Beam Gas background characterization in the IR of FCC-ee

(mostly study of Inelastic Beam Gas for FCCee Z 45.6GeV/beam in this presentation)



O. BLANCO, on behalf of : M. BOSCOLO, H. BURKHARDT F. COLLAMATI, M. LUCKHOF

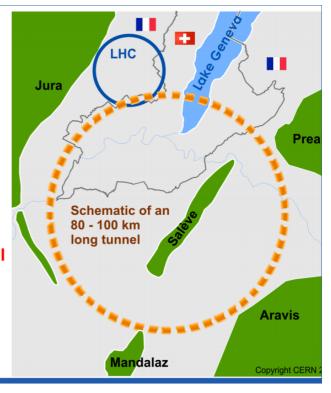
RD_FA Collaboration Meeting 2018/July/05

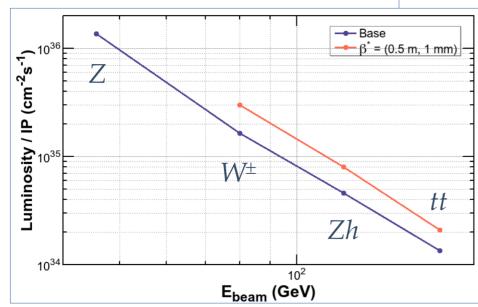
FCC-ee, the machine

- A 100km tunnel in the CERN area,
- thought to be used for pp collision,
 and as a first stage e+e- collisions,
- At 4 different center of mass energies

International FCC collaboration (CERN as host lab) to study:

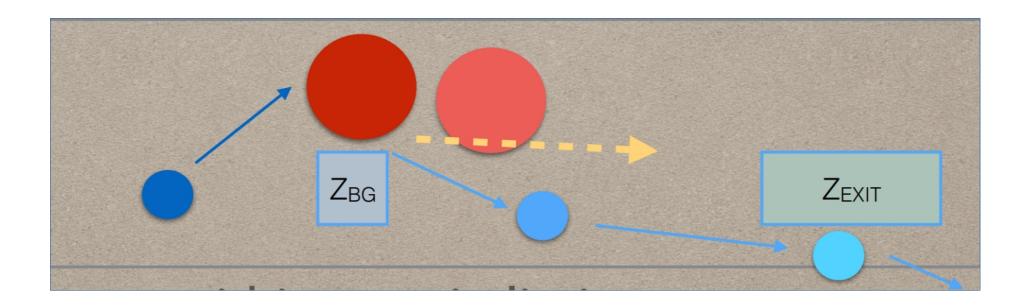
- pp-collider (FCC-hh)
 → main emphasis, defining infrastructure requirements
- ~16 T \Rightarrow 100 TeV pp in 100 km
- 80-100 km infrastructure in Geneva area
- e⁺e⁻ collider (FCC-ee) as potential intermediate step / as a possible first step
- p-e (FCC-he) option, HE-LHC ...





the **BEAM GAS** background study

Gas in the beam pipe from the initial atmosphera (N2, O2, CO2, ...), or from desorption of the material in the beam pipe surface (H2, CO, CH4, ...) Interact with the beam



There are two main criteria to evaluate this process:

- → Beam life time
- → Background in the experiment

DAFNE Tech Note V-3. Vaccarezza, 1991/JUL/08

"Preliminary Study for the Choice of the DAFNE Vacuum Chamber Material".

the BEAM GAS scattering Cross sections

Inelastic

e- losses energy in the interaction and is lost because of energy acceptance

$$\sigma(Z,\epsilon)$$

Cross section depends on:

Z, the atomic number

ε, the energy acceptance of the machine

Elastic

e- is kicked out of its trajectory and is lost because of large oscillation

$$\sigma(Z,\gamma,\langle\beta\rangle,a)$$

Cross section depends on:

Z, the atomic number

γ, the relativistic factor

 $\langle \beta \rangle$, the average beta

a, the beam pipe aperture

Beam Gas Cross Section

for part of the ring

Equations give an estimate of the importance (order of magnitud) of the phenomena, mostly valid in the arcs.

However a detailed analisis requires a simulation, usually Monte Carlo.

Lattice Section	Gas	Elastic [barn]	Inelastic [barn]
		(Z, γ, <β>, aperture)	(Ζ, ε)
Arc	H2	0.0002 From Le Duff	0.3 Burkhardt
Arc	N2	0.04 From Le Duff	9.4 Burkhardt
MDI	H2	0.2 New formula	- Difficult to estimate (ε?)
MDI	N2	20 New formula	- Difficult to estimate (ε?)

WE SIMULATE INELASTIC SCATTERING IN

← THE ARC (benchmark)

← AND THE MDI OUR GOAL

WHAT WE DO WITH MDISim

We interfase: <u>optics</u> (MAD-X), with <u>geometry</u> (.gdml) to perform <u>Monte Carlo simulations</u> (in Geant4)

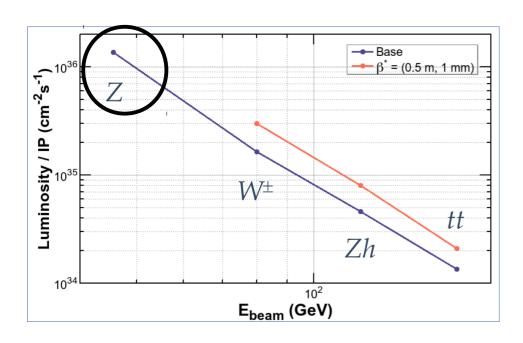
First results of Inelastic Beam-gas scattering latest optics

→ Loss map and loss rates are obtained.

