



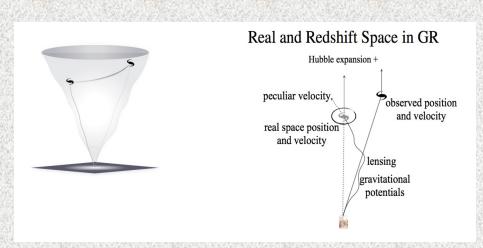
Una manera de hacer Europa





AYA2015-66211-C2-2P MINECO FEDER, EU

### Relativistic corrections in angular galaxy – ISW cross-correlations



Raccanelli et al. 2011

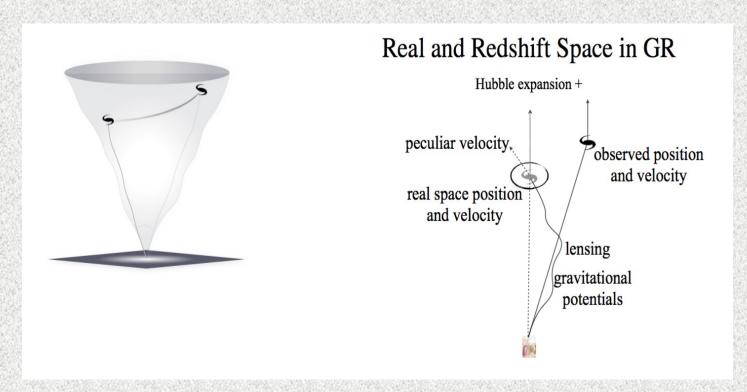
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[CEFCA]

- I will be showing results with my post-Newtonian approximation to the problem: qualitatively they seem to coincide with full, relativistic corrections, but we have not yet performed a detailed comparison from the quantitative point of view.
- The angular power spectra will be computed as an integral over Fourier modes of transfer functions of increasing complexity:

$$C_l = \frac{2}{\pi} \int dk \, k^2 P_m(k) |\Delta_l^X(k)|^2$$



Raccanelli et al. 2011

Our starting point will be the real-space density fluctuations:

$$\Delta_l^{\rm RS}(k) = \int d\eta \, \eta^2 \bar{n}(\eta) b(k,\eta) \mathcal{D}_{\delta}(\eta) \, j_l(k\eta) / n_{\rm ang}$$

 The first correction is due to the peculiar motion of sources, that impacts their observed redshift (the so-called "velocity gradient" term):

$$\Delta_l^{\text{Doppler}}(k) = \int d\eta \, \eta^2 \frac{d\bar{n}(\eta)}{d\eta} \mathcal{D}_{vlos}(\eta) (1 + z[\eta]) \, j_l^{'}(k\eta) / (k \, n_{\text{ang}})$$

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 The next leading term is the modulation of the observed number of sources due to lensing induced by transversal gravitational potentials:

$$\Delta_l^{\text{Lensing}}(k) = -\int d\eta \, (2 - 5s) \, \frac{3\Omega_m \, H_0^2}{c^2} (1 + z[\eta]) \mathcal{D}_{\delta}(\eta) \Psi(\eta) j_l(k\eta) \frac{l(l+1)}{2 \, k^2}$$

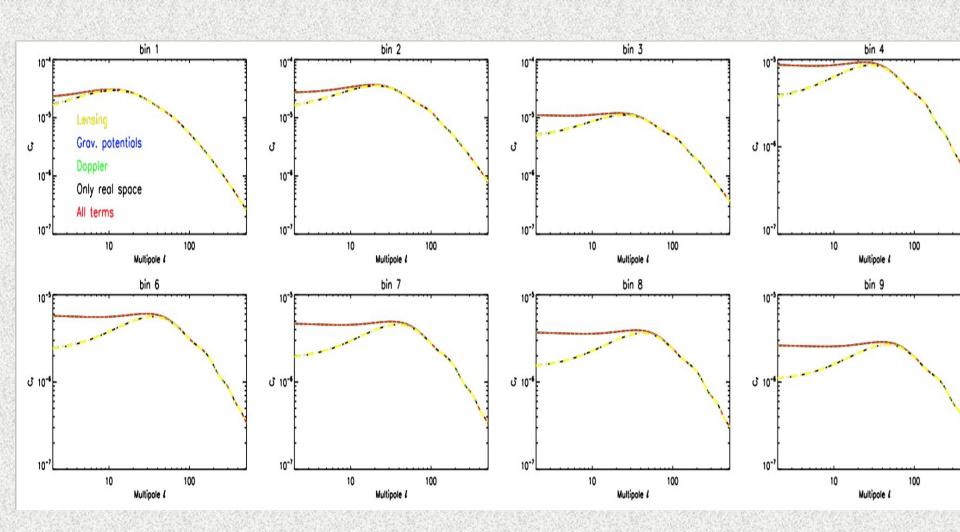
$$\Psi(\eta) = \int_{\eta}^{\eta_{lss}} d\xi \, \xi^2 rac{ar{n}(\xi)}{n_{
m ang}} rac{\xi - \eta}{\xi \eta}.$$

