

MUonE

small exercise to extract  $\Delta a_\mu^{\text{LO}}$

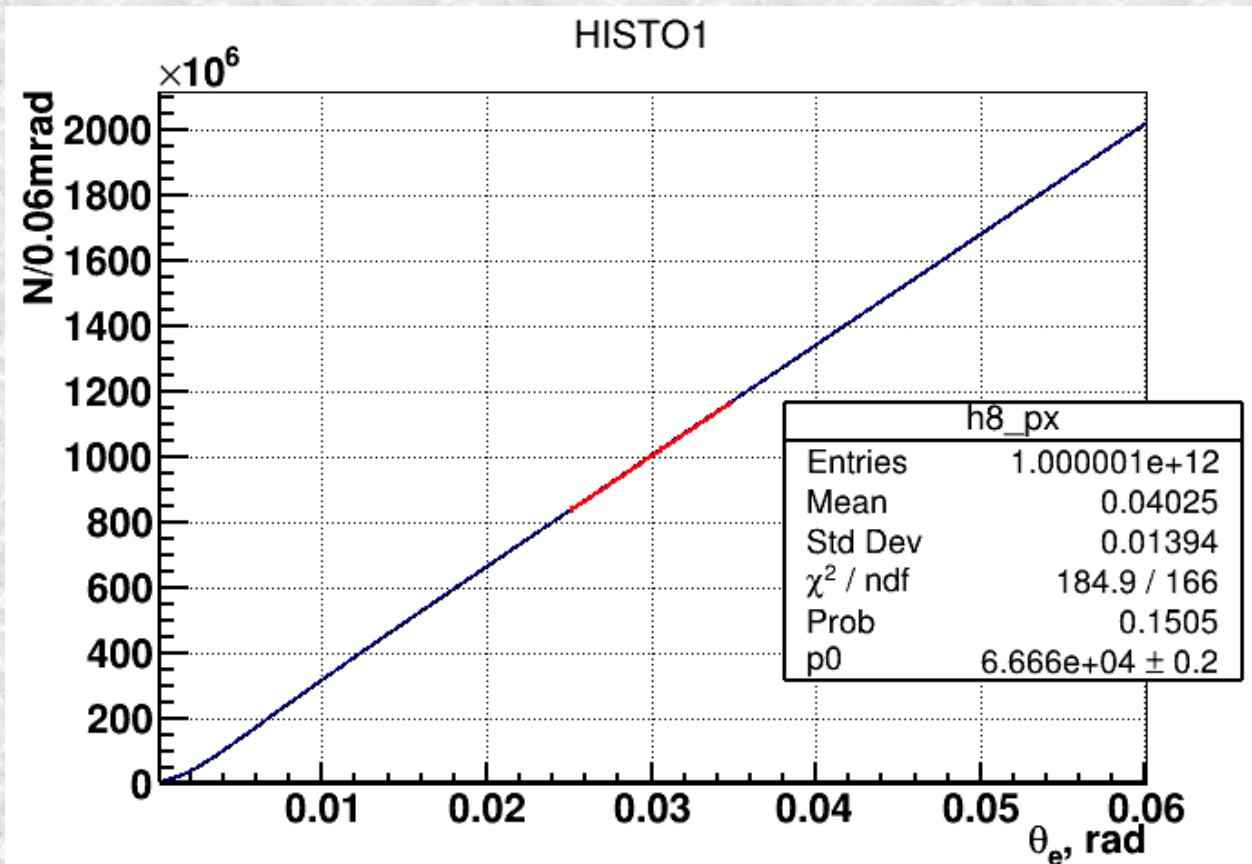
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# Spectra