Results for:

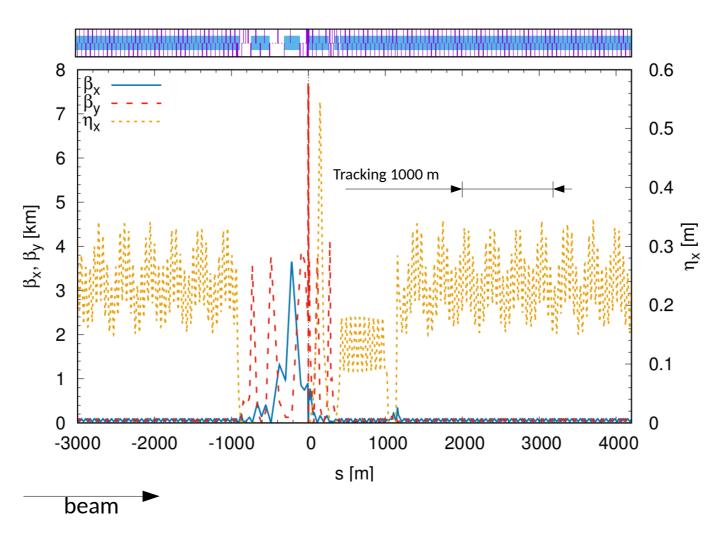
IR and arc at the 4 energies (Z, H, W, t) I am showing plots for the Z

Z 45.6GeV/beam arc



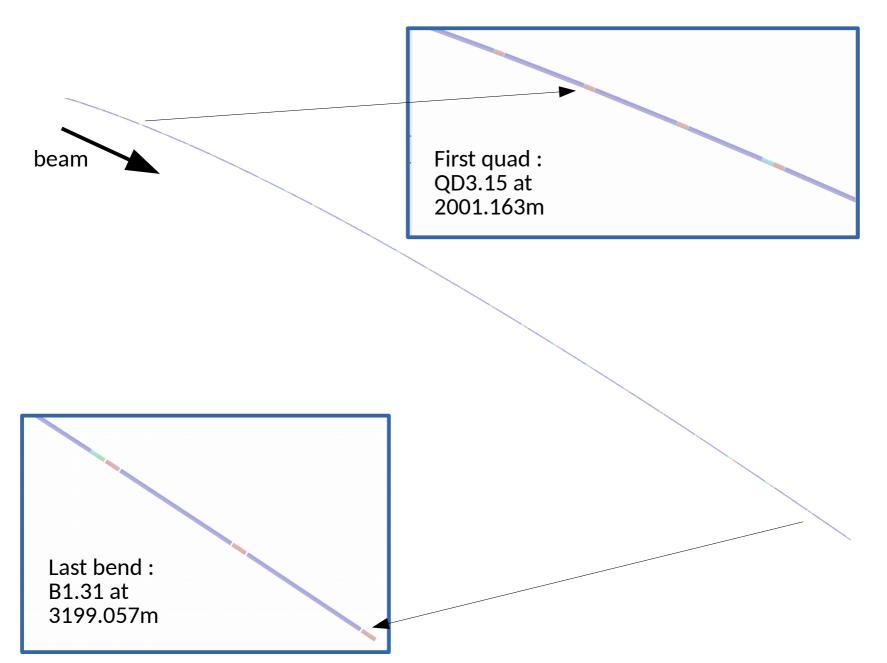
FCCee arc Z 45.6GeV/beam

Lattice: FCCee_z_213_nosol_4.seq (ZOOM)



Constant aperture: 35mm

FCCee Z geometry scalexy 50: (scalexy 1 is not displayed correctly, but IS used for the tracking studies) Tracking starts at 2000m and ends at 3200m = 1200 m in total



WHAT IS THE PARTICLE LOSS RATE IN THE ARC?

At 45.6GeV/beam: Npart = 1.7e11

Nbunches = 16640

With an energy acc. of 2% and pressure of 10⁻⁹ mbar

Scattering Rate/m/beam
Expected Simulation

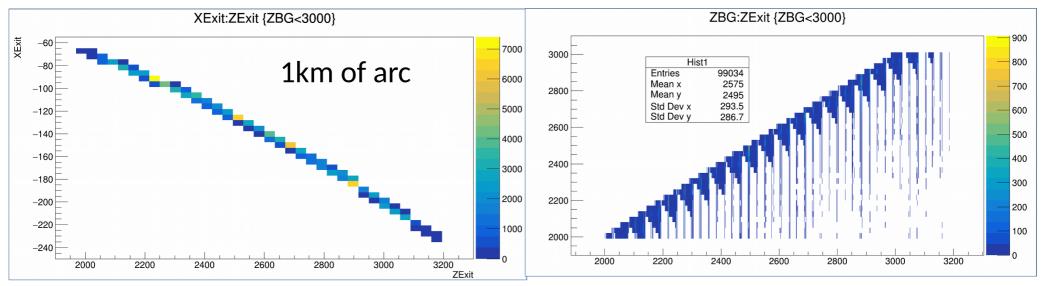
H2: 0.328 barn 6.7 KHz 6.2 KHz

N2: 9.386 barn 192.3 KHz 189.1 KHz

As reference τ =100h \rightarrow Scattering Rate = 78.6 Khz/m/beam

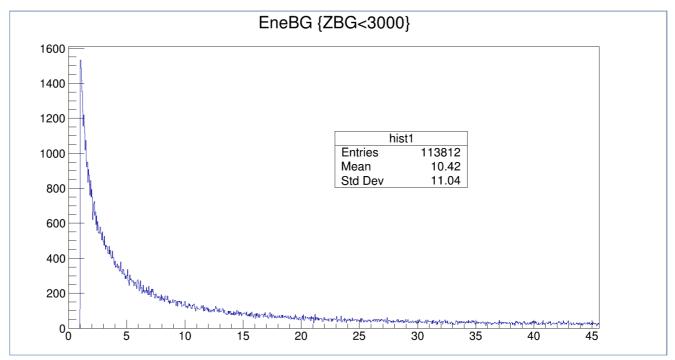
At 10⁻⁹ mbar of gas pressure we have low scattering rate and good agreement between simulation and analytical estimation

Beam gas particles generated in the arc are lost very soon, in the arc dipoles 100m~200m after interaction



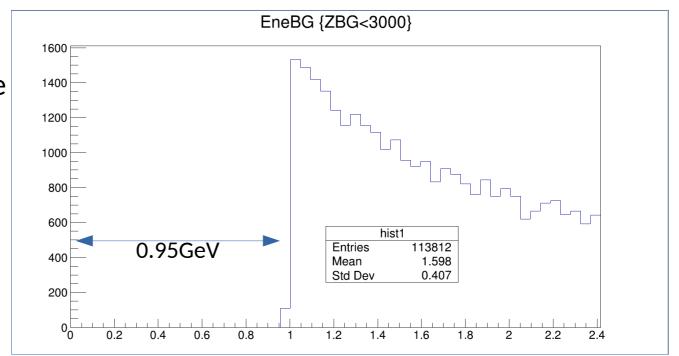
ENERGY EXCHANGE BETWEEN e- and gas?

