EM structure of a particle of spin S is defined by **$2S+1$ form factors**.
- Neutron and proton form factors are different.
- Deuteron: 2 structure functions, but 3 form factors.
- Playground for theory and experiment
 - at low q^2 probe **the size of the nucleus**,
 - at high q^2 test **QCD scaling**

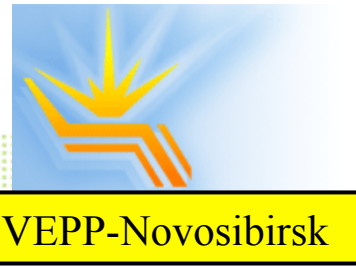
Recent experimental achievements: *polarization*



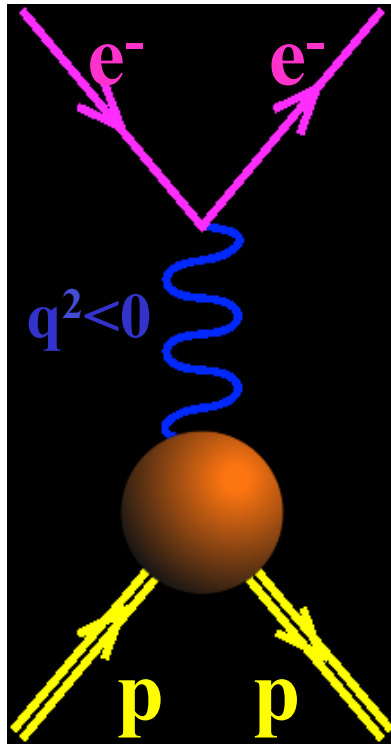
Hadron polarimetry in the GeV range



... and also: polarized sources and targets, high intensity e^- beams, high luminosity colliders, large acceptance spectrometers, high resolution 4p detectors...



Electromagnetic Interaction



The electron vertex is known, γ_μ

The interaction is carried by a virtual photon of mass q^2

The proton vertex is parametrized in terms of FFs: Pauli and Dirac F_1, F_2

$$\Gamma_\mu = \gamma_\mu F_1(q^2) + \frac{i\sigma_{\mu\nu}q^\nu}{2M} F_2(q^2)$$

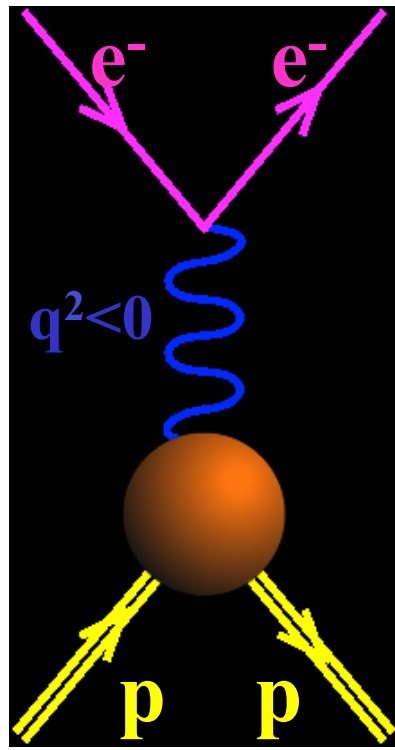
or in terms of Sachs FFs:

$$GE = F_1 - \tau F_2, \quad GM = F_1 + F_2, \quad \tau = -q^2/4M^2$$

What about high order radiative corrections?

Scattering and Annihilation

$$\Gamma_\mu = \gamma_\mu F_1(q^2) + \frac{i\sigma_{\mu\nu}q^\nu}{2M} F_2(q^2)$$

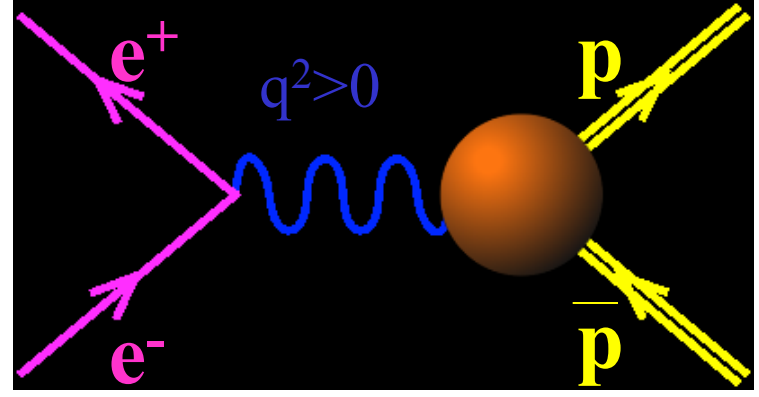


GE(0)=1
GM(0)= μ_p

*Space-like
FFs are real*

*Unphysical region
 $p+\bar{p} \leftrightarrow e^+ + e^- + \pi^0$*

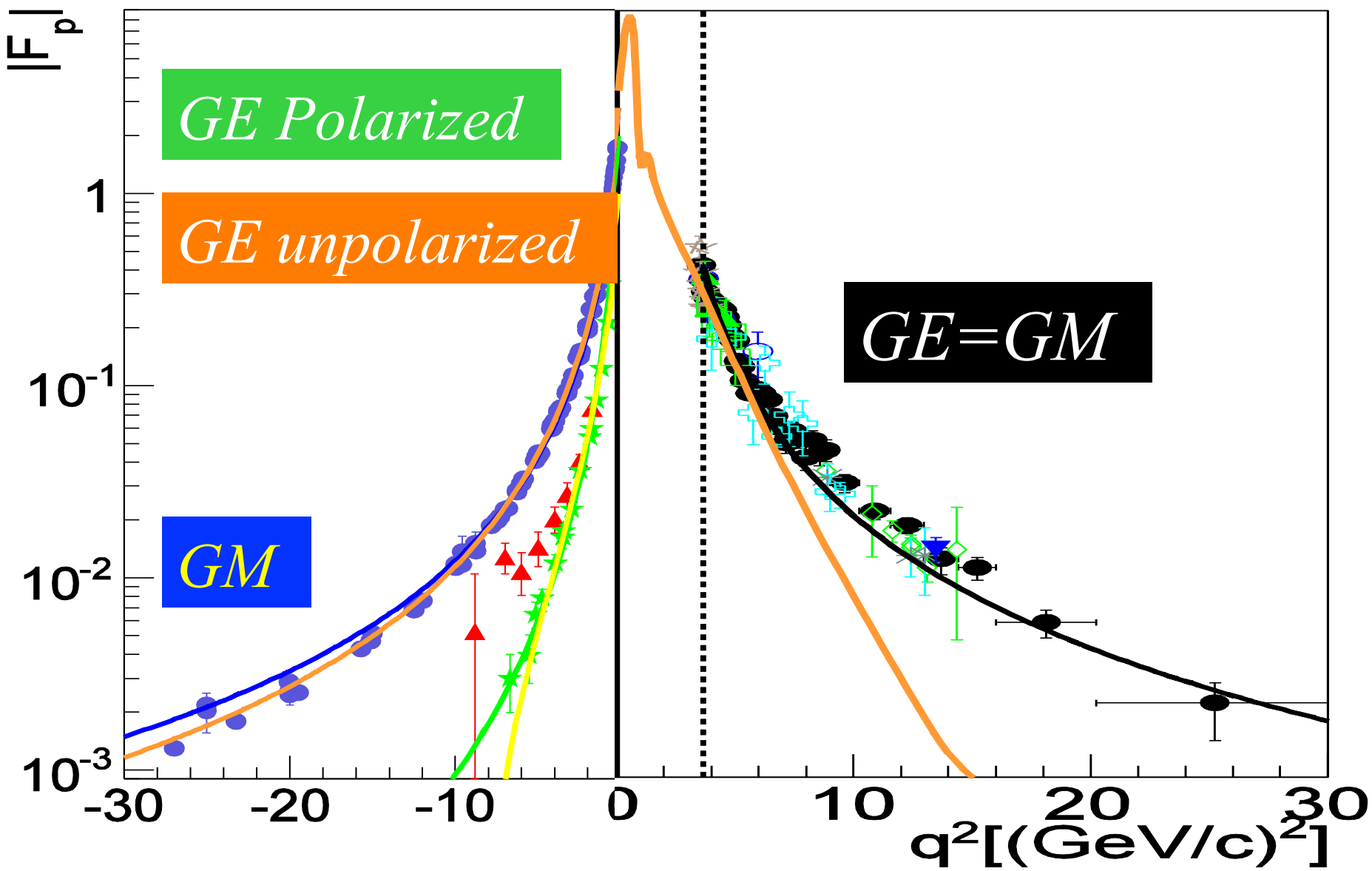
*Asymptotics
- QCD
- analyticity*



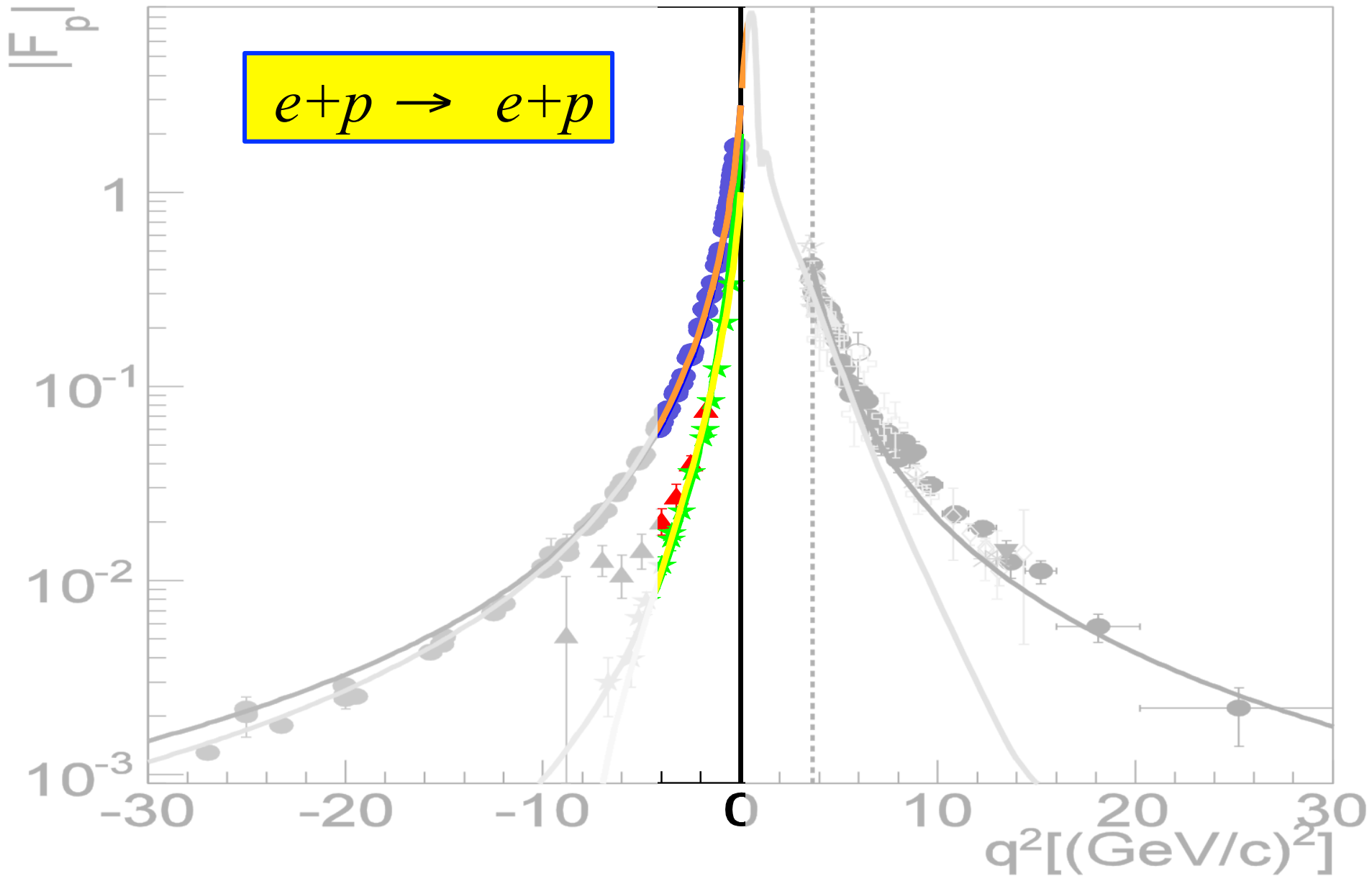
*Time-Like
FFs are complex*

$e+p \rightarrow e+p$ 0 $q^2=4m_p^2$ $p+\bar{p} \leftrightarrow e^+ + e^-$ q^2
 GE=GM

Hadron Electromagnetic Form Factors



The Space-Like region: low Q^2



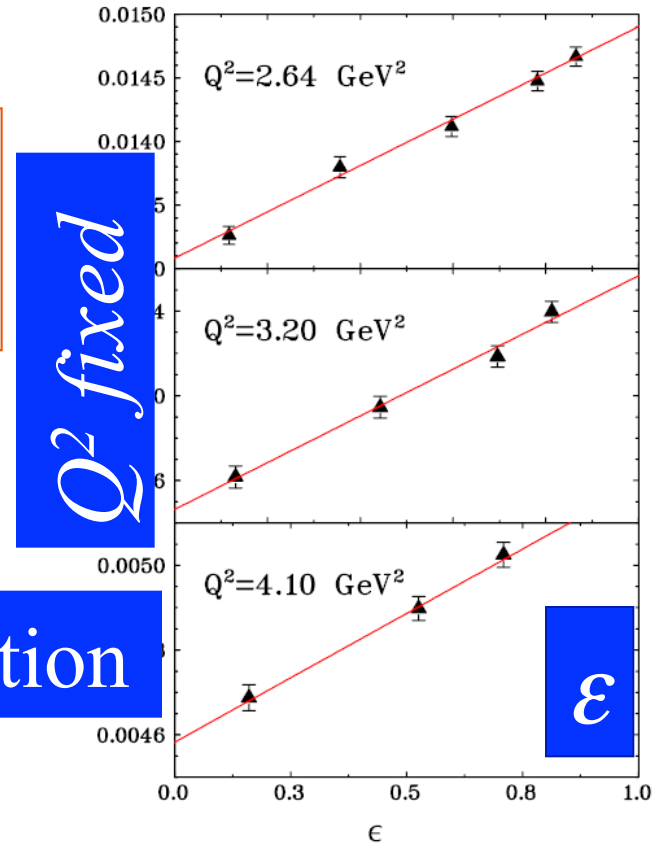
ep-elastic scattering : Rosenbluth separation

$$\frac{d\sigma}{d\Omega} = \left(\frac{d\sigma}{d\Omega} \right)_{\text{Mott}} \frac{1}{(1+\tau)} \left(G_E^2(Q^2) + \frac{\tau}{\epsilon} G_M^2(Q^2) \right)$$

