High-momentum Correlated Nucleons, Tensor Blocking and Nuclear the Shell Structure

> Isao Tanihata IRCNPC, Beihang University and RCNP, Osaka University

> > Talk at NSD2019@Venice 2019. 1. 24

New Shell Structures observed in Neutron Rich Nuclei

- Why "doubly magic" ¹⁰He and ²⁸O are not bound yet ⁴⁸Ca is doubly mogic?
- How are new magic numbers *N*=6, 14, 16, 32, 34 made?
- Why magic numbers N=8 and N=20 disappear in neutron rich nuclei?
- Why the neutron dripline suddenly extend very much in F isotopes?
- Can we understand peculiar configurations of ¹¹Li, ¹¹Be, ¹²Be consistently?

Pion exchange interactions

- 80% of attraction comes from pions.
 - R. B. Wiringa: Ann. Rev. Nucl. Part. Sci.51(2001)

Pion exchange interaction



The most important configuration for tensor interaction



Highest spin orbital (*j*>) in a major shell is not used for the tensor interaction. An example is 1p_{3/2} orbital in ⁴He and deuteron.

⁴He: $1p_{1/2}$ $1p_{1/2}$ $1p_{3/2}$ $1s_{1/2}$ p p n $1p_{1/2}$ $1p_{1/2}$ $1p_{1/2}$ $1p_{1/2}$ $1p_{1/2}$ $1p_{3/2}$ $1s_{1/2}$ p n n -10%

Nuclear Saturation by Tensor Blocking

Blocking and Opening occurs simultaneously and keep the binding per nucleon to be almost constant.



High-momentum nucleons?

 Those are observed in the ground state of ¹⁶O by (p,n) and (p,pd) reactions at RCNP.

see

- H.-J. Ong et al., Phys. Lett. B 725, 277-281 (2013)
- S. Terashima et. al., Phys. Rev. Lett. 121, 242501 (2018)

High momentum nucleons (~2 fm⁻¹) are observed in the ground state of ¹⁶O.
High-momentum nucleons comes from (*T*=0, *S*=1) correlated pairs.

Tensor Optimized Shell Model (TOSM)

Myo, Toki, Ikeda, Kato, Sugimoto, PTP 117 (2006)

0p-0h + 2p-2h

 $\Phi(^{4}\text{He}) = \Sigma_{i} C_{i} \psi_{i}(\{b_{\alpha}\}) = C_{1} (0s)^{4} + C_{2} (0s)^{2} (\overline{0p_{1/2}})^{2} + \cdots$

size parameter: $b_{0s} \neq b_{\overline{0p}}$

Energy variation

$$H = \sum_{i=1}^{A} t_{i} - T_{G} + \sum_{i < j}^{A} v_{ij}, \quad v_{ij} = v_{ij}^{C} + v_{ij}^{T} + v_{ij}^{LS} + v_{ij}^{Clmb},$$

$$\delta \frac{\langle \Phi | H | \Phi \rangle}{\langle \Phi | \Phi \rangle} = 0 \quad \Rightarrow \quad \frac{\partial \langle H - E \rangle}{\partial b_{\alpha}} = 0, \quad \frac{\partial \langle H - E \rangle}{\partial C_{i}} = 0.$$

TOSM results for light nuclei



What is the difference between stable and neutron rich nuclei?





Tensor Blocking Shell Model

- Use spirit of TOSM (include 2p-2h configurations as base wave function so that tensor force is treated properly).
- Treat only *∆l*=1 orbital separately. All light nuclei so far fills only up to *∆l*=1 orbitals.
- Higher excitations *∆l*≥2 is treated in Q-space and consider only to give mean field potential.

Tensor Blocking in Shell Model

$$H = T + V_C + V_T$$

$$\Psi = \Psi_{sa} + \Psi_{2p-2a}$$

 ψ_{sh} only low momentum ψ_{2p-2h} includes high-momentum

Potential energy $\langle \Psi | V_{c} + V_{T} | \Psi \rangle = \langle \Psi_{sh} | V_{c} | \Psi_{sh} \rangle + \langle \Psi_{sh} | V_{T} | \Psi_{sh} \rangle - + \langle \Psi_{2p-2h} | V | \Psi_{2p-2h} \rangle$

Usual shell model

 $\Delta l=1$ gives 5~8 MeV additional energy in the binding.

$$H_{sp} = \sum_{i,j} v_{ij}$$
$$= V_{sy} + \sum_{i,j} \bar{v}_{i,j}$$

mean field potential and residual interactions

V_{mf}: includes tensor **V**_L: does not!

Treatment of Tensor Blocking

$$V = H - \mathbf{a} T^{i} = V_{c} + V_{T} + \mathbf{a} v_{c}^{ij} + \mathbf{a} v_{T}^{ij}$$

$$V_{sh} = V_{c} + V_{T}$$

$$V_{T} = V_{T1} - V_{T1}^{0} + (V_{T1}^{0} + \mathbf{a} V_{T})$$

$$= + V_{T}^{0}$$

$$V_{T}^{0} : \text{ is the tensor potential energy for a closed shell.}$$

$$V_{T1} - V_{T1}^{0} : \text{ is the the tensor blocking energy for the } \Delta I = 1 \text{ shell}$$

 $\Delta l=1$ blocking energy is 5~8 MeV for an orbit.

Now it's become very simple

• Only two ingredients,

mean filed and ⊿l=1 tensor.

Orbitals in W-S potential and blocking of 2p-2h excitation (>5MeV)



Woods-Saxon potential parameters are from the book of Bohr and Mottelson. Calculations are made for A/Z=3 nuclei.

NSD2019@Venice 2019.01.25

Why doubly magic ¹⁰He and ²⁸O are not bound?



How are new magic numbers N=6,14,16,32,34 made?



energy gaps become more than factor of two larger due to the tensor blocking.

Why magic numbers N=8 and N=20 disappear in neutron-rich nuclei?



Originally a large gap but the tensor blocking effectively bring p_{1/2} much loosely bound and mixes with sd-shell. Blocking occurs for s_{1/2} until proton fills p_{1/2}.

Originally the energy gap is larger than ~4 MeV but the tensor blocking effectively bring d_{3/2} much loosely bound and mixes with fp-shell. For loosely bound nuclei not only f_{7/2} but also p_{3/2} comes closer. f_{7/2} has no blocking effect and p_{3/2} does not until proton fills d_{3/2}.

Why the neutron drip line suddenly extend very much in F isotopes?

• Tensor opening occurs in F and binding energy is back to normal.

Summary

- Effects of recently observed high-momentum pn pair are considered in relation to the nuclear structures.
- Importance of the tensor blocking that is significant in neutron rich nuclei are discussed.
- A new model of nuclei "Tensor Blocking Shell Model" is introduced and used to examine new behaviors of neutron rich nuclei.

Conclusion

- All new magic numbers appeared in neutron rich nuclei are consistently explained.
- Disappearance of traditional magic numbers and non binding of ⁸He and ²⁸O are explained.
- Sudden extension of dripline in F is understood.

Collaborators

- H. Toki, RCNP Osaka Univ., Osaka, Japan
- S. Terashima, IRCNPC Beihang Univ., Beijing, China
- H.-J. Ong, RCNP Osaka Univ., Osaka Japan

Thank you for your attention