Energy loss In the Beam Gas event:



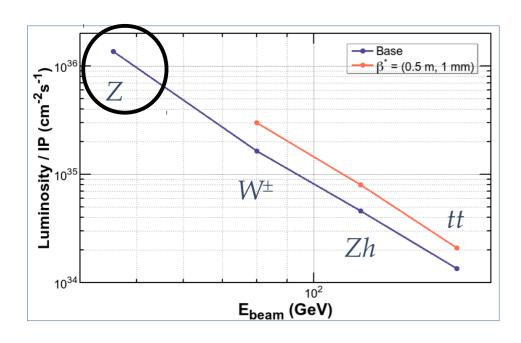
Particles loosing less Than 0.95GeV continue In the beam

Energy acceptance 0.95GeV, i.e. 0.95/45.6 = 2.1%



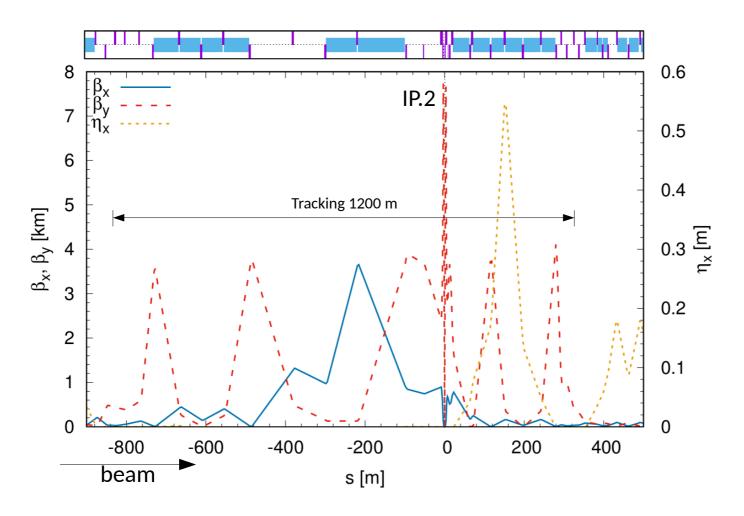
Z 45.6GeV/beam MDI Region

at all energies the scattering distribution is similar, BUT, rates differ

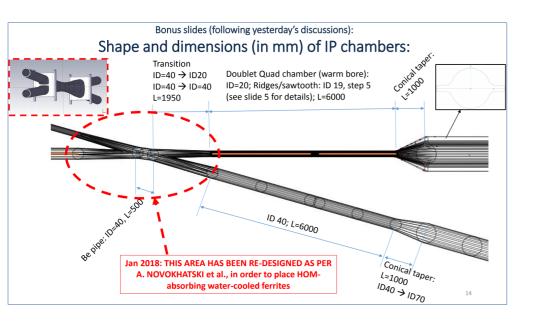


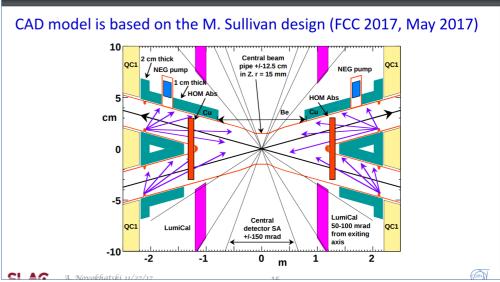
FCCee Z 45.6GeV/beam

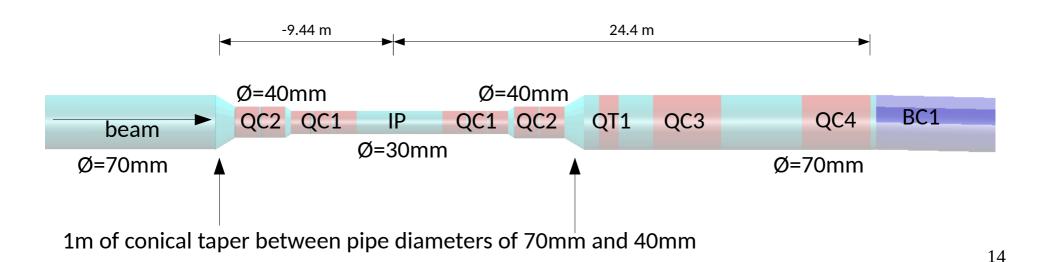
Lattice: FCCee_z_213_nosol_18.seq (ZOOM)