1950

$$\epsilon = \left(1 + 2(1+\tau) \tan^2 \left(\frac{\theta_e}{2} \right) \right)^{-1}, \quad \tau = \frac{Q^2}{4M^2}$$

$$\sigma_R = \epsilon G_E^2 + \tau G_M^2$$



Linearity of the reduced cross section

→ $\tan^2 \theta_e$ dependence

→ Holds for 1γ exchange only

PRL 94, 142301 (2005)

Root mean square radius

$$F(q) = \frac{\int_{\Omega} d^3 \vec{x} e^{i\vec{q} \cdot \vec{x}} \rho(\vec{x})}{\int_{\Omega} d^3 \vec{x} \rho(\vec{x})}$$

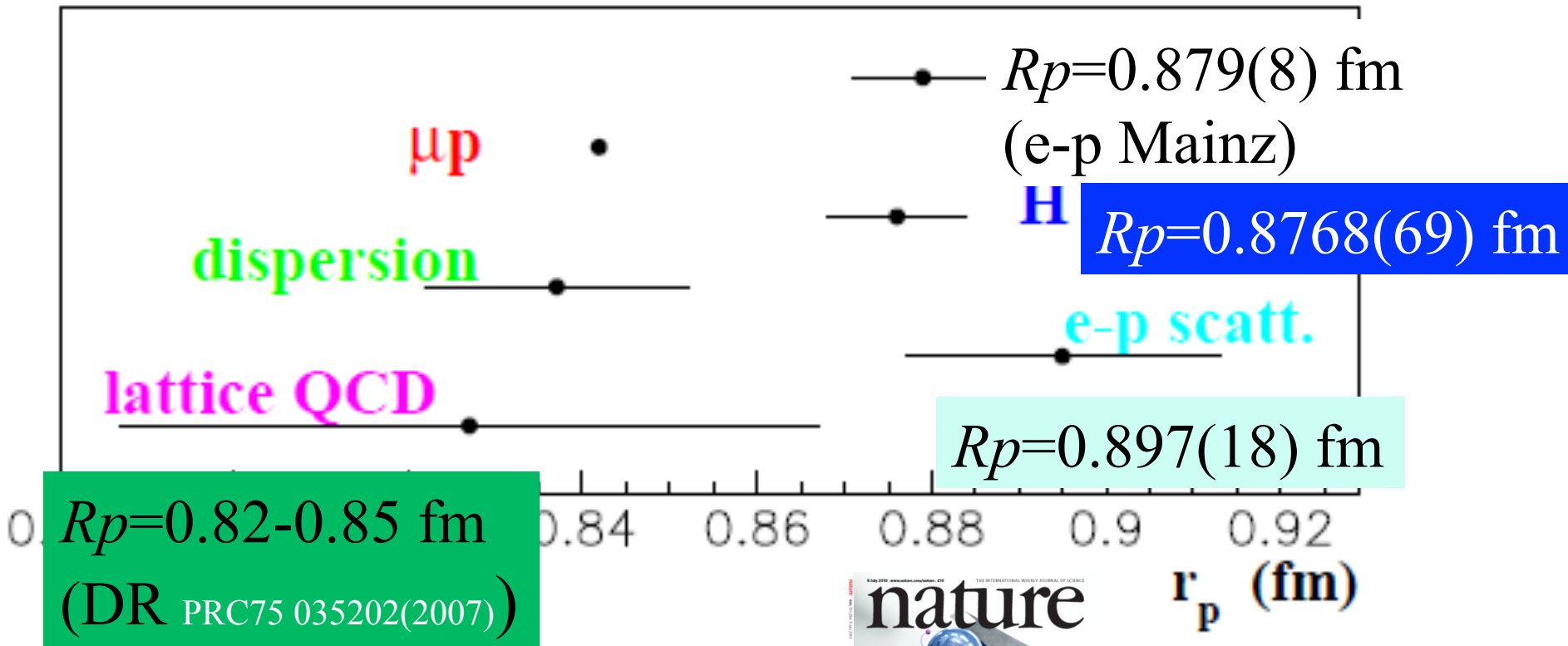
density $\rho(r)$	Form factor $F(q^2)$	r.m.s. $\langle r_c^2 \rangle$	comments
δ	1	0	pointlike
e^{-ar}	$\frac{a^4}{(q^2 + a^2)^2}$	$\frac{12}{a^2}$	dipole
$\frac{e^{-ar}}{r}$	$\frac{a^2}{q^2 + a^2}$	$\frac{6}{a^2}$	monopole
$\frac{e^{-ar^2}}{r^2}$	$e^{-q^2/(4a^2)}$	$\frac{1}{2a}$	gaussian
ρ_0 for $x \leq R$ 0 for $r \geq R$	$\frac{3(\sin X - X \cos X)}{X^3}$ $X = qR$	$\frac{3}{5}R^2$	square well

$$F(q) \sim 1 - \frac{1}{6}q^2 \langle r_c^2 \rangle + O(q^2),$$

$$\langle r_c^2 \rangle = \frac{\int_0^{\infty} x^4 \rho(x) dx}{\int_0^{\infty} x^2 \rho(x) dx}$$

The Proton Radius

$R_p=0.84184(67)$ fm (muonic atom)



The Proton Radius

$R_p = 0.84184(67)$ fm (muonic atom)

$R_p = 0.879(8)$ fm

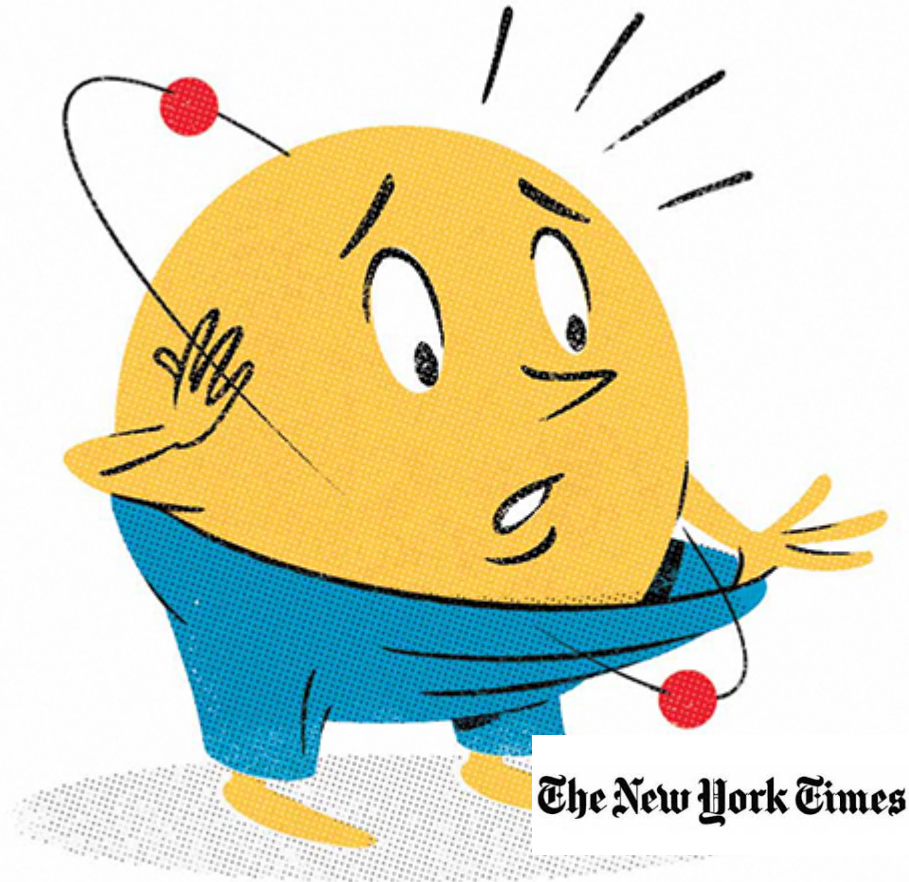
μp

dispersion

lattice QCD

$R_p = 0.82 - 0.85$ fm
(DR PRC75 035202(2007))

$R_p = 0.78 - 0.86$ fm
(lattice QCD PRD)



(69) fm

The New York Times



High-Precision Determination of the Electric and Magnetic Form Factors of the Proton

J. C. Bernauer,^{1,*} P. Achenbach,¹ C. Ayerbe Gayoso,¹ R. Böhm,¹ D. Bosnar,² L. Debenjak,³ M. O. Distler,^{1,†} L. Doria,¹ A. Esser,¹ H. Fonvieille,⁴ J. M. Friedrich,⁵ J. Friedrich,¹ M. Gómez Rodríguez de la Paz,¹ M. Makek,² H. Merkel,¹ D. G. Middleton,¹ U. Müller,¹ L. Nungesser,¹ J. Pochodzalla,¹ M. Potokar,³ S. Sánchez Majos,¹ B. S. Schlimme,¹ S. Širca,^{6,3} Th. Walcher,¹ and M. Weinriefer¹

Mainz, A1 collaboration (1400 points)

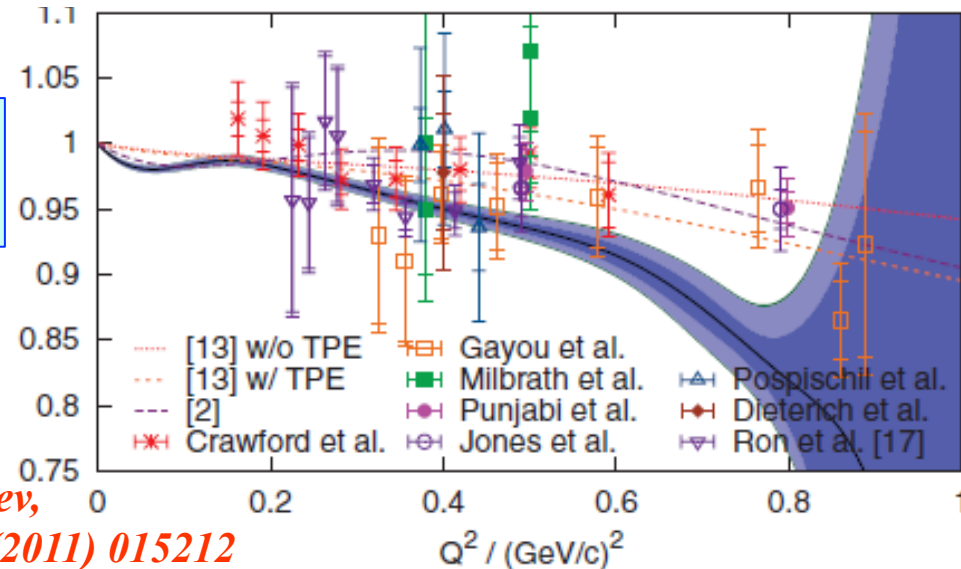
$$Q^2 > 0.004 \text{ GeV}^2$$

- Radiative corrections
- Two photon exchange
- Coulomb corrections

.....*comments*

$$\langle r_E^2 \rangle^{1/2} = 0.879(5)_{\text{stat}}(4)_{\text{syst}}(2)_{\text{model}}(4)_{\text{group}} \text{ fm},$$

$$\langle r_M^2 \rangle^{1/2} = 0.777(13)_{\text{stat}}(9)_{\text{syst}}(5)_{\text{model}}(2)_{\text{group}} \text{ fm}.$$

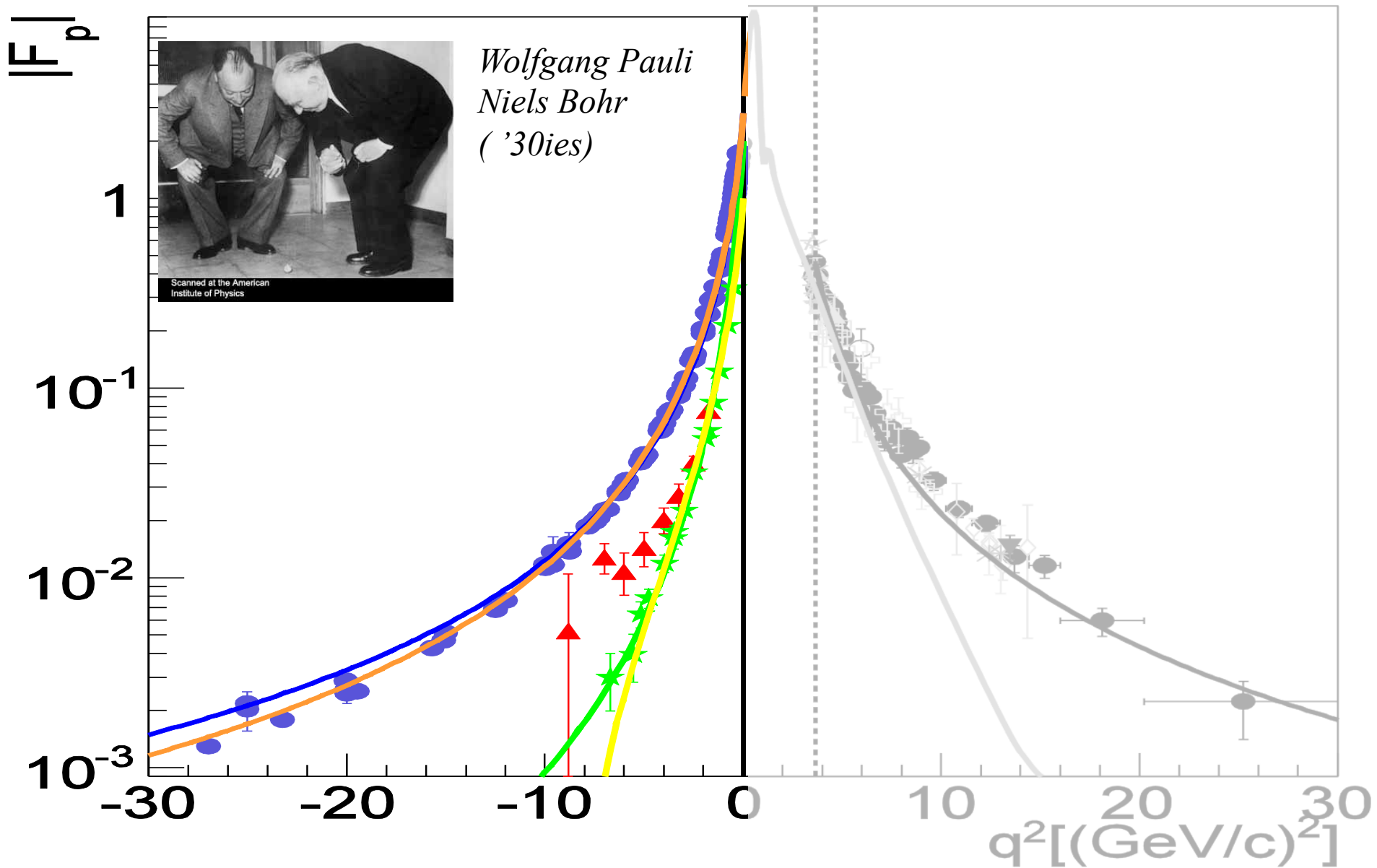


- MUSE Experiment
- Jlab CLAS

What about extrapolation to $Q^2 \rightarrow 0$?