 Finally, one has to account also for the impact, on the observed source's redshift, of the local and LOS-integrated gravitational potentials:

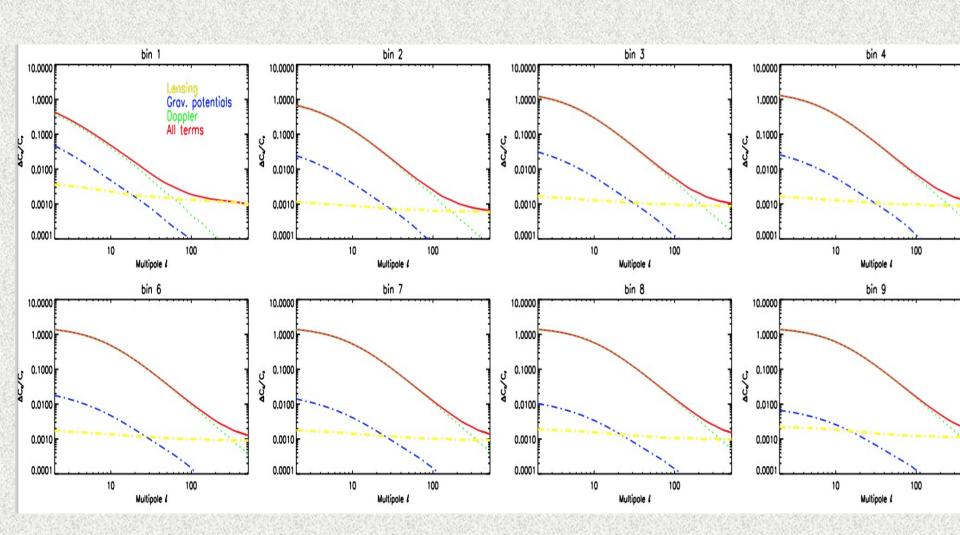
$$\Delta_l^{\text{Grav.pot.}}(k) = \int d\eta \, \eta^2 \frac{d\bar{n}(\eta)}{d\eta} \left( -\frac{3\Omega_m}{2c^2} (1 + z[\eta]) \mathcal{D}_{\delta} + \Phi_{ISW}(\eta) \right) j_l(k\eta) / (k^2 \, n_{\text{ang}})$$

$$\Phi_{ISW}(\eta) = -\int_0^{\eta} d\xi \, \frac{3\Omega_m}{c^2} (1 + z[\xi]) \mathcal{D}_{\delta}(\xi) \times \left(\frac{1}{1 + z[\xi]} + \frac{d \log \mathcal{D}_{\delta}}{dz}\right) \frac{c}{H(\xi)}$$