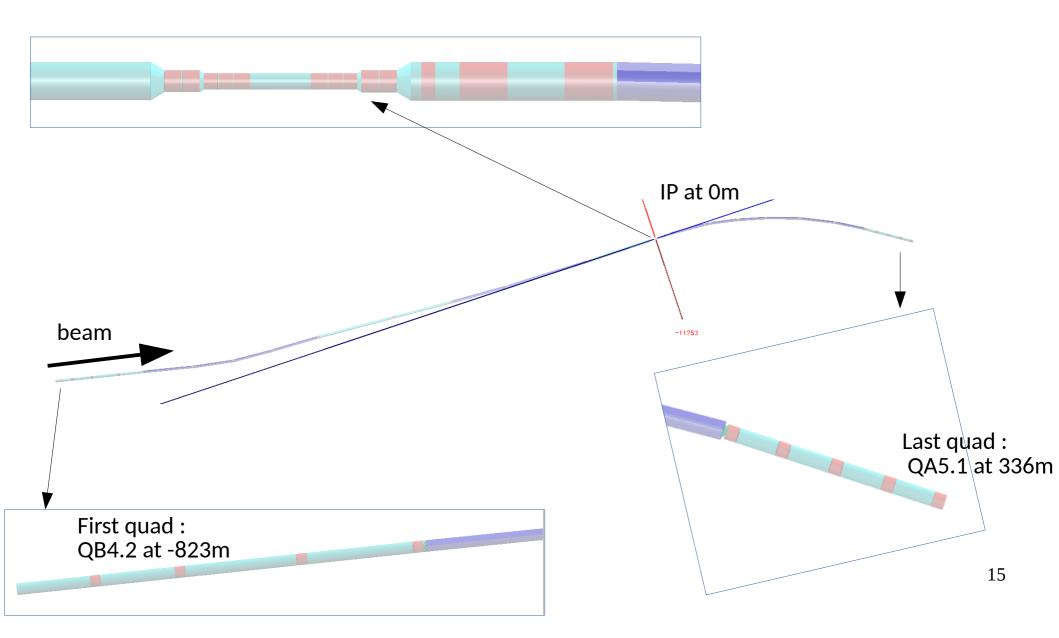
We consider to study from s=-830m to s=370m