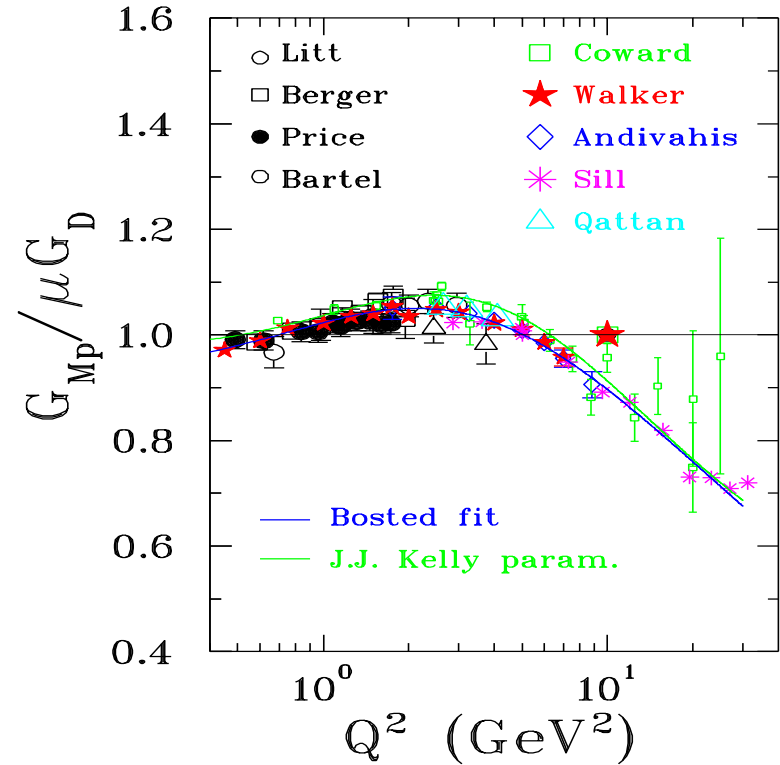
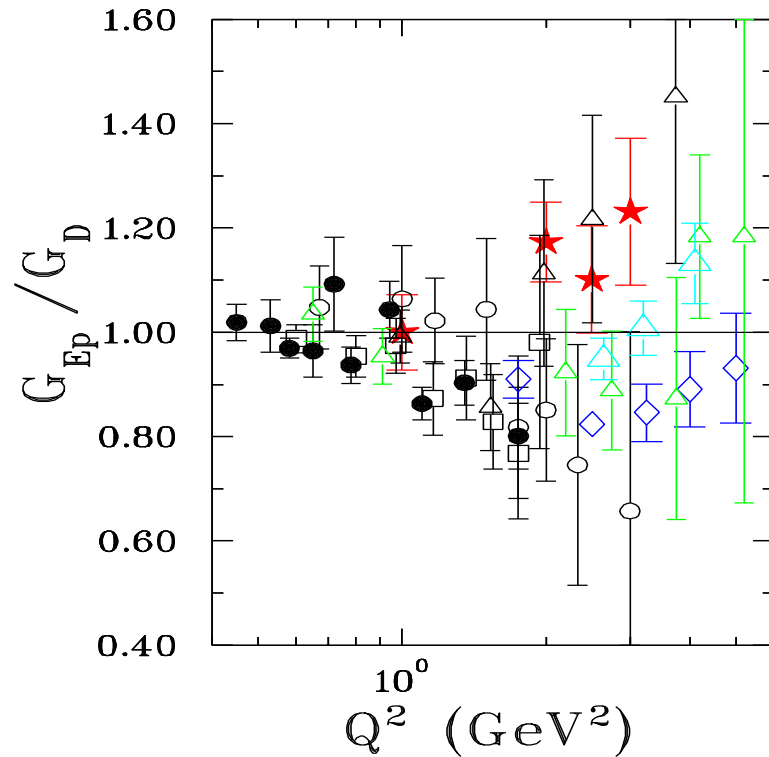
G.I. Gakh, A. Dbeyssi, E.T-G, D. Marchand, V.V. Bytev,
Phys.Part.Nucl.Lett. 10 (2013) 393, *Phys.Rev. C*84 (2011) 015212

The Space-Like region



Proton Form Factors ... before

Dipole approximation: $G_D = (1 + Q^2/0.71 \text{ GeV}^2)^{-2}$



Rosenbluth separation/ Polarization observables

V. Punjabi, M. Jones, C. Perdrisat et al, JLab-GEp collaboration

ep-elastic scattering : Akhiezer-Rekalo method

PHYSICS

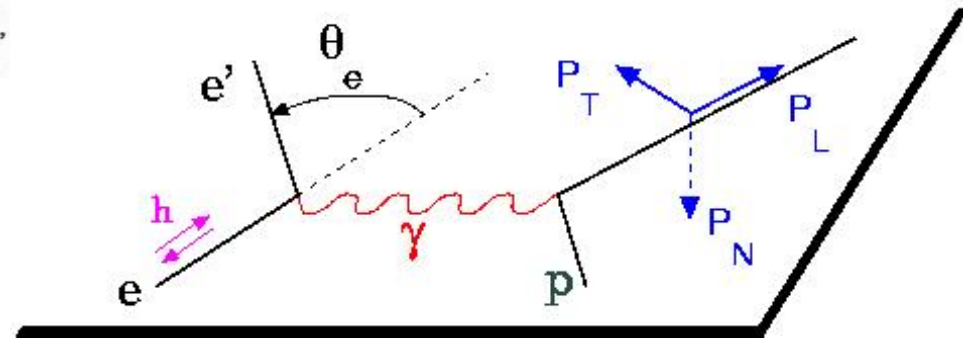
1967

POLARIZATION PHENOMENA IN ELECTRON
SCATTERING BY PROTONS IN THE
HIGH-ENERGY REGION

Academician A. I. Akhiezer* and M. P. Rekalo

Physicotechnical Institute, Academy of Sciences of the Ukrainian SSR
Translated from Doklady Akademii Nauk SSSR, Vol. 180, No. 5,
pp. 1081-1083, June, 1968
Original article submitted February 26,

$$s_2 \frac{d\sigma}{d\Omega_R} = 4p_2 \frac{(\mathbf{s} \cdot \mathbf{q})}{1 + \tau} \Gamma(\theta, \varepsilon_1) \left[\tau G_M (G_M + G_E) - \frac{1}{4\varepsilon_1} G_M (G_E - \tau G_M) \right],$$



The polarization induces a term in the cross section proportional to $G_E G_M$
Polarized beam and target or
polarized beam and recoil proton polarization

The polarization method (exp: 2000)

Transferred polarization is:

*C. Perdrisat, V. Punjabi, et al.,
JLab-GEp collaboration*

$$P_n = 0$$

$$\pm h P_t = \mp h 2\sqrt{\tau(1+\tau)} G_E^p G_M^p \tan\left(\frac{\theta_e}{2}\right) / I_0$$

$$\pm h P_l = \pm h (E_e + E_{e'}) (G_M^p)^2 \sqrt{\tau(1+\tau)} \tan^2\left(\frac{\theta_e}{2}\right) / M / I_0$$

Where, $h = |h|$ is the beam helicity

$$I_0 = (G_E^p(Q^2))^2 + \frac{\tau}{\epsilon} (G_M^p(Q^2))^2$$

$$\Rightarrow \frac{G_E^p}{G_M^p} = -\frac{P_t}{P_l} \frac{E_e + E_{e'}}{2M} \tan\left(\frac{\theta_e}{2}\right)$$

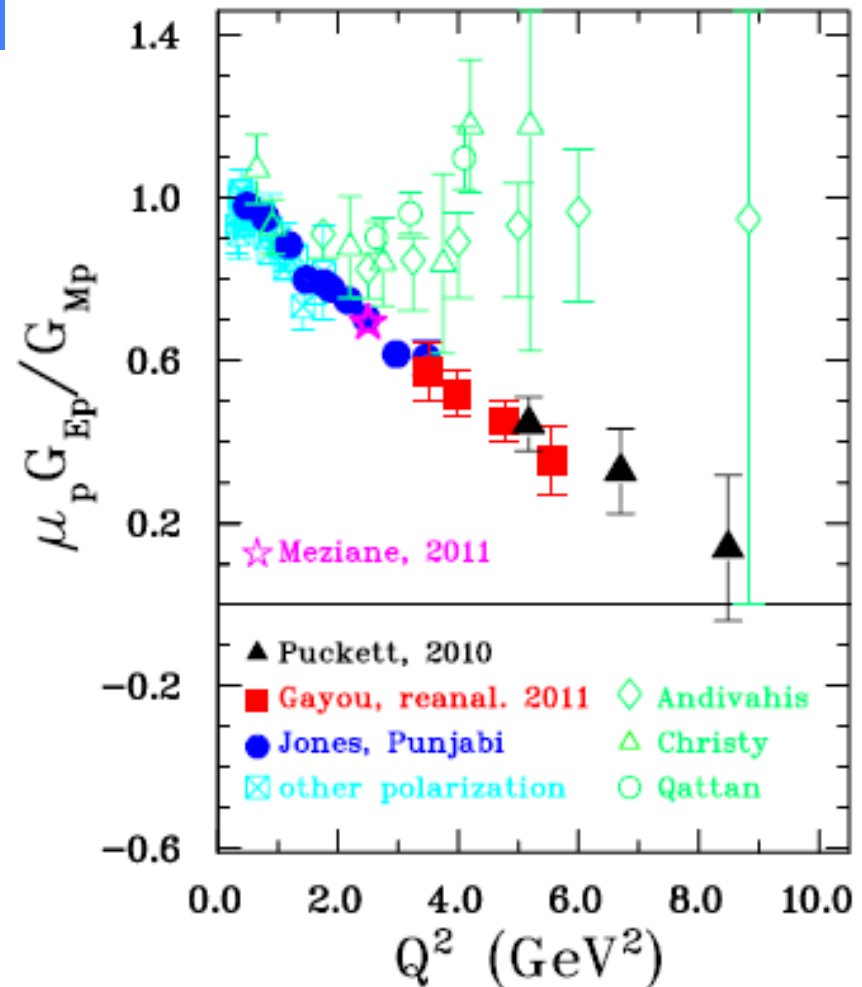
The simultaneous measurement of P_t and P_l reduces the systematic errors

Polarization Experiments

A.I. Akhiezer and M.P. Rekalo, 1967

Jlab-GEp collaboration

- 1) "standard" **dipole function** for the nucleon magnetic FFs **G_{Mp}** and **G_{Mn}**
- 2) **linear deviation** from the dipole function for the electric proton FF **G_{Ep}**
- 3) **QCD scaling** not reached
- 3) **Zero crossing** of G_{Ep} ?
- 4) **contradiction between polarized and unpolarized measurements**



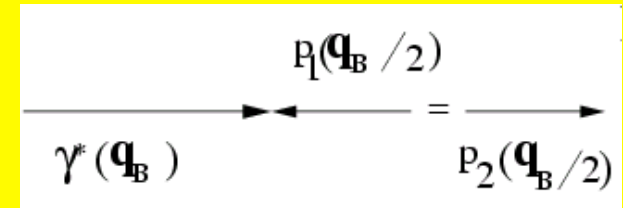
A.J.R. Puckett et al, PRL (2010), PRC (2012)

Dipole Approximation

$$G_D = (1 + Q^2 / 0.71 \text{ GeV}^2)^{-2}$$

• Classical approach

- Nucleon FF (in non relativistic approximation or in the Breit system) are Fourier transform of the charge or magnetic distribution.



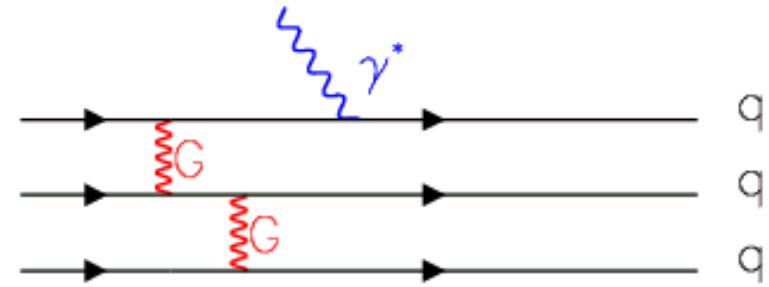
Breit system

• The dipole approximation corresponds to exponential density distribution.

- $\rho = \rho_0 \exp(-r/r_0)$,
- $r_0^2 = (0.24 \text{ fm})^2$, $\langle r^2 \rangle \sim (0.81 \text{ fm})^2 \Leftrightarrow m_D^2 = 0.71 \text{ GeV}^2$

Dipole Approximation and pQCD

Dimensional scaling



- $F_n(Q^2) = C_n [1/(1+Q^2/m_n^2)]^{n-1}$,
 - $m_n = n\beta^2$, <quark momentum squared>
 - n is the number of constituent quarks
- Setting $\beta^2 = (0.471 \pm 0.010) \text{ GeV}^2$ (fitting pion data)
 - **pion**: $F_\pi(Q^2) = C_\pi [1/(1+Q^2/0.471 \text{ GeV}^2)]^1$,
 - **nucleon**: $F_N(Q^2) = C_N [1/(1+Q^2/0.71 \text{ GeV}^2)]^2$,
 - **deuteron**: $F_d(Q^2) = C_d [1/(1+Q^2/1.41 \text{ GeV}^2)]^5$

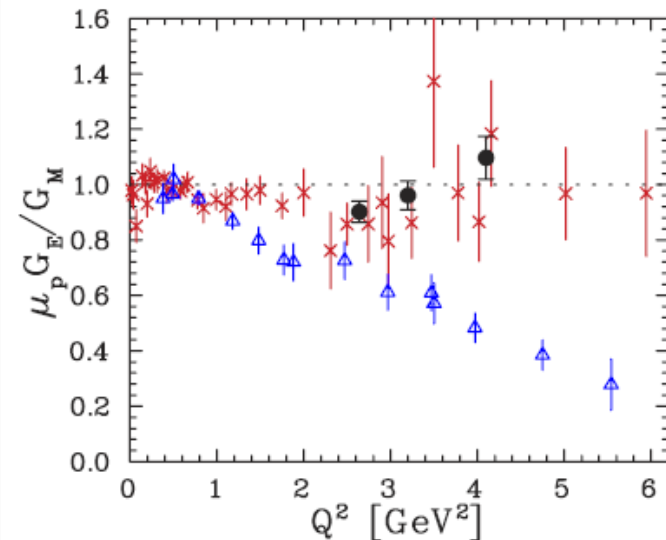
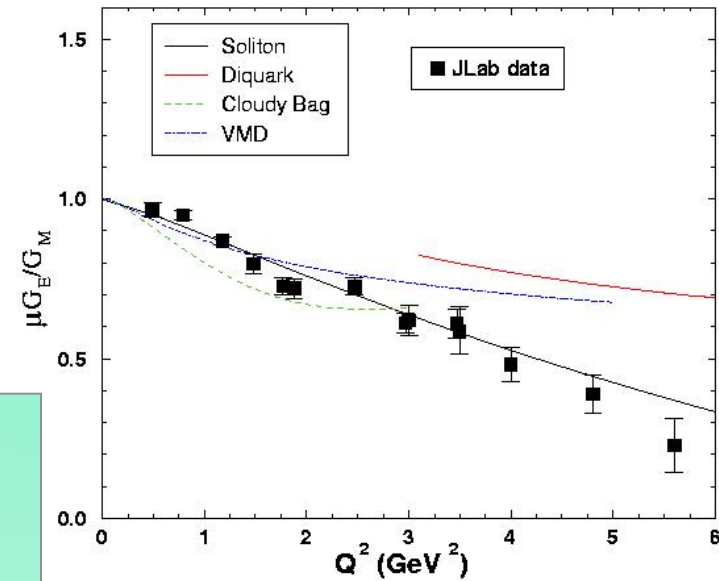
V. A. Matveev, R. M. Muradian, and A. N. Tavkhelidze (1973), Brodsky and Farrar (1973), Politzer (1974), Chernyak & Zhitnisky (1984), Efremov & Radyuskin (1980)...