Spectra provided by Graziano



$$E_{\text{beam}} = 150 \text{ GeV}$$

$$N = 1 \times 10^{12} \text{ for } \theta_e < 60 \text{ mrad}$$

**1/13.3** of full statistic with  
 $L = 1.5 \times 10^7 \text{ nb}$

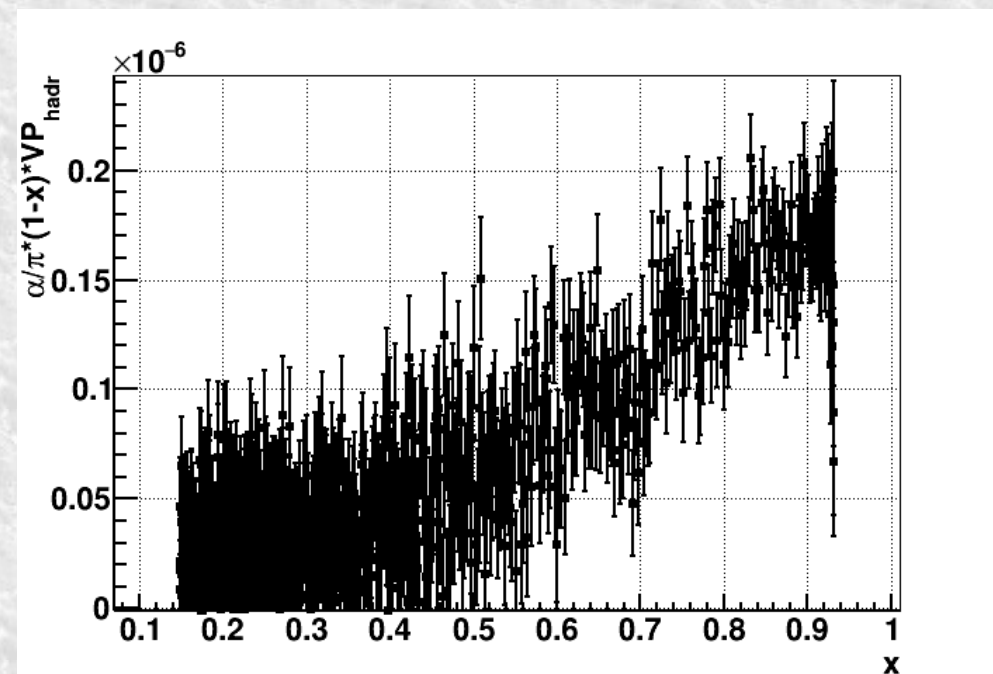
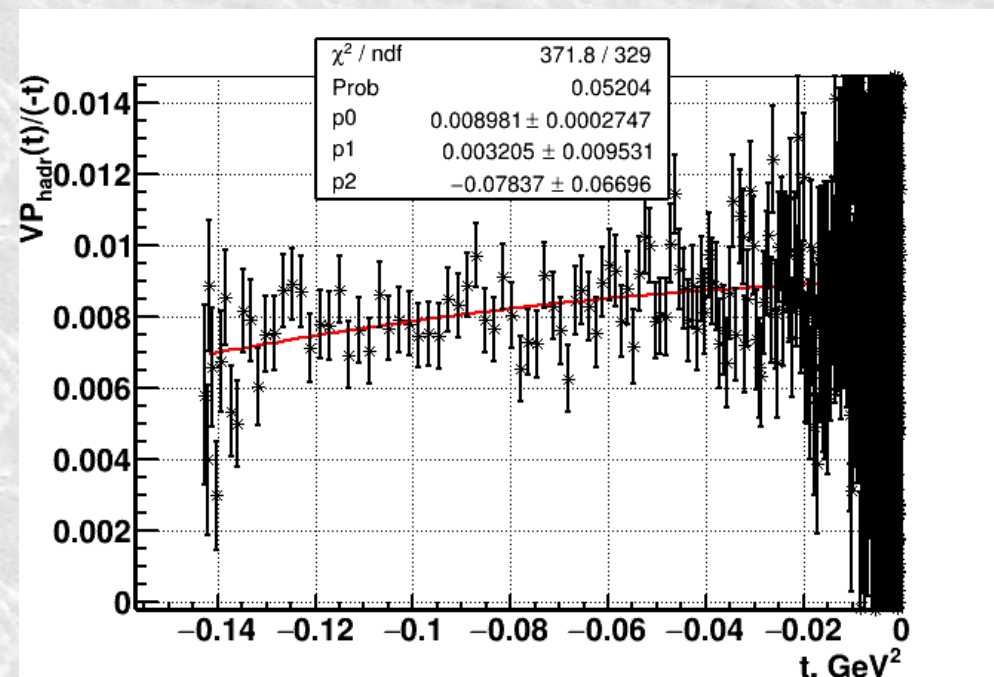
No any smearing (only LO + VP)

**Very simplified attempt:**  
values on bin center (should be  
integral over bin),  
not accurate on first and last  
bin of integration