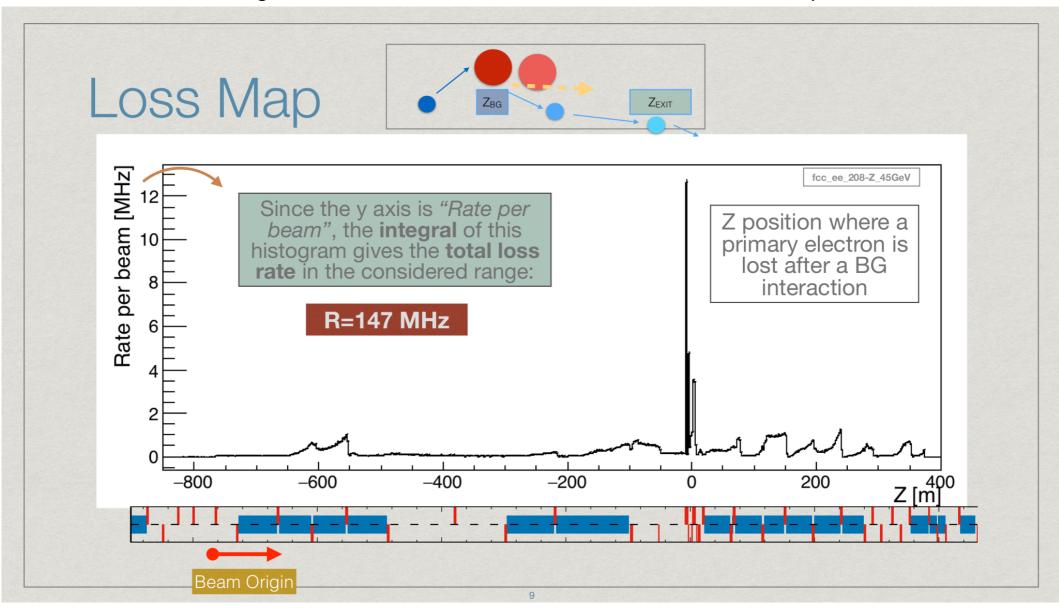


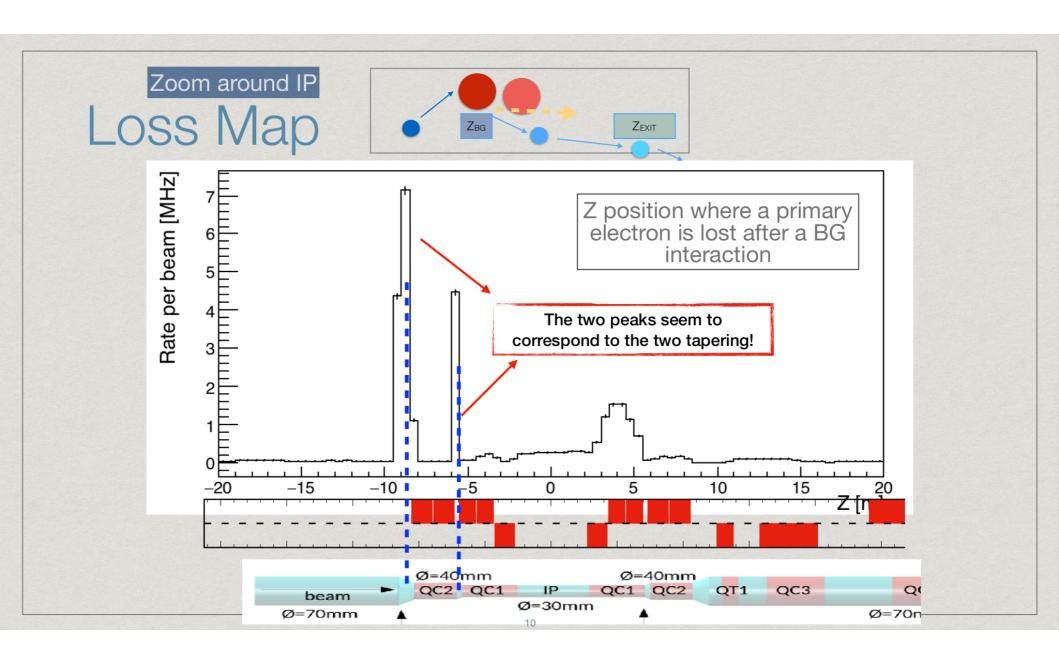


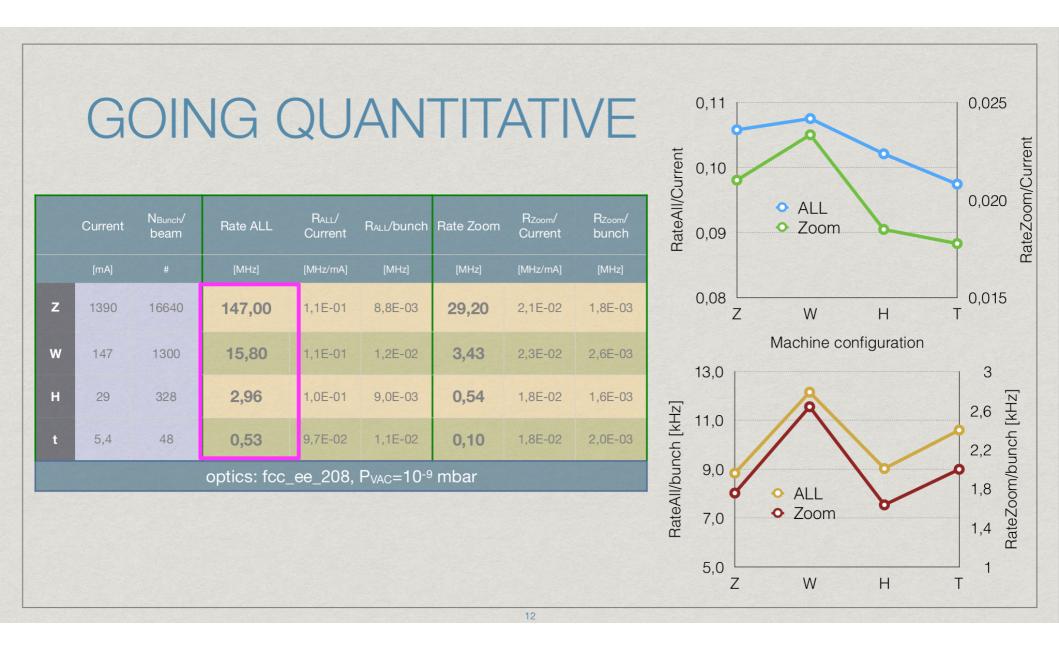
FCCee Z geometry scalexy 50: (scalexy 1 is not displayed correctly, but IS used for the tracking studies) Tracking starts at -830m and ends at 370m = 1200 m in total



As reference τ =100h \rightarrow Scattering Rate = 78.6 Mhz/km/beam Meaning that a beam life time on the order of tens of hours is expected