Issues

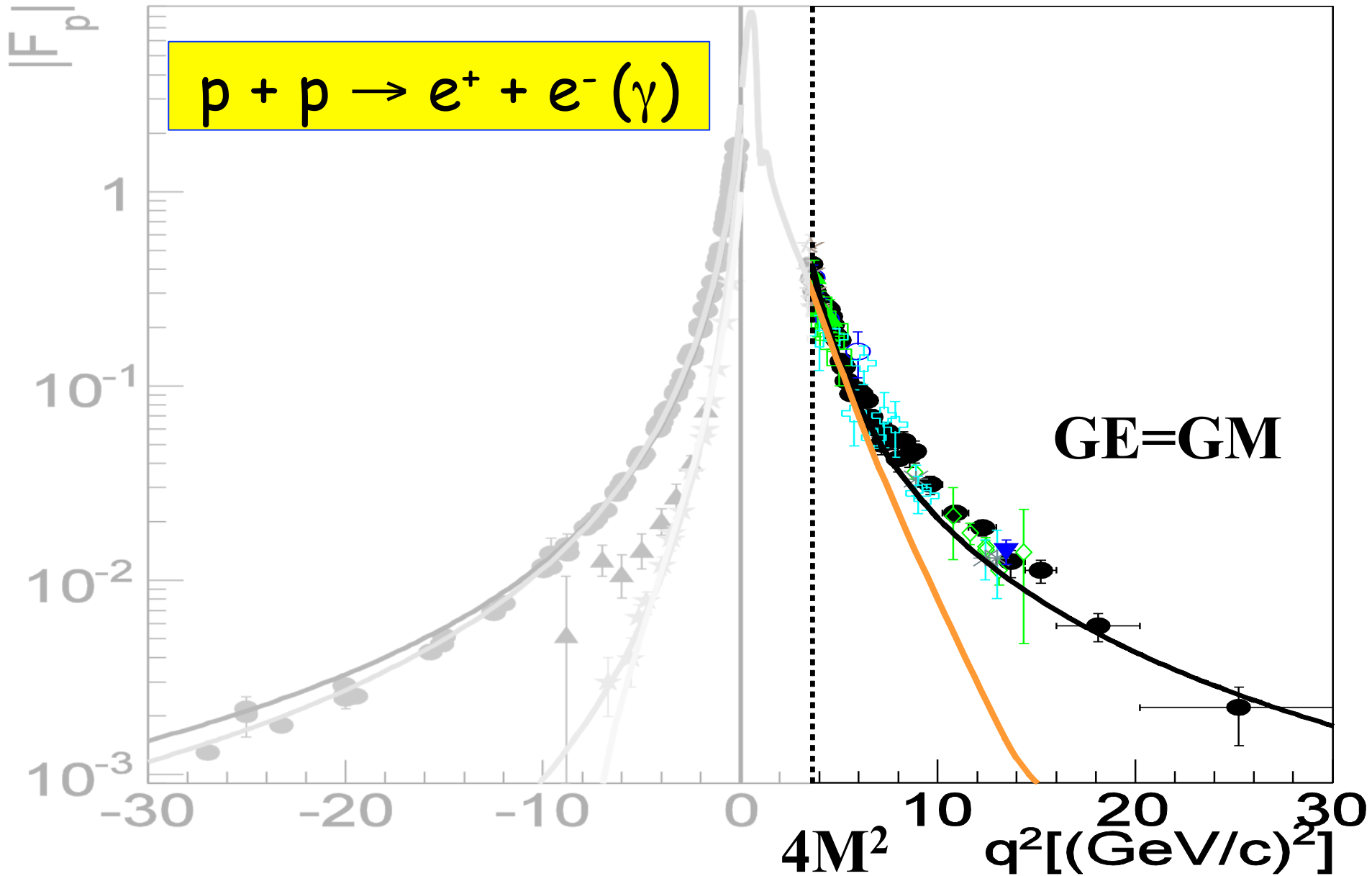
- Some models (IJL 73, Diquark, soliton..) predicted such behavior before the data appeared

BUT

- Simultaneous description of the four nucleon form factors...
- ...in the space-like and in the time-like regions
- Consequences for the light ions description
- When pQCD starts to apply?
- Source of the discrepancy



The Time-Like region



Time-like observables: $|G_E|^2$ and $|G_M|^2$.

-The cross section for $\bar{p} + p \rightarrow e^+ + e^-$ (1 γ -exchange):

$$\frac{d\sigma}{d(\cos \theta)} = \frac{\pi\alpha^2}{8m^2\sqrt{\tau-1}} [\tau |G_M|^2 (1 + \cos^2 \theta) + |G_E|^2 \sin^2 \theta]$$

θ : angle between e^- and \bar{p} in cms.

A. Zichichi, S. M. Berman, N. Cabibbo, R. Gatto, Il Nuovo Cimento XXIV, 170 (1962)

B. Bilenkii, C. Giunti, V. Wataghin, Z. Phys. C 59, 475 (1993).

G. Gakh, E.T-G., Nucl. Phys. A761,120 (2005).

As in SL region:

- Dependence on q^2 contained in FFs
- Even dependence on $\cos^2\theta$ (1 γ exchange)
- No dependence on sign of FFs
- Enhancement of magnetic term

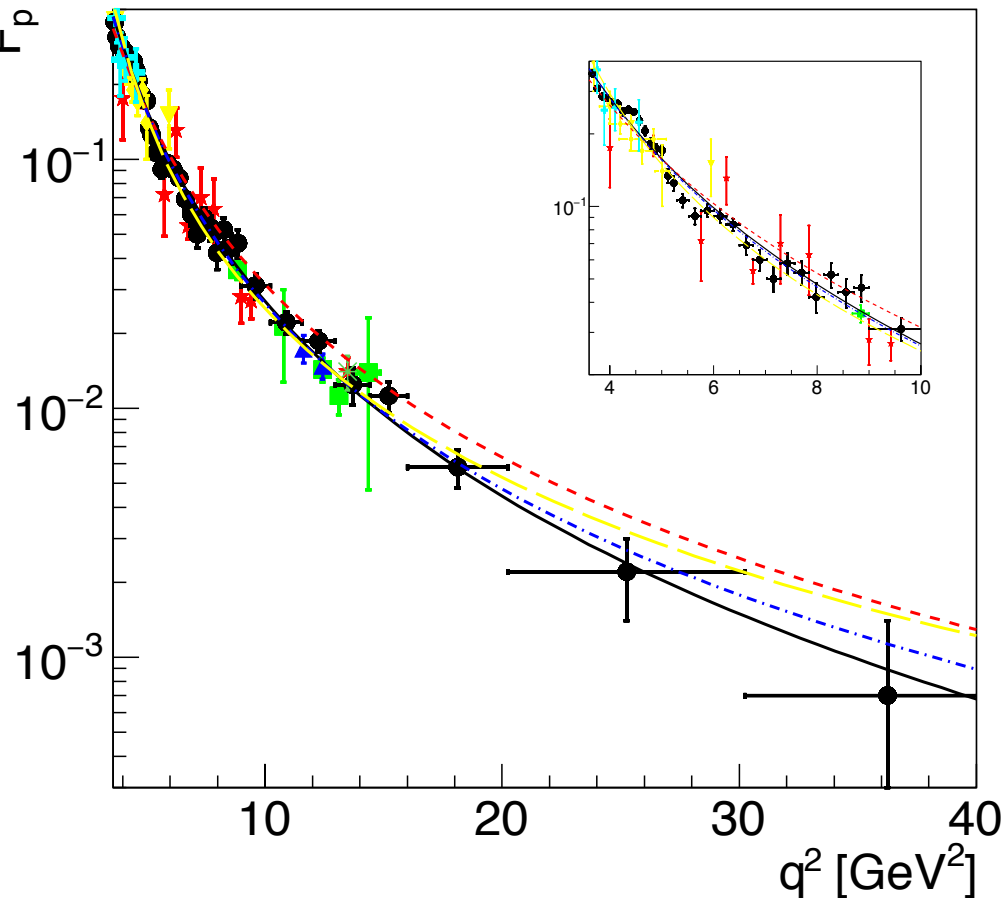
but TL form factors are complex!

The Time-like Region

$$GE=GM$$

The Experimental Status

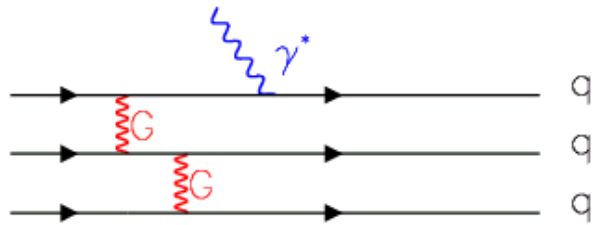
- No individual determination of GE and GM
- TL proton FFs twice larger than in SL at the same Q^2
- Steep behaviour at threshold
- Babar: Structures?
Resonances?



S. Pacetti, R. Baldini-Ferroli, E.T-G, Physics Reports, 514 (2014) 1

Panda contribution: M.P. Rekalo, E.T-G, DAPNIA-04-01, ArXiv:0810.4245.

The Time-like Region

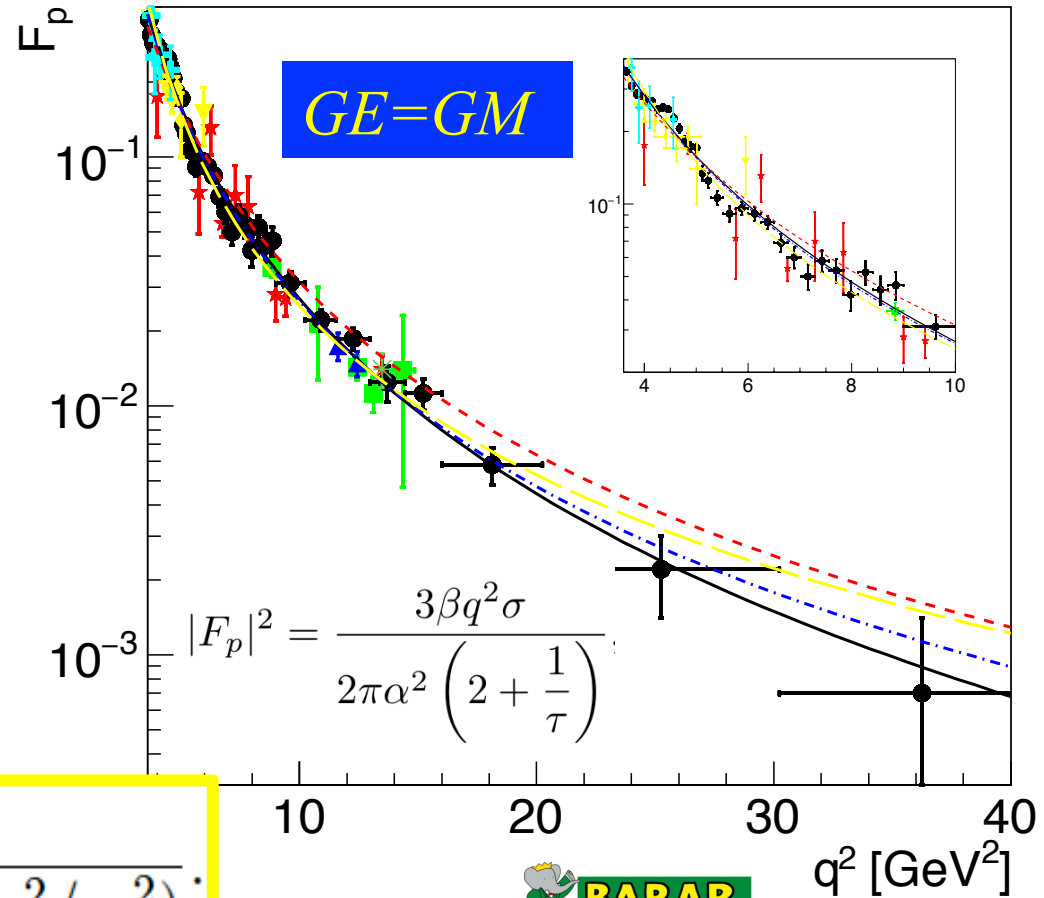
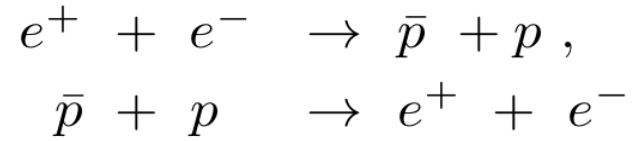