Fit in 25-35 mrad with  $A \cdot d\sigma^{\text{LO}}/d\theta / |1 - P_{\text{lept}}(\tau) - P_{\text{hadr}}(\tau)|^2$

$P_{\text{hadr}}(\tau)$  - taken from data fit itself iteratively

# VP hadr



$$P_{\text{hadr}}(t) = 1 - \sqrt{[(A^* d\sigma^{\text{LO}}/d\theta)/(dN/d\theta)] - P_{\text{lept}}(t)}$$

Fitted with 2<sup>nd</sup> polynomial in

$\Theta = 0-20$  mrad

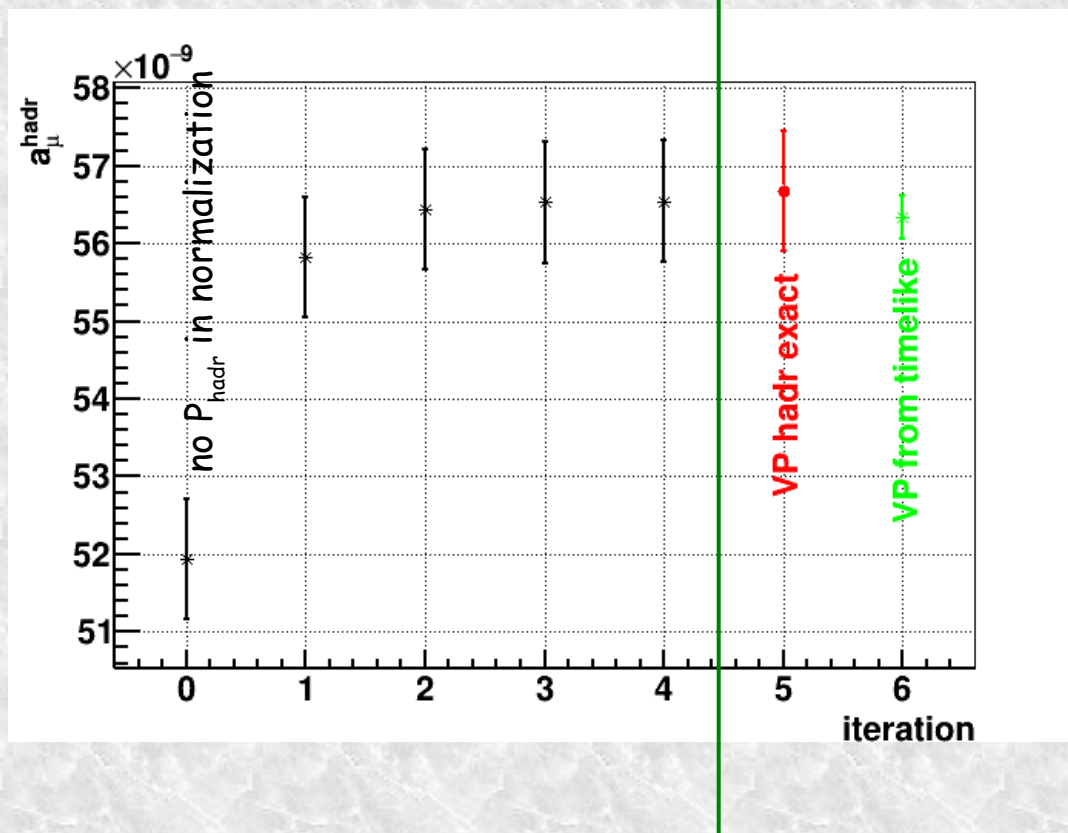
$t = -0.142564 - -0.00256365 \text{ GeV}^2$

$X = 0.931984 - 0.377952$

Integral to  $\Delta a_{\mu}^{\text{LO}}$  by trapezoidal  
summing over points

This function used in normalization region

$$\Delta a_{\mu}^{LO}$$



$$X = 0.377952 - 0.931984$$

From timelike data:

$$\Delta a_{\mu}^{LO} = 563.4 \pm 2.8 \times 10^{-10}$$

Integral After last iteration:

$$565.5 \pm 7.8 \times 10^{-10}$$

Precision 1.37%

Compatible with 0.4%

Last iteration is compatible with  
when used timelike  $P_{hadr}(t)$  in normalization