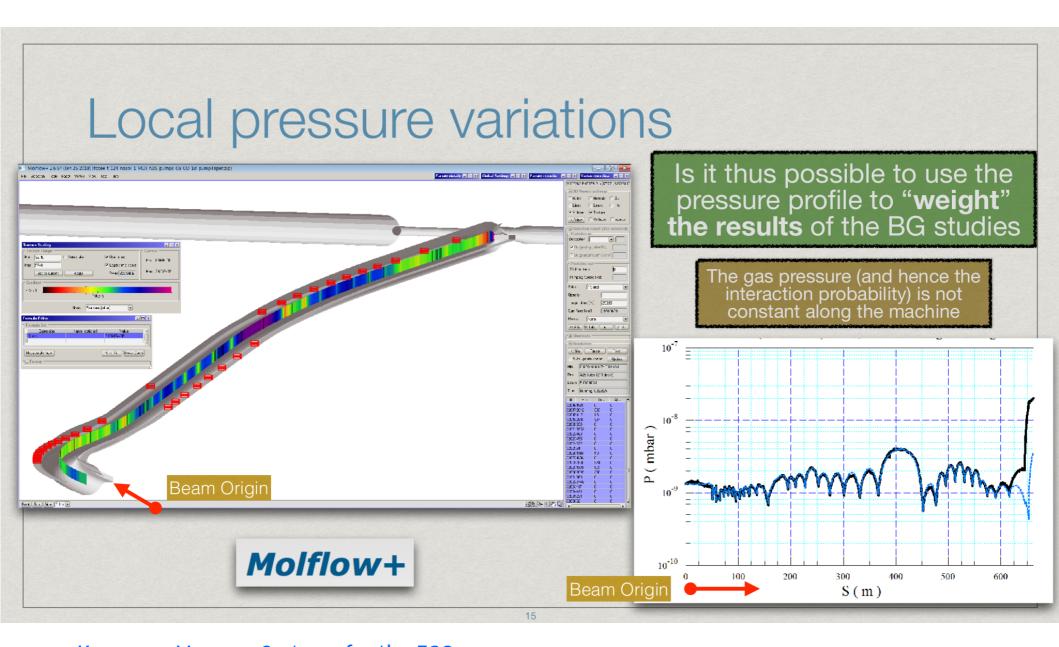




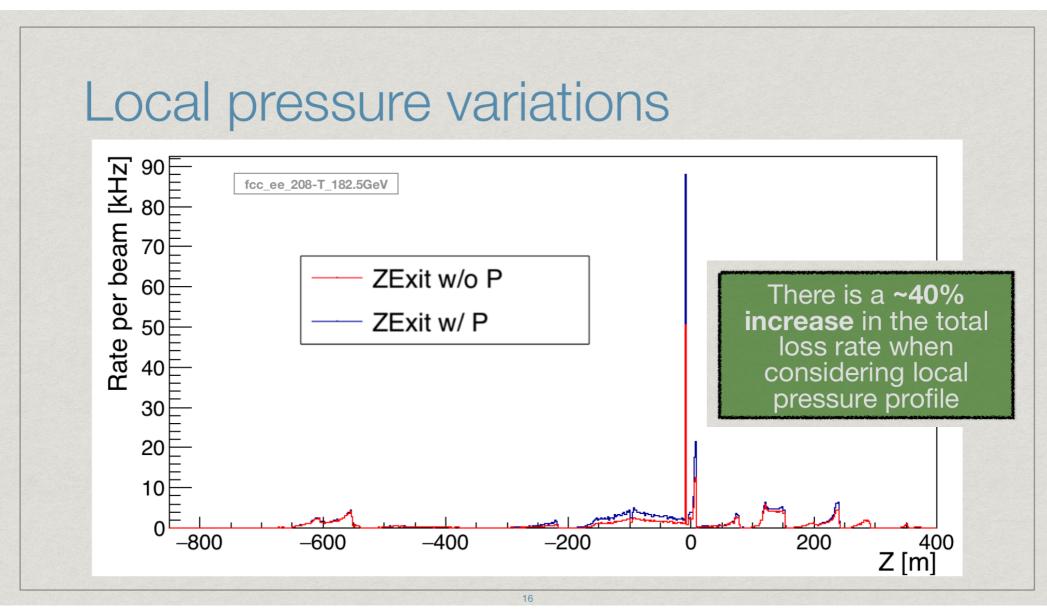


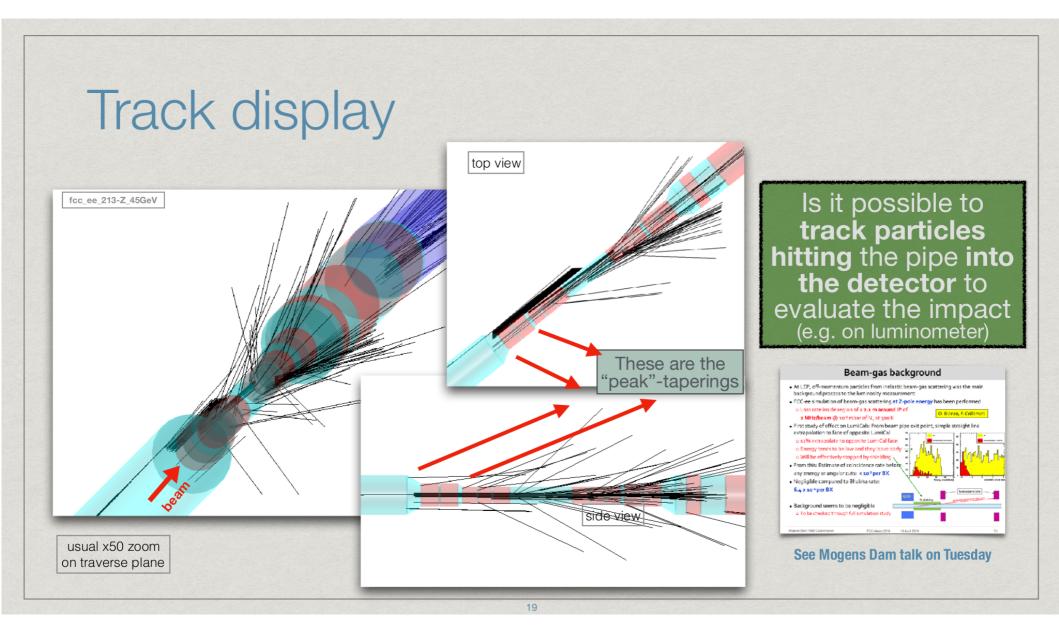
Local pressure variations

- Up to now, in the study it was assumed that the pressure is constant all over the beam pipe
- However, this is not the case:
 - In fact, we expect to have a **locally variating pressure** profile due to **gas desorption** caused by:
 - Interaction of SR photons with the beam pipe
 - Pump effect gradient due to pipe conductance
- It is possible to study this pressure profile using SynRad + MolFlow
- This study was performed @t (182.5GeV) configuration (expected worst case)



Kersevan, Vacuum Systems for the FCC-ee
7th Low Emittance Workshop, Jan-2018, CERN
https://indico.cern.ch/event/671745/contributions/2788843/attachments/
1582988/2502801/7thLowEmittanceWorkshop RKersevan Vacuum.pdf

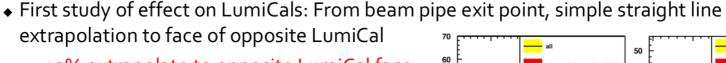




Beam-gas background

- At LEP, off-momentum particles from inelastic beam-gas scattering was the main background process to the luminosity measurement
- ◆ FCC-ee simulation of beam-gas scattering at Z-pole energy has been performed
 - $extbf{ iny}$ Loss rate inside region of $extbf{ iny}$ **2.1** m around IP of
 - 2 MHz/beam @ 10⁻⁹ mbar of N₂ at 300 K

O. Blanco, F. Collamati

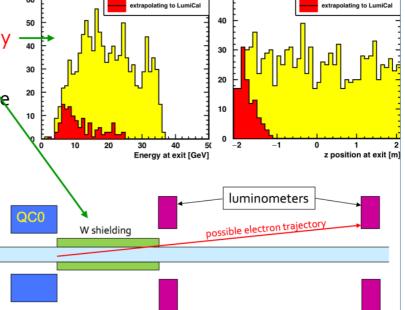


10 April 2018

- □ 12% extrapolate to opposite LumiCal face
- □ Energy tends to be low and they leave early -
- □ Will be effectively stopped by shielding ****
- ◆ From this: Estimate of coincidence rate before any energy or angular cuts: < 10⁻⁷ per BX
- Negligible compared to Bhabha rate:
 - 6.4 x 10⁻⁴ per BX

Mogens Dam / NBI Copenhagen

- Background seems to be negligible
 - □ To be checked through full simulation study