Expected QCD scaling $(q^2)^2$

$$\frac{A}{(q^2)^2 [\log^2(q^2/\Lambda^2) + \pi^2]}$$

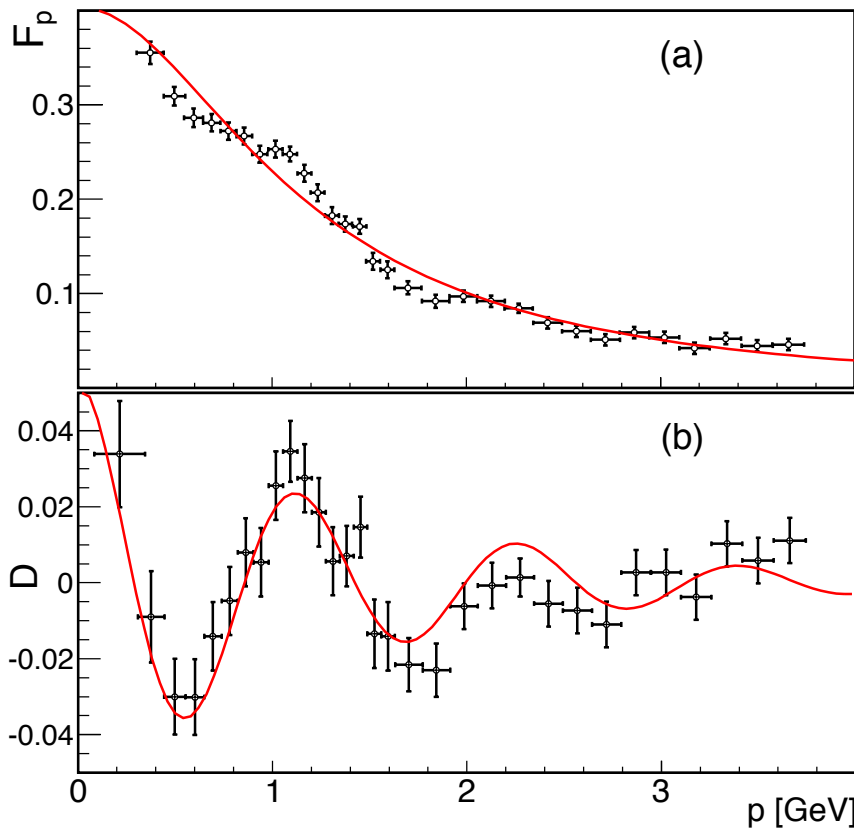
$$\frac{A}{(1 + q^2/m_a^2) [1 - q^2/0.71]^2}$$

$$|F_{T3}(q^2)| = \frac{A}{(1 - q^2/m_1^2)(2 - q^2/m_2^2)}$$



Oscillations : regular pattern in P_{Lab}

The relevant variable is p_{Lab} associated to the relative motion of the final hadrons.



$$F_{osc}(p) \equiv A \exp(-Bp) \cos(Cp + D).$$

$A \pm \Delta A$	$B \pm \Delta B$	$C \pm \Delta C$	$D \pm \Delta D$	$\chi^2/n.d.f$
	$[GeV]^{-1}$	$[GeV]^{-1}$		
0.05 ± 0.01	0.7 ± 0.2	5.5 ± 0.2	0.03 ± 0.3	1.2

A: Small perturbation B: damping
C: $r < 1$ fm D=0: maximum at $p=0$

Simple oscillatory behaviour
Small number of coherent sources

A. Bianconi, E. T-G. Phys. Rev. Lett. 114,232301 (2015)

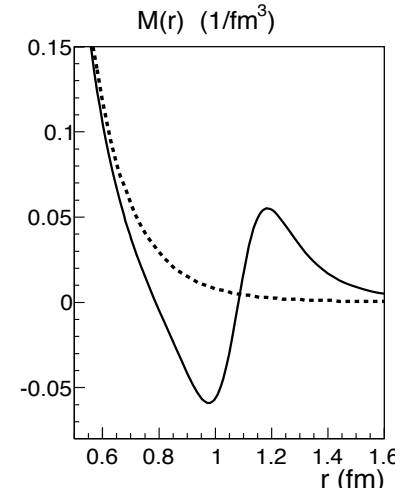
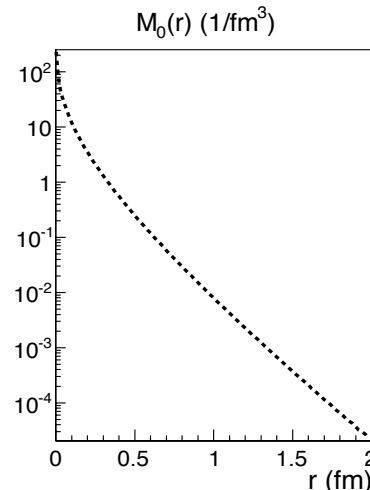
Fourier Transform

$$F_0(p) \equiv \int d^3\vec{r} \exp(i\vec{p} \cdot \vec{r}) M_0(r)$$

$$F(p) = F_0(p) + F_{osc}(p) \equiv \int d^3\vec{r} \exp(i\vec{p} \cdot \vec{r}) M(r).$$

$$F_0 = \frac{A}{(1 + q^2/m_a^2) [1 - q^2/0.71]^2},$$

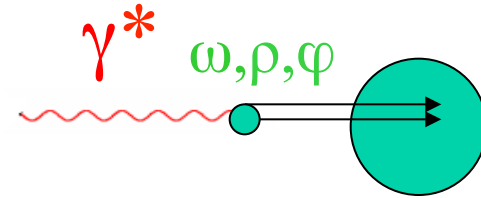
$$F_{osc}(p) \equiv A \exp(-Bp) \cos(Cp + D).$$



- *Rescattering processes*
- *Large imaginary part*
- *Related to the time evolution of the charge density?*
(E.A. Kuraev, E. T.-G., A. Dbeyssi, PLB712 (2012) 240)
- *Consequences for the SL region?*
- *Data expected at BESIII, PANDA*

VMD: Iachello, Jackson and Landé (1973)

Isoscalar and isovector FFs



$$F_1^s(Q^2) = \frac{g(Q^2)}{2} \left[(1 - \beta_\omega - \beta_\phi) + \beta_\omega \frac{\mu_\omega^2}{\mu_\omega^2 + Q^2} + \beta_\phi \frac{\mu_\phi^2}{\mu_\phi^2 + Q^2} \right],$$

$$F_1^v(Q^2) = \frac{g(Q^2)}{2} \left[(1 - \beta_\rho) + \beta_\rho \frac{\mu_\rho^2 + 8\Gamma_\rho \mu_\pi / \pi}{(\mu_\rho^2 + Q^2) + (4\mu_\pi^2 + Q^2)\Gamma_\rho \alpha(Q^2) / \mu_\pi} \right],$$

$$F_2^s(Q^2) = \frac{g(Q^2)}{2} \left[(\mu_p + \mu_n - 1 - \alpha_\phi) \frac{\mu_\omega^2}{\mu_\omega^2 + Q^2} + \alpha_\phi \frac{\mu_\phi^2}{\mu_\phi^2 + Q^2} \right],$$

$$F_2^v(Q^2) = \frac{g(Q^2)}{2} \left[(\mu_p - \mu_n - 1) \frac{\mu_\rho^2 + 8\Gamma_\rho \mu_\pi / \pi}{(\mu_\rho^2 + Q^2) + (4\mu_\pi^2 + Q^2)\Gamma_\rho \alpha(Q^2) / \mu_\pi} \right],$$

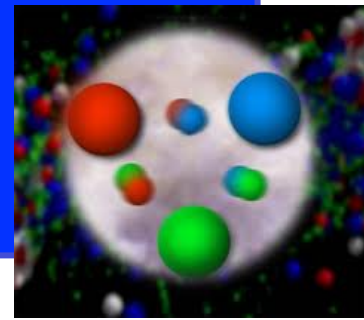
$$g(Q^2) = \frac{1}{(1 + \gamma e^{i\theta} Q^2)^2}$$

$$\alpha(Q^2) = \frac{2}{\pi} \sqrt{\frac{Q^2 + 4\mu_\pi^2}{Q^2}} \ln \left[\frac{\sqrt{(Q^2 + 4\mu_\pi^2)} + \sqrt{Q^2}}{2\mu_\pi} \right]$$

$$2F_i^p = F_i^s + F_i^v,$$

$$2F_i^n = F_i^s - F_i^v.$$

The nucleon



3 valence quarks and a neutral sea of qq pairs

antisymmetric state of colored quarks

$$|p\rangle \sim \epsilon_{ijk} |u^i u^j d^k\rangle$$
$$|n\rangle \sim \epsilon_{ijk} |u^i d^j d^k\rangle$$

Main assumption

Does not hold in the spatial center of the nucleon: the center of the nucleon *is electrically neutral*, due to strong gluonic field

The neutral plasma acts on the distribution of the electric charge (not magnetic).

Prediction: additional suppression due to the **neutral plasma** similar behavior in SL and TL regions

Conclusions

- Large activity at all world facilities both in Space and Time-like regions
- Theory: unified models in SL and TL regions:
 - describe All FFs: proton & neutron, electric & magnetic
 - understand $GE, GM(SL) < GE, GM(TL)$;
- Experiment: to measure
 - zero crossing of GE/GM in SL? 2γ ? Proton radius?
 - GE and GM separately in TL
 - complex FFs in TL region: polarization!
 - new structures in TL: access to hadron formation?

Unpolarized cross section)

-The cross section for $\bar{p} + p \rightarrow e^+ + e^-$ (1 γ -exchange):

$$\frac{d\sigma}{d(\cos\theta)} = \frac{\pi\alpha^2}{8m^2\sqrt{\tau-1}} [\tau|G_M|^2(1 + \cos^2\theta) + |G_E|^2\sin^2\theta]$$

θ : angle between e^- and \bar{p} in cms.

Two Photon Exchange:

$$\frac{d\sigma}{d\Omega} = \frac{\alpha^2}{4q^2} \sqrt{\frac{\tau}{\tau-1}} D,$$

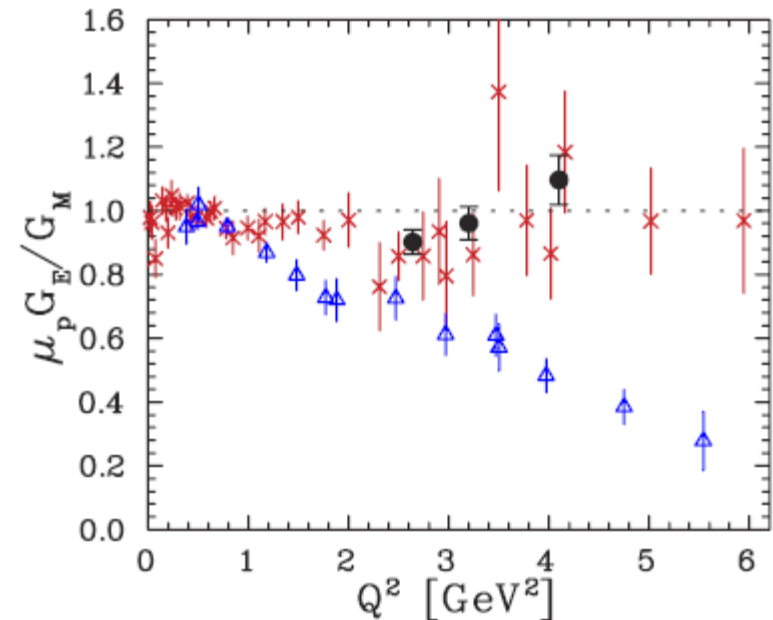
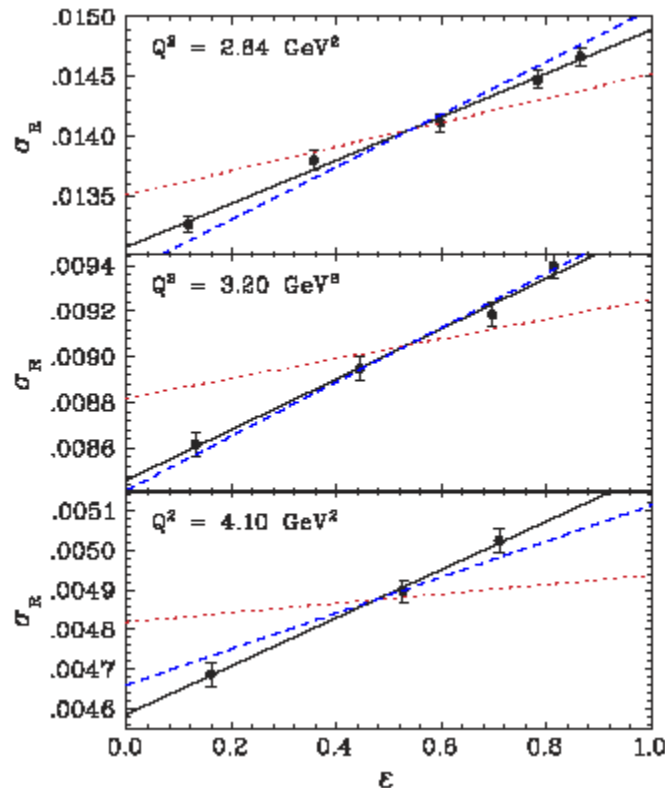
- Induces four new terms
- Odd function of θ :
- Does not contribute at $\theta=90^\circ$

$$D = (1 + \cos^2\theta)(|G_M|^2 + 2\text{Re}G_M\Delta G_M^*) + \frac{1}{\tau} \sin^2\theta(|G_E|^2 + 2\text{Re}G_E\Delta G_E^*) + 2\sqrt{\tau(\tau-1)} \cos\theta \sin^2\theta \text{Re}\left(\frac{1}{\tau}G_E - G_M\right)F_3^*$$

M.P. Rekalo and E. T.-G., EPJA 22, 331 (2004)
G.I. Gakh and E. T.-G., NPA761, 120 (2005)

Precision Rosenbluth Measurement of the Proton Elastic Form Factors

I. A. Qattan,^{1,2} J. Arrington,² R. E. Segel,¹ X. Zheng,² K. Aniol,³ O. K. Baker,⁴ R. Beams,² E. J. Brash,⁵ J. Calarco,⁶ A. Camsonne,⁷ J.-P. Chen,⁸ M. E. Christy,⁴ D. Dutta,⁹ R. Ent,⁸ S. Frullani,¹⁰ D. Gaskell,¹¹ O. Gayou,¹² R. Gilman,^{13,8} C. Glashauser,¹³ K. Hafidi,² J.-O. Hansen,⁸ D. W. Higinbotham,⁸ W. Hinton,¹⁴ R. J. Holt,² G. M. Huber,⁵ H. Ibrahim,¹⁴ L. Jisonna,¹ M. K. Jones,⁸ C. E. Keppel,⁴ E. Kinney,¹¹ G. J. Kumbartzki,¹³ A. Lung,⁸ D. J. Margaziotis,³ K. McCormick,¹³ D. Meekins,⁸ R. Michaels,⁸ P. Monaghan,⁹ P. Moussiegt,¹⁵ L. Pentchev,¹² C. Perdrisat,¹² V. Punjabi,¹⁶ R. Ransome,¹³ J. Reinhold,¹⁷ B. Reitz,⁸ A. Saha,⁸ A. Sarty,¹⁸ E. C. Schulte,² K. Slifer,¹⁹ P. Solvignon,¹⁹ V. Sulkosky,¹² K. Wijesooriya,² and B. Zeidman²



Symmetry Relations(annihilation)

- Differential cross section at complementary angles:

The SUM cancels the 2γ contribution:

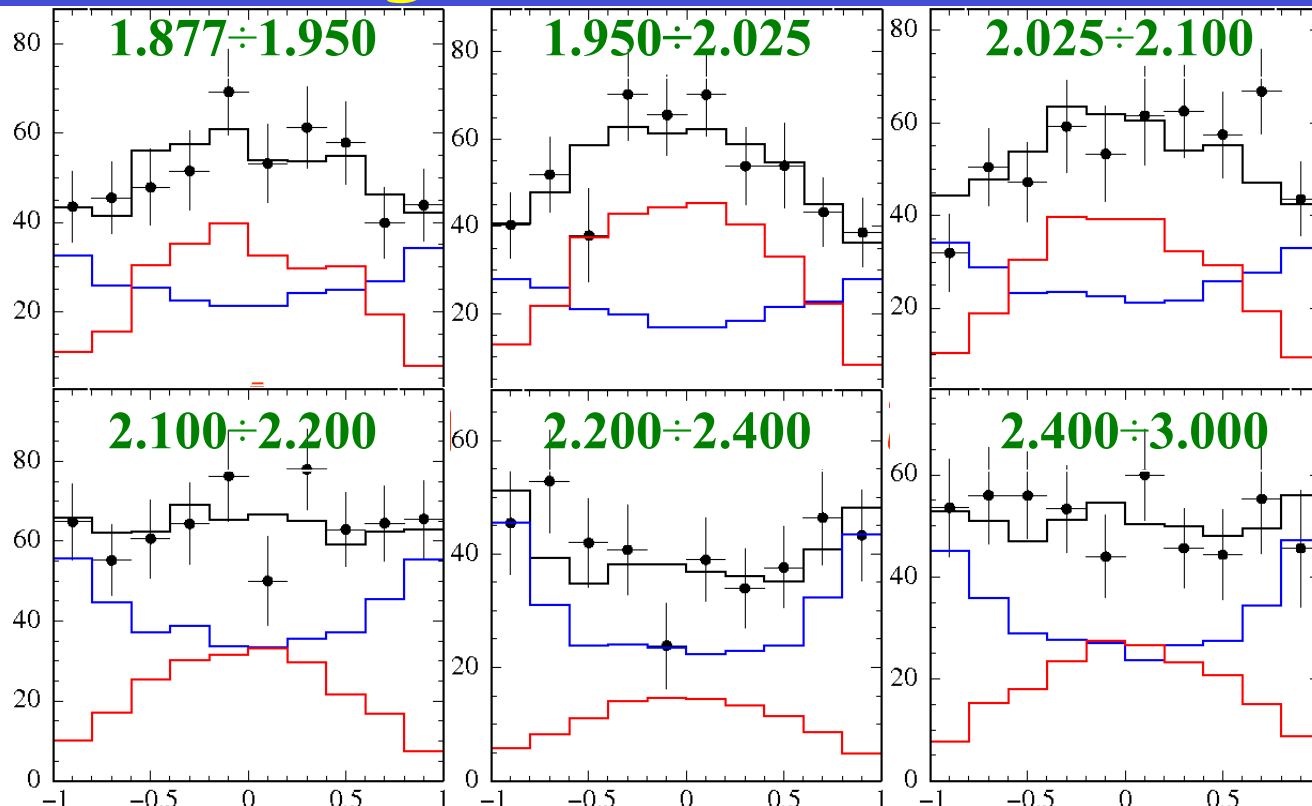
$$\frac{d\sigma_+}{d\Omega}(\theta) = \frac{d\sigma}{d\Omega}(\theta) + \frac{d\sigma}{d\Omega}(\pi - \theta) = 2\frac{d\sigma^{Born}}{d\Omega}(\theta)$$

The DIFFERENCE enhances the 2γ contribution:

$$\frac{d\sigma_-}{d\Omega}(\theta) = \frac{d\sigma}{d\Omega}(\theta) - \frac{d\sigma}{d\Omega}(\pi - \theta) = 4N \left[(1 + x^2) \text{Re}G_M \Delta G_M^* + \right. \\ \left. + \frac{1 - x^2}{\tau} \text{Re}G_E \Delta G_E^* + \sqrt{\tau(\tau - 1)} x (1 - x^2) \text{Re}\left(\frac{1}{\tau} G_E - G_M\right) F_3^* \right]$$

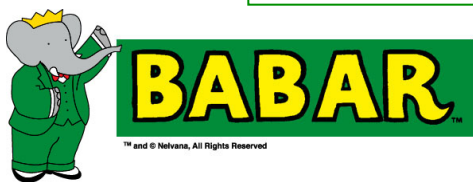
$$\tau = \frac{q^2}{4m^2}, \quad x = \cos\theta$$

Angular Distributions



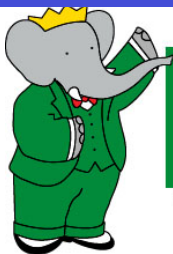
Events/0.2 vs. $\cos \theta$

$$\frac{dN}{d \cos \theta_p} = A \left[H_M(\cos \theta, M_{pp}) + \left| \frac{G_E}{G_M} \right|^2 H_E(\cos \theta, M_{pp}) \right]$$



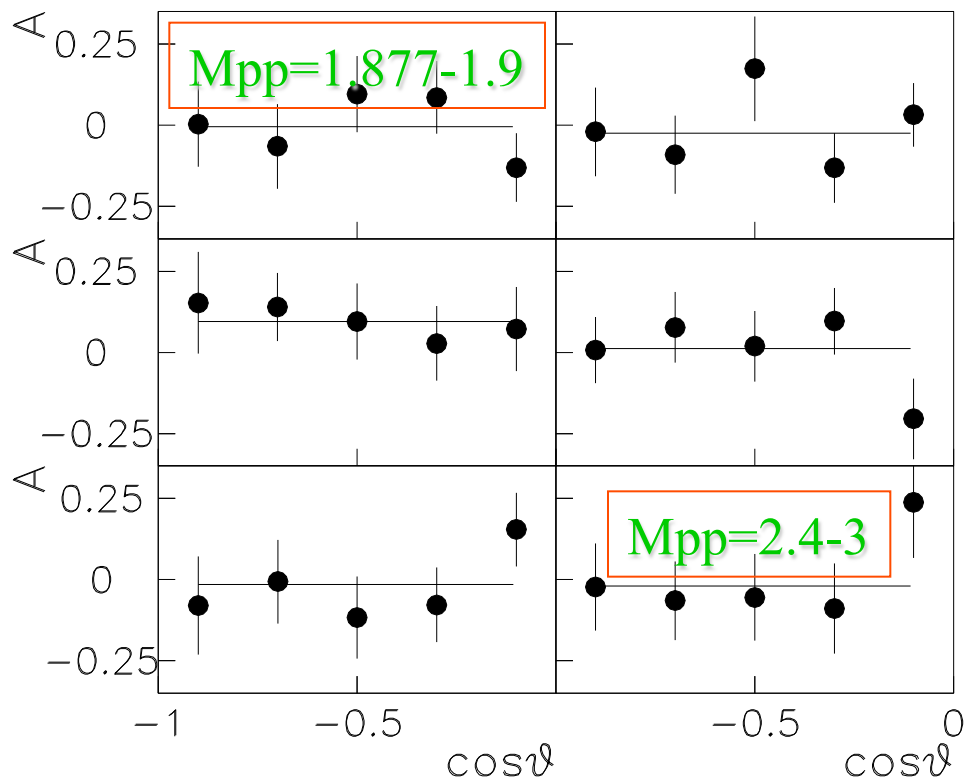
2 γ -exchange?

Angular Asymmetry

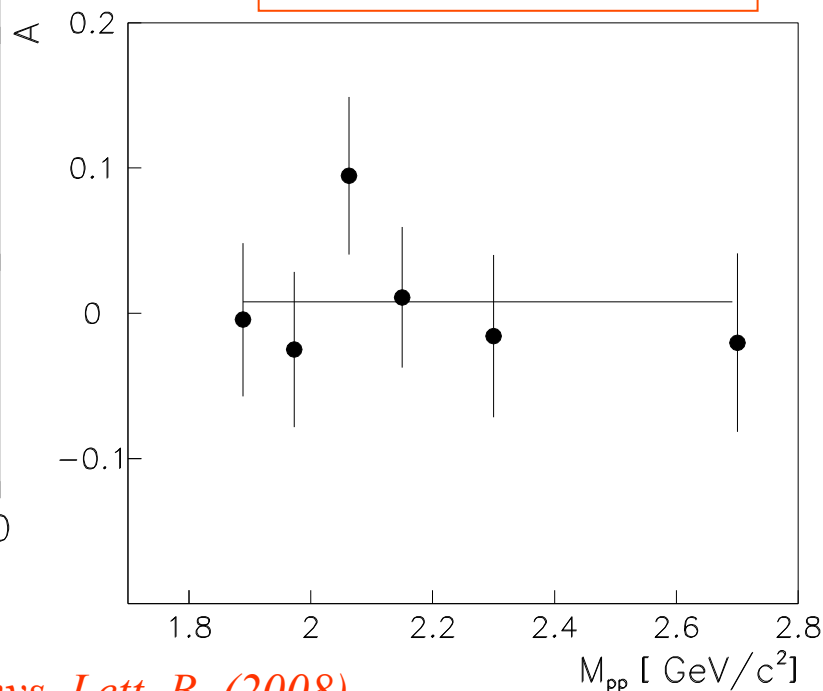


BABAR
™ and © Nelvana, All Rights Reserved

$$A(c) = \frac{\frac{d\sigma}{d\Omega}(c) - \frac{d\sigma}{d\Omega}(-c)}{\frac{d\sigma}{d\Omega}(c) + \frac{d\sigma}{d\Omega}(-c)}$$



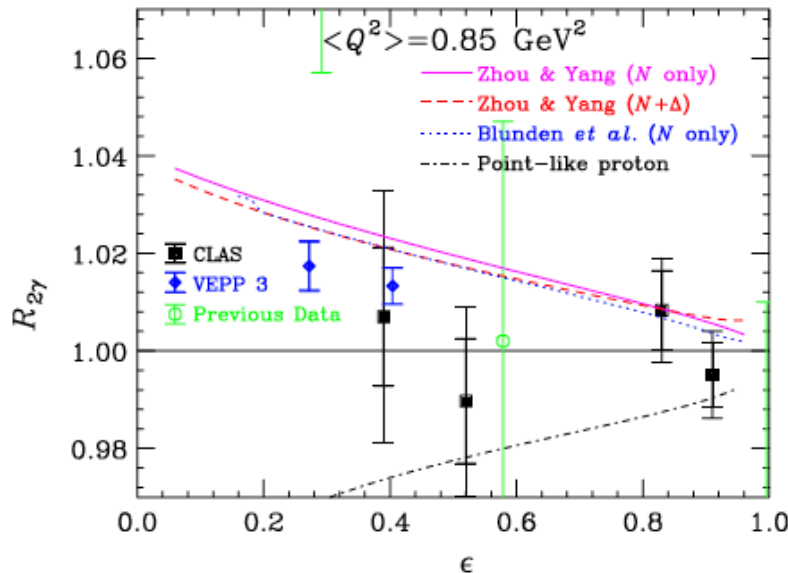
$$A = 0.01 \pm 0.02$$



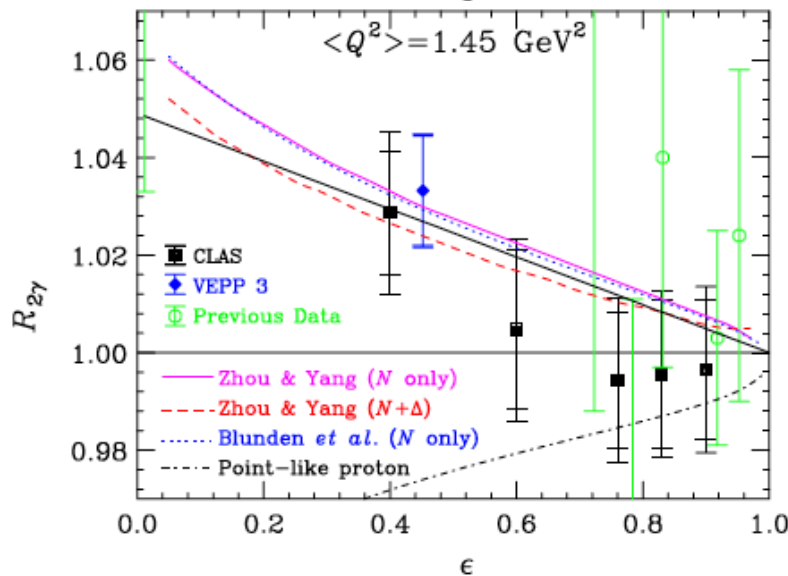
E. T.-G., E.A. Kuraev, S. Bakmaev, S. Pacetti, Phys. Lett. B (2008)

CLAS, VEPP, OLYMPUS...

V. Rimal, ArXiv 1603.003151



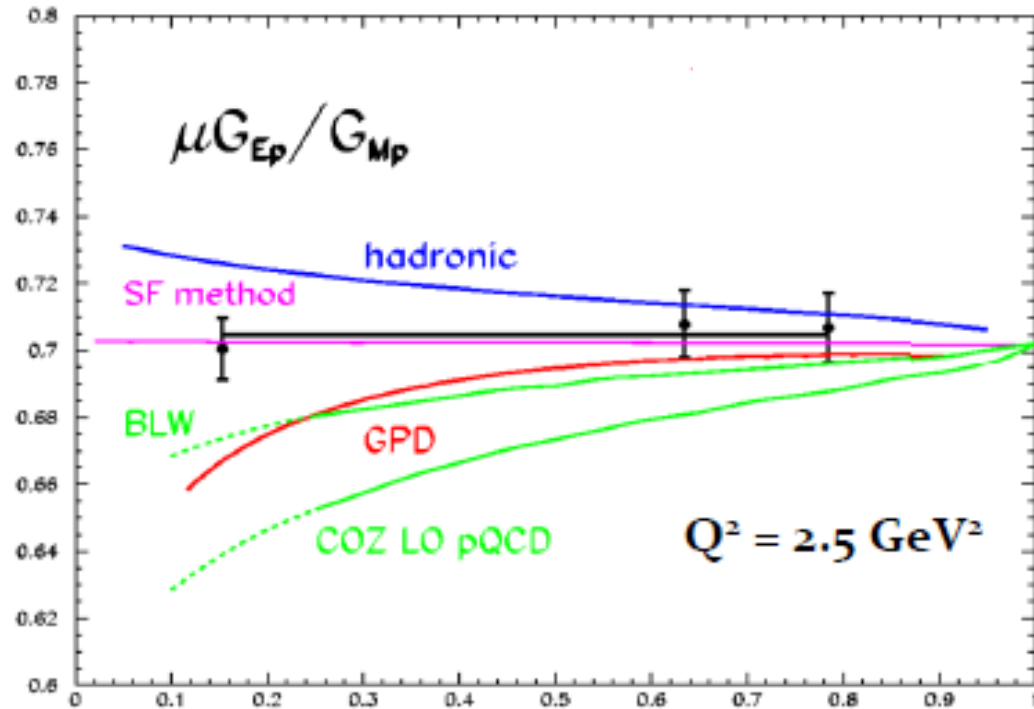
- $Q^2 < 2 \text{ GeV}^2$
- Effect $< 2\%$
- No evident increase with Q^2



Polarization ratio (ϵ -dependence)