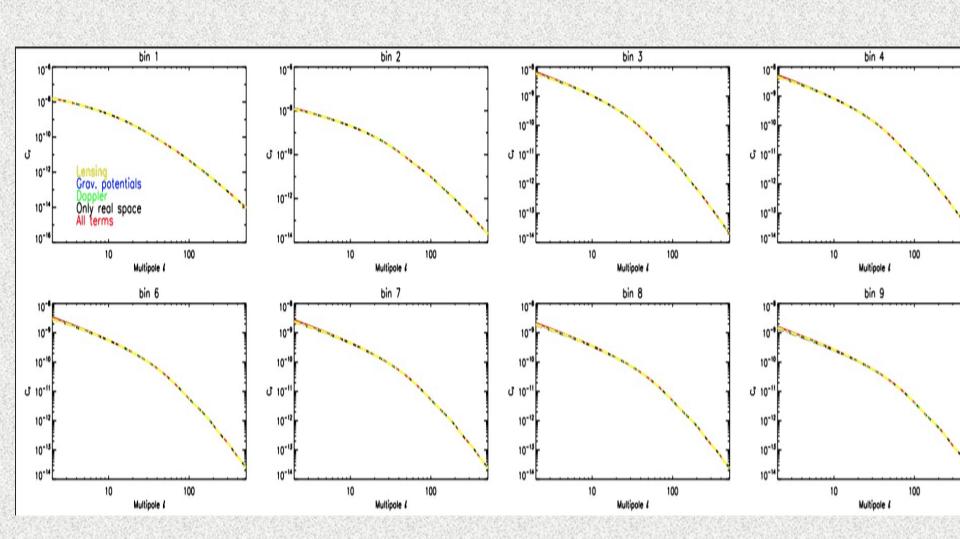
#### **Corrections to GG AUTO spectra**



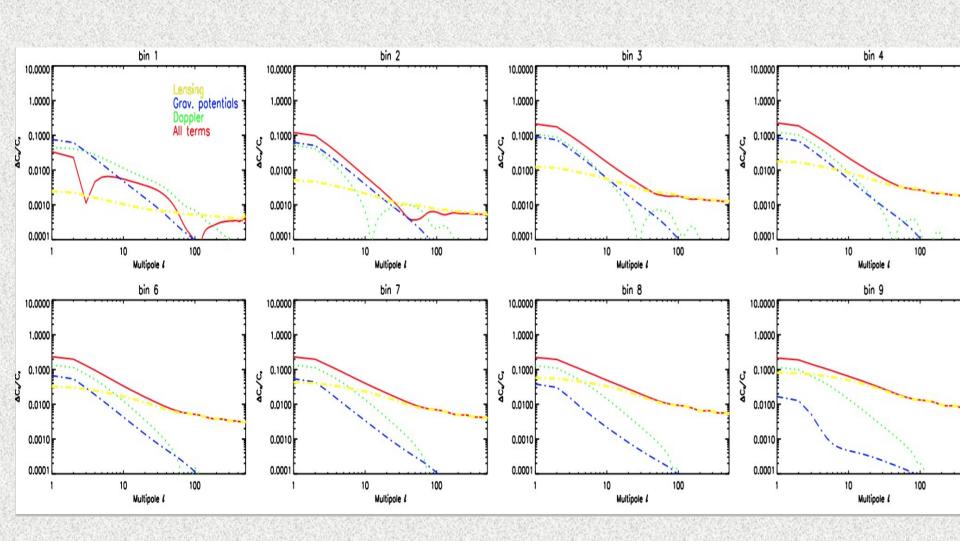
#### **Corrections to GG AUTO spectra**



#### **Corrections to TG CROSS spectra**

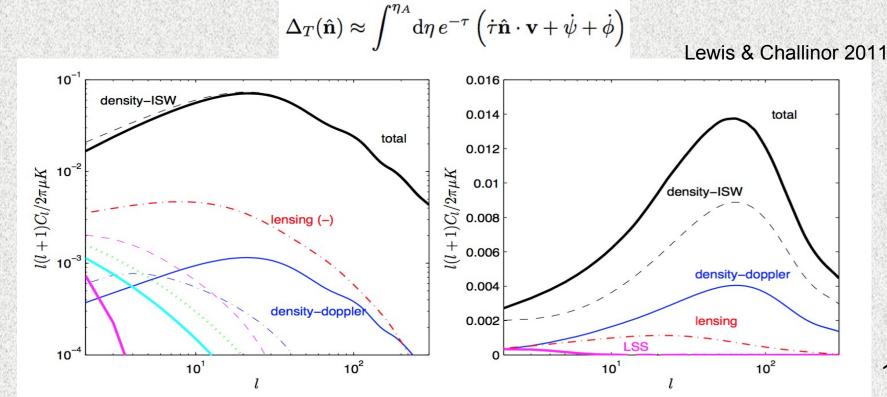


#### **Corrections to TG CROSS spectra**



# Extra contributions to CMB temperature anisotropies (on top of ISW ones):

 Doppler kSZ anisotropies from reionization and Sachs-Wolfe effect contribution from recombination (for high-z source populations):



### Extra contributions from CMB (on top of ISW) might be the cause for part of the differences in TG spectra of my code versus CAMB-based estimations ...