MEANING THAT 10⁻⁹ mbar shows to be OK for the experiment

FCC-Week 2018

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CONCLUSIONS

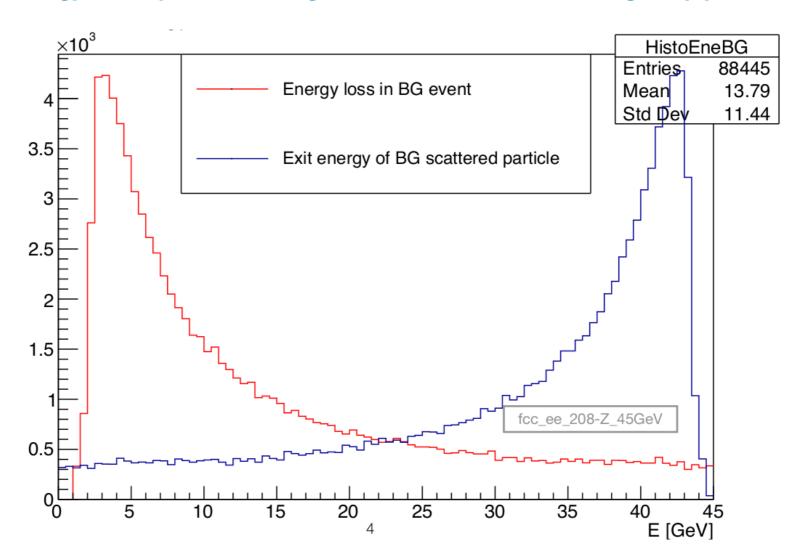
- We have initial studies of the beam gas background for the latest FCC-ee machine optics design
- It seems that the beam gas background is negligible at pressures in the beam pipe of the order of 10⁻⁹ mbar, which agrees with the current goals of the Vacuum Team.
- Detailed Loss maps and Loss rates for all 4 energy runs have been studied with MDISim, which results have been benchmarked against theory for the FCCee arc with very good agreement.
- The loss map indicates that collimation will be needed → THIS COULD BE ONE OF THE POSSIBLE CONTINUATIONS OF THIS WORK + UPDATES IN CASES WHEN OPTICS IS MODIFIED
- This work has been used as input for the Detertor Team and initial studies show that
 The background for the experiment from Beam Gas scattering seems negligible when
 compared to other backgrounds
- THIS RESULTS ARE USED AS INPUT FOR THE FCC-ee CDR, currently under edition.
- In addittion, in the future we could think to study other kinds of background (thermal photons has been mentioned as an option)

BACK UP

ENERGY OF THE LOST PARTICLES

Energy lost by the primary particle in the interaction with the gas molecule that led to particle loss

Energy of the particles that get lost due to BG when hitting the pipe



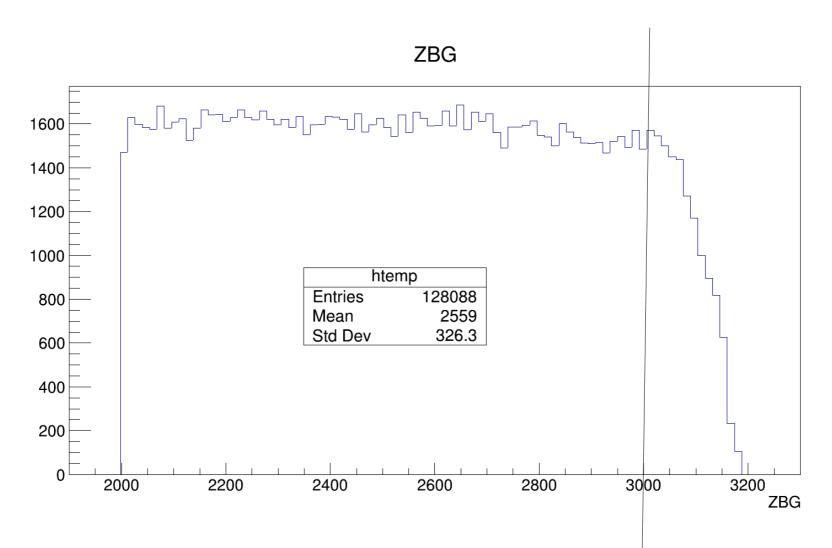
Lattices available in afs is X Initial studies have been done with the ones marked with X Latest lattice 213 for the t is now available

All these plots and numbers are available for all these optics/energies

	fcc_ee_208	fcc_ee_213
Z	X	X
W	X	X
Н	X	X
Т	X	

Z (Euclidean) is NOT equal to S (C-S coordinates)
ZBG is the location along Z where a Beam Gas Interaction occurs.

It looks pretty flat up to 3000m, I cut at 3000m For N:113812/1e7 = 1.13% are lost in 1km



WHAT IS THE LOSS RATE FROM BEAM GAS IN THE ARC?

As calculated by Francesco:

Neloss = NelossMC/NeprimMC . Nebunch . Nbunches . Preal/Pmc

For H the rate is 2.35 MHz per km of arc at 10⁻⁹ mbar

Neloss = 68724/1e7 . 1.7e11 . 16640 . 1e-9/24.8 = 0.783e3

Rate_eloss = Neloss/Trev = 18.1e3/0.333ms = 2.35 Mhz

For H2 the rate is 6.22 MHz per km of arc at 10⁻⁹ mbar

Neloss = 90764/1e7 . 1.7e11 . 16640 . 1e-9/12.4 = 2.070e3

Rate_eloss = Neloss/Trev = 18.1e3/0.333ms = 6.22 Mhz

For N the rate is 54.3 MHz per km of arc at 10⁻⁹ mbar

Neloss = 113812/1e7 . 1.7e11 . 16640 . 1e-9/1.78 = 18.1e3

Rate_eloss = Neloss/Trev = 18.1e3/0.333ms = 54.3 MHz

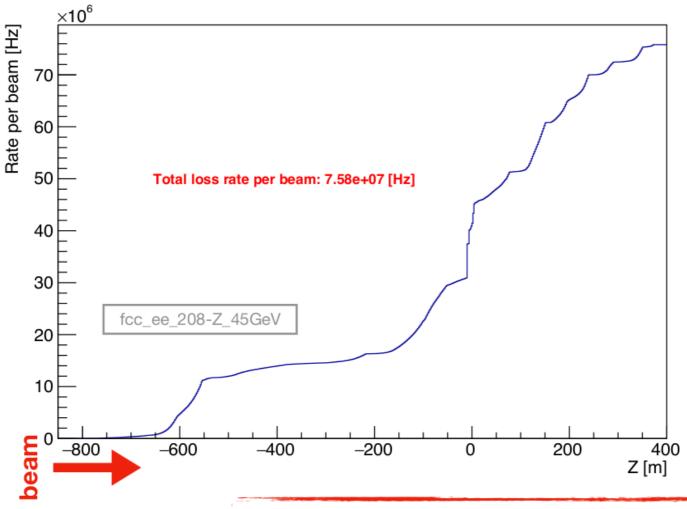
For N2 the rate is 189.1 MHz per km of arc at 10⁻⁹ mbar

Neloss = 99034/1e7 . 1.7e11 . 16640 . 1e-9/0.445 = 62.95e3

Rate_eloss = Neloss/Trev = 63.0e3/0.333ms = 189.1 MHz

THE PARTICLE LOSS IS NOT UNIFORMLY DISTRIBUTED

Cumulative distribution of losses



ELASTIC SCATTERING

Average cross section from average beta.