- **DATA:** No evidence of ϵ -dependence at 1% level

- **MODELS:** large correction (opposite sign) at small ϵ



- **SF method:** ϵ -(almost)independent corrections

- **Theory:** corrections to the Born approximation at $Q^2 = 2.5 \text{ GeV}^2$

Y. Bystritskiy, E.A. Kuraev and E.T.-G, Phys.Rev.C75: 015207 (2007)

P. Blunden et al., Phys. Rev. C72:034612 (2005) (mainly GM)

A. Afanasev et al., Phys. Rev. D72:013008 (2005) (mainly GE)

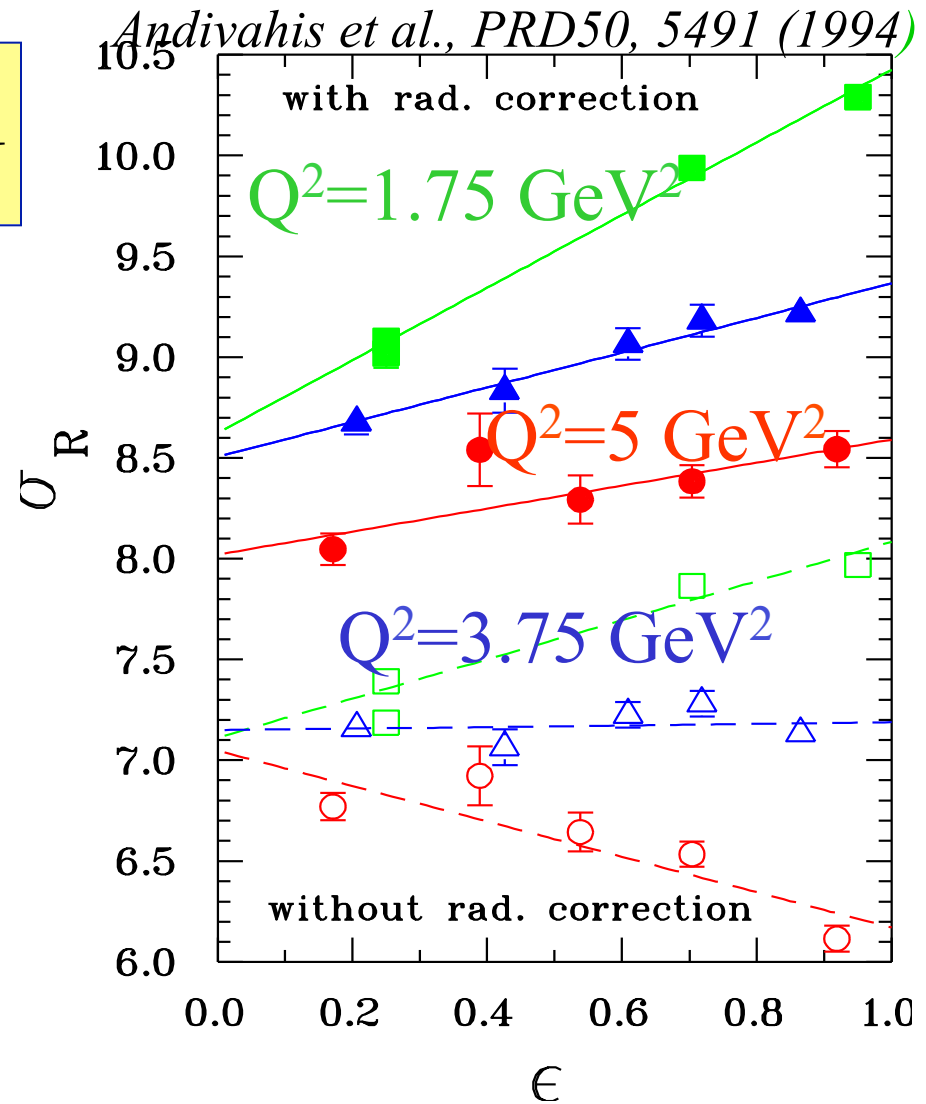
N.Kivel and M.Vanderhaeghen, Phys. Rev. Lett.103:092004 (2009). (high Q_2)

Radiative Corrections (ep)

$$\sigma_R = \varepsilon G_E^2 + \tau G_M^2$$

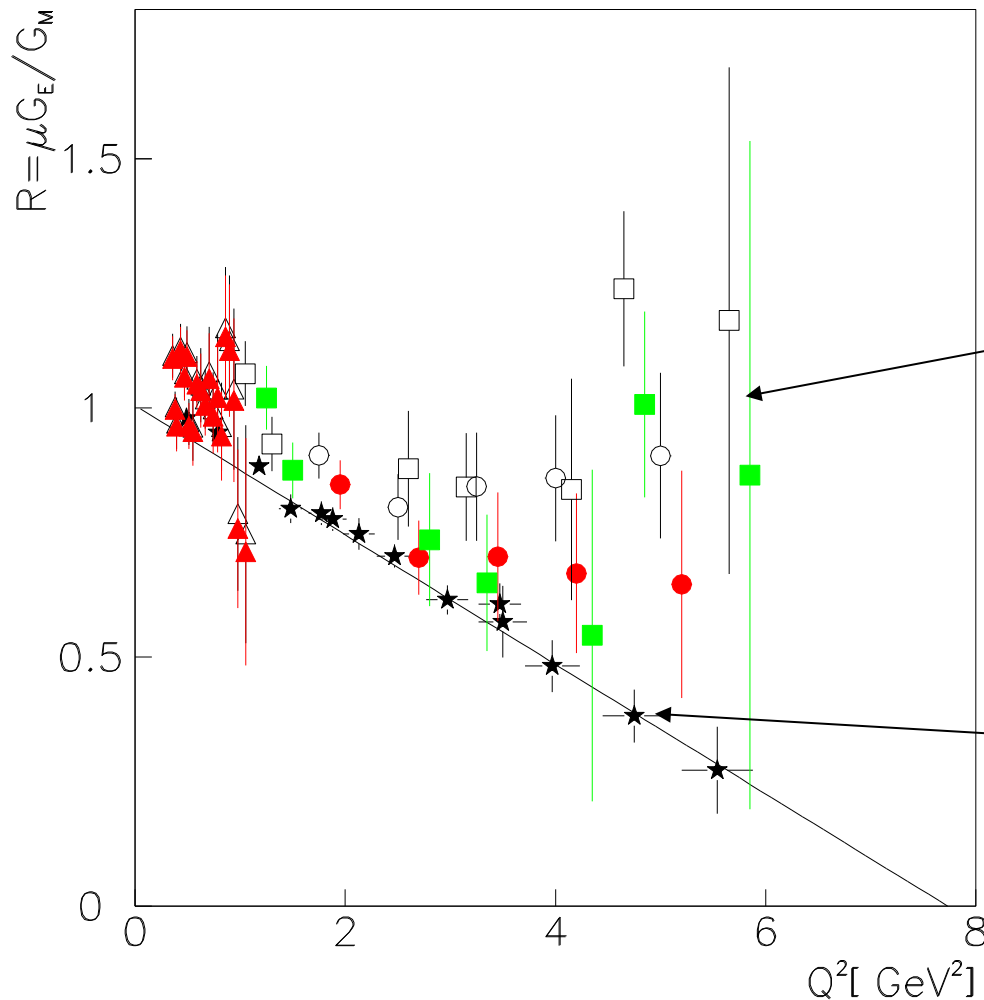
*May change
the slope of σ_R
(and even the sign !!!)*

*RC to the cross section:
- large (may reach 40%)
- ε and Q^2 dependent
- calculated at first order*



E. T.-G., G. Gakh, PRC 72, 015209 (2005)

Radiative Corrections (SF method)



Andivahis et al., PRD50, 5491 (1994)

SLAC data

SLAC data
corrected by SF

Jlab Polarization
data

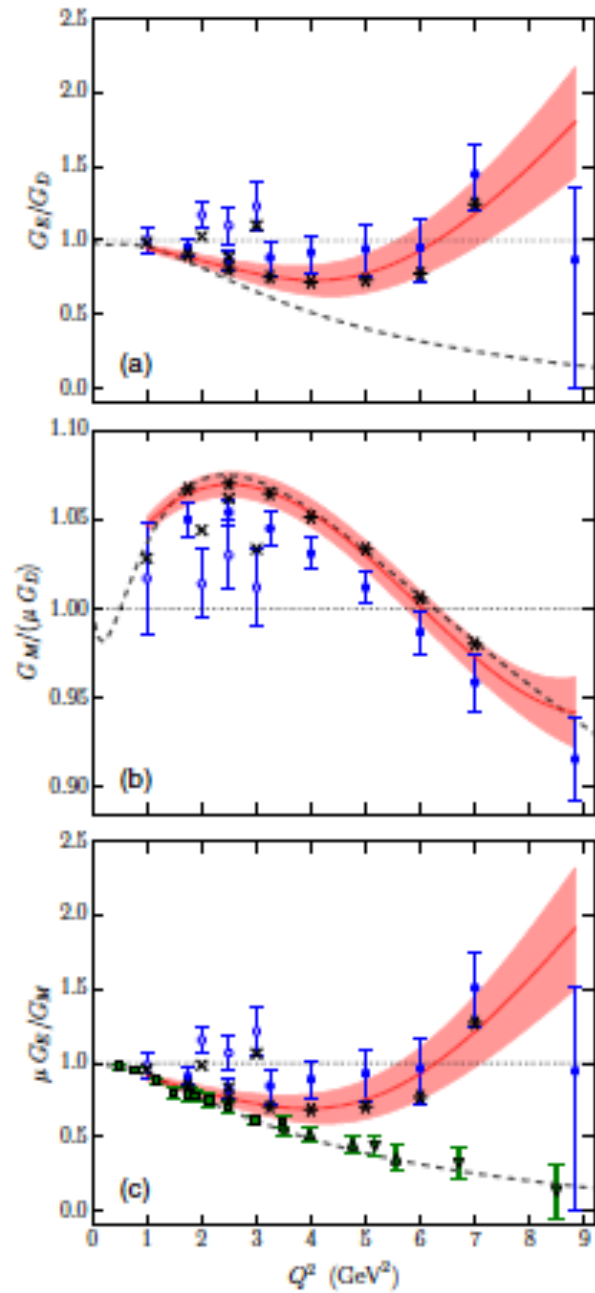
Yu. Bystricky, E.A.Kuraev, E. T.-G., Phys. Rev. C 75, 015207 (2007)

Reanalysis of Rosenbluth measurements of the proton form factors

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Budker Institute of Nuclear Physics, 630090 Novosibirsk, Russia

(Received 28 March 2016; published 10 May 2016)



V. Fadin, R.E. Gerasimov

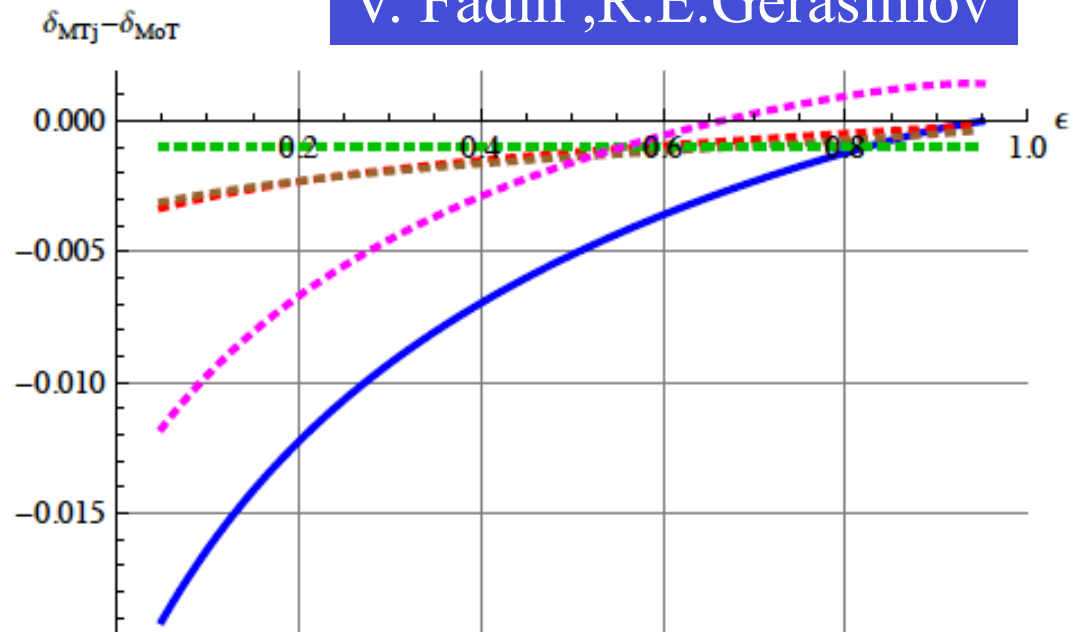
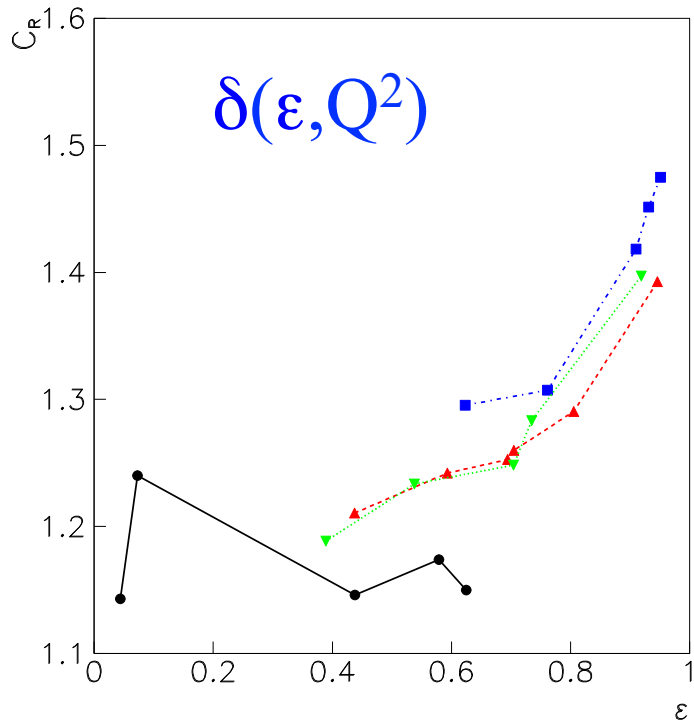


Figure 3: Difference at $Q^2 = 5 \text{ GeV}^2$.