<u>J Le Duff. Current and current density limitations in existing electron storage rings</u> Laboratoire de l'accélérateur Linéaire, LAL, NIM in Physics Research A239 (1985) 83-101.

Average beta is invalid in the MDI region.

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J. Le Duff / Current and current density limitations

2.1.1. The elastic scattering on nuclei

Elastic scattering on nuclei leads to an angular kick for the betatron motion. If the induced amplitude exceeds the vacuum chamber aperture the particle gets lost. The total cross section for this process is [1]:

$$\sigma_{t1} = \frac{4r_{\rm e}^2 Z^2}{\gamma^2} \frac{\pi}{2} \left(\frac{\langle \beta \rangle}{a}\right)_z^2,$$

where

 r_e = the classical electron radius,

 γ = the normalized energy (E/m_0c^2) ,

Z = the atomic number for residual gas components,

 $\langle \beta \rangle$ = the average betatron envelope function,

a = the half chamber aperture,

and it is assumed that the loss will occur in the vertical plane (z direction).

In the case of a non-smooth optic and assuming the aperture limit a_0 is located at some azimuth where the envelope function is β_0 one should replace $(\langle \beta \rangle/a)^2$ by $\langle \beta \rangle \beta_0/a_0^2$ [2]. The elastic scattering effect goes up when the energy goes down.

References

- [1] J. Haïssinski, Thèse, Laboratoire de l'Accélérateur Linéaire, Orsay (1965).
- [2] H. Wiedemann, private communication.
- [3] A. Berthelot, Rayonnement de particules atomiques, électrons et photons (Masson, Paris, 1956).
- [4] F.F. Rieke and W. Prepejchal, Phys. Rev. A6 (4) (1972).
- [5] H. Bruck, Accélérateurs circulaires de particules (Presses Universitaires de France, 1966).

ELASTIC SCATTERING

MODIFIED EQUATION

Based on Section 4.1 Elastic Scattering. CAS CERN Accelerator School. Fifth General Accelerator Physics Course, Vol 1. Jan/21/1994. Geneva, Switzerland.

$$\bar{\sigma} = \frac{1}{\sum L_k} \frac{1}{\sum L_i} \frac{\tau_2 Z^2 r_e^2}{\gamma^2} \sum_k \sum_i L_k L_i \frac{\beta_k \beta_i}{H_i^2}; for k \neq i$$

Sigma = average cross section

k = index of element inside the considered region

i = index of element along the entire ring

Gamma = relativistic gamma factor

 $Tau_2 = 6.2832$

L = total accelerator length

L_k = length of kth-element in the chosen region

L_i = length of the ith-element in the entire accelerator

Z = atomic number

r_e = the classical electron radius

Beta_i, Beta_k = the vertical beta at the kth/ith-sm element

H_i = the aperture of the ith-element

INELASTIC SCATTERING

Theoretical cross section from H. Burkhardt.

M Brugger, H Burkhardt, and B Goddard. Interactions of Beams With Surroundings. Landolt-Boernstein, 21C:5-1 - 5-17, 2013.

eN scattering relevant for electron rings

The elastic cross section for eN scattering scales strongly with energy (with $1/\gamma^2$) and scattering angle $1/\theta^4$. Elastic scattering is mostly relevant as halo production process for lower energy rings and becomes negligible for lifetime estimates for high energy electron rings.

At high energy, the dominating beam-gas process for electron rings is the inelastic scattering or bremsstrahlung in which the incident electron interacts with the field of the residual gas nucleus and radiates a photon.

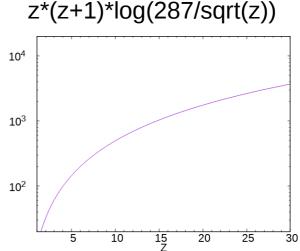
The high energy cross section for eN scattering can be written in good approximation in dependently of the electron energy as [13]

$$\sigma_{\rm eN} = 4\alpha \, r_e^2 \, Z(Z+1) \, \log(287/\sqrt{Z}) \left(-\frac{4}{3} \log k_{\rm min} - \frac{5}{6} + \frac{4}{3} k_{\rm min} - \frac{k_{\rm min}^2}{2} \right) \,, \tag{5.4}$$

where k_{\min} is the fractional energy loss or minimum photon energy in units of the electron energy, α the fine-structure constant (1/137) and Z the atomic number (or number of protons). We can see that the cross section scales with Z(Z+1). Numerical values obtained from Eq. 5.4 for $k_{\min} = 0.01$ are shown in Tab. 5.4

Table 5.2. Numerical values for $\sigma_{\rm eN}$ for an energy loss of at least 1% and for $\sigma_{\rm pN}$, the pN cross section at high energy ($p_{\rm lab} = 0.01$ to 10 TeV).

Gas	$\sigma_{ m eN}$	$\sigma_{ m pN}$
	b	b
H_2	0.28	0.08
$_{\mathrm{He}}$	0.39	0.19
CH_4	3.02	0.43
H_2O	4.38	0.40
N_2	6.47	0.56
CO	6.56	0.56
CO_2	10.7	0.87
Ar	17.8	0.60



LOCATION OF PARTICLE LOSS?

Particle distribution Along Z : Somehow uniform distribution of the particle loss