Correlations

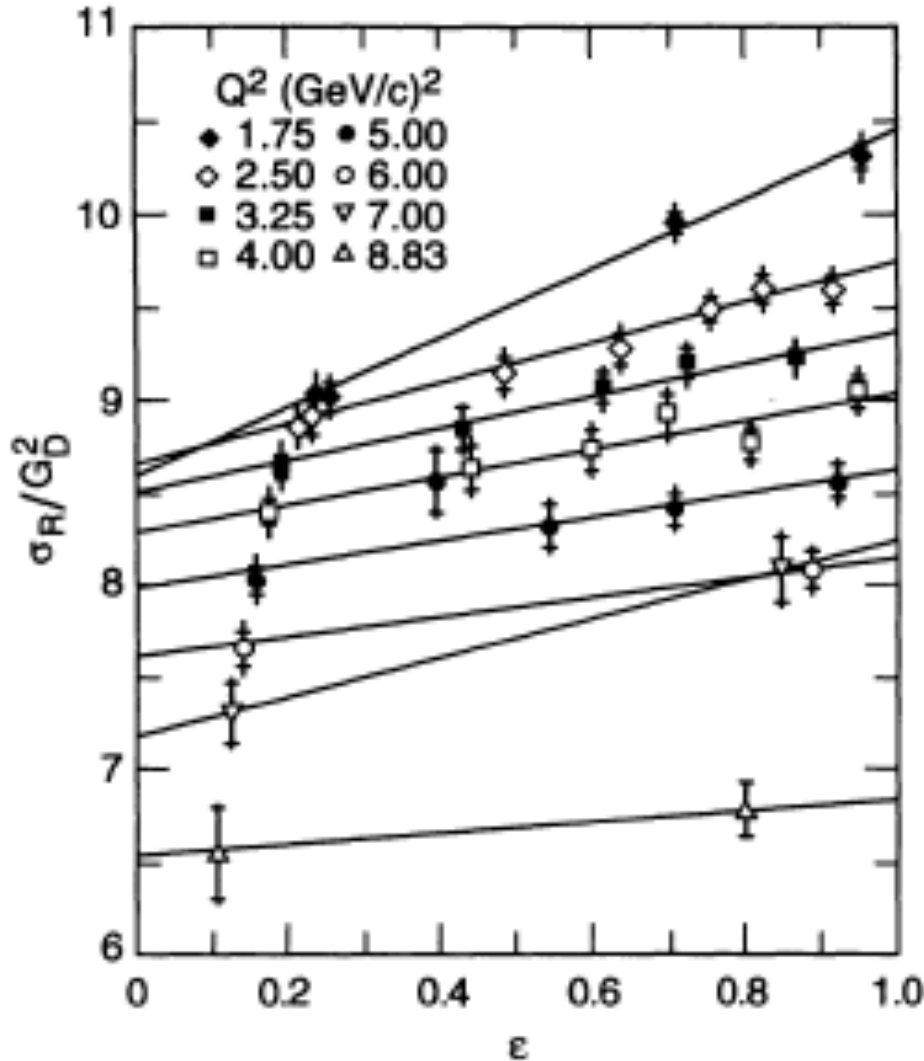
$$\sigma = \sigma_0(1 + \delta(\varepsilon, Q^2))$$



E.T-G, Phys. Part. Nucl. Lett. 4, 281 (2007)

Normalization

Andivahis et al., PRD50, 5491 (1994)



Two spectrometers
(8 and 1.6 GeV)

2 points at low ϵ

Fixed renormalization
for the lowest ϵ point
 $c=0.956$

(acceptance correction)

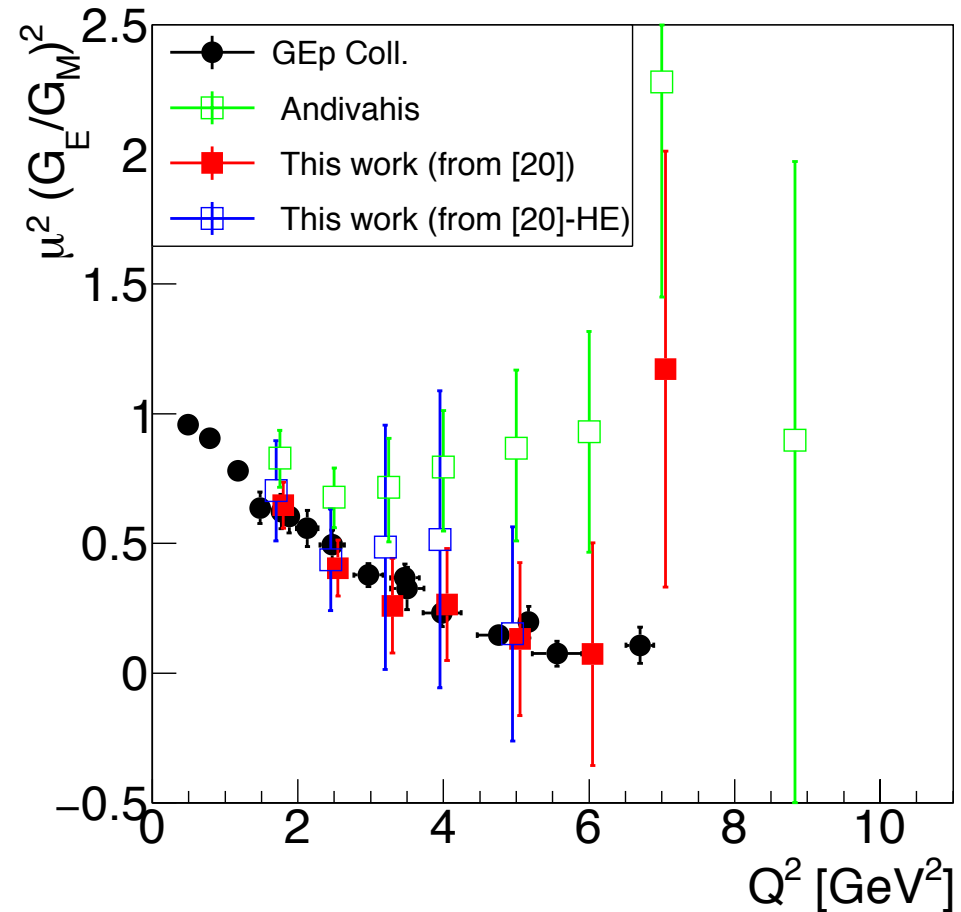
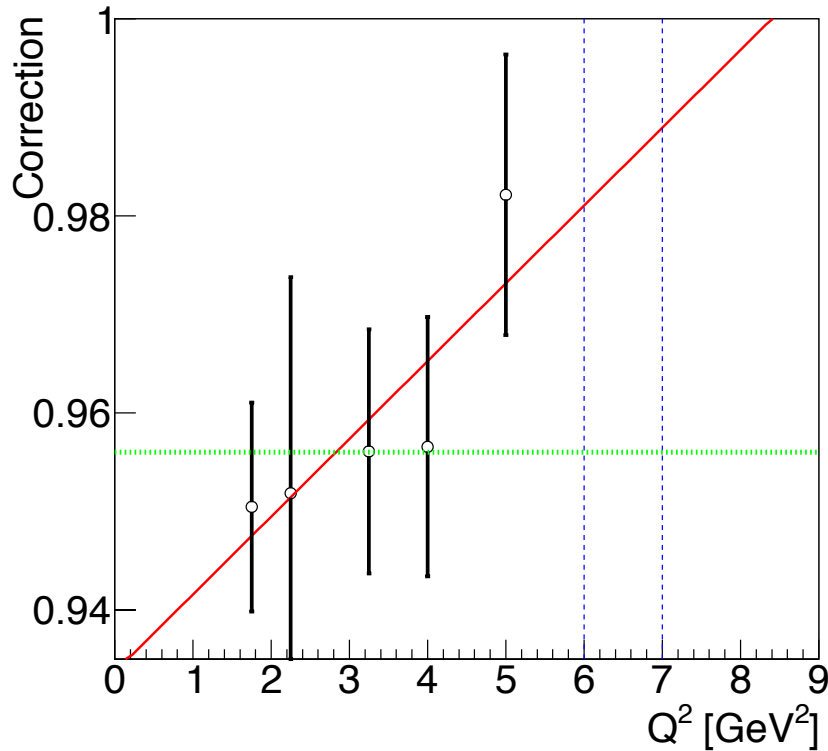
Increases the slope!

$$G_E \approx G_D$$

Direct extraction of the Ratio

Andivahis et al., PRD50, 5491 (1994)

$$\sigma_{\text{red}} = G_M^2 (R^2 \epsilon + \tau),$$



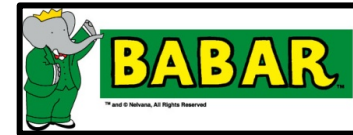
Conclusion - Discussion

- Large activity in Space and Time-like regions increase precision or extend q^2 range

Jefferson Lab

- Unified models in SL and TL

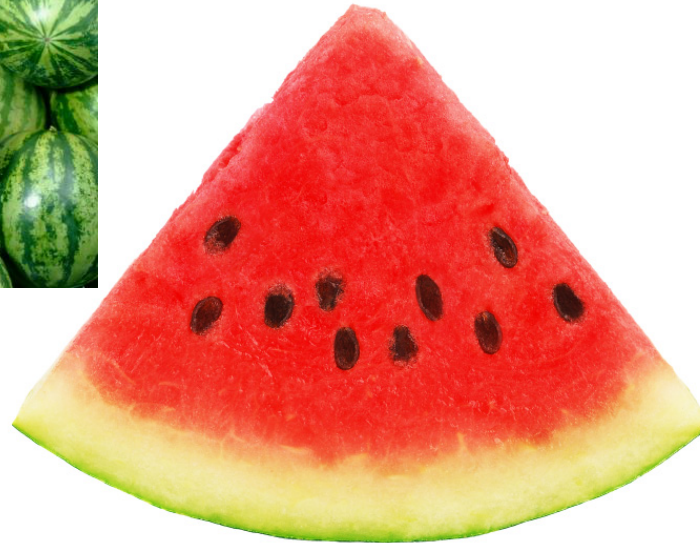
VEPP-3
Novosibirsk



To explore:

- Neutron/proton EM structure: FFs contain essential information in SL and TL
- Effect of deviation of both GE and GM from dipole
- If problems were not in observables... but in derivatives?

Distribution of the Proton Charge



Oscillations : regular pattern in P_{Lab}

The relevance of motion of

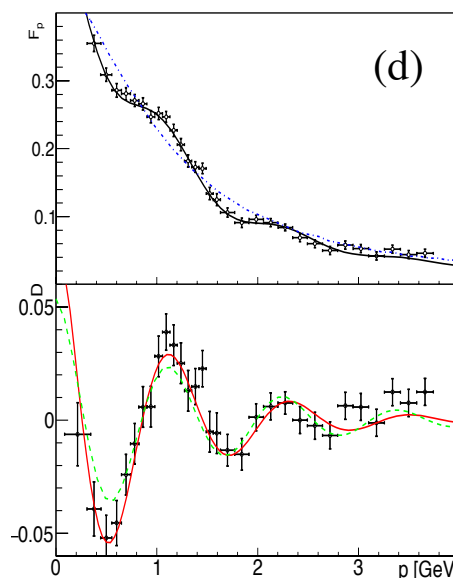
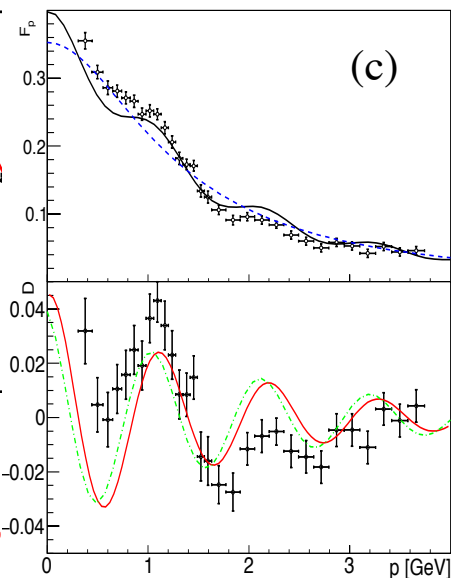
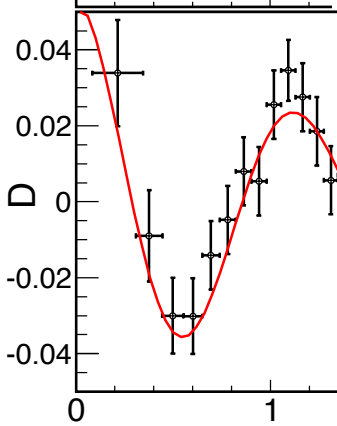
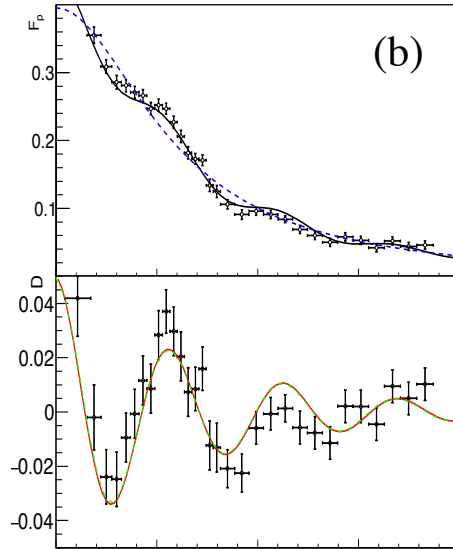
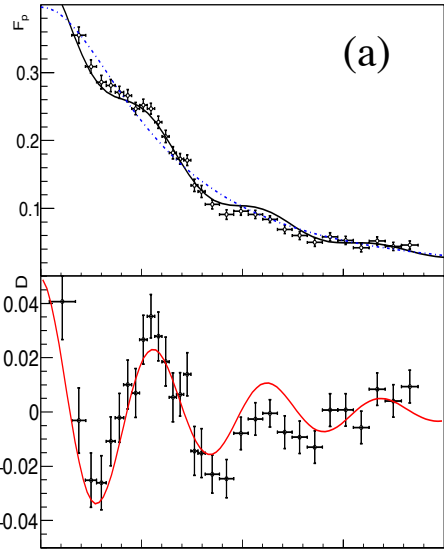
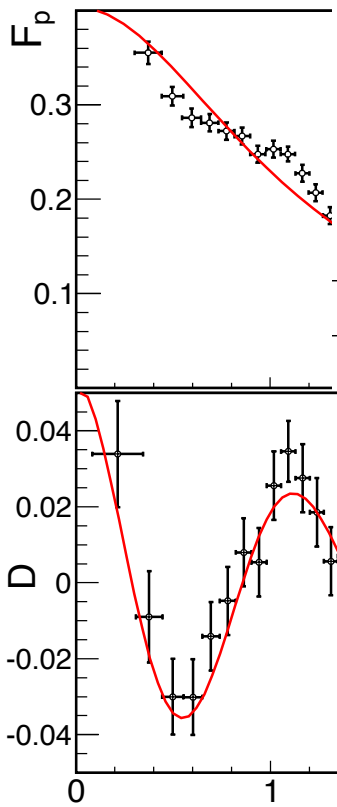
the relative

$$\exp(-Bp) \cos(Cp + D)$$

$C \pm \Delta C$	$D \pm \Delta D$	$\chi^2/n.d.f$
5.5 ± 0.2	0.03 ± 0.3	1.2

on B: damping
D=0: maximum at p=0

ory behaviour
of coherent sources



A. Bianco